

$$R_x \text{ signal} = \text{desired signal} + \text{interf} + \text{noise}$$

$$SLNR = \frac{P_{R_x}}{N + P_{\text{interf}}}$$

path loss  
shadowing  
Rayleigh flat fading

channel

$$H_{k,q,i} = \tilde{H}_{k,q,i} \tilde{R}_{t,q,i}^T$$

channel  
inst.  $k$ .  
user  $q$ .  
BS  $i$ .

i.i.d.      cor. matrix



$$\tilde{H}_{k,q,i} = \Sigma \tilde{H}_{k-1,q,i} + \sqrt{1-\Sigma^2} N_{k,q,i}$$

$$\begin{cases} \Sigma = 1 & \text{constant} \\ \Sigma = 0 & \text{no memory} \end{cases}$$



↑ ↑ ↑ ↑ TX select one user to serve

each user calculates: (1) PMI  $\rightarrow$  precoding matrix to user  
(2) RI  $\rightarrow$  1 or 2 streams

TX  $\rightarrow$  RX: 1. transmit only 1 symbol  
2. transmit 2 symbols  
(based on SNR)

MMSE RX.

$(H H^H + \text{interf} + \text{noise})$

# 1. system model

$$\underline{Y} = \underline{H}\underline{X} + \underline{n}$$

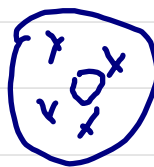
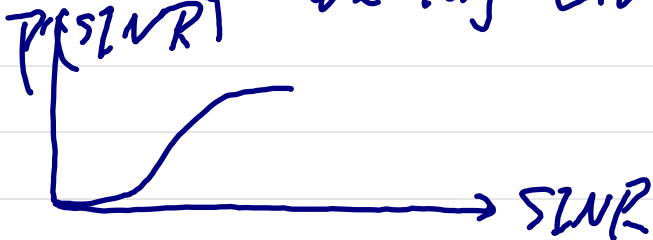
MMSE Rx

$$\underline{F} = \left( \underline{H}\underline{H}^H + \underbrace{\underline{H}_i \underline{H}_i^H + \sigma_n^2 \underline{I}}_{\text{noise + interf}} \right)^{-1}$$

achivable rate

$$C = \log_2(1 + \text{SINR}_i) + \log_2(1 + \text{SINR}_o)$$

## 2. calculate the long-term SINR



## 3. PF scheduling over T very large number of slots.

1		✓	...
2	✓		
3	✓		
...			
K		✓	

Rate: 1 0 0 R 0 ...

$t_c$  large: max rate  
 $t_c$  small: round robin

- discuss the CDF of each user based on  $t_c$
- influence of the number of users

## 1. User distribution

drop: to generate user coordinate (fixed within every drop)

- ① coordinate of all base stations
- ② distance between users and central BS
- ③ phase of all users
- ④ coordinate of users

⑤ distance between interf BS and users

⑥ transmit correlation matrix  $R_{t,q,i}$

BS 0: koeplitz matrix (function of user phase)

BS 1-6: identity matrix

→  $d_{q,i}$   $\begin{cases} \text{user-center BS} & d_c \\ \text{user-interf BS} & d_i \end{cases}$

→  $R_{t,q,i}$

## 2. pathloss + shadowing

$$\text{center: } 128.1 + 37.6 \log_{10} \frac{d_c}{10^3} + 8 \text{ randn}(1, n_{\text{users}})$$

$$\text{interf: } 128.1 + 37.6 \log_{10} \frac{d_i}{10^3} + 8 \text{ randn}(n_{\text{interfs}}, n_{\text{users}})$$

db2pow(-)

→  $\Lambda_c, \Lambda_i$

### 3. fading

R {  $H_{k,q,i}$ : spatial + temporal correlated fading  
 $\tilde{H}_{k,q,i}$ : temporal fading (Markov process)

$$\tilde{H}_{k,q,i} = \epsilon \tilde{H}_{k-1,q,i} + \sqrt{1 - \epsilon^2} N_{k,q,i} \quad \begin{array}{l} \text{time correlation } \epsilon \\ \text{memory} \end{array}$$

i.i.d.  $\mathcal{CN}(0,1)$

if  $k \geq 1$

$$\tilde{H}_{k,q,i} = \sqrt{\frac{1}{2}} \cdot [\text{randn}(N_{Rxs}, N_{TxS}) + i \text{randn}(N_{Rxs}, N_{TxS})]$$

e/sr

end

→  $H_{k,q,i}$   
 $\tilde{H}_{k,q,i}$       is equal? No → cancel  
Yes → interf

#### 4. CSI codebook (R1, P1)

R1: number of streams/layers in transmission

P1: index of the preferred precoder corresponding to R1

C1: the maximum achievable rate by the selected R1, P1

$N \times S = 4$  codebook size = 2816

① input  $u_0 - u_5$

② calculate corresponding  $w_0 - w_5$ :  $w_n = \frac{u_n u_n^H}{u_n^H u_n} \quad (4 \times 4)$

③ if  $R1 == 1$  % single layer:  $P(4 \times 1)$   
precoder =  $w_n$  if  $\rightarrow w_n(:, 1)$

P1

else % double layer:  $P(4 \times 2)$

precoder(:, 1) =  $w_n(:, 1)$

if ismember(P1, [2 3 4 9 10 16])

precoder(:, 2) =  $w_n(:, 2)$

elseif - - -

precoder(:, 2) =  $w_n(:, 3) / w_n(:, 4)$

end

.. precoder /=  $\sqrt{2}$

end

④ uniform power allocation

if  $R1 == 1$

precoder  $\times = \sqrt{P}$

else

precoder  $\times = \begin{bmatrix} \sqrt{P} & \sqrt{P} \end{bmatrix}^T$

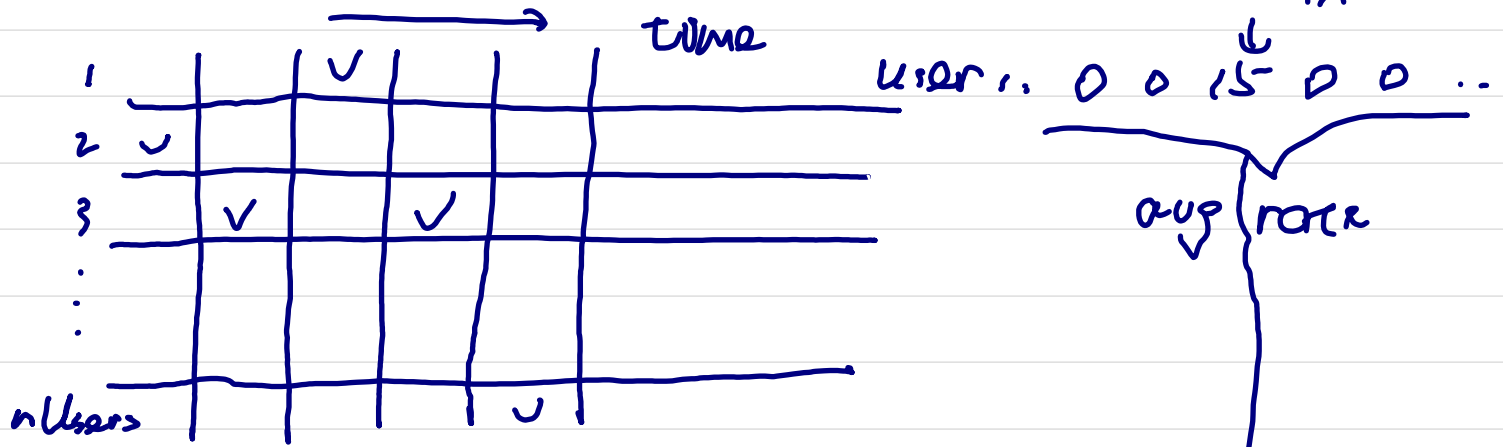
$\rightarrow$  precoder

## 5. Linear precoding

- ① Obtain precoder for all  $P_{m1}$  ( $16 \times 2$  (single + double))
- ② calculate  $R_n$  (pp. 20) corresponding ( $16 \times 2$ )
  - i. select interf precoder randomly
  - ii. sum up intercell interf contribution for BS (1-6)
  - iii. (if  $R_L = 2$ ) interstream contribution
  - iv. generate noise cov. matrix
- ③ calculate corresponding SINR ( $16 \times 2$ )
- ④ rate  $16 \times 2$  (sum of two streams if  $R_L = 2$ )
- ⑤ define max rate as CQI

→ CQI for all users

## 6. proportional fairness scheduling



↑  
CQI of all users

① schedule

$$[n, \text{userIndex}] = \max \cdot \frac{QoS \cdot x \cdot CQI}{\text{long-term rate}}$$

② update LT rate

for  $i_{\text{user}} = 1 : n_{\text{users}}$

if  $i_{\text{user}} == \text{userIndex}$  % scheduled

$$R_{LT}(i_{\text{user}}) = \left(1 - \frac{1}{T_U}\right) \cdot R_{LT}(i_{\text{user}}) + \frac{1}{T_U} \cdot CQI_{i_{\text{user}}}$$

else

$$R_{LT}(i_{\text{user}}) = \left(1 - \frac{1}{T_U}\right) R_{LT}(i_{\text{user}})$$

end

→ LT rate      ⇒ inst rate (k, userIndex)  
user index      =  $CQI(\text{userIndex})$



