```
In [1]: import time
        import numpy as np
        import h5py
        import matplotlib.pyplot as plt
        import scipy
        from PIL import Image
        from scipy import ndimage
        from dnn app utils v3 import *
        from public_tests import *
        import pandas as pd
        import seaborn as sns
        import os
        import tensorflow as tf
        import sklearn
        import mpl toolkits
        %matplotlib inline
        plt.rcParams['figure.figsize'] = (5.0, 4.0) # set default size of plots
        plt.rcParams['image.interpolation'] = 'nearest'
        plt.rcParams['image.cmap'] = 'gray'
        %load_ext autoreload
        %autoreload 2
        np.random.seed(1)
        !pwd;
```

/Users/jhynes1/Documents/GitHub/Kaggle-Competition/titanic

5.0) Deep Learning Neural Networks

5.1) Prepare data:

* Steps 0: prepare data inputs & network model parameters, ensure correct dimenssions

5.2) Write helper functions:

```
* Steps 1: parameters = def initialize parameters(layers_dim)
* Steps 2: AL, caches = L_model_forward(X, parameters):
* Steps 3: cost = compute_cost(AL, Y):
* Steps 4: grads = L_model_backward(AL, Y, caches):
* Steps 6: parameters = update_parameters(parameters, grads, learning_rate):
```

5.3) Build model & beta test:

```
* Step 7: parameters, cost = L_layer_model(X, Y, layers_dims,
learning_rate = 0.0075, num_iterations = 1, print_cost=False)
* Step 8: test : print("Cost after first iteration: " +
str(costs[0]))
```

5.4) Train model:

```
* Step 9: parameters, costs = L_layer_model(train_x, train_y, layers_dims, num_iterations = 1000, print_cost = True)
```

5.5) Test model:

```
* Step 10: parameters, costs = L_layer_model(test_x, test_y, layers_dims, num_iterations = 1000, print_cost = True
```

Generate prediction file:

```
In [2]: import os
        train df = pd.read csv("/Users/jhynes1/Documents/GitHub/Kaggle-Competition/tite
        test df = pd read csv("/Users/jhynes1/Documents/GitHub/Kaggle-Competition/titar
        train df = train df.copy()
        test df = test df.copy()
        train df['Embarked'].fillna(0, inplace=True) # unkown
        train df['Embarked'].replace('Q', 1,inplace=True)
        train df['Embarked'].replace('S', 2,inplace=True)
        train_df['Embarked'].replace('C', 3,inplace=True)
        test df['Embarked'].fillna(0, inplace=True)
        test_df['Embarked'].replace('Q', 1,inplace=True)
        test df['Embarked'].replace('S', 2,inplace=True)
        test_df['Embarked'].replace('C', 3,inplace=True)
        train df['Sex'].replace('male', 0,inplace=True)
        train df['Sex'].replace('female', 1,inplace=True)
        test_df['Sex'].replace('male', 0,inplace=True)
        test df['Sex'].replace('female', 1,inplace=True)
        #for data in combined data:
        train df.Fare.fillna(train df.Fare.mean(), inplace = True)
        test df.Fare.fillna(train df.Fare.mean(), inplace = True)
```

```
train_df.Age.fillna(method = 'ffill', inplace = True)
test_df.Age.fillna(method='ffill', inplace = True)
print(test_df.isnull().sum()) # inspect data types: any missing or null data
print(train_df.isnull().sum()) # inspect data types: any missing or null data
## TEST PREDICITVE POWER

from sklearn.feature_selection import SelectKBest, f_classif

columns_features_final = ['Sex', 'Pclass' ,'Embarked' , 'Parch', 'SibSp', 'Age
selector = SelectKBest(f_classif, k='all')

selector.fit(train_df[columns_features_final],train_df['Survived'])
scores = -np.log10(selector.pvalues_)
indices = np.argsort(scores)[::-1]

print('Features importance:')
for i in range(len(scores)):
    print('%.2f %s' % (scores[indices[i]], columns_features_final[indices[i]])
```

PassengerId 0 Pclass 0 Name 0 Sex 0 0 Age 0 SibSp Parch 0 Ticket 0 Fare 0 Cabin 327 Embarked 0 dtype: int64 PassengerId 0 Survived 0 Pclass Name 0 Sex 0 Age 0 SibSp 0 Parch 0 Ticket 0 Fare 0 Cabin 687 Embarked dtype: int64 Features importance: 68.85 Sex 24.60 Pclass 14.21 Fare 3.13 Embarked 1.83 Parch 1.30 Age 0.53 SibSp

```
In [3]: ## Feature Engineering - Select final features and scale
         columns features final = ['Sex', 'Pclass', 'Embarked', 'SibSp', 'Age']
         train df features = train df[['Survived'] + columns features final ]
         test df features = test df[columns features final]
         # For submission scoring (i.e., don't normalize 'PassenderID' feature during st
         test df features Match = test df[['PassengerId'] + columns features final ]
 In [4]: from sklearn.preprocessing import MinMaxScaler
         scaler = MinMaxScaler ()
         scaler.fit(train df features)
         scaled = scaler.fit_transform(train_df_features)
         train df features norm = pd.DataFrame(scaled, columns=train df features. column
         scaler.fit(test_df_features)
         scaled = scaler.fit_transform(test df features)
         test df features norm = pd.DataFrame(scaled, columns=test df features. columns
In [50]: from sklearn.model_selection import train_test_split
         print(np.shape(test df))
          ## SWAP OUT REG DATA FOR PCA ###
         #train_df_norm = pca_plot_df[['PC1', 'PC2', 'PC3', 'PC4', 'Survived']]
         #columns to be added as features = ['PC1', 'PC2', 'PC3', 'PC4']
         #### SWAP OUT REG DATA FOR PCA ###
         #train df features norm = pca plot df
         #train df features final = train df features final.sample(frac=1).reset index(c
         validation set ratio = 0.20 # 30%
         validation set size = int(len(train df features norm)*validation set ratio)
         training set size = len(train df features norm) - validation set size
         # test vs train = 20% split
         nn_train, nn_val = train_test_split(train_df_features_norm, test_size=validation
         nn train x = nn train[columns features final]
         nn_train_y = nn_train['Survived']
         nn val x = nn val[columns features final]
         nn_val_y = nn_val['Survived']
         print("Total set size: {}".format(len(train_df_features_norm)))
         print("Training set size: {}".format(training set size))
         print("Validation set size: {}".format(validation set size))
         (418, 11)
         Total set size: 891
         Training set size: 713
         Validation set size: 178
In [51]: train_x = nn_train_x.to_numpy().T
         train_y = nn_train_y.to_numpy()[np.newaxis,:]
```

```
val_x = nn_val_x.to_numpy().T
val_y = nn_val_y.to_numpy()[np.newaxis,:]
print(np.shape(train_x), np.shape(train_y))
(5, 712) (1, 712)
```

5 - L-layer Neural Network

Question: Use the helper functions you have implemented previously to build an L-layer neural network with the following structure: $[LINEAR -> RELU] \times (L-1) -> LINEAR -> SIGMOID$. The functions you may need and their inputs are:

5.1) write helper functions

```
In [52]:
         def initialize_parameters_deep(layer_dims):
             Arguments:
             layer dims -- python array (list) containing the dimensions of each layer
             Returns:
             parameters -- python dictionary containing your parameters "W1", "b1", ...
                             Wl -- weight matrix of shape (layer_dims[l], layer_dims[l-]
                             bl -- bias vector of shape (layer_dims[1], 1)
             0.00
             np.random.seed(1)
             parameters = {}
             L = len(layer dims)
                                             # number of layers in the network
             for 1 in range(1, L):
                 parameters['W' + str(1)] = np.random.randn(layer dims[1], layer dims[]
                 parameters['b' + str(l)] = np.zeros((layer_dims[l], 1))
                 assert(parameters['W' + str(1)].shape == (layer dims[1], layer dims[1-]
                 assert(parameters['b' + str(1)].shape == (layer dims[1], 1))
```

```
return parameters
```

Step 2: calculate forward propagation through hidden layers

This involves passing the input through a linear integration and non-linear activiation layer. Cache the weights (W) and biases for later, and pass the activiations on to the next layer.

Z, cache = linear_forward(A, W, b) A, cache = linear_activation_forward(A_prev, W, b, activation):

```
In [53]:

def linear_forward(A, W, b):
    """
    Implement the linear part of a layer's forward propagation.

Arguments:
    A -- activations from previous layer (or input data): (size of previous lay W -- weights matrix: numpy array of shape (size of current layer, size of provious lay b -- bias vector, numpy array of shape (size of the current layer, 1)

Returns:
    Z -- the input of the activation function, also called pre-activation parary cache -- a python dictionary containing "A", "W" and "b"; stored for compute the compute t
```

```
A -- Post-activation parameter, of the same shape as Z
cache -- a python dictionary containing "A"; stored for computing the back
"""

A = np.maximum(0,Z)

assert(A.shape == Z.shape)

cache = Z
return A, cache
```

```
In [55]: def linear activation forward(A prev, W, b, activation):
             Implement the forward propagation for the LINEAR->ACTIVATION layer
             Arguments:
             A prev -- activations from previous layer (or input data): (size of previous
             W -- weights matrix: numpy array of shape (size of current layer, size of p
             b -- bias vector, numpy array of shape (size of the current layer, 1)
             activation -- the activation to be used in this layer, stored as a text str
             Returns:
             A -- the output of the activation function, also called the post-activation
             cache -- a python dictionary containing "linear cache" and "activation cach
                      stored for computing the backward pass efficiently
             if activation == "sigmoid":
                  # Inputs: "A prev, W, b". Outputs: "A, activation cache".
                 Z, linear cache = linear forward(A prev, W, b)
                 A, activation cache = sigmoid(Z)
             elif activation == "relu":
                 # Inputs: "A prev, W, b". Outputs: "A, activation cache".
                 Z, linear cache = linear forward(A prev, W, b)
                 A, activation cache = relu(Z)
             else:
                 print("\033[91mError! Please make sure you have passed the value correct
             assert (A.shape == (W.shape[0], A prev.shape[1]))
             cache = (linear cache, activation cache)
             return A, cache
```

Step 3: generate the complete forward model, inluding the output neuron.

L1: [LINEAR -> RELU] -> L2: [LINEAR -> RELU] -> L3: [LINEAR -> SIGMOID] ->

```
In [56]: def L_model_forward(X, parameters):
    """
    Implement forward propagation for the [LINEAR->RELU]*(L-1)->LINEAR->SIGMOID
    Arguments:
    X -- data, numpy array of shape (input size, number of examples)
    parameters -- output of initialize_parameters_deep()
    Returns:
```

```
AL -- last post-activation value
caches -- list of caches containing:
            every cache of linear relu forward() (there are L-1 of them, in
            the cache of linear sigmoid forward() (there is one, indexed L-
0.00
caches = []
A = X
L = len(parameters) // 2
                                          # number of layers in the neural
# Implement [LINEAR -> RELU]*(L-1). Add "cache" to the "caches" list.
for 1 in range(1, L):
    A prev = A
    A, cache = linear activation forward(A prev, parameters['W' + str(1)],
    caches.append(cache)
# Implement LINEAR -> SIGMOID. Add "cache" to the "caches" list.
AL, cache = linear activation forward(A, parameters['W' + str(L)], parameter
caches.append(cache)
assert(AL.shape == (1, X.shape[1]))
return AL, caches
```

Step 4: Calculate the mismatch (cost) between the output predictions (AL) and the target values (nn_Y)

```
In [57]: def compute_cost(AL, Y):
             Implement the cost function defined by equation (7).
             Arguments:
             AL -- probability vector corresponding to your label predictions, shape (1,
             Y -- true "label" vector (for example: containing 0 if non-cat, 1 if cat),
             Returns:
             cost -- cross-entropy cost
             m = Y.shape[1]
             # Compute loss from aL and y.
             cost = (1./m) * (-np.dot(Y,np.log(AL).T) - np.dot(1-Y, np.log(1-AL).T))
             cost = np.squeeze(cost)
                                         # To make sure your cost's shape is what we ex
             assert(cost.shape == ())
             return cost
```

Step 5: calculate the backwards propagation through the hidden layers.

```
In [58]: def linear backward(dZ, cache):
             Implement the linear portion of backward propagation for a single layer (18
             Arguments:
             dZ -- Gradient of the cost with respect to the linear output (of current la
             cache -- tuple of values (A prev, W, b) coming from the forward propagation
```

```
Returns:

dA_prev -- Gradient of the cost with respect to the activation (of the prev dW -- Gradient of the cost with respect to W (current layer 1), same shape db -- Gradient of the cost with respect to b (current layer 1), same shape """

A_prev, W, b = cache
m = A_prev.shape[1]

dW = 1./m * np.dot(dZ,A_prev.T)
db = 1./m * np.sum(dZ, axis = 1, keepdims = True)
dA_prev = np.dot(W.T,dZ)

assert (dA_prev.shape == A_prev.shape)
assert (dW.shape == W.shape)
assert (db.shape == b.shape)

return dA_prev, dW, db
```

```
In [59]:
         def relu backward(dA, cache):
             Implement the backward propagation for a single RELU unit.
             Arguments:
             dA -- post-activation gradient, of any shape
             cache -- 'Z' where we store for computing backward propagation efficiently
             Returns:
             dZ -- Gradient of the cost with respect to Z
             Z = cache
             dZ = np.array(dA, copy=True) # just converting dz to a correct object.
             # When z \le 0, you should set dz to 0 as well.
             dz[z <= 0] = 0
             assert (dZ.shape == Z.shape)
             return dZ
         def sigmoid backward(dA, cache):
             Implement the backward propagation for a single SIGMOID unit.
             Arguments:
             dA -- post-activation gradient, of any shape
             cache -- 'Z' where we store for computing backward propagation efficiently
             Returns:
             dZ -- Gradient of the cost with respect to Z
             Z = cache
             s = 1/(1+np \cdot exp(-Z))
             dZ = dA * s * (1-s)
             assert (dZ.shape == Z.shape)
```

```
return dZ
```

```
In [60]:
         def linear_activation_backward(dA, cache, activation):
             Implement the backward propagation for the LINEAR->ACTIVATION layer.
             Arguments:
             dA -- post-activation gradient for current layer 1
             cache -- tuple of values (linear_cache, activation_cache) we store for com
             activation -- the activation to be used in this layer, stored as a text str
             Returns:
             dA prev -- Gradient of the cost with respect to the activation (of the prev
             dW -- Gradient of the cost with respect to W (current layer 1), same shape
             db -- Gradient of the cost with respect to b (current layer 1), same shape
             linear_cache, activation_cache = cache
             if activation == "relu":
                 dZ = relu backward(dA, activation cache)
                 dA prev, dW, db = linear backward(dZ, linear cache)
             elif activation == "sigmoid":
                 dZ = sigmoid backward(dA, activation cache)
                 dA prev, dW, db = linear backward(dZ, linear cache)
             else:
                 print("\033[91mError! Please make sure you have passed the value correct
             return dA prev, dW, db
```

Step 6: add it to a backwards propagation model

```
In [61]: def L model_backward(AL, Y, caches):
             Implement the backward propagation for the [LINEAR->RELU] * (L-1) -> LINEAR
             Arguments:
             AL -- probability vector, output of the forward propagation (L model forwar
             Y -- true "label" vector (containing 0 if non-cat, 1 if cat)
             caches -- list of caches containing:
                         every cache of linear activation forward() with "relu" (there a
                         the cache of linear activation forward() with "sigmoid" (there
             Returns:
             grads -- A dictionary with the gradients
                      grads["dA" + str(1)] = ...
                      grads["dW" + str(1)] = ...
                      grads["db" + str(1)] = ...
             grads = {}
             L = len(caches) # the number of layers
             m = AL.shape[1]
             Y = Y.reshape(AL.shape) # after this line, Y is the same shape as AL
             # Initializing the backpropagation
             dAL = - (np.divide(Y, AL) - np.divide(1 - Y, 1 - AL))
```

```
# Lth layer (SIGMOID -> LINEAR) gradients. Inputs: "AL, Y, caches". Outputs
current_cache = caches[L-1]
grads["dA" + str(L-1)], grads["dW" + str(L)], grads["db" + str(L)] = linear

for l in reversed(range(L-1)):
    # lth layer: (RELU -> LINEAR) gradients.
    current_cache = caches[l]
    dA_prev_temp, dW_temp, db_temp = linear_activation_backward(grads["dA"
    grads["dA" + str(l)] = dA_prev_temp
    grads["dW" + str(l + 1)] = dW_temp
    grads["db" + str(l + 1)] = db_temp

return grads
```

Step 7: use the new gradients to modify the weights and biases of the nework.

```
In [62]: def update parameters(parameters, grads, learning rate):
             Update parameters using gradient descent
             Arguments:
             parameters -- python dictionary containing your parameters
             grads -- python dictionary containing your gradients, output of L model back
             Returns:
             parameters -- python dictionary containing your updated parameters
                            parameters["W" + str(1)] = ...
                            parameters["b" + str(1)] = ...
             . . . .
             L = len(parameters) // 2 # number of layers in the neural network
             # Update rule for each parameter. Use a for loop.
             for l in range(L):
                 parameters["W" + str(l+1)] = parameters["W" + str(l+1)] - learning_rate
                 parameters["b" + str(l+1)] = parameters["b" + str(l+1)] - learning_rate
             return parameters
In [63]:
         def predict(X, y, parameters):
             This function is used to predict the results of a L-layer neural network.
             Arguments:
             X -- data set of examples you would like to label
             parameters -- parameters of the trained model
             Returns:
             p -- predictions for the given dataset X
             m = X.shape[1]
             n = len(parameters) // 2 # number of layers in the neural network
             p = np.zeros((1,m))
             # Forward propagation
```

```
probas, caches = L_model_forward(X, parameters)
# convert probas to 0/1 predictions
for i in range(0, probas.shape[1]):
    if probas[0,i] > 0.5:
        p[0,i] = 1
    else:
        p[0,i] = 0

accuracy = str(np.sum((p == y)/m))
# print results
# print ("predictions: " + str(p))
# print ("true labels: " + str(y))
print("Accuracy: " + str(np.sum((p == y)/m)))
return p, accuracy
```

step 8: Build Full Model & run beta test

Step 8: parameters, cost = L_layer_model(X, Y, layers_dims, learning_rate = 0.0075, num_iterations = 1, print_cost=False)

```
In [64]: def L layer model(X, Y, layers_dims, learning_rate = 0.0075, num_iterations = 3
             Implements a L-layer neural network: [LINEAR->RELU]*(L-1)->LINEAR->SIGMOID.
             Arguments:
             X -- input data, of shape (n x, number of examples)
             Y -- true "label" vector (containing 1 if cat, 0 if non-cat), of shape (1,
             layers dims -- list containing the input size and each layer size, of lengt
             learning rate -- learning rate of the gradient descent update rule
             num iterations -- number of iterations of the optimization loop
             print_cost -- if True, it prints the cost every 100 steps
             Returns:
             parameters -- parameters learnt by the model. They can then be used to pred
             np.random.seed(1)
             costs = []
                                                 # keep track of cost
             # Parameters initialization.
             parameters =initialize parameters deep(layers dims)
             # Loop (gradient descent)
             for i in range(0, num iterations):
                 # Forward propagation: [LINEAR -> RELU]*(L-1) -> LINEAR -> SIGMOID.
                 AL, caches = L model forward(X, parameters)
                 cost = compute cost(AL, Y)
                 grads = L model backward(AL, Y, caches)
                 parameters = update parameters(parameters, grads, learning rate)
                 # Print the cost every 100 iterations
```

```
if print_cost and i % 500 == 0 or i == num_iterations - 1:
    print("Cost after iteration {}: {}".format(i, np.squeeze(cost)))

if i % 100 == 0 or i == num_iterations:
    costs.append(cost)
return parameters, costs
```

5.3) Train Model & Generate Predictions

X input should be (by

```
In [94]: ### Constants for 3-layer Neural Network
         input dim = np.shape(train x)
         m = input dim[1]
         n_x = input_dim[0]
         n_y = 1
         layers dim = (n \times 5,3,1)
         learning rate = 0.005
         print('layers dim = ', layers dim)
         layers dim = (5, 5, 3, 1)
In [95]: parameters = initialize_parameters_deep(layers_dim)
         print(parameters)
         {'W1': array([[ 0.72642933, -0.27358579, -0.23620559, -0.47984616,  0.3870220
         6],
                [-1.0292794, 0.78030354, -0.34042208, 0.14267862, -0.11152182],
                [\ 0.65387455,\ -0.92132293,\ -0.14418936,\ -0.17175433,\ 0.50703711],
                [-0.49188633, -0.07711224, -0.39259022, 0.01887856, 0.26064289],
                [-0.49221186, 0.51193601, 0.40320363, 0.2247223, 0.40287503]]), 'b
         1': array([[0.],
                [0.],
                [0.],
                [0.],
                [0.]]), 'W2': array([[-0.30577239, -0.05495818, -0.41848881, -0.1198031
         9, 0.23718218],
                [-0.30932009, -0.17743357, -0.30731297, -0.37798745, -0.3001904],
                [-0.00566378, -0.49967638, 0.10483389, 0.7422861, 0.33185224]]), 'b
         2': array([[0.],
                [0.],
                [0.]]), 'W3': array([[-0.11075631, -0.51247282, -0.43137204]]), 'b3': a
         rray([[0.]])}
In [96]: # Test helper funcion: parameters = def initialize parameters(layers dim)
         parameters, costs = L layer model(train x, train y, layers dim, num iterations
         pred train, accuracy = predict(train x, train y, parameters)
         Cost after iteration 0: 0.6831277289877913
         Accuracy: 0.6362359550561798
```

Train Deep Neural Network Model

```
In [97]: parameters, costs = L_layer_model(train_x, train_y, layers_dim, num_iterations
    pred_test = predict(val_x, val_y, parameters)
    print(np.shape(val_x),np.shape(val_y))

Cost after iteration 0: 0.6831277289877913
    Accuracy: 0.5363128491620112
    (5, 179) (1, 179)

In [99]: for n_it in range(2000, 6000, 100):

    parameters, costs = L_layer_model(train_x, train_y, layers_dim, num_iterat:
        pred_test, accuracy = predict(train_x, train_y, parameters)

    pred_test, accuracy = predict(val_x, val_y, parameters)
```

```
Cost after iteration 1999: 0.5212182391940341
Accuracy: 0.794943820224719
Accuracy: 0.7150837988826816
Cost after iteration 2099: 0.5171351642534391
Accuracy: 0.797752808988764
Accuracy: 0.7206703910614526
Cost after iteration 2199: 0.5133336290798147
Accuracy: 0.8047752808988764
Accuracy: 0.7206703910614526
Cost after iteration 2299: 0.5097884931403207
Accuracy: 0.8103932584269662
Accuracy: 0.7262569832402235
Cost after iteration 2399: 0.5064735385224884
Accuracy: 0.8132022471910112
Accuracy: 0.7262569832402235
Cost after iteration 2499: 0.5033623582906309
Accuracy: 0.8117977528089888
Accuracy: 0.7262569832402235
Cost after iteration 2599: 0.5004375132813866
Accuracy: 0.8146067415730337
Accuracy: 0.7262569832402235
Cost after iteration 2699: 0.49769093129472114
Accuracy: 0.8188202247191011
Accuracy: 0.7206703910614525
Cost after iteration 2799: 0.4951084256975978
Accuracy: 0.8202247191011236
Accuracy: 0.7318435754189945
Cost after iteration 2899: 0.4926745689350587
Accuracy: 0.8202247191011236
Accuracy: 0.7318435754189945
Cost after iteration 2999: 0.4903776031890755
Accuracy: 0.8230337078651685
Accuracy: 0.7318435754189945
Cost after iteration 3099: 0.4882026023251778
Accuracy: 0.8230337078651686
Accuracy: 0.7374301675977654
Cost after iteration 3199: 0.4861473929399566
Accuracy: 0.824438202247191
Accuracy: 0.7430167597765363
Cost after iteration 3299: 0.4842022547362159
Accuracy: 0.827247191011236
Accuracy: 0.7374301675977654
Cost after iteration 3399: 0.4823592153903401
Accuracy: 0.824438202247191
Accuracy: 0.7430167597765363
Cost after iteration 3499: 0.48061722788921846
Accuracy: 0.824438202247191
Accuracy: 0.7486033519553073
Cost after iteration 3599: 0.47896679851959095
Accuracy: 0.8230337078651685
Accuracy: 0.7597765363128492
Cost after iteration 3699: 0.4773963945620511
Accuracy: 0.8202247191011236
Accuracy: 0.7597765363128492
Cost after iteration 3799: 0.4759007213190581
Accuracy: 0.8202247191011236
Accuracy: 0.7597765363128492
Cost after iteration 3899: 0.47447698572566555
Accuracy: 0.8160112359550562
Accuracy: 0.7597765363128492
```

```
Cost after iteration 3999: 0.47311934853748794
Accuracy: 0.8160112359550562
Accuracy: 0.7597765363128492
Cost after iteration 4099: 0.47182143000126203
Accuracy: 0.8174157303370786
Accuracy: 0.7597765363128492
Cost after iteration 4199: 0.4705840444126143
Accuracy: 0.8160112359550562
Accuracy: 0.7653631284916201
Cost after iteration 4299: 0.46940593479920417
Accuracy: 0.8146067415730337
Accuracy: 0.7653631284916201
Cost after iteration 4399: 0.4682776079503983
Accuracy: 0.8146067415730337
Accuracy: 0.7653631284916201
Cost after iteration 4499: 0.46720101320566304
Accuracy: 0.8132022471910112
Accuracy: 0.7653631284916201
Cost after iteration 4599: 0.4661673157013879
Accuracy: 0.8117977528089888
Accuracy: 0.7653631284916201
Cost after iteration 4699: 0.4651756709267787
Accuracy: 0.8117977528089888
Accuracy: 0.7653631284916201
Cost after iteration 4799: 0.46422268662539307
Accuracy: 0.8117977528089888
Accuracy: 0.7653631284916201
Cost after iteration 4899: 0.4633135051754869
Accuracy: 0.8089887640449438
Accuracy: 0.7653631284916201
Cost after iteration 4999: 0.462444072175786
Accuracy: 0.8061797752808988
Accuracy: 0.7653631284916201
Cost after iteration 5099: 0.4616133014736198
Accuracy: 0.8061797752808988
Accuracy: 0.7653631284916201
Cost after iteration 5199: 0.4608048221397119
Accuracy: 0.8033707865168539
Accuracy: 0.7653631284916201
Cost after iteration 5299: 0.4600269689945815
Accuracy: 0.8019662921348314
Accuracy: 0.770949720670391
Cost after iteration 5399: 0.45928036628762636
Accuracy: 0.8019662921348314
Accuracy: 0.770949720670391
Cost after iteration 5499: 0.458561532366756
Accuracy: 0.800561797752809
Accuracy: 0.770949720670391
Cost after iteration 5599: 0.45786516384800663
Accuracy: 0.800561797752809
Accuracy: 0.7653631284916201
Cost after iteration 5699: 0.45718706440691853
Accuracy: 0.800561797752809
Accuracy: 0.7653631284916201
Cost after iteration 5799: 0.45652585649663296
Accuracy: 0.800561797752809
Accuracy: 0.7653631284916201
Cost after iteration 5899: 0.45588171964673746
Accuracy: 0.8019662921348314
Accuracy: 0.7653631284916201
```

6.0) Winning Model: Selection, Testing, Submission

Generate predictions for competition test dataset with unknown ground-truth labels.