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Question 3

Incomplete answer

Marked out of 30

(*Bisection Method*). Prior to entering in the corresponding input fields, all numerical answers should be rounded to 6-digit floating-point numbers. Given a real number z , the symbol \tilde{z} denotes the result of rounding of z to a 6-digit floating-point number.

(i) Use the Bisection method to find an approximation p_N of the unique solution p the equation

$$3.64x(1 - x^2 + x) \ln(x) = x^2 - 1$$

in $[a, b] = [0.05, 0.5]$ such that

$$\text{RE}(\tilde{p}_N \approx \tilde{p}_{N-1}) < 10^{-3}.$$

(iii) Show then your work by filling in the table that follows. In each input field in the column labelled by

$$f(a_n)f(p_n),$$

please enter either a plus sign + (if $f(a_n)f(p_n) > 0$), or a minus sign - (if $f(a_n)f(p_n) < 0$). If a particular row of the table is not necessary, enter an asterisk * in each input field in the row. In order to calculate the relative error

$$\text{RE}(\tilde{p}_1 \approx \tilde{p}_0)$$

in the first row, assume formally that $p_0 = 0.05$.

n	a_n	p_n	b_n	$f(a_n)f(p_n)$	$\text{RE}(\tilde{p}_n$
1	0.05	0.275	0.5	-	*
2	0.05	0.1625	0.275	-	0.692308
3	0.05	0.10625	0.1625	+	0.529412
4	0.10625	0.134375	0.1625	-	0.209302
5	0.10625	0.120313	0.134375	-	0.116878
6	0.10625	0.113282	0.120313	-	0.0620663
7	0.10625	0.109766	0.113282	+	0.0320318
8	0.109766	0.111524	0.113282	+	0.0157634
9	0.111524	0.112403	0.113282	+	0.0078206
10	0.112403	0.112843	0.113282	+	0.0038992
11	0.112843	0.113063	0.113282	+	0.0019458
12	0.113063	0.113172	0.113282	-	0.0009637
13	*	*	*	*	*

As suggested in the previous problem, users of scientific calculators may first create a copy of the above table in an OpenOffice (or Excel) worksheet, and then copy-paste their answers.

(ii) According to your results in (i) and (ii),

$p_N \doteq$.

Please answer all parts of the question.

Check

The submission was invalid, and has been disregarded without penalty.

