Machine Learning

<Contents>

- 1) Basic understanding of machine learning algorithms
 - Linear regression, Logistic regression (classification)

:Something that you need to learn before learning "Deep Learning"

& make you understand it much easier

- **Deep Learning**: Neural networks, Convolutional Neural Network, Recurrent Neural Network
- 2) Solve your problems using machine learning tools
 - ex) Tensorflow & Python

<Basic Concepts>

1. Machine Learning:

- →Limitations of explicit programming (The reason why ML appeared on the world)
 - 1) Spam filter: many rules
 - 2) Automatic driving: TOO many rules
- → Field of study that gives computers the ability to learn without being explicitly programmed

2. Supervised learning:

- → Learning with labeled examples: training set (training set = labeled example)
 - ex) Q. How to distinguish a cat from many dogs?
 - A. Learning with training set(=showing a plenty of cat pictures and making computer learn about the cat) →Easy way: Google Teachable Machine ...
 - <Most Common Problem Type in Machine Learning>
 - 1) Image labeling: learning from tagged images
 - 2) Email spam filter: learning from labeled "spam or ham" email
 - 3) Predicting exam score: learning from previous exam score and time spent
 - <Types of Supervised Learning>
 - 1) Regression
 - : ex) Predicting final exam score based on time spent
 - 2) Binary Classification
 - : ex) Pass/Fail based on time spent
 - 3) Multi-Label Classification
 - : ex) Letter grade (A,B,C,...) based on time spent

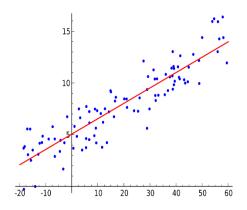
3. Unsupervised learning: un-labeled data

- → When we cannot provide labeled examples
 - ex) Google news grouping OR Word clustering

<Linear Regression>

Ex) 10 hours
$$\rightarrow$$
 score: 95
9 hours \rightarrow score: 85
7 hours \rightarrow score: 65
3 hours \rightarrow score: 35

Predict: We could predict that if a child studied for 8 hours, then he would get 75 on the exam.



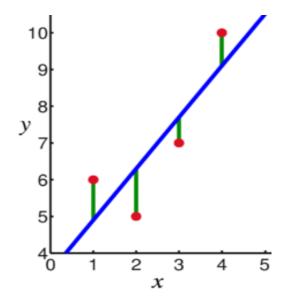
To predict a result with features:

ex) hours
$$\rightarrow$$
 "x" & scores \rightarrow "y"

Make a Linear Hypothesis

$$: H(x) = Wx + b$$

<Image from: https://en.wikipedia.org/wiki/Linear_regression>



How to know what's good hypothesis?

→Use "Cost Function" (Lost Function)

$$: (H(x) - y)^2$$

Totally

$$\rightarrow$$
cost = $\frac{1}{m}\sum_{i=1}^{m} (H(x^{(i)}) - y^{(i)})^2$

$$\rightarrow$$
H(x) = Wx + b

$$\rightarrow \cot(\mathbf{W},\mathbf{b}) = \frac{1}{m} \sum_{i=1}^{m} (H(x^{(i)}) - y^{(i)})^2$$

Goal:

Minimize cost(W,b)

= Find "W & b" that minimizes the cost!!

<How to minimize cost>

Simplified hypothesis

$$H(x) = Wx$$

$$\rightarrow$$
cost(W) = $\frac{1}{m} \sum_{i=1}^{m} (Wx^{(i)} - y^{(i)})^2$

If)
$$x = 1 \rightarrow y = 1$$

$$x = 2 \rightarrow y = 2$$

$$x = 3 \rightarrow y = 3$$

If
$$W = 1 : H(x) = x$$

$$Cost = \frac{(1*1-1)^2 + (1*2-2)^2 + (1*3-3)^2}{3} = 0$$

If
$$W = 2 : H(x) = 2x$$

Cost =
$$\frac{(2*1-1)^2 + (2*2-2)^2 + (2*3-3)^2}{3} = 4.67$$

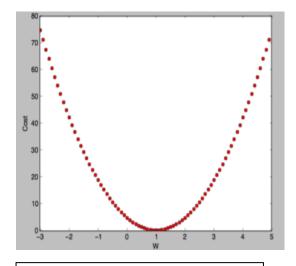
If
$$W = 0 : H(x) = 0$$

$$Cost = \frac{(0*1-1)^2 + (0*2-2)^2 + (0*3-3)^2}{3} = 4.67$$

$$If$$
.... $W = -1 : H(x) = -x$

Cost =
$$\frac{(-1*1-1)^2 + (-1*2-2)^2 + (-1*3-3)^2}{3}$$
 =

Then, what "cost(W)" looks like??



Our goal is to find the minimum <u>"W"</u> that minimizes the "Cost"

But how??

→ "Gradient descent algorithm"

<Gradient Descent algorithm>

- 1) Minimize cost function
- 2) Gradient descent is used many minimization problems
- 3) For a given cost function, cost(W,b), it will find W,b to minimize cost
- 4) It can be applied to more general function:
 - →cost(w1,w2, ...): Even if with the cost function that has many "W"

< How it works?>

- 1) Start with initial guesses
 - 1. Start at any value ex) (0,0)
 - 2. Keep changing "W" and "b" a little bit to try and reduce "Cost(W,b)"
- 2) Each time you change the parameters, you select the gradient which reduces cost(W,b) the most possible
- 3) Repeat
- 4)Do so until you converge to a local minimum
- 5) Has an interesting property

< How tensorflow knows the gradient?>

[For simple proof
$$\rightarrow \operatorname{cost}(W) = \frac{1}{2m} \sum_{i=1}^{m} (Wx^{(i)} - y^{(i)})^2$$
]

Formal definition

$$W = W - \alpha \frac{\partial}{\partial W} cost(W)$$

 α : learning rate

 \rightarrow constant number(At this time $\alpha = 0.1$)

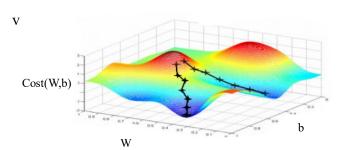
By this equation,

- 1) If you guess a bigger number than the minimum W
- : Tensorflow will make you try a smaller number
- ⇒Because if you guessed a bigger number, $(-\alpha \frac{\partial}{\partial W} cost(W))$ will be a negative number so that the next W will be smaller than the number you guessed.
- 2) If you guess a smaller number than the minimum W
- : Tensorflow will make you try a bigger number
- \rightarrow Because if you guessed a smaller number, $(-\alpha \frac{\partial}{\partial W} cost(W))$ will be a positive number

After derivative

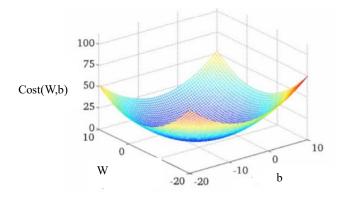
Gradient Descent Algorithm

$$W = W - \alpha \frac{1}{m} \sum_{i=1}^{m} (Wx^{(i)} - y^{(i)}) x^{(i)}$$



You should be careful not to make your cost function like this convex function

→Because you can get different "W & b" depending on where you start (= where you start to guess)



This function is the right form you need to get → Because even if you start from any value, you will get the right "W&b"

<a href="mailto:<mailto:superstank: 200%">Multi-variable Linear Regression>

ex)

	Quiz $1(X_1)$	$Quiz2(X_2)$	$Quiz3(X_3)$	Final(Y)
Instance 1	70	80	70	150
Instance 2	90	85	90	185
Instance 3	90	90	90	180
Instance 4	95	98	100	195
Instance 5	70	65	75	140
:				

:

Hypothesis for multi-variable linear regression

$$H(X_1, X_2, X_3) = W_1X_1 + W_2X_2 + W_3X_3 + ... W_nX_n + b$$

Cost function for multi-variable linear regression

$$cost(W,b) = \frac{1}{m} \sum_{I=1}^{m} (H(x_1^{(i)}, x_2^{(i)}, x_3^{(i)}) - y^{(i)})^2$$

Hypothesis using Matrix

$$W_1X_1 + W_2X_2 + W_3X_3 + \dots W_nX_n$$

$$egin{pmatrix} (x_1 & x_2 & x_3) \cdot egin{pmatrix} w_1 \ w_2 \ w_3 \end{pmatrix} = egin{pmatrix} x_1w_1 + x_2w_2 + x_3w_3 \end{pmatrix}$$

Only one instance

 \rightarrow H(x) = XW

$$\begin{pmatrix} x_{11} & x_{12} & x_{13} \\ x_{21} & x_{22} & x_{23} \\ x_{31} & x_{32} & x_{33} \\ x_{41} & x_{42} & x_{43} \\ x_{51} & x_{52} & x_{53} \end{pmatrix} \cdot \begin{pmatrix} w_1 \\ w_2 \\ w_3 \end{pmatrix} = \begin{pmatrix} x_{11}w_1 + x_{12}w_2 + x_{13}w_3 \\ x_{21}w_1 + x_{22}w_2 + x_{23}w_3 \\ x_{31}w_1 + x_{32}w_2 + x_{33}w_3 \\ x_{41}w_1 + x_{42}w_2 + x_{43}w_3 \\ x_{51}w_1 + x_{52}w_2 + x_{53}w_3 \end{pmatrix}$$
 Many instances

[<mark>5</mark>, <mark>3</mark>]

[3, 1]

[5, 1]

(It should be the same number)

(= instance number, = variable number, = Y number)

is usually stated as (n) or (-1) in Numpy, (None) in tensorflow)

 \rightarrow H(x) = XW

Hypothesis in theory and tensorflow

--- Theory

: H(x) = Wx + b

--- Implementation (Tensorflow)

: H(X) = XW (Because of matrix)

<Logistic (regression) classification >

1. Binary Classification = 0 or 1 encoding

- > Spam Email Detection: Spam (1) or Ham (0)
- Facebook feed: Show (1) or Hide (0)
- ➤ Credit Card Fraudulent Transaction detection: Legitimate (0) or Fraud (1)

2. Why we do not use Linear regression on "0 or 1" encoding?

We know that Y is "0 or 1"

But,
$$H(x) = Wx + b$$

> Hypothesis can give values larger than 1 or less than 0

ex) If "W = 0.5" and "x =
$$100$$
" \rightarrow hypothesis = $50 >> 1$

3. So, we use "Logistic Hypothesis"

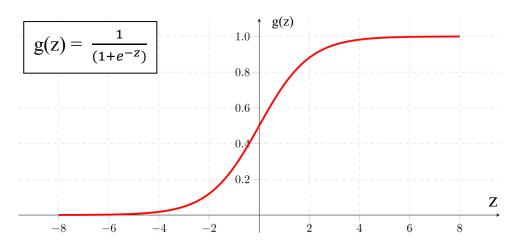


Image from: https://commons.wikimedia.org/wiki/File:Sigmoid-function-2.svg

→ Logistic function

→ Sigmoid function (Sigmoid: Curved in two direction)

Logistic Hypothesis

$$z = Wx$$
 & $H(x) = g(z)$

$$\Rightarrow H(x) = \frac{1}{(1 + e^{-W^T X})}$$

<Cost function & Gradient decent in logistic classification>

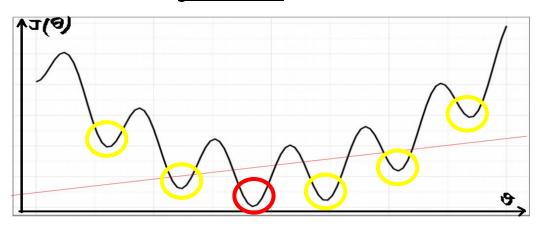
Cost function in linear regression = $\frac{1}{m}\sum_{i=1}^{m}(H(x^{(i)})-y^{(i)})^2$

if)
$$H(x) = Wx + b$$

→ Wherever you start, you will meet the minimum value

if)
$$H(x) = \frac{1}{(1 + e^{-W^T X})}$$

→ You cannot meet the global minimum because there are lots of local minimum



So, we need to use "another cost function"

- New cost function for logistic regression

$$cost(W) = \frac{1}{m} \sum_{i=1}^{m} c(H(x), y)$$

$$c(H(x), y) \begin{cases} -\log(H(x)) & \Rightarrow \text{When "} y = 1" \\ -\log(1 - H(x)) & \Rightarrow \text{When "} y = 0" \end{cases}$$

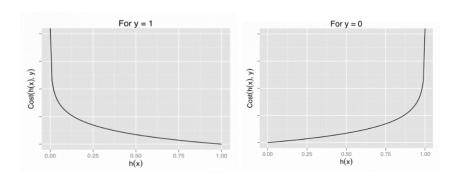


Image from: https://towardsdatascience.com/introduction-to-logistic-regression-66248243c148> <If we made c(H(x),y) in one sentence...>

→ C(H(x),y) =
$$-y\log(H(x)) - (1-y)\log(1 - H(x))$$

So, minimize cost with Gradient decent algorithm

Cost(W) =
$$\frac{1}{m} \sum_{i=1}^{m} [-y \log(H(x)) - (1-y) \log(1 - H(x))]$$

$$\mathbf{W} \; \coloneqq \; \mathbf{W} - \; \alpha \frac{\partial}{\partial W} cost(W)$$

<Problem that I met>

1) How to install tensorflow

<Simplest way>

- 1. If you have installed a python \rightarrow Uninstall it
- 2. Go to anaconda.com → install "64-Bit Graphical Installer(466 MB)" (Because I'm using Windows)
- 3. Open anaconda command prompt → type "pip install tensorflow"

!!!!COMPLETE!!!!

Now, I will use "Jupyter notebook"

- 1. Type "jupyter notebook" in the anaconda command prompt
- 2. Click "New \rightarrow Python3" when the page pop up (See the right part)
- 3. If you are using Tensorflow 2.0
 - →type "import tensorflow.compat.v1 as tf" & "tf.disable_v2_behavior()"

!!!!Now Ready to Start!!!!

- 2) How to use TensorFlow (= TensorFlow Mechanics)
 - 1. Build graph using TensorFlow operations
 - 2. Feed data and run graph (operation)

⇒sess.run(op,feed_dict={x:x_data})

3. Update variables in the graph (then, return values)

<Materials from>

- -1. Andre Ng's ML class
 - 1) https://class.coursera.org/ml-003/lecture
 - 2) holehouse.org → mlclass
- -2. Sung Kim (YouTube channel)

Code: https://github.com/hunkim/DeepLearningZeroToAll/

-3. Convolutional Neural Networks for Visual Recognition

1)http://cs23In.stanford.edu/

-4. TensorFlow

1)https://www.tensorflow.org

2)https://github.com/aymericdamien/TensorFlow-Examples