# V.1 – STATISTICAL ASPECTS

**EEG-TRAINING** 

## OUTLINE

- 1. Goal
- *2. t*-test
- 3. Problem
- 4. Correction for multiple comparisons
  - 1. Bonferroni
  - 2. Non-parametric permutation testing

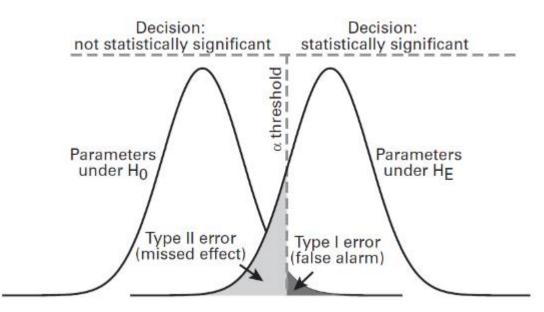
### 1) GOAL

- So far we have studied phenomena in time-space or time-frequence-space
- We offered qualitative observations
- In particular, we are interested in quantifying differences between two phenomena (or quantify how different a phenomenon is compared to baseline activity)

### Statistical analyses

### 2) *t* –TEST

- Distributions A and B describe a phenomenon (ERP or ERSP) in two different conditions
- Question: are the two distributions identical? (this is our  $H_0$  hypothesis, that we try to reject through t —test)
- Set a threshold for significance:  $\alpha$  (usually set to 0.05 for one test)
- Type I error: find an effect where there is in fact none.
  Associate a probability p to it
- The null-hypothesis is rejected if  $p < \alpha$

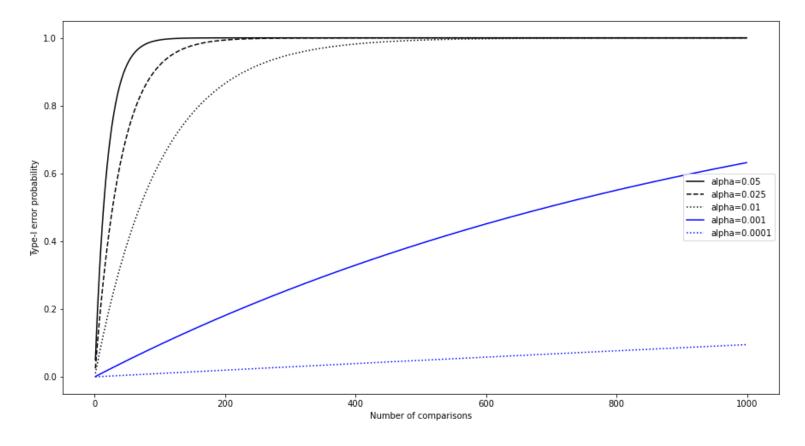


## 3) PROBLEM

- This approach is univariate, ie it takes into account one variable and compares it in two conditions
- In our case, it means we compare the power in one time-frequency interval at one electrode
- In reality, we have several electrodes and a lot of time-frequency pixels to test: need for several t —tests
- Main assumption: data needs to be normally distributed

# 3) PROBLEM

• Multiple tests increase the risk for Type-I errors:  $\bar{\alpha} = 1 - (1 - \alpha)^m$ 



### 4) BONFERRONI CORREECTION FOR MULTIPLE COMPARISONS

- The risk with performing multiple t-tests is that we increase the chance of finding a significant effect just by chance
  - ⇒ Need to adapt the threshold to account for this risk
- Bonferroni correction:  $\alpha_{multiple} = \frac{\alpha_{simple}}{n_{comparisons}}$
- But what if  $n_{comparisons} = 100\ 000$  (often the case in our data)?
- What if data not normally distributed?

### 4) NON-PARAMETRIC PERMUTATION TESTING

- This method solves the issue of the normalization and of the multiple comparisons
- We still consider each voxel to be an independent variable
- How it's done:
  - In theory: generate a random distribution of each condition, extract a minimum and a maximum distribution, compare the observed quantities to these distributions
  - In practice: over a few iterations: shuffle the observations between the two conditions (ie: exchange the label of observations), extract the minimum and maximum of all quantities (over all voxels), and repeat. If the observed quantity is bigger than the  $(1-\frac{\alpha}{2})$  quantile of the maximum distribution or smaller than the  $\frac{\alpha}{2}$  quantile of the minimum distribution, then the observation is statistically significant

#### CONCLUSION

- Statistical testing of EEG data is delicate and it requires a good understanding of the assumption of tests
- In many cases parametric methods are not adapted because of the non-normality of the data handled and/or the number of variables taken into account
- The approaches described here all assume that the voxels are independent, which is in fact not the case. However, it is a valid assumption as long as we are aware of that and do not try to correlate findings between them
- In the next and final chapter, we describe cluster-based methods