

Inference of Robust Reachability Constraints

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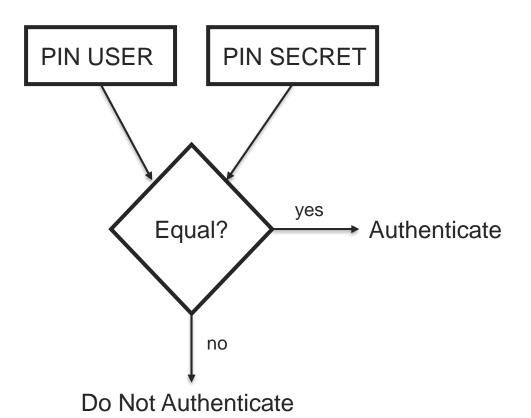






Example: Verify PIN





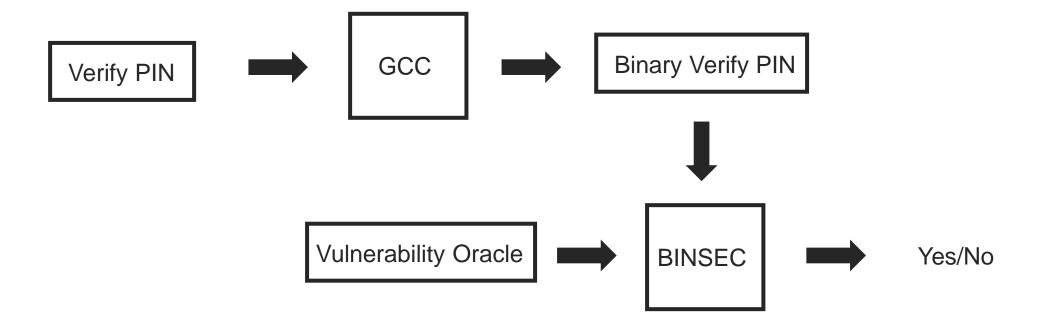
Compares PINS

 Correct when authentication can only happen with correct PIN

Formal Guarantees



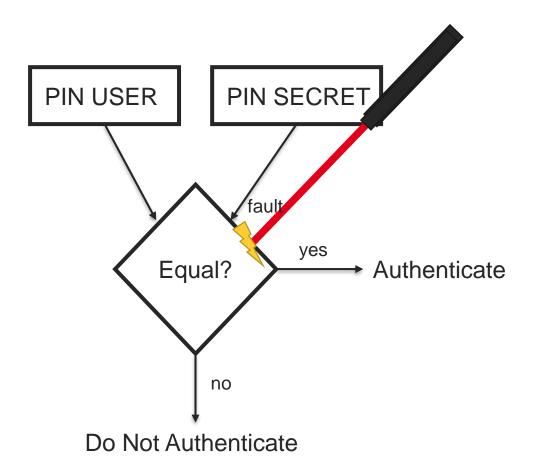
Example: Verify PIN Formal Verification





Example: Verify PIN with Faults



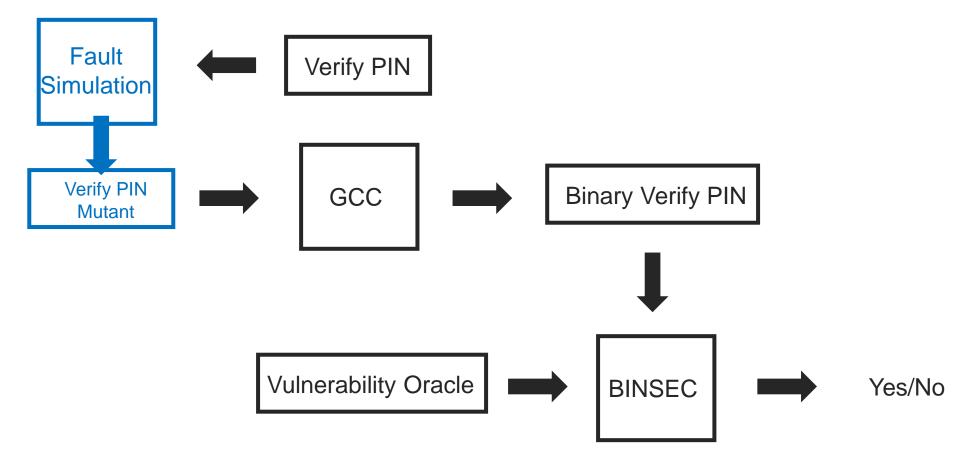


Faulted Execution

Alters the behavior of the program

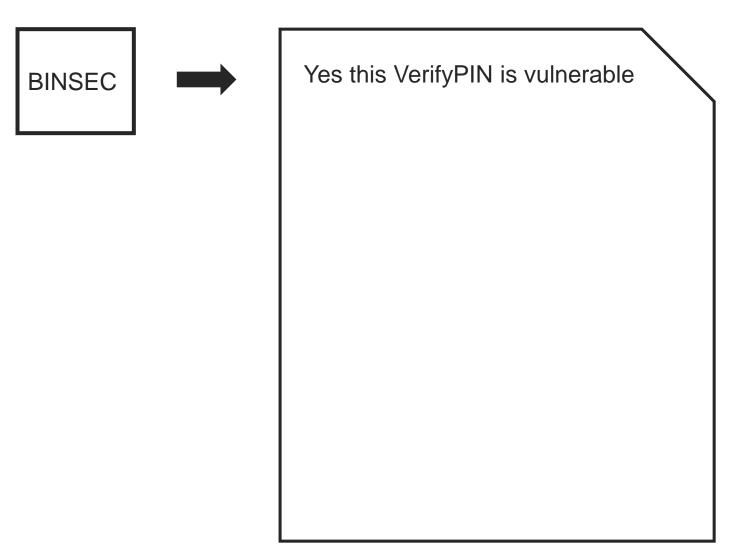
 Can we still formally evaluate the feasibility of an unauthorized authentication?

Example: Faulted Verify PIN Formal Verification











Example: Example of Symbolic Execution Result







Yes this VerifyPIN is vulnerable

Because

Example: Example of Symbolic Execution Result



BINSEC



Yes this VerifyPIN is vulnerable

Because

If R2 contains 0xaa

And

R1 is not 0x55

And

R3 is not 0x00

Then you can authenticate with the wrong PIN



Example: Example of Symbolic Execution Result



BINSEC



Yes this VerifyPIN is vulnerable

Because

If R2 contains 0xaa

And

R1 is not 0x55

And

R3 is not 0x00

Then you can authenticate with the wrong PIN

Great!
What do I do
with this?

Formal Characterization of Fault Injection Attacks Vulnerabilities

Formal evaluation of the faulted program gives no insight on the severity of the problem

How to design a formal analysis that provides a more expressive result?

How to characterize the vulnerabilities we discover?

Contributions



- New program-level abduction algorithm for Robust Reachability Constraints Inference
 - Extends and generalizes Robustness, made more practical
 - Adapts and generalizes theory-agnostic logical abduction algorithm
 - Efficient optimization strategies for solving practical problems
- Implementation of a restriction to Reachability and Robust Reachability
 - First evaluation of software verification and security benchmarks
 - Detailed vulnerability characterization analysis in a fault injection security scenario



Idea

- Partition of the input space
 - What is controlled
 - What is uncontrolled



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Focus: Reliable Bugs

 Controlled input that triggers the bug independently of the value of the uncontrolled inputs

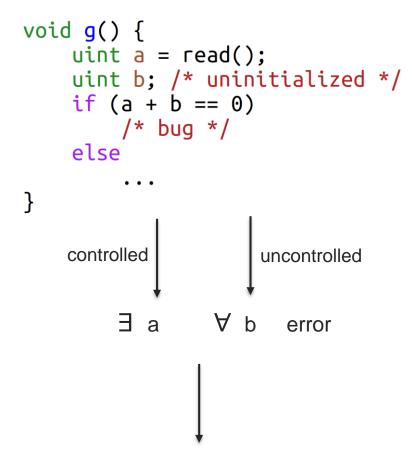
Robust Reachability[Girol, Farinier, Bardin: CAV 2021]

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- Partition of the input space
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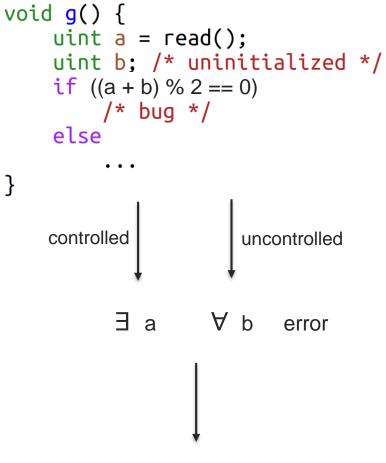
Not Robustly Reachable

The Remaining Problem

Reachability Says: Vulnerable

Robust Reachability Says: Not Vulnerable

Looks like it can happen



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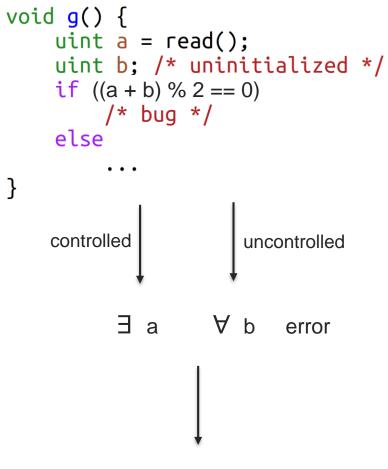


Reachability Says: Vulnerable

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Looks like it can happen

Robust Reachability is Too Strong



Not Robustly Reachable

Robust Reachability Constraint



Definition

 Predicate on program input sufficient to have Robust Reachability

Advantages

- Part of the Robust Reachability framework
- Allows precise characterization

How to Automatically Generate Such Constraints?

```
void g() {
    uint a = read();
    uint b; /* uninitialized */
    if ((a + b) % 2 == 0)
        /* bug */
    else
}

controlled uncontrolled
\exists a, \forall b, a \% 2 = b \% 2 \Rightarrow \text{error}
```

Abductive Reasoning

[Josephson and Josephson, 1994]

- Find missing precondition of unexplained goal
- Compute ϕ_M in $\phi_H \land \phi_M \vDash \phi_G$

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Theory-Specific Abduction

[Bienvenu 2007, Tourret et. al. 2017]

Handle a single theory

Specification Synthesis

[Albarghouthi et. al. 2016, Calcagno et. al. 2009, Zhou et. al. 2021]

White-box program analysis

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- Efficient procedures
- Genericity

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Our Proposal: Adapt Theory-Agnostic Abduction Algorithm to Compute Program-level Robust Reachability Constraints

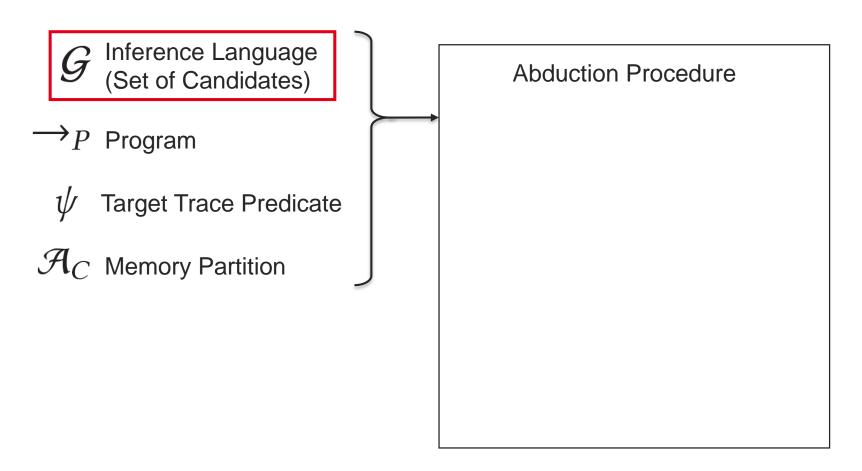
- Program-level
- Generic



Inference Language (Set of Candidates) **Abduction Procedure** $\rightarrow P$ Program **Target Trace Predicate** \mathcal{A}_C Memory Partition











Inference Language (Set of Candidates) **Abduction Procedure** $\rightarrow P$ Program select candidate **Target Trace Predicate** \mathcal{A}_C Memory Partition





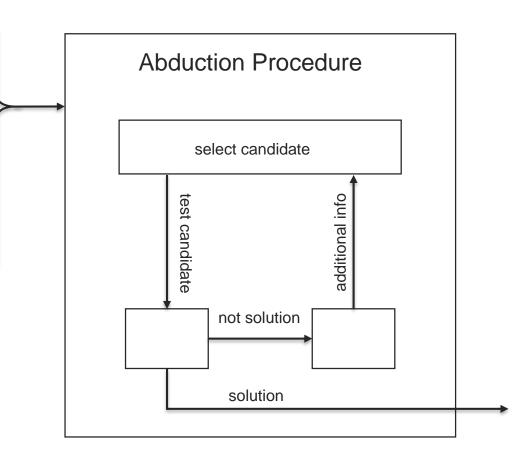
Inference Language (Set of Candidates) **Abduction Procedure** $\longrightarrow P$ Program select candidate **Target Trace Predicate** test candidate \mathcal{A}_C Memory Partition not solution solution Robust Reachability Constraints



 \mathcal{G} Inference Language (Set of Candidates) \rightarrow_P Program

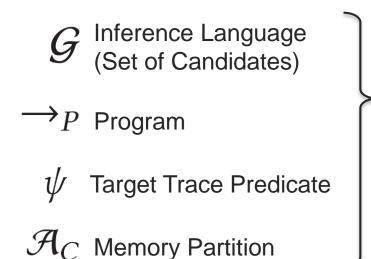
 ψ Target Trace Predicate

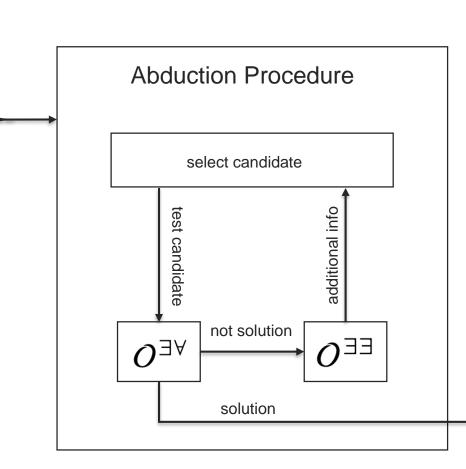
 \mathcal{A}_C Memory Partition



Robust Reachability Constraints







Oracles on Trace Properties

- Robust property queries
 - Non-robust property queries $O^{\exists\exists}$

 $O^{\exists \forall}$

 Can accomodate various tools (SE, BMC, Incorrectness, ...)

Robust Reachability Constraints





BaselineRCInfer($\mathcal{G}, \rightarrow_P, \psi, \mathcal{A}_C$)

```
1 if \top, s \leftarrow O^{\exists\exists}(\rightarrow_P, \psi, \top) then

2 | R \leftarrow \{y = s\} if y = s \in \mathcal{G} else \emptyset;

3 | for \phi \in \mathcal{G} do

4 | if O^{\exists\forall}(\rightarrow_P, \mathcal{A}_C, \psi, \phi) then

5 | R \leftarrow \Delta_{min}(R \cup \{\phi\});

6 | if \neg O^{\exists\exists}(\rightarrow_P, \psi, \neg(\bigvee_{\phi' \in R} \phi')) then

7 | \Gamma return R;

8 | return R;
```

Theorem:

- Termination when the oracles terminate
- Correction at any step when the oracles are correct
- Completeness w.r.t. the inference language when the oracles are complete





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Theorem:

- Termination when the oracles terminate
- Correction at any step when the oracles are correct
- Completeness w.r.t. the inference language when the oracles are complete
- Under correction and completeness of the oracles
 - Minimality w.r.t. the inference language
 - Weakest constraint generation when expressible

Making it Work



The Issue

Exhaustive exploration of the inference language is inefficient

Key Strategies for Efficient Exploration

- Necessary constraints
- Counter-examples for Robust Reachability
- Ordering candidates

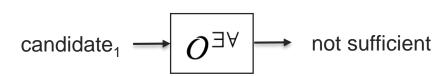


Making it Work: Necessary Constraints



The Idea

Find and store Necessary Constraints

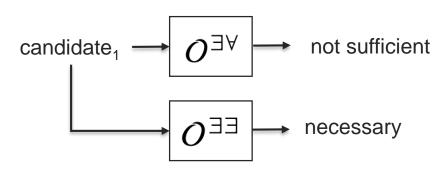




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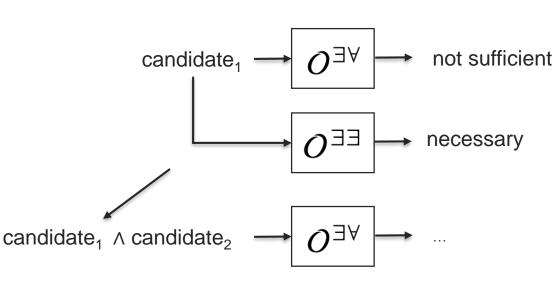


The Idea

Find and store Necessary Constraints

Usage

- Build a candidate solution faster
- Additional information on the bug
- Emulate unsat core usage in the context of oracles

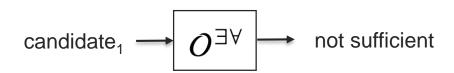


Making it Work: Counter-Examples



The Idea

Reuse information from failed candidate checks



The Issue

 Non Robustness (∀∃ quantification) does not give us counter-examples

Making it Work: Counter-Examples



The Idea

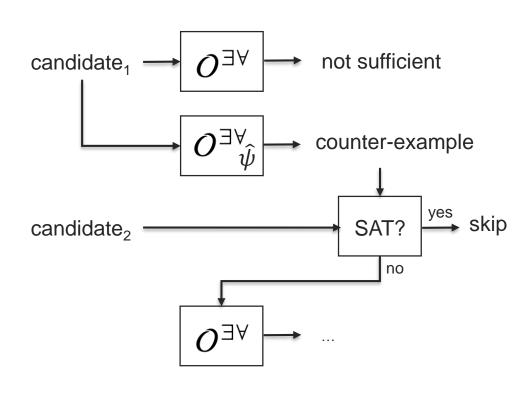
Reuse information from failed candidate checks

The Issue

 Non Robustness (∀∃ quantification) does not give us counter-examples

Proposal

- Use a second trace property that ensures the bug does not arise
- Prune using these counter-examples



Final Algorithm



```
Algorithm 2: ARCINFER(G, \rightarrow_P, \psi, \widehat{\psi}, \mathcal{A}_C, prunef)
  Input: G: inference language, \rightarrow_P: program, \psi: prop, \widehat{\psi}: prop breaking \psi, \mathcal{A}_C: controlled
            variables, prunef; strategy flags
   Output: R: sufficient constraints, N: necessary constraints, U: breaking constraints
   Note: O^{\exists\exists}: trace property oracle, O^{\exists\forall}: robust trace property oracle
 1 if \top, s \leftarrow O^{\exists\exists}(\rightarrow_P, \psi, \top) then
        V \leftarrow \{s\};
                                                           // init satisfying memory states examples
        R, N, U \leftarrow \{y = s\} \text{ if } y = s \in \mathcal{G} \text{ else } \emptyset, \{\top\}, \{\bot\};
                                                                                                 // init result sets
        while \phi_K, \phi, \delta_N, \delta_R \leftarrow NEXTRC(G, \rightarrow_P, \psi, \widehat{\psi}, \mathcal{A}_C, V, R, N, U, prunef) do // explore
            \text{if } \delta_R \ \textit{and} \ \top, s \leftarrow O^{\exists\exists}(\to_P, \psi, \phi) \ \text{then} \qquad \text{ // ensure } \psi \ \text{satisfiable under } \phi
                  V \longleftarrow V \cup \{s\};
                                                                                                 // new trace example
                  if O^{\exists \forall}(\rightarrow_P, \mathcal{A}_C, \psi, \phi) then
                                                                                                // check candidate \phi
                       R \leftarrow \Delta_{min}(R \cup \{\phi\});
                                                                                         // update and minimize R
                       if \neg O^{\exists\exists}(\rightarrow_P, \psi, \neg(\vee_{\phi \in R} \phi)) then
                                                                                                       // check weakest
                        return (R, \{ \bigvee_{\phi' \in R} \phi' \}, U);
                                                                                      // new breaking constraint
              else if \delta_R then
               N \leftarrow N \cup \{\neg \phi\}:
                                                                                    // new necessary constraint
             if \delta_N and \neg O^{\exists\exists}(\rightarrow_P, \psi, \neg\phi_K) then
               N \leftarrow N \cup \{\phi_K\};
                                                                                     // new necessary constraint
        return (R, N, U);
is return ({⊥}, {⊥}, {⊥});
```

Algorithm 3: NextRC(G, \rightarrow_P , ψ , $\widehat{\psi}$, \mathcal{A}_C , V, R, N, U, prunef)

Input: G: inference language, $\rightarrow p$: program, ψ : prop, $\hat{\psi}$: prop breaking ψ , \mathcal{A}_C : controlled variables, V: examples of input states of $\rightarrow p$ satisfying ψ , R: known sufficient constraints, N: known necessary constraints, U: known breaking constraints, prunef: strategy flags

```
Output: \phi_K: core candidate, \phi: candidate, \delta_N: check for necessary flag, \delta_R: check for
  Note: O^{\exists\exists}: oracle for trace property satisfaction, O^{\exists\forall}: oracle for robust trace property
          satisfaction
                                                                                 // init. counter-examples
2 for \phi_K \in browse(G, V) if prunef.browse else G do
 3 \quad \phi \longleftarrow \phi_{\mathcal{K}} \wedge \wedge_{\phi' \in \max_{\mathcal{G}}(\phi_{\mathcal{K}}, \mathcal{G}, N)} \phi' \text{ if prunef.nec else } \phi_{\mathcal{K}}; \quad \text{// add nec. constraints} 
       if \phi is unsatifiable then
            continue
        if prunef.cex and \exists m, X \in \overline{V}, \phi \land y|_{X} = m is satisfiable then
          continue:
                                                                     // skip: sat. by counter-example
        if \exists \phi_s \in R, \phi \models \phi_s then
         continue;
                                                // skip: stronger than known suff. constraint
        if prunef.nec and \exists \phi_u \in U, \phi_u \models \phi then
                                                  // skip: weaker than known break. constraint
           continue:
        if prunef.nec and (\land_{\phi_n \in N} \phi_n) \models \phi then
                                                     // skip: weaker than known nec. constraint
        if prunef.cex and \top, cex \longleftarrow O^{\exists \forall} (\rightarrow_P, X, \widehat{\psi}, \phi) for X \subseteq \mathcal{A} \setminus \mathcal{A}_C then
            \overline{V} \longleftarrow \overline{V} \cup \{cex\}, X:
                                                                                     // new counter-example
            yield \phi_K, \phi, prunef . nec, \bot;
                                                                                 // forward for nec. check
           yield \phi_K, \phi, prunef . nec, \top;
                                                                // forward for nec. and suff. checks
```

Theorem

- Termination, Correction,
 Completeness are preserved
- Correction for necessary constraints at any step
- Minimality is preserved modulo equivalence between formulas
- Weakest constraints generation on given return is preserved

Remarks

- Generic procedure definition with oracle queries abstraction
- The previously described strategies can be activated/deactivated
- Can be applied to a larger range of program properties (reachability, safety, hypersafety)
- If SMT-Solvers are used as oracles, can be used an ∃∀ abduction solver



Experimental Evaluation



Implementation



- (Robust) Reachability on binaries
- Tool: BINSEC [Djoudi and Bardin 2015]
- Tool: BINSEC/RSE [Girol at. al. 2020]

Prototype

- PyAbd, Python implementation of the procedure
- Candidates: Conjunctions of equalities and disequalities on memory bytes

Research Questions

- 1) Can we compute non-trivial constraints?
- 2) Can we compute weakest constraints?
- 3) What are the algorithmic performances?
- 4) Are the optimization effective?

Benchmarks

- Software verification (SVComp extract + compile)
- Security evaluation (FISSC, fault injection)





| | SV-COMP $(E_{\mathcal{G}})$ | | SV-COM | ир $(I_{\mathcal{G}})$ | FISS | $SC(E_{\mathcal{G}})$ | FISSC $(I_{\mathcal{G}})$ | | |
|---------------------|-----------------------------|----|--------|------------------------|------|-----------------------|---------------------------|-----|--|
| | | | | | | | | | |
| # programs | 147 | 64 | 147 | 64 | 719 | 719 | 719 | 719 | |
| # of robust cases | 111 | 3 | 111 | 3 | 129 | 118 | 129 | 118 | |
| # of sufficient rrc | 122 | 5 | 127 | 24 | 359 | 598 | 351 | 589 | |
| # of weakest rrc | 111 | 3 | 120 | 4 | 262 | 526 | 261 | 518 | |

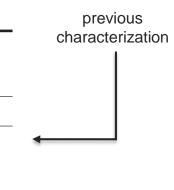
Inference languages

- (dis-)Equality between memory bytes $(E_{\mathcal{G}})$
- + Inequality between memory bytes $(I_{\mathcal{G}}) \rightarrow More$ expressivity but more candidates





| | SV-COMP $(E_{\mathcal{G}})$ | | SV-COM | MP $(I_{\mathcal{G}})$ | FISS | $sc(E_{\mathcal{G}})$ | FISSC $(I_{\mathcal{G}})$ | | |
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Results: Generating Constraints



nrevious

characterization

| | SV-COMP $(E_{\mathcal{G}})$ SV-COM | | ир (<i>I_G</i>) | $(I_{\mathcal{G}})$ FISSC $(E_{\mathcal{G}})$ | | | FISSC $(I_{\mathcal{G}})$ | | |
|---------------------|------------------------------------|-----------------|-----------------------------|---|-----|-------------------------|---------------------------|-----------------|---|
| | | □ (<i>□g</i>) | | (- <i>g</i>) | | □ (2 <i>g</i>) | | □ (1 <i>g</i>) | |
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We can find more reliable bugs than Robust Symbolic Execution

Results: Generating Constraints



| | SV-COM | $P(E_{\mathcal{G}})$ | SV-COM | SV-COMP $(I_{\mathcal{G}})$ | | $\operatorname{sc}(E_{\mathcal{G}})$ | FISSC $(I_{\mathcal{G}})$ | | character |
|---------------------|--------|----------------------|--------|-----------------------------|-----|--------------------------------------|---------------------------|-----|-----------|
| | | | | | | | | | |
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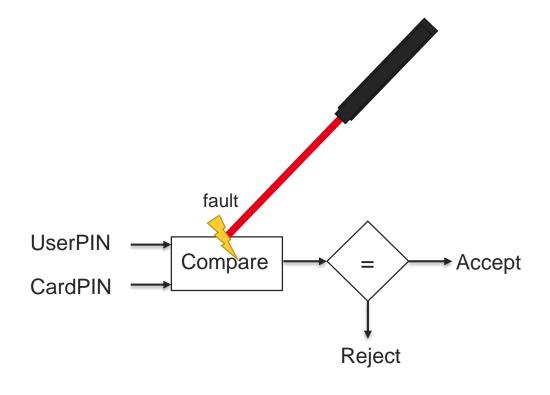
Benchmark: FISSC

Fault Injection Attacks

- Physical perturbation of the system executing the program
- Changes the program behavior
- Introduces new bugs
- How does each method characterize these bugs?

VerifyPINs

- 10 protected implementations
- 4800 faulted binary programs



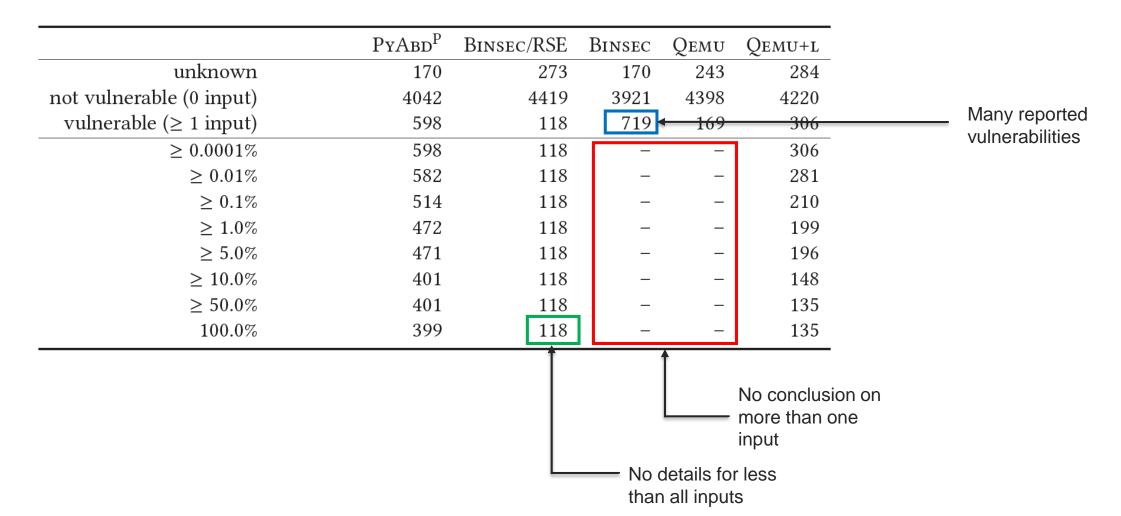
| | $PyAbd^{P}$ | BINSEC/RSE | Binsec | Qеми | Qemu+l |
|------------------------------|-------------|------------|--------|------|--------|
| unknown | 170 | 273 | 170 | 243 | 284 |
| not vulnerable (0 input) | 4042 | 4419 | 3921 | 4398 | 4220 |
| vulnerable (≥ 1 input) | 598 | 118 | 719 | 169 | 306 |
| ≥ 0.0001% | 598 | 118 | _ | _ | 306 |
| $\geq 0.01\%$ | 582 | 118 | _ | _ | 281 |
| $\geq 0.1\%$ | 514 | 118 | _ | _ | 210 |
| $\geq 1.0\%$ | 472 | 118 | _ | _ | 199 |
| ≥ 5.0% | 471 | 118 | _ | _ | 196 |
| ≥ 10.0% | 401 | 118 | _ | _ | 148 |
| ≥ 50.0% | 401 | 118 | _ | _ | 135 |
| 100.0% | 399 | 118 | _ | _ | 135 |
| | | | | | |



| | Qemu+l | Qemu | Binsec | BINSEC/RSE | $PyAbd^{P}$ | |
|-----------------------------|--------|------|--------|------------|-------------|--------------------------|
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| | 199 | _ | _ | 118 | 472 | ≥ 1.0% |
| | 196 | _ | _ | 118 | 471 | ≥ 5.0% |
| | 148 | _ | _ | 118 | 401 | ≥ 10.0% |
| | 135 | _ | _ | 118 | 401 | ≥ 50.0% |
| | 135 | _ | _ | 118 | 399 | 100.0% |
| | | | | | | |

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No conclusion on more than one input





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Best characterization PyA_Bn^P BINSEC/RSE BINSEC QEMU QEMU+L unknown 273 170 284 170 243 not vulnerable (0 input) 4042 4419 3921 4398 4220 Many reported vulnerable (≥ 1 input) 719 598 118 169 306 vulnerabilities $\geq 0.0001\%$ 598 118 306 > 0.01%582 118 281 > 0.1%514 118 210 > 1.0%472 118 199 $\geq 5.0\%$ 471 118 196 $\geq 10.0\%$ 401 118 148 > 50.0% 401 118 135 100.0% 399 118 135 No conclusion on more than one input

No details for less

than all inputs





true

Authentication is always possible

- Card[0] == User[0] && User[0] == 3
 Authentication when first digit is 3
- User[0] == User[1] && User[0] == User[2] && User[0] == User[3] && User[0] != 0
 Authentication when all digits are equal and non zero
- Card[2] != User[2] && Card[3] == User[3] && User[1] == 5
 Authentication when we know the last digit, the 3rd is not correct and the 2nd is 5.
- R0 == User[3] && User[3] == User[2] && User[3] == User[1] && User[3] == User[0] Authentication with four time the initial value of R0
- R2 = 0xaa && R1 != 0x55 && R1 != 0
 Authentication if R2=0xaa initially and R1 distinct from both 0x55 and 0x00 initially

Conclusion



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- We adapt theory-agnostic abduction algorithm to ∃∀ formulas and apply it at program-level through oracles
- We demonstrates its capabilities on simple yet realistic vulnerability characterization scenarii









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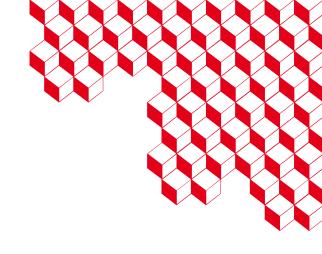
Questions?











Questions







