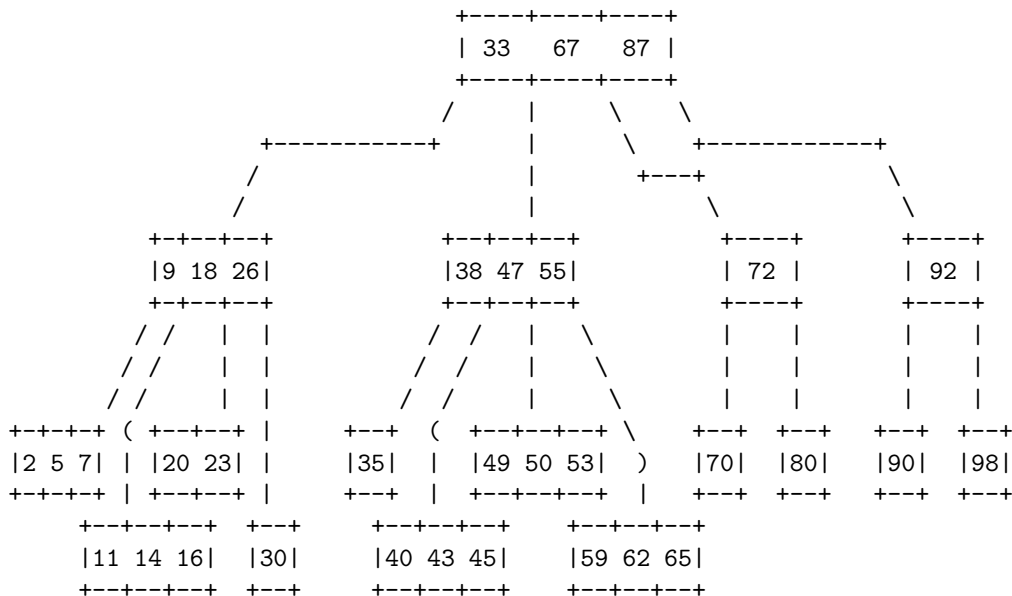


CMPS340 File Processing
HW #5 Fall 2016
Due: 1:00pm, Tuesday, October 25

Consider the B-tree T of order 4 illustrated below. (Recall that “order 4” means, in part, that each node must contain at least one key but no more than three.) For each operation in the list **(a)** through **(h)**, show the B-tree that results from performing that operation on T . (Each operation is to be applied to the tree T illustrated below, *not* to the tree resulting from applying all the previous operations to T .) You need not draw the entire tree each time—just show that portion of it that was changed in carrying out the operation, as well as a little surrounding context.

Assume, in carrying out the operations, that *redistribution* is used whenever possible. That is, split an overflowing node only if all of its adjacent/immediate siblings are full. Similarly, concatenate/merge two nodes only if all adjacent siblings of the underflowing node are on the verge of underflowing.¹ Follow the algorithms presented in class, which correspond to those described on the relevant web page. Keep in mind that redistribution involves *two* adjacent siblings and their parent, *not* three or more siblings and *not* first (or second, etc.) cousins (i.e., nodes with a common grandparent, great-grandparent, etc.).

- | | | | |
|----------------------|----------------------|----------------------|----------------------|
| (a) insert 22 | (c) insert 42 | (e) insert 51 | (g) insert 4 |
| (b) delete 20 | (d) delete 67 | (f) delete 80 | (h) delete 90 |



¹Not every node has two adjacent siblings, of course. A node that is the leftmost or rightmost child of its parent has only one, and the root has none.