

Nyquist Assignment Python and MATLAB

Ishaan Kharbanda

UE179039

In [28]: `pip install control`

```
Requirement already satisfied: control in c:\users\dell\anaconda3\lib\site-packages (0.8.3)
Note: you may need to restart the kernel to use updated packages.
Requirement already satisfied: numpy in c:\users\dell\anaconda3\lib\site-packages (from control) (1.18.5)
Requirement already satisfied: matplotlib in c:\users\dell\anaconda3\lib\site-packages (from control) (3.2.2)
Requirement already satisfied: scipy in c:\users\dell\anaconda3\lib\site-packages (from control) (1.5.0)
Requirement already satisfied: python-dateutil>=2.1 in c:\users\dell\anaconda3\lib\site-packages (from matplotlib->control) (2.8.1)
Requirement already satisfied: pyparsing!=2.0.4,!=2.1.2,!=2.1.6,>=2.0.1 in c:\users\dell\anaconda3\lib\site-packages (from matplotlib->control) (2.4.7)
Requirement already satisfied: kiwisolver>=1.0.1 in c:\users\dell\anaconda3\lib\site-packages (from matplotlib->control) (1.2.0)
Requirement already satisfied: cyclor>=0.10 in c:\users\dell\anaconda3\lib\site-packages (from matplotlib->control) (0.10.0)
Requirement already satisfied: six>=1.5 in c:\users\dell\anaconda3\lib\site-packages (from python-dateutil>=2.1->matplotlib->control) (1.15.0)
```

Importing necessary libraries

```
In [2]: import control as co
import sympy as sym
from sympy import Poly
import numpy as np
import matplotlib.pyplot as plt
from math import degrees
```

Function to create nyquist plot

In [33]: `def draw_nyquist():`

```
# Asking user for the coefficeints of the numerator polynomial
N = []
while True:
    n = input("Enter numerator polynomial or 'done' to stop : ")
    if n == 'done':
        break
    else:
        N.append(int(n))

# Asking user for the coefficeints of the denominator polynomial
D = []
while True:
    d = input("Enter denominator polynomial or 'done' to stop : ")
    if d == 'done':
        break
    else:
        D.append(int(d))

print('\n*****')
print("Numerator polynomial coefficients : ",N)
print("\nDenominator polynomial coefficients : ",D)

# Creating transfer function based on the input
omega = sym.symbols('w')
T_F = co.tf(N,D)

print('*****')
print("\nTransfer Function is : \n",T_F)

# Replacing s in Transfer function with j*w
p = Poly(N,omega)/Poly(D,omega)
p = p.subs(omega,1j*omega)

omega_range = np.arange(-250,250,0.01)
Real = []
Imaginary = []

for k in omega_range:
    a = complex(p.subs(omega,k))

    R = a.real
    I = a.imag

    Real.append(R)
    Imaginary.append(I)

print("**** Nyquist plot for the above transfer function ****")
plt.plot(Real,Imaginary,'g')
plt.grid(color='b', linestyle='--', linewidth=0.25)
```

Testing the function

In [34]: draw_nyquist()

```
Enter numerator polynomial or 'done' to stop : 2
Enter numerator polynomial or 'done' to stop : 5
Enter numerator polynomial or 'done' to stop : 1
Enter numerator polynomial or 'done' to stop : done
Enter denominator polynomial or 'done' to stop : 1
Enter denominator polynomial or 'done' to stop : 2
Enter denominator polynomial or 'done' to stop : 3
Enter denominator polynomial or 'done' to stop : done
```

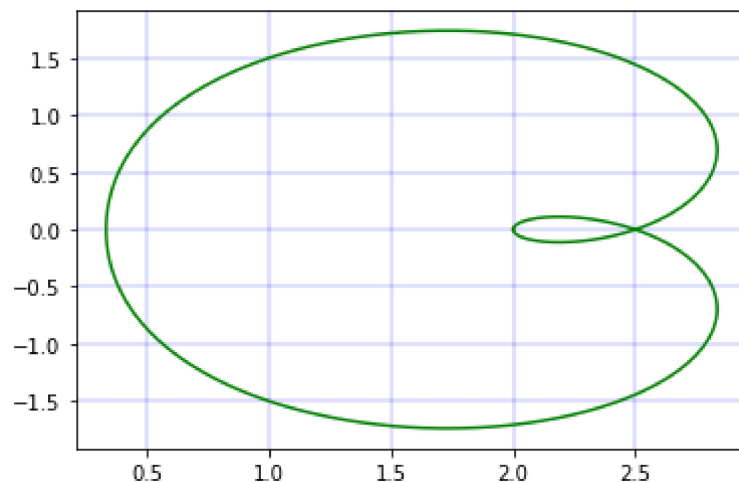
Numerator polynomial coefficients : [2, 5, 1]

Denominator polynomial coefficients : [1, 2, 3]

Transfer Function is :

$$\frac{2s^2 + 5s + 1}{s^2 + 2s + 3}$$

**** Nyquist plot for the above transfer function ****



Matlab M file

```
clc

n = input('Enter numerator polynomial coefficients : ');
d = input('Enter denominator polynomial coefficients : ');

sys_tf = tf(n,d)

syms s w
num_poly = poly2sym(n,s);
den_poly = poly2sym(d,s);

fprintf('Transfer function is : %X',sys_tf)

system = num_poly/den_poly;

system_omega = subs(system,s,1i*w)

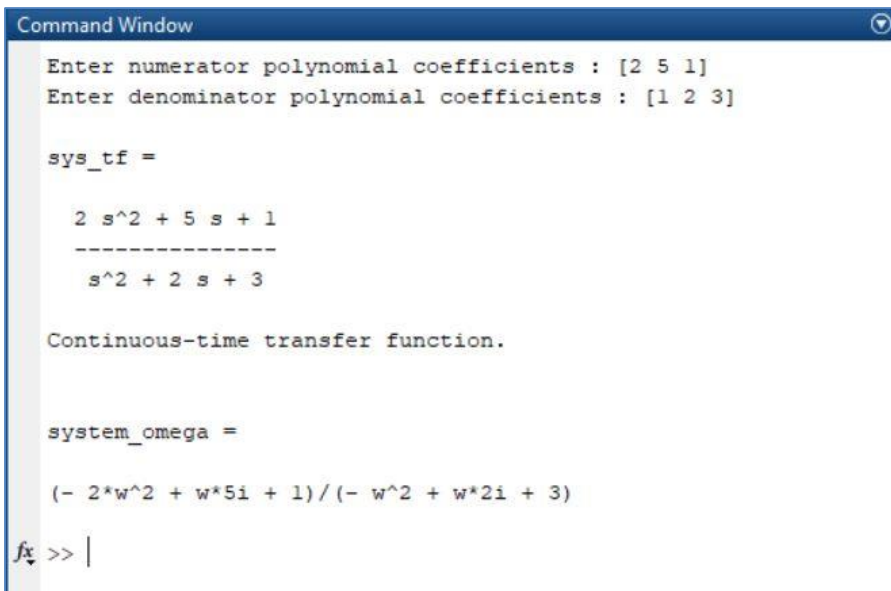
omega = -250:0.01:250;

output_complex_numbers = subs(system_omega,w,[omega]);

R = real(output_complex_numbers);
I = imag(output_complex_numbers);

plot(R,I)
grid on
```

Matlab Command Window



Command Window

```
Enter numerator polynomial coefficients : [2 5 1]
Enter denominator polynomial coefficients : [1 2 3]

sys_tf =

    2 s^2 + 5 s + 1
    -----
    s^2 + 2 s + 3

Continuous-time transfer function.

system_omega =

(- 2*w^2 + w*5i + 1)/(- w^2 + w*2i + 3)

fx >> |
```

Matlab Nyquist Graph

