1

(1):

```
typedef struct Node {
   int key;
    struct Node *prev, *next;
} Node;
Node* search(Node* head, Node** p, int K) {
    Node *start = *p;
    if (start == NULL) return NULL;
Node *curr = start;
if (curr->key == K) {
    while (curr->next && curr->next->key == K) {
       curr = curr->next;
   }
    *p = curr;
    return curr;
} else if (K < curr->key) {
   // 向前搜索
   while (curr && curr->key > K) {
       curr = curr->prev;
    }
    if (curr && curr->key == K) {
        Node *temp = curr;
        while (temp->next && temp->next->key == K) {
           temp = temp->next;
        }
       *p = temp;
       return temp;
   } else {
       return NULL;
   }
} else {
   while (curr && curr->key < K) {
       curr = curr->next;
    }
    if (curr && curr->key == K) {
       // 找到后同理向后检查重复
       while (curr->next && curr->next->key == K) {
           curr = curr->next;
        }
        *p = curr;
       return curr;
    } else {
       // 没找到
```

```
return NULL;
}
}
```

(2)
$$ASP_{succ} = \frac{1}{n} \sum_{i \in [n]} \frac{1}{n} \sum_{i \in [m]} |i - j| = \frac{n}{3} - \frac{1}{3n}$$

2

算法思想:

借助于堆排序,将 S_2 从小到大排序,再针对 S_1 中的每个元素,在排序后的 S_2 中做二分查找

```
//用privority_queue
#include <iostream>
#include <queue>
#include <vector>
using namespace std;
int main()
    priority_queue<int, vector<int>, greater<int>> que;
    vector<int> S1;
    vector<int> S2;
    for (int i = 0; i < S2.size(); i++)
    {
        que.push(S2[i]);
    }
    vector<int> S3;
    for (int i = 0; i < S2.size(); i++)
    {
        S3.push_back(que.top());
        que.pop();
    vector<int> result;
    for (int i = 0; i < S1.size(); i++)
        int left = 0;
        int right = S3.size() - 1;
        while (left < right)</pre>
        {
            int mid = (left + right) / 2;
            if (S3[mid]==S2[i])
            {
                result.push_back(S2[i]);
                S3[mid] = S3[S3.size() - 1];//此处优化了一下
                S3.pop_back();
                break;
            }
            else if(S2[i]>S3[mid]){
                left = mid + 1;
            }
            else{
                right = mid - 1;
```

```
}
}
```

时间复杂度:

堆排序: $O(\log n(\log(\log n))$

二分找交集: $O(n \times log \ n(log \ n))$

总的时间复杂度 $O(n \times log \ n(log \ n))$

3

(1)

0	1	2	3	4	5	6	7	8	9
21	14	3	5	20		9	37		

检索成功的平均长度为 $\frac{1}{7} \times \left(1+2+1+1+1+2+3\right) \approx 1.57$

(2)

0	1	2	3	4	5	6	7	8	9
21	5	3	14	20		9		37	

检索成功的平均长度 $\frac{1}{7} \times (1+2+1+1+1+2+1) \approx 1.29$