Task1

September 28, 2024

```
[1]: import pandas as pd
   import plotly.io as pio
   import plotly.offline as pyo
   pyo.init_notebook_mode()
   from math import sqrt
   import numpy as np
   import seaborn as sns
   from matplotlib import pyplot as plt
   import warnings
   from matplotlib_dashboard import MatplotlibDashboard
   import duckdb
   import plotly.graph_objects as go
   warnings.filterwarnings("ignore")
   import math
```

1 Checking Data

[2]:	time	today	yesterday	same_day_last_week	avg_last_week	avg_last_month
0	00:00	9	12	11	6.42	4.85
1	01:00	3	5	1	1.85	1.92
2	02:00	1	0	0	0.28	0.82
3	03:00	1	0	0	0.42	0.46
4	04:00	0	0	1	0.42	0.21
5	05:00	1	1	2	1.28	0.75
6	06:00	1	1	5	2.85	2.28
7	07:00	2	3	9	5.57	5.21
8	08:00	0	1	18	8.71	10.42
9	09:00	2	9	30	20.00	19.07
10	10:00	55	51	45	29.42	28.35
11	11:00	36	44	38	33.71	28.50
12	12:00	51	39	39	27.57	25.42

```
13
    13:00
               36
                           41
                                                  43
                                                               25.85
                                                                                 24.21
    14:00
                                                               26.14
                                                                                 25.21
14
               32
                           35
                                                  36
15
    15:00
               51
                           35
                                                  49
                                                               28.14
                                                                                 27.71
    16:00
                                                                                 25.64
16
               41
                           36
                                                  48
                                                               27.71
17
    17:00
               45
                           30
                                                  29
                                                               20.42
                                                                                 22.28
    18:00
18
               32
                           25
                                                  25
                                                               21.57
                                                                                 18.28
19
    19:00
                                                  42
                                                               22.14
                                                                                 18.67
               33
                           39
    20:00
20
               25
                           24
                                                  34
                                                               17.42
                                                                                 18.92
21
    21:00
               30
                           35
                                                  34
                                                               18.71
                                                                                 17.57
22
    22:00
               28
                           29
                                                  23
                                                               15.42
                                                                                 15.64
23
    23:00
                           28
                                                                9.57
                                                                                  8.75
               11
                                                  10
```

[3]:	time	today	yesterday	same_day_last_week	avg_last_week	avg_last_month
0	00:00	6	9	5	5.000	4.92
1	01:00	3	3	2	2.000	1.92
2	02:00	3	1	2	0.420	0.75
3	03:00	0	1	1	0.420	0.46
4	04:00	0	0	0	0.140	0.21
5	05:00	2	1	1	0.710	0.71
6	06:00	3	1	2	1.420	2.10
7	07:00	10	2	9	3.000	5.03
8	08:00	25	0	12	3.710	9.82
9	09:00	36	2	27	10.140	17.64
10	10:00	43	55	42	26.140	28.57
11	11:00	44	36	47	25.000	28.28
12	12:00	46	51	46	24.000	25.89
13	13:00	45	36	31	20.280	24.17
14	14:00	19	32	35	19.570	24.89
15	15:00	0	51	42	22.427	27.78
16	16:00	0	41	36	21.570	25.53
17	17:00	0	45	19	17.710	22.67
18	18:00	13	32	29	16.850	18.46
19	19:00	32	33	29	18.000	18.21
20	20:00	23	25	17	12.140	18.53
21	21:00	28	30	23	14.850	17.82
22	22:00	29	28	17	12.710	15.50
23	23:00	17	11	14	8.280	8.75

We can see the entire dataset, and in both cases we have no missing values or out of place values. We will skip looking for errors in data

2 Analysing Data Similarity

We need to compare both files and check if they are from the same context/distribution. We can do this in 3 steps:

- Analyse Similarity in Distributions (Kolmogorov-Smirnov test)
- Covariance
- Correlation

But the data points we have are too few for this analysis, specially because the different hours have different behaviors. We will use our few data points to add in a Standard Deviation, since we have the mean to compare. With the standard deviation and the mean, we can simulate a distribution with more data points, and compare both files.

We will be using the monthly average because it has a larger population and is closer to reality. Standard deviation is calculated using different days presented in the data (today, yesterday, same day last week). It is not ideal to use the monthly average to measure the standard deviation of 3 days of data, but it is what we have.

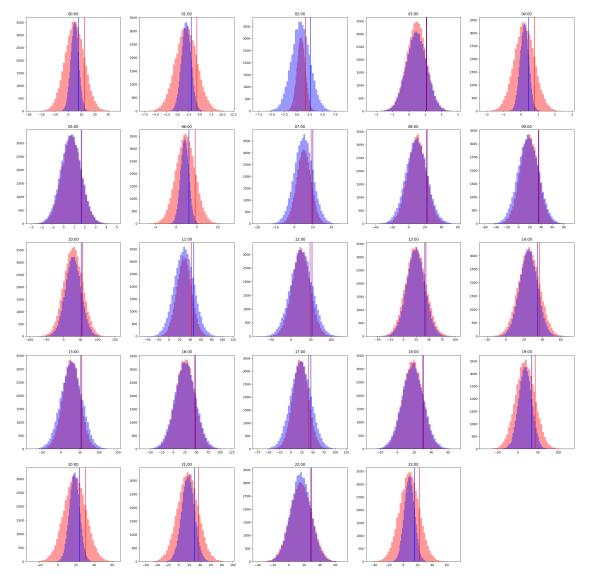
2.0.1 Simulated Distributions of Sales from each file p/hour

```
fig = plt.figure(figsize=(32,32))
fig.subplots_adjust(hspace=0.2, wspace=0.2)
for i in checkout_1.index:
    avg = checkout_1.loc[i, 'avg_last_month']
    std = checkout_1.loc[i, 'std_hour']
    group_1 = np.random.normal(loc=avg, scale=std, size=50000)
    avg = checkout_2.loc[i, 'avg_last_month']
    std = checkout_2.loc[i, 'std_hour']
    group_2 = np.random.normal(loc=avg, scale=std, size=50000)
```

```
ax = fig.add_subplot(5, 5, i+1)

sns.distplot(group_1, kde=False, ax=ax, color='red')
ax.axvline(np.mean(group_1) + np.std(group_1), color='red')
sns.distplot(group_2, kde=False, ax=ax, color='blue')
ax.axvline(np.mean(group_2) + np.std(group_2), color='blue')
ax.set_title(str(checkout_1.loc[i, 'time']))

plt.show()
```



2.1 Kolmogorov-Smirnov

The Kolmogorov-Smirnov 2 sample test evaluates the likelihood of 2 samples being sampled from the same distribution, giving a p value to accept or reject the hypothesis. P values above 0.05 (5% significance) are considered accepting of the null hypothesis i.e. the 2 samples are sampled from very similar distributions.

```
00:00
         1.2672018670773729e-27
                                                  Null Hypothesis:
                                                                    False
01:00
         6.6131216618004355e-18
                                                 Null Hypothesis:
                                                                    False
02:00
         6.954764781424622e-15
                                         Null Hypothesis:
                                                           False
                                         Null Hypothesis:
03:00
         0.9357699014782725
                                                            True
                                                 Null Hypothesis:
04:00
         1.1979681866777803e-20
                                                                    False
                                         Null Hypothesis:
05:00
         0.37012017606173
                                                            True
                                         Null Hypothesis:
06:00
         5.032549473768586e-16
                                                            False
                                         Null Hypothesis:
07:00
         0.002393409648884169
                                                            False
                                         Null Hypothesis:
08:00
         0.37012017606173
                                                            True
09:00
         0.3136800387320582
                                         Null Hypothesis:
                                                            True
10:00
                                         Null Hypothesis:
         0.07761108123267829
                                                            True
11:00
                                         Null Hypothesis:
                                                            False
         0.0038826726503625613
                                         Null Hypothesis:
12:00
         0.012912352230759101
                                                            False
                                         Null Hypothesis:
13:00
         0.43260886958153144
                                                            True
14:00
         0.14836452078962484
                                         Null Hypothesis:
                                                            True
15:00
         0.06917625399020766
                                         Null Hypothesis:
                                                            True
                                         Null Hypothesis:
16:00
         0.13385273551786803
                                                            True
17:00
                                         Null Hypothesis:
                                                            False
         0.017090148468768534
                                         Null Hypothesis:
18:00
         0.26347172719864703
                                                            True
                                         Null Hypothesis:
19:00
         2.798513019401821e-06
                                                            False
                                         Null Hypothesis:
20:00
                                                            False
         6.954764781424622e-15
21:00
                                         Null Hypothesis:
         7.709567304002036e-09
                                                            False
                                         Null Hypothesis:
22:00
         0.37012017606173
                                                            True
23:00
         2.6255784492506013e-11
                                                  Null Hypothesis:
                                                                    False
```

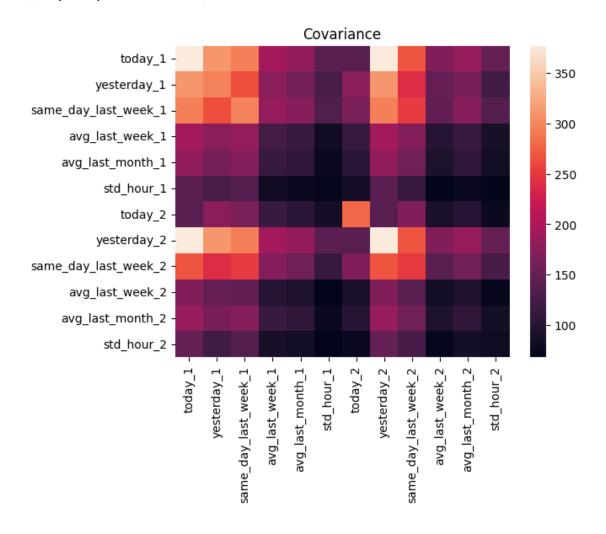
In a lot of cases The p-value is greater than 0.05, which means it is likely that both samples were taken from the same ditribution. Which means the distributions are similar.

2.2 Covariance

```
[7]: joined_df = pd.merge(checkout_1, checkout_2, on='time', suffixes=['_1','_2'])

ax = sns.heatmap(joined_df.drop('time', axis=1).cov())
plt.title('Covariance')
```

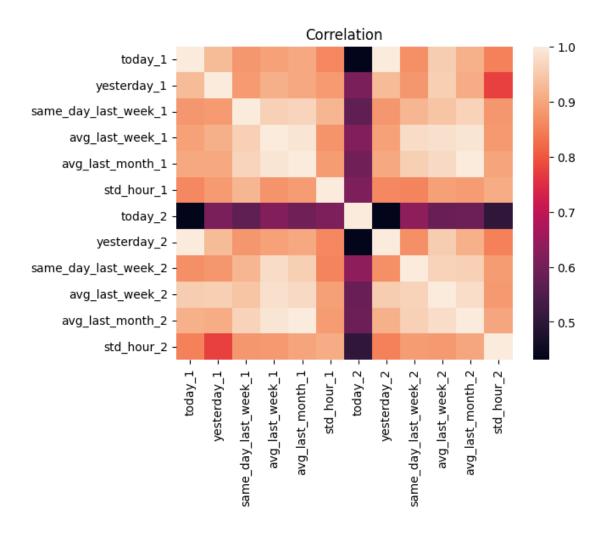
[7]: Text(0.5, 1.0, 'Covariance')



2.3 Correlation

```
[8]: sns.heatmap(joined_df.drop('time', axis=1).corr())
plt.title('Correlation')
```

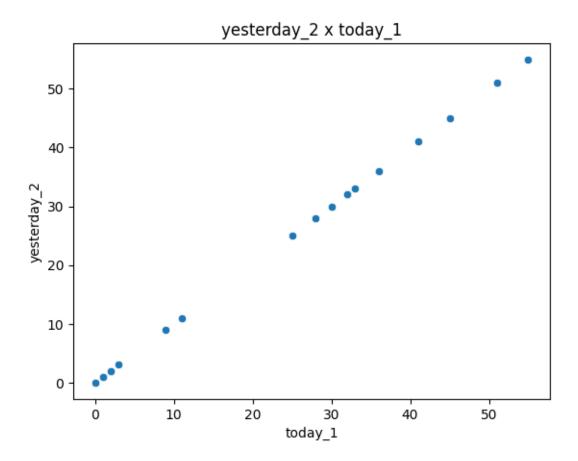
[8]: Text(0.5, 1.0, 'Correlation')



Notes:

- The column today2 has a high lack of covariance and correlation, especially when compared to the other columns, this indicates an anomolous behavior
- yesterday_2 and today_1 have a high correlation, that can mean they are the same and the files are from consecutive days

```
[9]: ax = sns.scatterplot(x=joined_df.today_1, y=joined_df.yesterday_2)
plt.title('yesterday_2 x today_1')
plt.show()
```



It is a perfect 1 to 1. We will concatenate the dataframes in sequence for further analysis

```
[10]: main_df = pd.concat([checkout_1, checkout_2])
main_df
```

[10]:	time	today	yesterday	same_day_last_week	avg_last_week \	
0	00:00	9	12	11	6.420	
1	01:00	3	5	1	1.850	
2	02:00	1	0	0	0.280	
3	03:00	1	0	0	0.420	
4	04:00	0	0	1	0.420	
5	05:00	1	1	2	1.280	
6	06:00	1	1	5	2.850	
7	07:00	2	3	9	5.570	
8	08:00	0	1	18	8.710	
9	09:00	2	9	30	20.000	
10	10:00	55	51	45	29.420	
11	11:00	36	44	38	33.710	
12	2 12:00	51	39	39	27.570	
13	3 13:00	36	41	43	25.850	

14	14:00	32	35	36	26.140
15	15:00	51	35	49	28.140
16	16:00	41	36	48	27.710
17	17:00	45	30	29	20.420
18	18:00	32	25	25	21.570
19	19:00	33	39	42	22.140
20	20:00	25	24	34	17.420
21	21:00	30	35	34	18.710
22	22:00	28	29	23	15.420
23	23:00	11	28	10	9.570
0	00:00	6	9	5	5.000
1	01:00	3	3	2	2.000
2	02:00	3	1	2	0.420
3	03:00	0	1	1	0.420
4	04:00	0	0	0	0.140
5	05:00	2	1	1	0.710
6	06:00	3	1	2	1.420
7	07:00	10	2	9	3.000
8	08:00	25	0	12	3.710
9	09:00	36	2	27	10.140
10	10:00	43	55	42	26.140
11	11:00	44	36	47	25.000
12	12:00	46	51	46	24.000
13	13:00	45	36	31	20.280
14	14:00	19	32	35	19.570
15	15:00	0	51	42	22.427
16	16:00	0	41	36	21.570
17	17:00	0	45	19	17.710
18	18:00	13	32	29	16.850
19	19:00	32	33	29	18.000
20	20:00	23	25	17	12.140
21	21:00	28	30	23	14.850
22	22:00	29	28	17	12.710
23	23:00	17	11	14	8.280
		L L l	-+-1 1		
0	avg_ras	t_month			
0		4.85	7.285860		
1		1.92	2.397832		
2		0.82	0.829819		
3 4		0.46	0.597829		
4 5		0.21 0.75	0.596783 0.918559		
5 6		2.28	2.310325		
7		5.21	3.843976		
8		10.42			
9		10.42	11.286479 16.003979		
10		28.35	27.390395		
ΤÜ		20.33	21.390395		

11	28.50	13.905934
12	25.42	22.618236
13	24.21	19.671964
14	25.21	11.366009
15	27.71	22.900134
16	25.64	20.533251
17	22.28	17.620375
18	18.28	11.801593
19	18.67	24.113759
20	18.92	12.045314
21	17.57	19.082121
22	15.64	13.882161
23	8.75	13.732944
0	4.92	2.984895
1	1.92	1.081480
2	0.75	1.828592
3	0.46	0.630397
4	0.21	0.257196
5	0.71	0.957157
6	2.10	1.007472
7	5.03	4.982103
8	9.82	12.876669
9	17.64	18.293562
10	28.57	23.314531
11	28.28	18.126710
12	25.89	26.826631
13	24.17	17.613726
14	24.89	9.681330
15	27.78	27.505501
16	25.53	22.368758
17	22.67	22.649798
18	18.46	12.732533
19	18.21	16.206978
20	18.53	5.664923
21	17.82	11.807142
22	15.50	13.052777
23	8.75	7.095333

Conclusion: The checkout files are very similar in distribution, measures and numbers. It seems we can safely assume they are the same POS, in consecutive days. And we will assume such for the rest of the analysis

Now we will use both files and try to detect anomalies

3 Data Augmentation

• last_week_total_est: Estimate of total sales from that hour in the week, using avg_last_week x 7

- last_month_total_est: Estimate of total sales from that hour in the last month, using avg_last_month x 30. Uses only avg from file 1 since both are very similar
- **std_hour**: Standard deviation of sales from that hour, uses all data entries from singular days (today, yesterday, same_day_last_week) as data points for the calculation.

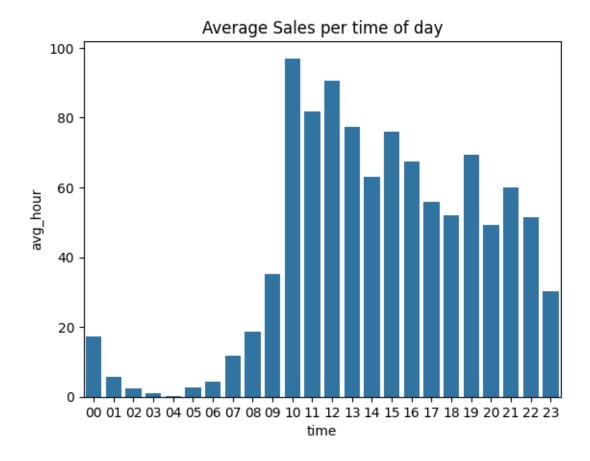
[11]:	time	today	yesterday	same_day_last_week	avg_last_week	\
0	00:00	9	12	11	6.420	
1	01:00	3	5	1	1.850	
2	02:00	1	0	0	0.280	
3	03:00	1	0	0	0.420	
4	04:00	0	0	1	0.420	
5	05:00	1	1	2	1.280	
6	06:00	1	1	5	2.850	
7	07:00	2	3	9	5.570	
8	08:00	0	1	18	8.710	
9	09:00	2	9	30	20.000	
10	10:00	55	51	45	29.420	
11	11:00	36	44	38	33.710	
12	12:00	51	39	39	27.570	
13	13:00	36	41	43	25.850	
14	14:00	32	35	36	26.140	
15	15:00	51	35	49	28.140	
16	16:00	41	36	48	27.710	
17	17:00	45	30	29	20.420	
18	18:00	32	25	25	21.570	
19	19:00	33	39	42	22.140	
20	20:00	25	24	34	17.420	
21	21:00	30	35	34	18.710	
22	22:00	28	29	23	15.420	
23	23:00	11	28	10	9.570	
24	00:00	6	9	5	5.000	
25	01:00	3	3	2	2.000	

26	02:00	3	1	2	0.420	
27	03:00	0	1	1	0.420	
28	04:00	0	0	0	0.140	
29	05:00	2	1	1	0.710	
30	06:00	3	1	2	1.420	
31	07:00	10	2	9	3.000	
32	08:00	25	0	12	3.710	
33	09:00	36	2	27	10.140	
34	10:00	43	55	42	26.140	
35	11:00	44	36	47	25.000	
36	12:00	46	51	46	24.000	
37	13:00	45	36	31	20.280	
38	14:00	19	32	35	19.570	
39	15:00	0	51	42	22.427	
40	16:00	0	41	36	21.570	
41	17:00	0	45	19	17.710	
42	18:00	13	32	29	16.850	
43	19:00	32	33	29	18.000	
44	20:00	23	25	17	12.140	
45	21:00	28	30	23	14.850	
46	22:00	29	28	17	12.710	
47	23:00	17	11	14	8.280	
	1	+ .	last_week_total_est	1++b	*****	std_hour
	avg_ras	t month	last week total est	last_month	total est	sta nour
Λ				- · · · · -		_
0		4.85	44.940		145.5	9.341105
1		4.85 1.92	44.940 12.950		145.5 57.6	9.341105 3.328062
1 2		4.85 1.92 0.82	44.940 12.950 1.960	- · · · ·	145.5 57.6 24.6	9.341105 3.328062 1.020294
1 2 3		4.85 1.92 0.82 0.46	44.940 12.950 1.960 2.940	- · · · ·	145.5 57.6 24.6 13.8	9.341105 3.328062 1.020294 0.780385
1 2 3 4		4.85 1.92 0.82 0.46 0.21	44.940 12.950 1.960 2.940 2.940	- · · · ·	145.5 57.6 24.6 13.8 6.3	9.341105 3.328062 1.020294 0.780385 0.632653
1 2 3 4 5		4.85 1.92 0.82 0.46 0.21 0.75	44.940 12.950 1.960 2.940 2.940 8.960	_	145.5 57.6 24.6 13.8 6.3 22.5	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972
1 2 3 4 5 6		4.85 1.92 0.82 0.46 0.21 0.75 2.28	44.940 12.950 1.960 2.940 2.940 8.960 19.950	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212
1 2 3 4 5 6 7		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720
1 2 3 4 5 6 7 8		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660
1 2 3 4 5 6 7 8 9		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570
1 2 3 4 5 6 7 8 9 10		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337
1 2 3 4 5 6 7 8 9 10		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100
1 2 3 4 5 6 7 8 9 10 11 12		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654
1 2 3 4 5 6 7 8 9 10 11 12 13		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950	<u>-</u>	145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591
1 2 3 4 5 6 7 8 9 10 11 12 13 14		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21	44.940 12.950 1.960 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591
1 2 3 4 5 6 7 8 9 10 11 12 13 14		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71 25.64 22.28	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980 193.970		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3 769.2	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034 24.356601
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71 25.64	44.940 12.950 1.960 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980 193.970 142.940		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3 769.2 668.4	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034 24.356601 24.461725
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71 25.64 22.28 18.28 18.67	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980 193.970 142.940 150.990		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3 769.2 668.4 548.4	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034 24.356601 24.461725 15.999250
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71 25.64 22.28 18.28	44.940 12.950 1.960 2.940 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980 193.970 142.940 150.990 154.980		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3 769.2 668.4 548.4 560.1	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034 24.356601 24.461725 15.999250 29.846310
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20		4.85 1.92 0.82 0.46 0.21 0.75 2.28 5.21 10.42 19.07 28.35 28.50 25.42 24.21 25.21 27.71 25.64 22.28 18.67 18.92	44.940 12.950 1.960 2.940 8.960 19.950 38.990 60.970 140.000 205.940 235.970 192.990 180.950 182.980 196.980 193.970 142.940 150.990 154.980 121.940		145.5 57.6 24.6 13.8 6.3 22.5 68.4 156.3 312.6 572.1 850.5 855.0 762.6 726.3 756.3 831.3 769.2 668.4 548.4 560.1 567.6	9.341105 3.328062 1.020294 0.780385 0.632653 0.951972 2.641212 4.729720 15.034660 21.272570 36.903337 18.483100 30.511654 24.442591 14.147800 28.674034 24.356601 24.461725 15.999250 29.846310 13.284427

23	8.75	66.990	262.5	19.401192
24	4.92	35.000	147.6	4.220900
25	1.92	14.000	57.6	1.528398
26	0.75	2.940	22.5	2.430278
27	0.46	2.940	13.8	0.805605
28	0.21	0.980	6.3	0.332039
29	0.71	4.970	21.3	1.338002
30	2.10	9.940	63.0	1.423025
31	5.03	21.000	150.9	6.462372
32	9.82	25.970	294.6	18.144999
33	17.64	70.980	529.2	25.010078
34	28.57	182.980	857.1	31.574551
35	28.28	175.000	848.4	21.953041
36	25.89	168.000	776.7	35.172862
37	24.17	141.960	725.1	24.436903
38	24.89	136.990	746.7	11.676911
39	27.78	156.989	833.4	37.576602
40	25.53	150.990	765.9	30.755686
41	22.67	123.970	680.1	31.926357
42	18.46	117.950	553.8	16.391736
43	18.21	126.000	546.3	21.612965
44	18.53	84.980	555.9	7.938026
45	17.82	103.950	534.6	16.291133
46	15.50	88.970	465.0	18.428917
47	8.75	57.960	262.5	9.322352

4 Analysis

It seems there is a trend of sales following the different times of day. Let's take the average of all the sales data related to single days (today, yesterday, same_day_last_week) and show it in a graph to better see this trend.



Let's see the trend for each individual day

Clearly, the various days follow the same trend in sales through the hours. Except for **today_2** which is from the second file

As we have seen before, today 2

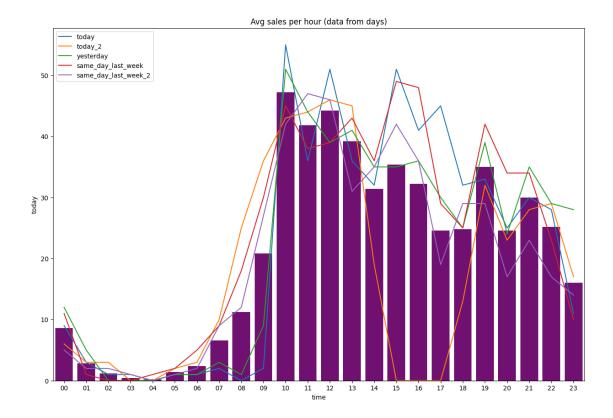
And here we have it. $today_2$ is the only variable that doesn't have a correlation very close to 1.

Just to reinforce the idea that this is an anomaly, we will compare all days to different averages side by side.

```
[14]: lines = duckdb.query("""
      SELECT REPLACE(CAST(chk1.time as STRING),':00','') as time, chk1.today, chk1.

yesterday, chk1.same_day_last_week, chk2.today as today_2,
          chk2.same_day_last_week as same_day_last_week_2, chk1.avg_last_month as_
       ⇔avg_last_month,
          (chk1.today + chk1.yesterday + chk1.same_day_last_week + chk2.today + chk2.
       ⇔same_day_last_week)/5 as avg_hour
      FROM checkout_1 as chk1
      LEFT JOIN checkout_2 as chk2 ON chk1.time = chk2.time
      """).df()
      plt.figure(figsize=(15,10))
      sns.lineplot(lines, x='time', y='today', label='today')
      sns.lineplot(lines, x='time', y='today_2', label='today_2')
      sns.lineplot(lines, x='time', y='yesterday', label='yesterday')
      sns.lineplot(lines, x='time', y='same_day_last_week',_{\sqcup}
       →label='same_day_last_week')
      sns.lineplot(lines, x='time', y='same_day_last_week_2',_
       ⇔label='same_day_last_week_2')
      sns.barplot(lines, x='time', y='avg_hour', color='purple')
      plt.title('Avg sales per hour (data from days)')
      plt.legend(loc="upper left")
```

[14]: <matplotlib.legend.Legend at 0x180ffed53a0>

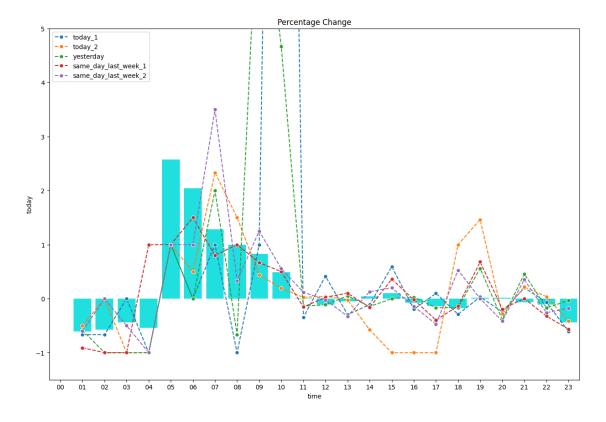


If you look closely to the graph, there is a trend from hour 14 to 15 where sales increase and then decrease. A better way to check and expose this better is to check the percentage change from row to row and compare the different variables.

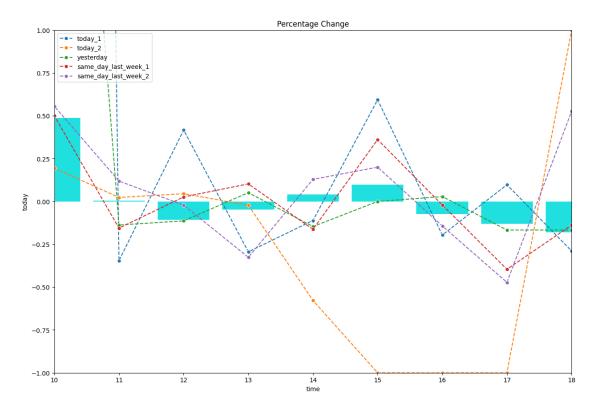
Notes: - $pandas.Dataframe.pct_change$ creates NaNs and Infinites when zeros are involved. - For the first 0 after a number, pct_change will be -100%, we will forward this for Nans - The first number after a 0 will be Infinite, we will replace this with +100%

```
plt.figure(figsize=(15,10))
sns.lineplot(pct_change_analysis, x='time', y='today', label='today_1',
marker='o',linestyle="dashed")
sns.lineplot(pct_change_analysis, x='time', y='today_2', label='today_2',
marker='o',linestyle="dashed")
sns.lineplot(pct_change_analysis, x='time', y='today_2', label='today_2',
marker='o',linestyle="dashed")
sns.lineplot(pct_change_analysis, x='time', y='yesterday', label='yesterday',
marker='o',linestyle="dashed")
```

[16]: <matplotlib.legend.Legend at 0x1809ddc0560>



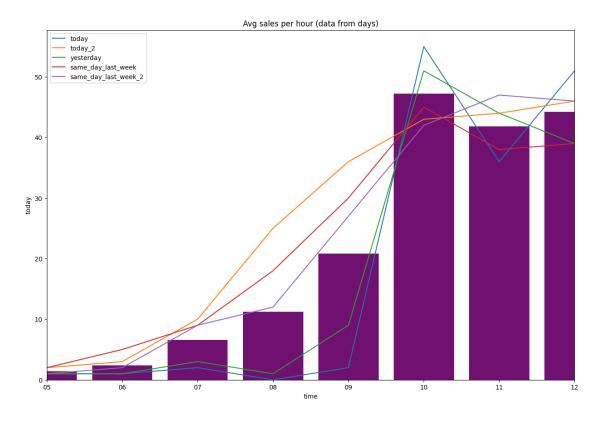
[17]: <matplotlib.legend.Legend at 0x1809d5c1160>



As we can see here, all other variables we have on sales has a growth from hour 14 to 15, except today_2, which goes down to 0 sales and stays there for some hours. Thus proving further it is an anomaly, probably the POS went down for some time.

5 Anomalies without context and data

[18]: <matplotlib.legend.Legend at 0x1809fd97080>



From 7am to 10am we have a smaller number of sales and a sudden spike in *today* and *yesterday*. Although it looks anomalous, we cannot declare it an anomaly with 100% certainty. This can easily be just a normal variance in the whole, or it could have an easy explanation from an unseen underlying variable, such as:

• Holidays: people wake up later on holidays and weekends. We have data that contradicts

this as a weekend ($same_day_last_week$), but it could be that this time around we have a holiday, which explains a peak later on in the day.

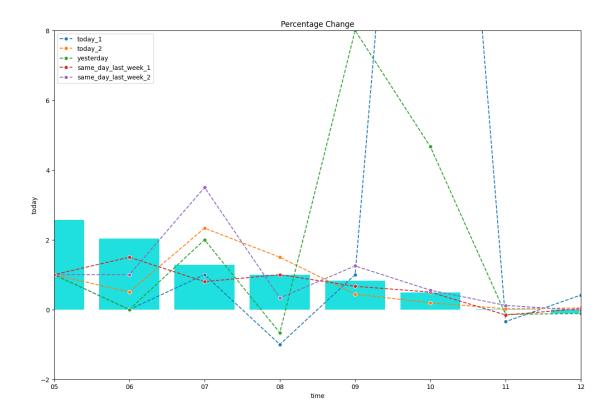
- Sale: There could have been a sale announced on this website, and it could be starting at 10 am, so most people were waiting on the sale to start buying, thus the spike in sales surpasses every other day
- A bad week: Sometimes larger things are at play in society, and this could just be one of those bad weeks in sales. People in the business would know, it just happens sometimes.

To further show how this could be just a normal variance of the data, here are the percentage changes from 5am to 12pm.

```
[19]: plt.figure(figsize=(15,10))
      sns.lineplot(pct_change_analysis, x='time', y='today', label='today_1',
       →marker='o',linestyle="dashed")
      sns.lineplot(pct_change_analysis, x='time', y='today_2', label='today_2', u
       →marker='o',linestyle="dashed")
      sns.lineplot(pct_change_analysis, x='time', y='yesterday', label='yesterday',
       →marker='o',linestyle="dashed")
      sns.lineplot(pct_change_analysis, x='time', y='same_day_last_week',__
       →label='same_day_last_week_1', marker='o',linestyle="dashed")
      sns.lineplot(pct_change_analysis, x='time', y='same_day_last_week_2',_
       →label='same_day_last_week_2', marker='o',linestyle="dashed")
      ax = sns.barplot(pct_change_analysis, x='time', y='avg_last_month',__

¬color='cyan')
      ax.set_ylim(-2, 8)
      ax.set xlim(5,12)
      plt.title('Percentage Change')
      plt.legend(loc="upper left")
```

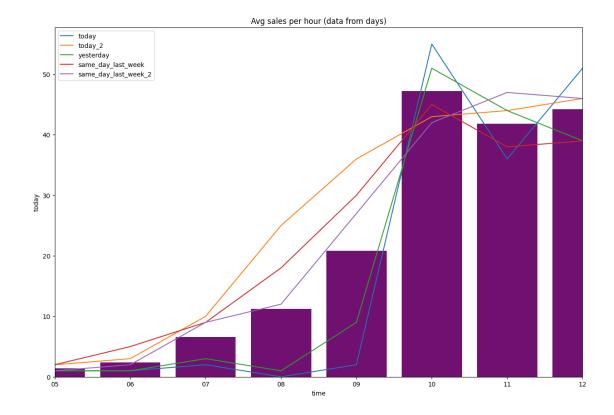
[19]: <matplotlib.legend.Legend at 0x1809ff768a0>



As we can see, even with the numbers being few, $today_1$ and yesterday follow all the trends clearly and correctly, even within the big spikes and percentage changes. If anything, $same_day_last_week$ seems to not follow the same trend as the other days, growing in sales in hours other days fell shorter in sales, and falling short when other days grew.

Of course the spikes are notable, but looking back at the pure numbers, with the percentages in mind:

[20]: <matplotlib.legend.Legend at 0x1809f32d130>



All the numbers are within the trend.

Ultimately this could be a anomaly, or it could not be. We can only be sure with further investigation within the whole data and it's context.

5.1 Conclusion

We found that, in the <code>checkout_2</code> file, from hours 14 to 17 on the current day, there was most probably an anomaly. Indications of an anomaly are: - A clear and defined trend of sales in certain hours, in which the anomaly doesn't follow - Big difference in numbers between anomalous data and other data from different days - Lack of correlation, when other days on sales and other variables are highly correlated (reinforces arguments 1 and 2)

5.1.1 Notes:

- It was also found that yesterday_2 and today_1 are exactly the same (see plotly graph). Which indicates that checkout_2 is from a day after checkout_1.
- Another somewhat anomalous behavior in the data is from <code>yesterday_2</code>, where from hours 9 to 10 sales went from 2 to 55, an increase of 2600%. Similar behavior was found in <code>yesterday_1</code> with 1000% increase. But as said before, this can be explained by other things, and we can't ultimately decrete it as an anomaly. We would need more context and data.
- AI and any machine learning models were discarded from start because data was too small, focusing on using any model would only distract and confuse the analysis.
- With more data, a model to predict sales for each hour seems very possible