

Week-9

graph, design an algorithm and implement it using a
to implement Floyd - Warshall all pairs shortest path algorithm.

- Ans: \rightarrow
- 1) START
 - 2) Input n
 - 3) if $i \geq n$ goto step 11
 - 4) if $j \geq n$ goto step 10
 - 5) input temp
 - 6) if (temp != "INF")
 - 7) graph[i][j] = stoi(temp)
 - 8) else graph[i][j] = 10
 - 9) if $j < n$ goto step 4
 - 10) if $i < n$ goto step 3
 - 11) if $k \geq n$ goto step 19
 - 12) if $i \geq n$ goto step 18
 - 13) if $j \geq n$ goto step 17
 - 14) if (graph[i][k] + graph[k][j] < graph[i][j])
 - 15) graph[i][j] = graph[i][k] + graph[k][j]
 - 16) if $j < n$ goto step 13
 - 17) if $i < n$ goto step 12
 - 18) if $k < n$ goto step 11
 - 19) To print shortest path matrix
 - 20) if $i \geq n$ goto step 26
 - 21) if $j \geq n$ goto step 25
 - 22) if (graph[i][j] >= 10) print "INF"
 - 23) else print graph[i][j]
 - 24) if $j < n$ goto step 21
 - 25) if $i < n$ goto step 20
 - 26) STOP

of items having value and weight. You have to design an algorithm and using a program to find the list of the selected items such that selected content has weight w and has maximum value. fractions of items i.e. the items can be broken into smaller you have to carry only a fraction x_i of items i where $0 < x_i < 1$

- 1) START
- 2) input n
- 3) if $i \geq n$ goto step 6
- 4) input items
- 5) if $i < n$ goto step 3
- 6) if $i > n$ goto step 11
- 7) input $val[i]$
- 8) job.push-back ($\{val[i] + item[i],$
- 9) (double) ($i+1$)
- 10) if $i < n$ goto step 6
- 11) input k
- 12) sort (job.begin(), job.end())
- 13) profit = 0
- 14) if $i \geq n$ goto step 23
- 15) if (job[i][1] $\geq k$)
- 16) profit += $k * job[i][0]$
- 17) is.push-back (make-pair ($k, job[i][2]$))
- 18) break
- 19) else profit += $job[i][1] * job[i][0]$
- 20) Is.push-back (make-pair ($job[i][1], job[i][2]$))
- 21) $k = k - job[i][1]$
- 22) Print profit
- 23) Print Item_weight
- 24) for every element it of Is
- 25) Print it.second-it.first
- 26) STOP

of elements. Assume $ans[i]$ represent the size of file i . Write a program to merge all these files into single file computations. For given two files A and B of size m and n of merging them is $O(m+n)$.

- 1) START
- 2) input n
- 3) if $i \geq n$ goto step 6
- 4) input $a[i]$
- 5) if $i < n$ goto step 3
- 6) $i = 0$
- 7) if $i \geq n$ goto step 10
- 8) $minheap.push(a[i])$
- 9) if $i < n$ goto step 7
- 10) $ans = 0$
- 11) while ($minheap.size() > 1$)
 - (i) $e1 = minheap.top(), minheap.pop()$
 - (ii) $e2 = minheap.top(), minheap.pop()$
 - (iii) $ans = e1 + e2$
 - (iv) $minheap.push(e1 + e2)$
- 12) print ans
- 13) STOP