

```

In[66]:= (*Euler*)
(*  $\frac{dy}{dx}=x-y$ ;  $y(0)=2$  *)
f[x_, y_] := x - y;
x = {};
y = {};
xn = 0;
xi = xn;
xf = 1;
yi = 2;
h = 0.1;
x = Append[x, xi];
y = Append[y, yi];
For[i = 1, i ≤  $\frac{xf - xn}{h}$ , i++,
  xnn = xi + h;
  ynn = yi + h f[xi, yi];
  x = Append[x, xnn];
  y = Append[y, ynn];
  xi = xnn;
  yi = ynn;
]
T = Table[{x[[i]], y[[i]]}, {i, 1,  $\frac{xf - xn}{h}$ }]

```

```

In[67]:= DSolve[{y'[x] == x - y[x], y[0] == 2}, y[x], x]

```

```

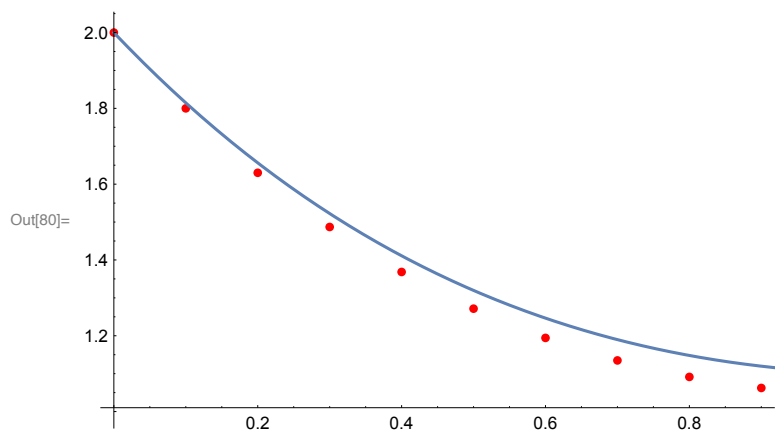
Out[67]= {{y[x] →  $e^{-x} (3 - e^x + e^x x)$ }}

```

```

In[78]:= G1 = Plot[ $e^{-x} (3 - e^x + e^x x)$ , {x, 0, 1}];
G2 = ListPlot[T, PlotStyle → RGBColor[1, 0, 0]];
Show[G2, G1]

```



```

In[121]:= (*Euler mejorado*)
f[x_, y_] := 0.1  $\sqrt{y}$  + 0.4 x2;
x = {};
y = {};
xn = 2;
xi = xn;
xf = 3.5;
yi = 4;
h = 0.1;
x = Append[x, xi];
y = Append[y, yi];
For[i = 1, i ≤  $\frac{xf - xn}{h}$ , i++,
  xnn = xi + h;
  unn = yi + h f[xi, yi];
  ynn = yi + h  $\left( \frac{f[xi, yi] + f[xnn, unn]}{2} \right)$ ;
  x = Append[x, xnn];
  y = Append[y, ynn];
  xi = xnn;
  yi = ynn;
]
Tm = Table[{x[[i]], y[[i]]}, {i, 1,  $\frac{xf - xn}{h}$ }]
Grid[Tm]

```

	2	4
2.1	4.18842	
2.2	4.39413	
2.3	4.61794	
2.4	4.8607	
2.5	5.12323	
2.6	5.40636	
2.7	5.71092	
2.8	6.03775	
2.9	6.38766	
3.	6.76148	
3.1	7.16005	
3.2	7.58419	
3.3	8.03472	
3.4	8.51247	

```

Out[133]=

```

```
In[119]:= G3 = ListPlot[Tm, PlotStyle -> RGBColor[0, 1, 0]];
Show[G3, G2, G1]
```

