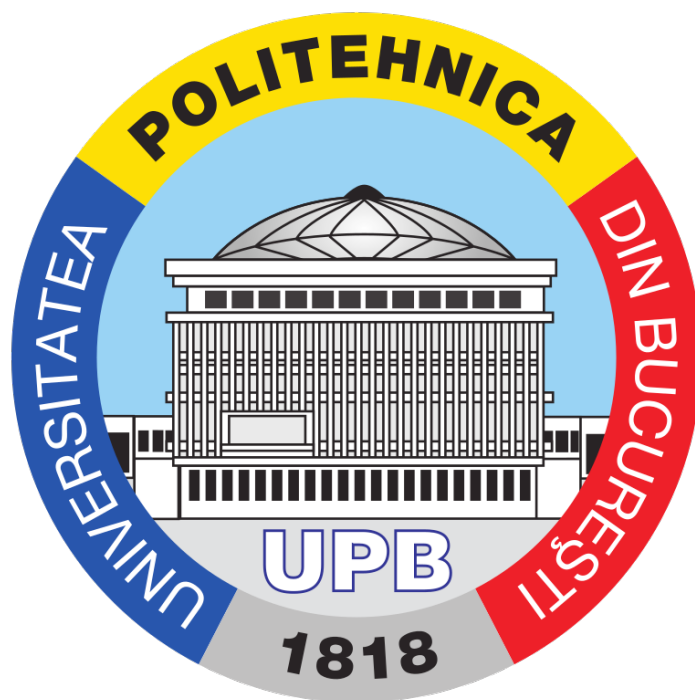


Tema 1

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- 324CC-



Date

$$m=16$$

$$R=(35+0.3m)k\Omega=39.8k\Omega$$

$$C=(20+0.5m)pF=28pF$$

$$R'=(30+0.5m)k\Omega=38k\Omega$$

$$R''=100k\Omega$$

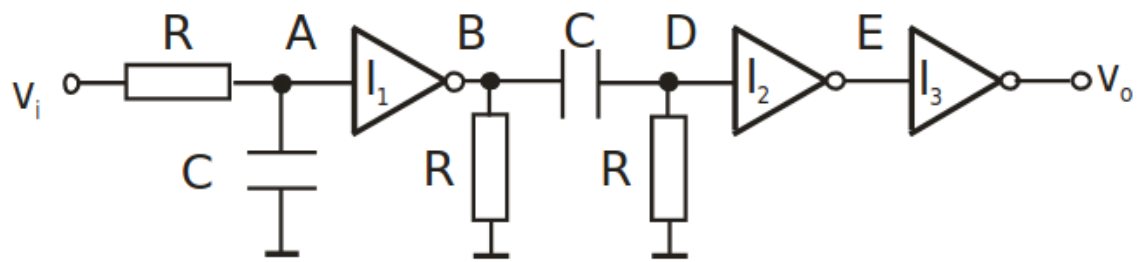
$$V_{DD}=11V$$

$$V_i=E_i=9V$$

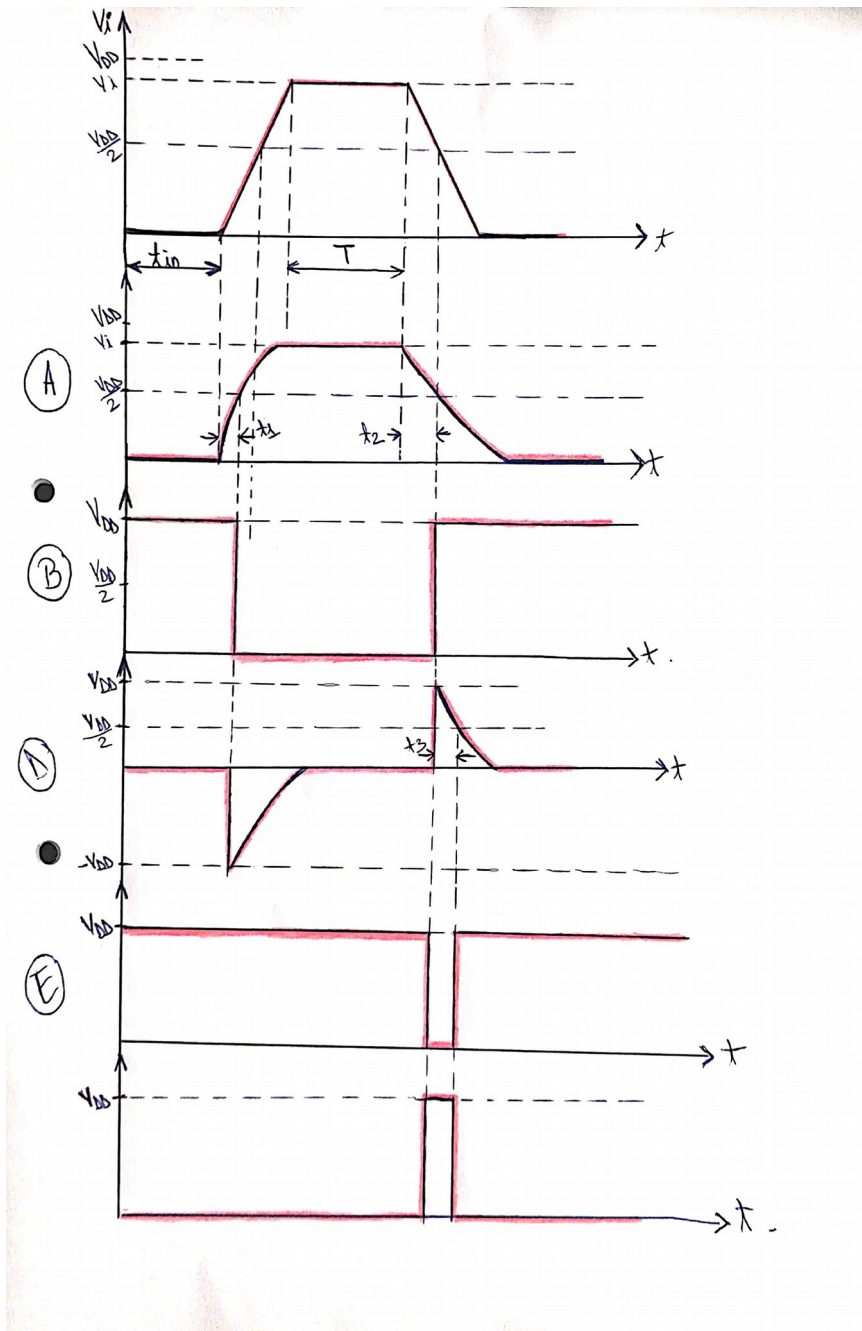
$$V_D=0.75V$$

$$t_r=t_f=10nS$$

Circuitul I



$$\tau = R \cdot C = 1114.4$$



A.

Comutatie pe front pozitiv $V(t_0^+) = V(t_0^-) = 0$

$$V_A(t) = V_i(1 - e^{-t/\tau}) \Rightarrow V_i e^{-t/\tau} = V_i - V_A(t) \Rightarrow e^{(-t/\tau)} = \frac{(V_i - V_A(t))}{V_i}$$

$$\text{Pentru } t = t_1 \Rightarrow V_A(t) = \frac{V_{DD}}{2}$$

$$\Rightarrow t_1 = \tau * \ln\left(\frac{V_{DD} - 2V_i}{2V_i}\right) = 1052.5 \text{ ns} \Rightarrow$$

$$\Rightarrow t_1 = 105.25 * 10^{-8} \text{ s}$$

Comutatie pe front negativ

$$V(t_0^+) = V(t_0^-) = V_i$$

$$V(\infty) = 0$$

$$V_A(t) = V_i e^{-t/\tau}$$

$$\text{Pentru } t = t_2 \Rightarrow V_A(t) = \frac{V_{DD}}{2} \Rightarrow \frac{V_{DD}}{2} = V_i e^{-t_2/\tau}$$

$$\Rightarrow t_2 = \tau \ln 2 \frac{V_i}{V_{DD}} = 551.3 * 10^{-9}$$

B.

$V_B = 11 \text{ V}$ cand inversorul este alimentat la V_{DD} .

Asadar dupa $t_{in} + t_1$, $V_B = 0 \text{ V}$ iar dupa $t_{in} + 5\frac{tr}{4} + T$, $V_B = 11 \text{ V}$

D.

$$V(t_0^-) = V(t_0^+) = -V_{DD} \quad (1)$$

$$V(\infty) = 0 \quad (2)$$

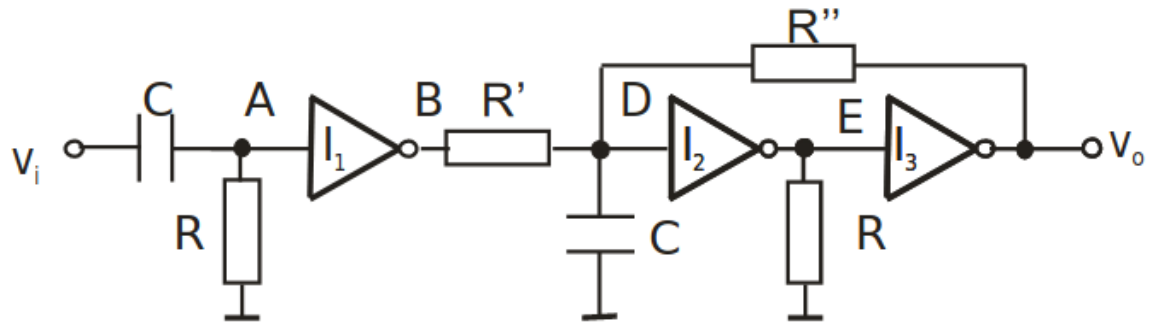
$$\text{Din (1) si (2)} \Rightarrow V_c(t) = -V_{DD} e^{-t/\tau}$$

E.

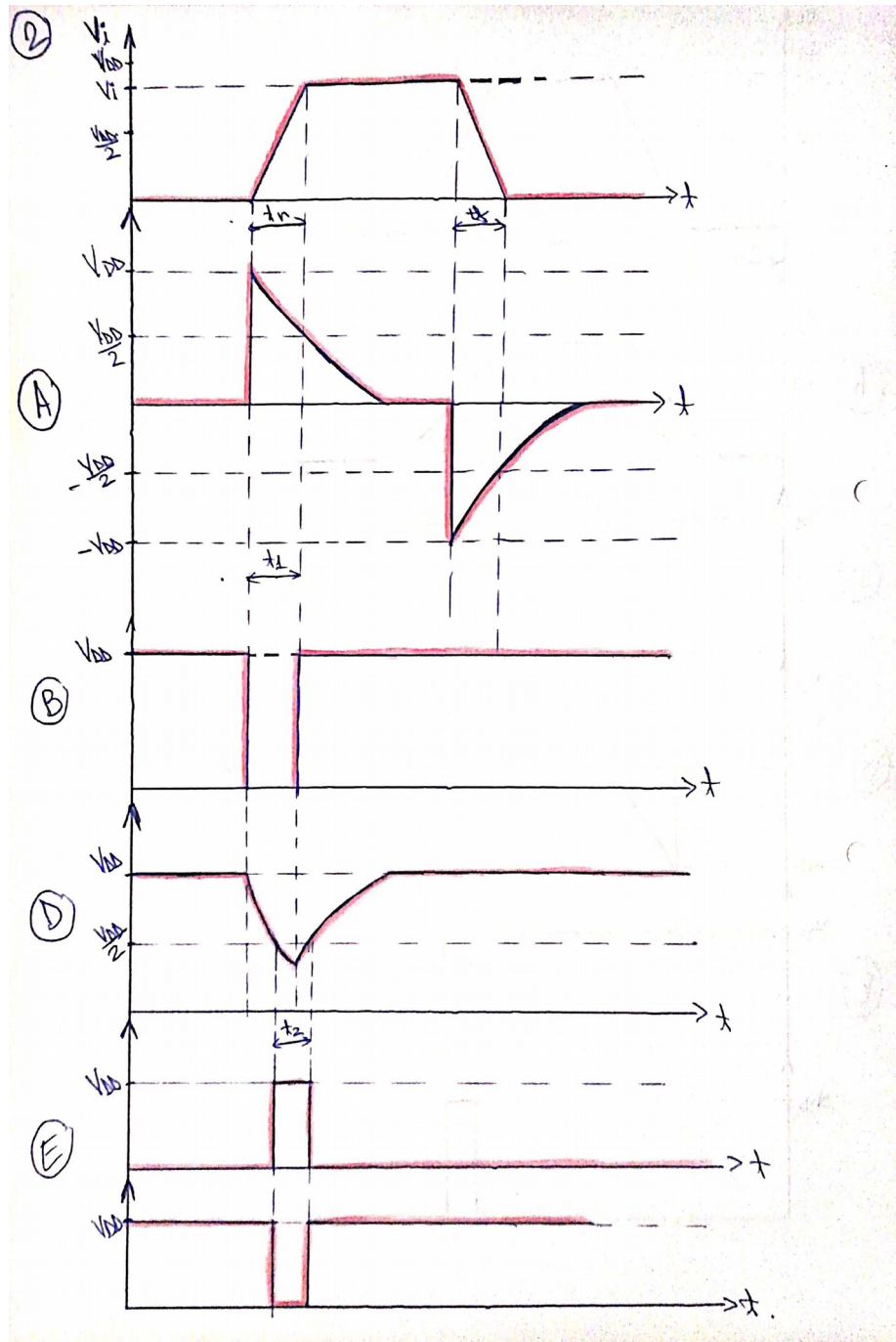
$$V_E = 11V$$

Timp de t_3 secunde semnalul va comuta la "0"logic iar mai apoi revine la "1"logic. La iesire semnalul ramane pe "1"logic doar in intervalul celor t_3 secunde, apoi revine la "0"logic.

Circuitul II



$$\tau = R \cdot C = 1114.4$$



A.

In momentul initial

$$V_A(t_0^+) = V_{DD} = 11V$$

$$V_A(\infty) = 0$$

$$\tau_A = R \cdot C = 1114.4 \Rightarrow V_A(t) = \frac{V_{DD}}{2}$$

$$\frac{t_1}{\tau_A} = \ln \left(\frac{2V_i}{V_{DD}} \right)$$

$$t_1 = \tau_A \ln \left(\frac{2V_i}{V_{DD}} \right) = 557.2 \text{ ns} \Rightarrow t_1 = 557.2 \cdot 10^{-9} \text{ s}$$

La urmatoarea comutatie : $V_A(t_0^+) = -V_i = -9V$

$$V_A(t) = -V_i e^{-t/\tau_A}$$

B.

$$V_B = V_{DD} = 11V$$

Dupa prima comutatie, timp de t_1 secunde $V_B = 0V$. Ulterior, V_B comuta inapoi in

$$V_B = V_{DD} = 11V$$

D.

$$V_D = \frac{R'' \cdot V_B}{R' + R''} + \frac{R' \cdot V_0}{R' + R''}$$

Fiind conectat la iesirea inversorului I_3 , V_0 poate avea doar doua valori, $0V$ sau $11V$

Cand $V_0 = 0V \Rightarrow$

$$V_D = R'' \cdot \frac{V_B}{R' + R''} \Rightarrow V_D = 8.03V$$

Cand $V_0 = 11V \Rightarrow V_D = \frac{R'' \cdot V_B + R' \cdot V_D}{R' + R''}$

$$V_D = \frac{R'' \cdot V_B + R' \cdot V_D}{R' + R''} \Rightarrow V_D = 11.33V$$

Deoarece $\tau_A > t_1$, VD nu apuca sa descreasca pana la $VD(\infty) = 0 \Rightarrow$ conform singularitatilor VD descreste suficient.

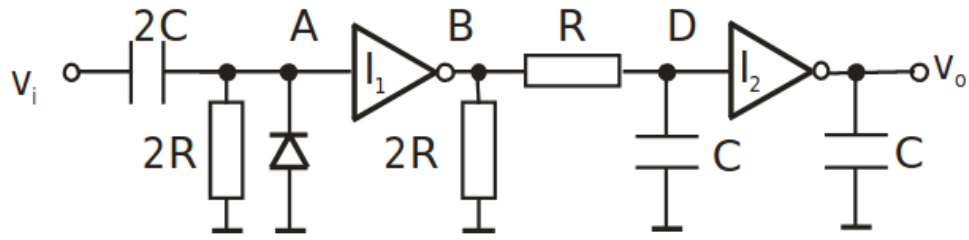
$$V_0(\infty) = 0V$$

$$VD(\infty) = \frac{R'' * VB(\infty)}{R' + R''} + \frac{R' * V_0(\infty)}{R' + R''} = 0 \Rightarrow VD(t) = VDD = V * e^{\frac{-t}{\tau_d}}$$

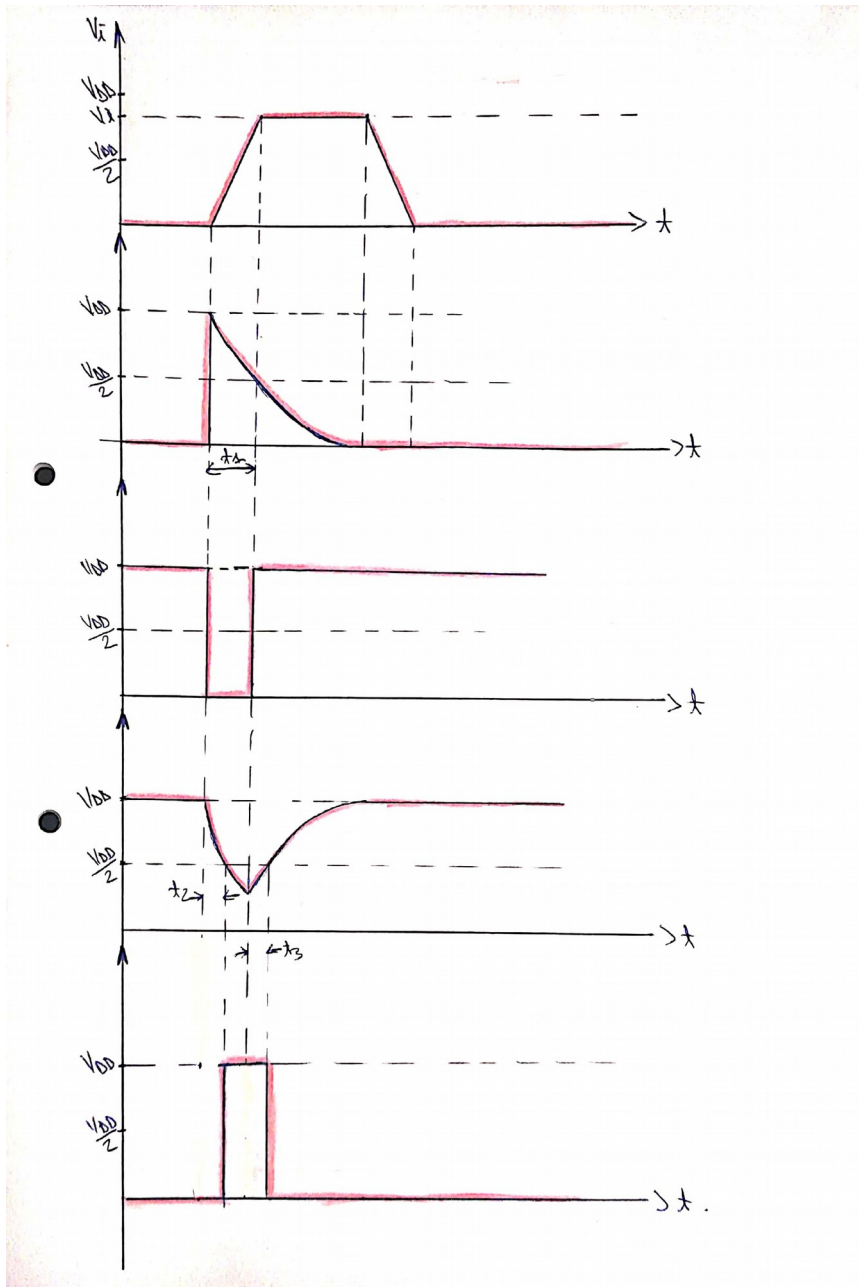
E.

initial VE = 0V si o sa comute pentru pentru putin timp la VE = VDD = 11V. Dupa o sa revina la 0V. Aceasta comutare se va repeta pe invers, adica VE trece din 11V in 0V, apoi iar in 11V.

Circuitul 3



$$\tau = 2R * 2C = 4457.6$$



A.

Comutatie pe front pozitiv $V_A(t_0^+) = V_i = 9V$; $V_A(\infty)=0$

$$V_i e^{-t/\tau} = V_A(t) \Rightarrow e^{(-t/\tau)} = \frac{V_A(t)}{V_i}$$

$$\text{Pentru } t=t_1 \Rightarrow V_A(t) = \frac{V_{DD}}{2}$$

$$\Rightarrow V_i e^{(-t_1/\tau)} = \frac{V_{DD}}{2} \Rightarrow t_1 = \tau * \ln\left(\frac{2V_i}{V_{DD}}\right) = 2228.8\text{ns} \Rightarrow$$

$$\Rightarrow t_1 = 222.88 * 10^{-8}\text{s}$$

Datorita diodelor conectata la masa, orice potential negativ din A va fi limitat la 0V. Deci nu va exista comutatie pe front negativ, chiar daca, datorita circuitului CR tensiunea din A scade sub 0V. $\Rightarrow V_A = 0V$

B.

Din grafic, in punctul B, V_B va comuta de la $V_{DD} = 11V$ la 0V timp de t_1 secunde. Ulterior, va reveni la valoarea de 11V.

D.

$$\tau_D = R * C = 1114.4 = 1114.4 * 10^{-9}\text{s}$$

t_1 se calculeaza analog cu circuitul 1, punctul A $\Rightarrow t_1 = 105.25 * 10^{-8}\text{s}$

$$V_D(t_0^+) = V_{DD} = 11V$$

$$V_D(\infty) = 0$$

$$\Rightarrow V_D(t) = V_{DD} e^{(-t/\tau_D)} \Rightarrow \frac{V_{DD}}{2} = V_{DD} e^{(-t_2/\tau_D)}$$

$$\Rightarrow t_2 \approx \tau_D \ln(2) \Rightarrow t_2 = 772.5\text{ns}$$

Deci VD va trece pragul logic si va descreste pana in punctul

$$V_D(t_1) = V_{DD} e^{\left(\frac{-t}{\tau_D}\right)} = 4.05V$$

Comutarea pe front pozitiv

$$V_D(t^+_0) = 4.05V$$

$$V_D(\infty) = 0$$

$$\Rightarrow V_D(t) = V_{DD} + (4.05 - V_{DD}) e^{\left(\frac{-t}{\tau_D}\right)}$$

Pentru $t = t_3$

$$V_D(t) = \frac{V_{DD}}{2} \Rightarrow \frac{V_{DD}}{2} = V_{DD} + (4.05 - V_{DD}) e^{\left(-t \frac{3}{\tau_D}\right)}$$

$$t_3 = \tau_D \ln \frac{2V_{DD} - 8.1}{V_{DD}} = \tau_D * 0.23 \Rightarrow t_3 = 256.321 \text{ ns}$$

Se va comuta de la 0V la 11V timp de $(t_1 - t_2) + t_3 = 586 \text{ ns.}$, ca mai apoi sa se comute din nou la 0V

Circuitul 4

