Missing Data

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Part 1.

```
treeage <- read.csv("~/Desktop/702 - Data modeling/treeage.txt")
library(mice)</pre>
```

a.

Create a dataset with 30% of the age values missing completely at random, leaving all values of diameter observed.

```
set.seed(12345)
treeage$age[sample(1:20, 6)] = NA
summary(treeage)
##
       number
                    diameter
                                     age
## Min. : 1.00 Min. : 5.700
                                 Min. : 61.00
## 1st Qu.: 5.75 1st Qu.: 7.975
                                 1st Qu.: 85.75
## Median :10.50 Median : 9.250
                                 Median : 99.00
## Mean :10.50 Mean : 9.405
                                 Mean :105.36
## 3rd Qu.:15.25 3rd Qu.:10.850
                                 3rd Qu.:118.50
## Max. :20.00 Max. :12.000
                                 Max. :168.00
                                 NA's
##
                                       :6
```

I created a seed = 12345, so the missing data will remain unchanged when generated adain. In this case, the rows 3,8, 14-17 contain missing values for age.

b.

```
treeMI50 = mice(treeage, m=50)
#look at the first couple of completed datasets
d1 = complete(treeMI50, 1)
d2 = complete(treeMI50, 2)
#Check the imputed values for age.
stripplot(treeMI50, age~.imp, col=c("grey",mdc(2),pch=c(1,20)))
```



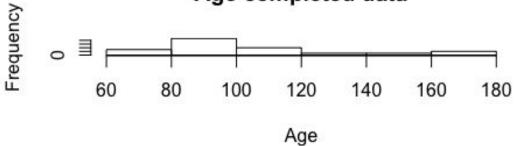
Imputation number

```
#Imputed values look reasonably close.

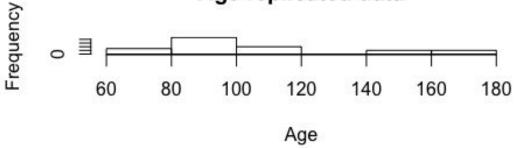
trees2MI50_bind = rbind(treeage, treeage)
trees2MI50_bind[21:40, 3] = NA
trees2MI50_bind_MI = mice(trees2MI50_bind, m=50)
d1ppcheck = complete(trees2MI50_bind_MI, 1)
d2ppcheck = complete(trees2MI50_bind_MI, 2)

par(mfcol=c(2,1))
hist(d1ppcheck$age[1:20], xlab = "Age", main = "Age completed data")
hist(d1ppcheck$age[21:40], xlab = "Age", main = "Age replicated data")
```



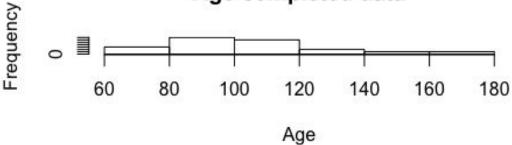


Age replicated data



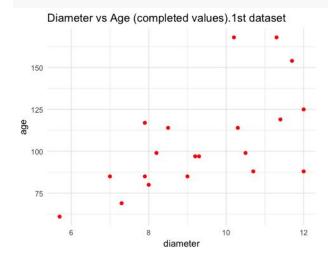
```
par(mfcol=c(2,1))
hist(d2ppcheck$age[1:20], xlab = "Age", main = "Age completed data")
hist(d2ppcheck$age[21:40], xlab = "Age", main = "Age replicated data")
```

Age completed data



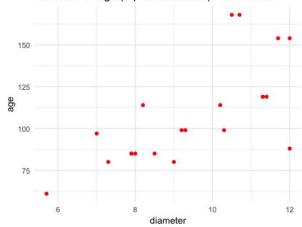
#Histograms of the completed and the replicated data look similar, what suggests that quality of the model meets expectations.

ggplot() + geom_point(data = d1ppcheck[c(1:20),], aes(diameter, age), colour = 'red')+ theme_minimal() + ggtitle('Diameter vs Age (completed values).1st dataset')

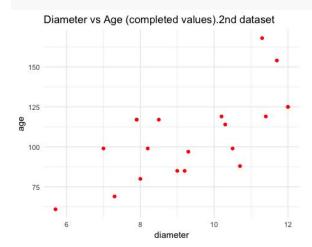


ggplot() + geom_point(data = d1ppcheck[c(21:40),], aes(diameter, age), colour = 'red')+ theme_minimal() + ggtitle('Diameter vs Age (replicated values). 1st dataset')

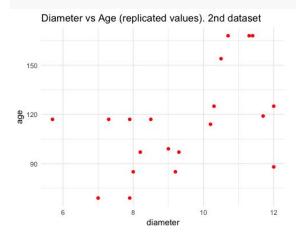




ggplot() + geom_point(data = d2ppcheck[c(1:20),], aes(diameter, age), colour = 'red')+ theme_minimal() + ggtitle('Diameter vs Age (completed values).2nd dataset')



ggplot() + geom_point(data = d2ppcheck[c(21:40),], aes(diameter, age), colour = 'red')+ theme_minimal() + ggtitle('Diameter vs Age (replicated values). 2nd dataset')

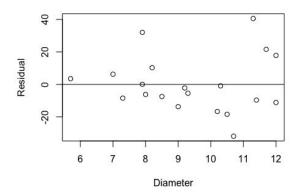


#Scatter plots also look similar.

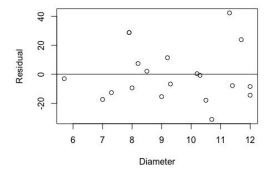
Graphs look similar to the initial data, so no transformation needed and we skip part d).

```
d).
```

```
#Check the residuals of the diameter for the first dataset.
plot(agereg1$residual, x = d1$diameter, xlab = "Diameter", ylab = "Residual")
abline(0,0)
```



```
#Check the residuals of the diameter for the second dataset.
agereg2 = lm(age~diameter, data = d2)
plot(agereg2$residual, x = d2$diameter, xlab = "Diameter", ylab = "Residual")
abline(0,0)
```



#In both cases residuals look good, however some non-constant variance can be observed, so, potentially, log transformation could be useful.

```
ageregMI50 = with(data=treeMI50, lm(age~diameter))
pool(ageregMI50)
## Class: mipo
                 m = 50
                                                       t dfcom
##
                estimate
                               ubar
                                            b
                                                                     df
## (Intercept) -0.1513858 615.671508 171.98472 791.095919
                                                            18 12.51520
## diameter
              11.0546928
                           6.718994
                                      2.19877
                                                8.961739
                                                            18 12.02246
```

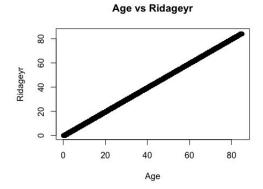
```
##
                    riv
                           lambda
                                        fmi
## (Intercept) 0.2849318 0.2217486 0.3220698
## diameter
             0.3337918 0.2502578 0.3500740
summary(agereg1, conf.int = T)
##
## Call:
## lm(formula = age ~ diameter, data = d1)
## Residuals:
##
      Min
               1Q Median
                               3Q
                                      Max
## -31.920 -10.034 -3.815
                            7.285 40.588
##
## Coefficients:
##
              Estimate Std. Error t value Pr(>|t|)
                           21.665 -0.632
## (Intercept) -13.688
                                             0.535
## diameter
                                    5.517 3.07e-05 ***
                12.487
                            2.263
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 18.04 on 18 degrees of freedom
## Multiple R-squared: 0.6284, Adjusted R-squared: 0.6078
## F-statistic: 30.44 on 1 and 18 DF, p-value: 3.074e-05
```

In general, the quality of this simple model is good.

Part 2. Multiple imputation in NHANES data.

```
#Read the file and substitute all dots for the NA's.
nhanes_bmi <- read.csv("~/Desktop/702 - Data modeling/nhanes.csv",
na.strings='.')
nhanes_bmi$wtmec2yr<-NULL
nhanes_bmi$sdmvstra<-NULL
nhanes_bmi$sdmvpsu<-NULL
sum(is.na(nhanes_bmi))/prod(dim(nhanes_bmi))
## [1] 0.09668708

9.67% of the missing values.
plot(x=nhanes_bmi$age,y=nhanes_bmi$ridageyr,xlab="Age",ylab="Ridageyr",main="Age vs Ridageyr")</pre>
```



Since age and ridageyr are highly correlated, we drop variable age because it contains missing values.

nhanes\$age<-NULL

Use MICE package for missing values.

```
library(mice)
bmi2MI10 = mice(nhanes, m=10)
```

Let's check the quality of the imputations for bmi.

#BMI

stripplot(bmi2MI10, bmxbmi~.imp, col=c("grey",mdc(2),pch=c(1,20)))

#Gender

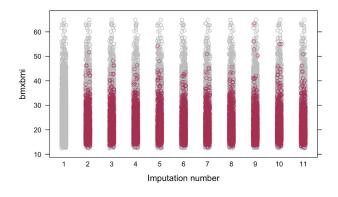
stripplot(bmi2MI10, bmxbmi~ridageyr|riagendr, col=c("grey",mdc(2),pch=c(1,20)))

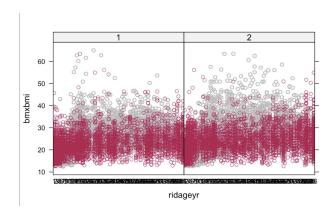
#Education

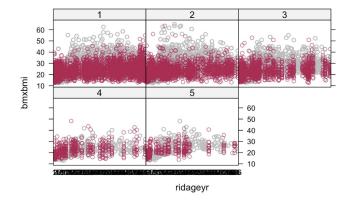
 $stripplot(bmi2MI10,bmxbmi \sim ridageyr | dmdeduc,col = c("grey",mdc(2),pch = c(1,20)))\\$

#Race

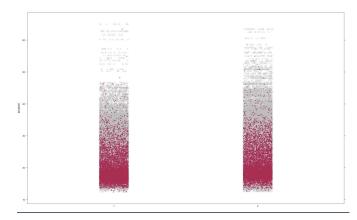
stripplot(bmi2MI10, bmxbmi~ridageyr|ridreth2, col=c("grey",mdc(2),pch=c(1,20)))

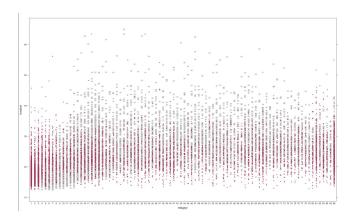






Imputed values look reasonable. Turn in graphical displays for bmxbmi (BMI measurement) by age and bmxbmi by riagendr (gender).





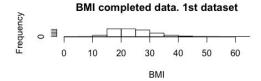
Let's check the quality of the imputed values.

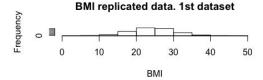
Make the histograms to see of the imputed values fit well.

```
check = rbind(nhanes_bmi, nhanes_bmi)
check[10123:20244, 4:11] = NA
checkMI = mice(check, m=10, defaultMethod = c("norm", "logreg", "polyreg",
   "polr"))

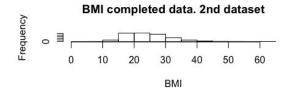
check1 = complete(checkMI, 1)
check2 = complete(checkMI, 2)

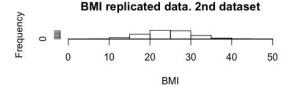
par(mfcol=c(2,1))
hist(check1$bmxbmi[1:10122], xlab = "BMI", main = "BMI completed data. 1st
dataset")
hist(check1$bmxbmi[10123:20244], xlab = "BMI", main = "BMI replicated data.
1st dataset")
```





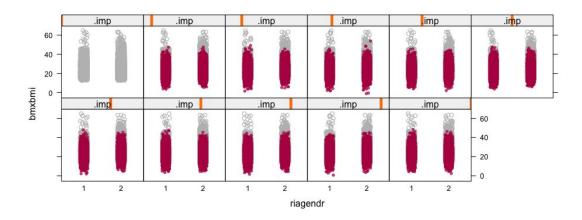
```
hist(check2$bmxbmi[1:10122], xlab = "BMI", main = "BMI completed data. 2nd
dataset")
hist(check2$bmxbmi[10123:20244], xlab = "BMI", main = "BMI replicated data.
2nd dataset")
```





Make scatter plots to check relationship bmi and age.

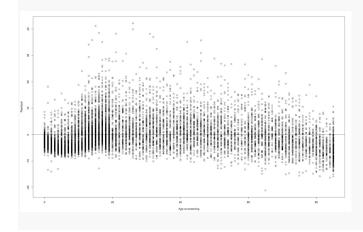
```
par(mfcol=c(2,1))
plot(check1$bmxbmi[1:10122]~check1$ridageyr[1:10122], ylab = "BMI", xlab =
"Ridageyr", main = "BMI vs Age completed data. 1st dataset")
plot(check1$bmxbmi[10123:20244]~check1$ridageyr[10123:20244], ylab = "BMI",
xlab = "Ridageyr", main = "BMI vs Age replicated data. 1st dataset")
plot(check2$bmxbmi[1:10122]~check2$ridageyr[1:10122], ylab = "BMI", xlab =
"Ridageyr", main = "BMI vs Age completed data. 2nd dataset")
plot(check2$bmxbmi[10123:20244]~check2$ridageyr[10123:20244], ylab = "BMI",
xlab = "Ridageyr", main = "BMI vs Age replicated data. 2nd dataset")
```

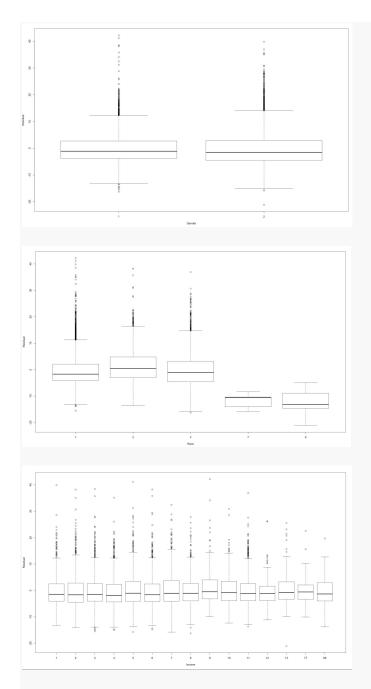


2. Run a model that predicts BMI from some subset of age, gender, race, education, marital status, and income. Apply the multiple imputation combining rules to obtain point and variance estimates for the regression parameters that account for missing data.

```
bmiregd1 = lm(bmxbmi \sim ridageyr + riagendr + ridreth2 + dmdeduc + indfminc, \, data = d1)
```

```
par(mfcol=c(2,2))
plot(bmiregd1$residual, x = d1$ridageyr, xlab = "Age at screening", ylab = "Residual")
abline(0,0)
boxplot(bmiregd1$residual~d1$riagendr, xlab = "Gender", ylab = "Residual")
boxplot(bmiregd1$residual~d1$dmdeduc, xlab = "Race", ylab = "Residual")
boxplot(bmiregd1$residual~d1$indfminc, xlab = "Income", ylab = "Residual")
```





finalreg = with(data=nhanes_bmi2MI10, lm(bmxbmi~ridageyr+ridreth2+dmdeduc+indfminc)) bmireg = pool(finalreg) summary(bmireg)

dma	deduc	indfminc	bmxwt	bmxbmi
•	: 0	11 :1495	80.9 : 26	16.07 : 13
1	:4478	6 :1214	70.4 : 24	18.94 : 13
2	:1462	3 :1148	59.6 : 23	22.14 : 13
3	:2422	5 : 913	68.4 : 23	25.53 : 13
7	: 5	7 : 909	69.6 : 23	24.1 : 12
9	: 11	4 : 893	(Other):9410	(Other):8623
NA'	s:1744	(Other):3550	NA's : 593	NA's :1435

Income potentially could be not a significant predictor.

```
finalreg = with(data=nhanes_bmi2MI10,
lm(bmxbmi~ridageyr+ridreth2+dmdeduc+indfminc))
finalreg_noincome = with(data=nhanes_bmi2MI10,
lm(bmxbmi~ridageyr+ridreth2+dmdeduc))
pool.compare(finalreg, finalreg_noincome)
summary(bmireg, conf.int = T)
```

```
estimate
                          std.error
                                     statistic
                                                      df
                                                              p.value
(Intercept) 18.528702800 0.209791152 88.3197532
                                                723.3469 0.000000e+00
            0.118454791 0.003056639 38.7532753
                                                223.2021 0.000000e+00
ridageyr
ridreth2
            0.251320864 0.063110181 3.9822555 1559.3702 7.041403e-05
dmdeduc
             1.128857444 0.079884114 14.1311882 244.9102 0.000000e+00
indfminc
            -0.002607009 0.005765496 -0.4521743 2267.9524 6.511867e-01
                  2.5 %
                            97.5 %
(Intercept) 18.11683054 18.94057506
ridageyr
            0.11243123 0.12447836
ridreth2
            0.12753110 0.37511063
dmdeduc
             0.97150990 1.28620498
indfminc
            -0.01391321 0.00869919
```

P-value = 0.44, so income is not important predictor. Overall, the quality of this model can be improved by transformation; however, the imputed values fall within the expected range.