

Probability Plot Examples

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These examples demonstrate variations of types of probability plots that can be generated by functions in the USGSwsGraphs package. All of the examples use randomly generated sets of data. **NOTE:** to use any of the high-level plotting functions, you must first call a function to set up the graphics environment like `setPage` or `setPDF`, but these are not included here to use the graphics tools in `Sweave`.

```
> # Load the USGSwsGraphs package
> library(USGSwsGraphs)
> # Generate the random data
> set.seed(2736)
> Xnorm <- rnorm(32)
> Xlogn <- rlnorm(32)
> Xmix <- exp(c(rnorm(15), rnorm(15, 0.5))) + .5
> Xbig <- rnorm(100)
```

1 Empirical Distribution Function

The empirical distribution function describes the cumulative distribution given an empirical measure of the observations. The empirical measure is the step function that increases by $1/n$ for each of the sorted observations. This graph is often used to explore or describe the observations without describing them in the context of any distribution, like normal.

```
> # setSweave is a specialized function that sets up the graphics page for  
> # Sweave scripts. It should be replaced by a call to setPage or setPDF  
> # in a regular script.  
> setSweave("probplot01", 6 ,6)  
> # Create the graph. Note that by default, the x-axis is log-transformed and  
> # requires strictly positive data. Setting \texttt{xaxis.log} to  
> # \texttt{FALSE} relaxes that requirement.  
> ecdfPlot(Xmix)  
> # Required call to close PDF output graphics  
> graphics.off()
```

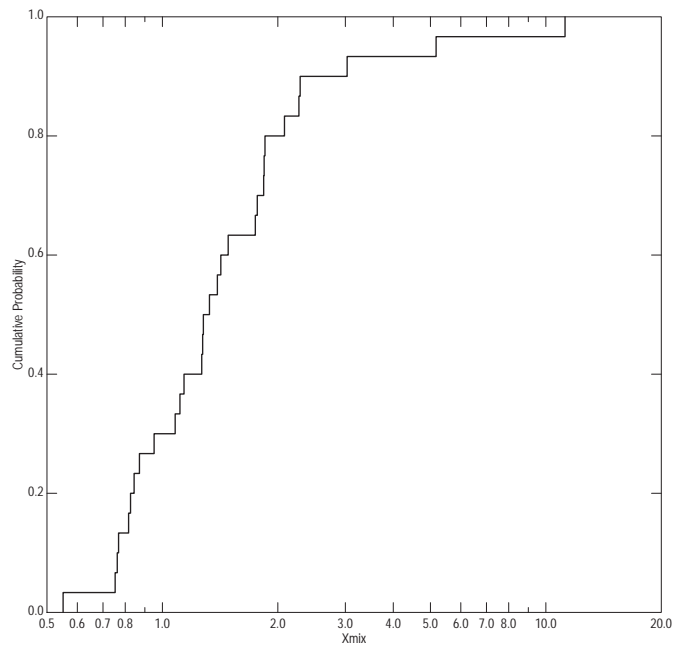


Figure 1. The ECDF plot.

2 Probability Plots

Probability plots describe the observed values in the context of a known distribution. The most common, and default distribution for the `probPlot` function, is the normal distribution. Many other distributions are possible. Log-normally distributed data can be portrayed in either of two ways—either use set `axis.log` to `TRUE` and optionally provide the mean and standard deviations of the natural logarithms of the data or `axis.log` to `FALSE`, `distribution` to "lognormal" and provide the mean and standard deviations of the natural logarithms of the data. The first option is shown in figure 2..

```
> setSweave("probplot02", 6 ,6)
> # For the normal distribution, the mean and sd arguments are optional, if
> # supplied, then a line for the fitted distribution is drawn.
> probPlot(Xlogn, mean=mean(log(Xlogn)), sd=sd(log(Xlogn)))
> graphics.off()
```

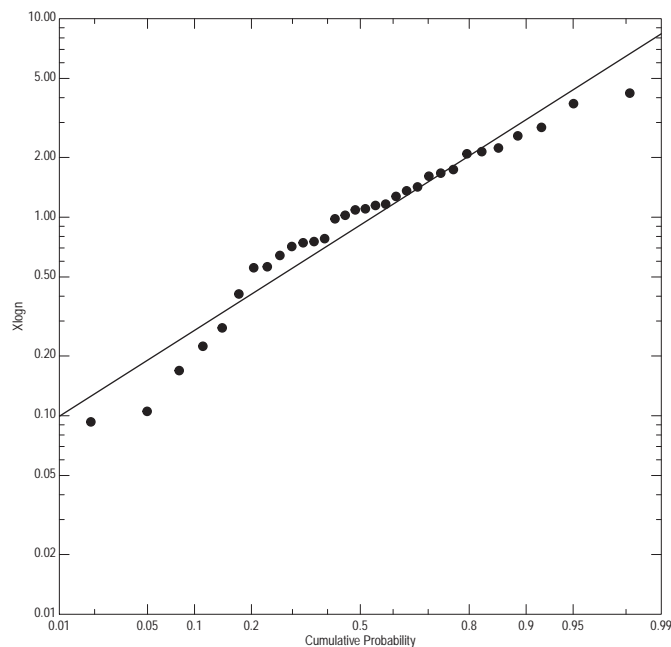


Figure 2. Probability plot for lognormal data.

3 The Q-normal Plot

The Q-normal plot is related to the probability plot for normal distributions, but uses quantiles of the normal distribution instead of probabilities. It is typically used for diagnostic plots to quickly indicate deviations from an assumption of normality.

```
> setSweave("probplot03", 6, 6)
> # Accept all of the defaults, the line is based on the mean and the standard
> # deviation of the data.
> qqPlot(Xnorm)
> graphics.off()
```

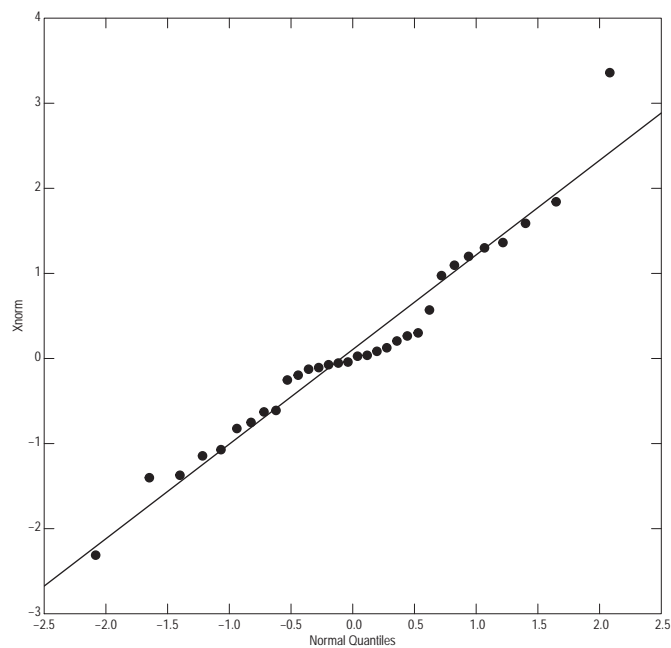


Figure 3. The Q-normal plot.

4 The Q-Q Plot

The Q-Q plot is designed to compare the distribution of two samples. The larger sample is subsetting to match the length of the smaller sample, if necessary and matching quantiles are plotted against each other. For this plot, two lines are shown—the best fit line and the 1:1 line. If the distributions are similar the lines will be close to each other. No assumption is made about the distribution other than similarity.

```
> setSweave("probplot04", 6, 6)
> # Accept all of the defaults.
> qqPlot(Xnorm, Xbig)
> graphics.off()
```

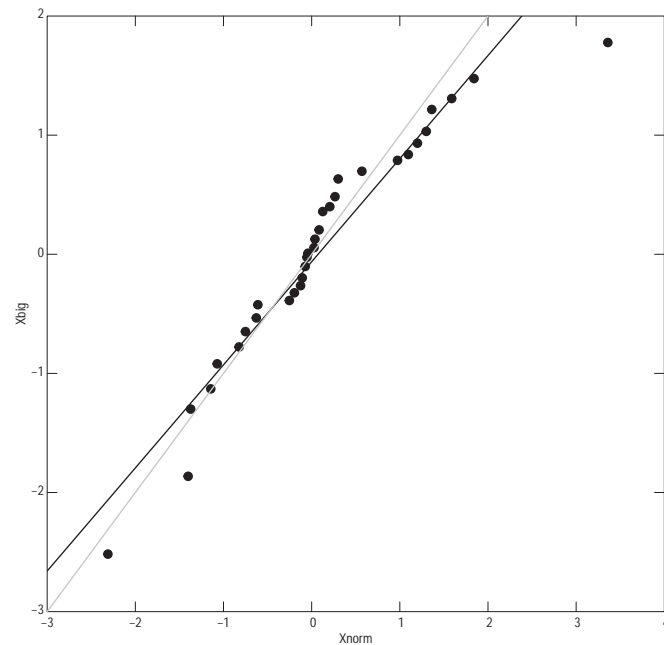


Figure 4. The Q-Q plot.

5 Histogram

The histogram describes the probability distribution given counts or the proportion of the data in bins along the range of the observations. The density of the data are portrayed as rectangles with fixed width and height proportional to the number of observations within each bin. The histogram is most useful for relatively large datasets because the appearance is sensitive the number in each bin, which can vary widely for small data sets. No assumption is made about the distribution.

```
> setSweave("probplot05", 6 ,6)
> histGram(Xbig)
> # Required call to close PDF output graphics
> graphics.off()
```

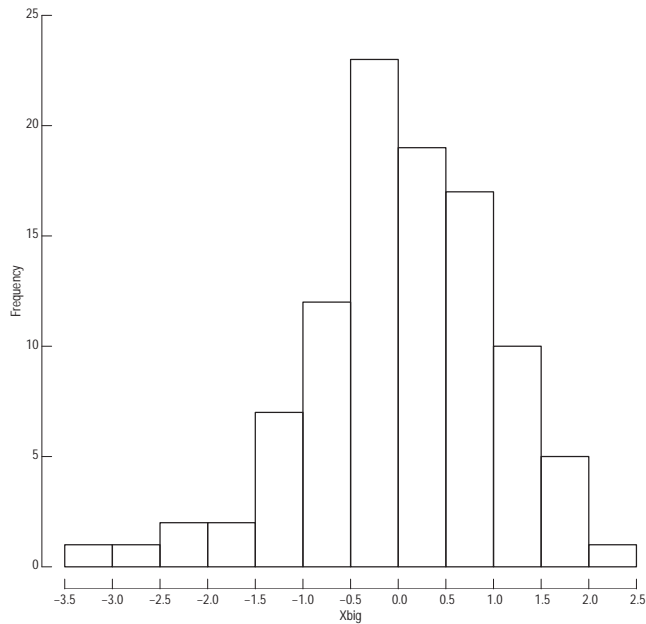


Figure 5. The histogram.