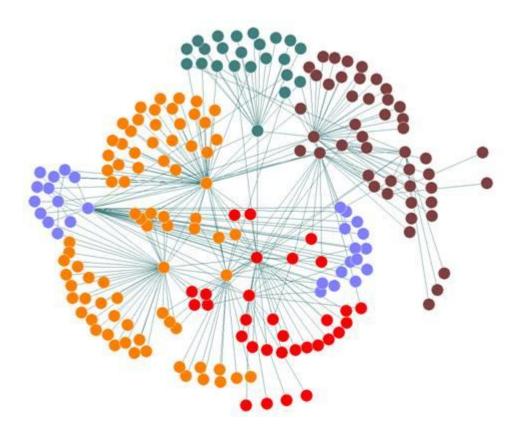
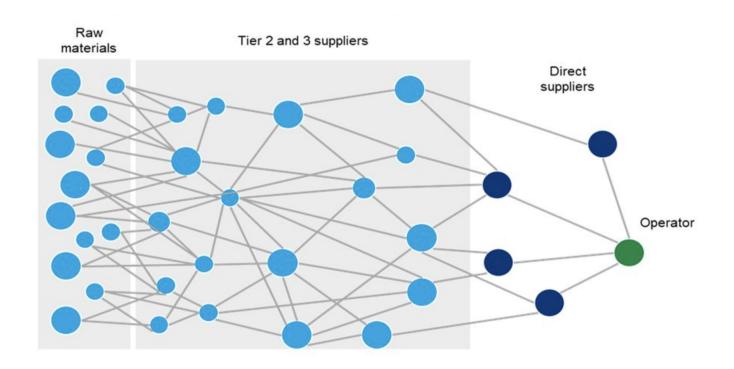
# MIDS W207 Applied Machine Learning

Week 12 Live Session Slides

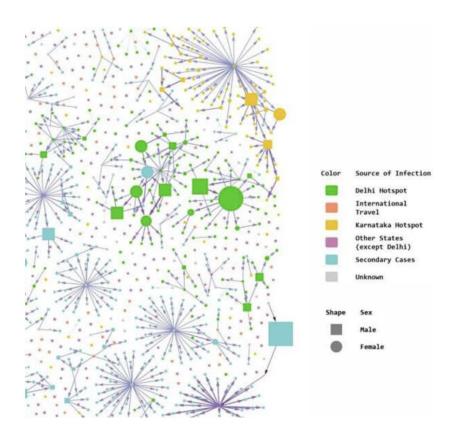
# Social Network Analysis



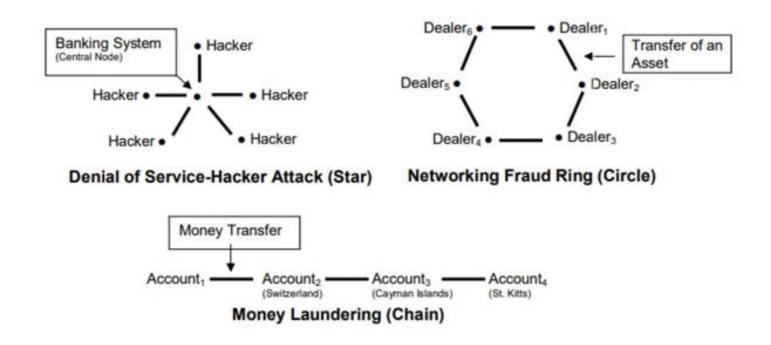
### Social Network Analysis: Applications



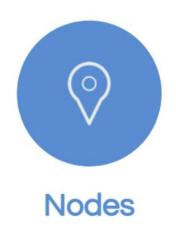
# Social Network Analysis: Applications

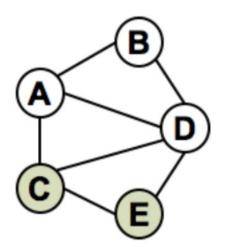


### Social Network Analysis: Applications



# **Network Representation**







### Real World Networks

(a) Small-World Network (SWN) (b) Scale-Free Network (SFN) (c) Random Network (RN)

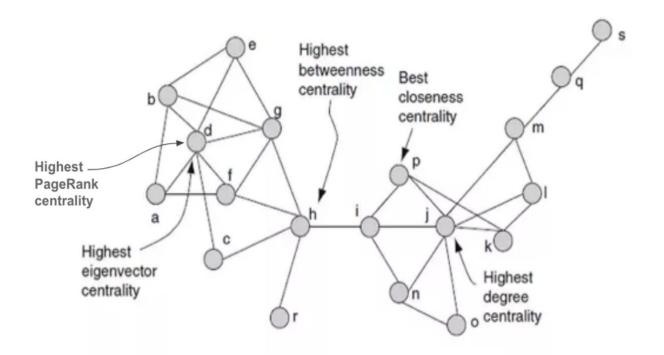
### **Centrality Measures**

**Degree** 

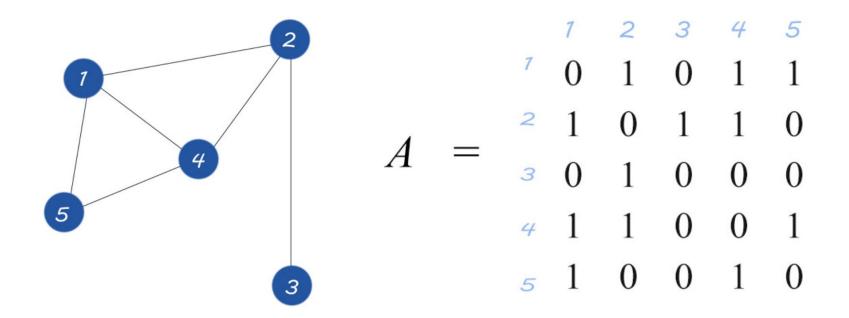
**Eigenvector/ PageRank** 

Closeness

**Betweenness** 



### Adjacency Matrix

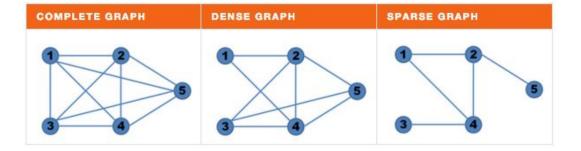


**Density** 

**Connected Components** 

**Degree Distribution** 

**Giant Components** 



Density

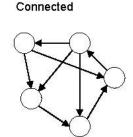
**Connected Components** 

**Degree Distribution** 

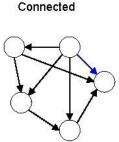
**Giant Components** 

### Strongly-Connected

Graph G is **strongly connected** if, for every u and v in V, there is some path from u to v and some path from v to u.



Strongly



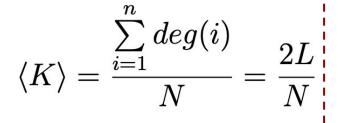
Not Strongly

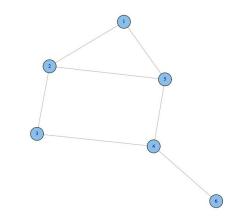
#### **Density**

**Connected Components** 

#### **Degree Distribution**

#### **Giant Components**





node	degree	
1	2	
2	3	
3	2	
4	3	
5	3	

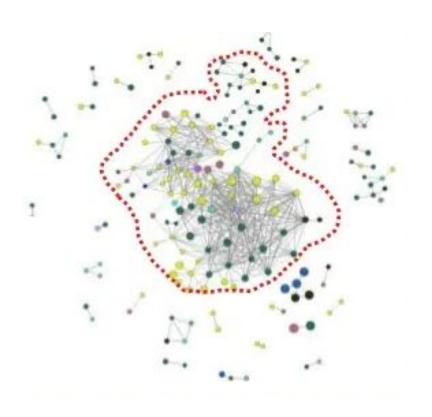
degree	frequency	
1	1/6	
2	2/6	
3	3/6	

**Density** 

**Connected Components** 

**Degree Distribution** 

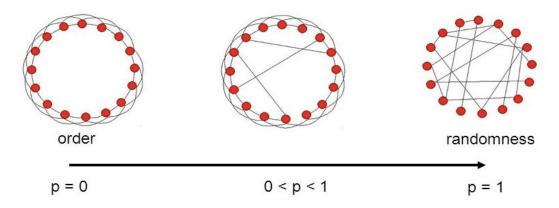
**Giant Components** 



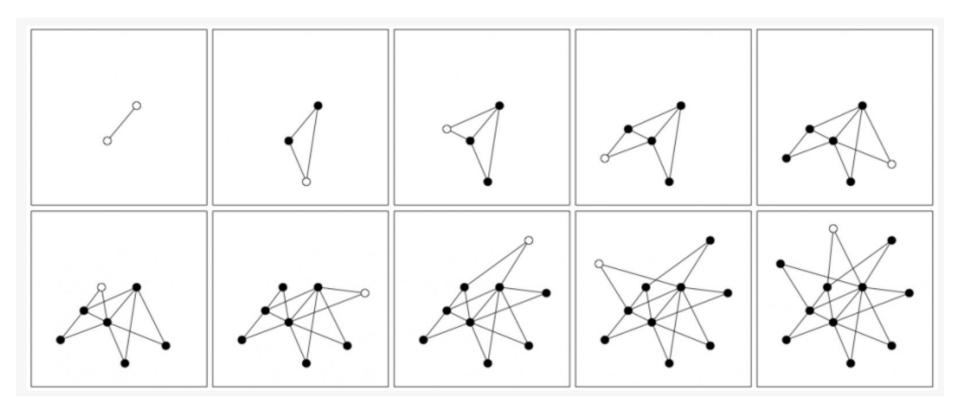
### Watts strogatz model

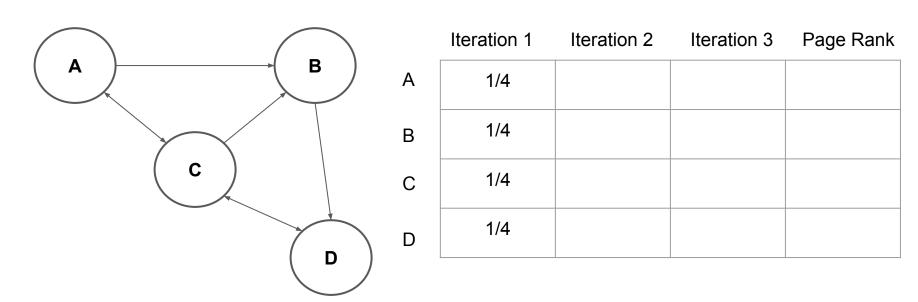
### Watts and Strogatz model [WS98]

- Start with a ring, where every node is connected to the next k nodes
- With probability p, rewire every edge (or, add a shortcut) to a uniformly chosen destination.
  - Granovetter, "The strength of weak ties"

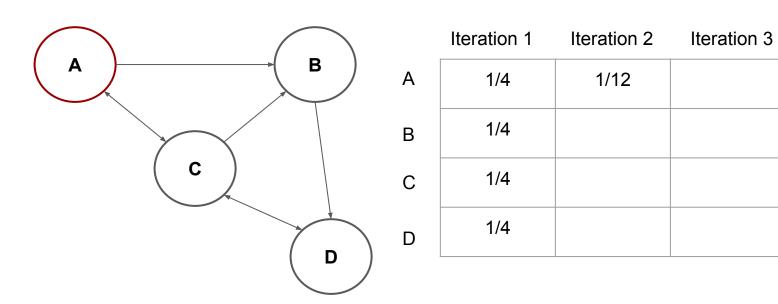


### Barabasi Albert model





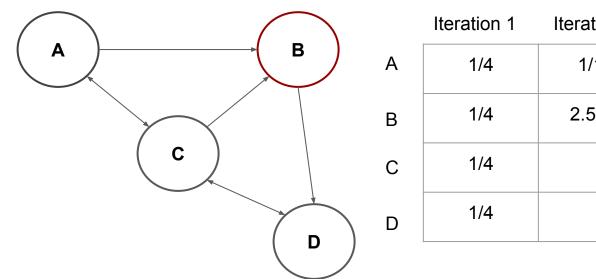
$$PR_{t+1}(P_i) = \sum [PR_t(P_j)] / C(P_j)$$



Page Rank

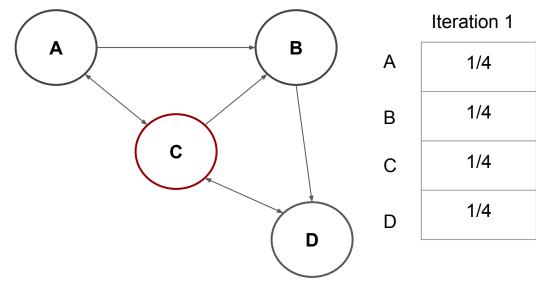
 $PR(A) = (\frac{1}{4}) / 3$ 

 $PR(B) = ((\frac{1}{4}) / 2) + ((\frac{1}{4})/3)$ 

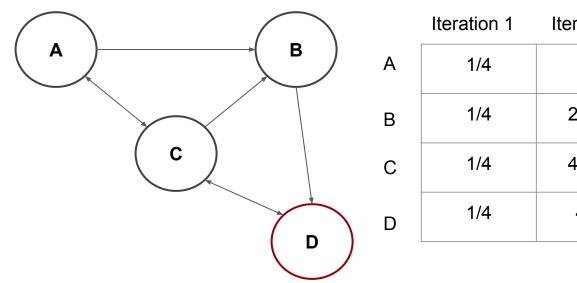


iteration 1	iteration 2	iteration 3	Page Rank
1/4	1/12		
1/4	2.5/12		
1/4			
1/4			

 $PR(C) = ((\frac{1}{4})/2) + ((\frac{1}{4})/1)$ 

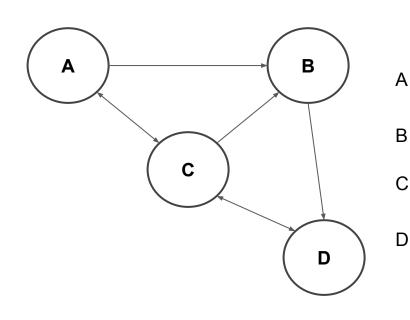


Iteration	1 Iteration 2	Iteration 3	Page Rank
1/4	1/12		
1/4	2.5/12		
1/4	4.5/12		
1/4			



Iterat	ion 1	Iteration 2	Iteration 3	Page Rank
1	/4	1/12		
1	/4	2.5/12		
1	/4	4.5/12		
1	/4	4/12		

 $PR(D) = ((\frac{1}{4}) / 3) + ((\frac{1}{4})/1)$ 



Iteration 1	Iteration 2	Iteration 3	Page Rank
1/4	1/12	1.5/12	1
1/4	2.5/12	2/12	2
1/4	4.5/12	4.5/12	4
1/4	4/12	4/12	3

$$PR_{t+1}(P_i) = \sum [PR_t(P_j)] / C(P_j)$$

### **Network Visualization**

iGraph

**NetworkX** 

Gephi

**UCINET** 

NetLogo

### Code Review