深度神经网络模型:对长期和短期时间模式

# Modeling Long- and Short-Term Temporal Patterns with Deep Neural Networks

Guokun Lai Carnegie Mellon University guokun@cs.cmu.edu

Yiming Yang Carnegie Mellon University yiming@cs.cmu.edu Wei-Cheng Chang Carnegie Mellon University wchang2@andrew.cmu.edu

Hanxiao Liu Carnegie Mellon University hanxiaol@cs.cmu.edu

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### Introduction

多变量时间序列预测往往面临着一个重要 的研究挑战,即如何捕捉和利用多变量之间的 动态依赖关系。

现实世界中的时序数据通常存在时间上的 依赖,即存在短期和长期的重复模式,如高速 公路上的车流量以天和周为重复周期。

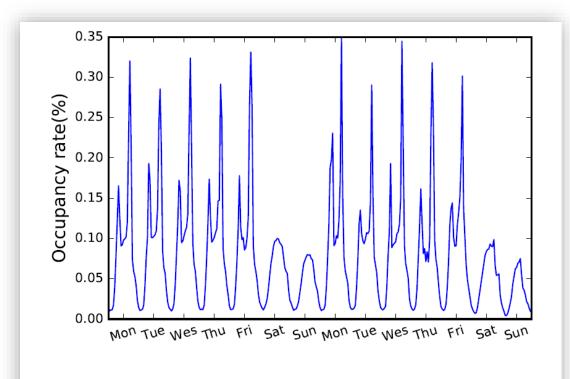
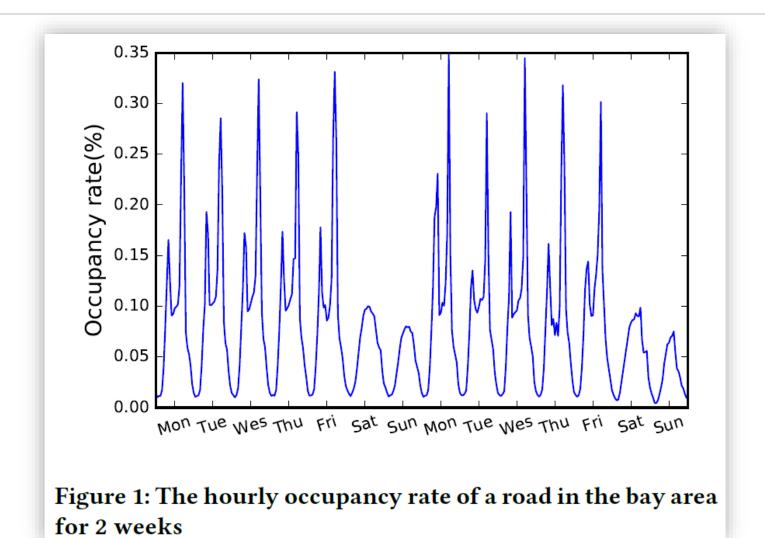


Figure 1: The hourly occupancy rate of a road in the bay area for 2 weeks

### Introduction



# Long- and Short-term Time-series Network (LSTNet)

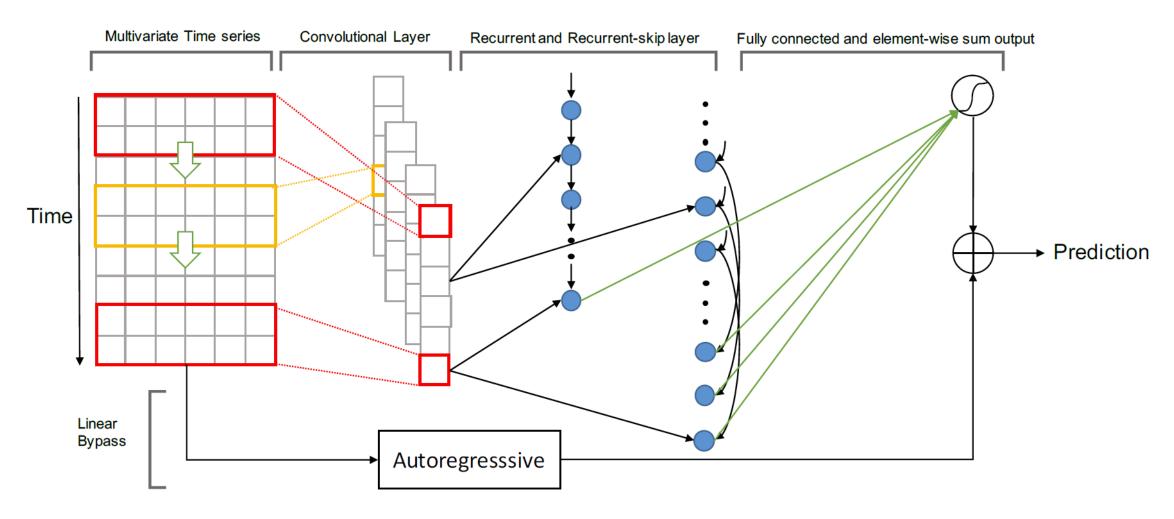
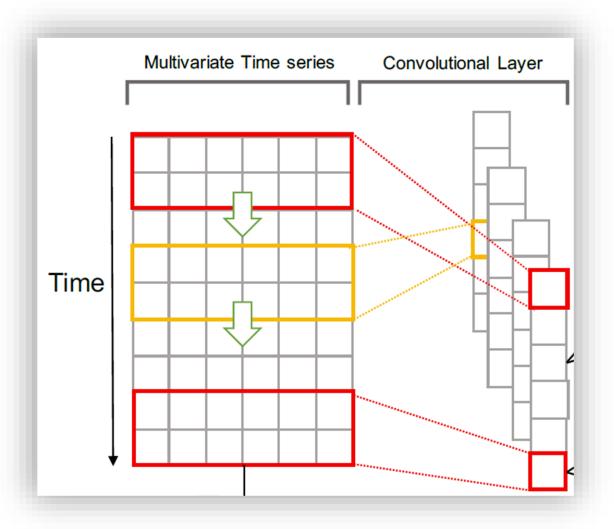


Figure 2: An overview of the Long- and Short-term Time-series network (LSTNet)

### **Convolutional Component**



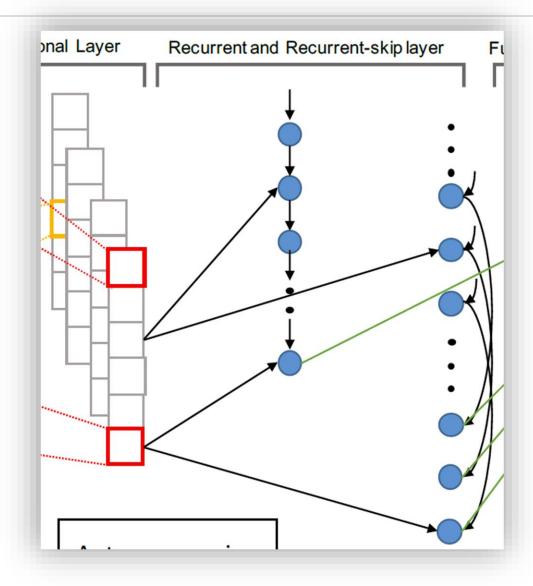
LSTNet 的第一层是一个没有池化的卷积 网络,旨在提取时间维度上的短期模式以及 变量之间的局部依赖关系。

第 k 个滤波器扫过输入矩阵 X 并产生  $h_k$ 

$$h_k = RELU(W_k * X + b_k)$$

其中\*表示卷积运算,输出向量 $h_k$ 

### **Recurrent Component**



循环分量是门控递归单元 (GRU) 的递归层,使用 RELU 函数作为隐式更新激活函数。 *t* 时刻递归单元的隐藏状态计算为:

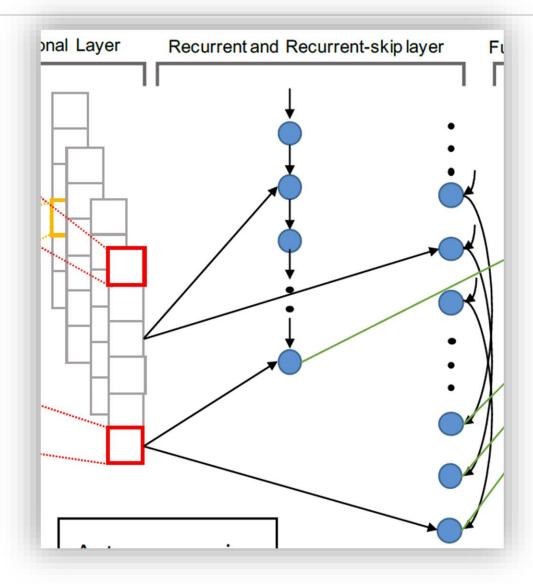
$$r_{t} = \sigma(x_{t}W_{xr} + h_{t-1}W_{hr} + b_{r})$$

$$u_{t} = \sigma(x_{t}W_{xu} + h_{t-1}W_{hu} + b_{u})$$

$$c_{t} = RELU(x_{t}W_{xc} + r_{t} \odot (h_{t-1}W_{hc}) + b_{c})$$

$$h_{t} = (1 - u_{t}) \odot h_{t-1} + u_{t} \odot c_{t}$$

## Recurrent-skip Component



由于梯度消失问题,GRU和LSTM在实际应用中往往不能捕捉到非常长期 (very long-term)的相关性。

于是开发了一个具有时间跳跃连接的递归结构,具体地说,在当前隐藏单元与相邻周期中处于同一阶段的隐藏单元之间添加 *skip-links*。更新过程可以表示为:

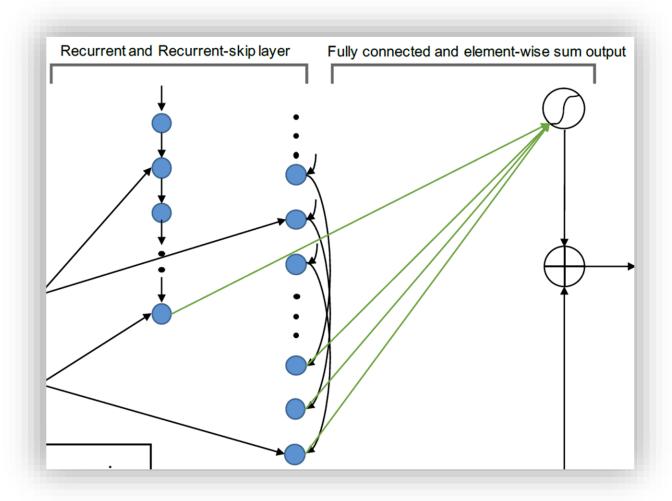
$$r_t = \sigma(x_t W_{xr} + h_{t-p} W_{hr} + b_r)$$

$$u_t = \sigma(x_t W_{xu} + h_{t-p} W_{hu} + b_u)$$

$$c_t = RELU(x_t W_{xc} + r_t \odot (h_{t-p} W_{hc}) + b_c)$$

$$h_t = (1 - u_t) \odot h_{t-p} + u_t \odot c_t$$

### **Combine the Outputs**



使用一个 Dense 层来组合 Recurrent 层和 Recurrent-skip 层的输出:

$$h_t^D = W^R h_t^R + \sum_{i=0}^{p-1} W_i^S h_{t-i}^S + b$$

## **Temporal Attention Layer**

上述的 Recurrent-skip Component 中有一个超参,即周期 p 。有些情况下周期未知或周期在动态变化,预测是不方便的。为了解决这一问题,本文又提出了一种 attention 机制。

$$\alpha_t = AttnScore(H_t^R, h_{t-1}^R)$$

$$H_t^R = [h_{t-q}^R, \dots, h_{t-1}^R]$$

计算 t-q 到 t-1 时刻所有隐向量的权重,得到带权的上下文向量  $c_t$  ,和 t-1 时刻的隐向量拼接后做线性投影得到 t 时刻的隐向量。

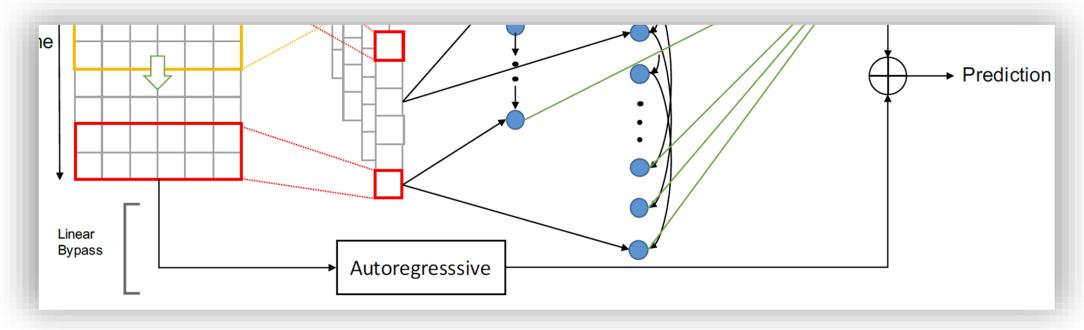
$$c_t = H_t \boldsymbol{\alpha}_t$$
  $h_t^D = W[c_t; h_{t-1}^R] + b$ 

### **Autoregressive Component**

神经网络模型的一个缺点是输出尺度对输入尺度的变化不敏感,而在具体的实际数据集中,输入信号的尺度不断发生非周期的变化,显著降低了神经网络模型的预测精度。

#### 自回归模型是一个很好的线性模型来建模局部的尺度变化问题。

将LSTNet的最终预测分解为线性部分(主要关注局部尺度问题)和包含重复模式的非线性部分。



# Long- and Short-term Time-series Network (LSTNet)

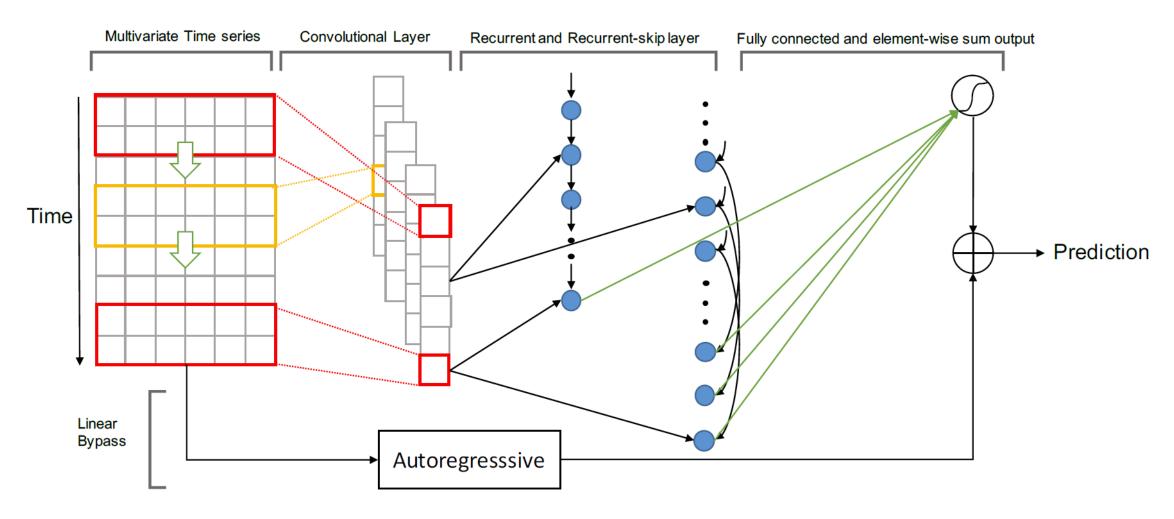
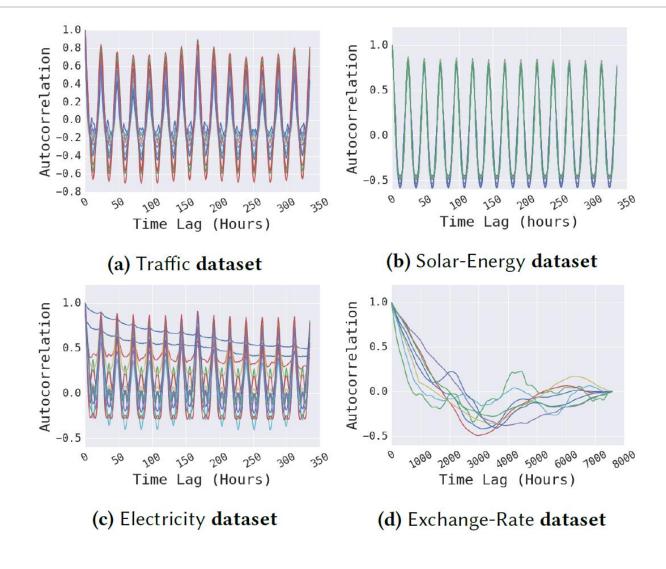


Figure 2: An overview of the Long- and Short-term Time-series network (LSTNet)

### **Evaluation**



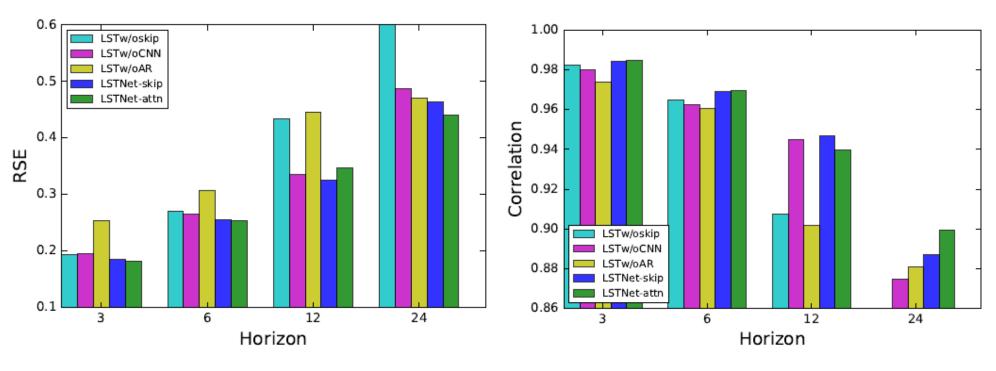
# **Evaluation**

Dataset		Solar-Energy				Traffic				Electricity				Exchange-Rate			
		Horizon				Horizon				Horizon				Horizon			
Methods	Metrics	3	6	12	24	3	6	12	24	3	6	12	24	3	6	12	24
AR	RSE	0.2435	0.3790	0.5911	0.8699	0.5991	0.6218	0.6252	0.6293	0.0995	0.1035	0.1050	0.1054	0.0228	0.0279	<b>0.0353</b> 0.9526	0.0445
(3)	CORR	0.9710	0.9263	0.8107	0.5314	0.7752	0.7568	0.7544	0.7519	0.8845	0.8632	0.8591	0.8595	0.9734	0.9656		0.9357
LRidge (3)	RSE	0.2019	0.2954	0.4832	0.7287	0.5833	0.5920	0.6148	0.6025	0.1467	0.1419	0.2129	0.1280	0.0184	0.0274	0.0419	0.0675
	CORR	0.9807	0.9568	0.8765	0.6803	0.8038	0.8051	0.7879	0.7862	0.8890	0.8594	0.8003	0.8806	0.9788	<b>0.9722</b>	0.9543	0.9305
LSVR (1)	RSE	0.2021	0.2999	0.4846	0.7300	0.5740	0.6580	0.7714	0.5909	0.1523	0.1372	0.1333	0.1180	0.0189	0.0284	0.0425	0.0662
	CORR	0.9807	0.9562	0.8764	0.6789	0.7993	0.7267	0.6711	0.7850	0.8888	0.8861	0.8961	0.8891	0.9782	0.9697	<b>0.9546</b>	0.9370
TRMF (0)	RSE	0.2473	0.3470	0.5597	0.9005	0.6708	0.6261	0.5956	0.6442	0.1802	0.2039	0.2186	0.3656	0.0351	0.0875	0.0494	0.0563
	CORR	0.9703	0.9418	0.8475	0.5598	0.6964	0.7430	0.7748	0.7278	0.8538	0.8424	0.8304	0.7471	0.9142	0.8123	0.8993	0.8678
GP	RSE	0.2259	0.3286	0.5200	0.7973	0.6082	0.6772	0.6406	0.5995	0.1500	0.1907	0.1621	0.1273	0.0239	<b>0.0272</b> 0.8193	0.0394	0.0580
(1)	CORR	0.9751	0.9448	0.8518	0.5971	0.7831	0.7406	0.7671	0.7909	0.8670	0.8334	0.8394	0.8818	0.8713		0.8484	0.8278
VARMLP (0)	RSE	0.1922	0.2679	0.4244	0.6841	0.5582	0.6579	0.6023	0.6146	0.1393	0.1620	0.1557	0.1274	0.0265	0.0304	0.0407	0.0578
	CORR	0.9829	0.9655	0.9058	0.7149	0.8245	0.7695	0.7929	0.7891	0.8708	0.8389	0.8192	0.8679	0.8609	0.8725	0.8280	0.7675
RNN-GRU (0)	RSE	0.1932	0.2628	0.4163	0.4852	0.5358	0.5522	0.5562	0.5633	0.1102	0.1144	0.1183	0.1295	0.0192	0.0264	0.0408	0.0626
	CORR	0.9823	0.9675	0.9150	0.8823	0.8511	0.8405	0.8345	0.8300	0.8597	0.8623	0.8472	0.8651	0.9786	0.9712	0.9531	0.9223
LST-Skip (17)	RSE CORR	0.1843 0.9843	0.2559 0.9690	0.3254 0.9467	0.4643 0.8870	$0.4777 \\ 0.8721$	0.4893 0.8690	0.4950 0.8614	0.4973 0.8588	0.0864 0.9283	0.0931 0.9135	0.1007 <b>0.9077</b>	0.1007 0.9119	0.0226 0.9735	0.0280 0.9658	0.0356 0.9511	0.0449 0.9354
LST-Attn	RSE	0.1816	0.2538	0.3466	0.4403	0.4897	0.4973	0.5173	0.5300	0.0868	0.0953	<b>0.0984</b>	0.1059	0.0276	0.0321	0.0448	0.0590
(7)	CORR	0.9848	0.9696	0.9397	0.8995	0.8704	0.8669	0.8540	0.8429	0.9243	0.9095	0.9030	0.9025	0.9717	0.9656	0.9499	0.9339

## **Ablation Study**

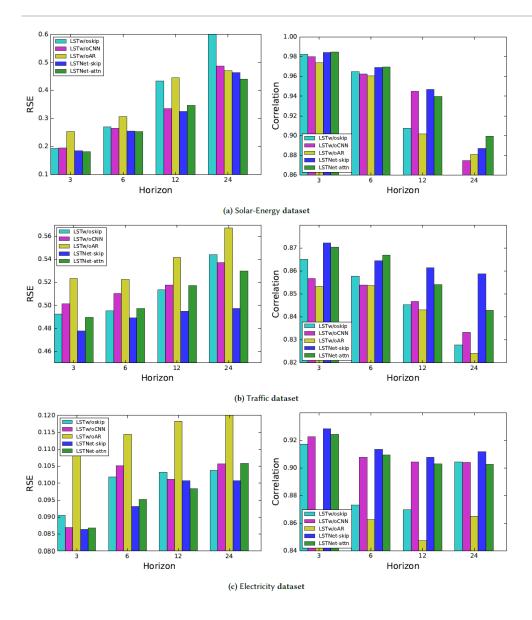
为了证明我们的框架设计的效率,进行了仔细的消融研究。

具体来说,在LSTNet 框架中一次删除一个组件,对比不同情况下的结果。



(a) Solar-Energy dataset

## **Ablation Study**



- 每个数据集的最佳结果都是 LST-Skip 或 LST-Attn 中的一个;
- 从完整模型中删除自回归部分,导致大多数数据集的性能下降最显着,这显示了AR组件的关键作用。
- 删除 Skip 或 CNN 组件会导致某些数据集的性能 下降,但不是全部。

LSTNet的所有部分共同作用使得我们的方法在 所有数据集上有强大性能。

## **Ablation Study**

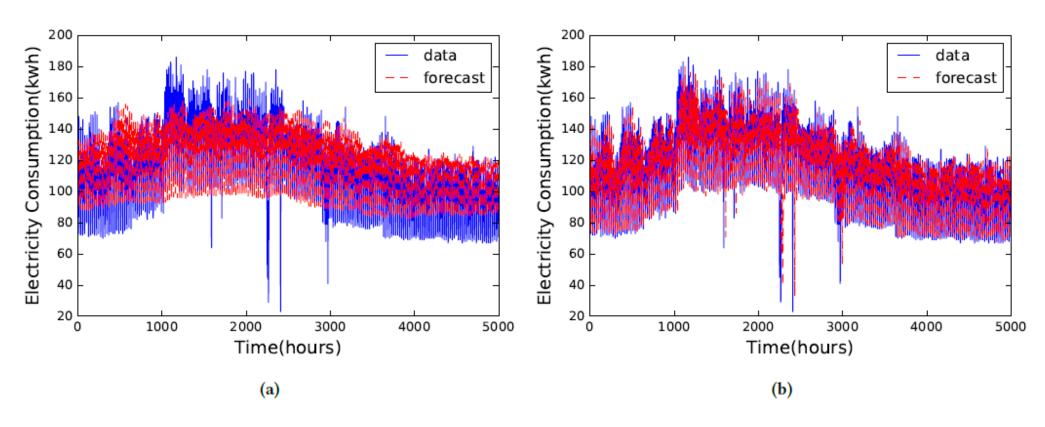


Figure 6: The predicted time series (red) by LSTw/oAR (a) and by LST-Skip (b) vs. the true data (blue) on Electricity dataset with horizon = 24

### Mixture of long- and short-term patterns

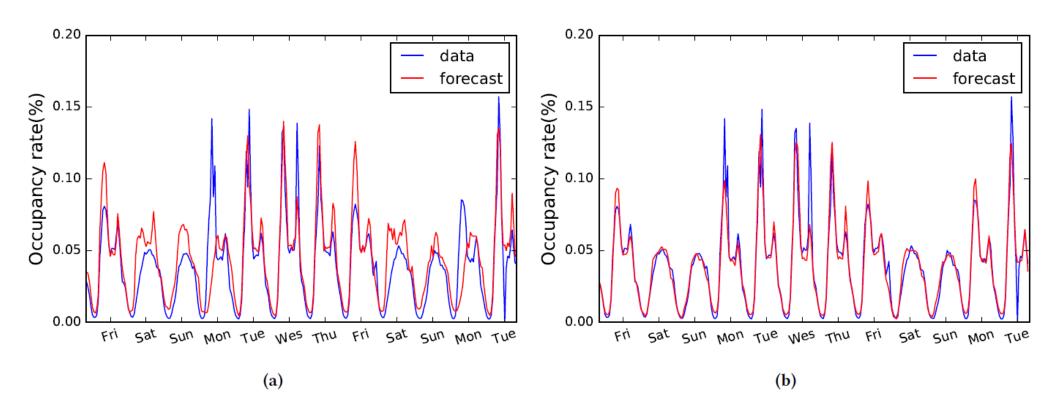


Figure 7: The true time series (blue) and the predicted ones (red) by VAR (a) and by LSTNet (b) for one variable in the Traffic occupation dataset. The X axis indicates the week days and the forecasting horizon = 24. VAR inadequately predicts similar patterns for Fridays and Saturdays, and ones for Sundays and Mondays, while LSTNet successfully captures both the daily and weekly repeating patterns.



#### Temporal Pattern Attention for Multivariate Time Series Forecasting

Shun-Yao Shih\* · Fan-Keng Sun\* · Hung-yi Lee

Received: date / Accepted: date

Abstract Forecasting of multivariate time series data, for instance the prediction of electricity consumption, solar power production, and polyphonic piano pieces, has numerous valuable applications. However, complex and non-linear interdependencies between time steps and series complicate this task. To obtain accurate prediction, it is crucial to model long-term dependency in time series data, which can be achieved by recurrent neural networks (RNNs) with an attention mechanism. The typical attention mechanism reviews the information at each previous time step and selects relevant information to help generate the outputs; however, it fails to capture temporal patterns across multiple time steps. In this paper, we propose using a set of filters to extract time-invariant temporal patterns, similar to transforming time series data into its "frequency domain". Then we propose a novel attention mechanism to select relevant time series, and use its frequency domain information for multivariate forecasting. We apply the proposed model on several real-world tasks and achieve state-of-the-art performance in all of these with a single exception. Our source code is available at https://github.com/gantheory/TPA-LSTM.

