# Week 6

## Agenda

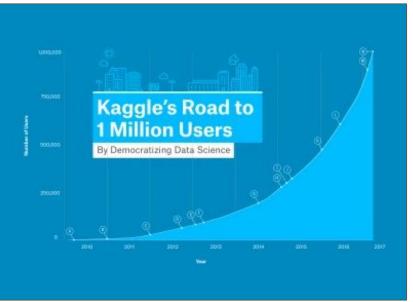
- 1. Introduce Final Project
- 2. Gradient Descent and Regularization review
- 3. Introduction to neural network libraries
- 4. Start deep learning notebook

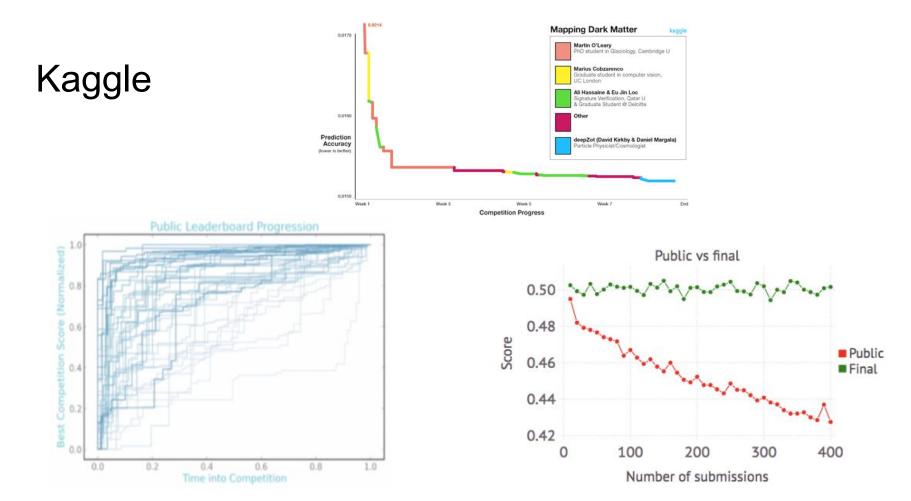
For next week: Read LeCun paper



## Kaggle







## Final Project

#### **FINAL PROJECTS**

- XX Baseline Due
- XX Final Notebook Due
- XX Presentations
- Groups of 2-4
- You pick your groups.. Feel free to use this signup sheet to help find group members:
- https://docs.google.com/document/d/16supxu 4kE1hTHrFeDzj1qvNKw5HE2WhmnDL6OeL GbqY/edit?usp=sharing

#### RANDOM ACTS OF PIZZA

- https://www.kaggle.com/c/random-acts-of-pizza
- People post pizza requests on Reddit
- Build 2-class classifier
- Classify whether post will get pizza
- Practice mining features from text

#### HOME PRICE PREDICTION

- https://www.kaggle.com/c/house-prices-advanced-regression-technique
- Predict the sale price of a property (like the Zestimate)
- Regression
- Feature engineering

#### FOREST COVER PREDICTION

- https://www.kaggle.com/c/forest-cover-type-prediction
- Classify canopy type in forest (e.g. Spruce)
- Multi-class classification: 8 classes
- Practice trying different algorithms

#### **FACIAL KEYPOINTS DETECTION**

- https://www.kaggle.com/c/facial-keypoints-detection
- Determine x,y of keypoints in image (e.g. left eye corner)
- 30 regression outputs (x,y of 15 labels)
- Practice Convolutional Neural Networks

## **Gradient Descent Review**

## Warm-up

#### **Student Exercise**

- Find:
  - Parameters
  - Cost function
  - o Objective
- Model "hypothesis"

$$Y_i = \alpha + \beta X_i + y X_i^2$$

- · Cost function twist:
  - Use "absolute error" cost function.

- Pseudocode:
  - $\circ$  Choose an initial vector of parameters  $\alpha, \beta$ .
  - $\circ$  Choose learning rate R.
  - Repeat until an approximate minimum is obtained (randomly shuffl examples in training set).
  - For each example i:

$$\alpha < -\alpha - R \frac{\partial}{\partial \alpha} J(\alpha, \beta)$$

$$\beta < -\beta - R \frac{\partial}{\partial \beta} J(\alpha, \beta)$$

#### **GD Performance**

- What is the batch gradient descent algorithm?
- What is the stochastic gradient descent algorithm (SGD)?
- What is mini-batch?

#### **Additional Q's**

- What does convergence mean?
- What is the benefit of having a convex cost function?
- Why might feature scaling be important?
- What is alpha? How might we set alpha?

#### Sigmoid Function

- Logistic (sigmoid) function:  $g(z) = \frac{e^z}{e^z + 1} = \frac{1}{1 + e^{-z}}$
- In logistic regression:  $z = \alpha + \beta X + ...$
- Transforms:  $[-\infty, +\infty] \rightarrow [0, 1]$
- · Constrains output of our model between 0 and 1

## Batch, Mini-Batch, or Stochastic?

- ullet Choose an initial vector of parameters w and learning rate  $\eta$ .
- Repeat until an approximate minimum is obtained:
  - Randomly shuffle examples in the training set.
  - For i = 1, 2, ..., n, do:
    - $w := w \eta \nabla Q_i(w)$ .

#### **Examining the Cost Function**

· Logistic regression cost function:

$$J(\theta) = \frac{1}{N} \sum_{i=1}^{N} Y_i \cdot \log \hat{\mathbf{Y}}_i + (1 - Y_i) \log(1 - \hat{\mathbf{Y}}_i)$$

Can rewrite single part as two different components:

$$Cost(\widehat{Y}_i, Y_i) = \begin{cases} -\log(\widehat{Y}_i) & \text{if } Y_i = 1\\ -\log(1 - \widehat{Y}_i) & \text{if } Y_i = 0 \end{cases}$$

1. Why do we use a surrogate cost function?

#### Logistic Regression: Gradient Descent

Benefit: leads to getting predicted cost values closer to actual values
 Cost function:

$$J(\theta) = \frac{1}{N} \sum_{i=1}^{N} Y_i \cdot \log \hat{\mathbf{Y}}_i + (1 - Y_i) \log(1 - \hat{\mathbf{Y}}_i)$$

Use the update rule:

$$\theta < -\theta - R \frac{\partial}{\partial \theta} J(\theta)$$

Benefit: derivative is very simple:

$$\frac{\partial}{\partial \theta}J(\theta) = \frac{1}{N}\sum_{i=1}^{N}(Y_i - \hat{Y}_i)X_i$$

#### Gradient Descent: Learning Rate

• 
$$\beta \leftarrow \beta - R \frac{\partial \beta}{\beta} J(\alpha, \beta)$$

- · What does R do?
- · Small R:
  - Slow and incremental gradient descent
- Large R:
  - o Parameter values update quickly.
  - Could overshoot the minimum.
  - May fail to converge.

1. Can you imagine what an adaptive learning rate might look like?

#### Feature Scaling With Gradient Descent

- Critical in gradient descent, where we seek the direction of greatest decrease in cost function.
- Can be viewed as contour plot.
- With gradient descent, the direction of steepest descent can depend on the units in which variables are measured.
  - Inefficient when features or axes are on different scales

#### Local or Global Minima?

- Gradient descent is guaranteed to converge to a local minimum as long as R is small enough and the function is differentiable.
- How do we know we've hit a global versus local minimum?
- In regression it doesn't matter!



## Regularization

#### Working With the Penalized Cost Function

· Penalized cost function:

$$J(\alpha,\beta) = \frac{1}{2N} \sum_{i=1}^{N} (Y_i - \theta_0 + \theta_1 X_i + \ldots + \theta_k X_i^k)^2 + \lambda \sum_{j=1}^{k} \theta_j^2$$
Regularization parameter

• The larger the  $\theta$  parameter is, the higher the cost will be.

- 1. Is that L1 or L2 regularization?
- 2. What does L1 regularization accomplish?
- 3. What does L2 regularization accomplish?

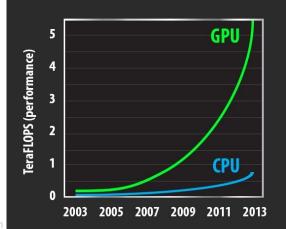


## **GPUs**



**HDMI** 

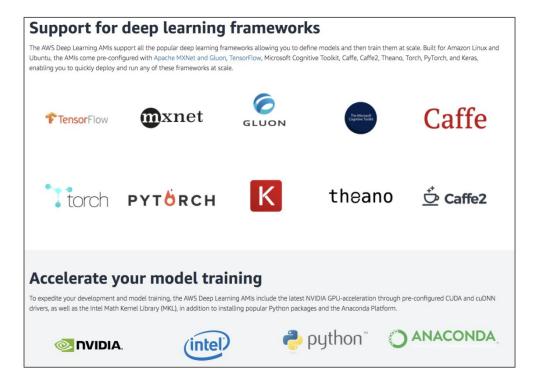
- 1. GPUs grew out of gaming in the 90s
- GPUs do vector/matrix/tensor operations faster than CPUs.



datascience@berkeley

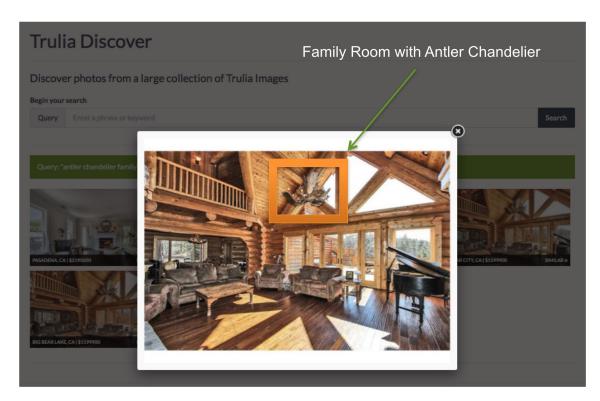
TechTerms.com

### **Neural Network Frameworks**



- Large number of NN libraries have emerged in recent years
- 2. All support GPUs

### **Neural Network Frameworks**



 Exceptional at working with large scale text and image datasets

## Final Thoughts?