

Introduction to Intelligent Vehicles

[7. Intersection Management]

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Announcement

□ Homework

➤ Homework 2

- Graded?
- Reminder: if you answer $M = 2018...$
- Reminder: signal packing
- Regrade request due on October 30 (Wednesday) 11:59pm

➤ Homework 3

- Will be posted before or on November 4 (Monday)
- Due on November 25 (Monday) noon

□ Project

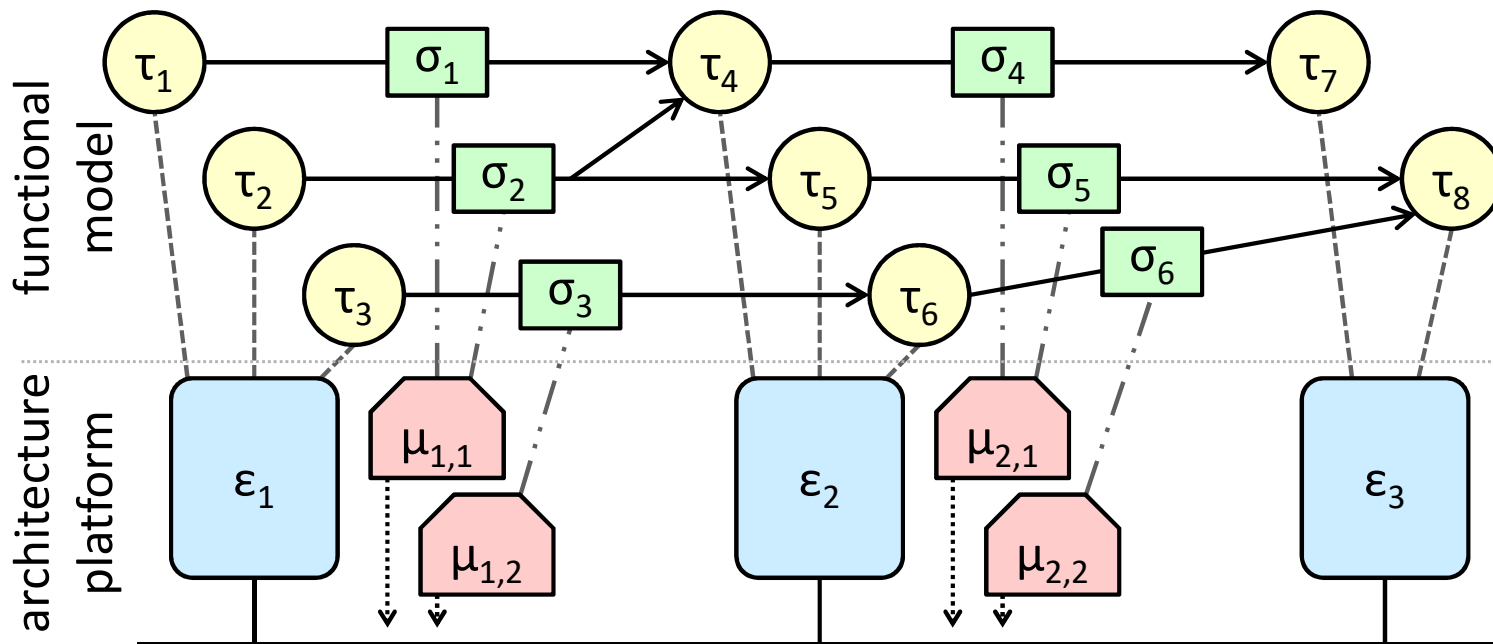
➤ Proposal

- Due on November 18 (Monday) noon

Where Are We Now?

□ Four parts in sequence

- [Part 1] Preliminary
- [Part 2] Applications
- [Part 3] Intelligent Technology
- [Part 4] Advanced Topics



Intersection Management

❑ What is intersection management?

- Decide who goes first

❑ Why is intersection management helpful?

- Make the intersection safer and traffic smoother and more efficient

❑ When is intersection management working?

- Anytime?

❑ Where is intersection management working?

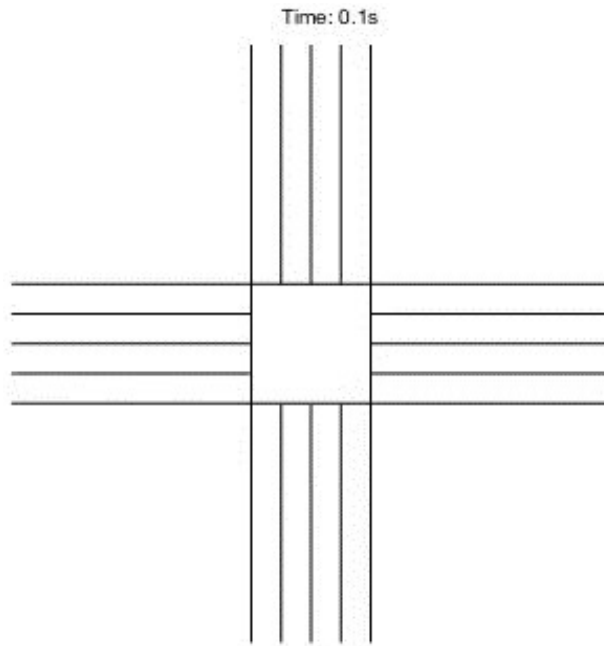
- Centralized vs. distributed

❑ Who develops intersection management?

- Basic ones from governments (or their suppliers)
- Advanced ones have not been realized

❑ How does intersection management work?

Ideal Intersection



Outline

☐ Modeling

➤ Note: not all following models will be used at the same time

☐ Controlling Lengths of Traffic Lights

☐ Intelligent Intersection Management

☐ Imperfect Communication

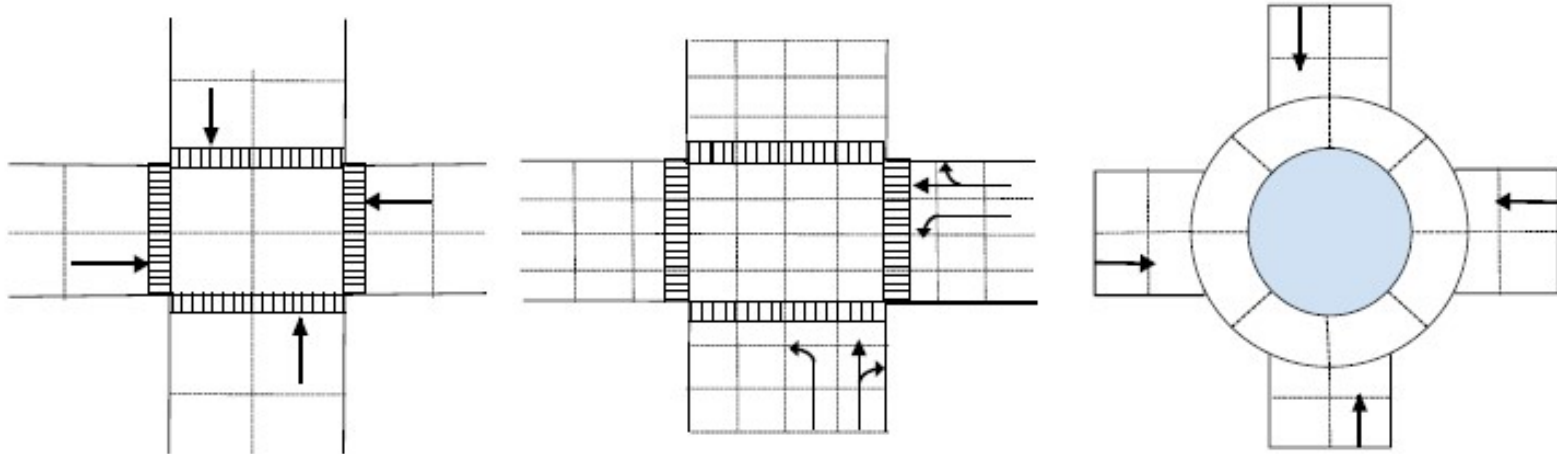
☐ Centralized and Distributed Approaches

☐ Graph-Based Approach

☐ Non-Cooperative Environment

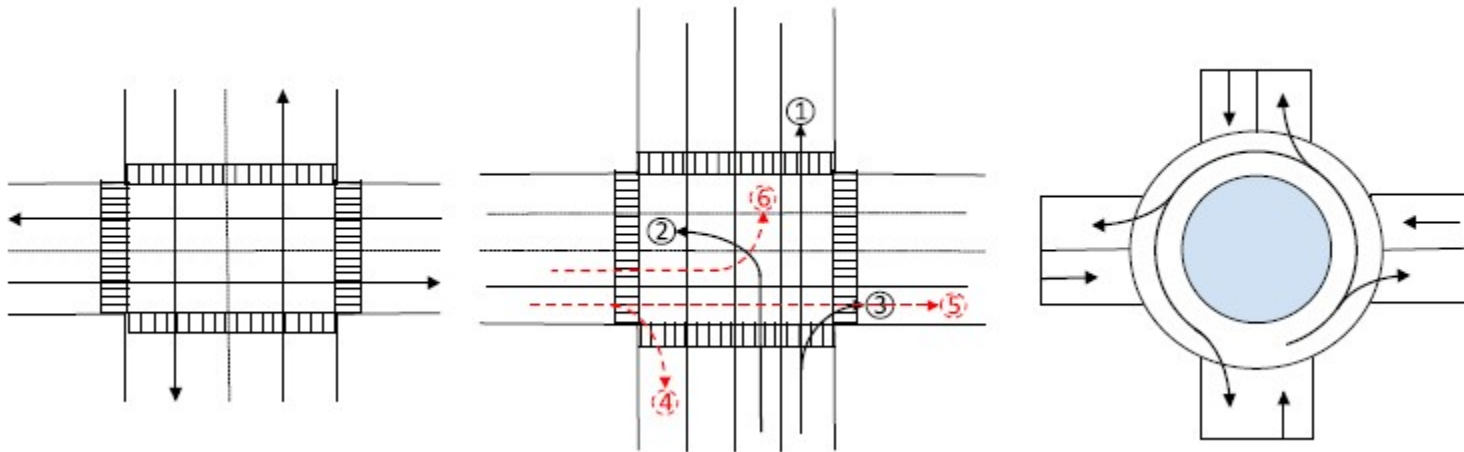
Tiles (Cells)

- ❑ Usually, higher granularity, e.g., smaller tiles, more detailed management and higher complexity
 - Example: an intersection with 20 tiles
 - Example: an intersection with 64 tiles
 - Example: a roundabout with 24 tiles



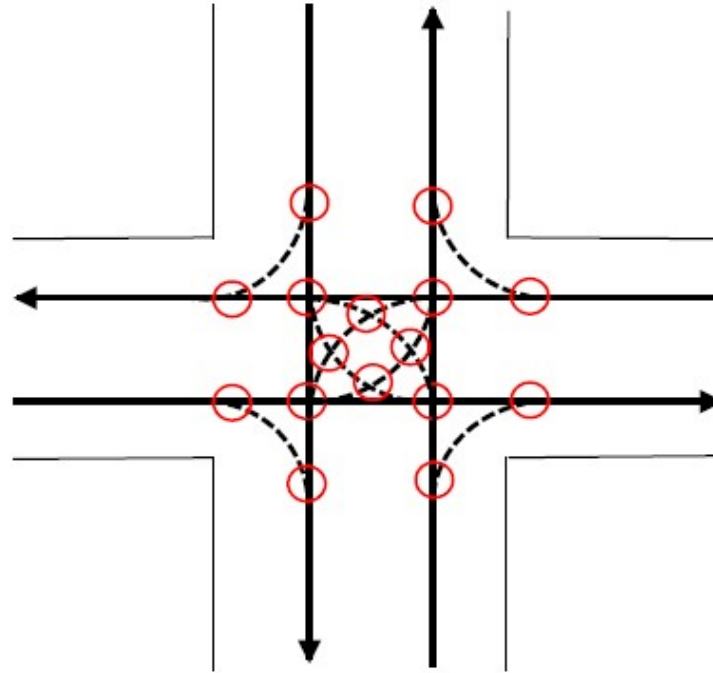
Trajectories

- ❑ The trajectories for vehicles from different directions with different intentions follows "pre-defined" routes
 - Example: 1 trajectory for each direction of the intersection
 - Example: 3 trajectories for each direction of the intersection
 - Example: 4 trajectories for each direction of the roundabout



Collision Zones (Conflict Regions)

□ Intersections of trajectories



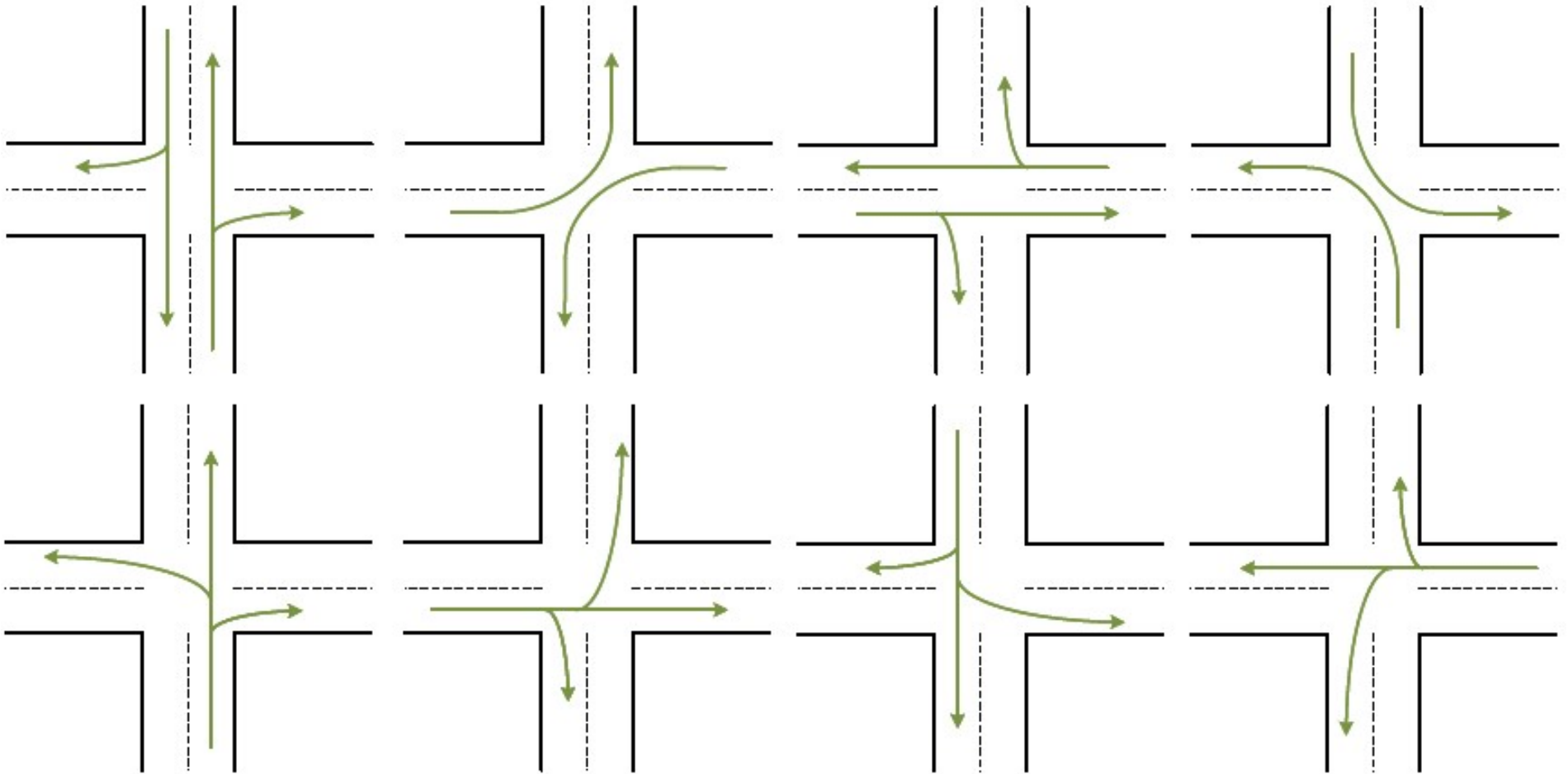
□ The fundamental goal

- We should not let two vehicles occupy a collision zone or a tile at the same time

Phases

□ Example

- 8 phases of an intersection



Outline

- ❑ Modeling
- ❑ **Controlling Lengths of Traffic Lights**
- ❑ Intelligent Intersection Management
- ❑ Imperfect Communication
- ❑ Centralized and Distributed Approaches
- ❑ Graph-Based Approach
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Controlling Lengths of Traffic Lights

- ❑ Fixed time control
- ❑ Coordinated control
 - Continuous green lights
- ❑ Adaptive control
 - Design-time approach
 - Based on traffic data and history
 - Real-time approach
 - Based on sensor observation or communication

Back-Pressure Control: Method

□ Traffic flow is similar to water flow

□ Basic notation

- λ_i : lane i
- Q_i : queue length of lane i
- P_i : pressure of lane i
 - $P_i = Q_i$
- $D_{i,j}$: $[0,1]$ there is a vehicle waiting at lane i to leave from lane i for lane j
- $P_{i,j}$: pressure from lane i to lane j
 - $P_{i,j} = D_{i,j} \max(P_i - P_j, 0)$

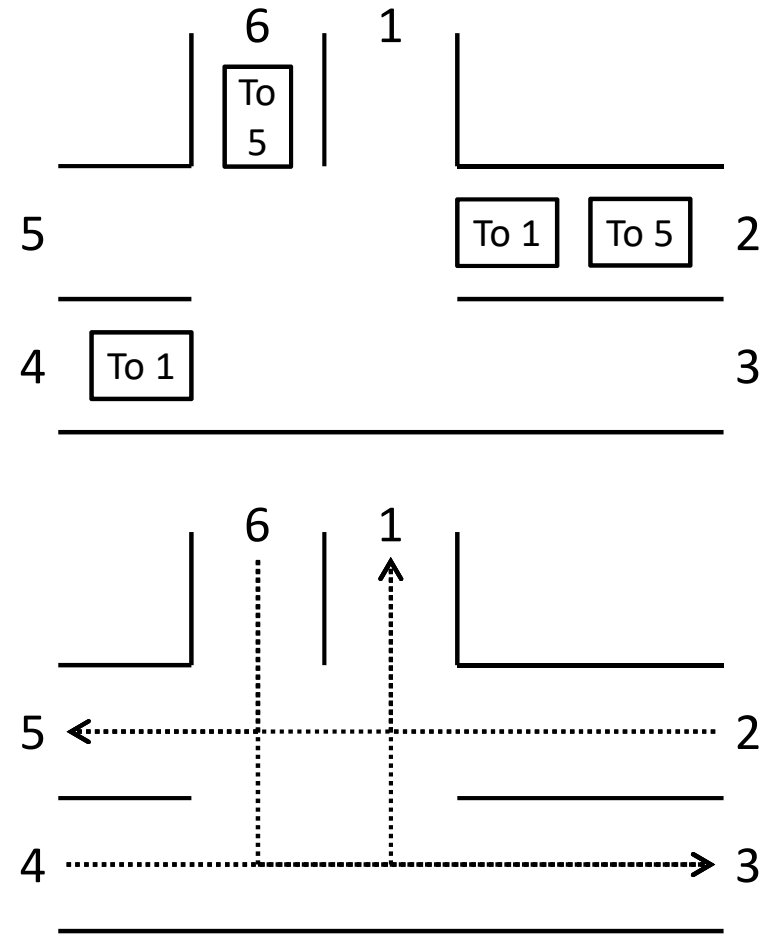
□ Each time slot, pick a phase which can maximize $\sum_{(i,j)} V_{i,j} P_{i,j}$

- $V_{i,j}$: the maximum number of vehicles that can go from lane i to lane j in the phase during the time slot

Back-Pressure Control: Example

□ Computation

- $\lambda_1, \lambda_2, \lambda_3, \lambda_4, \lambda_5, \lambda_6$
- $Q = \{0, 2, 0, 1, 0, 1\}$
- $P = \{0, 2, 0, 1, 0, 1\}$
- $D_{2,1} = D_{2,5} = D_{4,1} = D_{6,5} = 1$
- $P_{2,1} = P_{2,5} = 2$ and $P_{4,1} = P_{6,5} = 1$
- Assume $V_{i,j}$ is V or 0
 - Why 0?
- (Check animations for phases)
- $\sum_{(i,j)} V_{i,j} P_{i,j} = 4V$ for Phase 1
- $\sum_{(i,j)} V_{i,j} P_{i,j} = 2V$ for Phase 2
- $\sum_{(i,j)} V_{i,j} P_{i,j} = 3V$ for Phase 3
- Pick Phase 1



Back-Pressure Control: Extensions

□ Capacity-aware back-pressure control

- Remove the assumption of infinite capacity
- Improve the fairness (for low density traffic)
- Redefine P_i as another more complicated function

□ Adaptive max-pressure control

- Model the network demand with a constant average rate
- Provide some stability and performance guarantees
- Redefine P_i as another more complicated function

Controlling Lengths of Traffic Lights

- If the lengths of green, yellow, and red lights can be very short

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Assumptions

□ All vehicles are connected and autonomous

➤ If not connected

- Need road-side units to collect traffic information, e.g., vehicles coming
- Need traffic lights to provide instructions

➤ If not autonomous

- Need to consider the control capability of human drivers

Goals

- ☐ Safety
- ☐ Traffic efficiency
- ☐ Deadlock and starvation avoidance
- ☐ Low communication and computation complexity
- ☐ Incremental deployability
- ☐ Protocol standardization

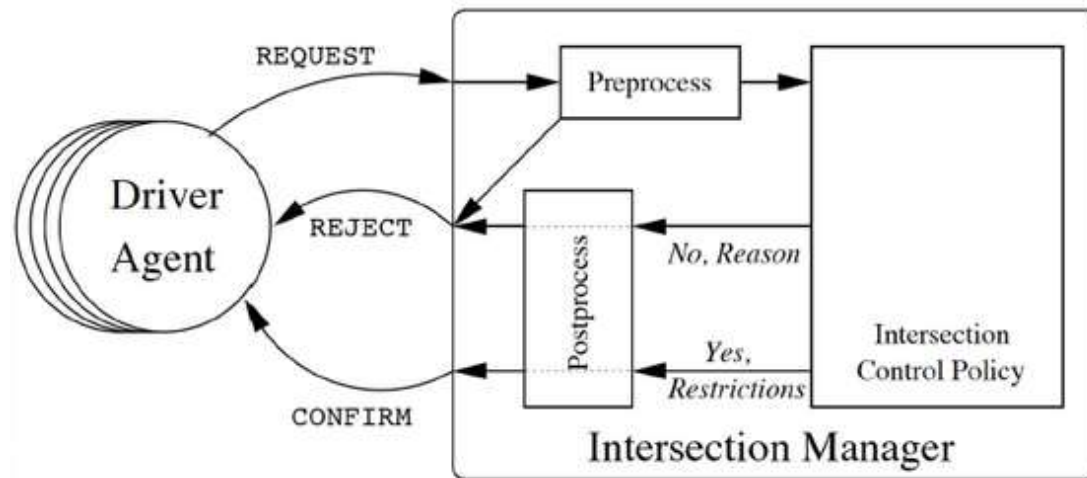
Intelligent Intersection Management

❑ Vehicle

- Send a request to the intersection manager about its intention
- Do not enter the intersection before confirmation

❑ Intersection manager

- Resolve conflicts through scheduling policies
- Allocate tiles (cells) to vehicles for every time step
- Send confirmations or rejections to vehicles



Dresner and Stone, "A multiagent approach to autonomous intersection management," Journal of Artificial Intelligence Research, 2008.

Vehicle Behavior

❑ Message types

- REQUEST to make a reservation
- CHANGE-REQUEST to change a reservation
 - REQUEST and CHANGE-REQUEST include all the relevant properties of the vehicle
- CANCEL to cancel an existing reservation
- DONE after crossing the intersection
 - CANCEL and DONE include the IDs of the vehicle and the reservation

❑ Not enter the intersection if there is no confirmation from the manager

Manager Behavior

□ Message types

- CONFIRM after approving a REQUEST or CHANGE-REQUEST
 - ID of the reservation
 - Start time
 - Start and departure lanes
 - A list of constraints for the vehicle's acceleration in the intersection
- REJECT to reject a REQUEST or CHANGE-REQUEST
- ACKNOWLEDGE to respond a CANCEL or DONE
- EMERGENCY-STOP when detecting a major problem

□ Control policies

- First come (definition?), first served
- "Virtual" stop sign
- "Virtual" traffic light

Dresner and Stone, "A multiagent approach to autonomous intersection management," Journal of Artificial Intelligence Research, 2008.

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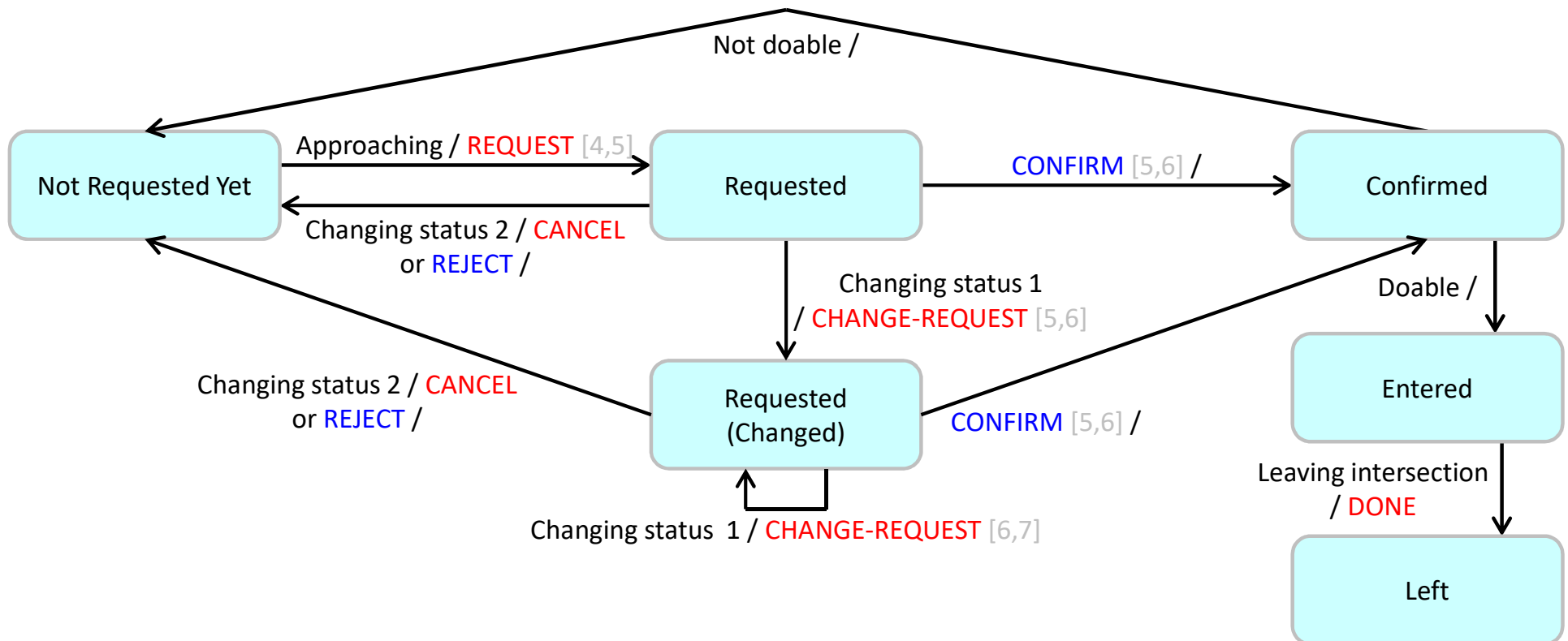
Modeling Vehicle Behavior

□ [4s,5s]: example time of feasible "entering" the intersection

- This is a logical view --- the number can be estimated by the manager

□ Reasons of slowing down

- Sense the intersection in front and not receive a confirmation
- Sense other vehicles in front



Imperfect Communication: Loss

□ Informal analysis

- Case 1/2: What if a REQUEST/CHANGE-REQUEST is lost?
- Case 3: What if a CANCEL is lost?
- Case 4: What if a DONE is lost?
- Case 5: What if a CONFIRM is lost?
- Case 6: What if a REJECT is lost?
- Case 7: What if an ACKNOWLEDGE is lost?
- Case 8: What if an EMERGENCY-STOP is lost?

□ Ideally, we should have "formal analysis"

□ Having "timeouts" is important

- Re-request a reservation (Cases 1, 2, 5, 6)
- Logically remove a vehicle after physically checking the intersection? (Case 4)

Imperfect Communication: Delay

□ Informal analysis

- Case 1/2: What if a REQUEST/CHANGE-REQUEST is delayed?
- Case 3: What if a CANCEL is delayed?
- Case 4: What if a DONE is delayed?
- Case 5: What if a CONFIRM is delayed?
- Case 6: What if a REJECT is delayed?
- Case 7: What if an ACKNOWLEDGE is delayed?
- Case 8: What if an EMERGENCY-STOP is delayed?

□ Combinations of message loss and delay

- How do you know which vehicle is in front?

□ Having "time stamps" can help

- Synchronization protocol?

Imperfect Communication: More

❑ Schedule only when 1st vehicle requests (otherwise?)

- We assume that each vehicle knows if it is 1st vehicle and provides this information to the manager

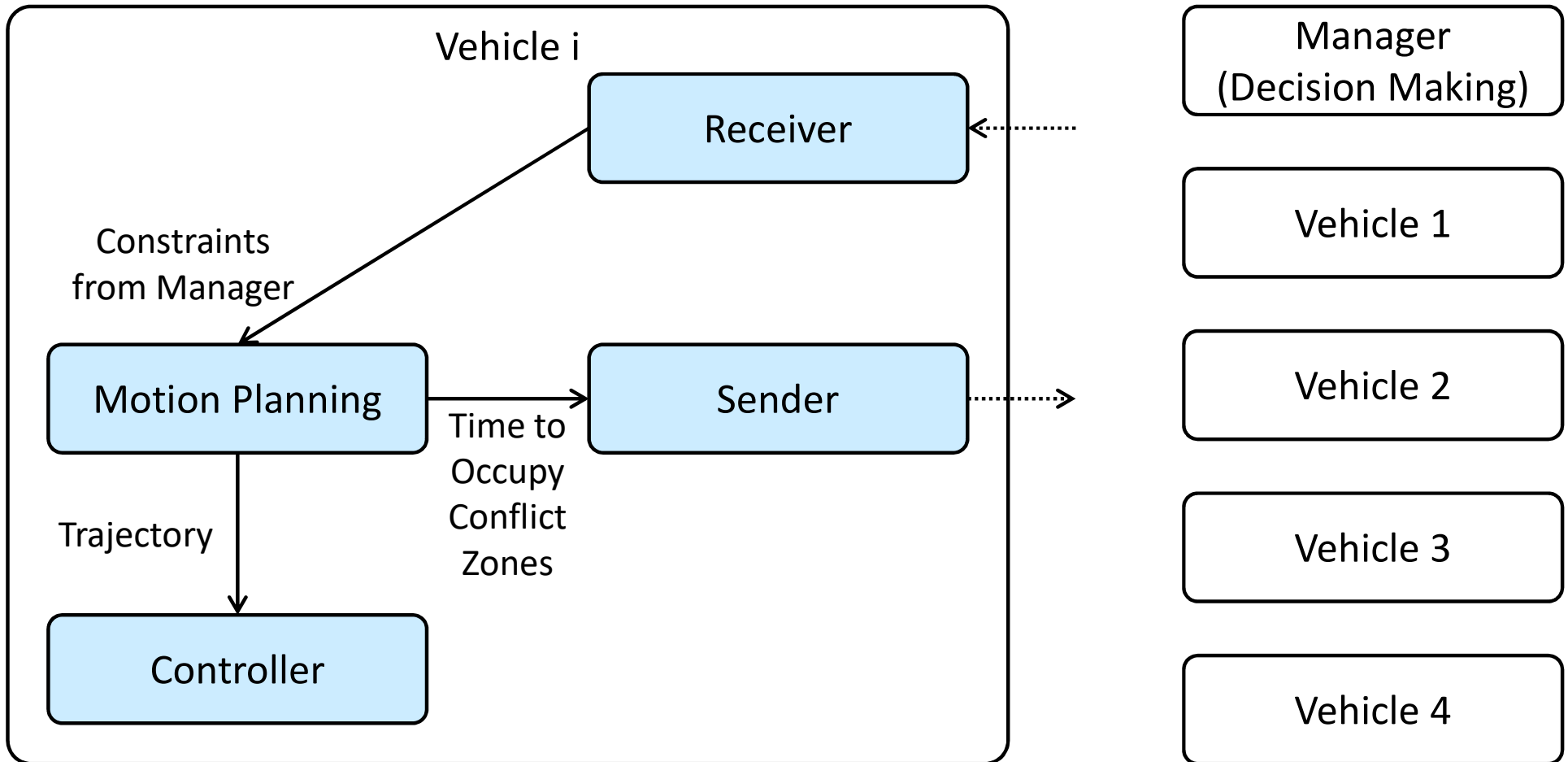
X		Missing X-Request	Missing X-Confirmation
1st Vehicle	Manager	Schedule nothing (1st vehicle missing)	Schedule all vehicles
	1st Vehicle	Slow down, timeout, re-request	Slow down, timeout, re-request
	2nd Vehicle	Slow down, timeout, re-request	Slow down, cannot make it, re-request
	3rd Vehicle	Slow down, timeout, re-request	Slow down, cannot make it, re-request
2nd Vehicle	Manager	Schedule 1st and 3rd vehicles	Schedule all vehicles
	1st Vehicle	Normal	Normal
	2nd Vehicle	Slow down, timeout, re-request	Slow down, timeout, re-request
	3rd Vehicle	Slow down, cannot make it, re-request	Slow down, cannot make it, re-request
3rd Vehicle	Manager	Schedule 1st and 2nd vehicles	Schedule all vehicles
	1st Vehicle	Normal	Normal
	2nd Vehicle	Normal	Normal
	3rd Vehicle	Slow down, timeout, re-request	Slow down, timeout, re-request

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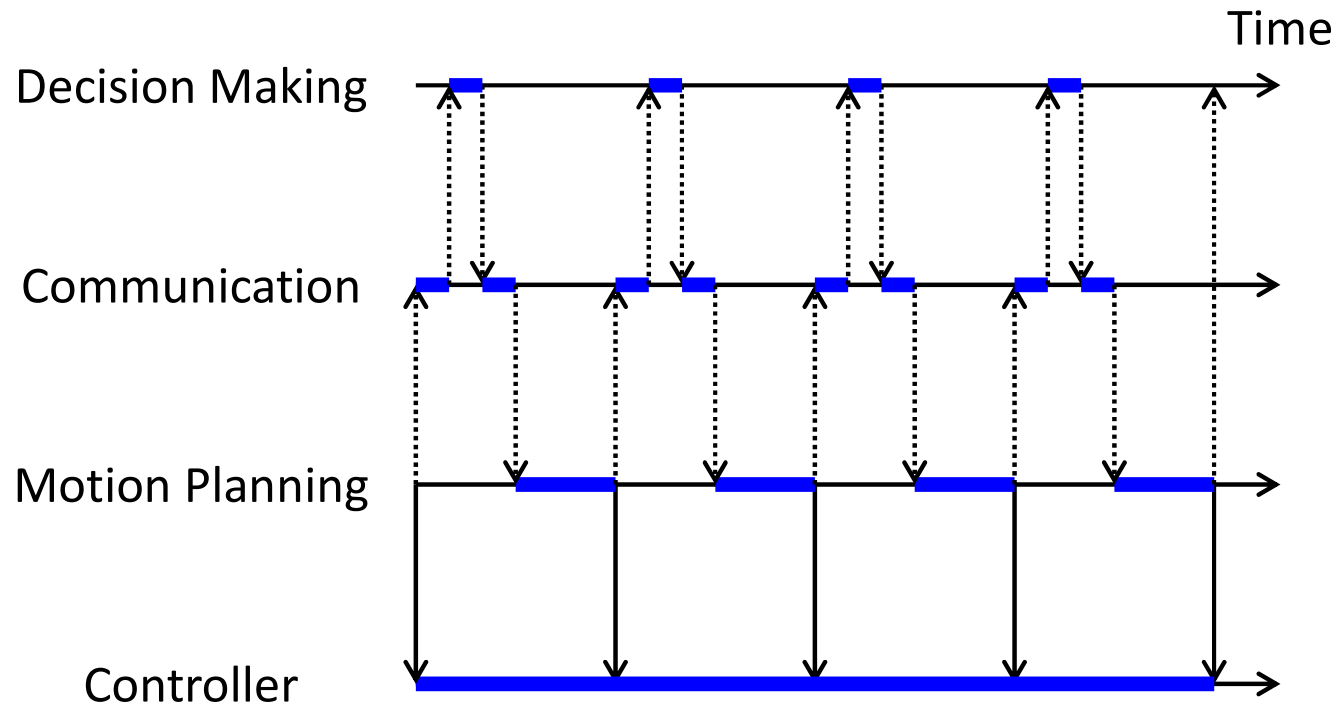
System Block Diagram: Centralized

- The manager is the decision maker



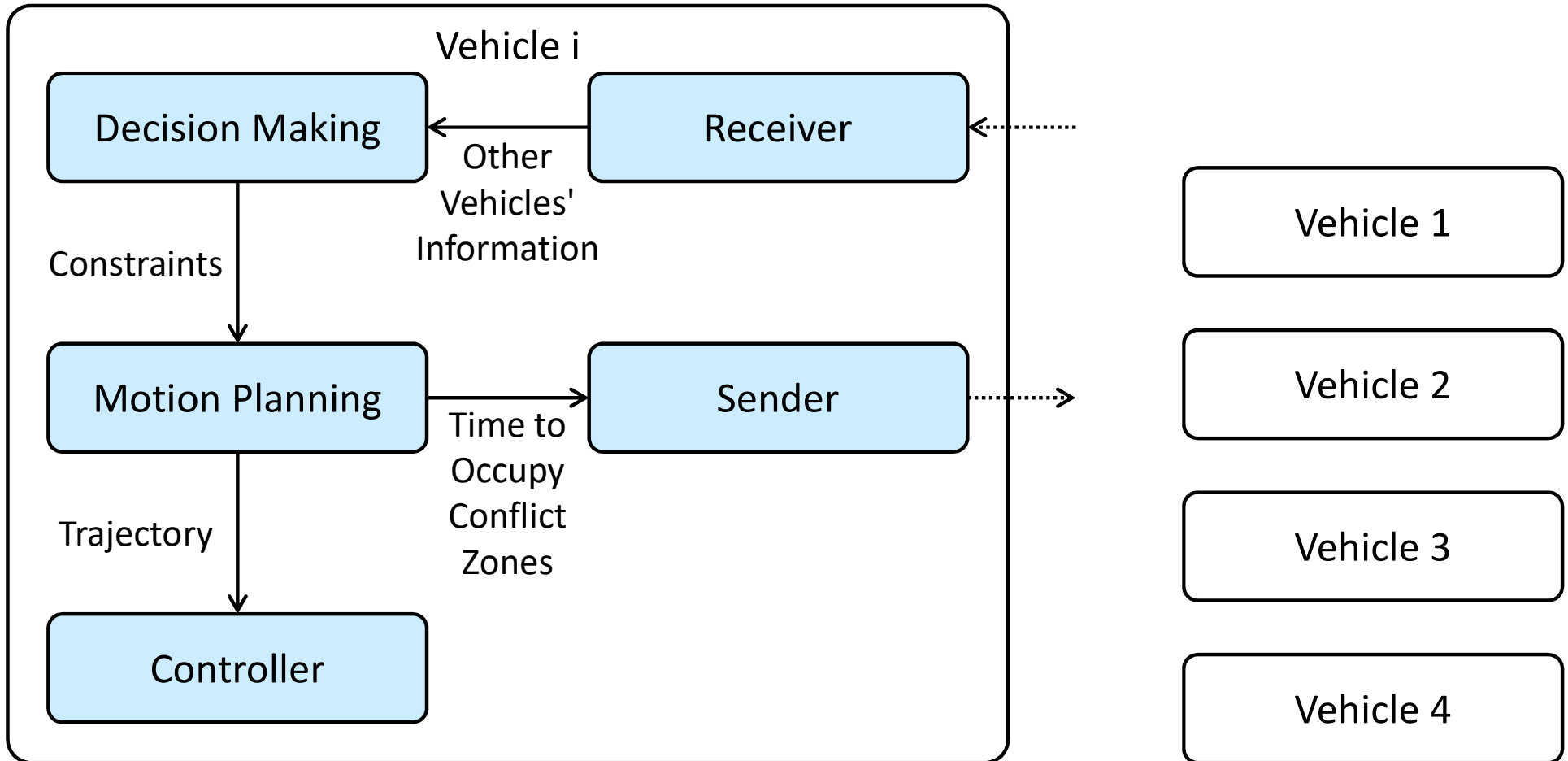
Flow of Execution: Centralized

- ❑ Each task should be completed in time



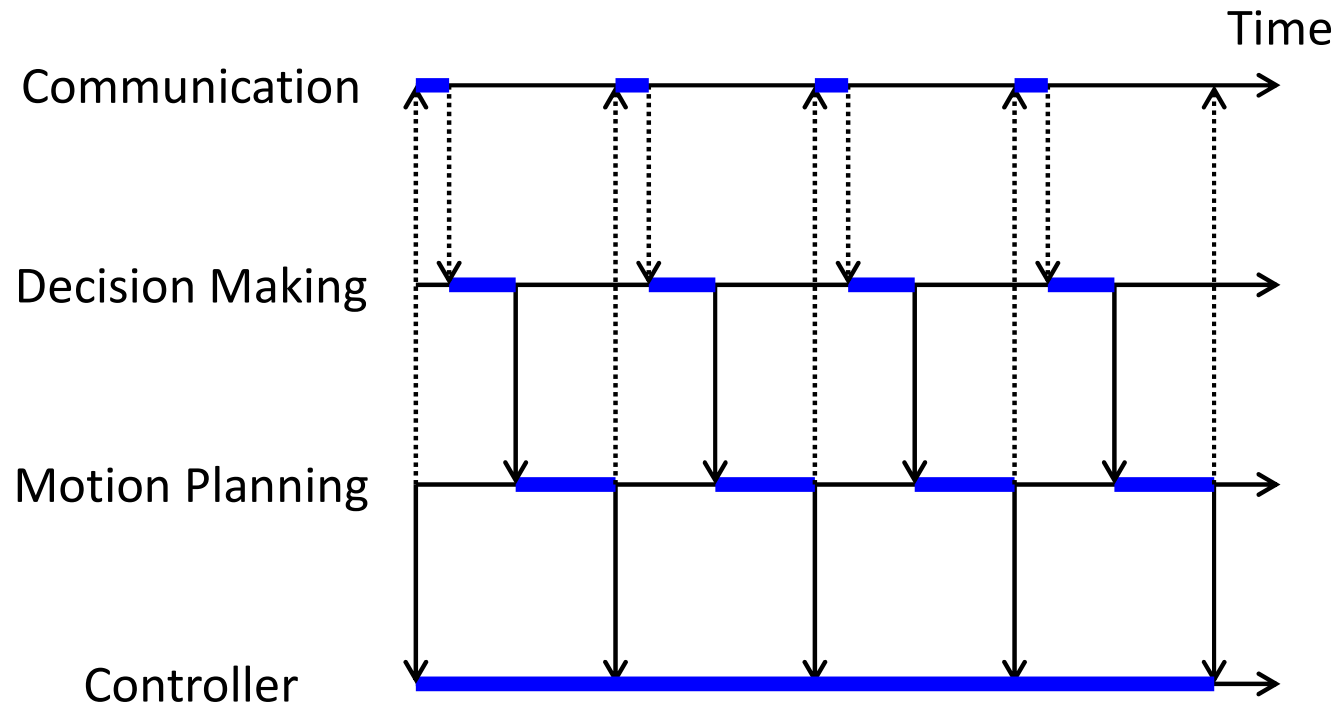
System Block Diagram: Distributed

- Each vehicle is a decision maker



Flow of Execution: Distributed

- Each task should be completed in time



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Graph-Based Policy

- ❑ The decision making problem in intersection management can be transformed to a cycle-removal problem in a graph
- ❑ Generalization
 - Conflict-resolution problem
 - The goal: we should not let two vehicles occupy a conflict zone (or a tile) at the same time
 - Distributed intersection management
 - Does it make sense to have no manager?
 - If vehicles (even from different OEMs) agree how to remove a cycle, then "conflict-free" can be guaranteed
 - Cycle-removal algorithm is the "agreement" between vehicles (e.g., four-way stop sign) in a distributed setting
 - We have an existing system in ...

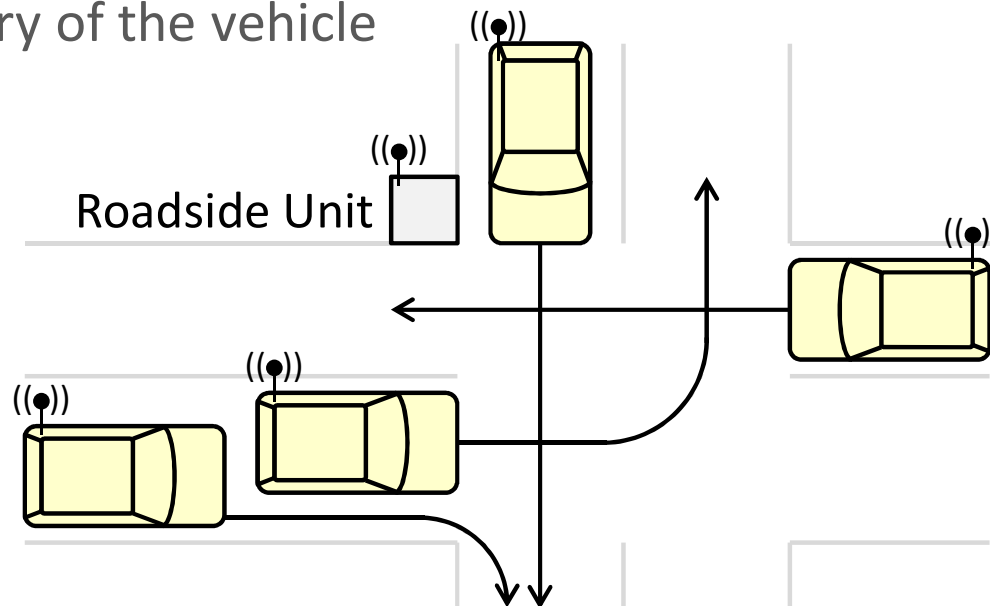
Intersection

□ Intersection

- There is one intersection

□ Intersection manager

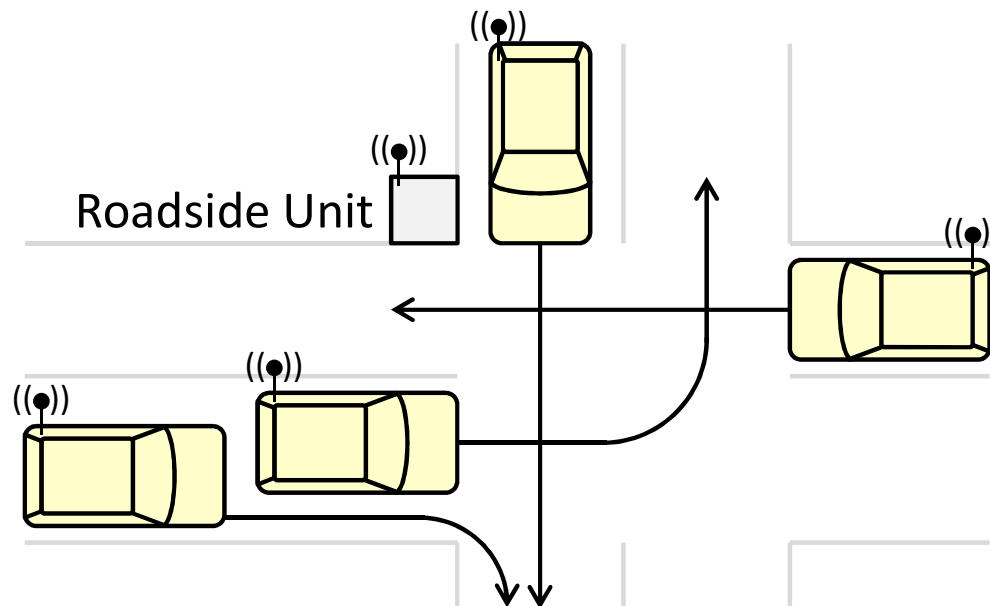
- Receive the information from vehicles
- Assign a time window to each vehicle at each location (conflict zone) on the trajectory of the vehicle



Vehicle

□ Vehicle

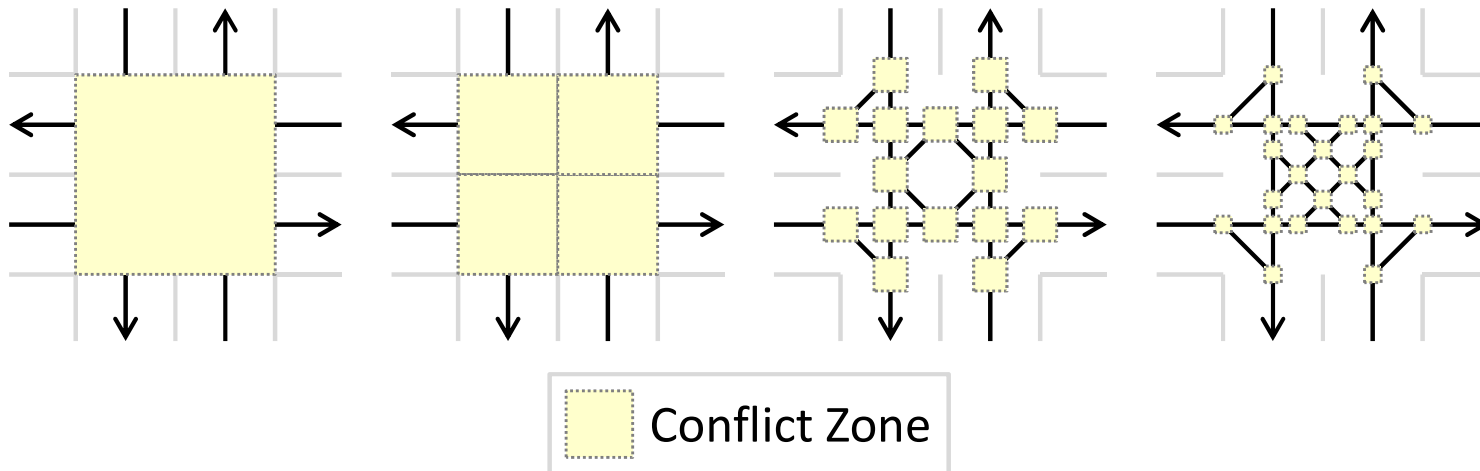
- All vehicles are connected and autonomous
- Each vehicle has a fixed trajectory
- Vehicle does not change lanes before and after the intersection



Conflict Zone

□ Conflict zone

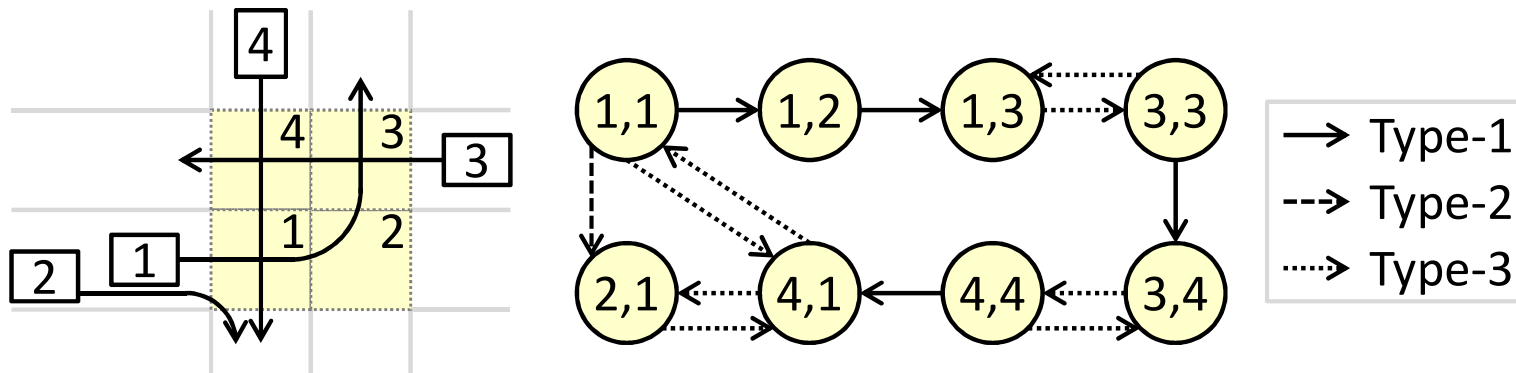
- A conflict zone is the crossing location of two trajectories
- Two vehicles cannot be at (occupy) the same conflict zone at the same time



Timing Conflict Graph

□ Timing conflict graph

- A directed timing conflict graph $G = (V, E)$ is constructed
- Vertex set $v_{i,j}$ is a subset of the Cartesian product of the sets of vehicles and conflict zones

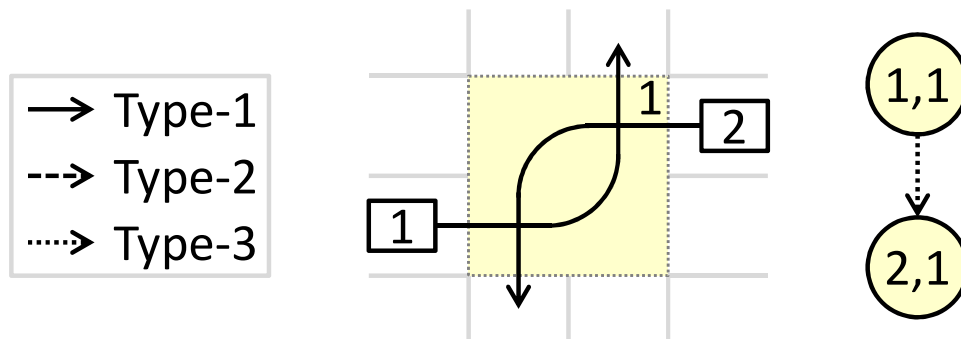


- Edge
 - Type-1: same vehicle's trajectory
 - Type-2: conflicts between different vehicles from the same lane
 - Type-3: conflicts between different vehicles from different lanes

Model Expressiveness

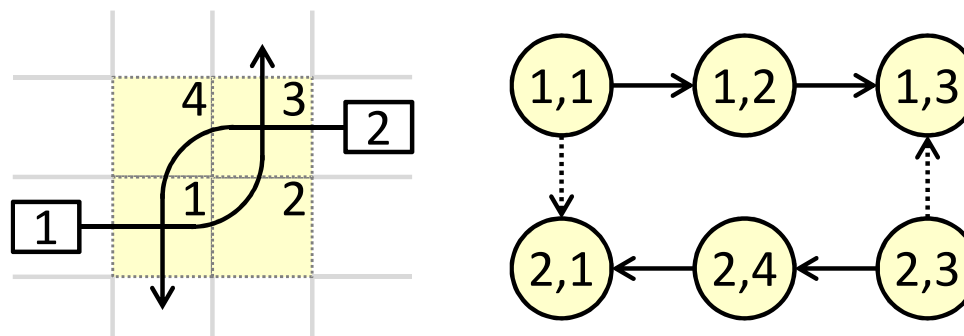
❑ If the intersection is modeled by only one conflict zone

- Its expressiveness is limited, and the two vehicles cannot enter the intersection at the same time



❑ If the intersection is modeled by four conflict zones

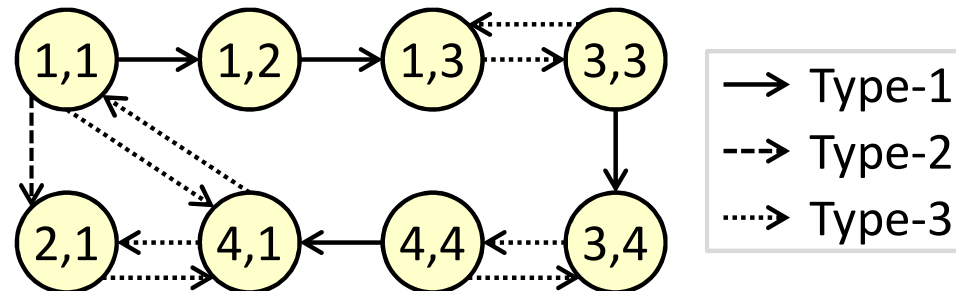
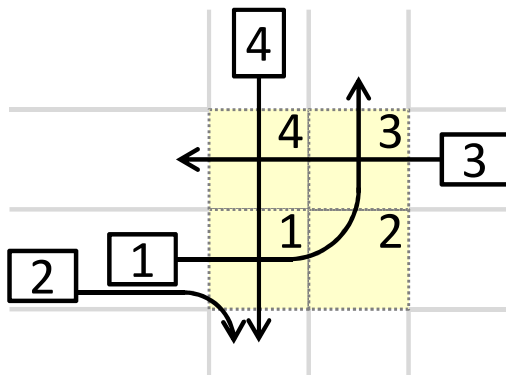
- Two vehicles can enter the intersection at the same time



Goals

□ A cycle-removal algorithm to

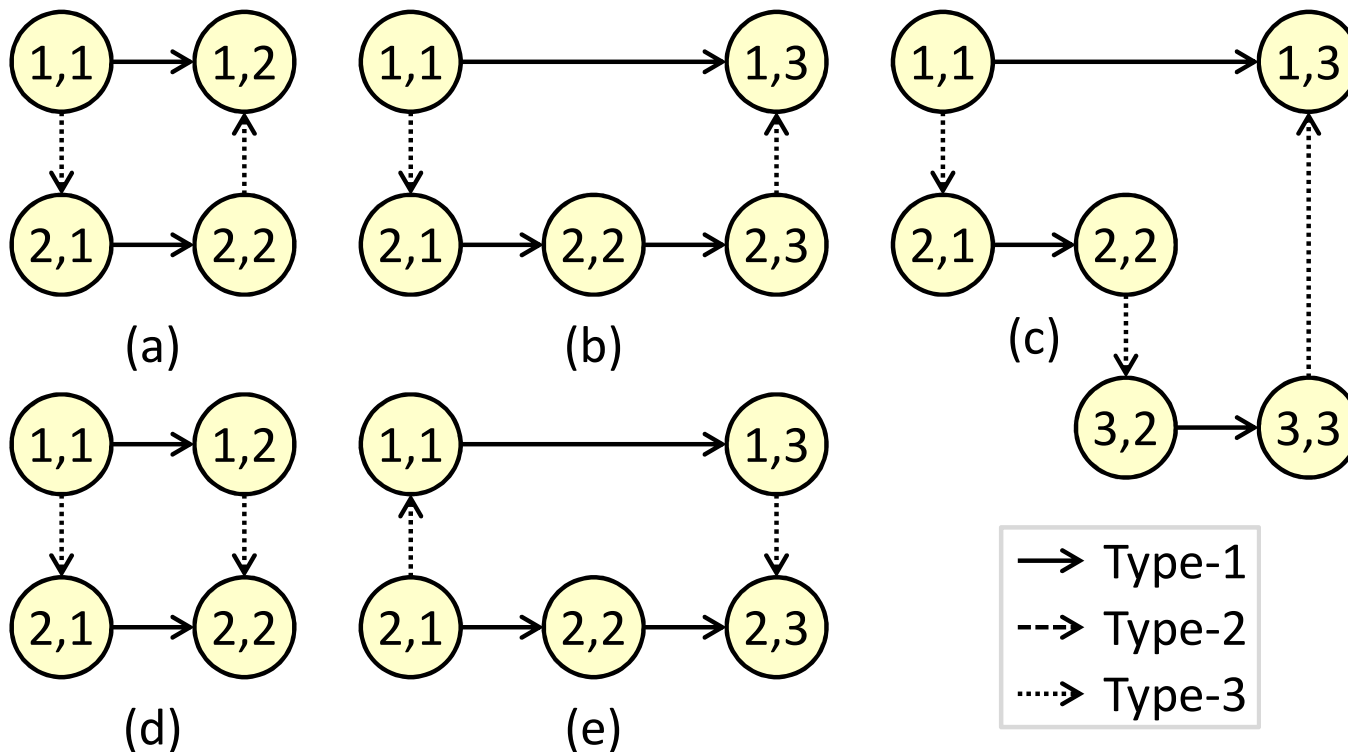
- Minimize
 - The passing time of the last vehicle, or
 - The average delay of vehicles
- Guarantee collision-freeness
 - Provided by the passing order and scheduling after removing cycles
- Guarantee deadlock-freeness
 - Graph-based verification
 - Petri-Net-based verification



Graph-Based Verification

□ Having no cycles in G does not guarantee deadlock-freeness

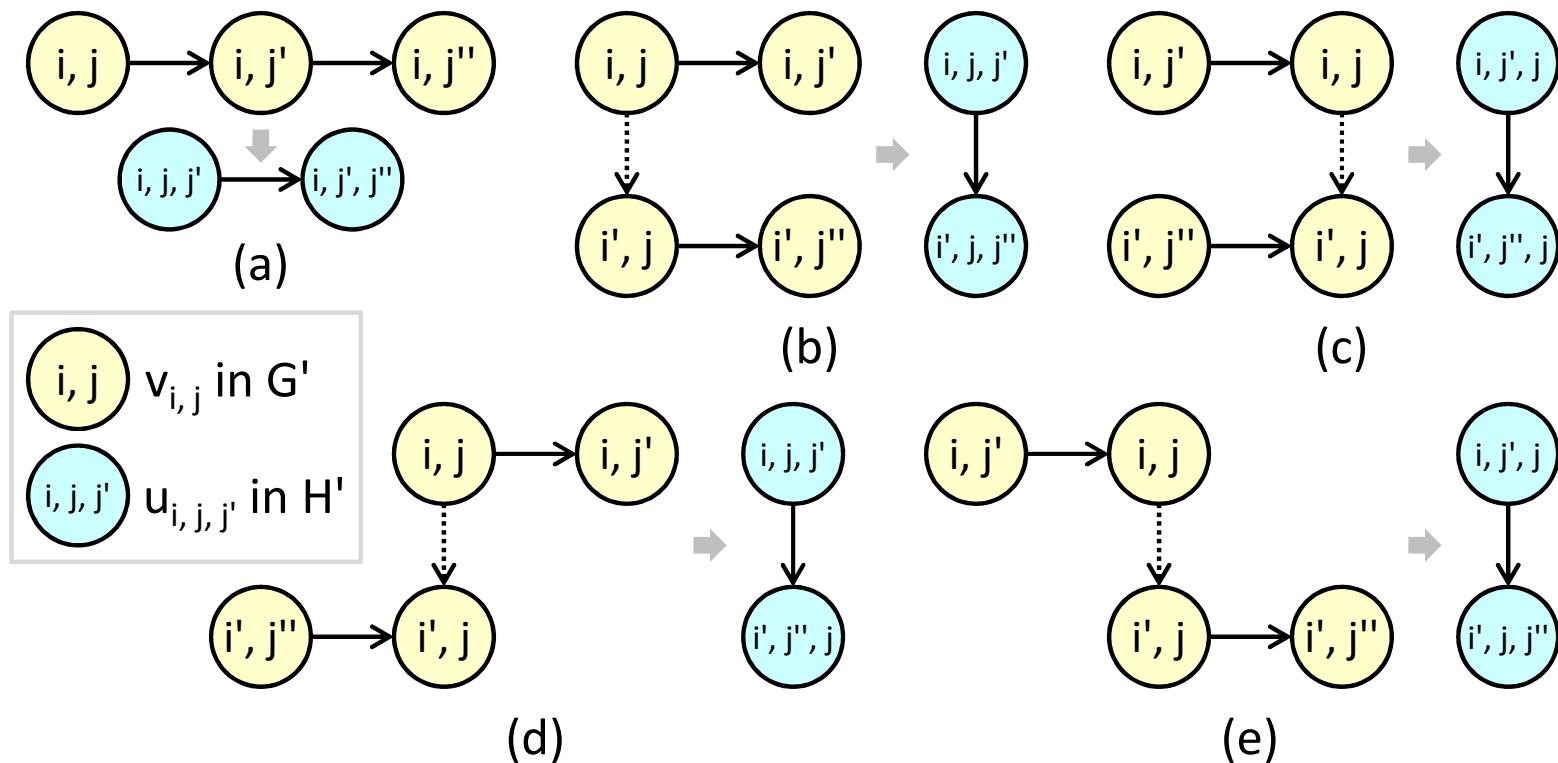
- There are deadlocks in (a), (b), (c)
- There are no deadlocks in (d), (e)



Graph-Based Verification

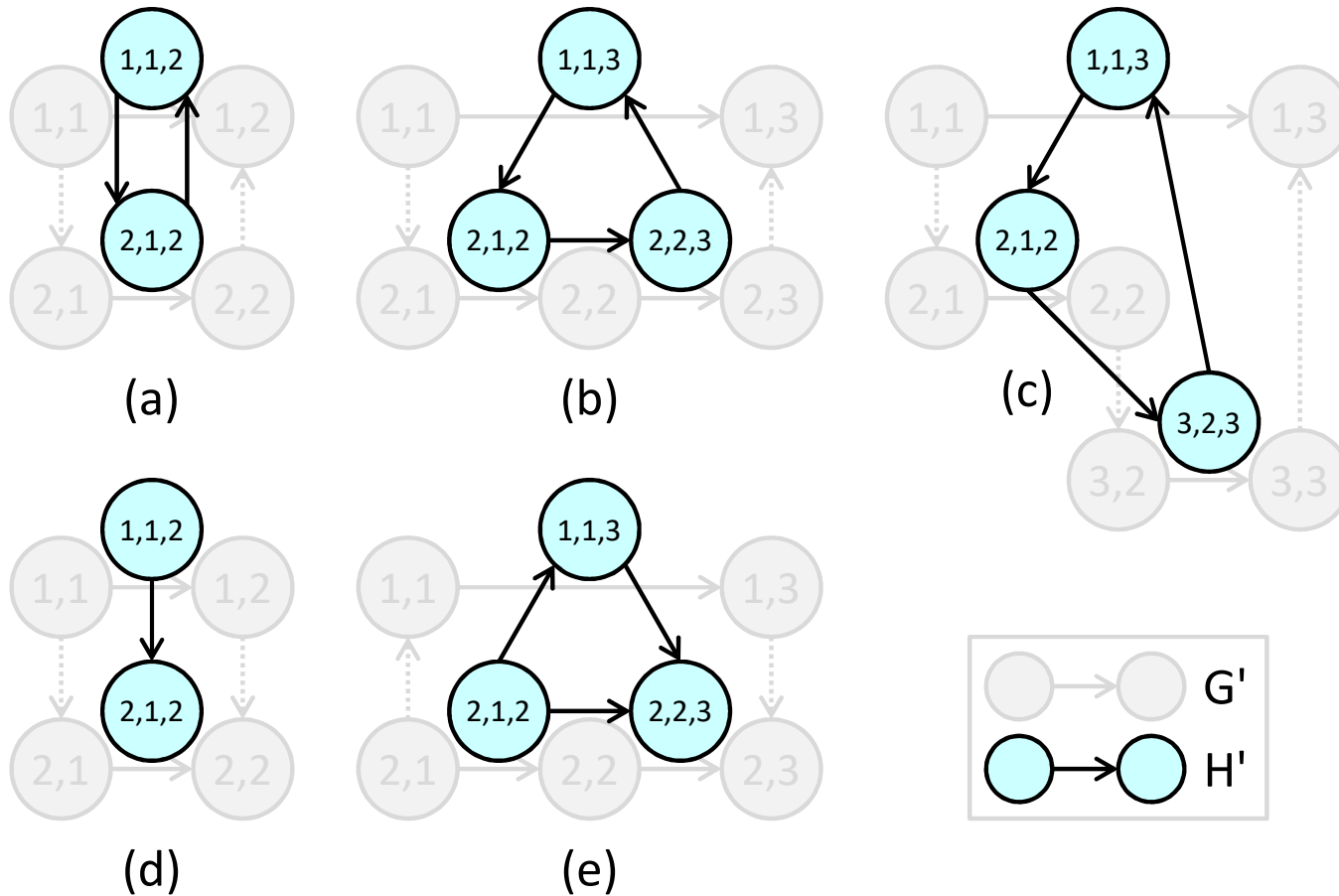
□ Construction of resource conflict graph

➤ The directed resource conflict graph is constructed by following rules



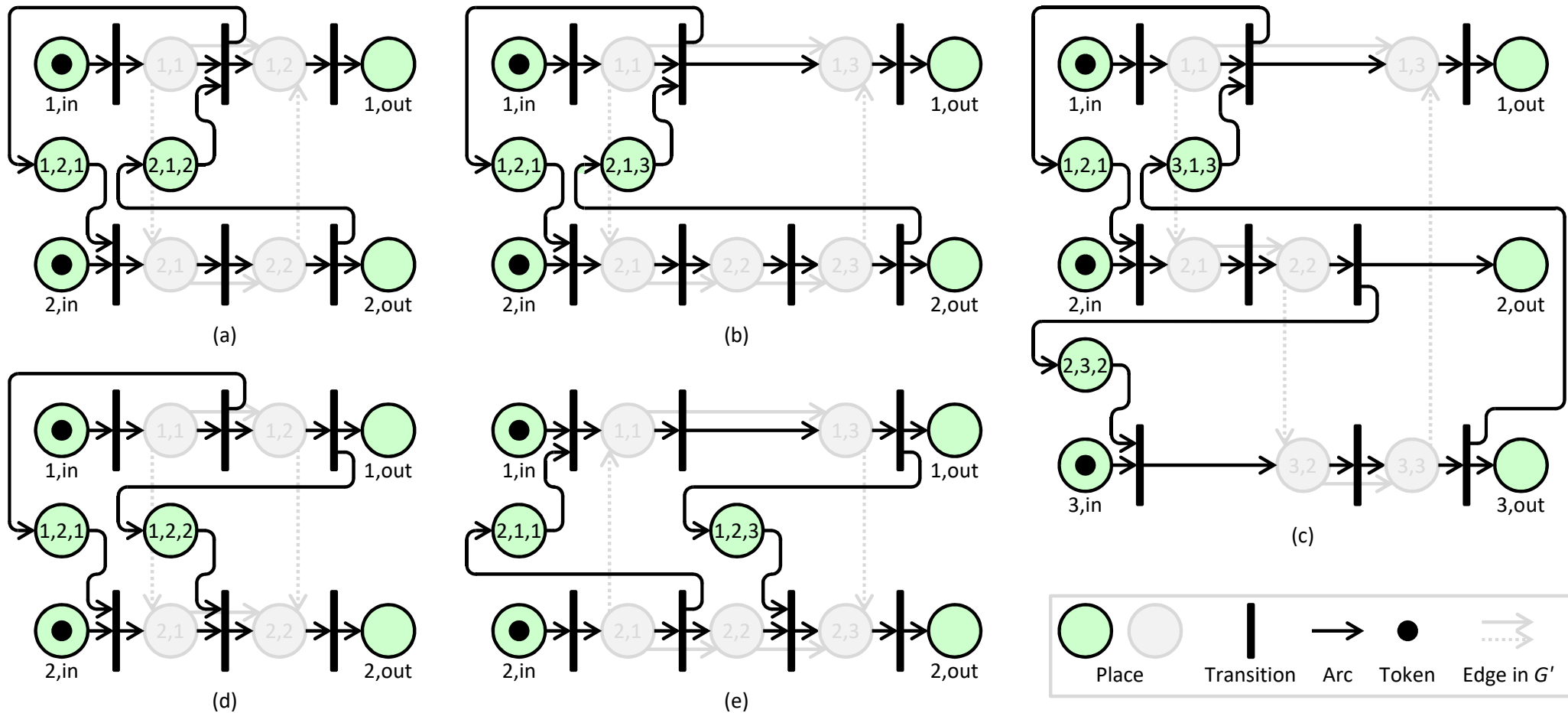
Graph-Based Verification

□ Examples of resource conflict graph



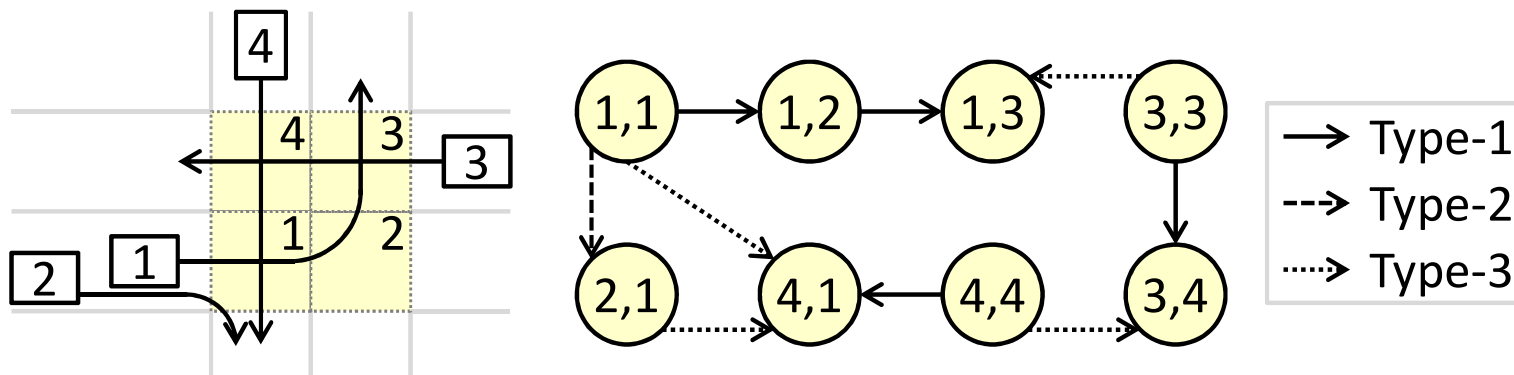
Petri-Net-Based Verification

□ Petri Net Examples



Summary

- ❑ A cycle-removal algorithm (not covered today) to
 - Minimize
 - The passing time of the last vehicle, or
 - The average delay of vehicles
 - Guarantee collision-freeness
 - Provided by the passing order and scheduling after removing cycles
 - Guarantee deadlock-freeness
 - Graph-based verification
 - Petri-Net-based verification

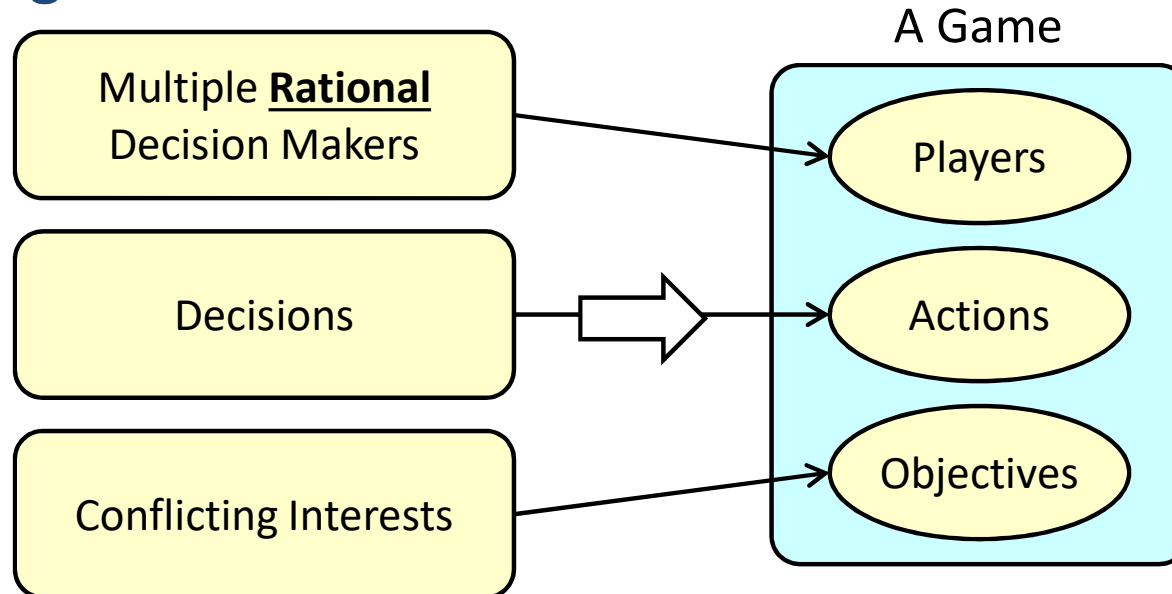


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Game Theory

❑ What is a game?



❑ Prisoner's dilemma

	Prisoner A Stays Silent	Prisoner A Betrays
Prisoner B Stays Silent	Both in Jail for 1 Year	A Goes Free B in Jail for 3 Years
Prisoner B Betrays	A in Jail 3 Years B Goes Free	Both in Jail for 2 Years (<u>Nash Equilibrium</u>)

Two-Vehicle Scenario (w/o Manager)

□ Payoff matrix (waiting time) of vehicles A and B

➤ Case 1 (same priority)

Payoffs of A and B	Vehicle A Enters	Vehicle A Stops
Vehicle B Enters	$(-3600, -3600)$	$(-4, 0)$
Vehicle B Stops	$(0, -4)$	$(-3, -3)$ (Average of -1 and -5)

➤ Case 2 (Vehicle A has a higher priority)

Payoffs of A and B	Vehicle A Enters	Vehicle A Stops
Vehicle B Enters	$(-1800, -7200)$	$(-4, 0)$
Vehicle B Stops	$(0, -4)$	$(-1, -5)$

➤ Where are the Nash Equilibria?

- Are them realistic? → People are not rational (-----)

Three-Vehicle Scenario (with Manager)

□ Three-vehicle strategic game

- Assume that the time needed to go through an intersection is 7

No Vehicle lies					Vehicle C Lies				
Vehicle	Actual Time	Reported Time	Allocated Time	Delay	Vehicle	Actual Time	Reported Time	Allocated Time	Delay
A	5	5	5	0	A	5	5	5	0
B	10	10	12	2	B	10	10	19	9
C	12	12	19	7	C	12	↔ 6	12	0
System Performance				9	System Performance				9

- Vehicle C does not worsen the overall system performance
 - Total delays = 9
- However, Vehicle C can take advantage from it

Q&A