large-scale fooding =10lop...S ~ N(0.0;) M: 7-10(09:09 NN(0,05))

Colculate 9:10 To m shadowy

realisation hultigle for 121:1000

reclisation X= vandy (0, 0s²);

of 4:3=1070; P(utis) Js = 8 4B

EXU: h: ~ c N(0,1) real imag hi: hreat + ihimay CN(0.1) N(0.47 = N(0.1) M 100 i=1:1000 hr= Moi) ~ Zx randn h1: ~10,1) h= hz + ihz norm[i]: 965(h) square a65. [17 = norm(h) erd 766 (asons 76t (994 sno GGs)

NLOS.
Royleigh O Exi 1~(NO.1) 7x Xxx Q EVS h=hcosthreyenga TV Ricean

TV RX h= (K+1h +) 1+Kh everpy

K: how much is in LOS

Riceon faceur 7x x x x x k-0 => h=h (Ray(evsh) $K \rightarrow \infty = \lambda + \lambda = e^{j\phi}$ - (auge dix K hR= NCO.1 hz = N(0.1) TichR+ihz -> h = e10 = 1 h= KERh + KARA horm[i]=abs(h) Plot(uova) correlated uncorrelated

EX4: n couplex normal RV X1. X2.. Xu => Y= (X,12+1X12+..+1Xn/2 h=1=XXi coarg (RV) h=3 Q-X ルニろ for 1=1:100 hp= N(0:1) hi= NIV.1) hi-hr+ih1 hr = /R + i/2

sam-wom-h[i]= C65(hi) 2+ C65(hi) 2 plot (sum-non-h7 for i:1:100 for i:1:100 h=hp+jhz sum nom. hZi]= sum-nom[i-1] + a631h1^2 Exs: BPSK

Power = 1512

110100 -> < 1.1.-1.1.-1.-1)

110100 -> < 1.1.-1.1.-1.-1)

BRSK with poner P => 5 ymbols

P=1013=>10=> 3..

P=208=>10=> 3..

17x -> (7x) generale 1000 random bits r=5-16)~(v(0.1) -10) -10 = 75 0-)(-1)-)-Mp bie {0.17 1-> Sie 3-17. 17 70 > 1 < Re 44; } < Y:= Sith < (0-70)

ENS: 1) on AWGN channel BPSK/QPSK 1) BPSK bit Kota mapping power: SNR Generocur -> ------> MF 101 ... 011 164 15; 5; 70. Re(5:)ci 1. Re(5:)so Channel -) 3:0 S:2 CN(0.1) (Rx knows hi) Oarsk مرا د ده レーンーレー 1 -1 +1 1 -1 (N(O.1) ML Lecodory S.

Pe (symbol) = # wroup symbol = # 7x symbol 2) channel: h; S; +CN(0.1). h: ~ CN(0.1) change after several symbols. n, n(Mo.) hi Tx → (-1) → 6)NRT G Ry not to do a 6its -> [1] Six WKT 1/2/2 - DO ... EMRC (Tx need thur cn) = P(E)(1h,1+ (h,1)

Alamouri: get diversity pain w/o CSI

$$S_1.S_1 = X_1 = X_2 = X_3 = X_4 = X_4 = X_5 = X_5$$

direxits gain

6. Cominant eigenmode transmission (DE7)

L / = (hill hiz)

L / = (hill hiz) SUD UNV' y = PPHV.S+n LXZ DET: Rxi [y]=FUNV"V,s+n div. gain=, 4

Rxv[y]=FUNV"V,s+n div. gain=, 4

= V.H. v, = () 272 Alamont... = TP(U11U2)(3, 2)(3) 5 (M 15I1: 3 dis 155) = TP(U11U2)(3, 2)(3) = TPU1 xis 1. 1. 5 ain = 4 Rx. Y= TPHUSHA レバリ= アトルガロ、入、5 ナロガロ=アア、5+1 SNR = 121 Tr= = 12112 E: 5250 array pain : Ail
E: MRTIMRC

$$y(1) = h_1 S_1 + h_2 S_2 + h_3
 = \sum_{i=1}^{n} \frac{y(i)}{y(i)} = \begin{bmatrix} h_1 & h_2 \\ h_2 & -h_1 \end{bmatrix} \begin{bmatrix} S_1 \\ h_2 \end{bmatrix} = \begin{bmatrix} h_1 \\ h_2 \end{bmatrix}
 = \begin{bmatrix} h_1 & h_2 \\ h_2 & -h_1 \end{bmatrix}
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 = \begin{bmatrix} h_1 & h_2 \\ h_2 & -h_1 \end{bmatrix}
 = \begin{bmatrix} h_1 & h_2 \\ h_2 & -h_1 \end{bmatrix}$$

$$S_{n} = [h_{n}^{\dagger} h_{n}^{\dagger}] y \quad \text{div. gain} = 2$$

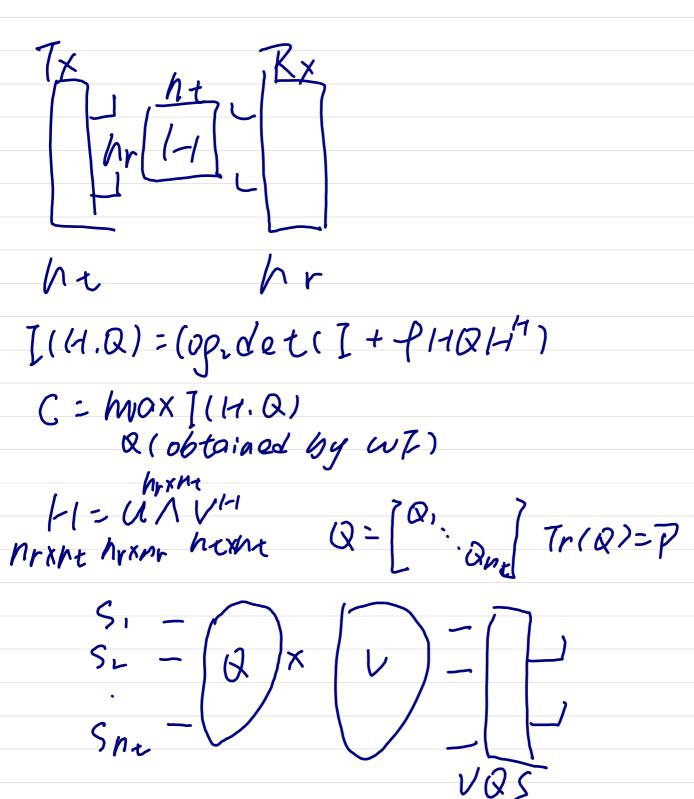
$$S_{n} = [h_{n}^{\dagger} - h_{n}^{\dagger}] y$$

 $S_{1} = \begin{bmatrix} h_{1}^{+} h_{1}^{-} \end{bmatrix} y$ $S_{1} = \begin{bmatrix} h_{1}^{+} h_{1}^{-} \end{bmatrix} y$ $S_{1} = \begin{bmatrix} h_{2}^{+} - h_{1}^{-} \end{bmatrix} y$ Grvoy gain = 1 Giversity gain = 4 $S_{1} = \begin{bmatrix} h_{2}^{-} - h_{1}^{-} \end{bmatrix} y$ Giversity gain = 4 $S_{2} = \begin{bmatrix} h_{2}^{-} - h_{1}^{-} \end{bmatrix} y$ Giversity gain = 4 Giversity gain

Spacing > $\frac{2}{\nu}$: h ancomeloted. < =: h conveloted. How complation impact the performance? Kronecker model correlation at Rx. 7x

Rv = [r |] Rt = [t |] (1.2) H= Ri Hw Rei mo Rx correlation. => Rr=[oi]=Rri
only Tx correlation => Rt=[ti] H= HWKZ task: repeat the previous exercise with channel H= KwRi (t=0,0.9) ESHH" > - RroRt Rit (Te 1)

eusure atteast 100 errors



J=UNVHVQs=UNQs H-UNUH 1-11-14 = UNKHYNHU

2X2 C=(0p,(1+),19 + 109 (1+ 22 Pz) 2X4 H=UNUM 9,+9,-7 4×4 79, - X. P Ns-Min(he.hr) 192 - X2 P (X1-1 X2 = 1 Astroams SUD (1-1): 2 SUD (H"H): 40 590000 M* such that $\max\{\mu^{*} - \frac{1}{p\lambda_{1}}, 0\} + \max\{\mu^{*} - \frac{1}{p\lambda_{1}}, 0\}$ =1

$$\begin{aligned}
|1 &= U Z V \\
Z &= \begin{pmatrix} \sigma_1 & \sigma_2 \\ \sigma & \sigma_2 \end{pmatrix} \\
& \downarrow \\
Q &= \begin{pmatrix} \alpha_1 & \sigma_2 \\ \sigma & \alpha_2 \end{pmatrix} \xrightarrow{7x} \\
\begin{pmatrix} S_1 \\ \vdots \\ S_n \end{pmatrix} \xrightarrow{9} \begin{pmatrix} Q \\ Q \end{pmatrix} \xrightarrow{7} \begin{pmatrix} V \\ P \\ S_n \end{pmatrix}
\end{aligned}$$

1) generate motorix (4)

1) SUD H= $U \geq V^{H} \mathcal{D} \geq = (\sigma_{x}) \rightarrow \gamma = (\gamma_{x})$ $(M^{*} - \frac{1}{p_{x}})^{+} + (M^{*} - \frac{1}{p_{x}})^{+} = 1$ E) Calculate $C = (op_{x}(1+p_{x},s_{1}) + lop_{x}(1+p_{x},s_{2})$ $C = E(lop_{x}det(1+\frac{l}{h+1})^{+})$ $u_{x}(c_{x}z_{1})$ $ergodic_{x}(c_{x}z_{1})$ $ergodic_{x}(c_{x}z_{1})$

2) ML receiver

$$\begin{bmatrix} \hat{y_i} \\ \hat{y_i} \end{bmatrix} = H \begin{bmatrix} \hat{s_i} \\ \hat{s_i} \end{bmatrix}$$
 arguin $\| \hat{y} - \hat{y} \|^2$

57 unordered

$$\begin{bmatrix} y_1 \\ y_2 \end{bmatrix} = H \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} h_1 \\ h_2 \end{bmatrix} = (h, |h_2| \begin{pmatrix} s_1 \\ s_2 \end{pmatrix}) + h$$

$$= h_1 s_1 + h_2 s_2 + h$$

$$= h_1 s_1 + h_2 s_2 + h$$

$$= h_2 s_1 + h_2 s_2 + h$$

$$= h_1 s_2 + h_2 s_2 + h$$

$$= h_2 s_1 + h_2 s_2 + h$$

$$= h_1 s_2 + h_2 s_2 + h$$

$$= h_2 s_1 + h_2 s_2 + h$$

$$= h_1 s_2 s_2 + h$$

$$= h_1$$

6) ordered

Choose G(i,:) such that |G(i,:)| is min min{|G(1,:)|, |G(2,:)|}

$$\frac{y(1) = H(s_1) = h_1, s_1 + h_2, s_1 + h_2}{y(1) = H(s_1) = -h_1, s_2 + h_2, s_1 + h_2}$$

$$\frac{y(1) = H(s_1) = h_1, s_2 + h_2, s_1 + h_2, s_1 + h_2}{s_1^2} = -h_1, s_2^2 + h_2, s_1^2 + h_2$$

$$\frac{y(1) = H(s_1) = h_1, s_1 + h_2, s_1 + h_2, s_1 + h_2$$

$$\frac{y(1) = H(s_1) = h_1, s_2 + h_2, s_1 + h_2$$

$$\frac{y(1) = H(s_1) = h_1, s_2 + h_2, s_1 + h_2$$

$$\frac{y(1) = H(s_1) = h_1, s_2 + h_2$$

$$\frac{y(1) = H(s_1) = h_1, s_2 + h_2$$

$$\frac{y(1) = h_1, s_2 + h_2$$

$$S_1 = [h_1^{1} h_2^{1}] \begin{bmatrix} y(1) \\ y(1)^{*} \end{bmatrix}$$
 $S_2 = [h_2^{1} - h_2^{1}] \begin{bmatrix} y(1) \\ y(1) \end{bmatrix}$

H= Ri Hw Rx

418 bits CSI feetback 1x3 vect · Rx can estimate h.
· Rx hos to feedback h to Tx w=h +1 Rx can only feedback 2 bits 1. Rx estimate h 2. Rx choose h quontised WI ... WAP Mp Precoding chaunces preceding W= max | | hn:11 ÎG1.2-1 hp MRT perfect

tc: scaling time scale Rx3512... 2* = arphrex Uq qeqi...kf QE { 1.2.. K} Top, 9th, arronano Ra rate ~ cs] Qt = avgnesta Ra Cong-teven ang. propartional fair scheduling

RY, schedule for one user (X ti to to to RXK for each user in each slot 3 params: (& . Qos R(t): current rate R(t): long-term vote Va. given R(t): (092(1+1hq12P) R(t) $((1-\frac{1}{tc})R_{2}(t-1)+\frac{1}{tc}R_{4}(t)$ $(1-\frac{1}{tc})R_{4}(t-1)$ if 2 mo it & scheduled it 9 met scheduled 9 = argunax ra Ka Ra hx(t) = Ehx(t-1)+ \(\frac{1}{1-\frac{1}{2}}\) noise (N(0,1))

trade off by slot length.

or t:1:1e⁵

ti-77: may race

topo: rocmer 7.06ia (new fair)

O generate the channel of each asen for t:1:1e5 2051.h ha(t) = { ha(t -1) + M-20 n and long-term rote of each user Kq(t)=lop(1+hq(t)/f) select q = angrow to Ralts

Ralts

Ralts apolote the long-term rate Ra(t), in each slot t O generate channel for each user @ calculote the just rate of user k Ra(t)=(2/2/4/1/2(4)/7) 3) chaose user a that maximise at = cropped ya Rait-1) Diterore. (y) apacto complera rate Ra(t)

1. $\chi \sim N(M, \sigma) \rightarrow \chi = M + \sigma \cdot randn$

109-normal: 1095 is in normal distribution
dbv pow(.)

2. Sqrt(=1). (randn + 11. nandn)

3. h= /k h + /1+k h

Ricean factor KER++
how much energy is in LOS path

I'm distribution:

k=0. Rayleigh

k→∞: Rice

4. 1: 1. 1/12 ~ Exp (=)

S. AWGN channel: Tx → ⊕→ Rx

y=x+n

foding channel: Tx → ⊕→ ⊕→ Rx

y=hx+n

Channel roise

BPSK:

OPSK:

OP

W1. encode / rate BER

hoise > Rx

MRT us Alamouri: normalize we

diversity. information symbols pass through multiple independent fading chownels.

- () repetition cooling: same symbol over several paths
 · max diversity gain
 · mo cooling gain
- (2) Alamouti

array gain - SNR.
Niversity gain - It independent feeling parts
untiplexing gain - (Sum) rate
Coding gain - ix power (to advise some produce distance)

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