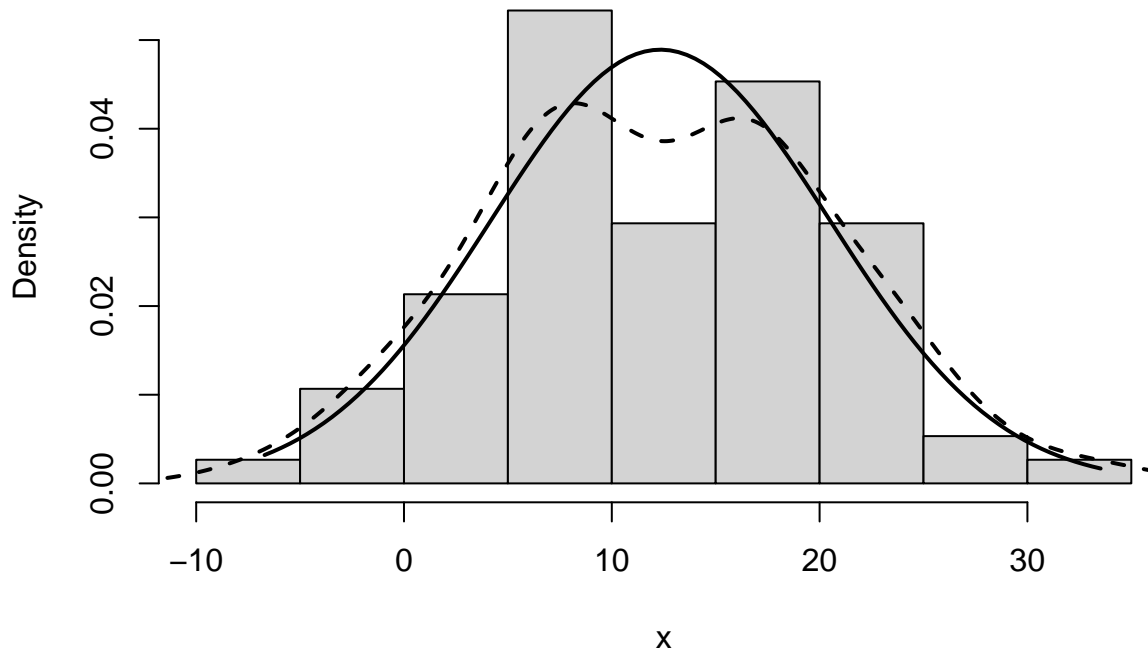


Red-Team-GOF_R

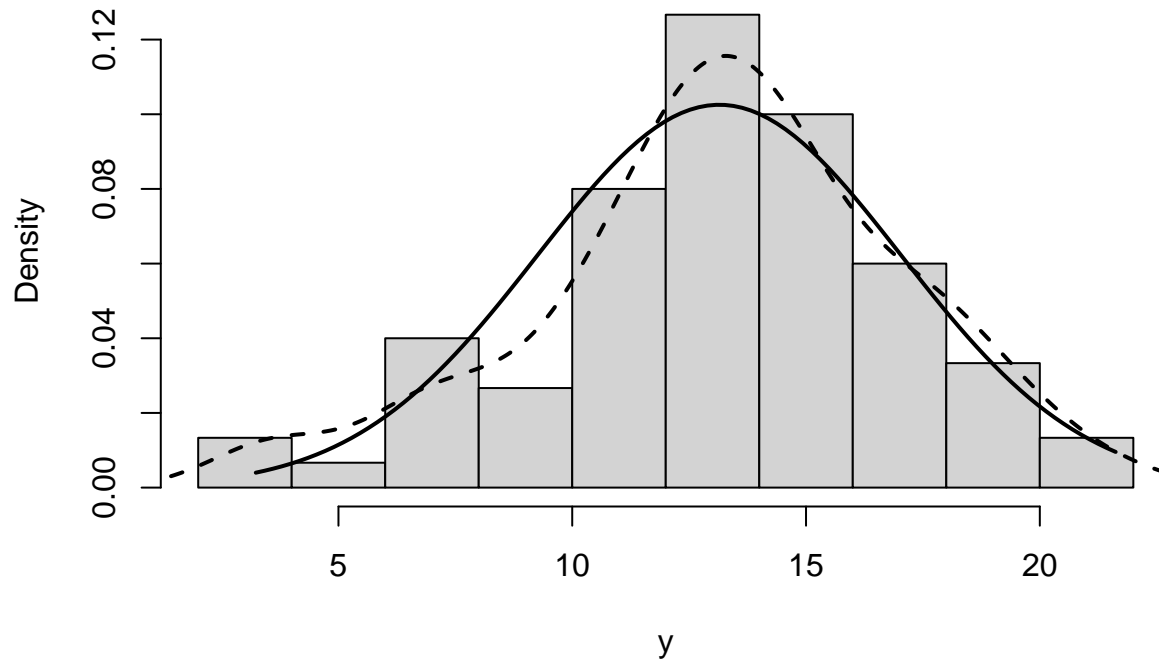
Red Team

```
x = rnorm(75, mean=14, sd = 8) #x ~ N(10,4)
y = rnorm(75, mean=14, sd = 4) #y ~ N(14,4)
cert = data.frame(x,y)
#hist(x)
#hist(y)
with(cert, hist(x, main="", freq=FALSE))
with(cert, lines(density(x), main="X", lty=2, lwd=2))
xvals = with(cert, seq(from=min(x), to=max(x), length=100))
with(cert, lines(xvals, dnorm(xvals, mean(x), sd(x)), lwd=2))
```



Changing the values of the mean and standard deviation will shift the center of the distribution. Furthermore, specifically changing the standard deviation will affect the variability of the data. Changing the values will affect the goodness-of-fit to a normal distribution, and the p-values will inform you how well the data set apply to the different types of distributions. To have a higher p-value suggests a better fit, and a lower p-value suggests a poorer fit.

```
with(cert, hist(y, main="", freq=FALSE))
with(cert, lines(density(y), main="", lty=2, lwd=2))
xvals = with(cert, seq(from=min(y), to=max(y), length=100))
with(cert, lines(xvals, dnorm(xvals, mean(y), sd(y)), lwd=2))
```



```
if (!require("vcd")) install.packages("vcd", dep=TRUE)
```

```
## Loading required package: vcd
```

```
## Loading required package: grid
```

```
library("vcd")
#favstats(x)
mean(x, trim=.05)
```

```
## [1] 12.27626
```

```
quantile(x, seq(from=.025, to= .975, by=.1))
```

```
##      2.5%      12.5%      22.5%      32.5%      42.5%      52.5%      62.5%      72.5%
## -1.540010  3.408854  5.810524  7.897689  9.505448 13.124891 15.987547 17.060646
##      82.5%      92.5%
## 20.788193 23.601457
```

```
t.test(x, mu=12, conf.level=.9) #test for mu=12 and 90 percent ci
```

```
##
## One Sample t-test
##
## data: x
## t = 0.36003, df = 74, p-value = 0.7198
## alternative hypothesis: true mean is not equal to 12
## 90 percent confidence interval:
## 10.77035 13.90779
## sample estimates:
## mean of x
## 12.33907
```

```
#favstats(y)
mean(y, trim=.05)
```

```
## [1] 13.24062
```

```
quantile(y, seq(from=.025, to= .975, by=.1))
```

```
##      2.5%      12.5%      22.5%      32.5%      42.5%      52.5%      62.5%      72.5%
##  3.978578  8.422427 10.808819 11.966969 12.756522 13.505295 14.327741 15.097827
##      82.5%      92.5%
## 16.578981 18.289454
```

```
t.test(y, mu=12, conf.level=.9) #test for mu=12 and 90 percent ci
```

```
##
## One Sample t-test
##
## data: y
## t = 2.5494, df = 74, p-value = 0.01286
## alternative hypothesis: true mean is not equal to 12
## 90 percent confidence interval:
## 12.39703 13.89375
## sample estimates:
## mean of x
## 13.14539
```

```
#if (!require("coin")) install.packages("coin", dep=TRUE)
```

```
#library("coin")
wilcox.test(x,y)
```

```
##
## Wilcoxon rank sum test with continuity correction
##
## data: x and y
## W = 2605, p-value = 0.4365
## alternative hypothesis: true location shift is not equal to 0
```

```
t.test(x,y)
```

```
##
## Welch Two Sample t-test
##
## data: x and y
## t = -0.77275, df = 106.02, p-value = 0.4414
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -2.875048 1.262411
## sample estimates:
## mean of x mean of y
## 12.33907 13.14539
```

```
ks.test(x,y)
```

```
##  
## Two-sample Kolmogorov-Smirnov test  
##  
## data: x and y  
## D = 0.28, p-value = 0.005377  
## alternative hypothesis: two-sided
```

```
if (!require("nortest")) install.packages("nortest", dep=TRUE)
```

```
## Loading required package: nortest
```

```
library("nortest")  
ad.test(x)
```

```
##  
## Anderson-Darling normality test  
##  
## data: x  
## A = 0.33298, p-value = 0.5055
```

```
cvm.test(x)
```

```
##  
## Cramer-von Mises normality test  
##  
## data: x  
## W = 0.066463, p-value = 0.307
```

```
lillie.test(x)
```

```
##  
## Lilliefors (Kolmogorov-Smirnov) normality test  
##  
## data: x  
## D = 0.078637, p-value = 0.3008
```

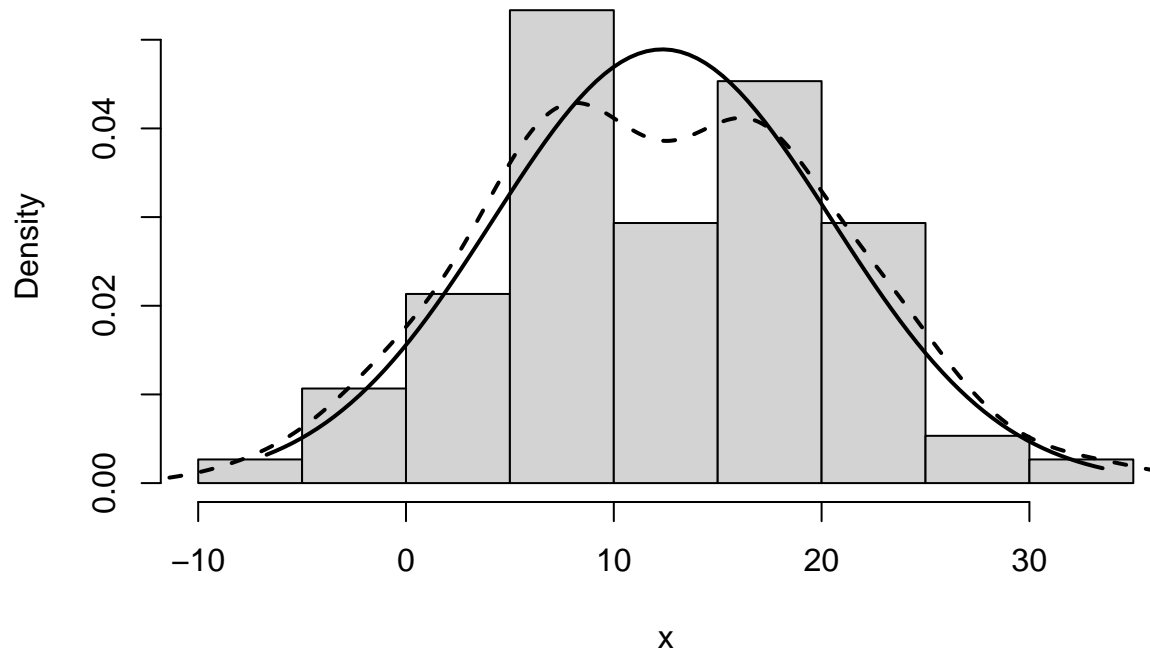
```
pearson.test(x)
```

```
##  
## Pearson chi-square normality test  
##  
## data: x  
## P = 16.04, p-value = 0.06605
```

```
sf.test(x)
```

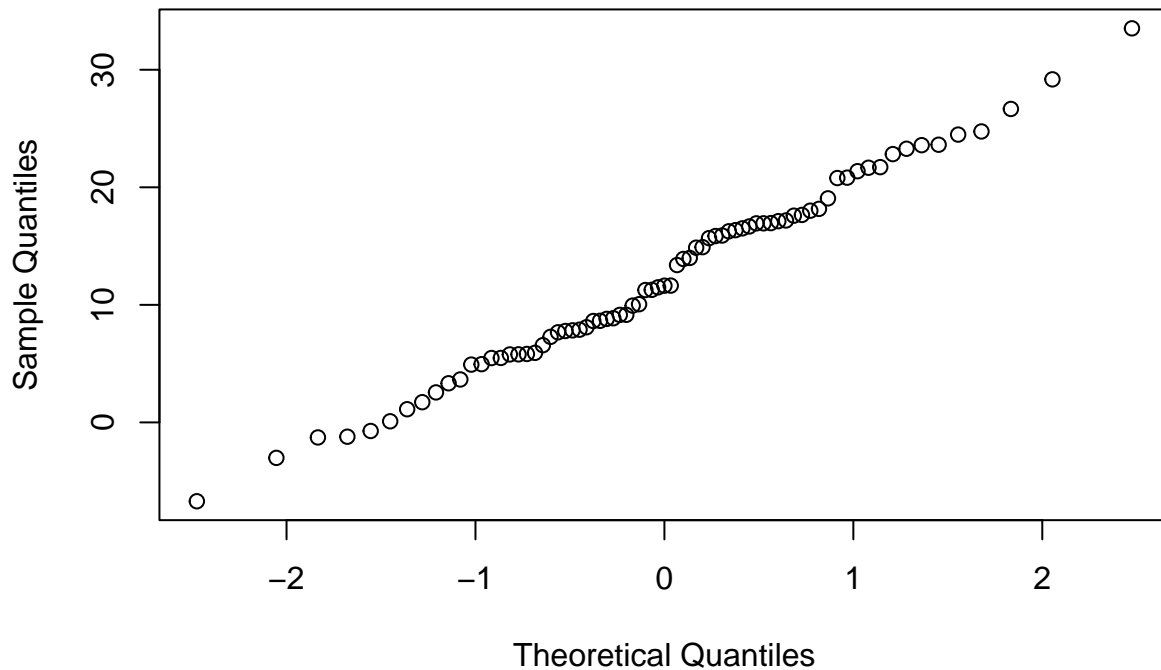
```
##
## Shapiro-Francia normality test
##
## data:  x
## W = 0.99142, p-value = 0.8251
```

```
with(cert, hist(x, main="", freq=FALSE))
with(cert, lines(density(x), main="X", lty=2, lwd=2))
xvals = with(cert, seq(from=min(x), to=max(x), length=100))
with(cert, lines(xvals, dnorm(xvals, mean(x), sd(x)), lwd=2))
```



```
qqnorm(x)
```

Normal Q-Q Plot



```
x = 2*rlnorm(75, mean=0, sd = 1) + 10
cert = data.frame(x,y) #redefined data.frame with new x
ad.test(x)
```

```
##
## Anderson-Darling normality test
##
## data:  x
## A = 6.7348, p-value < 2.2e-16
```

```
cvm.test(x)
```

```
## Warning in cvm.test(x): p-value is smaller than 7.37e-10, cannot be computed
## more accurately
```

```
##
## Cramer-von Mises normality test
##
## data:  x
## W = 1.2267, p-value = 7.37e-10
```

```
lillie.test(x)
```

```
##
## Lilliefors (Kolmogorov-Smirnov) normality test
##
## data:  x
## D = 0.21714, p-value = 2.128e-09
```

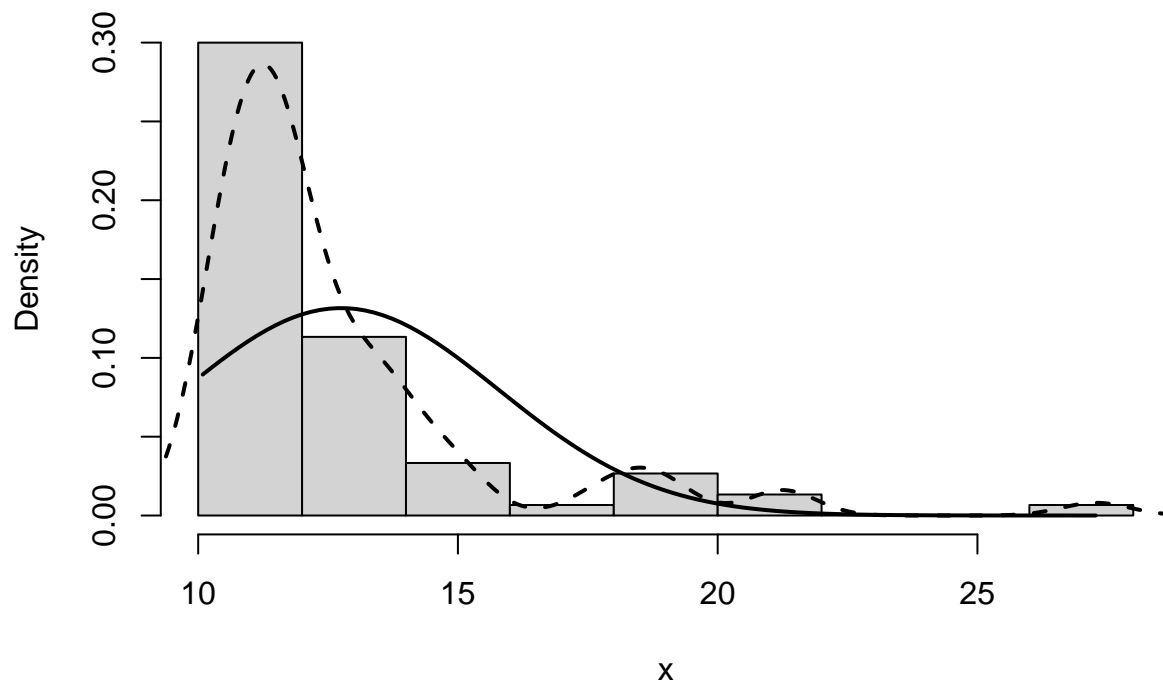
```
pearson.test(x)
```

```
##  
## Pearson chi-square normality test  
##  
## data: x  
## P = 62.44, p-value = 4.529e-10
```

```
sf.test(x)
```

```
##  
## Shapiro-Francia normality test  
##  
## data: x  
## W = 0.70721, p-value = 1.684e-09
```

```
with(cert, hist(x, main="", freq=FALSE))  
with(cert, lines(density(x), main="X", lty=2, lwd=2))  
xvals = with(cert, seq(from=min(x), to=max(x), length=100))  
with(cert, lines(xvals, dnorm(xvals, mean(x), sd(x)), lwd=2))
```



```
qqnorm(x)
```

Normal Q-Q Plot

