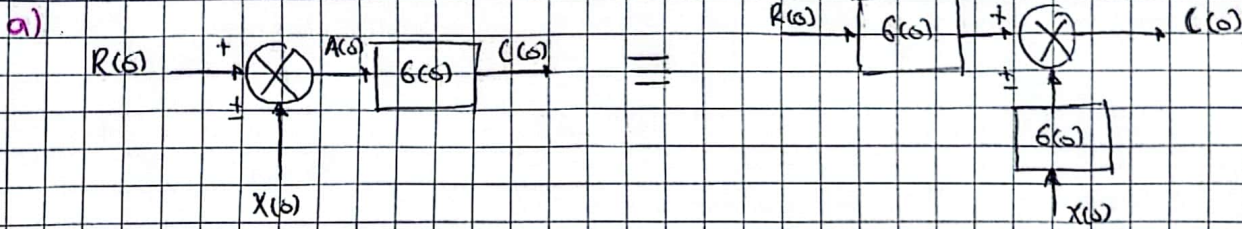


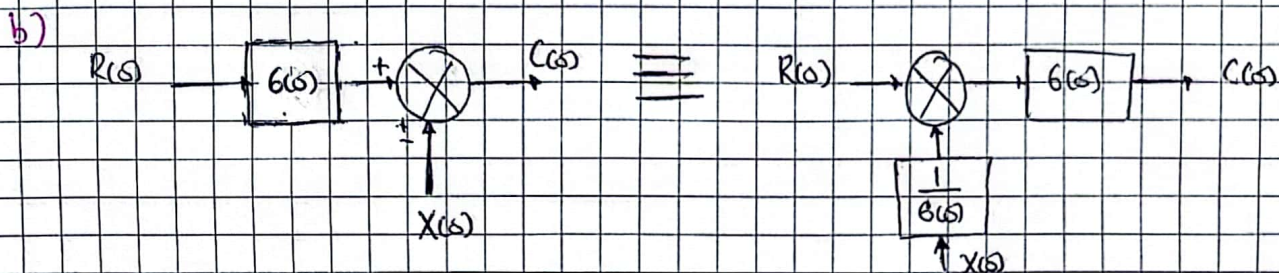
Diagramas de Bloques

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Ced. 201925741016

Considere los siguientes sistemas, demuestre algebraicamente las equivalencias

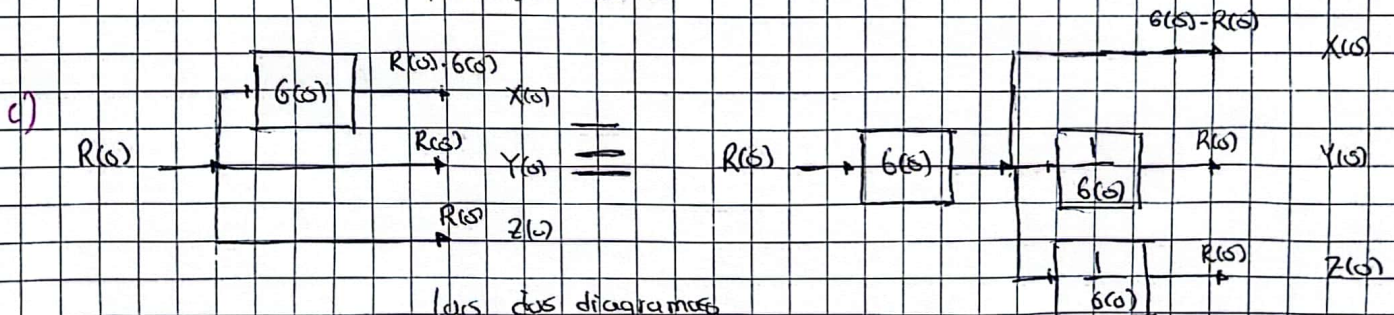


$$C(s) = G(s) \cdot A(s) \rightarrow C(s) = G(s) \cdot (R(s) \pm X(s)) \rightarrow C(s) = G(s) \cdot R(s) \pm G(s) \cdot X(s)$$



$$C(s) = G(s) \cdot R(s) + X(s) \rightarrow C(s) = G(s) \cdot \left(R(s) + \frac{1}{G(s)} \cdot X(s) \right)$$

Factoriza $G(s)$



Los dos diagramas son equivalentes

$$X(s) = R(s) \cdot G(s)$$

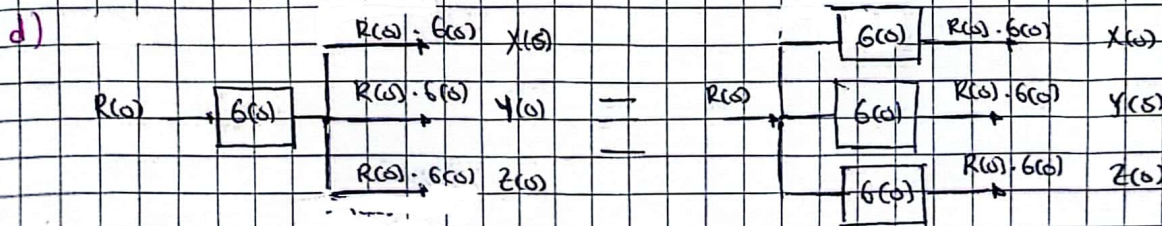
$$X(s) = R(s) \cdot G(s)$$

$$Y(s) = R(s)$$

$$Y(s) = R(s) \cdot G(s) \cdot \frac{1}{G(s)} = R(s)$$

$$Z(s) = R(s)$$

$$Z(s) = R(s) \cdot G(s) \cdot \frac{1}{G(s)} = R(s)$$



Salida común a $R(s) \cdot G(s)$ entrada común con distribución de bloques para cada salida