- 1. Create a priority queue Q to store flights with their associated arrival times. Initialize all flights with infinite arrival times, except for flights departing from airport a at or after time t. Set their respective arrival times as the departure time plus the minimum connecting time at the destination airport.
- 2. While Q is not empty, do the following: a. Extract the flight f with the minimum arrival time from Q. b. If the destination airport of f is b, stop the algorithm. The earliest arrival time a to b has been found. c. For each flight g in \mathcal{F} with the same origin airport as f, d the following:
 - Calculate the minimum connecting time from the arrival time of f to the departure time of g. This can be done by subtracting the arrival time of f from the departure tane of g.
 - If the departure time of g is at or after the minimum connecting time
 and the arrival time of g is greater than the sum of the arrival time of f
 and the minimum connecting time at the destination airport of f,
 update the arrival time of g to the sum of the arrival time of f and the
 minimum connecting time.
 - Add the flight g with its updated arrival time to Q. When updating the arrival time of g, we can remove the old entry from the priority queue Q and insert the updated entry with the new arrival time.
- 3. If the algorithm reaches this point, there is no valid sequence of flights from a to b within the given constraints. Return an appropriate error message.

Once the algorithm terminates, the earliest arrival time at b will be the arrival time associated with the flight that reached b.

The key idea behind this algorithm is to use the priority queue Q to keep track of the flights in a sorted manner based on their arrival times. By always extracting the flight with the minimum arrival time, we ensure that we explore the flights in an optimal order.

The overall time complexity of the algorithm is $O(m \log m)$, where m is the number of flights. This is because each flight is inserted and extracted from the priority queue at most once, and each operation takes $O(\log m)$ time. The number of airports n does not affect the time complexity of the algorithm.

3.answer

To find the maximum bandwidth of a path between two switching centers a and b in a telephone network represented by a graph G, we can use a modified version of Dijkstra's algorithm. Here's the algorithm:

- 1. Create a priority queue Q to store vertices with their associated bandwidth values. Initialize all vertices with infinite bandwidth, except for vertex a, which is initialized with bandwidth 0.
- 2. While *Q* is not empty, do the following: a. Extract the vertex *u* with the minimum bandwidth value from *Q*. b. If *u* is *b*, stop the algorithm. The maximum bandwidth from *a* to *b* has been found. c. For each neighbor *v* of *u*, calculate the minimum bandwidth between *u* and *v* by taking the minimum of the bandwidth value of *u* and the bandwidth of the edge (*u*, *v*). Let this minimum bandwidth be *new bw*.
 - If new_bw is greater than the current bandwidth value of v, update the bandwidth value of v to new_bw and add v to Q.
- 3. If the algorithm reaches this point, there is no path from a to b. Return an appropriate error message.

Once the algorithm terminates, the maximum bandwidth of a path between a and b will be the bandwidth value associated with vertex b.

The modified Dijkstra's algorithm ensures that at each step, we update the bandwidth value of a vertex with the minimum bandwidth possible for the path leading to it. By doing this, we effectively find the maximum bandwidth path from a to b. This algorithm assumes that the bandwidth values on the edges represent the capacity of the communication lines. If the bandwidth values represent some other metric, the algorithm may need to be adjusted accordingly.