

# FormFactorsTest

October 8, 2023

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[1]: import numpy as np
import NuFF
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[2]: NuFF.get_elements()
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[2]: dict_keys([('NN', 0), ('H', '1'), ('He', '3'), ('He', '4'), ('C', '12'), ('N',
'14'), ('O', '16'), ('Ne', '20'), ('Mg', '24'), ('Na', '23'), ('Al', '27'),
('Si', '28'), ('S', '32'), ('Ar', '40'), ('Ca', '40'), ('Fe', '56'), ('Ni',
'58')])
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[3]: import sympy as sp
from IPython.display import display, Math, Latex
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```
[5]: for el, ms in NuFF.get_elements():
    if(ms != 0):
        print("*****")
        print(el + str(ms))
        print("*****")
        for ff in NuFF.get_form_factors(el,ms):
            print(ff[1] + '_' + ff[0],":")
            try:
                print(NuFF.ff_get_poly(ff[2]))
                display(Math(sp.latex(NuFF.ff_make_expr(ff[2]))))
            except:
                print("couldn't parse ",ff[2])
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H1

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M\_00 :

poly([0.0397887],y)

0.0397887

Sigma\_pp\_00 :

poly([0.0397887],y)

0.0397887

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Sigma_p_00 :
poly([0.0795775],y)
0.0795775

M_11 :
poly([0.0397887],y)
0.0397887

Sigma_pp_11 :
poly([0.0397887],y)
0.0397887

Sigma_p_11 :
poly([0.0795775],y)
0.0795775

M_10 :
poly([0.0397887],y)
0.0397887

Sigma_pp_10 :
poly([0.0397887],y)
0.0397887

Sigma_p_10 :
poly([0.0795775],y)
0.0795775

M_01 :
poly([0.0397887],y)
0.0397887

Sigma_pp_01 :
poly([0.0397887],y)
0.0397887

Sigma_p_01 :
poly([0.0795775],y)
0.0795775

*****
He3
*****
M_00 :
exp(-2y)*poly([0.358099],y)
0.358099e-2y

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Sigma_pp_00 :
exp(-2y)*poly([0.0397887],y)
0.0397887e-2y

Sigma_p_00 :
exp(-2y)*poly([0.0795775],y)
0.0795775e-2y

M_11 :
exp(-2y)*poly([0.0397887],y)
0.0397887e-2y

Sigma_pp_11 :
exp(-2y)*poly([0.0397887],y)
0.0397887e-2y

Sigma_p_11 :
exp(-2y)*poly([0.0795775],y)
0.0795775e-2y

M_10 :
exp(-2y)*poly([0.119366],y)
0.119366e-2y

Sigma_pp_10 :
exp(-2y)*poly([-0.0397887],y)
-0.0397887e-2y

Sigma_p_10 :
exp(-2y)*poly([-0.0795775],y)
-0.0795775e-2y

M_01 :
exp(-2y)*poly([0.119366],y)
0.119366e-2y

Sigma_pp_01 :
exp(-2y)*poly([-0.0397887],y)
-0.0397887e-2y

Sigma_p_01 :
exp(-2y)*poly([-0.0795775],y)
-0.0795775e-2y

*****
He4
*****

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M_00 :
exp(-2y)*poly([0.31831],y)
0.31831e-2y

*****
C12
*****
M_00 :
exp(-2y)*poly([ 0.565882   -2.546469    2.86477762],y)
2.864777625 (0.444444444444444y - 1)2 e-2y

Phi_pp_00 :
exp(-2y)*poly([0.0480805],y)
0.0480805e-2y

MPhi_pp_00 :
exp(-2y)*poly([ 0.164948 -0.371134],y)
(0.164948y - 0.371134) e-2y

*****
N14
*****
M_00 :
exp(-2y)*poly([ 2.67574 -11.1409   11.6979 ],y)
(2.67574y2 - 11.1409y + 11.6979) e-2y

Sigma_pp_00 :
exp(-2y)*poly([0.0230079  0.05567268  0.03367807],y)
0.0336780717644348 (0.826541913940456y + 1)2 e-2y

Sigma_p_00 :
exp(-2y)*poly([ 0.134532   -0.19038377   0.06735568],y)
0.134532 (y - 0.707578)2 e-2y

Phi_pp_00 :
exp(-2y)*poly([0.0905048],y)
0.0905048e-2y

Phi_t_p_00 :
exp(-2y)*poly([0.00126432],y)
0.00126432e-2y

Delta_00 :
exp(-2y)*poly([0.0424075],y)
0.0424075e-2y

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MPhi_pp_00 :
exp(-2y)*poly([ 0.483267 -1.02414 ],y)
(0.483267y - 1.02414) e-2y

Sigma_ppDelta_00 :
exp(-2y)*poly([-0.0755325 0.0534451],y)
(0.0534451 - 0.0755325y) e-2y

*****
O16
*****
M_00 :
exp(-2y)*poly([ 3.26280000e-05 -1.30539408e-02 1.33144981e+00 -5.15740313e+00
5.09294912e+00],y)
5.09294912430317 (0.00253110730882547y2 - 0.506327768272064y + 1)2 e-2y

Phi_pp_00 :
exp(-2y)*poly([ 3.26280000e-05 -2.38872851e-04 4.37203007e-04],y)
0.00043720300699797 (0.273182991626941y - 1)2 e-2y

MPhi_pp_00 :
exp(-2y)*poly([ 3.26280e-05 -6.64641e-03 3.67831e-02 -4.71874e-02],y)
(3.2628 · 10-5y3 - 0.00664641y2 + 0.0367831y - 0.0471874) e-2y

*****
Ne20
*****
M_00 :
exp(-2y)*poly([ 0.0431723 -0.78151188 4.70902938 -10.61027422
7.95769394],y)
7.95769394192059 (0.0736561436589426y2 - 0.666667648748582y + 1)2 e-2y

Phi_pp_00 :
exp(-2y)*poly([ 0.00348077 -0.01740392 0.02175499],y)
0.0217549865388481 (0.3999984000064y - 1)2 e-2y

MPhi_pp_00 :
exp(-2y)*poly([ 0.0122586 -0.1416 0.443815 -0.416077 ],y)
(0.0122586y3 - 0.1416y2 + 0.443815y - 0.416077) e-2y

*****
Mg24
*****
M_00 :
exp(-2y)*poly([ 0.123467 -1.85027399 9.31096738 -17.8252621
11.45910386],y)

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$11.4591038639066 (0.103800661210212y^2 - 0.7777777316441506y + 1)^2 e^{-2y}$   
 Phi\_pp\_00 :  
 $\exp(-2y) * \text{poly}([0.0260816 \ -0.130408 \ 0.16301 \ ], y)$   
 $0.16301 (0.4y - 1)^2 e^{-2y}$   
 MPhi\_pp\_00 :  
 $\exp(-2y) * \text{poly}([0.056747 \ -0.567072 \ 1.6097 \ -1.36673 \ ], y)$   
 $(0.056747y^3 - 0.567072y^2 + 1.6097y - 1.36673) e^{-2y}$   
 \*\*\*\*\*  
 Na23  
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 M\_00 :  
 $\exp(-2y) * \text{poly}([0.483166 \ -6.57878 \ 32.5913 \ -63.4498 \ 42.0965 \ ], y)$   
 $(0.483166y^4 - 6.57878y^3 + 32.5913y^2 - 63.4498y + 42.0965) e^{-2y}$   
 M\_11 :  
 $\exp(-2y) * \text{poly}([0.00523012 \ -0.0543892 \ 0.182941 \ -0.212207 \ 0.0795776 \ ], y)$   
 $(0.00523012y^4 - 0.0543892y^3 + 0.182941y^2 - 0.212207y + 0.0795776) e^{-2y}$   
 M\_10 :  
 $\exp(-2y) * \text{poly}([-0.04545 \ 0.597822 \ -2.50445 \ 3.81972 \ -1.83028 \ ], y)$   
 $(-0.04545y^4 + 0.597822y^3 - 2.50445y^2 + 3.81972y - 1.83028) e^{-2y}$   
 M\_01 :  
 $\exp(-2y) * \text{poly}([-0.04545 \ 0.597822 \ -2.50445 \ 3.81972 \ -1.83028 \ ], y)$   
 $(-0.04545y^4 + 0.597822y^3 - 2.50445y^2 + 3.81972y - 1.83028) e^{-2y}$   
 Sigma\_pp\_00 :  
 $\exp(-2y) * \text{poly}([0.00078605 \ -0.010514 \ 0.0401886 \ -0.0262533 \ 0.0126672 \ ], y)$   
 $(0.00078605y^4 - 0.010514y^3 + 0.0401886y^2 - 0.0262533y + 0.0126672) e^{-2y}$   
 Sigma\_pp\_11 :  
 $\exp(-2y) * \text{poly}([0.00059768 \ -0.00765719 \ 0.0332751 \ -0.0167053 \ 0.00917577 \ ], y)$   
 $(0.00059768y^4 - 0.00765719y^3 + 0.0332751y^2 - 0.0167053y + 0.00917577) e^{-2y}$   
 Sigma\_pp\_10 :  
 $\exp(-2y) * \text{poly}([0.00062672 \ -0.00876213 \ 0.0360971 \ -0.020986 \ 0.0107811 \ ], y)$   
 $(0.00062672y^4 - 0.00876213y^3 + 0.0360971y^2 - 0.020986y + 0.0107811) e^{-2y}$   
 Sigma\_pp\_01 :  
 $\exp(-2y) * \text{poly}([0.00062672 \ -0.00876213 \ 0.0360971 \ -0.020986 \ 0.0107811 \ ], y)$   
 $(0.00062672y^4 - 0.00876213y^3 + 0.0360971y^2 - 0.020986y + 0.0107811) e^{-2y}$   
 Sigma\_p\_00 :  
 $\exp(-2y) * \text{poly}([0.00466396 \ -0.0384261 \ 0.100235 \ -0.0750847 \ 0.0253345 \ ], y)$

$(0.00466396y^4 - 0.0384261y^3 + 0.100235y^2 - 0.0750847y + 0.0253345)e^{-2y}$   
 Sigma\_p\_11 :  
 $\exp(-2y)*\text{poly}([0.00477955 \ -0.0374699 \ 0.0887794 \ -0.0567009 \ 0.0183515], y)$   
 $(0.00477955y^4 - 0.0374699y^3 + 0.0887794y^2 - 0.0567009y + 0.0183515)e^{-2y}$   
 Sigma\_p\_10 :  
 $\exp(-2y)*\text{poly}([0.00472138 \ -0.0379511 \ 0.0941439 \ -0.0652627 \ 0.0215622], y)$   
 $(0.00472138y^4 - 0.0379511y^3 + 0.0941439y^2 - 0.0652627y + 0.0215622)e^{-2y}$   
 Sigma\_p\_01 :  
 $\exp(-2y)*\text{poly}([0.00472138 \ -0.0379511 \ 0.0941439 \ -0.0652627 \ 0.0215622], y)$   
 $(0.00472138y^4 - 0.0379511y^3 + 0.0941439y^2 - 0.0652627y + 0.0215622)e^{-2y}$   
 Phi\_pp\_00 :  
 $\exp(-2y)*\text{poly}([0.107832 \ -0.49308 \ 0.612149], y)$   
 $(0.107832y^2 - 0.49308y + 0.612149)e^{-2y}$   
 Phi\_pp\_11 :  
 $\exp(-2y)*\text{poly}([0.00163204 \ -0.00747826 \ 0.00940911], y)$   
 $(0.00163204y^2 - 0.00747826y + 0.00940911)e^{-2y}$   
 Phi\_pp\_10 :  
 $\exp(-2y)*\text{poly}([-0.0110124 \ 0.060682 \ -0.075893], y)$   
 $(-0.0110124y^2 + 0.060682y - 0.075893)e^{-2y}$   
 Phi\_pp\_01 :  
 $\exp(-2y)*\text{poly}([-0.0110124 \ 0.060682 \ -0.075893], y)$   
 $(-0.0110124y^2 + 0.060682y - 0.075893)e^{-2y}$   
 Phi\_t\_p\_00 :  
 $\exp(-2y)*\text{poly}([5.44981\text{e-}06 \ -1.03940\text{e-}04 \ 4.95589\text{e-}04], y)$   
 $(5.44981 \cdot 10^{-6}y^2 - 0.00010394y + 0.000495589)e^{-2y}$   
 Phi\_t\_p\_11 :  
 $\exp(-2y)*\text{poly}([2.84800\text{e-}04 \ 8.38100\text{e-}05 \ 6.16583\text{e-}06], y)$   
 $(0.0002848y^2 + 8.381 \cdot 10^{-5}y + 6.16583 \cdot 10^{-6})e^{-2y}$   
 Phi\_t\_p\_10 :  
 $\exp(-2y)*\text{poly}([3.93968\text{e-}05 \ -3.69894\text{e-}04 \ -5.52785\text{e-}05], y)$   
 $(3.93968 \cdot 10^{-5}y^2 - 0.000369894y - 5.52785 \cdot 10^{-5})e^{-2y}$   
 Phi\_t\_p\_01 :  
 $\exp(-2y)*\text{poly}([3.93968\text{e-}05 \ -3.69894\text{e-}04 \ -5.52785\text{e-}05], y)$   
 $(3.93968 \cdot 10^{-5}y^2 - 0.000369894y - 5.52785 \cdot 10^{-5})e^{-2y}$   
 Delta\_00 :  
 $\exp(-2y)*\text{poly}([0.00656896 \ -0.0268568 \ 0.0335711], y)$

$(0.00656896y^2 - 0.0268568y + 0.0335711)e^{-2y}$   
Delta\_11 :  
 $\exp(-2y)*\text{poly}([0.0021619 \ -0.00617861 \ 0.00772326],y)$   
 $(0.0021619y^2 - 0.00617861y + 0.00772326)e^{-2y}$   
Delta\_10 :  
 $\exp(-2y)*\text{poly}([0.00362952 \ -0.0128817 \ 0.0161021],y)$   
 $(0.00362952y^2 - 0.0128817y + 0.0161021)e^{-2y}$   
Delta\_01 :  
 $\exp(-2y)*\text{poly}([0.00362952 \ -0.0128817 \ 0.0161021],y)$   
 $(0.00362952y^2 - 0.0128817y + 0.0161021)e^{-2y}$   
MPhi\_pp\_00 :  
 $\exp(-2y)*\text{poly}([0.226345 \ -2.09908 \ 5.86765 \ -5.07498],y)$   
 $(0.226345y^3 - 2.09908y^2 + 5.86765y - 5.07498)e^{-2y}$   
MPhi\_pp\_11 :  
 $\exp(-2y)*\text{poly}([0.00280825 \ -0.0213121 \ 0.0474719 \ -0.0273574],y)$   
 $(0.00280825y^3 - 0.0213121y^2 + 0.0474719y - 0.0273574)e^{-2y}$   
MPhi\_pp\_10 :  
 $\exp(-2y)*\text{poly}([-0.0226015 \ 0.17682 \ -0.382932 \ 0.220651],y)$   
 $(-0.0226015y^3 + 0.17682y^2 - 0.382932y + 0.220651)e^{-2y}$   
MPhi\_pp\_01 :  
 $\exp(-2y)*\text{poly}([-0.0210943 \ 0.243236 \ -0.727336 \ 0.62922],y)$   
 $(-0.0210943y^3 + 0.243236y^2 - 0.727336y + 0.62922)e^{-2y}$   
Sigma\_ppDelta\_00 :  
 $\exp(-2y)*\text{poly}([0.00476387 \ -0.0305345 \ 0.0548817 \ -0.0291634],y)$   
 $(0.00476387y^3 - 0.0305345y^2 + 0.0548817y - 0.0291634)e^{-2y}$   
Sigma\_ppDelta\_11 :  
 $\exp(-2y)*\text{poly}([0.00310235 \ -0.0164035 \ 0.0231539 \ -0.0119052],y)$   
 $(0.00310235y^3 - 0.0164035y^2 + 0.0231539y - 0.0119052)e^{-2y}$   
Sigma\_ppDelta\_10 :  
 $\exp(-2y)*\text{poly}([0.00481368 \ -0.02884 \ 0.0482732 \ -0.024821],y)$   
 $(0.00481368y^3 - 0.02884y^2 + 0.0482732y - 0.024821)e^{-2y}$   
Sigma\_ppDelta\_01 :  
 $\exp(-2y)*\text{poly}([0.00306717 \ -0.0171362 \ 0.0263236 \ -0.013988],y)$   
 $(0.00306717y^3 - 0.0171362y^2 + 0.0263236y - 0.013988)e^{-2y}$

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A127



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M\_00 :

$$\exp(-2y) * \text{poly}([1.43446 \quad -18.5981 \quad 83.5367 \quad -146.097 \quad 87.0146], y) \\ (1.43446y^4 - 18.5981y^3 + 83.5367y^2 - 146.097y + 87.0146) e^{-2y}$$

M\_11 :

$$\exp(-2y) * \text{poly}([0.018155 \quad -0.132526 \quad 0.337291 \quad -0.31831 \quad 0.119366], y) \\ (0.018155y^4 - 0.132526y^3 + 0.337291y^2 - 0.31831y + 0.119366) e^{-2y}$$

M\_10 :

$$\exp(-2y) * \text{poly}([-0.11524 \quad 1.33587 \quad -4.92756 \quad 7.00266 \quad -3.22283], y) \\ (-0.11524y^4 + 1.33587y^3 - 4.92756y^2 + 7.00266y - 3.22283) e^{-2y}$$

M\_01 :

$$\exp(-2y) * \text{poly}([-0.11524 \quad 1.33587 \quad -4.92756 \quad 7.00266 \quad -3.22283], y) \\ (-0.11524y^4 + 1.33587y^3 - 4.92756y^2 + 7.00266y - 3.22283) e^{-2y}$$

Sigma\_pp\_00 :

$$\exp(-2y) * \text{poly}([0.0110011 \quad -0.00241606 \quad 0.0265347 \quad -0.0367242 \quad 0.0309465], y) \\ (0.0110011y^4 - 0.00241606y^3 + 0.0265347y^2 - 0.0367242y + 0.0309465) e^{-2y}$$

Sigma\_pp\_11 :

$$\exp(-2y) * \text{poly}([0.0104813 \quad 0.00095354 \quad 0.011506 \quad -0.00944476 \quad 0.0218834], y) \\ (0.0104813y^4 + 0.00095354y^3 + 0.011506y^2 - 0.00944476y + 0.0218834) e^{-2y}$$

Sigma\_pp\_10 :

$$\exp(-2y) * \text{poly}([0.0105713 \quad 0.00060608 \quad 0.0158643 \quad -0.0210567 \quad 0.0260233], y) \\ (0.0105713y^4 + 0.00060608y^3 + 0.0158643y^2 - 0.0210567y + 0.0260233) e^{-2y}$$

Sigma\_pp\_01 :

$$\exp(-2y) * \text{poly}([0.0105713 \quad 0.00060608 \quad 0.0158643 \quad -0.0210567 \quad 0.0260233], y) \\ (0.0105713y^4 + 0.00060608y^3 + 0.0158643y^2 - 0.0210567y + 0.0260233) e^{-2y}$$

Sigma\_p\_00 :

$$\exp(-2y) * \text{poly}([0.0243737 \quad -0.0942682 \quad 0.244466 \quad -0.210848 \quad 0.0618929], y) \\ (0.0243737y^4 - 0.0942682y^3 + 0.244466y^2 - 0.210848y + 0.0618929) e^{-2y}$$

Sigma\_p\_11 :

$$\exp(-2y) * \text{poly}([0.0277477 \quad -0.101991 \quad 0.221193 \quad -0.165622 \quad 0.0437667], y) \\ (0.0277477y^4 - 0.101991y^3 + 0.221193y^2 - 0.165622y + 0.0437667) e^{-2y}$$

Sigma\_p\_10 :

$$\exp(-2y) * \text{poly}([0.0259327 \quad -0.0985082 \quad 0.233007 \quad -0.18713 \quad 0.0520466], y) \\ (0.0259327y^4 - 0.0985082y^3 + 0.233007y^2 - 0.18713y + 0.0520466) e^{-2y}$$

Sigma\_p\_01 :

$$\exp(-2y) * \text{poly}([0.0259327 \quad -0.0985082 \quad 0.233007 \quad -0.18713 \quad 0.0520466], y)$$

$$(0.0259327y^4 - 0.0985082y^3 + 0.233007y^2 - 0.18713y + 0.0520466) e^{-2y}$$

Phi\_pp\_00 :

$$\exp(-2y) * \text{poly}([0.455491 \ -2.24306 \ 2.80498], y)$$

$$(0.455491y^2 - 2.24306y + 2.80498) e^{-2y}$$

Phi\_pp\_11 :

$$\exp(-2y) * \text{poly}([0.00596886 \ -0.0156159 \ 0.021493], y)$$

$$(0.00596886y^2 - 0.0156159y + 0.021493) e^{-2y}$$

Phi\_pp\_10 :

$$\exp(-2y) * \text{poly}([-0.0239615 \ 0.137389 \ -0.180417], y)$$

$$(-0.0239615y^2 + 0.137389y - 0.180417) e^{-2y}$$

Phi\_pp\_01 :

$$\exp(-2y) * \text{poly}([-0.0239615 \ 0.137389 \ -0.180417], y)$$

$$(-0.0239615y^2 + 0.137389y - 0.180417) e^{-2y}$$

Phi\_t\_p\_00 :

$$\exp(-2y) * \text{poly}([3.40251e-03 \ -3.76682e-04 \ 6.80703e-05], y)$$

$$(0.00340251y^2 - 0.000376682y + 6.80703 \cdot 10^{-5}) e^{-2y}$$

Phi\_t\_p\_11 :

$$\exp(-2y) * \text{poly}([0.00440385 \ -0.00563307 \ 0.0149622], y)$$

$$(0.00440385y^2 - 0.00563307y + 0.0149622) e^{-2y}$$

Phi\_t\_p\_10 :

$$\exp(-2y) * \text{poly}([0.00281525 \ 0.00298228 \ -0.0010092], y)$$

$$(0.00281525y^2 + 0.00298228y - 0.0010092) e^{-2y}$$

Phi\_t\_p\_01 :

$$\exp(-2y) * \text{poly}([0.00281525 \ 0.00298228 \ -0.0010092], y)$$

$$(0.00281525y^2 + 0.00298228y - 0.0010092) e^{-2y}$$

Delta\_00 :

$$\exp(-2y) * \text{poly}([0.0237577 \ -0.100835 \ 0.126043], y)$$

$$(0.0237577y^2 - 0.100835y + 0.126043) e^{-2y}$$

Delta\_11 :

$$\exp(-2y) * \text{poly}([0.012102 \ -0.045888 \ 0.05736], y)$$

$$(0.012102y^2 - 0.045888y + 0.05736) e^{-2y}$$

Delta\_10 :

$$\exp(-2y) * \text{poly}([0.016845 \ -0.0680228 \ 0.0850285], y)$$

$$(0.016845y^2 - 0.0680228y + 0.0850285) e^{-2y}$$

Delta\_01 :

$$\exp(-2y) * \text{poly}([0.016845 \ -0.0680228 \ 0.0850285], y)$$

$(0.016845y^2 - 0.0680228y + 0.0850285) e^{-2y}$   
MPhi\_pp\_00 :  
 $\exp(-2y) \cdot \text{poly}([0.79705 \quad -7.23234 \quad 19.3589 \quad -15.6228], y)$   
 $(0.79705y^3 - 7.23234y^2 + 19.3589y - 15.6228) e^{-2y}$   
MPhi\_pp\_11 :  
 $\exp(-2y) \cdot \text{poly}([0.00866992 \quad -0.0449284 \quad 0.0852545 \quad -0.0370794], y)$   
 $(0.00866992y^3 - 0.0449284y^2 + 0.0852545y - 0.0370794) e^{-2y}$   
MPhi\_pp\_10 :  
 $\exp(-2y) \cdot \text{poly}([-0.0730693 \quad 0.491252 \quad -1.00438 \quad 0.578632], y)$   
 $(-0.0730693y^3 + 0.491252y^2 - 1.00438y + 0.578632) e^{-2y}$   
MPhi\_pp\_01 :  
 $\exp(-2y) \cdot \text{poly}([-0.0364952 \quad 0.40275 \quad -1.15934 \quad 1.00112], y)$   
 $(-0.0364952y^3 + 0.40275y^2 - 1.15934y + 1.00112) e^{-2y}$   
Sigma\_ppDelta\_00 :  
 $\exp(-2y) \cdot \text{poly}([0.0163635 \quad -0.104001 \quad 0.185775 \quad -0.0883243], y)$   
 $(0.0163635y^3 - 0.104001y^2 + 0.185775y - 0.0883243) e^{-2y}$   
Sigma\_ppDelta\_11 :  
 $\exp(-2y) \cdot \text{poly}([0.0131315 \quad -0.0729898 \quad 0.114845 \quad -0.0501045], y)$   
 $(0.0131315y^3 - 0.0729898y^2 + 0.114845y - 0.0501045) e^{-2y}$   
Sigma\_ppDelta\_10 :  
 $\exp(-2y) \cdot \text{poly}([0.0188197 \quad -0.105744 \quad 0.170242 \quad -0.0742731], y)$   
 $(0.0188197y^3 - 0.105744y^2 + 0.170242y - 0.0742731) e^{-2y}$   
Sigma\_ppDelta\_01 :  
 $\exp(-2y) \cdot \text{poly}([0.011398 \quad -0.0717204 \quad 0.125323 \quad -0.0595834], y)$   
 $(0.011398y^3 - 0.0717204y^2 + 0.125323y - 0.0595834) e^{-2y}$   
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Si28  
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M\_00 :  
 $\exp(-2y) \cdot \text{poly}([0.281695 \quad -3.59321128 \quad 15.65058632 \quad -26.73668986 \quad 15.59656312], y)$   
 $15.5965631183546 (0.134392525625295y^2 - 0.85713402563403y + 1)^2 e^{-2y}$   
Phi\_pp\_00 :  
 $\exp(-2y) \cdot \text{poly}([0.0739103 \quad -0.3695515 \quad 0.46193937], y)$   
 $0.461939375 (0.4y - 1)^2 e^{-2y}$   
MPhi\_pp\_00 :  
 $\exp(-2y) \cdot \text{poly}([0.144292 \quad -1.281 \quad 3.37434 \quad -2.68415], y)$

$$(0.144292y^3 - 1.281y^2 + 3.37434y - 2.68415) e^{-2y}$$

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S32

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M\_00 :

$$\exp(-2y) \cdot \text{poly}([0.580305 \quad -6.30348182 \quad 23.99421681 \quad -37.34775157 \\ 20.37155712], y)$$

$$20.3715571208591 (0.168778080453135y^2 - 0.91666413499546y + 1)^2 e^{-2y}$$

Phi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([0.0765941 \quad -0.3829705 \quad 0.47871312], y)$$

$$0.478713125 (0.4y - 1)^2 e^{-2y}$$

MPhi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([0.210827 \quad -1.6721 \quad 4.11173 \quad -3.12284], y)$$

$$(0.210827y^3 - 1.6721y^2 + 4.11173y - 3.12284) e^{-2y}$$

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Ar40

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M\_00 :

$$\exp(-2y) \cdot \text{poly}([5.44329e-04 \quad -5.95886e-02 \quad 1.90360e+00 \quad -1.51940e+01 \quad 4.85834e+01 \\ -6.59618e+01 \quad 3.18294e+01], y)$$

$$(0.000544329y^6 - 0.0595886y^5 + 1.9036y^4 - 15.194y^3 + 48.5834y^2 - 65.9618y + 31.8294) e^{-2y}$$

M\_11 :

$$\exp(-2y) \cdot \text{poly}([4.80513e-04 \quad -1.38797e-02 \quad 1.41618e-01 \quad -6.22490e-01 \quad 1.24846e+00 \\ -1.06524e+00 \quad 3.18304e-01], y)$$

$$(0.000480513y^6 - 0.0138797y^5 + 0.141618y^4 - 0.62249y^3 + 1.24846y^2 - 1.06524y + 0.318304) e^{-2y}$$

M\_10 :

$$\exp(-2y) \cdot \text{poly}([-5.11426e-04 \quad 3.53797e-02 \quad -5.54467e-01 \quad 3.19316e+00 \quad -8.02539e+00 \\ 8.62425e+00 \quad -3.18299e+00], y)$$

$$(-0.000511426y^6 + 0.0353797y^5 - 0.554467y^4 + 3.19316y^3 - 8.02539y^2 + 8.62425y - 3.18299) e^{-2y}$$

M\_01 :

$$\exp(-2y) \cdot \text{poly}([-5.11426e-04 \quad 3.53797e-02 \quad -5.54467e-01 \quad 3.19316e+00 \quad -8.02539e+00 \\ 8.62425e+00 \quad -3.18299e+00], y)$$

$$(-0.000511426y^6 + 0.0353797y^5 - 0.554467y^4 + 3.19316y^3 - 8.02539y^2 + 8.62425y - 3.18299) e^{-2y}$$

Phi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([0.00122474 \quad -0.0238983 \quad 0.154895 \quad -0.373798 \quad 0.299629], y)$$

$$(0.00122474y^4 - 0.0238983y^3 + 0.154895y^2 - 0.373798y + 0.299629) e^{-2y}$$

Phi\_pp\_11 :

$$\exp(-2y) \cdot \text{poly}([0.00108115 \quad -0.00926264 \quad 0.0240755 \quad -0.0181474 \quad 0.00414999], y)$$

$$(0.00108115y^4 - 0.00926264y^3 + 0.0240755y^2 - 0.0181474y + 0.00414999) e^{-2y}$$

Phi\_pp\_10 :

$$\exp(-2y) \cdot \text{poly}([-0.00115071 \quad 0.0161561 \quad -0.0683453 \quad 0.0990955 \quad -0.0352627], y)$$

$$(-0.00115071y^4 + 0.0161561y^3 - 0.0683453y^2 + 0.0990955y - 0.0352627) e^{-2y}$$

Phi\_pp\_01 :

$$\exp(-2y) \cdot \text{poly}([-0.00115071 \quad 0.0161561 \quad -0.0683453 \quad 0.0990955 \quad -0.0352627], y)$$

$$(-0.00115071y^4 + 0.0161561y^3 - 0.0683453y^2 + 0.0990955y - 0.0352627) e^{-2y}$$

MPhi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([8.16493e-04 \quad -5.26576e-02 \quad 6.53386e-01 \quad -2.89248e+00 \quad 5.12625e+00 \quad -3.08821e+00], y)$$

$$(0.000816493y^5 - 0.0526576y^4 + 0.653386y^3 - 2.89248y^2 + 5.12625y - 3.08821) e^{-2y}$$

MPhi\_pp\_11 :

$$\exp(-2y) \cdot \text{poly}([0.00072077 \quad -0.0134973 \quad 0.0770456 \quad -0.171917 \quad 0.140282 \quad -0.036345], y)$$

$$(0.000720769y^5 - 0.0134973y^4 + 0.0770456y^3 - 0.171917y^2 + 0.140282y - 0.036345) e^{-2y}$$

MPhi\_pp\_10 :

$$\exp(-2y) \cdot \text{poly}([-0.00076714 \quad 0.0185641 \quad -0.153134 \quad 0.515378 \quad -0.709394 \quad 0.308826], y)$$

$$(-0.000767139y^5 + 0.0185641y^4 - 0.153134y^3 + 0.515378y^2 - 0.709394y + 0.308826) e^{-2y}$$

MPhi\_pp\_01 :

$$\exp(-2y) \cdot \text{poly}([-7.67139e-04 \quad 4.52762e-02 \quad -3.73592e-01 \quad 1.09117e+00 \quad -1.17124e+00 \quad 3.63444e-01], y)$$

$$(-0.000767139y^5 + 0.0452762y^4 - 0.373592y^3 + 1.09117y^2 - 1.17124y + 0.363444) e^{-2y}$$

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Ca40

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M\_00 :

$$\exp(-2y) \cdot \text{poly}([1.67430000e-05 \quad -9.44147816e-03 \quad 1.37748971e+00 \quad -1.31465991e+01 \quad 4.52526597e+01 \quad -6.40634111e+01 \quad 3.18299405e+01], y)$$

$$32.2347495935388 (0.000720699943785404y^3 - 0.203203511250126y^2 + y - 0.993701082491316)^2 e^{-2y}$$

Phi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([3.76718000e-05 \quad -6.59013894e-04 \quad 3.87040677e-03 \quad -8.64428524e-03 \quad 6.48164750e-03], y)$$

$$0.0064816475048702 (0.0762369444232675y^2 - 0.666827780742548y + 1)^2 e^{-2y}$$

MPhi\_pp\_00 :

$$\exp(-2y) \cdot \text{poly}([2.51146e-05 \quad -7.30079e-03 \quad 9.71138e-02 \quad -4.32314e-01 \quad 7.59976e-01 \quad -4.54214e-01], y)$$

$$(2.51146 \cdot 10^{-5}y^5 - 0.00730079y^4 + 0.0971138y^3 - 0.432314y^2 + 0.759976y - 0.454214) e^{-2y}$$

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Fe56

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M\_00 :

exp(-2y)\*poly([ 5.25291e-02 -1.43665e+00 1.44780e+01 -6.72779e+01 1.52644e+02  
-1.60428e+02 6.23888e+01],y)

$(0.0525291y^6 - 1.43665y^5 + 14.478y^4 - 67.2779y^3 + 152.644y^2 - 160.428y + 62.3888)e^{-2y}$

M\_11 :

exp(-2y)\*poly([ 0.00921525 -0.122277 0.622264 -1.54562 1.99188  
-1.27323  
0.318309 ],y)

$(0.00921525y^6 - 0.122277y^5 + 0.622264y^4 - 1.54562y^3 + 1.99188y^2 - 1.27323y + 0.318309)e^{-2y}$

M\_10 :

exp(-2y)\*poly([ -0.0220016 0.446836 -3.2296 10.8919 -18.2579  
14.6422  
-4.45633 ],y)

$(-0.0220016y^6 + 0.446836y^5 - 3.2296y^4 + 10.8919y^3 - 18.2579y^2 + 14.6422y - 4.45633)e^{-2y}$

M\_01 :

exp(-2y)\*poly([ -0.0220016 0.446836 -3.2296 10.8919 -18.2579  
14.6422  
-4.45633 ],y)

$(-0.0220016y^6 + 0.446836y^5 - 3.2296y^4 + 10.8919y^3 - 18.2579y^2 + 14.6422y - 4.45633)e^{-2y}$

Phi\_pp\_00 :

exp(-2y)\*poly([ 0.069506 -0.867433 3.79067 -6.76595 4.22872 ],y)

$(0.069506y^4 - 0.867433y^3 + 3.79067y^2 - 6.76595y + 4.22872)e^{-2y}$

Phi\_pp\_11 :

exp(-2y)\*poly([ 0.00486921 -0.0422756 0.144606 -0.229404 0.143378 ],y)

$(0.00486921y^4 - 0.0422756y^3 + 0.144606y^2 - 0.229404y + 0.143378)e^{-2y}$

Phi\_pp\_10 :

exp(-2y)\*poly([-0.0183967 0.194658 -0.741661 1.24585 -0.778655 ],y)

$(-0.0183967y^4 + 0.194658y^3 - 0.741661y^2 + 1.24585y - 0.778655)e^{-2y}$

Phi\_pp\_01 :

exp(-2y)\*poly([-0.0183967 0.194658 -0.741661 1.24585 -0.778655 ],y)

$(-0.0183967y^4 + 0.194658y^3 - 0.741661y^2 + 1.24585y - 0.778655)e^{-2y}$

MPhi\_pp\_00 :

exp(-2y)\*poly([ 0.0604243 -1.20334 8.30471 -25.2342 33.8776  
-16.2427 ],y)

$(0.0604243y^5 - 1.20334y^4 + 8.30471y^3 - 25.2342y^2 + 33.8776y - 16.2427)e^{-2y}$

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MPhi_pp_11 :
exp(-2y)*poly([ 0.00669858 -0.0735211  0.308014  -0.622338  0.598168
-0.213631 ],y)
(0.00669858y5 - 0.0735211y4 + 0.308014y3 - 0.622338y2 + 0.598168y - 0.213631) e-2y

MPhi_pp_10 :
exp(-2y)*poly([-0.0253084  0.325833  -1.54264  3.31473  -3.24853  1.16019
],y)
(-0.0253084y5 + 0.325833y4 - 1.54264y3 + 3.31473y2 - 3.24853y + 1.16019) e-2y

MPhi_pp_01 :
exp(-2y)*poly([-0.015993  0.288128 -1.74483  4.81422  -6.23805  2.99085 ],y)
(-0.015993y5 + 0.288128y4 - 1.74483y3 + 4.81422y2 - 6.23805y + 2.99085) e-2y

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Ni58
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M_00 :
exp(-2y)*poly([ 6.28067e-02 -1.68390e+00  1.66597e+01 -7.61270e+01  1.69877e+02
-1.75389e+02  6.69246e+01],y)
(0.0628067y6 - 1.6839y5 + 16.6597y4 - 76.127y3 + 169.877y2 - 175.389y + 66.9246) e-2y

M_11 :
exp(-2y)*poly([ 0.00545169 -0.0603789  0.250492  -0.503018  0.548985
-0.318305
0.0795762 ],y)
(0.00545169y6 - 0.0603789y5 + 0.250492y4 - 0.503018y3 + 0.548985y2 - 0.318305y + 0.0795762) e-2y

M_10 :
exp(-2y)*poly([ -0.0185041  0.350525  -2.30652  6.95311  -10.3404
7.63937
-2.30773 ],y)
(-0.0185041y6 + 0.350525y5 - 2.30652y4 + 6.95311y3 - 10.3404y2 + 7.63937y - 2.30773) e-2y

M_01 :
exp(-2y)*poly([ -0.0185041  0.350525  -2.30652  6.95311  -10.3404
7.63937
-2.30773 ],y)
(-0.0185041y6 + 0.350525y5 - 2.30652y4 + 6.95311y3 - 10.3404y2 + 7.63937y - 2.30773) e-2y

Phi_pp_00 :
exp(-2y)*poly([ 0.0875404 -1.10715  4.88454  -8.75152  5.4697  ],y)
(0.0875404y4 - 1.10715y3 + 4.88454y2 - 8.75152y + 5.4697) e-2y

Phi_pp_11 :
exp(-2y)*poly([ 0.00140426 -0.00592935  0.0136707  -0.0156476  0.00977975],y)
(0.00140426y4 - 0.00592935y3 + 0.0136707y2 - 0.0156476y + 0.00977975) e-2y

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Phi\_pp\_10 :  
 $\exp(-2y) \cdot \text{poly}([-0.0110873 \quad 0.0935201 \quad -0.264922 \quad 0.370054 \quad -0.231284], y)$   
 $(-0.0110873y^4 + 0.0935201y^3 - 0.264922y^2 + 0.370054y - 0.231284) e^{-2y}$

Phi\_pp\_01 :  
 $\exp(-2y) \cdot \text{poly}([-0.0110873 \quad 0.0935201 \quad -0.264922 \quad 0.370054 \quad -0.231284], y)$   
 $(-0.0110873y^4 + 0.0935201y^3 - 0.264922y^2 + 0.370054y - 0.231284) e^{-2y}$

MPhi\_pp\_00 :  
 $\exp(-2y) \cdot \text{poly}([ \quad 0.0741493 \quad -1.4629 \quad 10.0435 \quad -30.3339 \quad 40.3764 \quad -19.1326 ], y)$   
 $(0.0741493y^5 - 1.4629y^4 + 10.0435y^3 - 30.3339y^2 + 40.3764y - 19.1326) e^{-2y}$

MPhi\_pp\_11 :  
 $\exp(-2y) \cdot \text{poly}([ \quad 0.00276687 \quad -0.0211633 \quad 0.0607914 \quad -0.0956406 \quad 0.0781112 \quad -0.0278969 ], y)$   
 $(0.00276687y^5 - 0.0211633y^4 + 0.0607914y^3 - 0.0956406y^2 + 0.0781112y - 0.0278969) e^{-2y}$

MPhi\_pp\_10 :  
 $\exp(-2y) \cdot \text{poly}([-0.0218459 \quad 0.25912 \quad -1.10461 \quad 2.0953 \quad -1.84727 \quad 0.659741], y)$   
 $(-0.0218459y^5 + 0.25912y^4 - 1.10461y^3 + 2.0953y^2 - 1.84727y + 0.659741) e^{-2y}$

MPhi\_pp\_01 :  
 $\exp(-2y) \cdot \text{poly}([-0.00939131 \quad 0.145722 \quad -0.692274 \quad 1.48687 \quad -1.7073 \quad 0.809015], y)$   
 $(-0.00939131y^5 + 0.145722y^4 - 0.692274y^3 + 1.48687y^2 - 1.7073y + 0.809015) e^{-2y}$

[ ]: