Assignment 04 - Some LISP (DUE: Tuesday April 24, 2018)

For this assignment you are to first refactor and then extend the provided collection of LISP functions that provide an abstraction for sets.

The given file, sets.lsp, presents a collection of LISP functions that each perform an operation involving sets. Recall from mathematics that a set is defined as an unordered collection of elements drawn from some universe. The basic element in LISP is known a "symbolic expression" and a symbolic expression may either be a list for an atom. Generally, atoms may be symbolic (ex: x, Total2018, PMJ), numeric (ex: 17, -42.37), or could be a string.

Refactor

Each of the functions as given to you utilize the COND function to express their logic. You are to refactor every function so as to use the IF function instead of COND. The operation of the functions are to remain unchanged. For the most part you should find this refactoring to be very straightforward, with the end result merely being an alternative way of expressing what is already expressed. It is probably not the case that an "all COND" implementation or an "all IF" implementation is best, but rather that both COND and IF have their place and some implementation that wisely uses COND or IF in each situation might be better.

An interesting aspect of this part of the assignment has to do with knowing that you have not "broken" any of the functions. Thus, you are to consider how you test your refactoring.

For this part of the assignment you are to submit a file named setsR.lsp that contains your refactored functions. In addition, you are to submit a MS Word readable document file (named setsR.docx) that presents an annotated illustration of your testing of the refactored functions.

Extend

The functions as given in sets.lsp behave appropriately when the elements in the sets are atoms, their behavior breaks down when sublists are used as elements. This anomaly is related to the fact that each set is merely a LISP list, and can be illustrated by the scenario given to the right.

Now the basic problem here is that since each set is represented simply as a list and since a list is a sequence of symbolic expressions and since lists are symbolic expressions, the symbolic expression (STAN OLLIE) is allowed in the list more than once. This is because each instance of the list (STAN OLLIE) is uniquely represented in LISP as a separate symbolic expression. On the other hand every instance to some unique atom references that unique atom. Thus, note that the attempt to include HARPO in the set that already contains HARPO results in an unchanged set; an element should not be a member of a set more than once.

```
>(load "C:\\LISP\\sets.lsp" :print t)
;; Loading file C:\LISP\sets.lsp ...
NIL
SEMPTYP
SMEMBERP
SINCLUDE
PREFIX
SUFFIX
SEXCLUDE
SUNION
SINTERSECTION
SDIFFERENCE
SSYMMETRICDIFFERENCE
SSUBSETP
SEQUALP
SPROPERP
;; Loaded file C:\LISP\sets.lsp
> (setQ funny nil)
NTL
NIL
> (SEMPTYP funny)
           nny (SINCLUDE 'groucho funny))
(GROUCHO HARPO)
                          '(stan ollie) funny))
(GROUCHO HARPO (STAN OLLIE))
(GROUCHO HARPO (STAN OLLIE) CHICO)
(GROUCHO HARPO (STAN OLLIE) CHICO))
(GROUCHO HARPO (STAN OLLIE) CHICO)
(GROUCHO HARPO (STAN OLLIE) CHICO))
> (setq funny (SINCLUDE '(stan ollie) funny))
GROUCHO HARPO (STAN OLLIE) CHICO (STAN OLLIE))
(GROUCHO HARPO (STAN OLLIE) CHICO (STAN OLLIE))
```

P. M. Jackowitz Page 1

CMPS 344 - Spring 2018 Assignment 04 - LISP

Thus, for this part of the assignment you are to modify the collection of functions (either the given sets.lsp or your refactored setsR.lsp) into a file named setsE.lsp that corrects the illustrated anomaly and disallows the inclusion of elements which are sublists in a set more than once.

Additionally and optionally you are to accomplish the exclusion of sublists that may be considered to be equivalent as sets themselves. Thus, in the illustration given above, not only would $(STAN \ OLLIE)$ be prevented from being included in the set, but so too would $(OLLIE \ STAN)$.

For this part of the assignment you are to submit a file named setsE.1sp that contains your corrected functions. In addition, you are to submit a MS Word readable document file (named setsE.docx) that presents an annotated illustration of your testing of the corrected functions.

Good luck, P.m.J.

P. M. Jackowitz Page 2