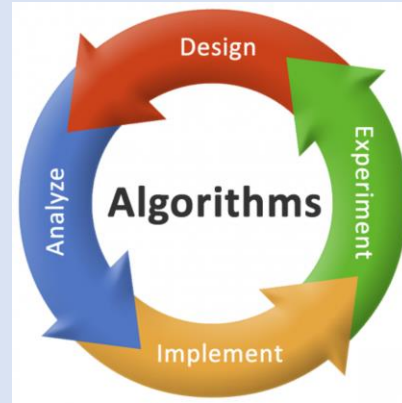


Graph Algorithms

Topological Sort

COP 3503
Fall 2021

Department of Computer Science
University of Central Florida
Dr. Steinberg



What is Topological Sort?

- A topological sort is a sequence of items in which one item precedes the others for certain reasons.
- Example – Courses and Prerequisites

| Courses | Prerequisites |
|-------------|-----------------------------------|
| COMPSCI 100 | MATH 120 |
| COMPSCI 150 | MATH 140 |
| COMPSCI 200 | COMPSCI 100, COMPSCI 150, ENG 100 |
| COMPSCI 240 | COMPSCI 200, PHYS 130 |
| ENG 110 | NONE |
| MATH 120 | NONE |
| MATH 130 | MATH 120 |
| MATH 140 | MATH 130 |
| MATH 200 | MATH 140, PHYS 130 |
| PHYS 130 | NONE |

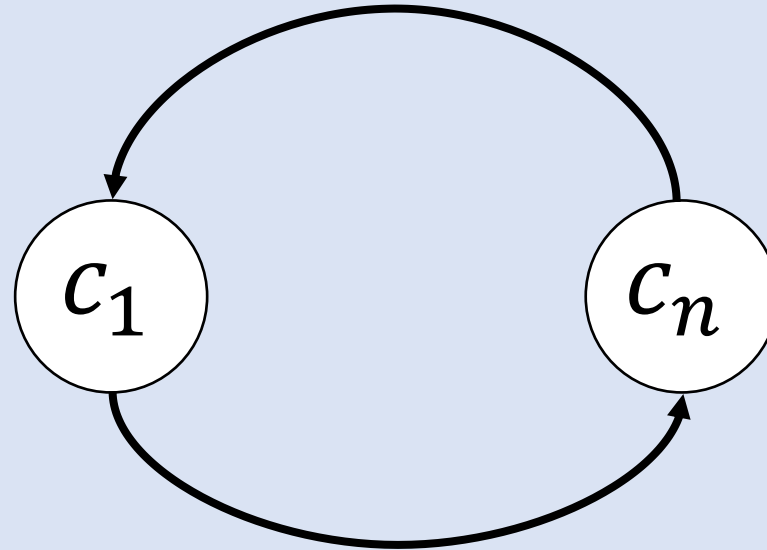
Example

- MATH 120, MATH 130, COMPSCI 100, MATH 140, COMPSCI 150, ENG 110, COMPSCI 200, PHY 130, MATH 200, COMPSCI 240

| Courses | Prerequisites |
|-------------|-----------------------------------|
| COMPSCI 100 | MATH 120 |
| COMPSCI 150 | MATH 140 |
| COMPSCI 200 | COMPSCI 100, COMPSCI 150, ENG 100 |
| COMPSCI 240 | COMPSCI 200, PHYS 130 |
| ENG 110 | NONE |
| MATH 120 | NONE |
| MATH 130 | MATH 120 |
| MATH 140 | MATH 130 |
| MATH 200 | MATH 140, PHYS 130 |
| PHYS 130 | NONE |

Topological Sorting

- For a topological sort to exist, there must not be any cyclical prerequisite structure. NO DIRECTED CYCLES!!
- Example
 - c_1 is a prerequisite for c_n , and c_n is a prerequisite for c_1



Topological Sorting and Graphs

- Topological sorting is useful in graphs if we want to observe how vertices relate to each other.
- Input is a directed acyclic graph (dag)
- Output is topological storing of V in dag $G(V,E)$

Topological Sorting Algorithm

```
top_sort(adj,ts)  
n = adj.last  
k = n  
for i = 1 to n  
    visit[i] = false  
for i = 1 to n  
    if (!visit[i])  
        top_sort_rekurs(adj, v, ts)
```

```
top_sort_rekurs(adj, start, ts)  
visit[start] = true  
trav = adj[start]  
while(trav != null)  
    v = trav.ver  
    if(!visit[v])  
        top_sort_rekurs(adj,v,ts)
```

Example