

# Complicated bank example coded



### Outline

- Simulations with simmer package
  - Scenario 1
  - Scenario 2
  - Scenario 3a
  - Scenario 3b
- Data-informed decision-making



## Learning Objectives

- 1 Use simmer package to perform complicated simulations.
  - ► Learn the different queuing systems and policies.
- 2 Create one replication of a finite horizon simulation of 1000 time units.



# Simulations with simmer package



# Simulations with simmer package

Recall the following scenarios: Many customers arriving at a random simulated time, then...

### Scenario 1

They each look around for a random simulated time and then leave.

### Scenario 2

They each join the main queue to be served by the only counter (server) for a random simulated time and then leave.

### Scenario 3a

They each join the main queue to be served by the next available counter (there are two) for a random simulated time and then leaves.

### Scenario 3b

They each join an individual queue in front of a particular counter (based on a chosen queue selection policy) to be served for a random simulated time and then leaves.

Many customers arriving at a random simulated time, look around for a random simulated time and then leave.

• There is no queuing.

- For the random arrival, we may simulate this using draws from an exponential distribution [eg. by using rexp(n, rate=1/10)]
- The rate ( $\beta$  value) in this exponential distribution is something that we have to figure out before running the simulation.
  - ► Done by observing the average inter-arrival time of customers on a normal day at the bank over a period of time.
- Each customer also stays in the bank for a different amount of time, and this can be simulated by another exponential distribution.

cont'd

```
task duration <- function()
                      \{rexp(n = 1, rate = 1/12)\}
customer <-
  trajectory("Customer's path") %>%
  timeout(task = task_duration)
gen_arrivals <- function()</pre>
             \{c(rexp(n = 50, rate = 1/10), -1)\}
bank <-
  simmer("bank") %>%
  add_generator(name_prefix = "Customer",
                 trajectory = customer,
                 distribution = gen_arrivals)
```

- The 'customer' object is a template for creating new customers.
- This object still needs to be called within the bank environment as a trajectory to be generated.

bank %>% run(until = 1000)

#### cont'd

 $Note: for \ detailed \ output, \ \log_- functions \ were \ added \ to \ the \ code. \ Please \ refer \ to \ the \ accompanying \ Rmd \ file \ for \ full \ code.$ 

```
36.6729: Customer2: I arrived!
. . .
503.572: Customer48: I arrived!
506 064: Customer49: I arrived!
511.044: Customer47: I finished at 511.044
533 761: Customer48: I finished at 533 760
543 156: Customer49: I finished at 543 156
simmer environment: bank | now: 543.155776969034 | next:
{ Monitor: in memory }
{ Source: Customer | monitored: 1 | n_generated: 50 }
```

11.2789: Customer0: I arrived!

24.1159: Customer0: I finished at 24.116 32.7907: Customer1: I finished at 32.791

Many customers arriving at a random simulated time, each joining the main queue to be served by the only server for a random simulated time and then leave.

- We cannot expect customers to just enter and do nothing.
  - ► Customers are going to require service from the bank teller.
  - ► Extend the previous simulation to include a service counter (resource).

```
task_duration <- function() {rexp(n = 1, rate = 1/12)}
curr_time <- function() {now(bank)}</pre>
customer <-
  trajectory("Customer's path") %>%
  log_("I arrived!") %>%
  set_attribute("start_time", curr_time) %>%
  seize ("Counter") %>%
  log (function() {paste("I waited for",
  now(bank) - get_attribute(bank, "start_time"))}) %>%
  timeout(task = task duration) %>%
  release("Counter") %>%
  log_(function() {paste("I finished at", now(bank))})
```

- A Counter is seized before the timeout function and released after
- The seize function checks if the resource is available before performing the specified actions.

cont'd

```
gen_arrivals <- function()</pre>
              \{c(rexp(n = 50, rate = 1/10), -1)\}
bank <-
  simmer("bank") %>%
  add_resource("Counter", capacity = 1) %>%
  add_generator(name_prefix = "Customer",
                 trajectory = customer,
                 distribution = gen_arrivals)
bank \%>\% run(until = 1000)
```

 The Counter must be added as a resource in the bank environment.

```
11.2789: CustomerO: I arrived!
11.2789: CustomerO: I waited for O
22.4243: Customer1: I arrived!
24.1159: Customer0: I finished at 24.116
24.1159: Customer1: I waited for 1.692
524.588: Customer47: I finished at 524.588
524 588: Customer48: I waited for 21 016
554.777: Customer48: I finished at 554.777
554 777: Customer49: I waited for 48 712
591.868: Customer49: I finished at 591.868
simmer environment: bank | now: 591.868140104537 | next:
{ Monitor: in memory }
{ Resource: Counter | monitored: TRUE | server status: 0(1) | queue status: 0(Inf) }
{ Source: Customer | monitored: 1 | n_generated: 50 }
```

Many customers arriving at a random simulated time, each joining the main queue to be served by the next available counter (there are two) for a random simulated time and then leaves.

- Many different service counters so that customers may be managed more efficiently.
- Are customers going to make one queue or are they going to form separate queues in front of each counter?
  - Scenario 3a: There is only ONE queue for the two counters.

cont'd

```
task_duration <- function() {rexp(n = 1, rate = 1/12)}
curr_time <- function() {now(bank)}</pre>
customer <-
  trajectory("Customer's path") %>%
  log_("I arrived!") %>%
  set_attribute("start_time", curr_time) %>%
  seize ("Counter") %>%
  log_(function() {paste("I waited for",
  now(bank) - get_attribute(bank, "start_time"))}) %>%
  timeout(task = task duration) %>%
  release("Counter") %>%
  log_(function() {paste("I finished at", now(bank))})
```

 This code is identical to Scenario 2.

cont'd

```
gen_arrivals <- function()</pre>
              \{c(rexp(n = 50, rate = 1/10), -1)\}
bank <-
  simmer("bank") %>%
  add_resource("Counter", capacity = 2) %>%
  add_generator(name_prefix = "Customer",
                 trajectory = customer,
                 distribution = gen_arrivals)
bank \%>% run(until = 1000)
```

 The only change is that capacity is set as 2 within add\_resource.

```
11.2789: CustomerO: I arrived!
11.2789: CustomerO: I waited for O
22.4243: Customer1: I arrived!
22.4243: Customer1: I waited for 0
24.1159: Customer0: I finished at 24.116
506.064: Customer49: I arrived!
511 044 Customer47 T finished at 511 047
511.044: Customer49: I waited for 4.979
533.761: Customer48: I finished at 533.761
548.135: Customer49: I finished at 548.135
simmer environment: bank | now: 548.135177892469 | next:
{ Monitor: in memory }
{ Resource: Counter | monitored: TRUE | server status: 0(2) | queue status: 0(Inf) }
{ Source: Customer | monitored: 1 | n_generated: 50 }
```

Many customers arriving at a random simulated time, each joining an individual queue in front of a particular counter (based on a chosen queue selection policy) to be served for a random simulated time and then leaves.

- In Scenario 3a, there is only ONE queue for the two counters.
- Consider having an individual queue per counter.
- How to assign customers into the separate queues? Specify via policy argument:
  - ► shortest-queue
  - ► round-robin
  - ▶ random

```
task_duration <- function() {rexp(n = 1, rate = 1/12)}
curr_time <- function() {now(bank)}</pre>
customer <-
  trajectory ("Customer's path") %>%
  log_("I arrived!") %>%
  set_attribute("start_time", curr_time) %>%
  select(c("Counter 1", "Counter 2"),
          policy = "random") %>%
  seize selected() %>%
  log_(function() {paste("I waited for",
  now(bank) - get_attribute(bank, "start_time"))}) %>%
  timeout(task = task duration) %>%
  release selected() %>%
  log_(function() {paste("I finished at", now(bank))})
```

- We need to select a counter based on specified policy.
- Then use seize\_selected to seize the selected counter.

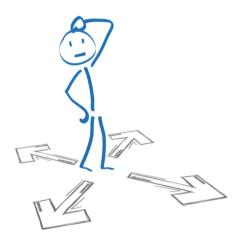
cont'd

```
gen_arrivals <- function()</pre>
              \{c(rexp(n = 50, rate = 1/10), -1)\}
bank <-
  simmer("bank") %>%
  add_resource("Counter 1", capacity = 1) %>%
  add_resource("Counter 2", capacity = 1) %>%
  add_generator(name_prefix = "Customer",
                 trajectory = customer,
                 distribution = gen_arrivals)
bank \%>\% run(until = 1000)
```

 We add a separate resource for each Counter to make two separate queues.

```
11.2789: CustomerO: I arrived!
11.2789: CustomerO: I waited for O
21.6453: Customer0: I finished at 21.645
22 4243: Customer1: I arrived!
22.4243: Customer1: I waited for 0
. . .
535.046: Customer45: I finished at 535.046
535.046: Customer46: I waited for 44.084
553.41: Customer46: I finished at 553.410
553.41: Customer48: I waited for 49.838
563.64: Customer48: I finished at 563.640
simmer environment: bank | now: 563.640332143703 | next:
{ Monitor: in memory }
{ Resource: Counter 1 | monitored: TRUE | server status: 0(1) | queue status: 0(Inf)
{ Resource: Counter 2 | monitored: TRUE | server status: O(1) | queue status: O(Inf)
{ Source: Customer | monitored: 1 | n_generated: 50 }
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```

# Data-informed decision-making



# Data-informed decision-making

After performing four different simulations, which is the best?

- How do we quantify "best"?
  - ▶ Lowest average customer's time spent by customer with a teller (activity time)?
  - ► Lowest average customer's duration in bank (flow time)?
  - ► Lowest average customer's waiting time (difference between flow time and activity time)?
  - ► Lowest elapsed time for the simulation?
- Is one sample of each simulation sufficient to give a conclusion?

## Summary

#### In this video, we have:

- 1 Used simmer package to perform complicated simulations.
  - ▶ Learned the different queuing systems and policies.
- 2 Created one replication of a finite horizon simulation of 1000 time units.