

# MATLAB Basics Exercises

WDRP - Simple Discrete Models in Biology and MATLAB

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# 1 Defining Variables and Operations

## 1.1 Exercise 1

Write a script that accomplishes the following

- Prompts the user to input a number.
- Takes the user's number and doubles it
- This should only be done using a single variable for the entire script.

## 1.2 Exercise 2

Recall that the distance between two coordinates  $x = (x_1, x_2)$  and  $y = (y_1, y_2)$  is given by the following formula.

$$d(x, y) = \sqrt{(y_1 - x_1)^2 + (y_2 - x_2)^2}$$

We will write a script that computes the distance between two given points. The script should do the following

- Prompt the user for the first coordinate,  $x_1$ , of the point  $x$  and stored in a variable called  $x1$
- Prompt the user for the second coordinate,  $x_2$ , of the point  $x$  and stored in a variable called  $x2$
- Do the same for both the first,  $y_1$ , and second,  $y_2$ , coordinates of the point  $y$  and stored in appropriately named variables.
- Calculate the distance between  $x$  and  $y$  using the formula above.
- Print the result with an appropriate message along the lines of "The distance between the points (x1,x2) and (y1,y2) is d" where all the variables should be the actual numbers.

## 1.3 Exercise 3

Do the previous problem again, except instead of just calculating the distance formula explicitly, write a function handle named "dist" which takes in four variables.

## 2 Arrays

### 2.1 Exercise 1

We will extract particular rows and columns of an array as follows

- Generate an array with 10 rows and columns containing random integers.
- Extract all even columns of the array into a variable called "ColEven".
- Extract all odd rows of the array into a variable called "RowOdd"
- How can we make arrays with all even/odd numbers appearing as rows/columns in the first array?

### 2.2 Exercise 2

We will create an array of ones and zeros where the antidiagonals alternate between 0 and 1.

$$\begin{bmatrix} 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \\ 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \end{bmatrix}$$

Before we discuss how to do this, we need a bit of math. How do we know which entries are on which antidiagonal. As it turns out the  $n^{\text{th}}$  antidiagonal contains entries  $(i, j)$  satisfying  $n = i + j - 1$ . For example, based on the diagram above and to the right:

The first antidiagonal (line labeled 1) only has the entry  $(1, 1)$  which satisfies

$$1 + 1 - 1 = 1$$

The second antidiagonal (line labeled 2) has the entries  $(1, 2)$  and  $(2, 1)$  which satisfy

$$2 + 1 - 1 = 2 = 1 + 2 - 1$$

Then for a given row  $i$ , the column which makes  $(i, j)$  lie on the  $n^{\text{th}}$  antidiagonal is given by

$$j = n - i + 1.$$

So because we want the 0's to be on the even antidiagonals, in row 2, the second antidiagonal should have columns

$$n = 2 : j = 2 - 2 + 1 = 1$$

$$n = 4 : j = 4 - 2 + 1 = 3$$

So in the second row, the entries lying on even diagonals are  $(2, 1)$  and  $(2, 3)$ .

Here's how to write the script

- Create an array of all ones with 4 rows and 4 columns called  $w$ .
- Identify for each row  $i = 1, 2, 3, 4$  and each even antidiagonal the column number which makes that entry lie on an even antidiagonal. To do this use  
 $w(i, [2 - i + 1, 4 - i + 1]) = \text{zeros}(1, 2)$   
and write it for each  $i = 1, 2, 3, 4$ .
- (Check) show the resulting array and make sure it looks like the first array above.

## 2.3 Exercise 3

(True insertion) As we saw in the notes, we can't really insert new entries, so much as we are replacing an existing entry with a new value. In this problem we will insert columns and rows into an array.

*Remark.* We can't truly insert single entries since all rows/columns must have the same number of entries.

Here is the procedure

- Prompt the user for the dimensions of the desired array ie. ask for the number of rows and the number of columns.
- Create an array, called  $w$ , of all zeros with the dimensions given by the user
- Create two arrays of all ones
  - The first with 1 row and the same number of columns as  $w$  and call it  $r$ .
  - The other, called  $c$ , which has 1 column and the same number of rows as  $w$ .
- Insert the array  $r$  into the second to last row of  $w$ .
  - Do this by first extracting the rows above where  $r$  is to be inserted
  - The extract the row below where  $r$  is to be inserted.
  - Then concatenate in the correct order and reassign to  $w$ .
  - (Challenge) Can you do this step in one line? With no new variables?
- Do the same for the array  $c$ , but into the second column.
- (Check) your matrix should look something like the diagram below, where the lines represent where the ones are, and the blank spots are zeros.

$$\begin{bmatrix} & | & \\ \hline & | & \\ & | & \end{bmatrix}$$

## 3 Plotting

### 3.1 Exercise 1

### 3.2 Exercise 2

In this problem we will plot multiple functions on the same figure. Here is the set up

- Make an array with the  $x$  coordinates, and entries from  $-\pi$  to  $\pi$  with spacing 0.001.
- Create multiple arrays, one for each of the following functions,  $\sin(x)$ ,  $\cos(x)$ ,  $e^x$ ,  $\log(x)$ , evaluated on the  $x$  coordinates.
- Plot these graphs using the plot command, and each graph should be on separate figures.
- The graphs should all be different colors, have different line styles and different marker styles.

## 4 Logical Operators