## 《信息光学》(第二次印刷)第6章勘误表

页	行 (式)	原 文	勘正	备注
317	表 6.1.1	86%	83%	
336	(6.4.5)	$A_{i}^{I}(\xi,\eta)e^{i\Phi_{i}^{I}(\xi,\eta)} = A_{i}^{I}(-\xi,-\eta)e^{i\Phi_{i}^{I}(-\xi,-\eta)}$	$A_{\mathbf{i}}^{\mathbf{I}}(\xi,\eta)e^{\mathrm{i}\Phi_{\mathbf{i}}^{\mathbf{I}}(\xi,\eta)} = A_{\mathbf{i}}^{\mathbf{I}}(-\xi,-\eta)e^{-\mathrm{i}\Phi_{\mathbf{i}}^{\mathbf{I}}(-\xi,-\eta)}$	
336	(6.4.7a)	$I_{i}(x_{i}, y_{i}) = F^{-1} \left\{ A_{i}^{I}(\xi, \eta) e^{-i\Phi_{i}^{I}(\xi, \eta)} \right\}$	$I_{\mathbf{i}}(x_{\mathbf{i}}, y_{\mathbf{i}}) = F^{-1} \left\{ A_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta) e^{i\Phi_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta)} \right\}$	
		$= \iint_{-\infty}^{\infty} A_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta) e^{-i\Phi_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta)} e^{i2\pi(\xi x_{\mathbf{i}} + \eta y_{\mathbf{i}})} d\xi d\eta$	$= \iint_{-\infty}^{\infty} A_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta) e^{\mathbf{i}\Phi_{\mathbf{i}}^{\mathbf{I}}(\xi, \eta)} e^{\mathbf{i}2\pi(\xi x_{\mathbf{i}} + \eta y_{\mathbf{i}})} d\xi d\eta$	
336	15	将式(6.4.6)代入上式,可得:	对应的负频率项为:	
336	(6.4.7b)	$I_{i}(x_{i}, y_{i}) = F^{-1} \left\{ A_{i}^{I}(-\xi, -\eta) e^{i\Phi_{i}^{I}(-\xi, -\eta)} \right\}$	$I_{i}(x_{i}, y_{i}) = F^{-1} \left\{ A_{i}^{I}(-\xi, -\eta) e^{i\Phi_{i}^{I}(-\xi, -\eta)} \right\}$	
		$= \int \int_{-\infty}^{\infty} A_{i}^{I}(-\xi,-\eta) e^{-i\Phi_{i}^{I}(-\xi,-\eta)} e^{i2\pi(-\xi x_{i}+-\eta y_{i})} d\xi d\eta$	$= \iint_{-\infty}^{\infty} A_{i}^{I}(-\xi, -\eta) e^{i\Phi_{i}^{I}(-\xi, -\eta)} e^{i2\pi(-\xi x_{i} - \eta y_{i})} d\xi d\eta$	
336	18	(6.4.7a)和(6.4.7b)分别对应的正频率项与负频 率项,由欧拉公式有:	这样,由欧拉公式有:	
336	(6.4.8)	$\begin{split} &A_{i}^{1}(\xi,\eta)e^{i\Phi_{i}^{1}(\xi,\eta)}e^{i2\pi(\xi x_{i}+\eta y_{i})}+A_{i}^{1}(-\xi,-\eta)e^{-i\Phi_{i}^{1}(-\xi,-\eta)}e^{i2\pi(-\xi x_{i}-\eta y_{i})}\\ &=A_{i}^{1}(\xi,\eta)\bigg[e^{i\Phi_{i}^{1}(\xi,\eta)}e^{i2\pi(\xi x+\eta y)}+e^{-i\Phi_{i}^{1}(-\xi,-\eta)}e^{i2\pi(-\xi x-\eta y)}\bigg] \end{split}$	$A_{i}^{I}(\xi,\eta)e^{i\mathbf{q}_{i}^{I}(\xi,\eta)}e^{i2\pi(\xi x_{i}+\eta y_{i})} + A_{i}^{I}(-\xi,-\eta)e^{i\mathbf{q}_{i}^{I}(-\xi,-\eta)}e^{i2\pi(-\xi x_{i}-\eta y_{i})}$ $= A_{i}^{I}(\xi,\eta)\left[e^{i\mathbf{q}_{i}^{I}(\xi,\eta)}e^{i2\pi(\xi x_{i}+\eta y_{i})} + e^{-i\mathbf{q}_{i}^{I}(\xi,\eta)}e^{-i2\pi(\xi x_{i}+\eta y_{i})}\right]$	
		$=A_{i}^{1}(\xi,\eta)\cdot 2\cos\left[2\pi(\xi x+\eta y)+\Phi_{i}^{1}(\xi,\eta)\right]_{\circ}$	$=A_{i}^{1}(\xi,\eta)\cdot2\cos\left[2\pi(\xi x_{i}+\eta y_{i})+\Phi_{i}^{1}(\xi,\eta)\right]_{\circ}$	
336	(6.4.9)	$I_{i}(x,y) = \int_{-\infty}^{\infty} A_{i}^{1}(\xi,\eta) \cos\left[2\pi(\xi x + \eta y) + \Phi_{i}^{1}(\xi,\eta)\right] d\xi d\eta$	$I_{i}(x_{i}, y_{i}) = \int \int_{-\infty}^{\infty} A_{i}^{I}(\xi, \eta) \cos \left[ 2\pi(\xi x_{i} + \eta y_{i}) + \Phi_{i}^{I}(\xi, \eta) \right] d\xi d\eta$	
336	倒 9	由于光强度是正的值。	整句移至倒数 6 行"由此可见"前。	
336	倒 8	将 $\xi = \eta = 0$ 代入式(6.4.5),	另起一段	
339	15	衍射受限的	衍射受限系统	
349	倒 2	线/mm,	线/mm。后另一起一段,加下如下内容:物与理想像等大,意味着系统的横向放大率为 1,空间频谱结构相同,由式(5.2.5)可得: $d_o = d_i = 2f = 200$	