TLE '15 P4 - Olympiads Homework

An Olympiads math teacher has put an unusually difficult math problem into the grade 10 Olympiads math homework. Being forced to do homework, the unsuspecting jlsajfj worked on the problem for less than 1 second, wrote down a random number, then immediately gave up. This math problem is apparently too difficult for ilsaifi, so he activated his second line of defense: bothering random friends. So far, jlsajfj's acquaintances were all lazy and ignorant unable to solve the problem and suggested nothing useful. That is why ilsaifi has decided to bother you next.

According to `jlsajfj`, the math problem requires you to write down the value of
$$\binom{N}{0}+\binom{N}{4}+\binom{N}{8}+\cdots+\binom{N}{4N}$$
. The exact value of N appears to be secret, and `jlsajfj`

wants you to do the same question over and over. Since an answer may contain a lot of digits, you decided to be devious and return the answers $\mod 10^9 + 13.$

ilsaifi also stated, quite plainly, these two pieces of info from his math class:

n! is the factorial, which is

$$n! = \left\{egin{array}{ll} 1 & ext{if } n=0 \ n imes(n-1)! & ext{if } n\geq 1 \end{array}
ight.$$

$$\binom{n}{k}$$
 is the combination, which is

$$egin{pmatrix} n \ k \end{pmatrix} = \left\{ egin{array}{ll} rac{n!}{k! imes (n-k)!} & ext{if } 0 \leq k \leq n \ 0 & ext{if } k < 0 ext{ or } k > n \end{array}
ight.$$

Can you use a computer and find the answer to jlsajfj's math problem in less than 1 second?

Note

The problems etter knows the techniques* for this problem, and wants to tell you a secret:

$$inom{N}{0}+inom{N}{4}+inom{N}{8}+\cdots+inom{N}{4N}=rac{2^N}{4}+rac{\sqrt{2}^N imes\cos{(45^\circ imes N)}}{2}$$

This formula is valid for any positive integer N.

Input Specification

One integer, containing the value of N ($1 \leq N \leq 10^{18}$).

Output Specification

Output the value of:

$$\binom{N}{0}+\binom{N}{4}+\binom{N}{8}+\cdots+\binom{N}{4N}$$

The value should be outputted $\bmod 10^9 + 13$, a product of two prime numbers.

Sample Input

13

Sample Output

2016