

1.	$\forall x[J(x) \rightarrow \exists y[O(y) \wedge S(y, x)]]$	Premise	{1}
2.	$J(a) \rightarrow \exists y[O(y) \wedge S(y, a)]$	\forall -elimination1	{1}
3.	$\neg J(a) \vee \exists y[O(y) \wedge S(y, a)]$	Sequent-intro(ImplToDisj)2	{1}
4.	$\neg J(a)$	Hypothesis	{4}
5.	$\neg J(a) \vee (O(b) \wedge S(b, a))$	\vee -introduction4	{4}
6.	$J(a) \rightarrow (O(b) \vee S(b, a))$	Sequent-intro(DisjToImpl)5	{4}
7.	$\exists y[J(a) \rightarrow (O(y) \vee S(y, a))]$	\exists -introduction6	{4}
8.	$\exists y[O(y) \wedge S(y, a)]$	Hypothesis	{8}
9.	$O(b) \wedge S(y, a)$	Hypothesis	{9}
10.	$\neg J(a) \vee (O(b) \wedge S(b, a))$	\vee -introduction9	{9}
11.	$J(a) \rightarrow (O(y) \vee S(b, a))$	Sequent-intro(DisjToImpl)10	{9}
12.	$\exists y[J(a) \rightarrow (O(y) \vee S(y, a))]$	\exists -introduction11	{9}
13.	$\exists y[J(a) \rightarrow (O(y) \vee S(y, a))]$	\exists -elimination8,9,12	{8}
14.	$\exists y[J(a) \rightarrow (O(y) \vee S(y, a))]$	\vee -elimination3,4,7,8,13	{1}
15.	$\forall x[\exists y[J(x) \rightarrow (O(y) \wedge S(y, x))]]$	\forall -introduction14	{1}