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8

write a prog to input a number and display.

```
# include <stdio.h>
```

```
int main()
```

```
{ int a = 10;
```

```
printf ("%d", a);
```

```
}
```

```
int main()
```

```
{ int a;
```

```
printf ("Enter no");
```

```
scanf ("%d", &a);
```

```
printf ("%d", a);
```

```
}
```

Enter 5 numbers

disad

```
int main()
```

- 5 variables

```
{ int num1, num2, num3, num4, num5;
```

```
printf ("Enter 5 numbers");
```

```
scanf ("%d %d %d %d %d", &num1, &num2,
```

```
&num3, &num4, &num5);
```

```
printf ("You entered %d %d %d %d %d",
```

```
num1, num2, num3, num4, num5);
```

```
return 0;
```

```
}
```

storage

```
int num;
```

adv

- 2 variable

```
printf ("Enter number");
```

```
for (i=0; i<5; i++)
```

disad v

```
scanf ("%d", &num);
```

- data loss

```
printf ("%d", num);
```

① all have same name → memory same
→ variable declared in one go ③
* Array → read & write using loop
* int main

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{ int num[50];

② all variables in continuous block.

→ adv - arrays can work very

→ ~~diff~~ fast. with less memory.

→ disadv - that much memory to be available

* EFFICIENT HANDLE DATA

Disadvantage - work in static way.

- ④ - need to give advance declaration
- Knows how much data to be stored.

60 - 50 X eg: Birthday
60 - 150 X

that's why - use dynamic allocation

static - compile time re allocation

dynamic - work with prog. during execution / run time.

Data structures - "Dynamically"

int arr[5]; ✓ ← numeric

int arr[]; - X ← constant

int arr[] = {1, 2, 3};

pre processor - bcoz work before start

Symbolic constant → # define of prog.

import constant # include

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Design → Implementation

① Algorithm

(Seq of steps or
inst. for achieving
particular target.)

Program.

(Implementation of
algorithm)

Steps & seq both are important.

② Done by domain
specialist

② Done by
coders

③ using English/NL/Maths. ③ using programming
language.

④ No constraints

④ constraints
H/W & acc/OS/
APIs.

Algorithm of Take 2 nos & display sum

Step 1 Start

34
766

Step 2 Read A, B

Step 3 Display A + B

Step 4 Stop

Algo for sum of n numbers

1. start
2. sum = 0
3. Read NUM
4. sum = sum + NUM
5. If more numbers available
 Goto step 3
6. Else
 Display sum
7. stop

PROPERTIES OF ALGORITHMS

- 1) Every algo must have ~~an~~ input ^{expected}
- 2) Every algo must display ^{expected} output
- 3) Every algo must have finite no. of steps
- 4) Definiteness (Pre declared)
↳ every stmt must have meaning.
other not be included in algo.
- 5) Effectiveness - Algo's effectiveness must be measurable.

#include <stdio.h>

int main()

```

{ int sum = 0, num, i, n;
  printf ("Enter no. of values to be terms");
  for (i=0; i < n; i++) scanf ("%d", &n);
  printf ("Enter a number");
  scanf ("%d", &num);
  sum = sum + num;
  printf ("%d", sum);
}
  
```

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int main()
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```
{ int a;
```

```
printf ("Enter no");
```

```
scanf ("%d", &a);
```

```
printf ("%d", a);
```

```
}
```

Enter 5 numbers

disad

```
int main()
```

- 5 variables

```
{ int num1, num2, num3, num4, num5;
```

```
printf ("Enter 5 numbers");
```

```
scanf ("%d %d %d %d %d", &num1, &num2,
```

```
&num3, &num4, &num5);
```

```
printf ("You entered %d %d %d %d %d",
```

```
num1, num2, num3, num4, num5);
```

```
return 0;
```

```
}
```

Storage

adv

- 2 variable

```
int num;
```

disad v

```
printf ("Enter number");
```

```
scanf ("%d", &num);
```

```
for (i=0; i<5; i++)
```

```
printf ("%d", num);
```

- data less

① all have same name → memory same
→ variable declared in one go (3)
→ array → read & write using loop
int main

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② all variables in continuous block.

→ adv - always can work very

→ ~~diff~~ fast & with less memory.

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Disadvantage - work in static way.

④ - need to give advance declaration
- Knows how much data to be stored.

60 - 50x eg: Birthday

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that's why - use dynamic alloc

static - compile time re allocation

dynamic - work with prog. during execution / run time.

Data structure - "Dynamically"

int arr [5]; - numeric

int arr [] ; - x constant

int arr [] = {1, 2, 3};

pre processor - bcoz work before start
symbolic constant → # define of prog.
import constant # include

LINEAR SEARCH

```
#include <stdio.h>
```

```
int main
```

```
{ int a[10], n, i, x, arr[10]; for(i=0; i<10; i++)
{ printf ("Enter array ");
```

```
scanf ("%d", &arr[i]); }
```

```
printf ("Enter element to be searched ");
```

```
scanf ("%d", &x);
```

```
if (n == arr[i])
```

```
{ for (i=0; i<10; i++)
{
```

```
printf ("Element found at %d", i+1);
break; }
```

```
return 0; }
```

```
else printf ("Value not found ");
```

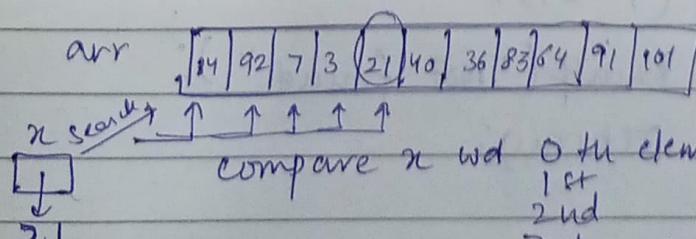
Algo to find a value in an array of Number

Step 1: Create an array.

Step 2: Compare search value with all elements of given array using recursive/iterative method.

Step 3: If value is found then display message and exit from program.

Step 4: If value not found then display an off message and exit.



until found or element run out

No. of egg you nahi would be tell by \textcircled{N} no. of operations.

~~PSEUDO
CODE~~

Algo → to be written

given: ARR is an array of integers and x is search value.

Step 1: FOR i in 1 to n LOOP

if $x == \text{ARR}[i]$ then display "value found" Exit
END LOOP.

Step 2: If $i == 10$ then display "value not found."

Step 3: EXIT.

~~CODE~~

int main()

{ int arr[10] = {34, 55, 66, 77, 22, 11, 99, 12, 19, 58};

int n = 99;

int i;

for (i = 0; i < 10; i++)

{ if ($n == \text{arr}[i]$)

{ printf("found");

break;

}

}

if ($i == 10$)

printf("Not found");

return 0;

}

Q. Write a function to perform linear search on given array.

```
void
linear search ( int arr [10], int y )
{
    int i;
    for ( i=0 ; i<10 ; i++ )
    {
        if ( y == arr [i] )
        {
            printf ("found");
            break;
        }
    }
    if ( i == 10 )
        printf ("not found");
}
```

```
int main ( )
{
    int arr [10] = { 36, 55, 66, 77, 88, 99, 109,
                     45, 100, 85 };
    int n;
    printf ("enter num to be searched");
    scanf ("%d", &n);
    linear search ( arr, n );
    return 0;
}
```

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```

int main()
{
    int arr[5] = {1, 2, 3, 4, 5};
    int i;
    int n = 3;
    for (i = 0; i < 4; i++)
    {
        if (x == arr[i])
        {
            printf("found");
            break;
        }
    }
    if (i == 5)
        printf("Not found");
    return 0;
}

```

worst case

Linear search
case

→ Extremely

arr []
↑
n

[]
31

→ when
→ perform
etc

but
(n)

Step 1 Create an array.

Given: An arr and x value to be searched.

Step 1: Compare x with every element of array one by one.

Step 2: If found print display element found

Linear search - **WORST APPROACH**
as we need to search n no. of times.

Best Case - x compared to 0th value & got = 1 step

Worst Case

Technically $O(1)$

Big O notations

worst case $\rightarrow O(n)$ \rightarrow n no. of operations at last step.

Linear search used in unsorted array
case

\rightarrow Extremely slow

[we don't know where the search will be]

arr [3 7 17 24 38 42 47 62 71 94]
0 1 2 3 4 5 6 7 8 9

n ↑ ↑ ↑ ↑ ↑ ↑ ↑
n comparisons

31 [] 92 X stop as $38 > 31$

\rightarrow when array is sorted.

\rightarrow performance improve if data found in starting.
but worst case scenario still remains (n)

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```

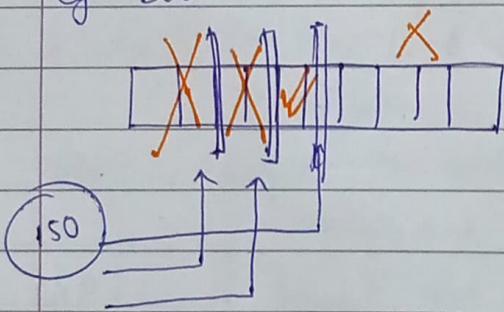
int main()
{
    int arr[] = {1, 2, 3, 4, 5}
    int n = 3; int i;
    for (i = 0; i < 4; i++)
    {
        if (arr[i] == x)
        {
            printf ("found");
            break;
        }
    }
    if (arr[i] == 5)
        printf ("Not found");
    return 0;
}

```

BINARY SEARCH

→ divide and conquer

→ eg: Book



→ ~~total~~ comparisons for 1000 data

is 10 1000

500

250

125

65

32

16

8

4

2

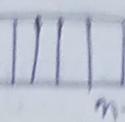
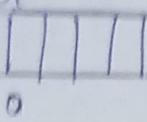
Comparison
 $\log_2(n)$

Q) advantages of binary over linear?

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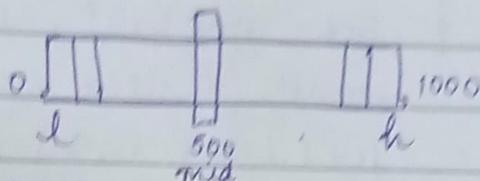


n/

low = 0

high = n-1

mid



① mid = $\frac{l+h}{2}$

while ($low < high$)

② { if ($x == arr[mid]$)

 printf ("value found");

 else if ($x < arr[mid]$)

 high = mid - 1;

 else {

 low = mid + 1;

}

 if ($low == high$)

 printf ("Not found");

Algo for Binary search.

Given : arr as a set of integers
 x as search value
 n as size of arr.

Start

Step 1 low = 0 high = $n - 1$

Step 2 \rightarrow

while (low < high)

loop

Step 3 mid = $(\text{low} + \text{high}) / 2$

Step 4 if $x == \text{arr}[\text{mid}]$, then display
 "found" return / break;

else if $x < \text{arr}[\text{mid}]$, then

high = mid - 1 ;

else low = mid + 1 ;

end if

Step 5 End loop

Step 6 Display "Not found" if (low > high)

use return - exit

↓
 out of program

stop

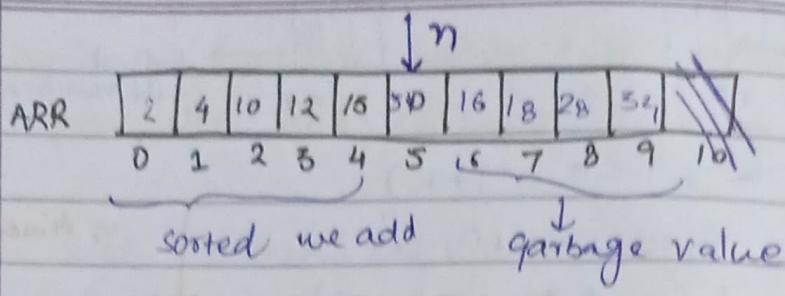
break

↓
 out of loop

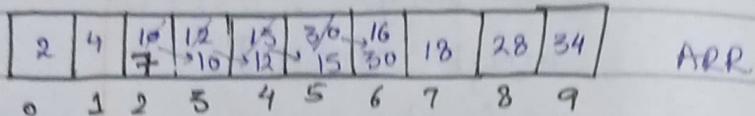
direct step 6

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INSERTION SORT



$\boxed{K} \rightarrow 7 \rightarrow$ insert in order in array ARR

\rightarrow It will be between 4 and 10

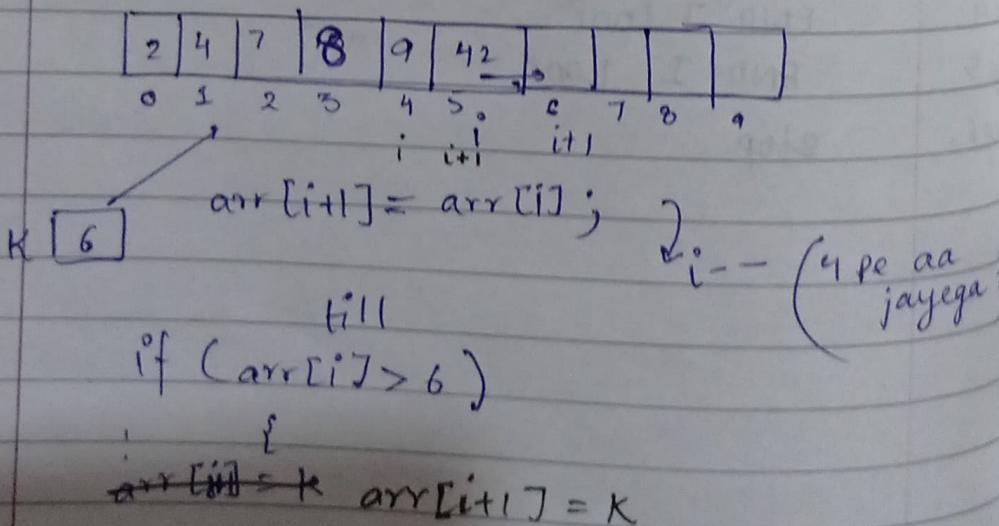
\rightarrow Before inserting shift \Rightarrow every value by one.

1st shift - 30 2nd shift - 15

3rd shift - 12 4th shift - 10

then insert 7

- INSERTING ELEMENT IN SORTED ARRAY
- DELETING ELEMENT IN SORTED ARRAY



No need to compare with every element.

Worst case — work as bubble & selection sort.

Average case — Insertion is better

ALGO

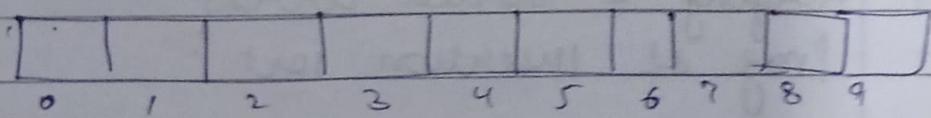
Step 1 Given arr as set of integers
K element to be inserted.

Step 2 IF (arr[i] > K)
then arr[i+1] = arr[i]
also arr[i+1] = K
i--

Step 3 FOR i from 0 to n-1

Step 4 END IF
END I LOOP

Step 5 STOP



i → FOR I in 1 to n-1

Save ith element to one place K

K = ARR[i];

NOW compare start J loop from i-1 to 0
FOR J in I-1 to

Then compare jth element with K
if greater then shift

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$\rightarrow i$ (1 - end)
 $\leftarrow j$ (i-1 to 0)

if $arr[j] > k$ then
 $arr[j+1] = arr[j]$

Same condition till $arr[j] > k$

\Rightarrow End loop
 when ~~$j >$~~ $arr[j] > k$ then
 Now $arr[j+1] = k$.
 END loop

PSEUDO CODE

FOR I in 1 to N

$K = ARR[I]$;

$J = I - 1$;

while $ARR[J] > k$

IF $ARR[J] > k$ then

$ARR[J+1] = ARR[J]$

END LOOP

$ARR[J+1] = k$

END LOOP

\rightarrow Merging 2 sorted array

\rightarrow Prog of insertion sort