

Date: 08-09-2019

Diode:

BJT:

FET:

MOSFET

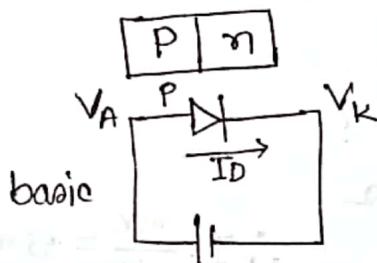
Reffered Book: Micro electronics

→ Sedra & Smith

Electronics Devices

→ Boylested

Diode:



Ge, Si, type semiconductor

Ideal diode

$V_A > V_K \rightarrow$ diode on ($I_D \neq 0$)

$V_A < V_K \rightarrow$ diode off ($I_D = 0$)

Hence, I_D = Diode current

Diode এবং ক্ষেত্র (Ideal diode) ইন

অস্থায়ী Anode voltage & Cathode voltage check করতে হবে,
যে কে বড় আবি করে দেই

Again, For Silicon (Si) diode

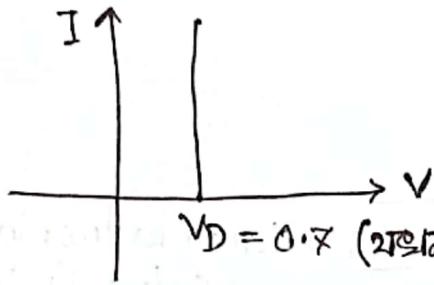
$$V_D = 0.7V$$

For Ge diode,

$$V_D = 0.3V$$

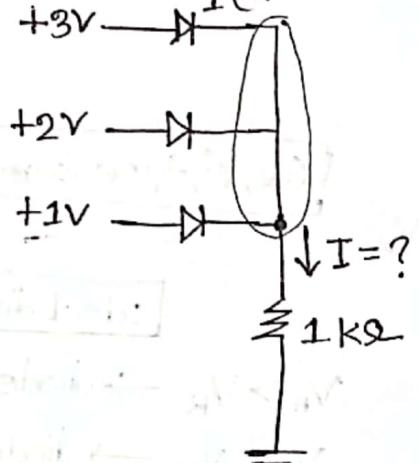
Note: Anode এবং ক্ষেত্র voltage গুলি থার্মিডিও

হিসেবে।



$V_D = 0.7$ (ഘട്ടന diode on-2 വരു) Si type എന്നോടു

Q.

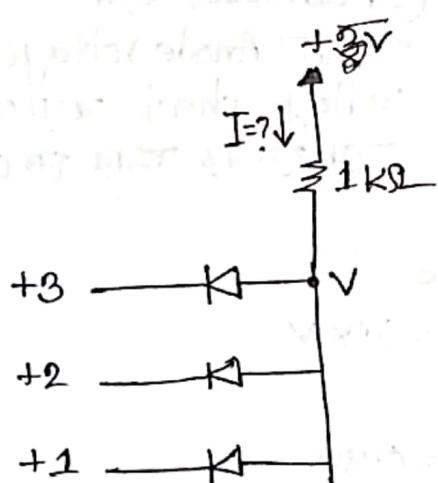


നിജ വിഭവ നിഖലി

വിശ്വ നിഖല ആഡിଓ ഫി. Ideal type

$$\therefore I = \frac{3V}{1k\Omega} = 3mA$$

Q:



AND application

lets, $I = 0$

supplying voltage = +5

$I = 0$ so voltage drop 2 വണ്ണ,

$$I = 0mA$$

$$V = 5V$$

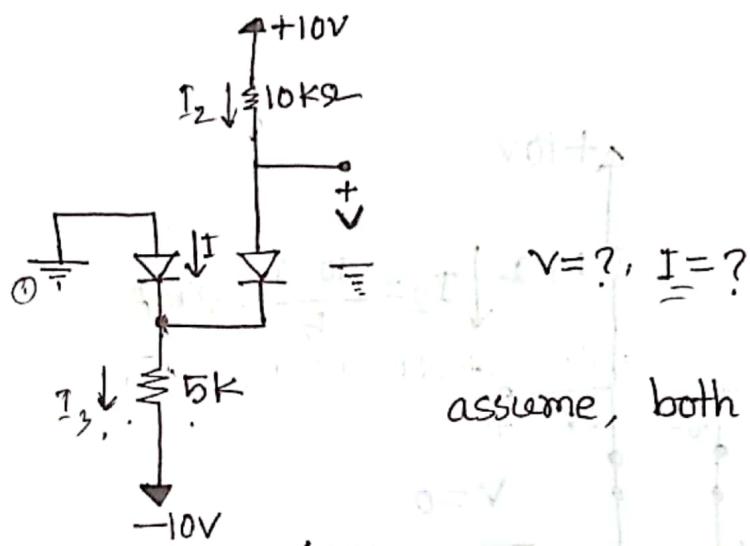
OR Application

3v വിഭവ രണ്ട്

$$V = 3V, V_S = 5V$$

$$\therefore I = \frac{5-3}{1} = 2mA$$

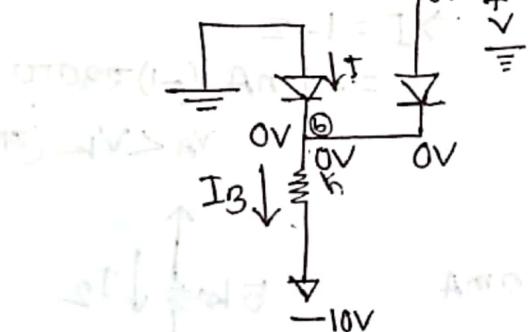
Problem:



$$V = ? \quad I = ?$$

assume, both diode are conducted

Solve:



Applying KCL at node 'b'

$$\begin{aligned} I_3 &= I + I_2 \\ \Rightarrow I &= I_3 - I_2 \\ &= 2 - 1 \\ &= 1 \text{ mA} \end{aligned}$$

and, $V = 0 \text{ V}$

$$I_3 = \frac{0 - (-10)}{5} = 2 \text{ mA}$$

$$I_2 = \frac{10 - 0}{10} = 1 \text{ mA}$$

Vol+

Note: যদি $I = 0$ এবং তারেখে diode $\text{P} \cap$ incorrect/false

$$\frac{0+0}{0}$$

$$0+0 = 0$$

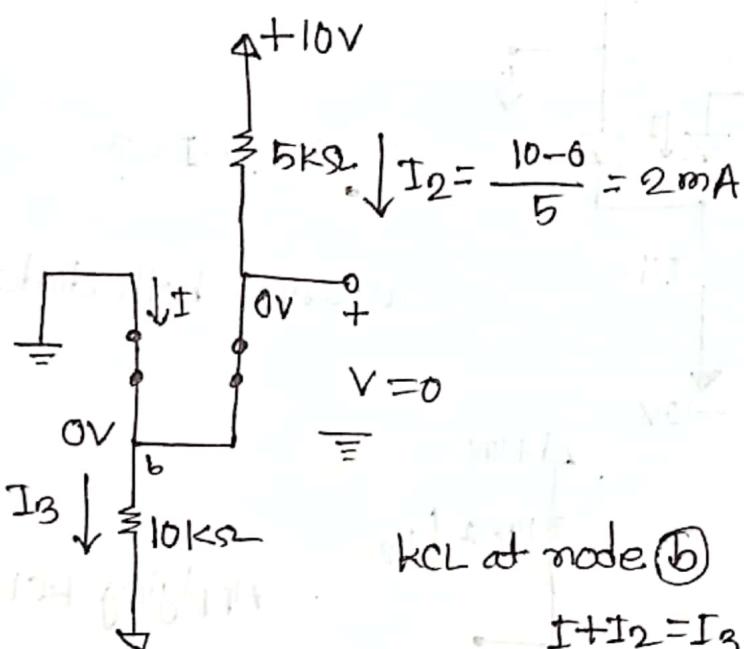
$$0+0 = \frac{(0+0)-0}{0} = I_{\min}$$

$$0+0 = 0 \text{ mA}$$

$$0+0 = 0 \text{ V}$$



Problem:



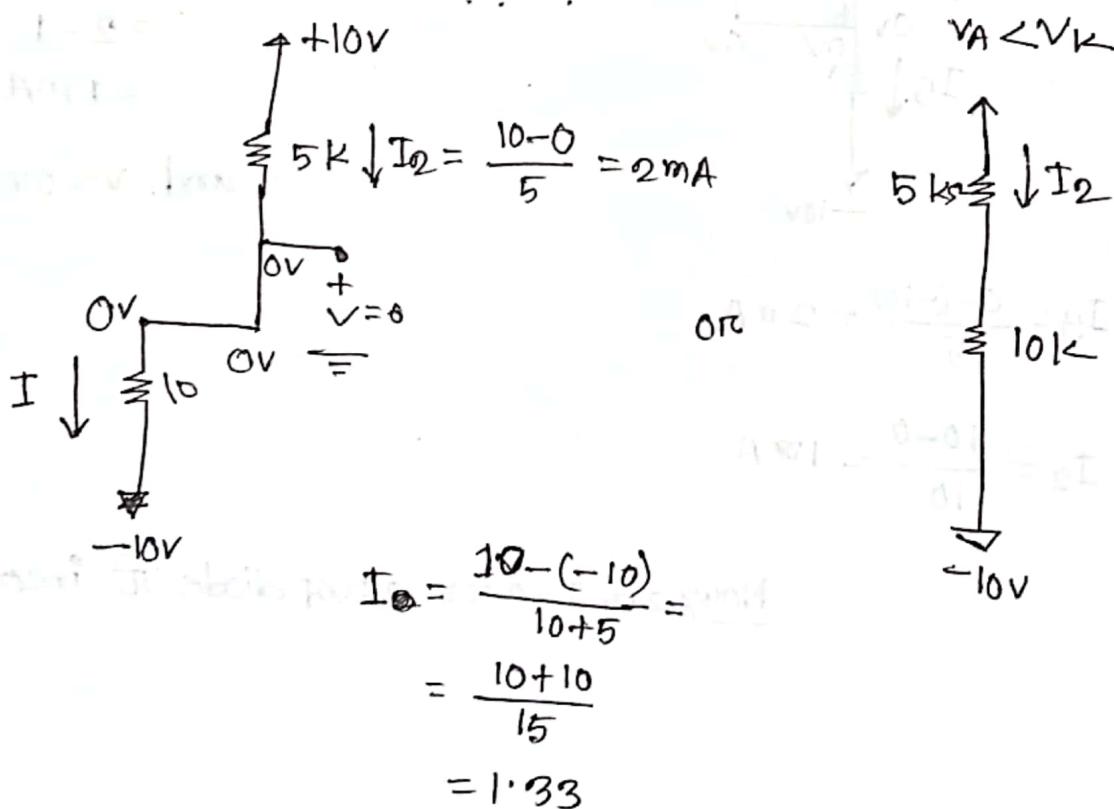
KCL at node b

$$I + I_2 = I_3$$

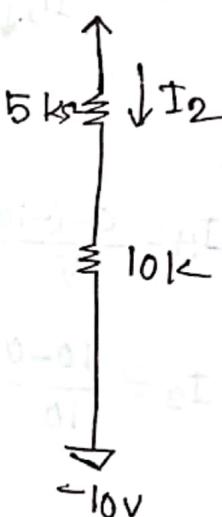
$$\Rightarrow I = 1 - 2$$

$$= -1\text{mA} \quad (-1)\text{mA}$$

Problem: Diode is off यदि वोल्टेज का



$$I_0 = \frac{10 - (-10)}{10 + 5} = \frac{10 + 10}{15} = \frac{20}{15} = 1.33$$



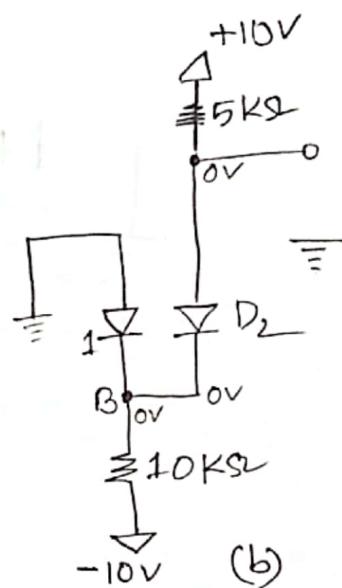
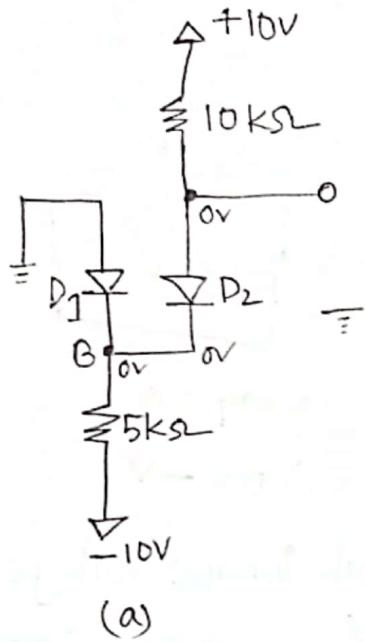
$$\text{Again, } I = \frac{V - (-10)}{10} = 1.33$$

$$\Rightarrow V + 10 = 13.3$$

$$\therefore V = 3.3\text{V}$$

$I = 0$
$V = 3.3\text{V}$
(Ans)

Example 9.2: Assuming the diodes to be ideal, find the value of I and V in the circuits.



$$(a) \therefore I_{D2} = \frac{10-0}{10} = 1 \text{ mA}$$

$$\text{at node } B: I+1 = \frac{0-(-10)}{5} \quad \therefore I = 1 \text{ mA}$$

$$(b) I_{D2} = \frac{10-0}{5} = 2 \text{ mA}$$

$$\text{at node } B: I+2 = \frac{0-(-10)}{10} \quad \therefore I = -1 \text{ mA}$$

Since, this is not possible, our original assumption is not correct. We start again D_1 is off and D_2 is on.

$$\therefore I_{D2} = \frac{10-(-10)}{15} = 1.33 \text{ mA}$$

and the voltage in node B, $V_B = ?$

$$I = \frac{V_B - (-10)}{10} = 1.33$$

$$\Rightarrow \frac{V_B + 10}{10} = 1.33$$

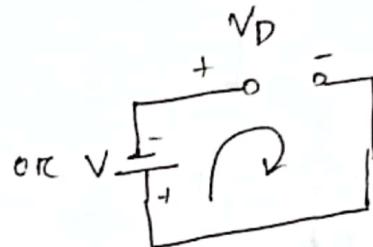
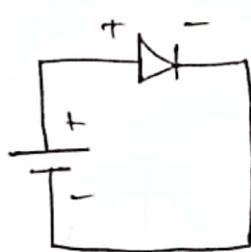
$$\therefore V_B = 3.3 \text{ V}$$

03-10-2019

03-11-2019

Diode

Rectifier:



$$V + V_D = 0$$

$$V_D = -V$$

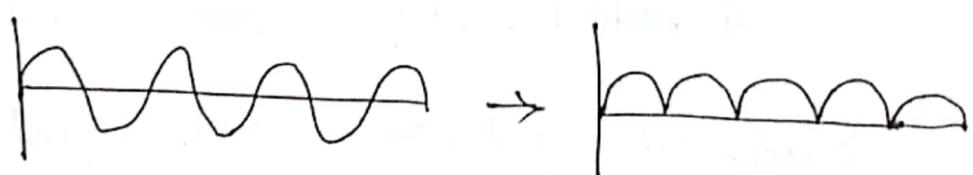
peak inverse voltage (PIV)

$\downarrow = V$ (ignore -ve sign)

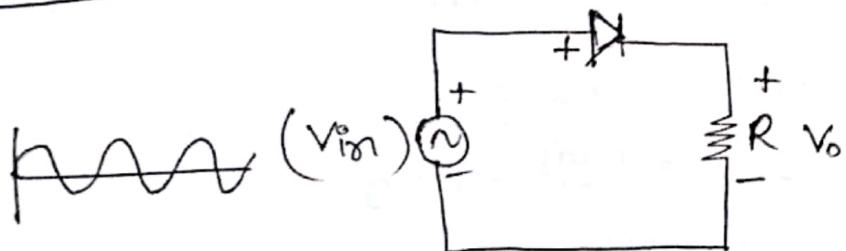
diode এর Maximum volt
এবং বিভি-শিল্পে diode প্রচুর
হাতে।

AC voltage \rightarrow DC voltage করার জন্য Rectifier দ্রব্যাব

Rectification \rightarrow একক্ষের কার্য।

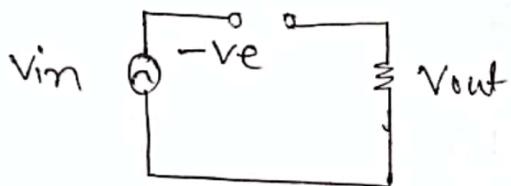
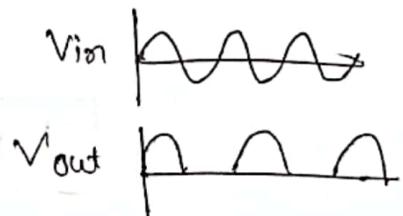
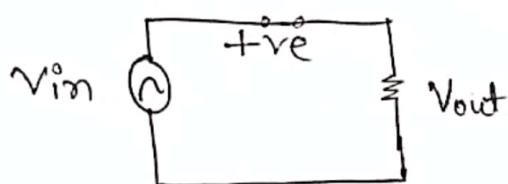


half wave Rectifier



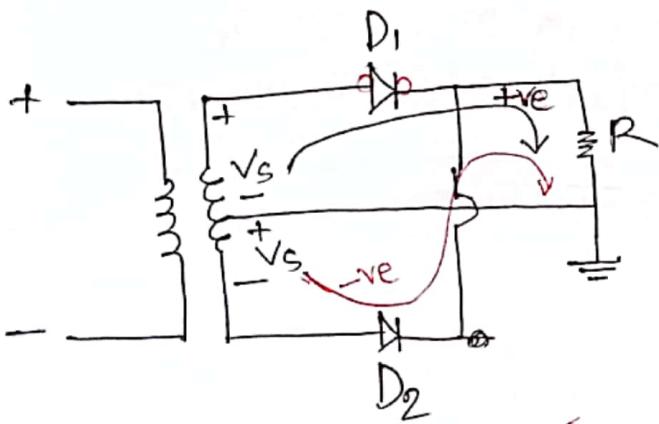
ফোল আগের এ + voltage
জ্ঞান forward আগের
সমস্যা input এ ২৫ টাকা
তা ১/২ output ২৫

when volt (+ve) orc + half cycle:

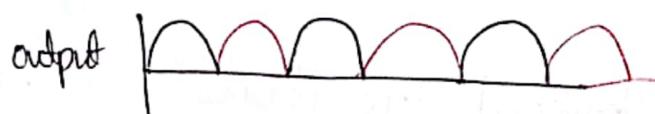
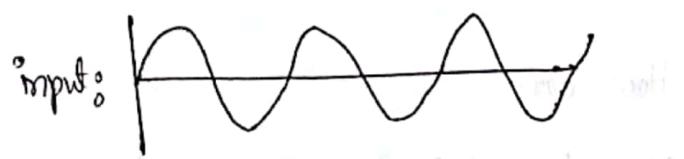


- Q. draw the circuit diagram of diode with input output voltage.

Full wave Rectifier :

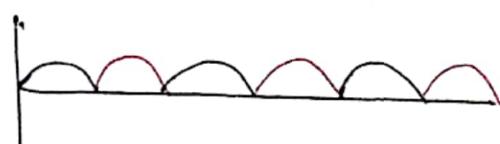


Diode D_1 vs D_1' .
" D_2 " vs D_2' .
 s = Secondary coil

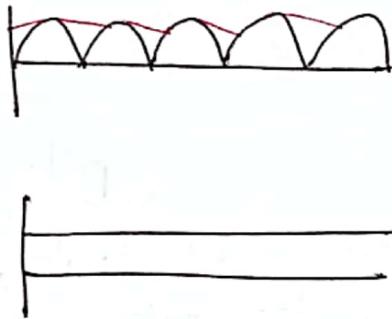
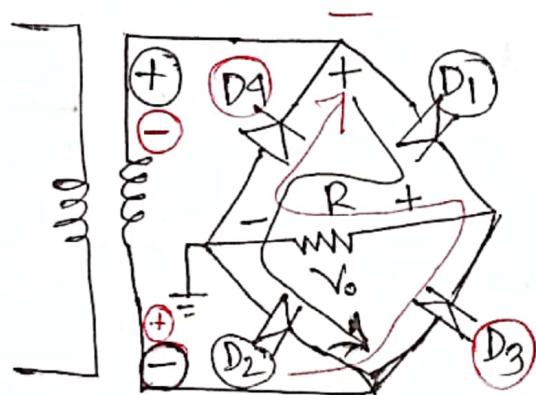


Full wave Rectifier

(output current) i_{out} :



Bridge Rectifier



pulse setting DC

↓ (capacitor)

pure DC



pulse setting DC തോക DC എന്നാൽ
രെജിസ്ട്രേഷൻ കുറയ്ക്കാൻ
സൗകര്യം ഉണ്ട്

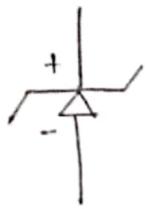
അല്ല DC എന്നാൽ

How can

How to minimize R.. voltage

Semiconductor physics (self practice)

Zenore Diode:



Zenore diode

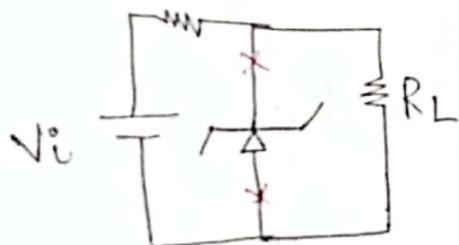
* * * Special application of zenore diode:

input ज्ञाते थोकना किए गए, output
-थोकनीय एवं नियमित fixed voltage फॉर्म/वर्ग,

power rating $P_Z =$

voltage rating $V_Z =$

Max zenore current $I_{Zmax} =$



$V_o \geq V_Z$ - इसलिए तरावते zenore diode लगा दें।

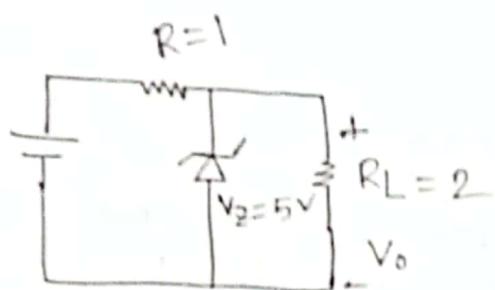
- यह topics एवं math solve करना चाहिए

शुभभाग विवरण यह एवं zenore diode
circuit बताएं,

$$V_o = \frac{R_L}{R_L + R} V_i \quad V_o = V_Z$$

$V_o \geq V_Z$ तरावते zenore diode दो ओर देखें

Problem

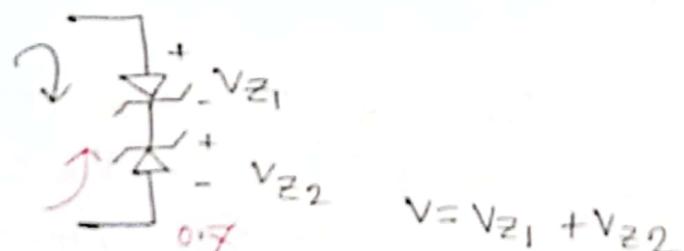


$$i = \frac{10 - 5}{1} = 5 \text{ mA}$$

09-11-2019

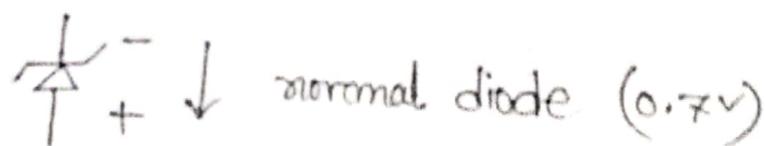
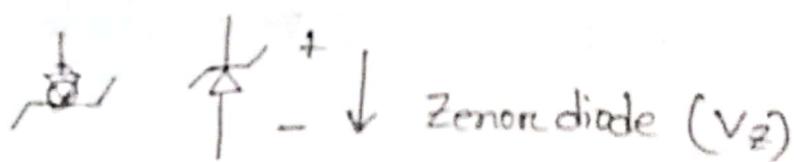
Voltage regulation : (voltage controller)

Two back to back zener diode is used as voltage regulator.



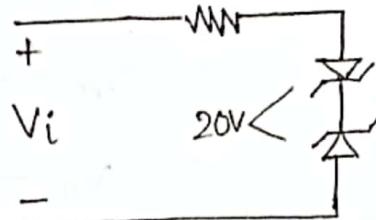
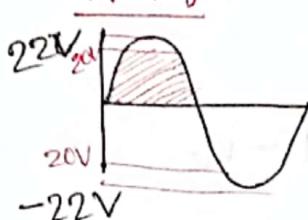
normal diode — one directional

zener diode — both directional

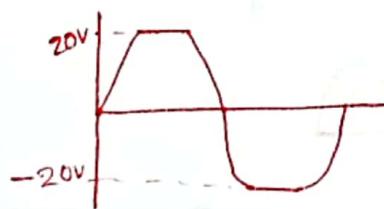


Boltzmann (Application of diode)

Math:

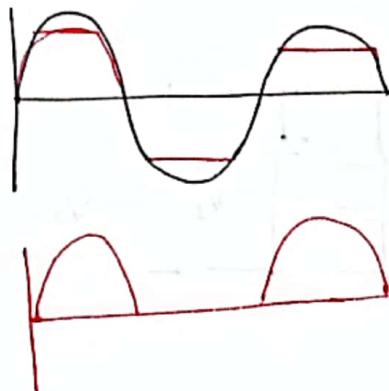


Q. output figure तर्कम 2वा?

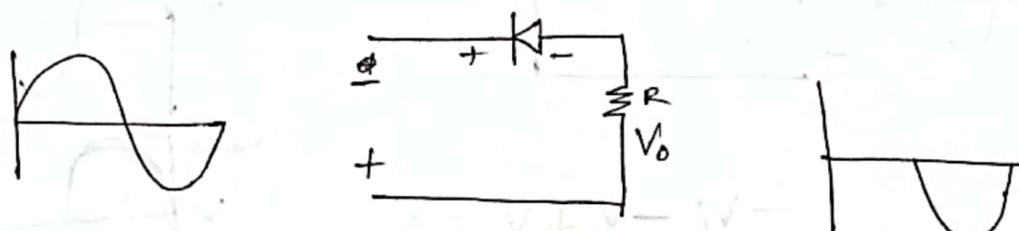


ए) zener diodes $\leq 20V$ के लिये active - १८

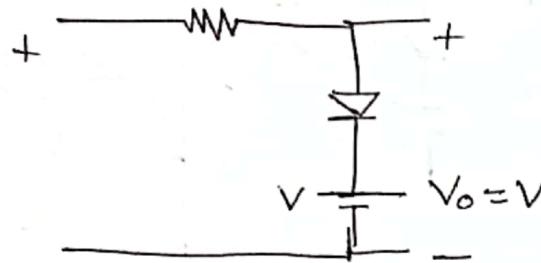
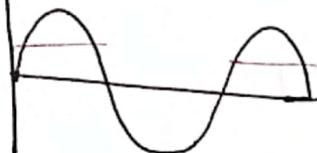
Clipper circuit : input/output figure drawing :



drawing output signal :

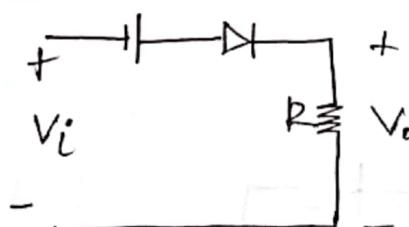
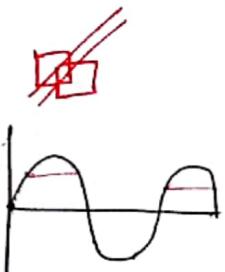
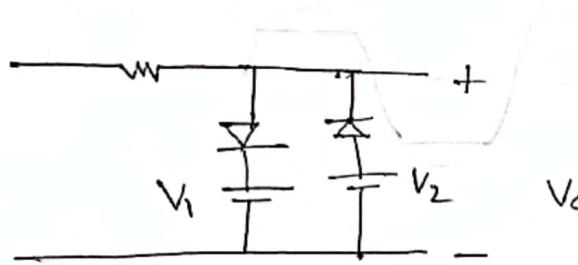
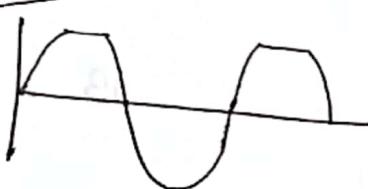


19

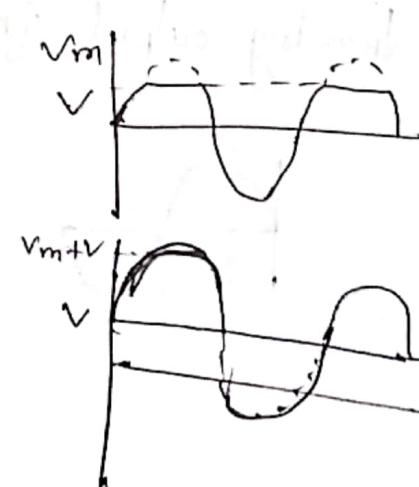
input

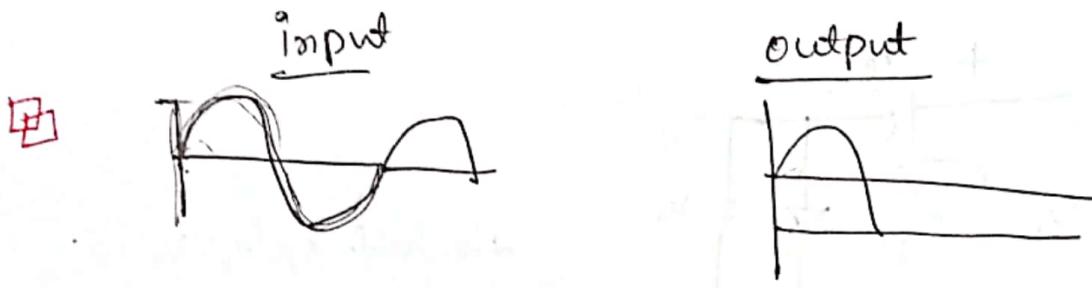
$$v_A > v_K$$

$$v_A \rightarrow \text{diode} \rightarrow v_K$$

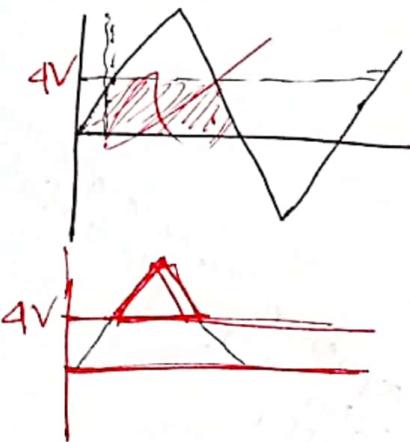
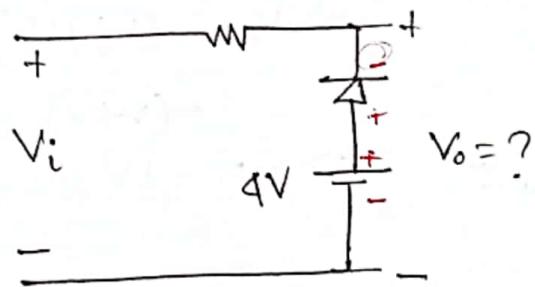
output:

$$\begin{aligned} -v_i - v + v_o &= 0 \\ \Rightarrow v_o &= v_i + v \\ \Rightarrow v_o &= v_m + v \end{aligned}$$



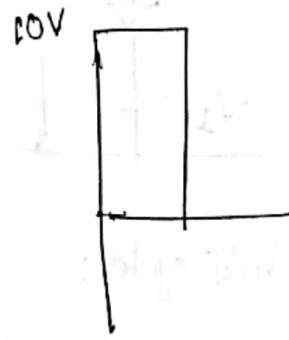
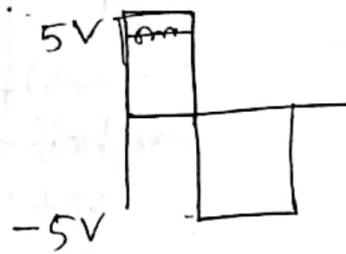


circuit draw কোর্ব !

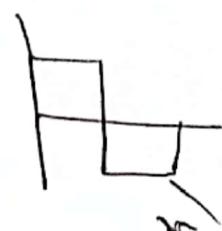


Clamper ckt's

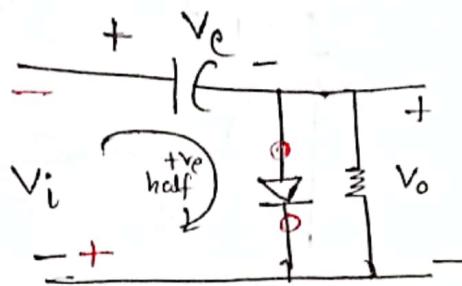
capacitor,
diode,
register ঘৰণা



~~1/2~~



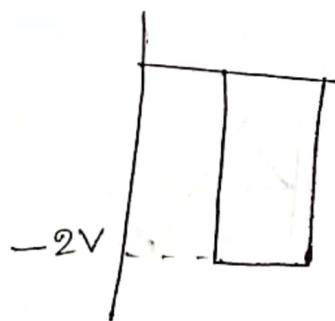
$\frac{1}{2}V_m, \frac{3}{2}V_m$



+ve half cycle; $V_o = 0$

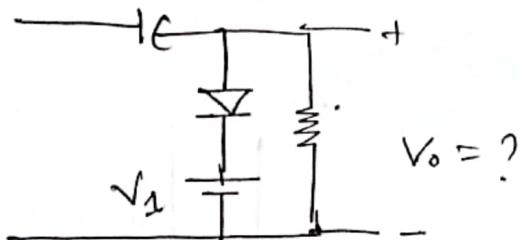
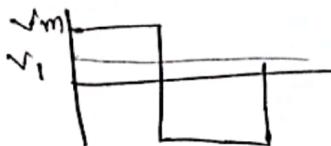
+ve half cycle: $-V_i + V_c = 0$
 $V_c = V_i = V$

-ve half cycle: $V_i + V_c + V_o = 0$
 $\Rightarrow V_o = -(V_i + V_c)$
 $= -(V + V)$
 $\Rightarrow V_o = -2V$



capacitor 2T cycle
 $\frac{1}{2}V_m$ 2T cycle
 $\frac{3}{2}V_m$ 2T cycle
 charge & discharge

~~1/2~~

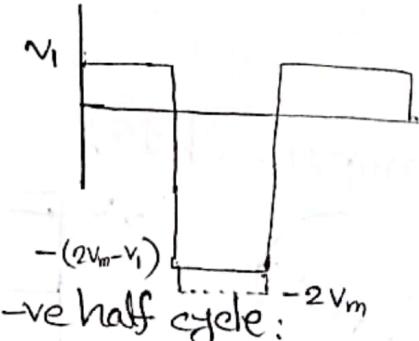


+ve half cycle:

$$\begin{aligned} V_o &= V_1 \\ -V_i + V_c + V_1 &= 0 \\ \Rightarrow V_c &= (V_i - V_1) \\ \Rightarrow V_c &= V_m - V_1 \end{aligned}$$

inset to teacher

MAC size:



-ve half cycle:

$$\begin{aligned} V_i + V_c + V_o &= 0 \\ \Rightarrow V_o &= -(V_i + V_c) \\ &= -(V_m + V_m - V_1) \\ &= -(2V_m - V_1) \end{aligned}$$

11-11-2019

Boilested book → practice

flipers, clumbers

half wave, full wave

short:

pn junction

n, p-type semiconductor ✓

energy band diagram

Intrinsic and Extrinsic semiconductor ✓

→ doping ✓

PNP, photodiode

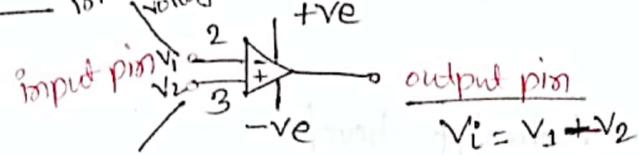
theristor

Alexander Sadike

OP-Amp

operation Amplifiers

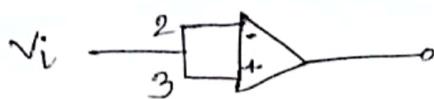
input & ← inverting
+ve front -ve,
-ve front +ve
output front



for OP-Amp ideal case,

$$\frac{V_o}{V_i} = A_c = 10^2 \text{ dB}$$

$$\frac{V_o}{V_1 - V_2} = A_d \text{ (differential gain)}$$



$$\frac{V_o}{V_i} = A_c \text{ (common mode gain)}$$

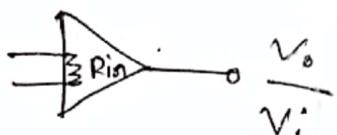
common mode Rejection Ratio = $\frac{A_d}{A_c}$

$$DR = 10 \log -$$

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Characteristic of Ideal Op-Amp

(i) Input resistance, $R_{in} = \infty$



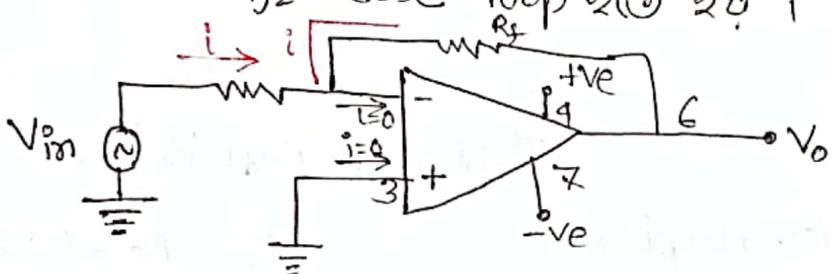
(ii) Output resistance, $R_{out} = 0$

(iii) Open loop voltage gain (A_v)_{OL} = ∞

(iv) Perfect Balance, if $V_{in} = 0$, $V_{out} = 0$

Inverting Amplifier:

Note: OP-Amp फिल्टर-मध्यन Amplifier design का यह
एकमात्र close loop रूप है।



(i) No input current

(ii) V_+ and V_- are virtually short.
pin 2 and pin 3

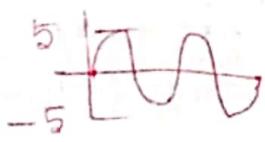
$$\frac{V_{in} - 0}{R} = i = \frac{0 - V_o}{R_f} \quad [0 > V_o]$$

$$\Rightarrow \frac{V_{in}}{R} = i = \frac{-V_o}{R_f}$$

$$\frac{V_o}{V_{in}} = \frac{-R_f}{R}$$

$$|A_v| = \frac{R_f}{R}$$

$$V_o = -\frac{R_f}{R} V_{in}$$

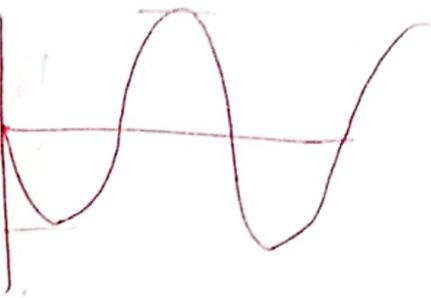


$$i=1 \\ R_f = 5 \\ V_o = ?$$

$$V_o = \frac{-5}{1} \cdot 5 \\ = -25 \text{ V}$$

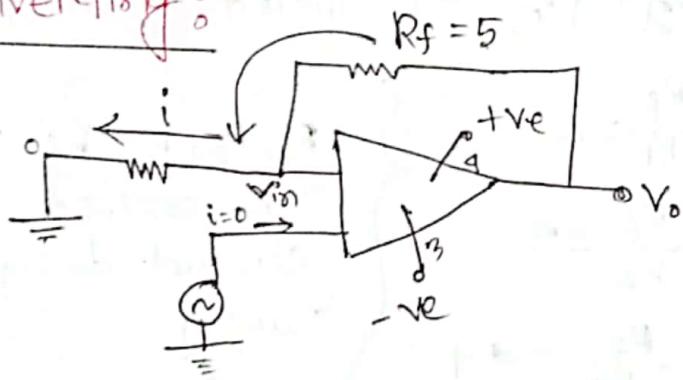
95

-25



inverting out +ve curr -ve curr

Non Inverting:



$$\frac{V_{in}-0}{R} = i \\ \frac{V_o-V_{in}}{R_f} = i$$

$$\frac{V_{in}-0}{R} = \frac{V_o - V_{in}}{R_f}$$

$$\Rightarrow \frac{V_{in}}{V_{in}} = 1 + \frac{R_f}{R}$$

$$AV = 1 + \frac{R_f}{R}$$

$$AV = 20 = 1 + \frac{R_f}{R}$$

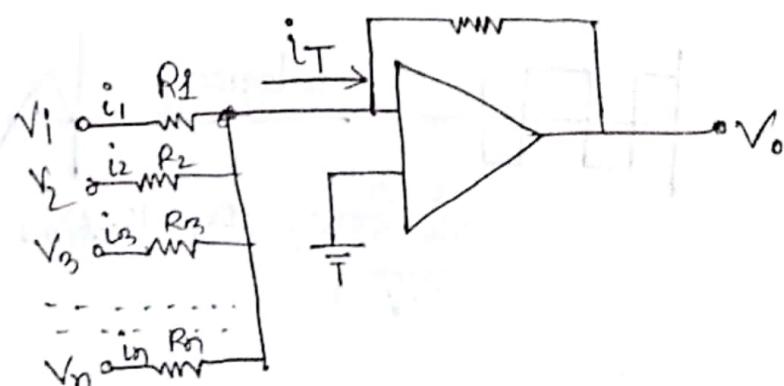
$$\frac{R_f}{R} = 1K$$

$$R_f = 10$$

Inverting Summer:

$$\frac{0 - V_o}{R_f} = \frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} + \dots + \frac{V_n}{R_n}$$

$$i_T = i_1 + i_2 + i_3 + \dots + i_n$$



$$R_1 = R_2 = R_3 = R_f$$

$$V_o = -R_f \left(\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} + \dots + \frac{V_n}{R_n} \right)$$

$$V_o = -\left(\frac{R_f}{R_1} V_1 + \frac{R_f}{R_2} V_2 + \frac{R_f}{R_3} V_3 + \dots + \frac{R_f}{R_n} V_n \right)$$

$$V_o = (V_1 + V_2 + V_3 + \dots + V_n)$$

$\frac{Q}{Q}$

$V_o = 2V_1 + 3V_2 + 4V_3$ के circuit को design करें।

$$\frac{R_f}{R_1} = 2$$

$$\frac{R_f}{R_2} = 3$$

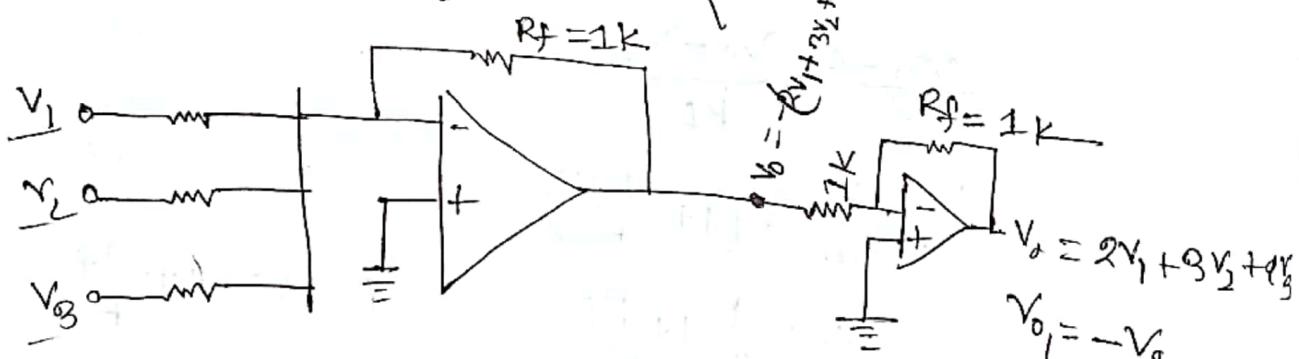
$$\frac{R_f}{R_3} = 4$$

R_1, R_2, R_3, R_f को

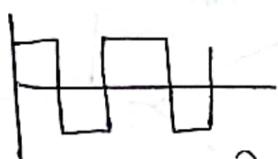
3 में से एक का

circuit design करें।

2 में से 1



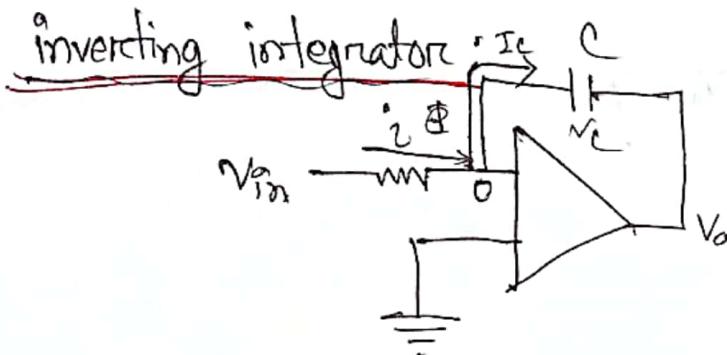
Inverting Integrator:



integrate



यह विद्युतीय Application है 'inverting integrator'



$$i = \frac{V_{in} - 0}{R}$$

$$i_C = C \frac{dV_C}{dt} \quad | \quad V_C = 0 - V_o = -V_o$$

$$\frac{V_{in}}{R} = -C \frac{dV_o}{dt}$$

$$\frac{dV_o}{dt} = -\frac{1}{RC} V_{in}$$

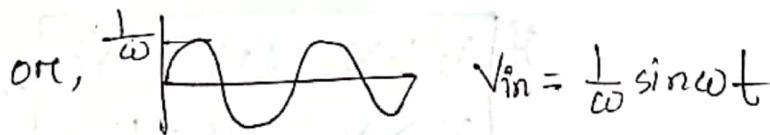
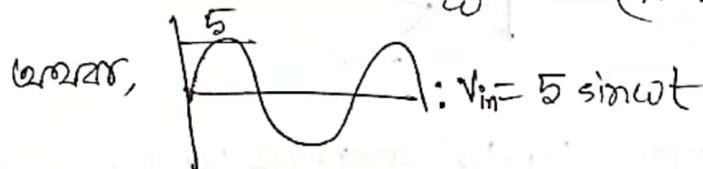
$$V_o = -\frac{1}{RC} \int V_{in} dt$$

Q $V_{in} = 5 \sin \omega t$ or

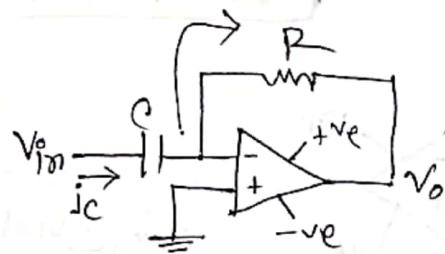
$$V_o = ? \quad R = 1k, C = 1mF$$

$$V_o = -\frac{1}{1} \int 5 \sin \omega t dt$$

$$= \frac{-5 \cos \omega t}{\omega} \quad (\text{Ans})$$

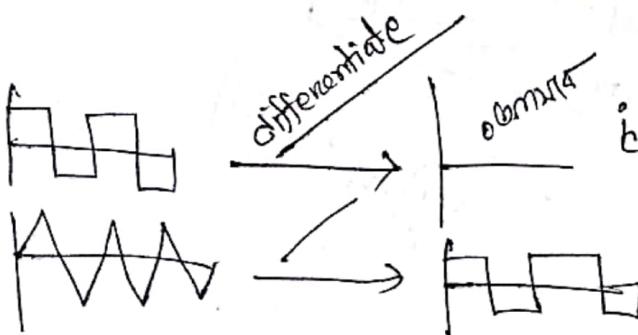


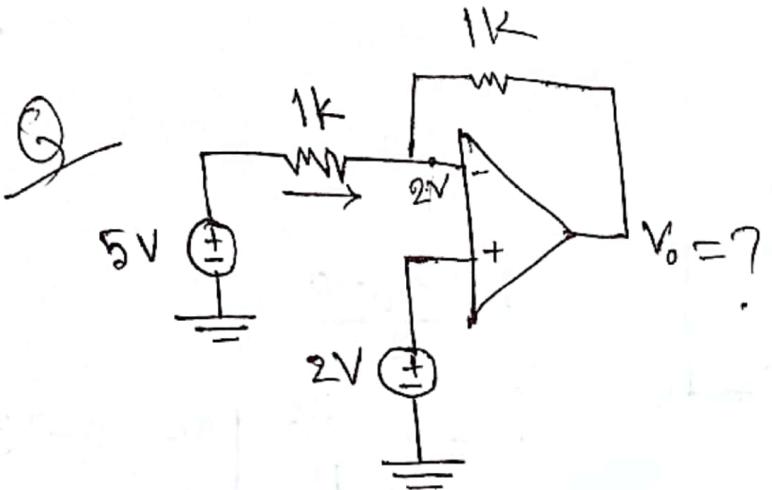
Inverting differentiation:



$$i = C \frac{dV_{in}}{dt} = \frac{0 - V_o}{R}$$

$$V_o = -RC \frac{dV_{in}}{dt}$$





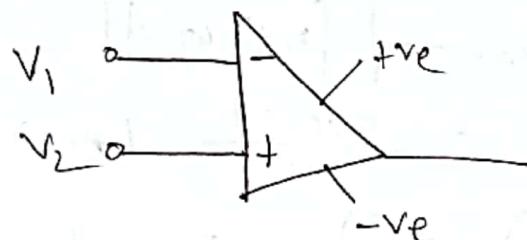
$$I = \frac{5-2}{1} = 3A$$

$$I = \frac{2-V_o}{1} = 3$$

$$\Rightarrow 2-V_o = 3$$

$$\therefore V_o = -1V$$

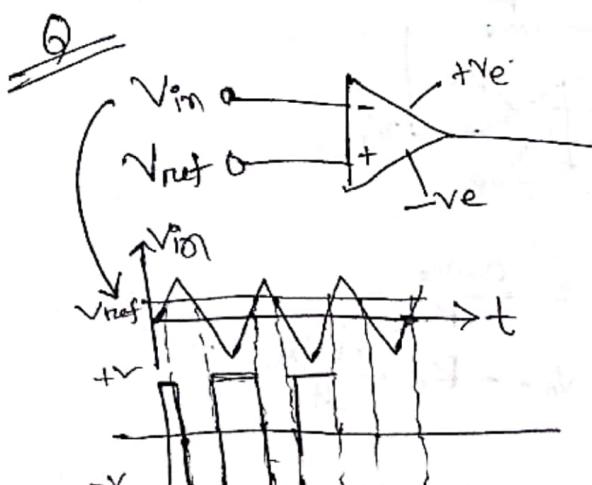
Comparators: (input, output openloop)



क्षणः V_1, V_2 compare करा,

if

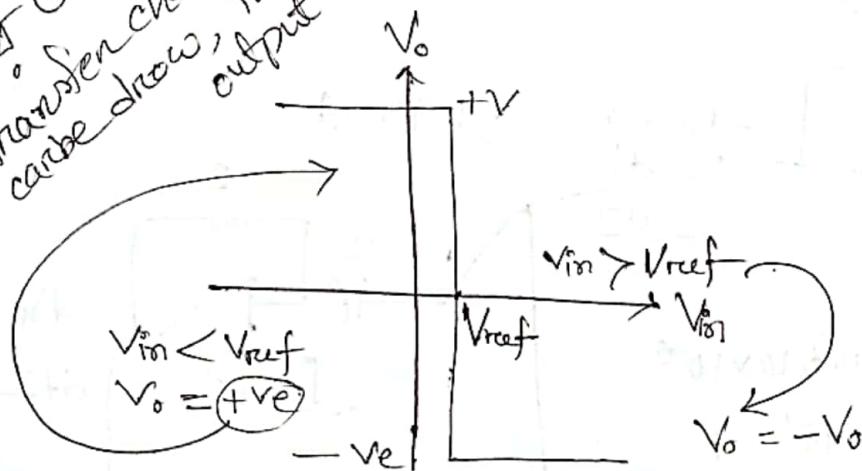
$V_1 > V_2 ; V_o = -ve$	✓. ✓. ✓
$V_2 > V_1 ; V_o = +ve$	



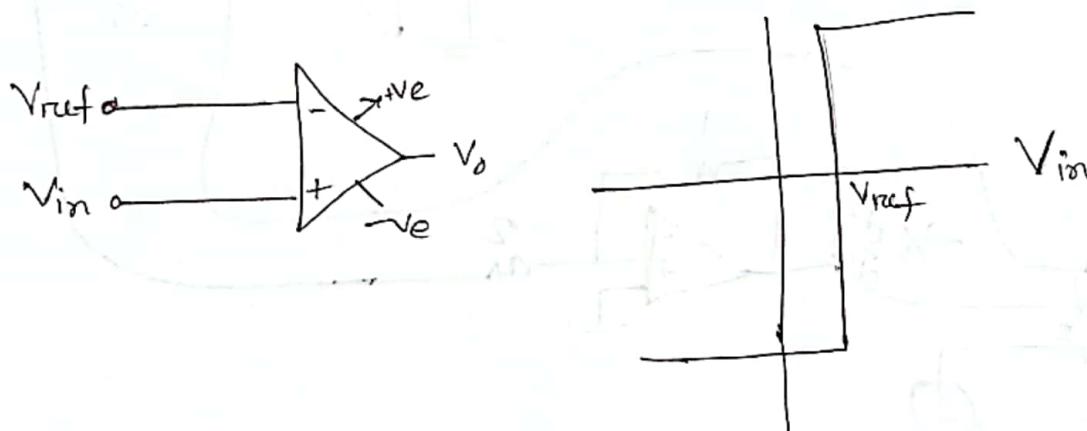
$V_{in} < V_{ref} \rightarrow V_o = +ve$
 $V_{in} > V_{ref} \rightarrow V_o = -ve$

प्रैक्टिकल
उपकरण

Op-Amp
transfer characteristics
carve draw, input
output



transfer characteristics curve



Alexander's saddle \rightarrow chapter-5 (OP-Amp) practice

Mid ~~2V~~ 2V

Computer circuit Design:

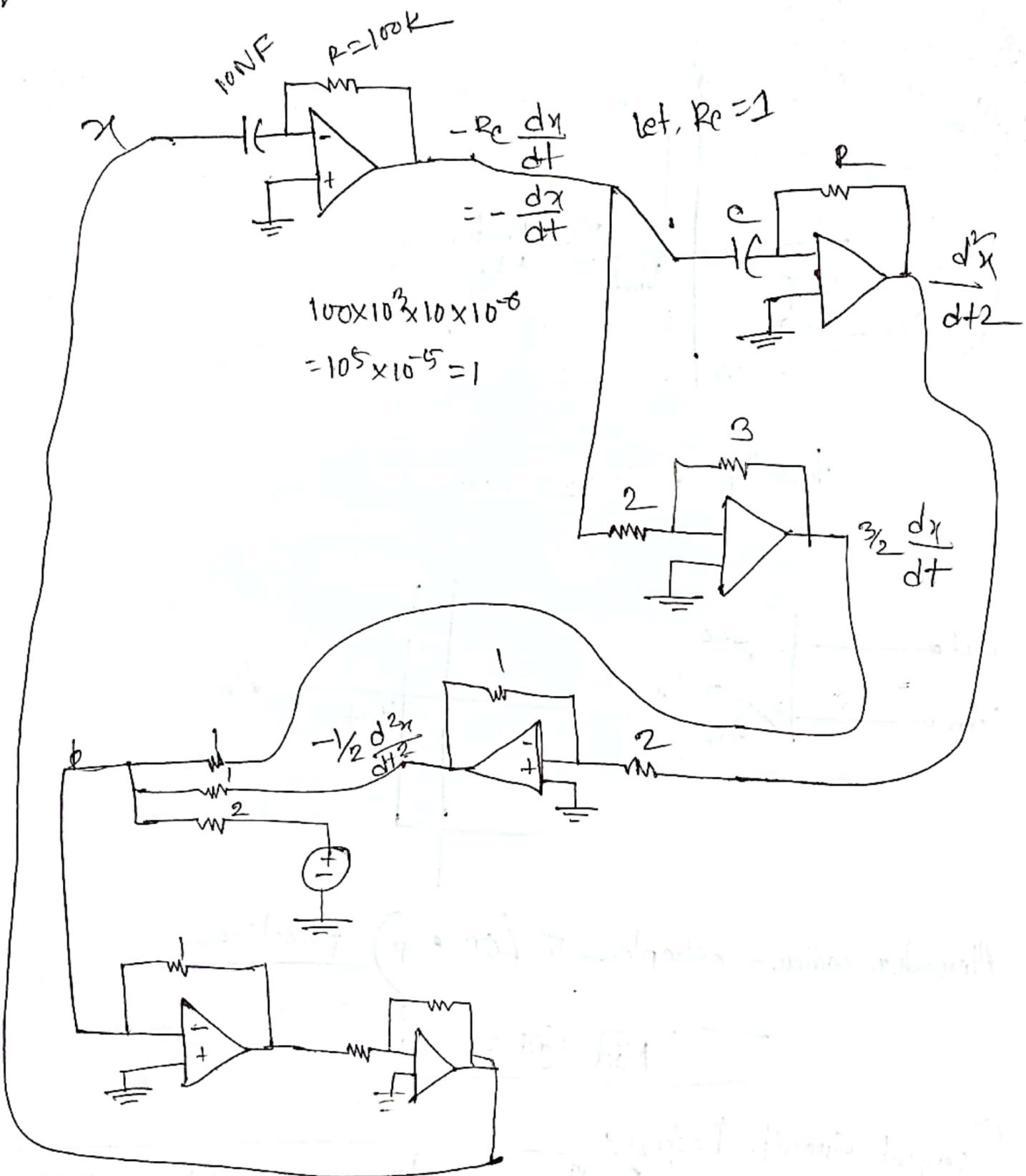
Op-Amp
filter
design

$$\frac{d^2x}{dt^2} - 3 \frac{dx}{dt} + 2x = 5 \quad \text{where } x \text{ is input}$$

$$\Rightarrow 2x = -\frac{d^2x}{dt^2} + 3 \frac{dx}{dt} + 5$$

$$\Rightarrow x = -\frac{1}{2} \frac{d^2x}{dt^2} + \frac{3}{2} \frac{dx}{dt} + \frac{5}{2}$$

25



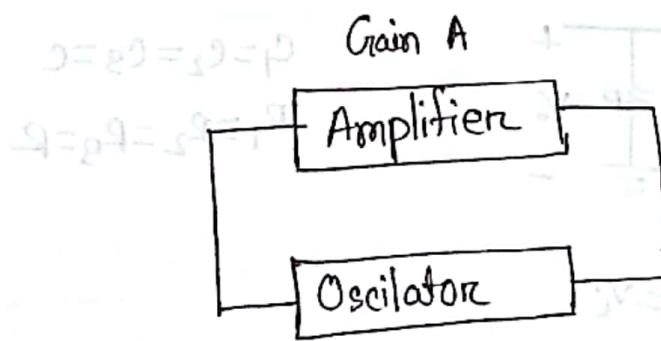
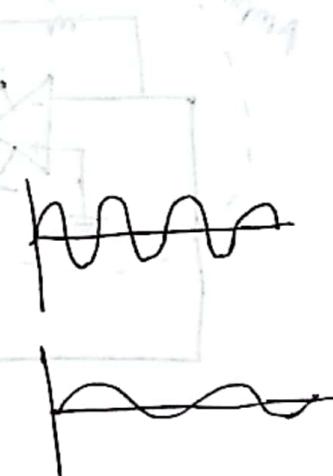
01-12-2019

Theory of Oscillator (sin Lecture 1st sheet)

Oscillator: is an electronic circuit that produces a periodic oscillating electronic signal, often a sine wave or a square wave.

- Oscillators convert DC from Power supply to AC
- Used in clock, generators, calculators, radio transmitter.
- Classified by the frequency of their output signal
 - Low frequency Oscillator
 - Audio frequency (20 Hz - 20000 Hz)
 - Radio frequency (RF)

অম্বিকা & frequency টাকে, specific একটির
বাহু রয়ে।



Grain B

AB → Loop Grain

$$\omega = \omega_0 - \alpha \left(\frac{1}{2\pi C} + \alpha^2 \right) : \text{L-parallel}$$

$$\frac{\omega}{\omega_0} = \alpha$$

Wavelength

Bark Hussen Criteria

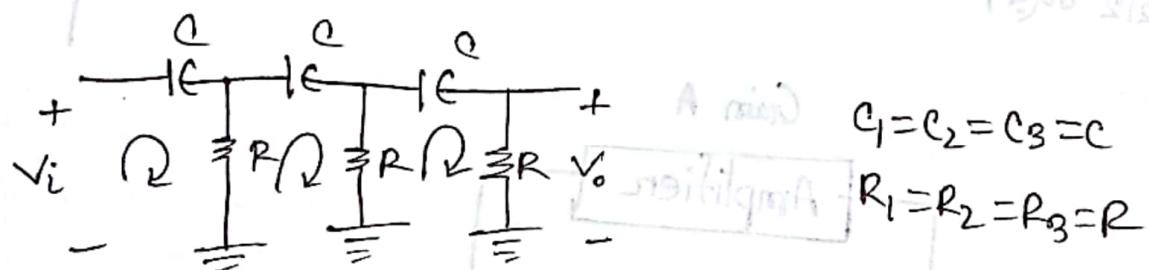
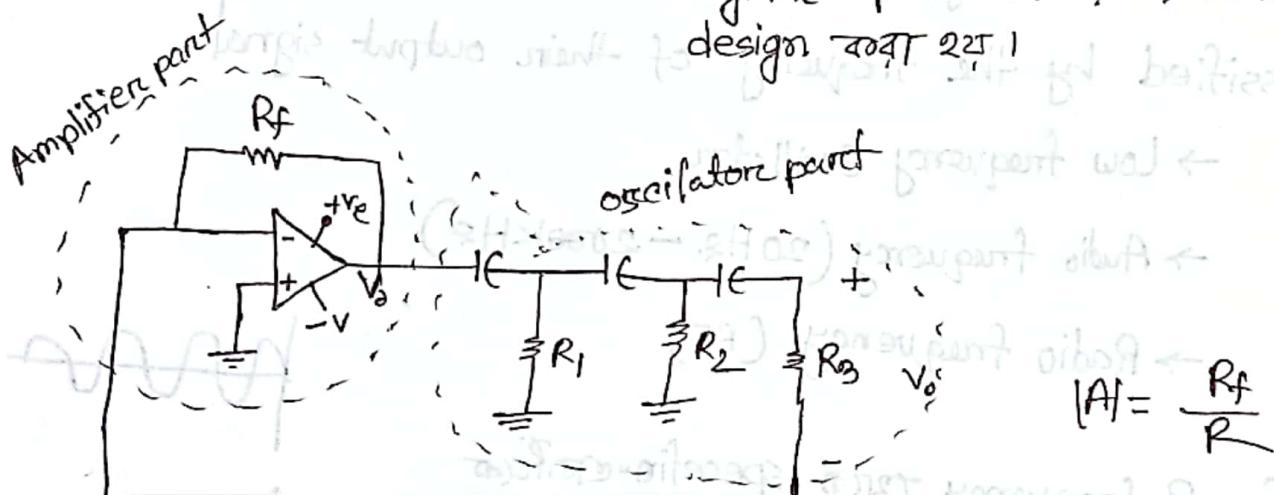
V, V, I

1. Total loop gain must be greater/or equal to 1

$$|AB| \geq 1$$

2. Total phase shift must be 0° or 360°

* Phase Shift Oscillator (RC oscillator)



$$\text{loop-1: } \left(R + \frac{1}{j\omega C}\right) i_1 - i_2 R = V_i$$

$$\text{loop-2: } \left(2R + \frac{1}{j\omega C}\right) i_2 - 4R i_3 = 0$$

$$\text{loop-3: } \left(2R + \frac{1}{j\omega C}\right) i_3 - i_2 R = 0$$

$$\rho = \frac{V_o}{V_i}$$

$$i_3 = \frac{S_3}{S} = \frac{\begin{vmatrix} R + \frac{1}{j\omega c} & -R & V_i \\ -R & 2R + \frac{1}{j\omega c} & 0 \\ 1 & -R & 0 \end{vmatrix}}{\begin{vmatrix} R + \frac{1}{j\omega c} & -R & 0 \\ -R & 2R + \frac{1}{j\omega c} & -R \\ 1 & -R & 2R + \frac{1}{j\omega c} \end{vmatrix}}$$

$$P = \frac{V_o}{V_i} = \frac{i_3 R}{V_i}$$

$$P = \frac{1}{\left(1 + \frac{5}{\omega^2 R^2 C^2}\right) - j\left(\frac{6}{\omega R C} - \frac{1}{\omega^3 R^3 C^3}\right)}$$

→ For 180° phase shift,

$$\frac{6}{\omega R C} - \frac{1}{\omega^3 R^3 C^3} = 0$$

$$\therefore \omega = \frac{1}{\sqrt{6} R C}$$

$$\therefore f = \frac{1}{2\pi \sqrt{6} R C}$$

$$P = \frac{1}{1 - \frac{5}{\omega^2 R^2 C^2}}$$

$$= \frac{1}{1 - \frac{5}{Y_6}}$$

$$|P| = -\frac{1}{29}$$

$$|AP| = 1$$

$$A = 29 = \frac{R_f}{R}$$

Circuit design:

$$C (0.001 \text{ MF} \approx 1 \text{ MF})$$

R দ্রুত্যা প্রাপ্ত

then, $R_f / 3$ এর বর্ধমান

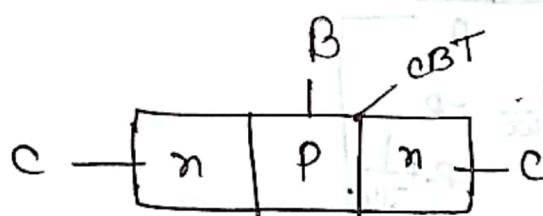
180° degree (পর্যবেক্ষণ করা হচ্ছে)
যেখানে মানে সমন্বয় করা হচ্ছে।

bridge oscillator self study

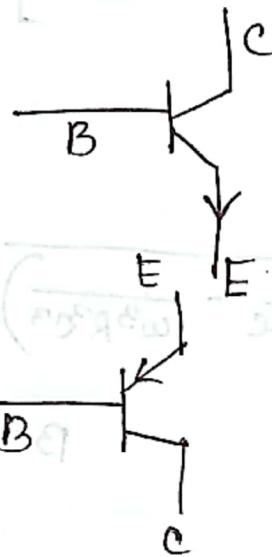
29
BJT AT DC

Micro Electronics → Math (मैथ) (लेख)

BJT - (Bipolar junction Transistor)



प्र० 9/5 टी
Example



Active/Saturation mode

$$V_{BE} = 0.7V$$

$$\left(\frac{1}{R_E + 1} \right) = \left(\frac{1}{R_C + 1} \right) = 9$$

state only 0.7V

$$0 = \frac{1}{R_E + 1} - \frac{1}{R_C + 1}$$

and

Cut off ~~active~~

EBJ
Forward

CBJ
Forward

and

Active

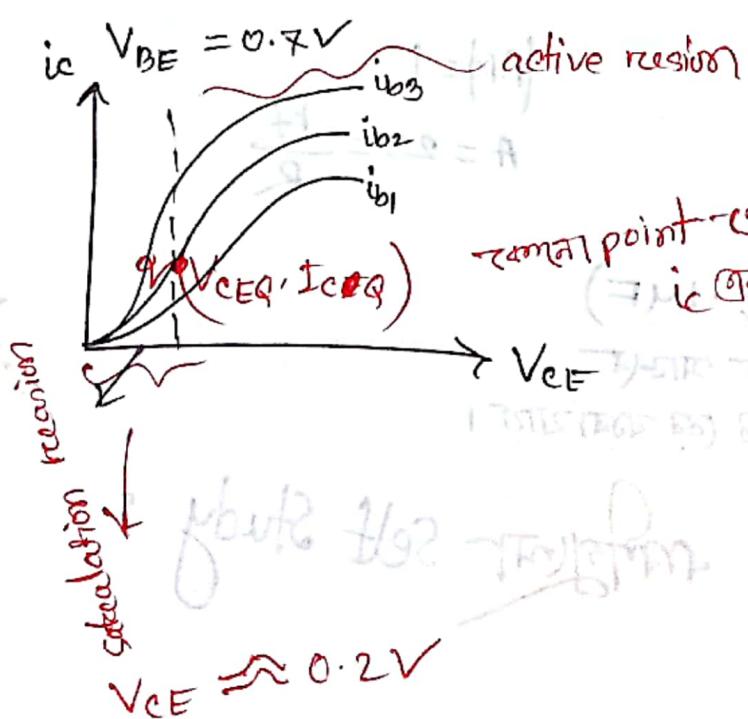
Forward

Forward Reverse (Amplifier)

Saturation

Forward

(switch)



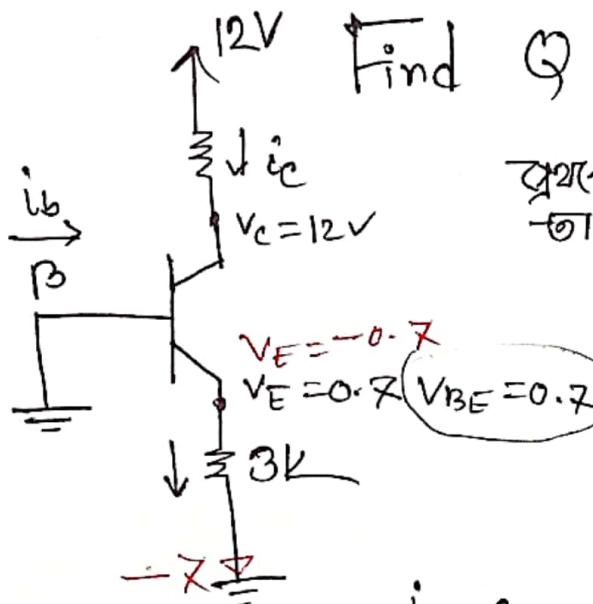
total point - V_{CE} value $2V$
 I_{CQ} value $2mA$
Q points

1. I_{CQ} R_{CE} R_E R_B

f_{BR} f_{F} f_{T}

$$V_{CE} \approx 0.2V$$

Find Q Point



প্রথম ক্ষেত্র mode এ আব
তা identify করতে হবে।

"ওয়ালা মাত্রই
কোনো সুন্দরী"

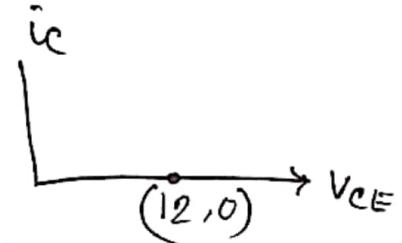
$$V_E = -0.7 \quad V_E = 0.7 \quad V_{BE} = 0.7$$

$$i_c = i_c + i_b$$

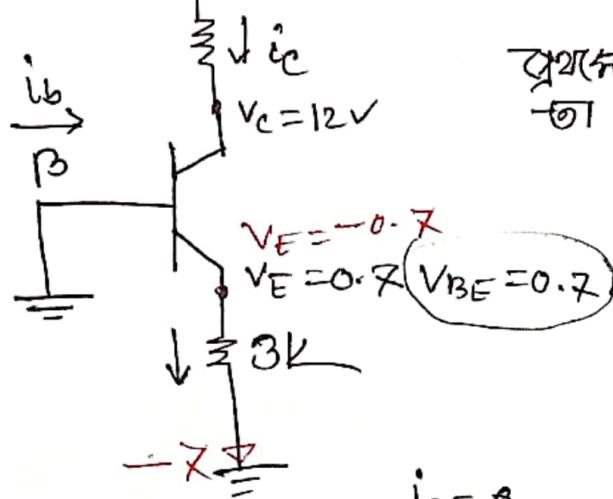
$$i_e = 0$$

$$V_{CE} = V_C - \frac{V_E}{12V}$$

$$i_E = \frac{-0.7 - (-5)}{3}$$



Find Q Point



દ્વારા ક્રમાનું મોડ અને વિનાય
થતી identify કરું જરૂરી

$$i_c = i_c + i_b$$

$$i_e = 0$$

$$V_{CE} = V_C - \frac{V_E}{12V}$$

$$i_E = \frac{-0.7 - (-5)}{3}$$

