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In [14]: import yfinance as yf
import pandas as pd

# Step 1: Define tickers and date range
tickers = ['KO', 'JNJ', 'HRL', 'ABBV']
start_date = '2020-01-01'
end_date = '2024-12-31'

# Step 2: Download full OHLCV data
data = yf.download(tickers, start=start_date, end=end_date)

# Step 3: Extract only the 'Close' prices from MultiIndex columns
close_prices = data.xs('Close', level='Price', axis=1)

# Step 4: Display the first few rows to confirm
print("Close Prices:")
print(close_prices.head())
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[*****100%*****] 4 of 4 completed

Close Prices:

Ticker	ABBV	HRL	JNJ	KO
Date				
2020-01-02	70.934250	38.315781	126.055176	46.749748
2020-01-03	70.260933	38.263905	124.595718	46.494705
2020-01-06	70.815430	38.281197	124.440300	46.477695
2020-01-07	70.411438	38.514664	125.200249	46.120628
2020-01-08	70.910469	38.557903	125.182945	46.205643

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In [20]: import matplotlib.pyplot as plt

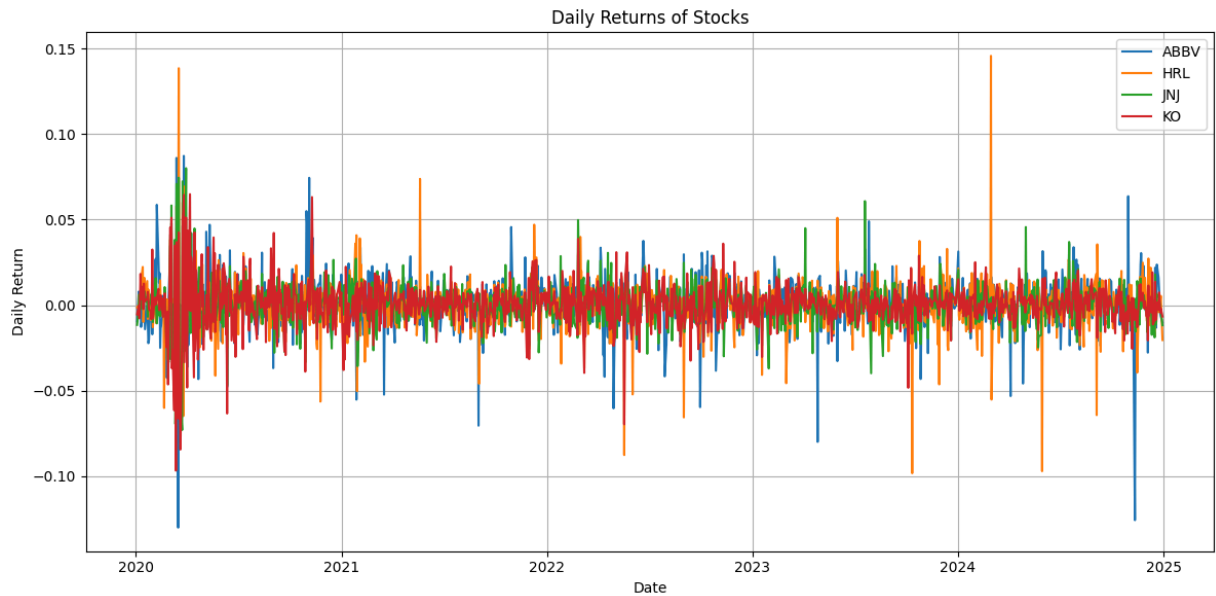
#5: Calculate Daily Returns
daily_returns = close_prices.pct_change().dropna()

#6: Preview the first few Rows (Check)
print(daily_returns.head())

#7: Plot the daily returns for ALL assets
plt.figure(figsize=(12, 6))
for ticker in daily_returns.columns:
    plt.plot(daily_returns.index, daily_returns[ticker], label=ticker)

plt.title("Daily Returns of Stocks")
plt.xlabel("Date")
plt.ylabel("Daily Return")
plt.legend()
plt.grid(True)
plt.tight_layout()
plt.show()
```

Ticker	ABBV	HRL	JNJ	KO
Date				
2020-01-03	-0.009492	-0.001354	-0.011578	-0.005455
2020-01-06	0.007892	0.000452	-0.001247	-0.000366
2020-01-07	-0.005705	0.006099	0.006107	-0.007683
2020-01-08	0.007087	0.001123	-0.000138	0.001843
2020-01-09	0.007708	-0.002242	0.002966	0.018215



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In [21]: import numpy as np

#8: Generate random weights (for now)
num_assets = len(daily_returns.columns)
weights = np.random.random(num_assets)
weights /= np.sum(weights) # normalize so they sum to 1

print("Random Portfolio Weights:")
for ticker, weight in zip(daily_returns.columns, weights):
    print(f"{ticker}: {weight:.2%}")

#9: Calculate expected annual return
mean_daily_returns = daily_returns.mean()
expected_return = np.dot(weights, mean_daily_returns) * 252 # 252 trading days/yea

#10: Calculate portfolio volatility
cov_matrix = daily_returns.cov()
portfolio_volatility = np.sqrt(np.dot(weights.T, np.dot(cov_matrix * 252, weights)))

#11: Assume a risk-free rate for Sharpe Ratio
risk_free_rate = 0.02 # 2% assumed
sharpe_ratio = (expected_return - risk_free_rate) / portfolio_volatility

#12: Display results
print(f"\nExpected Annual Return: {expected_return:.2%}")
print(f"Portfolio Volatility: {portfolio_volatility:.2%}")
print(f"Sharpe Ratio: {sharpe_ratio:.2f}")
```

Random Portfolio Weights:

ABBV: 4.71%

HRL: 3.23%

JNJ: 20.37%

KO: 71.69%

Expected Annual Return: 7.35%

Portfolio Volatility: 18.55%

Sharpe Ratio: 0.29

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In [22]: from scipy.optimize import minimize

#13: Define function to calculate negative Sharpe ratio
def neg_sharpe(weights, mean_returns, cov_matrix, risk_free_rate=0.02):
    port_return = np.dot(weights, mean_returns) * 252
    port_volatility = np.sqrt(np.dot(weights.T, np.dot(cov_matrix * 252, weights)))
    sharpe = (port_return - risk_free_rate) / port_volatility
    return -sharpe # we want to maximize Sharpe, so minimize negative

#14: Constraints and bounds
constraints = ({'type': 'eq', 'fun': lambda x: np.sum(x) - 1})
bounds = tuple((0, 1) for _ in range(num_assets))
initial_guess = num_assets * [1. / num_assets]

#15: Run the optimization
opt_result = minimize(neg_sharpe, initial_guess,
                      args=(mean_daily_returns, cov_matrix),
                      method='SLSQP', bounds=bounds, constraints=constraints)

#16: Extract results
optimal_weights = opt_result.x
optimal_return = np.dot(optimal_weights, mean_daily_returns) * 252
optimal_volatility = np.sqrt(np.dot(optimal_weights.T, np.dot(cov_matrix * 252, optimal_weights)))
optimal_sharpe = (optimal_return - risk_free_rate) / optimal_volatility

#17: Display results
print("\n✅ Optimized Portfolio")
for ticker, weight in zip(daily_returns.columns, optimal_weights):
    print(f"{ticker}: {weight:.2%}")

print(f"\nMax Sharpe Ratio: {optimal_sharpe:.2f}")
print(f"Expected Return: {optimal_return:.2%}")
print(f"Volatility: {optimal_volatility:.2%}")
```

✅ Optimized Portfolio

ABBV: 100.00%

HRL: 0.00%

JNJ: 0.00%

KO: 0.00%

Max Sharpe Ratio: 0.77

Expected Return: 20.99%

Volatility: 24.79%

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In [23]: #18: Simulate many portfolios to plot the efficient frontier
num_portfolios = 5000
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results = {
    'Returns': [],
    'Volatility': [],
    'Sharpe': [],
    'Weights': []
}

for _ in range(num_portfolios):
    weights = np.random.random(num_assets)
    weights /= np.sum(weights)

    ret = np.dot(weights, mean_daily_returns) * 252
    vol = np.sqrt(np.dot(weights.T, np.dot(cov_matrix * 252, weights)))
    sharpe = (ret - risk_free_rate) / vol

    results['Returns'].append(ret)
    results['Volatility'].append(vol)
    results['Sharpe'].append(sharpe)
    results['Weights'].append(weights)

# Convert to DataFrame
import pandas as pd
df_results = pd.DataFrame(results)

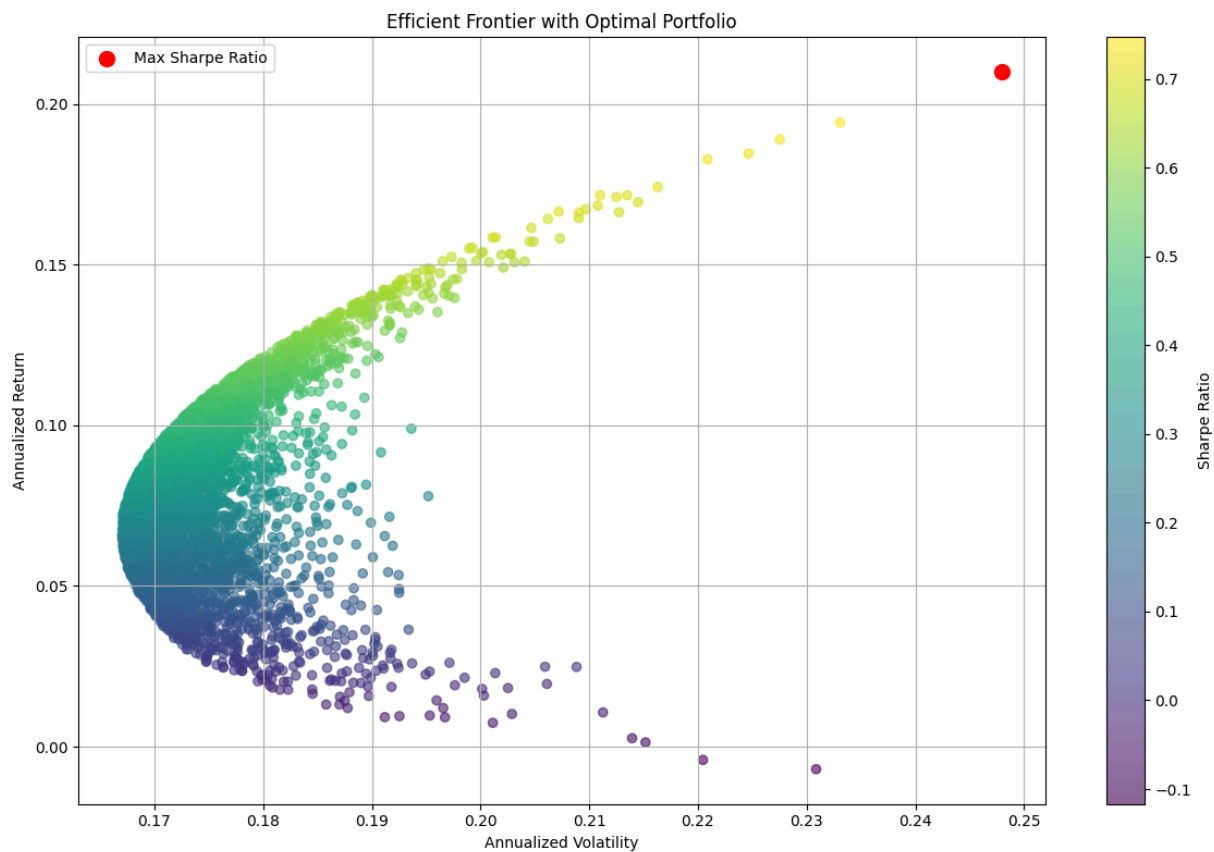
#19: Plot the Efficient Frontier
import matplotlib.pyplot as plt

plt.figure(figsize=(12, 8))
plt.scatter(df_results['Volatility'], df_results['Returns'], c=df_results['Sharpe'])
plt.colorbar(label='Sharpe Ratio')

# Highlight the Optimal Portfolio
plt.scatter(optimal_volatility, optimal_return, c='red', s=100, label='Max Sharpe R

plt.title('Efficient Frontier with Optimal Portfolio')
plt.xlabel('Annualized Volatility')
plt.ylabel('Annualized Return')
plt.legend()
plt.grid(True)
plt.tight_layout()
plt.show()

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In []: