Self-reported Health is Related to Body Height and Waist Circumference in Rural Indigenous and Urbanised Latin-American Populations

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Supplementary Material: Code and analyses

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Description

This R Markdown document contains the code and analyses for Self-reported Health is Related to Body Height and Waist Circumference in Rural Indigenous and Urbanised Latin-American Populations (2020). Data available at https://doi.org/10.17605/OSF.IO/KGR5X.

Contents

1	Pre	liminaries	2
	1.1	Load Packages	2
	1.2	Custom functions	2
		1.2.1 Correlation matrix (corstars1)	2
		1.2.2 Function to bold significant effects from model summary tables (summaSig)	3
		1.2.3 Function to format p-values (pvalr)	3
		1.2.4 Function format model terms from model summary tables (summTerms)	4
	1.3	Load and organise data from Colombia	5
		1.3.1 Anthropometric data	5
		1.3.1.1 Table S1. Table displaying Intraclass Correlation for each measured characteristic .	5
		1.3.2 Self-reported health data	7
	1.4	Create final dataframe for the Colombian population	8
	1.5	Load and organise data from Mexico	8
	1.6	Create final dataframe combining data from Colombian and Mexican samples	8
		G I	
2	\mathbf{Des}	criptives	9
	2.1	Descriptives by Population, Sex and Country	9
		2.1.1 Table 1. All participants	9
		2.1.2 Figure 1. Distribution by Sex, Population and Country	11
		2.1.3 Figure S1. Health, height, and waist by Sex and Sample.	13
	2.2	Correlations	15
		2.2.1 Table S2. Correlation matrix (all participants)	15
		2.2.2 Table S3. Correlation matrix (women)	16
		2.2.3 Table S4. Correlation matrix (men)	16
_			
3		1	17
	3.1	8	17
			17
		V	18
			19
		v	19
			21
		O I	21
		3.1.3.2 Table S7. Model 3 summary	
	3.2	Model comparison	
		3.2.1 Table 2. Summary of the three models	24

		3.2.2	Table 3. Information criteria for the three models	26
	3.3	Final 1	model (Model 3)	27
		3.3.1	Model diagnostics	27
			3.3.1.1 Table S8. Variance Inflation Factors of Information criteria for Final Model (Model	
			3) predictors	27
			3.3.1.2 Figure S2. Residual distribution by sample and linearity in each (single term) factor	27
		3.3.2	Table 4. Model 3 summary, including Height \times Waist Interaction	29
		3.3.3	Figure 3. Model 3 estimates and Height \times Waist Interaction	
	3.4	Altern	ative final model (Model 3A)	32
		3.4.1	Table S9. Model 3A summary	32
		3.4.2	Figure S3. Model 3 estimates and Height \times Waist Interaction	35
		3.4.3	Table S10. Information criteria for the alternative and final models	36
4	Sess	sion in	fo (for reproducibility)	37
5	Sup	pleme	ntary Reference	38

1 Preliminaries

1.1 Load Packages

Used packages include osfr to download and open data files directly from OSF (using the osf_retrieve_file and osf_download functions). Currently this package must be installed from GitHub. See instructions here. All other packages used in this file (full list in the code below) can be directly installed from the Comprehensive R Archive Network (CRAN).

```
library(osfr)
library(tidyverse)
library(gridExtra)
library(ggpubr)
library(psych)
library(kableExtra)
library(ryouready)
library(car)
library(survival)
library(jtools)
library(Hmisc)
library(lattice)
library(Formula)
library(bbmle)
library(lemon)
library(data.table)
library(rstatix)
library(MuMIn)
library(qqplotr)
library(interactions)
library(lmSupport)
```

1.2 Custom functions

1.2.1 Correlation matrix (corstars1)

This function creates a correlation matrix, and displays significance (function corstars1 from MYOWELT).

```
corstarsl <- function(x) {
  require(Hmisc)
  x <- as.matrix(x)
  R <- rcorr(x)$r</pre>
```

```
p <- rcorr(x)$P</pre>
mystars <- ifelse(p < .001,</pre>
                     ifelse(p < .01,
                             ifelse(p < .05,
R \leftarrow format(round(cbind(rep(-1.11, ncol(x)), R), 2))[, -1]
Rnew <- matrix(paste(R, mystars,</pre>
                        sep = ""),
                 ncol = ncol(x)
diag(Rnew) <- paste(diag(R), " ",</pre>
                       sep = "")
rownames(Rnew) <- colnames(x)</pre>
colnames(Rnew) <- paste(colnames(x), "",</pre>
                            sep = "")
Rnew <- as.matrix(Rnew)</pre>
Rnew[upper.tri(Rnew, diag = TRUE)] <- ""</pre>
Rnew <- as.data.frame(Rnew)</pre>
Rnew <- cbind(Rnew[1:length(Rnew) - 1])</pre>
return(Rnew)
```

1.2.2 Function to bold significant effects from model summary tables (summaSig)

This function formats and bolds significant p-values from model tables (e.g. summary(model)\$coefficients and anova(model)).

1.2.3 Function to format p-values (pvalr)

This function takes p-values and formats them (function pvalr from rawr).

```
pvalr <- function(pvals, sig.limit = .001, digits = 3, html = FALSE) {
  roundr <- function(x, digits = 1) {
    res <- sprintf(pasteO('%.', digits, 'f'), x)
    zzz <- pasteO('0.', paste(rep('0', digits), collapse = ''))
    res[res == pasteO('-', zzz)] <- zzz
    res
  }
  sapply(pvals, function(x, sig.limit) {
    if (x < sig.limit)
        if (html)
        return(sprintf('&lt; %s', format(sig.limit))) else
            return(sprintf('< %s', format(sig.limit)))
    if (x > .1)
        return(roundr(x, digits = 2)) else
        return(roundr(x, digits = digits))
    }, sig.limit = sig.limit)
}
```

1.2.4 Function format model terms from model summary tables (summTerms)

This function replaces term names from model tables (e.g.summary(model)\$coefficients), and formats them into a shorter version.

```
summTerms <- function(summTab) {</pre>
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        "SexMen",
                                        "Sex(men)")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        "Height c",
                                        "H(c)")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        "SampleMexico City",
                                        "S(Mexico City)")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        "SampleMe'Phaa",
                                        "S(Me'Phaa)")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        "Visceral Fat")
  # "x", instead of ":".
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        " $\\\\times$ ")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        " $\\\\times$ ")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
                                        " $\\\\times$ ")
  row.names(summTab) <- str_replace(row.names(summTab),</pre>
```

```
" $\\\times$ ")
return(summTab)
}
```

1.3 Load and organise data from Colombia

1.3.1 Anthropometric data

We collected 8 measures from each participant:

- Waist (circumference, in cm)
- Hip (circumference, in cm)
- Height (cm)
- Weight (kg)
- Fat (%)
- Visceral fat (score)
- BMI (kg/m^2)
- Muscle (%)

```
f1 <- osf_retrieve_file("q46sy") %>% osf_download(overwrite = TRUE)
mm <- read.csv(f1$local_path, sep = ",", dec = ".")</pre>
```

Because each anthropometric characteristic was measured 3 times, the intraclass correlation between measurements was assessed.

```
ICCwai <- ICC(mm[, 3:5]) # waist
ICChip <- ICC(mm[, 6:8]) # hip
ICChei <- ICC(mm[, 9:11]) # height
ICCwei <- ICC(mm[, 12:14]) # weight
ICCfat <- ICC(mm[, 15:17]) # fat percentage
ICCvisfat <- ICC(mm[, 18:20]) # visceral fat
ICCbmi <- ICC(mm[, 21:23]) # BMI
ICCmus <- ICC(mm[, 24:26]) # muscle percentage</pre>
```

1.3.1.1 Table S1. Table displaying Intraclass Correlation for each measured characteristic

```
# paste ICC results
ICCtab <- rbind(ICCwai$results[1, ],</pre>
                ICChip$results[1, ],
                ICChei$results[1, ],
                ICCwei$results[1, ],
                ICCfat$results[1, ],
                ICCvisfat$results[1, ],
                ICCbmi$results[1, ],
                ICCmus$results[1, ])
ICCtab[, c(2, 3, 7, 8)] <- format(round(ICCtab[, c(2, 3, 7, 8)], 3),</pre>
                                   nsmall = 3)
ICCtab <- ICCtab %>% rownames_to_column("Anthropometric characteristics")
ICCtab$`Anthropometric characteristics` <- c("Waist circumference (cm)",
                                               "Height (cm)",
                                               "Weight (kg)",
                                               "Fat (\\%)",
                                               "Visceral fat",
                                               "BMI (kg/m$^2$)",
```

```
"Muscle (\\%)")
ICCtab$ci <- paste0(ICCtab$`lower bound`, " - ", ICCtab$`upper bound`)</pre>
ICCtab <- summaSig(ICCtab, 7)</pre>
# select and reorder relevant columns
ICCtab <- ICCtab[, c(1, 3, 10, 4, 7)]</pre>
TabS1 <- kable(</pre>
  ICCtab,
  format = "latex",
  booktabs = TRUE,
  col.names = c("Anthropometric measure", "ICC", "95\\% CI", "$F$", "$p$"),
  caption = "\\textbf{Table S1.}
  Intraclass correlation of anthropometric characteristics measurements",
  align = c("l", "c", "c", "c", "c"),
  escape = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(
    general =
    (see \\\\href{https://tinyurl.com/yxjkdd44}{ICC function documentation}),
    which is a measure of absolute agreement. In all cases, $df$ were 353 and
    threeparttable = TRUE,
    escape = FALSE)
TabS1
```

Table S1. Intraclass correlation of anthropometric characteristics measurements

Anthropometric measure	ICC	95% CI	F	p
Waist circumference (cm) Hip (cm)	0.999	0.998 - 0.999 0.998 - 0.999	2339.214 1949.311	<0.0001 <0.0001
Height (cm) Weight (kg) Fat (%)	0.999 1.000 0.999	0.999 - 0.999 1.000 - 1.000 0.999 - 0.999	4137.258 18901.869 2553.452	< 0.0001 < 0.0001 < 0.0001
Visceral fat BMI (kg/m²) Muscle (%)	0.995 0.999 0.999	0.994 - 0.996 0.999 - 0.999 0.998 - 0.999	568.504 4157.237 2174.959	<0.0001 <0.0001 <0.0001

ICC values are ICC1 (see ICC function documentation), which is a measure of absolute agreement. In all cases, df were 353 and 708. Significant results are in bold.

Given the strong intraclass correlation between the three measurements of each anthropometric characteristic, we calculated the mean between those measurements.

```
mm$Waist <- rowMeans(mm[, 3:5])
mm$Hip <- rowMeans(mm[, 6:8])
mm$Height <- rowMeans(mm[, 9:11])
mm$Weight <- rowMeans(mm[, 12:14])
mm$Fat <- rowMeans(mm[, 15:17])
mm$VisceralFat <- rowMeans(mm[, 18:20])
mm$BMI <- rowMeans(mm[, 21:23])</pre>
```

```
mm$Muscle <- rowMeans(mm[, 24:26])</pre>
```

1.3.2 Self-reported health data.

This data were obtained using a Spanish language validated translation¹ of the SF-36 questionnaire (https://www.rand.org/health-care/surveys_tools/mos/36-item-short-form.html). The translated version was validated in Colombia.

```
f2 <- osf_retrieve_file("p5cyf") %>% osf_download(overwrite = TRUE)
sf36 <- read.csv(f2$local_path, sep = ",", dec = ".")</pre>
```

The SF-36 produces 8 factors, calculated by averaging the recoded scores of individual items:

- Physical functioning (items 3 to 12): PhysFunc
- Role limitations due to physical health (items 13 to 16): PhysLim
- Role limitations due to emotional problems (items 17 to 19): EmoLim
- Energy/fatigue (items 23, 27, 29 and 31): EnerFati
- Emotional well-being (items 24, 25, 26, 28 and 30): EmoWB
- Social functioning (items 20 and 32): SocFunc
- Pain (items 21 and 22): Pain
- General health (items 1, 33, 34, 35 and 36): Health

To calculate this, all items were recoded following the instructions on how to score SF-36 (please see https://www.rand.org/health-care/surveys_tools/mos/36-item-short-form/scoring.html).

```
sf36Re <- sf36[2:37]
sf36Items <- colnames(sf36Re)
Reco1 <- sf36Items[c(1, 2, 20, 22, 34, 36)]
Reco2 <- sf36Items[c(3:12)]
Reco3 <- sf36Items[c(13:19)]
Reco4 <- sf36Items[c(21, 23, 26, 27, 30)]
Reco5 <- sf36Items[c(24, 25, 28, 29, 31)]
Reco6 <- sf36Items[c(32, 33, 35)]
sf36Re <- recode2(sf36Re,
 vars = Reco1,
 recodes = "1 = 100; 2 = 75; 3 = 50; 4 = 25; 5 = 0")
sf36Re <- recode2(sf36Re,
 vars = Reco2,
 recodes = "1 = 0;2 = 50;3 = 100")
sf36Re <- recode2(sf36Re,
 vars = Reco3,
 recodes = "1 = 0;2 = 100")
sf36Re <- recode2(sf36Re,
  vars = Reco4,
 recodes = "1 = 100;2 = 80;3 = 60;4 = 40;5 = 20;6 = 0")
sf36Re <- recode2(sf36Re,
  vars = Reco5,
  recodes = "1 = 0;2 = 20;3 = 40;4 = 60;5 = 80;6 = 100")
sf36Re <- recode2(sf36Re,
  vars = Reco6,
  recodes = "1 = 0;2 = 25;3 = 50;4 = 75;5 = 100")
```

For the final factor calculation, we averaged recoded items (for detailed instructions, see https://www.rand.org/health-care/surveys_tools/mos/36-item-short-form/scoring.html). To make this data compatible with the Mexican database, and because item 35 cannot be answered by the Mexican Indigenous population, this item was excluded, and the Health factor was calculated averaging items 1, 33, 34, and 36 only.

```
sf36$SF.PhysFunc <- rowMeans(sf36Re[, 3:12])
sf36$SF.PhysLim <- rowMeans(sf36Re[, 13:16])
sf36$SF.EmoLim <- rowMeans(sf36Re[, 17:19])
sf36$SF.EnerFati <- rowMeans(sf36Re[, c(23, 27, 29, 31)])
sf36$SF.EmoWB <- rowMeans(sf36Re[, c(24:26, 28, 30)])
sf36$SF.SocFunc <- rowMeans(sf36Re[, c(20, 32)])
sf36$SF.Pain <- rowMeans(sf36Re[, 21:22])
sf36$SF.Health <- rowMeans(sf36Re[, c(1, 33, 34, 36)])</pre>
```

1.4 Create final dataframe for the Colombian population

Combine the two data-frames into one, final data-frame (dat) containing only the relevant columns (i.e. the final factor scores for the SF-36 Health factor, and anthropometric means).

```
col <- merge(mm[, c(1, 2, 27:34)], sf36[, c(1, 38:45)], by = "ID")
```

The Sex, Country and Population columns were added. The Sex was based on the first letter of the ID of each participant (F = Female, M = Male). Finally, columns were reordered to match those of the Mexican database.

```
col$Sex <- NA
for (i in 1:length(col$Sex)) {
   col$Sex[i] <- ifelse(grepl("F", col$ID[i]), "Women", "Men")
}
col$Country <- "Colombia"
col$Population <- "Urban"
col$ <- col[, c(1, 20:21, 19, 2:10, 18)]</pre>
```

1.5 Load and organise data from Mexico

```
f3 <- osf_retrieve_file("kr8m9") %>% osf_download(overwrite = TRUE)
mex <- read.csv(f3$local_path, sep = ",", dec = ".")
```

Anthropometric data from Mexico had already been averaged from the three anthropometric measurements. We then calculated the Health factor from the SF-36 questionnaire, using the same system explained for the Colombian sample. (for detailed instructions on scoring of the SF-36 factors, see https://www.rand.org/health-care/surveys_tools/mos/36-item-short-form/scoring.html)

```
mex <- recode2(mex,
   vars = c("SF1", "SF34", "SF36"),
   recodes = "1 = 100;2 = 75;3 = 50;4 = 25;5 = 0")
mex <- recode2(mex,
   vars = "SF33",
   recodes = "1 = 0;2 = 25;3 = 50;4 = 75;5 = 100")
levels(mex$Sex) <- c("Women", "Men")
mex$SF.Health <- rowMeans(mex[, c(14:17)])
mexS <- mex[, c(1:13, 19)]</pre>
```

1.6 Create final dataframe combining data from Colombian and Mexican samples

```
dat <- rbind(colS, mexS)
dat$Age <- as.numeric(dat$Age)
datcols <- c("Country", "Population", "Sex")
dat[datcols] <- lapply(dat[datcols], factor)</pre>
```

```
cols <- c("Country", "Population")
dat$Sample <- apply(dat[, cols], 1, paste, collapse = "-")
dat$Sample <- as.factor(dat$Sample)
colnames(dat)[14] <- "Health"
levels(dat$Sample) <- c("Bogota", "Me'Phaa", "Mexico City")
dat$Sample <- factor(dat$Sample, levels(dat$Sample)[c(1, 3, 2)])
dat$Sex <- factor(dat$Sex, levels(dat$Sex)[c(2, 1)])
write.csv(dat, file = "Full_data.csv", row.names = FALSE)</pre>
```

Data-frame structure

str(dat)

```
## 'data.frame':
                  477 obs. of 15 variables:
               : Factor w/ 477 levels "F001", "F003", ...: 1 2 3 4 5 6 7 8 9 10 ....
## $ Country : Factor w/ 2 levels "Colombia", "Mexico": 1 1 1 1 1 1 1 1 1 1 ...
## $ Population : Factor w/ 2 levels "Indigenous", "Urban": 2 2 2 2 2 2 2 2 2 ...
               : Factor w/ 2 levels "Women", "Men": 1 1 1 1 1 1 1 1 1 1 ...
## $ Sex
## $ Age
                : num 23 24 19 19 18 18 21 22 19 18 ...
## $ Waist
                : num 67.3 97.5 81.1 70.3 66.7 ...
## $ Hip
                : num 90.4 107.5 106.1 96.1 91.5 ...
## $ Height
                : num 158 165 165 161 162 ...
## $ Weight
                : num 48.8 71.4 73.9 56.2 54.8 ...
                : num 30 42.6 43.5 34.2 32.4 ...
## $ Fat
## $ VisceralFat: num 3 5 5 3.67 3 ...
## $ BMI
           : num 19.7 26.2 27.1 21.7 20.9 ...
## $ Muscle
               : num 24.7 26.4 23.7 25.7 26.2 ...
## $ Health
               : num 75 50 43.8 50 68.8 ...
```

: Factor w/ 3 levels "Bogota", "Mexico City", ...: 1 1 1 1 1 1 1 1 1 1 ...

2 Descriptives

\$ Sample

2.1 Descriptives by Population, Sex and Country.

2.1.1 Table 1. All participants

```
descColNames <- c(</pre>
    "Measured characteristic",
    "$n$",
    "Mean",
    "$SD$",
    "Median",
    "Min",
    "Max")
descVarNames <- c(
  "Waist circumference (cm)",
  "Height (cm)",
  "Weight (kg)",
  "Fat (\\%)",
  "Visceral fat",
  "BMI (kg/m$^2$)",
  "Muscle (\\%)",
  "Self-reported health")
```

```
datF <- subset(dat, dat$Sex == "Women")</pre>
descF <- describeBy(datF[5:14], datF$Sample, mat = TRUE, digits = 1)</pre>
descF <- descF[, c(2, 4:7, 10:11)] %>% rownames_to_column("Measured characteristic")
varnames <- descVarNames
descF$`Measured characteristic` <- rep(varnames, each = 3)</pre>
datM <- subset(dat, dat$Sex == "Men")</pre>
descM <- describeBy(datM[5:14], datM$Sample, mat = TRUE, digits = 1)</pre>
descM <- descM[, c(2, 4:7, 10:11)] %>% rownames_to_column("Measured characteristic")
varnames <- descVarNames</pre>
descM$`Measured characteristic` <- rep(varnames, each = 3)</pre>
tab1 <- merge(descF, descM, by = c("Measured characteristic", "group1"), all = TRUE)
# Final fromated table
Tab1 <- kable(</pre>
  tab1,
  digits = 2,
 booktabs = TRUE,
  align = c("l", "l", rep("c", 12)),
  caption = "\\textbf{Table 1.}
  Descriptive statistics of measured variables for all participants",
  col.names = c("Measured characteristic", "Sample",
                 rep(descColNames[3:8], 2)),
  escape = FALSE) %>%
  add_header_above(c(" " = 2,
                      "Men" = 6) %>%
  kable_styling(latex_options = c("scale_down", "HOLD_position")) %>%
  collapse_rows(columns = 1, valign = "middle")
Tab1
```

Table 1. Descriptive statistics of measured variables for all participants

				7	Vomen						Men		
Measured characteristic	Sample	\overline{n}	Mean	SD	Median	Min	Max	\overline{n}	Mean	SD	Median	Min	Max
	Bogota	184	20.2	2.1	20.0	18.0	30.0	170	20.6	2.1	20.0	18.0	29.0
Age	Me'Phaa	24	33.5	8.6	31.5	21.0	50.0	39	33.7	10.4	33.0	17.0	60.0
1180	Mexico City	30	37.5	5.6	38.0	25.0	46.0	30	23.1	3.2	21.5	19.0	31.0
	Bogota	184	23.0	4.0	22.1	15.4	41.4	170	23.1	3.3	22.8	16.6	33.3
$BMI (kg/m^2)$	Me'Phaa	24	25.4	3.1	24.9	19.7	31.7	39	25.6	4.7	24.9	19.1	40.2
(6/)	Mexico City	30	26.4	5.2	26.5	16.5	40.2	30	24.0	3.7	23.5	19.0	37.9
	Bogota	184	34.9	7.3	34.2	12.6	58.3	170	20.2	6.8	19.7	5.4	38.7
Fat (%)	Me'Phaa	24	38.8	5.3	38.0	27.4	48.4	38	24.4	8.3	23.4	9.3	44.4
140 (70)	Mexico City	30	39.0	7.8	39.5	19.2	55.6	30	21.2	7.0	21.2	6.5	40.0
	Bogota	184	158.9	6.0	159.1	141.9	178.9	170	172.2	6.4	171.7	155.5	188.1
Height (cm)	Me'Phaa	24	146.2	5.5	144.0	136.0	157.0	39	159.9	6.8	161.0	143.0	173.5
8 ()	Mexico City	30	157.7	5.9	158.0	145.0	168.0	30	172.1	6.8	171.8	159.9	184.1
	Bogota	184	96.6	7.7	95.7	79.8	123.0	170	98.0	7.0	97.0	83.1	122.0
Hip (cm)	Me'Phaa	24	95.9	7.4	93.5	86.0	114.0	39	95.3	9.1	94.5	79.9	119.0
	Mexico City	30	100.1	9.7	99.6	82.2	123.6	30	96.8	8.6	96.0	78.0	126.6
	Bogota	184	25.6	2.5	25.6	18.0	33.9	170	40.1	3.8	40.2	29.6	49.1
Muscle (%)	Me'Phaa	24	25.2	2.4	25.1	20.4	29.8	36	36.9	5.2	37.4	25.6	47.9
	Mexico City	30	24.9	2.5	24.7	19.6	29.1	30	39.5	4.2	39.4	29.0	49.5
	Bogota	184	64.7	19.4	68.8	12.5	100.0	170	72.6	17.4	75.0	0.0	100.0
Self-reported health	Me'Phaa	24	50.8	10.5	50.0	31.2	68.8	39	50.3	9.2	50.0	25.0	75.0
	Mexico City	30	56.0	7.6	56.2	43.8	75.0	30	60.4	8.6	62.5	37.5	75.0
	Bogota	184	3.9	1.3	4.0	1.0	8.0	170	5.4	2.8	5.0	1.0	14.0
Visceral fat	Me'Phaa	24	6.4	1.8	6.0	3.0	11.0	35	9.4	4.7	8.0	2.0	23.0
	Mexico City	30	6.4	2.0	7.0	2.0	10.0	30	6.2	3.2	6.0	2.0	17.0
	Bogota	184	71.8	8.4	70.3	55.3	103.9	170	78.2	7.9	77.6	62.1	103.6
Waist circumference (cm)	Me'Phaa	24	87.0	8.2	86.7	73.0	106.0	39	88.6	11.9	86.4	70.5	118.0
	Mexico City	30	87.8	10.9	87.4	66.5	113.9	30	84.5	8.4	84.3	69.0	106.6
	Bogota	184	57.8	10.2	55.8	39.3	93.9	170	68.2	10.5	67.4	46.5	106.6
Weight (kg)	Me'Phaa	24	54.2	7.7	54.4	43.7	67.2	39	65.9	14.5	61.9	43.4	101.7
J · (<i>G</i>)	Mexico City	30	65.5	12.5	65.0	41.8	100.3	30	71.0	11.5	69.0	48.7	114.1

2.1.2 Figure 1. Distribution by Sex, Population and Country

Kernel density plot for all measured variables by Sample (Population and Country interaction) and Sex.

```
"BMI~(kg/m^2)",
                           "'Self-reported health'")
datpF <- subset(datp, datp$Sex == "Women")</pre>
datpM <- subset(datp, datp$Sex == "Men")</pre>
colfunc <- colorRampPalette(c("deepskyblue2", "brown2")) # custom colour palette</pre>
Fig1a <- ggplot(datpF, aes(Value,
                            fill = Sample,
                            colour = Sample)) +
 geom_density(alpha = 0.3) +
 scale_fill_manual(values = colfunc(3)) +
 scale_color_manual(values = colfunc(3)) +
 facet_wrap(~Measure,
             scales = "free",
             ncol = 5,
             labeller = label_parsed) +
 labs(y = "Density",
      x = NULL
       subtitle = "Women") +
  theme_light() +
  theme(strip.text.x = element_text(colour = "black"))
Fig1b <- ggplot(datpM, aes(Value,
                            fill = Sample,
                            colour = Sample)) +
  geom_density(alpha = 0.3) +
 scale_fill_manual(values = colfunc(3)) +
 scale_color_manual(values = colfunc(3)) +
  facet_wrap(. ~ Measure,
             scales = "free",
             labeller = label_parsed) +
 labs(y = "Density",
      x = NULL
       subtitle = "Men") +
  theme_light() +
  theme(strip.text.x = element_text(colour = "black"))
Fig1 <- ggarrange(Fig1a,</pre>
                  Fig1b,
                  nrow = 2,
                  labels = "auto",
                  legend = "bottom",
                  common.legend = TRUE)
Fig1
```

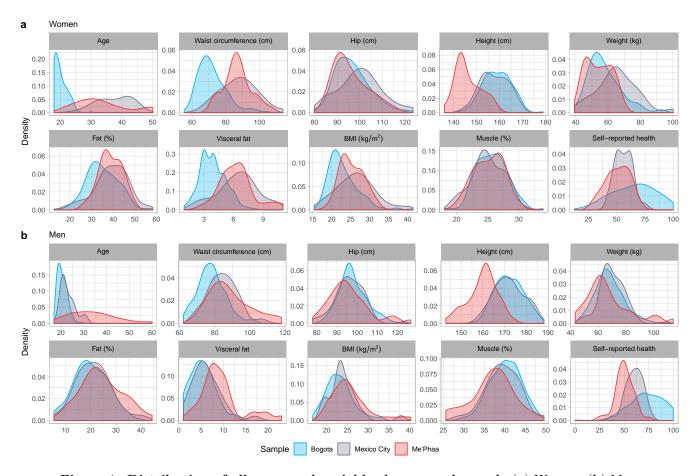


Figure 1. Distribution of all measured variables by sex and sample (a) Women. (b) Men.

2.1.3 Figure S1. Health, height, and waist by Sex and Sample.

Comparison of height, waist and health between women and men from each sample.

```
t_testHea <- dat %>%
  group_by(Sample) %>%
  t_test(Health ~ Sex) %>%
 adjust_pvalue() %>%
  add_significance("p.adj")
t_testHea$p.adj.signif[t_testHea$p.adj.signif == "ns"] <- NA
FigS1a <- ggboxplot(dat,</pre>
  x = "Sex",
  color = "Sex",
  palette = rev(colfunc(2)),
 add = "jitter") +
 facet_wrap(~Sample) +
  stat_pvalue_manual(t_testHea,
                     label = "p.adj.signif",
                     y.position = 105,
                      tip.length = 0.01) +
  labs(x = NULL,
       y = "Self-reported health") +
  theme_light() +
  theme(strip.text.x = element_text(colour = "black"),
```

```
legend.position = "none")
t_testHei <- dat %>%
 group_by(Sample) %>%
 t_test(Height ~ Sex) %>%
 adjust pvalue() %>%
 add_significance("p.adj")
t_testHei$p.adj.signif[t_testHei$p.adj.signif == "ns"] <- NA
FigS1b <- ggboxplot(dat,</pre>
 color = "Sex",
 palette = rev(colfunc(2)),
 add = "jitter") +
 facet_wrap(~Sample) +
 theme(legend.position = "none") +
 stat_pvalue_manual(t_testHei,
                     label = "p.adj.signif",
                     y.position = 195,
                     tip.length = 0.01) +
 labs(x = \overline{NULL},
  theme_light() +
  theme(strip.text.x = element_text(colour = "black"))
t_testWai <- dat %>%
 group_by(Sample) %>%
 t_test(Waist ~ Sex) %>%
 adjust_pvalue() %>%
 add_significance("p.adj")
t_testWai$p.adj.signif[t_testWai$p.adj.signif == "ns"] <- NA
FigS1c <- ggboxplot(dat,</pre>
 y = "Waist",
 color = "Sex",
 palette = rev(colfunc(2)),
 add = "jitter") +
 facet_wrap(~Sample) +
 theme(legend.position = "none") +
  stat_pvalue_manual(t_testWai,
                     label = "p.adj.signif",
                     y.position = 115,
                     tip.length = 0.01) +
 labs(x = NULL,
  theme light() +
  theme(strip.text.x = element_text(colour = "black"))
FigS1 <- ggarrange(FigS1a,</pre>
                   ggarrange(FigS1b,
                              FigS1c,
                              ncol = 2,
                              nrow = 1,
```

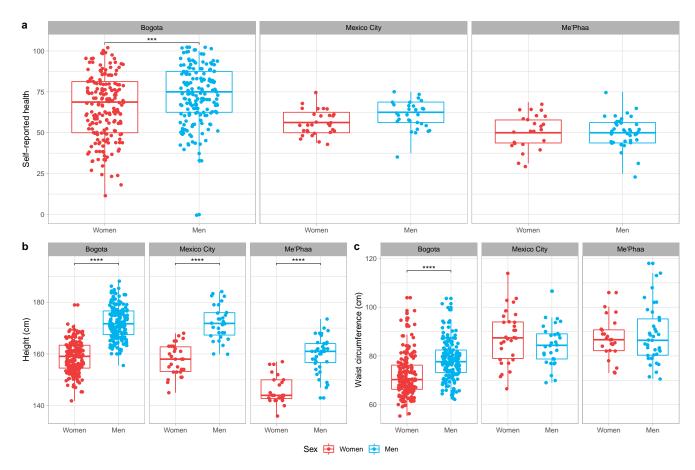


Figure S1. Sexual dimorphism of height, waist and health for all samples (a) Self-perceived health. (b) Height. (c) Waist. Comparisons between women and men for each sample, were performed using t-tests, adjusted for multiple tests. *** p < 0.001, **** p < 0.0001.

2.2 Correlations

2.2.1 Table S2. Correlation matrix (all participants)

```
corAll <- corstarsl(dat[, 5:14])
rownames(corAll) <- varnames
colnames(corAll) <- varnames[1:9]
TabS2 <- kable(
    corAll,
    booktabs = TRUE,
    align = "c",
    digits = 2,
    caption = "\\textbf{Table S2.} Correlations between measured variables
    for all participants",
    escape = FALSE) %>%
```

```
kable_styling(latex_options = c("scale_down", "HOLD_position")) %>%
footnote(
  general = "*$p$ < 0.05, **$p$ < 0.01, ***$p$ < 0.001",
  threeparttable = TRUE,
  escape = FALSE)
TabS2</pre>
```

Table S2. Correlations between measured variables for all participants

	Age	Waist circumference (cm)	Hip (cm)	Height (cm)	Weight (kg)	Fat (%)	Visceral fat	$\rm BMI~(kg/m^2)$	Muscle (%)
Age									
Waist circumference (cm)	0.46***								
Hip (cm)	0.05	0.67***							
Height (cm)	-0.29***	0.05	0.19***						
Weight (kg)	0.03	0.73***	0.81***	0.50***					
Fat (%)	0.19***	0.37***	0.54***	-0.55***	0.21***				
Visceral fat	0.40***	0.79***	0.59***	-0.06	0.68***	0.33***			
$BMI (kg/m^2)$	0.26***	0.81***	0.80***	-0.14**	0.78***	0.64***	0.80***		
Muscle (%)	-0.15***	-0.06	-0.25***	0.64***	0.13**	-0.91***	-0.07	-0.31***	
Self-reported health	-0.24***	-0.23***	-0.10*	0.27***	-0.03	-0.25***	-0.20***	-0.21***	0.23***

2.2.2 Table S3. Correlation matrix (women)

```
corF <- corstarsl(datF[, 5:14])
rownames(corF) <- varnames
colnames(corF) <- varnames[1:9]
TabS3 <- kable(
    corF,
    booktabs = TRUE, align = "c", digits = 2,
    caption = "\\textbf{Table S3.} Correlations between measured variables
    for women",
    escape = FALSE) %>%
    kable_styling(latex_options = c("scale_down", "HOLD_position")) %>%
    footnote(
        general = "*$p$ < 0.05, **$p$ < 0.01, ***$p$ < 0.001",
        threeparttable = TRUE,
        escape = FALSE)</pre>
```

Table S3. Correlations between measured variables for women

	Age	Waist circumference (cm)	Hip (cm)	Height (cm)	Weight (kg)	Fat (%)	Visceral fat	BMI (kg/m^2)	Muscle (%)
Age									
Waist circumference (cm)	0.56***								
Hip (cm)	0.13*	0.69***							
Height (cm)	-0.27***	-0.19**	0.15*						
Weight (kg)	0.12	0.73***	0.88***	0.29***					
Fat (%)	0.21**	0.79***	0.84***	-0.21**	0.81***				
Visceral fat	0.61***	0.87***	0.69***	-0.36***	0.66***	0.84***			
$BMI (kg/m^2)$	0.26***	0.84***	0.83***	-0.21**	0.87***	0.93***	0.86***		
Muscle (%)	-0.12	-0.54***	-0.60***	0.28***	-0.50***	-0.81***	-0.60***	-0.65***	
Self-reported health	-0.20**	-0.24***	-0.11	0.23***	-0.09	-0.22***	-0.25***	-0.20**	0.19**

Note:

2.2.3 Table S4. Correlation matrix (men)

```
corM <- corstarsl(datM[, 5:14])
rownames(corM) <- varnames</pre>
```

p < 0.05, p < 0.01, p < 0.01, p < 0.001

p < 0.05, p < 0.01, p < 0.01, p < 0.001

```
colnames(corM) <- varnames[1:9]
TabS4 <- kable(
  corM,
  booktabs = TRUE,
  align = "c",
  digits = 2,
  caption = "\\textbf{Table S4.} Correlations between measured variables
  for men",
  escape = FALSE) %>%
  kable_styling(latex_options = c("scale_down", "HOLD_position")) %>%
  footnote(
    general = "*$p$ < 0.05, **$p$ < 0.01, ***$p$ < 0.001",
    threeparttable = TRUE,
    escape = FALSE)
TabS4</pre>
```

Table S4. Correlations between measured variables for men

	Age	Waist circumference (cm)	$\mathrm{Hip}\ (\mathrm{cm})$	Height (cm)	Weight (kg)	Fat (%)	Visceral fat	$\mathrm{BMI}\ (\mathrm{kg/m^2})$	Muscle (%
Age									
Waist circumference (cm)	0.40***								
Hip (cm)	-0.05	0.68***							
Height (cm)	-0.44***	-0.13*	0.31***						
Weight (kg)	-0.01	0.70***	0.87***	0.39***					
Fat (%)	0.26***	0.83***	0.74***	-0.12	0.77***				
Visceral fat	0.39***	0.83***	0.62***	-0.34***	0.68***	0.86***			
BMI (kg/m^2)	0.26***	0.84***	0.76***	-0.16*	0.84***	0.90***	0.94***		
Muscle (%)	-0.37***	-0.82***	-0.69***	0.09	-0.68***	-0.93***	-0.82***	-0.79***	
Self-reported health	-0.29***	-0.32***	-0.09	0.23***	-0.10	-0.21**	-0.29***	-0.23***	0.24***

3 Models to predict self-reported health

Given that there are missing data (NAs) on some variables on a few participants, and to ensure models were comparable (by AICc), participants with missing data (NAs) were excluded to always have the same n regardless of which predictor variables are included.

In addition, because in interactions Waist and Height were included, these variables were mean-centred.

```
data <- dat[complete.cases(dat), ]
data$Age <- as.numeric(data$Age)
data$Waist_c <- c(scale(data$Waist, scale = FALSE))
data$Height_c <- c(scale(data$Height, scale = FALSE))
npersample <- data %>%
  group_by(Sample, Sex) %>%
  summarise(no_rows = length(Sex))
```

All models had a total n of 473 (Bogota: 184 women and 170 men; Mexico City: 30 women and 30 men; Me'Phaa: 24 women and 35 men).

3.1 Model fitting

We created three models.

3.1.1 Model 1

The first, full model (Model 1; mod1), included Age, Hip, Fat, VisceralFat, Weight, Muscle, and BMI as main effects, as well as all main effects and possible interactions between any combination of Height (centred), Waist (centred), Sex and Sample, as predictors of Health.

p < 0.05, p < 0.01, p < 0.01, p < 0.001

3.1.1.1 Table S5. Model 1 summary

```
mod1 <- lm(Health ~
             Sex * Waist_c * Height_c * Sample + Age +
             Hip + Fat + VisceralFat + Weight + Muscle + BMI,
           data = data)
summCols <- c(</pre>
  "$B$",
  "$SE(B)$",
  "$t$",
  "$p$")
ci.mod1 <- as.data.frame(confint(mod1))</pre>
ci.mod1$CI <- paste(round(ci.mod1$^2.5 %\, 3), round(ci.mod1$^97.5 %\, 3), sep = " - ")
s.mod1 <- summary(mod1)</pre>
tabm1 <- as.data.frame(s.mod1$coefficients)</pre>
tabm1 <- cbind(tabm1, ci.mod1$CI)</pre>
tabm1 <- summaSig(tabm1, 4)</pre>
tabm1 <- summTerms(tabm1)</pre>
tabm1 \leftarrow tabm1[,c(1,2,5,3,4)]
colnames(tabm1) <- summCols</pre>
TabS5 <- kable(
  tabm1,
  digits = 2,
  booktabs = TRUE,
  align = "c",
  caption = "\\textbf{Table S5.} Model 1 Summary",
  escape = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = paste0(
   round(s.mod1$r.squared, 3),
    round(s.mod1$adj.r.squared, 3),
    ", $F$(",
    paste(s.mod1$fstatistic[2],
          s.mod1$fstatistic[3], sep = ", "),
    ") = ", round(s.mod1$fstatistic[1], 2),
    ", $p$ ",
    pvalr(pf(s.mod1$fstatistic[1],
             s.mod1$fstatistic[2],
             s.mod1$fstatistic[3],
             lower.tail = FALSE),
          digits = 4),
    ". Women and Bogota were used as reference categories for Sex and
    Sample, respectively. For model terms: WC(c) = Waist circumference (centred);
    H(c) = Height (centred); S = Sample. Significant predictors are in bold."),
    escape = FALSE,
    threeparttable = TRUE)
TabS5
```

Table S5. Model 1 Summary

	В	SE(B)	95% CI	t	p
(Intercept)	78.72	31.30	17.206 - 140.23	2.52	0.012
Sex(men)	-0.22	8.24	-16.412 - 15.97	-0.03	0.979
WC(c)	-0.17	0.29	-0.733 - 0.398	-0.58	0.561
H(c)	0.67	0.64	-0.597 - 1.931	1.04	0.3
S(Mexico City)	-10.28	7.10	-24.24 - 3.675	-1.45	0.148
S(Me'Phaa)	-46.92	23.66	-93.422 — -0.419	-1.98	0.048
Age	0.19	0.22	-0.243 - 0.618	0.86	0.393
Hip	-0.31	0.24	-0.774 - 0.157	-1.30	0.193
Fat	-0.06	0.47	-0.984 - 0.859	-0.13	0.894
Visceral Fat	0.05	1.00	-1.914 - 2.021	0.05	0.957
Weight	-0.35	0.71	-1.747 - 1.05	-0.49	0.625
Muscle	0.38	0.67	-0.94 - 1.7	0.57	0.572
BMI	1.18	1.88	-2.518 - 4.888	0.63	0.53
$Sex(men) \times WC(c)$	0.51	0.40	-0.262 - 1.29	1.30	0.194
$Sex(men) \times H(c)$	-0.34	0.34	-1.011 - 0.322	-1.02	0.31
$WC(c) \times H(c)$	-0.01	0.03	-0.064 - 0.034	-0.60	0.55
$Sex(men) \times S(Mexico City)$	-4.57	9.27	-22.784 - 13.649	-0.49	0.622
$Sex(men) \times S(Me'Phaa)$	20.01	24.14	-27.435 - 67.449	0.83	0.408
$WC(c) \times S(Mexico City)$	0.26	0.48	-0.678 - 1.205	0.55	0.582
$WC(c) \times S(Me'Phaa)$	2.55	2.03	-1.426 - 6.535	1.26	0.208
$H(c) \times S(Mexico City)$	0.17	0.73	-1.262 - 1.6	0.23	0.817
$H(c) \times S(Me'Phaa)$	-1.92	1.20	-4.266 - 0.434	-1.60	0.11
$Sex(men) \times WC(c) \times H(c)$	-0.03	0.03	-0.096 - 0.04	-0.82	0.413
$Sex(men) \times WC(c) \times S(Mexico City)$	-0.89	0.79	-2.44 - 0.653	-1.14	0.257
$Sex(men) \times WC(c) \times S(Me'Phaa)$	-2.71	2.07	-6.782 - 1.36	-1.31	0.191
$Sex(men) \times H(c) \times S(Mexico City)$	0.04	0.92	-1.77 - 1.852	0.04	0.964
$Sex(men) \times H(c) \times S(Me'Phaa)$	1.60	1.40	-1.144 - 4.348	1.15	0.252
$WC(c) \times H(c) \times S(Mexico City)$	0.02	0.06	-0.103 - 0.138	0.28	0.778
$WC(c) \times H(c) \times S(Me'Phaa)$	0.15	0.11	-0.068 - 0.366	1.35	0.178
$Sex(men) \times WC(c) \times H(c) \times S(Mexico City)$	0.07	0.09	-0.117 - 0.255	0.73	0.464
$Sex(men) \times WC(c) \times H(c) \times S(Me'Phaa)$	-0.11	0.12	-0.355 - 0.132	-0.90	0.368

 $R^2=0.21,\ R^2_{adjusted}=0.156,\ F(30,\ 442)=3.91,\ p<0.001.$ Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold.

3.1.2 Model 2

To increase parsimony, two additional models were fitted. Model 2 (mod2), included only Age, and main effects and all possible interactions between any combination of Waist (centred), Height (centred), Sex, and Sample as predictors of Health.

3.1.2.1 Table S6. Model 2 summary

```
mod2 <- lm(Health ~
Sex * Waist_c * Height_c * Sample + Age,
data = data,
na.action = "na.fail")

ci.mod2 <- as.data.frame(confint(mod2))</pre>
```

```
ci.mod2$CI <- paste(round(ci.mod2$^2.5 %^, 3), round(ci.mod2$^97.5 %^, 3), sep = " - ")</pre>
s.mod2 <- summary(mod2)</pre>
tabm2 <- as.data.frame(s.mod2$coefficients)</pre>
tabm2 <- cbind(tabm2, ci.mod2$CI)</pre>
tabm2 <- summaSig(tabm2, 4)</pre>
tabm2 <- summTerms(tabm2)
tabm2 \leftarrow tabm2[,c(1,2,5,3,4)]
colnames(tabm2) <- summCols</pre>
TabS6 <- kable(
 tabm2,
 digits = 2,
 booktabs = TRUE,
 align = "c",
  caption = "\\textbf{Table S6.} Model 2 Summary",
  escape = FALSE) %>%
 kable_styling(latex_options = "HOLD_position") %>%
 footnote(general = paste0(
   "$R^2 = ",
    round(s.mod2$r.squared, 3),
   round(s.mod2$adj.r.squared, 3),
    ", $F$(",
    paste(s.mod2$fstatistic[2],
          s.mod2$fstatistic[3], sep = ", "),
    ") = ", round(s.mod2$fstatistic[1], 2),
    ", $p$ ",
    pvalr(pf(s.mod2$fstatistic[1],
             s.mod2$fstatistic[2],
             s.mod2$fstatistic[3],
             lower.tail = FALSE),
          digits = 4),
    ". Women and Bogota were used as reference categories for Sex and
   Sample, respectively. For model terms: WC(c) = Waist circumference (centred);
    H(c) = Height (centred); S = Sample. Significant predictors are in bold."),
    escape = FALSE,
    threeparttable = TRUE)
TabS6
```

Table S6. Model 2 Summary

	В	SE(B)	95% CI	t	p
(Intercept)	61.13	4.57	52.152 - 70.105	13.38	< 0.0001
Sex(men)	8.43	2.83	2.865 - 14	2.98	0.003
WC(c)	-0.42	0.20	-0.8050.031	-2.12	0.034
H(c)	0.36	0.24	-0.104 - 0.821	1.52	0.129
S(Mexico City)	-7.75	6.91	-21.322 - 5.822	-1.12	0.262
S(Me'Phaa)	-41.88	23.40	-87.868 - 4.113	-1.79	0.074
Age	0.17	0.20	-0.227 - 0.576	0.85	0.393
$Sex(men) \times WC(c)$	0.41	0.33	-0.238 - 1.063	1.25	0.213
$Sex(men) \times H(c)$	-0.40	0.31	-1.007 - 0.202	-1.31	0.191
$WC(c) \times H(c)$	-0.02	0.02	-0.065 - 0.023	-0.94	0.349
$Sex(men) \times S(Mexico City)$	-4.72	9.17	-22.749 - 13.31	-0.51	0.607
$Sex(men) \times S(Me'Phaa)$	17.40	23.96	-29.689 - 64.487	0.73	0.468
$WC(c) \times S(Mexico City)$	0.31	0.48	-0.629 - 1.242	0.64	0.521
$WC(c) \times S(Me'Phaa)$	2.51	2.02	-1.455 - 6.482	1.24	0.214
$H(c) \times S(Mexico City)$	0.14	0.72	-1.281 - 1.556	0.19	0.849
$H(c) \times S(Me'Phaa)$	-1.80	1.19	-4.131 - 0.534	-1.52	0.13
$Sex(men) \times WC(c) \times H(c)$	-0.02	0.03	-0.089 - 0.043	-0.68	0.496
$Sex(men) \times WC(c) \times S(Mexico City)$	-0.78	0.78	-2.304 - 0.753	-1.00	0.319
$Sex(men) \times WC(c) \times S(Me'Phaa)$	-2.58	2.06	-6.641 - 1.473	-1.25	0.211
$Sex(men) \times H(c) \times S(Mexico City)$	0.03	0.92	-1.769 - 1.837	0.04	0.97
$Sex(men) \times H(c) \times S(Me'Phaa)$	1.64	1.39	-1.087 - 4.372	1.18	0.238
$WC(c) \times H(c) \times S(Mexico City)$	0.02	0.06	-0.104 - 0.137	0.27	0.788
$WC(c) \times H(c) \times S(Me'Phaa)$	0.15	0.11	-0.069 - 0.363	1.33	0.183
$Sex(men) \times WC(c) \times H(c) \times S(Mexico City)$	0.06	0.09	-0.129 - 0.24	0.59	0.553
$Sex(men) \times WC(c) \times H(c) \times S(Me'Phaa)$	-0.11	0.12	-0.353 - 0.131	-0.90	0.368

 $R^2 = 0.201$, $R_{adjusted}^2 = 0.158$, F(24, 448) = 4.7, p < 0.001. Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold.

3.1.3 Model 3

Finally, for Model 3 (mod3), we used the functions dredge and model.sel from the package MuMIn (Multi-Model Inference); the first function creates a set of models with combinations (subsets) of fixed effect terms, from Model 2 (mod2), and the second builds a model selection table. In our case, these functions created and compared 334 models.

```
fitt <- dredge(mod2)
options(digits = 2)
m.sel <- model.sel(fitt)</pre>
```

3.1.3.1 Figure 2. Model selection plot

The best model (labelled 159, Fig. S2), included Height (centred), Sample, Sex, Waist (centred) and the interaction between Height (centred) and Waist (centred). However, given the age differences between samples, we selected the second-best model (labelled 160, Fig. S2), because it also included Age as a regressor, and had a $\Delta AICc$ of less than 2 compared to the best model. This model, including Age, was therefore selected as our final model (Model 3).

```
par(mar=c(1,4,10,3))
plot(fitt, labels = c(
   "Intercept",
```

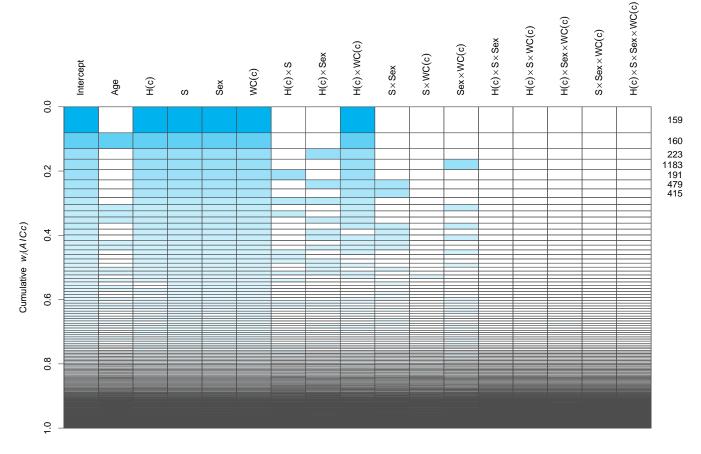


Figure 2. Model selection plot. Rows represent each of the 334 compared models. Cells coloured in blue represent included terms in each model, according to their Akaike weight $(w_i(AICc))$, represented as the height of each row/model. Given the important age differences between samples, we selected the second-best model (labelled **160**), because it had the same structure as the best model (labelled **159**), but also included Age as a regressor. Furthermore, this second-best model had a $\Delta AICc$ of less than 2 units (≈ 0.98) compared to the best model. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample.

3.1.3.2 Table S7. Model 3 summary

```
# Select second-best model and assign it as Model 3
mod3 <- get.models(fitt, subset = 2)[[1]]</pre>
s.mod3 <- summary(mod3)</pre>
ci.mod3 <- as.data.frame(confint(mod3))</pre>
ci.mod3$CI <- paste(round(ci.mod3$^2.5 %^, 3), round(ci.mod3$^97.5 %^, 3), sep = " - ")
tabm3 <- as.data.frame(s.mod3$coefficients)</pre>
tabm3 <- cbind(tabm3, ci.mod3$CI)
tabm3 <- summaSig(tabm3, 4)
tabm3 <- summTerms(tabm3)
tabm3 \leftarrow tabm3[,c(1,2,5,3,4)]
colnames(tabm3) <- summCols</pre>
TabS7 \leftarrow kable(tabm3, digits = 2,
  booktabs = TRUE, align = "c",
  caption = "\\textbf{Table S7.} Model 3 Summary",
  escape = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = paste0(
    "$R^2$ = ", round(s.mod3$r.squared, 3),
    ", $R^2_{adjusted}$ = ",
    round(s.mod3$adj.r.squared, 3), ", $F$(",
    paste(s.mod3$fstatistic[2],
          s.mod3$fstatistic[3], sep = ", "),
    ") = ", round(s.mod3$fstatistic[1], 2),
    ", $p$ ",
    pvalr(pf(s.mod3$fstatistic[1],
             s.mod3$fstatistic[2],
             s.mod3$fstatistic[3],
             lower.tail = FALSE),
          digits = 4),
    ". Women and Bogota were used as reference categories for Sex and
    Sample, respectively. For model terms: WC(c) = Waist circumference (centred);
    H(c) = Height (centred); S = Sample. Significant predictors are in bold."),
    escape = FALSE, threeparttable = TRUE)
TabS7
```

Table S7. Model 3 Summary

	В	SE(B)	95% CI	t	p
(Intercept) Age H(c) S(Mexico City) S(Me'Phaa)	61.40 0.17 0.16 -9.32 -16.78	3.77 0.16 0.12 2.87 3.53	53.983 — 68.815 -0.153 — 0.495 -0.077 — 0.403 -14.96 — -3.681 -23.722 — -9.83	16.3 1.0 1.3 -3.2 -4.8	<0.0001 0.299 0.183 0.001 <0.0001
$\begin{array}{l} Sex(men) \\ WC(c) \\ H(c) \times WC(c) \end{array}$	6.01 -0.28 -0.02	2.26 0.09 0.01	1.564 - 10.458 $-0.460.11$ $-0.0360.003$	2.7 -3.2 -2.3	$0.008 \\ 0.001 \\ 0.022$

Note:

 $R^2 = 0.183$, $R^2_{adjusted} = 0.171$, F(7, 465) = 14.88, p < 0.001. Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold.

3.2 Model comparison

3.2.1 Table 2. Summary of the three models

```
tab1_2 < -merge(tabm1[,c(1,2,4,5)],tabm2[,c(1,2,4,5)], by="row.names", all = TRUE)
rownames(tab1_2) <- tab1_2[,1]</pre>
tab1 2[,1] <- NULL
#reorder the interaction terms to match the other model summaries (first WC and then H)
rownames(tabm3)[rownames(tabm3) ==
                  "H(c) $\\times$ WC(c)"] <-
  "WC(c) $\\times$ H(c)"
tab1_3 \leftarrow merge(tab1_2, tabm3[, c(1,2,4,5)], by= "row.names", all = TRUE)
rownames(tab1_3) <- tab1_3[,1]
tab1_3[,1] <- NULL
Tab2 <- kable(
  tab1_3,
 digits = 2,
 booktabs = TRUE,
 align = "c",
  caption = "\\textbf{Table 2.} Results of separate LMs testing effects of independent
  col.names = rep(summCols[c(1,2,4,5)], 3),
  escape = FALSE) %>%
  add_header_above(c(" " = 1,
                     "Model 1" = 4,
                     "Model 3" = 4)) %>%
  kable_styling(latex_options = c("scale_down", "HOLD_position")) %>%
 footnote(general = paste0(
    round(s.mod1$r.squared, 3),
  ", $R^2_{adjusted}$ = ",
  round(s.mod1$adj.r.squared, 3),
  ", $F$(",
 paste(s.mod1$fstatistic[2],
       s.mod1$fstatistic[3], sep = ", "),
  ") = ", round(s.mod1$fstatistic[1], 2),
  ", $p$ ",
 pvalr(pf(s.mod1$fstatistic[1],
          s.mod1$fstatistic[2],
          s.mod1$fstatistic[3],
           lower.tail = FALSE),
        digits = 4),
  "; for Model 2, R^2 = ",
  round(s.mod2$r.squared, 3),
  ", $R^2_{adjusted}$ = ",
 round(s.mod2$adj.r.squared, 3),
  ", $F$(",
 paste(s.mod2$fstatistic[2],
       s.mod2$fstatistic[3], sep = ", "),
  ") = ", round(s.mod2$fstatistic[1], 2),
  ", $p$ ",
  pvalr(pf(s.mod2$fstatistic[1],
           s.mod2$fstatistic[2],
           s.mod2$fstatistic[3],
           lower.tail = FALSE),
```

```
digits = 4),
 round(s.mod3$r.squared, 3),
 round(s.mod3$adj.r.squared, 3),
 ", $F$(",
 paste(s.mod3$fstatistic[2],
       s.mod3$fstatistic[3], sep = ", "),
 ") = ", round(s.mod3$fstatistic[1], 2),
 ", $p$ ",
 pvalr(pf(s.mod3$fstatistic[1],
          s.mod3$fstatistic[2],
          s.mod3$fstatistic[3],
          lower.tail = FALSE),
       digits = 4),
 ". Women and Bogota were used as reference categories
 for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference
 escape = FALSE,
 threeparttable = TRUE)
Tab2
```

Table 2. Results of separate LMs testing effects of independent variables on self-reported health

		Mod	el 1			Mo	del 2			Mo	del 3	
	\overline{B}	SE(B)	t	p	В	SE(B)	t	p	B	SE(B)	t	p
(Intercept)	78.72	31.30	2.52	0.012	61.13	4.57	13.38	< 0.0001	61.40	3.77	16.3	< 0.0001
Age	0.19	0.22	0.86	0.393	0.17	0.20	0.85	0.393	0.17	0.16	1.0	0.299
BMI	1.18	1.88	0.63	0.53								
Fat	-0.06	0.47	-0.13	0.894								
H(c)	0.67	0.64	1.04	0.3	0.36	0.24	1.52	0.129	0.16	0.12	1.3	0.183
$H(c) \times S(Me'Phaa)$	-1.92	1.20	-1.60	0.11	-1.80	1.19	-1.52	0.13				
$H(c) \times S(Mexico City)$	0.17	0.73	0.23	0.817	0.14	0.72	0.19	0.849				
Hip	-0.31	0.24	-1.30	0.193								
Muscle	0.38	0.67	0.57	0.572								
S(Me'Phaa)	-46.92	23.66	-1.98	0.048	-41.88	23.40	-1.79	0.074	-16.78	3.53	-4.8	< 0.0001
S(Mexico City)	-10.28	7.10	-1.45	0.148	-7.75	6.91	-1.12	0.262	-9.32	2.87	-3.2	0.001
Sex(men)	-0.22	8.24	-0.03	0.979	8.43	2.83	2.98	0.003	6.01	2.26	2.7	0.008
$Sex(men) \times H(c)$	-0.34	0.34	-1.02	0.31	-0.40	0.31	-1.31	0.191				
$Sex(men) \times H(c) \times S(Me'Phaa)$	1.60	1.40	1.15	0.252	1.64	1.39	1.18	0.238				
$Sex(men) \times H(c) \times S(Mexico City)$	0.04	0.92	0.04	0.964	0.03	0.92	0.04	0.97				
$Sex(men) \times S(Me'Phaa)$	20.01	24.14	0.83	0.408	17.40	23.96	0.73	0.468				
$Sex(men) \times S(Mexico City)$	-4.57	9.27	-0.49	0.622	-4.72	9.17	-0.51	0.607				
$Sex(men) \times WC(c)$	0.51	0.40	1.30	0.194	0.41	0.33	1.25	0.213				
$Sex(men) \times WC(c) \times H(c)$	-0.03	0.03	-0.82	0.413	-0.02	0.03	-0.68	0.496				
$Sex(men) \times WC(c) \times H(c) \times S(Me'Phaa)$	-0.11	0.12	-0.90	0.368	-0.11	0.12	-0.90	0.368				
$Sex(men) \times WC(c) \times H(c) \times S(Mexico City)$	0.07	0.09	0.73	0.464	0.06	0.09	0.59	0.553				
$Sex(men) \times WC(c) \times S(Me'Phaa)$	-2.71	2.07	-1.31	0.191	-2.58	2.06	-1.25	0.211				
$Sex(men) \times WC(c) \times S(Mexico City)$	-0.89	0.79	-1.14	0.257	-0.78	0.78	-1.00	0.319				
Visceral Fat	0.05	1.00	0.05	0.957								
WC(c)	-0.17	0.29	-0.58	0.561	-0.42	0.20	-2.12	0.034	-0.28	0.09	-3.2	0.001
$WC(c) \times H(c)$	-0.01	0.03	-0.60	0.55	-0.02	0.02	-0.94	0.349	-0.02	0.01	-2.3	0.022
$WC(c) \times H(c) \times S(Me'Phaa)$	0.15	0.11	1.35	0.178	0.15	0.11	1.33	0.183				
$WC(c) \times H(c) \times S(Mexico City)$	0.02	0.06	0.28	0.778	0.02	0.06	0.27	0.788				
$WC(c) \times S(Me'Phaa)$	2.55	2.03	1.26	0.208	2.51	2.02	1.24	0.214				
$WC(c) \times S(Mexico City)$	0.26	0.48	0.55	0.582	0.31	0.48	0.64	0.521				
Weight	-0.35	0.71	-0.49	0.625								

For Model 1, $R^2 = 0.21$, $R^2_{adjusted} = 0.156$, F(30, 442) = 3.91, p < 0.001; for Model 2, $R^2 = 0.201$, $R^2_{adjusted} = 0.158$, F(24, 448) = 4.7, p < 0.001; for Model 3, $R^2 = 0.183$, $R^2_{adjusted} = 0.171$, F(7, 465) = 14.88, p < 0.001. Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold.

3.2.2 Table 3. Information criteria for the three models

In addition to being more parsimonious, Model 3 (mod3) had a lower Akaike information criterion (AICc), higher Akaike weight ($w_i(AICc)$), and higher $R^2_{adjusted}$ than the other two models.

```
aic1_3 <- AICctab(mod1,</pre>
                 mod2,
                 mod3,
                 weights = TRUE,
                 base = TRUE)
class(aic1_3) <- "data.frame"</pre>
tab3 <- aic1_3
row.names(tab3) <- c("Model 3", "Model 2", "Model 1")
tab3$weight <- format(round(tab3$weight, 8),
                       nsmall = 8,
                       scientific = FALSE)
Tab3 <- kable(</pre>
  tab3,
  align = "c",
  digits = 20,
  caption = "\\textbf{Table 3.} Information criteria for the three models",
  col.names = c("\$AICc\$", "\$\Delta AICc\$", "\$df\$", "\$w_{i}(AICc)\$"),
  booktabs = TRUE,
  escape = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = paste0("Model 31 is close to ";
                             format(round(aic1_3[1,4]/aic1_3[2,4], 10),
                                    big.mark = ","),
                             compared to Model 2, and about ",
                             format(round(aic1_3[1,4]/aic1_3[3,4], 12),
                                    big.mark = ",", scientific = FALSE),
                             " times compared to Model 1 (Model 2, was around ",
                             format(round(aic1_3[2,4]/aic1_3[3,4], 2),
                                    big.mark = ","), " times more likely
                             compared to Model 1). For a detailed description of values,
                             see the \\\href{https://www.shorturl.at/iGIKT}{ICtab}
                             function documentation."),
           escape = FALSE,
           threeparttable = TRUE)
Tab3
```

Table 3. Information criteria for the three models

	AICc	$\Delta AICc$	df	$w_i(AICc)$
Model 3	3999	0	9	0.99999782
Model 2	4025	26	26	0.00000215
Model 1	4034	35	32	0.00000003

Note:

Model 31 is close to 464,686 times more likely to be the best model compared to Model 2, and about 35,141,683 times compared to Model 1 (Model 2, was around 76 times more likely compared to Model 1). For a detailed description of values, see the ICtab function documentation.

3.3 Final model (Model 3)

3.3.1 Model diagnostics

3.3.1.1 Table S8. Variance Inflation Factors of Information criteria for Final Model (Model 3) predictors

```
mod3VIF <- as.data.frame(vif(mod3))</pre>
row.names(mod3VIF) <- c("Age",</pre>
                         "Height(c) $\\times$ Waist(c)")
TabS8 <- kable(mod3VIF,
      booktabs = TRUE,
      digits = 2,
      align = "c",
      caption = "\\textbf{Table S8.} Variance Inflation Factors of the Final Model
      (Model 3) predictors",
      col.names = c("\$GVIF\$", "\$df\$", "\$GVIF^{1/(2 \setminus times df)}\$"),
      escape = FALSE) %>%
        kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = "For a detailed description of values, see
  \\\href{https://www.rdocumentation.org/packages/car/versions/3.0-5/topics/vif}{vif}
           escape = FALSE,
           threeparttable = TRUE)
TabS8
```

Table S8. Variance Inflation Factors of the Final Model (Model 3) predictors

	GVIF	df	$GVIF^{1/(2 \times df)}$
Age	2.4	1	1.5
Height(c)	2.5	1	1.6
Sample	3.0	2	1.3
Sex	2.2	1	1.5
Waist circumference(c)	1.5	1	1.2
$Height(c) \times Waist(c)$	1.2	1	1.1

Note:

For a detailed description of values, see vif function documentation.

3.3.1.2 Figure S2. Residual distribution by sample and linearity in each (single term) factor

```
FigS2b1 <- ggplot(data.frame(x1 = mod3$model$Waist_c,</pre>
                             pearson = residuals(mod3,
                                                  type = "pearson")),
                 aes(x = x1,
                     y = pearson)) +
  geom_point(alpha = 0.3) +
  geom_smooth(method = "lm",
             color = colfunc(2)[2]) +
  labs(x = "Waist circumference (centred)",
  theme_light()
FigS2b2 <- ggplot(data.frame(x1 = mod3$model$Height_c,</pre>
                             pearson = residuals(mod3,
                                                  type = "pearson")),
                  aes(x = x1,
                     y = pearson)) +
  geom_point(alpha = 0.3) +
  geom_smooth(method = "lm",
             color = colfunc(2)[2]) +
  labs(x = "Height (centred)",
      y = NULL) +
  theme_light()
FigS2b3 <- ggplot(data.frame(x1 = mod3$model$Age,</pre>
                             pearson = residuals(mod3,
                                                  type = "pearson")),
                 aes(x = x1,
                     y = pearson)) +
  geom_point(alpha = 0.3) +
  geom_smooth(method = "lm",
             color = colfunc(2)[2]) +
  labs(x = "Age",
      y = NULL) +
  theme_light()
FigS2 <- ggarrange(FigS2a,</pre>
                    ggarrange(FigS2b1,
                              FigS2b2,
                              FigS2b3,
                              ncol = 3),
                    nrow = 2,
                    labels = "auto")
FigS2
```

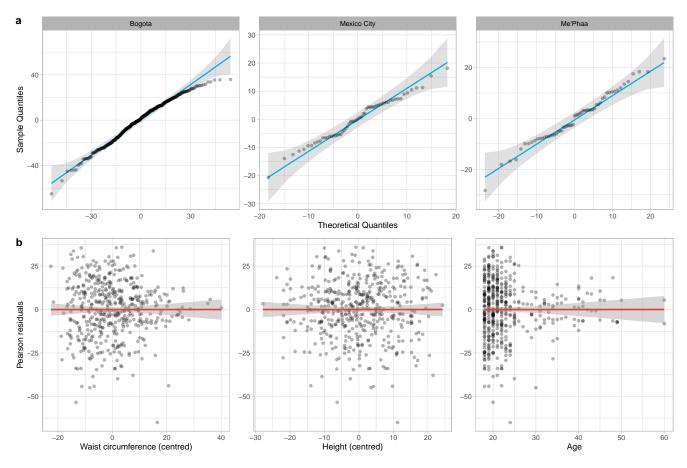


Figure S2. Model diagnostics. (a) Residual distribution for each sample. (b) Linearity in each (single term) fixed factor.

3.3.2 Table 4. Model 3 summary, including Height \times Waist Interaction

```
slopes <- sim_slopes(mod3,</pre>
            pred = Height_c,
            modx = Waist_c)
slo <- slopes$slopes</pre>
slo$CI <- paste(round(slo$`2.5%`, 3),</pre>
                  round(slo\$`97.5\%`, 3), sep = " - ")
slo \leftarrow slo[,c(1:3,8,6:7)]
rownames(slo) \leftarrow c("WC(c) - 1 SD = ",
                      "WC(c) + 1 SD = ")
rownames(slo) <- paste0(rownames(slo),</pre>
                           round(slo$`Value of Waist_c`, 2))
slo <- summaSig(slo, 6)</pre>
slo[,1] <- NULL</pre>
colnames(slo) <- colnames(tabm2)</pre>
mod3Tab <- rbind(tabm3, slo)</pre>
Tab4 <- kable(mod3Tab,
      align = "c",
       caption = "\\textbf{Table 4.} Model 3 summary, including
```

```
Height $\\times$ Waist Interaction",
      booktabs = TRUE,
     escape = FALSE) %>%
  pack_rows(group_label = "Simple slope analysis for H(c) at different values of WC(c)",
            start_row = 9,
            end_row = 11,
            hline after = TRUE,
            bold = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = paste0("As waist reference, the centred values used
                            are equivalent to -1 SD (",
                            round(mean(data$Waist) - sd(data$Waist), 2),
                            round(mean(data$Waist), 2),
                            round(mean(data$Waist) + sd(data$Waist), 2),
                            " cm). Women and Bogota were used as reference
                            categories for Sex and Sample, respectively. For model terms:
                            WC(c) = Waist circumference (centred); H(c) = Height
                            (centred); S = Sample. Significant predictors are in bold."),
   escape = FALSE,
    threeparttable = TRUE)
Tab4
```

Table 4. Model 3 summary, including Height × Waist Interaction

	В	SE(B)	95% CI	t	p
(Intercept)	61.40	3.77	53.983 - 68.815	16.27	< 0.0001
Age	0.17	0.16	-0.153 - 0.495	1.04	0.299
H(c)	0.16	0.12	-0.077 - 0.403	1.33	0.183
S(Mexico City)	-9.32	2.87	-14.963.681	-3.25	0.001
S(Me'Phaa)	-16.78	3.53	-23.722 — -9.83	-4.75	< 0.0001
Sex(men)	6.01	2.26	1.564 - 10.458	2.66	0.008
WC(c)	-0.28	0.09	-0.460.11	-3.20	0.001
$WC(c) \times H(c)$	-0.02	0.01	-0.0360.003	-2.30	0.022
Simple slope analysis for H(c) at different values of WC(c)					
WC(c) - 1 SD = -10.4	0.37	0.15	0.075 - 0.657	2.47	0.014
WC(c) Mean = 0	0.16	0.12	-0.077 - 0.403	1.33	0.183
WC(c) + 1 SD = 10.4	-0.04	0.15	-0.341 - 0.261	-0.26	0.795

As waist reference, the centred values used are equivalent to -1 SD (67.49 cm), mean (77.89 cm), and +1 SD (88.3 cm). Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold.

3.3.3 Figure 3. Model 3 estimates and Height \times Waist Interaction

```
Fig3a <- plot_summs(</pre>
 mod3,
 coefs = c("Age" = "Age",
            "H(c)" = "Height_c",
            "S(Mexico City)" = "SampleMexico City",
            "S(Me'Phaa)" = "SampleMe'Phaa",
            "Sex(Men)" = "SexMen",
 theme_light() +
 ylab("Terms")
Fig3b <- interact_plot(</pre>
 mod3,
  pred = Height_c,
 modx = Waist_c,
 interval = TRUE,
 legend.main = "WC(c) \n reference",
              colors = colfunc(3)) +
  theme_light() +
 ylab("Self-reported health") +
 xlab("Height (c)")
Fig3cDat <- johnson_neyman(
 mod3,
  pred = Height_c,
 modx = Waist_c,
 alpha = .05,
 sig.color = colfunc(2)[1],
 insig.color = colfunc(2)[2])
Fig3c <- Fig3cDat$plot +
  theme_light() +
 labs(title = NULL) +
 ylab("Slope of Height (c)") +
 xlab("Waist circumference (c)") +
 labs(fill = "Significance")
Fig3 <- ggarrange(Fig3a,</pre>
                  ggarrange(Fig3b,
                             Fig3c,
                             nrow = 2,
                             align = "v",
                             labels = c("b", "c")),
                  ncol = 2,
                  labels = "a")
Fig3
```

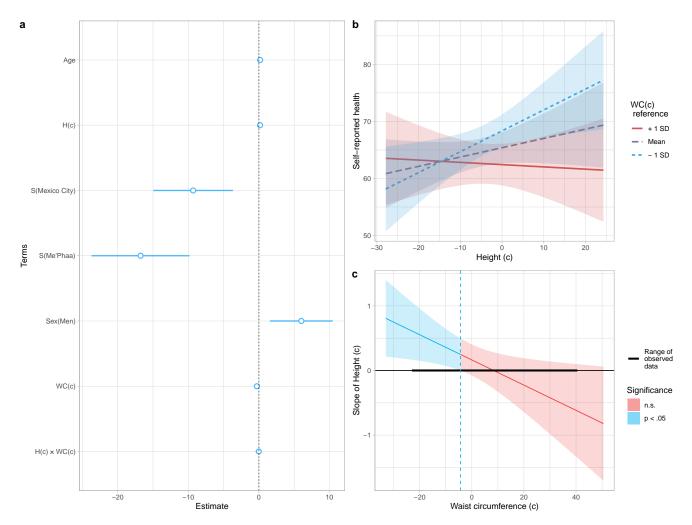


Figure 3. Model 3 estimates and interaction between Height and Waist. Values of Height and Waist were centred: for Height, uncentred mean \pm SD = 163.85 \pm 9.86 cm; for Waist circumference, uncentred mean \pm SD = 77.89 \pm 10.4 cm. (a) Estimates and 95% CI for each model term. For categorical predictors, women and Bogota were used as reference levels. For model terms, WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. (b) Interaction between Height and Waist. As waist reference, -1 SD (67.49 cm), mean (77.89 cm), and +1 SD (88.3 cm) values were used, showed on a blue to red colour scale. (c) Johnson-Neyman plot, showing for which values of Waist (centred), the slope of Height (centred) is significant as a predictor of Self-reported health; these slopes are predicted to be significant and positive for centred Waists circumferences below -4.38 (73.51 cm), and negative above 68.85 (146.74 cm; not shown as it is a prediction for extreme values, beyond the ones found in any of our samples).

3.4 Alternative final model (Model 3A)

Given the extensive literature showing visceral fat to be a reliable marker of abdominal adiposity, and its health-related costs, we created an alternative version of the final model (Model 3), by replicating the model selection process, but replacing each instance of Heigth (centred) for VisceralFat (centred). This is, fitting an alternative Model 2, and repeating the same selection process.

3.4.1 Table S9. Model 3A summary

```
Hip + Fat + VisFat_c + Weight + Muscle + BMI,
            data = data)
mod2a <- lm(Health ~
              Sex * VisFat_c * Height_c * Sample + Age,
            data = mod1a model,
            na.action = "na.fail")
fitta <- dredge(mod2a)
options(digits = 2)
m.sel <- model.sel(fitta)</pre>
mod3a <- get.models(fitta, subset = 1)[[1]]</pre>
# Create and format summary data.frame
s.mod3a <- summary(mod3a)</pre>
ci.mod3a <- as.data.frame(confint(mod3a))</pre>
ci.mod3a$CI <- paste(round(ci.mod3a$`2.5 %`, 3), round(ci.mod3a$`97.5 %`, 3), sep = " - ")</pre>
tabm3a <- as.data.frame(s.mod3a$coefficients)</pre>
tabm3a <- cbind(tabm3a, ci.mod3a$CI)
tabm3a <- summaSig(tabm3a, 4)</pre>
tabm3a <- summTerms(tabm3a)
row.names(tabm3a) <- str_replace(row.names(tabm3a),</pre>
                                       "VisFat_c", "VF(c)")
tabm3a \leftarrow tabm3a[,c(1,2,5,3,4)]
colnames(tabm3a) <- summCols</pre>
slopesa <- sim_slopes(mod3a,</pre>
            pred = Height_c,
            modx = VisFat_c)
sloa <- slopesa$slopes</pre>
sloa$CI <- paste(round(sloa$\cdot2.5\cdot\cdot\cdot), 3),</pre>
                 round(sloa$`97.5%`, 3), sep = " - ")
sloa \leftarrow sloa[,c(1:3,8,6:7)]
rownames(sloa) \leftarrow c("VF(c) - 1 SD = ",
                     "VF(c) Mean = ",
                     "VF(c) + 1 SD = ")
rownames(sloa) <- paste0(rownames(sloa),</pre>
                          round(sloa$`Value of VisFat_c`, 2))
sloa <- summaSig(sloa, 6)
sloa[,1] <- NULL</pre>
colnames(sloa) <- colnames(tabm2)</pre>
mod3aTab <- rbind(tabm3a, sloa)</pre>
TabS9 <- kable(mod3aTab,</pre>
      align = "c",
      caption = "\\textbf{Table S9.} Model 3A summary, including
      Height $\\times$ Visceral Fat Interaction",
      booktabs = TRUE,
      escape = FALSE) %>%
  pack_rows(group_label = "Simple slope analysis for H(c) at different values of VF(c)",
             start_row = 11,
             end_row = 13,
             hline_after = TRUE,
             bold = FALSE) %>%
  kable_styling(latex_options = "HOLD_position") %>%
  footnote(general = paste0("$R^2$ = ", round(s.mod3a$r.squared, 3),
```

```
", $R^2 {adjusted}$ = ",
   round(s.mod3a$adj.r.squared, 3), ", $F$(",
   paste(s.mod3a$fstatistic[2],
         s.mod3a$fstatistic[3], sep = ", "),
   ") = ", round(s.mod3a\$fstatistic[1], 2), ", \$p\$ ",
   pvalr(pf(s.mod3a$fstatistic[1],
            s.mod3a$fstatistic[2],
            s.mod3a$fstatistic[3],
            lower.tail = FALSE),
         digits = 4),
   ". Women and Bogota were used as reference categories for Sex and Sample,
   respectively. For model terms: WC(c) = Waist circumference (centred); H(c) =
   Height (centred); S = Sample. Significant predictors are in bold. As visceral
   fat reference, the centred values used are equivalent to -1 SD (",
                            round(mean(data$VisceralFat) -
                                    sd(data$VisceralFat), 2),
                            "), mean (", round(mean(data$VisceralFat), 2),
                            "), and +1 SD (", round(mean(data$VisceralFat) +
                                    sd(data$VisceralFat), 2),
                            "). Women and Bogota were used as reference
                            categories for Sex and Sample, respectively. For model terms:
                            WC(c) = Waist circumference (centred); VF(c) = Visceral Fat
   escape = FALSE,
   threeparttable = TRUE)
TabS9
```

Table S9. Model 3A summary, including Height × Visceral Fat Interaction

	B	SE(B)	95% CI	t	p
(Intercept)	62.52	1.76	59.067 - 65.976	35.56	< 0.0001
H(c)	0.05	0.12	-0.19 - 0.297	0.43	0.667
S(Mexico City)	-4.68	3.72	-11.982 - 2.632	-1.26	0.209
S(Me'Phaa)	-10.40	4.23	-18.715 — -2.081	-2.46	0.014
Sex(men)	9.39	2.70	4.078 - 14.702	3.47	< 0.001
VF(c)	-2.20	0.79	-3.7450.65	-2.79	0.005
$H(c) \times VF(c)$	-0.10	0.04	-0.1730.028	-2.73	0.007
$S(Mexico City) \times Sex(men)$	-6.74	4.94	-16.459 - 2.969	-1.36	0.173
$S(Me'Phaa) \times Sex(men)$	-10.91	5.28	-21.2970.527	-2.06	0.039
$Sex(men) \times VF(c)$	1.97	0.91	0.182 - 3.766	2.16	0.031
Simple slope analysis for H(c) at different values of VF(c)					
VF(c) - 1 SD = -2.88	0.34	0.16	0.037 - 0.649	2.20	0.028
VF(c) Mean = 0	0.05	0.12	-0.19 - 0.297	0.43	0.667
VF(c) + 1 SD = 2.88	-0.24	0.17	-0.571 - 0.099	-1.38	0.167

 $R^2=0.188,\,R_{adjusted}^2=0.172,\,F(9,\,463)=11.87,\,p<0.001.$ Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); H(c) = Height (centred); S = Sample. Significant predictors are in bold. As visceral fat reference, the centred values used are equivalent to -1 SD (2.39), mean (5.27), and +1 SD (8.15). Women and Bogota were used as reference categories for Sex and Sample, respectively. For model terms: WC(c) = Waist circumference (centred); VF(c) = Visceral Fat (centred); S = Sample. Significant predictors are in bold.

3.4.2 Figure S3. Model 3 estimates and Height \times Waist Interaction

```
FigS3a <- plot_summs(
  mod3a,
  coefs = c("H(c)" = "Height_c",
            "S(Me'Phaa)" = "SampleMe'Phaa",
            "Sex(Men)" = "SexMen",
            "VF(c)" = "VisFat_c",
            "H(c) × VF(c)" = "Height_c:VisFat_c",
            "Sex(Men) × VF(c)" = "SexMen:VisFat c")) +
  theme_light() +
  ylab("Terms")
FigS3b <- interact_plot(</pre>
  mod3a,
  pred = Height_c,
  modx = VisFat_c,
  interval = TRUE,
  legend.main = "VF(c) \n reference",
              colors = colfunc(3)) +
  theme_light() +
  ylab("Self-reported health") +
  xlab("Height (c)")
FigS3dDat <- johnson_neyman(</pre>
 mod3a,
  pred = Height_c,
 modx = VisFat_c,
  alpha = .05,
 sig.color = colfunc(2)[1],
  insig.color = colfunc(2)[2])
FigS3c <- FigS3dDat$plot +</pre>
  theme_light() +
  labs(title = NULL) +
  ylab("Slope of Height (c)") +
  xlab("Visceral Fat (c)") +
  labs(fill = "Significance")
FigS3 <- ggarrange(FigS3a,</pre>
                    ggarrange(FigS3b,
                              FigS3c,
                              nrow = 2,
                              align = "v",
                              labels = c("b", "c")),
                    ncol = 2,
                    labels = "a")
FigS3
```

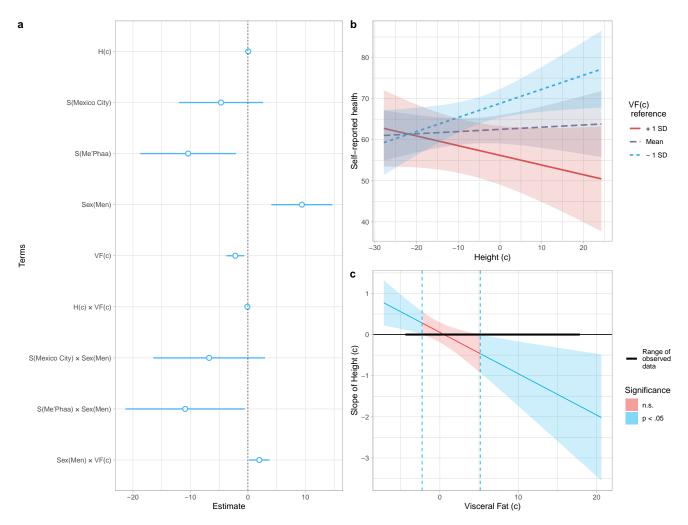


Figure S3. Model 3A estimates and interactions. Values of Height and Visceral Fat were centred: for Height, uncentred mean \pm SD = 163.85 \pm 9.86 cm; for Visceral Fat, uncentred mean \pm SD = 5.27 \pm 2.88. (a) Estimates and 95% CI for each model term. For categorical predictors, women and Bogota were used as reference levels. For model terms, VF(c) = Visceral Fat (centred); H(c) = Height (centred); S = Sample. (b) Interaction between Height and Visceral Fat. As Visceral Fat reference, -1 SD (2.39), mean (5.27), and +1 SD (8.15) values were used, showed on a blue to red colour scale. (c) Johnson-Neyman plot, showing for which values of Visceral Fat (centred), the slope of Height (centred) is significant as a predictor of Self-reported health; these slopes are predicted to be significant and positive for centred Visceral Fat levels below -2.27 (3.002 uncentred), and negative for values above 5.15 (10.42 uncentred).

3.4.3 Table S10. Information criteria for the alternative and final models

In addition to being more parsimonious, Model 3 (mod3) had a lower Akaike information criterion (AICc), and higher Akaike weight ($w_i(AICc)$) than the alternative final model, but the $\Delta AICc$ was less that 2 units.

```
tabs10,
 align = "c",
 digits = 20,
 caption = "\\textbf{Table S10.} Information criteria for alternative and final models",
 col.names = c("$AICc$", "$\\Delta AICc$", "$df$", "$w_{i}(AICc)$"),
 booktabs = TRUE,
 escape = FALSE) %>%
 kable_styling(latex_options = "HOLD_position") %>%
 footnote(general = paste0("Model 3 is close to ",
                            format(round(aicf1_2[1,4]/aicf1_2[2,4], 10),
                                   big.mark = ","),
                            compared to the Aternative Model 3.
                            For a detailed description of values,
                            see \\\href{https://www.shorturl.at/iGIKT}{ICtab}
                            function documentation."),
           escape = FALSE,
           threeparttable = TRUE)
TabS10
```

Table S10. Information criteria for alternative and final models

	AICc	$\Delta AICc$	df	$w_i(AICc)$
Model 3	3999	0.0	9	0.68
Alternative Model 3	4001	1.5	11	0.32

Model 3 is close to 2.1 times more likely to be the best model compared to the Aternative Model 3. For a detailed description of values, see ICtab function documentation.

4 Session info (for reproducibility)

```
library(pander)
pander(sessionInfo(), locale = FALSE)
```

R version 3.6.1 (2019-07-05)

Platform: x86_64-w64-mingw32/x64 (64-bit)

attached base packages: stats4, stats, graphics, grDevices, utils, datasets, methods and base

 $\begin{array}{l} \textbf{loaded via a namespace (and not attached):} \ readxl(v.1.3.1), \ backports(v.1.1.5), \ VGAM(v.1.1-1), \ plyr(v.1.8.4), \\ lazyeval(v.0.2.2), \ sp(v.1.3-1), \ splines(v.3.6.1), \ unmarked(v.0.12-3), \ urltools(v.1.7.3), \ digest(v.0.6.22), \ html-tools(v.0.4.0), \ gdata(v.2.18.0), \ checkmate(v.1.9.4), \ AICcmodavg(v.2.2-2), \ cluster(v.2.1.0), \ openxlsx(v.4.1.2), \ modelr(v.0.1.5), \ sandwich(v.2.5-1), \ colorspace(v.1.4-1), \ rvest(v.0.3.4), \ haven(v.2.1.1), \ xfun(v.0.10), \ crayon(v.1.3.4), \\ jsonlite(v.1.6), \ lme4(v.1.1-21), \ zeallot(v.0.1.0), \ zoo(v.1.8-6), \ glue(v.1.3.1), \ gtable(v.0.3.0), \ webshot(v.0.5.1), \\ DEoptimR(v.1.0-8), \ abind(v.1.4-5), \ scales(v.1.0.0), \ Rcpp(v.1.0.2), \ viridisLite(v.0.3.0), \ xtable(v.1.8-4), \ htmlTable(v.1.13.2), \\ ggstance(v.0.3.3), \ foreign(v.0.8-71), \ htmlwidgets(v.1.5.1), \ httr(v.1.4.1), \ gplots(v.3.0.1.1), \ RColorBrewer(v.1.1-2), \\ \end{array}$

acepack(v.1.4.1), pkgconfig(v.2.0.3), nnet(v.7.3-12), crul(v.0.8.4), tidyselect(v.0.2.5), labeling(v.0.3), rlang(v.0.4.1), reshape2(v.1.4.3), munsell(v.0.5.0), cellranger(v.1.1.0), tools(v.3.6.1), cli(v.1.1.0), generics(v.0.0.2), broom(v.0.5.2), evaluate(v.0.14), yaml(v.2.2.0), fs(v.1.3.1), zip(v.2.0.4), robustbase(v.0.93-5), caTools(v.1.17.1.2), nlme(v.3.1-140), xml2(v.1.2.2), compiler(v.3.6.1), pbkrtest(v.0.4-7), rstudioapi(v.0.10), curl(v.4.2), ggsignif(v.0.6.0), stringi(v.1.4.3), highr(v.0.8), Matrix(v.1.2-17), nloptr(v.1.2.1), vctrs(v.0.2.0), pillar(v.1.4.2), lifecycle(v.0.1.0), triebeard(v.0.3.0), pwr(v.1.2-2), cowplot(v.1.0.0), bitops(v.1.0-6), raster(v.3.0-7), R6(v.2.4.0), latticeExtra(v.0.6-28), KernSmooth(v.2.23-15), rio(v.0.5.16), codetools(v.0.2-16), boot(v.1.3-22), MASS(v.7.3-51.4), gtools(v.3.8.1), assertthat(v.0.2.1), withr(v.2.1.2), httpcode(v.0.2.0), mnormt(v.1.5-5), parallel(v.3.6.1), hms(v.0.5.2), grid(v.3.6.1), rpart(v.4.1-15), minqa(v.1.2.4), rmarkdown(v.1.16), numDeriv(v.2016.8-1.1), gvlma(v.1.0.0.3), lubridate(v.1.7.4) and base64enc(v.0.1-3)

5 Supplementary Reference

1. Lugo A, L. H., García E, H. I. & Gómez R, C. Confiabilidad del cuestionario de calidad de vida en salud SF-36 en Medellín, Colombia. *Rev. Fac. Nac. Salud Publica* 24, 37–50, http://www.scielo.org.co/scielo.php?script=sci_arttext&pid=S0120-386X2006000200005 (2006).