```
In [1]: #data packages:
    import pandas as pd
    import numpy as np
    from scipy import stats
    import random
    #plot packages:
    import matplotlib.pyplot as plt
    import matplotlib.patches as mpatches
    #neural network packages:
    import keras
    from keras.layers import Dense
    from keras.models import Sequential
    from keras.utils import to_categorical
    from keras.layers.advanced_activations import ELU, LeakyReLU
```

```
Using TensorFlow backend.
/home/john/anaconda3/lib/python3.6/site-packages/requests/__init__.py:80: RequestsDependencyWarning:
urllib3 (1.23) or chardet (3.0.4) doesn't match a supported version!
RequestsDependencyWarning)
```

#### 1. The Dataset

This sample dataset gives event reports from an on-demand hiring service. From the assignment text: 'we want to use market data to build a model that suggests hourly rates to Taskers that would maximize their opportunity to be hired.' My goal is to produce a machine learning model which determines likelihood of hire for a tasker, given the sample dataset. In this Notebook I approach this with a grid parameter search using Keras and Tensorflow.

You can also find this notebook hosted <a href="https://github.com/JCMontalbano/rabbit">here (https://github.com/JCMontalbano/rabbit)</a>.

#### 1.1 Exploring the dataset

The dataset looks like this:

In [2]: DF=pd.read\_csv('sample.csv')
DF[:20]

Out[2]:

	recommendation_id	created_at	tasker_id	position	hourly_rate	num_completed_tasks	hired	category
0	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009185352	1	38	151	0	Furniture Assembly
1	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1006892359	2	40	193	0	Furniture Assembly
2	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1012023956	3	28	0	0	Furniture Assembly
3	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009733517	4	43	303	0	Furniture Assembly
4	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1013579273	5	29	39	0	Furniture Assembly
5	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1012043028	6	28	2	0	Furniture Assembly
6	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1013470741	7	29	9	0	Furniture Assembly
7	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009557645	8	29	8	0	Furniture Assembly
8	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1010800768	9	28	0	0	Furniture Assembly
9	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009072269	10	35	59	0	Furniture Assembly
10	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1008733253	11	40	68	0	Furniture Assembly
11	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009198916	12	27	17	0	Furniture Assembly
12	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1009856900	13	50	914	1	Furniture Assembly
13	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1012314913	14	29	5	0	Furniture Assembly
14	0-0-70cf97d7-37af-4834-901c- ce3ad4893b8c	2017-09-01 00:32:25	1013307670	15	25	0	0	Furniture Assembly

	recommendation_id	created_at	tasker_id	position	hourly_rate	num_completed_tasks	hired	category
15	0-0-cdb916a3-2b2d-4e46-941b- 3146c0b12132	2017-09-01 00:32:35	1009185352	1	38	151	0	Furniture Assembly
16	0-0-cdb916a3-2b2d-4e46-941b- 3146c0b12132	2017-09-01 00:32:35	1013579273	2	29	39	0	Furniture Assembly
17	0-0-cdb916a3-2b2d-4e46-941b- 3146c0b12132	2017-09-01 00:32:35	1012023956	3	28	0	0	Furniture Assembly
18	0-0-cdb916a3-2b2d-4e46-941b- 3146c0b12132	2017-09-01 00:32:35	1012043028	4	28	2	0	Furniture Assembly
19	0-0-cdb916a3-2b2d-4e46-941b- 3146c0b12132	2017-09-01 00:32:35	1013470741	5	29	9	0	Furniture Assembly

The dataset includes sets of bids, in groups of 15. These bids are indexed by unique task IDs in the 'recommendation\_id' category. For each tasker, the independent variables are hourly rate (actively set by the tasker), number of completed tasks (not immediately influenced by the tasker), and job category. The dependent variable is a binary, 'hired'.

Each unique recommendation\_id is associated with 15 'bids', from which the customer selects one tasker. As you can see, in rows 15-19 the recommendation\_id has changed, and the 'position' variable resets at 1. The assignment stipulates that the tasker has no control over their position in the ranking, therefore I chose not to model that part of the problem. Likewise the tasker has no immediate control over their personal number of completed tasks; they can only change their bid.

Therefore, assuming that the customers are comparing the 15 taskers in their recommendation, I thought we might be able to compare numbers within each bid, to further predict the hiring likelihood for each tasker in the context of each job.

## 1.2 Expressing hourly\_rate and num\_completed\_tasks proportionally to the mean and max within that recommendation set

I added four new columns to the dataset, which express the user's bid relative the 15-person recommendation set they occurred in: user's hourly\_rate as a fraction of the mean and max hourly\_rates in that recommendation, and user's num\_completed\_tasks as a fraction of the mean and max completed tasks in their recommendation. To do this I separated the dataset by recommendation (remember, each 'recommendation' is a group of 15) and calculated each tasker's hourly\_rate and num\_completed\_tasks as a ratio to the max and mean of those values, within that recommendation. I then added the resulting four new columns to the dataset. At the end I confirm proportionality by checking that the average of the mean fractions is ~=1, and then print the first recommendation from the dataset. As you can see, it remains unchanged except for the four new columns.

In [3]: #There are ~15 recommendations for each recommendation\_id, so it can index groupings
len(DF)/len(set(DF.recommendation\_id))

Out[3]: 14.285714285714286

However, the python set() function doesn't keep the order in which the recommendations occur in the DF, so we must take them by iterating the rows:

```
In [4]: #generate the recommendation_id list from the DF:
    reclist=[]
    for row in DF.iterrows():
        recID=row[1][0]
        if recID not in reclist:
            reclist.append(recID)
```

Now we generate the new columns and add them to the dataset:

```
In [5]: #initialize lists
        t meanratelist=[]
        t maxratelist=[]
        t meancomplist=[]
        t maxcomplist=[]
        for recommendation in reclist:
            subDF=DF[DF['recommendation id']==recommendation]
            meanrate=subDF.hourly rate.mean()
            maxrate=subDF.hourly_rate.max()
            meancomp=subDF.num completed tasks.mean()
            maxcomp=subDF.num completed tasks.max()
            for tasker in subDF.iterrows():
                t rate=tasker[1][4]
                t meanrate=(t rate)/meanrate
                t maxrate=(t rate)/maxrate
                t meanratelist.append(t meanrate)
                t maxratelist.append(t maxrate)
                t comp=tasker[1][5]
                t meancomp=(t comp)/meancomp
                t maxcomp=(t comp)/maxcomp
                t meancomplist.append(t meancomp)
                t maxcomplist.append(t maxcomp)
        #include the vectorized lists into the original DF as columns:
        DF['meanrate']=t meanratelist
        DF['maxrate']=t maxratelist
        DF['meancomp']=t_meancomplist
        DF['maxcomp']=t maxcomplist
```

```
In [6]: #confirm that the proportionality is working:
   print('Average of mean-rate column: '+str(np.mean(DF.meanrate)))
   print('Average of max-rate column: '+str(np.mean(DF.meancomp)))
```

In [7]: DF[:5]

Out[7]:

	recommendation_id	created_at	tasker_id	position	hourly_rate	num_completed_tasks	hired	category	meanrate	maxrate	meanc
0	0-0-70cf97d7-37af- 4834-901c- ce3ad4893b8c	2017-09- 01 00:32:25	1009185352	1	38	151	0	Furniture Assembly	1.144578	0.76	1.28
1	0-0-70cf97d7-37af- 4834-901c- ce3ad4893b8c	2017-09- 01 00:32:25	1006892359	2	40	193	0	Furniture Assembly	1.204819	0.80	1.63
2	0-0-70cf97d7-37af- 4834-901c- ce3ad4893b8c	2017-09- 01 00:32:25	1012023956	3	28	0	0	Furniture Assembly	0.843373	0.56	0.00
3	0-0-70cf97d7-37af- 4834-901c- ce3ad4893b8c	2017-09- 01 00:32:25	1009733517	4	43	303	0	Furniture Assembly	1.295181	0.86	2.57
4	0-0-70cf97d7-37af- 4834-901c- ce3ad4893b8c	2017-09- 01 00:32:25	1013579273	5	29	39	0	Furniture Assembly	0.873494	0.58	0.33
4											<b>&gt;</b>

### 1.3 Point-biserial tests of significance for each independent variable

Are the new metrics really more meaningful predictors than the old ones alone? Let's compare their correlations. The scipy.stats.pointbiserialr() function returns a correlation value, r, as well as a p-value for a two-tailed p-value test. Higher correlation is better, lower p-value is better. As you can see, the p-values for the proportional values are very small; these values do indeed predict the difference between the 'hired' and 'not hired' groups.

```
In [8]: print(stats.pointbiserialr(DF.meanrate,DF.hired))
    print(stats.pointbiserialr(DF.maxrate,DF.hired))
    print(stats.pointbiserialr(DF.meancomp,DF.hired))
    print(stats.pointbiserialr(DF.maxcomp,DF.hired))
```

PointbiserialrResult(correlation=-0.070082274983476064, pvalue=5.5268594141237121e-34) PointbiserialrResult(correlation=-0.054077442207914481, pvalue=7.0529139912511035e-21) PointbiserialrResult(correlation=0.053839248689665192, pvalue=1.0427384475296692e-20) PointbiserialrResult(correlation=0.060609138630314863, pvalue=8.017631159830535e-26)

But do they predict the difference more than the raw values alone? Let's run the point-biserial p-test for the 'hired' category against the hourly rate and num completed tasks columns:

```
In [9]: print(stats.pointbiserialr(DF.hourly_rate,DF.hired))
print(stats.pointbiserialr(DF.num_completed_tasks,DF.hired))
```

```
PointbiserialrResult(correlation=-0.046519106252867579, pvalue=7.5441719622639566e-16) PointbiserialrResult(correlation=0.041824885364732889, pvalue=4.2562678973772039e-13)
```

As you can see, the p-values for the proportional weights are far smaller than the p-values for the raw weights. **Because all of these p-values are far below .05, we reject the null hypothesis for each of these variables.** Because the p-values of the group-proportional weights are 10^10 to 10^21 smaller than those for the unprocessed weights, we can conclude that the process adds useful information to the model.

#### 1.4 Splitting the datasets by category:

Having produced the additional vectors, can we find whether the separate job categories are differently correlated by these metrics? Let's find out. First we split the DF into three subDFs, one for each category, then we run the same correlations from above within each:

```
In [10]: furnitureDF=DF[DF['category']=='Furniture Assembly']
    moveDF=DF[DF['category']=='Moving Help']
    mountDF=DF[DF['category']=='Mounting']
    list(set(DF.category))
```

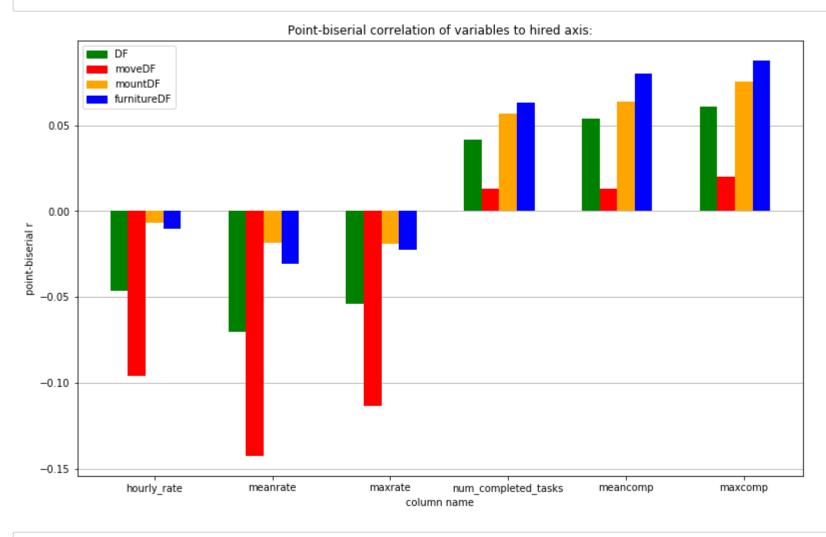
Out[10]: ['Mounting', 'Moving Help', 'Furniture Assembly']

```
In [91]: DFcorrelates=[
         stats.pointbiserialr(DF.hourly rate,DF.hired)[0],
         stats.pointbiserialr(DF.meanrate,DF.hired)[0],
         stats.pointbiserialr(DF.maxrate,DF.hired)[0],
         stats.pointbiserialr(DF.num completed tasks,DF.hired)[0],
         stats.pointbiserialr(DF.meancomp,DF.hired)[0],
         stats.pointbiserialr(DF.maxcomp,DF.hired)[0]
         moveDFcorrelates=[
         stats.pointbiserialr(moveDF.hourly rate,moveDF.hired)[0],
         stats.pointbiserialr(moveDF.meanrate,moveDF.hired)[0],
         stats.pointbiserialr(moveDF.maxrate,moveDF.hired)[0],
         stats.pointbiserialr(moveDF.num completed tasks,moveDF.hired)[0],
         stats.pointbiserialr(moveDF.meancomp,moveDF.hired)[0],
         stats.pointbiserialr(moveDF.maxcomp,moveDF.hired)[0]
         mountDFcorrelates=[
         stats.pointbiserialr(mountDF.hourly rate,mountDF.hired)[0],
         stats.pointbiserialr(mountDF.meanrate,mountDF.hired)[0],
         stats.pointbiserialr(mountDF.maxrate,mountDF.hired)[0],
         stats.pointbiserialr(mountDF.num completed tasks,mountDF.hired)[0],
         stats.pointbiserialr(mountDF.meancomp,mountDF.hired)[0],
         stats.pointbiserialr(mountDF.maxcomp,mountDF.hired)[0]
         furnitureDFcorrelates=[
         stats.pointbiserialr(furnitureDF.hourly rate,furnitureDF.hired)[0],
         stats.pointbiserialr(furnitureDF.meanrate,furnitureDF.hired)[0],
         stats.pointbiserialr(furnitureDF.maxrate,furnitureDF.hired)[0],
         stats.pointbiserialr(furnitureDF.num_completed_tasks,furnitureDF.hired)[0],
         stats.pointbiserialr(furnitureDF.meancomp,furnitureDF.hired)[0],
         stats.pointbiserialr(furnitureDF.maxcomp,furnitureDF.hired)[0]
         x=np.arange(len(DFcorrelates))
```

#### 1.5 Plotting point-biserial correlation of each column for each variable:

```
In [97]: plt.close()
         # plot data
         # use zorder to put bars in front of grid
         bar width=0.15
         plt.bar(x,DFcorrelates,width=bar width,color='green',zorder=2)
         plt.bar(x+bar width, moveDFcorrelates, width=bar width, color='red', zorder=2)
         plt.bar(x+bar width*2, mountDFcorrelates, width=bar width, color='orange', zorder=2)
         plt.bar(x+bar width*3, furnitureDFcorrelates, width=bar width, color='blue', zorder=2)
         # labels
         plt.xticks(x+bar width*2, ['hourly rate','meanrate','maxrate','num completed tasks','meancomp','maxcd
         plt.title('Point-biserial correlation of variables to hired axis:')
         plt.xlabel('column name')
         plt.ylabel('point-biserial r')
         #legend
         green patch=mpatches.Patch(color='green',label='DF')
         red patch=mpatches.Patch(color='red',label='moveDF')
         orange patch=mpatches.Patch(color='orange',label='mountDF')
         blue patch=mpatches.Patch(color='blue',label='furnitureDF')
         plt.legend(handles=[green patch,red patch,orange patch,blue patch])
         #grid
         plt.grid(axis='y')
```

In [98]: plt.rcParams['figure.figsize'] = [15, 7]
plt.show()



<sup>\*</sup>if the above chart looks small, refresh it by running the above two code cells\*

<sup>\*</sup> As you can see, the 'completed\_tasks' metrics are stronger predictors of hire for 'mounting' and 'furniture assembly' categories. Conversely, the rate metrics are by far the largest predictor for moving.

<sup>\*</sup> Unsurprisingly, the correlation between hourly\_rate and hired is always negative, and the correlation between num\_completed\_tasks and hired is always positive.

<sup>\*</sup> Finally, even though the correlation for the group-ratio measures are larger, they follow similar direction and scale to the raw values.

In [14]: plt.close()

## 2. Training a neural network to predict 'hired' from tasker variables

This might be a good problem for an artificial neural network. The correlations are clear, but they change based on category. The neural network will find the appropriate and relevant weights and measures between the independent variables (rate and task completed measures) and the dependent variable, 'hired'.

#### 2.1 the Training Dataset

We'll need to convert the data we're keeping to numbers. We can neglect ID values, and the timestamp. By converting 'category' from string to number, we can train a neural network to classify bids as 'hired' or 'not hired'. Because there are only three categories, it's easy enough to hardcode them.

#### Out[15]:

	hourly_rate	num_completed_tasks	hired	category	meanrate	maxrate	meancomp	maxcomp
0	38	151	0	2	1.144578	0.76	1.281109	0.165208
1	40	193	0	2	1.204819	0.80	1.637443	0.211160
2	28	0	0	2	0.843373	0.56	0.000000	0.000000
3	43	303	0	2	1.295181	0.86	2.570701	0.331510
4	29	39	0	2	0.873494	0.58	0.330882	0.042670

## 2.2 Training the neural network without class balancing; a 'dying neuron' story

To train a neural network, we sample a set of the data to be a training dataset, and hold out the remainder as a validation dataset. To minimize overfitting our model, we minimize variance, meaning we keep the network model with the highest validation accuracy. I've included a few likely network sizes in layerslist and nodeslist, and automated the building and training of a neural network given these parameters.

```
In [16]: #function for training the network:
    def TrainNet(TargetDF, layers, nodes, epochs, activator, lossfcn):
        target=to_categorical(TargetDF[targetcolumn])
        predictors=TargetDF.drop([targetcolumn], axis=1).as_matrix()
        n_cols=predictors.shape[1]
        model=Sequential()
        model.add(Dense(nodes,activation=activator,input_shape=(n_cols,)))
        for layer in range(0,layers):
            model.add(Dense(nodes,activation=activator))
        model.add(Dense(nodes,activation=activator))
        model.add(Dense(2,activation='softmax'))
        model.compile(optimizer='adam',loss=lossfcn, metrics=['categorical_accuracy'])
        model_training=model.fit(predictors,target, validation_split=0.7, epochs=epochs, shuffle=True, caval_acc=model_training.history['val_categorical_accuracy'][-1]
        return(model,val_acc)
```

# In [17]: #variables for the neural network targetcolumn='hired' layerslist=[2,5,10] #these need to hold the series of parameters we know tend to find solutions nodeslist=[25,50,100] epochs=10 activator='relu' lossfcn='categorical\_crossentropy'

We compare several different parameter sets, to find the best network configuration. The following commands automate the parameter grid search:

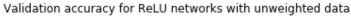
```
targetnets=len(layerslist)*len(nodeslist)
while total_nets<targetnets</pre>
```

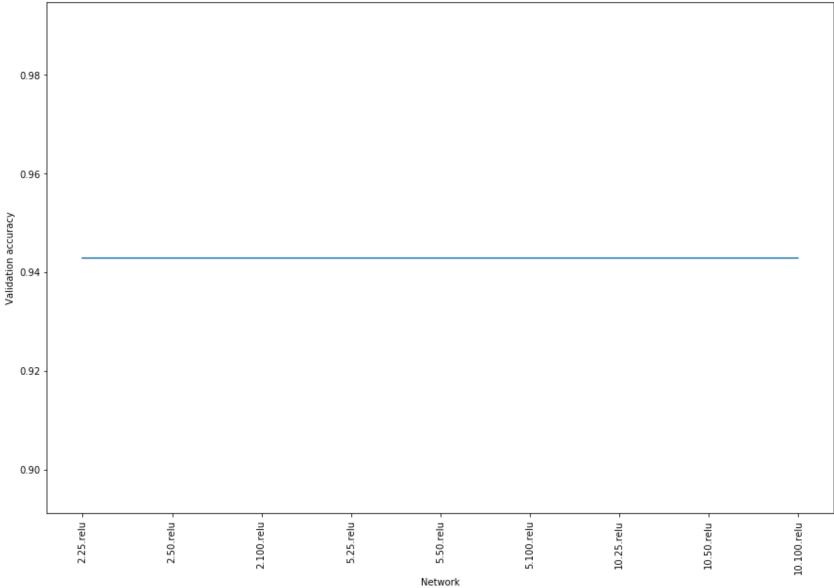
```
In [20]: total nets=0
       targetnets=len(layerslist)*len(nodeslist)
       targetacc=0
       accrecord1=[]
       netnamesrecord1=[]
       targetaccrecord1=[]
       earlystopping=keras.callbacks.EarlyStopping(monitor='val loss', min delta=0, patience=3, verbose=0, m
       #parameter search through layers and nodes values, keeping the model with the highest validation accu
       while total nets<targetnets:
          for layers in layerslist:
             for nodes in nodeslist:
                net name=(str(layers)+'.'+str(nodes)+'.'+'relu')
                print(str(total nets)+'/'+str(targetnets)+' complete. Next net: '+str(layers)+' layers,
                model,val acc=TrainNet(trainDF, layers, nodes, epochs, activator, lossfcn)
                if val_acc>(targetacc): #if acc>target, name and save it and new net=Tru
                   targetacc=val acc
                   print('This network improved accuracy, new target accuracy is '+str(targetacc))
                   finalmodel1=model
                   finalmodel1name=net name
                else:
                   del model
                   print('Nope')
                netnamesrecord1.append(net name)
                accrecord1.append(val acc)
                targetaccrecord1.append(targetacc)
                total nets+=1
       LDUCII U/ IU
       l loss: 0.2139 - val categorical accuracy: 0.9430
       Epoch 9/10
       l loss: 0.2121 - val categorical accuracy: 0.9430
       Epoch 10/10
       l loss: 0.2115 - val categorical accuracy: 0.9430
       Nope
       8/9 complete. Next net: 10 layers, 100 nodes.
       Train on 9000 samples, validate on 21000 samples
       Epoch 1/10
```

In [21]: finalmodel1

Out[21]: <keras.models.Sequential at 0x7f0ca06ab198>

```
In [25]: x=list(range(0,len(accrecord1)))
    plt.plot(x,accrecord1)
    plt.xticks(x,netnamesrecord1, rotation='vertical')
    #plt.plot(accrecord,netnamesrecord)
    plt.title('Validation accuracy for ReLU networks with unweighted data')
    plt.xlabel('Network')
    plt.ylabel('Validation accuracy')
    plt.rcParams['figure.figsize'] = [15, 10]
    plt.show()
```





As you can see, the validation accuracy is a flat line. It didn't improve for any of the larger networks, meaning we can keep the smallest network without losing accuracy. But did the network actually train anything? Note that the accuracy was always .94. This is very close to the proportion of bids whose 'hired' status is '0'. In fact, if we add the accuracy to the average of the 'hired' column, we get a value very close to 1.

```
In [30]: print('Acc: '+str(accrecord1))
    hiredproportion=len(DF[DF['hired']==1])/len(DF)
    print('Acc+fraction of hired in the dataset: '+str(accrecord1[-1]+hiredproportion))
```

Acc: [0.94295238095238099, 0.94295238095238099, 0.94295238095238099, 0.94295238095238099, 0.94295238099, 0.94295238099]
Acc+fraction of hired in the dataset: 0.999785714286

This is what we would expect if the network is just predicting '0' for everything. This would allow it to get the 'right' answer enough of the time, because the dataset is heavily weighted toward 0s (by a factor of ~15:1). Let's test that by running predictions of the finalmodel network on the set of training data where hired==1

```
In [33]: hiredTrainDF=trainDF[trainDF['hired']==1]
    hiredPredictionData=hiredTrainDF.drop(['hired'],axis=1).as_matrix()
    # Calculate predictions: predictions
    predictions1 = finalmodel1.predict(hiredPredictionData)

# Calculate predicted probability of survival: predicted_prob_true
    predicted_prob_true1 = predictions1[:,1]
    predicted_prob_false1 = predictions1[:,0]
    print('True positives: '+str(predicted_prob_true1.mean())+'\t False negatives: '+str(predicted_prob_false1)
```

True positives: 0.0990437

Result: This model is only predicting 'hired' ~6% of the time, for the 'hired' events. This means our model is giving ~93.5% false negatives. This is to be expected with a sparse dataset; the large number of 0 values tends to train the artificial neuron weights to produce a 0. This is why there is no difference in accuracy across the parameter search. All of our models have low variance, and high bias.

### 2.3 A larger parameter search, with class weights

The neural network is not *wrong* here, it's right, that if asked to predict from this data, it would simply conclude that most bids result in no hire. But this is useless for the objective of giving the tasker a tool to predict their best bids. So what can we do to fix it?

According to <u>Andrew Ng (https://www.youtube.com/watch?v=C1N\_PDHuJ6Q)</u>, you can always solve for high bias with a 'bigger network', so we can try larger network sizes.

- According to <u>Dan-Ching Liu (https://medium.com/tinymind/a-practical-guide-to-relu-b83ca804f1f7)</u>, you can solve the 'dying neuron' problem with different activation functions. He suggests using leaky ReLU, eLU and a lower learning rate.
- Class balancing the training will allow us to reduce false-negatives, but will increase false-positives.

Let's see if using a bigger network, and the suggested activation functions, produces a better result. By adding these parameters to the lists we add dimensions to our parameter search. Below you can see a new TrainAdvancedActivationNet() function, which now accepts arguments for advanced activation layers, and class\_weight. I set the activator functions to include LeakyReLU and ELU, and the class weight to 1:15. I then ran a combinatoric parameter search of the variables to find the highest resulting validation accuracy network. I also set the layer and node sizes of the network to be *much* larger.

```
In [34]: def TrainAdvancedActivationNet(TargetDF, layers, nodes, epochs, activator, lossfcn, advanced activato
             target=to categorical(TargetDF[targetcolumn])
             predictors=TargetDF.drop([targetcolumn], axis=1).as matrix()
             n cols=predictors.shape[1]
             model=Sequential()
             model.add(Dense(nodes,activation=activator,input_shape=(n_cols,)))
             for layer in range(0, layers):
                 if advanced activator=='relu':
                     model.add(Dense(nodes,activation=activator))
                 if advanced activator=='LeakyReLU':
                      model.add(keras.layers.LeakyReLU(alpha=0.3))
                 if advanced activator=='ELU':
                     model.add(keras.layers.ELU(alpha=0.3))
             model.add(Dense(2,activation='softmax'))
             model.compile(optimizer='adam',loss=lossfcn, metrics=['categorical accuracy'])
             model training=model.fit(predictors, target, validation split=0.7, epochs=epochs, shuffle=True, ca
             val acc=model training.history['val categorical accuracy']
             val acc=val acc[-1]
             return(model,val acc)
             #return(model training.history)
```

```
In [37]: targetcolumn='hired'
layerslist=[10,50,100]
nodeslist=[250,500,750]
epochs=10
activator='relu'
advanced_activators=['relu','LeakyReLU','ELU']
lossfcn='categorical_crossentropy'
class_weight={0: 1.,1:15.}
#class_weights = [{0: 1.,1:5.},{0: 1.,1:10.},{0: 1.,1: 25.}] #we can use weights as parameters for se
```

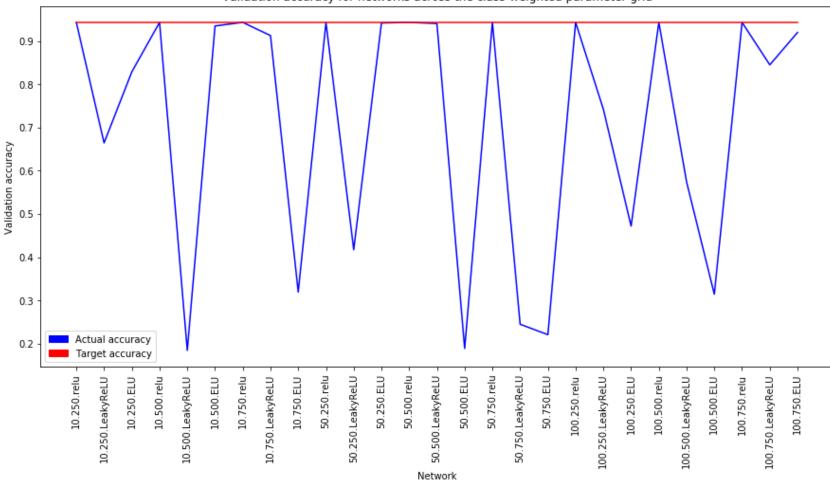
```
In [38]: total nets=0
       targetnets=len(layerslist)*len(nodeslist)*len(advanced_activators)
       targetacc=0
       accrecord2=[]
       targetaccrecord2=[]
       netnamesrecord2=[]
       #parameter search through layers and nodes values, keeping the model with the highest validation accu
       while total nets<targetnets:
          for layers in layerslist:
             for nodes in nodeslist:
                for advanced activator in advanced activators:
                    net name=(str(layers)+'.'+str(nodes)+'.'+str(advanced activator))
                   print(str(total nets)+'/'+str(targetnets)+' complete. Next net: '+str(layers)+' layer
                   model,val_acc=TrainAdvancedActivationNet(trainDF, layers, nodes, epochs, activator, l
                    if val_acc>(targetacc): #if acc>target, name and save it and new net=Tru
                       targetacc=val acc
                       print(net name+' improved accuracy, new target accuracy is '+str(targetacc))
                       finalmodel2=model #note that we're losing the old high-bias model
                       finalmodel2name=net name
                    else:
                       del model
                       print('Nope')
                   netnamesrecord2.append(net name)
                   accrecord2.append(val acc)
                   targetaccrecord2.append(targetacc)
                   total nets+=1
       al loss: 4.4425 - val categorical accuracy: 0.7800
       Epoch 7/10
       al loss: 1.4281 - val categorical accuracy: 0.3466
       Epoch 8/10
       al loss: 1.3347 - val categorical accuracy: 0.8448
       Nope
       26/27 complete. Next net: 100 layers, 750 nodes, activator is ELU
       Train on 9000 samples, validate on 21000 samples
       Epoch 1/10
       al loss: 6.6587 - val categorical accuracy: 0.7450
       Epoch 2/10
```

In [39]: finalmodel2

Out[39]: <keras.models.Sequential at 0x7f0c2b1b6b38>

```
In [99]: plt.close()
         x=list(range(0,len(accrecord2)))
         #plot
         plt.plot(x,accrecord2, color='blue')
         plt.plot(x,targetaccrecord2, color='red')
         #axes
         plt.xticks(x,netnamesrecord2, rotation='vertical')
         plt.title('Validation accuracy for networks across the class-weighted parameter grid')
         plt.xlabel('Network')
         plt.ylabel('Validation accuracy')
         #legend
         accpatch=mpatches.Patch(color='blue', label='Actual accuracy')
         targetpatch=mpatches.Patch(color='red',label='Target accuracy')
         plt.legend(handles=[accpatch,targetpatch,])
         plt.rcParams['figure.figsize'] = [15, 7]
         plt.show()
```





The plot is awkward because it's functionally of a 4-dimensional pattern, but some things are clear. The first thing we notice is that the maximum accuracy was still 0.9430, which indicates that the networks might still be crashing to predict all zeroes in the highest accuracy cases. Let's test this by running the preds on the hired set as we did before:

```
In [50]: #test against hiredDF
predictions2 = finalmodel2.predict(hiredPredictionData)

# Calculate predicted probability of survival: predicted_prob_true
predicted_prob_true2 = predictions2[:,1]
predicted_prob_false2 = predictions2[:,0]
print('True positives: '+str(predicted_prob_true2.mean())+'\t False negatives: '+str(predicted_prob_false2)
```

True positives: 0.473135 False negatives: 0.526865

#### Result:

- The treatment greatly reduced the incidence of false negatives, but also increased the incidence of false positives.
- ReLU continued to attract toward the 0.9430 value, but without predicting all zeroes. This was surprising and indicates that it had improved its distribution of errors while preserving an awareness of the sparse dataset. The class weighting worked as expected.
- Much larger networks were not more accurate and followed the same patterns, so we don't need the very large networks, which is fine because they take quite a long time to train.
- Structuring the network **entirely** from alternate activation layers did not in itself improve performance on this task. Most literature references alternate activation layers in the context of ReLU layers, so there may well be more progress to be made by exploring these layers in mixed network architectures, outside the scope of this project.

# 2.4 Using the results of the grid search, and restricting training data to a single task category

Once more, with feeling! This time we're using a grid of small neural network architectures, ReLU with class weighting. Further, we're only going to train on the 'MoveDF' dataframe. If this works better with only one group, we can save a lot of entropy in the network by just giving it one category to work on, and I'm choosing the 'Moving Help' category because I've already found it to have the largest point-biserial r with its 'hired' column.

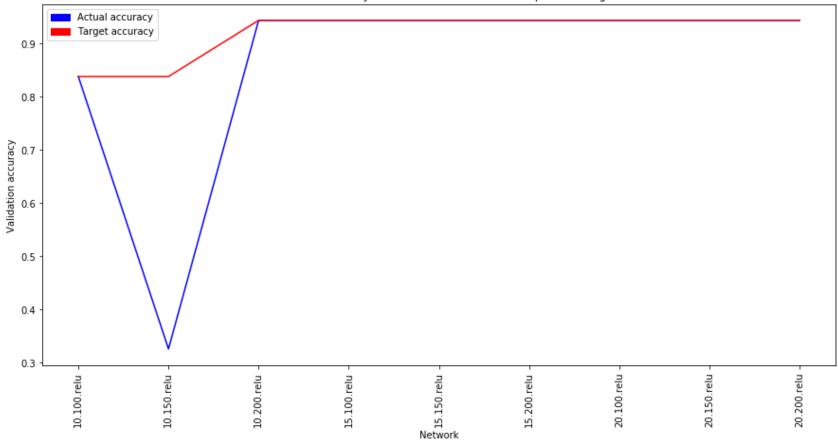
```
In [51]: targetcolumn='hired'
    layerslist=[10,15,20]
    nodeslist=[100,150,200]
    epochs=10
    activator='relu'
    advanced_activator='relu'
    lossfcn='categorical_crossentropy'
    class_weight={0: 1.,1:15.}
```

In [56]: total nets=0

```
targetnets=len(layerslist)*len(nodeslist)
targetacc=0 #since the attractor value above was 0.934, we're requiring networks to be above this thr
accrecord3=[]
targetaccrecord3=[]
netnamesrecord3=[]
moveTrainDF=trainDF[trainDF['category']==2]
#parameter search through layers and nodes values, keeping the model with the highest validation accu
while total nets<targetnets:
   for layers in layerslist:
      for nodes in nodeslist:
         net name=(str(layers)+'.'+str(nodes)+'.'+str(advanced activator))
         print(str(total nets)+'/'+str(targetnets)+' complete. Next net: '+str(layers)+' layers,
         model, val acc=TrainAdvancedActivationNet(trainDF, layers, nodes, epochs, activator, lossf
         if val_acc>(targetacc): #if acc>target, name and save it and new net=Tru
            targetacc=val acc
            print(net name+' improved accuracy, new target accuracy is '+str(targetacc))
            finalmodel3=model #note that we're losing the old high-bias model
            finalmodel3name=net name
         else:
            del model
            print('Nope')
         netnamesrecord3.append(net name)
         accrecord3.append(val acc)
         targetaccrecord3.append(targetacc)
         total nets+=1
0/9 complete. Next net: 10 layers, 100 nodes, activator is relu
Train on 9000 samples, validate on 21000 samples
Epoch 1/10
l loss: 1.2280 - val categorical accuracy: 0.3252
Epoch 2/10
l loss: 1.2062 - val categorical accuracy: 0.2410
Epoch 3/10
l loss: 1.2233 - val categorical accuracy: 0.2144
Epoch 4/10
l loss: 1.2083 - val categorical accuracy: 0.5095
```

```
plt.close()
In [100]:
          x=list(range(0,len(accrecord3)))
          #plot
          plt.plot(x,accrecord3, color='blue')
          plt.plot(x,targetaccrecord3, color='red')
          plt.xticks(x,netnamesrecord3, rotation='vertical')
          #axes
          plt.title('Validation accuracy for networks across the 3rd parameter grid')
          plt.xlabel('Network')
          plt.ylabel('Validation accuracy')
          #legend
          accpatch=mpatches.Patch(color='blue', label='Actual accuracy')
          targetpatch=mpatches.Patch(color='red',label='Target accuracy')
          plt.legend(handles=[accpatch,targetpatch])
          plt.rcParams['figure.figsize'] = [15, 7]
          plt.show()
```





In [60]: finalmodel3name

Out[60]: '10.200.relu'

Let's consider the false positives ratio, as we've done before:

```
In [61]: #test against hiredDF
predictions3 = finalmodel3.predict(hiredPredictionData)

# Calculate predicted probability of survival: predicted_prob_true
predicted_prob_true3 = predictions3[:,1]
predicted_prob_false3 = predictions3[:,0]
print('True positives: '+str(predicted_prob_true2.mean())+'\t False negatives: '+str(predicted_prob_false)
```

True positives: 0.473135 False negatives: 0.526865

#### Result:

- This approach greatly reduced the training time and simplified the network used, but preserved the positive result bias.
- Within this range, all configurations with >=15 layers found the 0.943 balance point.

# 3. Implementing the produced neural network as a useful product feature for taskers

Given these predictors, we can automate prediction of a hired/not-hired probability, given the tasker's typical position in the job type for which they are bidding. Because the only variable in the tasker's control is hourly\_rate, we vary it experimentally across the expected range of bids, for the variables of the given tasker. We can then plot the result to show the tasker their likelihood of hire success, given different hourly\_rates.

Recall that the trainingDF form looks like this:

In [62]: trainDF[:5]

Out[62]:

	hourly_rate	num_completed_tasks	hired	category	meanrate	maxrate	meancomp	maxcomp
0	38	151	0	2	1.144578	0.76	1.281109	0.165208
1	40	193	0	2	1.204819	0.80	1.637443	0.211160
2	28	0	0	2	0.843373	0.56	0.000000	0.000000
3	43	303	0	2	1.295181	0.86	2.570701	0.331510
4	29	39	0	2	0.873494	0.58	0.330882	0.042670

There are several independent variables, but a given tasker can't change their number of completed tasks, only their hourly\_rate. Therefore we define the variables as follows:

- hourly\_rate: we take the mean and standard deviation of the hourly\_rate for the category, and run from -1SD to +1SD, in 10 increments
- num\_completed\_tasks: we can take the maximum num\_completed\_tasks for that tasker
- **category**: We have to pick a category type. Because the hourly rate is the strongest predictor for the 'Moving Help' category, here I'll select a tasker only from the 'Moving Help' category.
- **meanrate, maxrate, meancomp, maxcomp**: We can determine the mean and max hourly\_rate and num\_completed from the category, which will give the likely position of the tasker in a randomly ordered recommendation.

#### Out[67]:

	recommendation_id	created_at	tasker_id	position	hourly_rate	num_completed_tasks	hired	category	meanrate	maxrate
2847	0-0-7ea009be-705f- 4850-9569- 4284753b5de8	2017-09- 04 23:22:10	1013252925	3	80	35	0	Moving Help	0.604534	0.400000
2862	0-0-616f3ce1-8fa2- 4115-86db- ae261d0a3ee8	2017-09- 04 23:22:14	1013252925	3	80	35	0	Moving Help	0.618557	0.400000
3249	0-0-045332f6-2725- 4b75-a026- c7176b0e7248	2017-09- 05 15:16:11	1013252925	13	80	35	0	Moving Help	1.232033	0.842105
3527	0-0-20a9e29c-2201- 40e1-9e11- 2c92653831c6	2017-09- 05 17:41:17	1013252925	3	80	35	0	Moving Help	0.689655	0.400000
3902	0-0-313cd31e-8269- 45a1-a37a- cffa860e10ca	2017-09- 05 21:07:22	1013252925	3	80	35	0	Moving Help	0.707965	0.400000

```
In [68]: # what range of hourly_rates do we use? The mean of the category, +/- 1SD
    meanrate=moveDF.hourly_rate.mean()
    maxRangeRate=meanrate+moveDF.hourly_rate.std()
    minRangeRate=meanrate-moveDF.hourly_rate.std()
    rateslist=list(np.linspace(minRangeRate,maxRangeRate,10))
    print(rateslist)
```

[32.341733255067304, 43.49979253171901, 54.657851808370722, 65.815911085022435, 76.973970361674134, 88.132029638325832, 99.290088914977559, 110.44814819162926, 121.60620746828096, 132.76426674493268]

```
In [69]: # also calculate that tasker's bid as a ratio with meanrate, maxrate, meancomp and maxcomp for their
         meanrate=moveDF.hourly rate.mean()
         maxrate=moveDF.hourly rate.max()
         meancomp=moveDF.num completed tasks.mean()
         maxcomp=moveDF.num completed tasks.max()
         meanRateList=[]
         maxRateList=[]
         meancompList=[]
         maxcompList=[]
         t comp=taskerDF.num completed tasks.max()
         t meancomp=t comp/meancomp
         t maxcomp=t comp/maxcomp
         num completed tasksList=[t comp]*10
         categorylist=[2]*10
         for rate in rateslist:
             meanRateList.append(rate/meanrate)
             maxRateList.append(rate/maxrate)
             meancompList.append(t meancomp) #these are fixed because the c
             maxcompList.append(t maxcomp)
         taskerTrainDF=pd.DataFrame()
         taskerTrainDF['hourly rate']=rateslist
         taskerTrainDF['num completed tasks']=num completed tasksList
         taskerTrainDF['category']=categorylist
         taskerTrainDF['meanrate']=meanRateList
         taskerTrainDF['maxrate']=maxRateList
         taskerTrainDF['meancomp']=meancompList
         taskerTrainDF['maxcomp']=meancompList
         taskerTrainDF
```

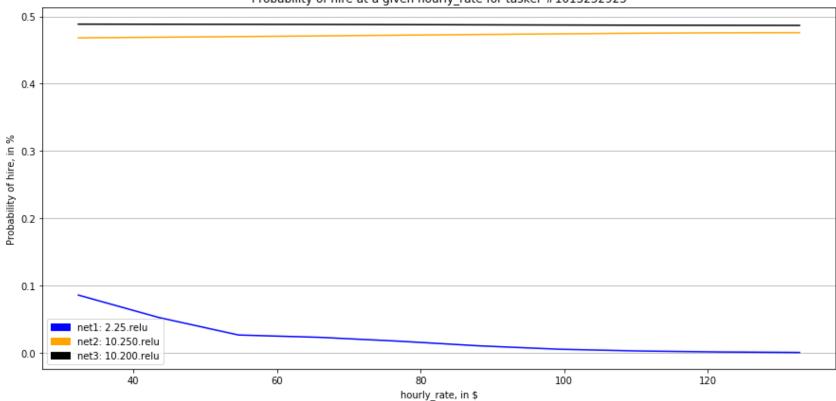
Out[69]:

	hourly_rate	num_completed_tasks	category	meanrate	maxrate	meancomp	maxcomp
0	32.341733	35	2	0.391769	0.129367	0.135868	0.135868
1	43.499793	35	2	0.526932	0.173999	0.135868	0.135868
2	54.657852	35	2	0.662094	0.218631	0.135868	0.135868

	hourly_rate	num_completed_tasks	category	meanrate	maxrate	meancomp	maxcomp
3	65.815911	35	2	0.797256	0.263264	0.135868	0.135868
4	76.973970	35	2	0.932419	0.307896	0.135868	0.135868
5	88.132030	35	2	1.067581	0.352528	0.135868	0.135868
6	99.290089	35	2	1.202744	0.397160	0.135868	0.135868
7	110.448148	35	2	1.337906	0.441793	0.135868	0.135868
8	121.606207	35	2	1.473068	0.486425	0.135868	0.135868
9	132.764267	35	2	1.608231	0.531057	0.135868	0.135868

```
In [101]: plt.close()
          # Calculate predictions from the query:
          predictors=taskerTrainDF.as matrix()
          predictions1 = finalmodel1.predict(predictors)[:,1]
          predictions2 = finalmodel2.predict(predictors)[:,1]
          predictions3 = finalmodel3.predict(predictors)[:,1]
          \# plot the result with hourly rate as independent var(x-axis) and likelihood of hire as dependent var(x-axis)
          plt.plot(list(taskerTrainDF['hourly rate']), list(predictions1), color='blue')
          plt.plot(list(taskerTrainDF['hourly rate']), list(predictions2), color='orange')
          plt.plot(list(taskerTrainDF['hourly rate']), list(predictions3), color='black')
          plt.title('Probability of hire at a given hourly rate for tasker #'+str(randomUUID))
          plt.xlabel('hourly rate, in $')
          plt.ylabel('Probability of hire, in %')
          plt.grid(axis='v')
          #legend
          net1patch=mpatches.Patch(color='blue',label='net1: '+finalmodel1name)
          net2patch=mpatches.Patch(color='orange', label='net2: '+finalmodel2name)
          net3patch=mpatches.Patch(color='black',label='net3: '+finalmodel3name)
          plt.legend(handles=[net1patch,net2patch,net3patch])
          plt.rcParams['figure.figsize'] = [15, 7]
          plt.show()
```

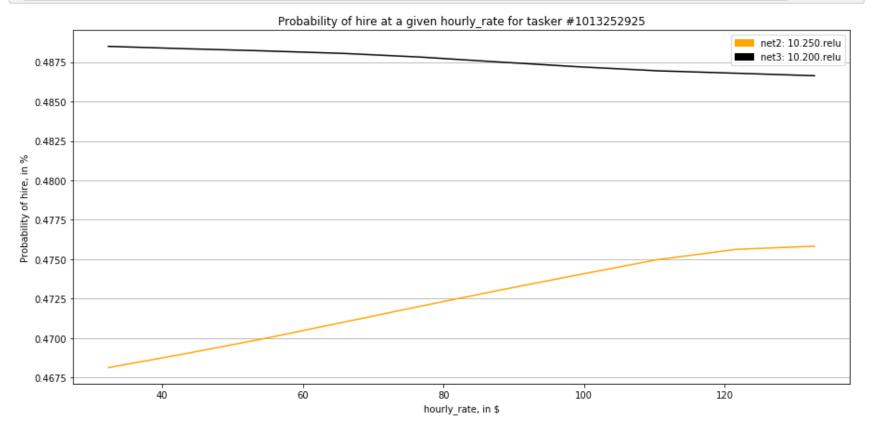




As expected, the first tiny network has a very strong bias toward not-hired predictions.. Let's plot the latter two, without so many false negatives:

```
In [102]: plt.close()
# plot the result with hourly_rate as independent var(x-axis) and likelihood of hire as dependent var
plt.plot(list(taskerTrainDF['hourly_rate']),list(predictions2), color='orange')
plt.plot(list(taskerTrainDF['hourly_rate']),list(predictions3), color='black')

plt.title('Probability of hire at a given hourly_rate for tasker #'+str(randomUUID))
plt.xlabel('hourly_rate, in $')
plt.ylabel('Probability of hire, in %')
plt.grid(axis='y')
#legend
net2patch=mpatches.Patch(color='orange', label='net2: '+finalmodel2name)
net3patch=mpatches.Patch(color='black',label='net3: '+finalmodel3name)
plt.legend(handles=[net2patch,net3patch])
plt.rcParams['figure.figsize'] = [15, 10]
plt.show()
```



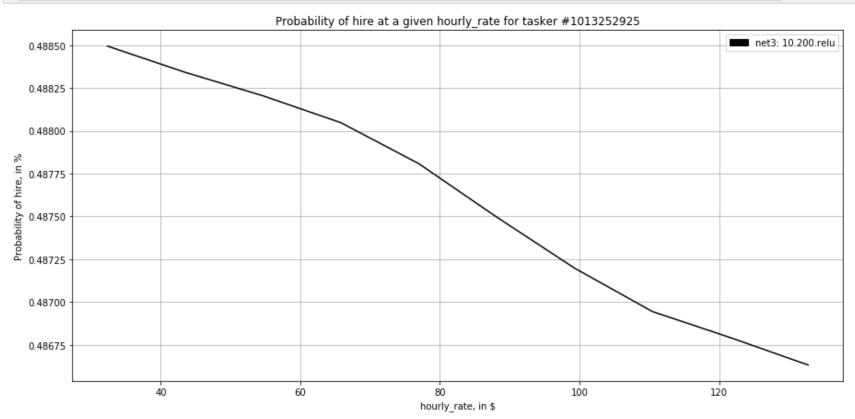
**Result:** net3 shows the negative correlation with hourly\_rate, and net2 shows a positive correlation. Because we know from earlier that the point-biserial r between hourly\_rate and hired is negative, we can reject the net2 model.

- net3 was trained on the category specifically, and net2 was trained on the general dataset. It seems likely that this affects the strange outcome above.
- More specifically: we already knew the highest point-biserial-r to 'hired' in 2/3 of the categories was with the
  num\_completed\_tasks variable. Because of this, taskers with a high number of completed tasks have a small partial monopoly
  on hires for these job categories.
- Since the bid a tasker makes in those cases is closely associated with their expectation of hire, and the expectation of hire is closely associated with number of completed tasks, **net2 detected a general association between hourly rate and hired.**

Therefore, net3 is better suited for this prediction, because it's trained only on this category. Let's plot using net3 only:

```
In [104]: plt.close()
# plot the result with hourly_rate as independent var(x-axis) and likelihood of hire as dependent var plt.plot(list(taskerTrainDF['hourly_rate']),list(predictions3), color='black')

plt.title('Probability of hire at a given hourly_rate for tasker #'+str(randomUUID))
plt.xlabel('hourly_rate, in $')
plt.ylabel('Probability of hire, in %')
plt.grid(axis='y')
plt.grid(axis='y')
#legend
net3patch=mpatches.Patch(color='black',label='net3: '+finalmodel3name)
plt.legend(handles=[net3patch])
plt.rcParams['figure.figsize'] = [15, 5]
plt.show()
```



This is the result which most closely fits my intuitions about this function: roughly sigmoidal, and negatively correlated with

hourly\_rate. Even still, the range of prediction over which it occurs seems smaller than likely. This is because we've heavily class-weighted the neural networks to produce this ratio of false-positives, to avoid the negatives we saw in net1 above.

In [84]: plt.close()

#### 4. Conclusion

- It is possible to use this data to predict hired/not-hired bids from a tasker's hourly\_rate. The likelihood still favors not-hired at ~14:1, but we can give a tasker a way to optimize their performance within that range.
- The neural networks which predict these variables successfully do not have to be large, but they should be class-weighted.
- The flatness of the plot of predictions makes me think it might be possible to replace the neural networks with a simple 3-variable polynomial curve fit (or sigmoidal curve fit), but that's outside the scope of this project.
- This project could probably use weeks more of work, but the due date looms. :)