$$\begin{split} &M := 100 \\ &C := 20000 \\ &X_{i,t} \in N, \ i = 1...n, \ t = 1...L_i \\ &Y_i \in N, \ i = 1...n \\ &E \in R^{C,M} \\ &Wz, \ Rz, \ Wi, \ Ri, \ Wf, \ Rf, \ Wo, \ Ro \in R^{M,M} \\ &bz, \ pi, \ bi, \ pf, \ bf, \ po, \ bo \in R^{1,M} \\ &x_{i,t} &= E_{X_{i,t}}, \ i = 1...n, \ t = 1...L_i \\ &z_{i,1} &= Tanh(x_{i,1} \cdot Wz + bz), \ i = 1...n \\ &ig_{i,1} &= Sigmoid(x_{i,1} \cdot Wi + bi), \ i = 1...n \\ &fg_{i,1} &= Sigmoid(x_{i,1} \cdot Wi + bf), \ i = 1...n \\ &c_{i,1} &= ig_{i,1} * z_{i,1}, \ i = 1...n \\ &c_{i,1} &= ig_{i,1} * z_{i,1}, \ i = 1...n \\ &c_{i,1} &= Sigmoid(x_{i,1} \cdot Wo + c_{i,1} * po + bo), \ i = 1...n \\ &v_{i,1} &= Sigmoid(x_{i,1} \cdot Wo + c_{i,1} * po + bo), \ i = 1...n \\ &y_{i,t} &= o_{i,t} * Tanh(c_{i,t}), \ i = 1...n, \ t = 1...L_i \\ &z_{i,t} &= Tanh(x_{i,t} \cdot Wz + y_{i,t-1} \cdot Rz + bz), \ i = 1...n, \ t = 2...L_i \\ &ig_{i,t} &= Sigmoid(x_{i,t} \cdot Wf + y_{i,t-1} \cdot Rf), \ i = 1...n, \ t = 2...L_i \\ &c_{i,t} &= Sigmoid(x_{i,t} \cdot Wf + y_{i,t-1} \cdot Rf), \ i = 1...n, \ t = 2...L_i \\ &c_{i,t} &= ig_{i,t} * z_{i,t} + fg_{i,t} * c_{i,t-1}, \ i = 1...n, \ t = 2...L_i \\ &c_{i,t} &= ig_{i,t} * z_{i,t} + fg_{i,t} * c_{i,t-1}, \ i = 1...n, \ t = 2...L_i \\ &c_{i,t} &= Sigmoid(x_{i,t} \cdot Wo + y_{i,t-1} \cdot Ro + c_{i,t} * po + bo), \ i = 1...n, \ t = 2...L_i \\ &c_{i,t} &= \sum_{i=1}^{i} y_{i,t}, \ i = 1...n \\ &U \in R^{M,2} \\ &b \in R^{1,2} \\ &P_i &= r_i \cdot U + b, \ i = 1...n \\ &loss &= \sum_{i=1}^{n} CrossEntropy(P_i, \ OneHot(Y_i, \ 2)) \\ &X, \ Y \sim "imdb.data" \\ &E, \ Wz, \ Rz, \ Wi, \ Ri, \ Wf, \ Rf, \ Wo, \ Ro, \ pi, \ pf, \ po, \ U \sim Gaussian(0, \ 0.1) \\ \end{pmatrix}$$

bz, bi, bf, bo, $b \sim Zero()$

 $\min_{E,Wz,Rz,Wi,Ri,Wf,Rf,Wo,Ro,bz,pi,bi,pf,bf,po,bo,U,b} loss$