NaturalLI: Natural Logic for Common Sense Reasoning

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Common Sense Reasoning

Cats play with yarn

Cats play with computers





Common Sense Reasoning

Cats play with yarn









Common Sense Reasoning for Vision

Dogs drive cars



People drive cars





Common Sense Reasoning for Vision

Dogs drive cars



People drive cars



Baseball is played underwater



Baseball is played on grass





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First-Order Logic

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All Greeks are men.

All men are mortal.

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Input: A query fact and a corpus of text snippets

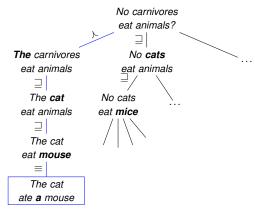
Output: The truth of the query



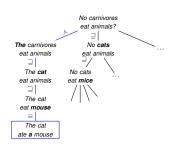
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Search over mutations from query:





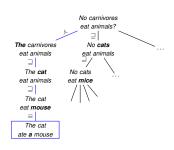


Each mutation has a cost c

- Low cost: some cats have tails ⇒ some felines have tails
- High cost: some cats have tails ⇒ some dogs have tails







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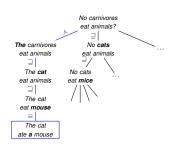
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Search gets better as we learn









Strictly better than querying a knowledge base

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- Checks logical entailment, not just fuzziness
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Sometimes even a bit clever



Thanks!



