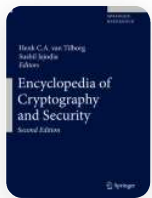


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Chaum Blind Signature Scheme

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Definition

The Chaum Blind Signature Scheme [[3](#), [4](#)], invented by David Chaum, was the first [blind signature](#) scheme proposed in the public literature.

Theory

The Chaum Blind Signature Scheme [3, 4] is based on the [RSA signature scheme](#) using the fact that RSA is an *automorphism* on \mathbb{Z}_n^* , the multiplicative group of units modulo an RSA integer $n = pq$, where n is the public modulus and p, q are safe RSA [prime numbers](#). The tuple (n, e) is the public verifying key, where e is a prime between 2^{16} and $\phi(n) = (p - 1)(q - 1)$, and the tuple (p, q, d) is the corresponding private key of the signer, where $d = e^{-1} \bmod \phi(n)$ is the signing exponent. The signer computes signatures by raising the hash value $H(m)$ of a given message m to the d th power modulo n , where $H(\cdot)$ is a publicly known collision resistant hash function. A recipient verifies a signature s for message m with respect...

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