# SAS® GLOBAL FORUM 2017

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#### Presenter

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Paul Edwards is a senior manager on the Canadian Retail Models & Analytics team. Paul has worked in the financial sector since 2013 holding roles in risk modeling and fraud analytics. Paul has used SAS for 3 years.

Boosting for Credit Scorecards and Similarity to WOE Logistic Regression

# **Objectives**

- The need for transparency in models
- The desire for machine learning
- Consumer risk models
  - Scorecards
  - Weight-of-evidence (WOE) Regression
- Boosting
  - How it works
  - Highlights of boosting
  - How it is similar to WOE techniques
- Real AdaBoost macro
  - Example

# Transparency

- Modeling has undergone a renaissance
  - New machine learning algorithms
  - Powerful computers
  - Data-driven decision making has lead to large profits<sup>1</sup>



- Modeling departments at Financial Institutions are at a crossroads
  - Executives want some of the famed value of advanced methods
  - Others want models that are easy to understand & use
    - Regulators & auditors
    - Front line staff
    - Implementation teams (IT)

#### **Consumer Risk Models**

#### Introduction

- Risk modelers have developed methodology that is easy to implement and effective
  - The methodology is based on decision trees and regression
- Characteristics are binned and each bin receives a score proportional to risk

Characteristic	Bin	Score points
	No past loan delinquency	21
Past loan delinquency	One past loan delinquency event	5
	More than one past loan delinquency event	0
Credit utilization	Low credit utilization (<30%)	25
	Medium credit utilization (30-80%)	10
	High credit utilization (>80%)	0

#### **Consumer Risk Models**

#### Scorecards

- This makes the models easy to understand, communicate and implement
- An applicant falls into just one bin per characteristic
  - The applicants gets one score from each characteristic. Total score is summed
  - Applicant proceeds down scorecard summing up a final score

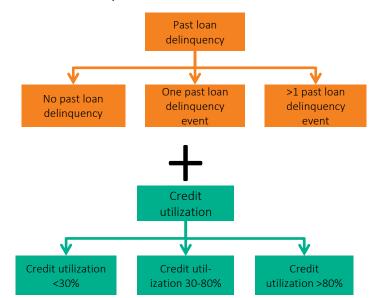
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#### **Consumer Risk Models**

#### **Building Scorecards**

The bins for each characteristic are determined by a decision tree

Characteristic	Bin	Score points
	No past loan delinquency	21
Past loan delinquency	One past loan delinquency event	5
	More than one past loan delinquency event	0
	Low credit utilization (<30%)	25
Credit utilization	Medium credit utilization (30-80%)	10
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The scorecard add the contributions from each tree

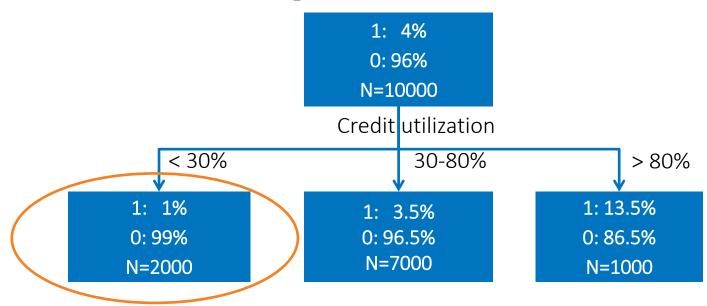
# **Building Trees for Scorecard**

- 1. Gather (binary) training data
  - $Y \in \{0,1\}$ : your target variable. In consumer risk, Y=1 indicates an applicant will become delinquent
  - $x: \{x_1, x_2, ..., x_i\}$ : predictor variables (characteristics; e.g. credit utilization)

Applicant	Υ	<b>x</b> <sub>1</sub>	<b>x</b> <sub>2</sub>	 X <sub>j</sub>
111	0	0.1	Α	•
112	1	0.9	Α	1
113	0	0.0	В	6

# **Building Trees for Scorecard**

- 2. Build a decision tree, splitting  $x_i$  into uniforms bins of Y
  - As an illustration, say  $x_1$  is credit utilization



# **Building Trees for Scorecard**

#### Weight-of-evidence

- 3. Standardize the avg(Y) in each bin using "weight-of-evidence" (WOE)
  - WOE is measures the "purity" of Y in the bin. A bin with most Y=0 events has large value

#### General equations

# For credit utilization bin 1

#### Credit utilization <30%

1: 20 (1%)

0: 1980 (99%)

N: 2000

WOE: 0.61



# $F_{G,j}(k) = \frac{N_{j,k}^{Y=0}}{N_k^{Y=0}}$ $F_{B,j}(k) = \frac{N_{j,k}^{Y=1}}{N_k^{Y=1}}$

WOE<sub>j,k</sub> = 
$$\log \left( \frac{F_{G,j}(k)}{F_{B,j}(k)} \right)$$

$$F_{G,1}(1) = \frac{1980}{9600}$$

$$F_{B,1}(1) = \frac{20}{400}$$

WOE<sub>1,1</sub> = 
$$\log \left( \frac{F_{G,1}(1)}{F_{B,1}(1)} \right)$$
  
= 0.61

# **Building and Weighting Trees**

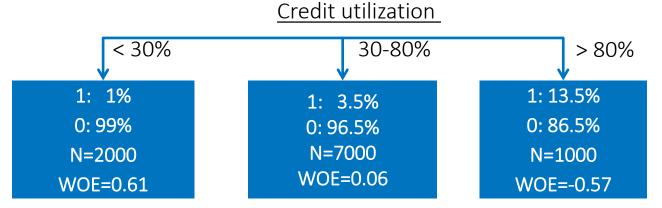
#### Weight-of-evidence

- New function  $W_i(x_i)$  sorts characteristic j into appropriate bin and outputs the WOE value of that bin
- Examples

• 
$$W_1(x_1 = 40\%) = 0.06$$
 •  $W_1(x_1 = 85\%) = -0.57$ 

• 
$$W_1(x_1 = 85\%) = -0.57$$

•  $W_1(x_1 = 90\%) = -0.57$ 



# Weighting Trees

#### Logistic regression

Logistic regression

$$logit(P(Y = 1)) = \beta_0 + \sum_{j=1}^{M} \beta_j W_j(x_j)$$

- Recall  $W_i(x_i)$  is a WOE tree: One term (one tree) per characteristic
- The β coefficients allow different contribution from each tree/characteristic
- Binning variables and standardizing with WOE allows
  - non-linear relationships to be modelled
  - categorical or missing data to be modelled naturally
- Non-linear version of logistic regression!

# Link to Machine Learning

#### Weak learners

- The key to connecting WOE logistic regression with boosting methods is to understand that  $W_i(x_i)$  is itself a predictive model of P(Y=1)
  - A "weak learner" in ML parlance

Υ	$\beta_1$	W <sub>1</sub> (x <sub>1</sub> )	<b>X</b> <sub>1</sub>
?	0.55	-0.57	0.86
?	0.55	0.61	0.00
?	0.55	0.61	0.04

A record with a negative WOE is more likely Y=1

# Link to Machine Learning

#### Weak learners

- Our confidence grows as we add trees
- Record 1 looks even more likely to be Y=1

Υ	$\beta_1$	W <sub>1</sub> (x <sub>1</sub> )	<b>x</b> <sub>1</sub>	$\beta_2$	$W_2(x_2)$	<b>x</b> <sub>2</sub>
?	0.55	-0.57	0.86	0.65	-1.2	5
?	0.55	0.61	0.00	0.65	1.0	1
?	0.55	0.61	0.04	0.65	2.0	0

# Link to Machine Learning

#### Strong learner

- All three trees agree that the first record is Y=1
  - The probability P(Y=1) is proportional to  $\beta_1W_1(x_1)+\beta_2W_2(x_2)+\beta_3W_3(x_3)$

Υ	$\beta_1$	W <sub>1</sub> (x <sub>1</sub> )	$x_1$	β <sub>2</sub>	$W_2(x_2)$	<b>X</b> <sub>2</sub>	β <sub>3</sub>	$W_3(x_3)$	X <sub>3</sub>
?	0.55	-0.57	0.86	0.65	-1.2	5	0.11	-0.2	5.5
?	0.55	0.61	0.00	0.65	1.0	1	0.11	0.4	-1.1
?	0.55	0.61	0.04	0.65	2.0	0	0.11	0.4	0.0

- · Adding weak learners to form a strong one is a motivating principle in ML
  - This is possibly why WOE regression works

- Real AdaBoost $^1$  add weak learner trees:  $H_j(x_j)$  just like  $W_j(x_j)$
- But Real AdaBoost builds trees stage wise,
  - 1. Build  $H_1(x_1)$  (i.e., bin  $x_1$  using a tree)
  - 2. Estimate residual  $w = Y H_1(x_1)$
  - Build  $H_2(x_2)$  weighted by residuals. Two (equivalent) ways to think about this:
    - Resample your training data, proportional to w, then build  $H_2(x_2)$
    - The second tree tries hard to predict the difficult cases about which the previous tree was wrong
  - 4. Repeat
- H returns the weighted log odds of the bin, rather than the WOE of the bin

$$G(P(Y = 1)) = \sum_{j=1}^{M} H_j(x_j);$$
  $H_j(x_j) = \frac{1}{2} log \left( \frac{P_w(Y = 1|x_j)}{P_w(Y = 0|x_j)} \right)$ 



#### Highlights

- Adaptive binning "wrings out" any variance left in the model
  - SAS EM credit scoring add-on builds all WOE trees first, then does regression.
  - Minimizes multicolinearity & remove need for variable reduction
- Automatic, but modifiable
  - Real AdaBoost can automatically fit a model even automatically detecting variable interactions
  - A business partner may insist on a certain variable, which could be added at from of AdaBoost series
- Established technique
- No fitted Coefficients
  - No regression step. The authors prove that a  $\beta$ =1 coefficient will always minimizes error
- Scorecards
  - A Real AdaBoost model is a sum of a series of trees. The model can be expressed as a scorecard
- Extensible
  - Boosting (though not Real AdaBoost) can be done on non-binary targets

Trevor Hastie Robert Tibshirani Jerome Friedman

# The Elements of Statistical Learning

Data Mining, Inference, and Prediction

They wrote the book on machine learning!

**USERS PROGRAM** 

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#### Macro

A brief example of macro usage (synthetic data)

Original input data							
ID	COL1	COL2	COL3	COL4	COL5	DF	
1	1.241	1.617	-0.808	-1.286	-2.463	0	
2	-0.535	1.200	-0.969	-2.597	2.085	1	
3	-1.014	0.356	1.063	0.444	-0.006	1	
4	0.690	-0.357	0.708	-0.605	0.821	0	

#### Macro outputs

#### The scored data set

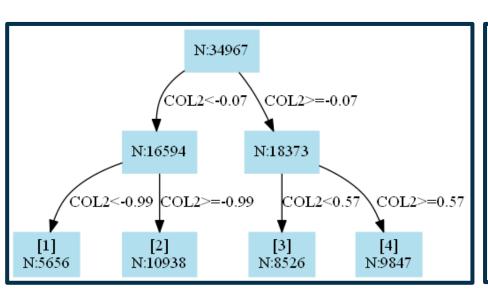
	Original input data							New columns				
ID	COL1	COL2	COL3	COL4	COL5	DF	f1	 f10	adascore	p_df1	p_df0	ada- predict_df
1	1.241	1.617	-0.808	-1.286	-2.463	0	0.143	-0.085	0.350	0.587	0.413	1
2	-0.535	1.200	-0.969	-2.597	2.085	1	0.143	0.038	0.495	0.621	0.379	1
3	-1.014	0.356	1.063	0.444	-0.006	1	0.024	0.038	0.431	0.606	0.394	1

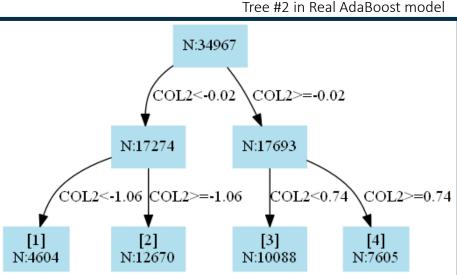
#### Scorecard

LEAF	rule	score	ADATREENUMBER
1	;COL2<-0.99	-0.183	1
2	;COL2>=-0.99;COL2<-0.07	-0.059	1
3	;COL2>=-0.07;COL2<0.57	0.024	1
4	;COL2>=0.57	0.143	1

#### Macro outputs

- Graphical trees
  - A helper program included in macro can generate graphical trees





Tree #1 in Real AdaBoost model

## Questions

• Thanks for your attention!

Contact	Try the macro
paul.edwards2@scotiabank.com	<ul> <li>The most up-to-date macro will always be on github*</li> </ul>
Questions & comments welcome	<ul> <li>https://github.com/pedwardsada/real _adaboost</li> </ul>

<sup>\*</sup> Pull requests are welcome! Submit your bugs and patches