

## Problem 1: Friendship Paradox on Facebook

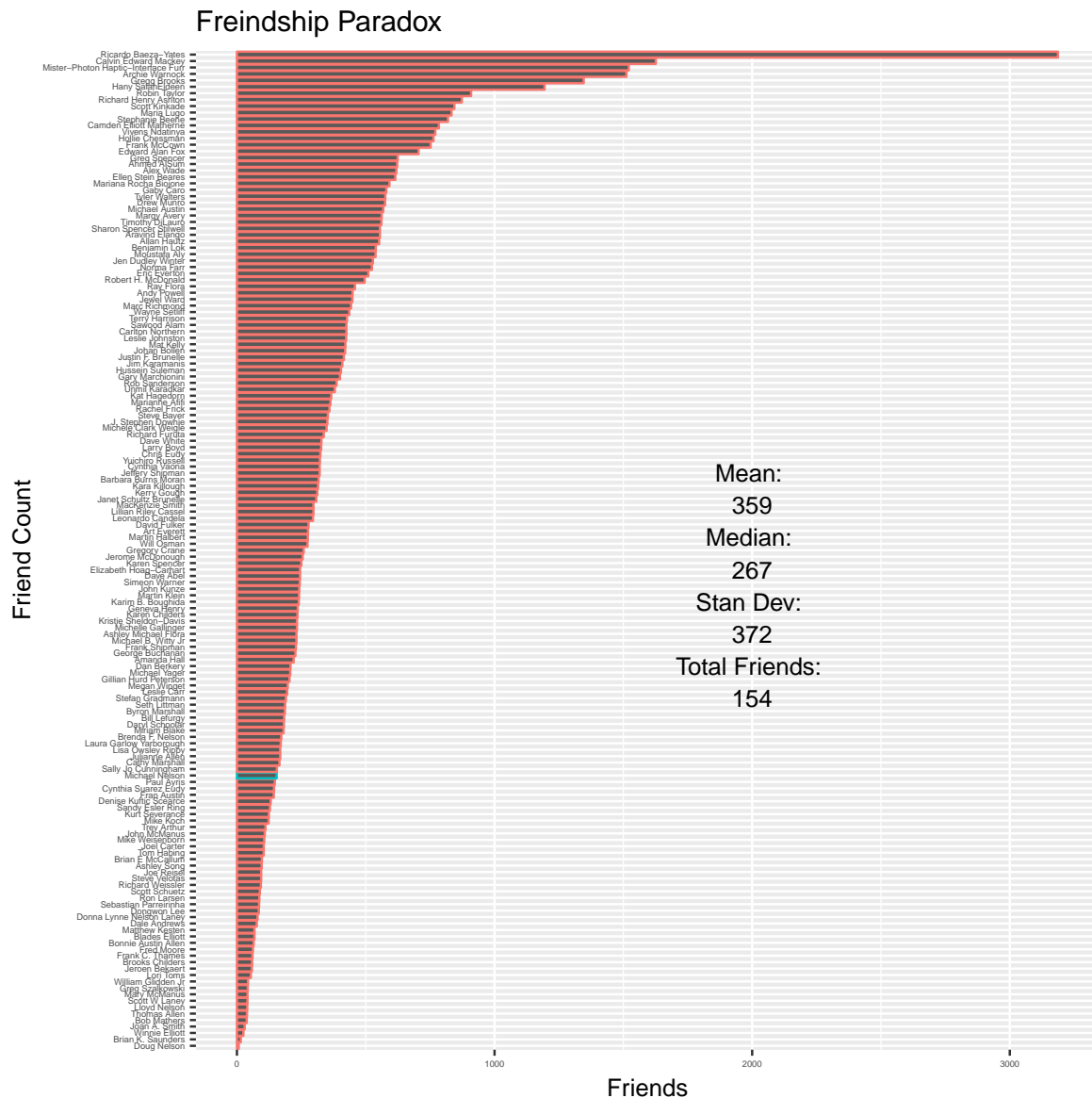
Question 1: Determine if the friendship paradox holds for M. Nelson's Facebook account. Compute the mean, standard deviation, and median of the number of friends that M. Nelson's friends have. Create a graph of the number of friends (y-axis) and the friends themselves, sorted by number of friends (x-axis). Do include M. Nelson in the graph and label him accordingly. For this exercise I used R to import the graphml document of M. Nelson's facebook network. Due to the number of friends, I flipped the x and y axis so that the names would be to the left, and readable. M. Nelson's friend count is highlighted in blue. The mean, median and standard deviation are also calculated using R, and the n rounded to 3 significant digits.

Here is the R code used to generate the graph:

```
require(graphics)  
library(igraph)  
library(ggplot2)  
  
pdf('Desktop/facebook_friend_paradox.pdf')  
facebook_graph<-read.graph('Desktop/mln.graphml', format='graphml')  
name<-V(facebook_graph)$name  
friend_count<-V(facebook_graph)$friend_count  
  
FB_frame<-data.frame(name=name, friend_count=friend_count, color='  
  blue')          #build data frame from attribute vectors  
FB_frame<-na.omit(FB_frame)      #remove missing data  
summary(FB_frame)              #show a summary of the data  
  
max_friends<-max(FB_frame$friend_count) #calculate the largest  
  number of friends a friend has  
class(max_friends)  
  
num_friends<-length(FB_frame$friend_count) #calculate the total  
  number of friends  
class(num_friends)  
  
dev_f<-as.integer(sd(FB_frame$friend_count)+0.5) #calculate the  
  standard deviation  
class(dev_f)  
  
mean_f<-as.integer(mean(FB_frame$friend_count)+0.5) #calculate the  
  mean  
class(mean_f)
```

```
median_f<-as.integer(median(FB_frame$friend_count)+0.5) #calculate  
  the median  
class(median_f)  
  
temp<-data.frame(name='Michael_Nelson', friend_count=num_friends,  
  color='red') #add M. Nelson to the data frame but colored red  
FB_frame<-rbind(FB_frame, temp)  
summary(FB_frame)  
  
num_friends<- num_friends + 1  
FB_frame$name<-factor(FB_frame$name, levels=FB_frame[order(FB_frame  
  $friend_count), 'name']) #reorder the data table for smallest to  
  largest  
  
ggplot(FB_frame, aes(x=name, y=friend_count, colour=color)) + geom_  
  bar(stat='identity') + coord_flip()+ theme(axis.text=element_  
  text(size=3.5), legend.position='none')+xlab('Friend_Count')+  
  ylab('Friends')+ggtitle('Freindship_Paradox')+annotate('text', x  
  = c(90, 85, 80, 75, 70, 65, 60, 55), y=2000, label=c('Mean:',  
  mean_f, 'Median:', median_f, 'Stan_Dev:', dev_f, 'Total_  
  Friends:', num_friends-1) )  
dev.off()
```

I'm not sure why, but when the graph was built, the colors switched, so that M. Nelson is highlighted blue, while everyone else is red. I'll figure that out for next time, but at least the right data point still stands out.



The data suggests that yes, most of M. Nelson's friends have more friends than he does, proving the Friendship paradox. This is represented by the median vs. the total number of friends.

## Problem 2: Friendship Paradox on Twitter

Determine if the friendship paradox holds for the phonedude\_mln Twitter account. Since Twitter is a directed graph, use "followers" as the value you measure. For this problem, I built a quick Python program to query Twitter called "Twitter\_Followers.py". I used Python 3.5, and the program takes two arguments. The first is the output file for the data, and the second is the screen name of the profile you wish to query. The program creates a tabulated file with two columns: the screen name of the follower,

and the number of followers they have.  
Here is the code for “Twitter\_Followers.py”:

---

```
#Import the necessary methods from tweepy library
import tweepy
import json
import re as regex
import requests
from sys import argv

#Variables that contains the user credentials to access Twitter API
access_token = "826264224838057986-p2cjKY6P4qKUUbTRtDZDicIHFxXkCdu"
access_token_secret = "
yTAtL6R0rb35p49qcharmzWMz5X4vQsT0Jrm2UQR7Nipf"
consumer_key = "1qH36csH37Oa1LKjgDijsxGVX"
consumer_secret = "
QlVfb24OuyOGsMmF8ojWZs1N2p1eeT8ib2CK4ovntk1tpSLIaW"

if __name__ == '__main__':
    outfile=argv[1]
    screenname=argv[2]
    #creates authentication object using pasted tokens and keys
    auth = tweepy.OAuthHandler(consumer_key, consumer_secret)
    auth.set_access_token(access_token, access_token_secret)
    #I added the wait-on-rate-limit and notify flags. this keeps
    the program from
    #crashing when Twitter raises the rate_limit_exceeded flag.
    Wish I'd known about
    #that last time!
    api=tweepy.API(auth, wait_on_rate_limit=True,
        wait_on_rate_limit_notify=True)

    with open(outfile, 'w') as out:
        print('screen_name', 'followers', sep='\t', file=out)
        #iterable object c pulls followers from a particular user
        c=tweepy.Cursor(api.followers, screen_name=screenname).
            items()
        while True:
            try:
                user= c.next()
                #using the tweepy API you can pull screen_name and
                followers_count
                #from a particular user
                print(user.screen_name, user.followers_count, sep=
                    '\t', file=out)
                #I added this error catch before I found the flags
```

```
        above.  
    except tweepy.TweepError:  
        continue  
    except StopIteration:  
        break
```

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Here is the R code used to draw the graph:

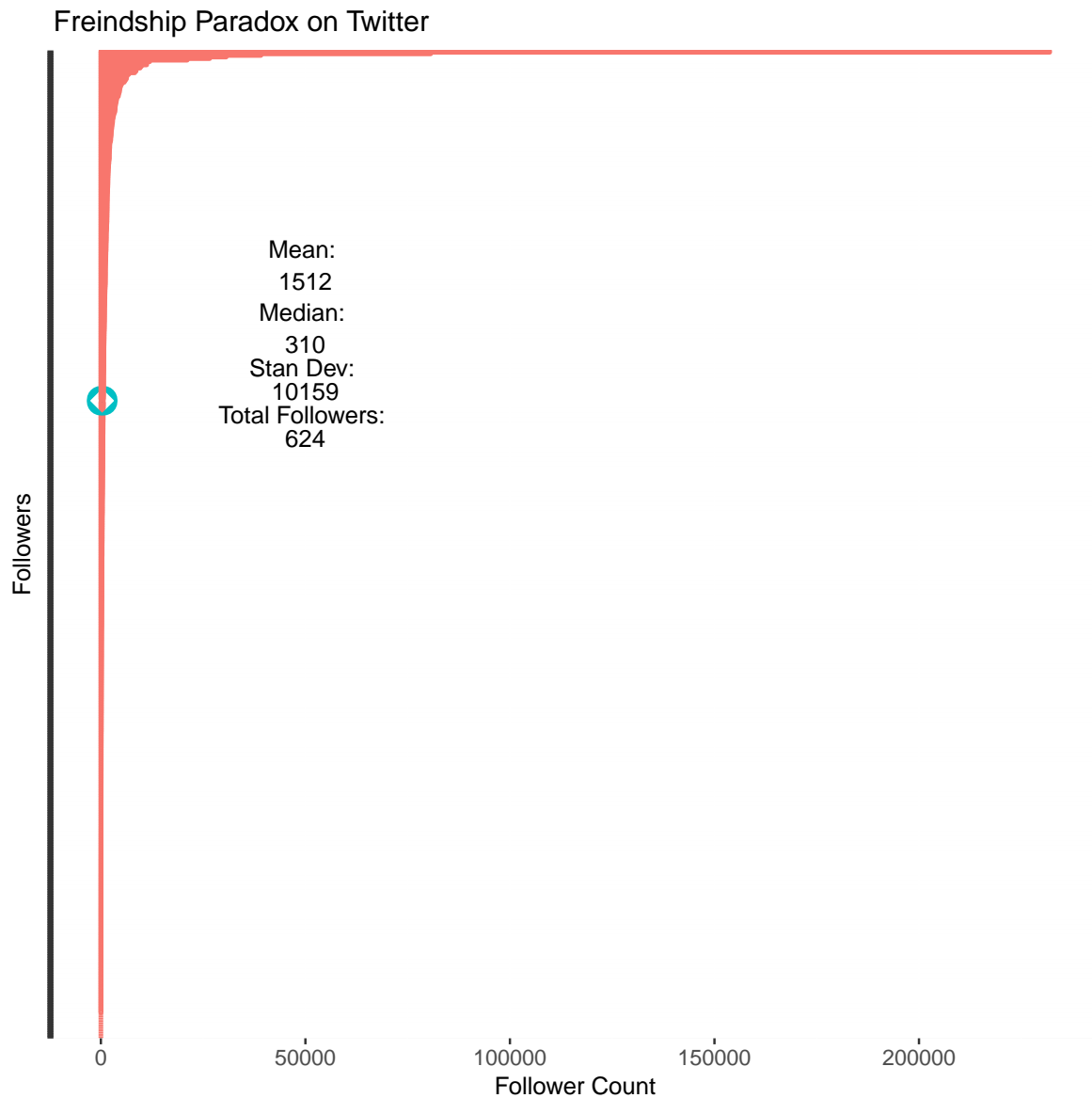
```
require(graphics)  
pdf('Desktop/Twitter-Friend-Paradox.pdf')  
  
twit_frame<-read.table('Desktop/twitter_follow.txt', sep='\t',  
    header=TRUE)      #import frame from file  
twit_frame<-na.omit(twit_frame) #remove NA  
twit_frame$color<-'blue'      #add color column  
twit_frame$size<-0.01        #add size column  
  
max_followers<-max(twit_frame$followers)      #calculate max  
    number of followers a follower has  
class(max_followers)      #checks max followers for type  
  
num_followers<-length(twit_frame$followers) #calculate total number  
    of followers  
class(num_followers)  
  
dev_f<-as.integer(sd(twit_frame$followers)+0.5) #calculates  
    standard deviation  
class(dev_f)  
  
mean_f<-as.integer(mean(twit_frame$followers)+0.5)      #calculates  
    the mean  
class(mean_f)  
  
median_f<-as.integer(median(twit_frame$followers)+0.5) #calculates  
    the median  
class(median_f)  
  
summary(twit_frame)      #displays a summary of twit_frame so far  
temp<-data.frame(screen_name='phonedude_mln', followers=num_  
    followers, color='red', size=0.5)      #crates a row for phonedude_  
    mln  
twit_frame<-rbind(twit_frame, temp)      #adds phonedude_mln to twit_  
    _frame  
summary(twit_frame)  
num_followers<- num_followers + 1      #adds one more to the row
```

*count for use while plotting*

```
twit_frame$screen_name<-factor(twit_frame$screen_name, levels=twit_
  frame[order(twit_frame$followers), 'screen_name']) #reorders
  twit_frame smallest to largest

ggplot(twit_frame, aes(x=screen_name, y=followers, colour=color,
  size=size)) + geom_bar(stat='identity') + coord_flip()+ theme(
  axis.text=element_text(size=0.01), axis.text.x=element_text(size
  =10), legend.position='none')+xlab('Followers')+ylab('Follower_
  Count')+ggtitle('Freindship_Paradox_on_Twitter')+annotate('text'
  , x= c(500, 480, 460, 440, 425, 410, 395, 380), y=50000, label=c
  ('Mean:', mean_f, 'Median:', median_f, 'Stan_Dev:', dev_f, '
  Total_Followers:', num_followers-1) )
dev.off()
```

For the plot, I basically used the same code as the previous graph, but I added a size variable so I could blow up M. Nelson's bar. The regular plot almost disappeared otherwise. I also suppressed the screen names as much as possible since it was too crowded to be readable.



The data on this graph suggests that most of M. Nelson's followers have LESS followers than he does, as represented by the median vs. the total number of followers