

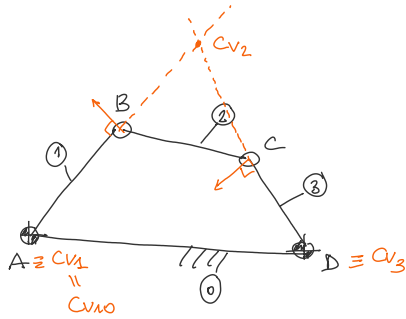
# Centro delle velocità dei moi relativi

giovedì 28 novembre 2024 16:47

$C_v \Rightarrow \underline{\dot{N}_{Cv}} = \underline{0}$  per  $t = \bar{t}$

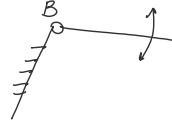
$\Rightarrow \exists$  se  $\underline{\omega} \neq 0$

$\Rightarrow$  TEOREMA CHASLES



MOTO RELATIVO ① e ②  $\Rightarrow$  MOTO ROTAT.

$$C_{V12} = C_{V21} \perp B$$



$\exists$  un punto  $C_v$  t.c.  $\underline{\dot{N}_{Cv1}} = \underline{\dot{N}_{Cv2}}$  per  $t = \bar{t}$

$$\underline{v_{Cv}^{rel}} = \underline{0}$$

se  $\underline{\omega}^{rel} \neq 0$

MOTO RELATIVO ① e ②  $\Rightarrow$  MOTO ROTAT.

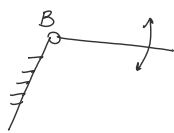
$$C_{V12} = C_{V21} \perp B$$

$\Rightarrow$

$$C_{Vij} = C_{Vji}$$

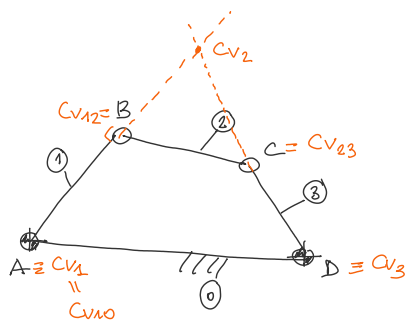
se "0" = TERZO

$$C_{V10} \equiv C_{V1}$$



MOTO RELATIVO ② e ③  $\Rightarrow$  MOTO ROTAT.

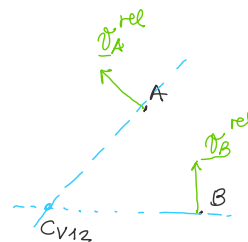
$$C_{V23} = C_{V32} = C$$



$C_{V13}?$

1) TEOREMA CHASLES  $\Rightarrow$

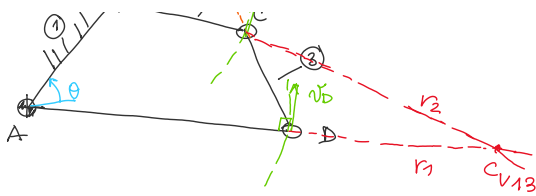
$$\sum \underline{v_{A0}^{rel}} = \underline{v_{B1}^{rel}}$$



es.



... (B) ... (A) ...



$\Sigma 1 \Rightarrow$  MOTO RELATIVO DI 3 RISPETTO A 1

$$\Sigma 1 \quad \underline{v}_{C3}$$

$$\circ) \Sigma 1 \quad \underline{v}_{D3}^{ass} = \underline{v}_D^{rel} + \underline{v}_D^{tr}$$

$$\underline{v}_D^{rel} = \underline{v}_D^{ass} - \underline{v}_D^{tr} = -\dot{\theta} \underline{k} \wedge \vec{AD} = -\dot{\theta} \underline{k} \wedge \vec{AD} = \underline{v}_{D1}$$

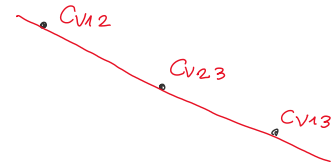
$$\perp \underline{v}_D^{rel} \Rightarrow r_1$$

$$\begin{aligned} \circ) \Sigma 1 \quad \underline{v}_C^{rel} &= \underline{v}_{C3}^{ass} - \underline{v}_C^{tr} \sim \underline{v}_{C3}^{tr} \\ &= \dot{\theta} \underline{k} \wedge \vec{DC} - \dot{\theta} \underline{k} \wedge \vec{AC} \\ &\perp \underline{v}_C^{rel} \Rightarrow r_2 \end{aligned}$$

TEO. KENNEDY

$$R_1, R_2, R_3 \Rightarrow$$

TRIPLUETA  
 $C_{V12}, C_{V13}, C_{V23}$   
sono allineati durante il moto



se un corpo è il telaio  
 $R_1, R_2, R_0 = \text{TELAIO}$

$$C_{V12}, C_{V10}, C_{V20}$$

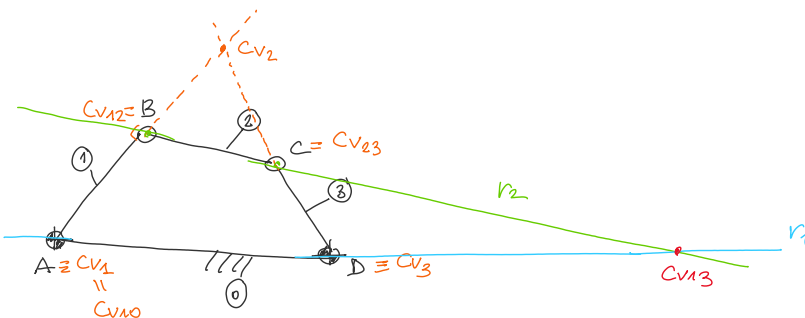
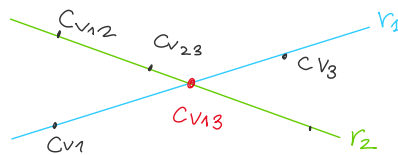
$$C_{V1}, C_{V2}$$

Applicazione:

$$R_1, R_2, R_3, R_4$$

$C_{V13} \Rightarrow$  INCOGNITA

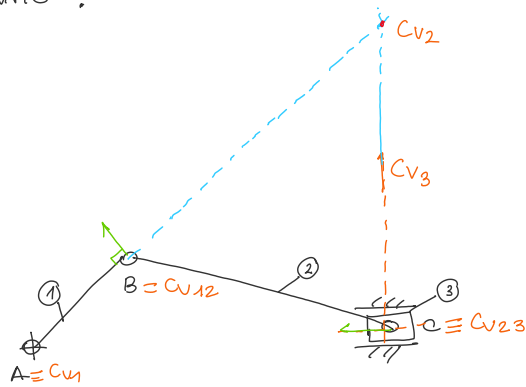
$$\begin{aligned} 1, 3, 4 &\Rightarrow C_{V13}, C_{V14}, C_{V34} \rightarrow r_1 \\ 1, 3, 2 &\Rightarrow C_{V13}, C_{V12}, C_{V23} \rightarrow r_2 \end{aligned}$$



$$1, 3, 4 \Rightarrow C_{V13}, C_{V14}, C_{V34} \rightarrow r_1$$

$$1, 3, 2 \Rightarrow C_{V13}, C_{V12}, C_{V23} \rightarrow r_2$$

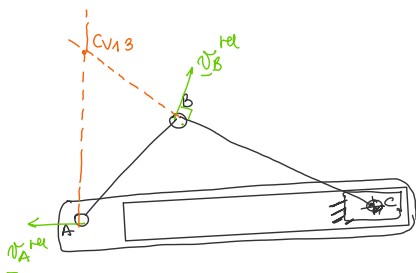
ESEMPIO : MDS



MOTO ASSOLUTO :  
Cv1  
Cv2  
Cv3

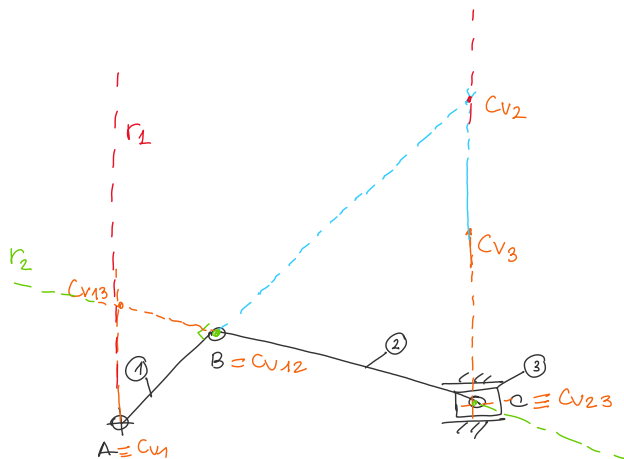
MOTO RELATIVO :  
Cv12  
Cv23  
Cv13 ?

Cv13 ⇒ TEOREMA CHASLES - MOTO RELAT. ① w ③



Σ③ ⇒ bloccato pistone  
⇒ vincolato il telaio

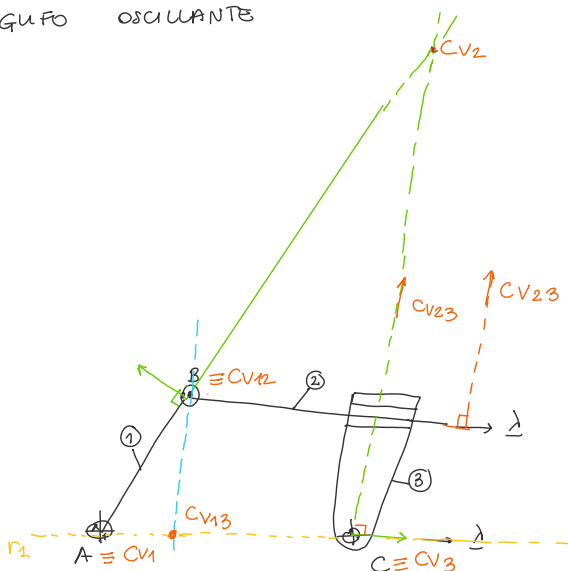
$$\begin{aligned} \Sigma \textcircled{3} \quad \underline{\dot{v}}_{B \textcircled{1}}^{\text{rel}} &= \underline{\dot{v}}_B^{\text{ass}} - \underline{\dot{v}}_B^{\text{tr}} = \dot{\theta} \mathbf{E}_1 \overrightarrow{AB} + \dot{\underline{u}} \\ \Sigma \textcircled{3} \quad \underline{\dot{v}}_{A \textcircled{1}}^{\text{rel}} &= \underline{\dot{v}}_A^{\text{ass}} - \underline{\dot{v}}_A^{\text{tr}} = \dot{\underline{u}} \end{aligned}$$



1, 3, 0 ⇒ Cv1, Cv3, Cv13

Cv13 < 1, 3, 2 ⇒ Cv12, Cv23, Cv13

GRUPPO OSCILLANTE



Cv2 ⇒ TEOREMA CHASLES

$$\begin{aligned} \bullet) \quad \underline{\dot{v}}_{B \textcircled{2}} \\ \bullet) \quad \Sigma \textcircled{3} \quad \underline{\dot{v}}_{C \textcircled{2}} &= \underline{\dot{v}}_C^{\text{rel}} + \underline{\dot{v}}_C^{\text{tr}} \\ &= \dot{\underline{s}} \underline{\lambda} = \underline{\dot{v}}_{C \textcircled{3}} = 0 \end{aligned}$$

1, 3, 0 ⇒ Cv1, Cv3, Cv13

Cv13 < 1, 3, 2 ⇒ Cv12, Cv23, Cv13

