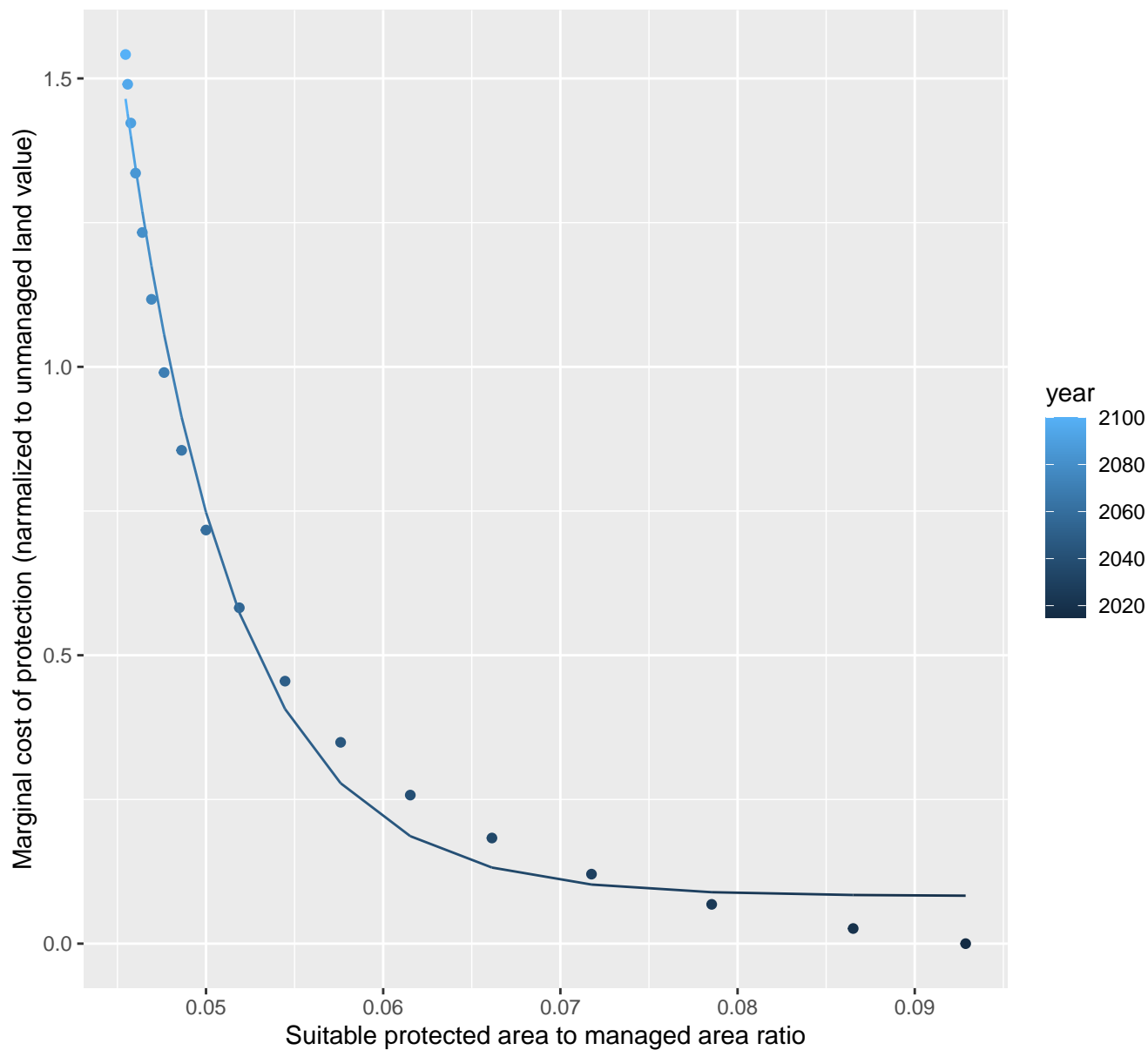


# 2087 marginal protection cost ratio

nls random pval = 0.00355

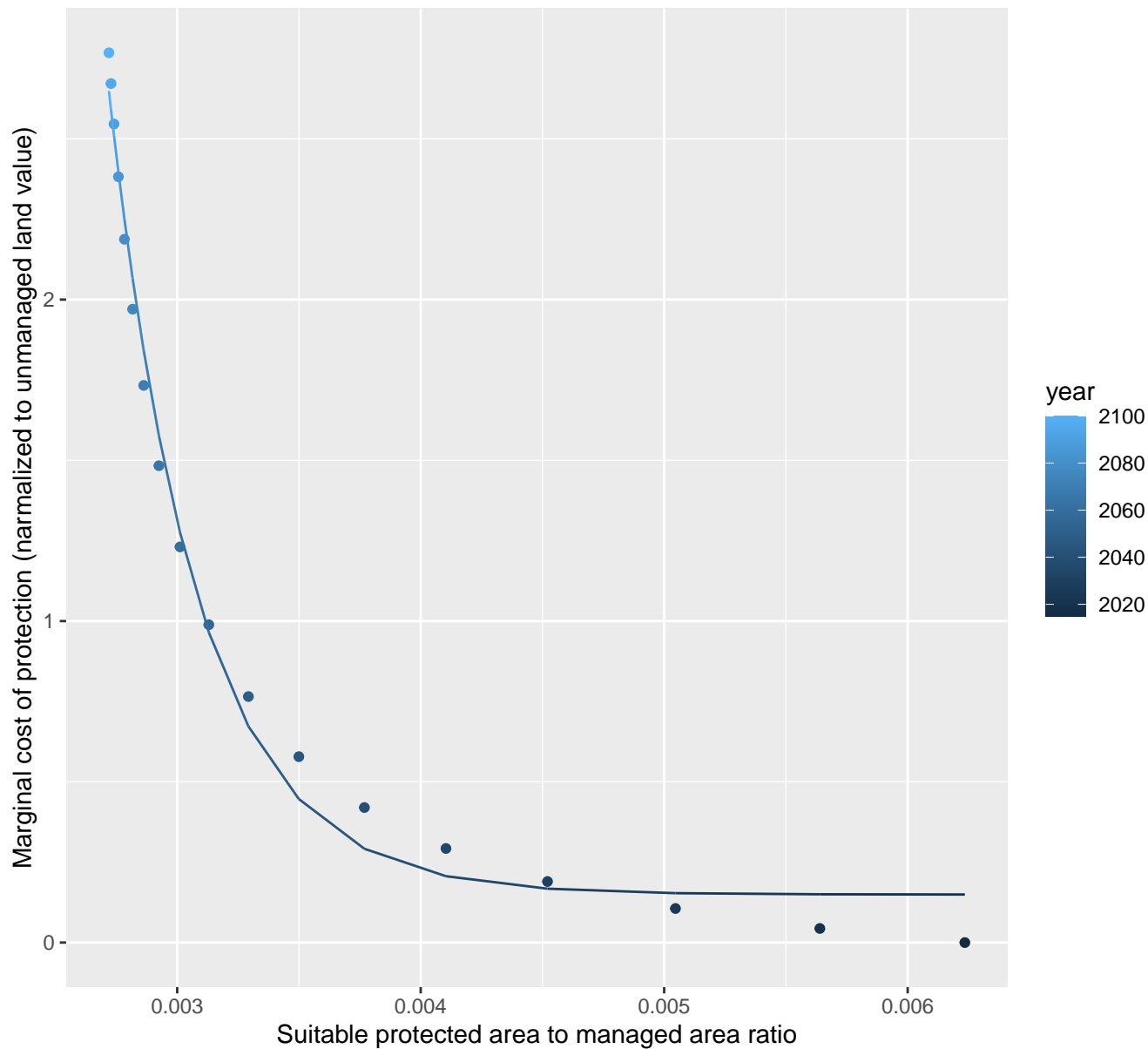
$$y=0.08+2092.12*\exp(-161.07*x)$$



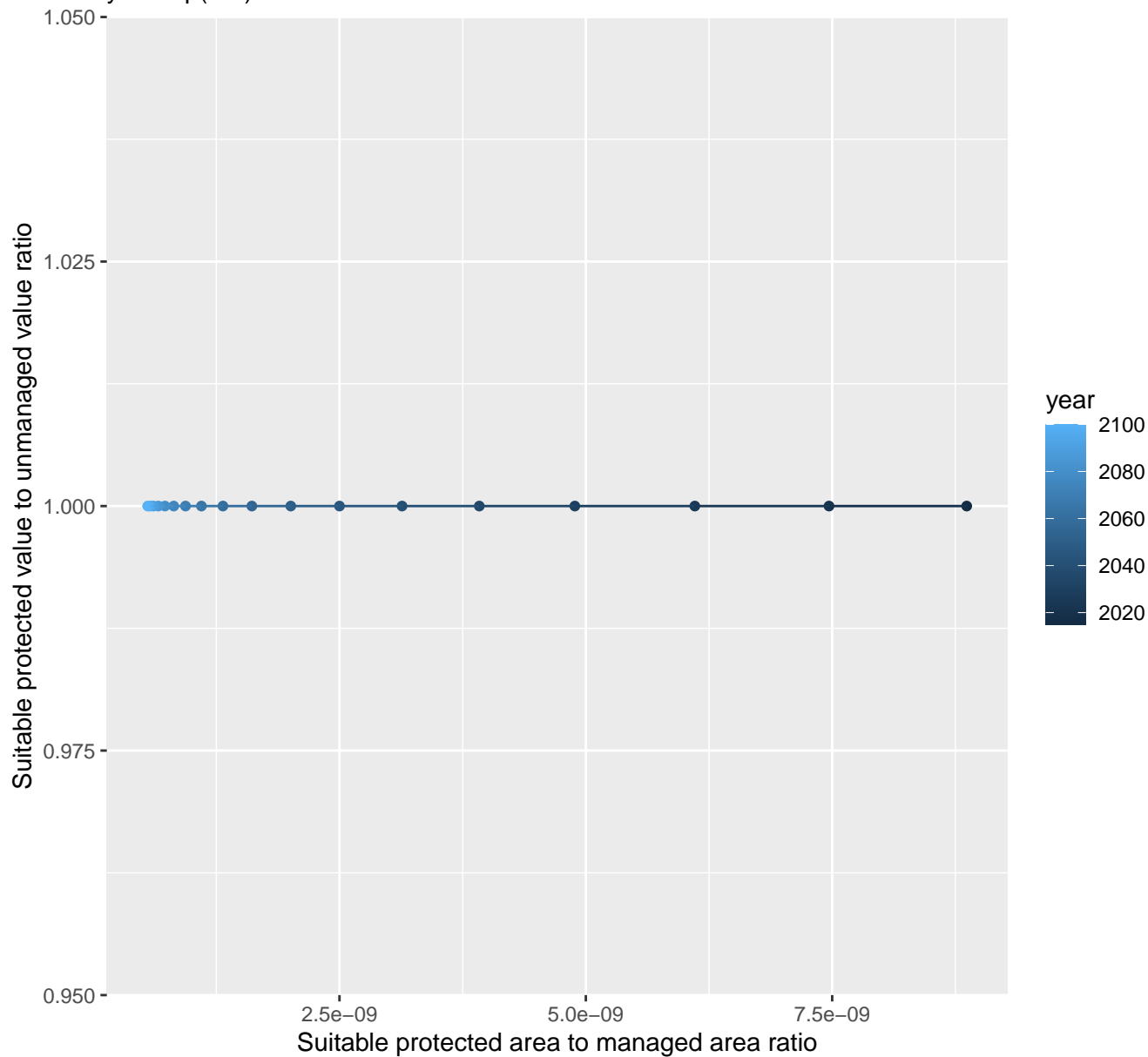
# 2100 marginal protection cost ratio

nls random pval = 0.00355

$$y=0.15+4192.14*\exp(-2730.14*x)$$



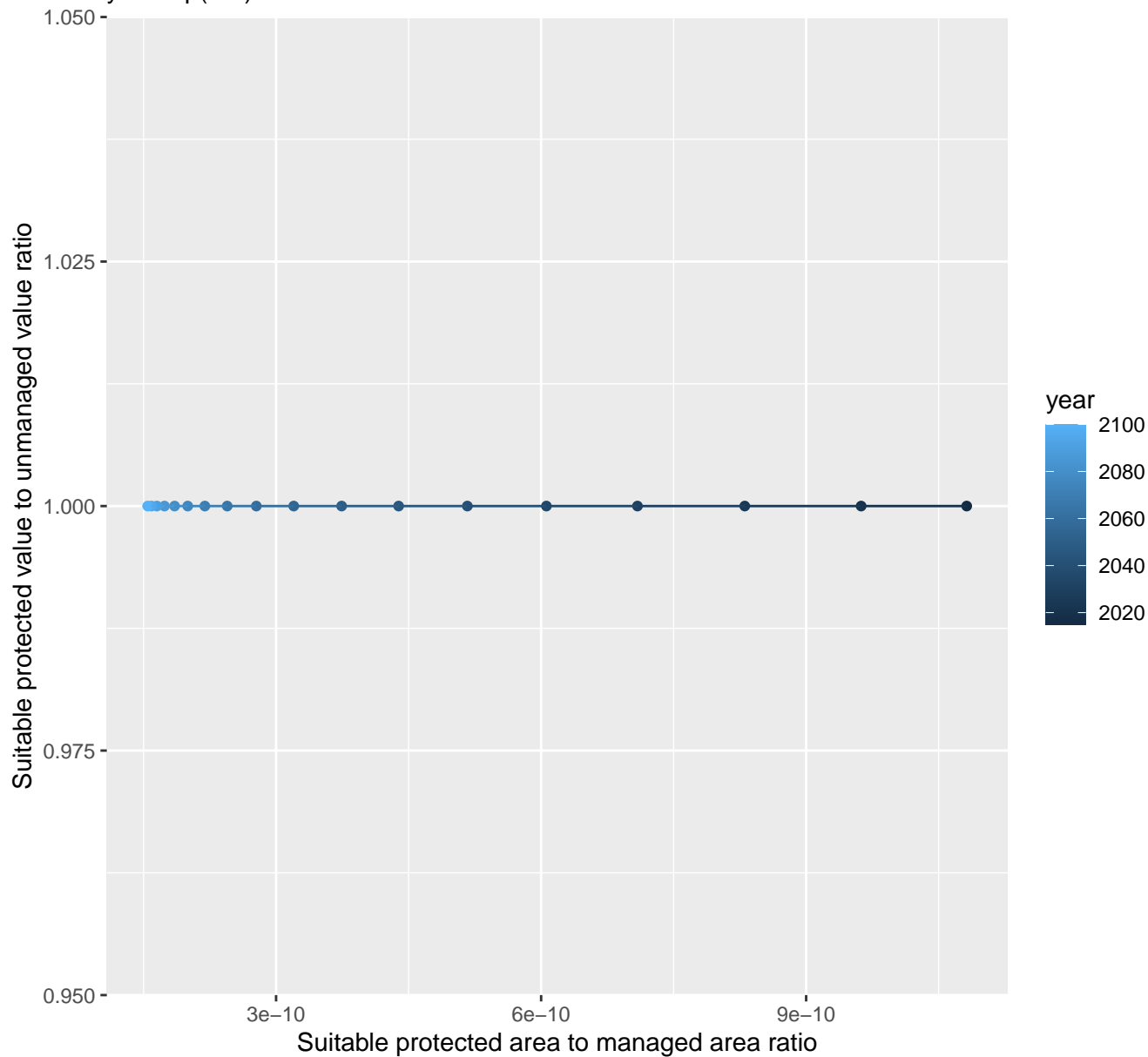
linear-log(y)  $r^2 = 0.04442$  pval = 0.40121 random pval = 0.88827  
 $y = 1 * \exp(0 * x)$

$$y = 1 * \exp(0 * x)$$


## 2151 marginal protection cost ratio

linear-log(y)  $r^2 = 0.08043$   $pval = 0.25411$  random  $pval = 0.74799$

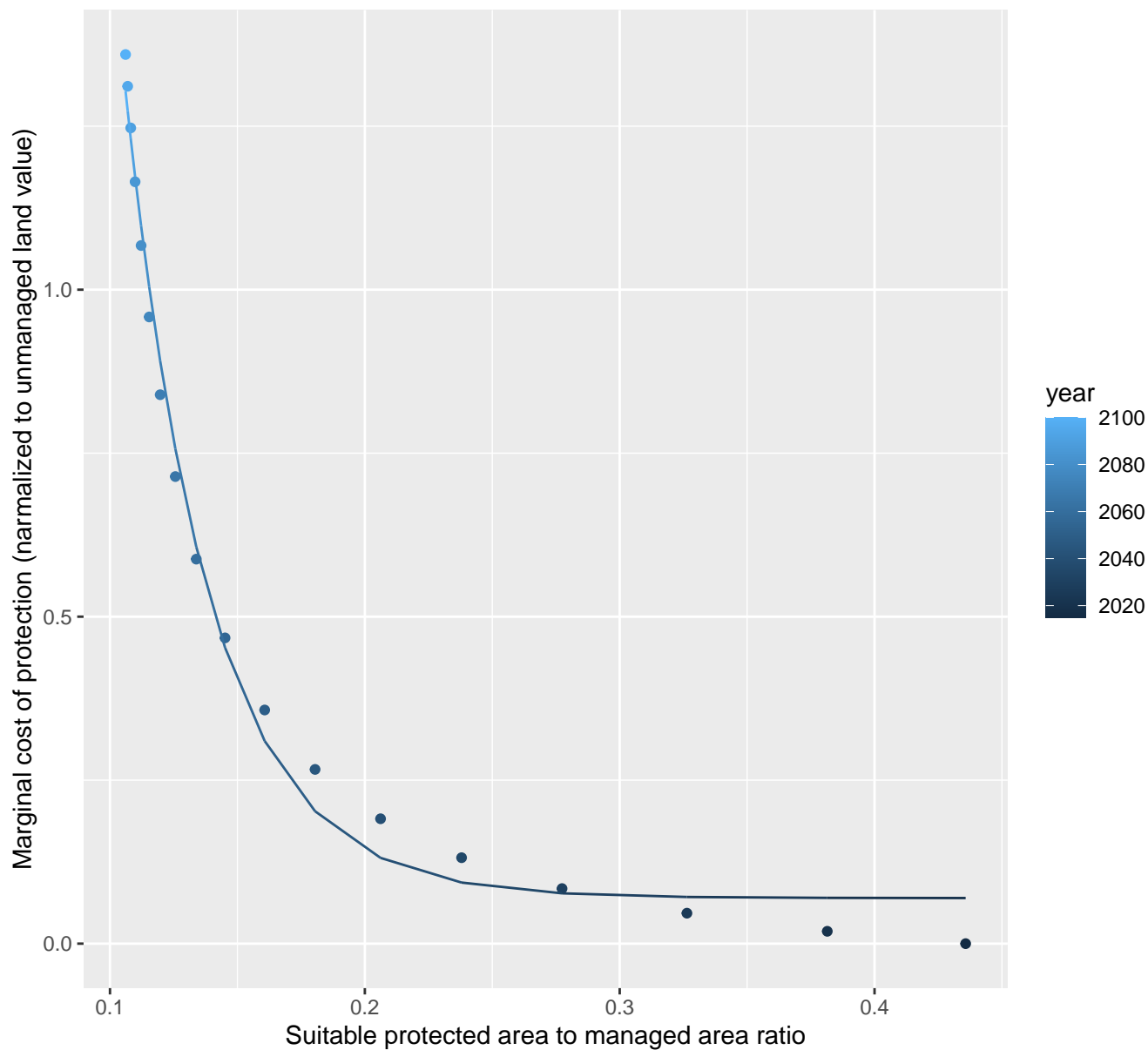
$$y = 1 * \exp(0 * x)$$



# 2170 marginal protection cost ratio

nls random pval = 0.00355

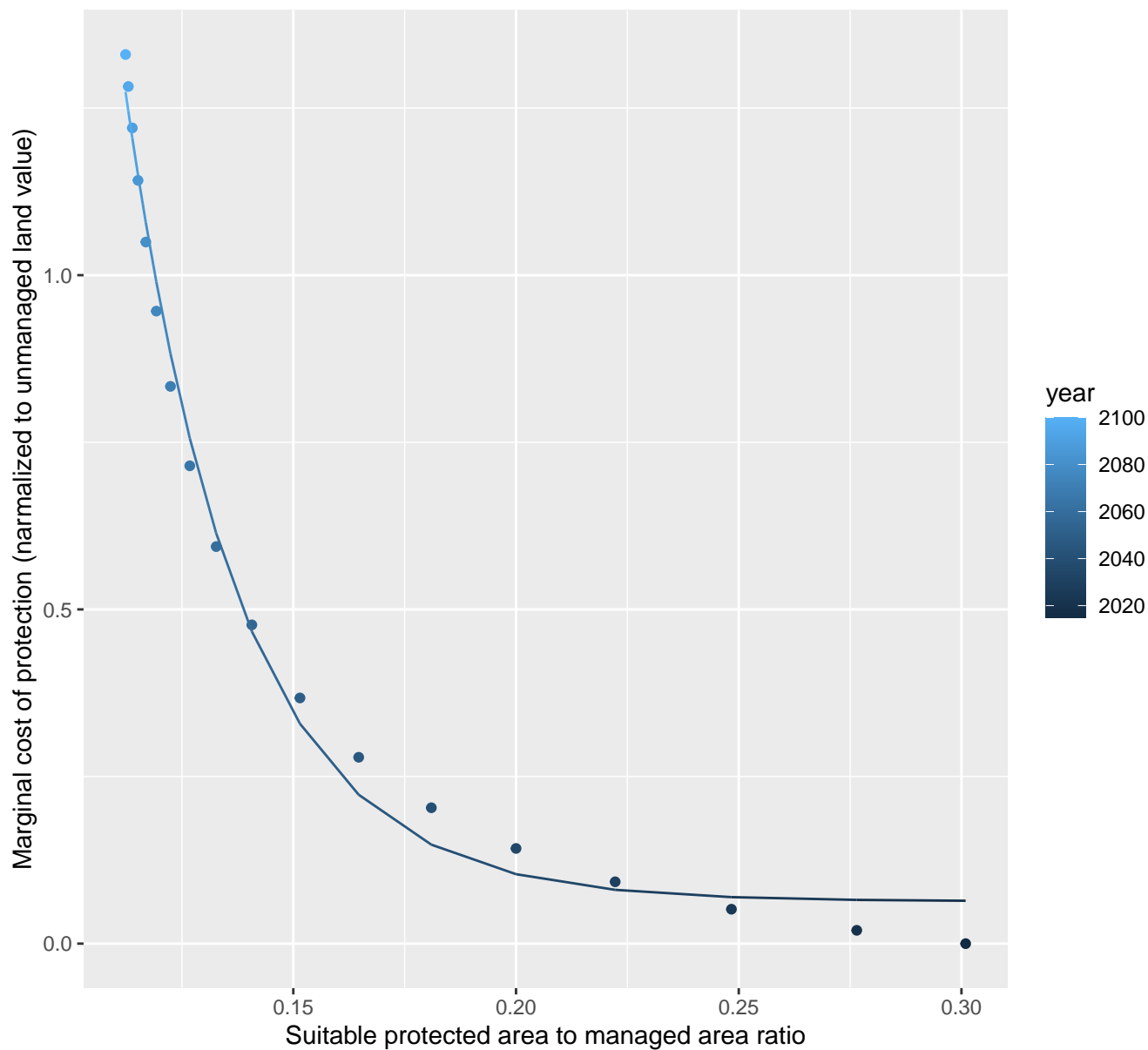
$$y=0.07+29.73*\exp(-29.99*x)$$



# 2171 marginal protection cost ratio

nls random pval = 0.00355

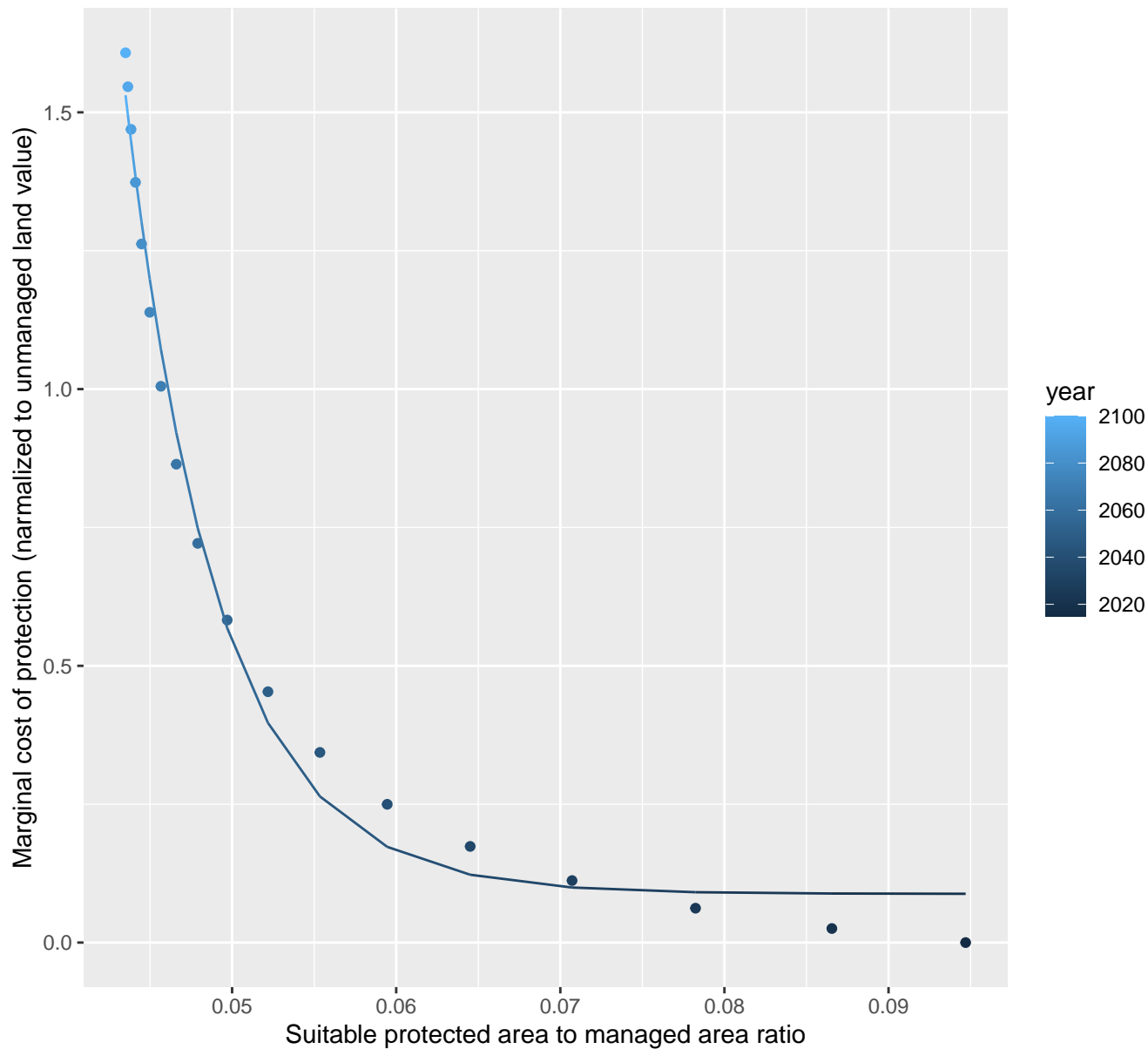
$$y=0.06+94.02*\exp(-38.74*x)$$



# 2177 marginal protection cost ratio

nls random pval = 0.00355

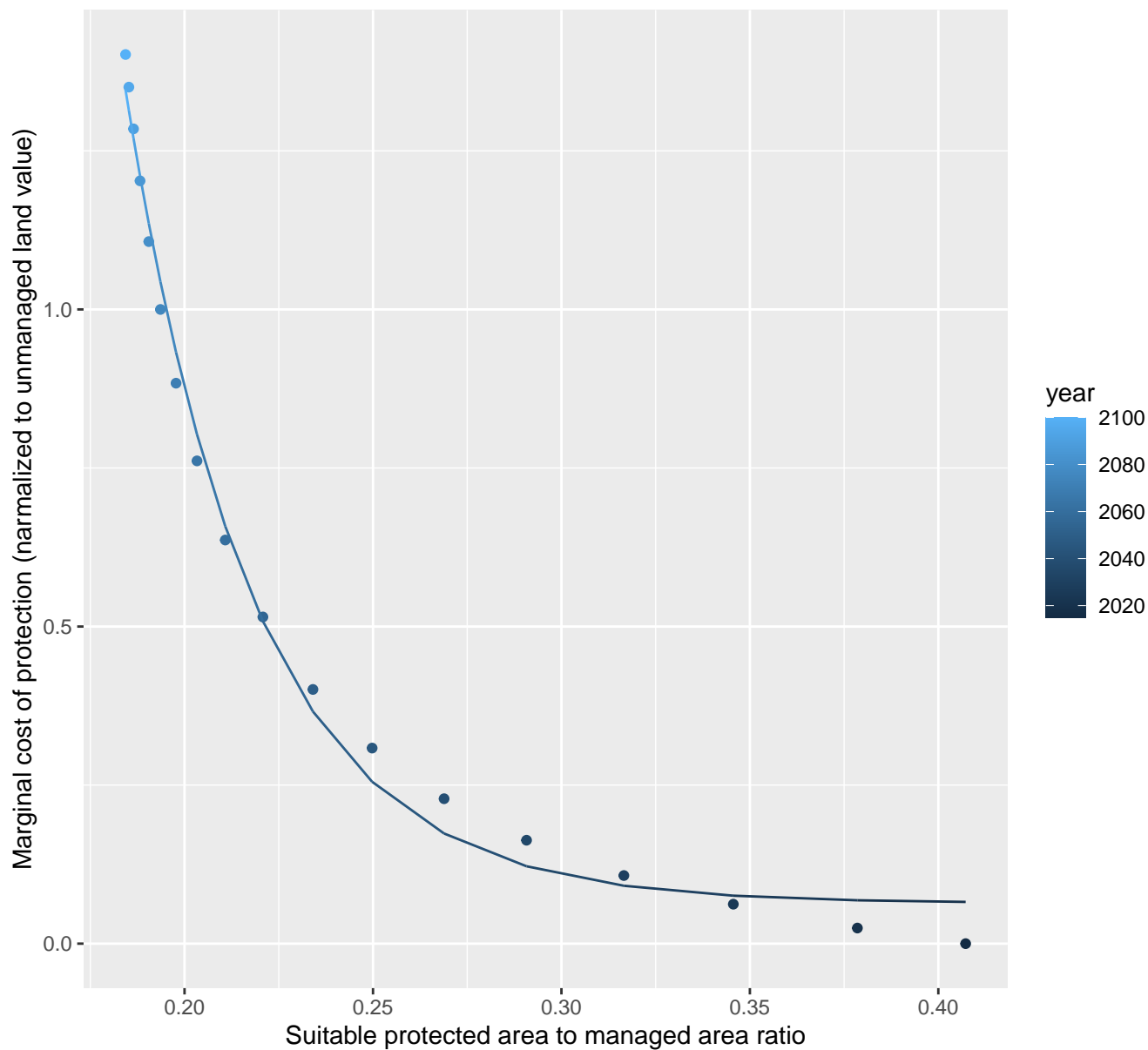
$$y=0.09+3278.17*\exp(-177.63*x)$$



# 2179 marginal protection cost ratio

nls random pval = 0.00355

$$y=0.06+272.74*\exp(-29.07*x)$$

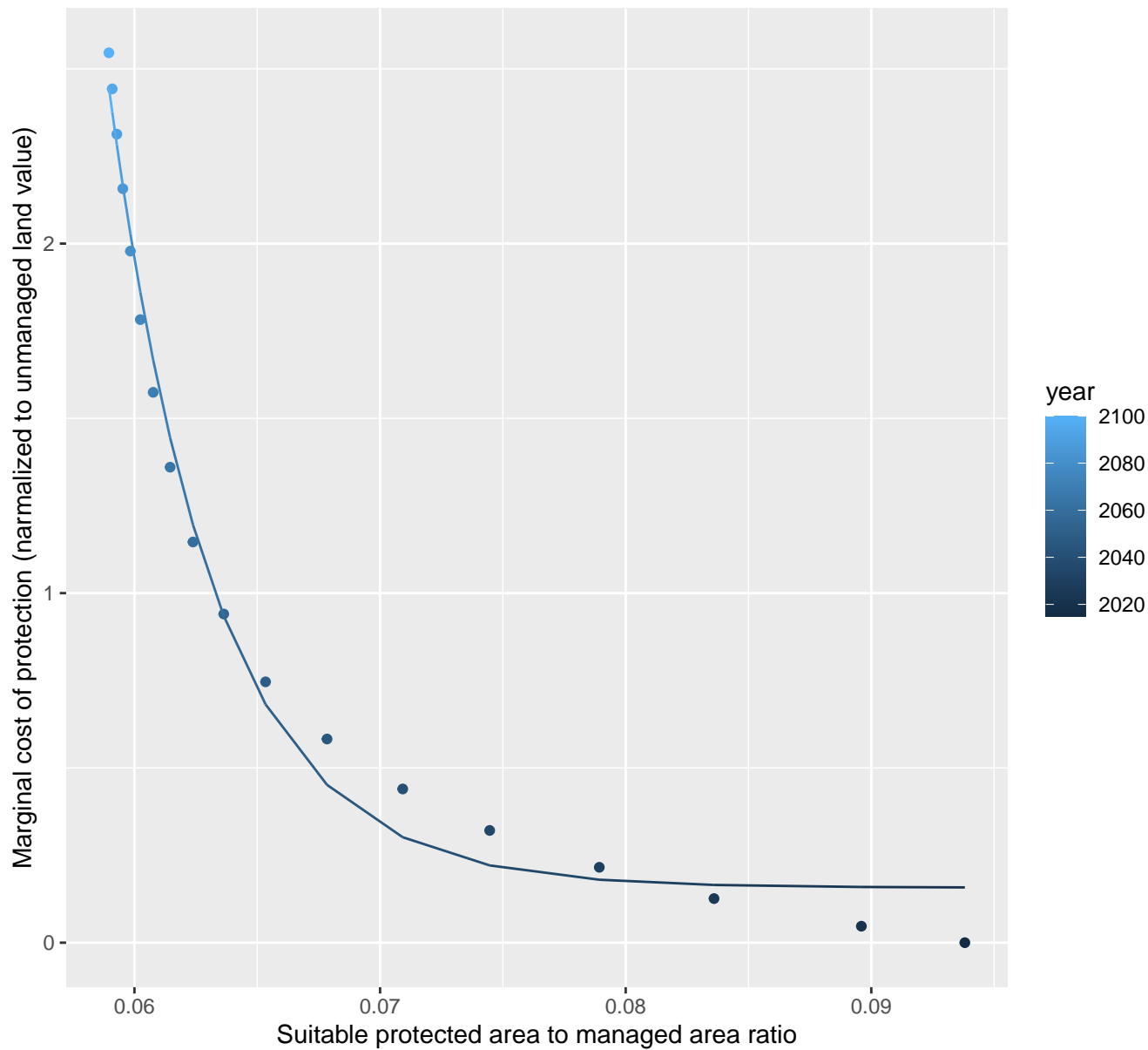




# 2183 marginal protection cost ratio

nls random pval = 0.00355

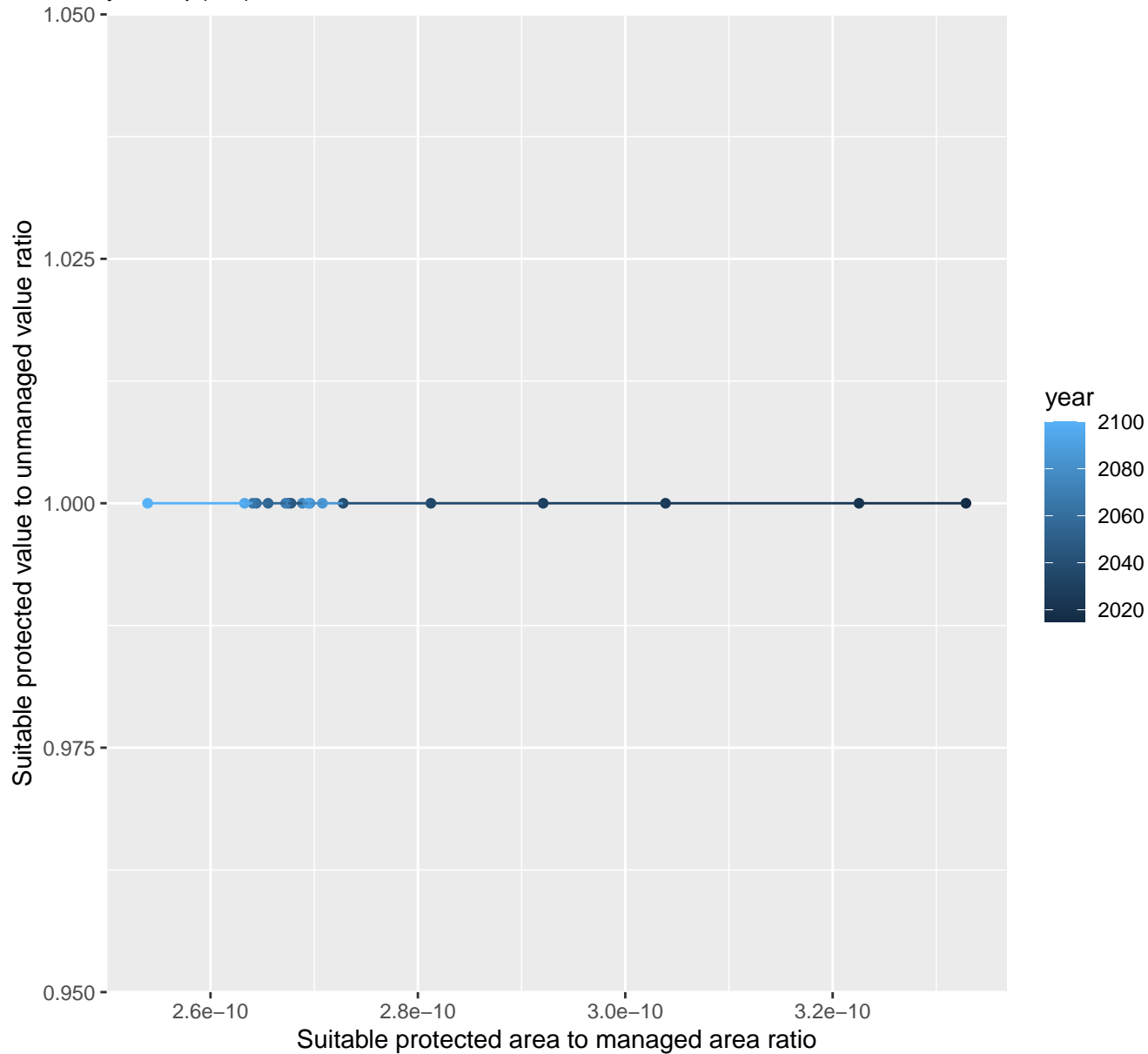
$$y=0.16+1895693.3*\exp(-231.11*x)$$



# 3075 marginal protection cost ratio

linear-log(y) r2 = NaN pval = NaN random pval = NaN

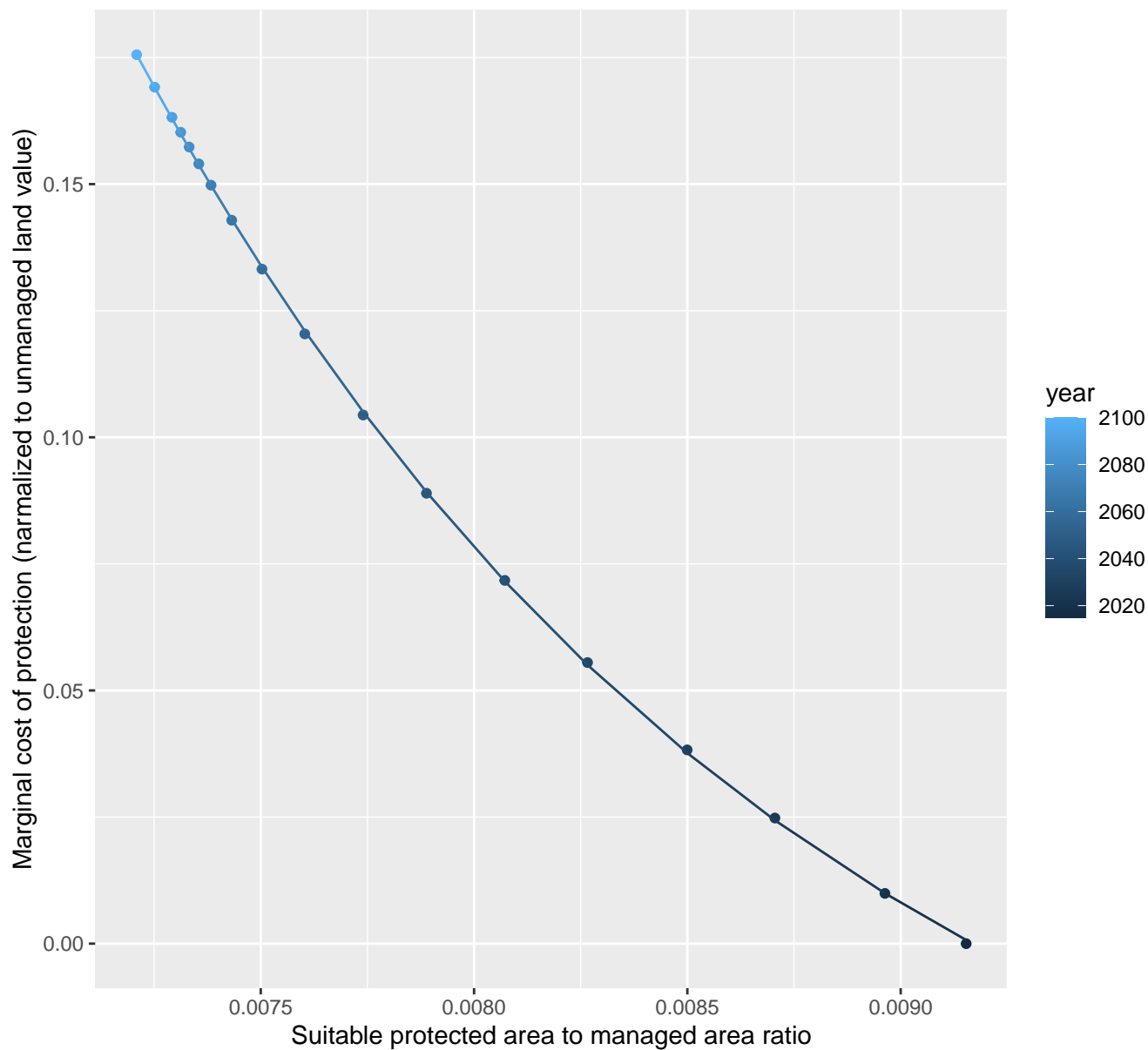
$y=1*\exp(0*x)$



# 3080 marginal protection cost ratio

nls random pval = 0.01512

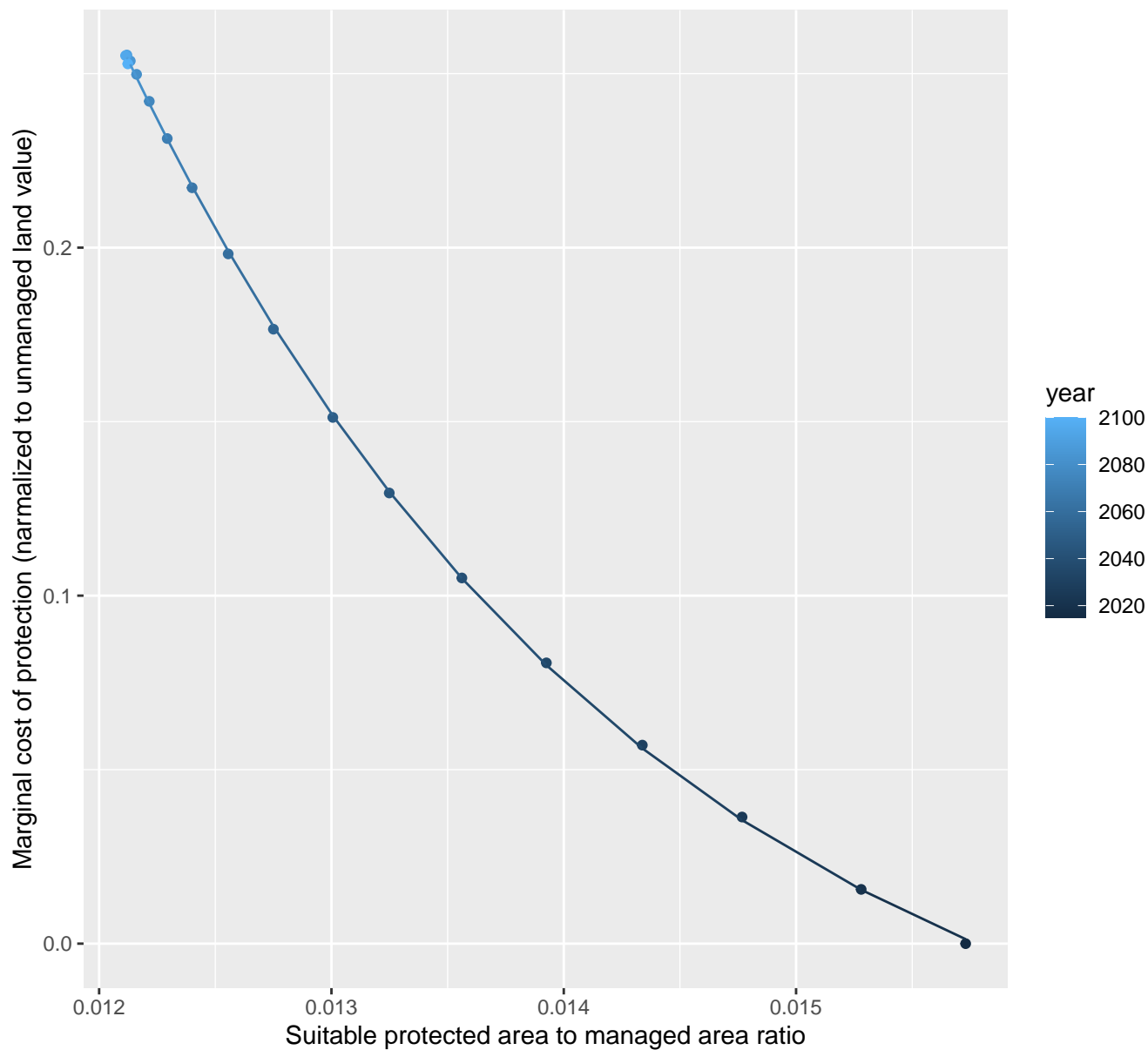
$$y = -0.07 + 23.99 \cdot \exp(-634.95 \cdot x)$$



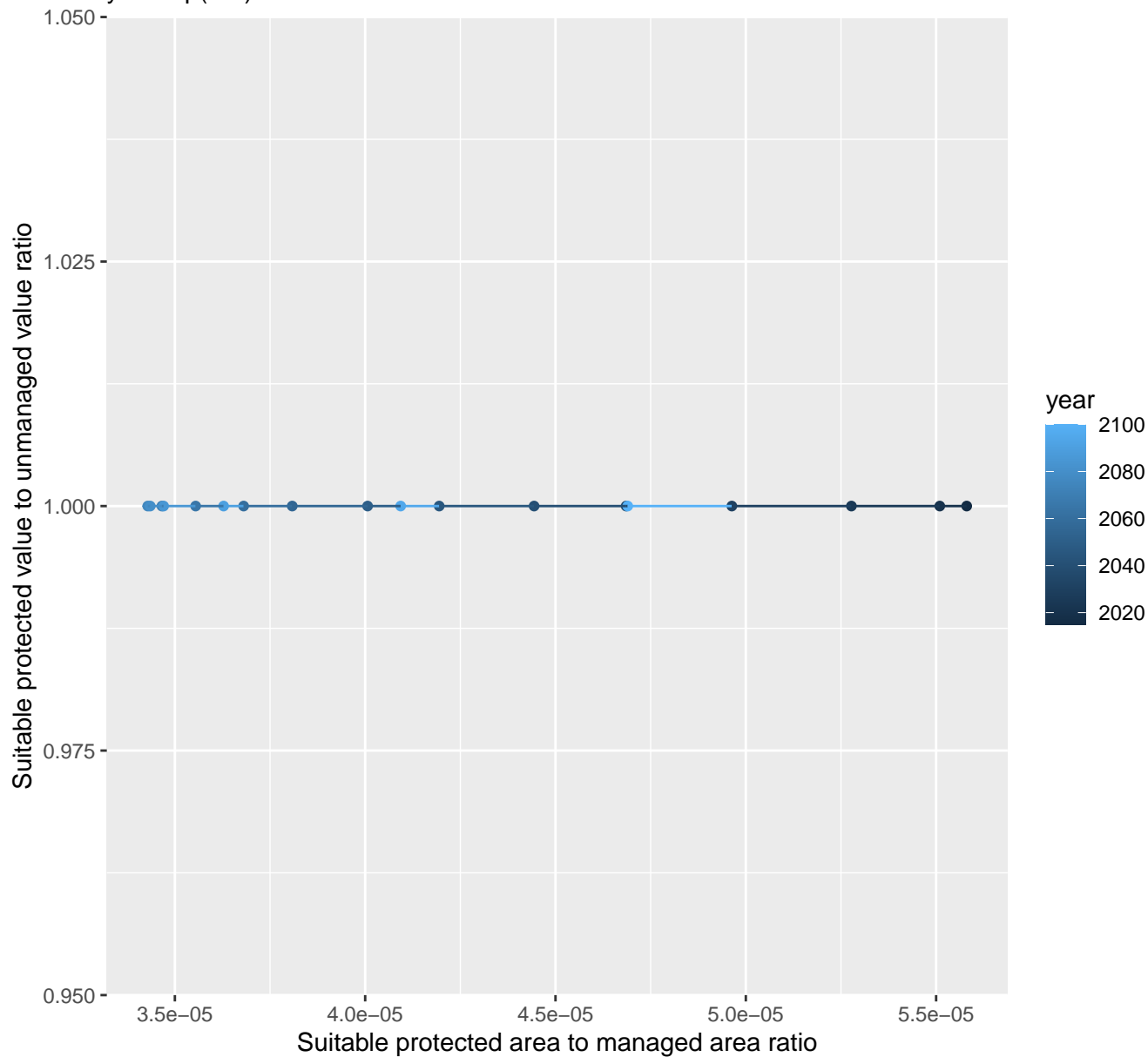
# 3086 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.06 + 66.77 \cdot \exp(-441.16 \cdot x)$$



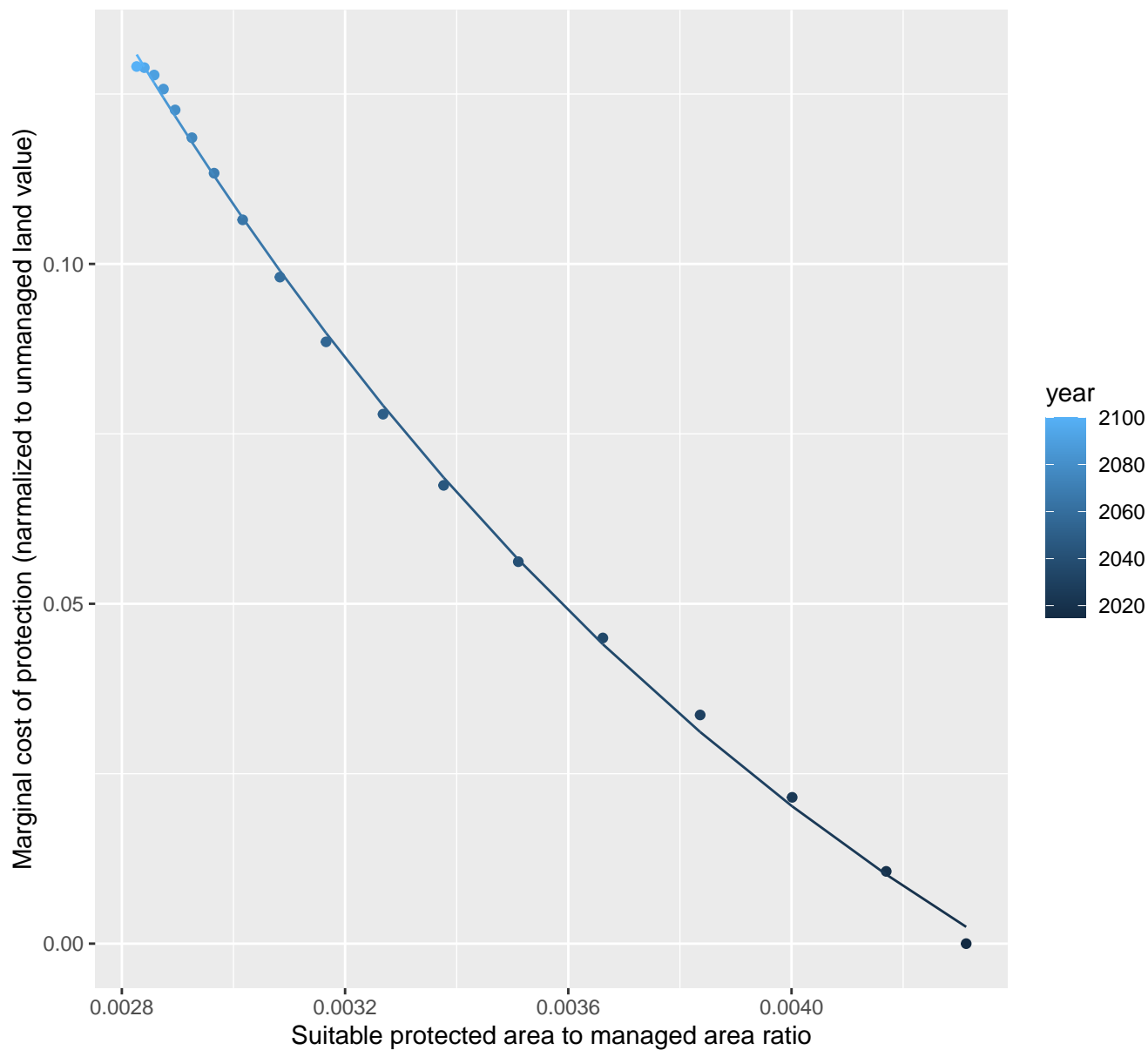
```
linear-log(y) r2 = NaN pval = NaN random pval = NaN
y=1*exp(0*x)
```



3144 marginal protection cost ratio

nls random pval = 0.01512

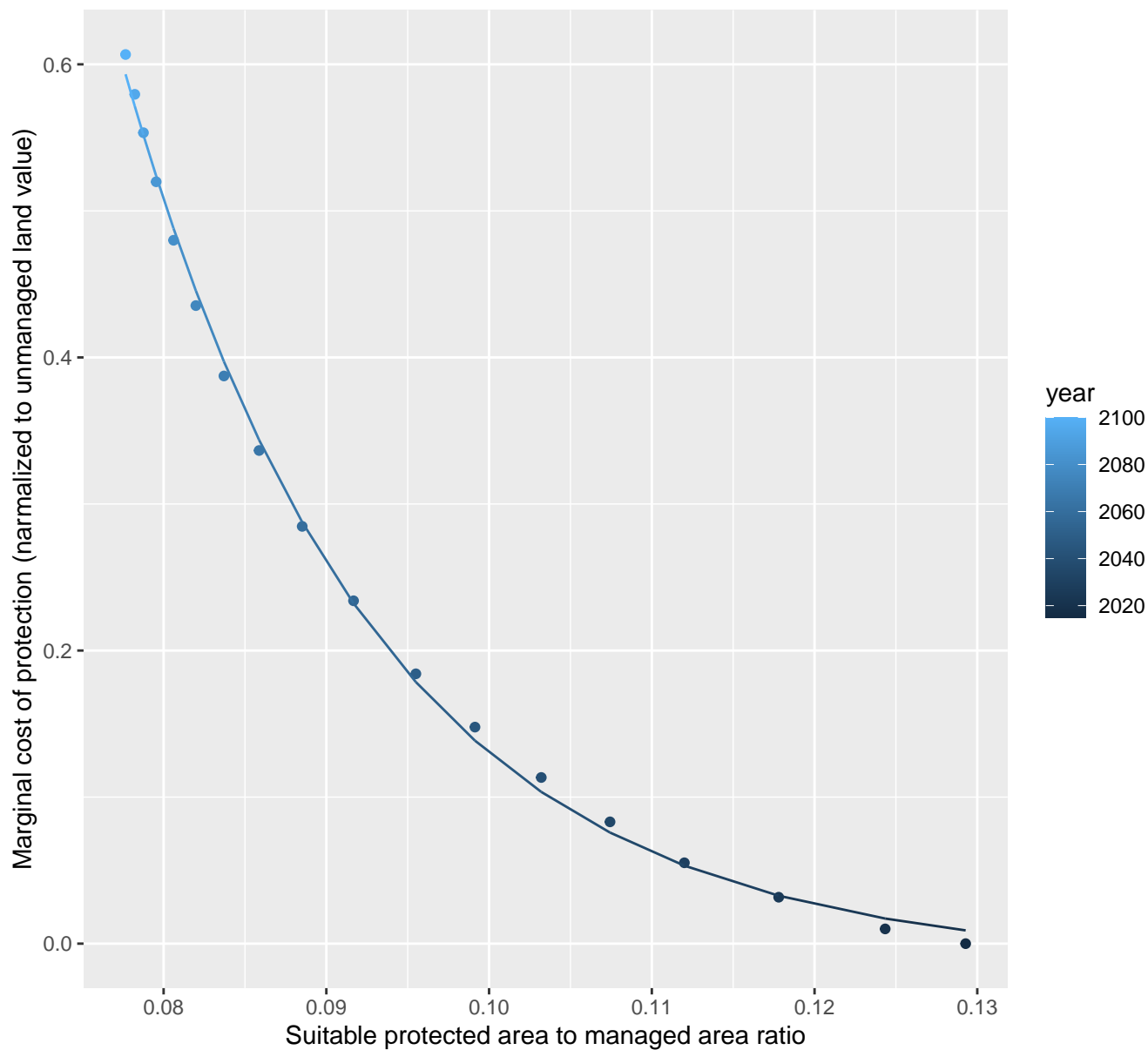
$y = -0.08 + 1.3 \cdot \exp(-647.89 \cdot x)$



# 4087 marginal protection cost ratio

nls random pval = 0.00355

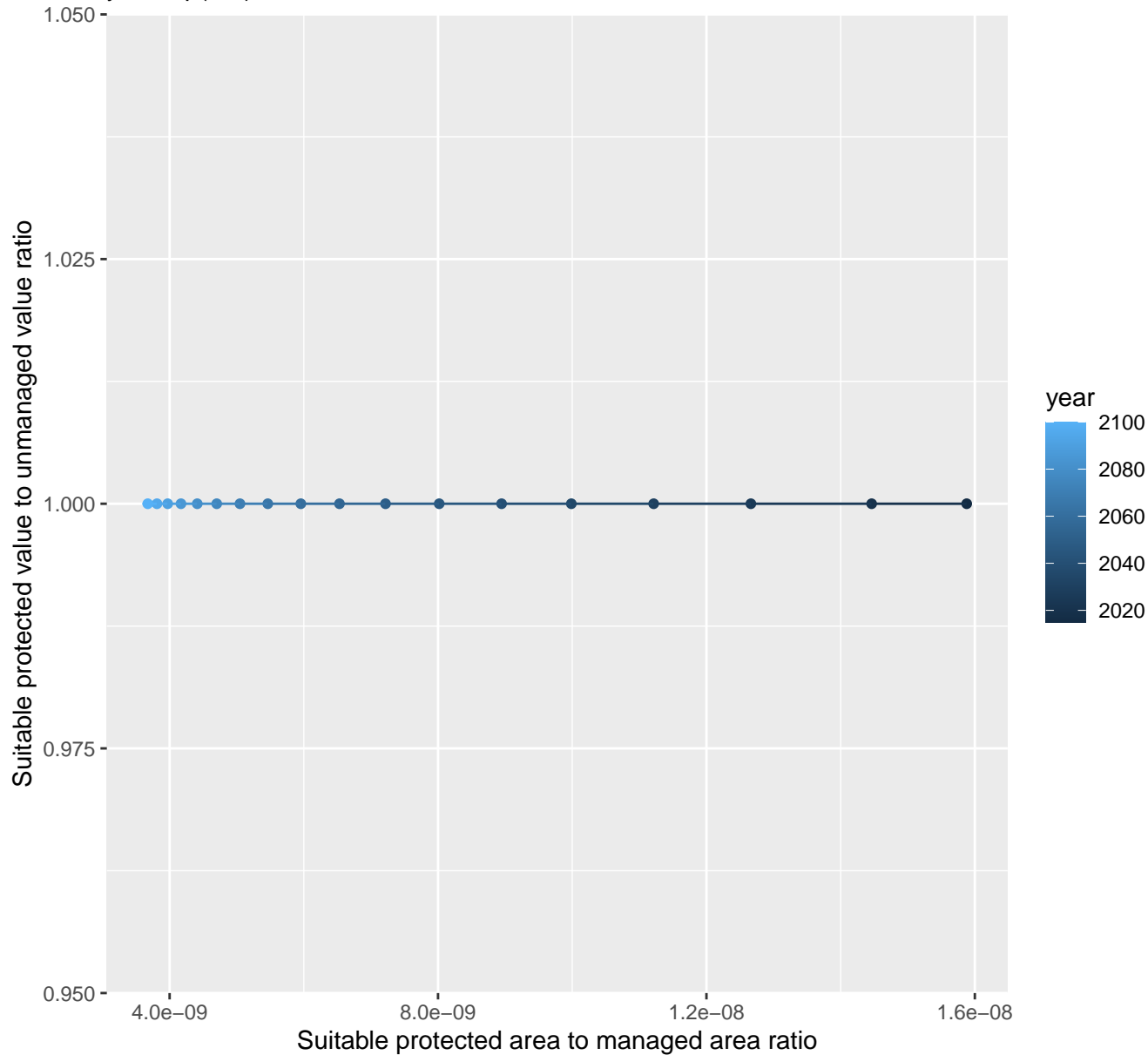
$$y = -0.01 + 92.34 \cdot \exp(-64.73 \cdot x)$$



# 4162 marginal protection cost ratio

linear-log(y)  $r^2 = 0.06545$   $pval = 0.30551$  random  $pval = 0.44501$

$$y = 1 * \exp(0 * x)$$

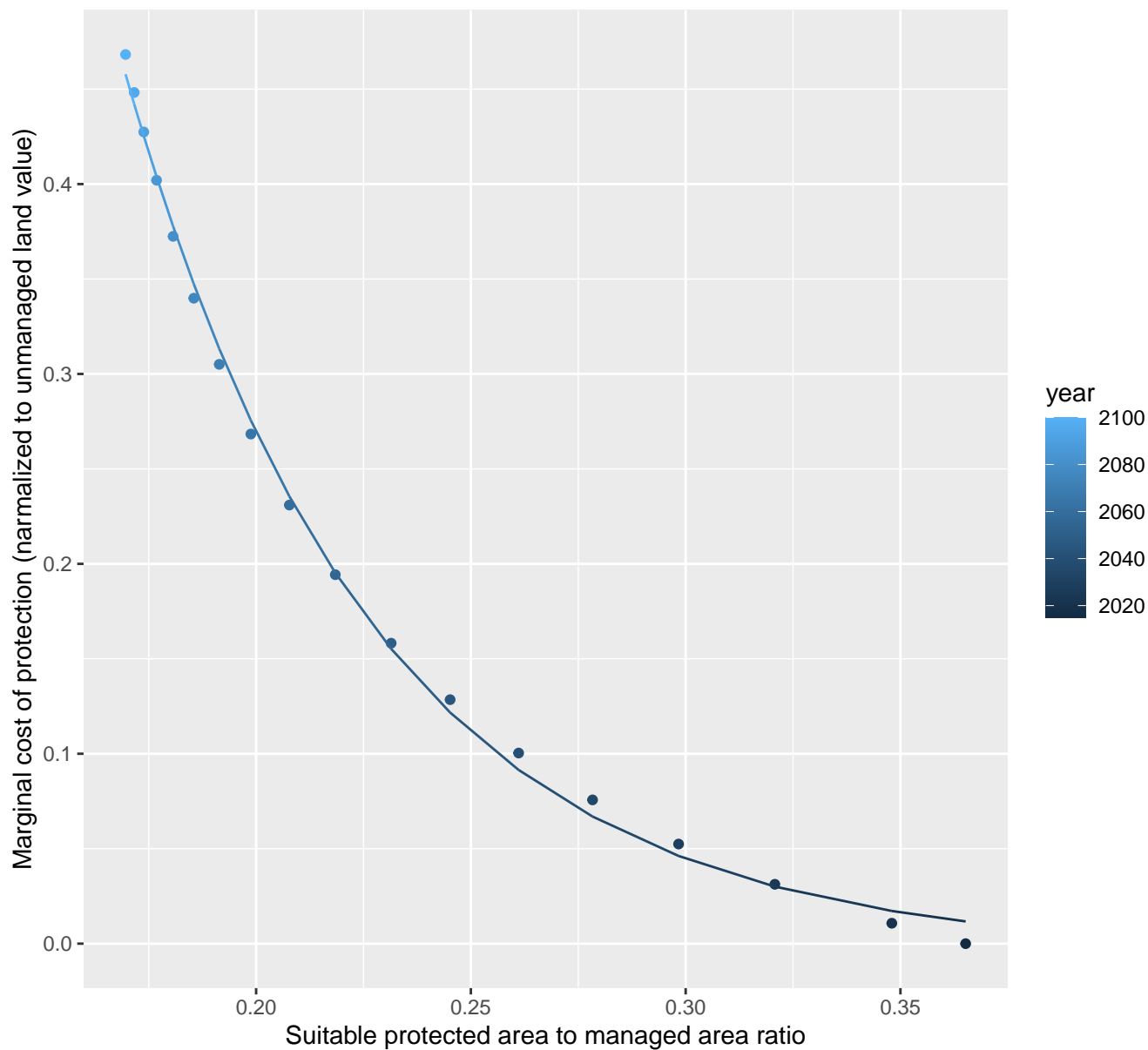




# 4171 marginal protection cost ratio

nls random pval = 0.00355

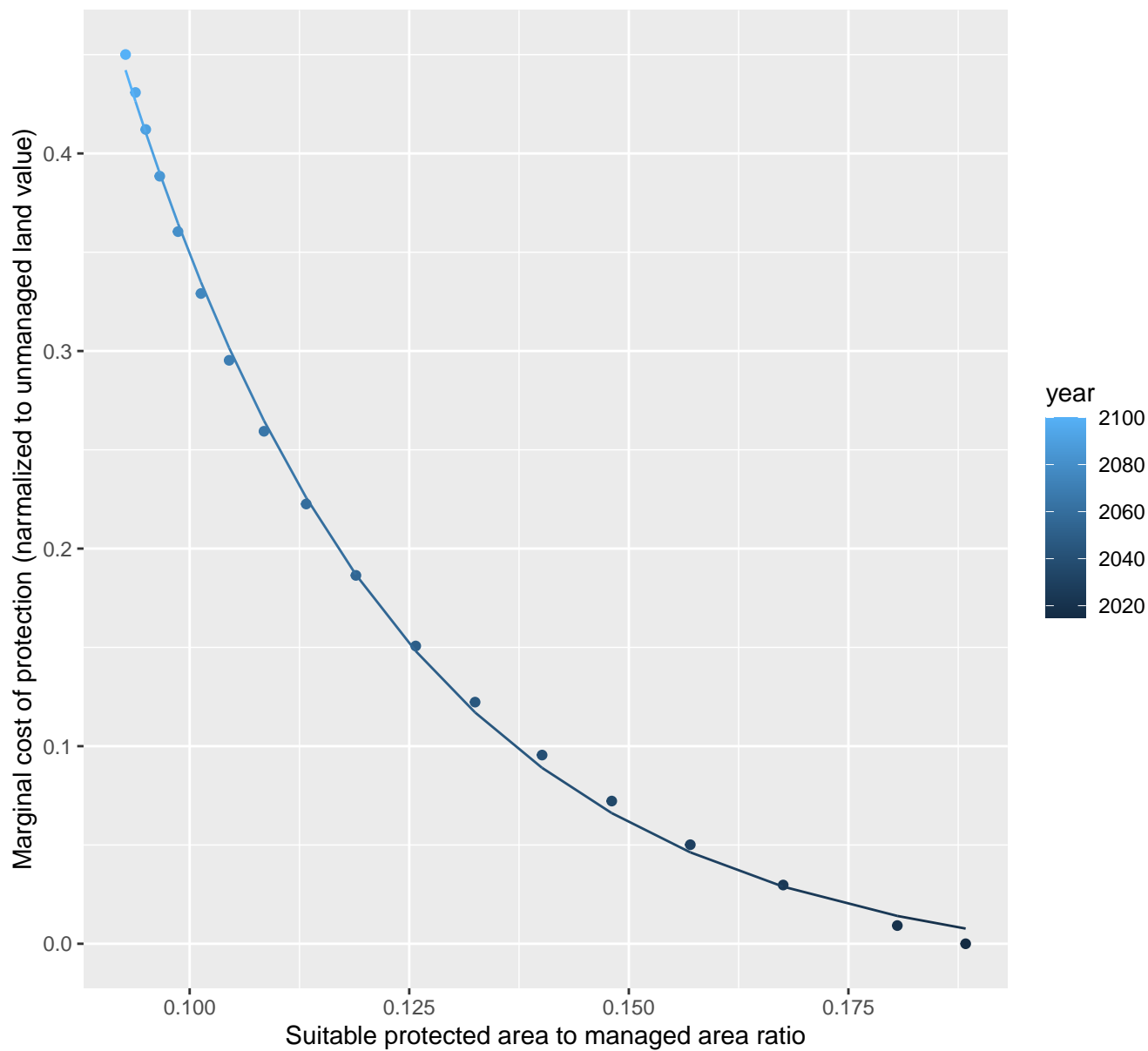
$$y=0+8.55*\exp(-17.2*x)$$



# 4179 marginal protection cost ratio

nls random pval = 0.00355

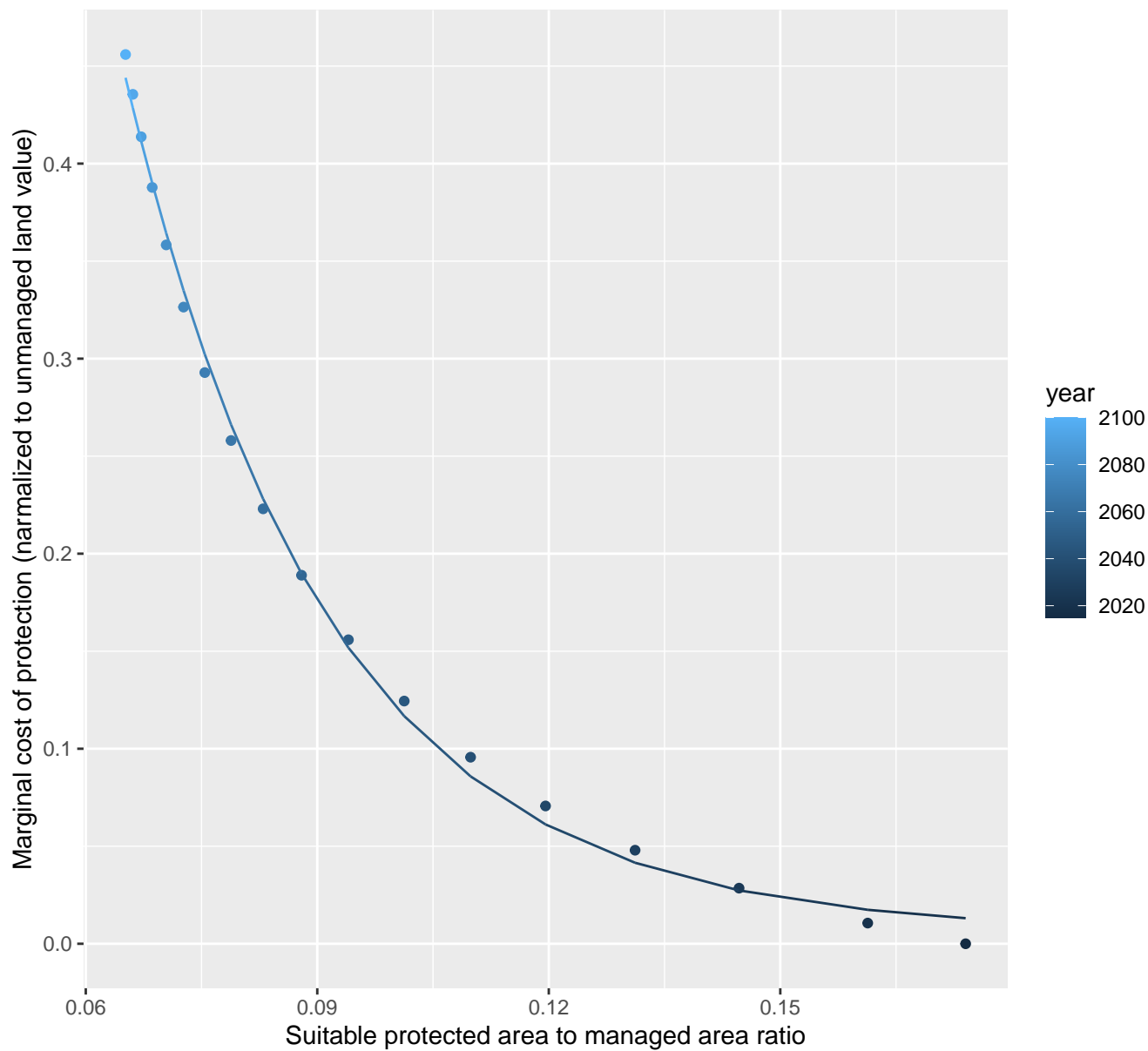
$$y = -0.02 + 8.19 \cdot \exp(-31.12 \cdot x)$$



# 4182 marginal protection cost ratio

nls random pval = 0.00355

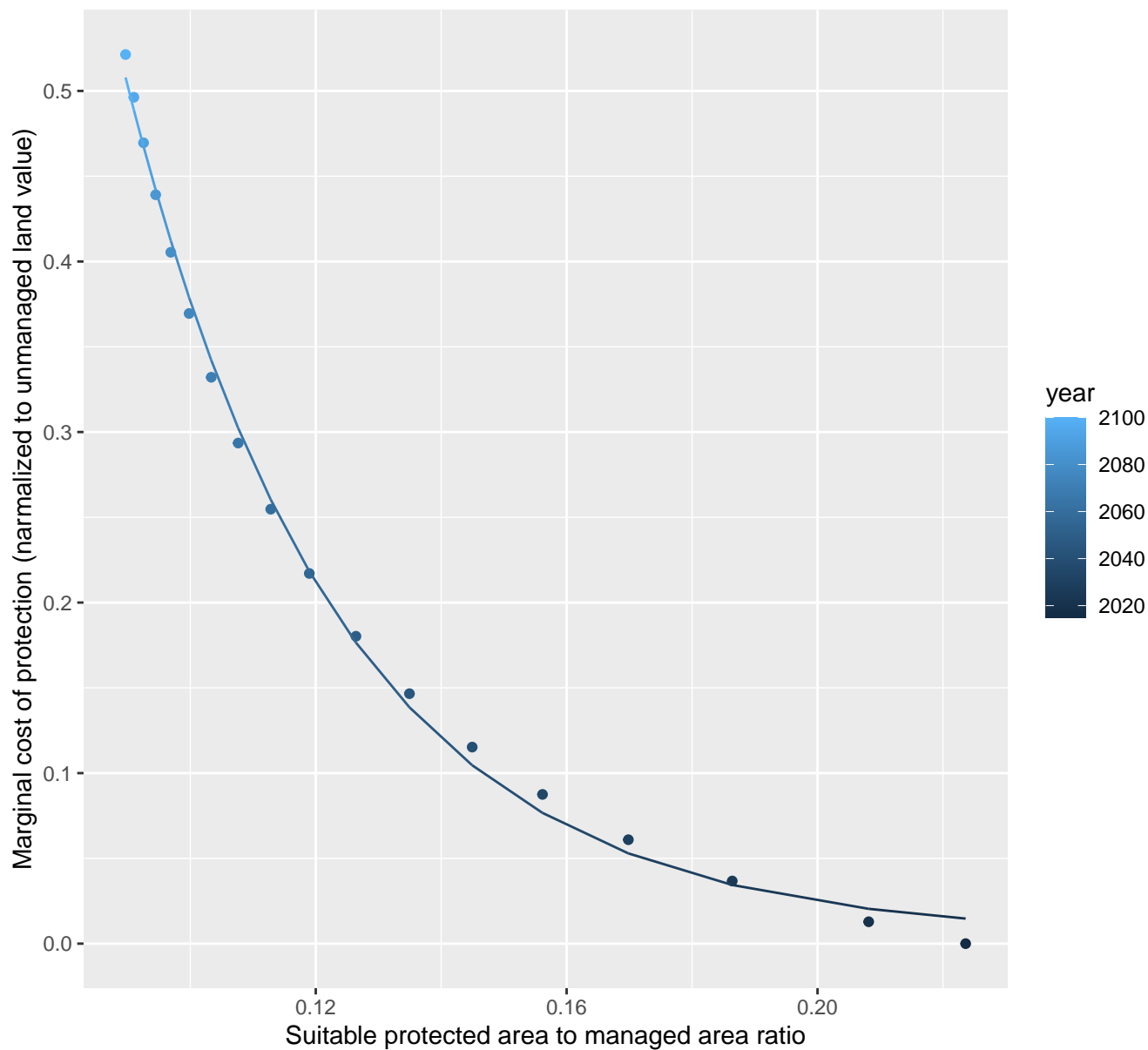
$$y=0.01+5.25*\exp(-38.13*x)$$



# 4183 marginal protection cost ratio

nls random pval = 0.00355

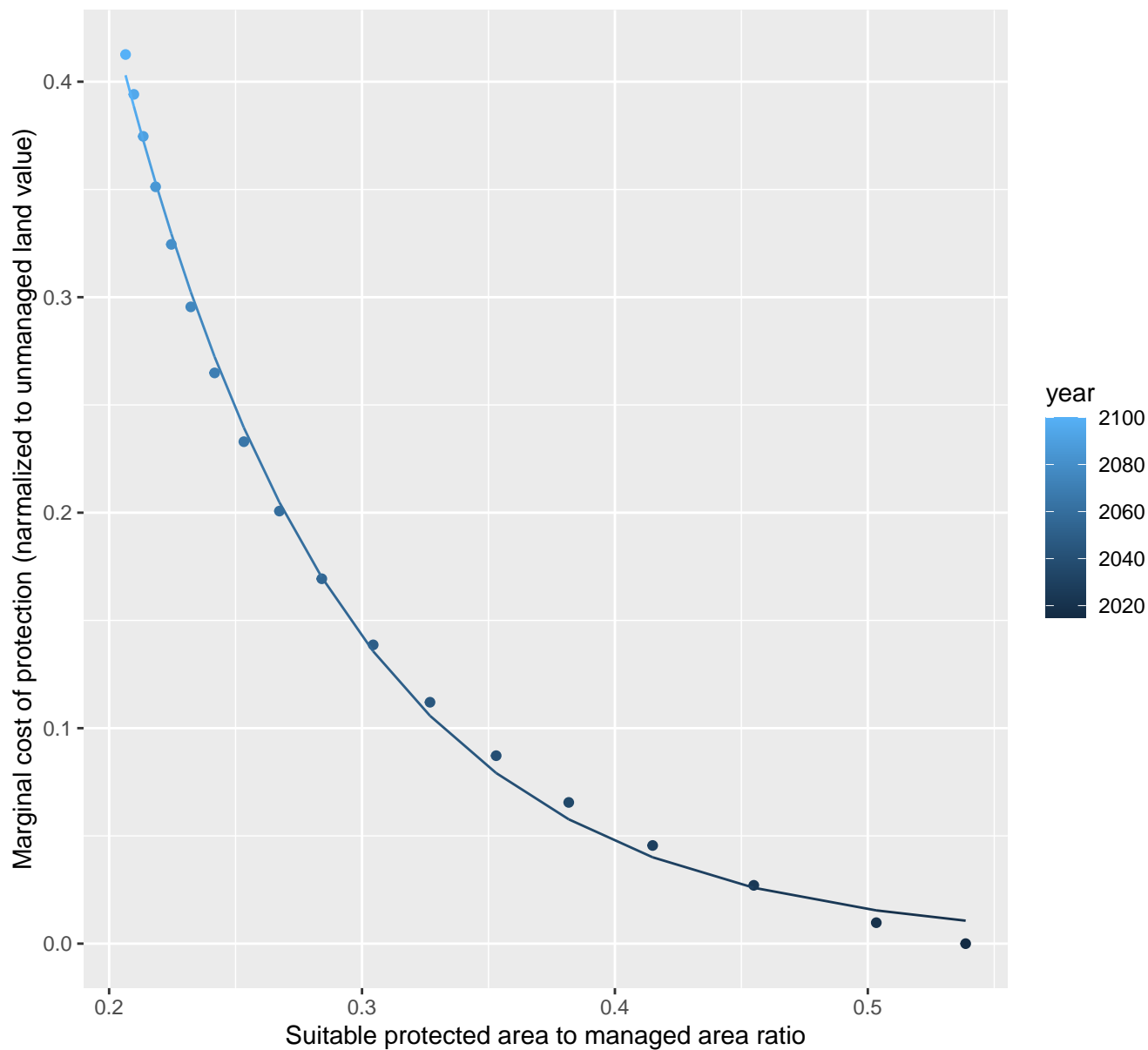
$$y=0+6.94*\exp(-29.26*x)$$



# 4188 marginal protection cost ratio

nls random pval = 0.00355

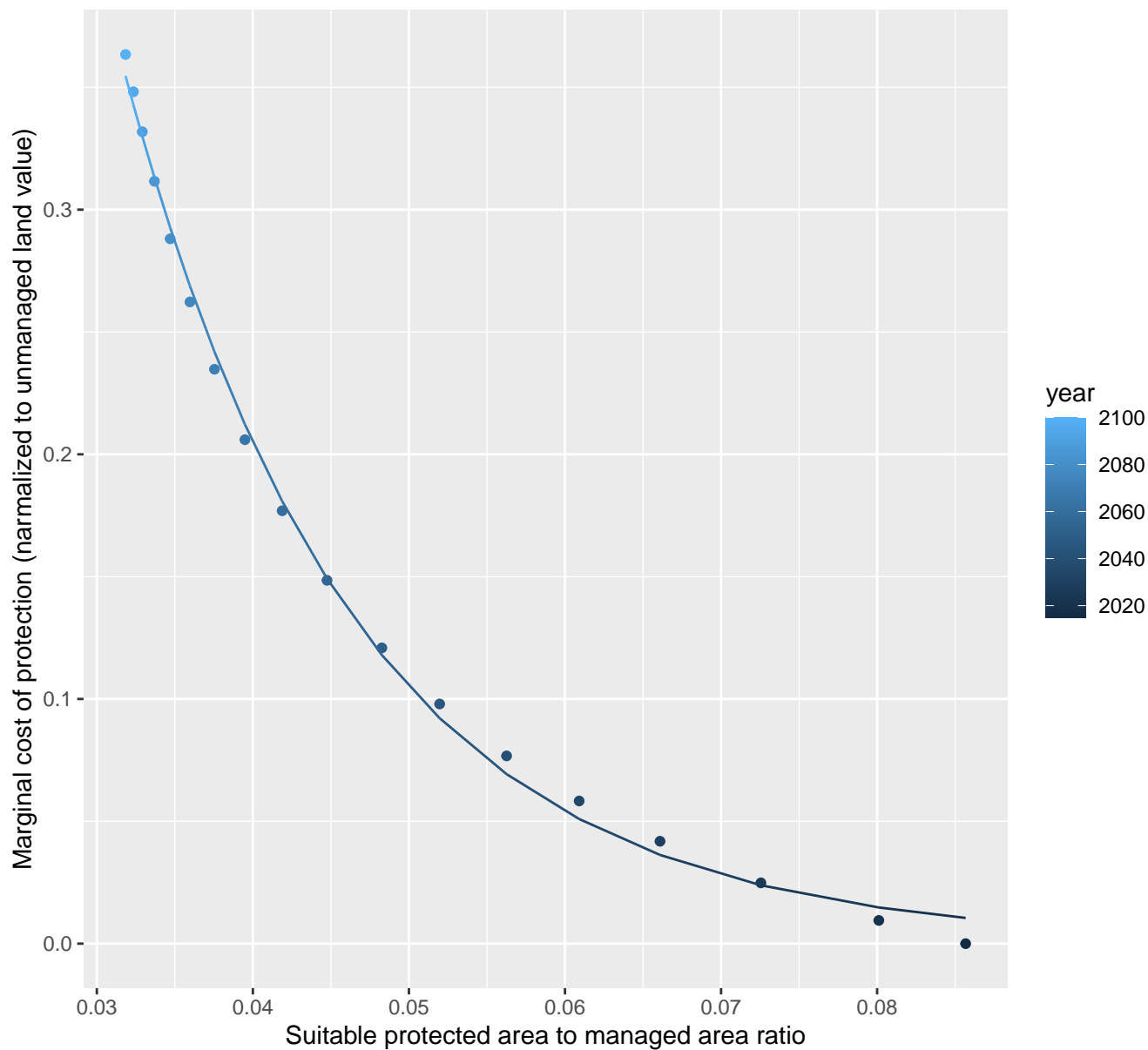
$$y=0+4.03*\exp(-11.16*x)$$



# 4190 marginal protection cost ratio

nls random pval = 0.00355

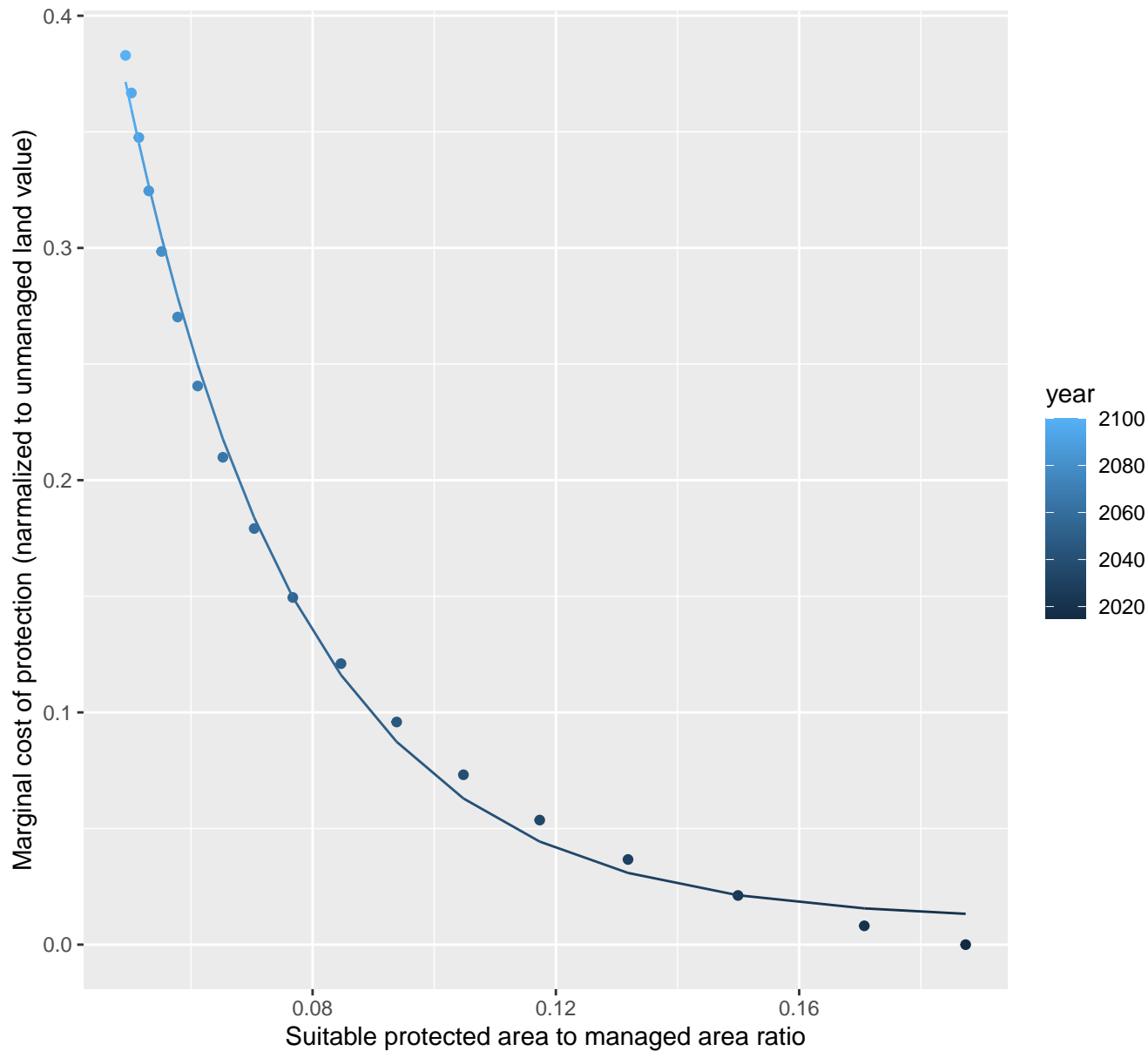
$$y=0+3.03*\exp(-67.42*x)$$



# 4194 marginal protection cost ratio

nls random pval = 0.00355

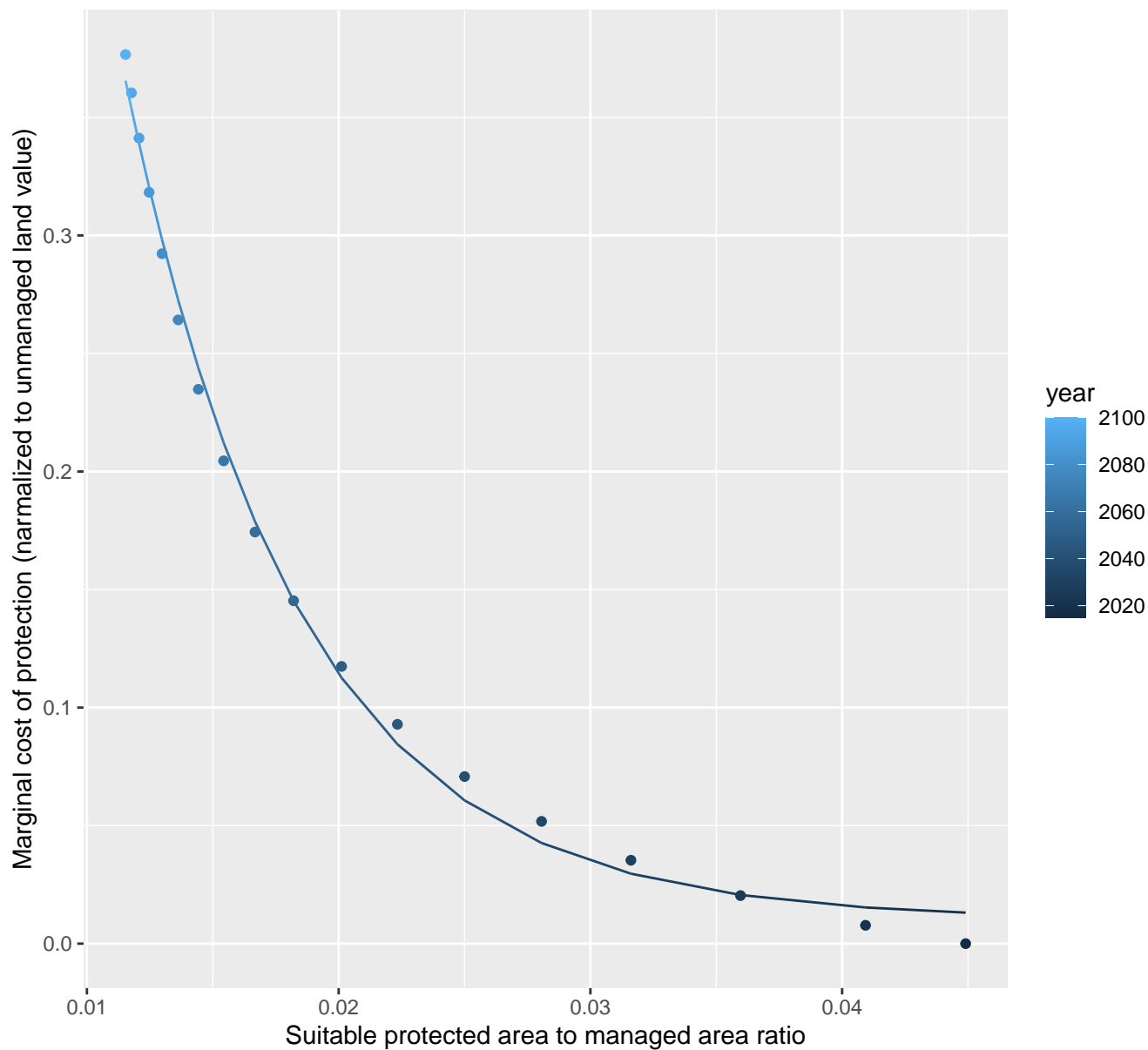
$$y=0.01+1.99*\exp(-34.65*x)$$



# 4196 marginal protection cost ratio

nls random pval = 0.00355

$$y=0.01+1.89*\exp(-145.12*x)$$

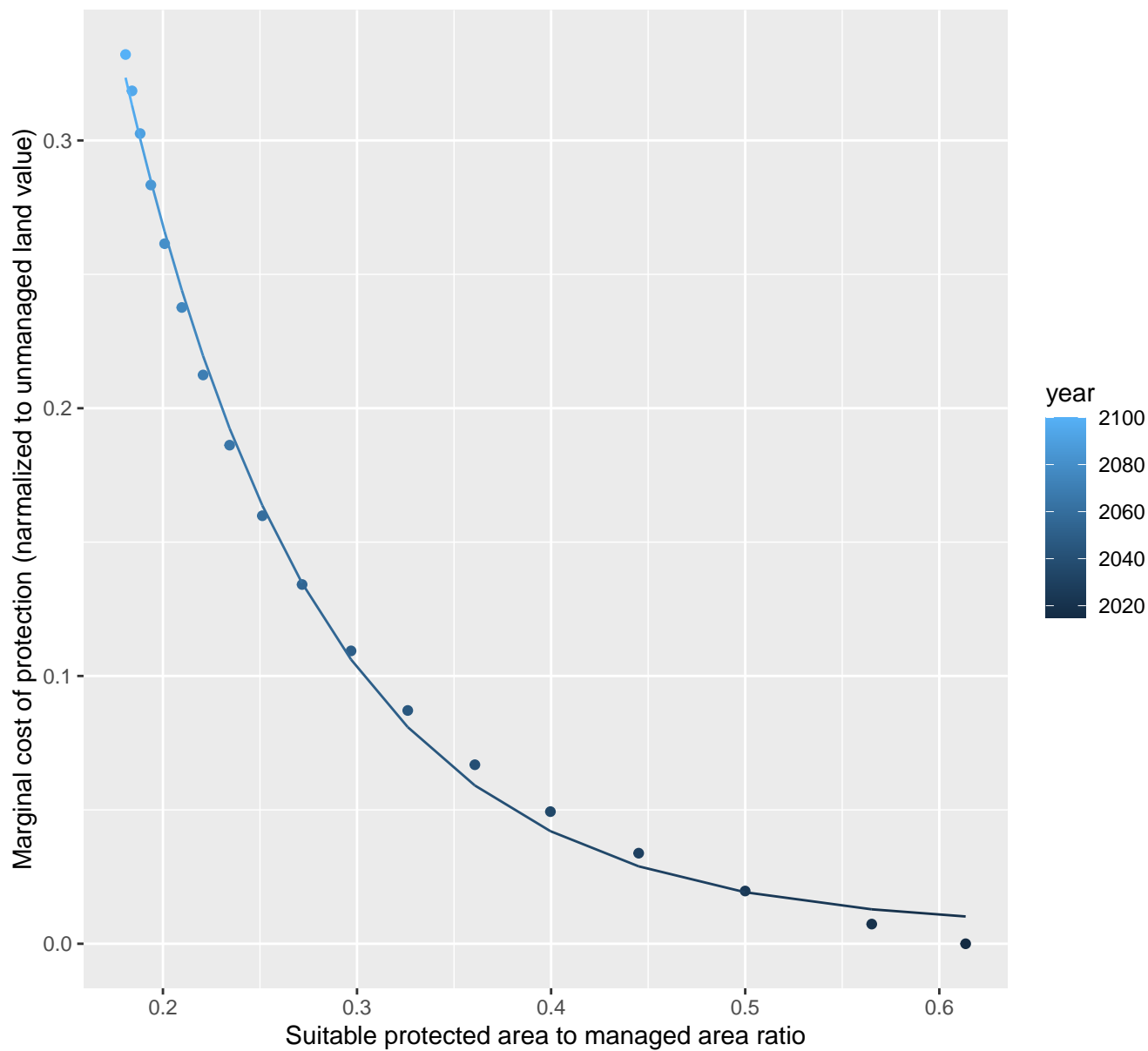




# 4197 marginal protection cost ratio

nls random pval = 0.00355

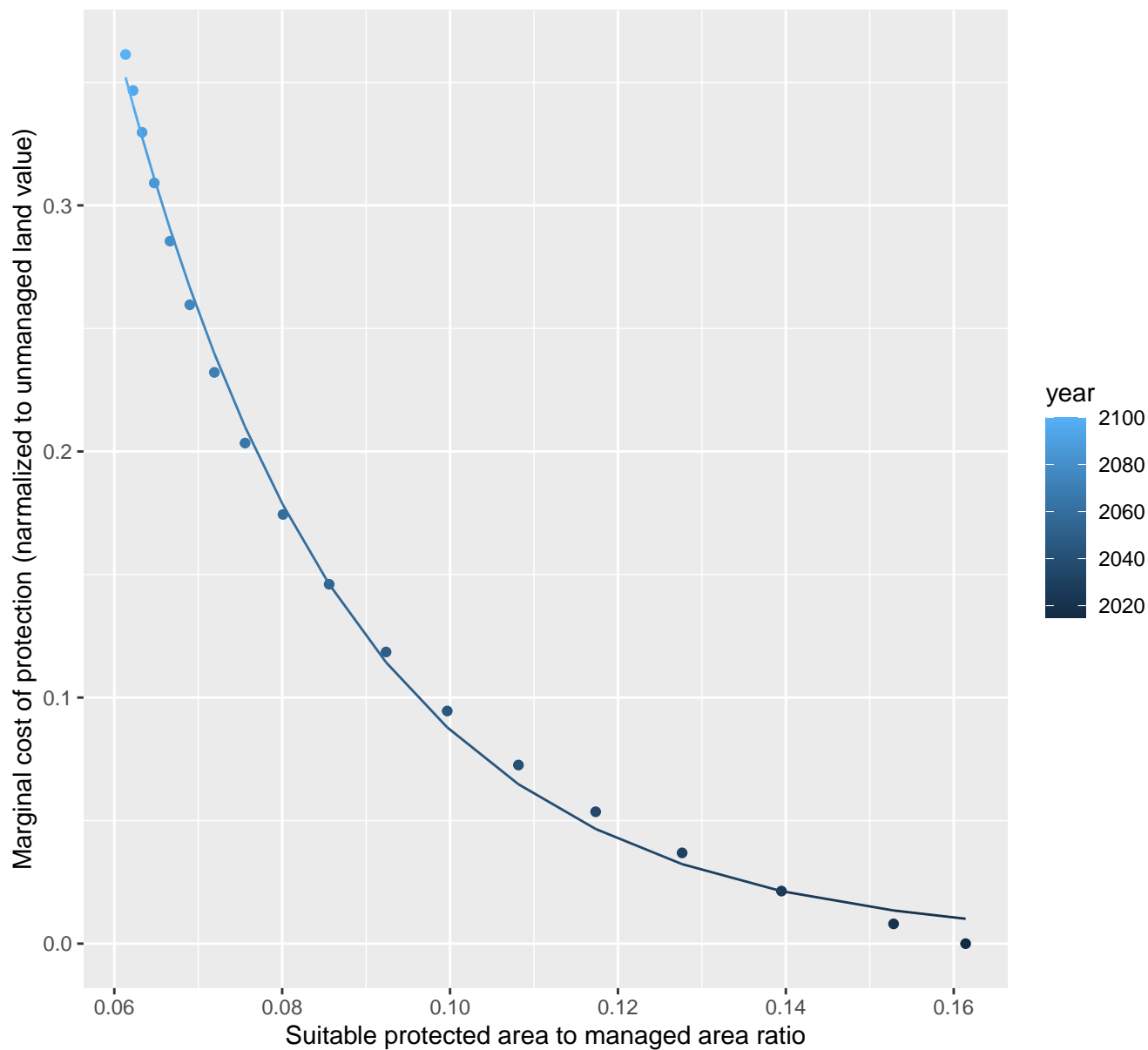
$$y=0.01+1.91*\exp(-9.92*x)$$



# 4198 marginal protection cost ratio

nls random pval = 0.00355

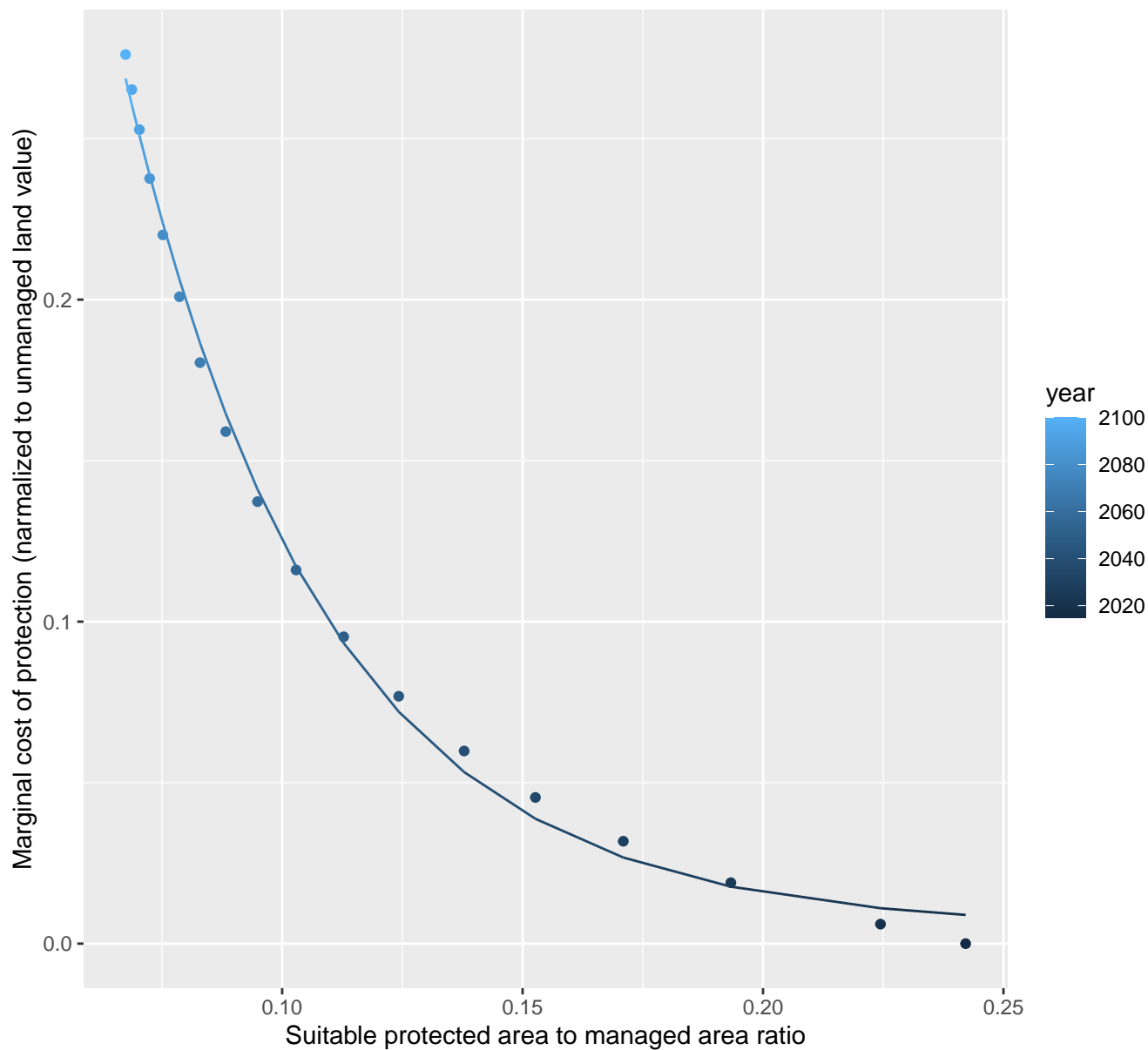
$$y=0+3.28*\exp(-36.43*x)$$



# 4199 marginal protection cost ratio

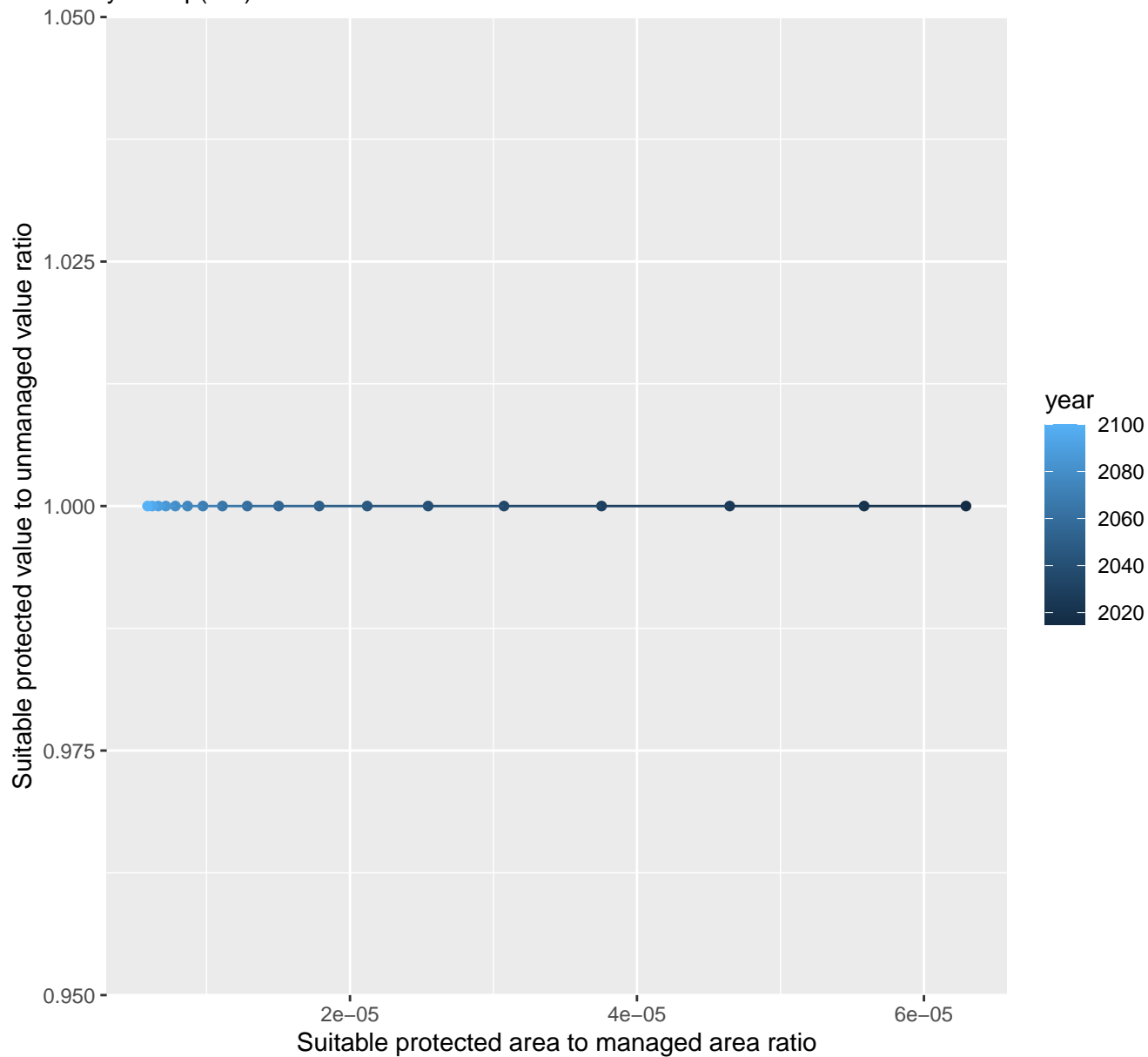
nls random pval = 0.00355

$$y=0.01+1.34*\exp(-24.12*x)$$



## 5086 marginal protection cost ratio

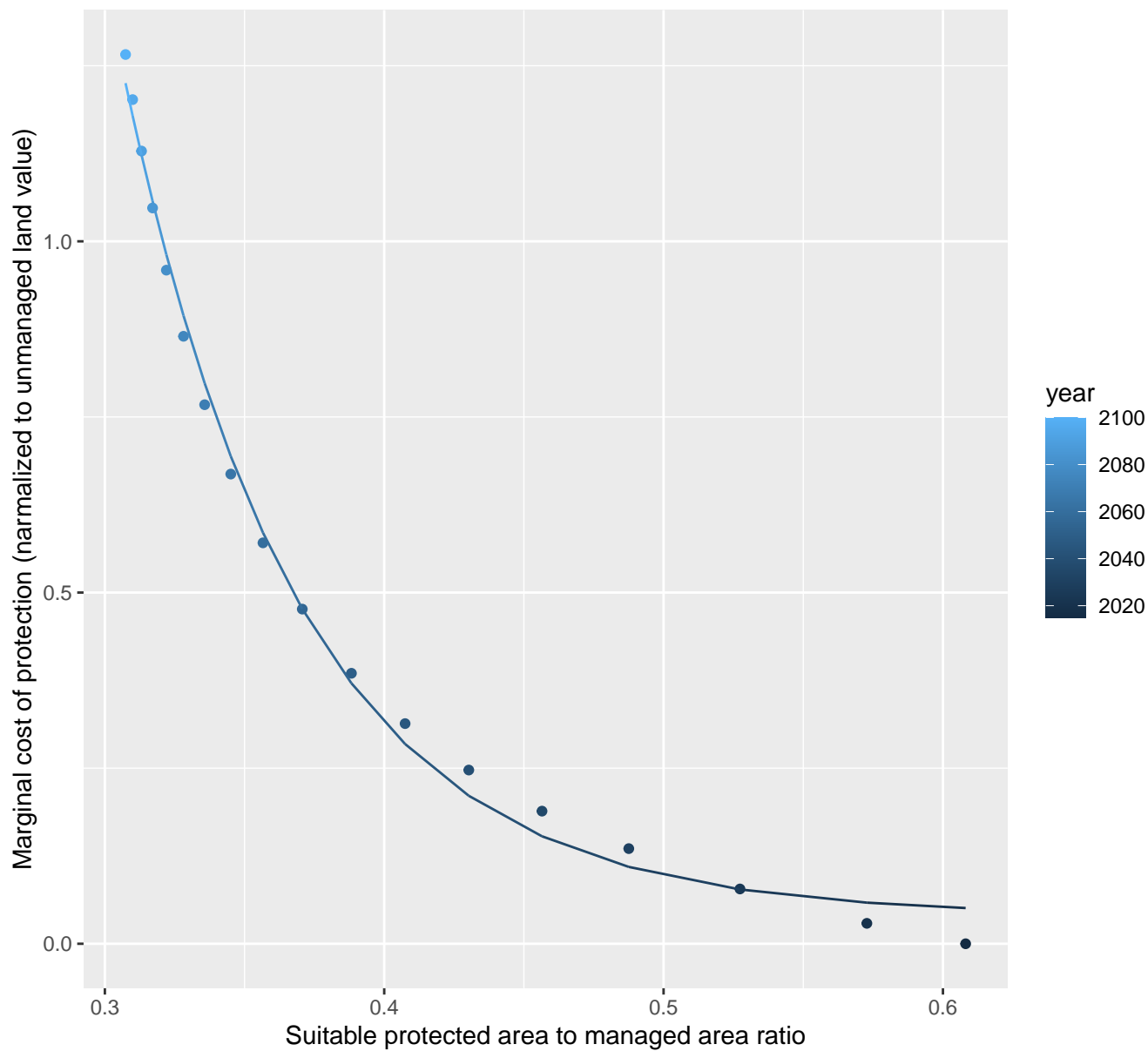
linear-log(y)  $r^2 = 0.00029$  pval = 0.94673 random pval = 0.01981

$$y = 1 \cdot \exp(0 \cdot x)$$


# 5087 marginal protection cost ratio

nls random pval = 0.00355

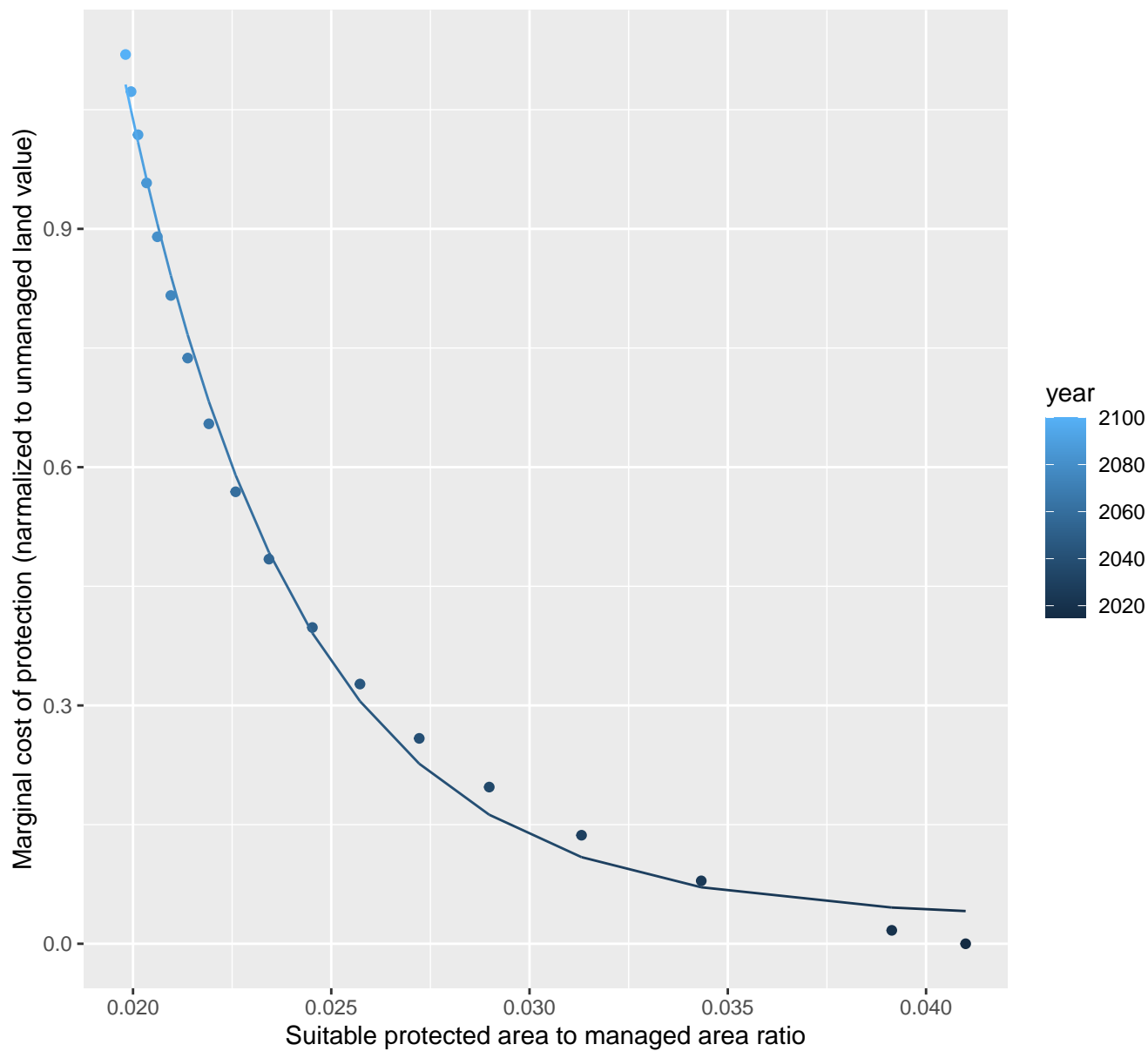
$$y=0.04+152.38*\exp(-15.8*x)$$



# 5142 marginal protection cost ratio

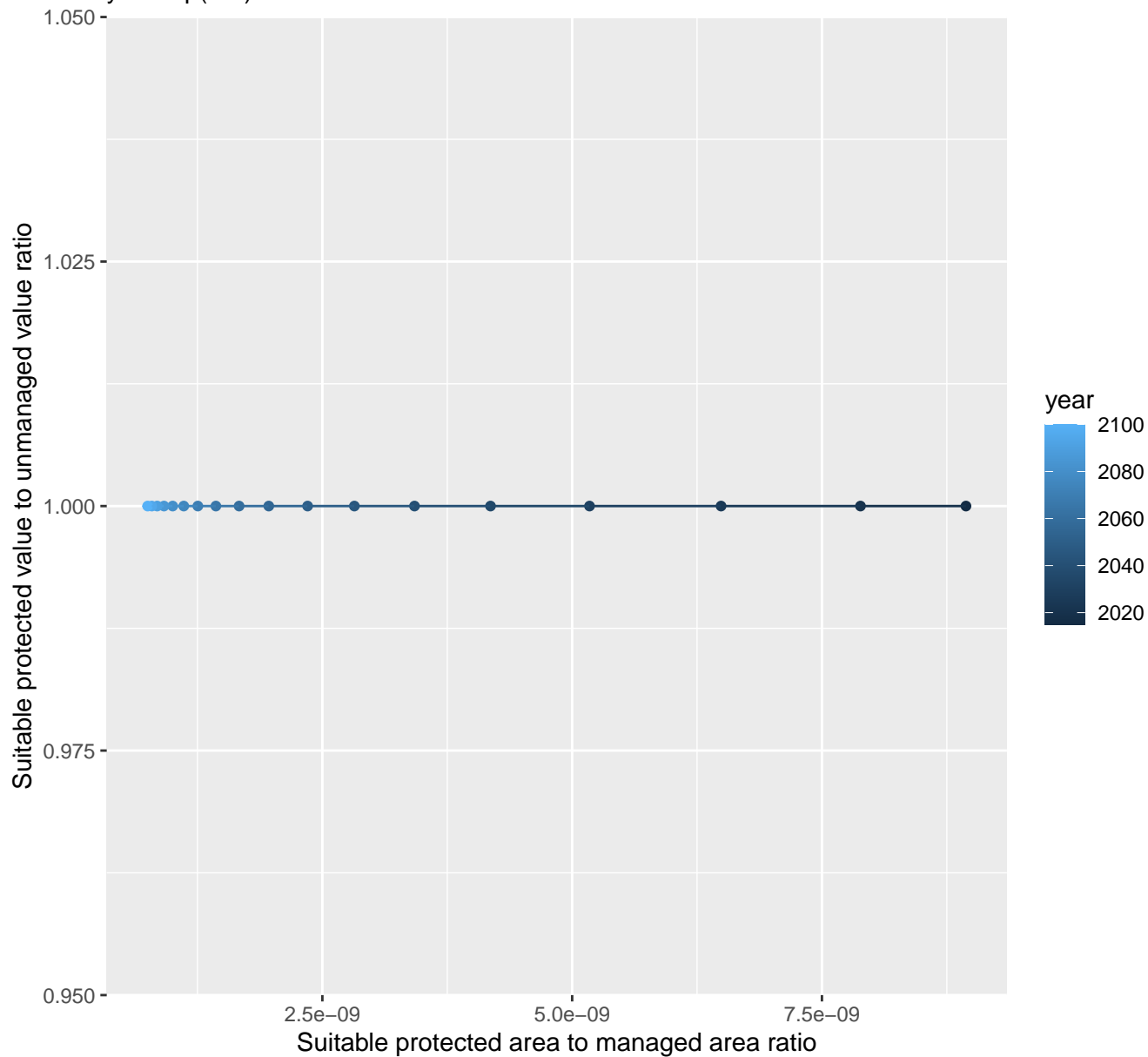
nls random pval = 0.00355

$$y=0.03+96.03*\exp(-227.99*x)$$



## 5144 marginal protection cost ratio

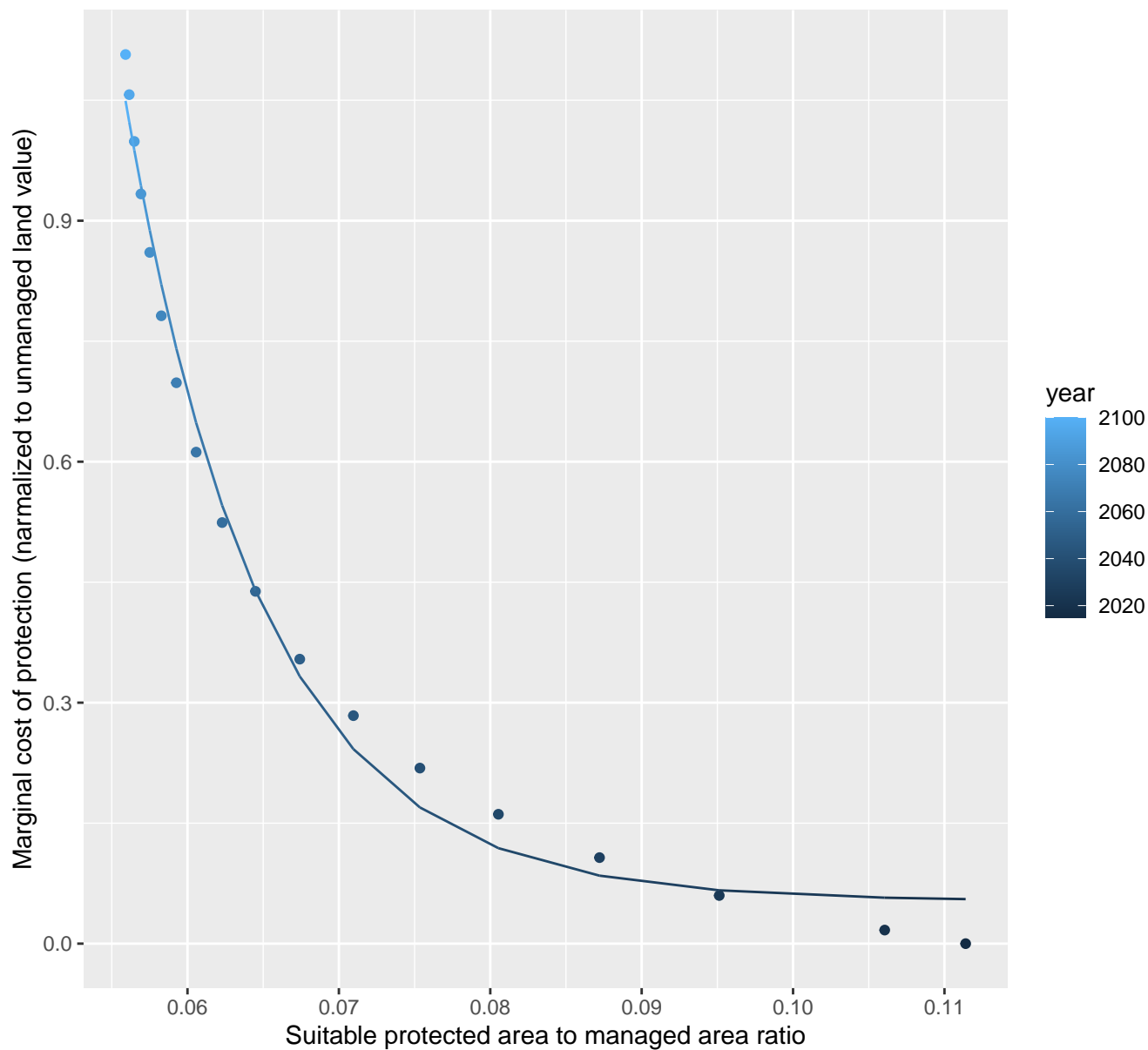
linear-log(y)  $r^2 = 0.2984$   $pval = 0.019$  random  $pval = 0.92461$

$$y = 1 \cdot \exp(0 \cdot x)$$


# 5149 marginal protection cost ratio

nls random pval = 0.00355

$$y=0.05+479.21*\exp(-110.47*x)$$

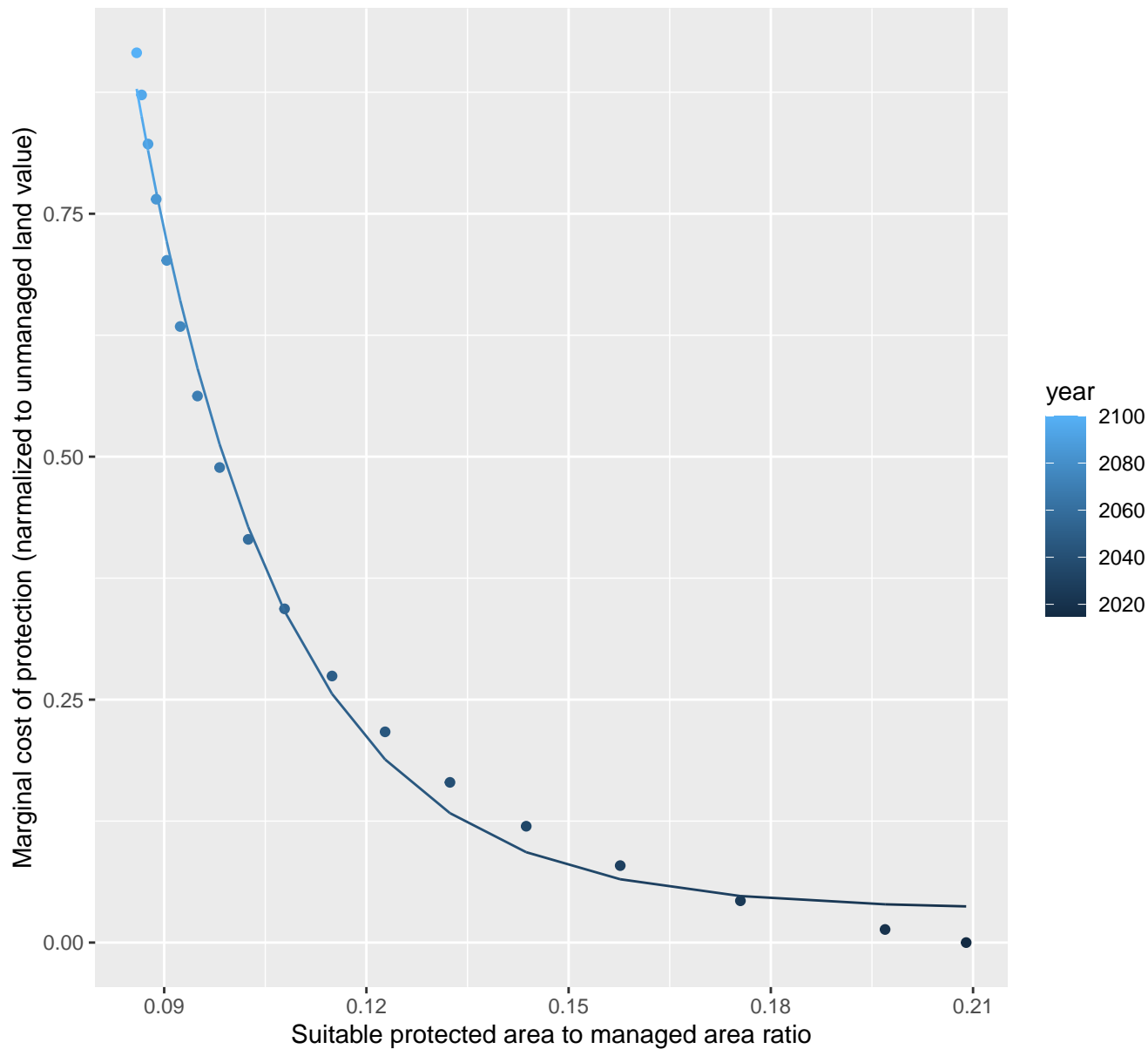




# 5151 marginal protection cost ratio

nls random pval = 0.00355

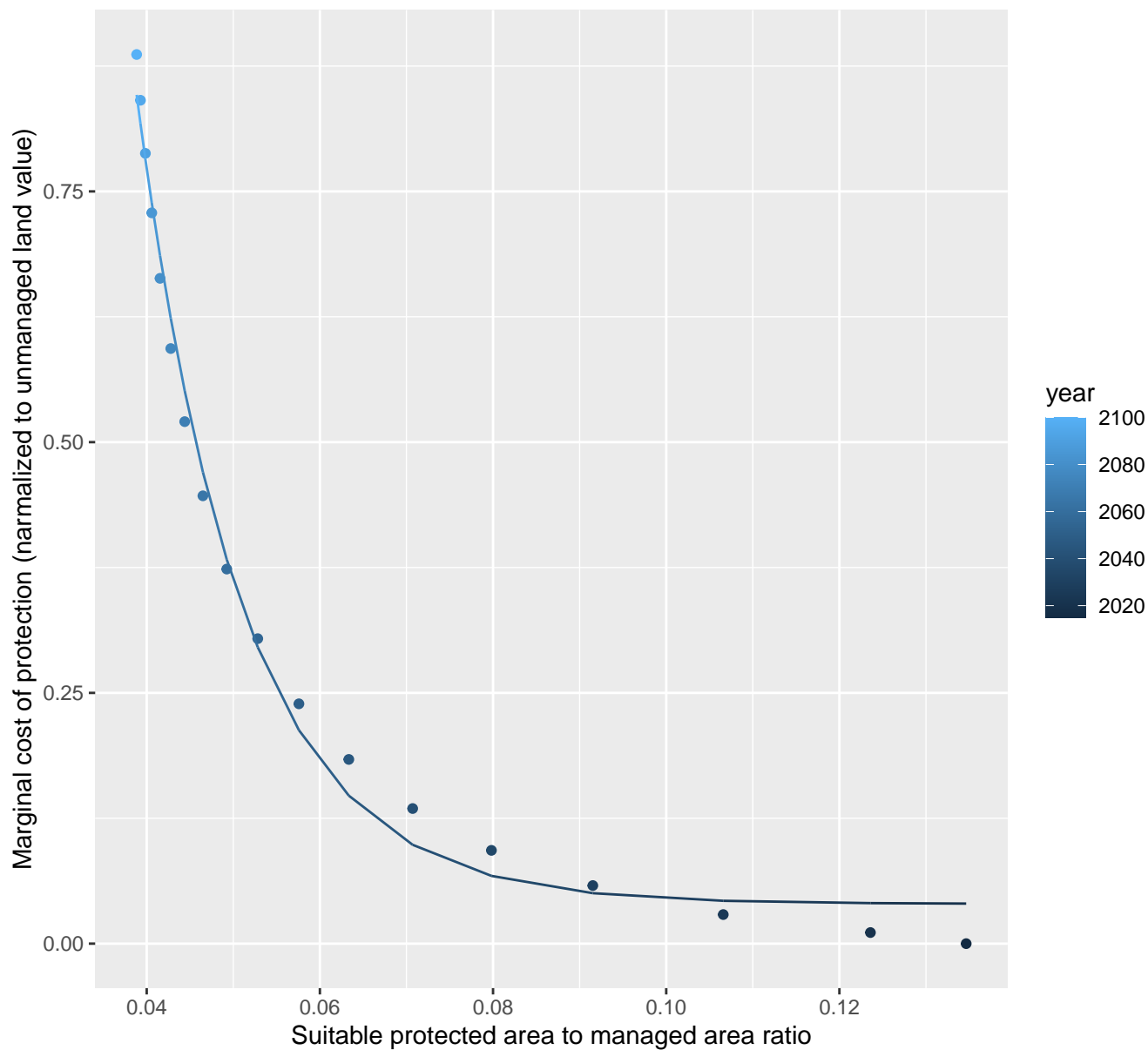
$$y=0.03+44.48*\exp(-46.15*x)$$



# 5152 marginal protection cost ratio

nls random pval = 0.00355

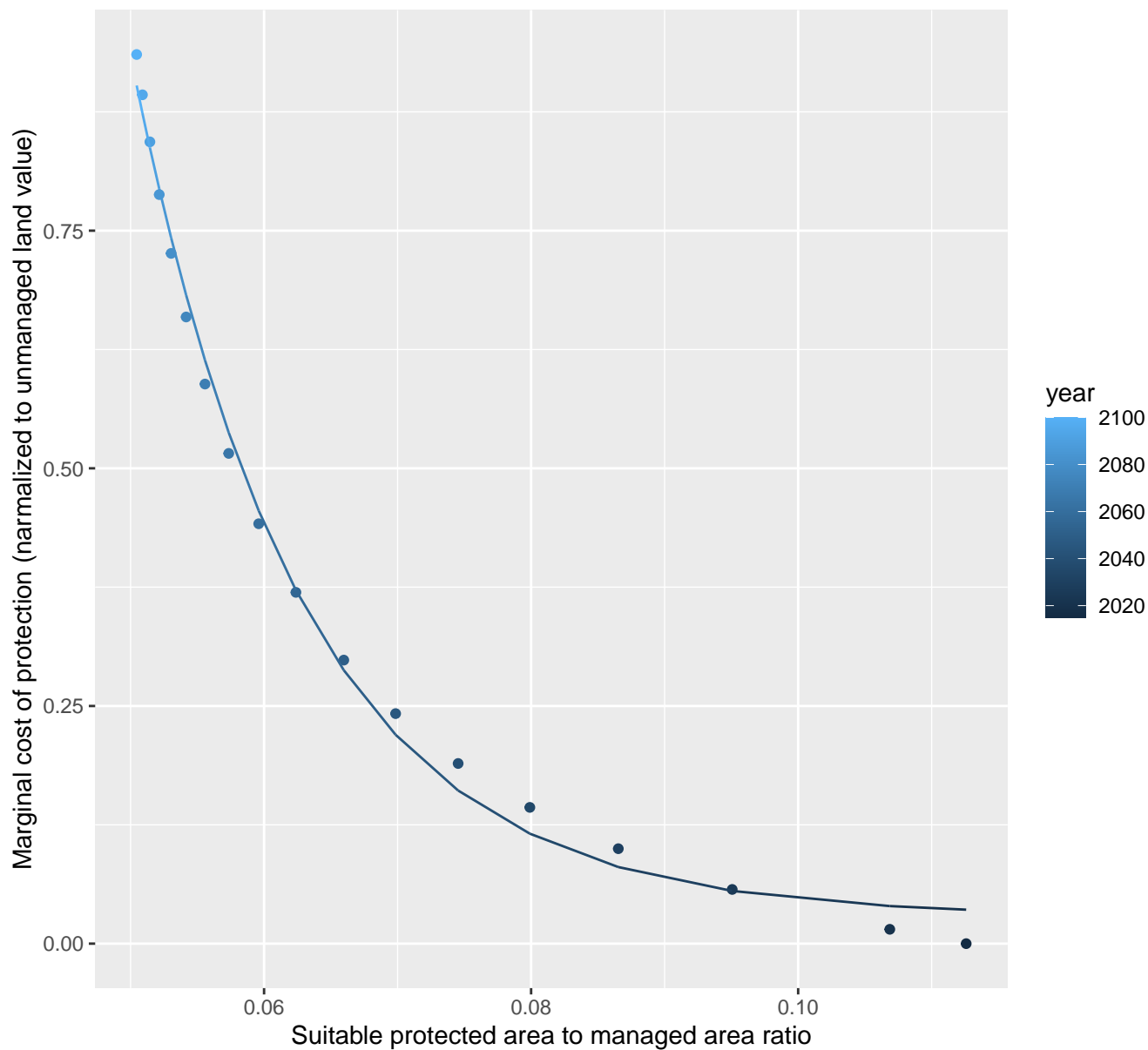
$$y=0.04+19.56*\exp(-82.09*x)$$



# 5160 marginal protection cost ratio

nls random pval = 0.00355

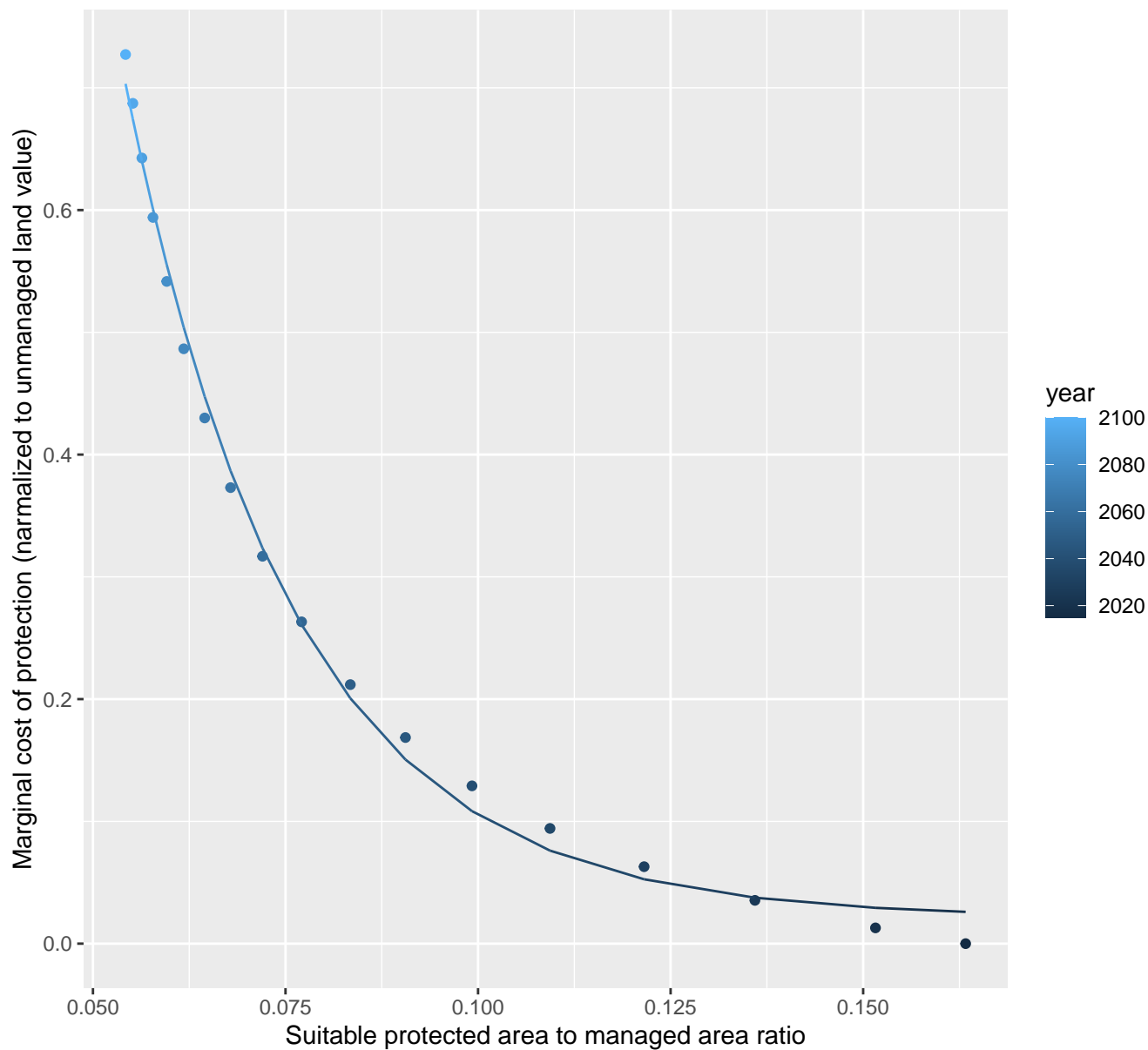
$$y=0.03+45.84*\exp(-78.49*x)$$



# 5162 marginal protection cost ratio

nls random pval = 0.00355

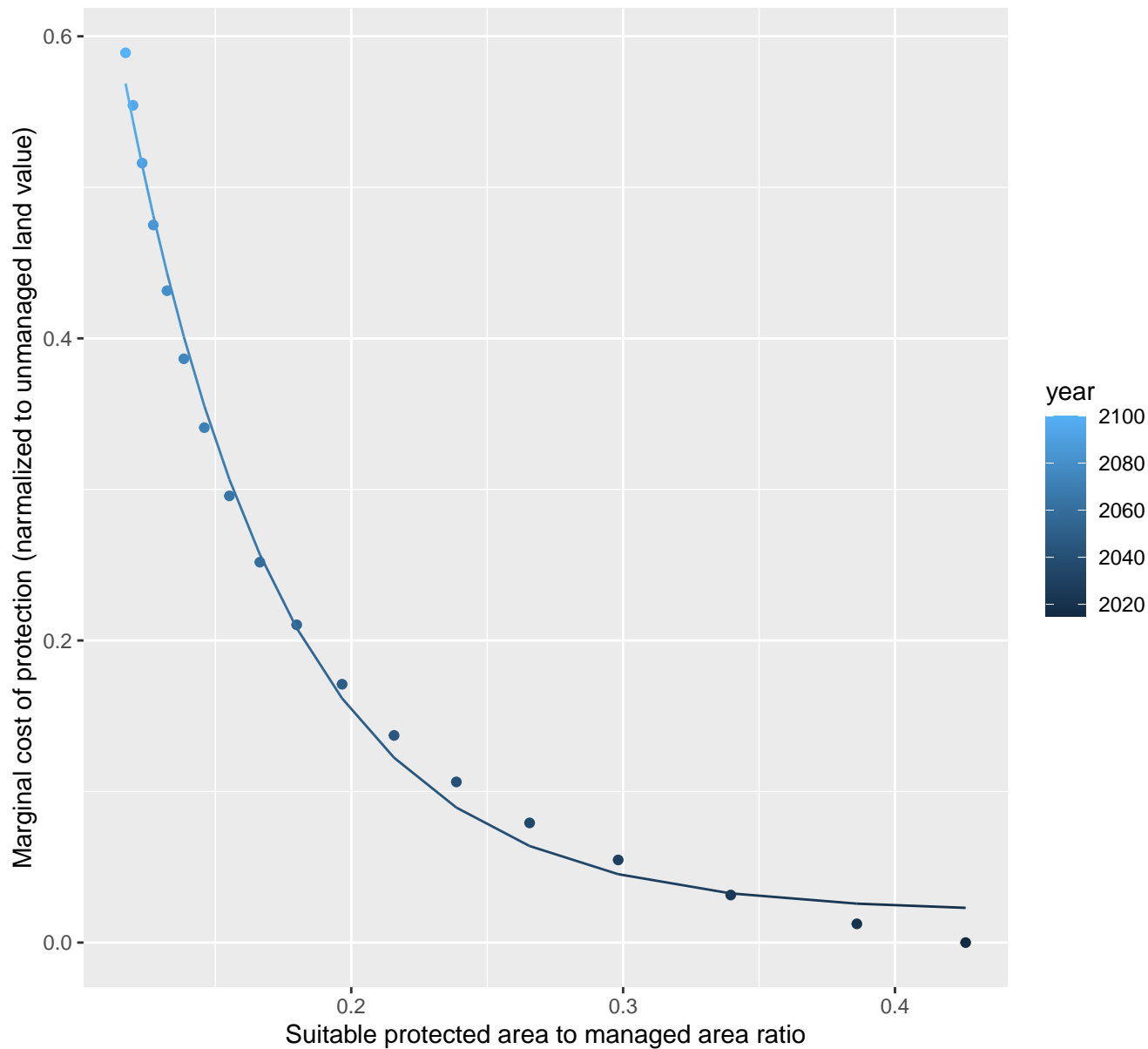
$$y=0.02+8.17*\exp(-45.78*x)$$



# 5183 marginal protection cost ratio

nls random pval = 0.00355

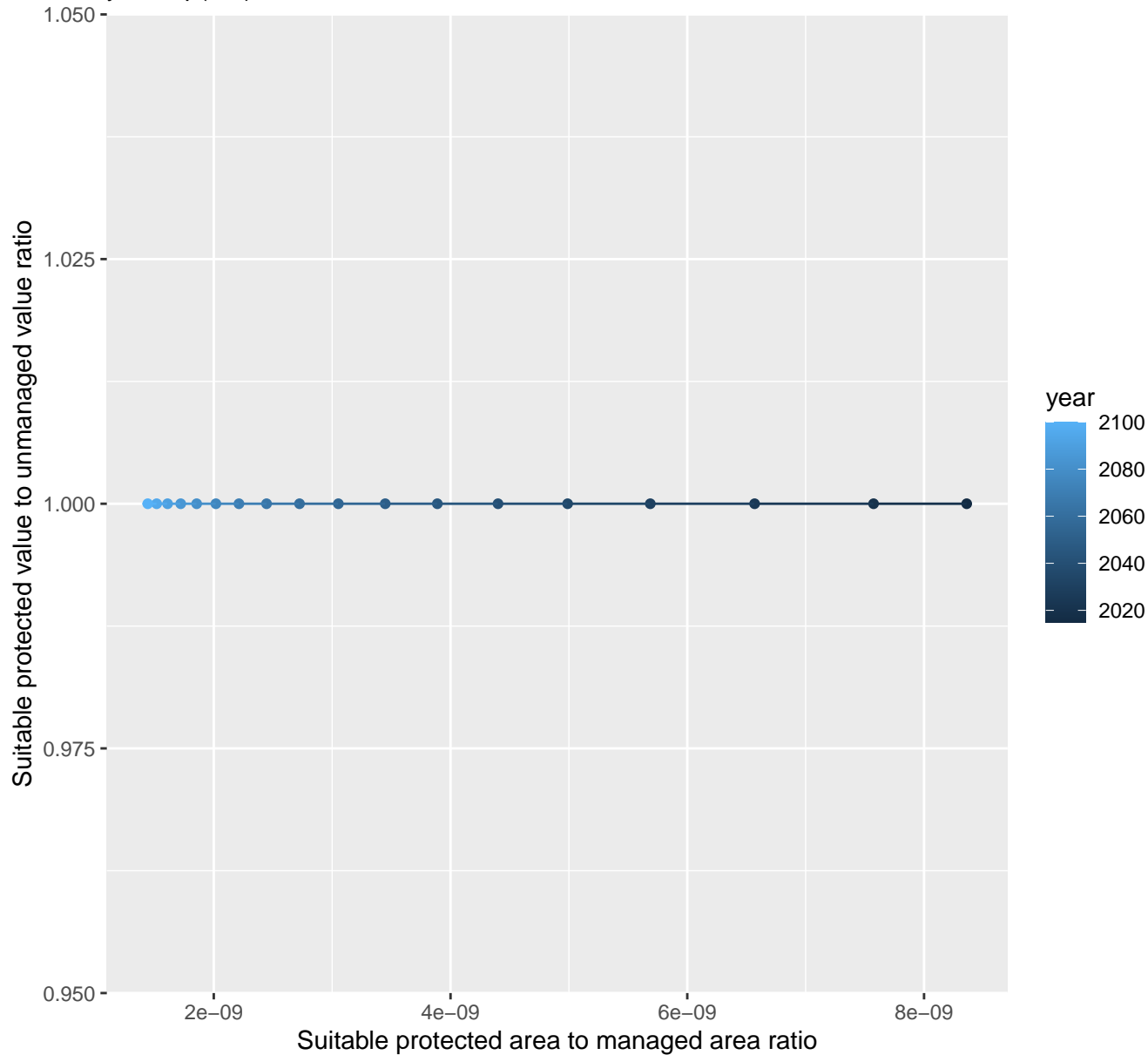
$$y=0.02+4.01*\exp(-17.01*x)$$



# 5188 marginal protection cost ratio

linear-log(y)  $r^2 = 0.0095$   $pval = 0.7005$  random  $pval = 0.46617$

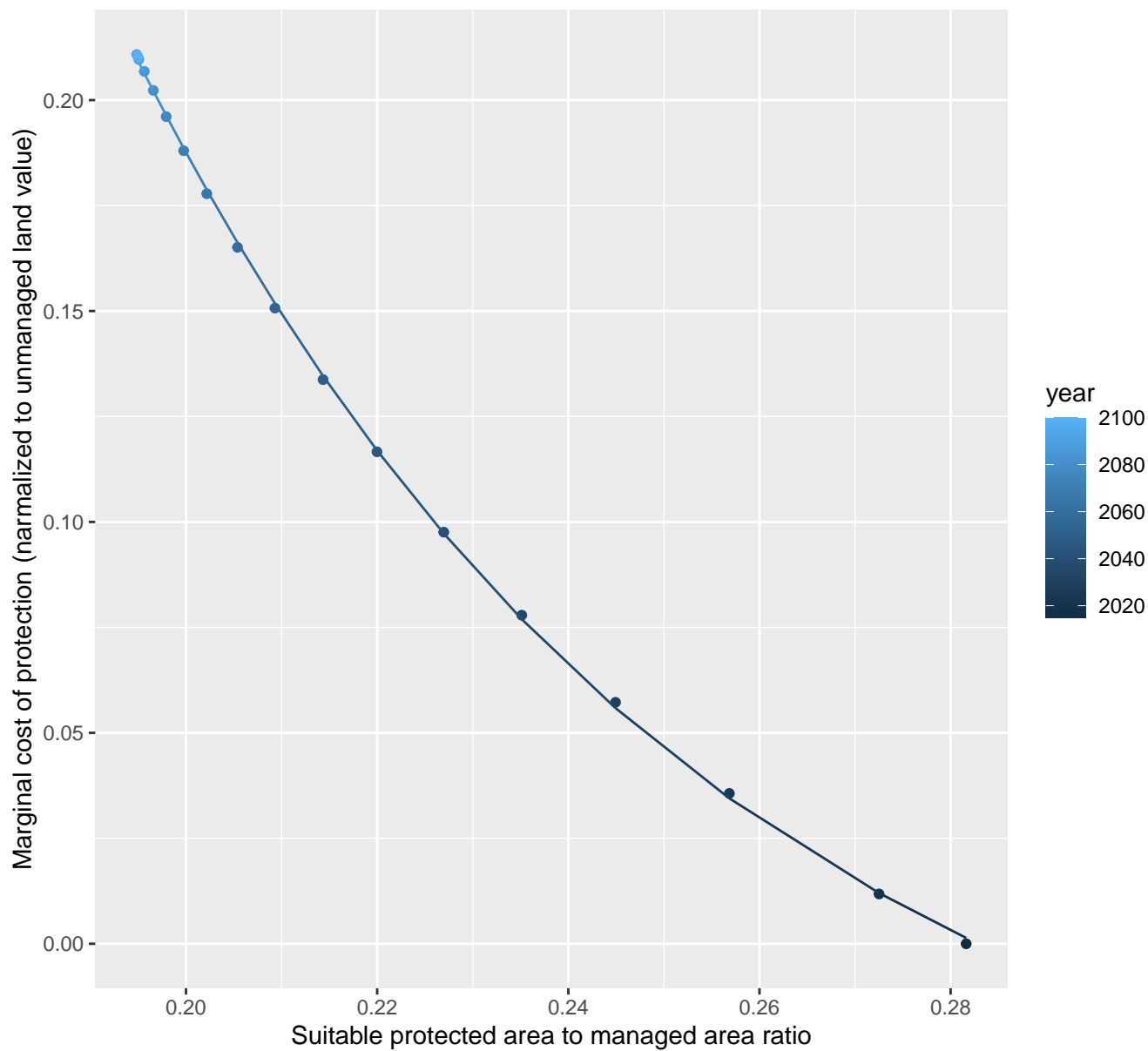
$$y = 1 * \exp(0 * x)$$



# 31169 marginal protection cost ratio

nls random pval = 0.00355

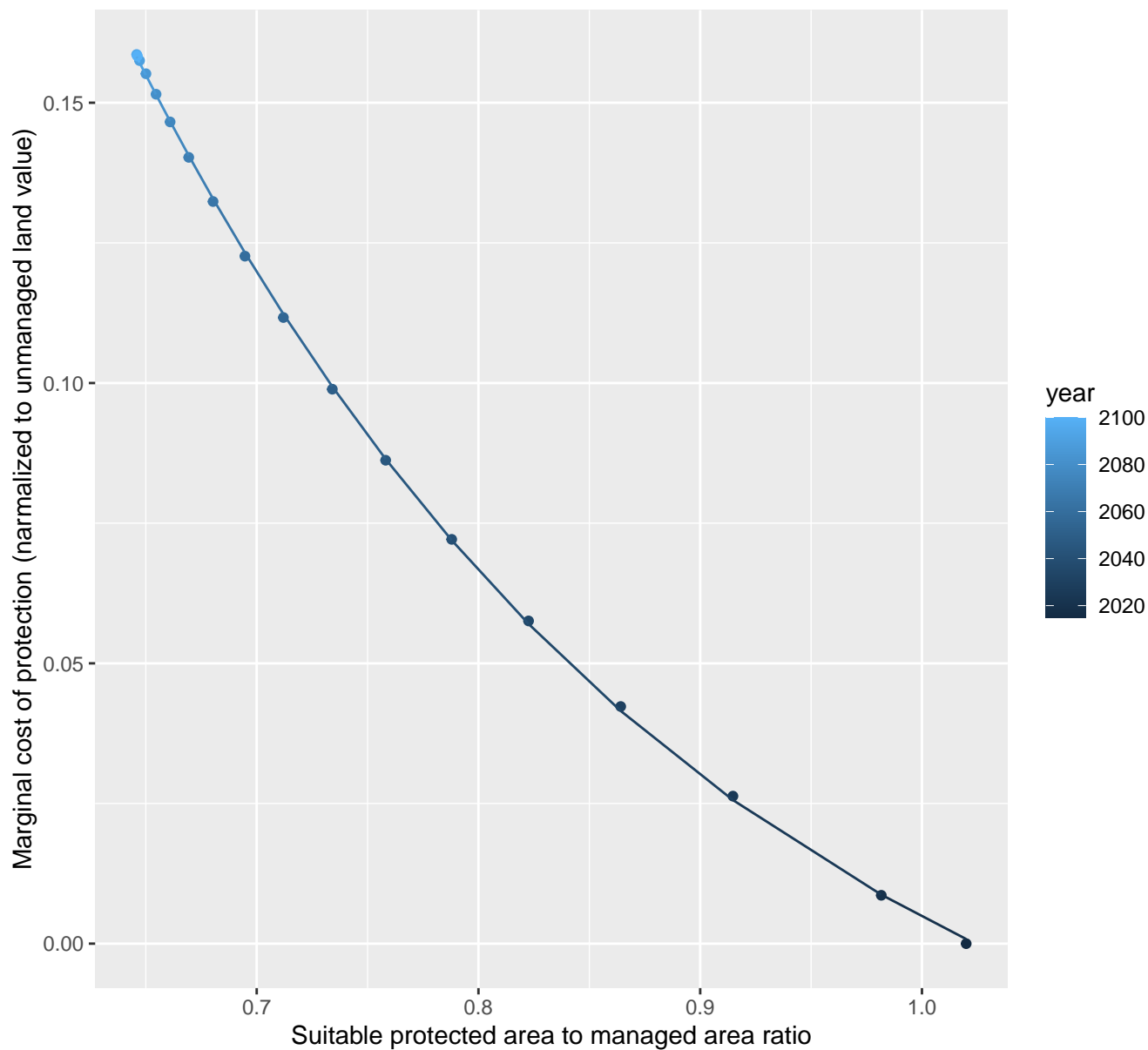
$$y = -0.06 + 6.79 \cdot \exp(-16.47 \cdot x)$$



# 31200 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.05 + 2.36 \cdot \exp(-3.75 \cdot x)$$

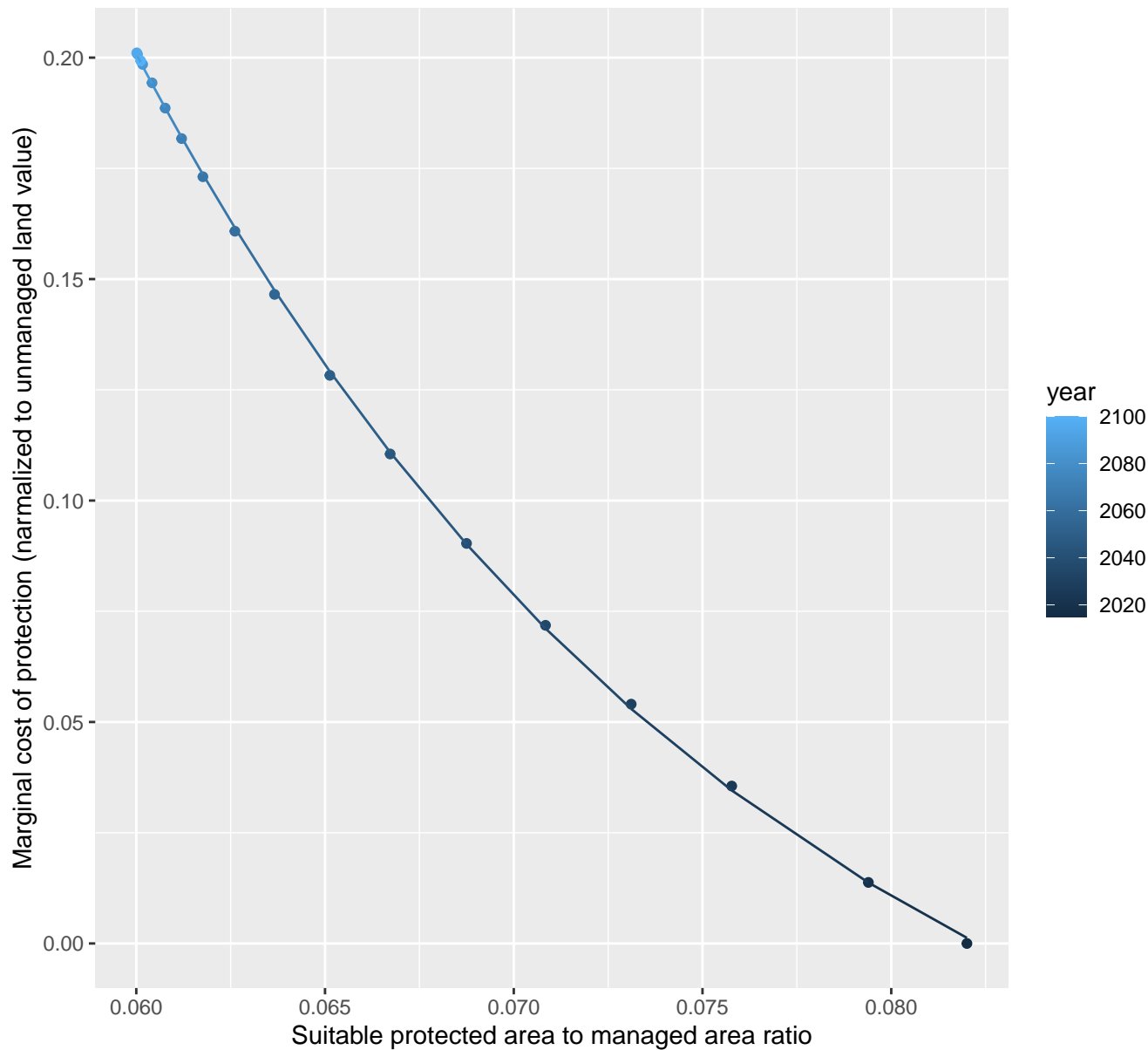




# 31203 marginal protection cost ratio

nls random pval = 0.00355

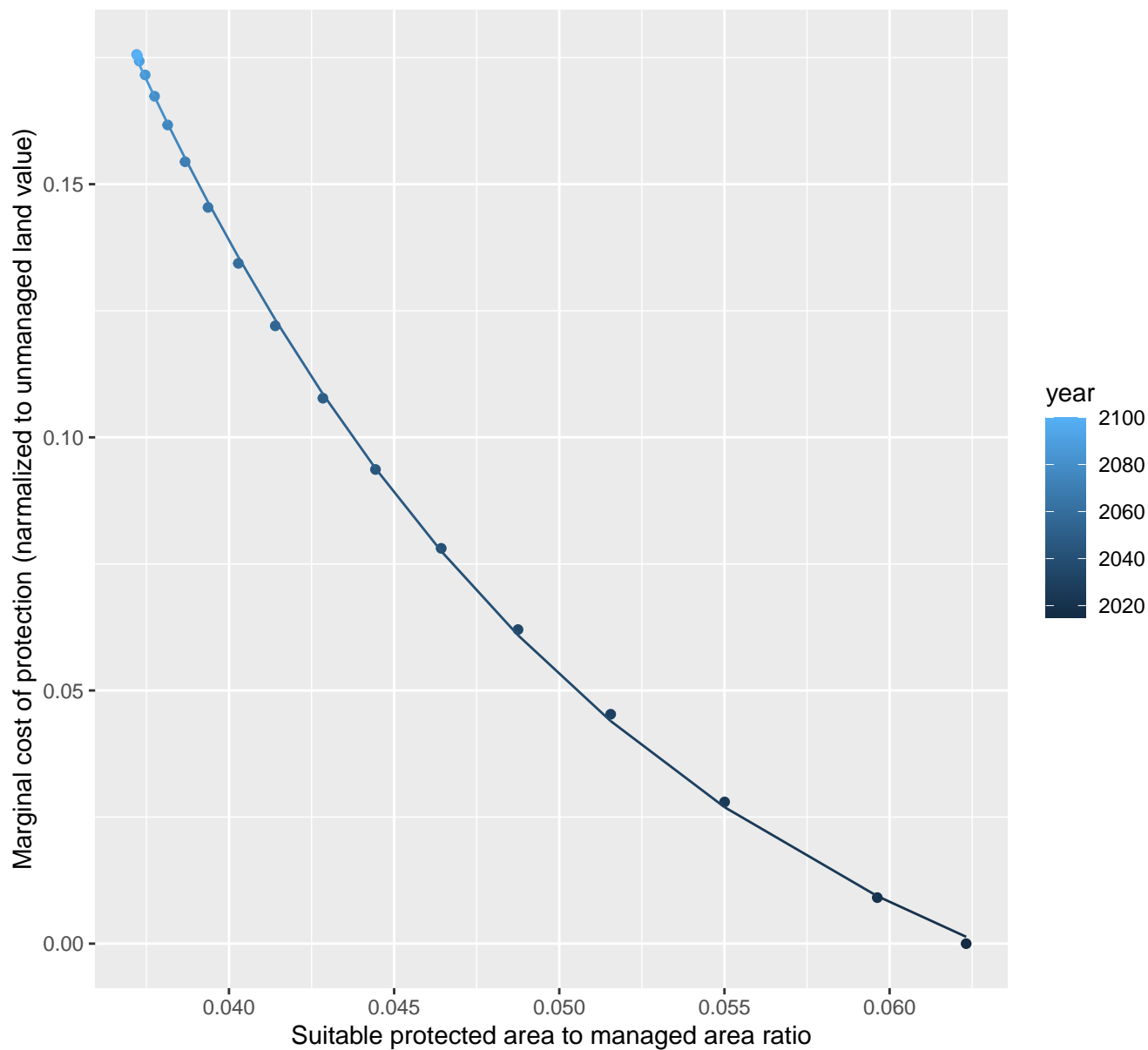
$$y = -0.07 + 9.46 \cdot \exp(-58.99 \cdot x)$$



# 31205 marginal protection cost ratio

nls random pval = 0.00355

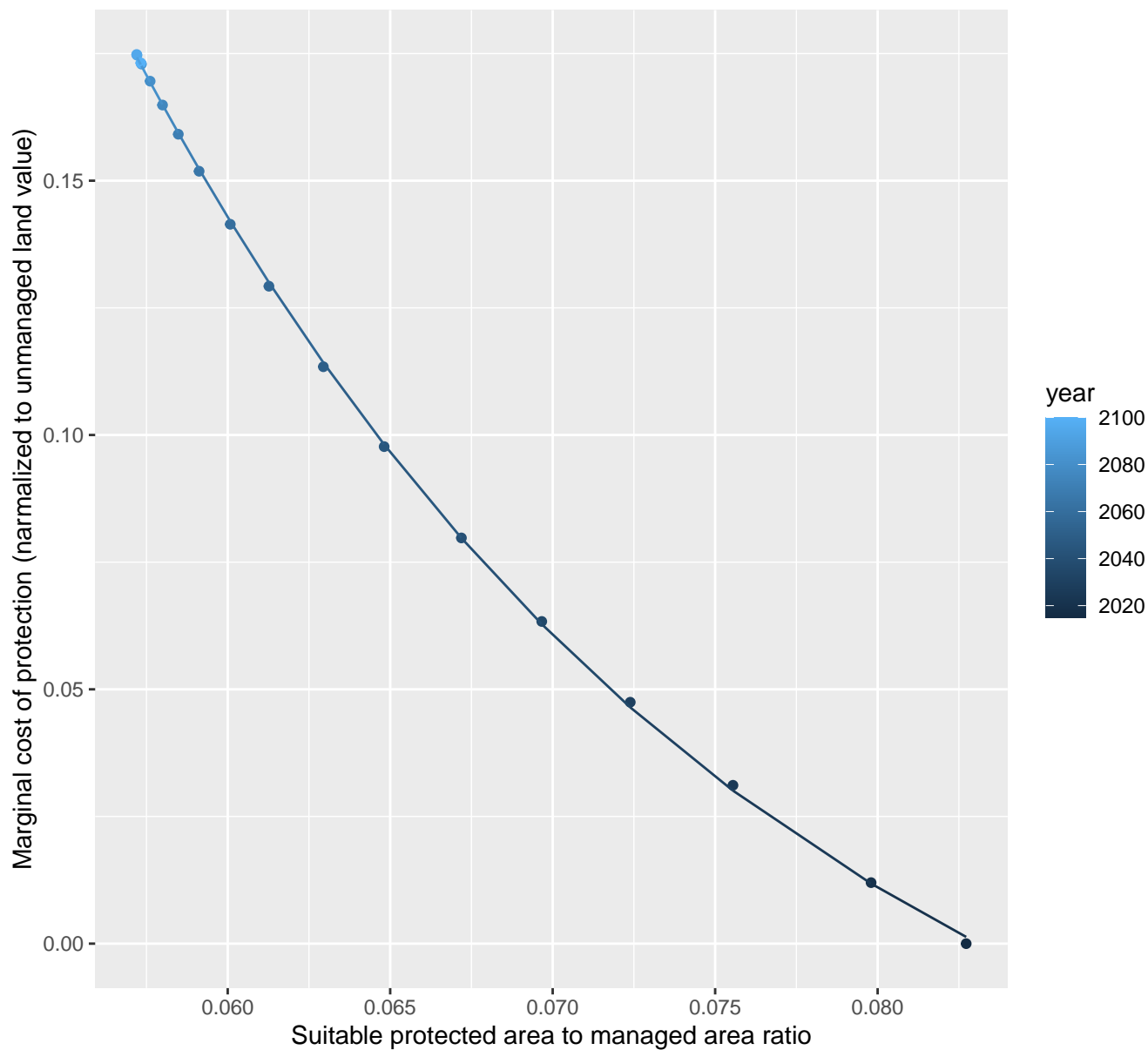
$$y = -0.04 + 2.43 \cdot \exp(-65.12 \cdot x)$$



# 31206 marginal protection cost ratio

nls random pval = 0.00355

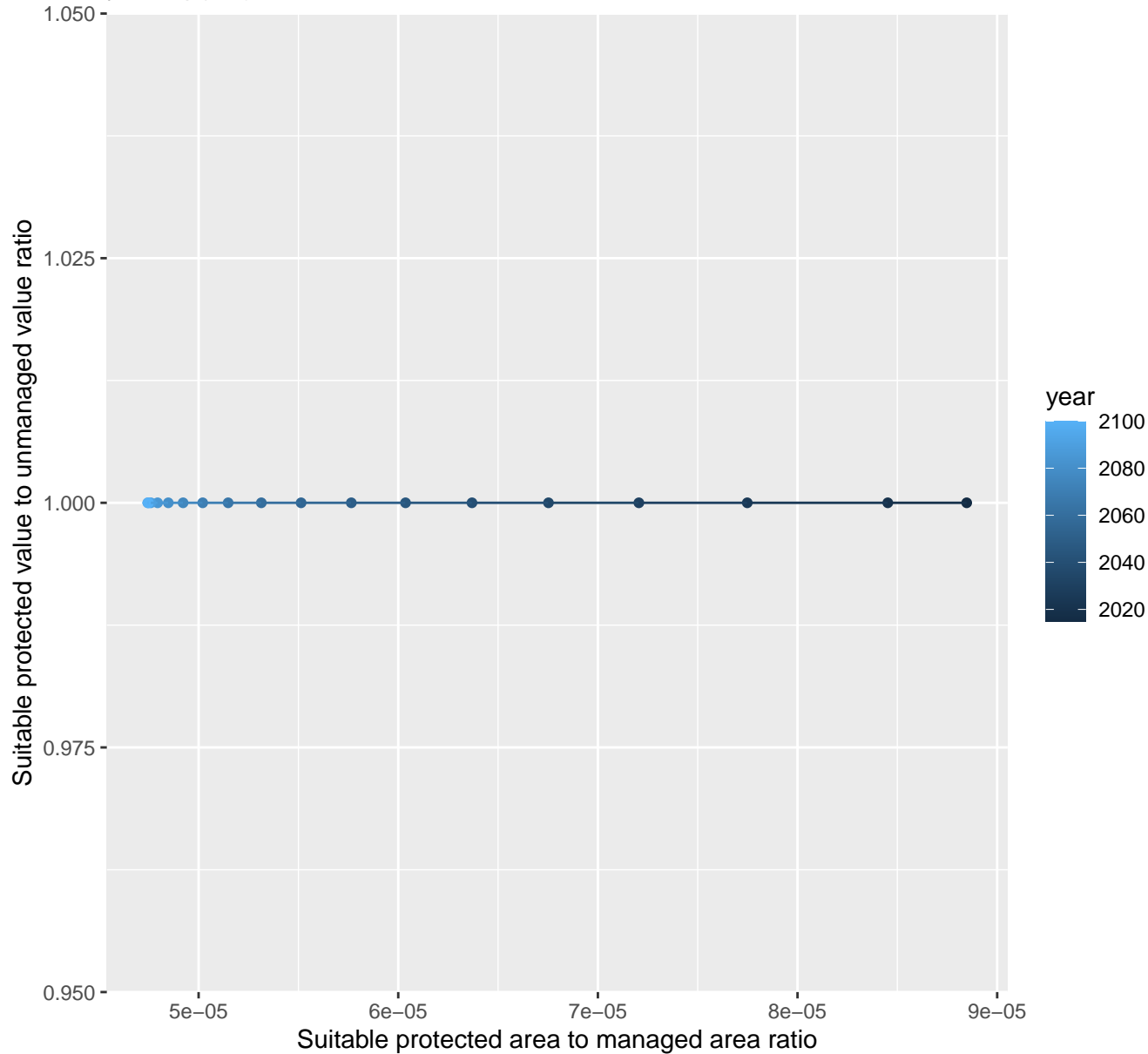
$$y = -0.06 + 4.27 \cdot \exp(-50.42 \cdot x)$$



# 31207 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00913$  pval = 0.70611 random pval = 0.66252

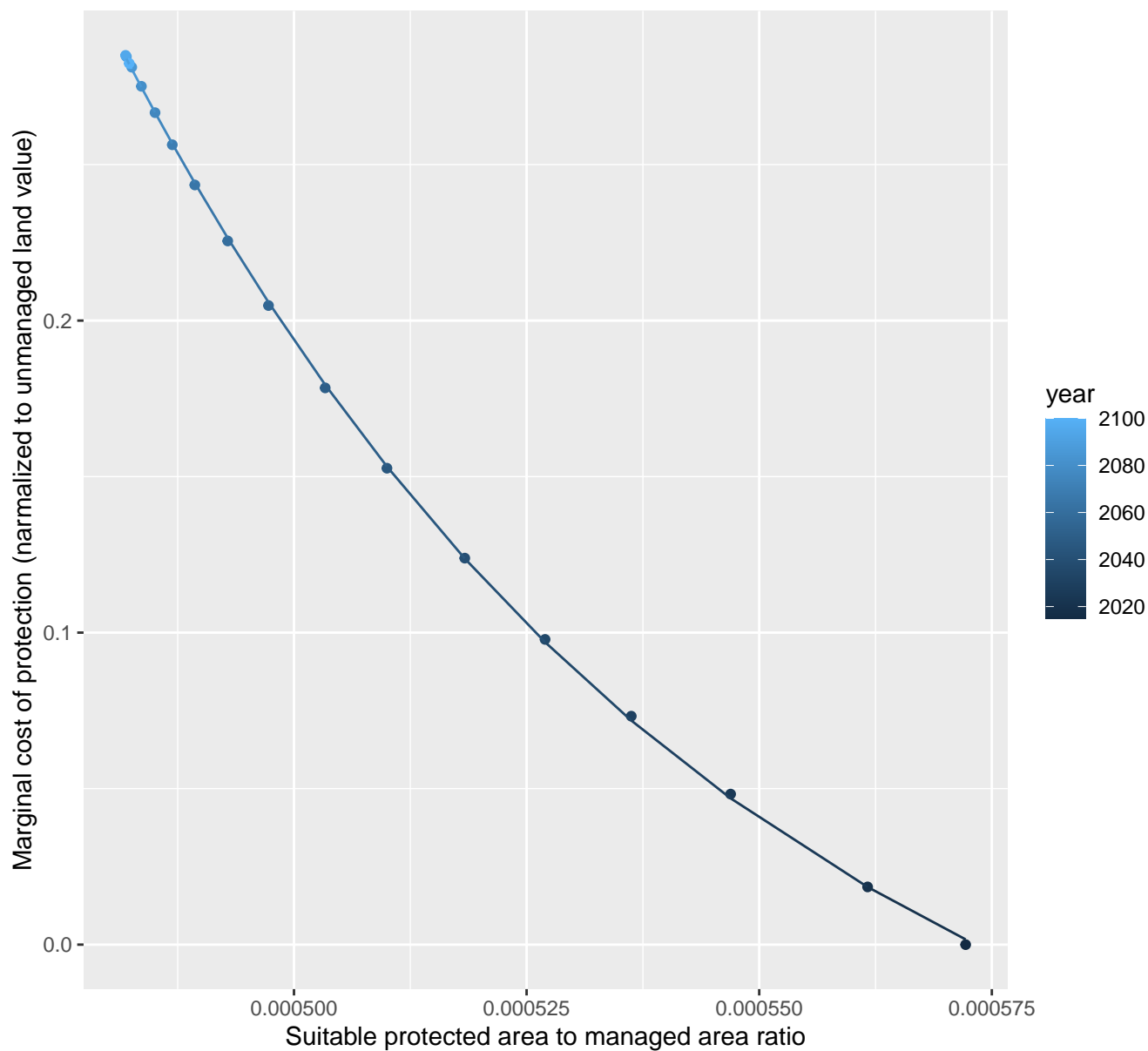
$$y = 1 * \exp(0 * x)$$



# 31209 marginal protection cost ratio

nls random pval = 0.00355

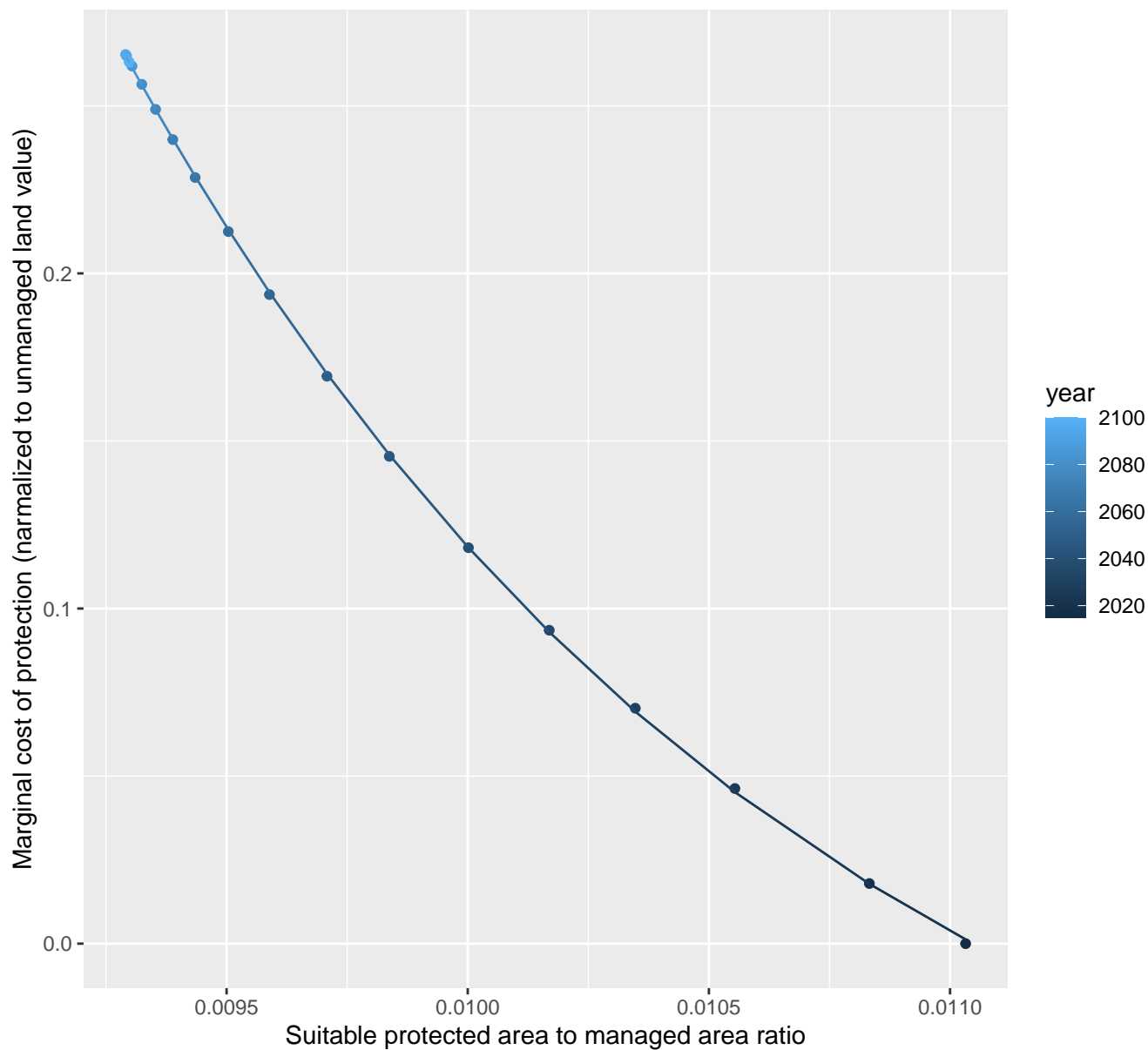
$$y = -0.1 + 537.31 \cdot \exp(-15050.4 \cdot x)$$



# 31210 marginal protection cost ratio

nls random pval = 0.00355

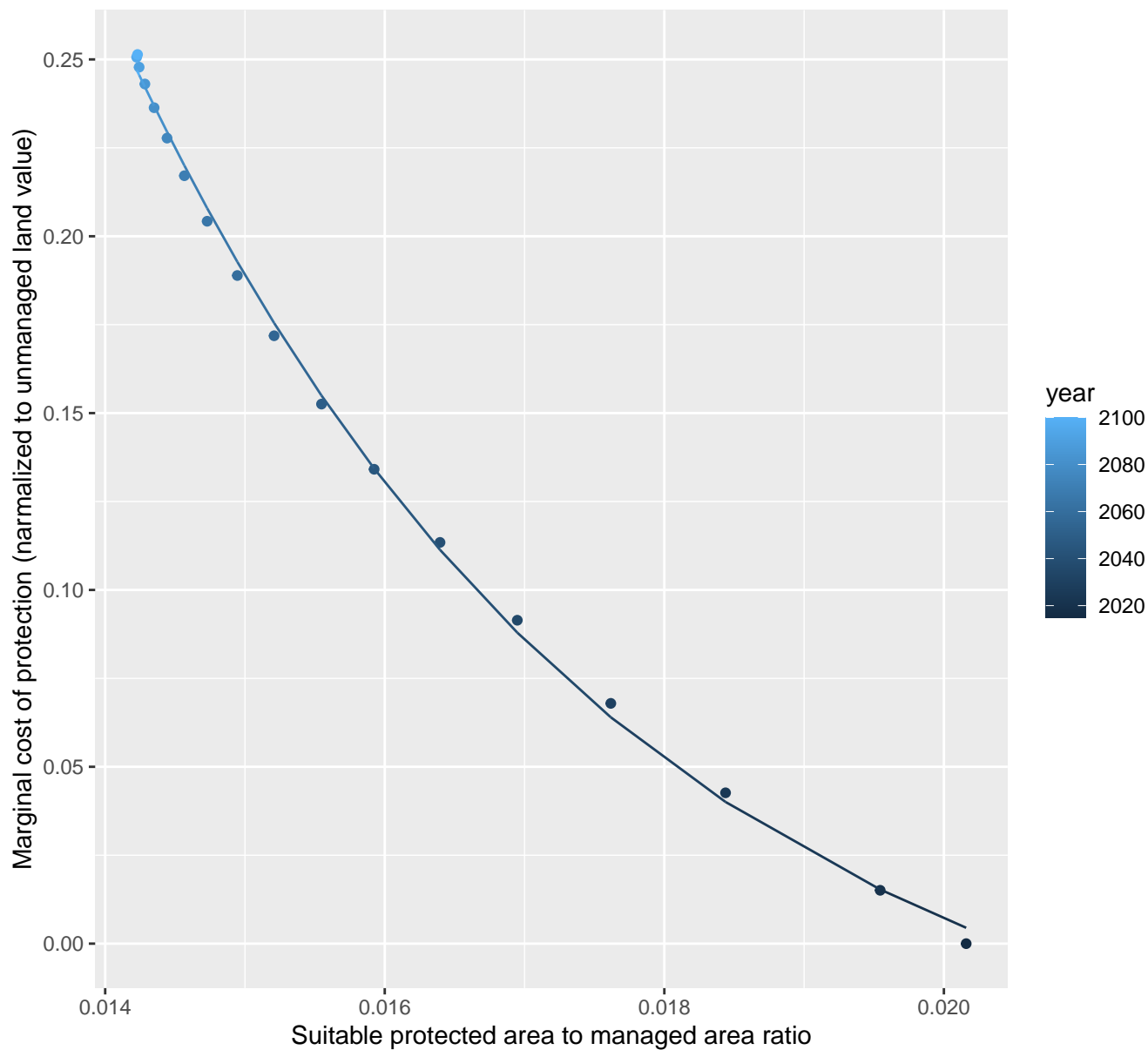
$$y = -0.11 + 251.72 \cdot \exp(-700.91 \cdot x)$$



# 31212 marginal protection cost ratio

nls random pval = 0.00355

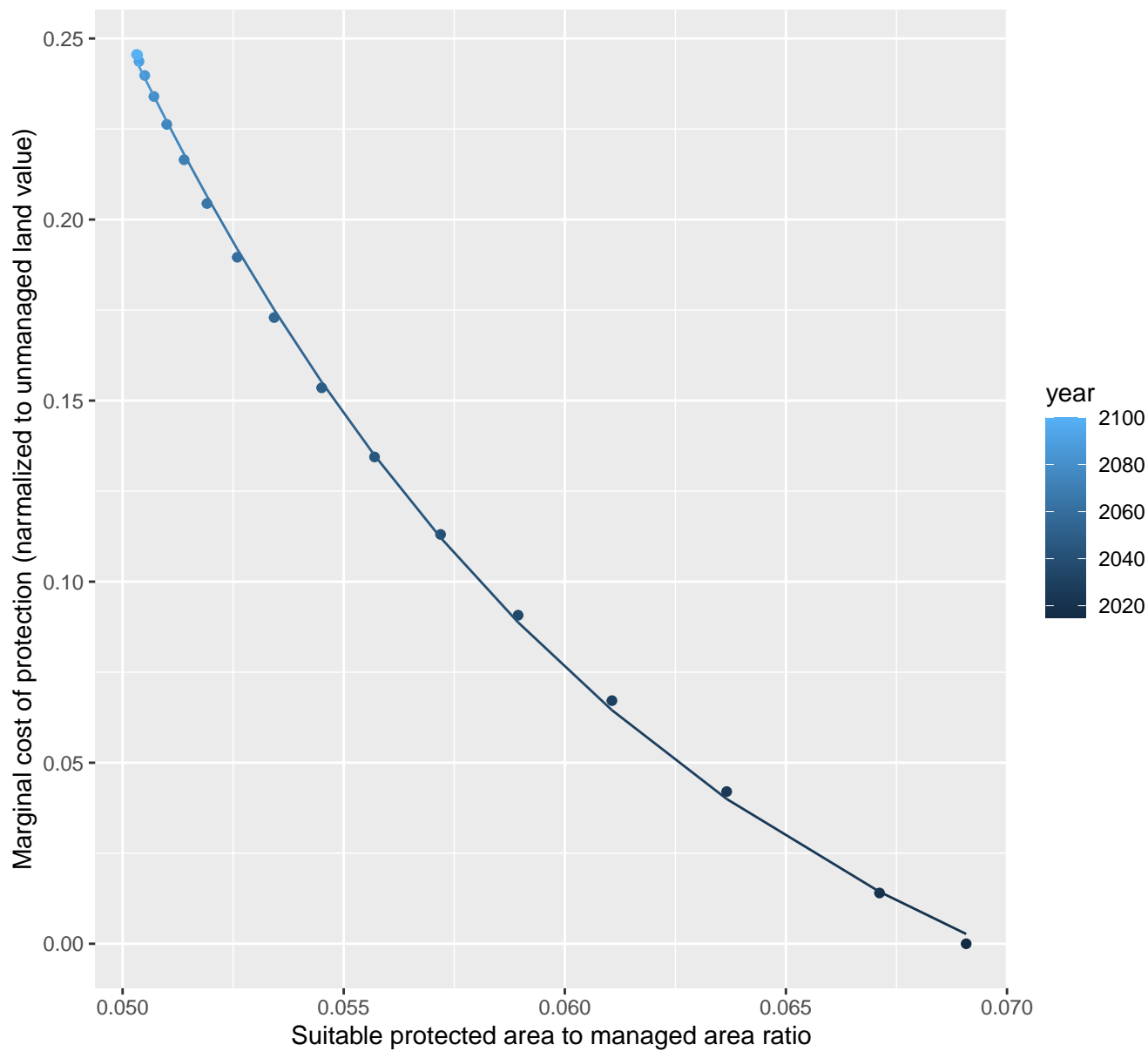
$$y = -0.05 + 15.31 \cdot \exp(-276.23 \cdot x)$$



# 31213 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.07 + 17.85 \cdot \exp(-80.61 \cdot x)$$

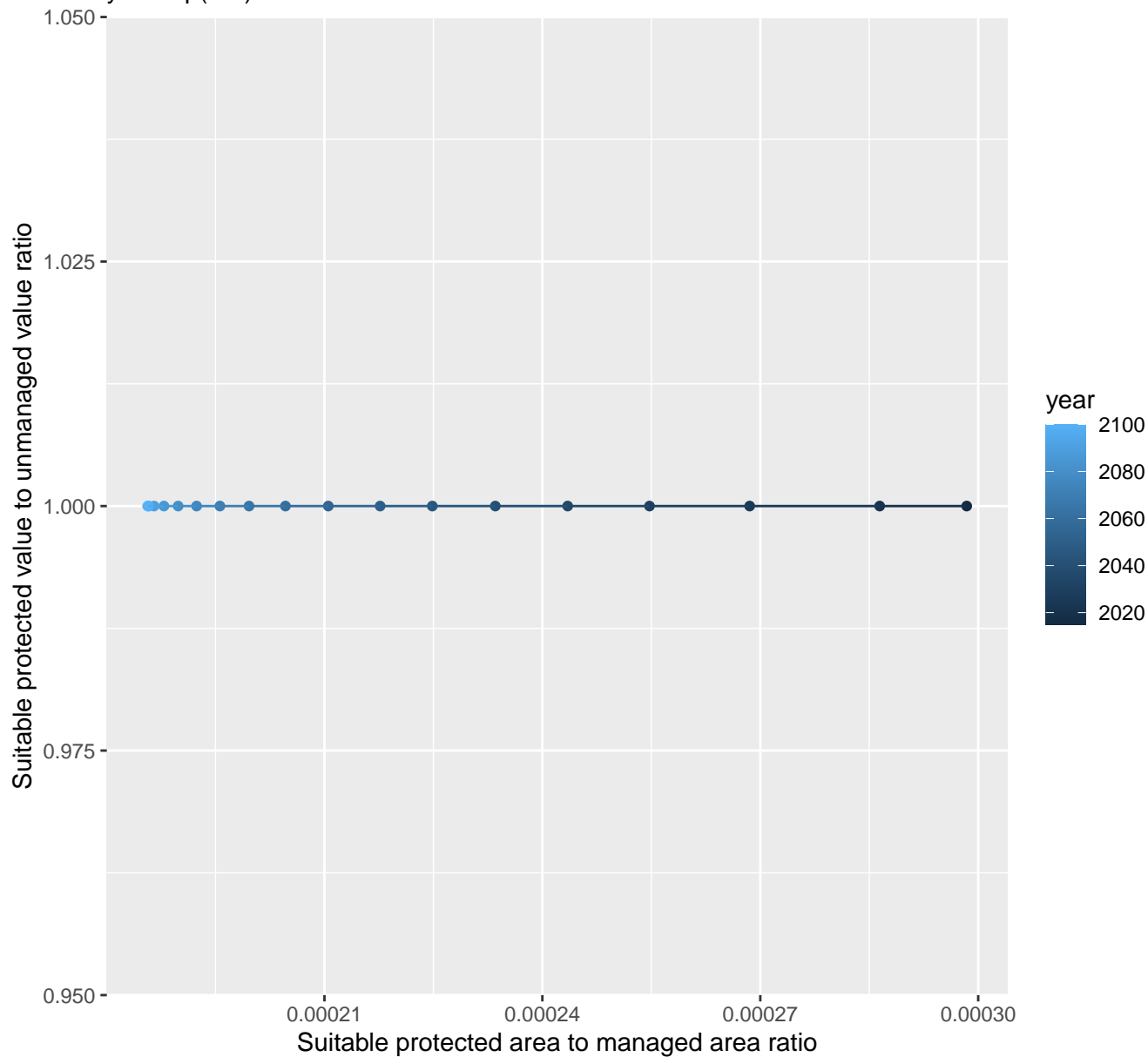




# 31214 marginal protection cost ratio

linear-log(y)  $r^2 = 0.16615$  pval = 0.09314 random pval = 0.36965

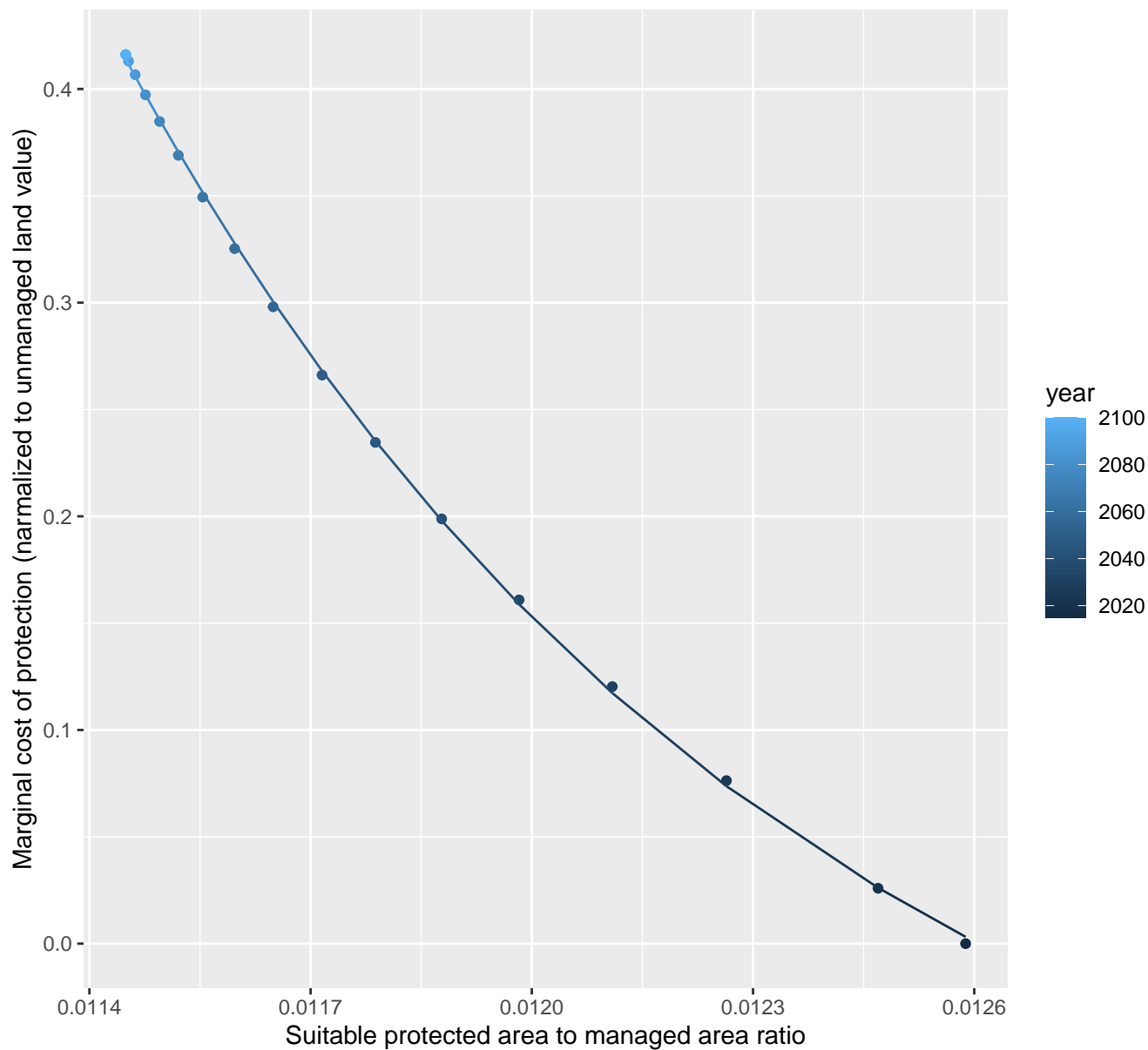
$$y = 1 * \exp(0 * x)$$



# 31215 marginal protection cost ratio

nls random pval = 0.00355

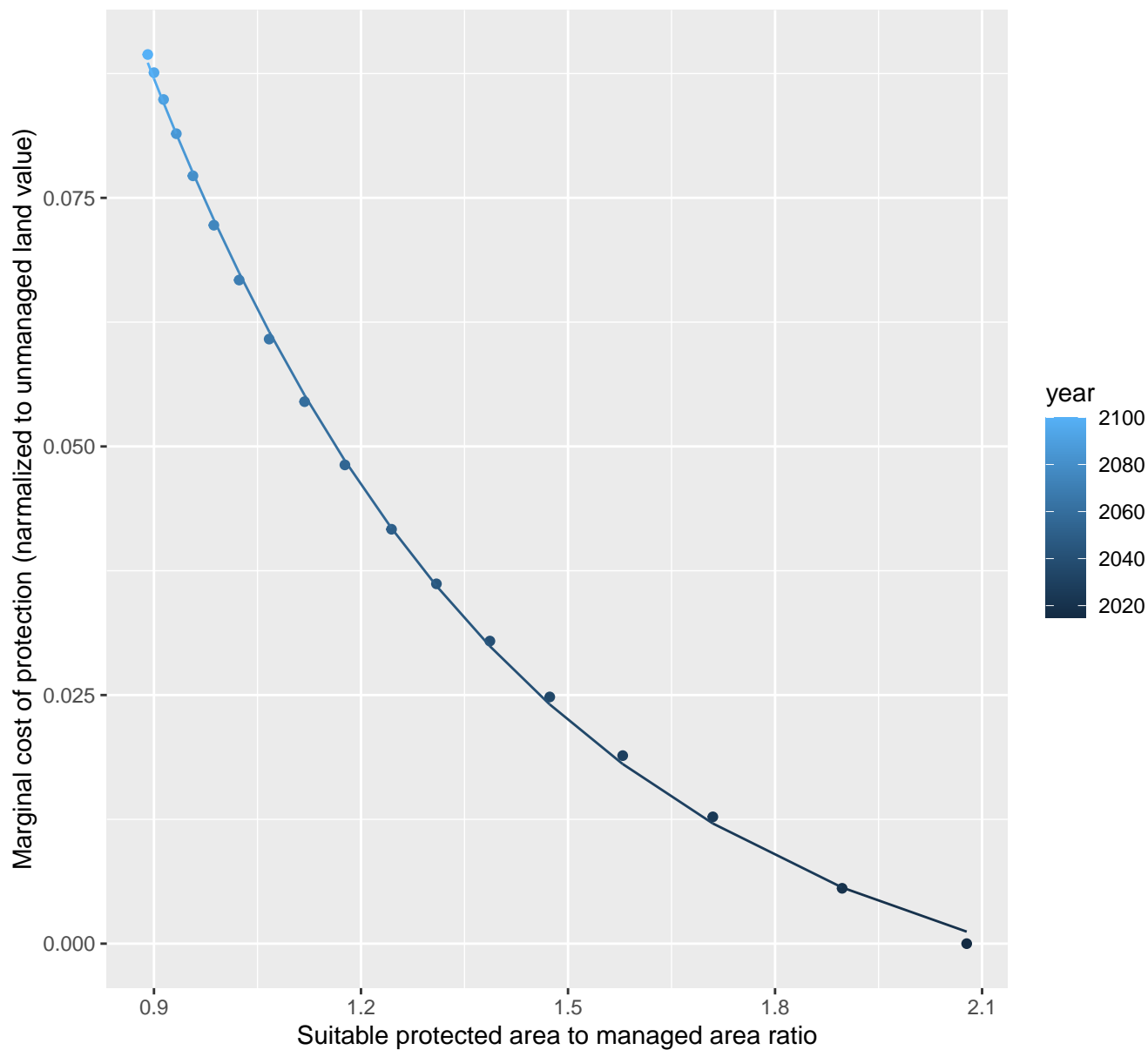
$$y = -0.16 + 164634.55 \cdot \exp(-1097.34 \cdot x)$$



# 6184 marginal protection cost ratio

nls random pval = 0.00355

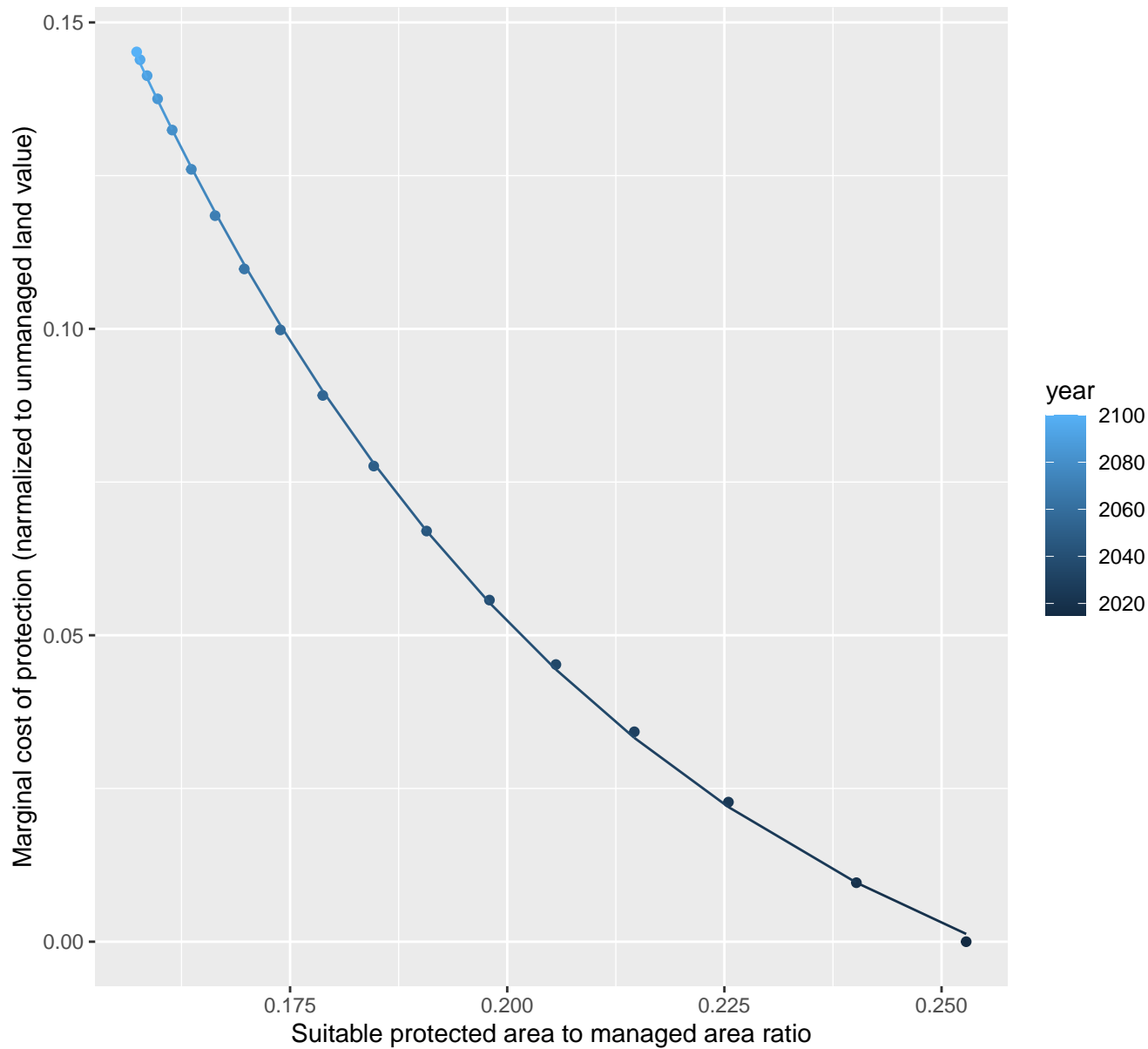
$$y = -0.01 + 0.5 \cdot \exp(-1.82 \cdot x)$$



# 6189 marginal protection cost ratio

nls random pval = 0.00355

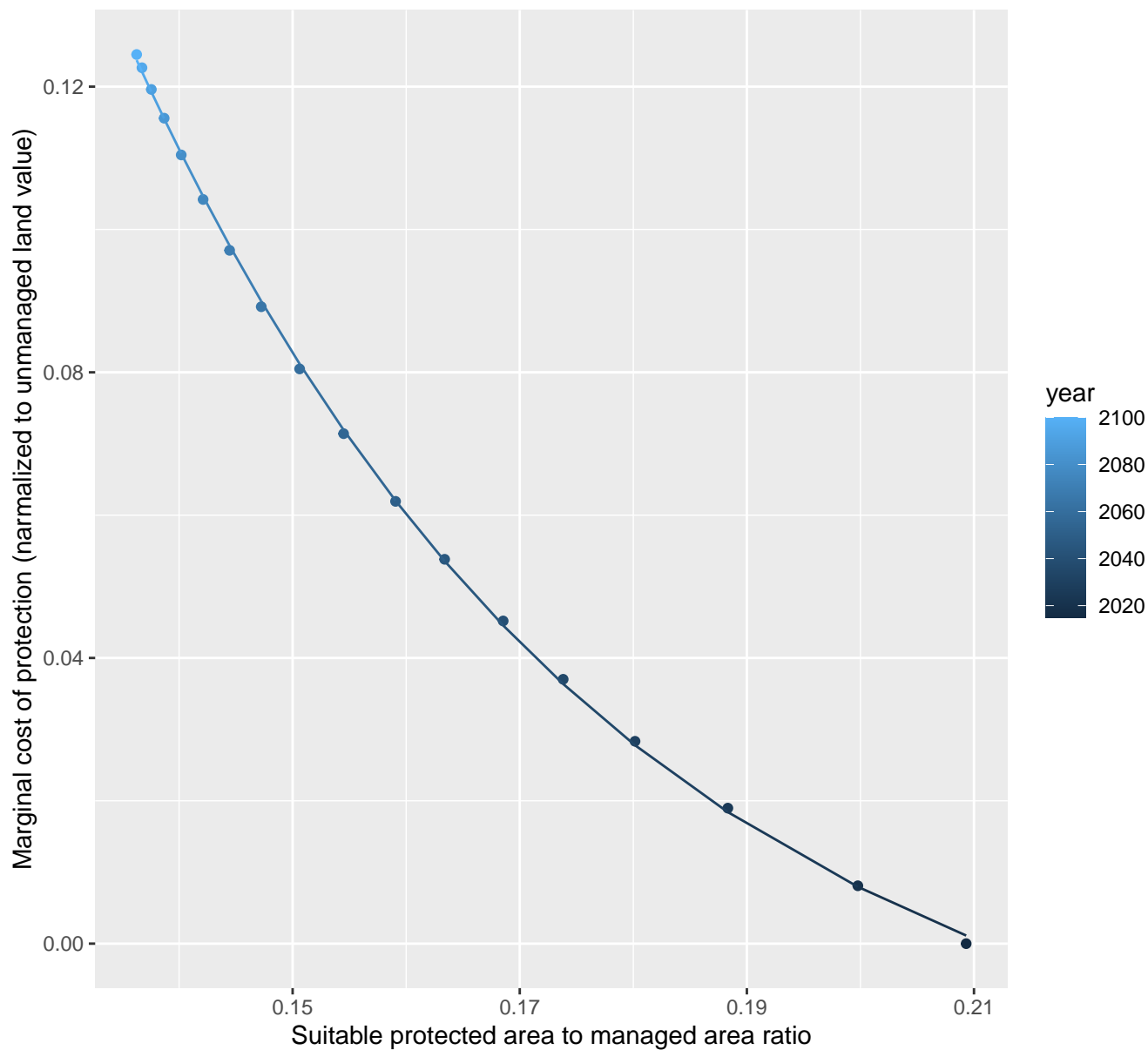
$$y = -0.03 + 2.64 \cdot \exp(-17.15 \cdot x)$$



# 6191 marginal protection cost ratio

nls random pval = 0.00355

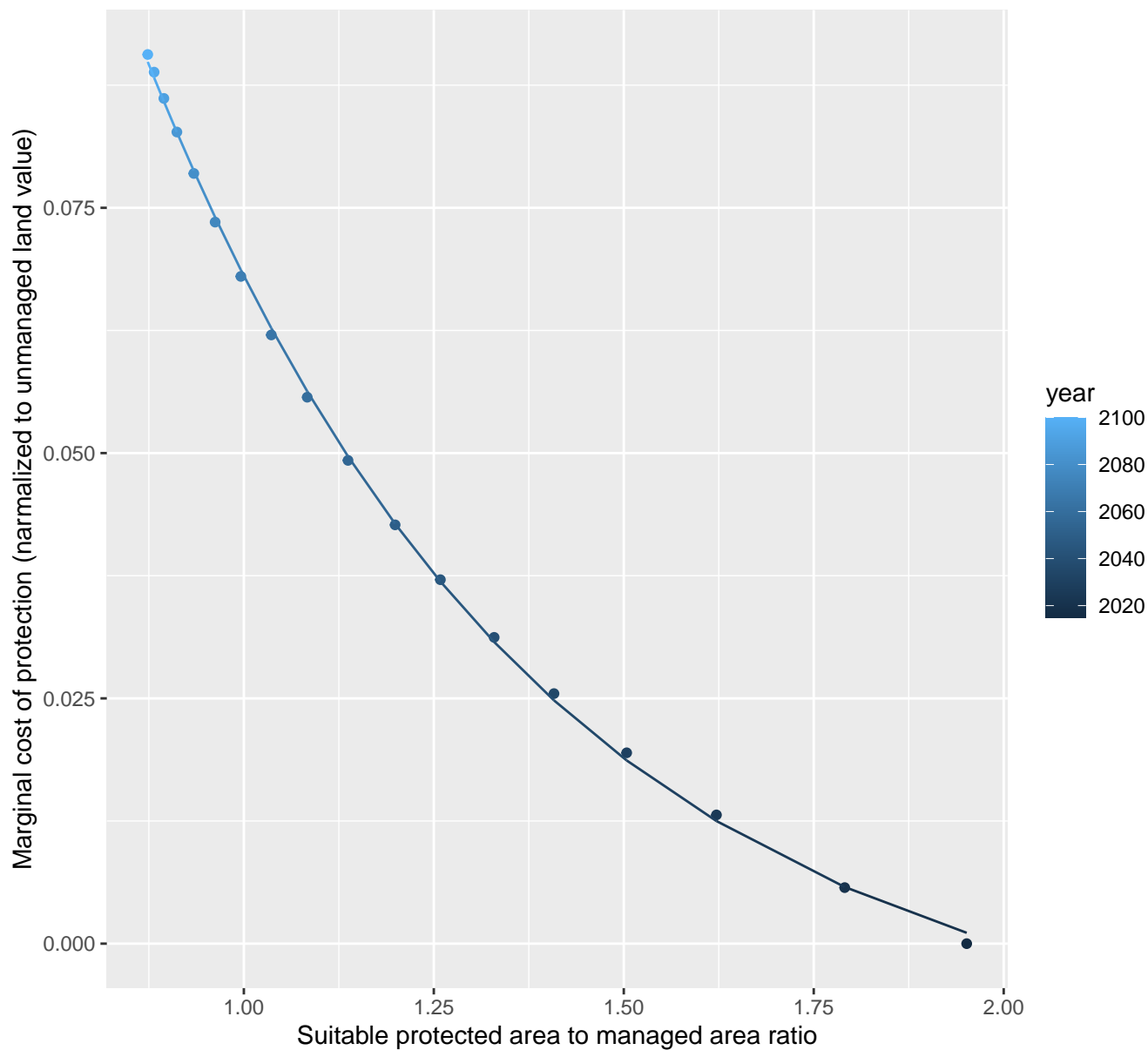
$$y = -0.03 + 3.55 \cdot \exp(-23.22 \cdot x)$$



# 6193 marginal protection cost ratio

nls random pval = 0.00355

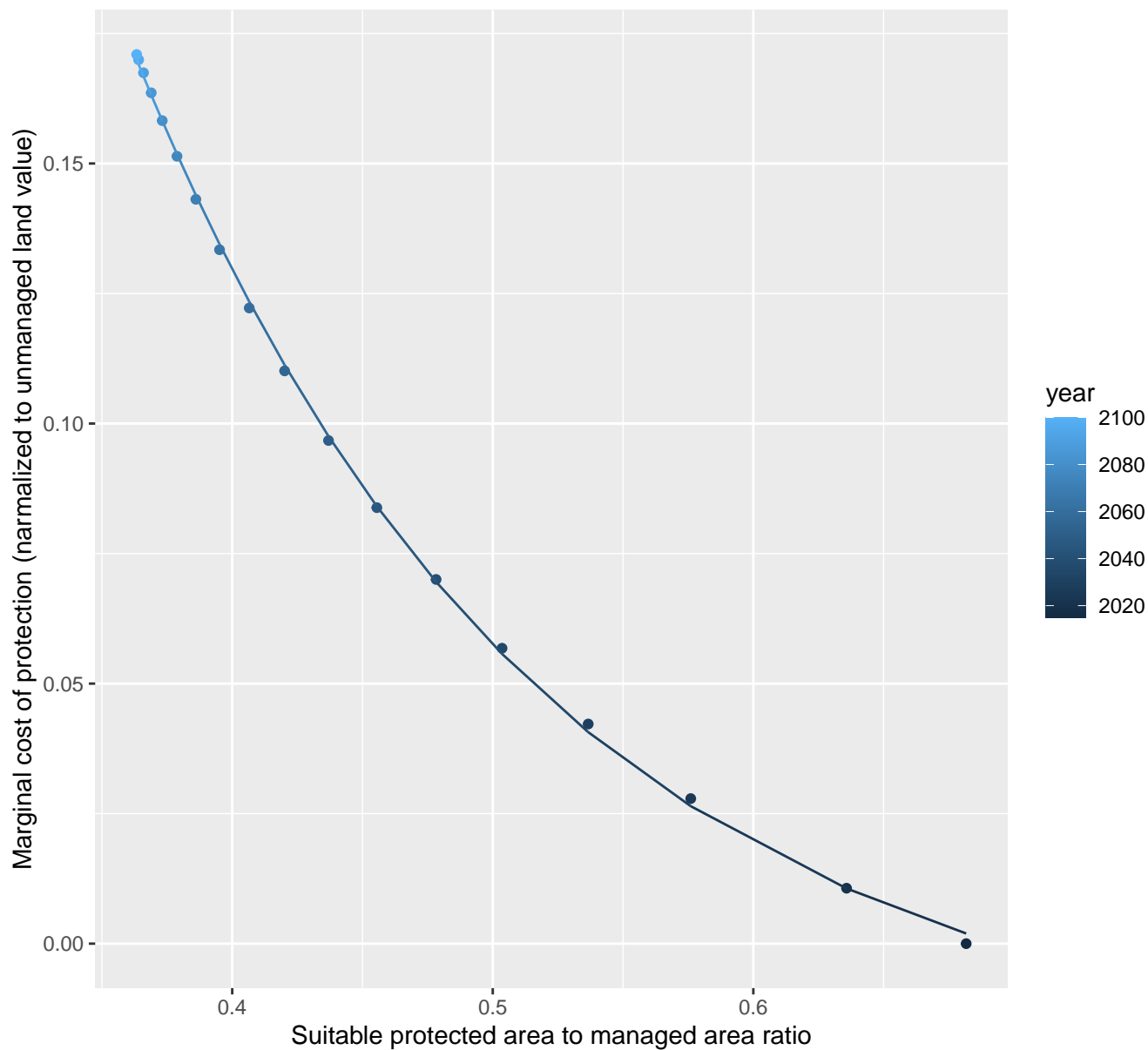
$$y = -0.01 + 0.54 \cdot \exp(-1.91 \cdot x)$$



# 6201 marginal protection cost ratio

nls random pval = 0.00355

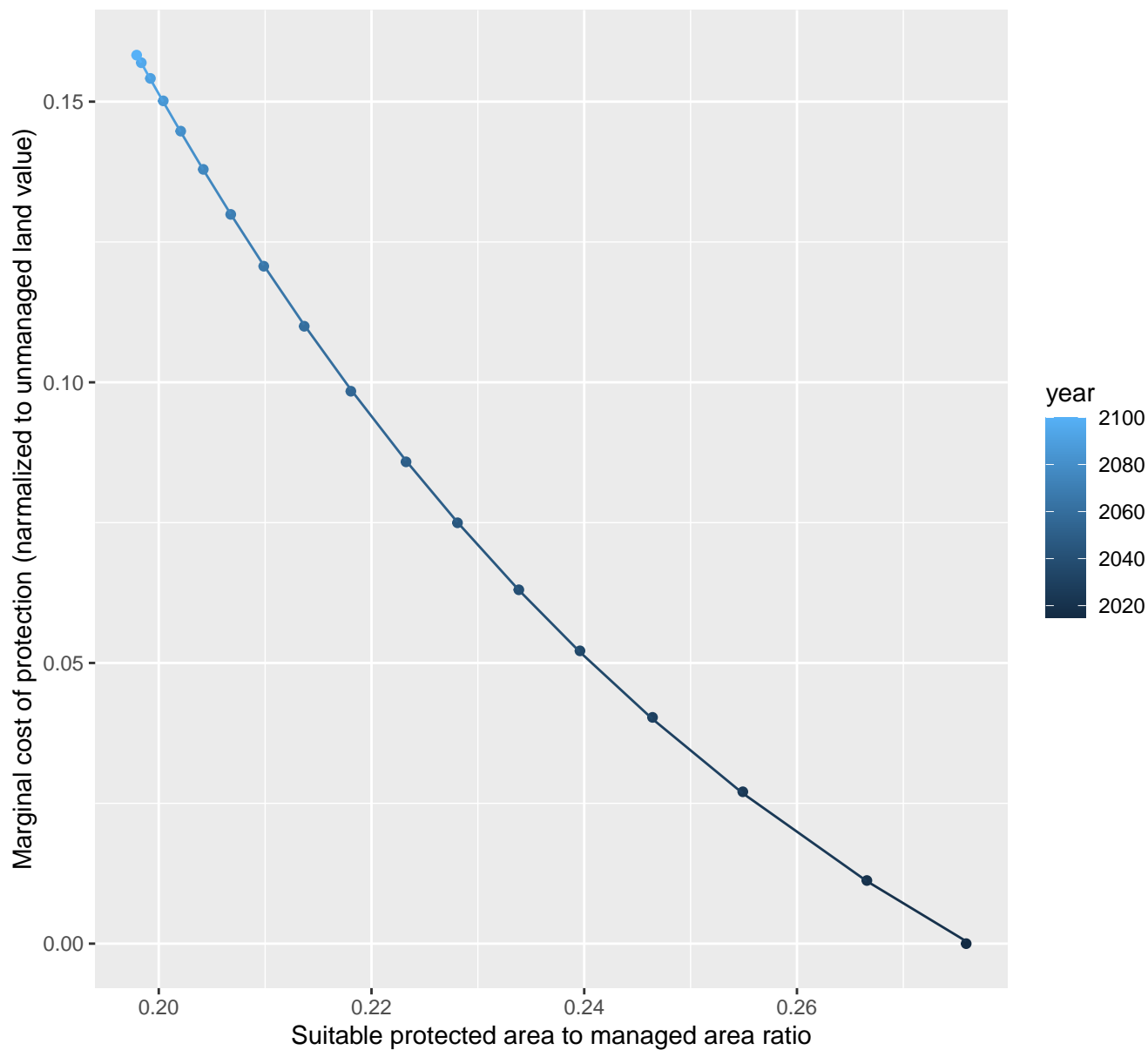
$$y = -0.02 + 1.95 \cdot \exp(-6.37 \cdot x)$$



# 6202 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.07 + 4.44 \cdot \exp(-14.98 \cdot x)$$

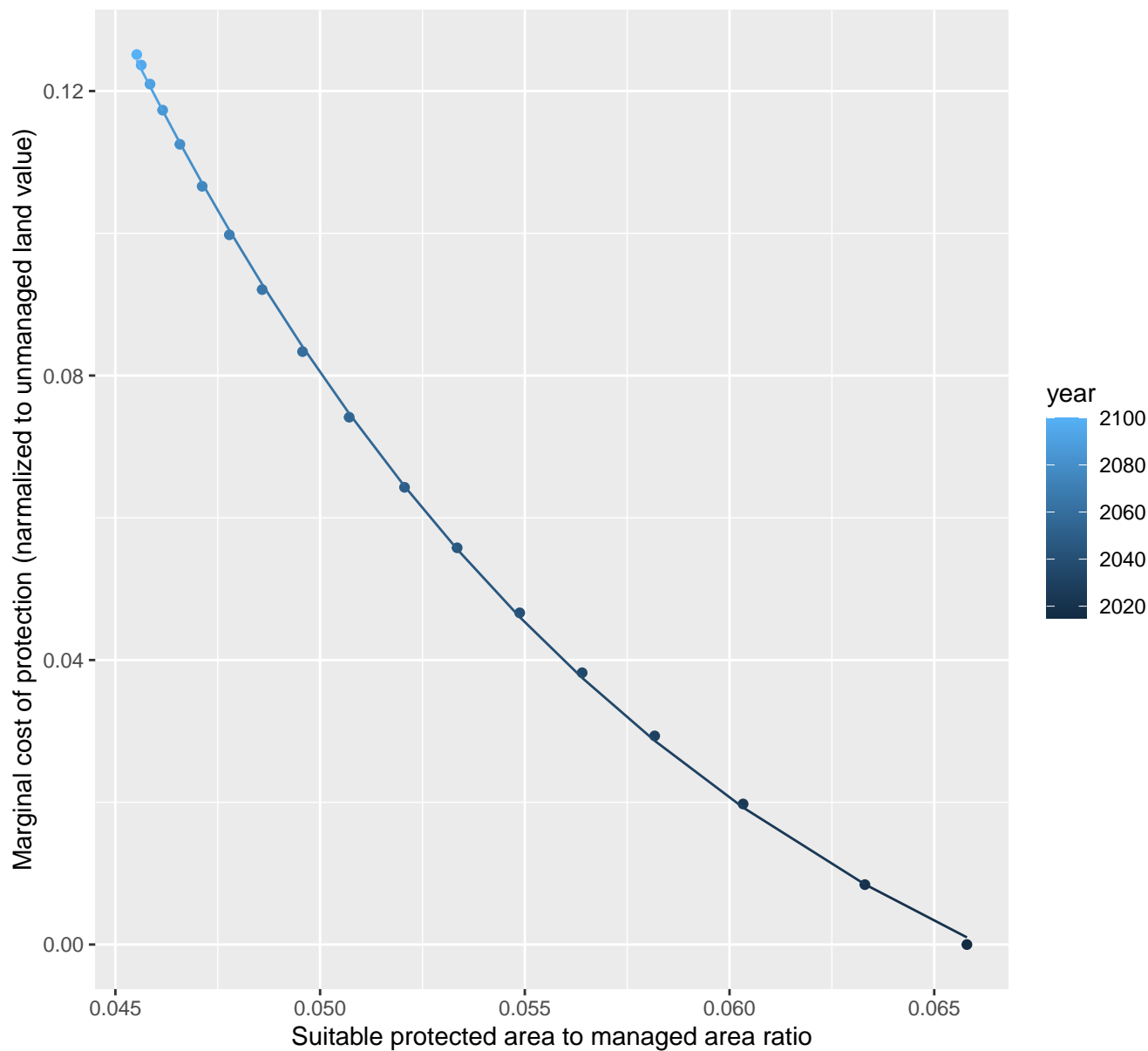




# 6208 marginal protection cost ratio

nls random pval = 0.00355

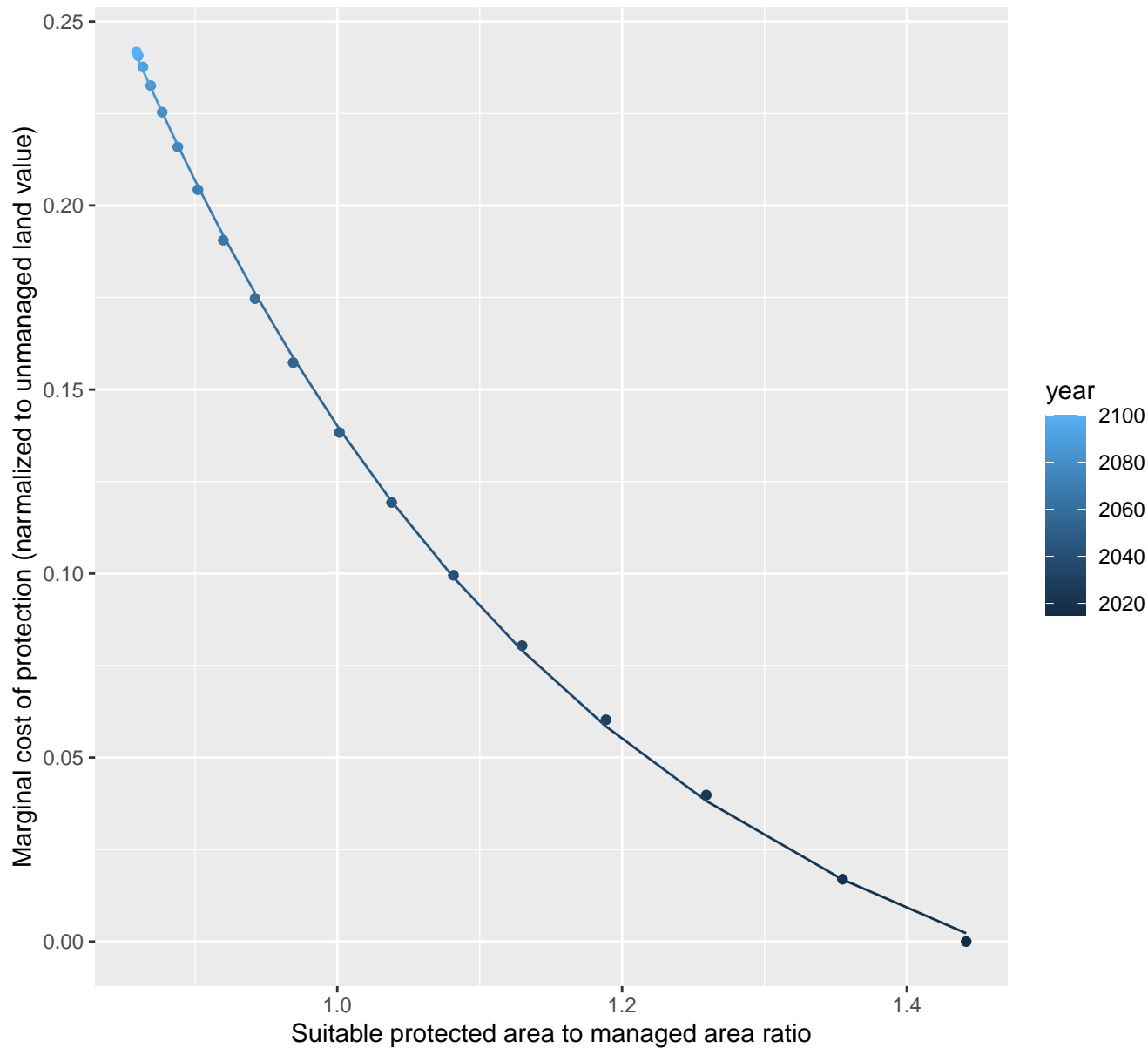
$$y = -0.04 + 4.01 \cdot \exp(-70.45 \cdot x)$$



# 6211 marginal protection cost ratio

nls random pval = 0.00355

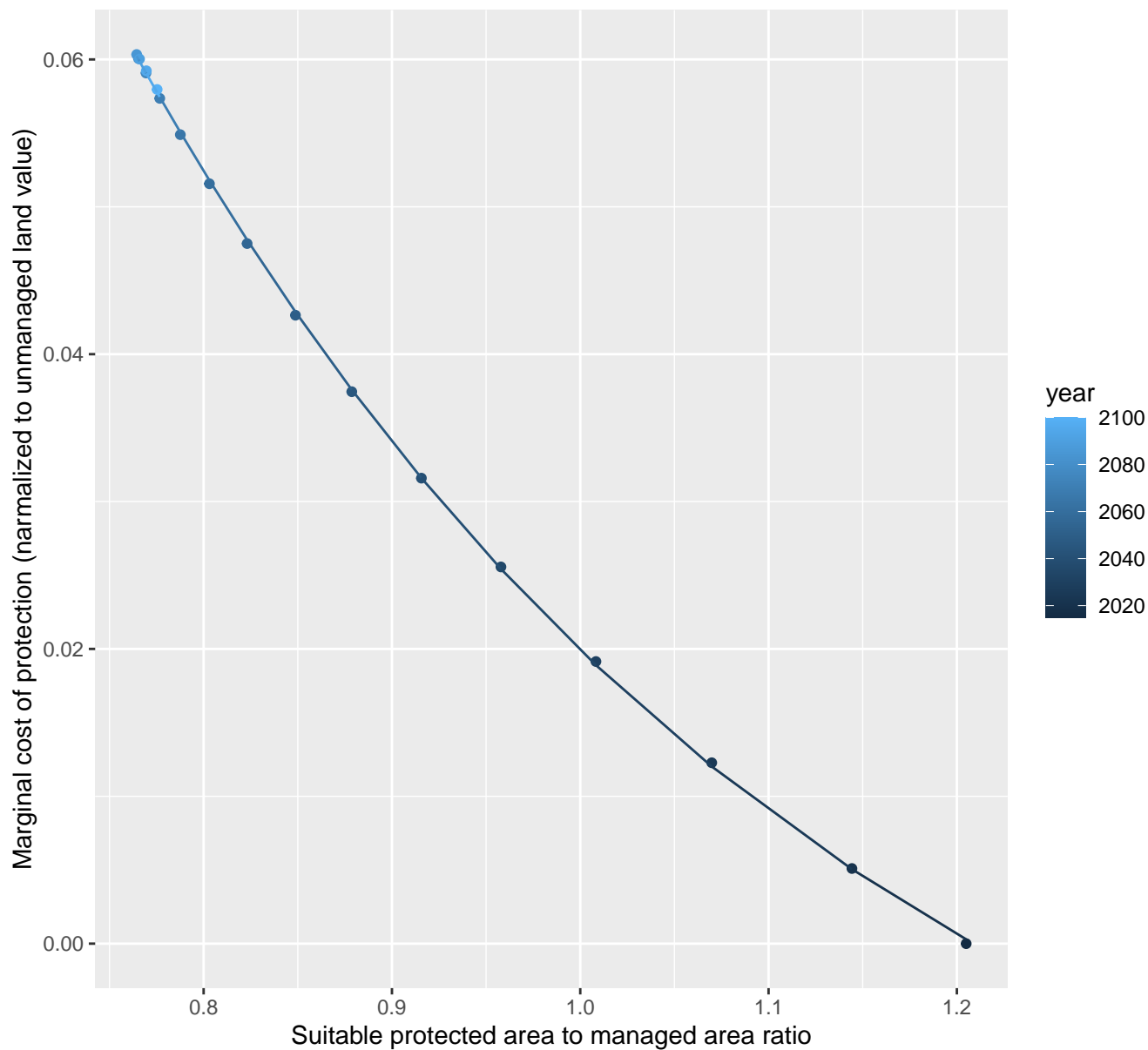
$$y = -0.05 + 4 \cdot \exp(-3.07 \cdot x)$$



# 7156 marginal protection cost ratio

nls random pval = 0.00355

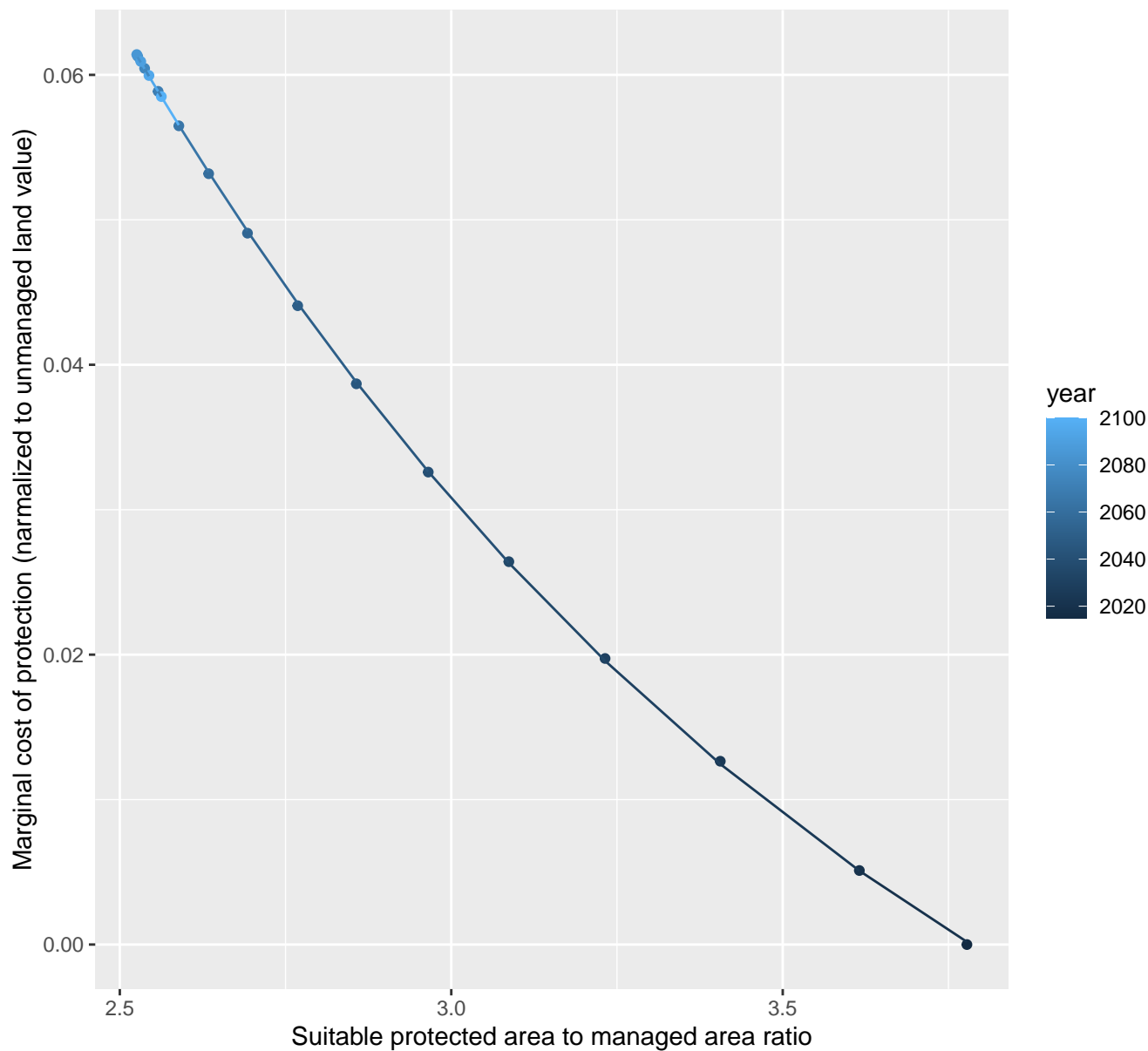
$$y = -0.03 + 0.65 \cdot \exp(-2.62 \cdot x)$$



# 7161 marginal protection cost ratio

nls random pval = 0.01512

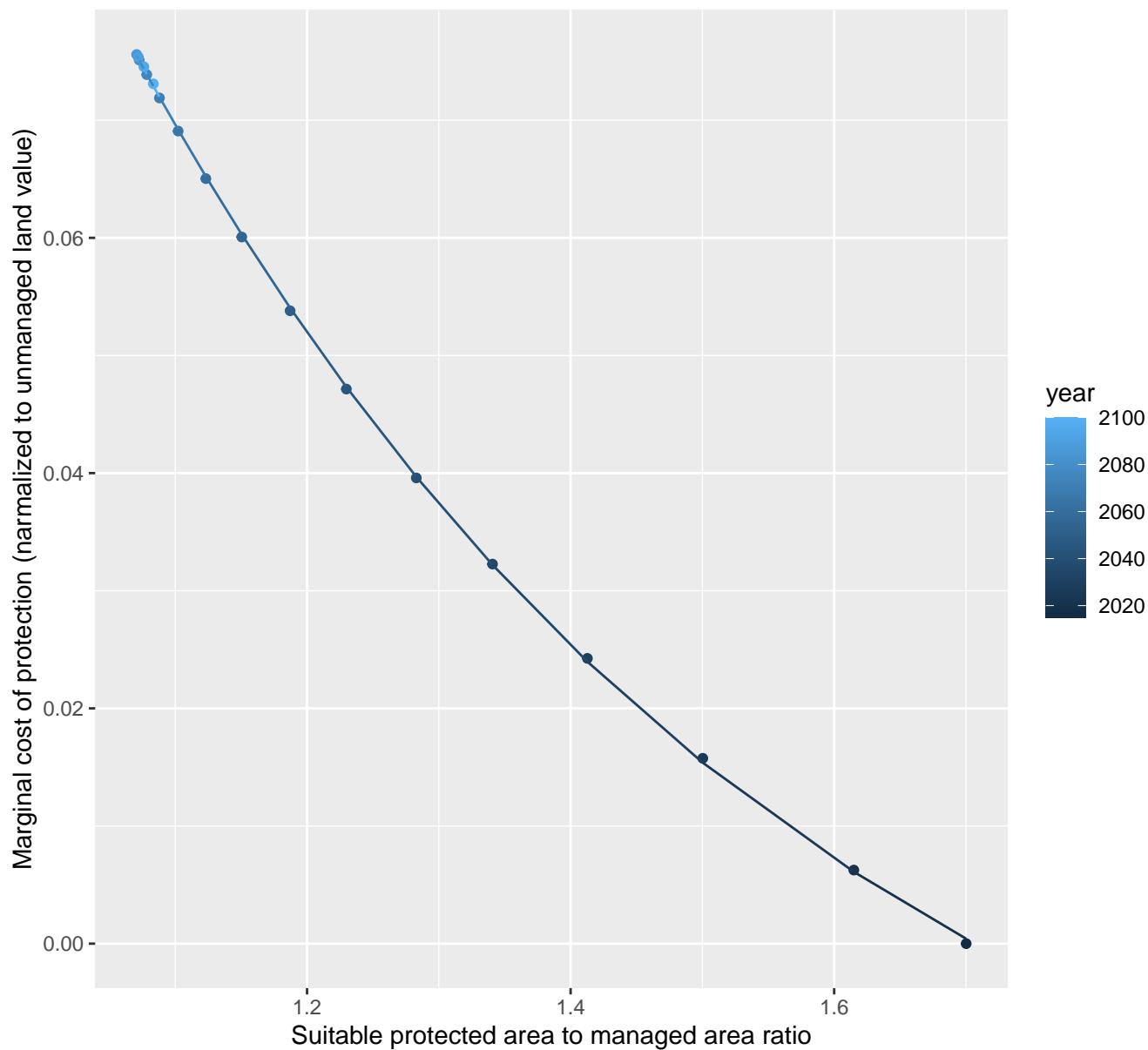
$$y = -0.03 + 0.73 \cdot \exp(-0.8 \cdot x)$$



# 7168 marginal protection cost ratio

nls random pval = 0.00355

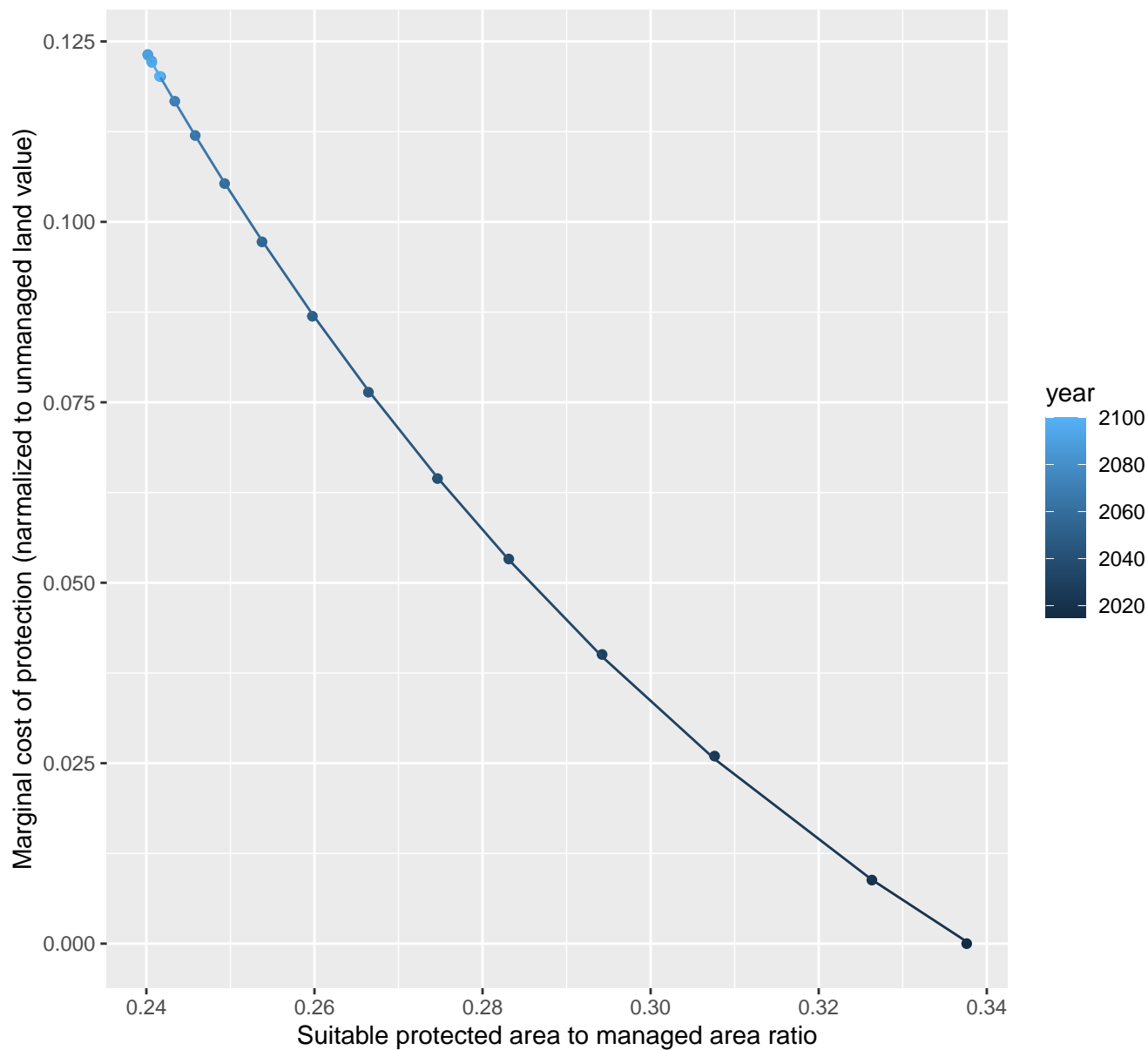
$$y = -0.03 + 0.83 \cdot \exp(-1.92 \cdot x)$$



# 7172 marginal protection cost ratio

nls random pval = 0.01512

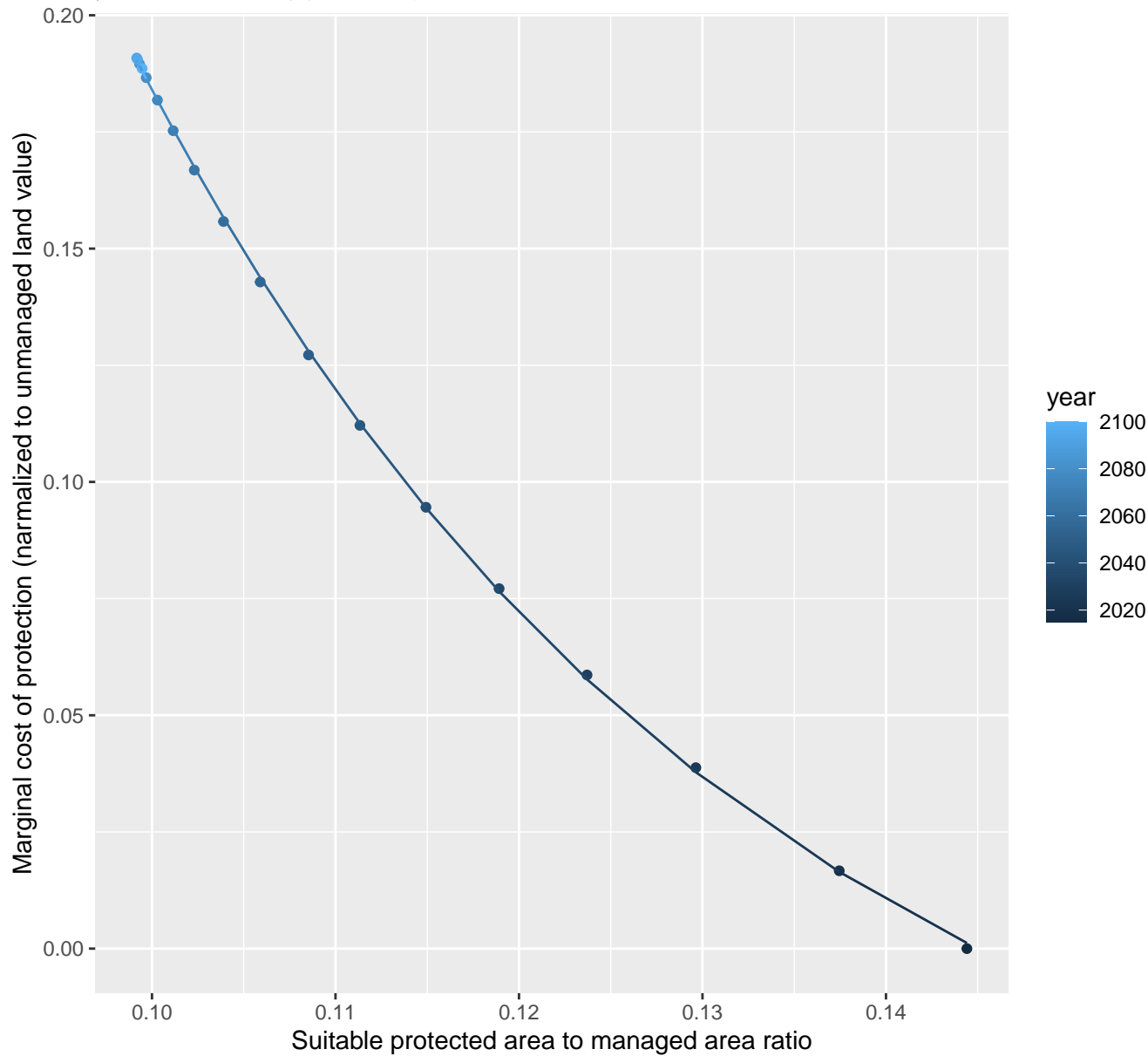
$$y = -0.07 + 2.48 \cdot \exp(-10.7 \cdot x)$$



# 7174 marginal protection cost ratio

nls random pval = 0.00355

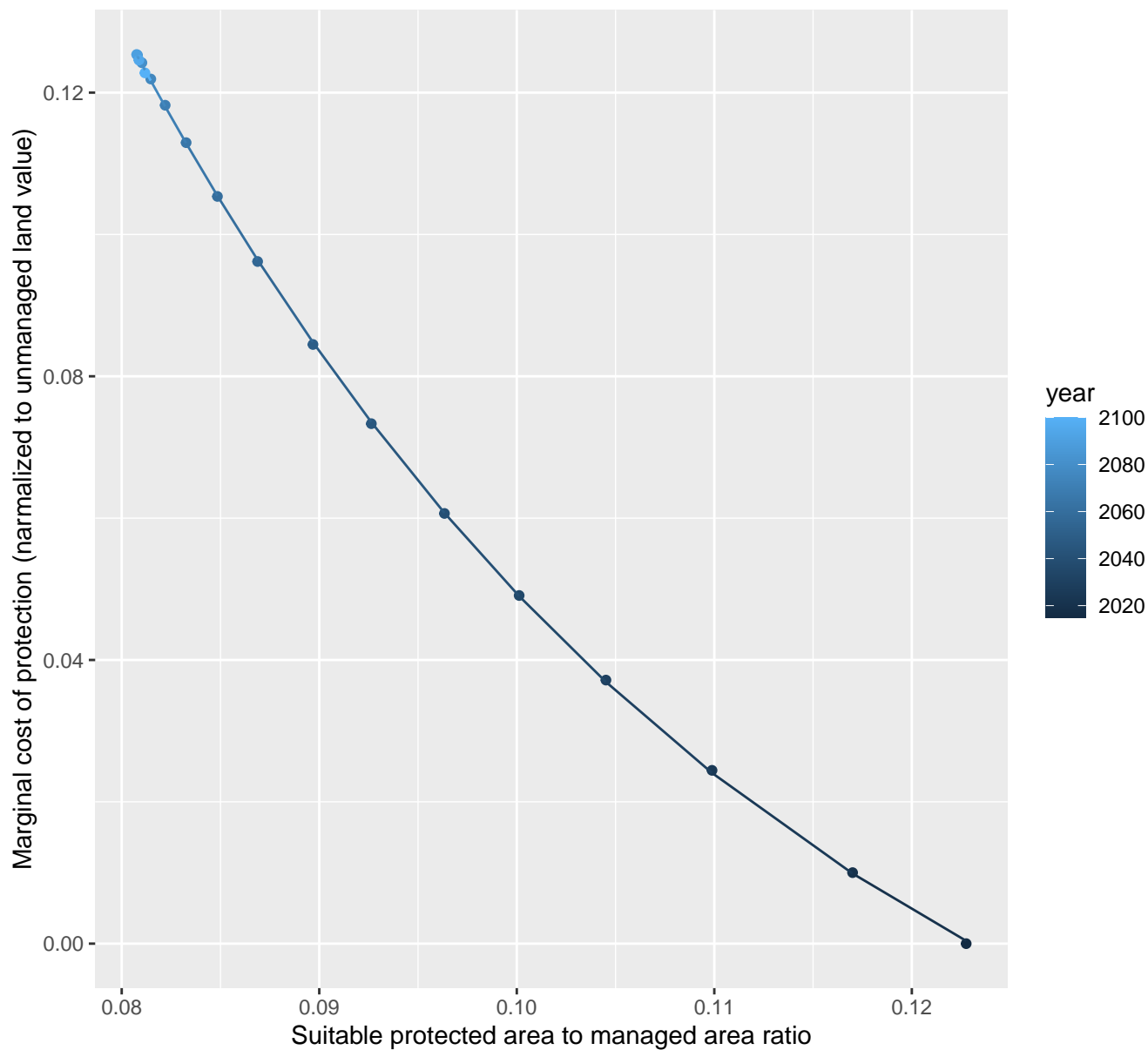
$$y = -0.06 + 4.95 \cdot \exp(-29.92 \cdot x)$$



# 7186 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.05 + 1.86 \cdot \exp(-29.15 \cdot x)$$

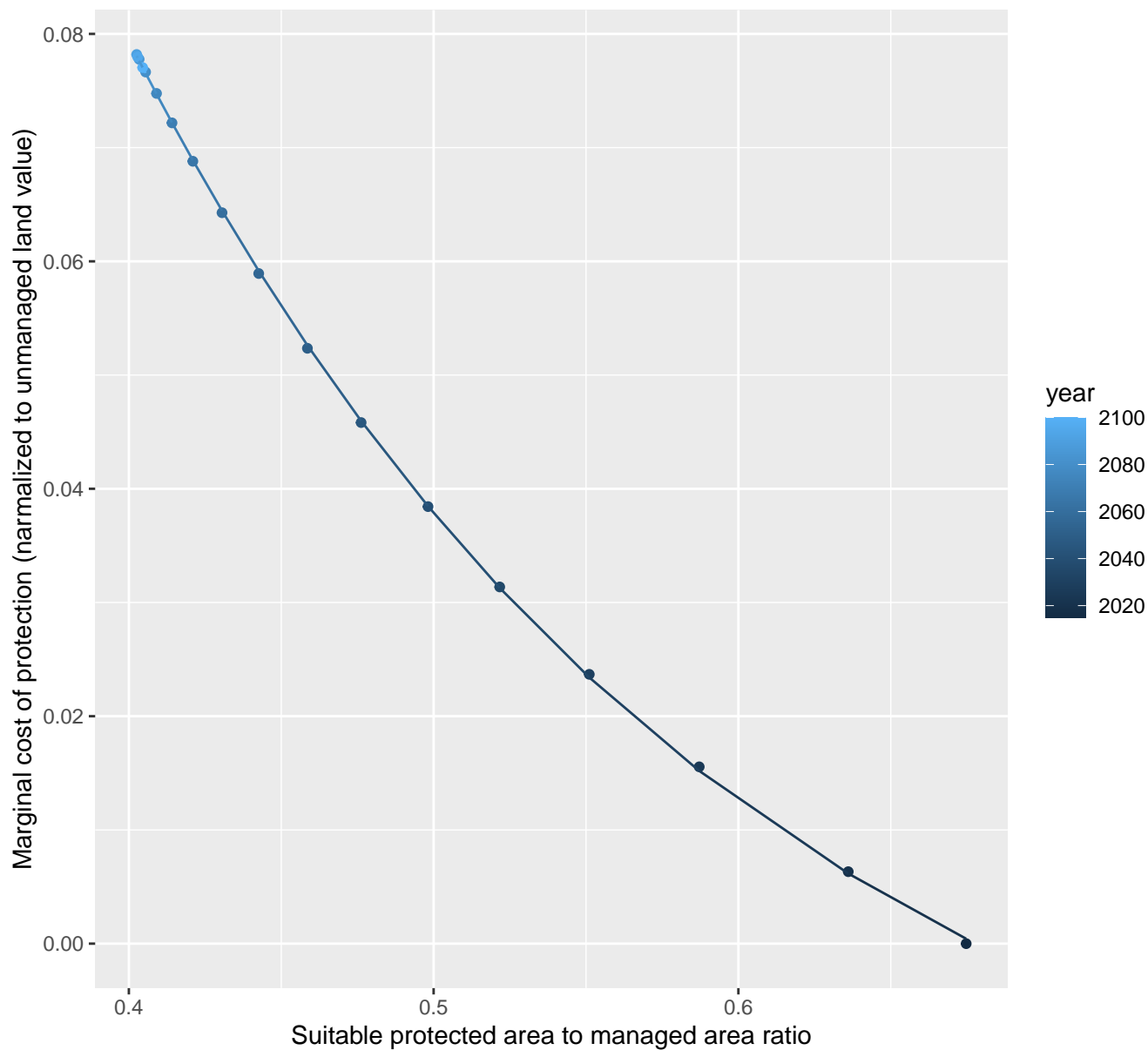




# 7187 marginal protection cost ratio

nls random pval = 0.01512

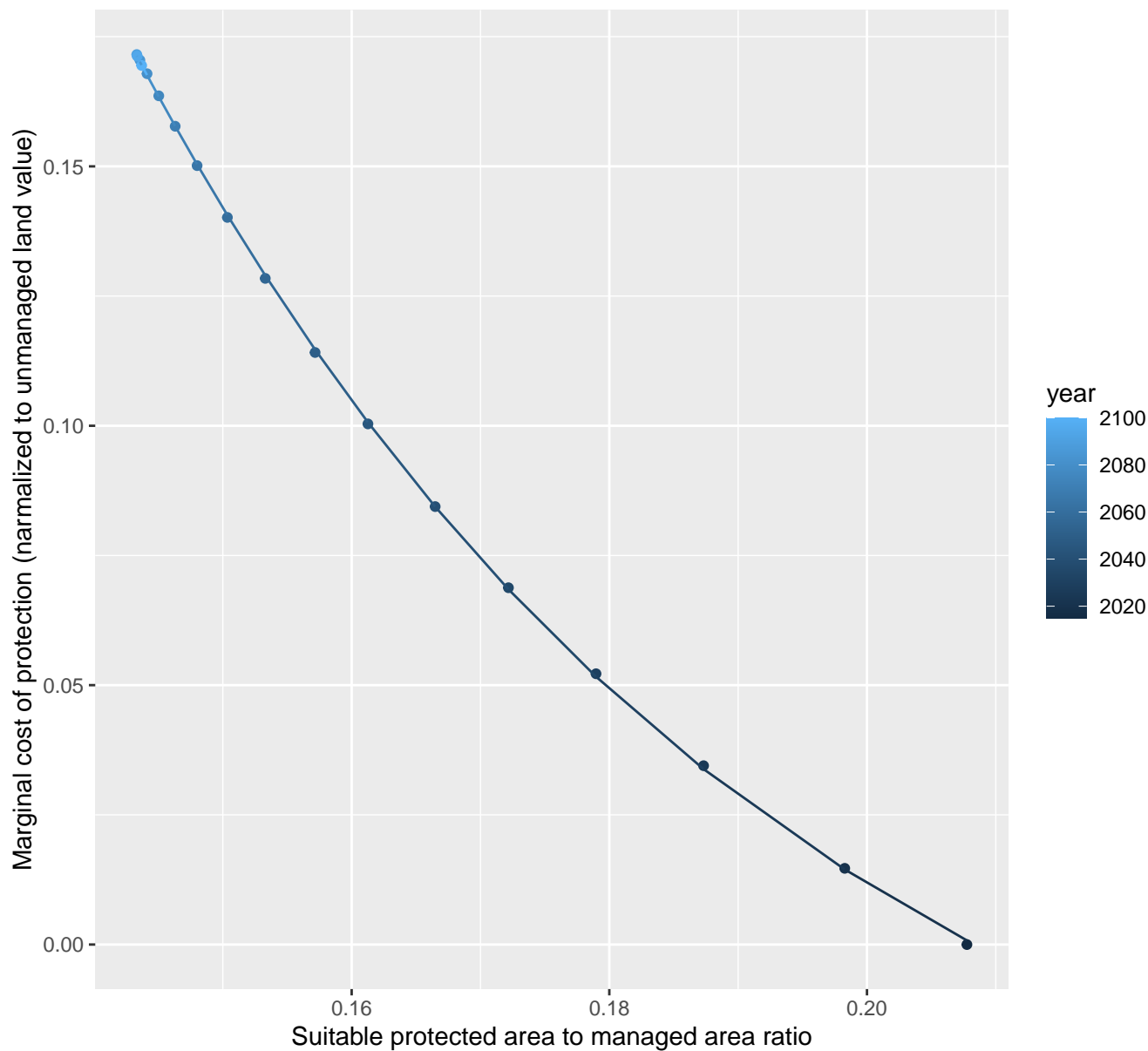
$$y = -0.03 + 0.77 \cdot \exp(-4.97 \cdot x)$$



# 7192 marginal protection cost ratio

nls random pval = 0.01512

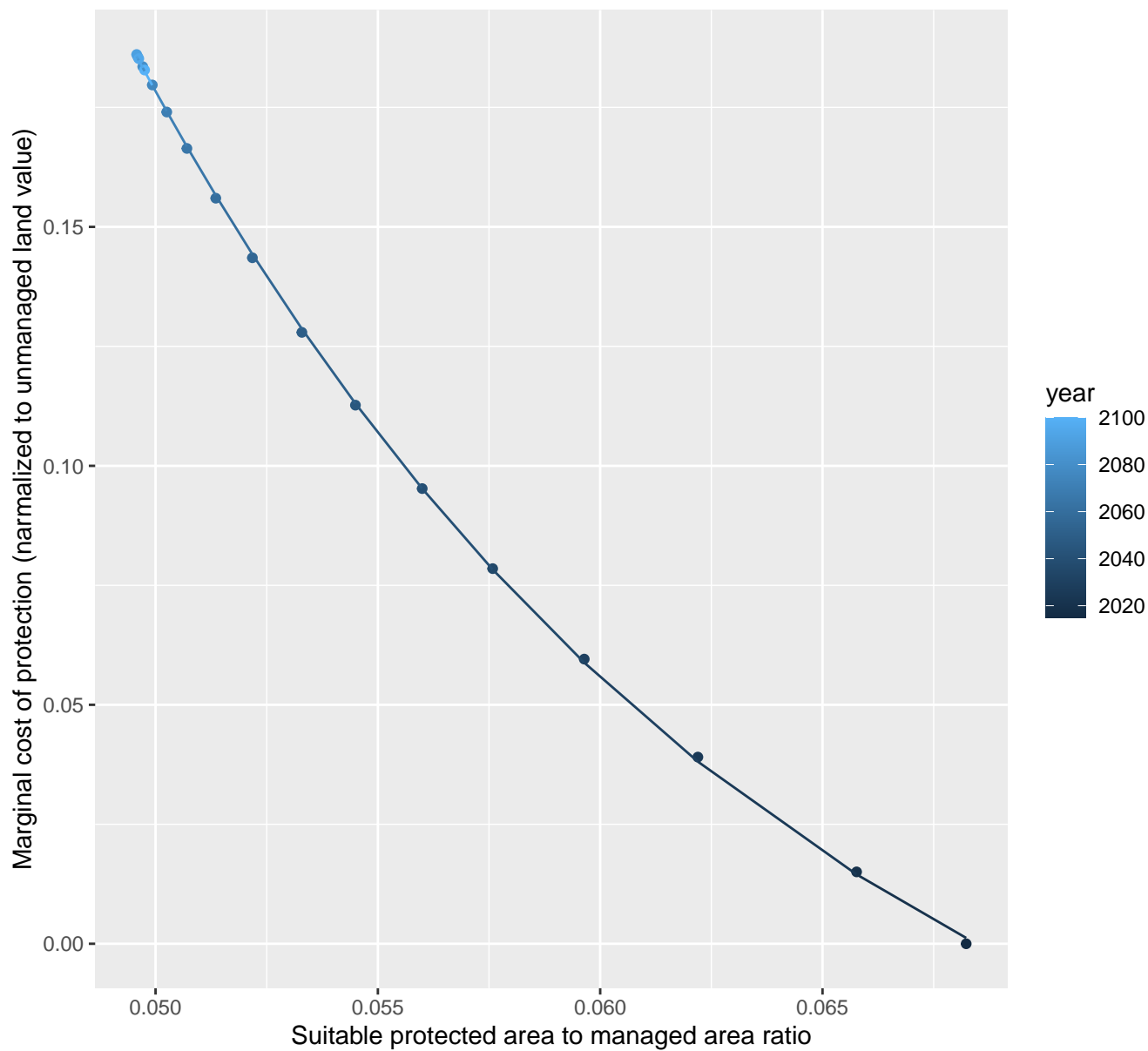
$$y = -0.07 + 3.99 \cdot \exp(-19.71 \cdot x)$$



# 7195 marginal protection cost ratio

nls random pval = 0.00355

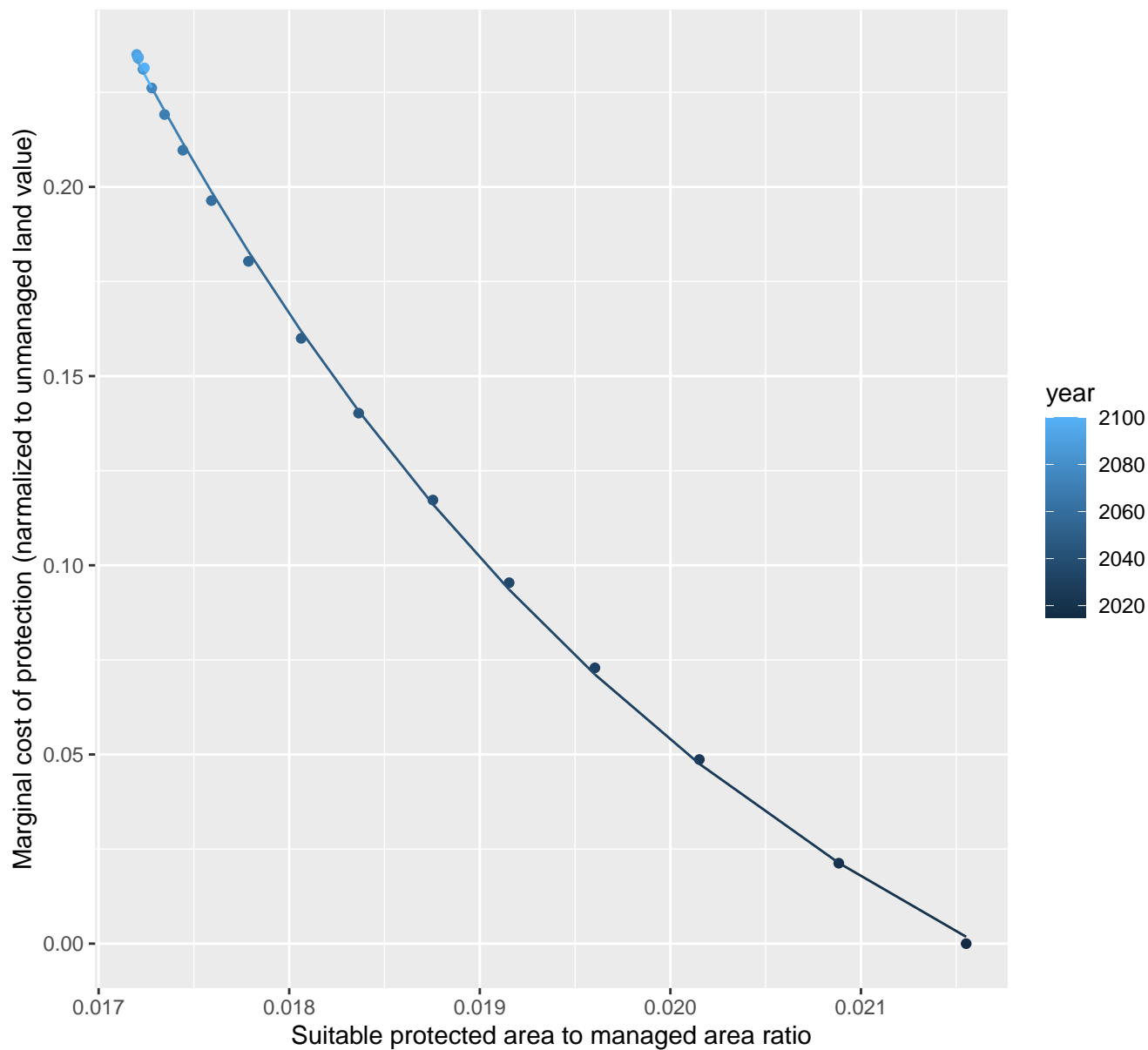
$$y = -0.07 + 7.18 \cdot \exp(-67.05 \cdot x)$$



# 7206 marginal protection cost ratio

nls random pval = 0.00355

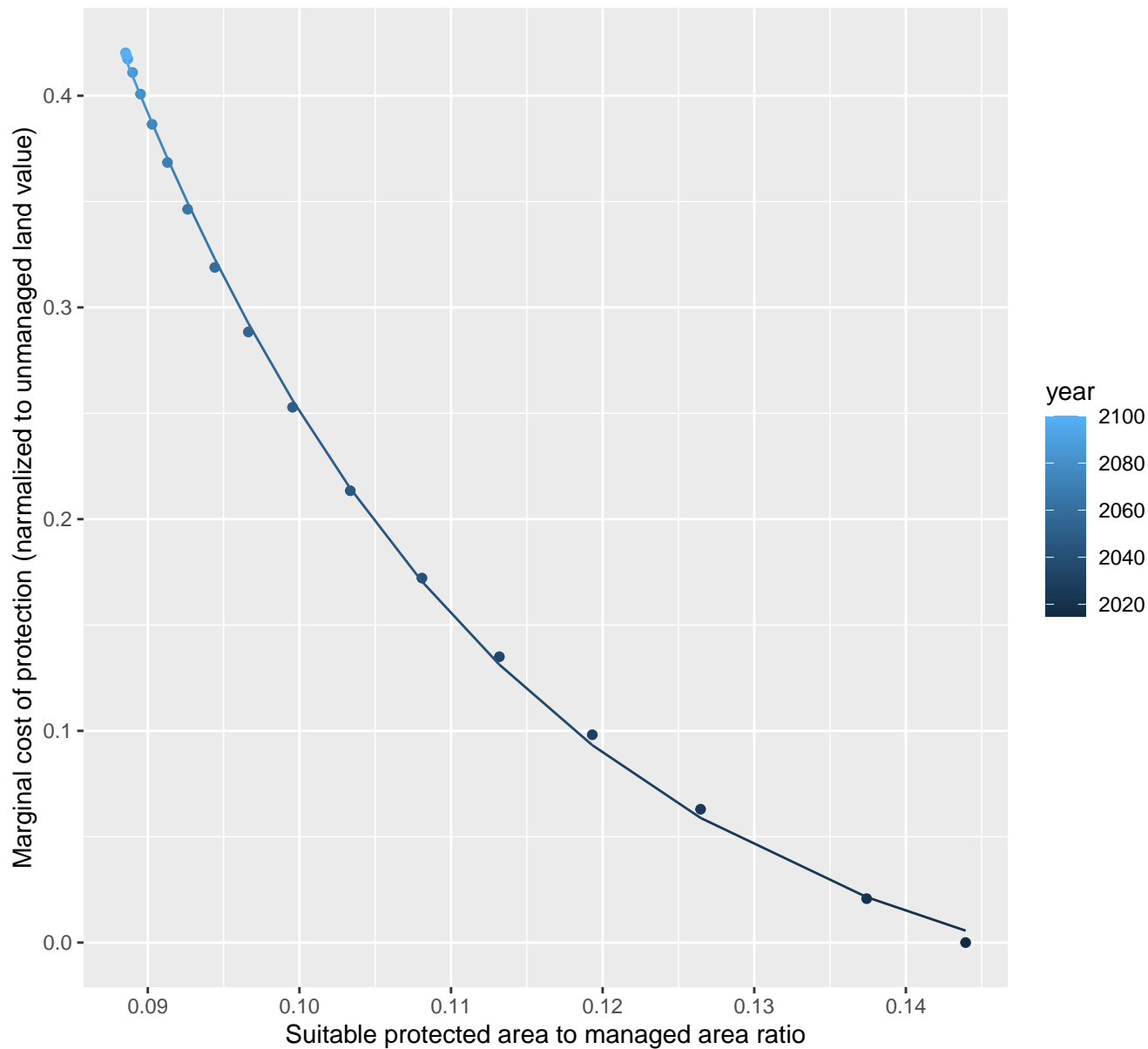
$$y = -0.09 + 48.31 \cdot \exp(-291.22 \cdot x)$$



# 8002 marginal protection cost ratio

nls random pval = 0.00355

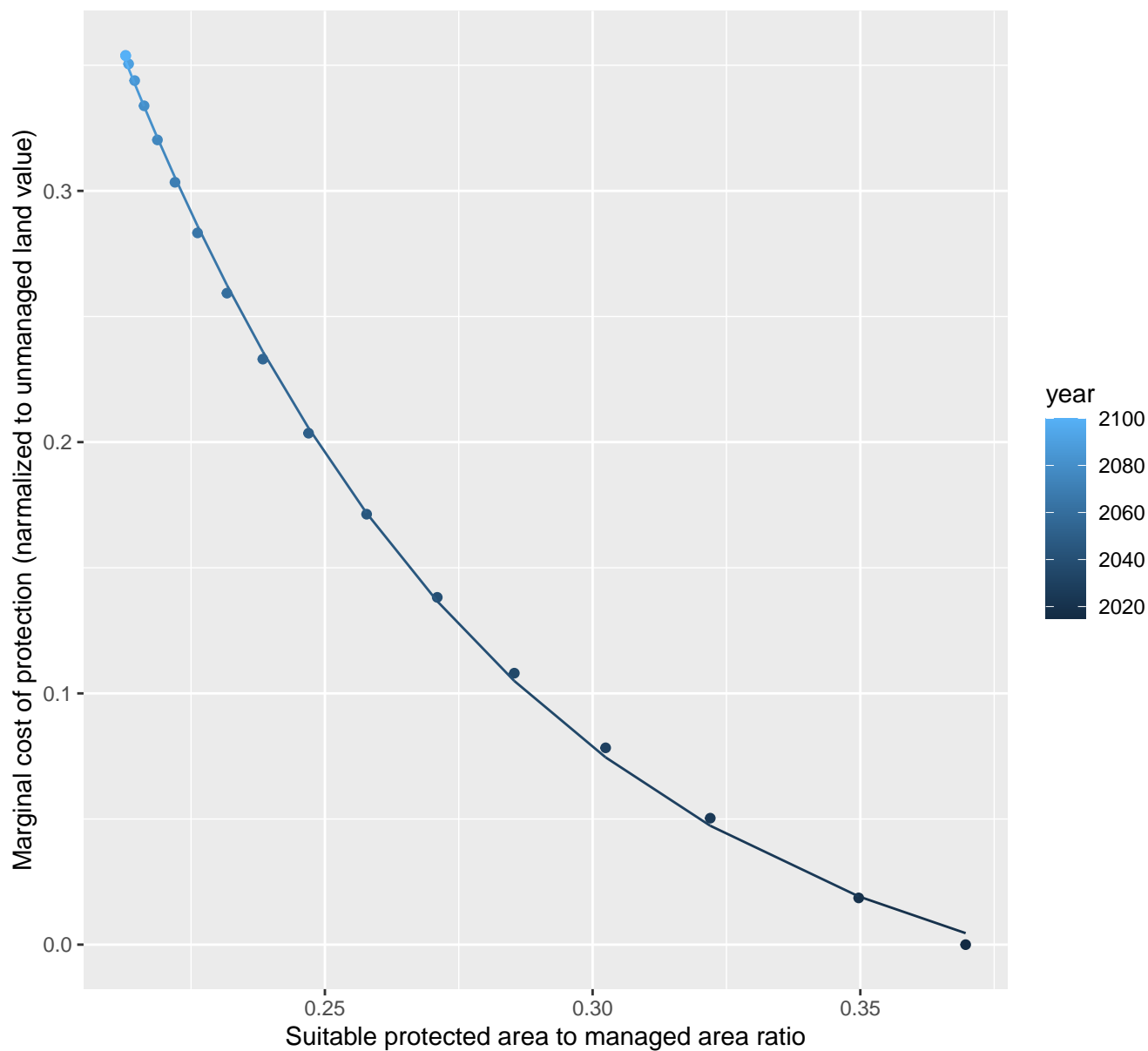
$$y = -0.05 + 14.04 \cdot \exp(-38.43 \cdot x)$$



# 8007 marginal protection cost ratio

nls random pval = 0.00355

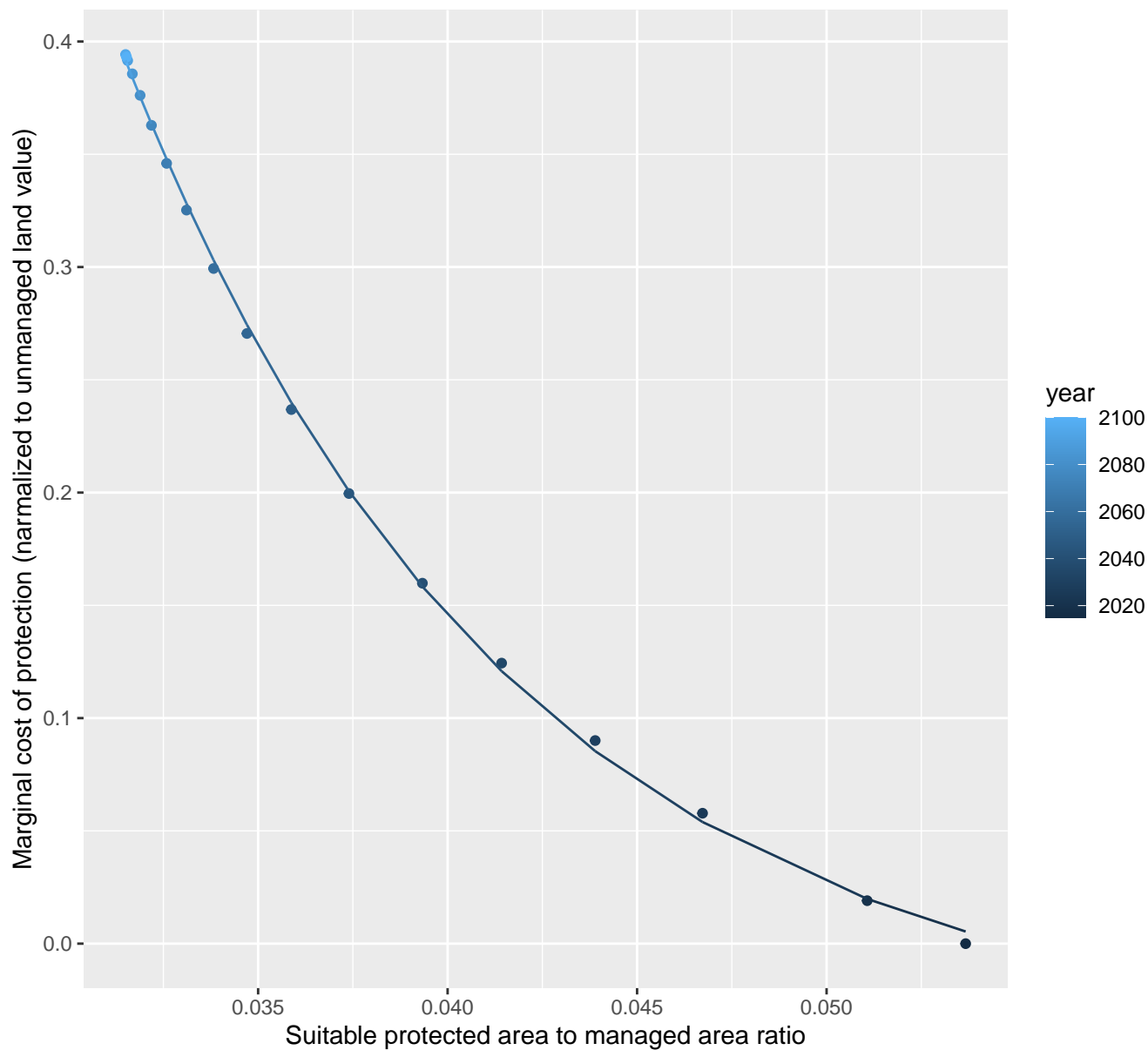
$$y = -0.04 + 7.03 \cdot \exp(-13.54 \cdot x)$$



# 8010 marginal protection cost ratio

nls random pval = 0.00355

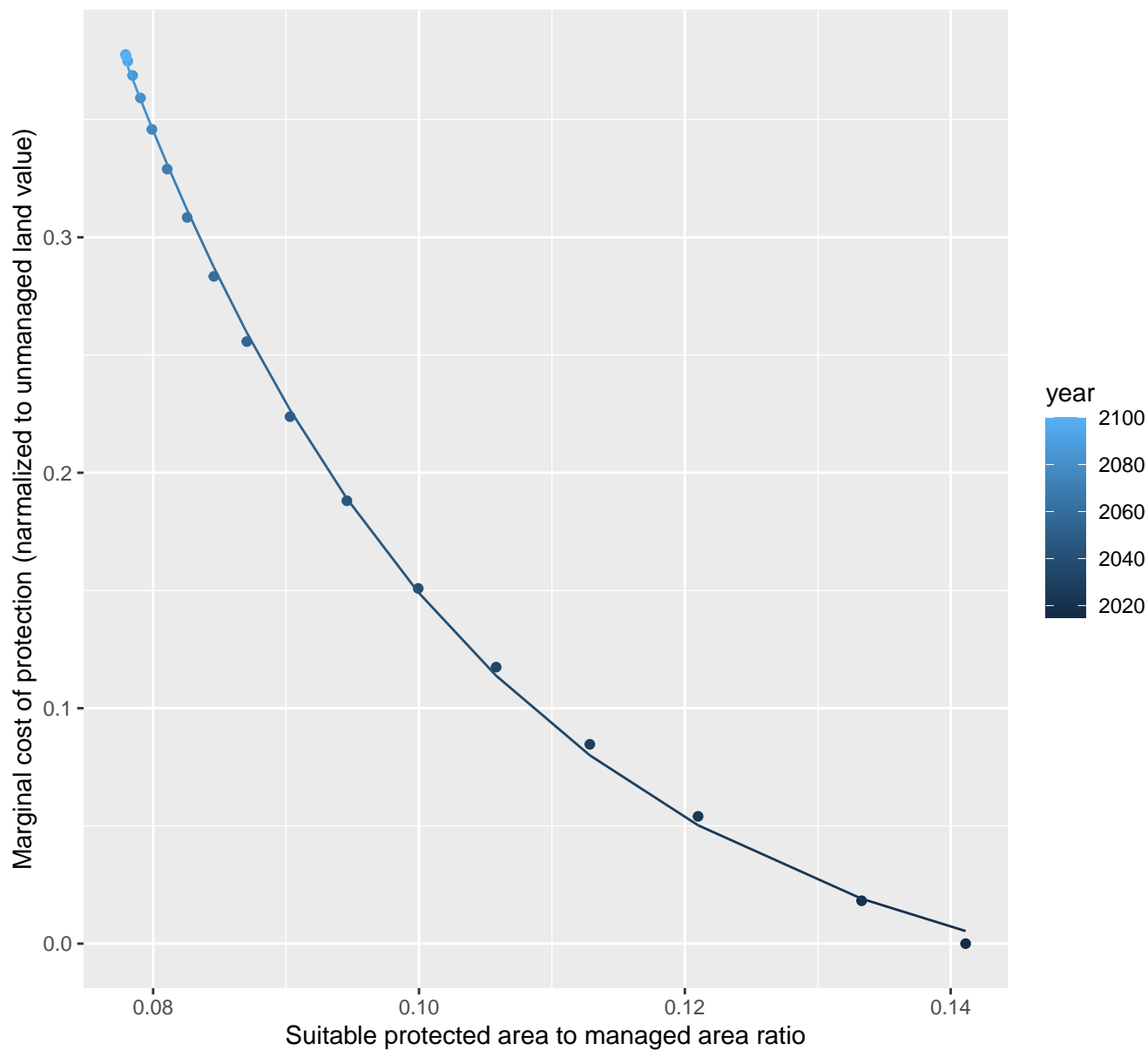
$$y = -0.04 + 9.47 \cdot \exp(-97.69 \cdot x)$$



# 8015 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.04 + 6.85 \cdot \exp(-36.09 \cdot x)$$

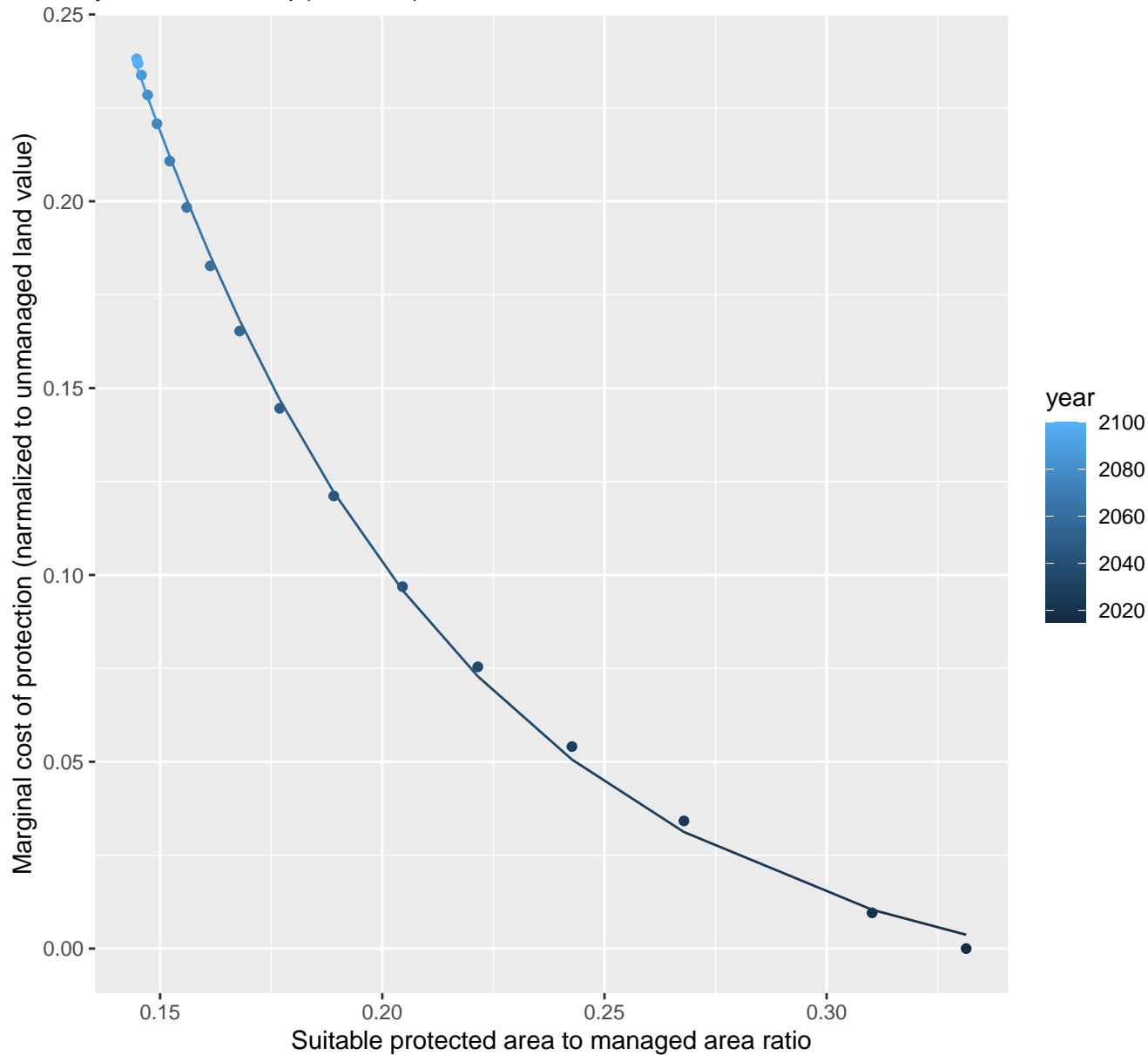




# 8019 marginal protection cost ratio

nls random pval = 0.00355

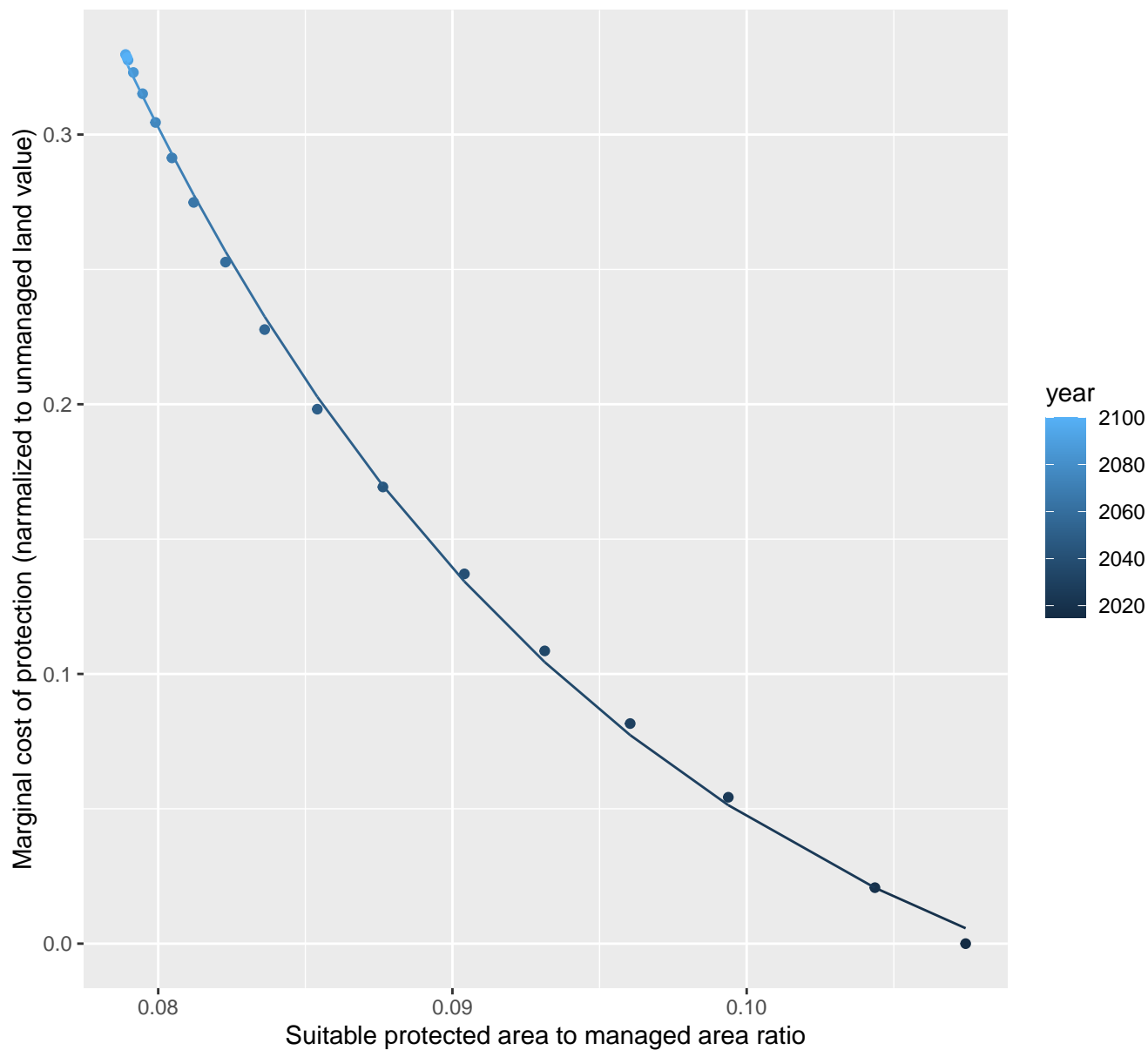
$$y = -0.02 + 1.79 \cdot \exp(-13.54 \cdot x)$$



# 8023 marginal protection cost ratio

nls random pval = 0.00355

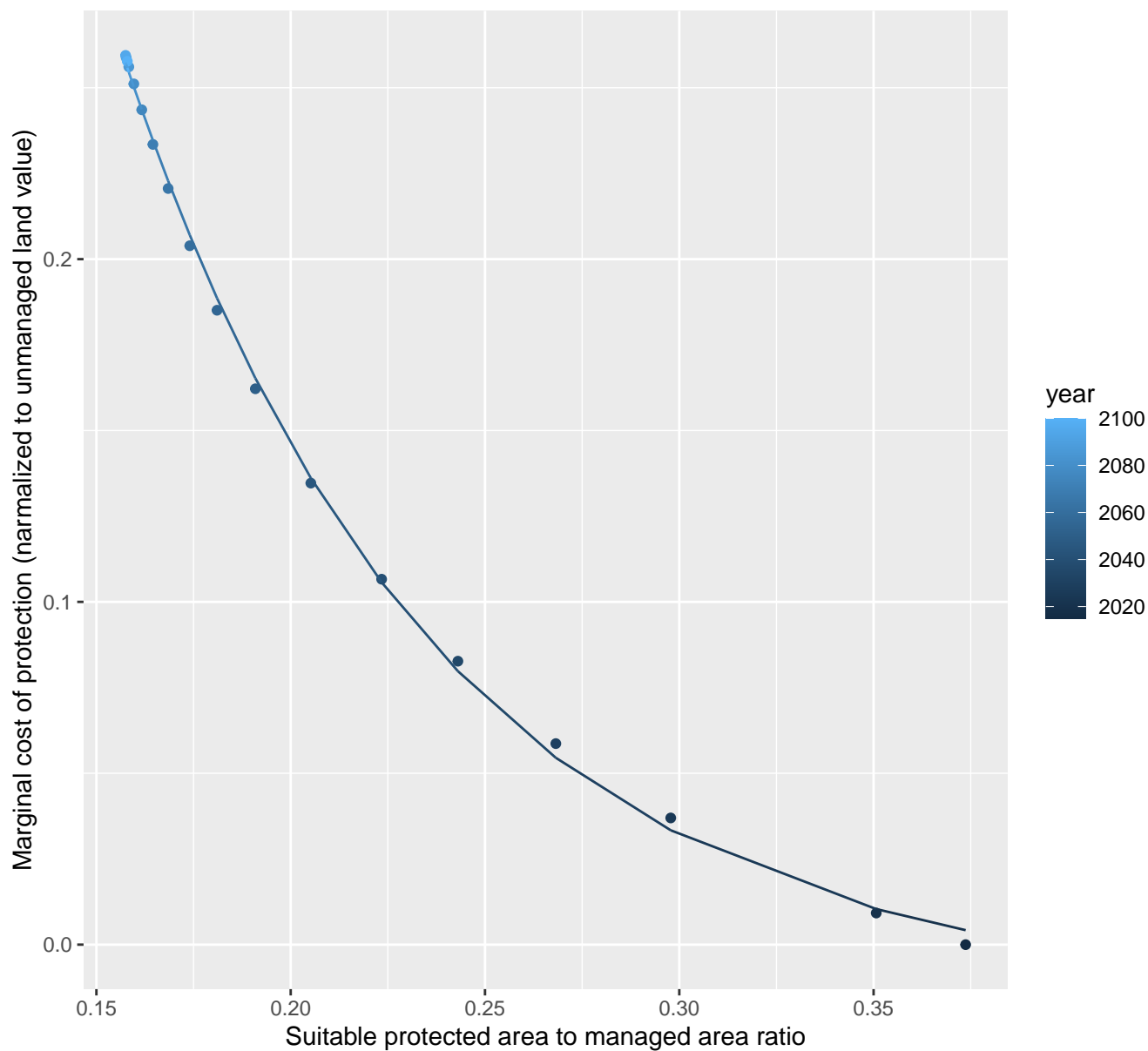
$$y = -0.07 + 36.97 \cdot \exp(-57.4 \cdot x)$$



# 8027 marginal protection cost ratio

nls random pval = 0.00355

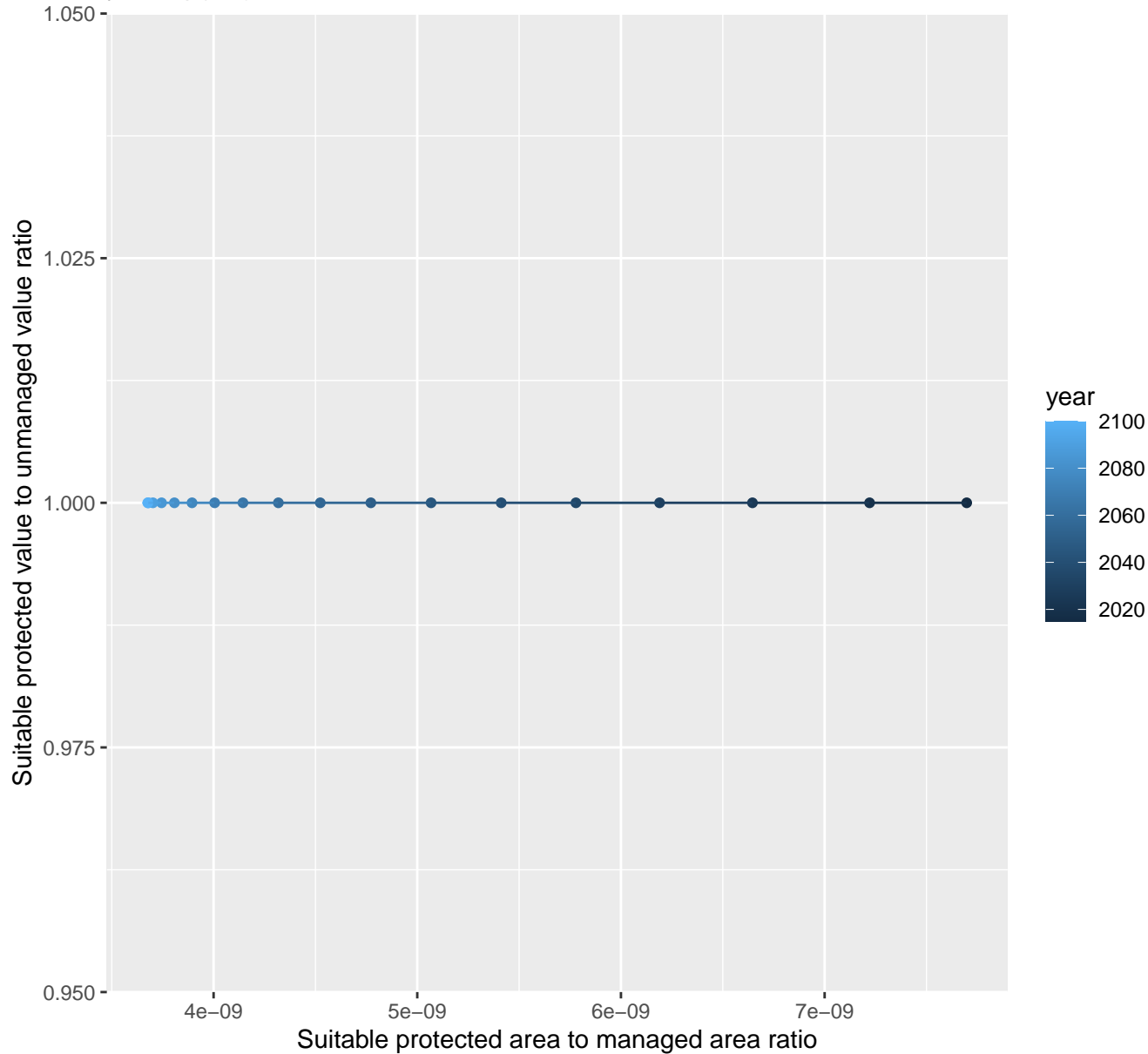
$$y = -0.01 + 1.91 \cdot \exp(-12.38 \cdot x)$$



# 8034 marginal protection cost ratio

linear-log(y)  $r^2 = 0.0023$   $pval = 0.8501$  random  $pval = 0.4795$

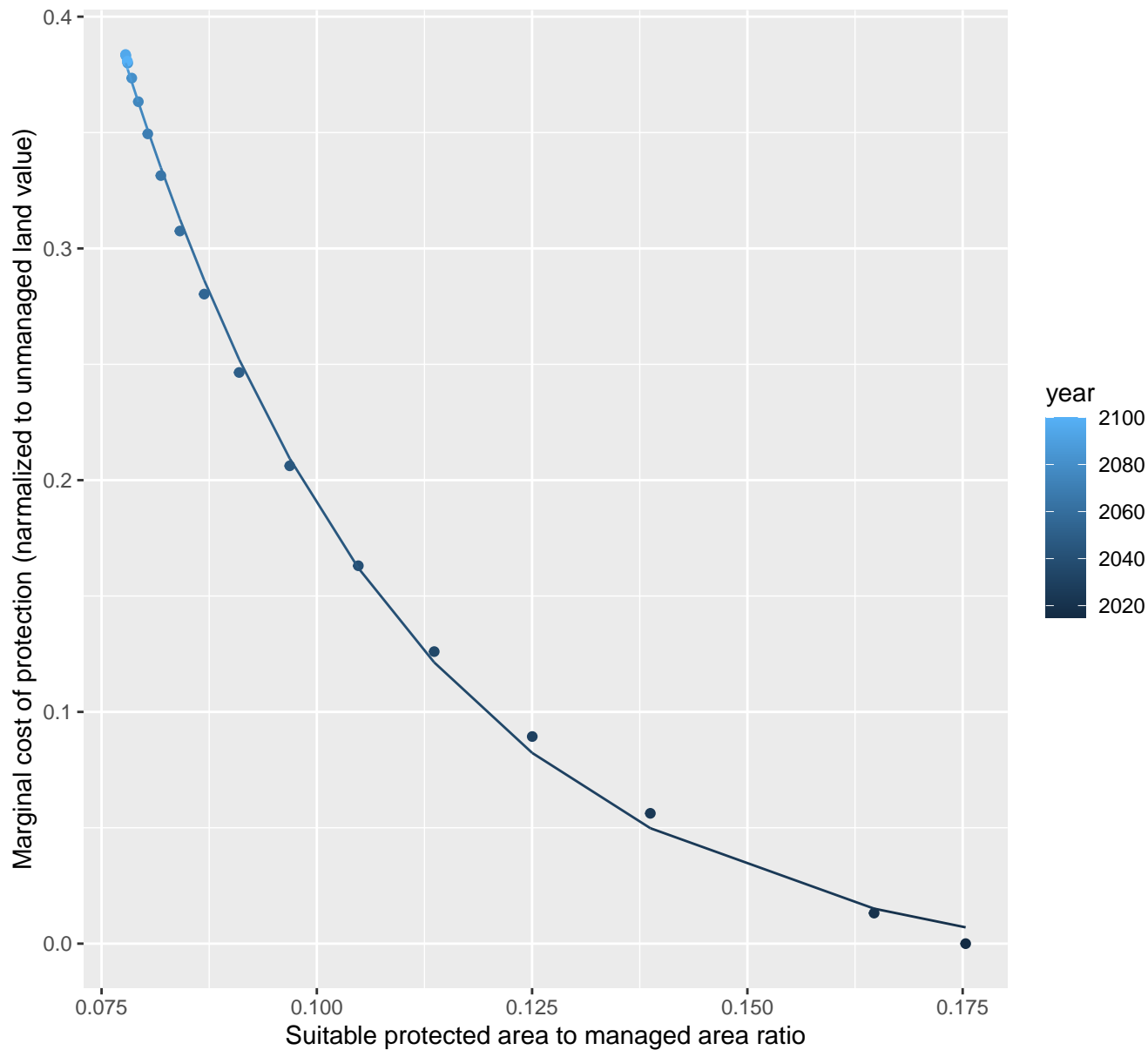
$$y = 1 * \exp(0 * x)$$



# 8040 marginal protection cost ratio

nls random pval = 0.00355

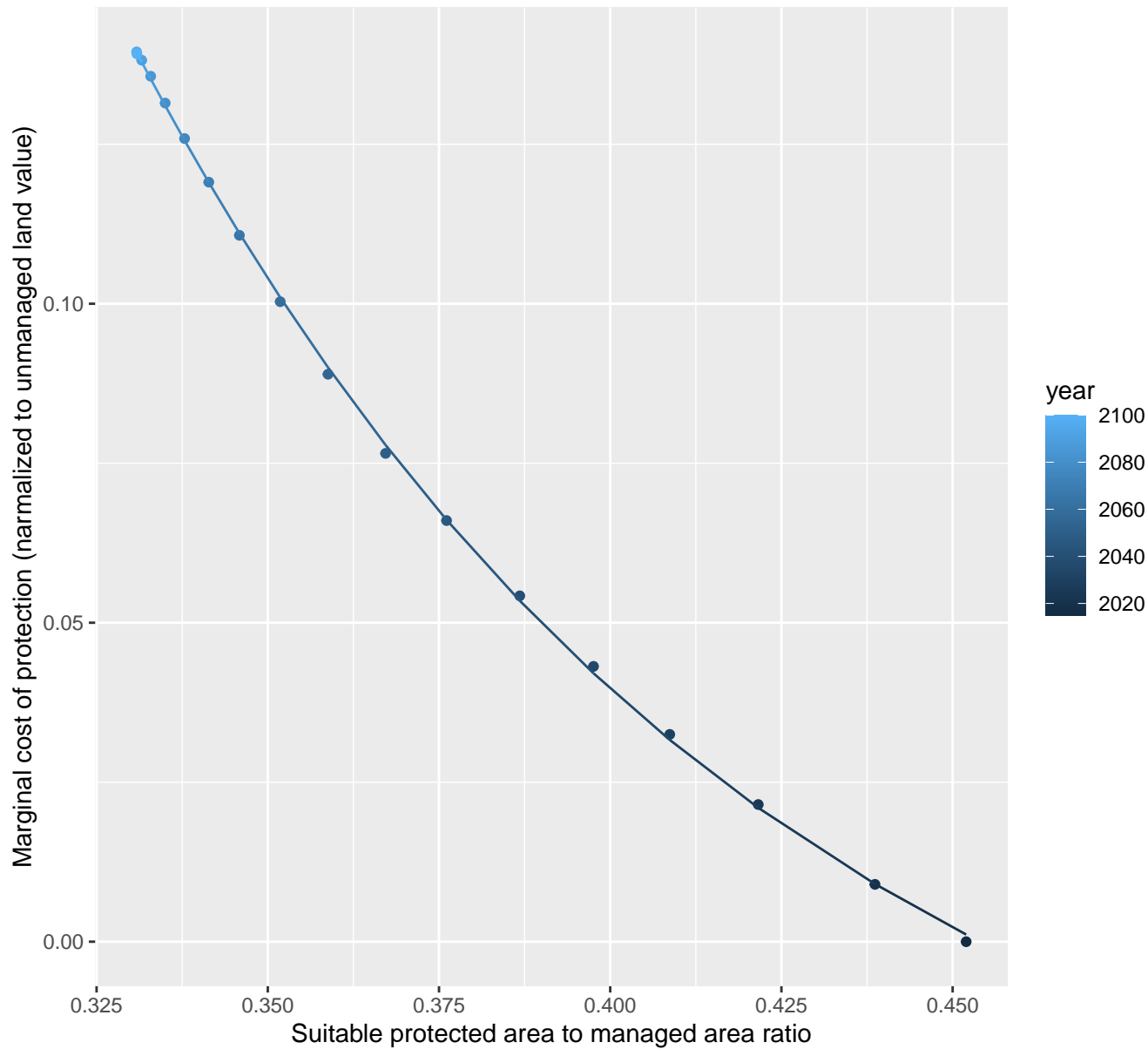
$$y = -0.01 + 3.99 \cdot \exp(-29.73 \cdot x)$$



# 8223 marginal protection cost ratio

nls random pval = 0.01512

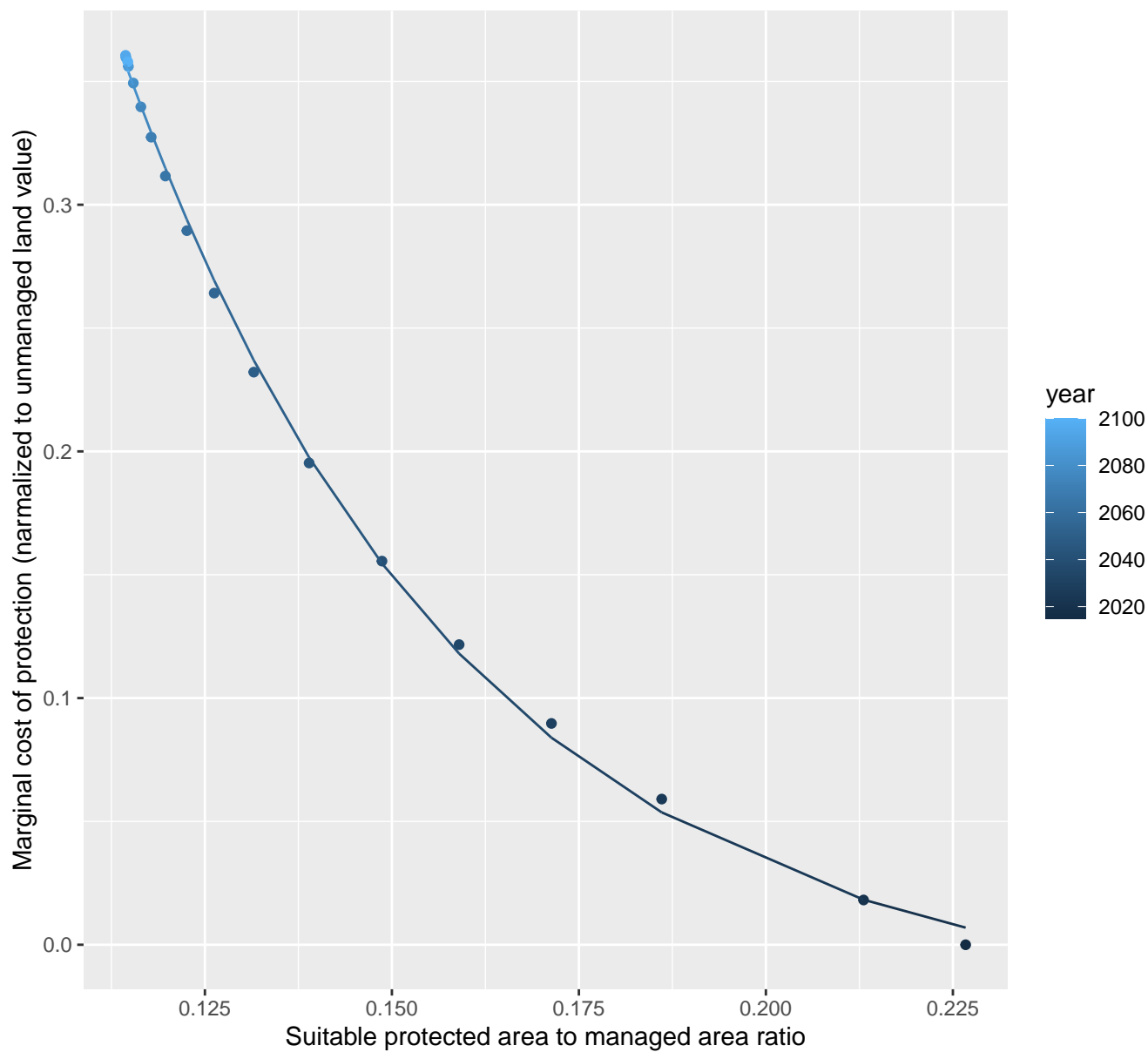
$$y = -0.05 + 6.77 \cdot \exp(-10.81 \cdot x)$$



# 8227 marginal protection cost ratio

nls random pval = 0.00355

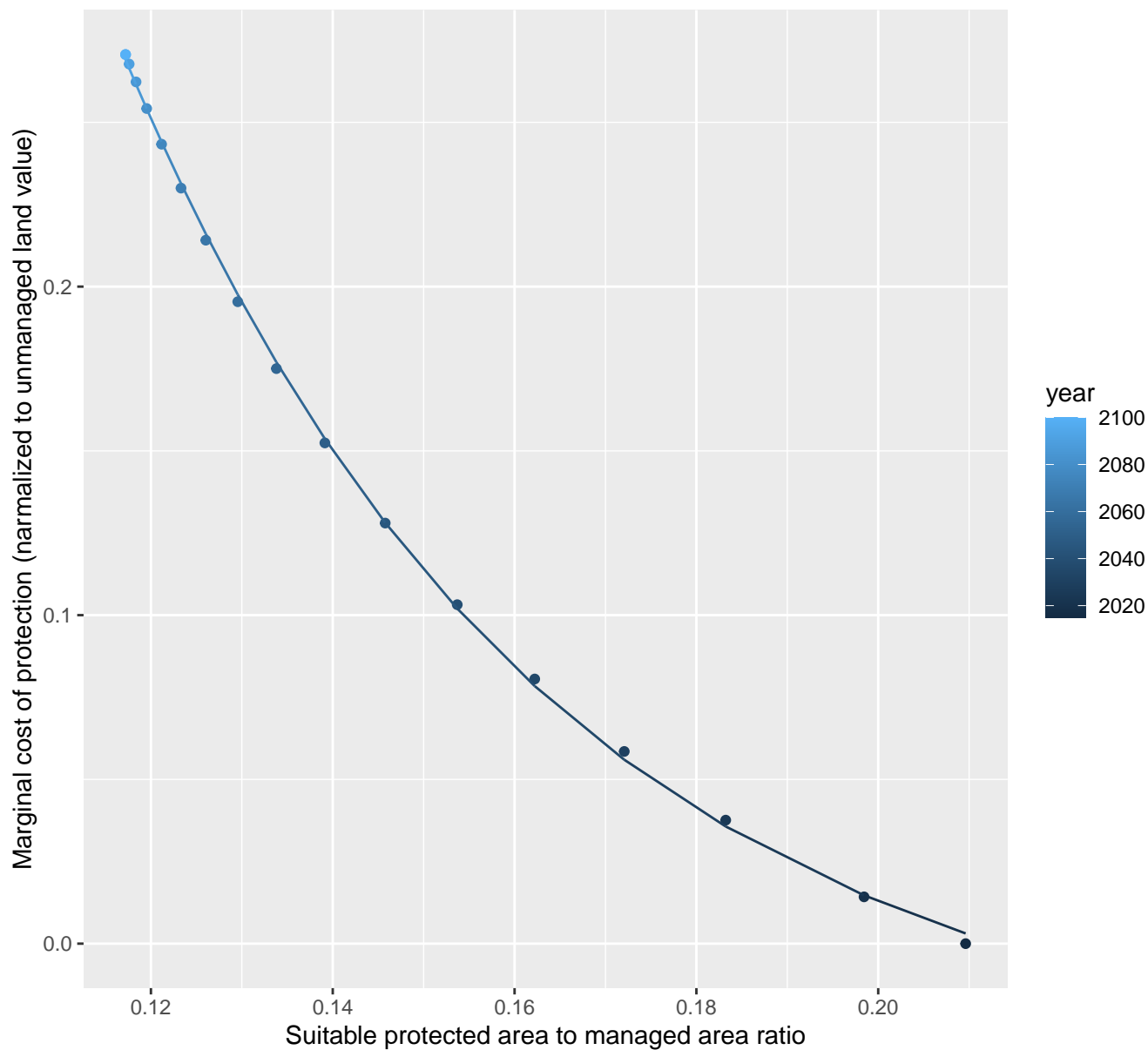
$$y = -0.03 + 4.73 \cdot \exp(-21.98 \cdot x)$$



# 8229 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.04 + 3.76 \cdot \exp(-21.32 \cdot x)$$

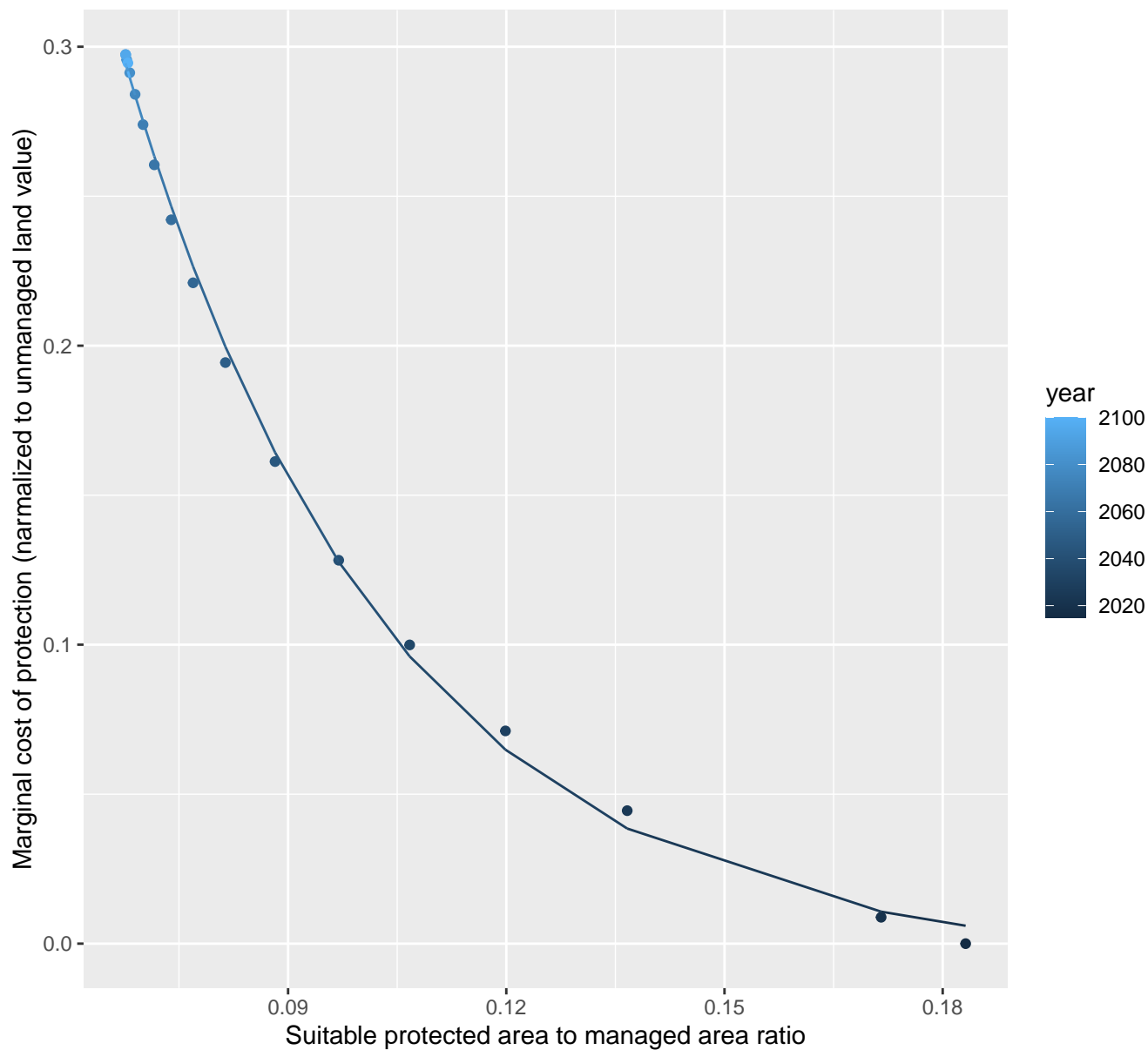




# 8232 marginal protection cost ratio

nls random pval = 0.00355

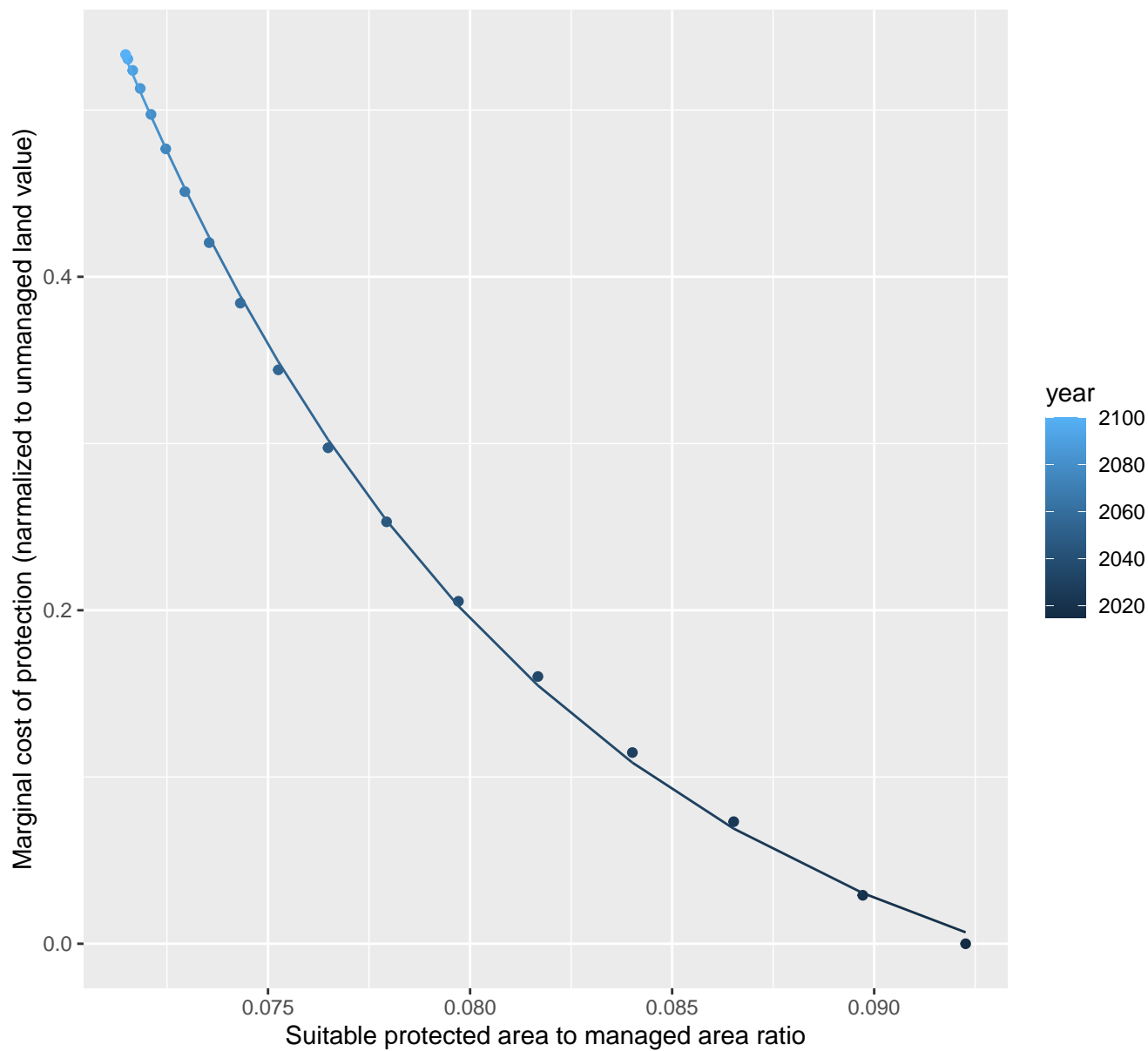
$$y = -0.01 + 1.94 \cdot \exp(-27.55 \cdot x)$$



# 9101 marginal protection cost ratio

nls random pval = 0.00355

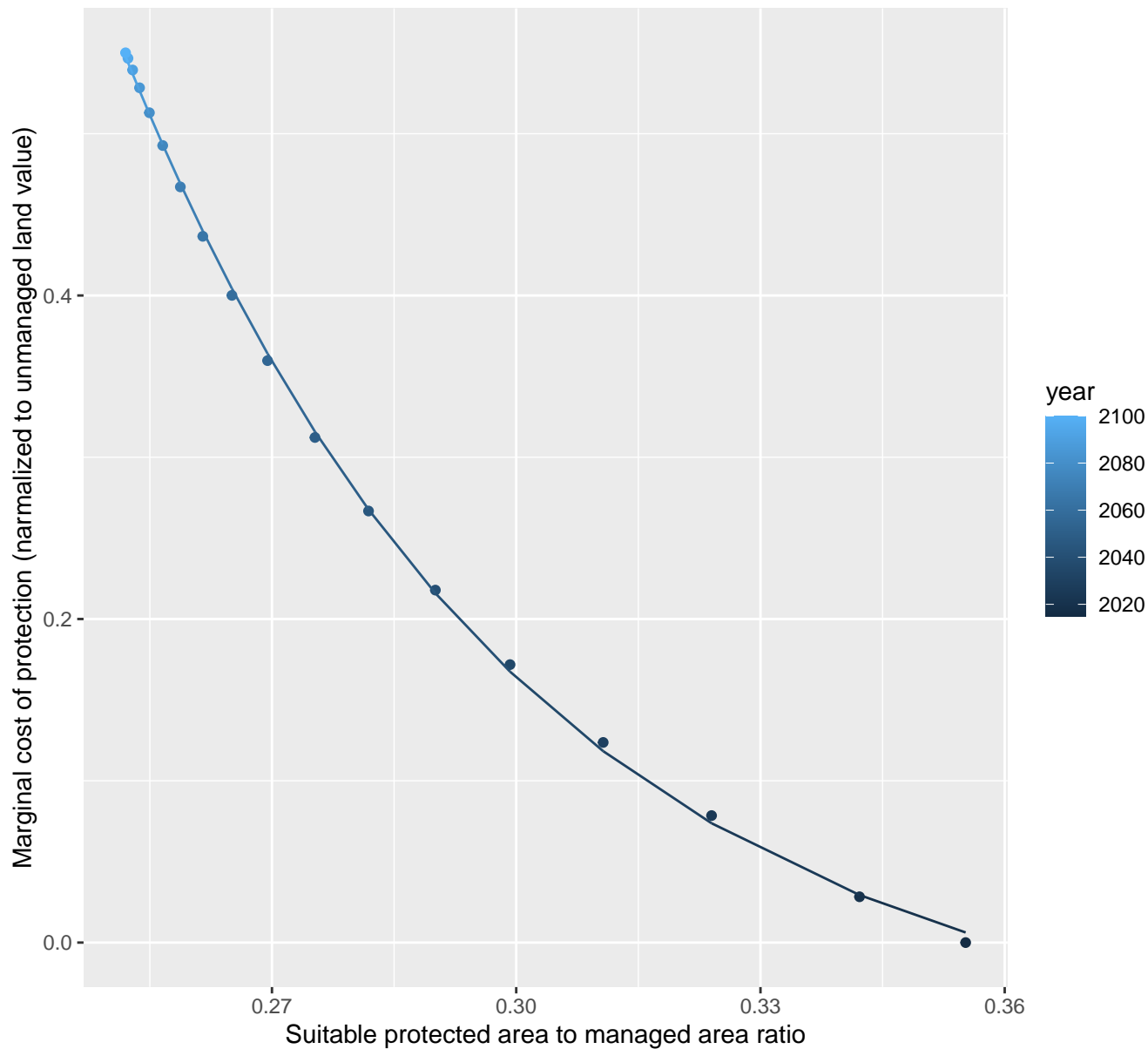
$$y = -0.08 + 492.15 \cdot \exp(-93.6 \cdot x)$$



# 9111 marginal protection cost ratio

nls random pval = 0.00355

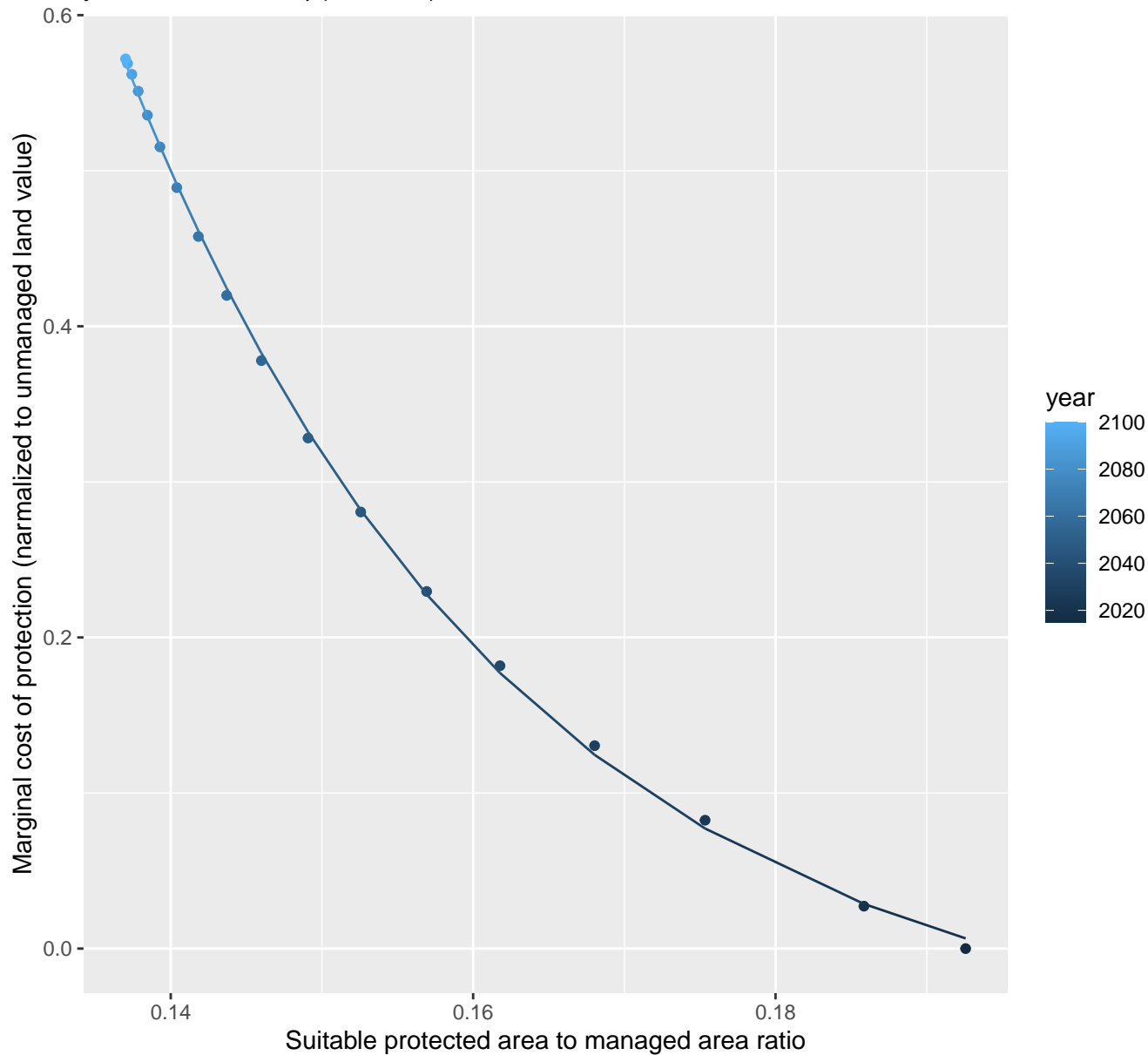
$$y = -0.07 + 100.82 \cdot \exp(-20.21 \cdot x)$$



# 9133 marginal protection cost ratio

nls random pval = 0.00355

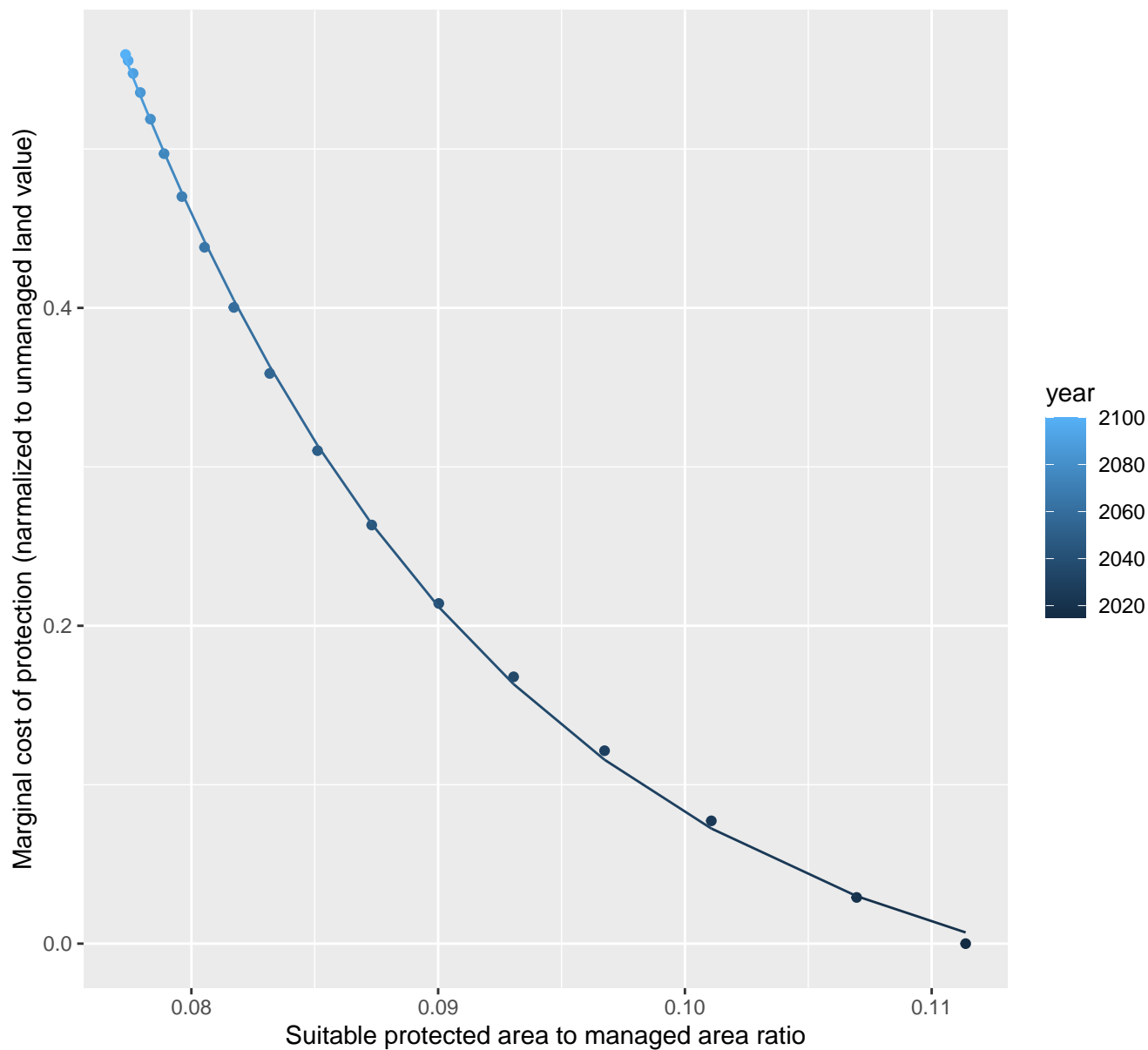
$$y = -0.07 + 125.51 \cdot \exp(-38.55 \cdot x)$$



# 9135 marginal protection cost ratio

nls random pval = 0.00355

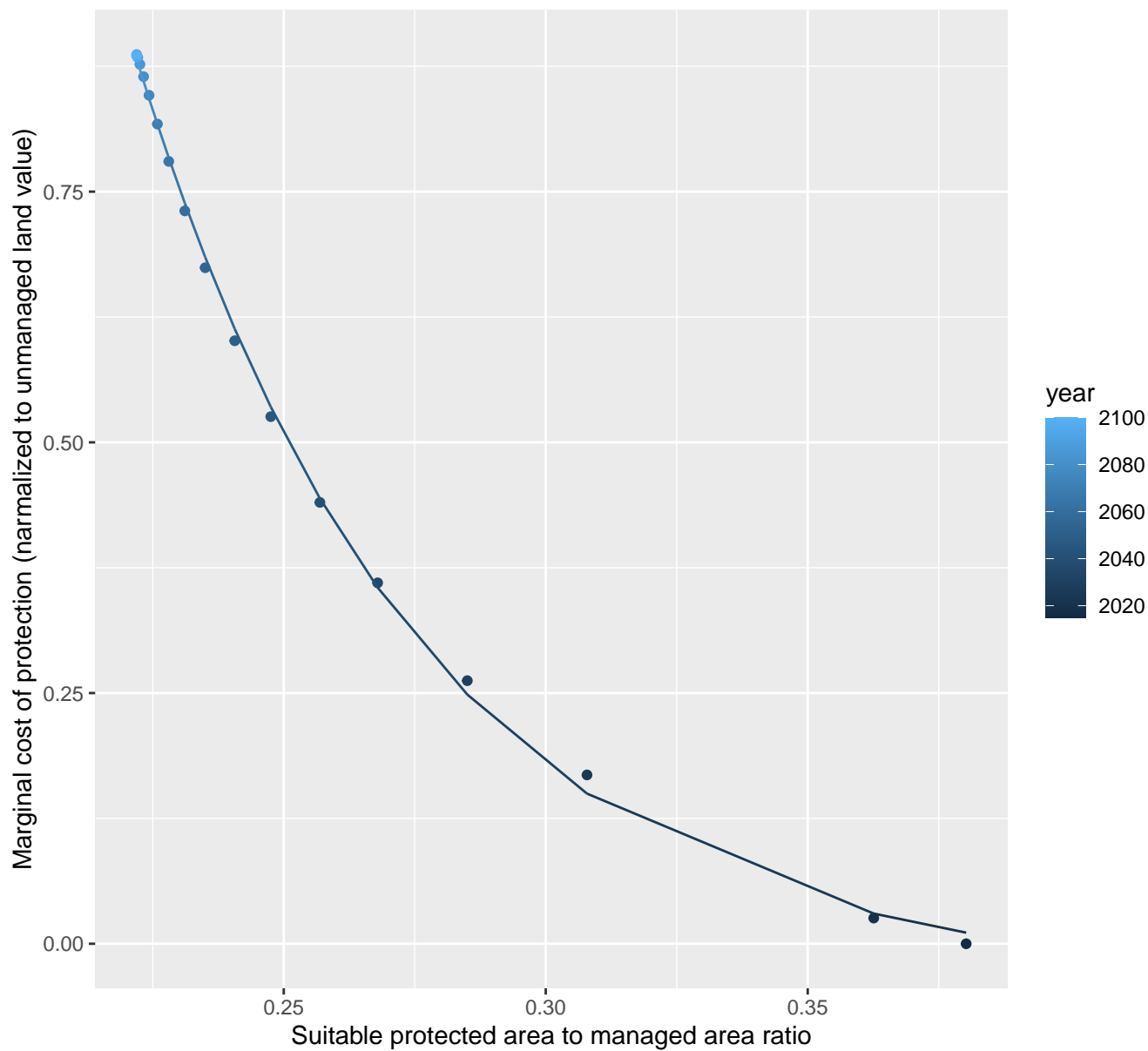
$$y = -0.06 + 88.29 \cdot \exp(-64.13 \cdot x)$$



# 9143 marginal protection cost ratio

nls random pval = 0.00355

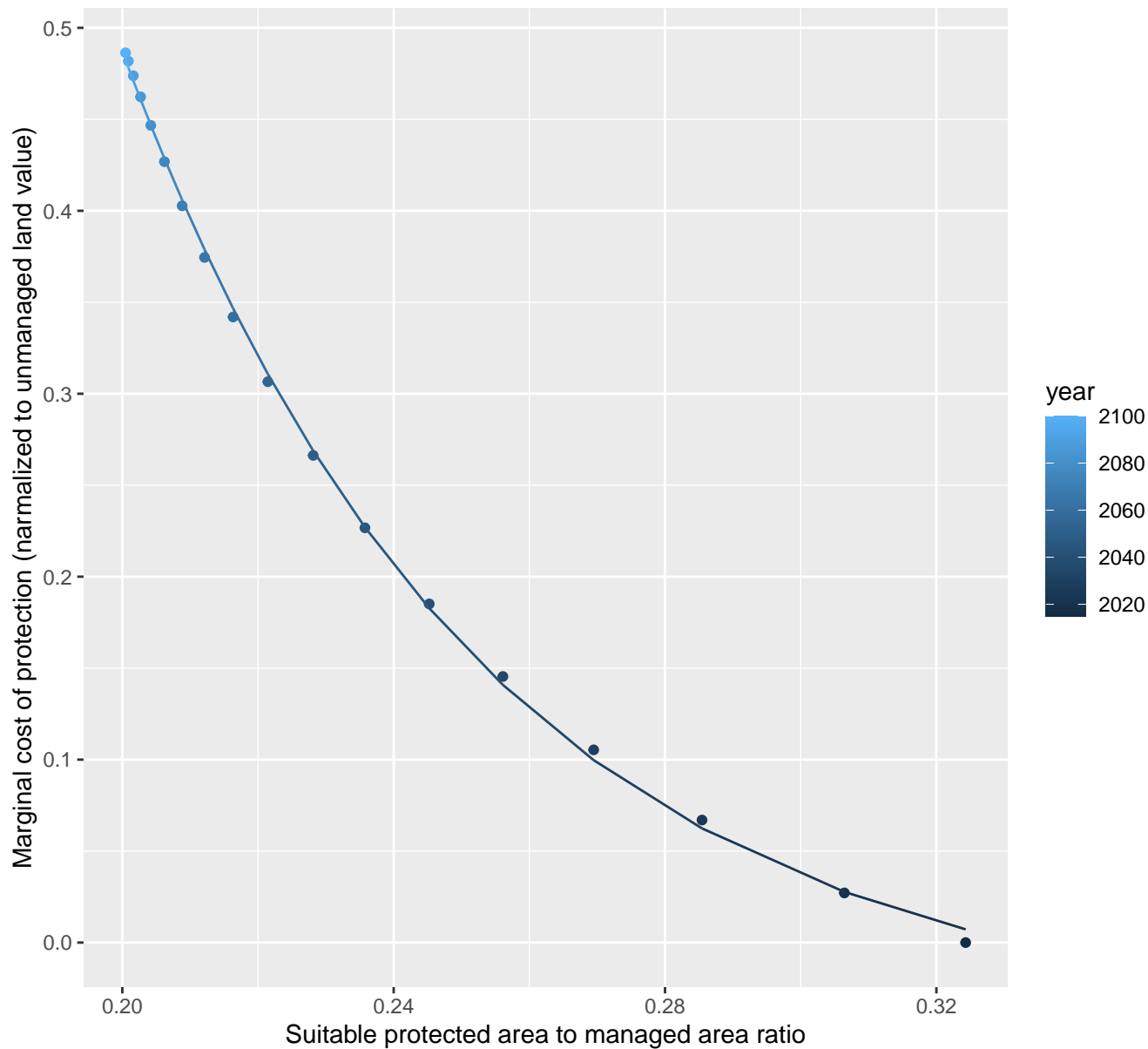
$$y = -0.04 + 55.64 \cdot \exp(-18.48 \cdot x)$$



# 9157 marginal protection cost ratio

nls random pval = 0.00355

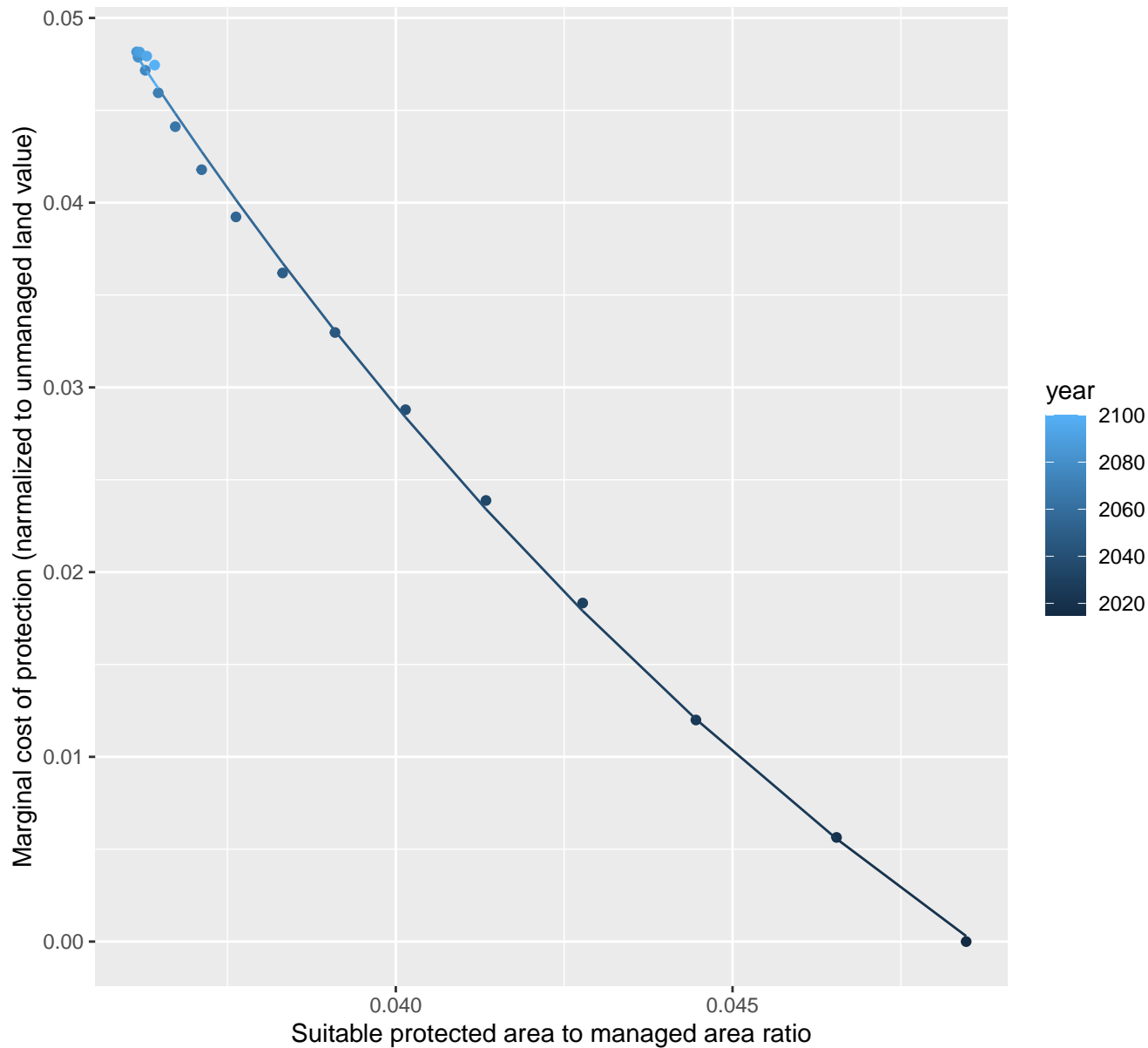
$$y = -0.04 + 22.87 \cdot \exp(-18.81 \cdot x)$$



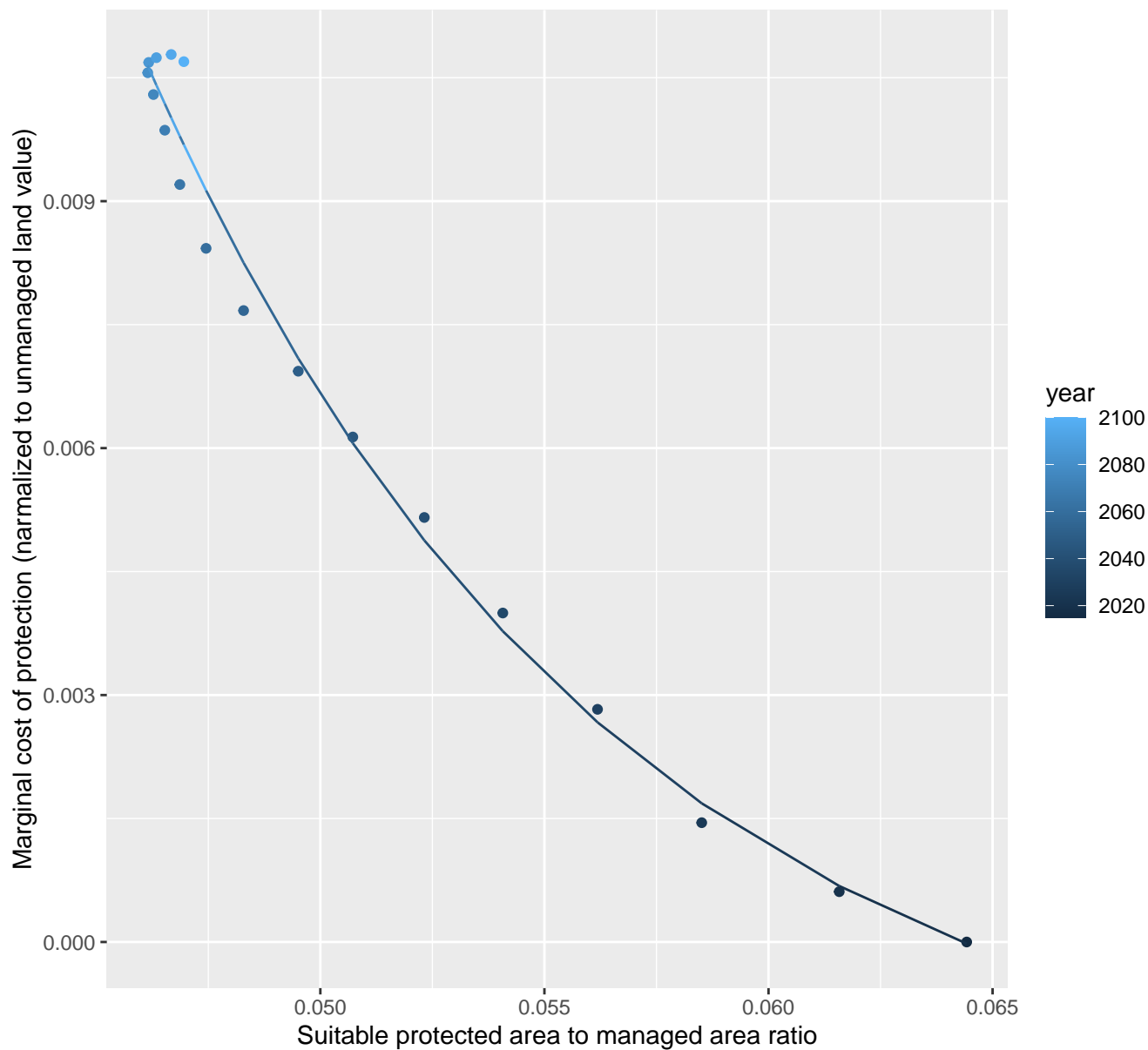
# 10018 marginal protection cost ratio

nls random pval = 0.05194

$$y = -0.04 + 0.84 \cdot \exp(-62 \cdot x)$$



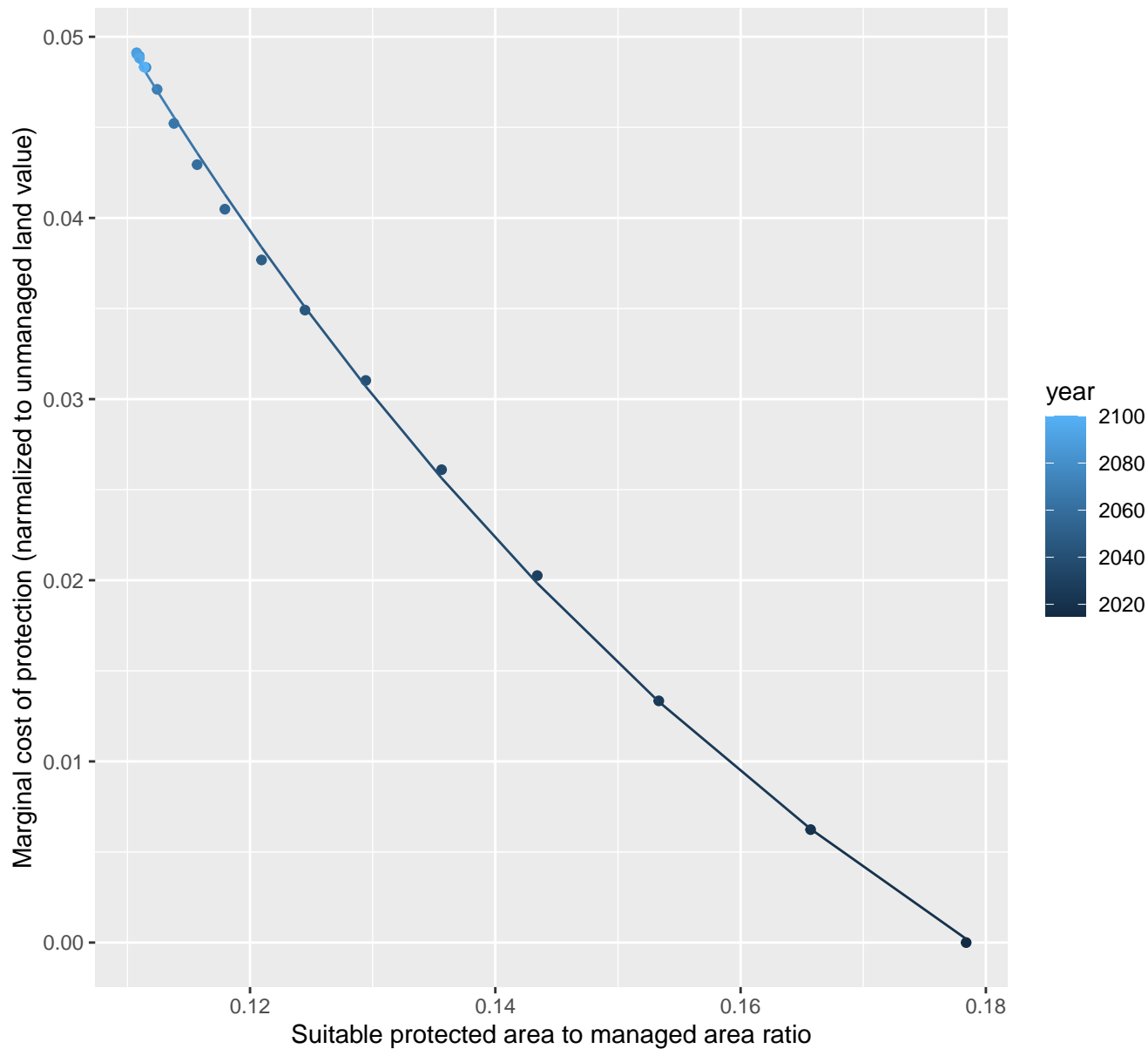


$$y=0+1.09 \cdot \exp(-96.06 \cdot x)$$


# 10042 marginal protection cost ratio

nls random pval = 0.00355

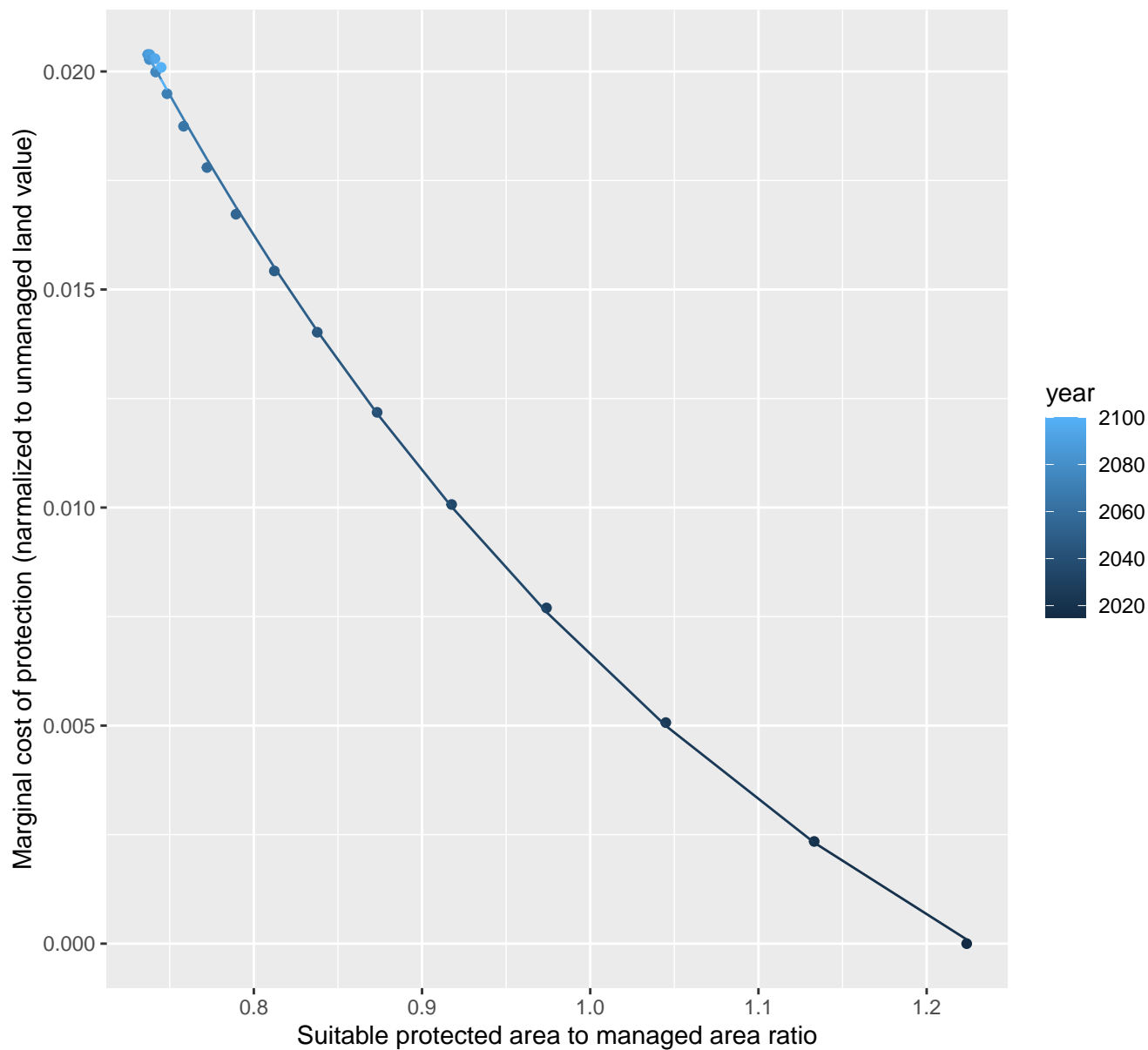
$$y = -0.03 + 0.36 \cdot \exp(-13.59 \cdot x)$$



# 10043 marginal protection cost ratio

nls random pval = 0.00355

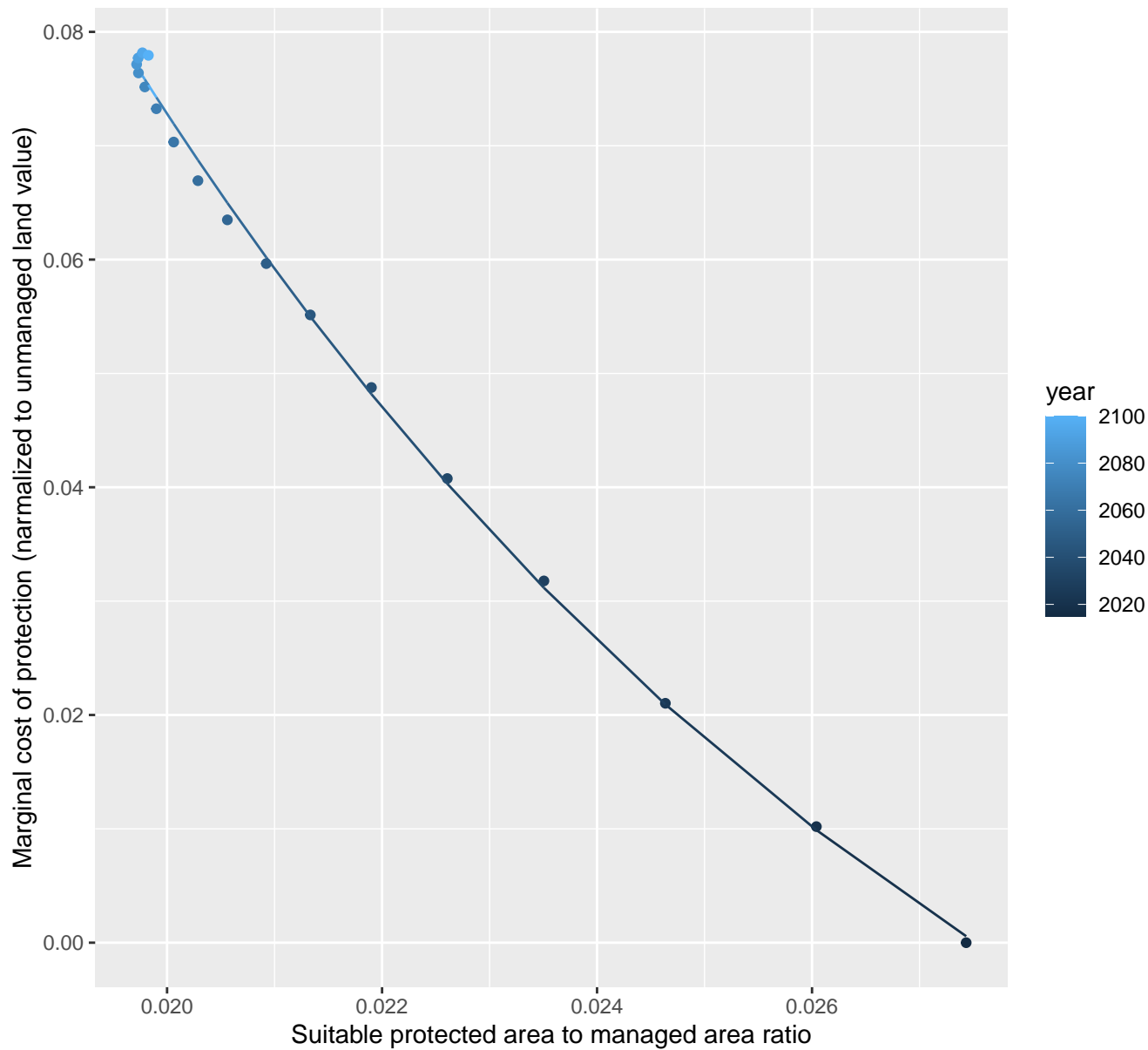
$$y = -0.01 + 0.17 \cdot \exp(-2.4 \cdot x)$$

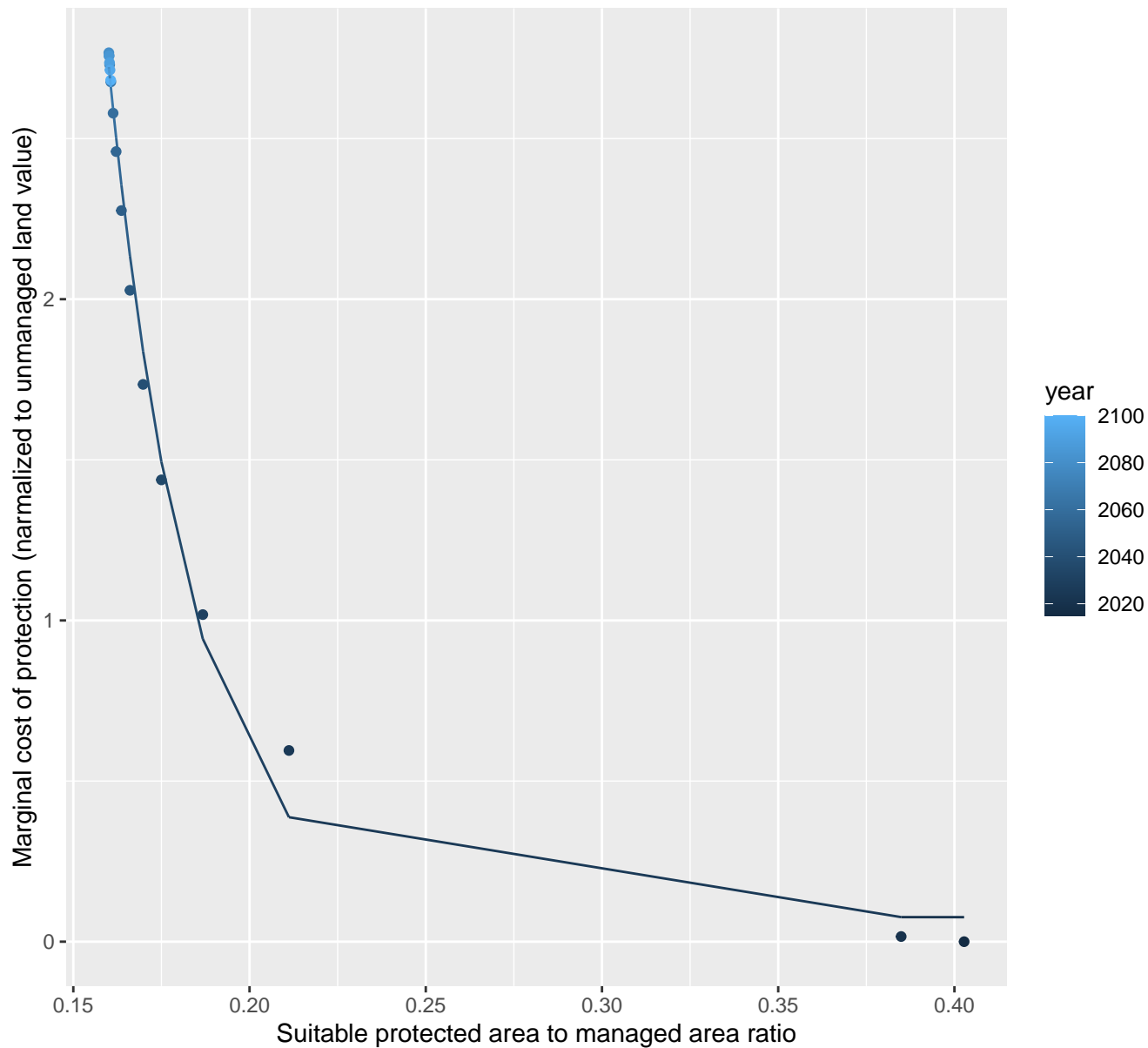


# 10045 marginal protection cost ratio

nls random pval = 0.05194

$$y = -0.05 + 1.23 \cdot \exp(-113.93 \cdot x)$$

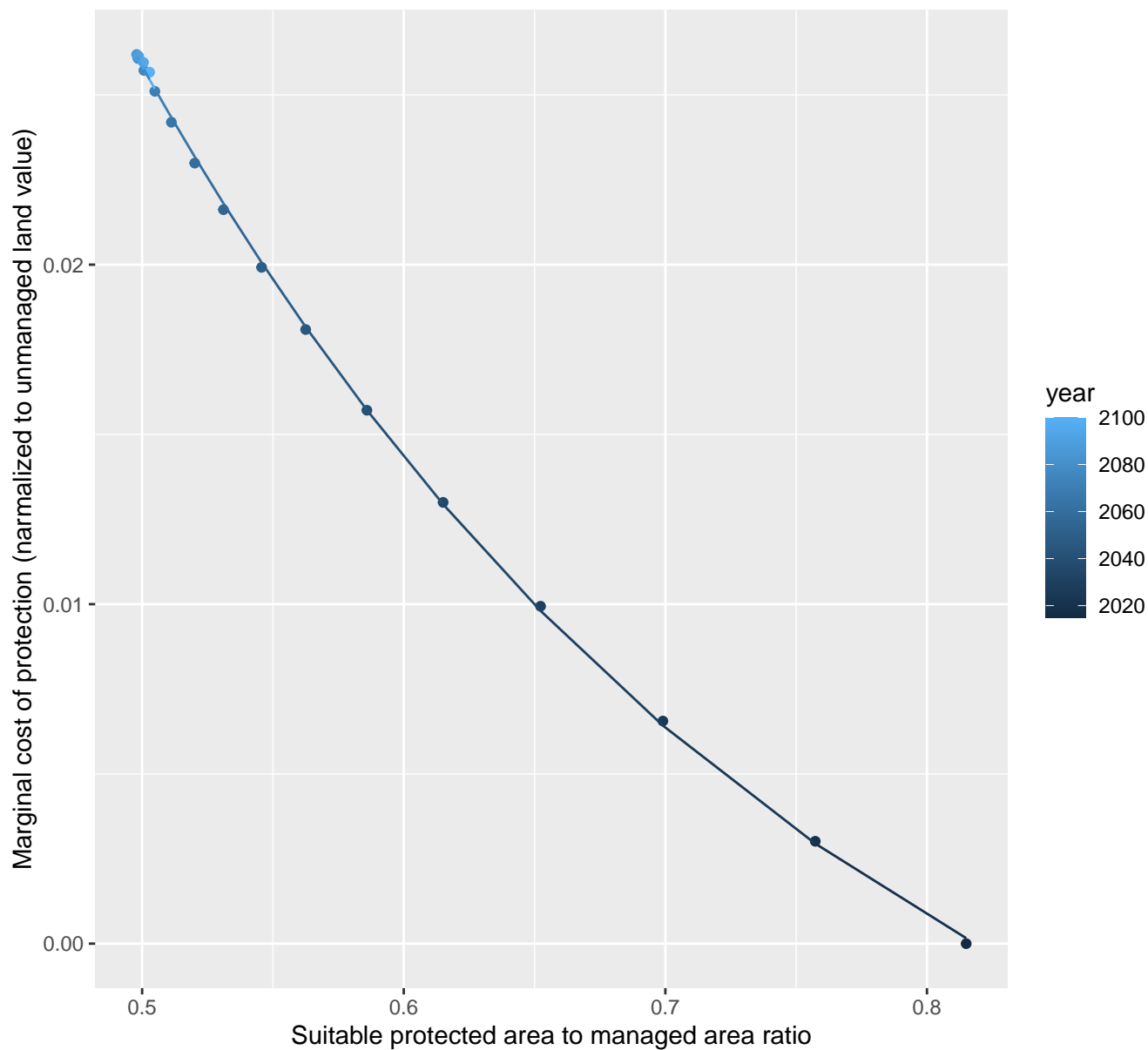


$$y=0.08+2160.6*\exp(-41.89*x)$$


# 10048 marginal protection cost ratio

nls random pval = 0.00355

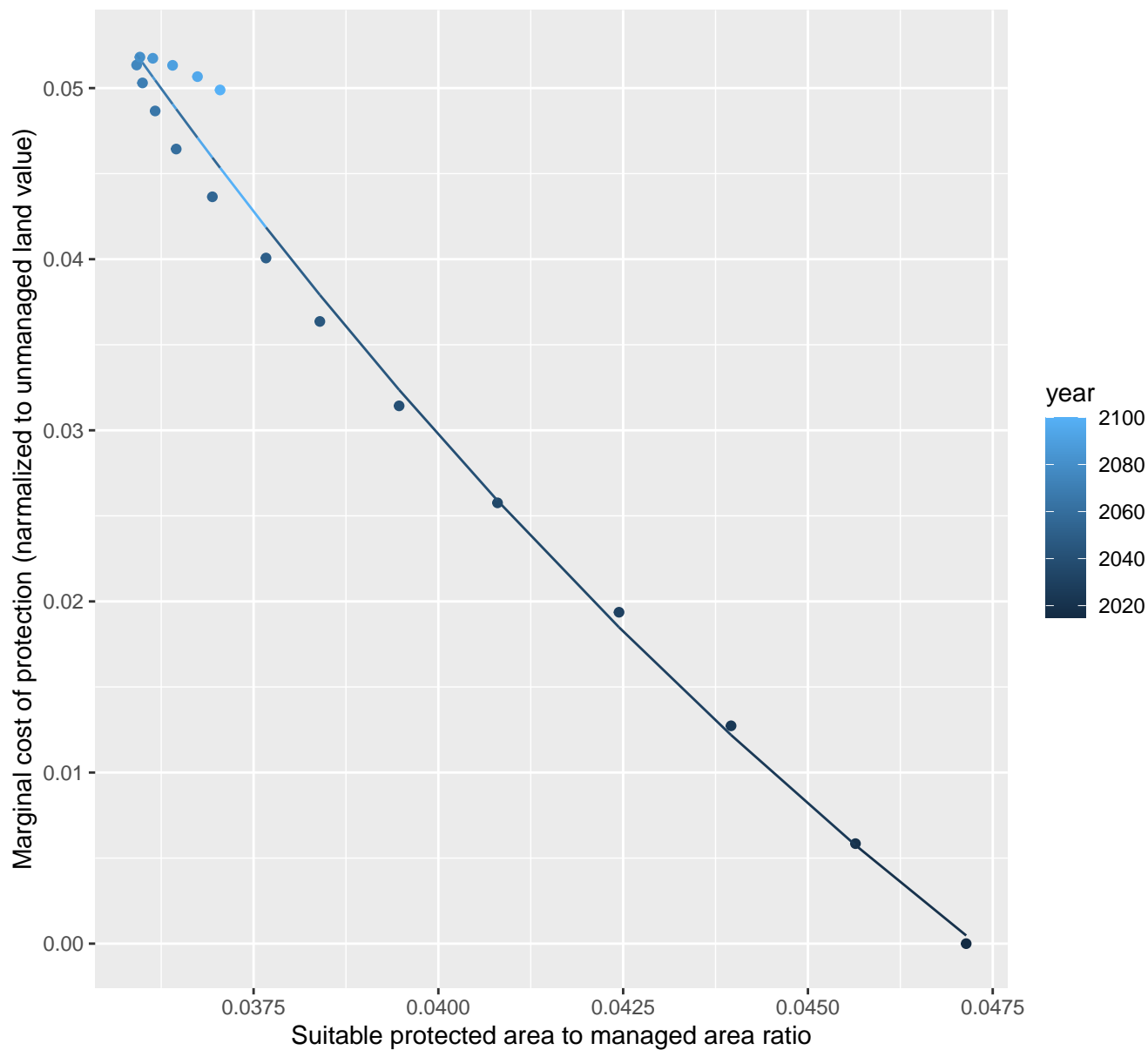
$$y = -0.01 + 0.23 \cdot \exp(-3.66 \cdot x)$$



# 10052 marginal protection cost ratio

nls random pval = 0.00355

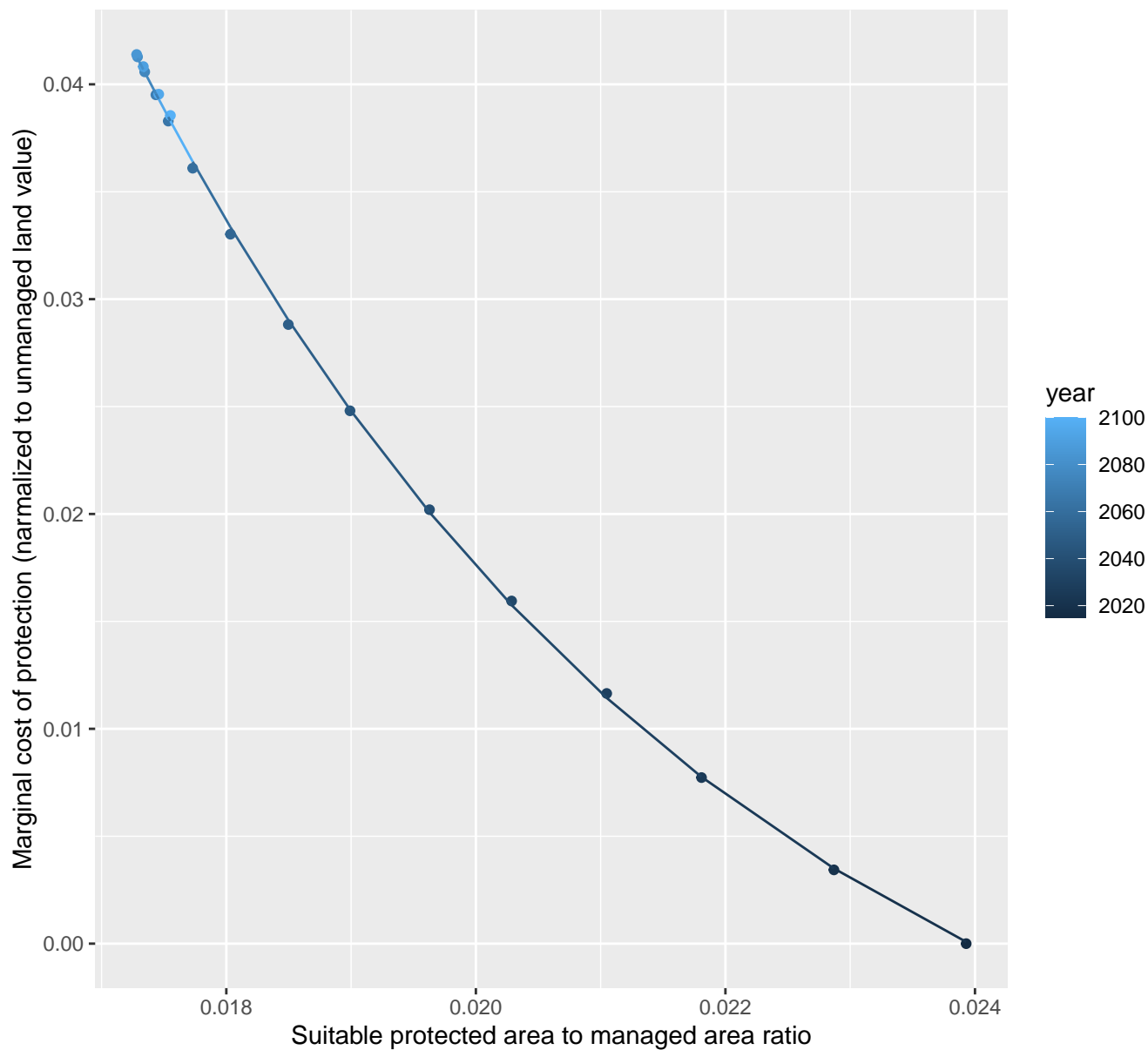
$$y = -0.07 + 0.74 \cdot \exp(-51.44 \cdot x)$$



# 10056 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.01 + 1.97 \cdot \exp(-207 \cdot x)$$

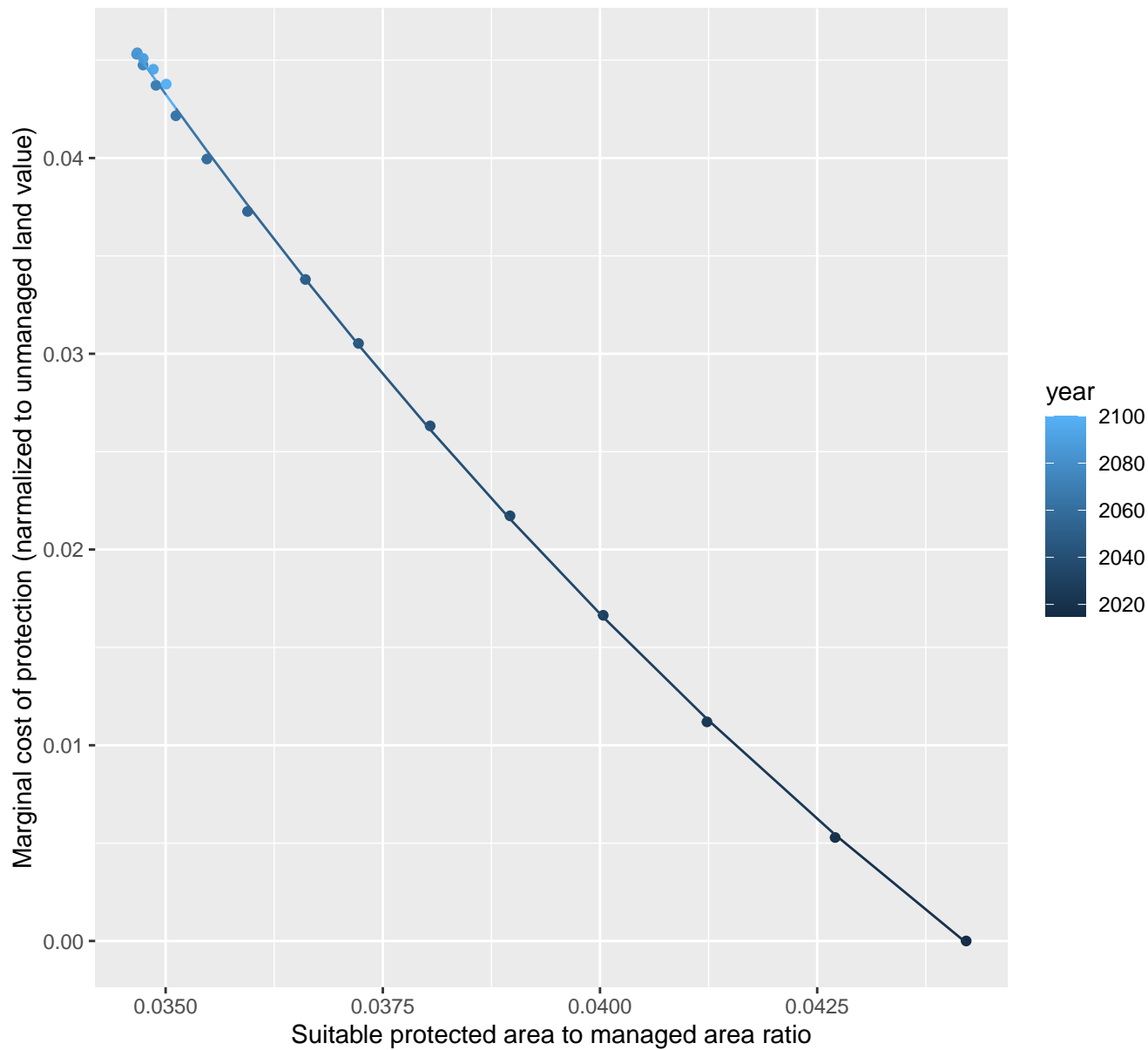


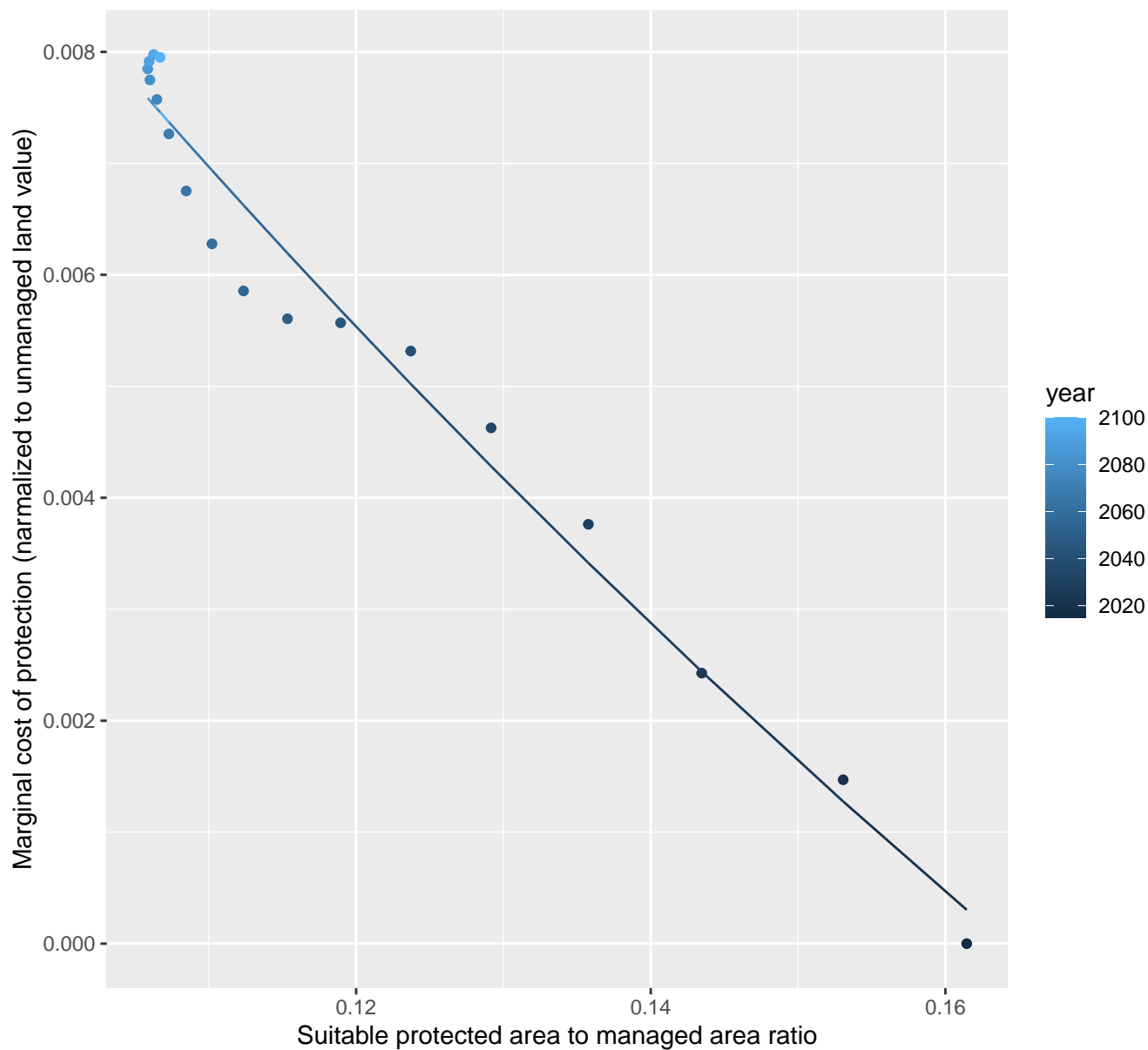


# 10058 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.06 + 0.87 \cdot \exp(-62.01 \cdot x)$$

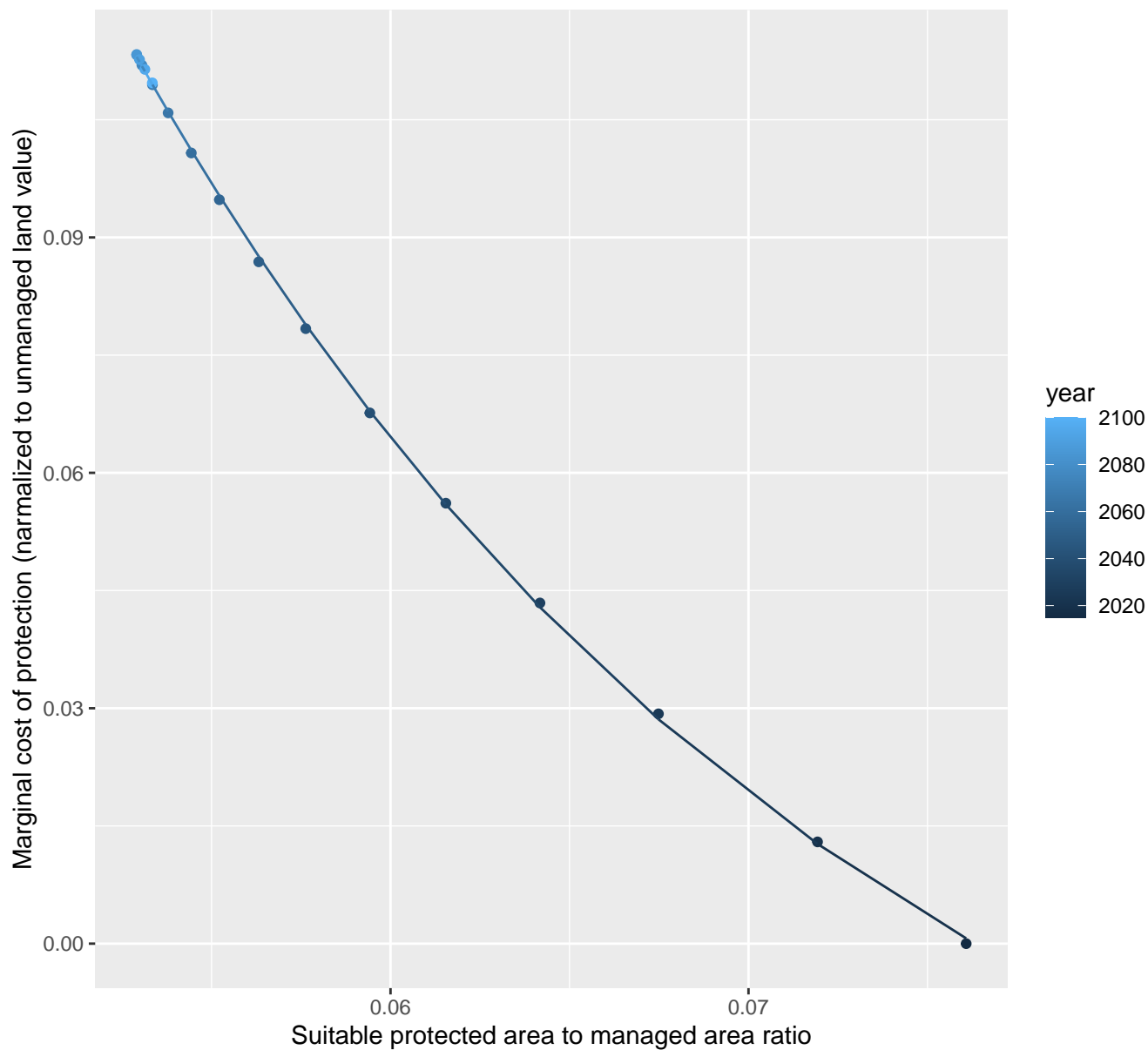


$$y = -0.02 + 0.05 \cdot \exp(-5.03 \cdot x)$$


# 10070 marginal protection cost ratio

nls random pval = 0.00355

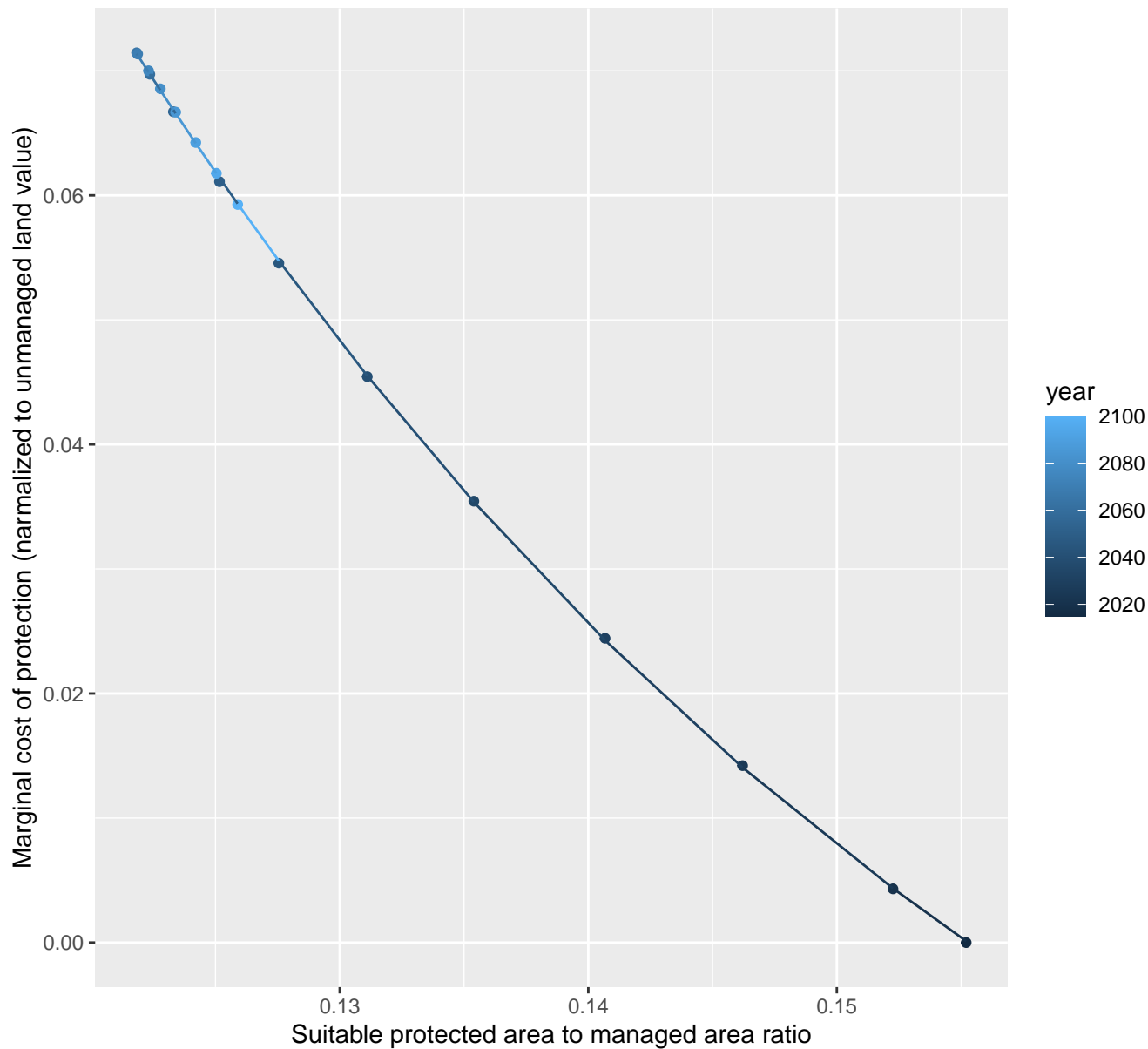
$$y = -0.05 + 2.19 \cdot \exp(-48.75 \cdot x)$$



# 10072 marginal protection cost ratio

nls random pval = 0.01512

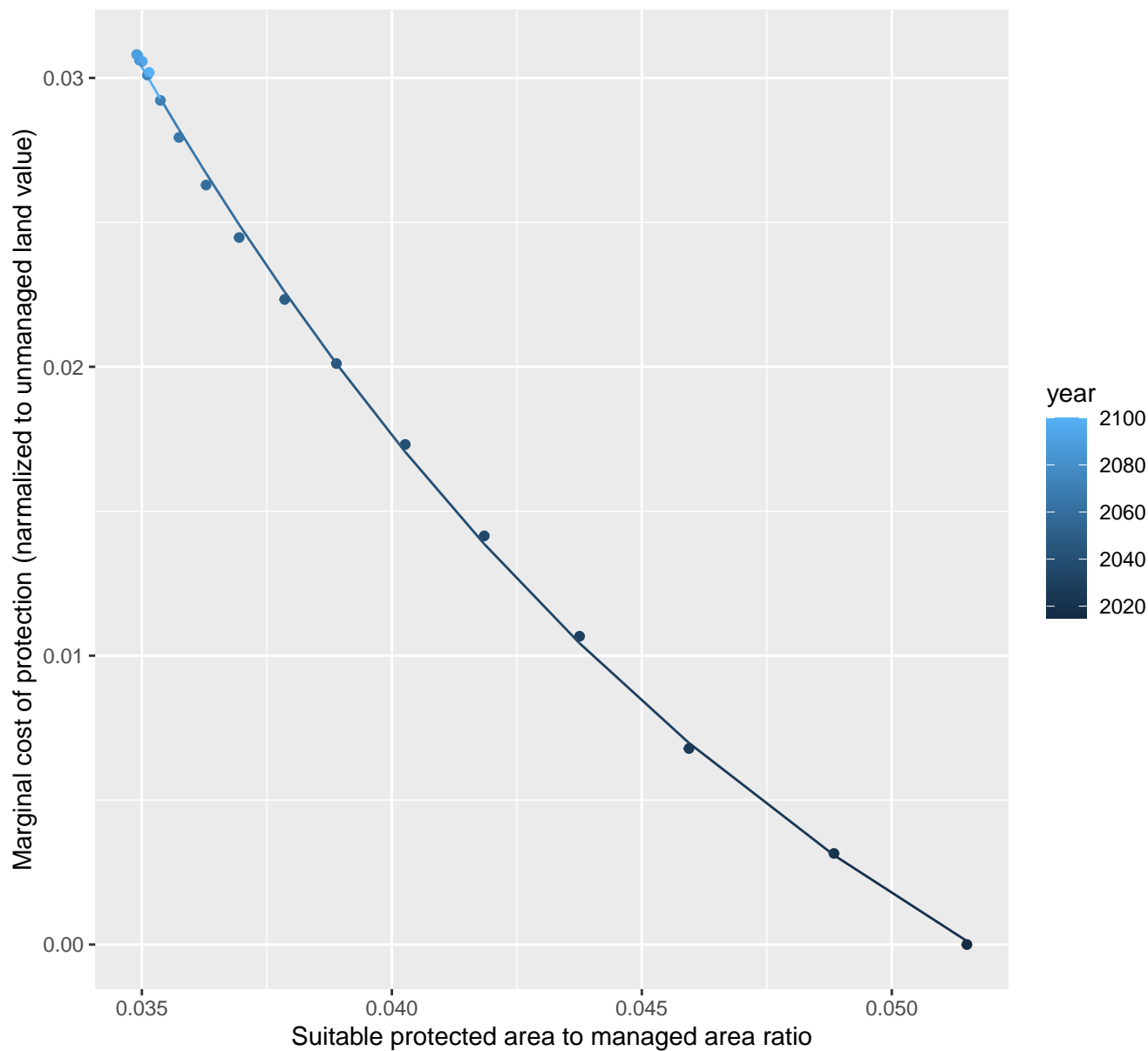
$$y = -0.06 + 2.46 \cdot \exp(-24.24 \cdot x)$$



# 10076 marginal protection cost ratio

nls random pval = 0.05194

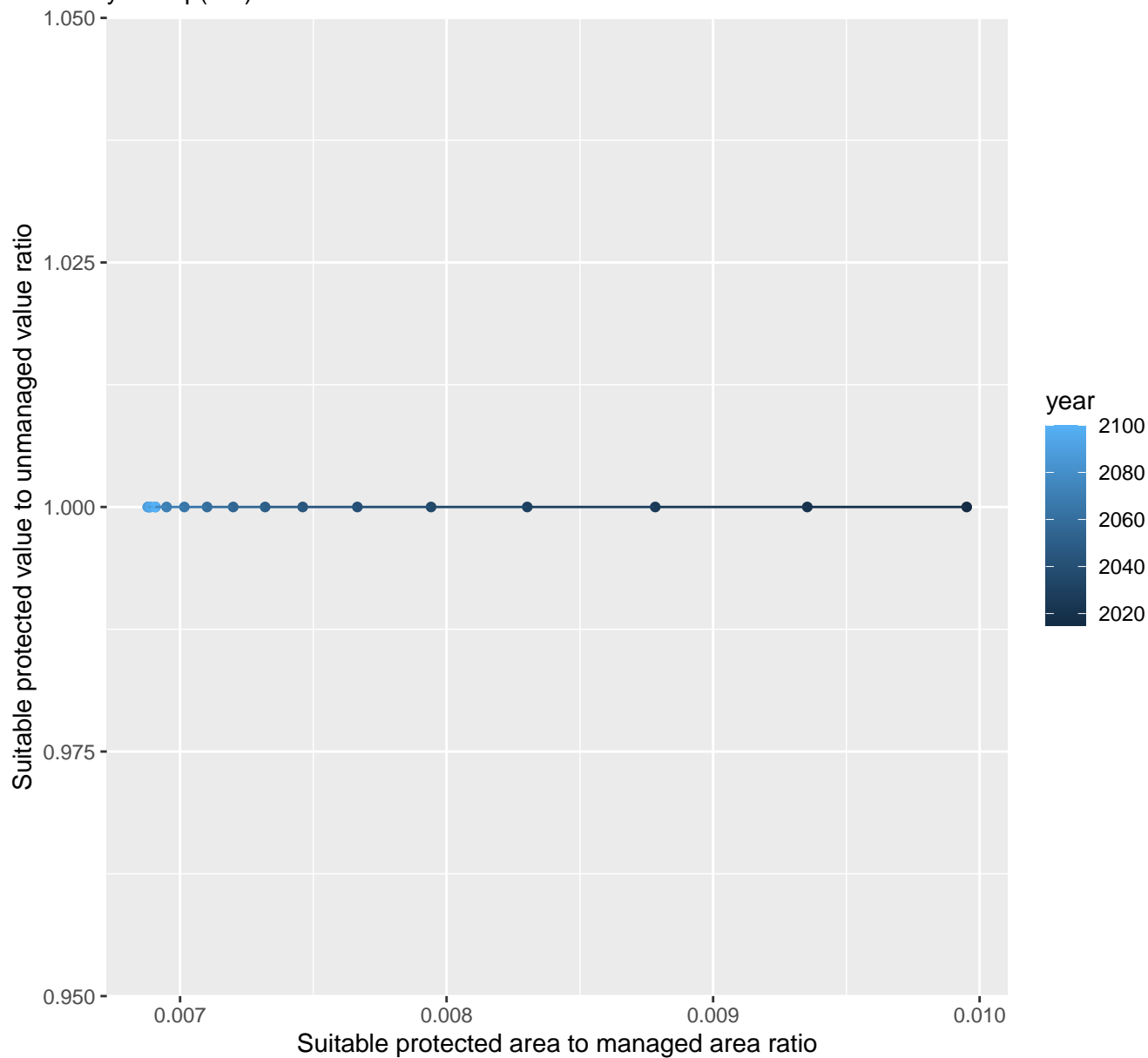
$$y = -0.02 + 0.44 \cdot \exp(-64.79 \cdot x)$$



# 10085 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00166$   $pval = 0.87247$  random  $pval = 0.57797$

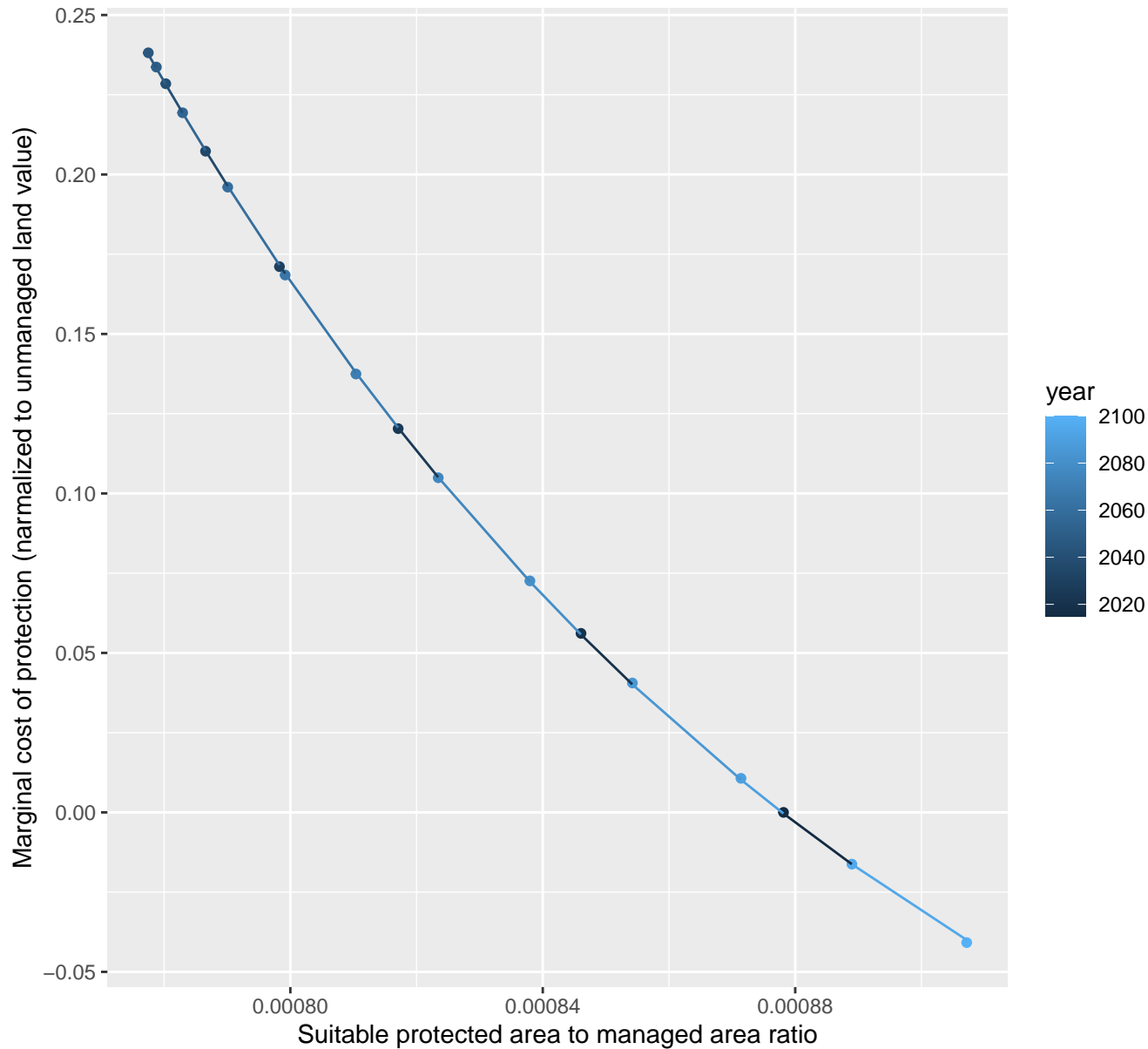
$$y = 1 * \exp(0 * x)$$



# 11037 marginal protection cost ratio

nls random pval = 0.05194

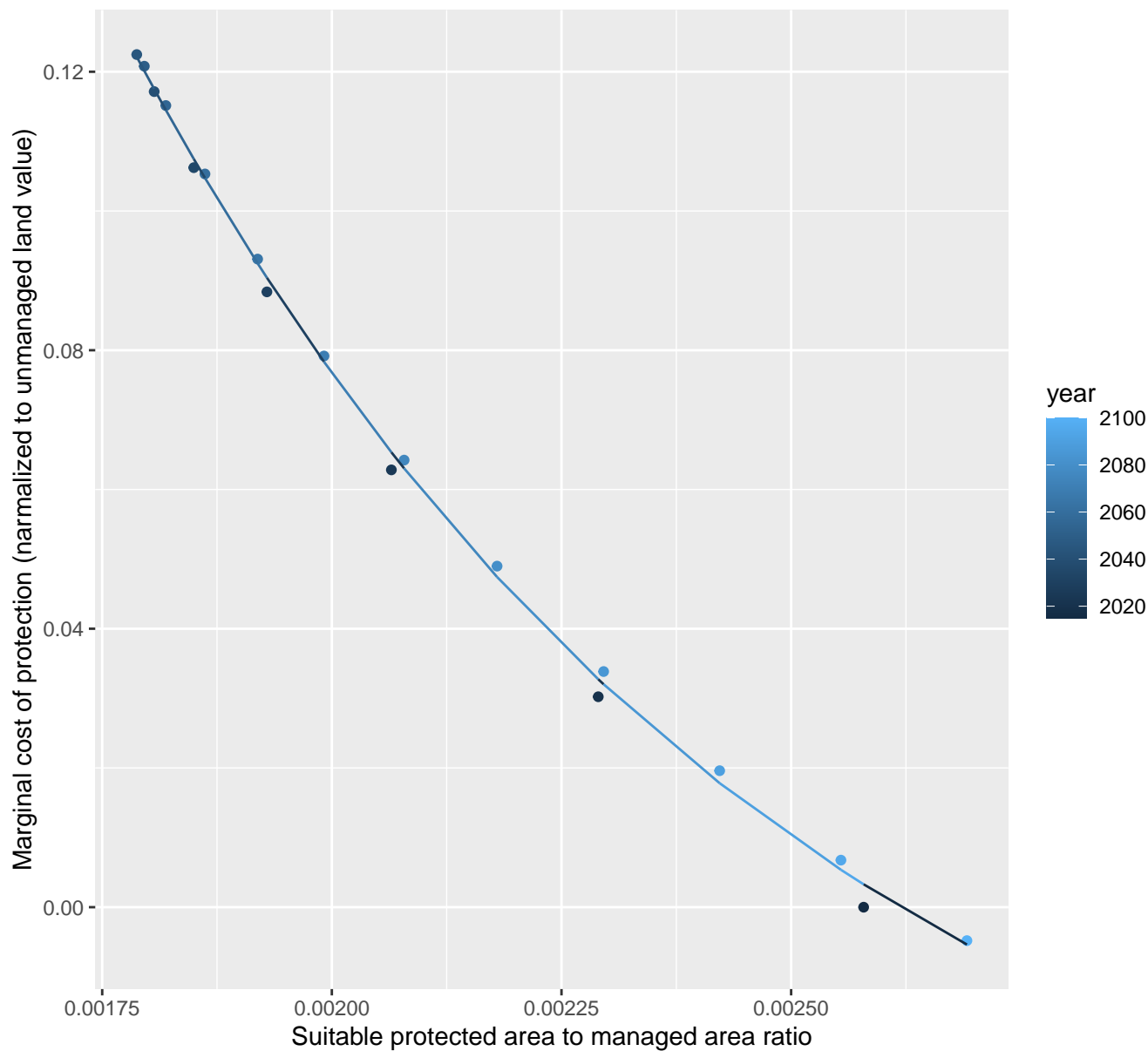
$$y = -0.19 + 229.77 \cdot \exp(-8086.04 \cdot x)$$



# 11042 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.06 + 2.09 \cdot \exp(-1374.32 \cdot x)$$

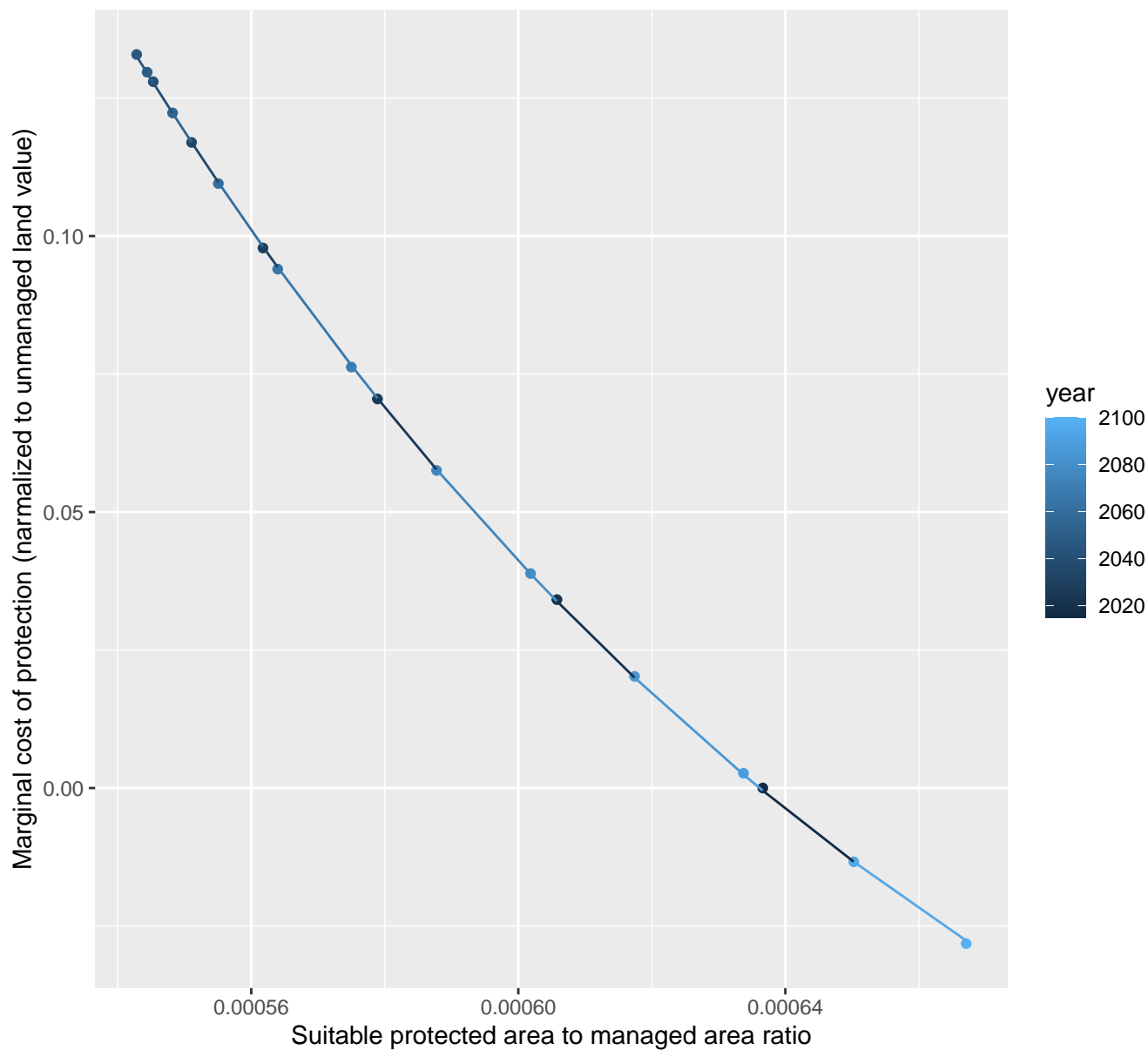




# 11043 marginal protection cost ratio

nls random pval = 0.05194

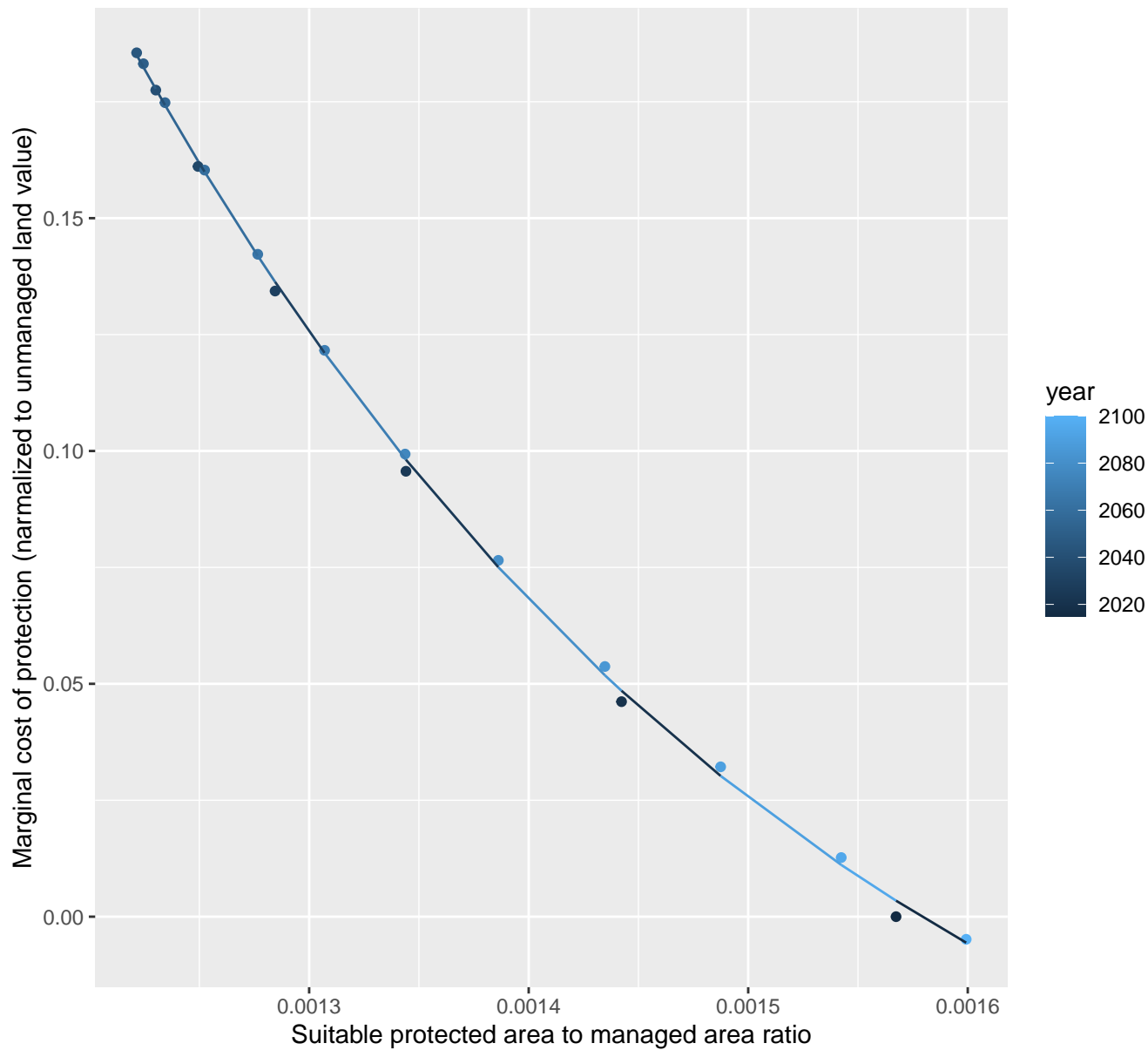
$$y = -0.14 + 13.45 \cdot \exp(-7191.39 \cdot x)$$



# 11056 marginal protection cost ratio

nls random pval = 0.00355

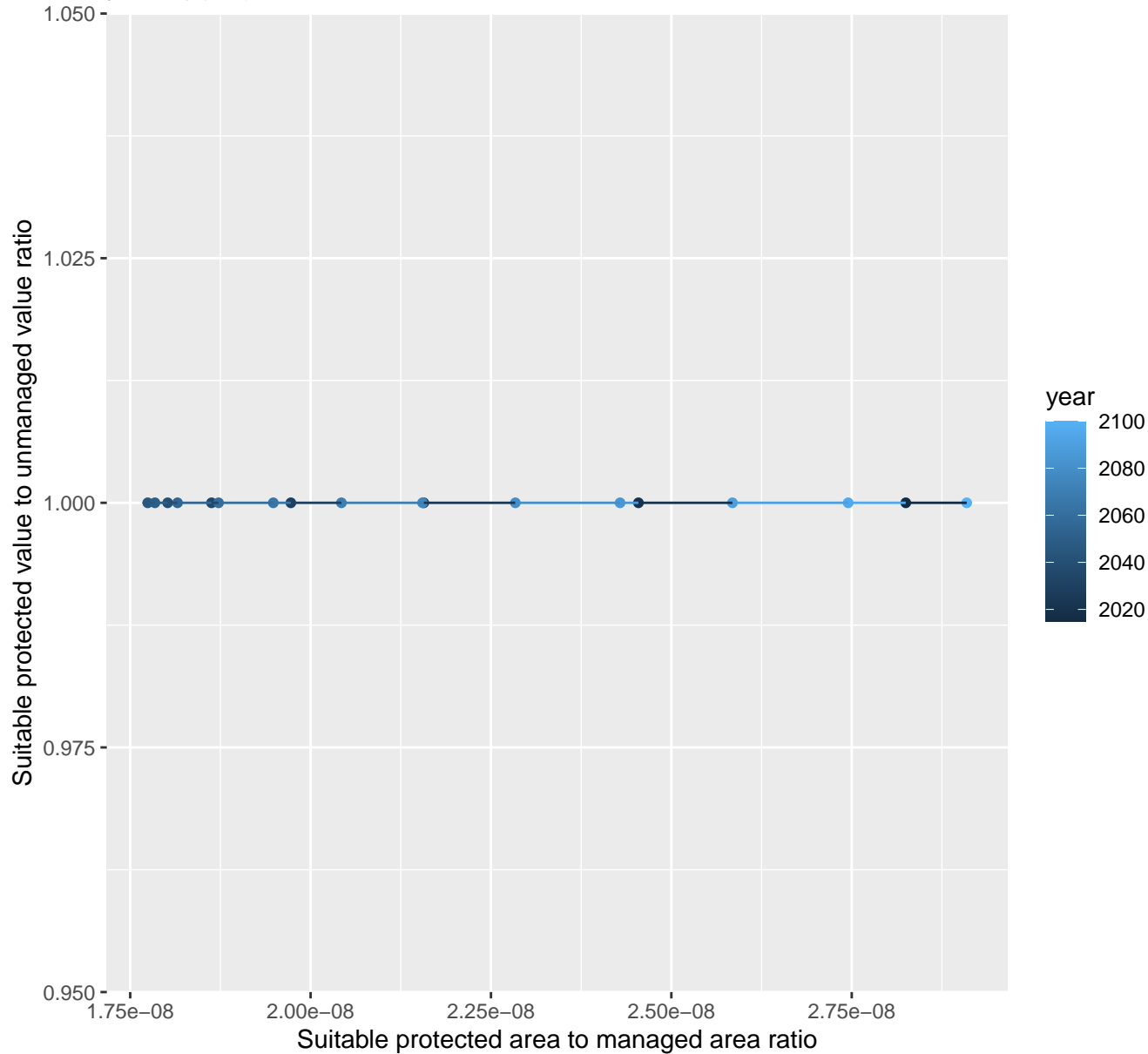
$$y = -0.09 + 11.48 \cdot \exp(-3043.24 \cdot x)$$



# 11058 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00351$   $pval = 0.81544$  random  $pval = 0.31731$

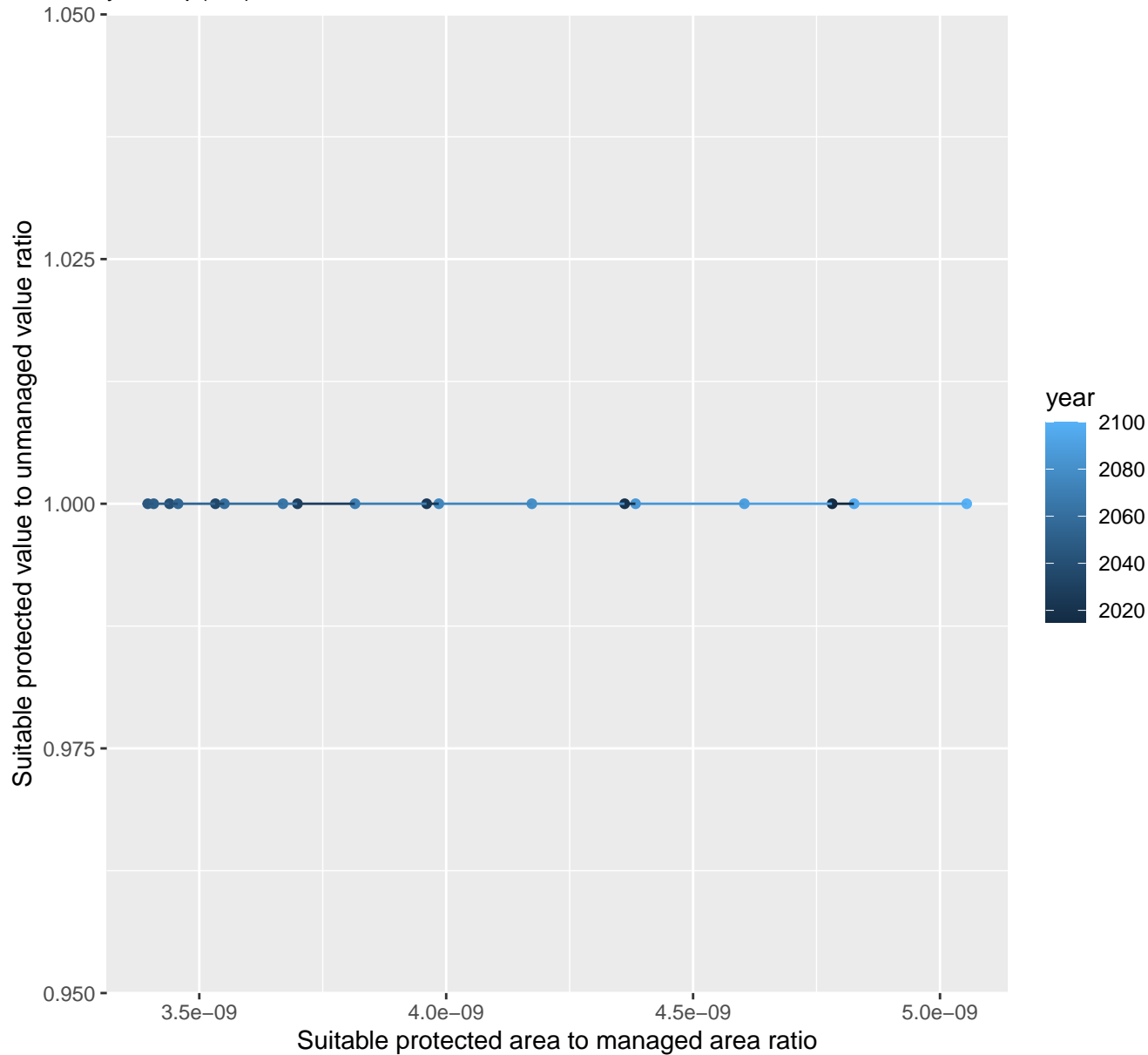
$$y = 1 * \exp(0 * x)$$



# 11066 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00696$   $pval = 0.74215$  random  $pval = 0.75353$

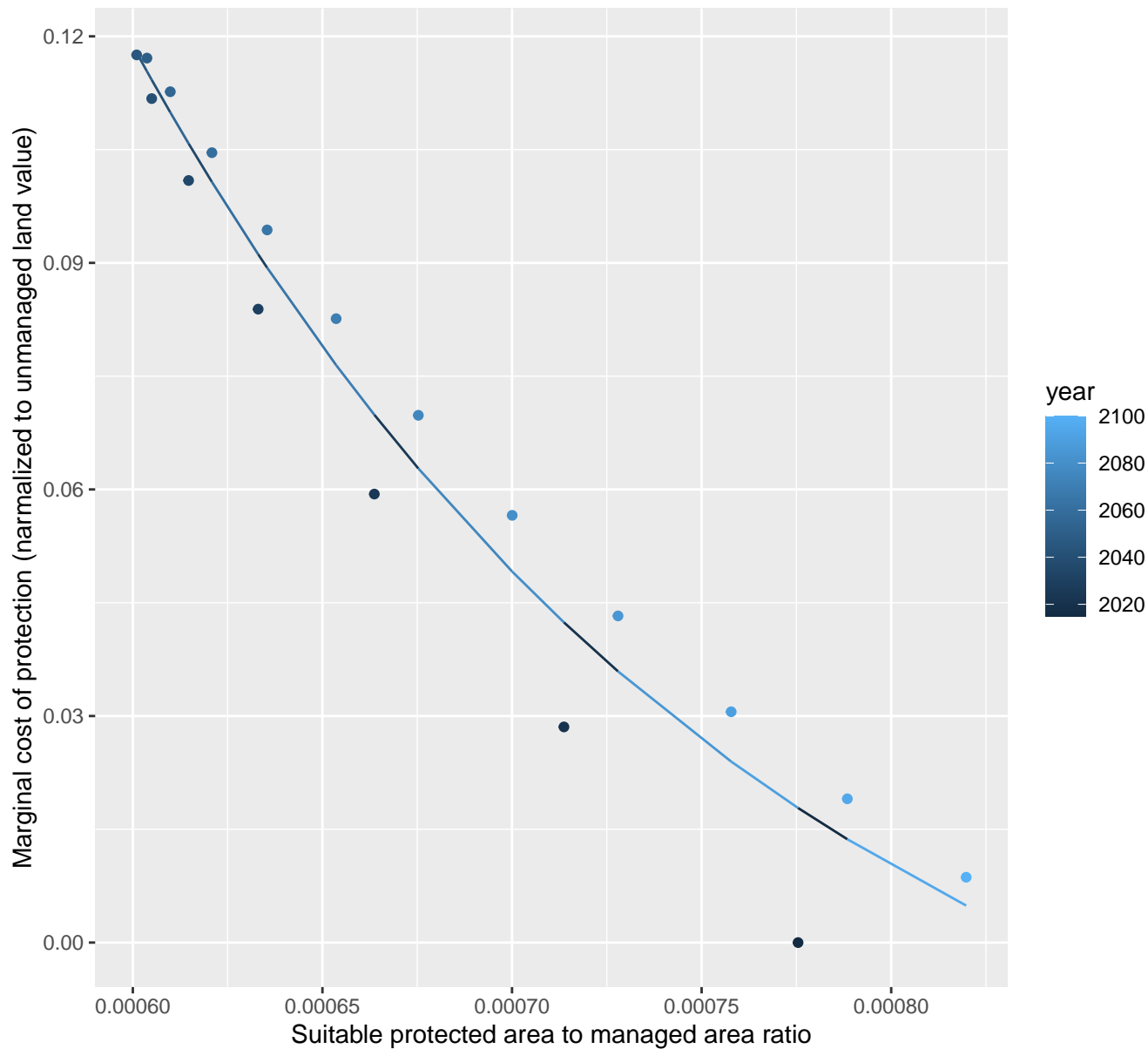
$$y = 1 * \exp(0 * x)$$



# 11068 marginal protection cost ratio

nls random pval = 1e-04

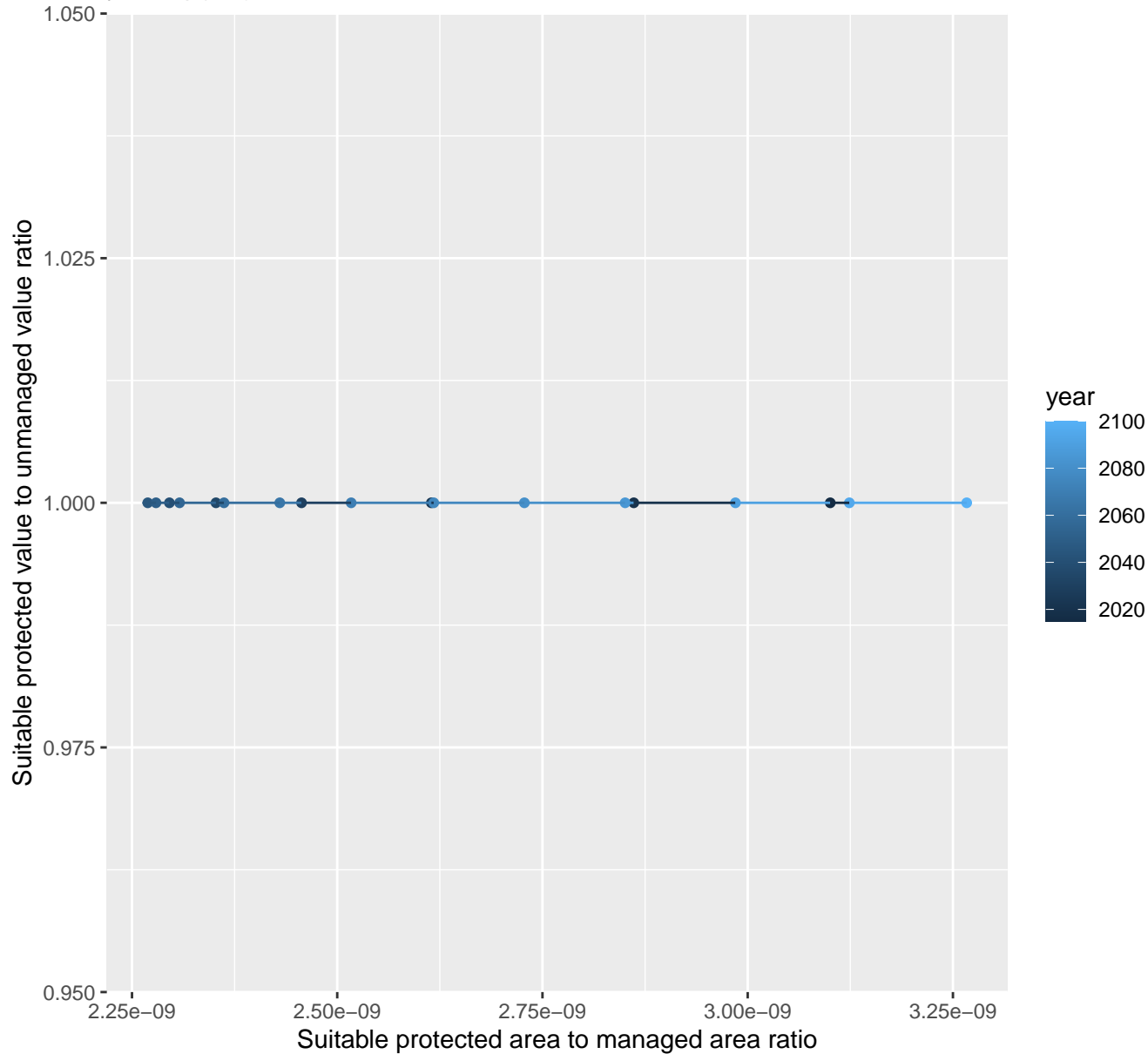
$$y = -0.04 + 5.18 \cdot \exp(-5818.59 \cdot x)$$



# 11077 marginal protection cost ratio

linear-log(y)  $r^2 = 0.185$   $pval = 0.07481$  random  $pval = 0.88827$

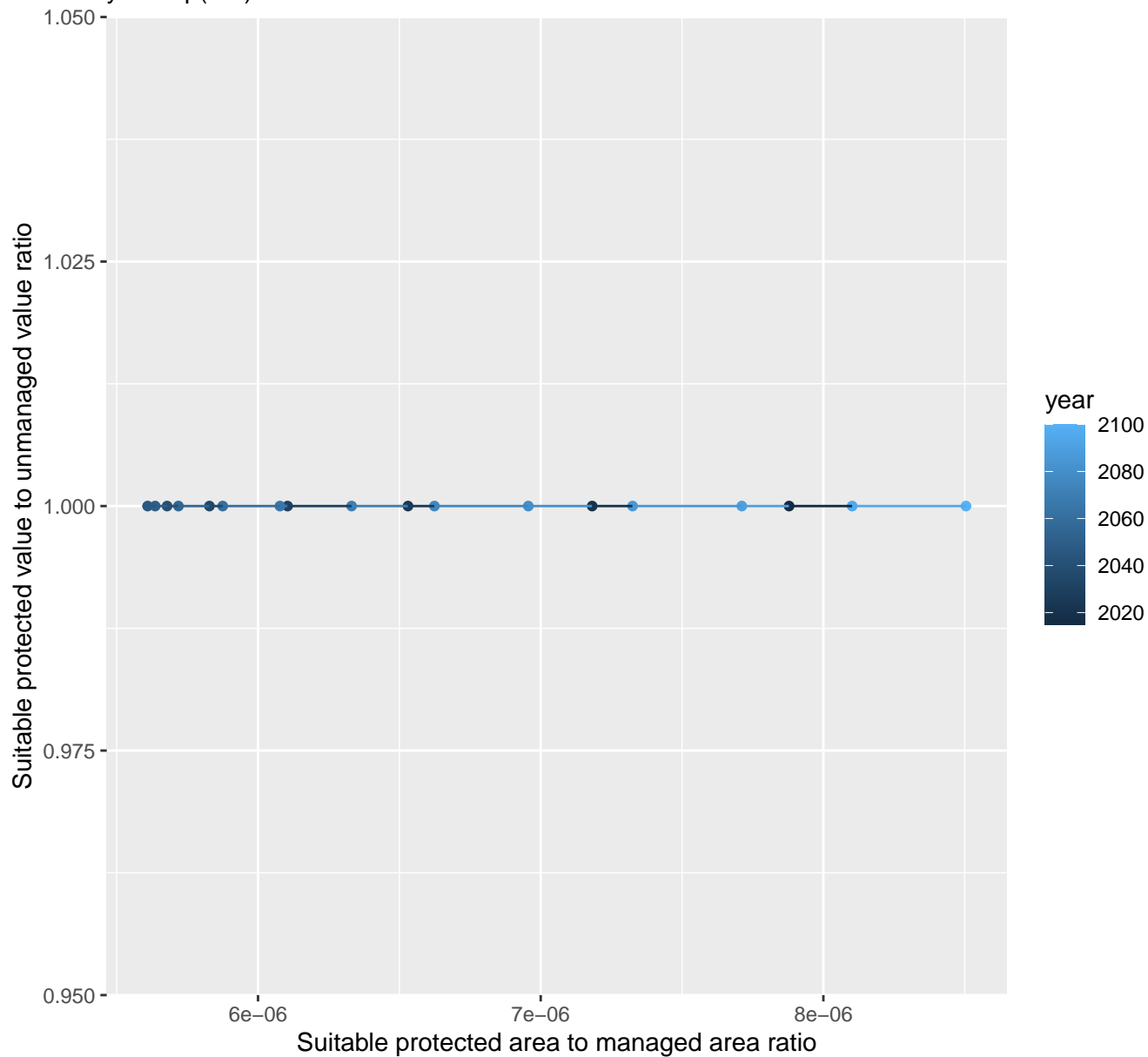
$$y = 1 * \exp(0 * x)$$



# 11078 marginal protection cost ratio

linear-log(y)  $r^2 = 0.25225$   $pval = 0.03367$  random  $pval = 0.716$

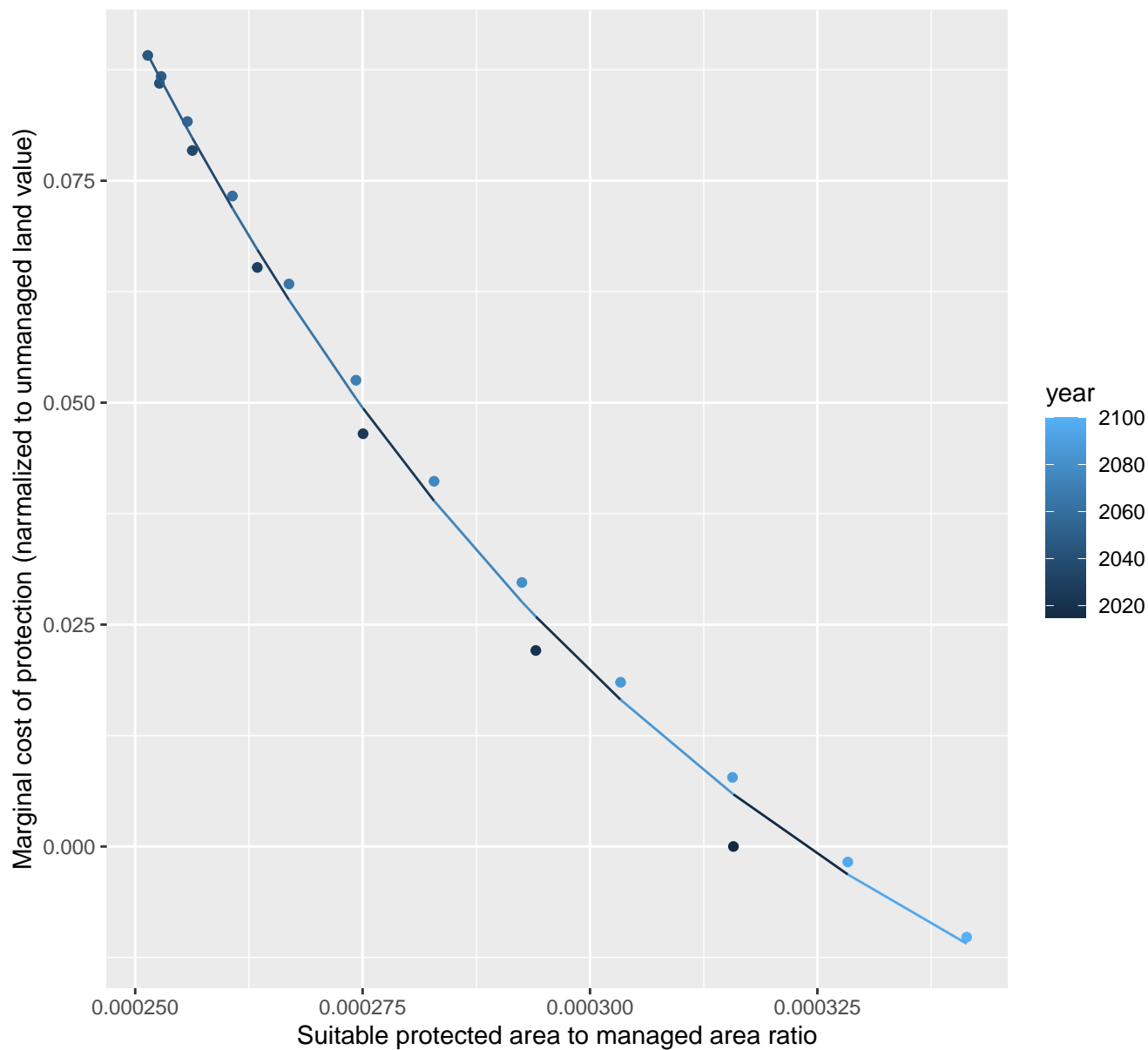
$$y = 1 * \exp(0 * x)$$



11079 marginal protection cost ratio

nls random pval = 0.00067

$y = -0.05 + 5.19 \cdot \exp(-14435.58 \cdot x)$

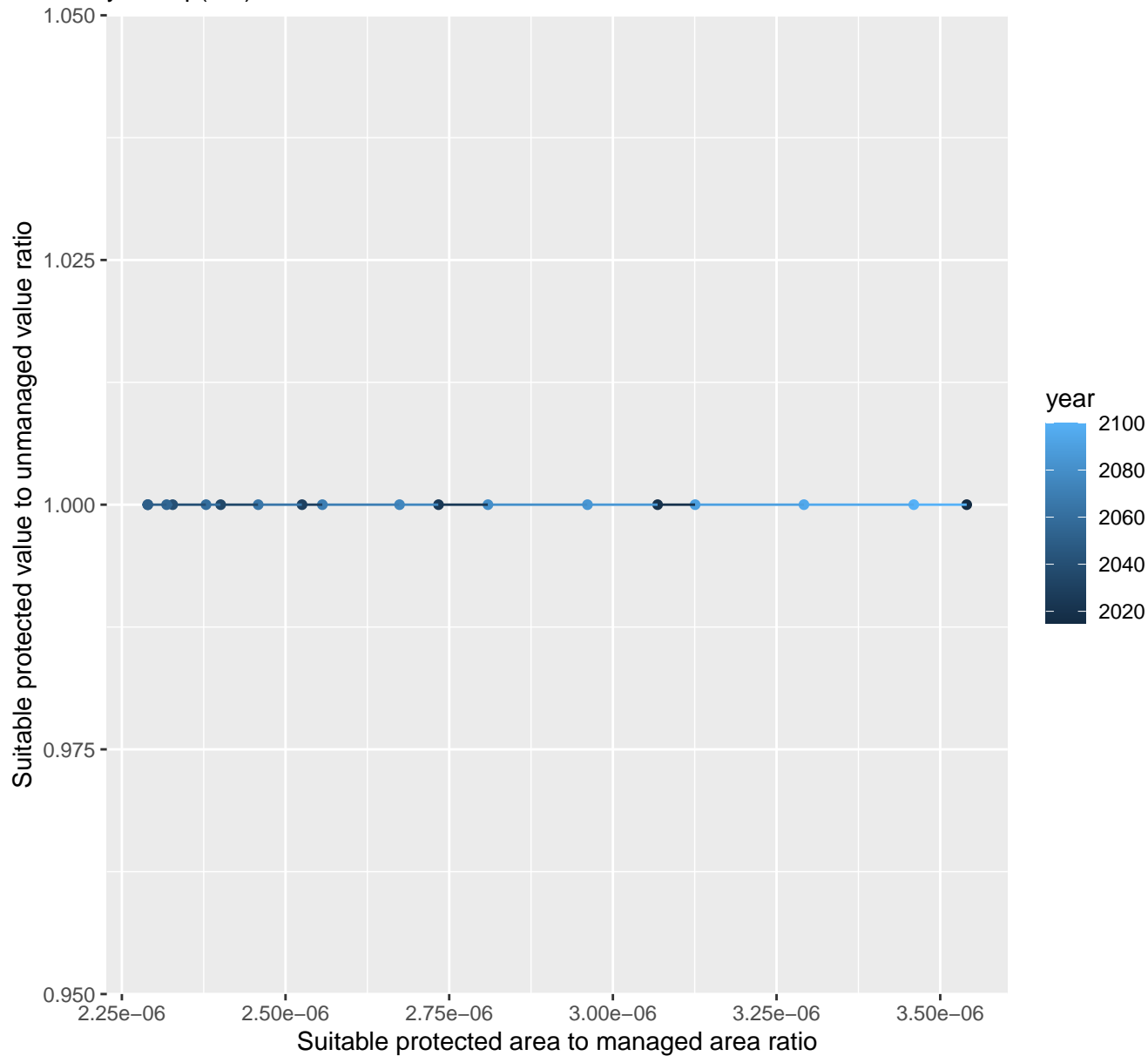




# 11085 marginal protection cost ratio

linear-log(y)  $r^2 = 0.09905$   $pval = 0.20338$  random  $pval = 0.68797$

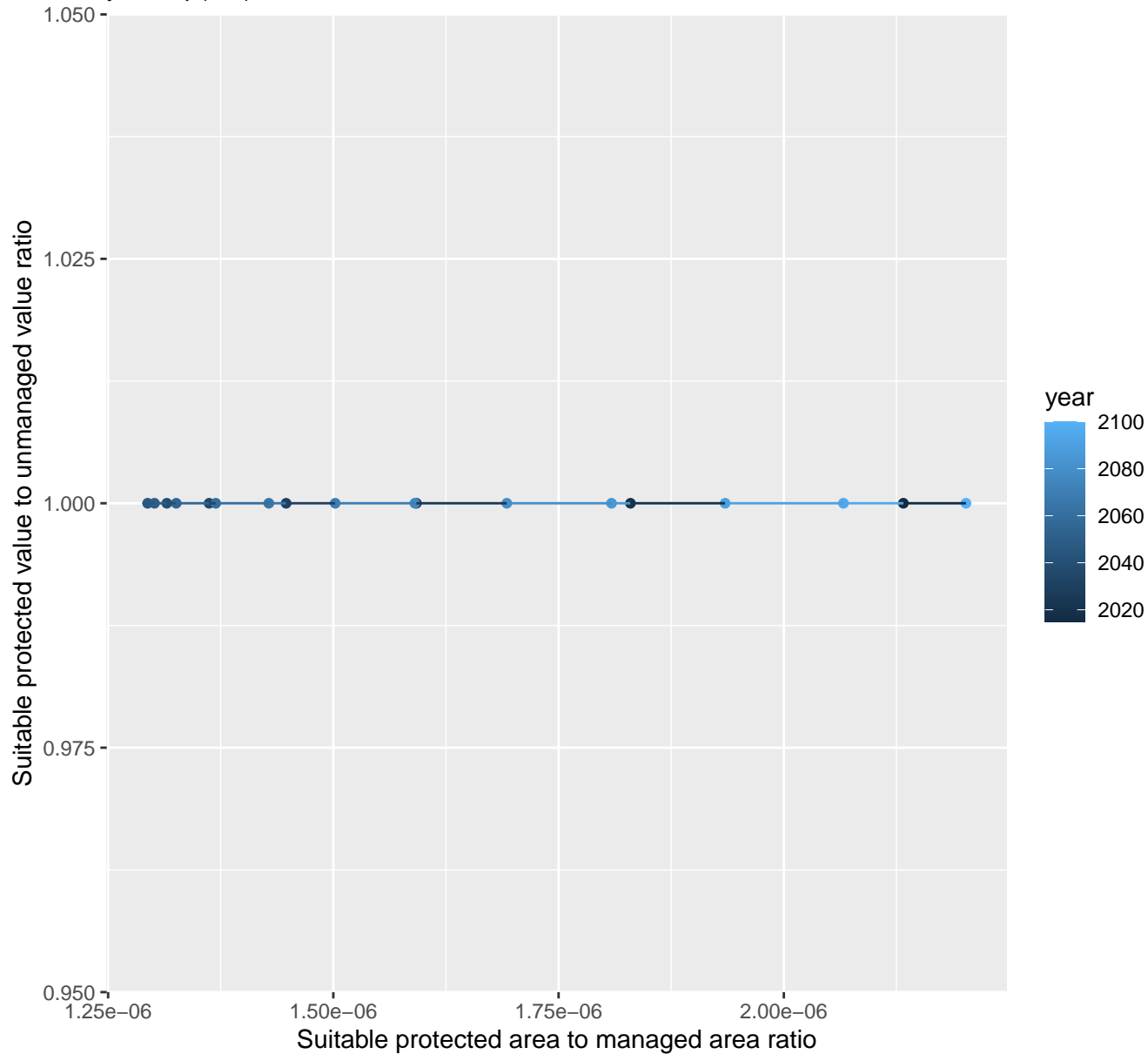
$$y = 1 * \exp(0 * x)$$



11089 marginal protection cost ratio

linear-log(y)  $r^2 = 0.03385$  pval = 0.46489 random pval = 0.59298

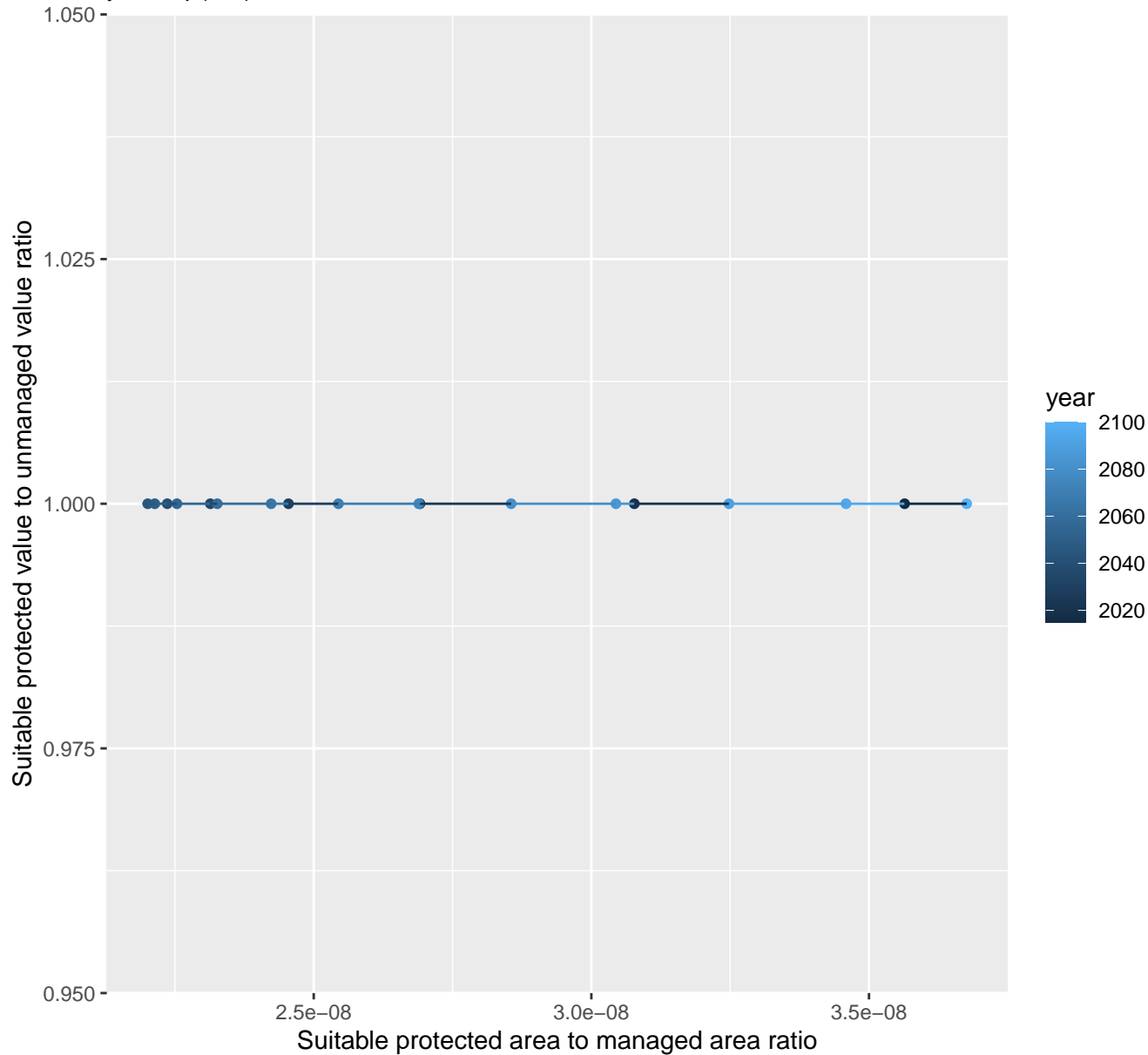
$y = 1 * \exp(0 * x)$



# 11092 marginal protection cost ratio

linear-log(y)  $r^2 = 0.08388$   $pval = 0.24373$  random  $pval = 0.44501$

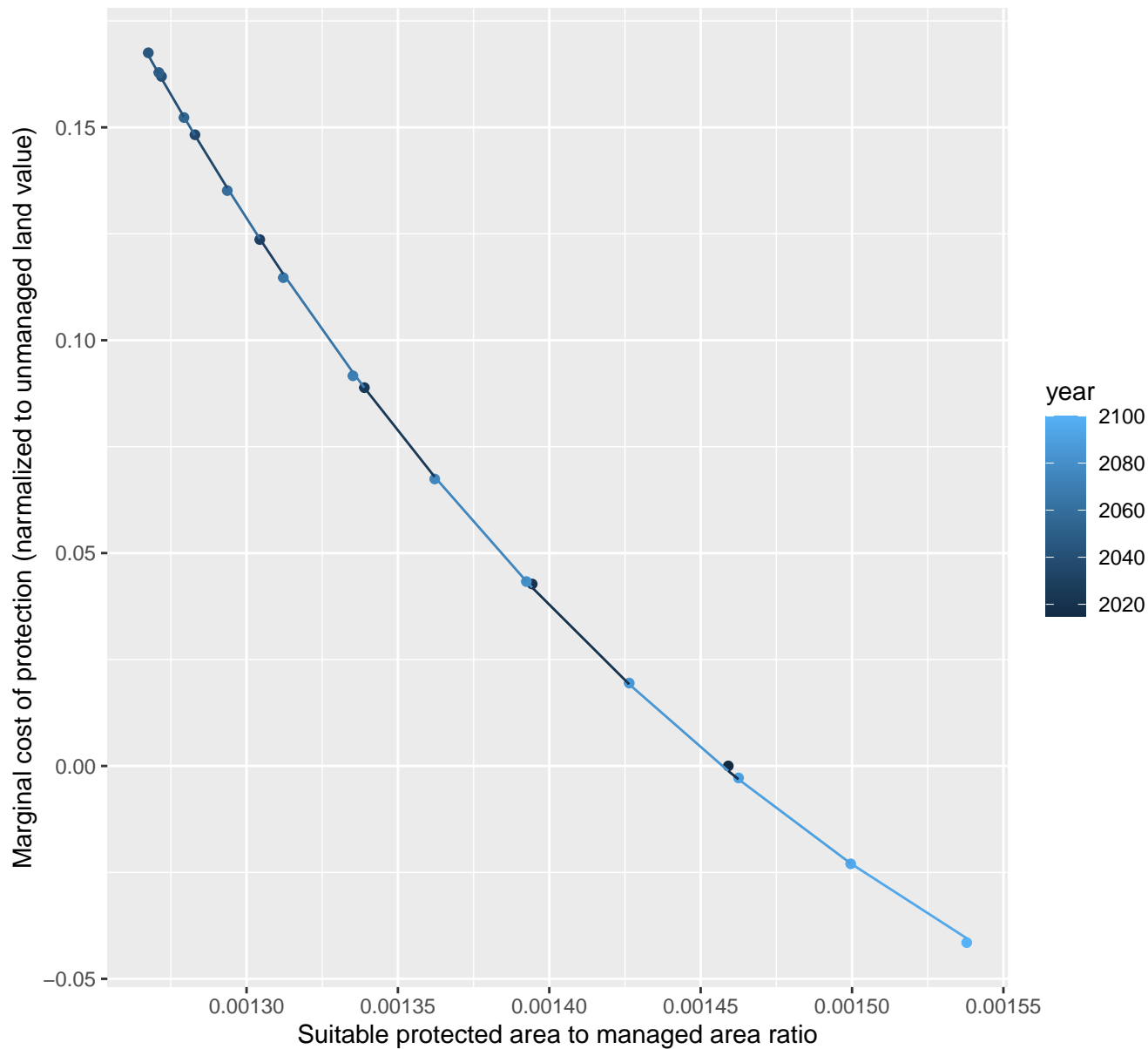
$$y = 1 * \exp(0 * x)$$



11106 marginal protection cost ratio

nls random pval = 0.05194

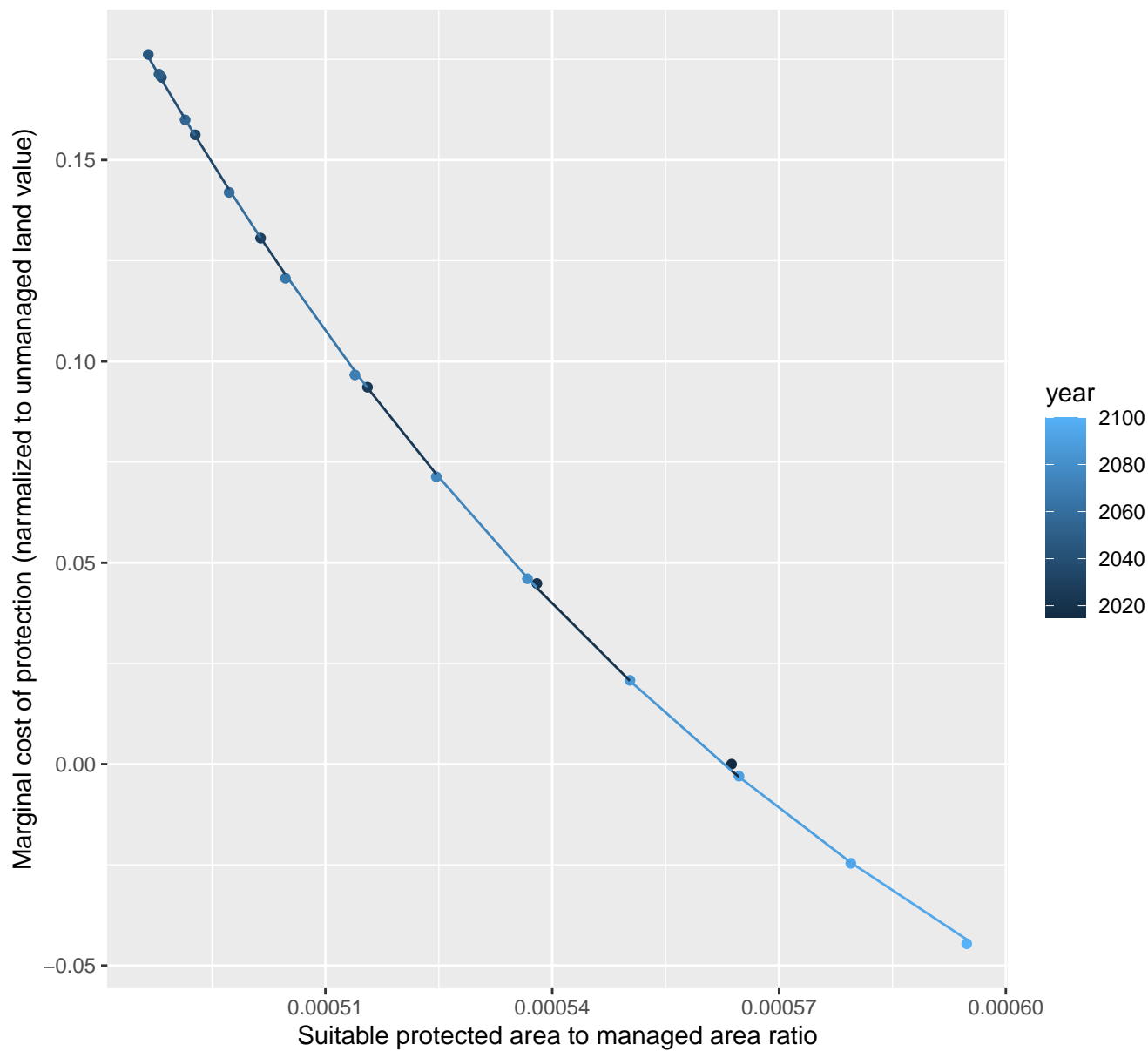
$y = -0.15 + 51.37 \cdot \exp(-4024.57 \cdot x)$



# 11108 marginal protection cost ratio

nls random pval = 0.05194

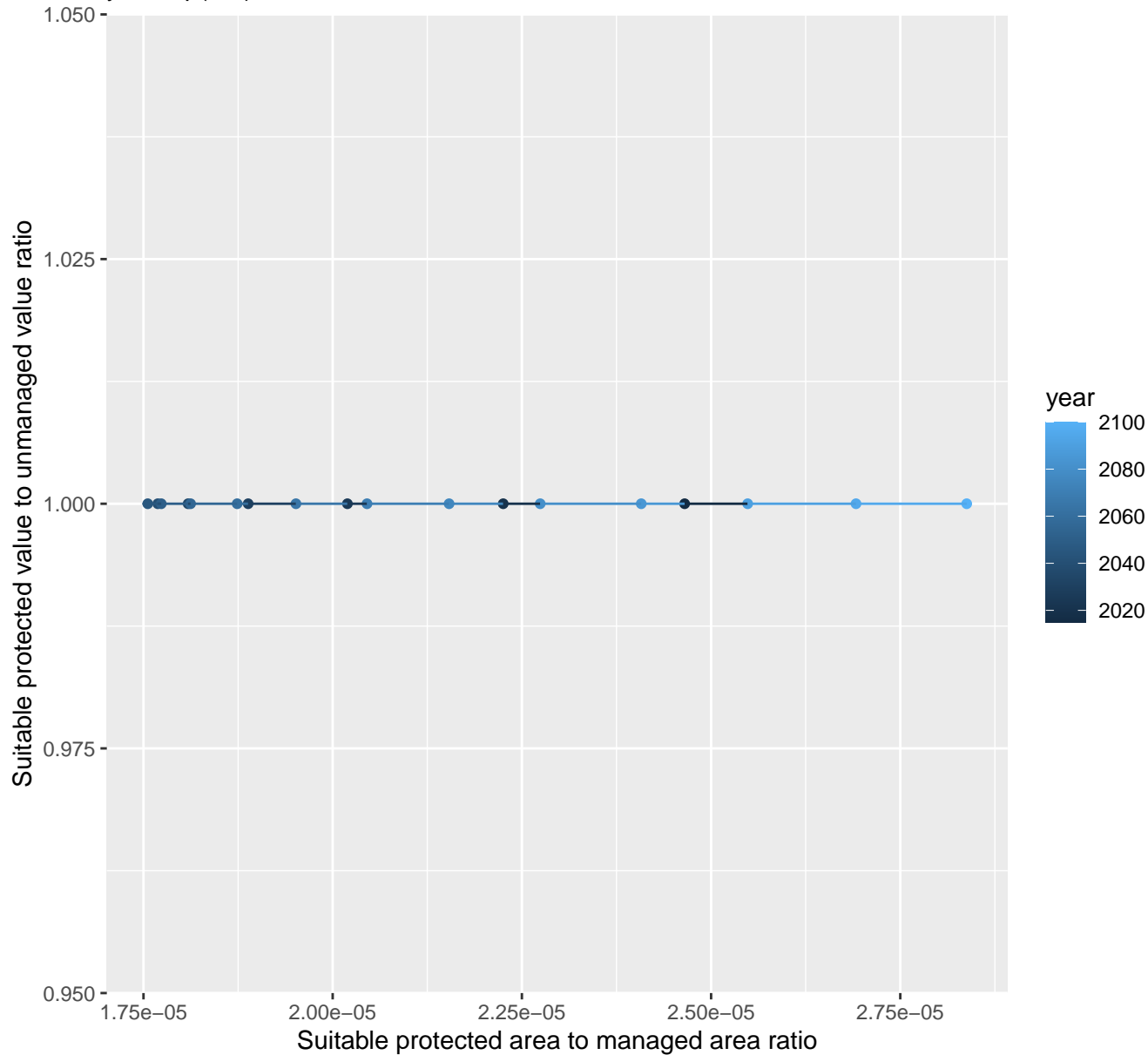
$$y = -0.17 + 34.99 \cdot \exp(-9519.12 \cdot x)$$



11109 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00676$   $pval = 0.74567$  random  $pval = 0.26584$

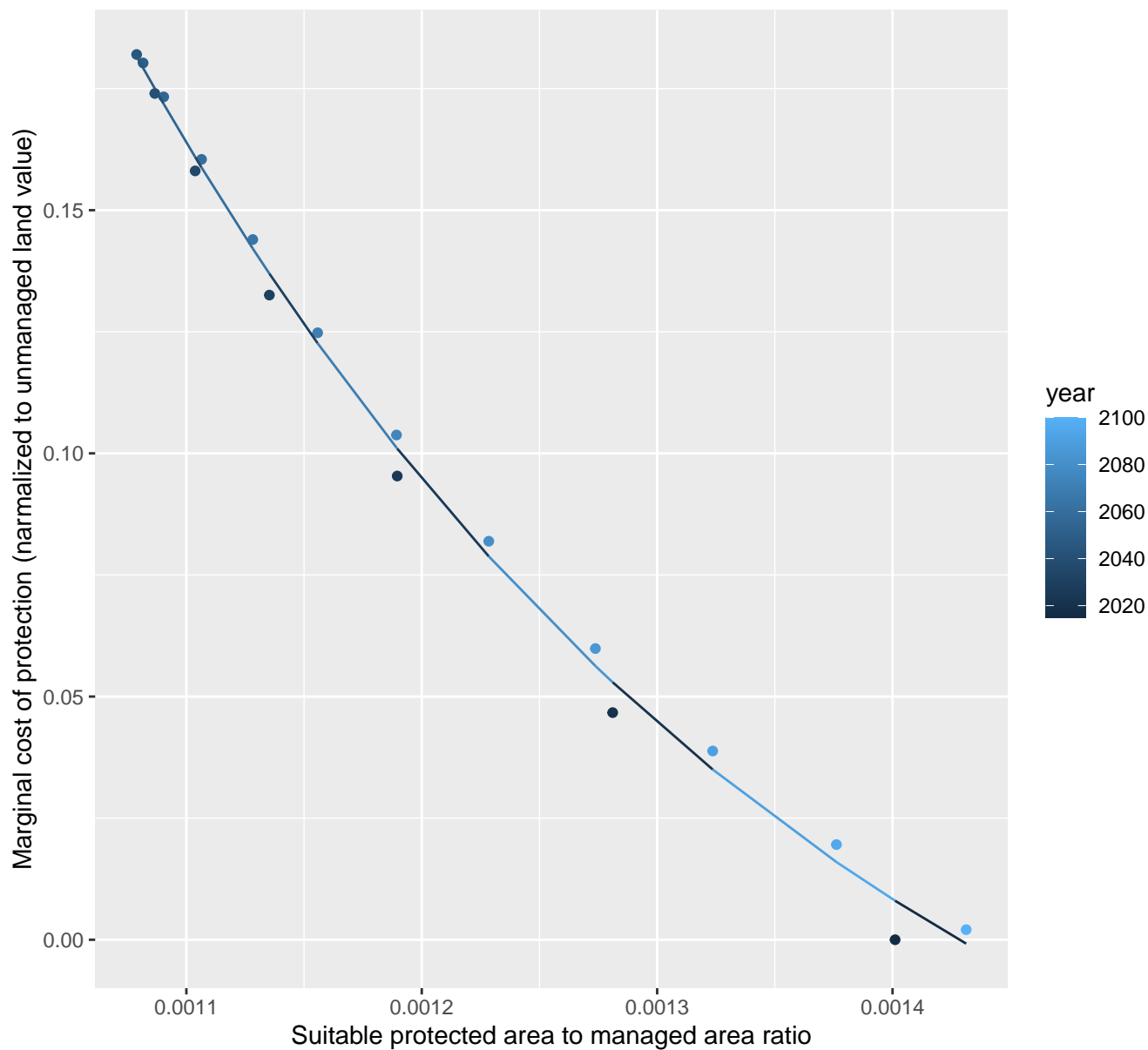
$y = 1 * \exp(0 * x)$



# 11110 marginal protection cost ratio

nls random pval = 1e-04

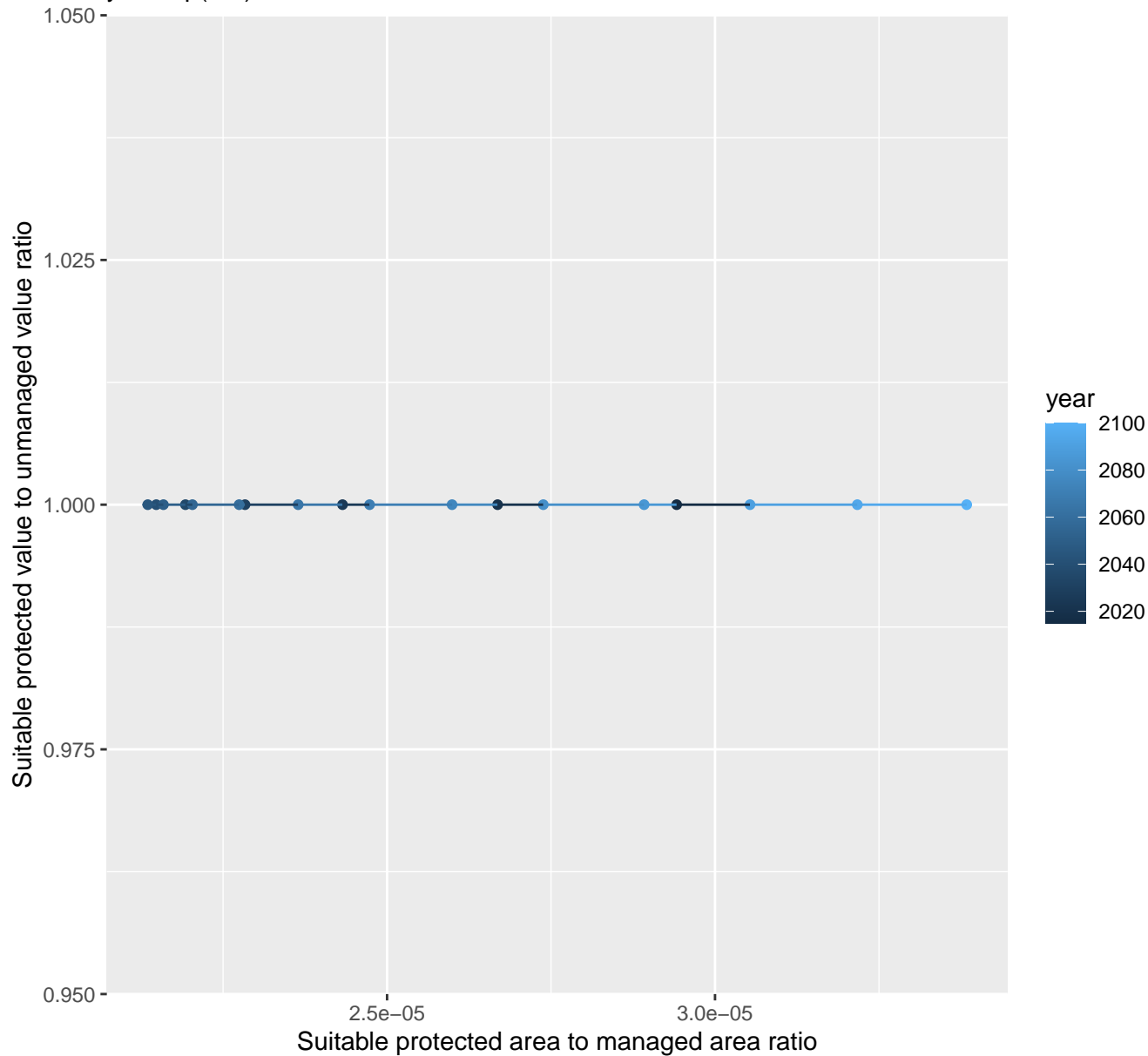
$$y = -0.09 + 8.69 \cdot \exp(-3222.35 \cdot x)$$



# 11112 marginal protection cost ratio

linear-log(y)  $r^2 = 0.05965$   $pval = 0.3287$  random  $pval = 0.88827$

$$y = 1 * \exp(0 * x)$$

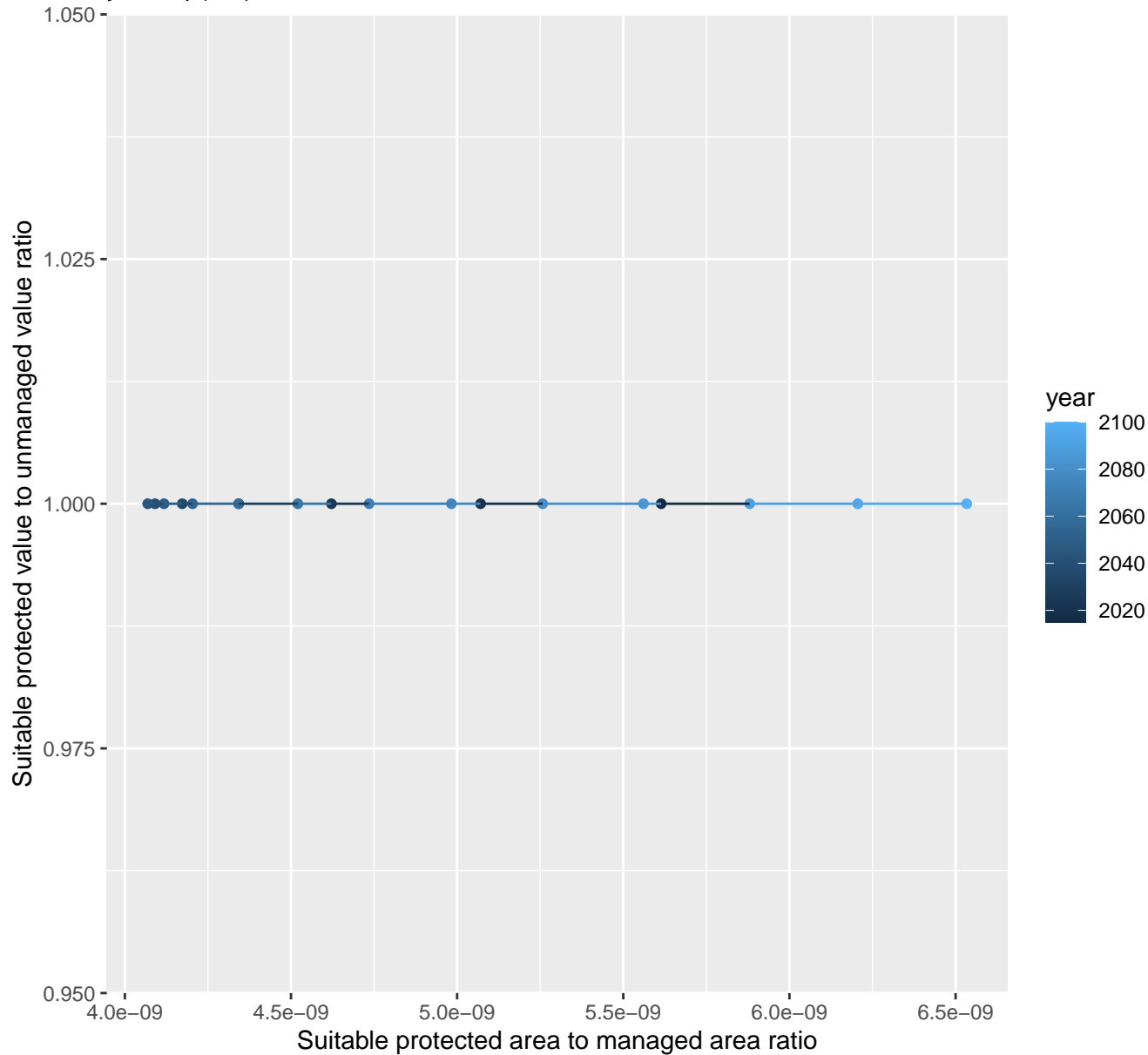




11124 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01841$   $pval = 0.59141$  random  $pval = 0.10247$

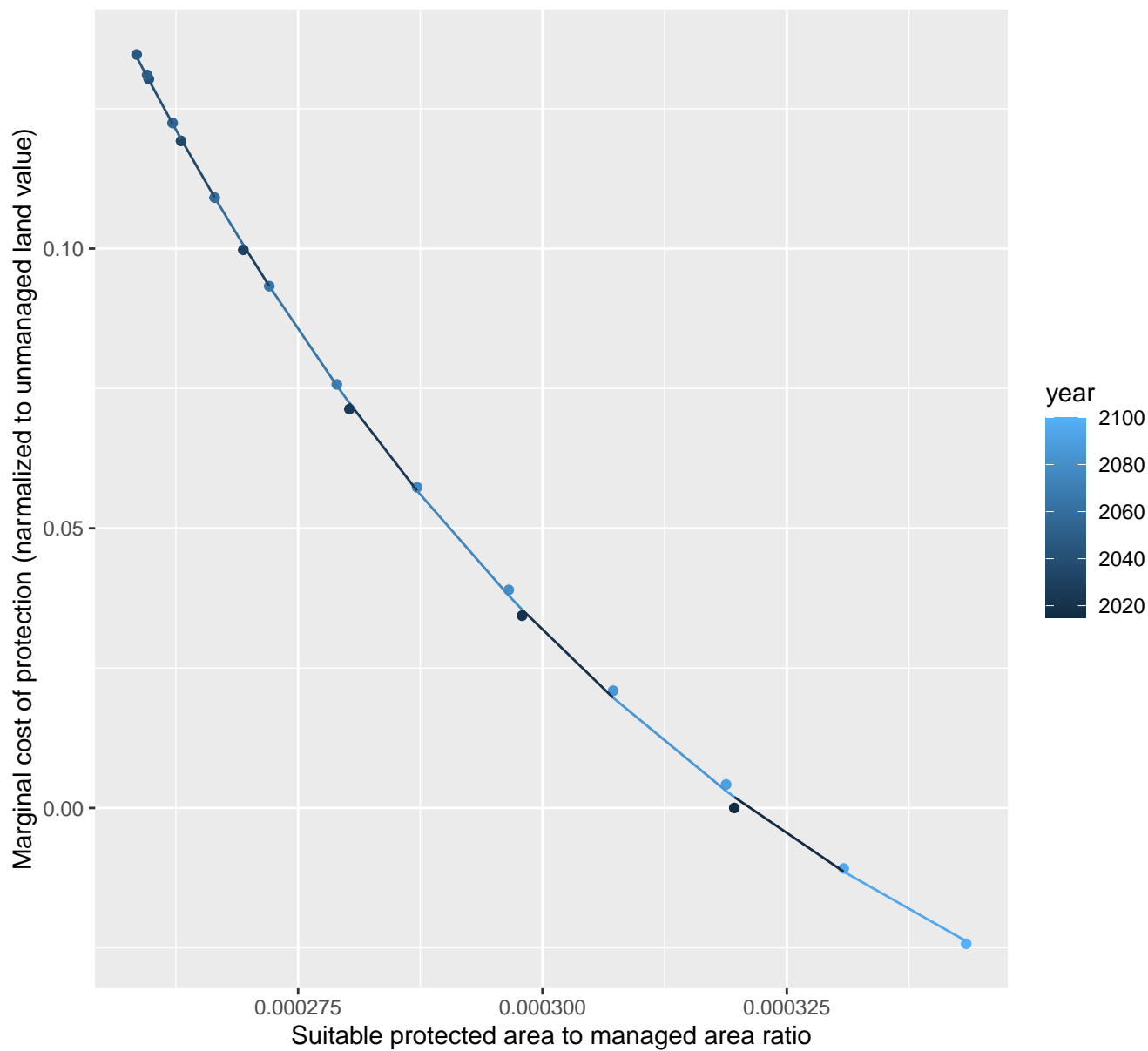
$y = 1 * \exp(0 * x)$



# 11125 marginal protection cost ratio

nls random pval = 0.01512

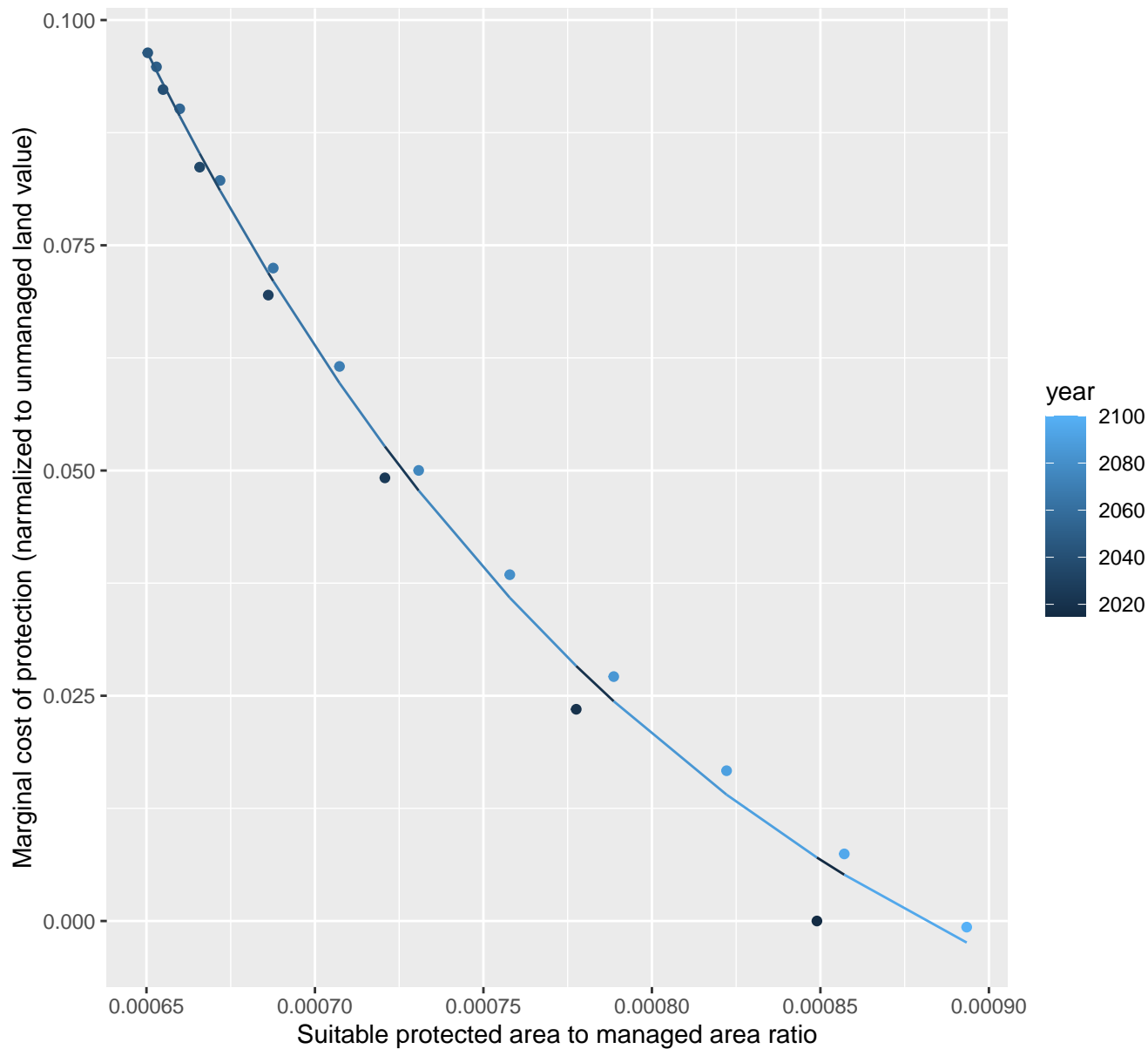
$$y = -0.08 + 11.89 \cdot \exp(-15503.94 \cdot x)$$



# 11127 marginal protection cost ratio

nls random pval = 1e-04

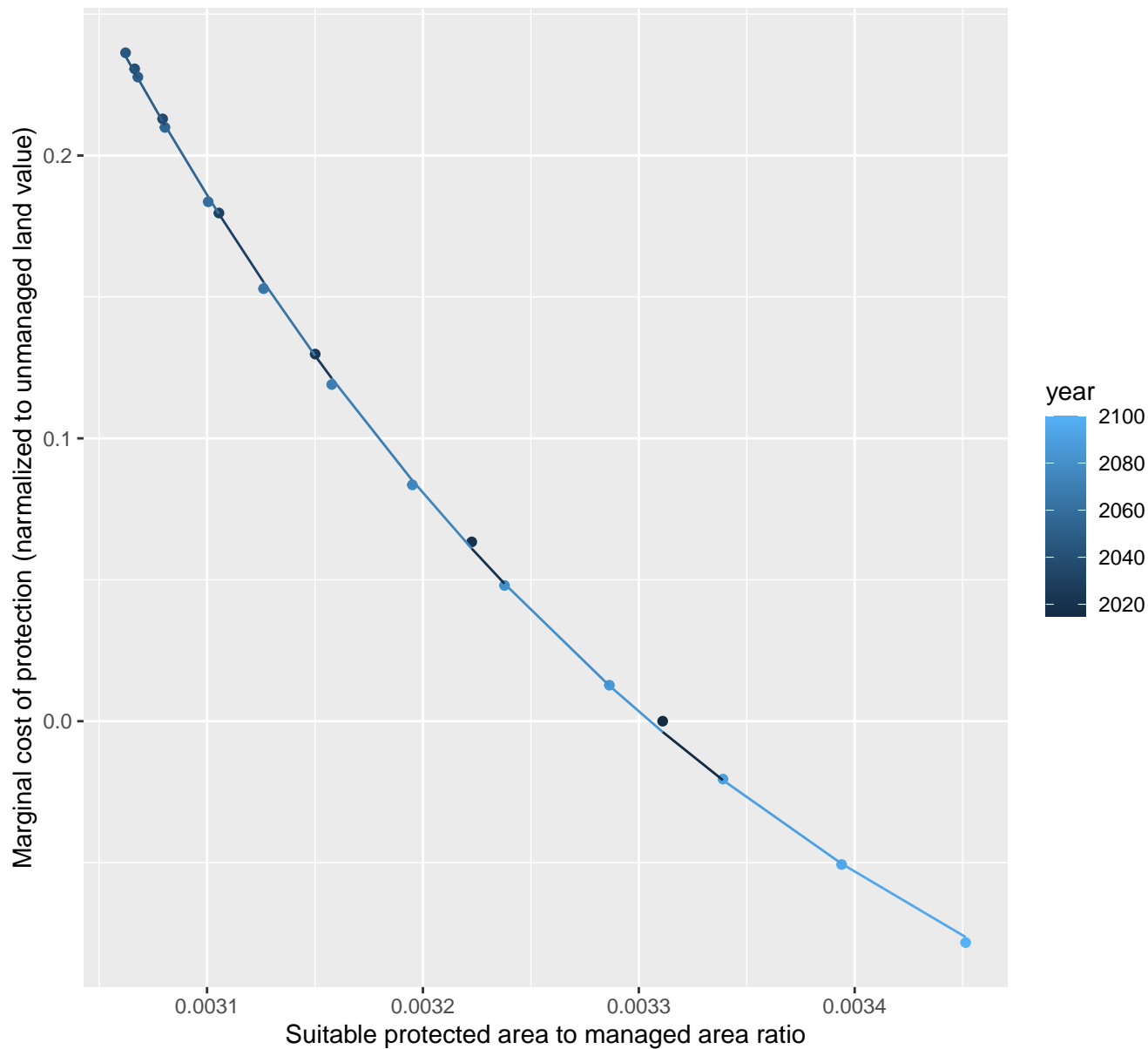
$$y = -0.03 + 5.52 \cdot \exp(-5749.77 \cdot x)$$



# 11137 marginal protection cost ratio

nls random pval = 0.00355

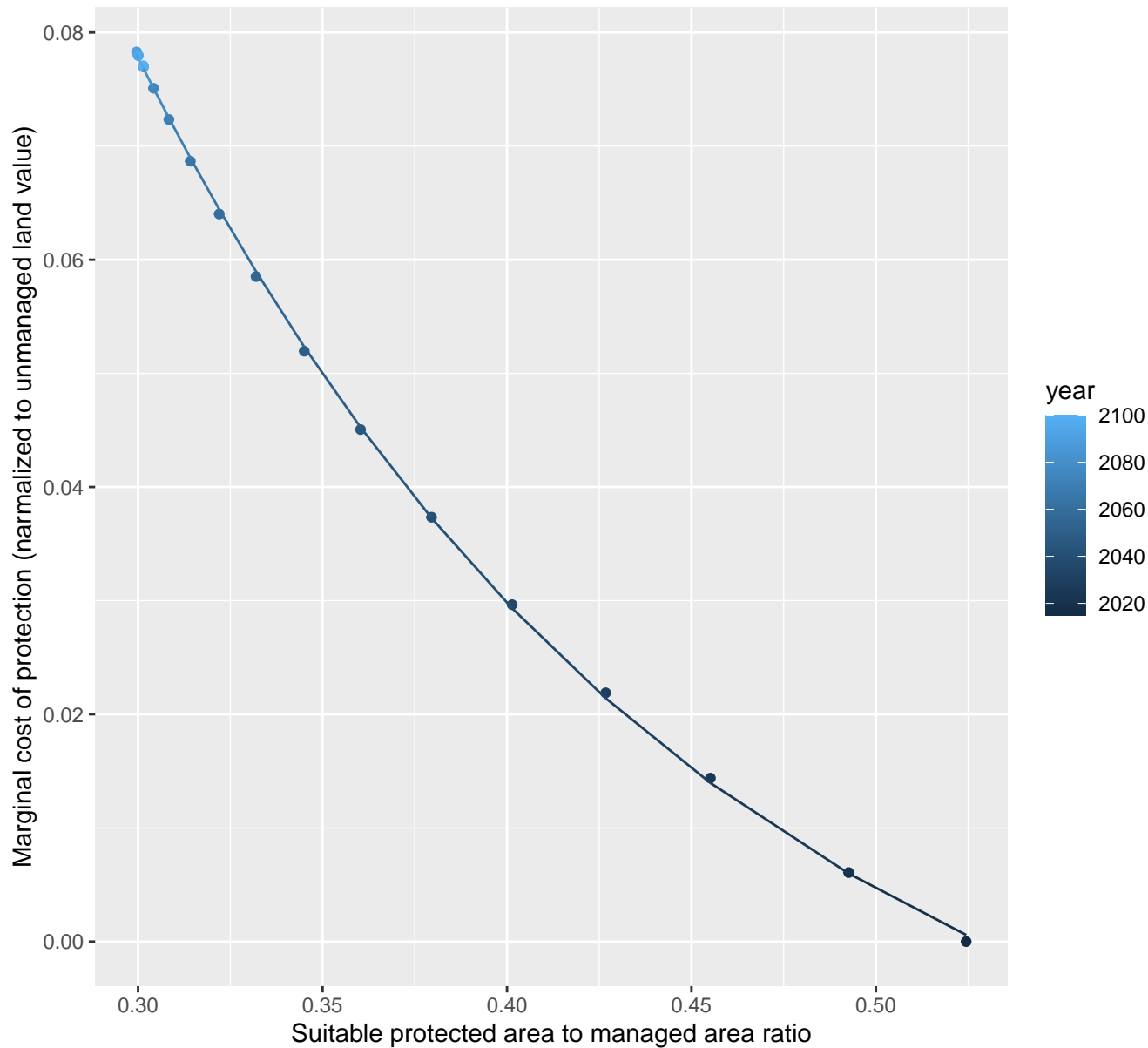
$$y = -0.21 + 5872.19 \cdot \exp(-3098.54 \cdot x)$$



# 32143 marginal protection cost ratio

nls random pval = 0.00355

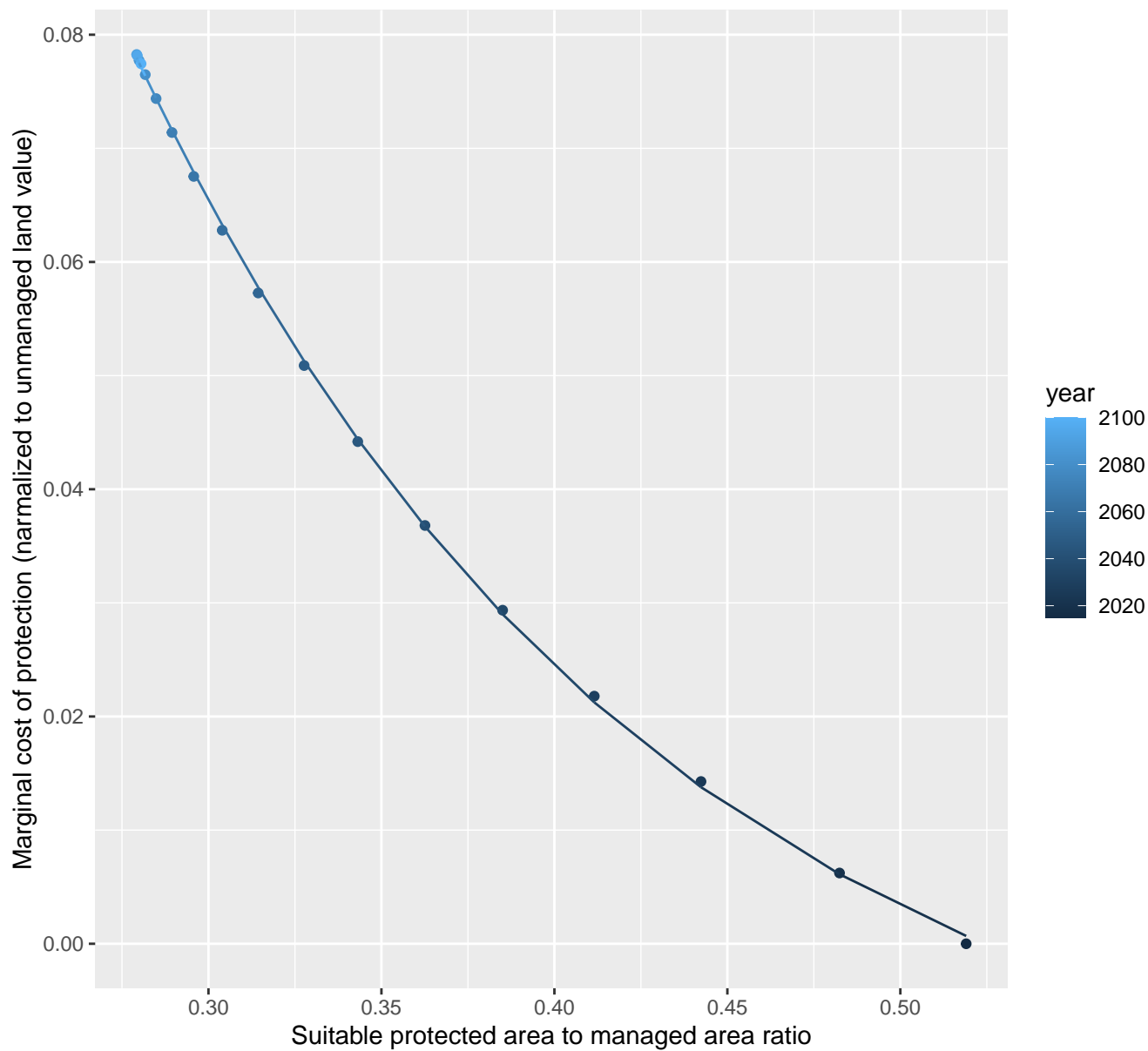
$$y = -0.02 + 0.7 \cdot \exp(-6.45 \cdot x)$$



# 32156 marginal protection cost ratio

nls random pval = 0.00355

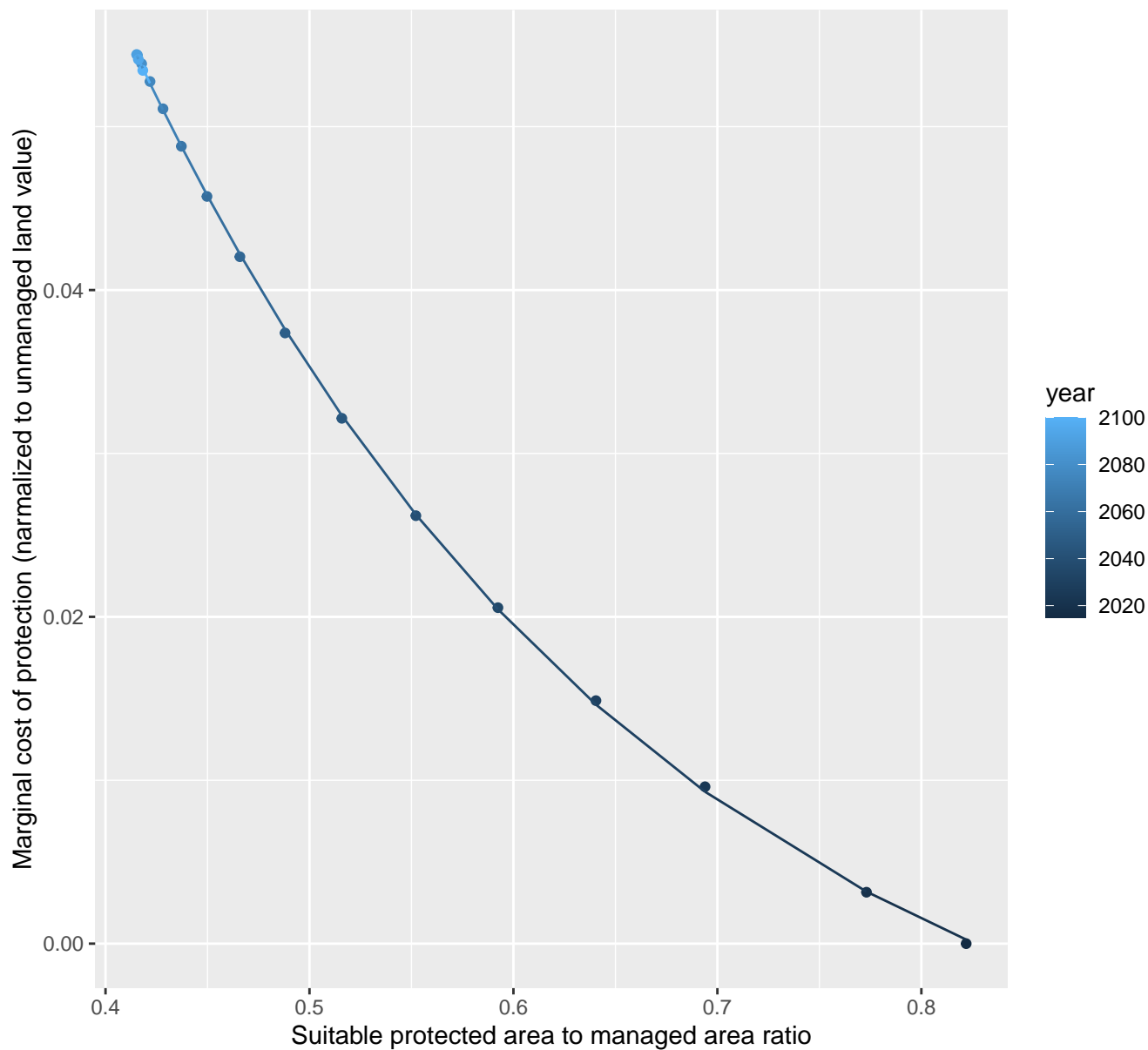
$$y = -0.02 + 0.62 \cdot \exp(-6.65 \cdot x)$$



# 32157 marginal protection cost ratio

nls random pval = 0.01512

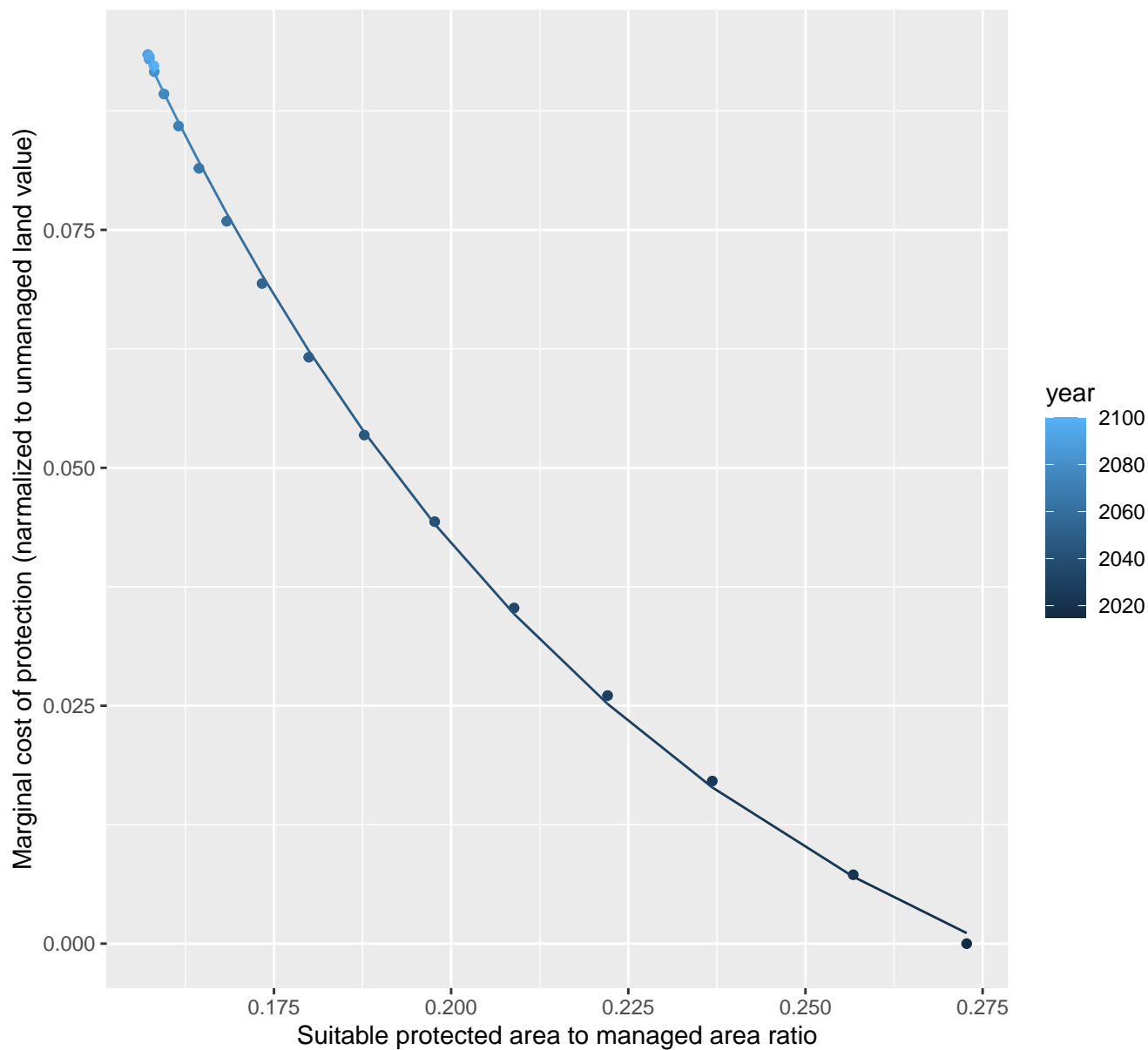
$$y = -0.01 + 0.34 \cdot \exp(-3.88 \cdot x)$$



# 32166 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.02 + 0.96 \cdot \exp(-13.4 \cdot x)$$

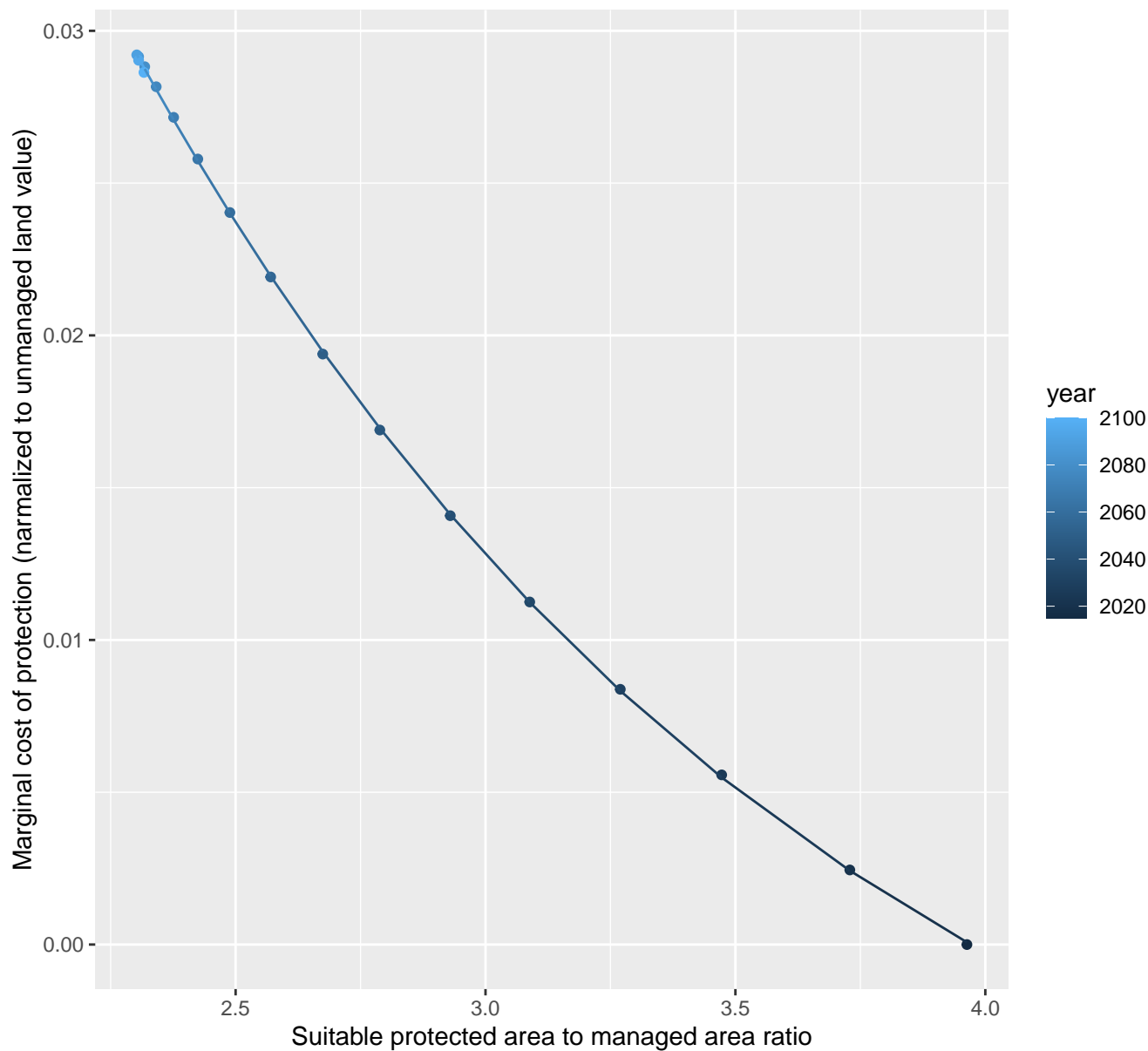




# 32168 marginal protection cost ratio

nls random pval = 0.01512

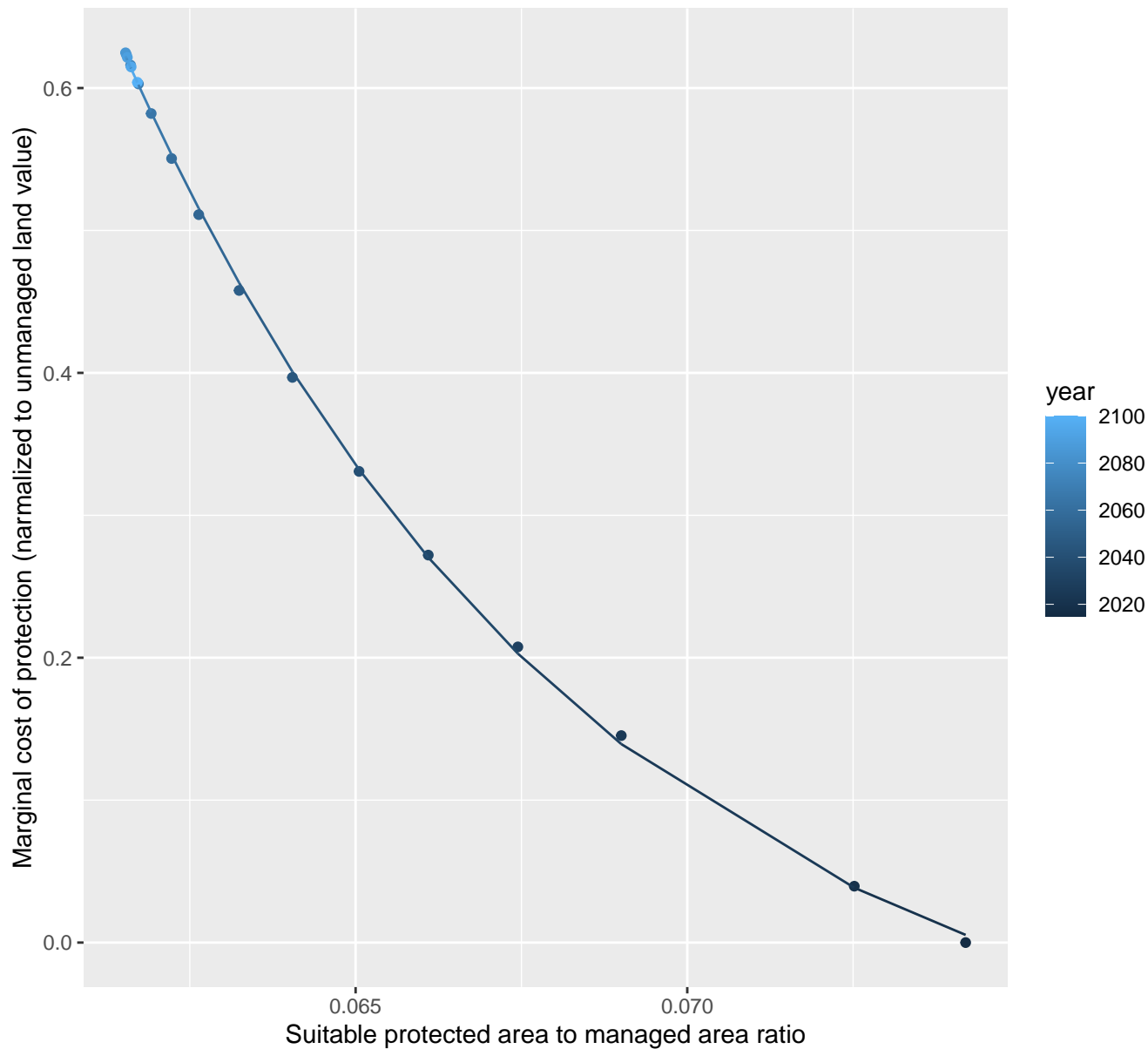
$$y = -0.01 + 0.21 \cdot \exp(-0.71 \cdot x)$$



# 12020 marginal protection cost ratio

nls random pval = 0.01512

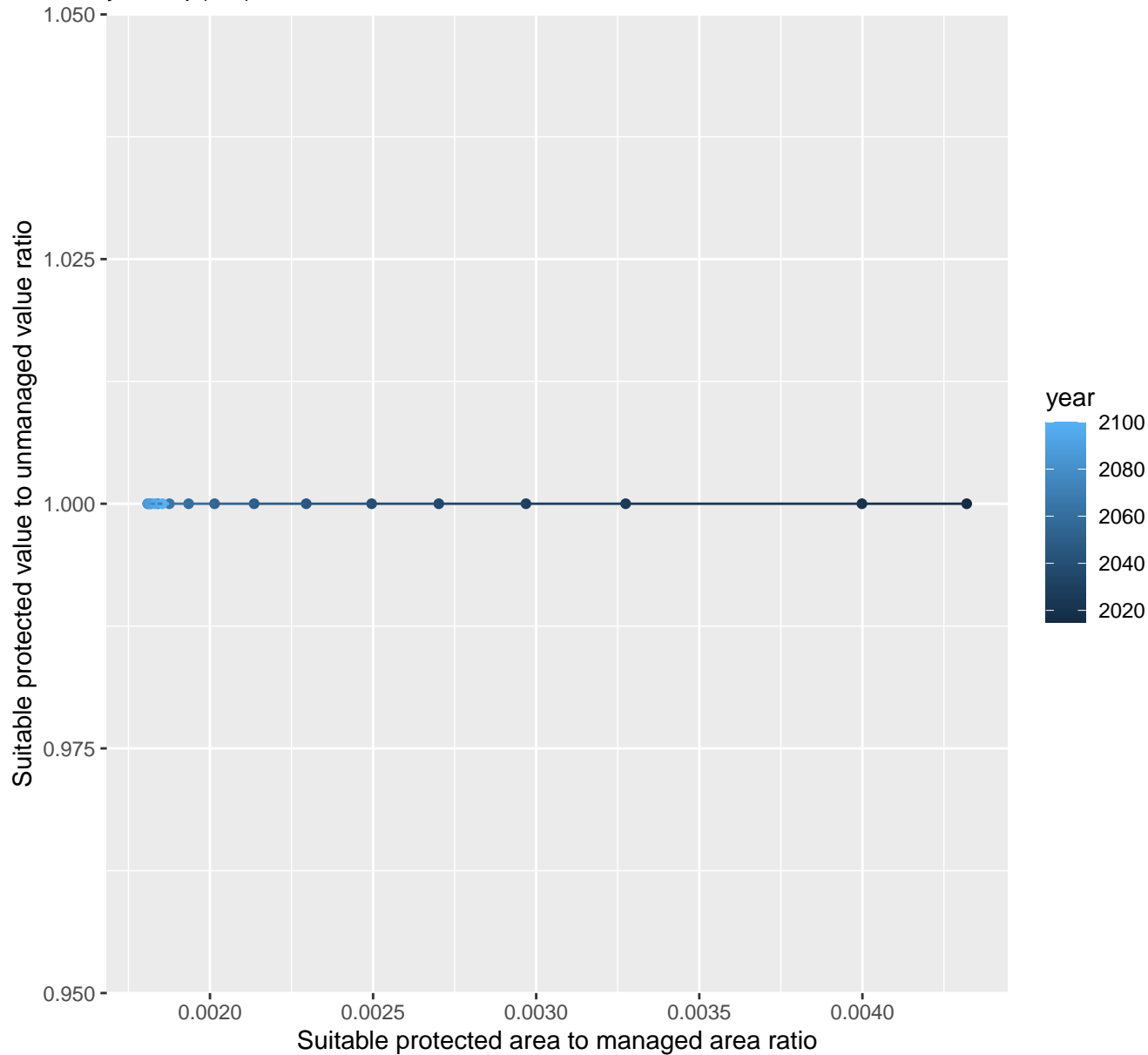
$$y = -0.12 + 4391.77 \cdot \exp(-141.18 \cdot x)$$



# 12021 marginal protection cost ratio

linear-log(y)  $r^2 = 0.02079$   $pval = 0.56817$  random  $pval = 0.44501$

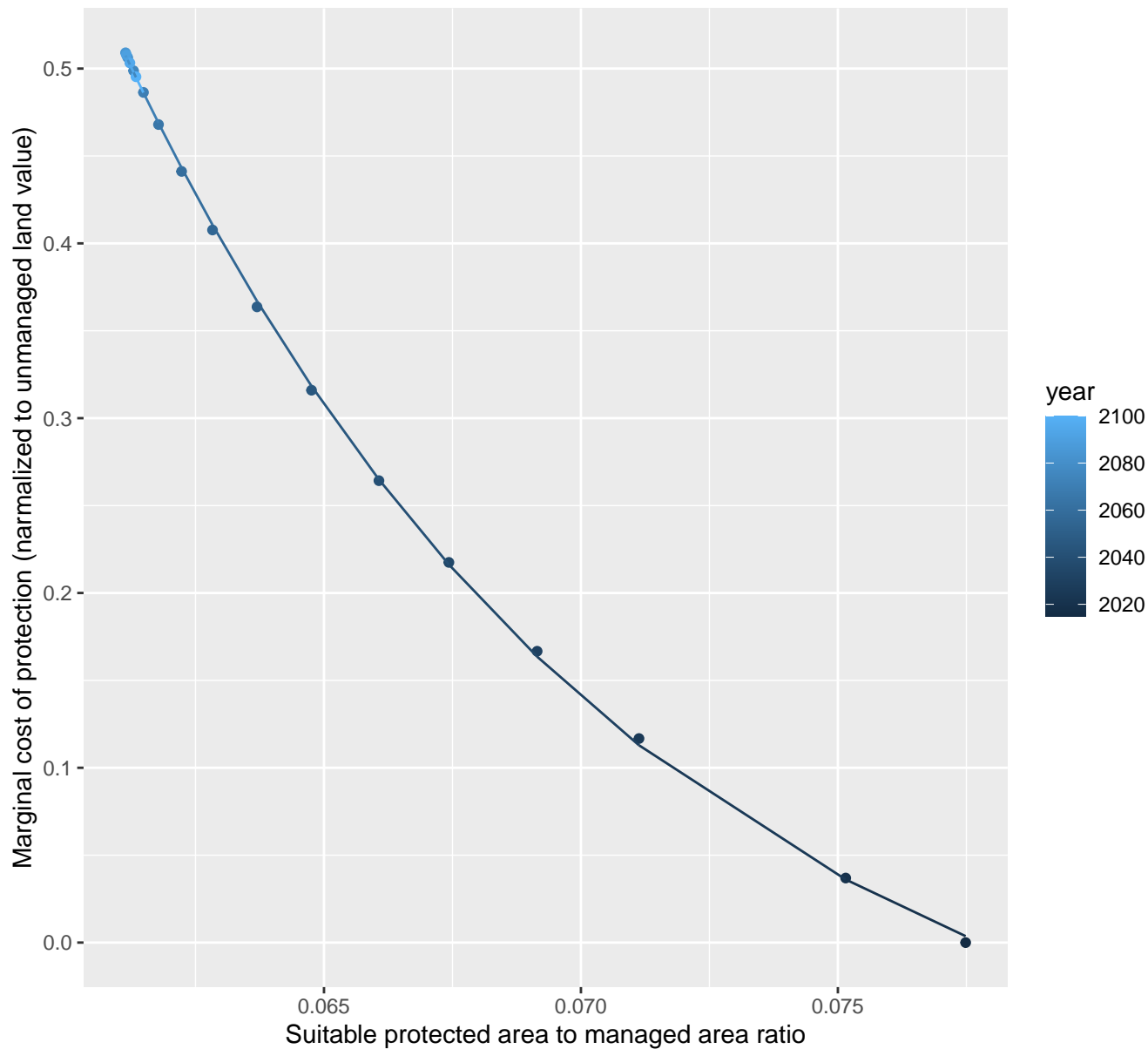
$$y = 1 * \exp(0 * x)$$



# 12022 marginal protection cost ratio

nls random pval = 0.01512

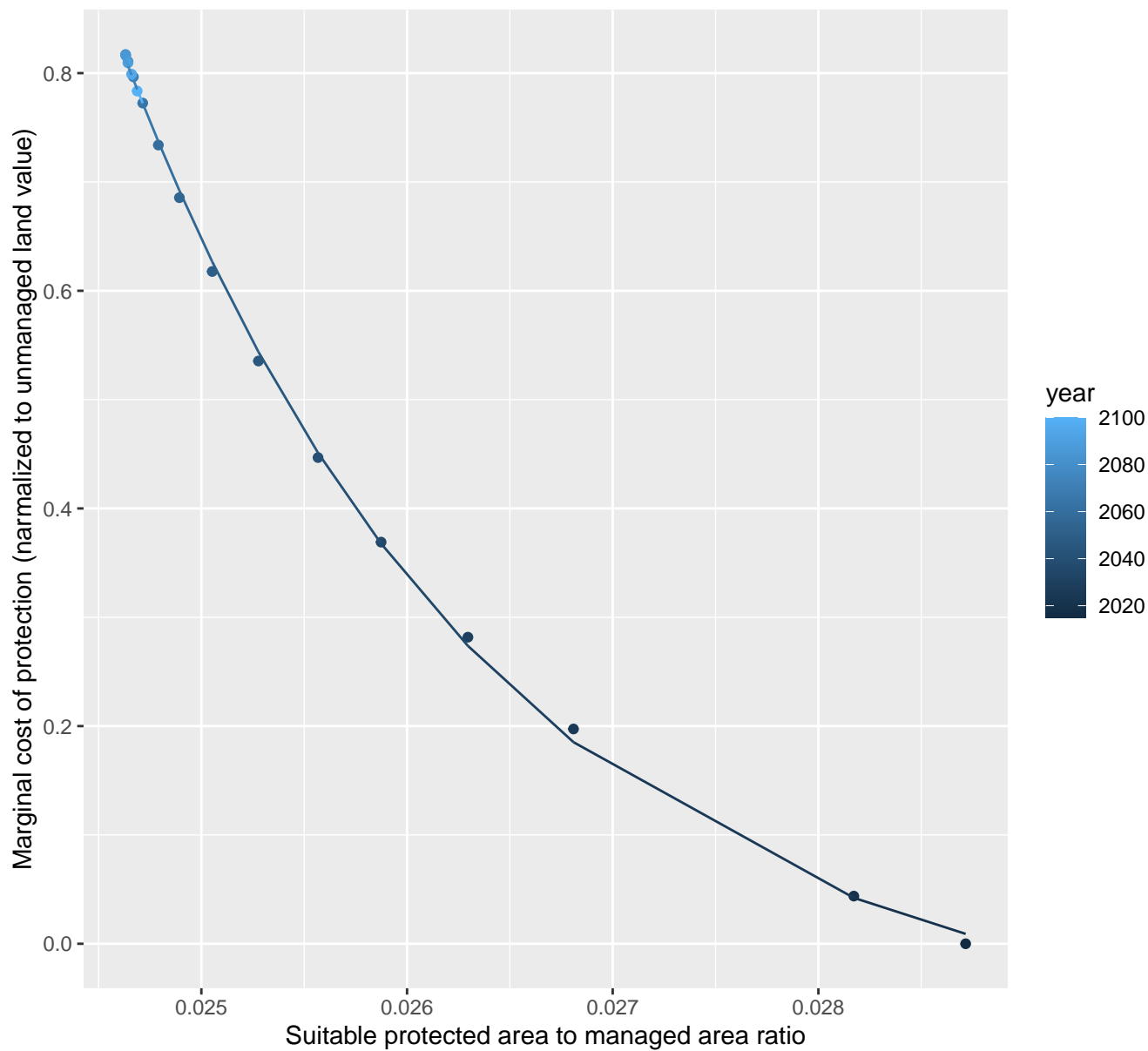
$$y = -0.12 + 265.89 \cdot \exp(-98.91 \cdot x)$$



# 12025 marginal protection cost ratio

nls random pval = 0.01512

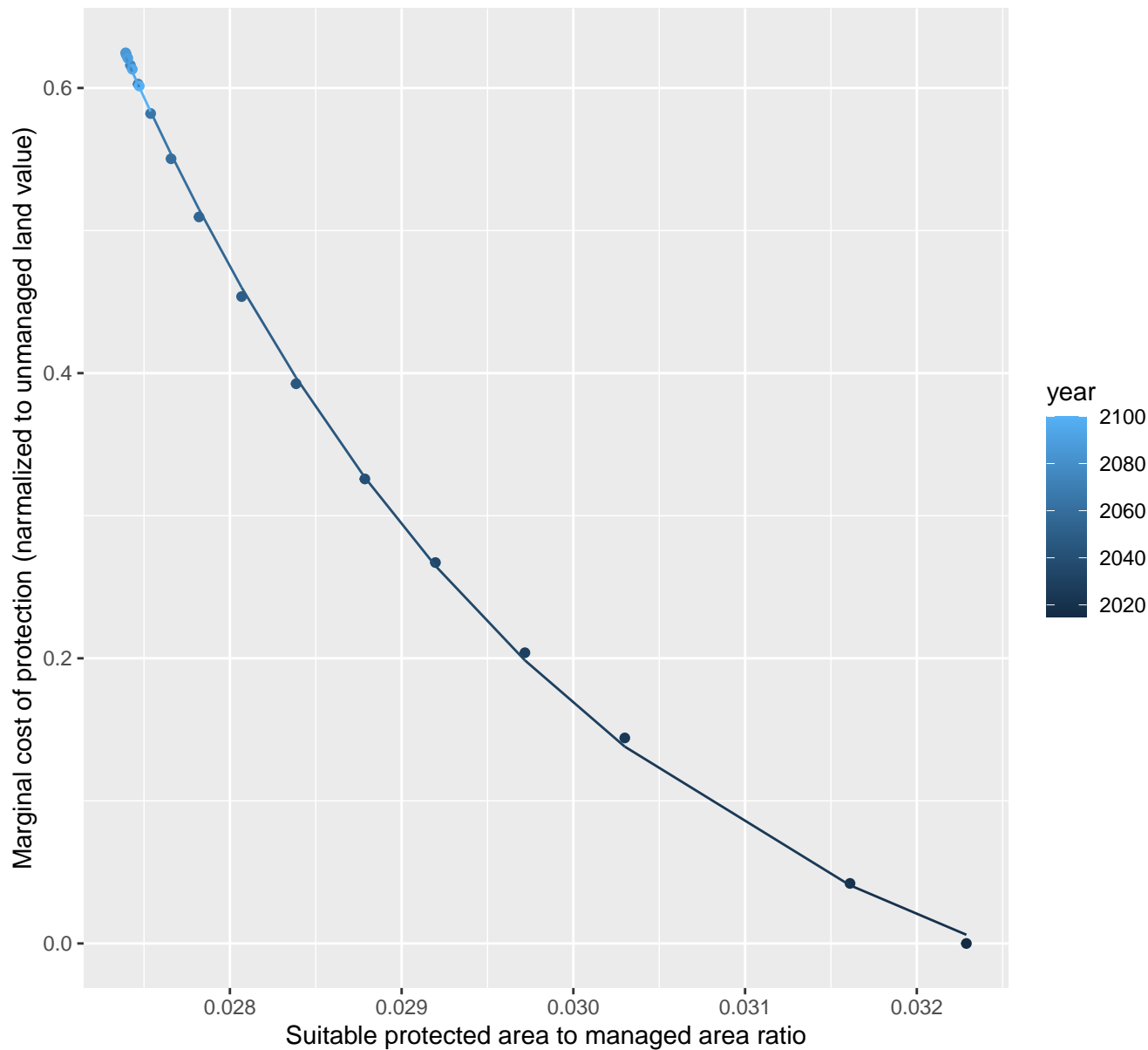
$$y = -0.09 + 688356.21 \cdot \exp(-550.07 \cdot x)$$



# 12029 marginal protection cost ratio

nls random pval = 0.01512

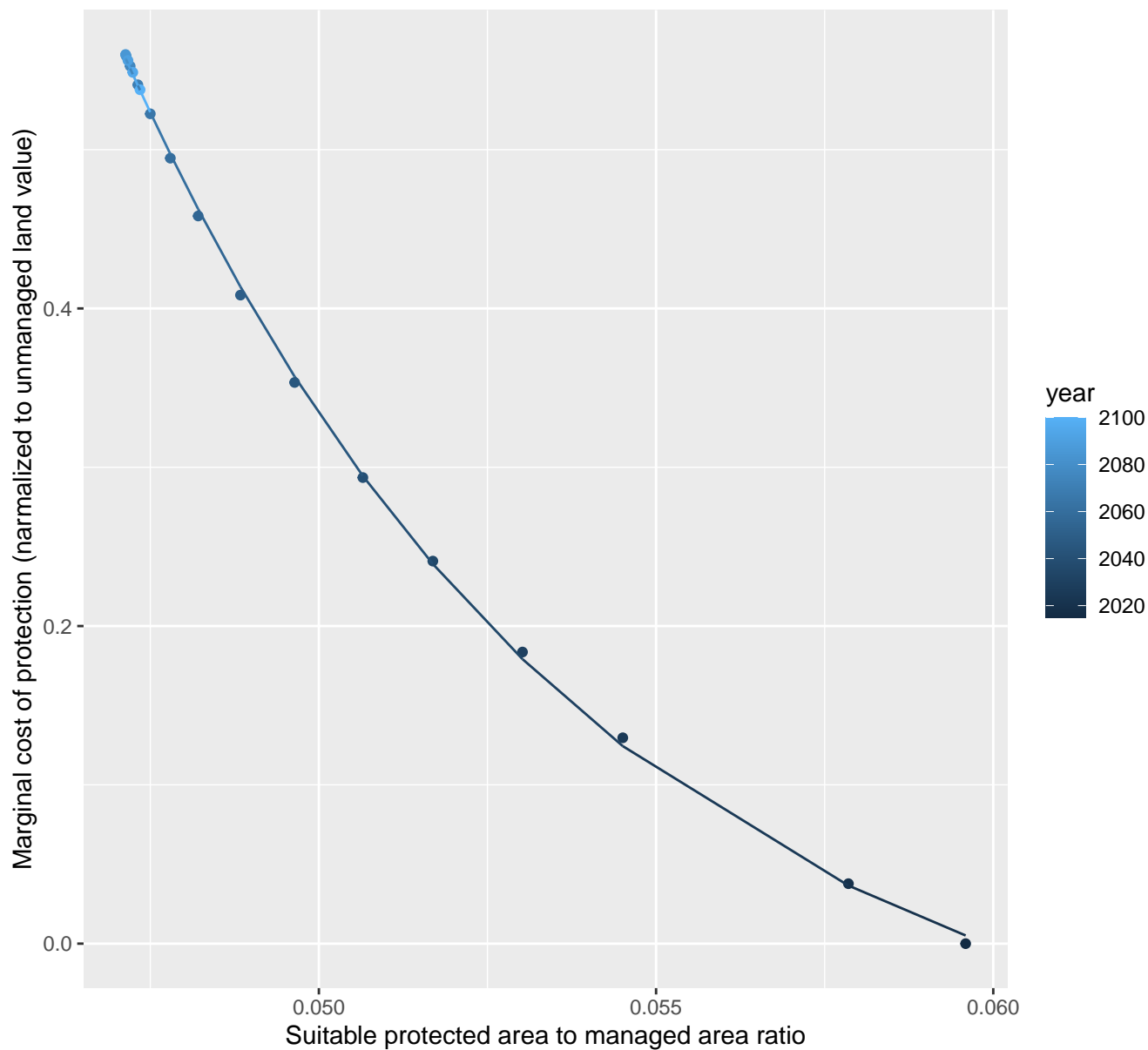
$$y = -0.12 + 16543.56 \cdot \exp(-365.65 \cdot x)$$



# 12030 marginal protection cost ratio

nls random pval = 0.01512

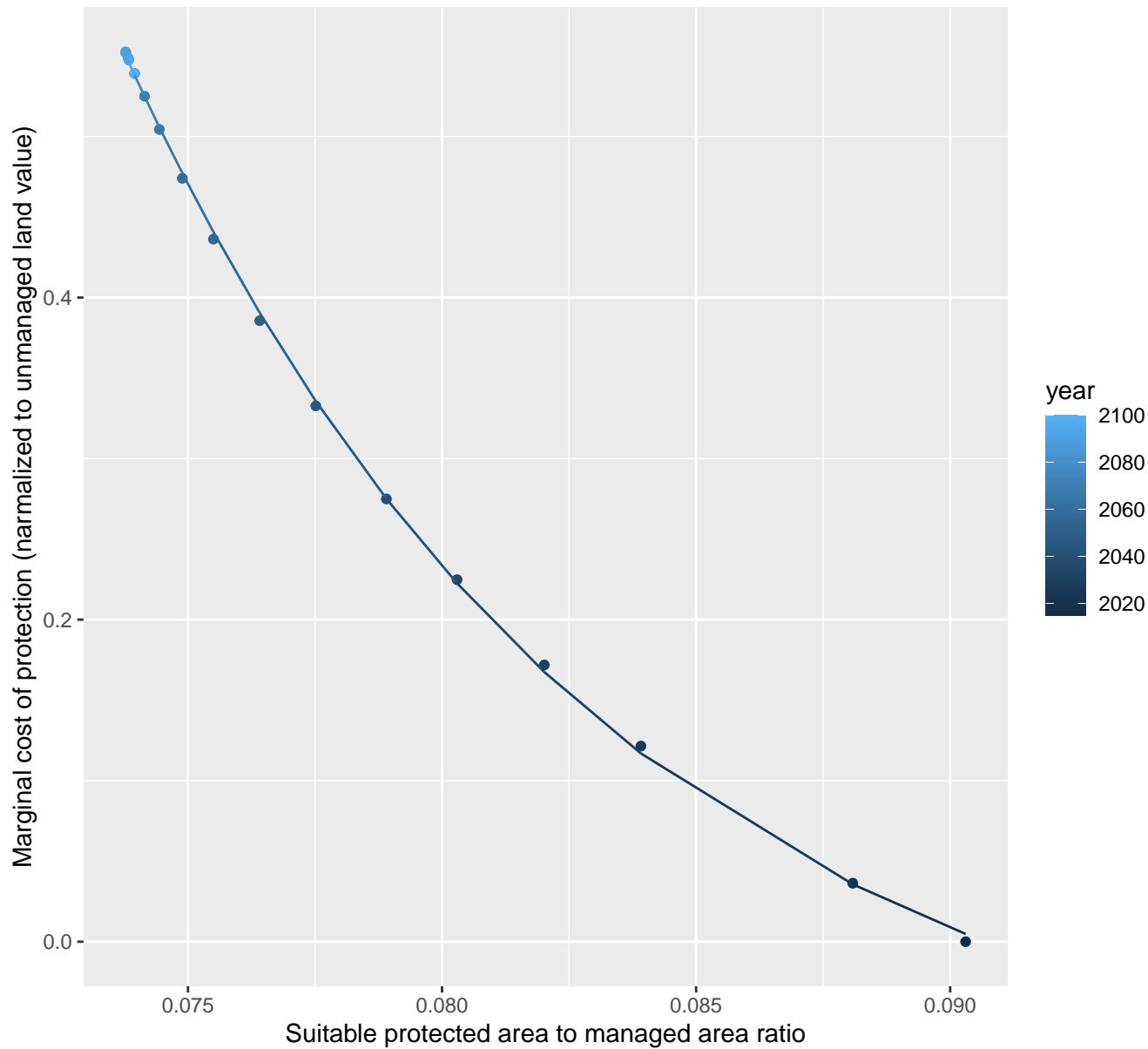
$$y = -0.11 + 574.44 \cdot \exp(-143.5 \cdot x)$$



# 12031 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.11 + 1465.79 \cdot \exp(-104.38 \cdot x)$$

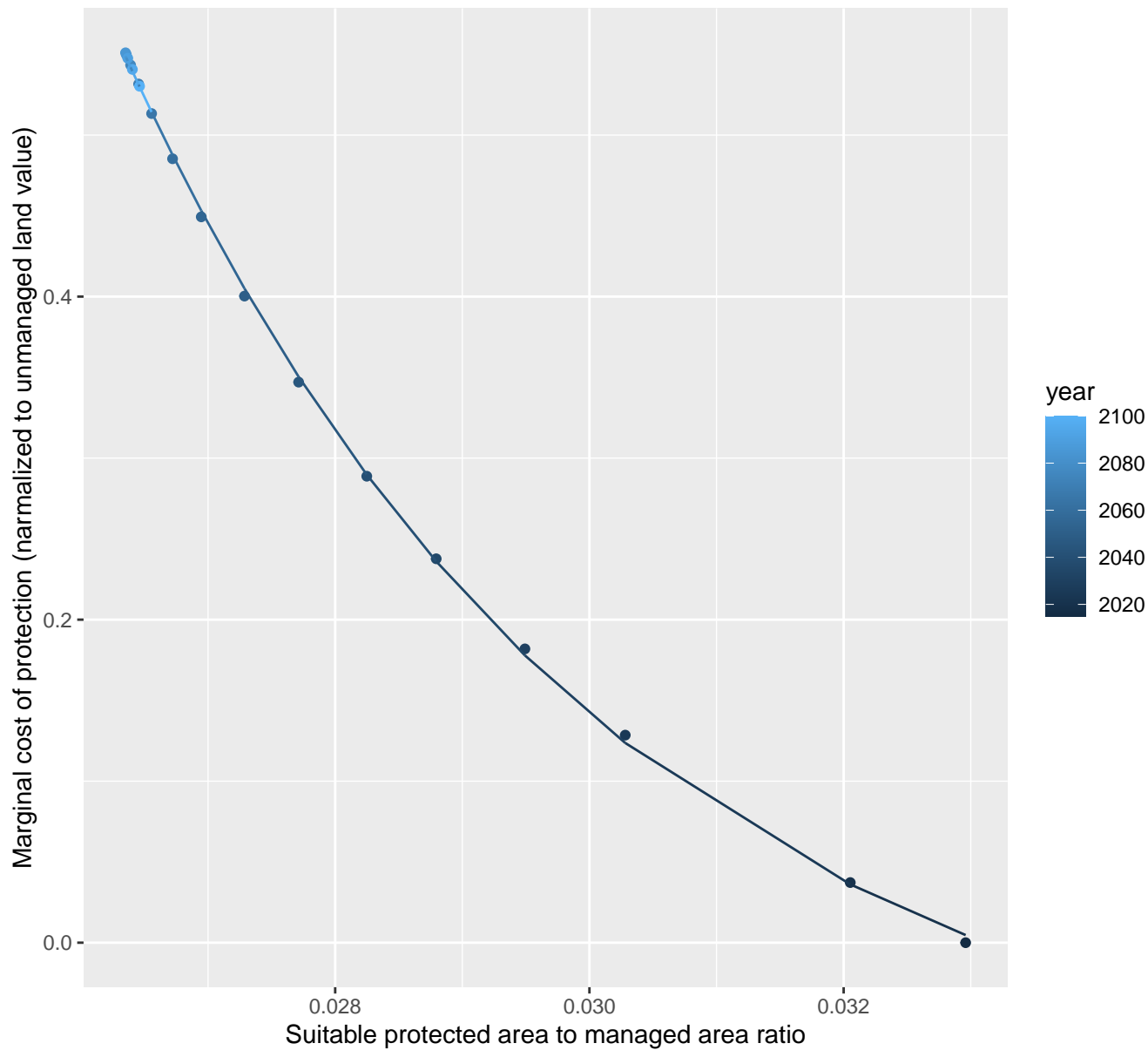




# 12033 marginal protection cost ratio

nls random pval = 0.01512

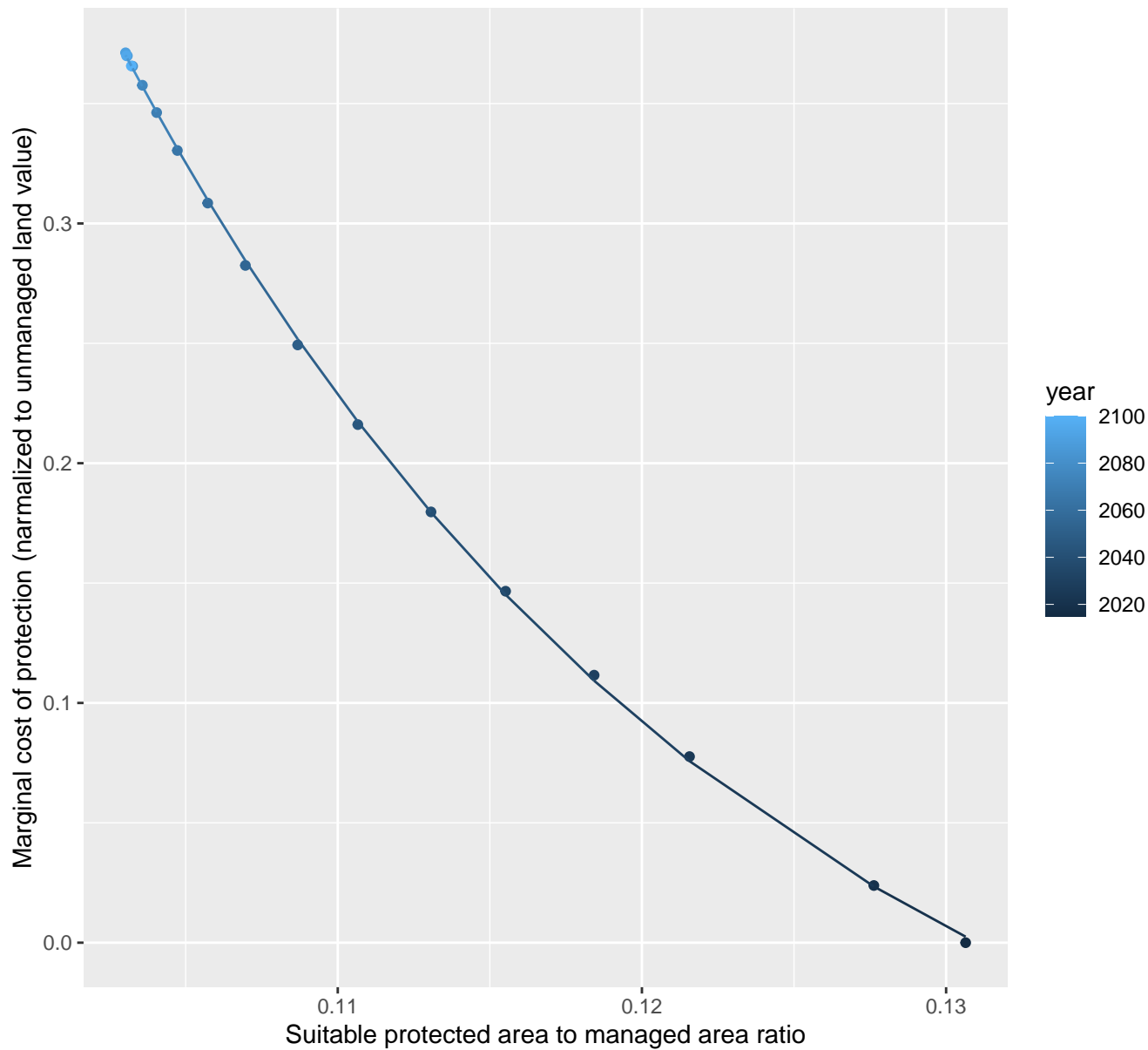
$$y = -0.11 + 662.4 \cdot \exp(-262.23 \cdot x)$$



# 12035 marginal protection cost ratio

nls random pval = 0.01512

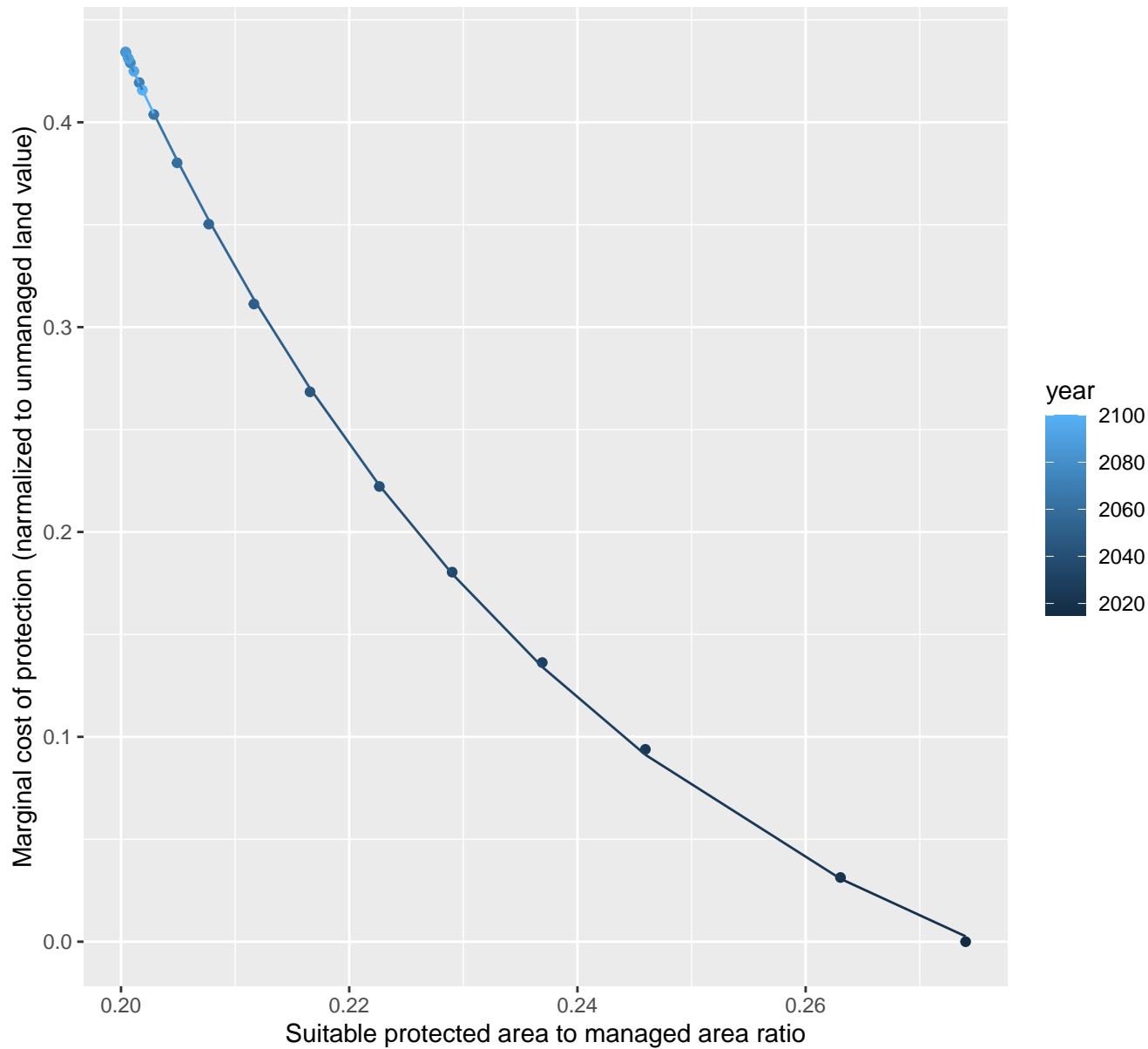
$$y = -0.13 + 65.98 \cdot \exp(-47.31 \cdot x)$$



# 12049 marginal protection cost ratio

nls random pval = 0.01512

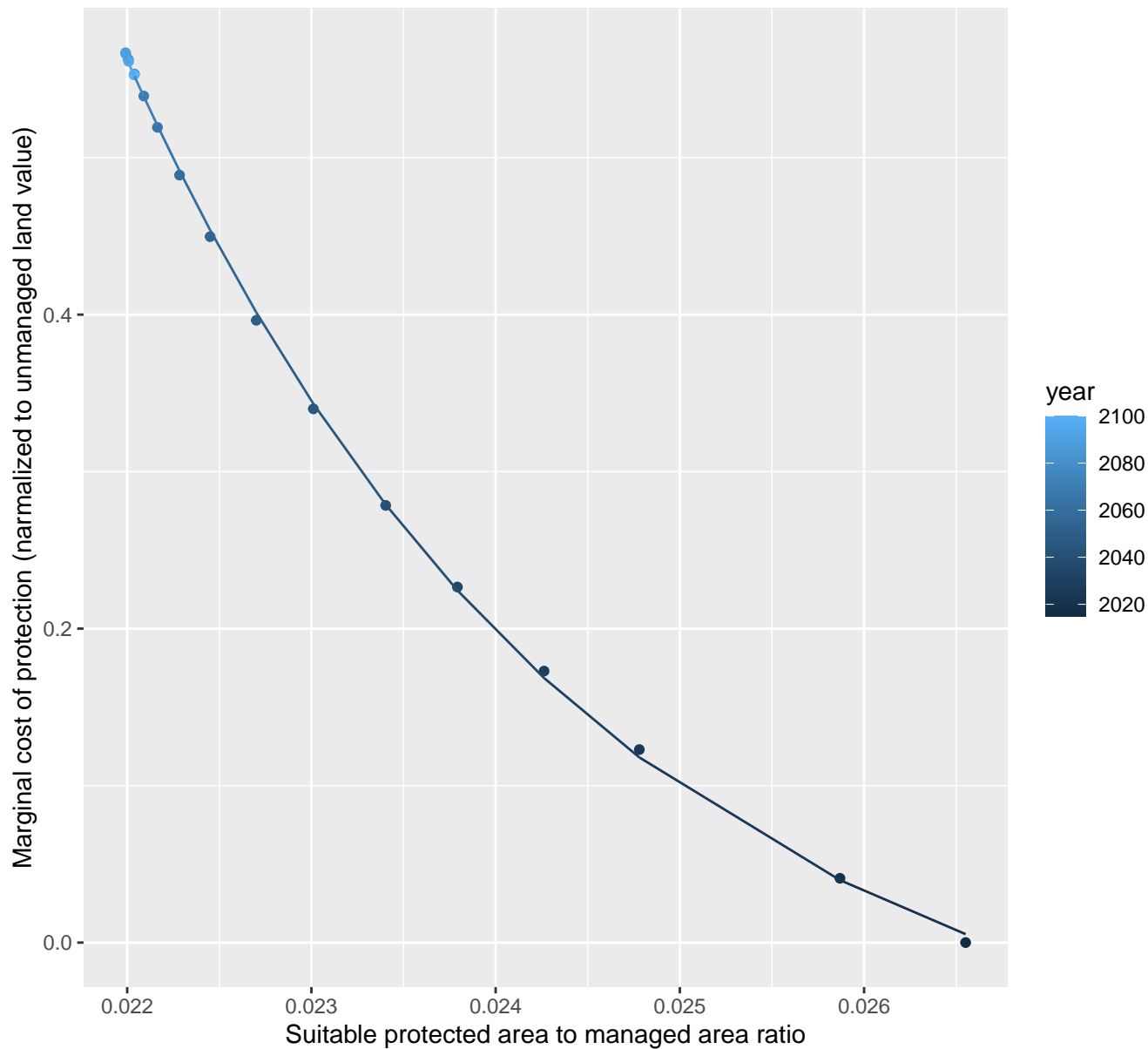
$$y = -0.1 + 50.89 \cdot \exp(-22.78 \cdot x)$$



# 12054 marginal protection cost ratio

nls random pval = 0.01512

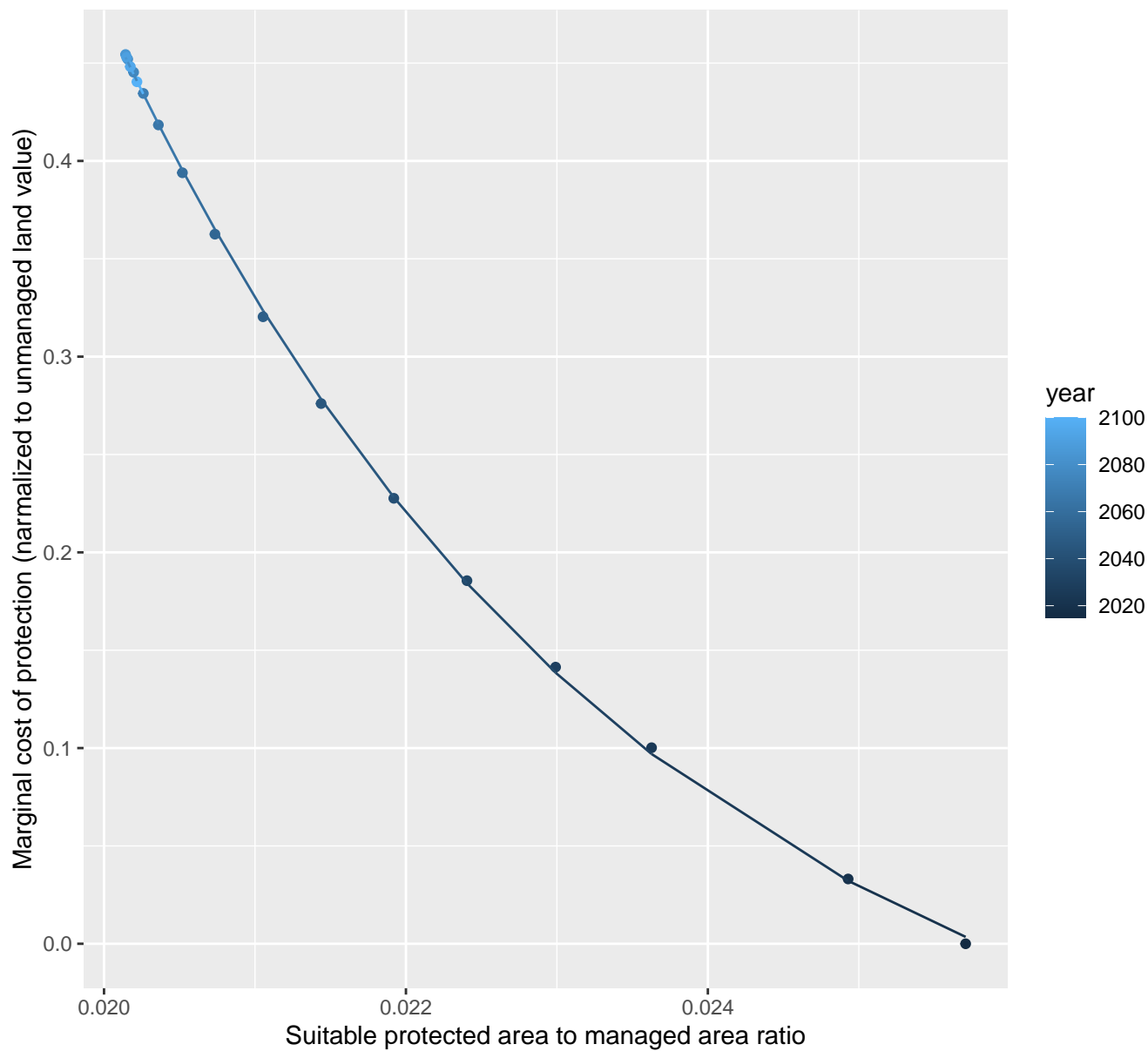
$$y = -0.11 + 3745.05 \cdot \exp(-392.27 \cdot x)$$



# 12055 marginal protection cost ratio

nls random pval = 0.01512

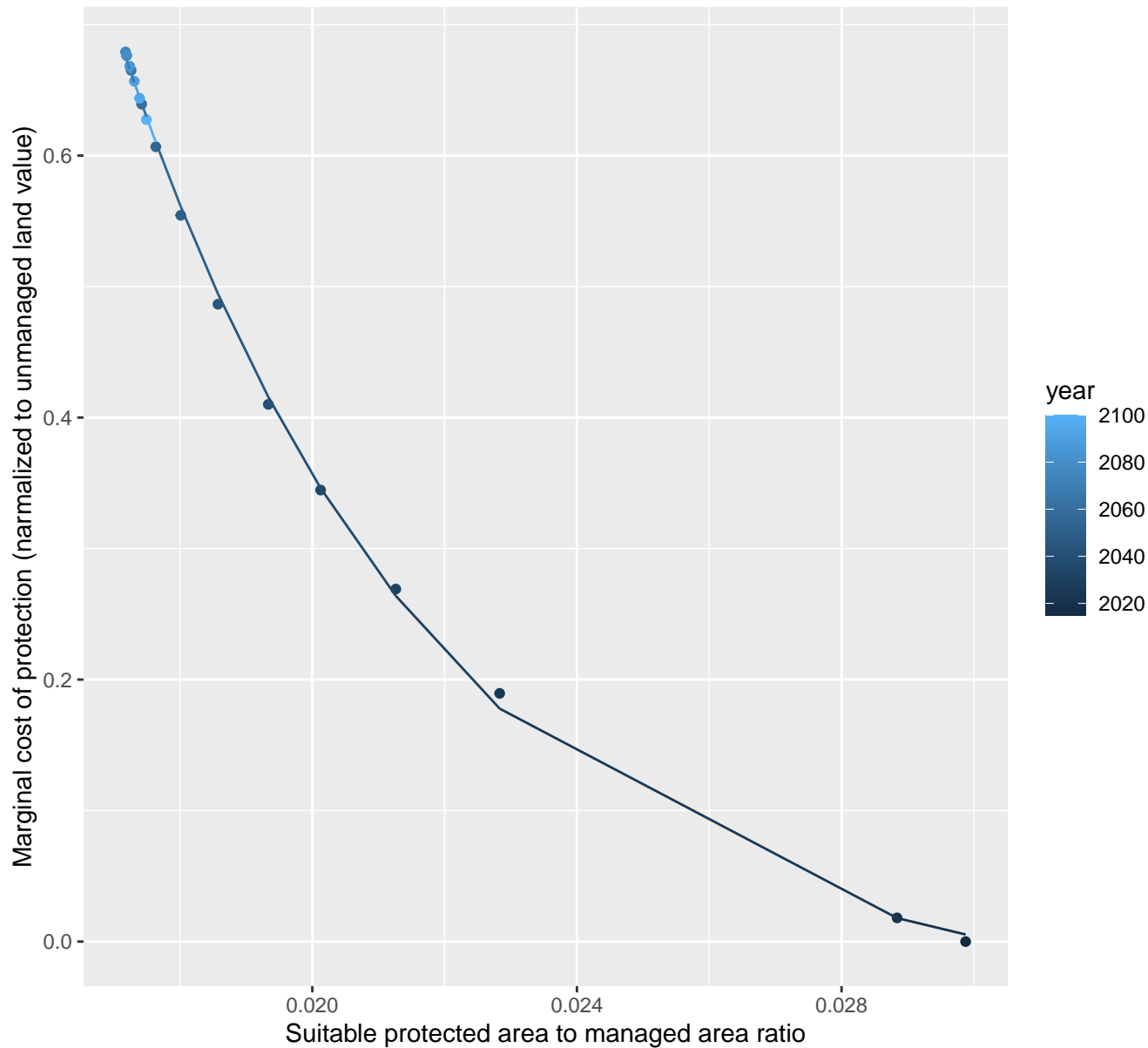
$$y = -0.11 + 178.44 \cdot \exp(-285.77 \cdot x)$$



# 12075 marginal protection cost ratio

nls random pval = 0.01512

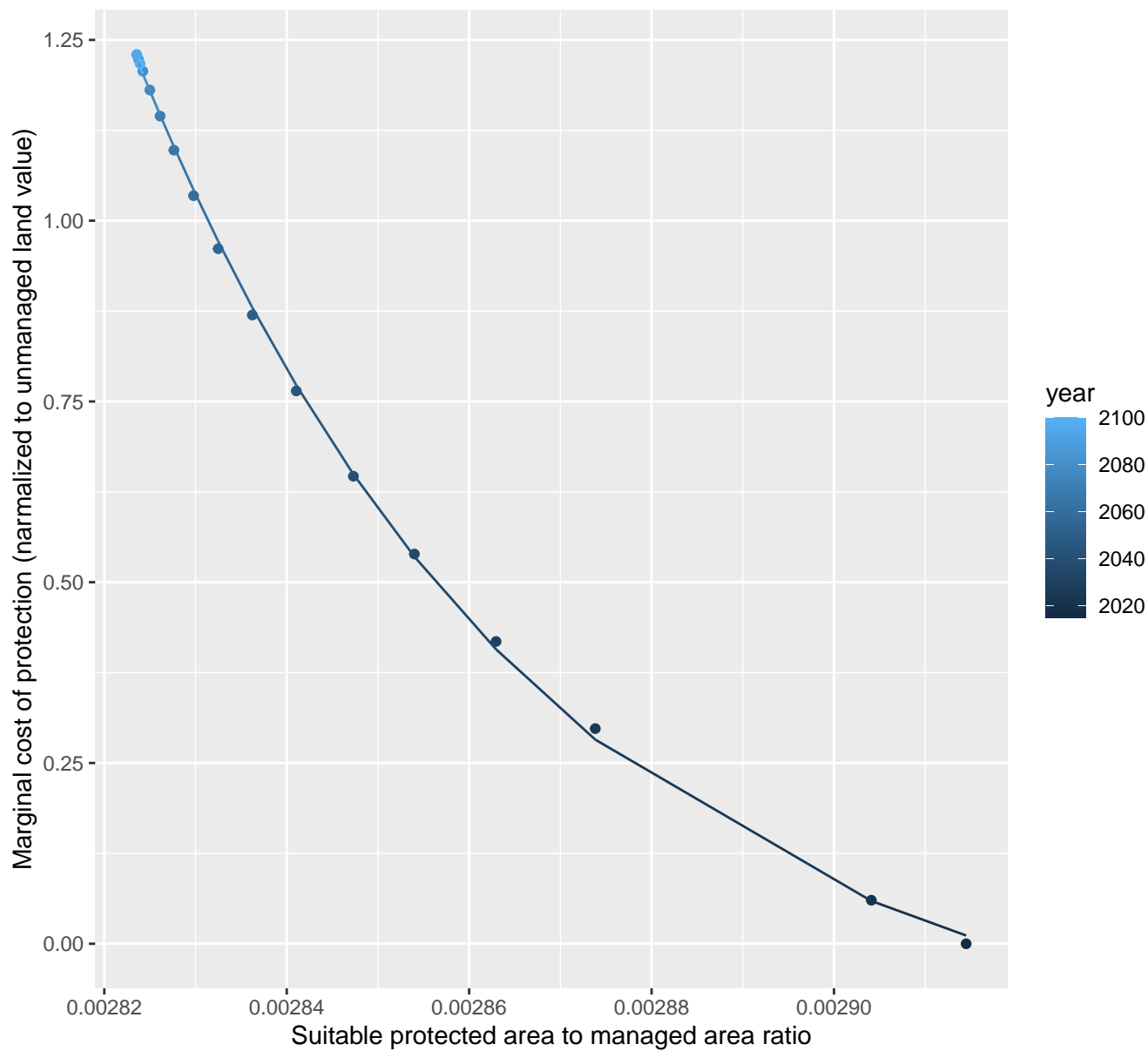
$$y = -0.05 + 24.95 \cdot \exp(-206.2 \cdot x)$$



# 13008 marginal protection cost ratio

nls random pval = 0.00355

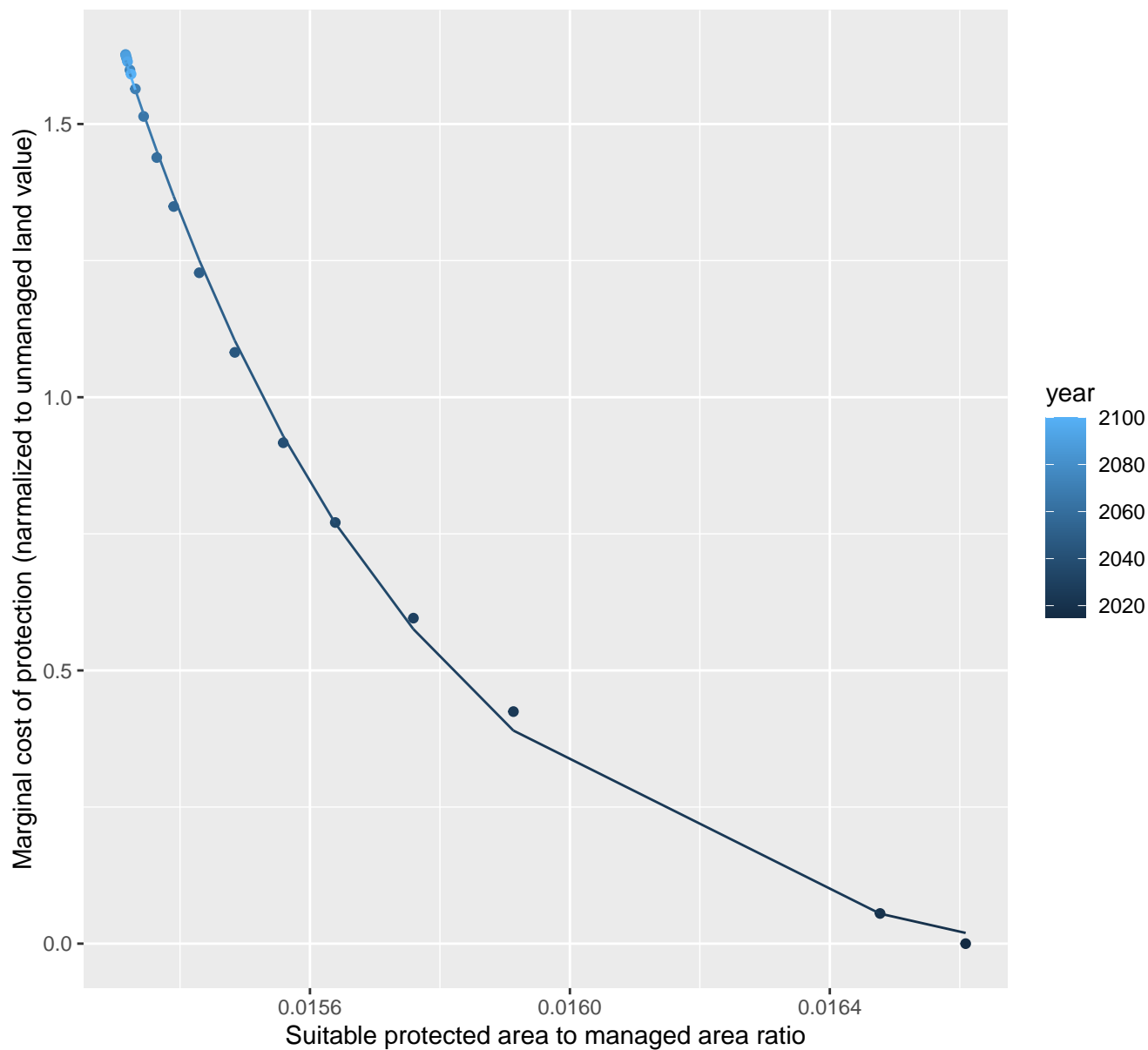
$$y = -0.17 + 3.44408760937848e+27 \cdot \exp(-22338.21 \cdot x)$$



# 13012 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.09 + 236422519596994 \cdot \exp(-2126.02 \cdot x)$$

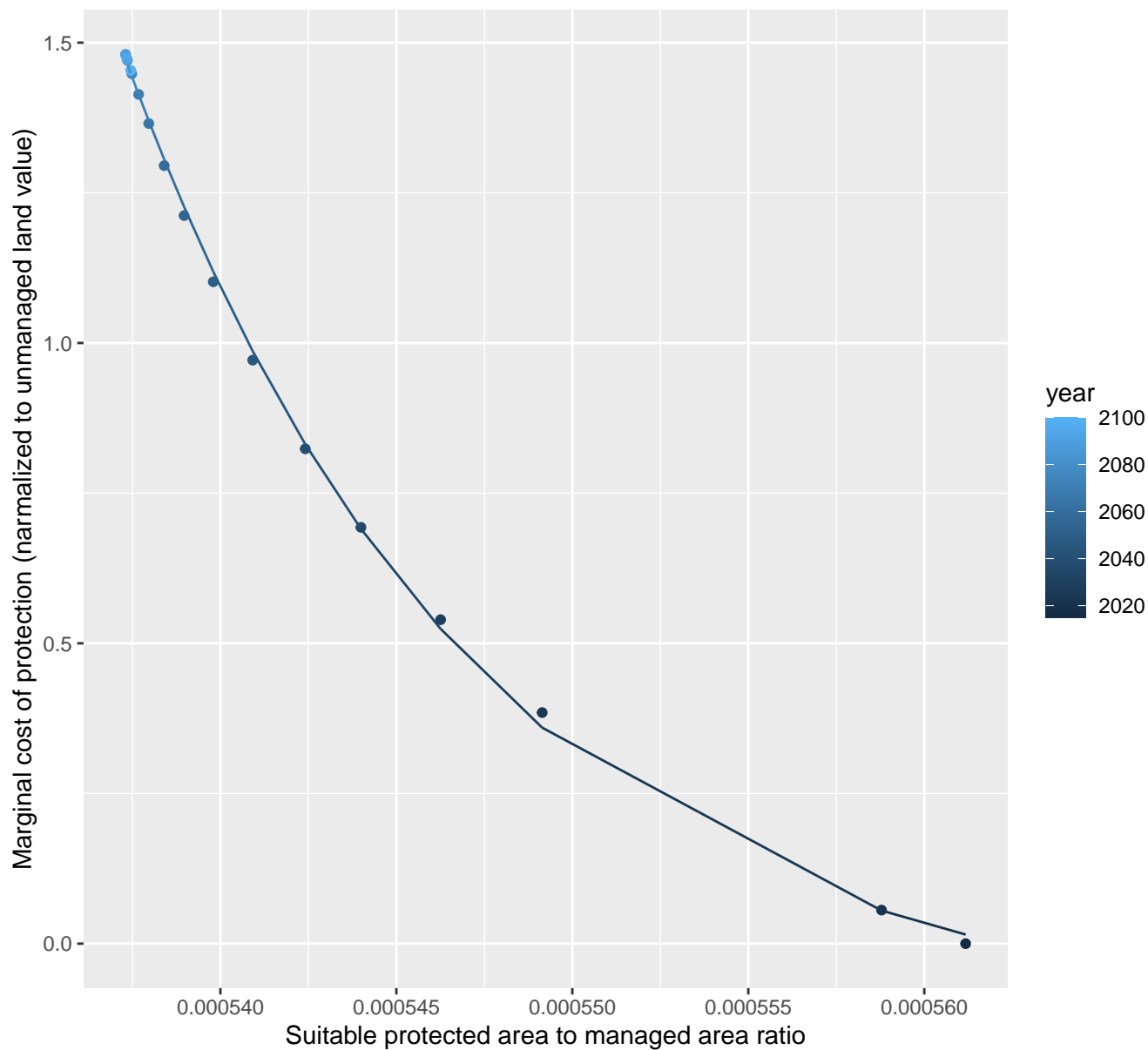




# 13013 marginal protection cost ratio

nls random pval = 0.00355

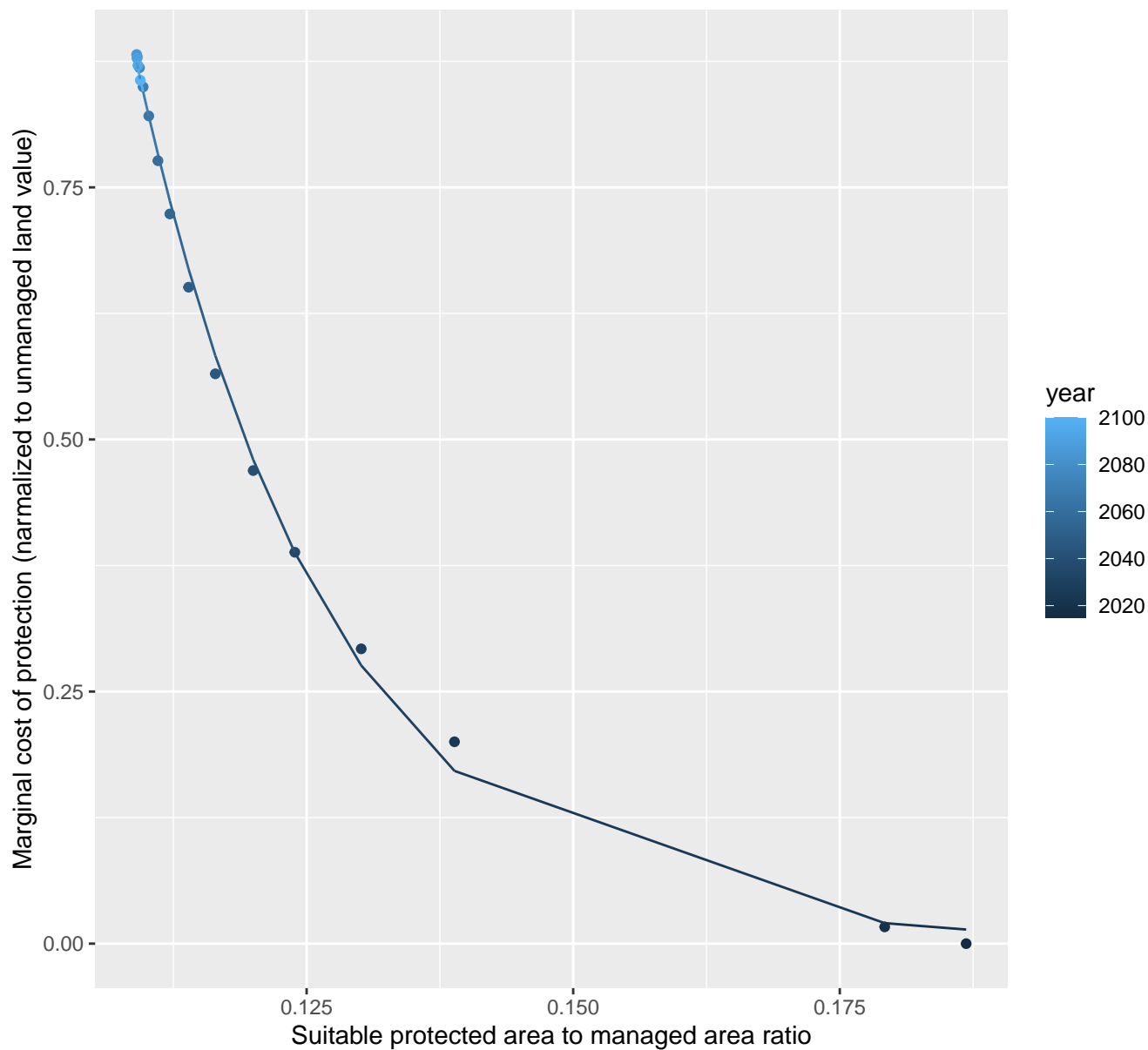
$$y = -0.13 + 3.05849485067404e+23 \cdot \exp(-99764.55 \cdot x)$$



# 13016 marginal protection cost ratio

nls random pval = 0.01512

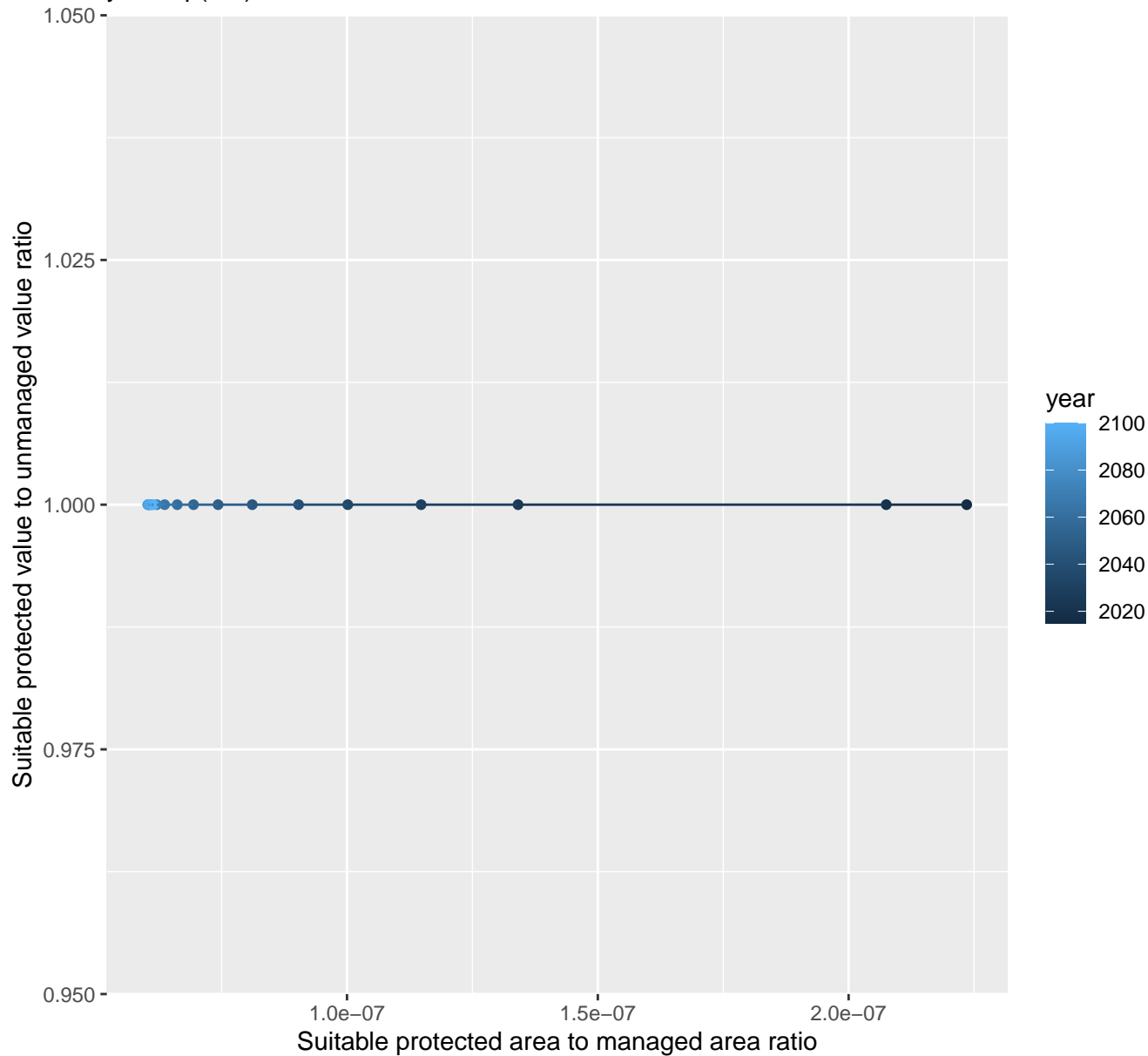
$$y=0+349.34*\exp(-54.95*x)$$



# 13017 marginal protection cost ratio

linear-log(y)  $r^2 = 0.05909$   $pval = 0.33106$  random  $pval = 0.06378$

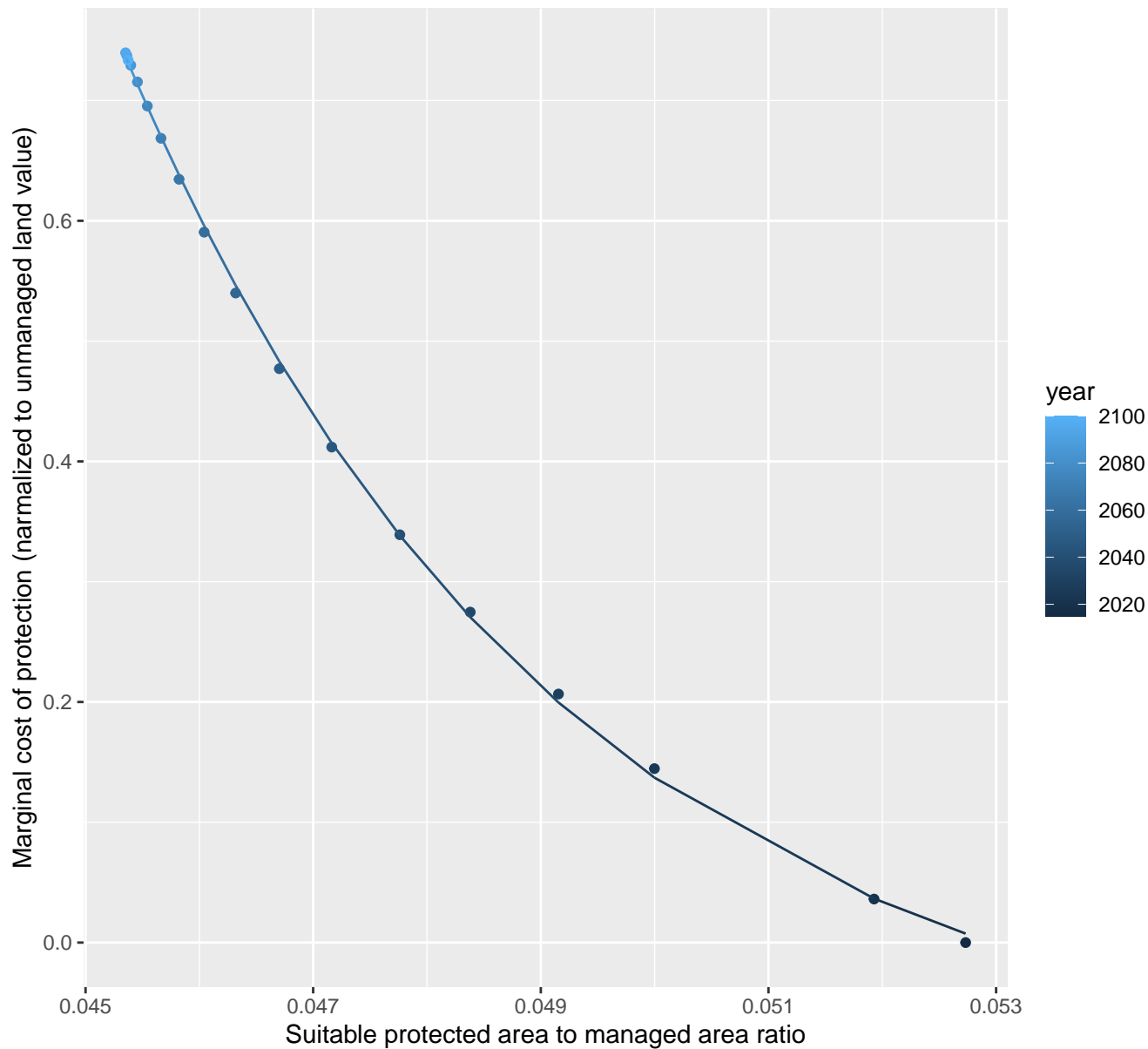
$$y = 1 * \exp(0 * x)$$

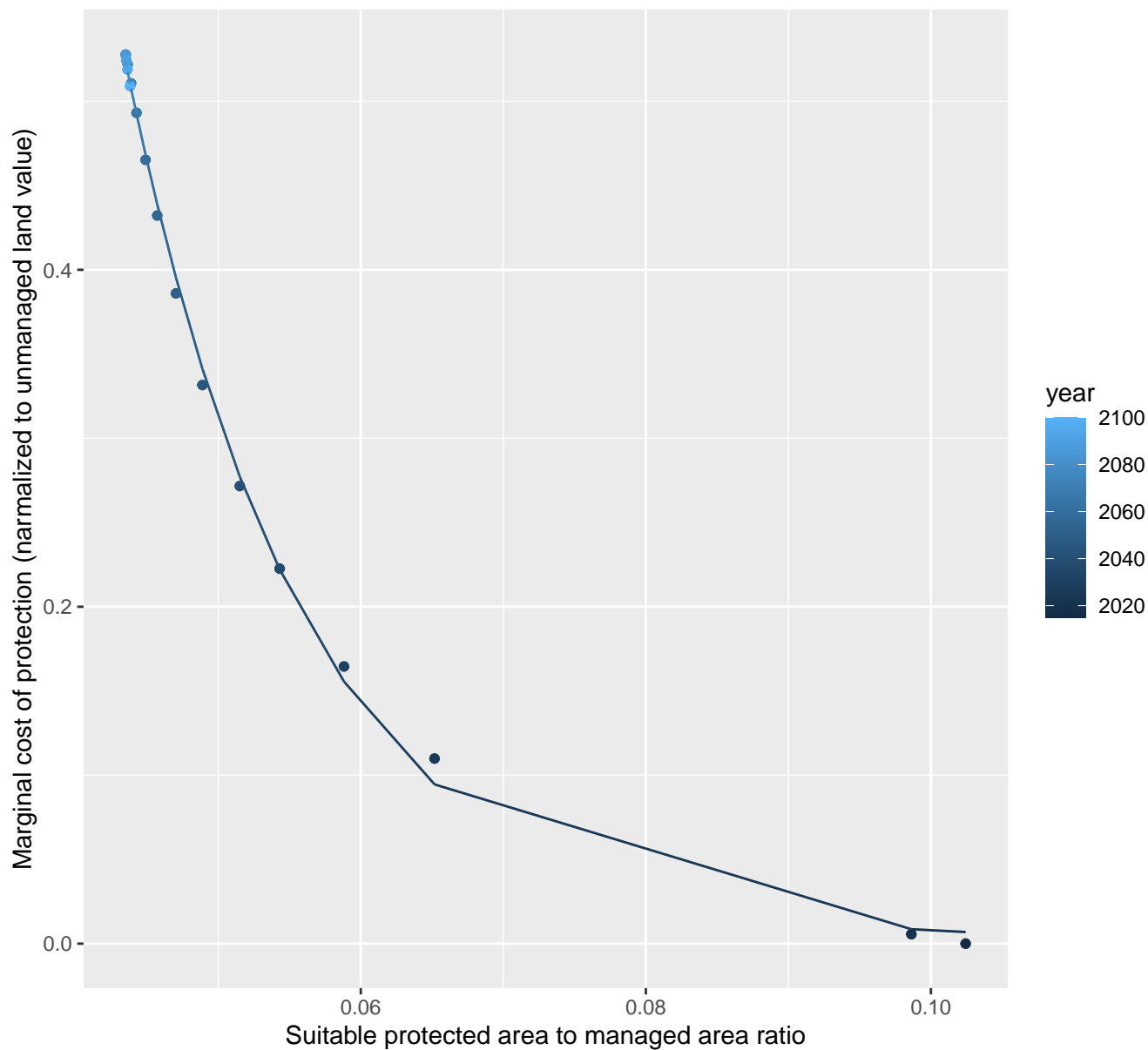


# 13021 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.12 + 115781.13 \cdot \exp(-260.57 \cdot x)$$

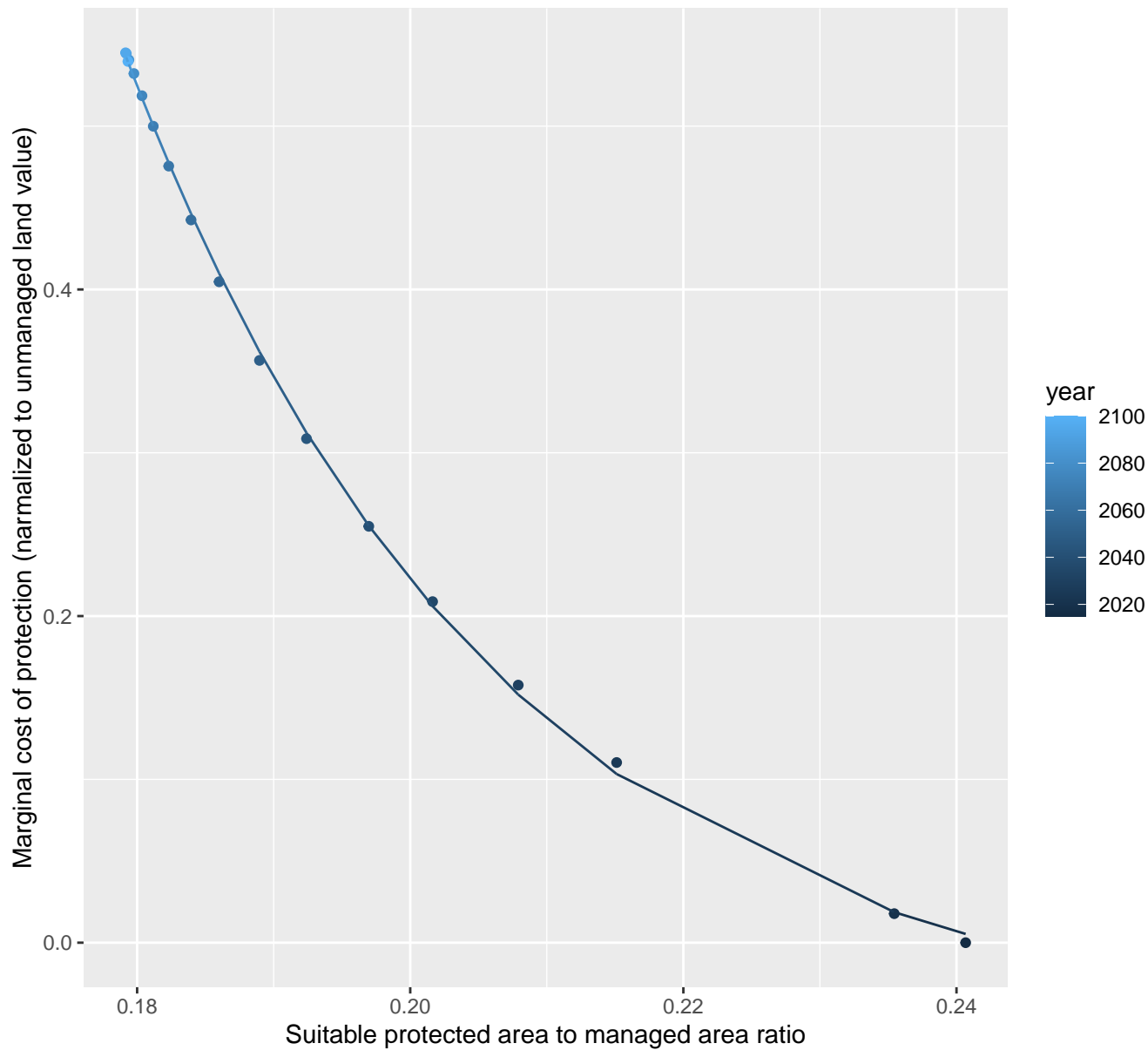


$$y=0+16.81 \cdot \exp(-79.85 \cdot x)$$


# 13026 marginal protection cost ratio

nls random pval = 0.00355

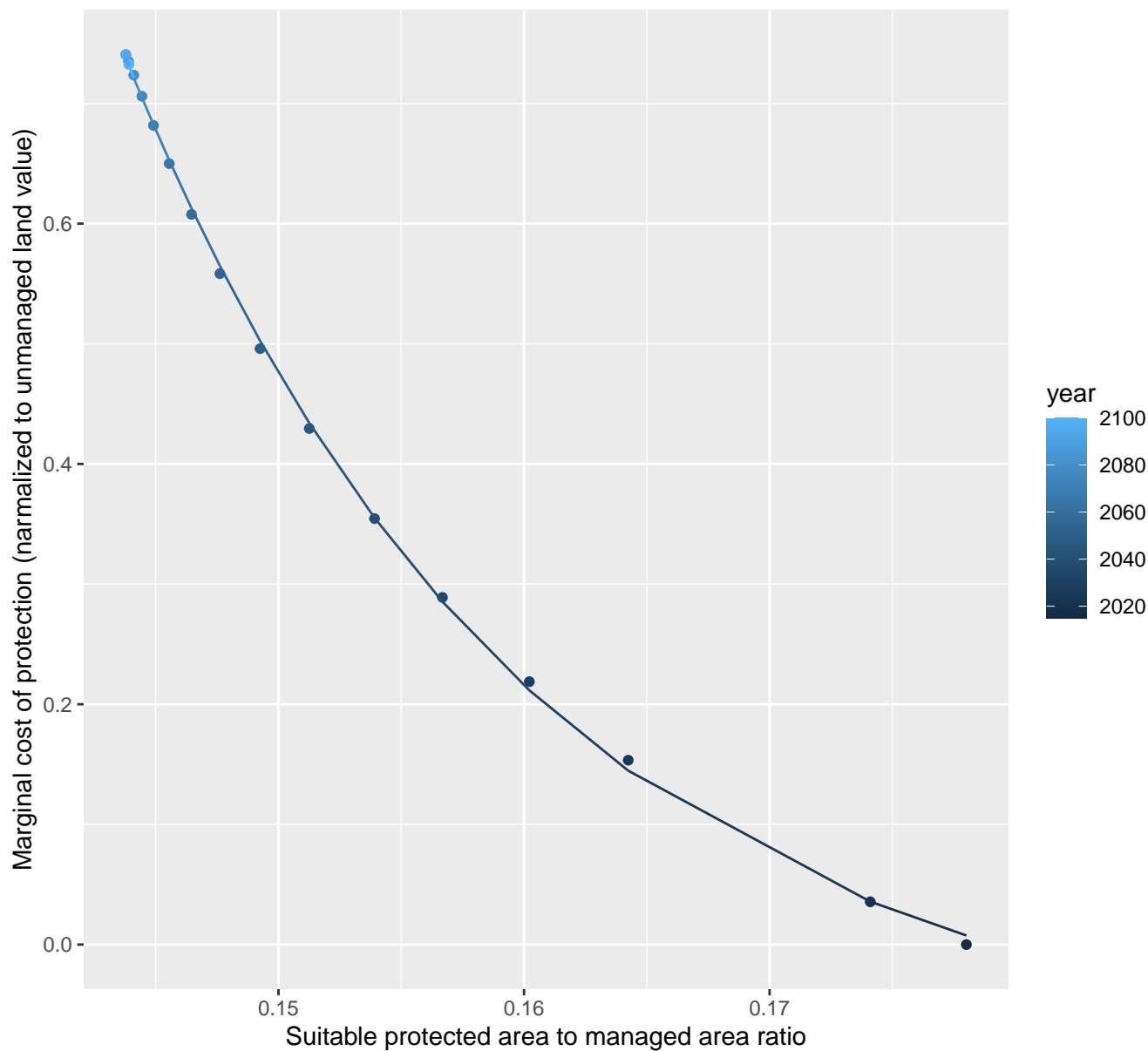
$$y = -0.06 + 423.62 \cdot \exp(-36.6 \cdot x)$$



# 13028 marginal protection cost ratio

nls random pval = 0.00355

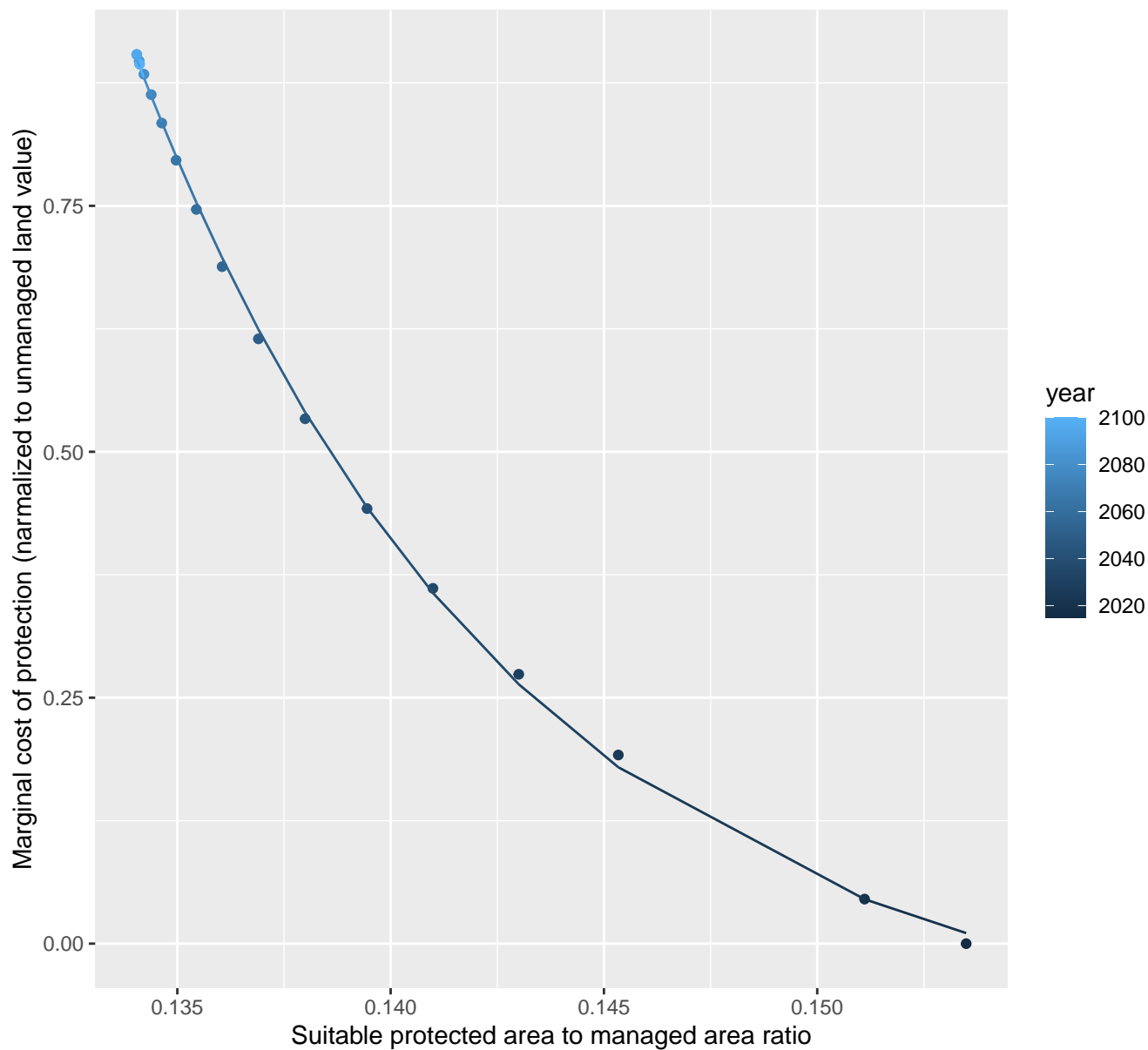
$$y = -0.1 + 4929.37 \cdot \exp(-60.39 \cdot x)$$



# 13029 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.1 + 3596310.14 \cdot \exp(-112.61 \cdot x)$$

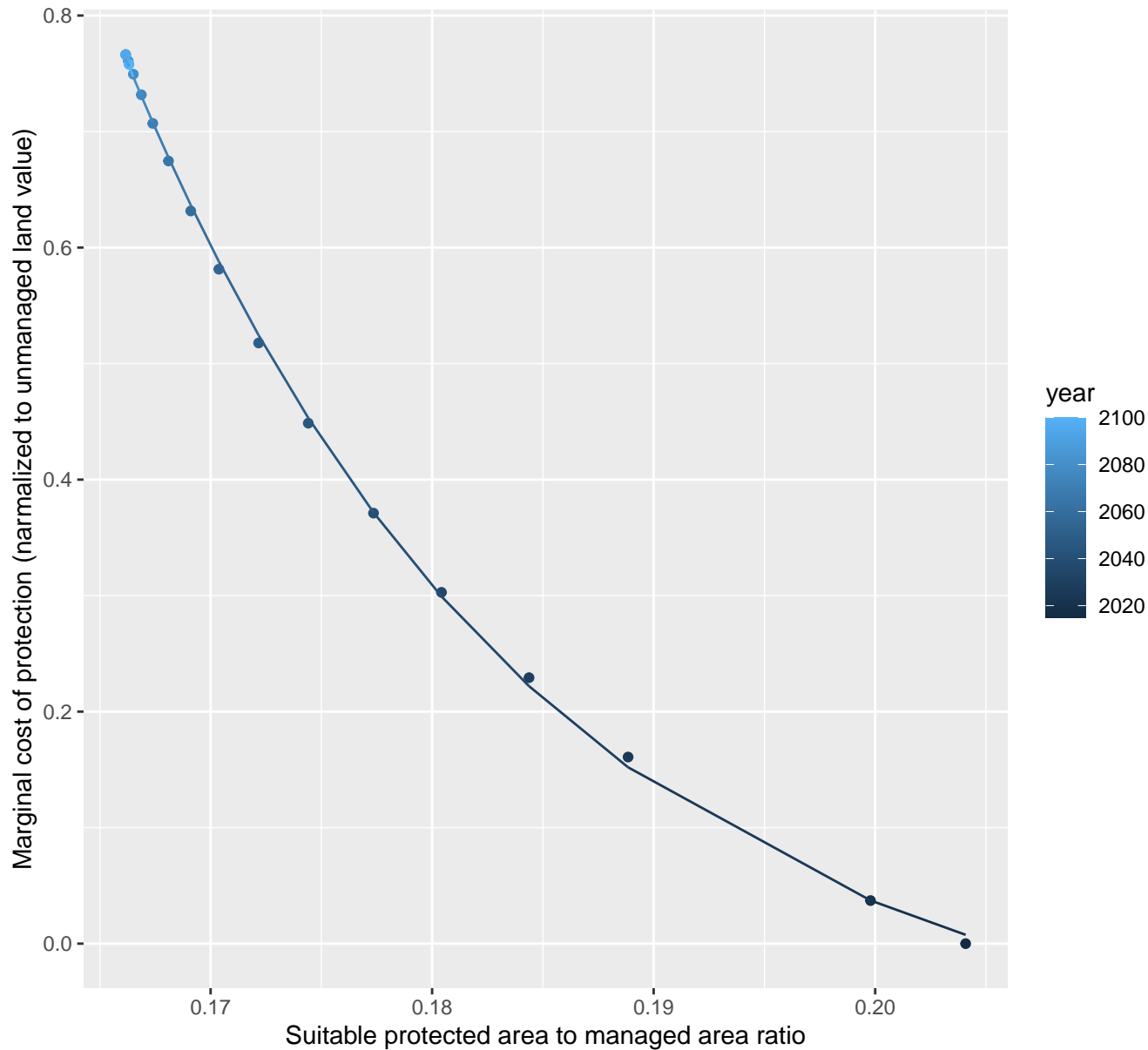




# 13031 marginal protection cost ratio

nls random pval = 0.00355

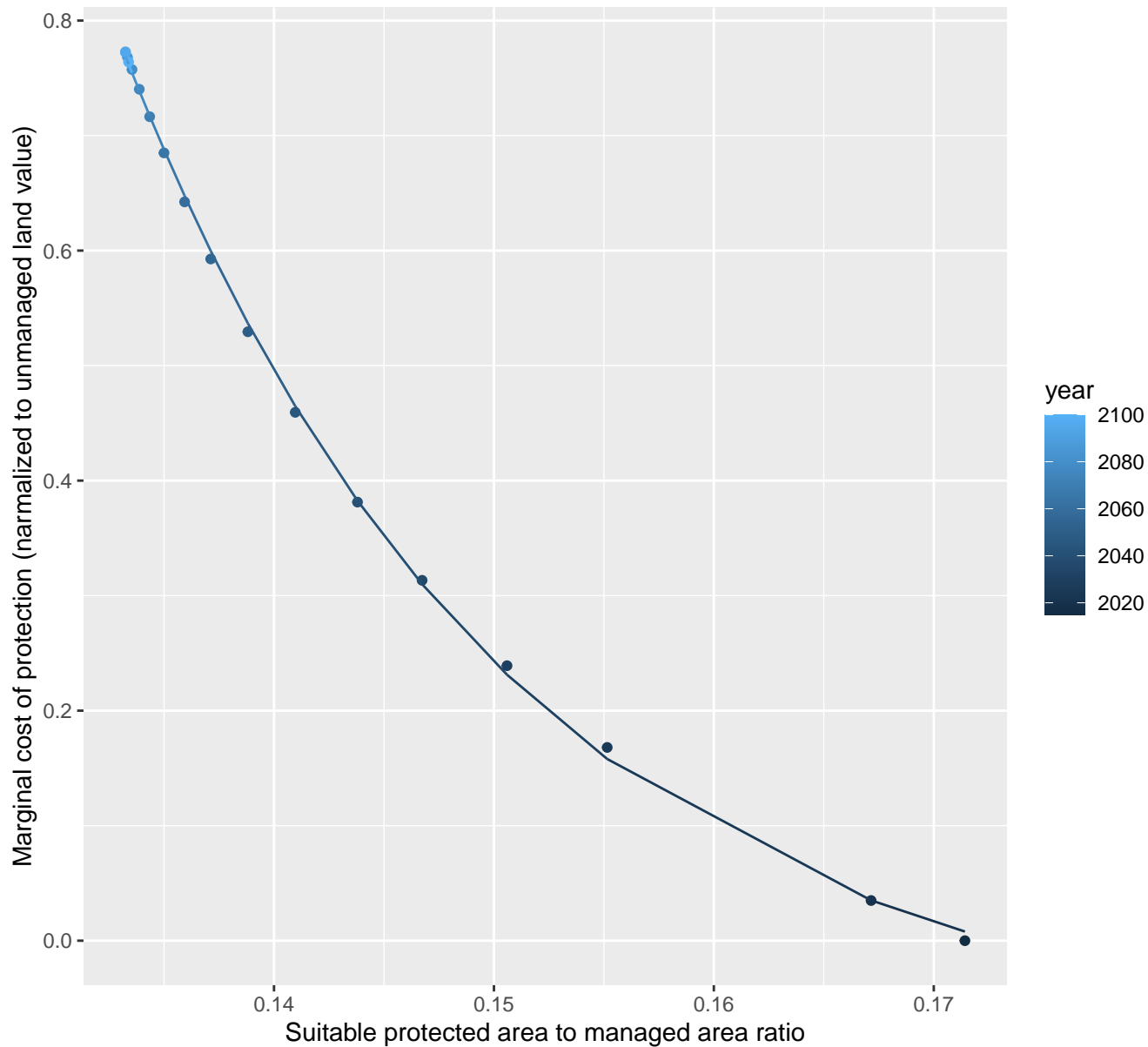
$$y = -0.11 + 6183.21 \cdot \exp(-53.37 \cdot x)$$



# 13032 marginal protection cost ratio

nls random pval = 0.00355

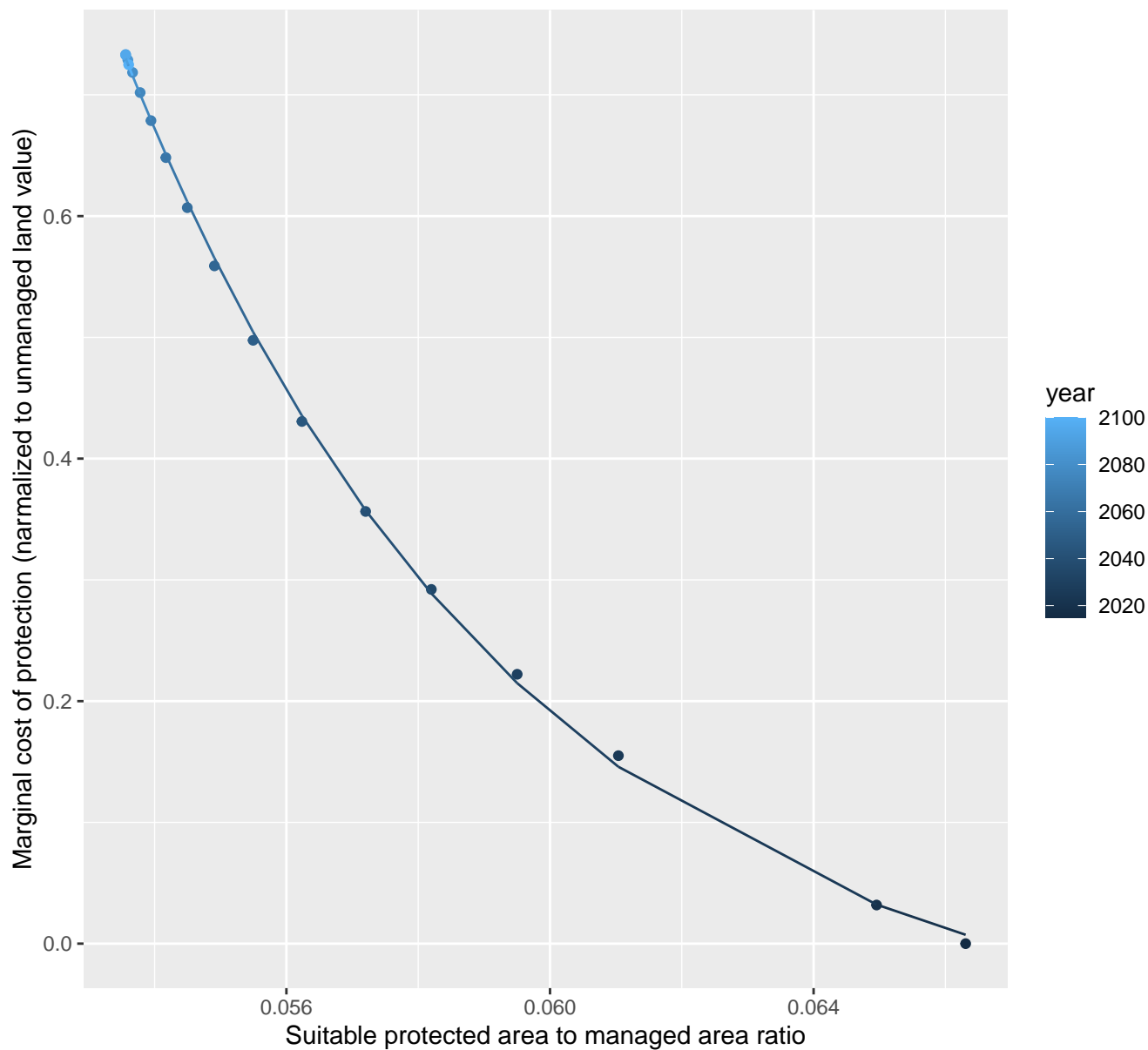
$$y = -0.09 + 1603.53 \cdot \exp(-56.51 \cdot x)$$



# 13036 marginal protection cost ratio

nls random pval = 0.00355

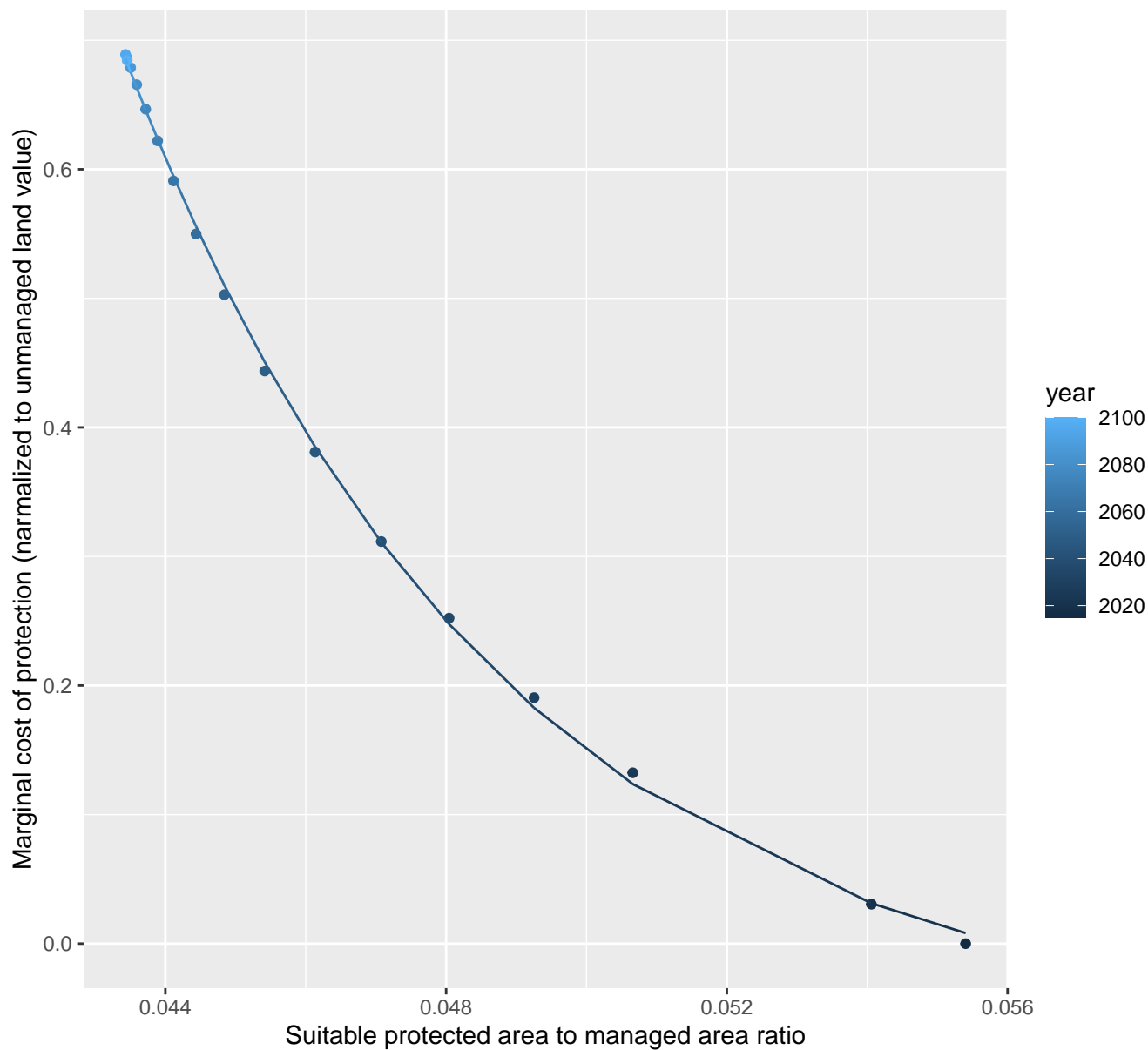
$$y = -0.09 + 5936.48 \cdot \exp(-165.89 \cdot x)$$



# 13041 marginal protection cost ratio

nls random pval = 0.00355

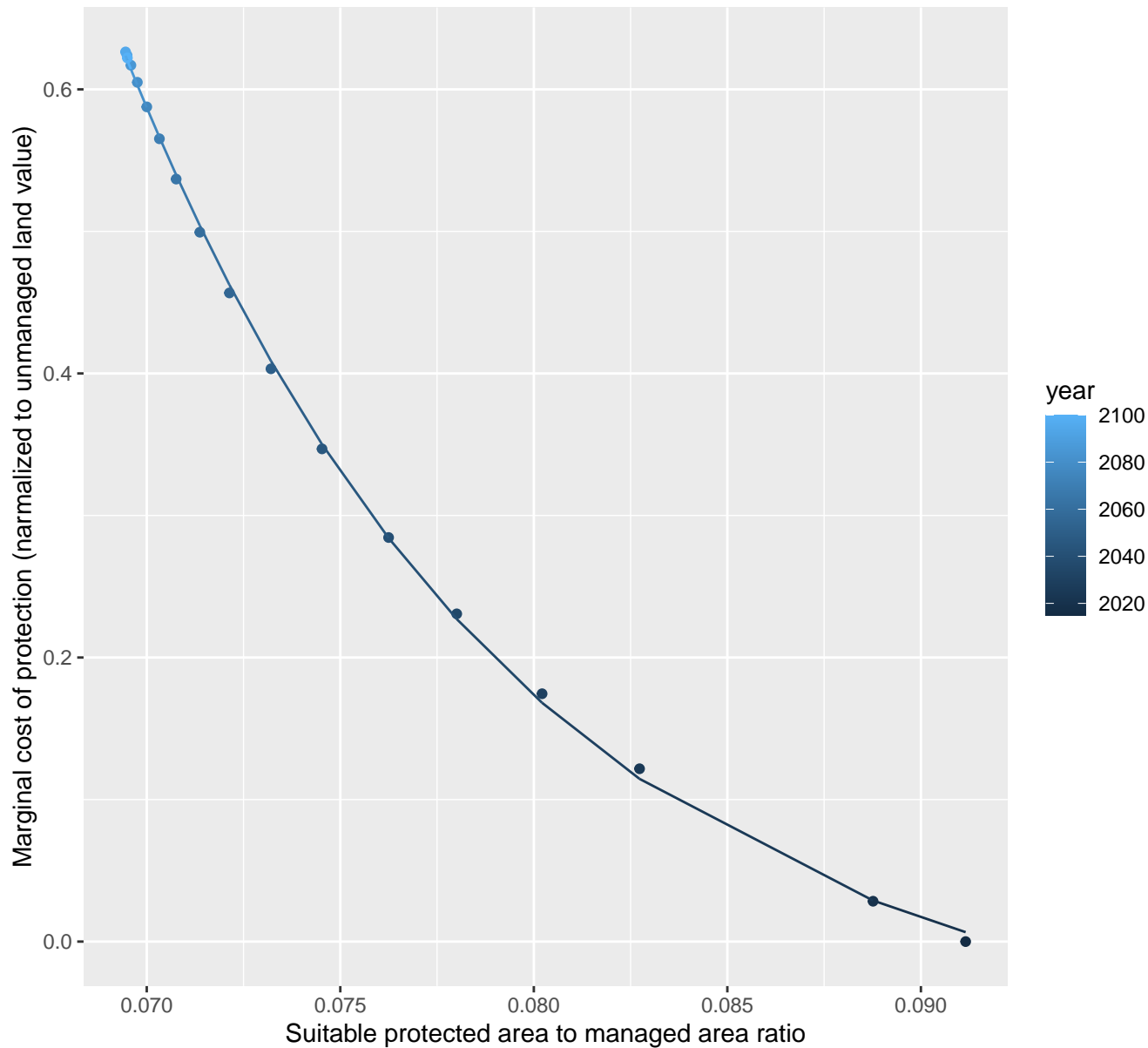
$$y = -0.07 + 2544.03 \cdot \exp(-186.92 \cdot x)$$



# 13044 marginal protection cost ratio

nls random pval = 0.00355

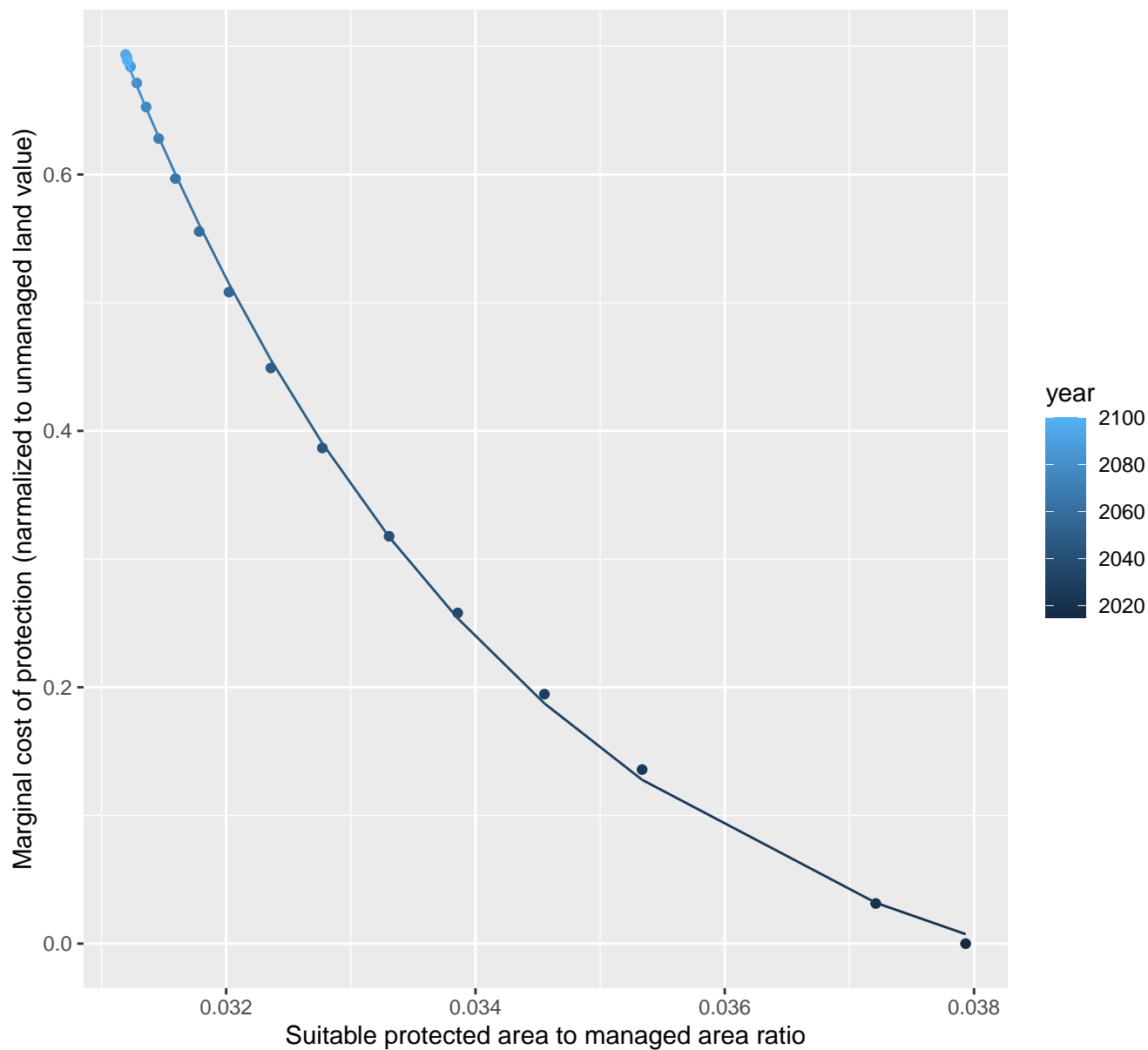
$$y = -0.08 + 602.15 \cdot \exp(-97.25 \cdot x)$$



# 13046 marginal protection cost ratio

nls random pval = 0.00355

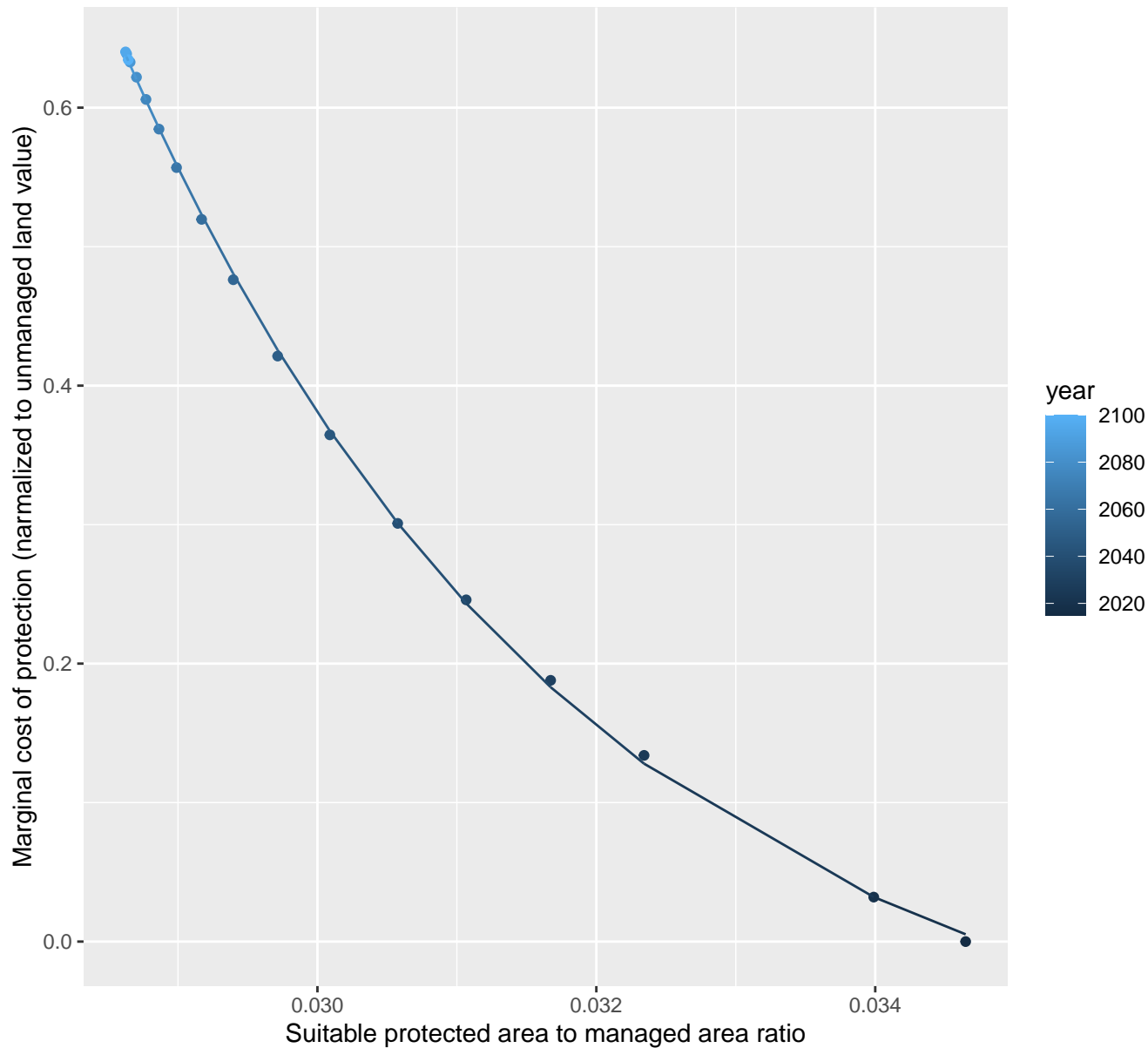
$$y = -0.09 + 11195.92 \cdot \exp(-306.78 \cdot x)$$



# 13050 marginal protection cost ratio

nls random pval = 0.00355

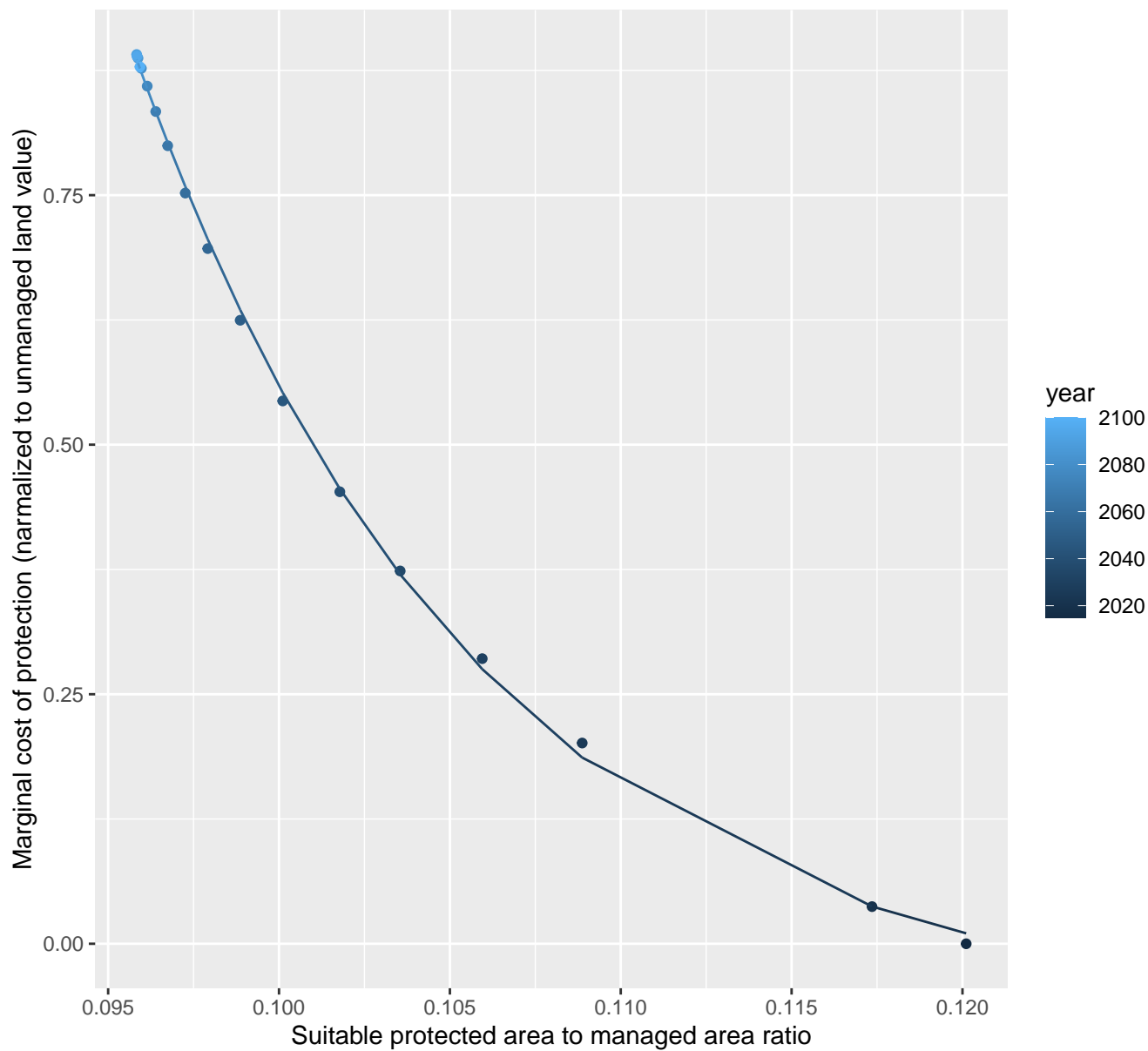
$$y = -0.12 + 4472.2 \cdot \exp(-303.52 \cdot x)$$



# 13054 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.07 + 13873.61 \cdot \exp(-99.94 \cdot x)$$

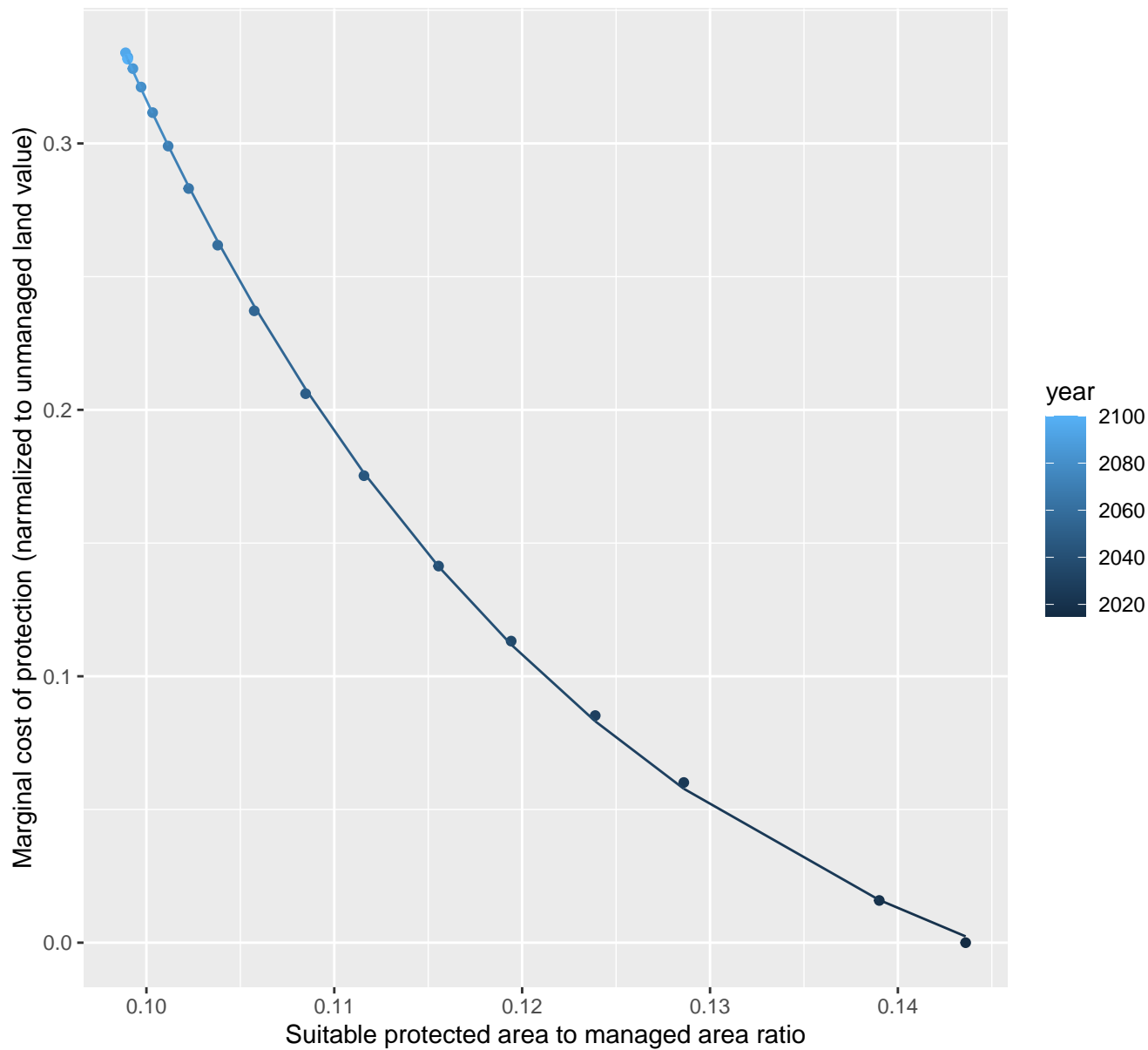




# 13055 marginal protection cost ratio

nls random pval = 0.01512

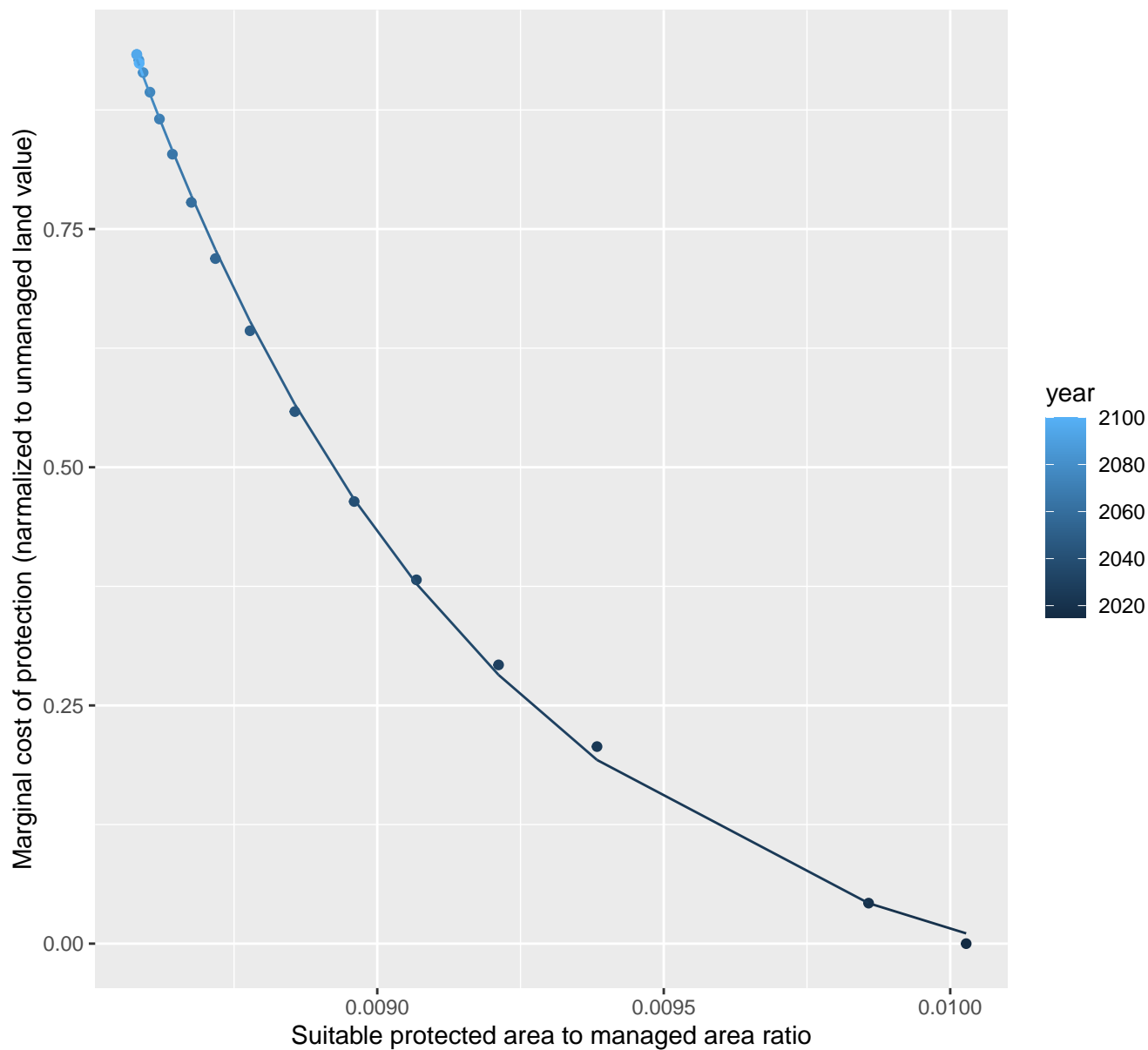
$$y = -0.07 + 19.47 \cdot \exp(-39.29 \cdot x)$$



# 13057 marginal protection cost ratio

nls random pval = 0.00355

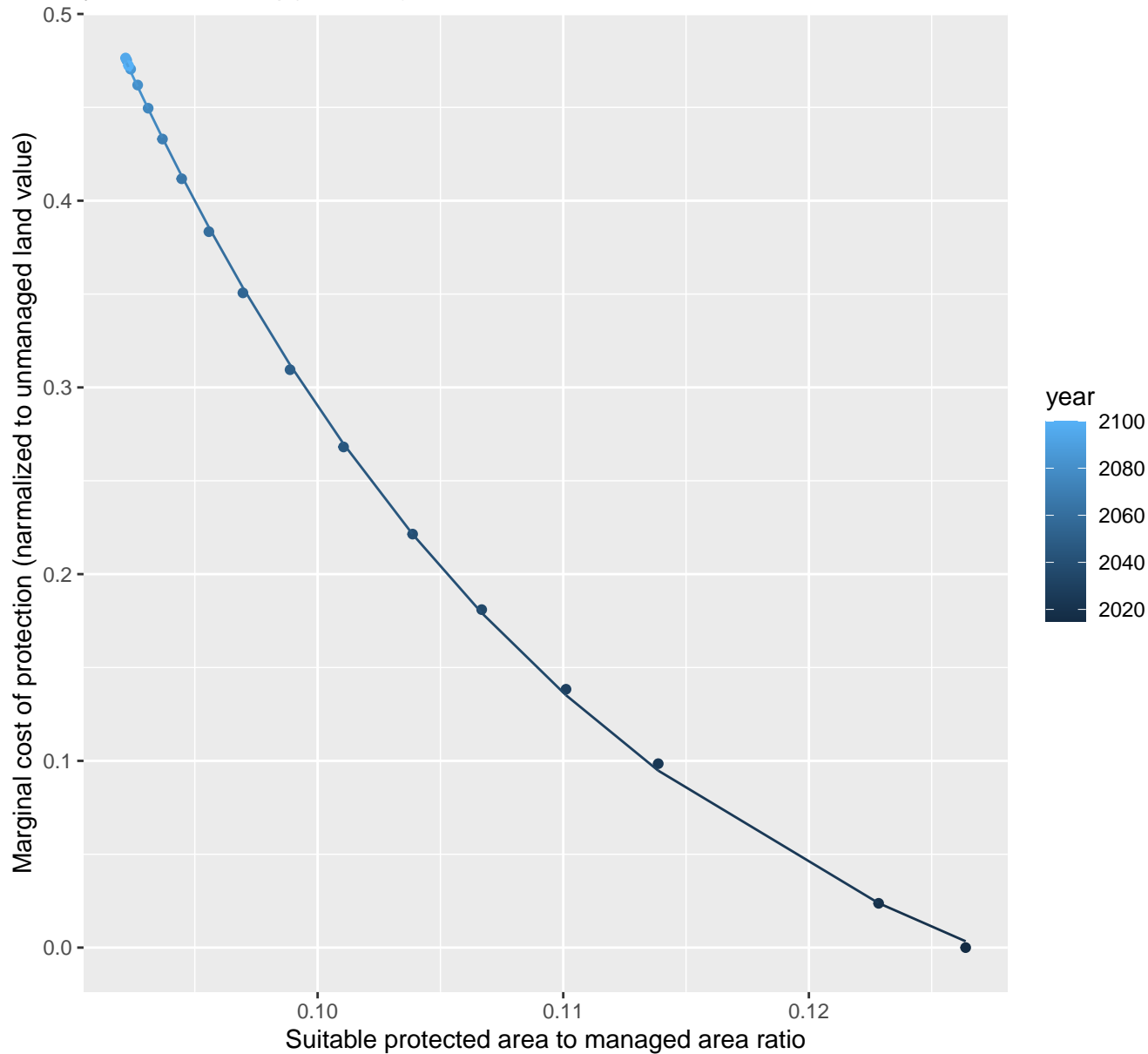
$$y = -0.09 + 872047.66 \cdot \exp(-1591.96 \cdot x)$$



# 13059 marginal protection cost ratio

nls random pval = 0.00355

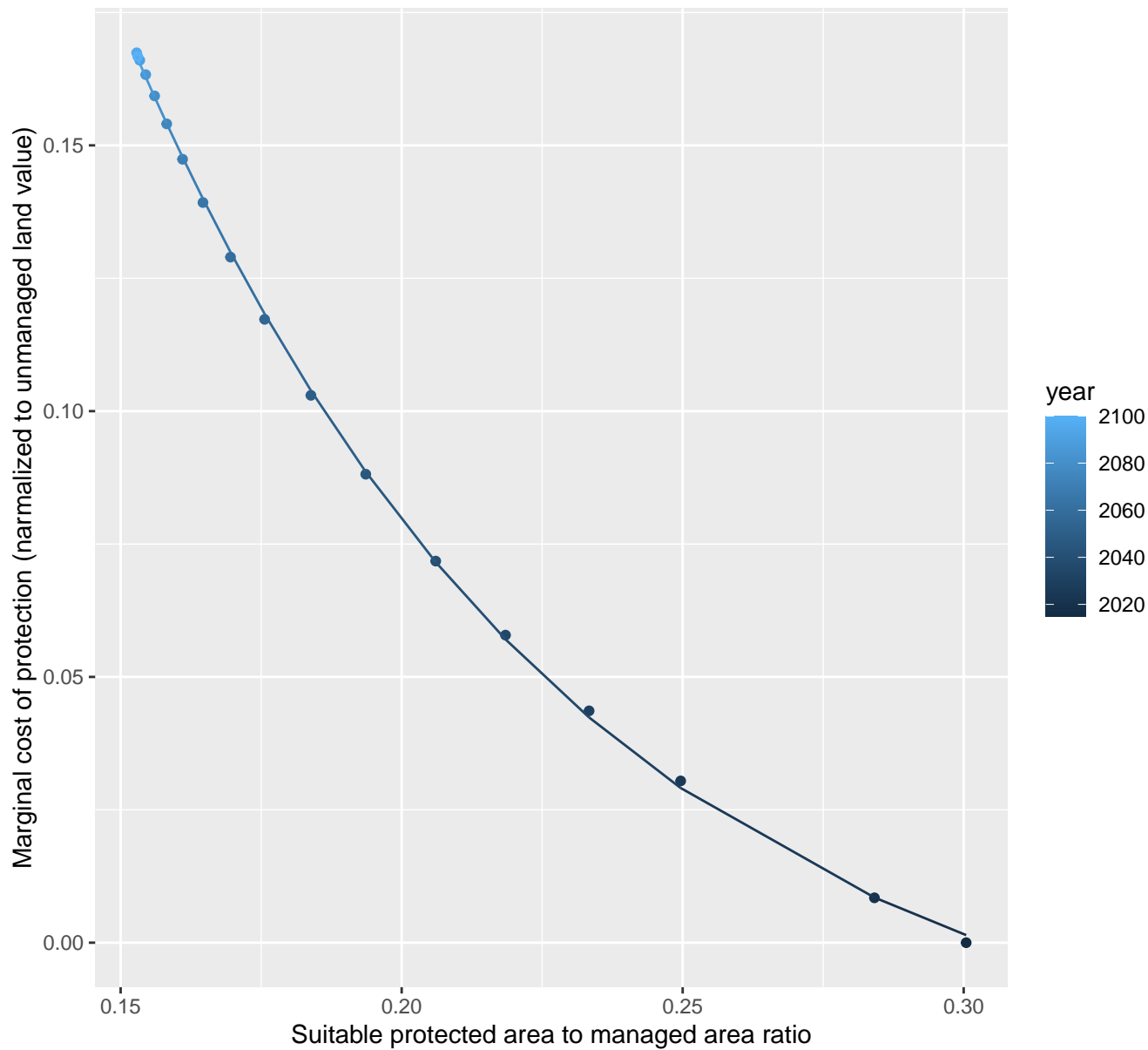
$$y = -0.1 + 54.77 \cdot \exp(-49.36 \cdot x)$$



# 13060 marginal protection cost ratio

nls random pval = 0.00355

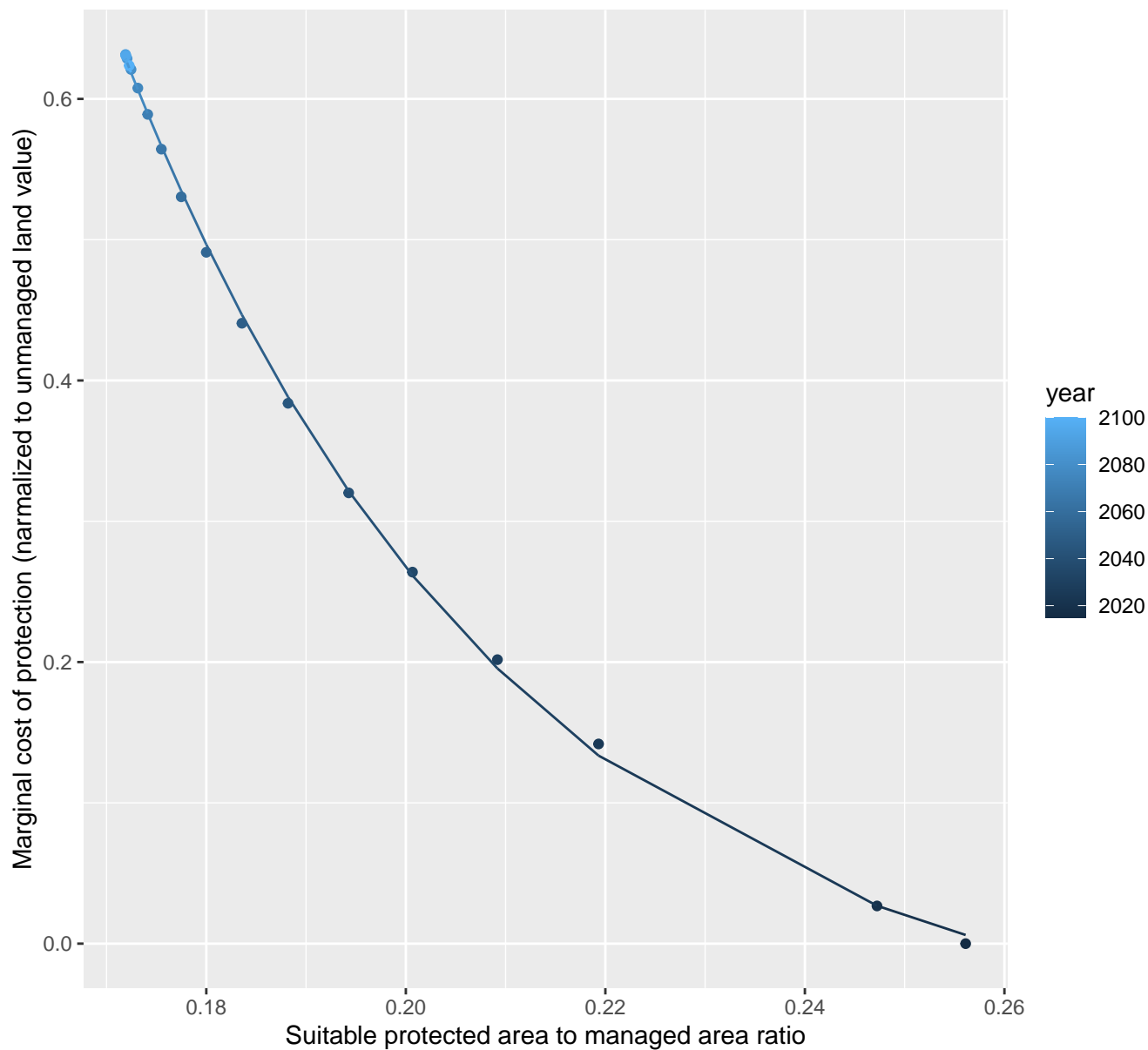
$$y = -0.03 + 1.31 \cdot \exp(-12.42 \cdot x)$$



# 13061 marginal protection cost ratio

nls random pval = 0.00355

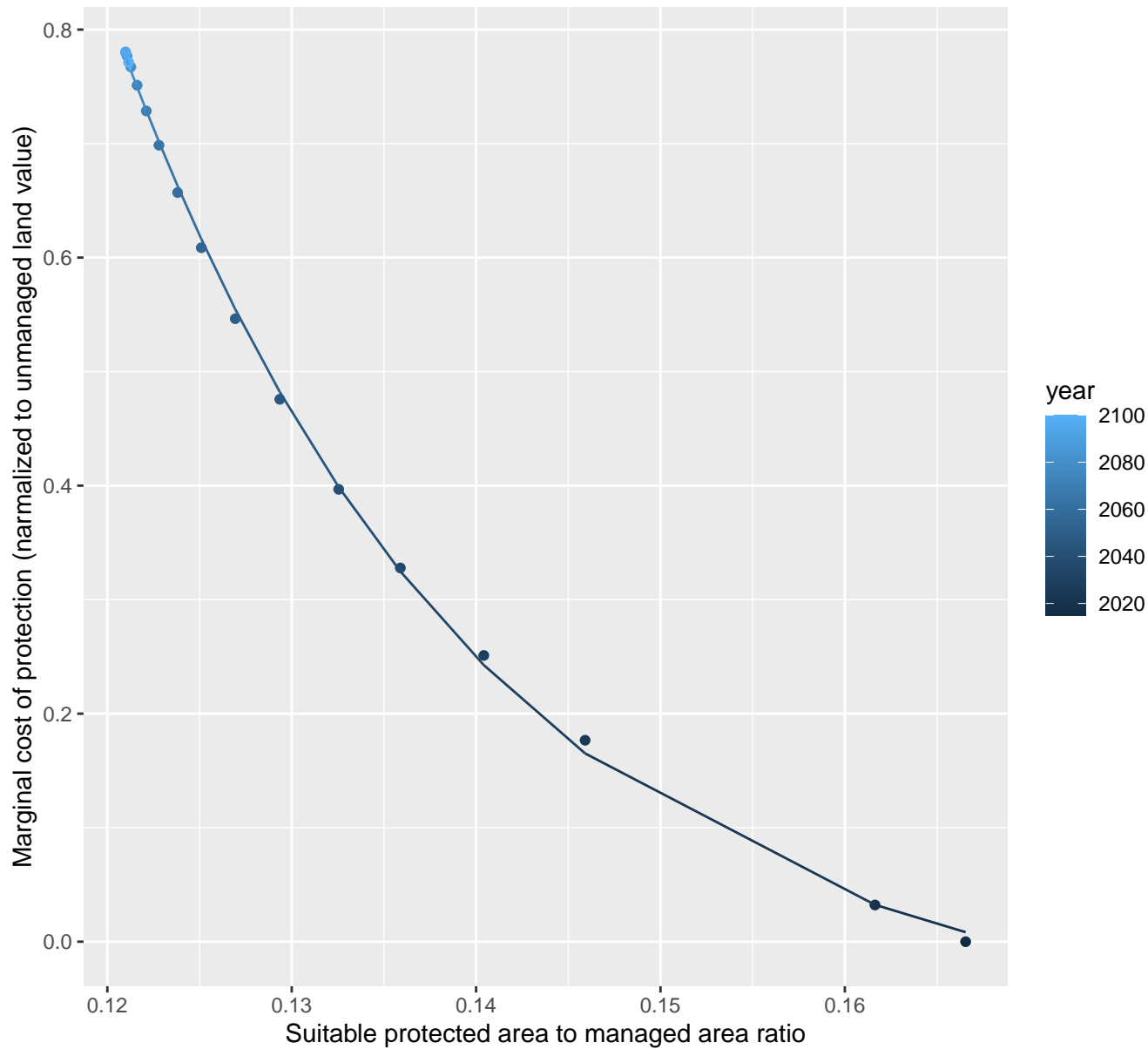
$$y = -0.08 + 57.76 \cdot \exp(-25.64 \cdot x)$$



# 13062 marginal protection cost ratio

nls random pval = 0.00355

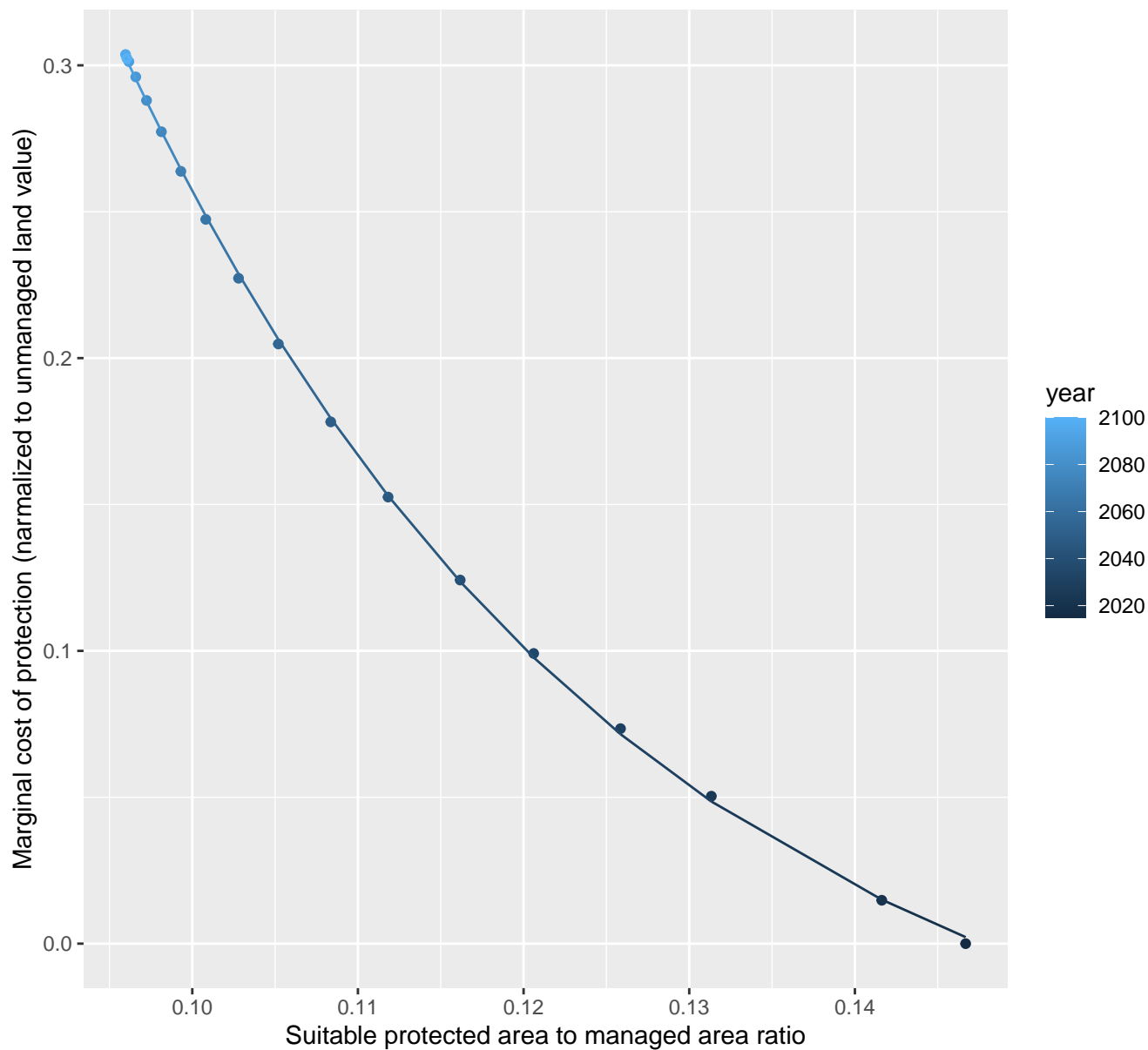
$$y = -0.08 + 386.05 \cdot \exp(-50.54 \cdot x)$$



# 13063 marginal protection cost ratio

nls random pval = 0.00355

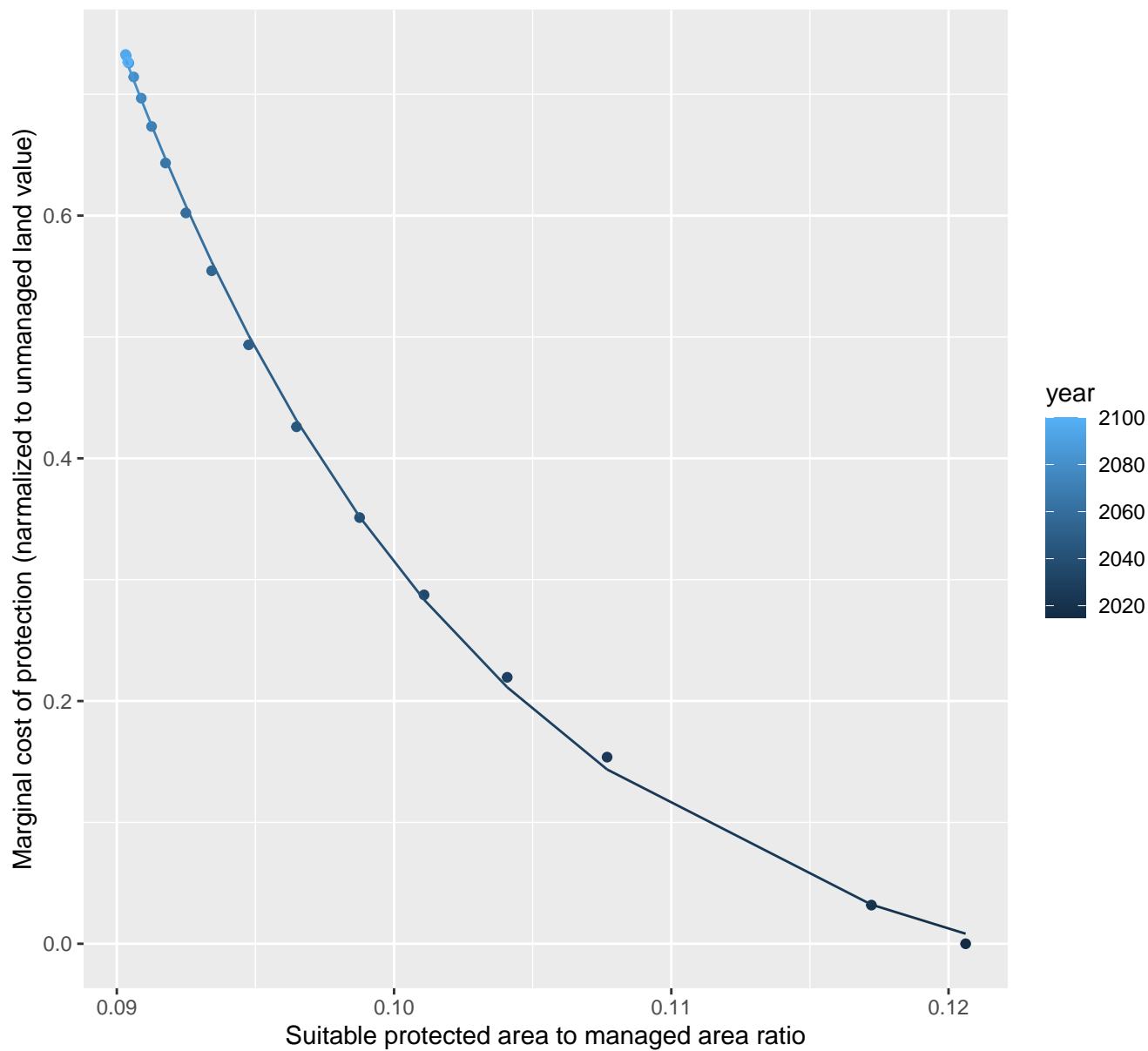
$$y = -0.07 + 8.41 \cdot \exp(-32.49 \cdot x)$$



# 13064 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.07 + 711.74 \cdot \exp(-75.15 \cdot x)$$

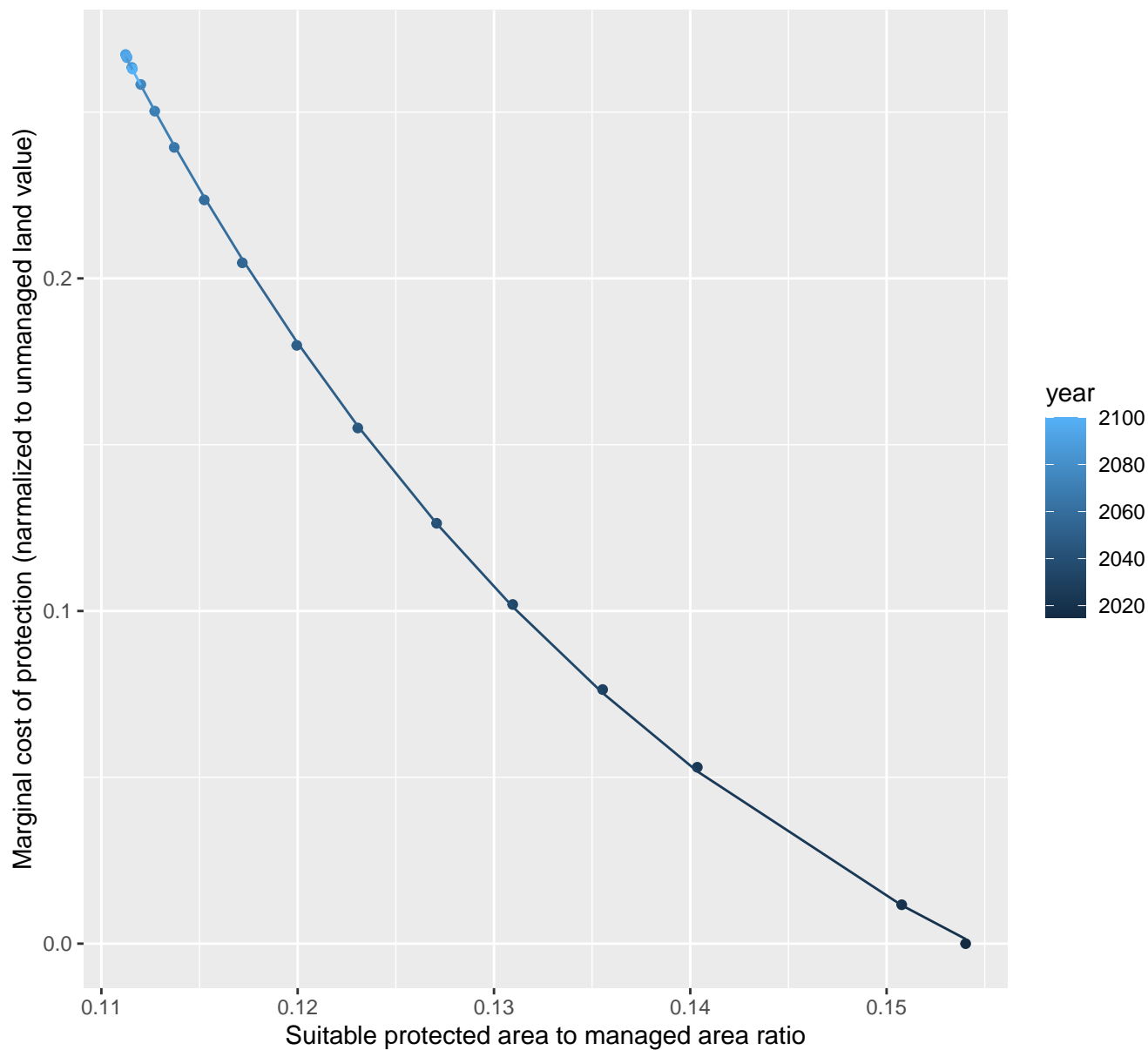




# 13067 marginal protection cost ratio

nls random pval = 0.01512

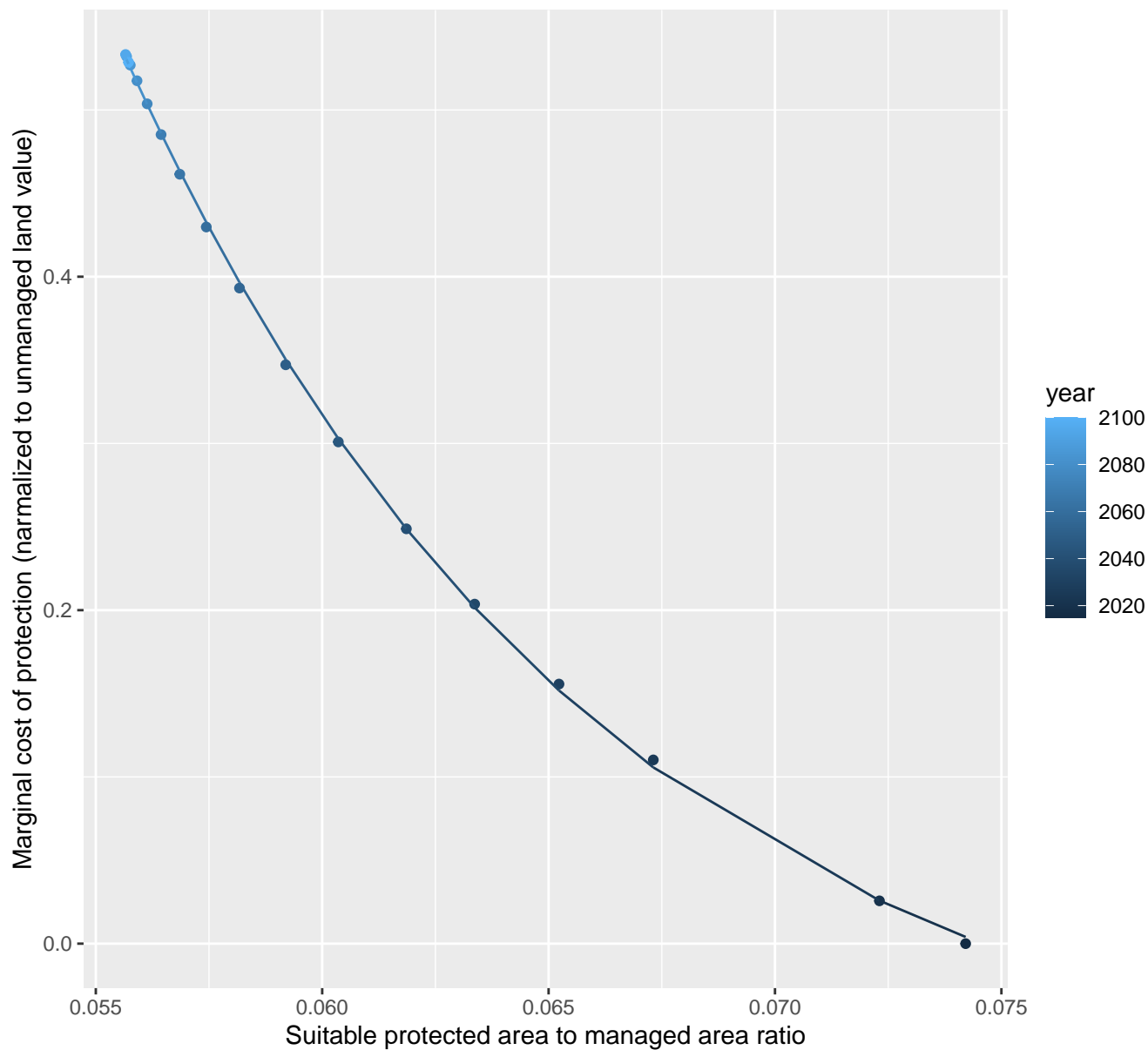
$$y = -0.09 + 11.56 \cdot \exp(-31.18 \cdot x)$$



# 13069 marginal protection cost ratio

nls random pval = 0.00355

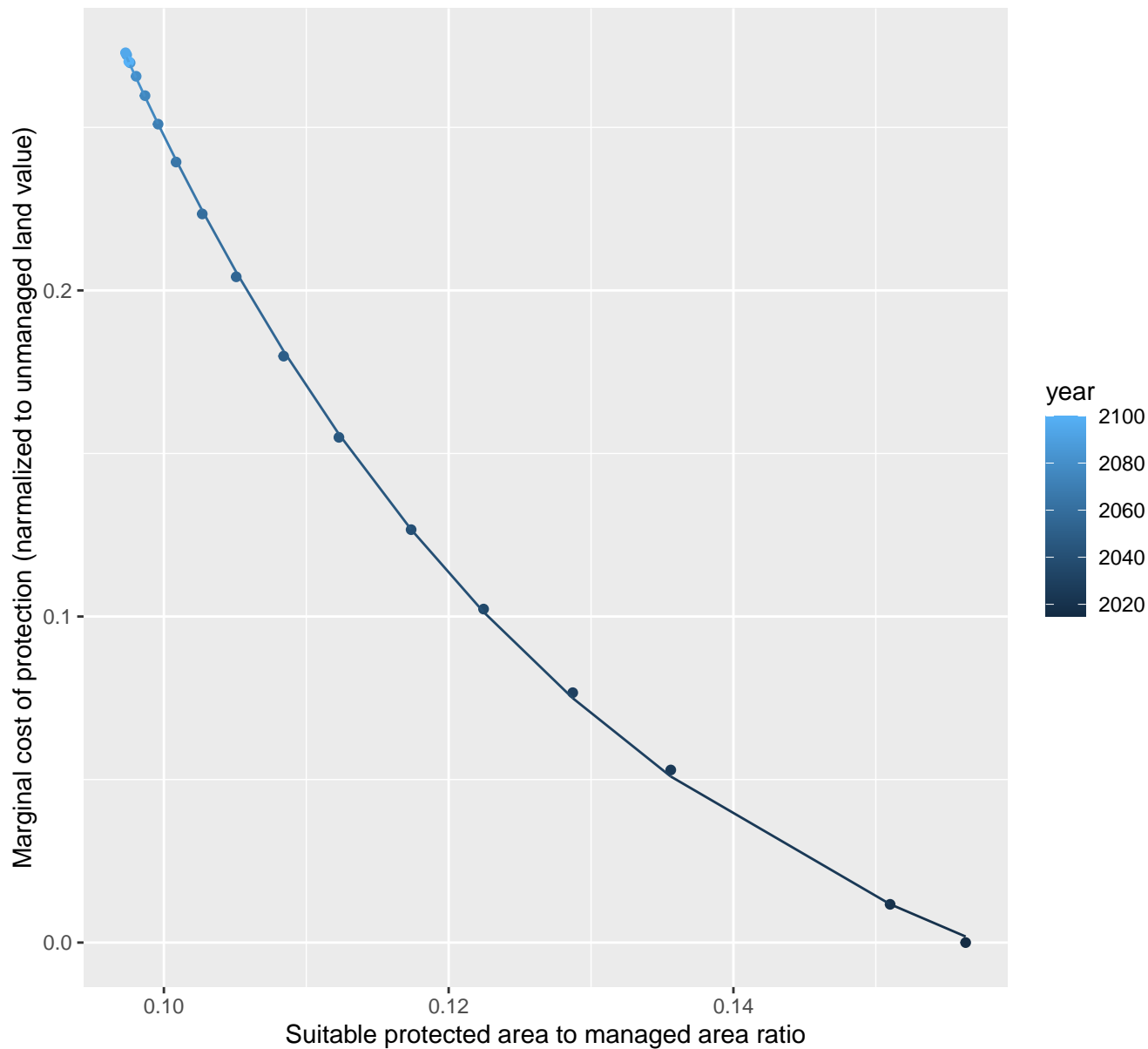
$$y = -0.11 + 121.95 \cdot \exp(-94.37 \cdot x)$$



# 13071 marginal protection cost ratio

nls random pval = 0.00355

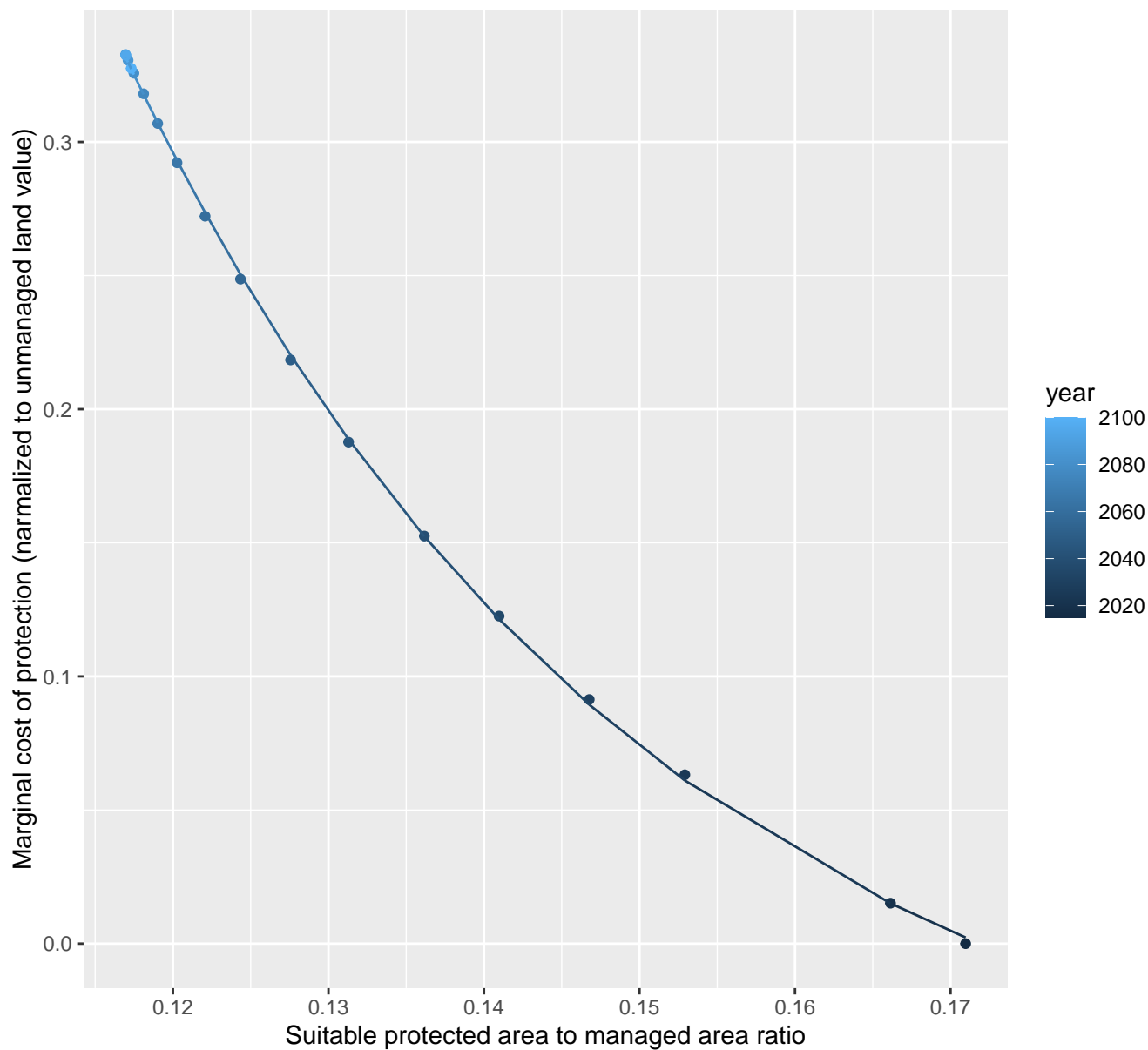
$$y = -0.06 + 5.55 \cdot \exp(-29 \cdot x)$$



# 13073 marginal protection cost ratio

nls random pval = 0.00355

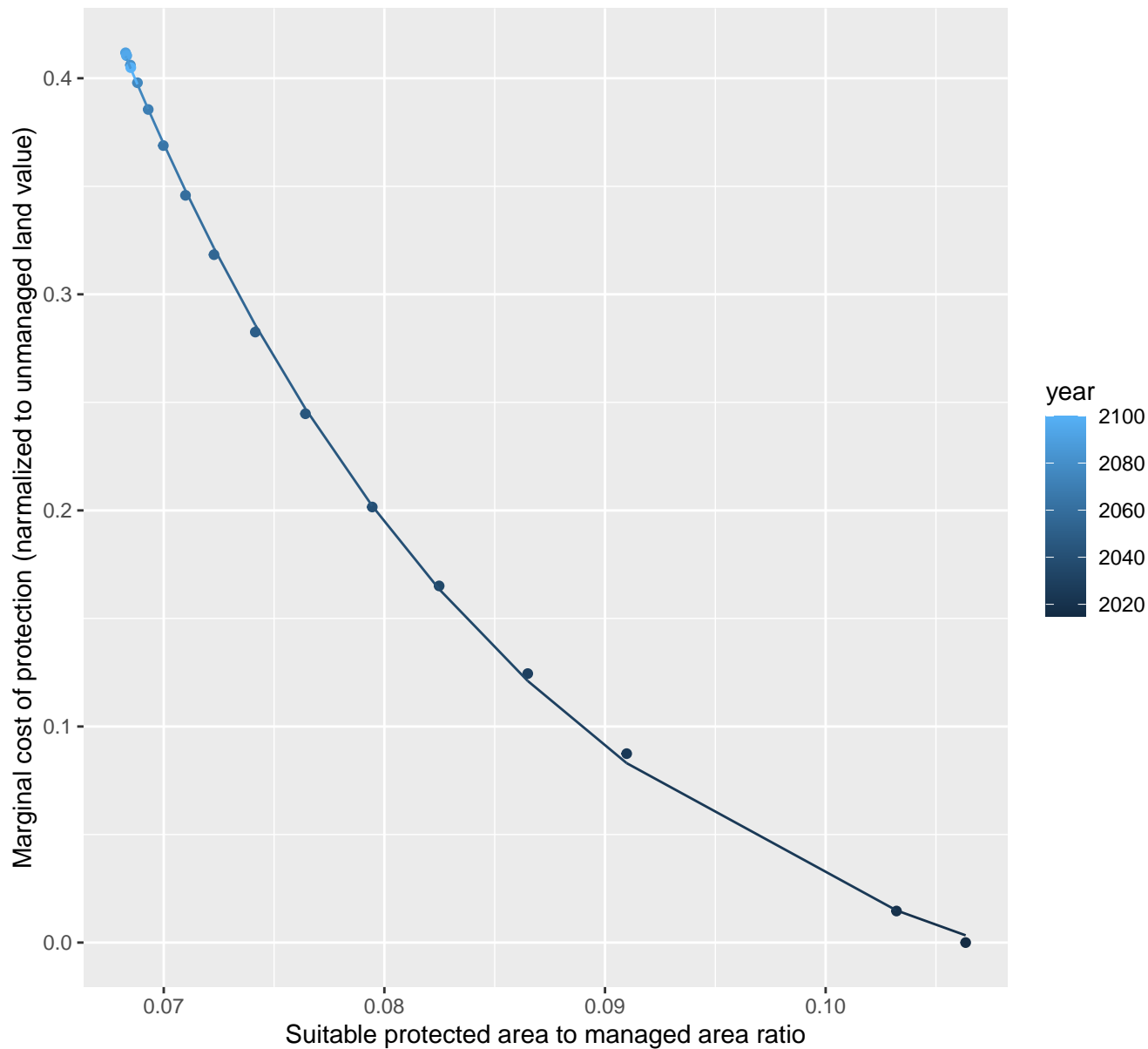
$$y = -0.08 + 13.35 \cdot \exp(-29.74 \cdot x)$$



# 13074 marginal protection cost ratio

nls random pval = 0.00355

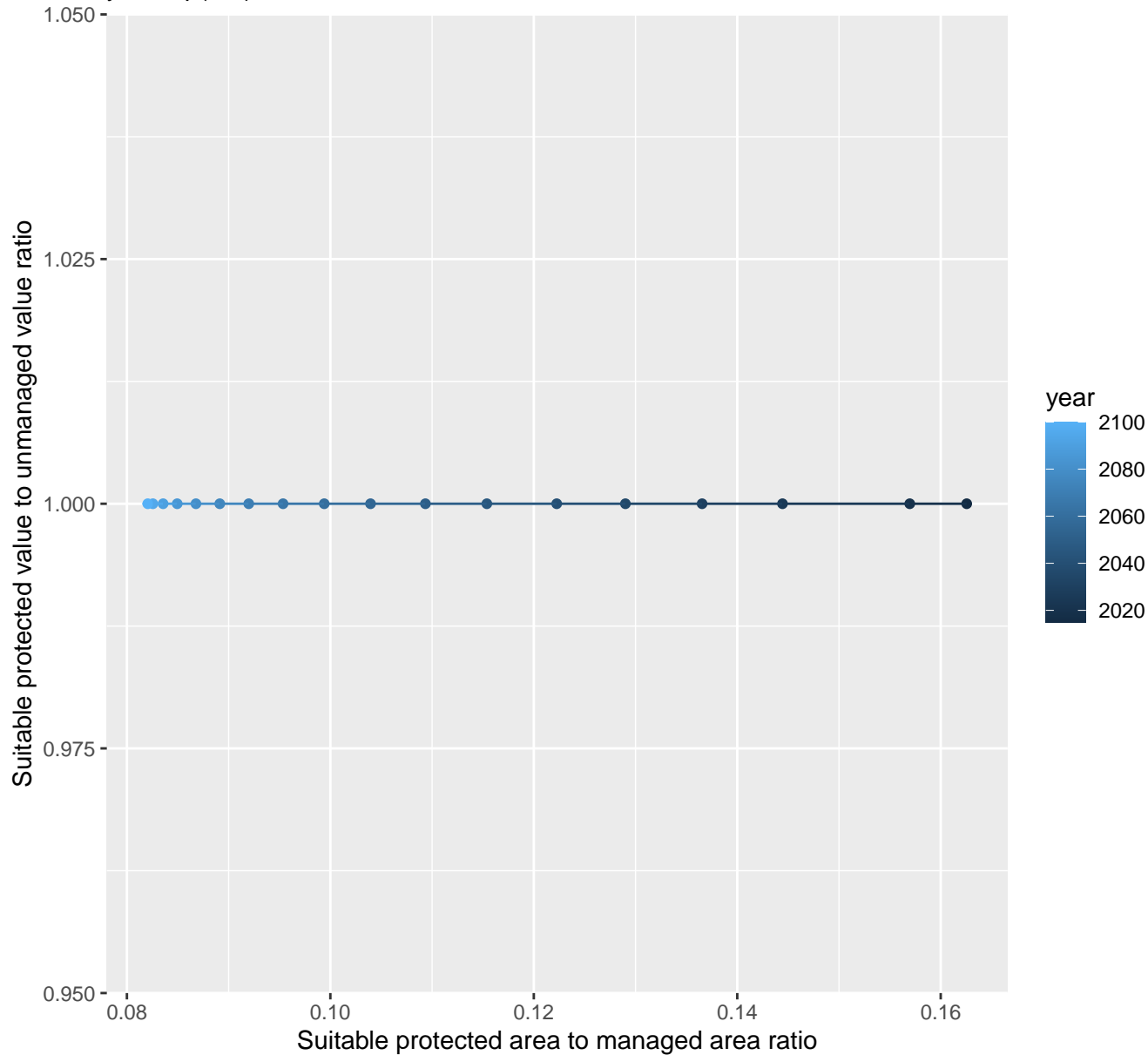
$$y = -0.06 + 16.46 \cdot \exp(-52.02 \cdot x)$$



# 13075 marginal protection cost ratio

linear-log(y) r2 = NaN pval = NaN random pval = NaN

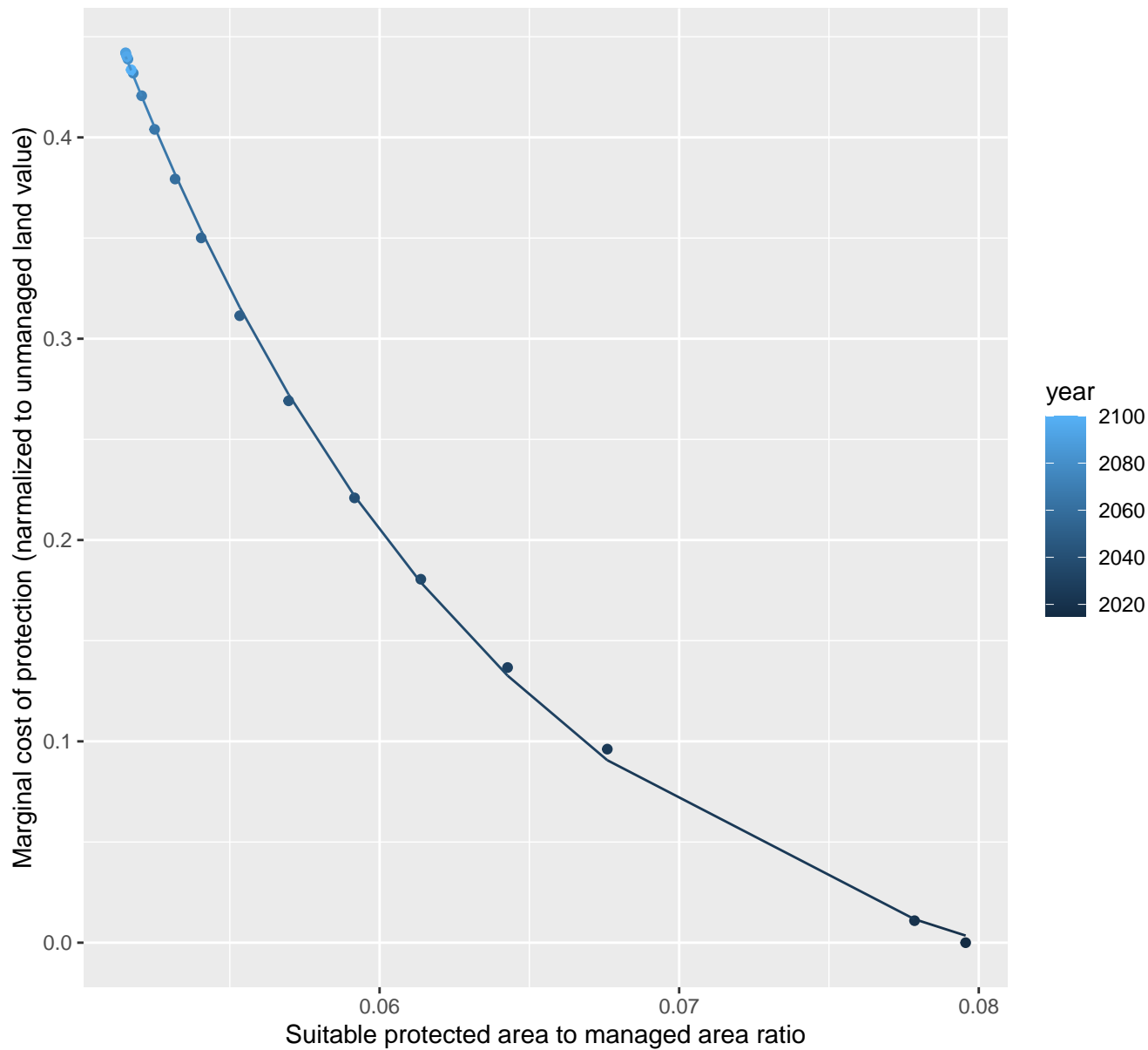
$$y=1*\exp(0*x)$$



# 13081 marginal protection cost ratio

nls random pval = 0.00355

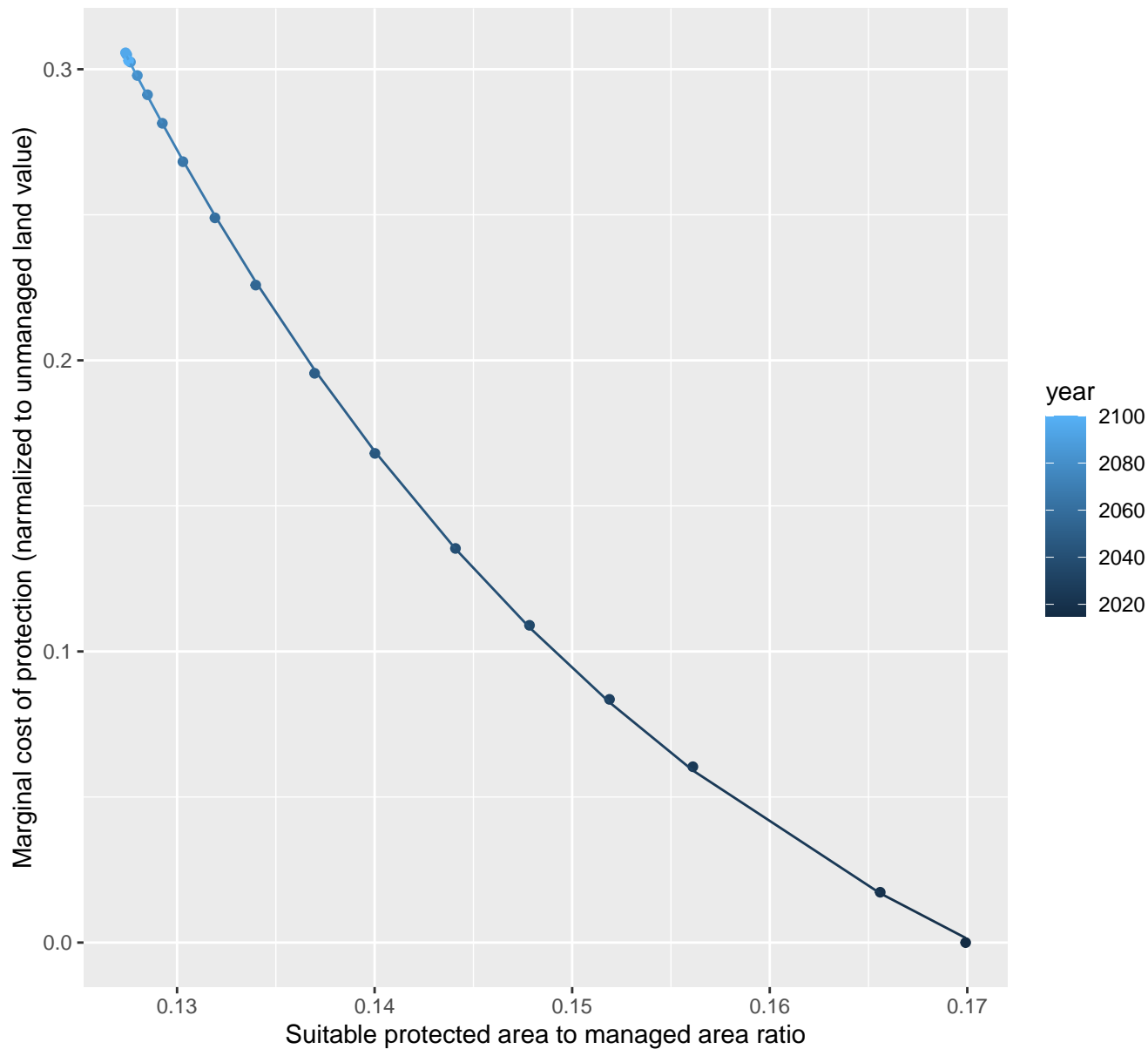
$$y = -0.06 + 24.93 \cdot \exp(-76.05 \cdot x)$$



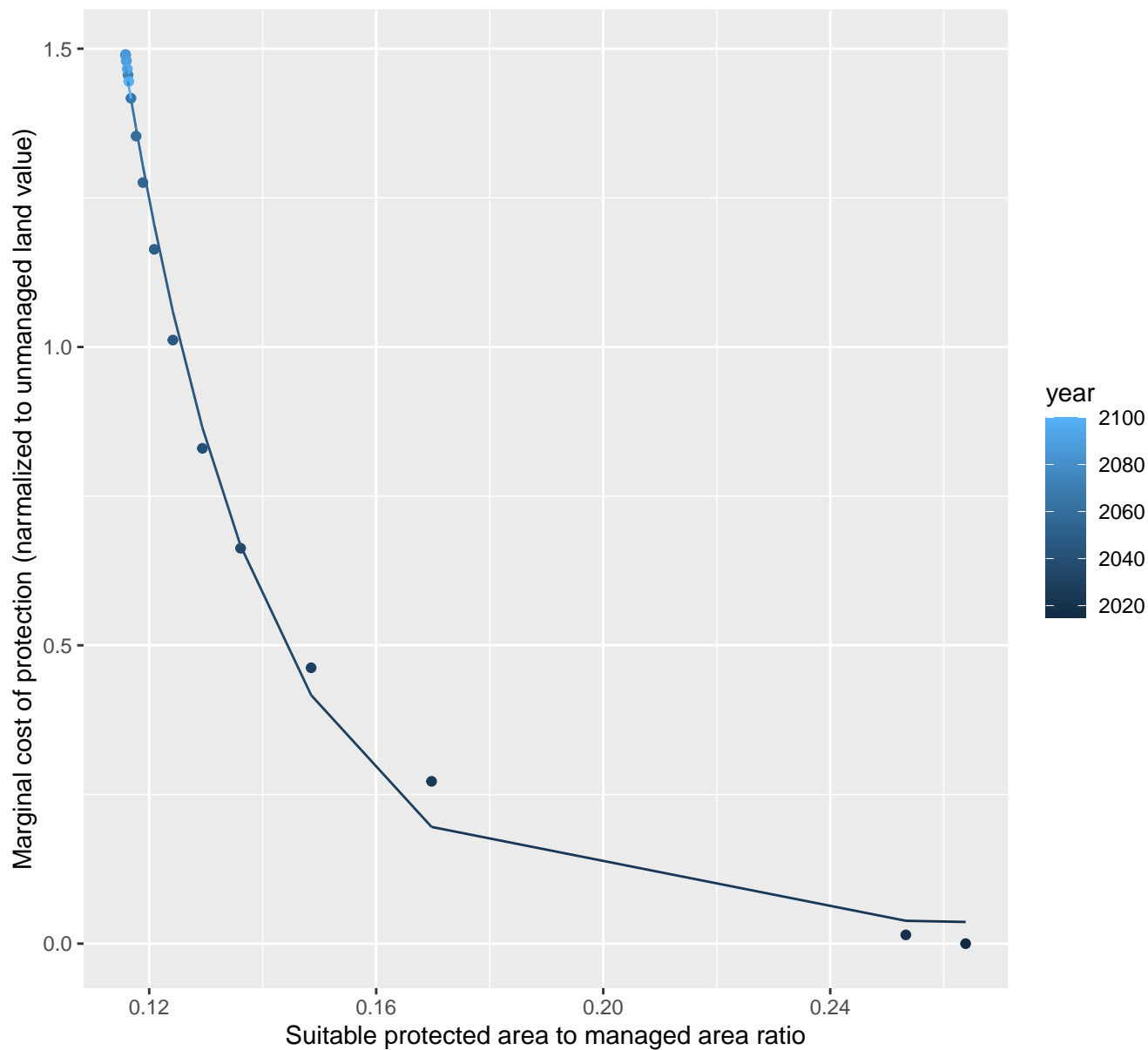
# 13083 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.1 + 25.81 \cdot \exp(-32.62 \cdot x)$$



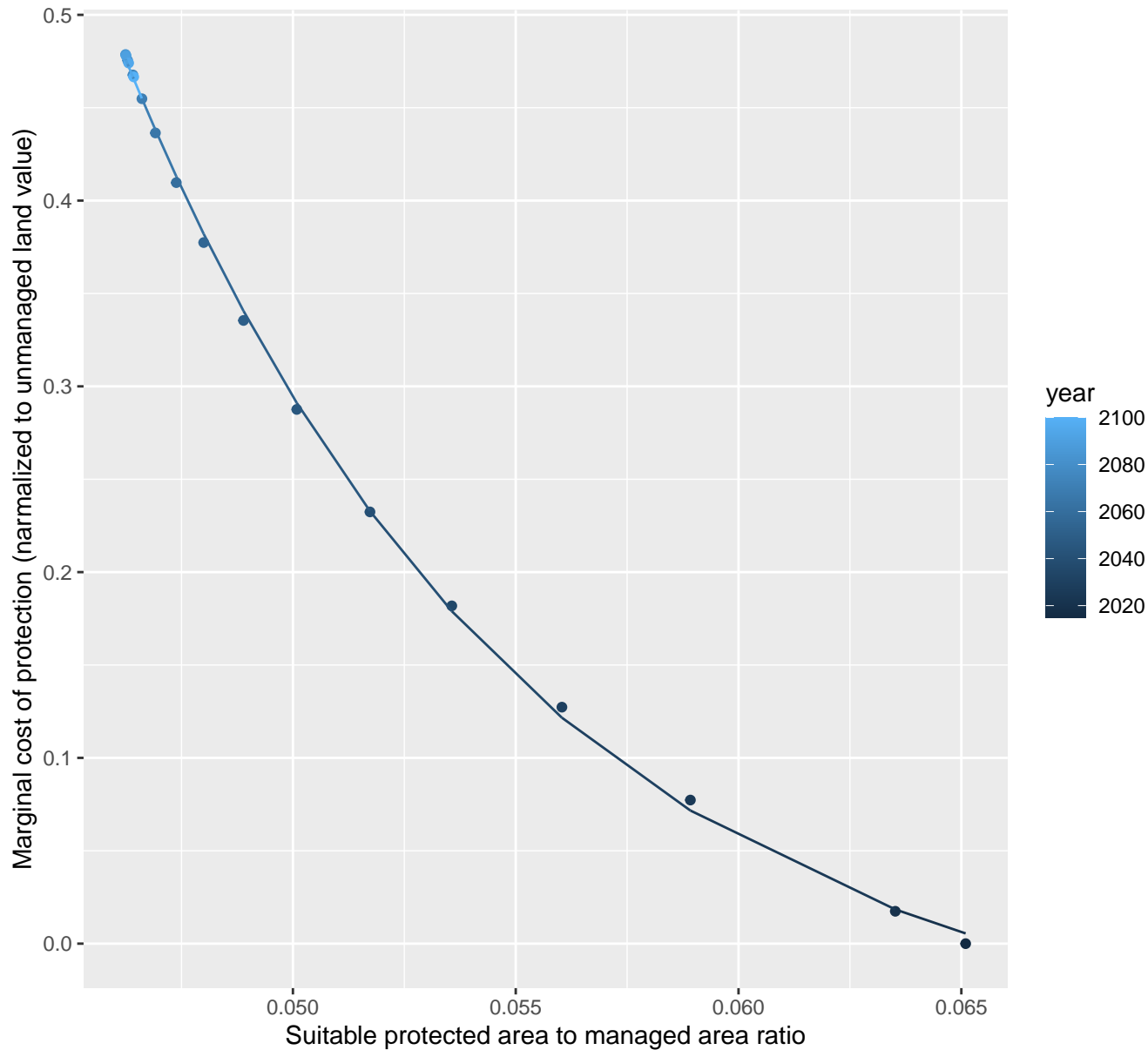


$$y = 0.03 + 154.62 \cdot \exp(-40.38 \cdot x)$$


# 14025 marginal protection cost ratio

nls random pval = 0.00355

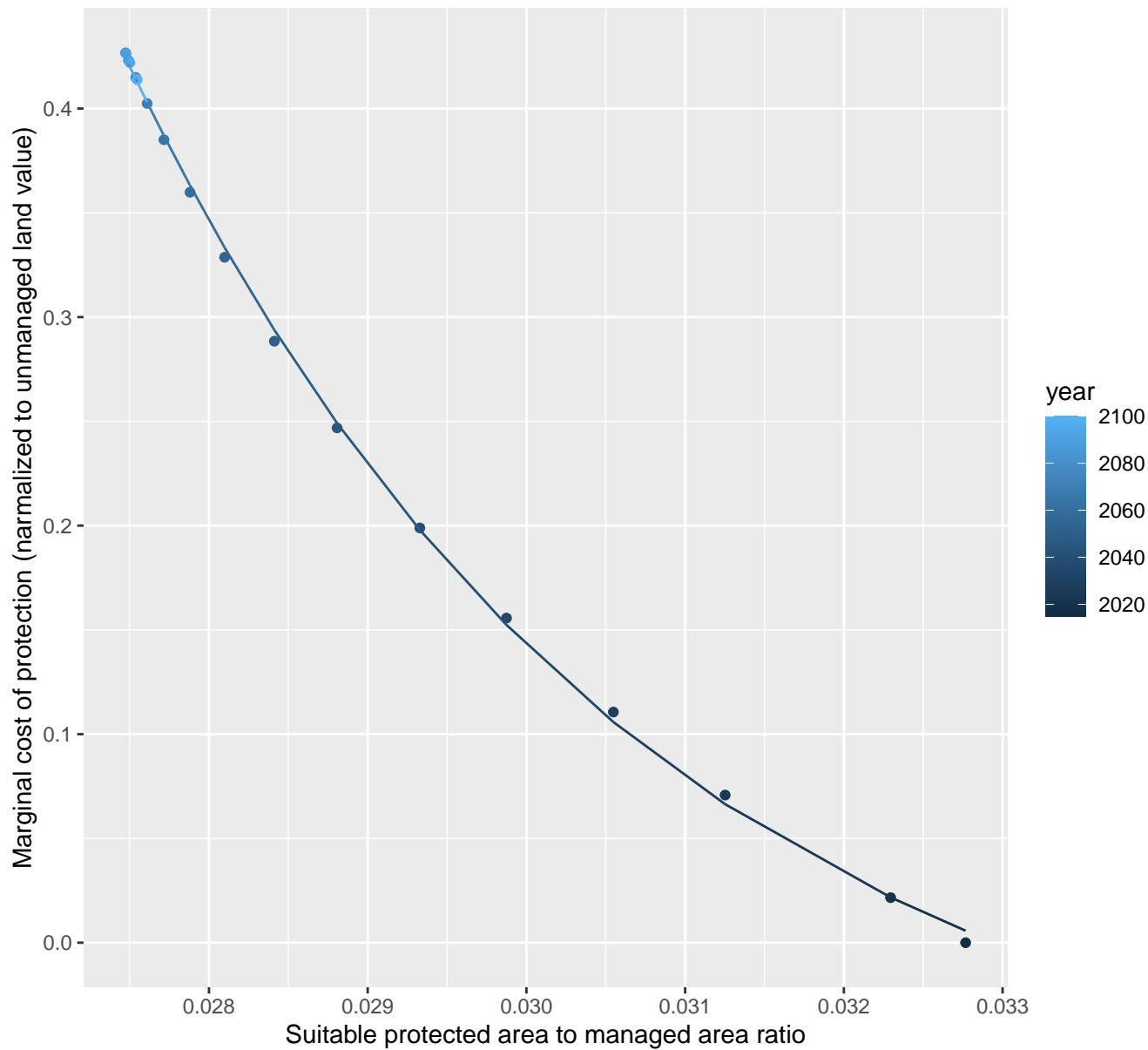
$$y = -0.06 + 85.14 \cdot \exp(-109.46 \cdot x)$$



# 14030 marginal protection cost ratio

nls random pval = 0.00355

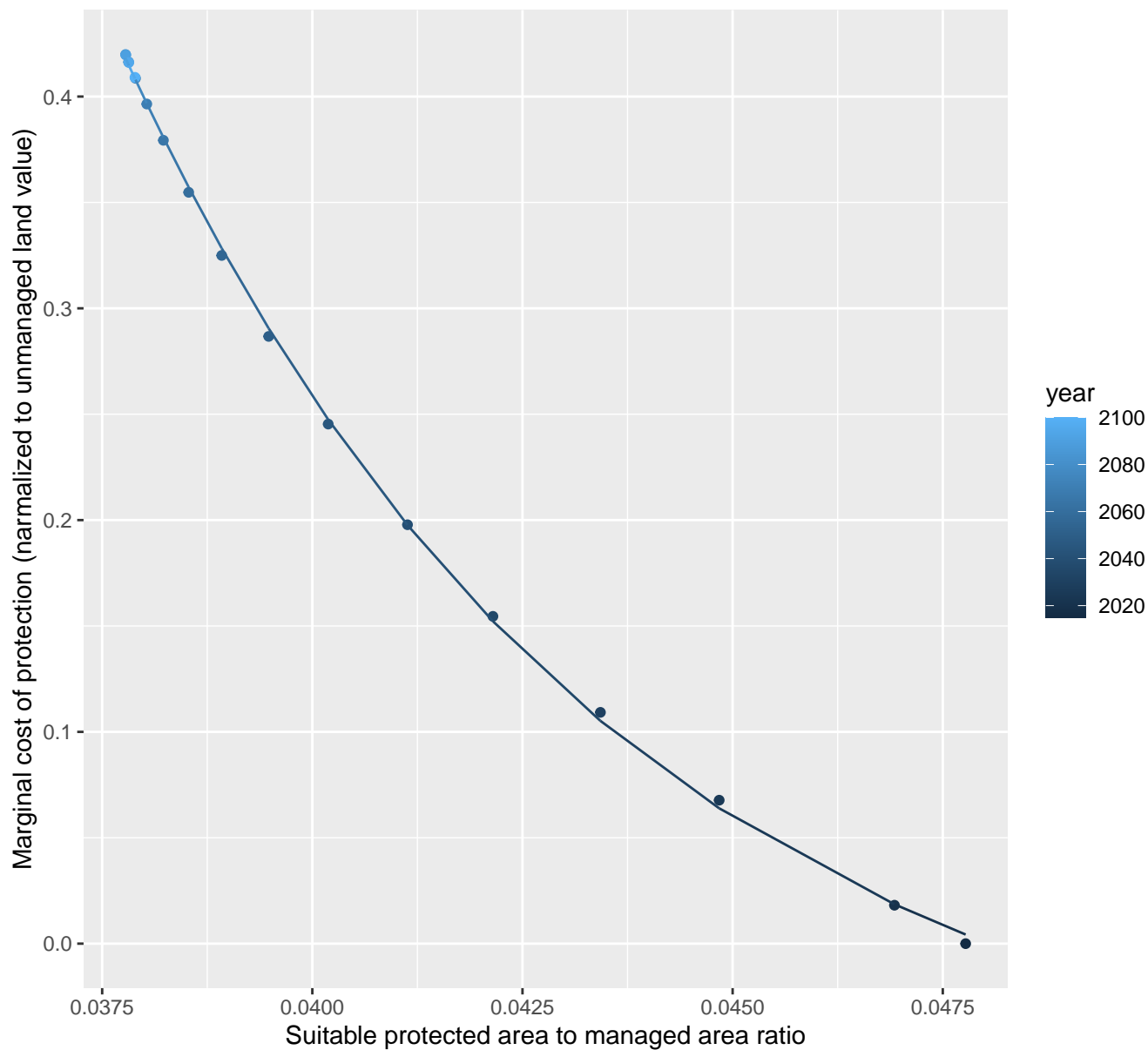
$$y = -0.1 + 2453.22 \cdot \exp(-307.84 \cdot x)$$



# 14035 marginal protection cost ratio

nls random pval = 0.00355

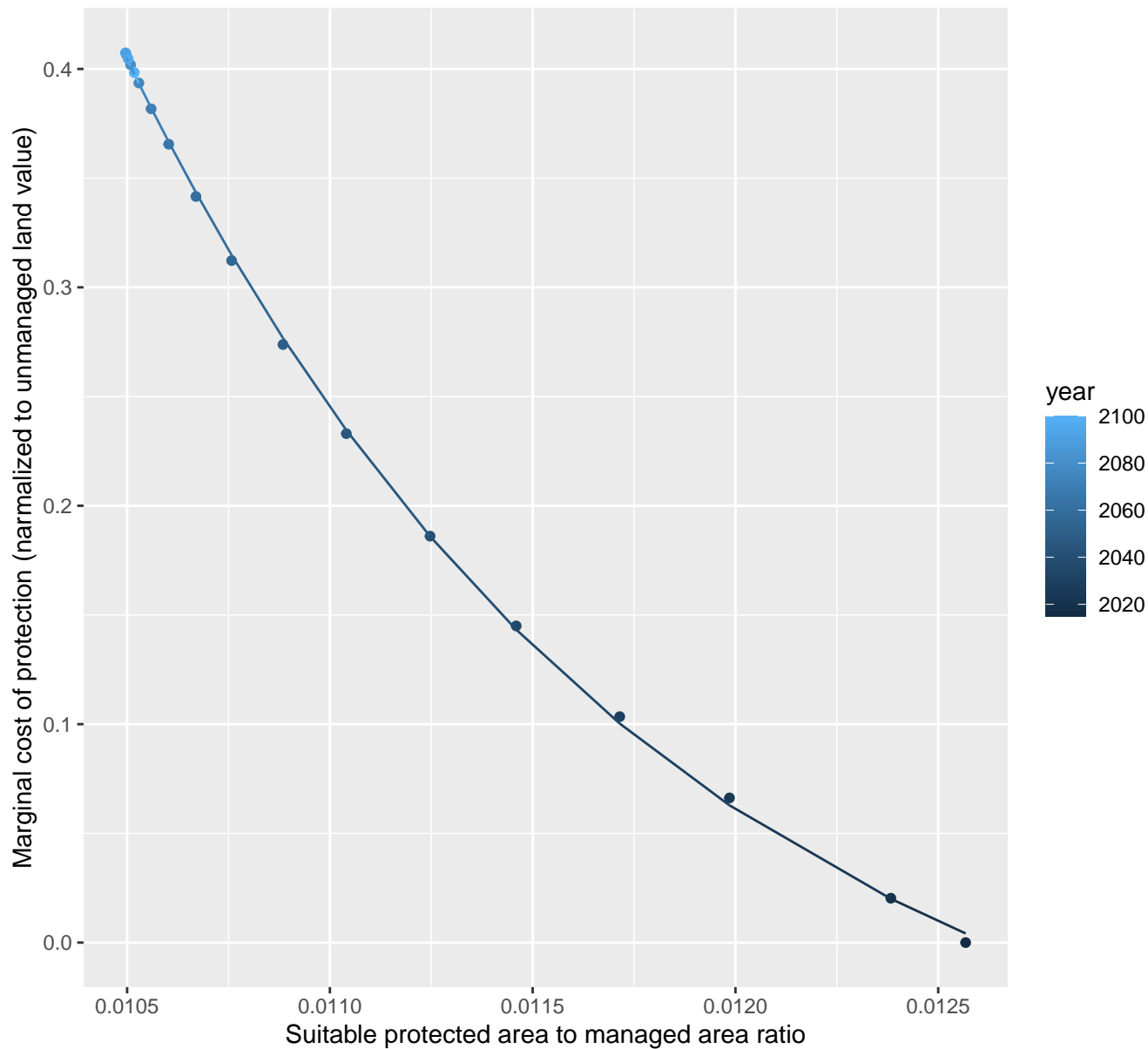
$$y = -0.09 + 320.69 \cdot \exp(-170.81 \cdot x)$$



# 14039 marginal protection cost ratio

nls random pval = 0.00355

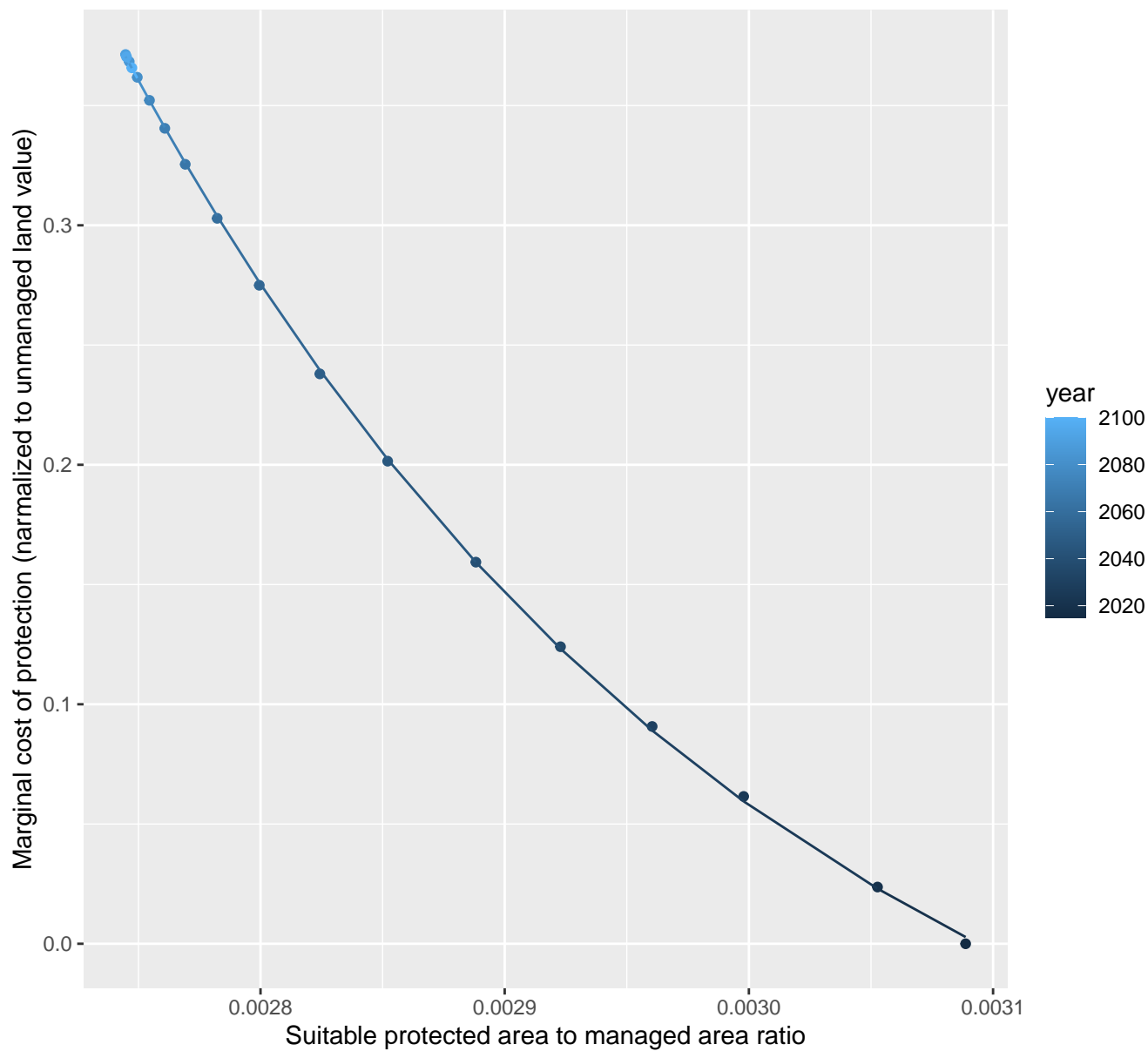
$$y = -0.1 + 1409.35 \cdot \exp(-755.36 \cdot x)$$



14047 marginal protection cost ratio

nls random pval = 0.00355

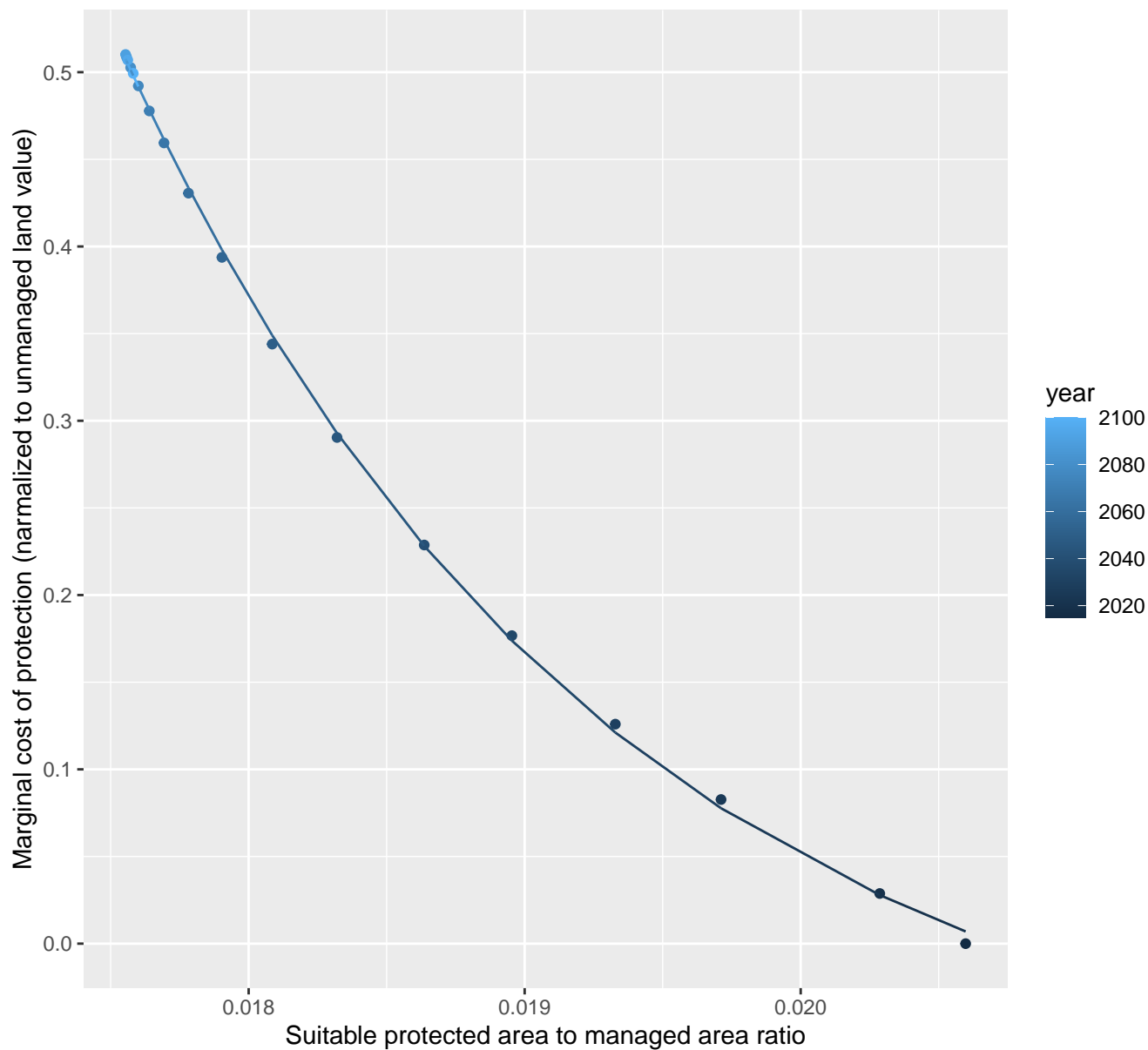
$y = -0.14 + 15263.85 \cdot \exp(-3757.32 \cdot x)$



# 14049 marginal protection cost ratio

nls random pval = 0.00355

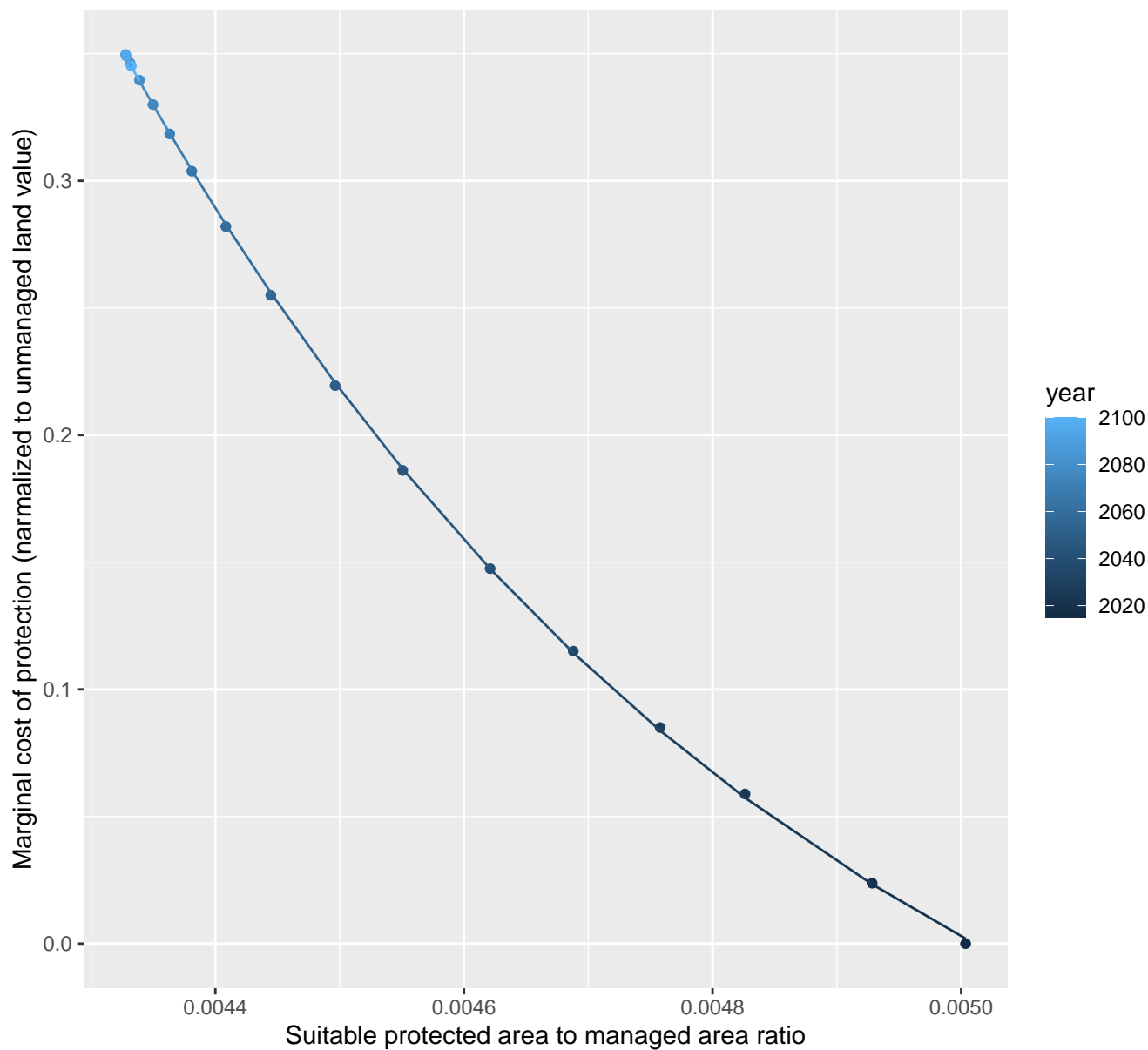
$$y = -0.1 + 12984.94 \cdot \exp(-567.85 \cdot x)$$



14053 marginal protection cost ratio

nls random pval = 0.00355

$y = -0.15 + 1087.07 \cdot \exp(-1777.24 \cdot x)$

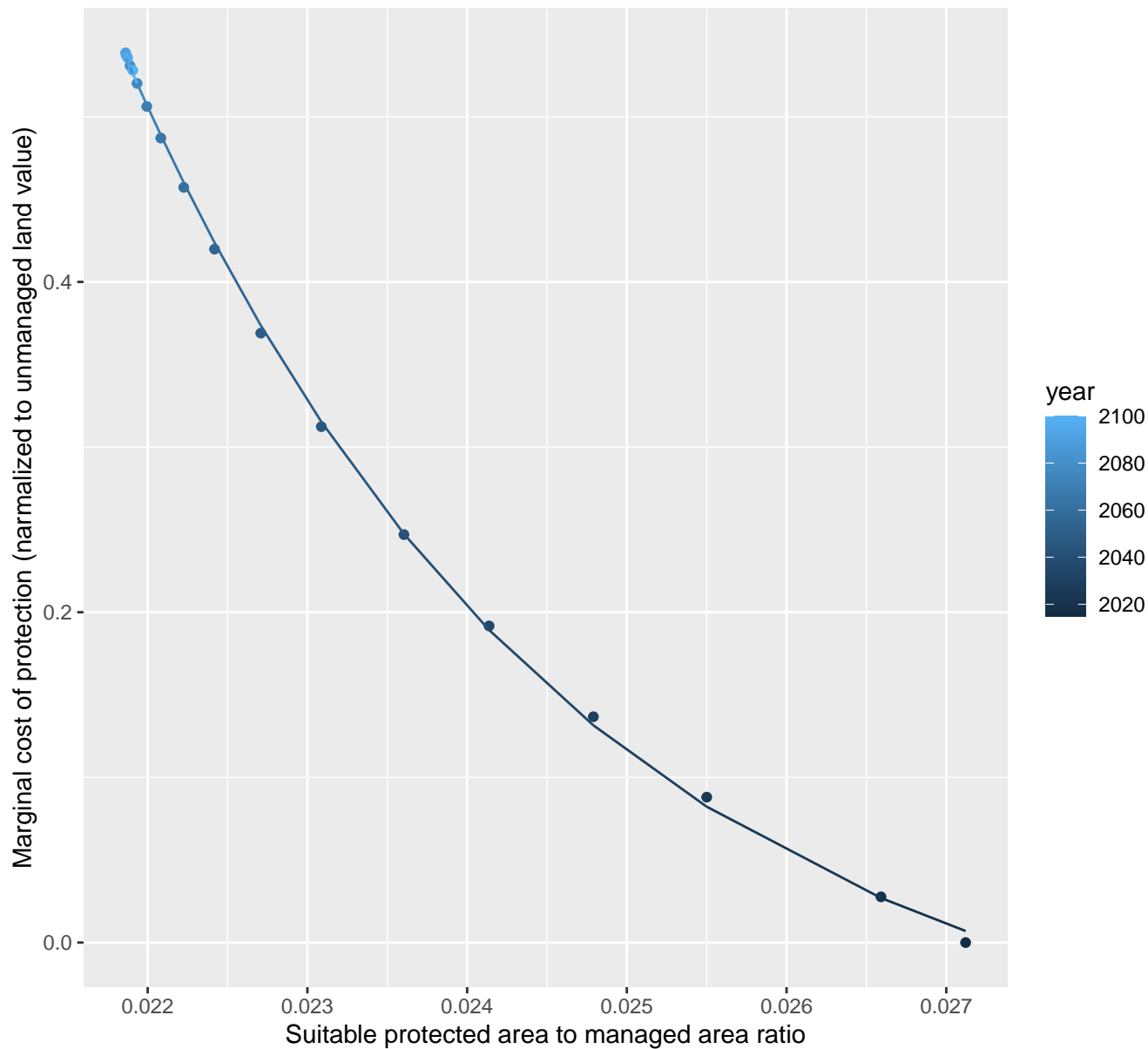




# 14054 marginal protection cost ratio

nls random pval = 0.00355

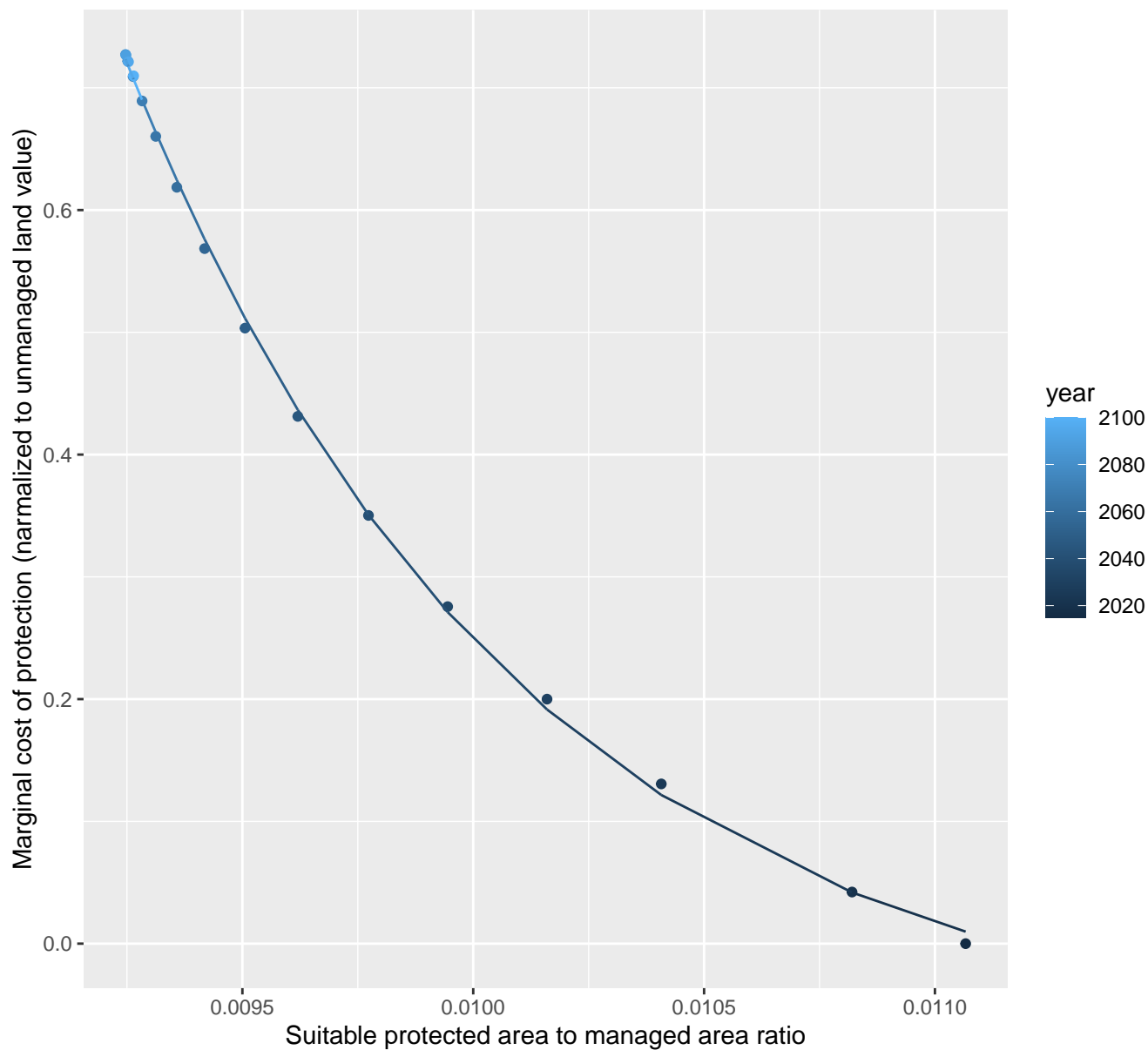
$$y = -0.09 + 1464.05 \cdot \exp(-354.85 \cdot x)$$



# 15054 marginal protection cost ratio

nls random pval = 0.00355

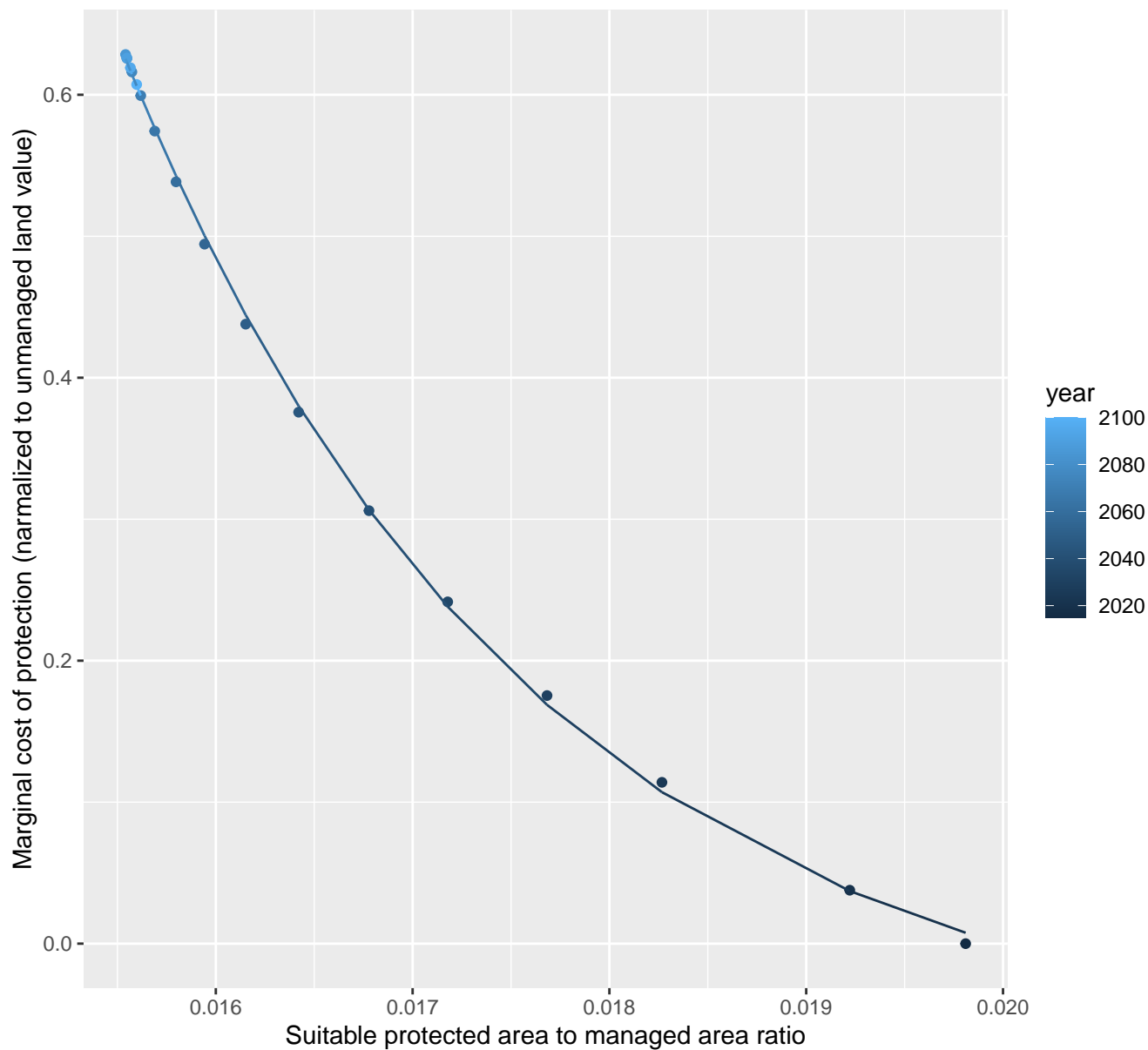
$$y = -0.09 + 41432.08 \cdot \exp(-1172.64 \cdot x)$$



# 15055 marginal protection cost ratio

nls random pval = 0.00355

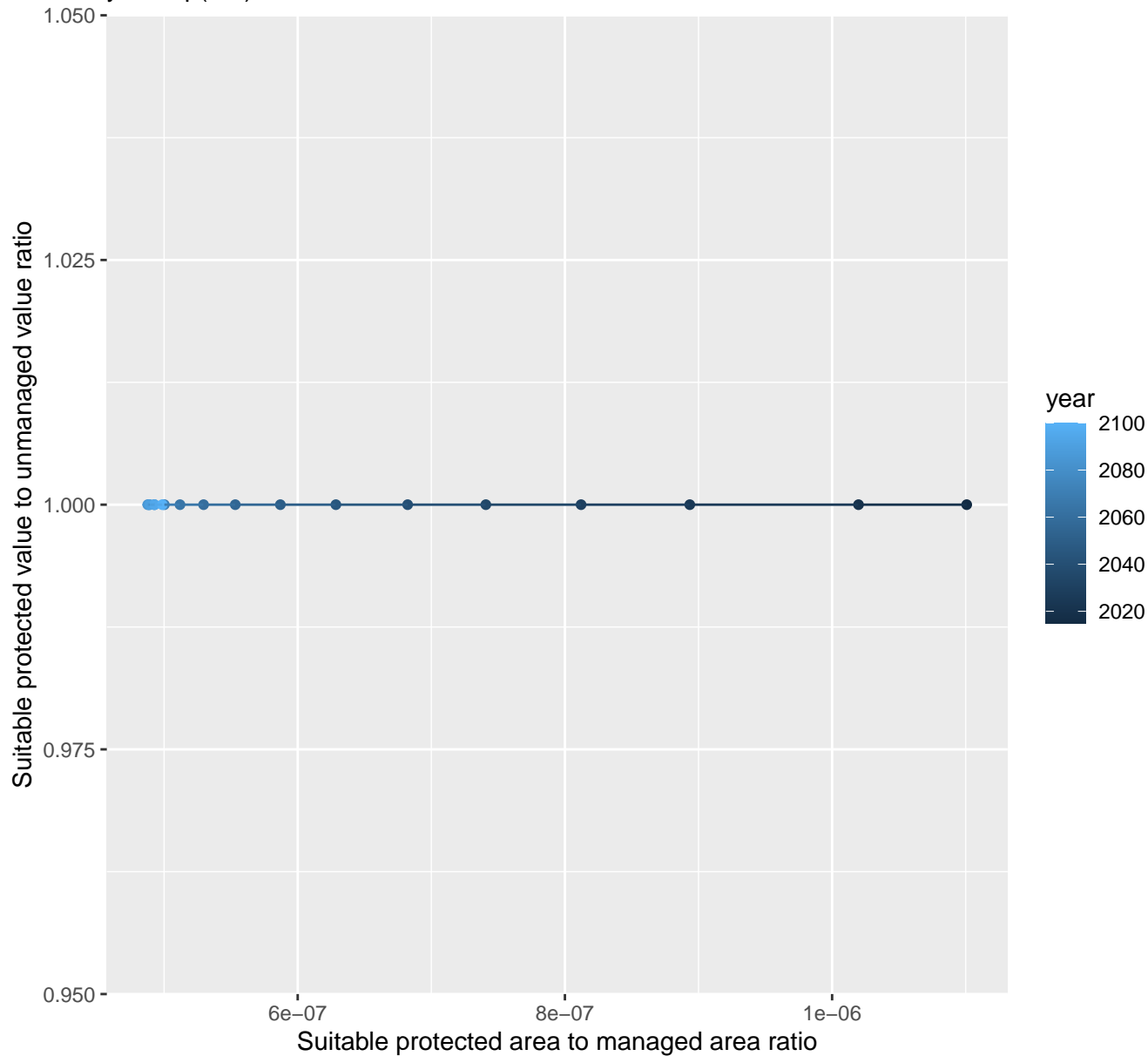
$$y = -0.08 + 1318.41 \cdot \exp(-484.57 \cdot x)$$



# 15070 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00454$   $pval = 0.79061$  random  $pval = 0.02927$

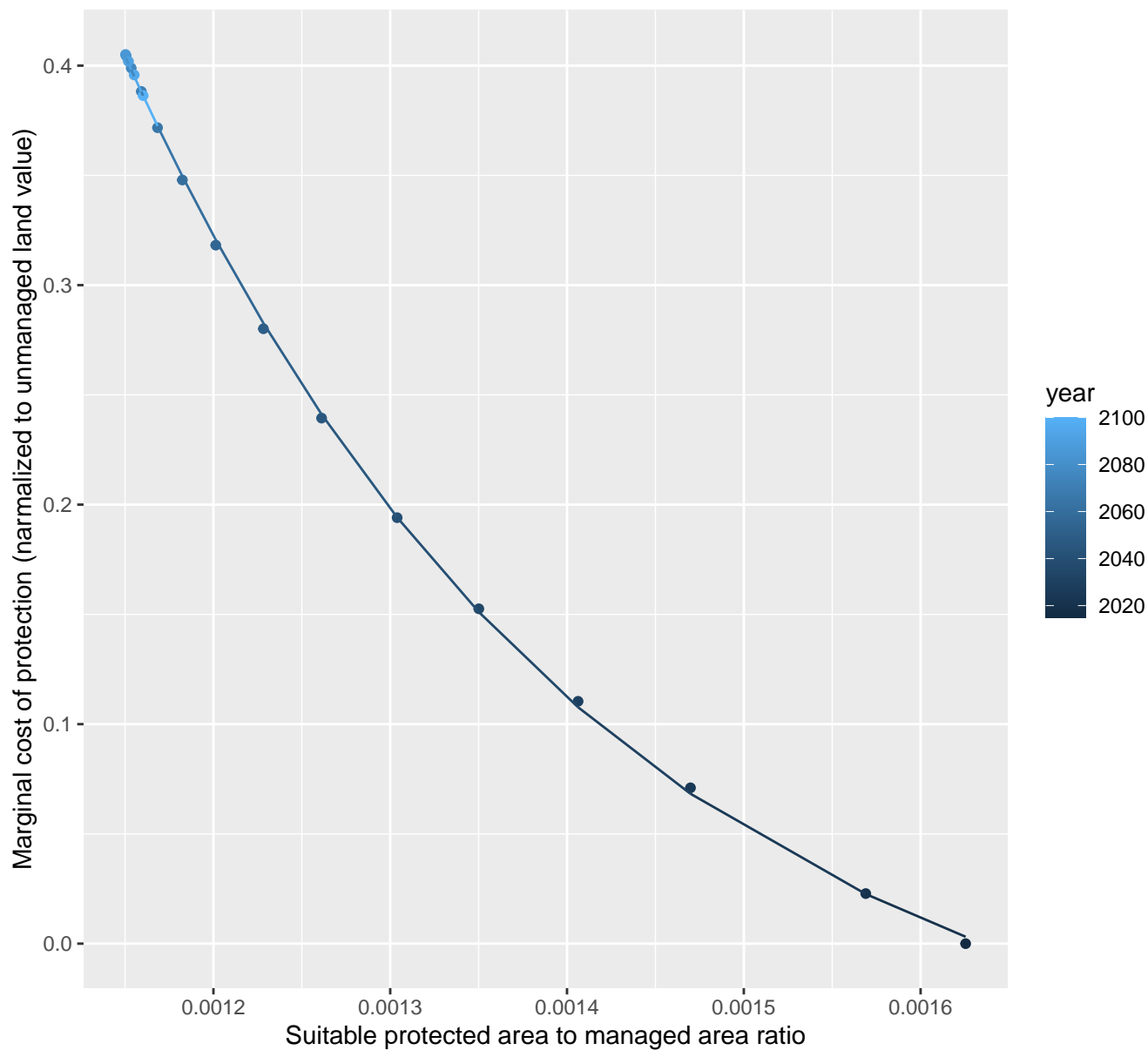
$$y = 1 * \exp(0 * x)$$



# 15072 marginal protection cost ratio

nls random pval = 0.01512

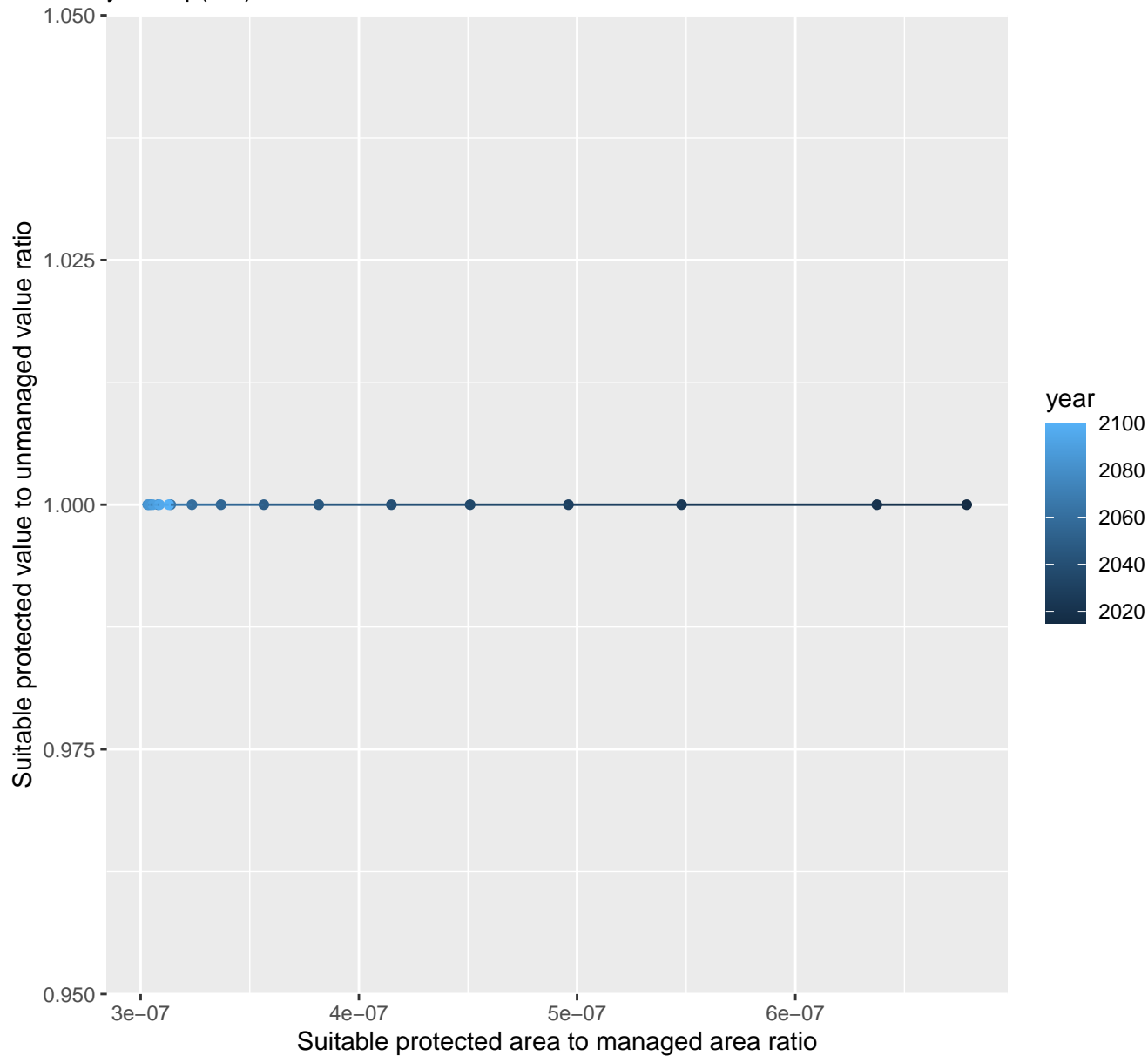
$$y = -0.08 + 33.69 \cdot \exp(-3687.31 \cdot x)$$



# 15075 marginal protection cost ratio

linear-log(y)  $r^2 = 0.43962$   $pval = 0.00271$  random  $pval = 0.28009$

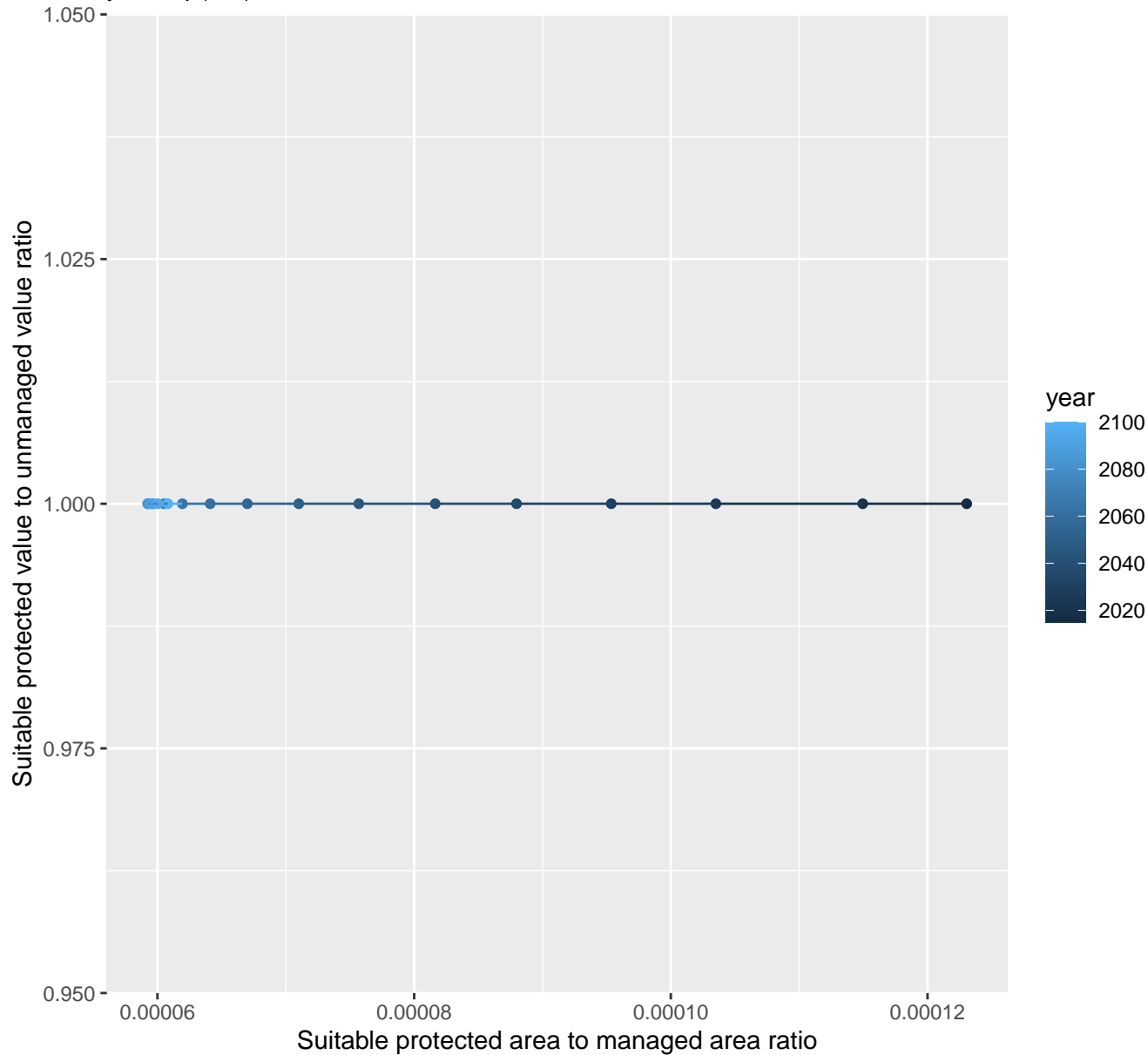
$$y = 1 * \exp(0 * x)$$



# 15084 marginal protection cost ratio

linear-log(y)  $r^2 = 0.04001$   $p\text{val} = 0.42613$  random  $p\text{val} = 0.17253$

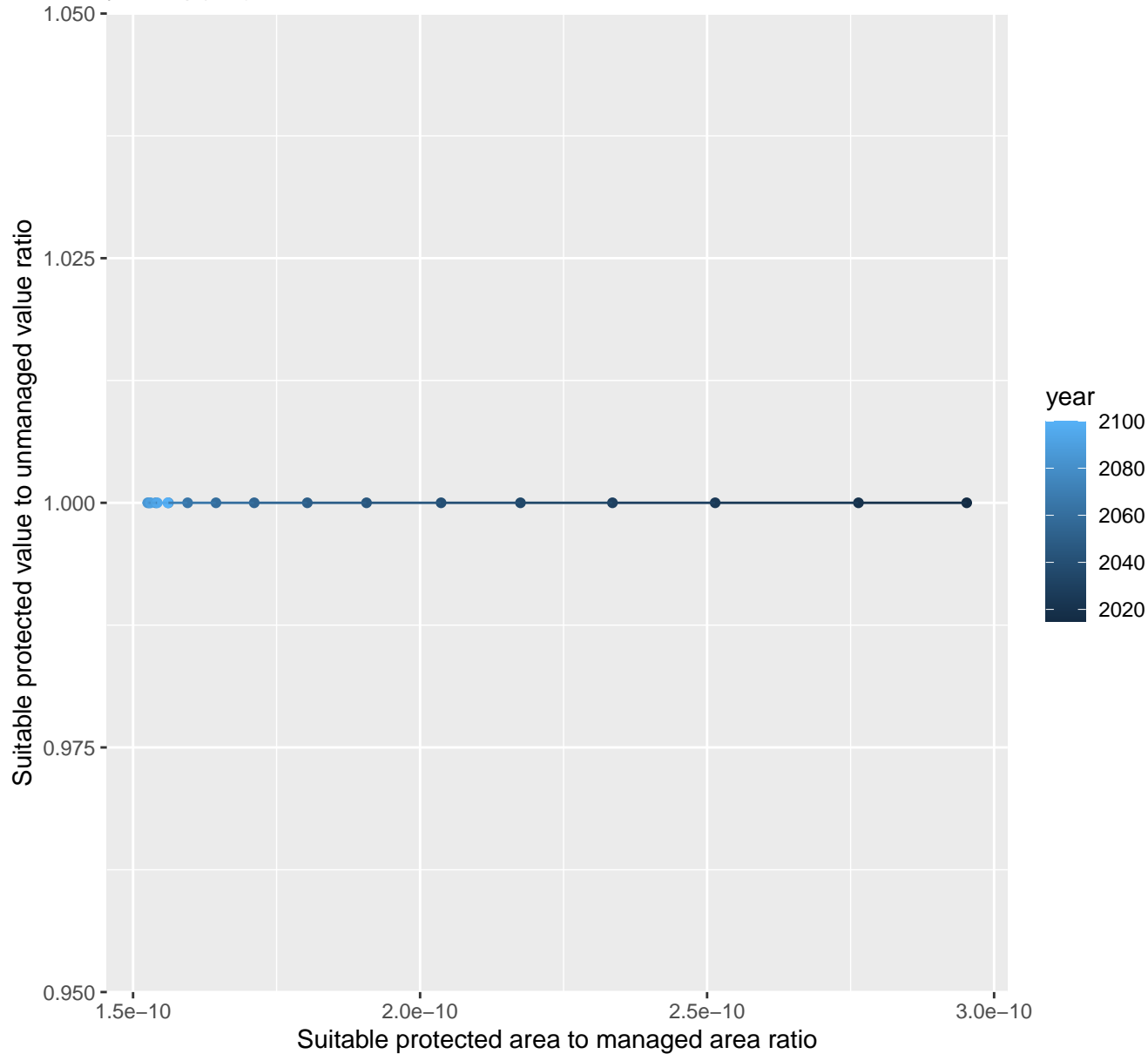
$$y = 1 * \exp(0 * x)$$



# 15099 marginal protection cost ratio

linear-log(y) r2 = NaN pval = NaN random pval = NaN

$$y=1*\exp(0*x)$$

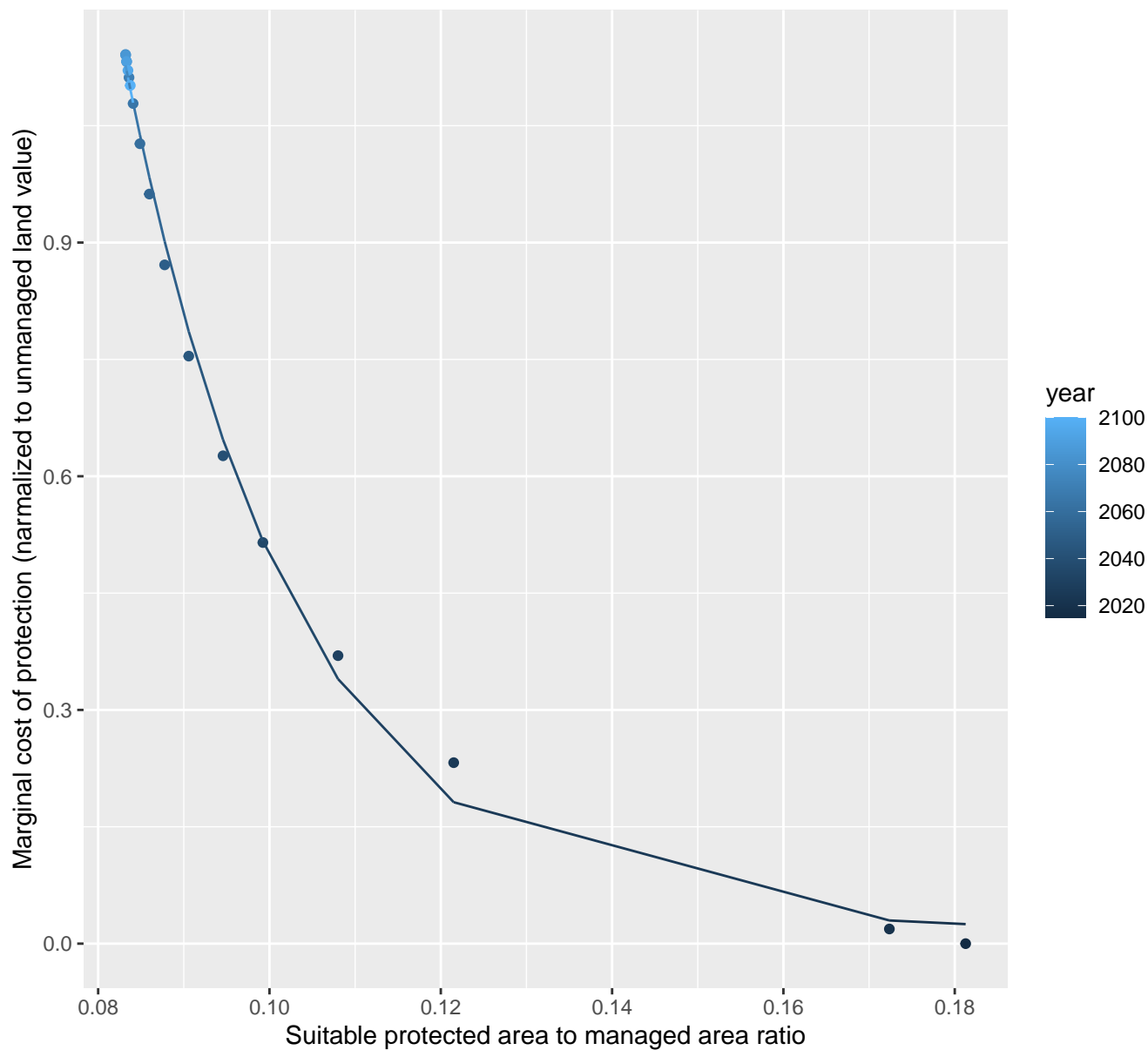




# 16008 marginal protection cost ratio

nls random pval = 0.00355

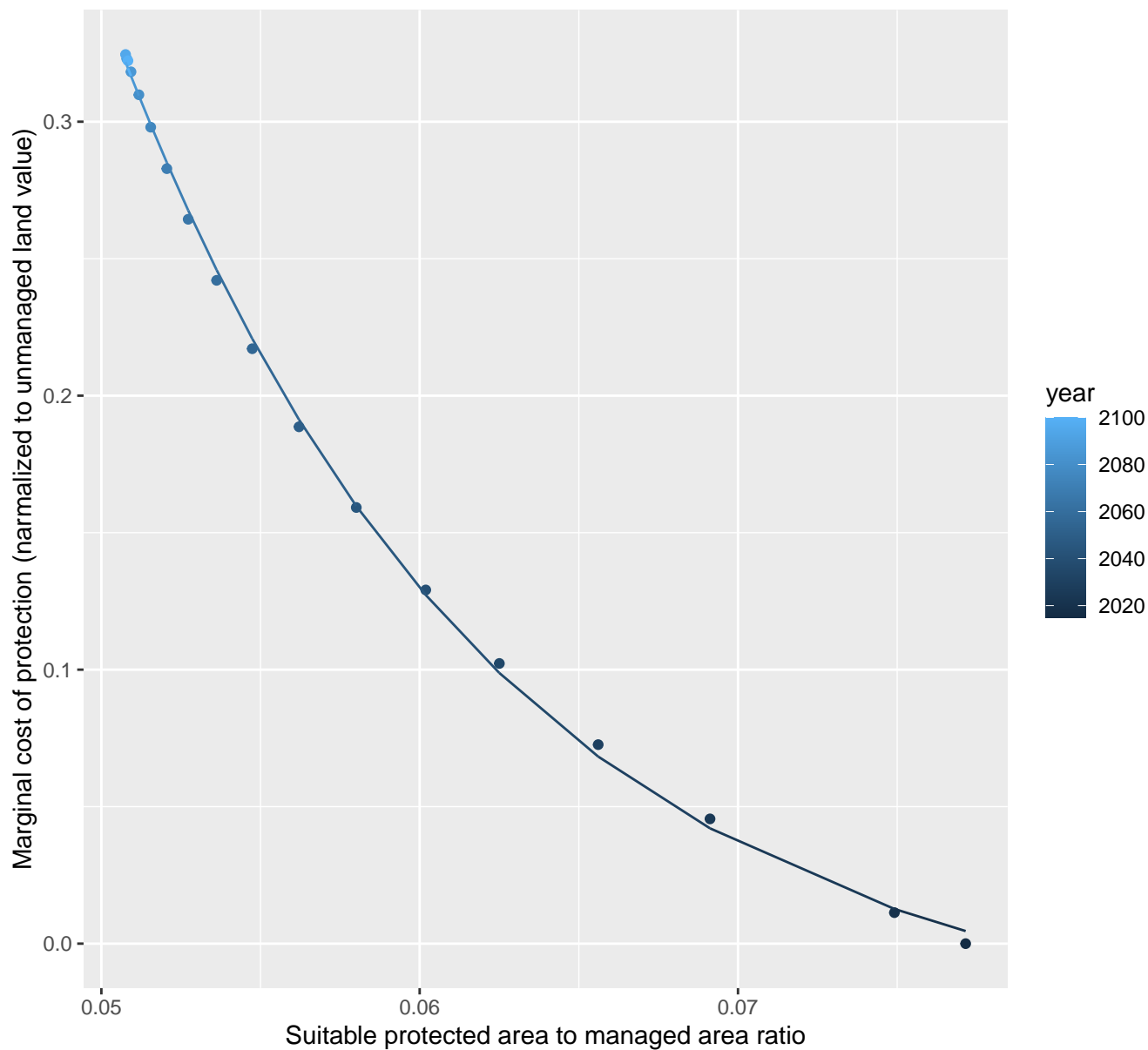
$$y=0.02+69.89*\exp(-49.79*x)$$



# 16011 marginal protection cost ratio

nls random pval = 0.00355

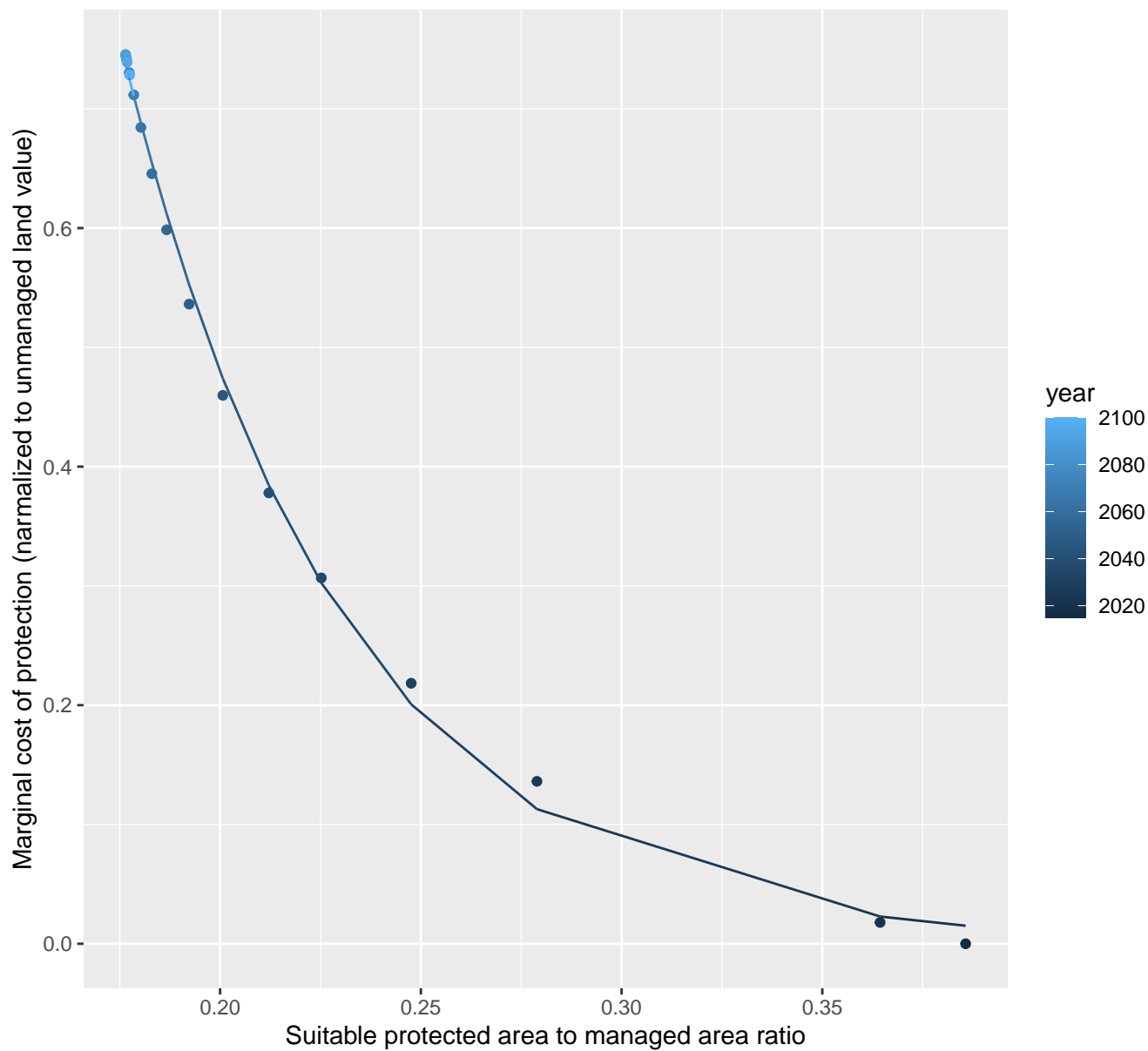
$$y = -0.03 + 24.97 \cdot \exp(-83.72 \cdot x)$$



# 16012 marginal protection cost ratio

nls random pval = 0.00355

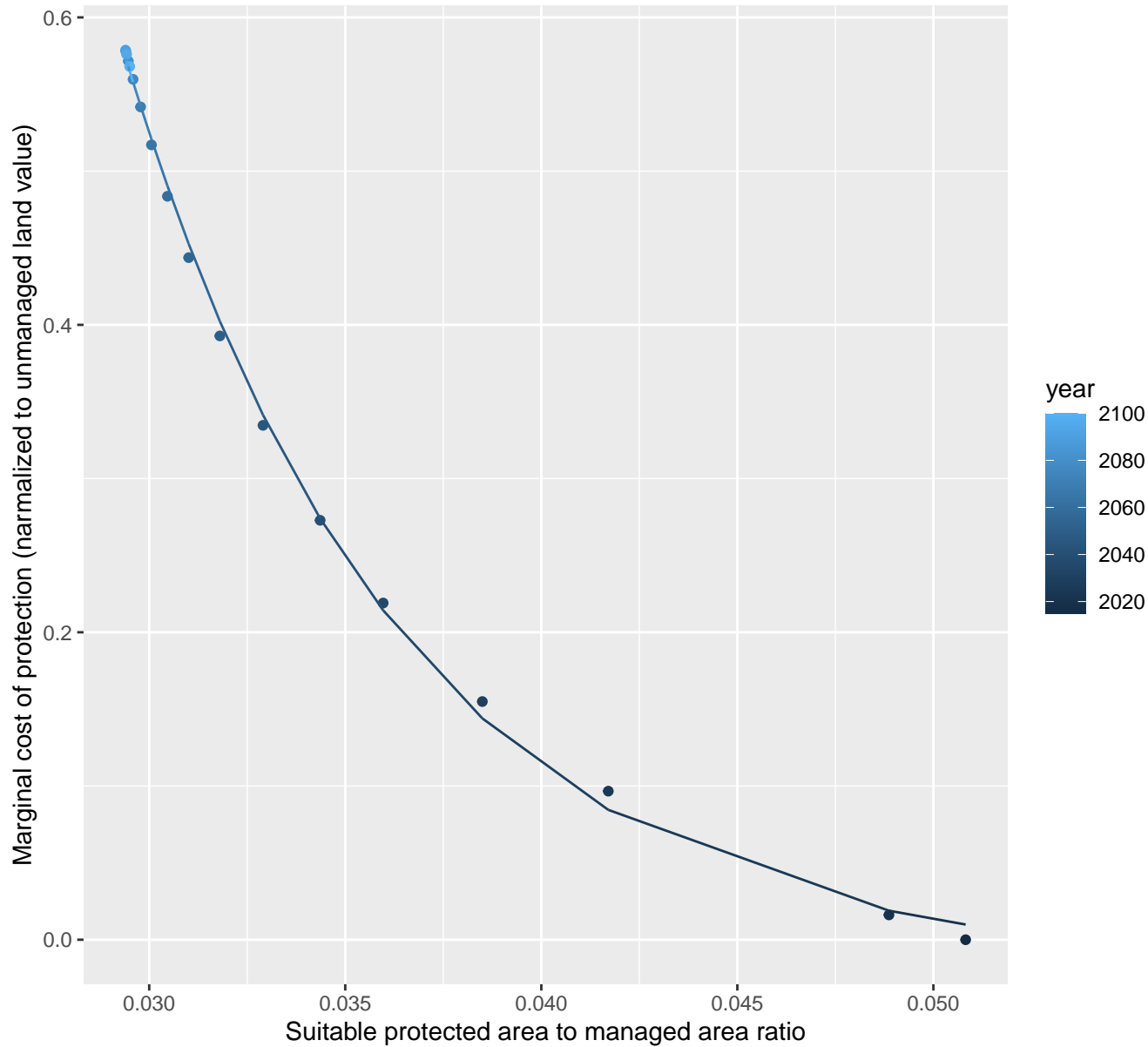
$$y=0+18.46*\exp(-18.24*x)$$



# 16032 marginal protection cost ratio

nls random pval = 0.00355

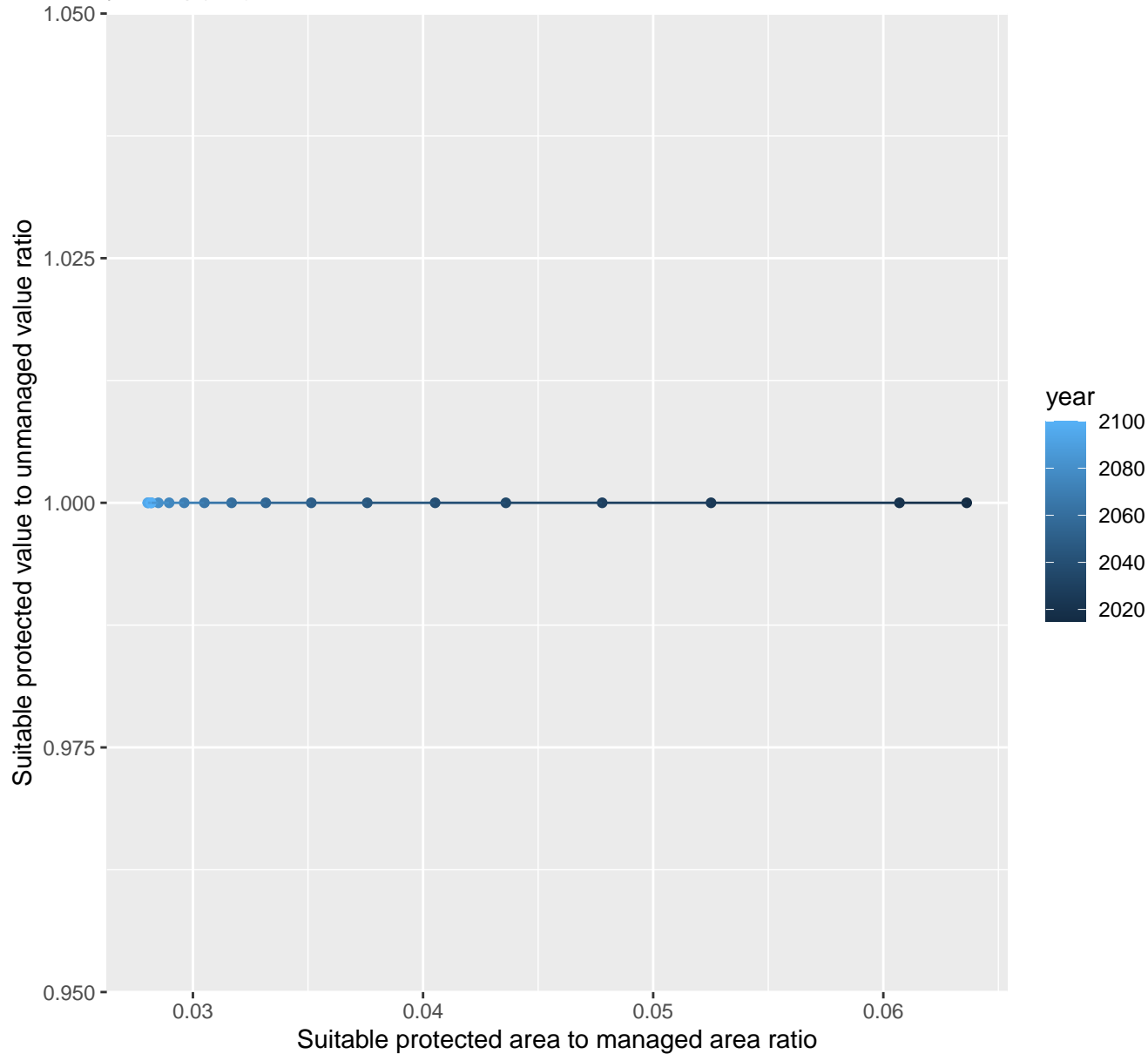
$$y = -0.02 + 38.85 \cdot \exp(-142.32 \cdot x)$$



# 16054 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01908$   $pval = 0.58465$  random  $pval = 0.54483$

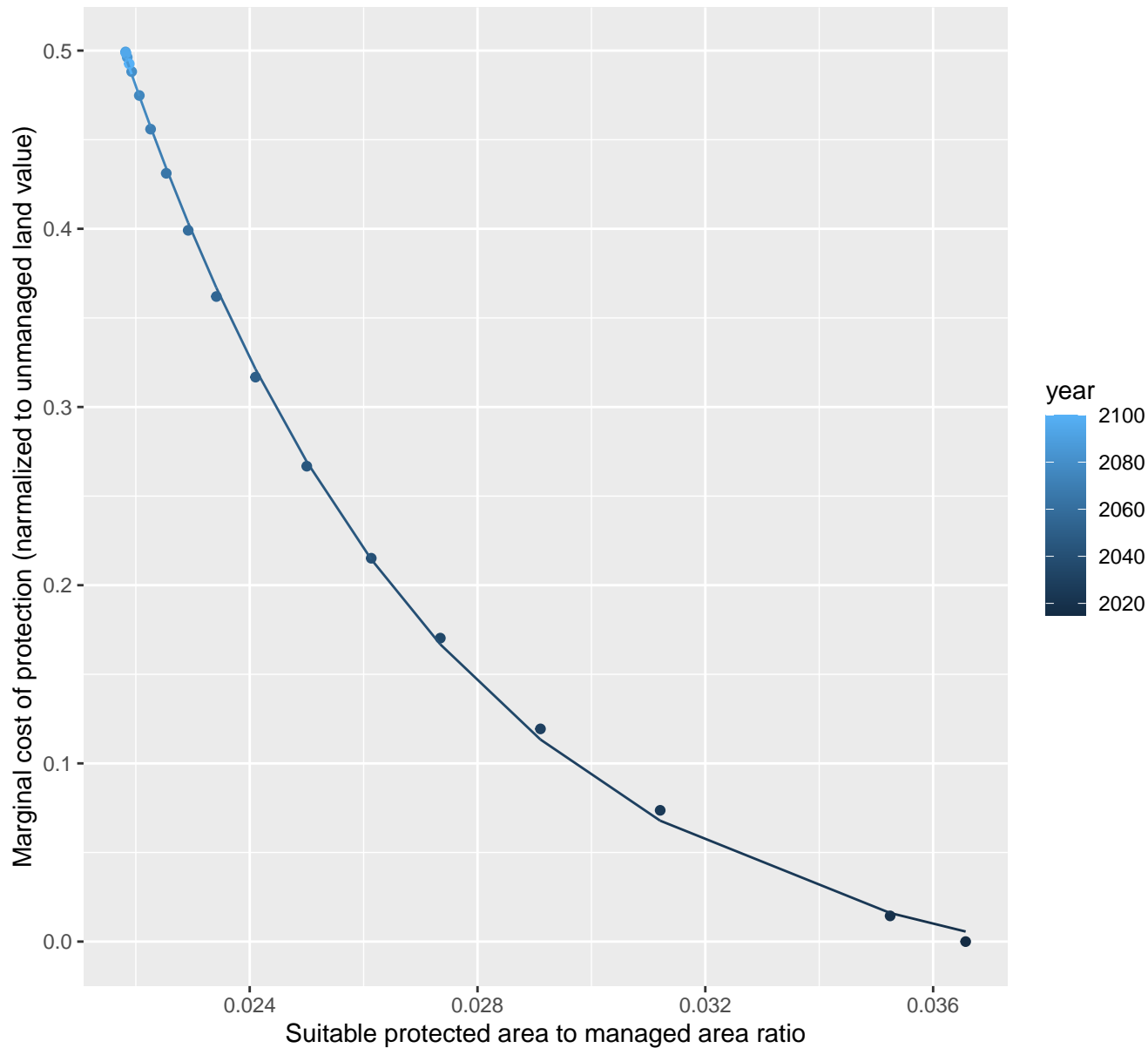
$$y = 1 * \exp(0 * x)$$



# 16057 marginal protection cost ratio

nls random pval = 0.00355

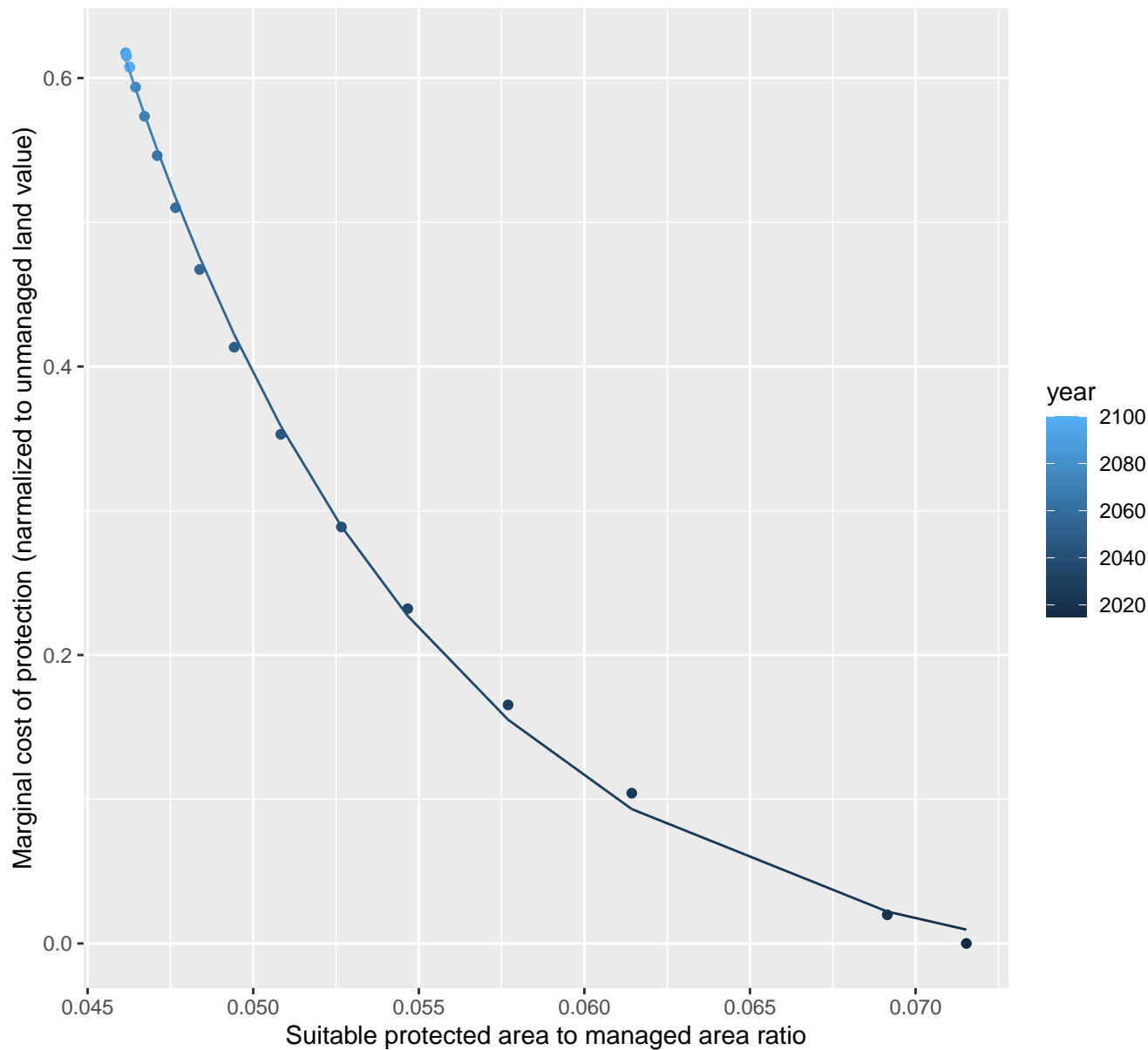
$$y = -0.03 + 24.59 \cdot \exp(-175.79 \cdot x)$$



# 16062 marginal protection cost ratio

nls random pval = 0.00355

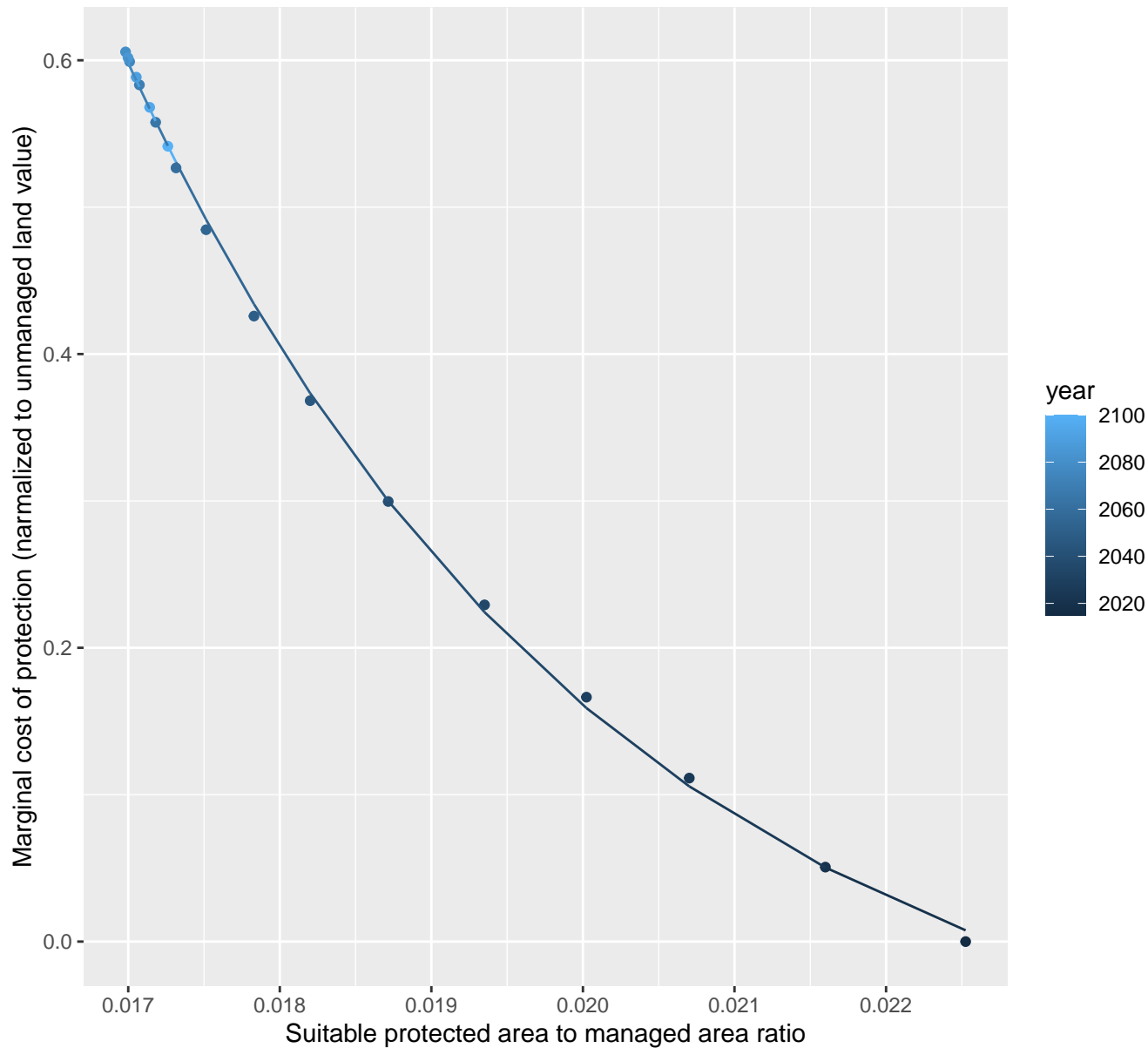
$$y = -0.03 + 88.6 \cdot \exp(-106.62 \cdot x)$$



# 17089 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.12 + 146.68 \cdot \exp(-312.92 \cdot x)$$

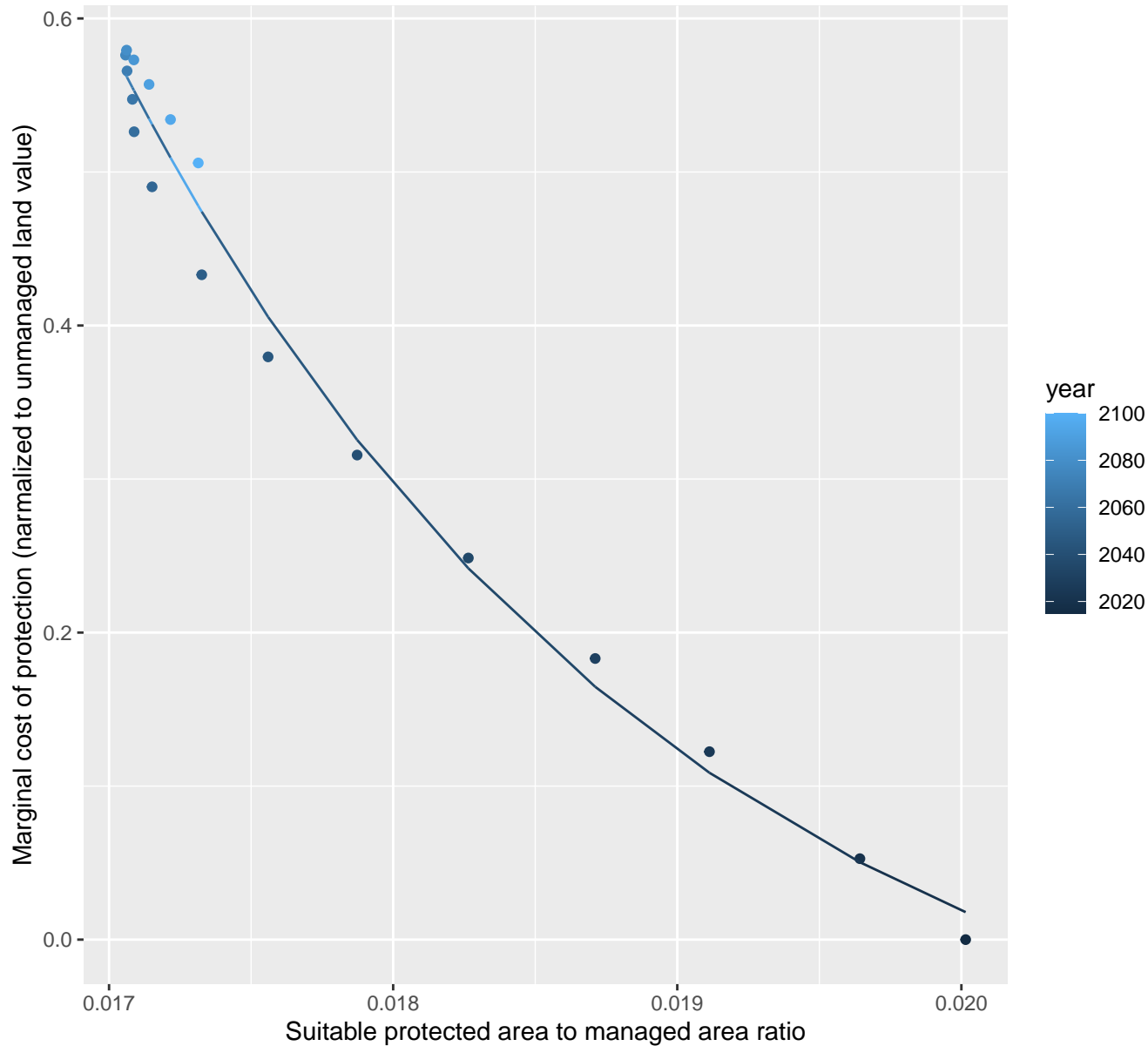




# 17107 marginal protection cost ratio

nls random pval = 0.00355

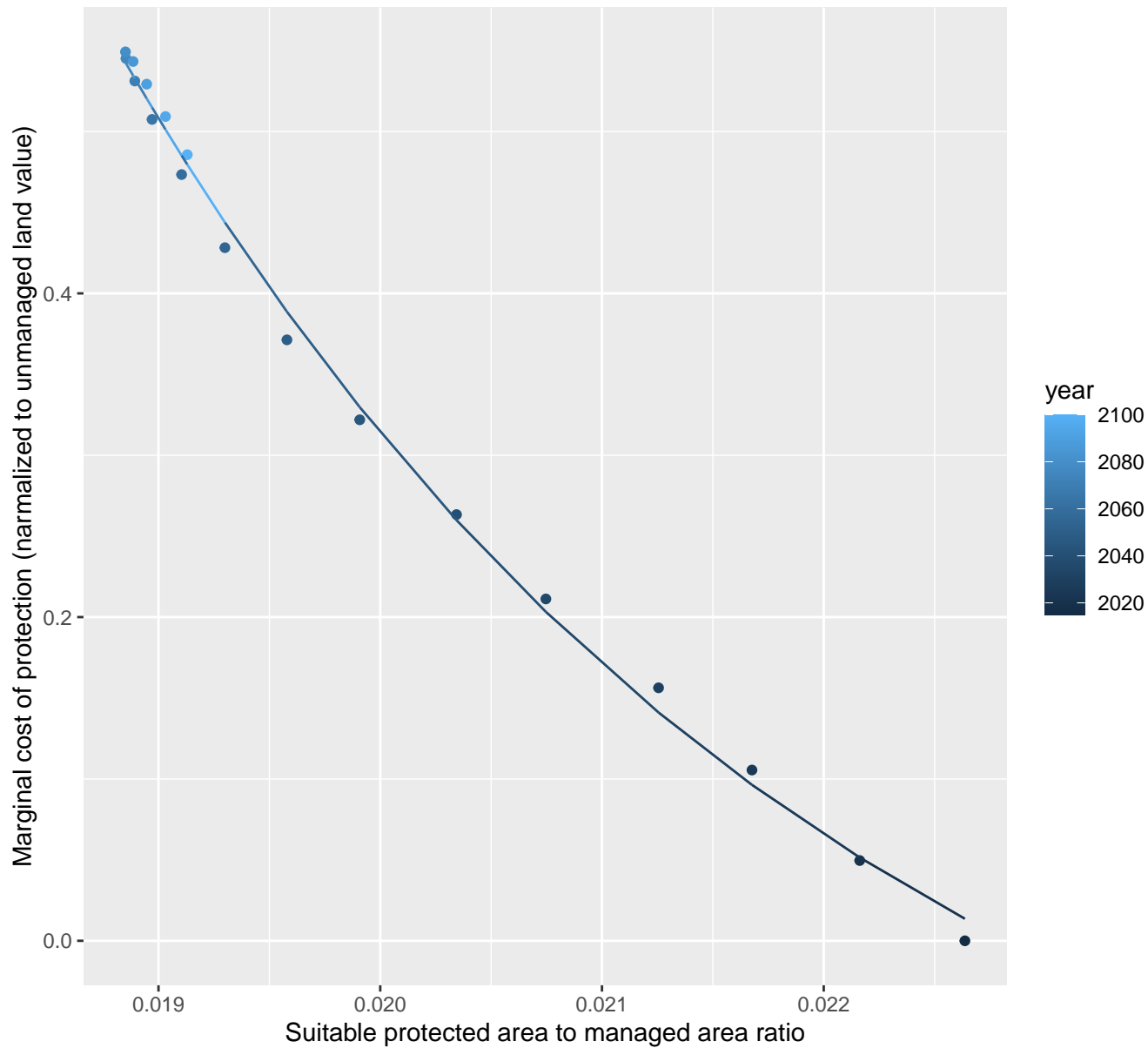
$$y = -0.14 + 4091.81 \cdot \exp(-508.32 \cdot x)$$



# 17110 marginal protection cost ratio

nls random pval = 0.00355

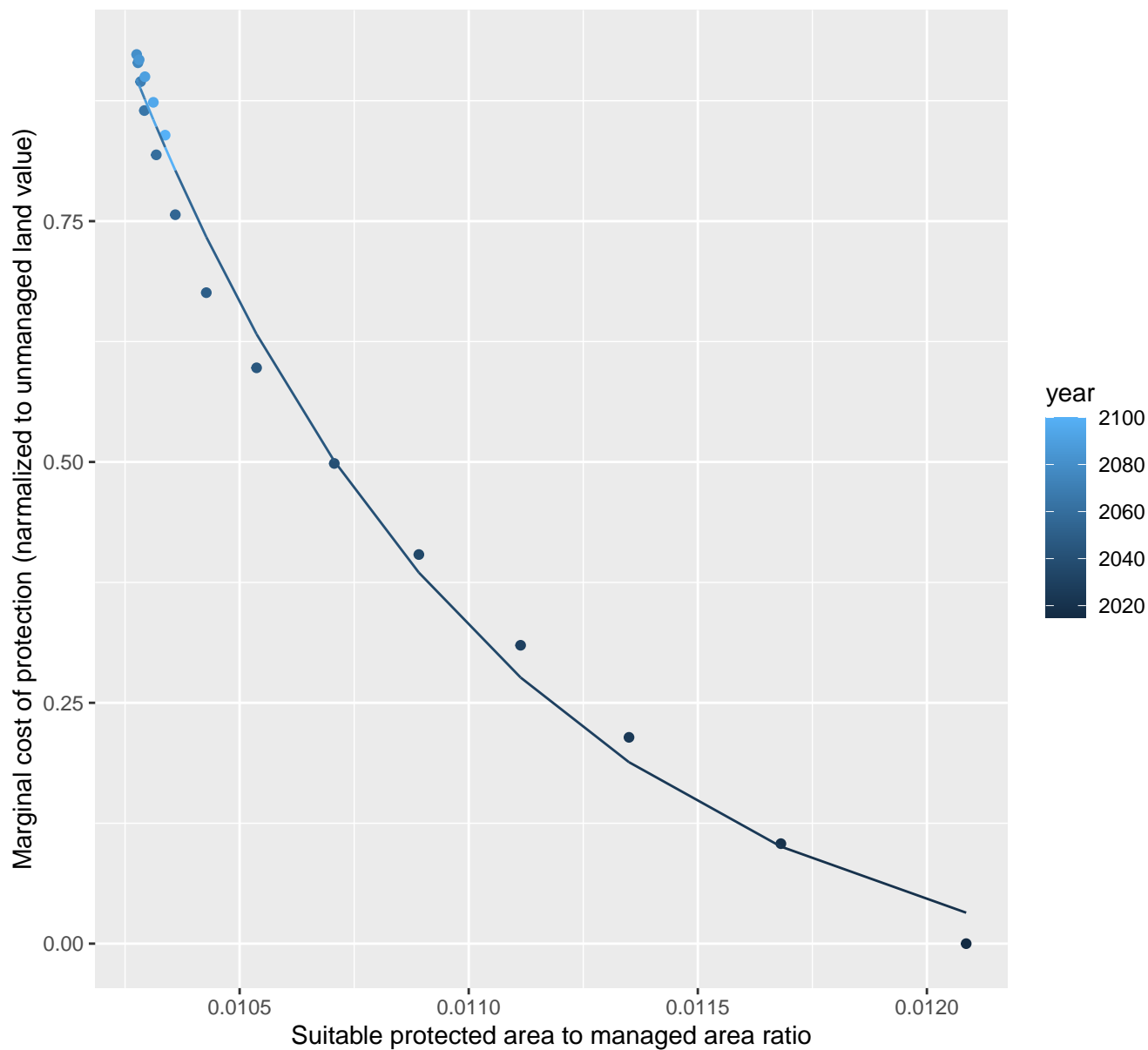
$$y = -0.23 + 245.89 \cdot \exp(-305.78 \cdot x)$$



# 17113 marginal protection cost ratio

nls random pval = 0.00355

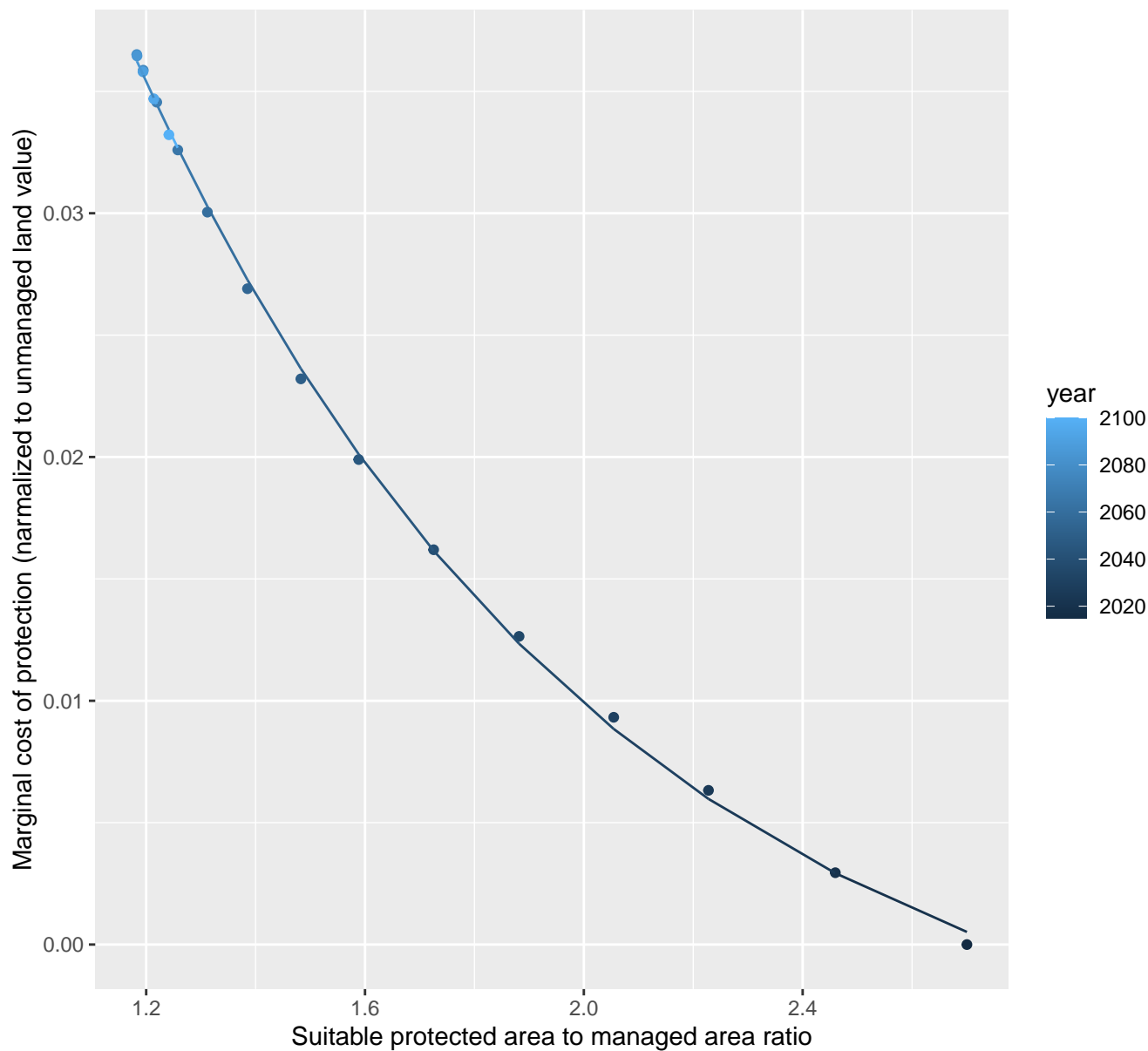
$$y = -0.08 + 249607.35 \cdot \exp(-1212.06 \cdot x)$$



# 17116 marginal protection cost ratio

nls random pval = 0.01512

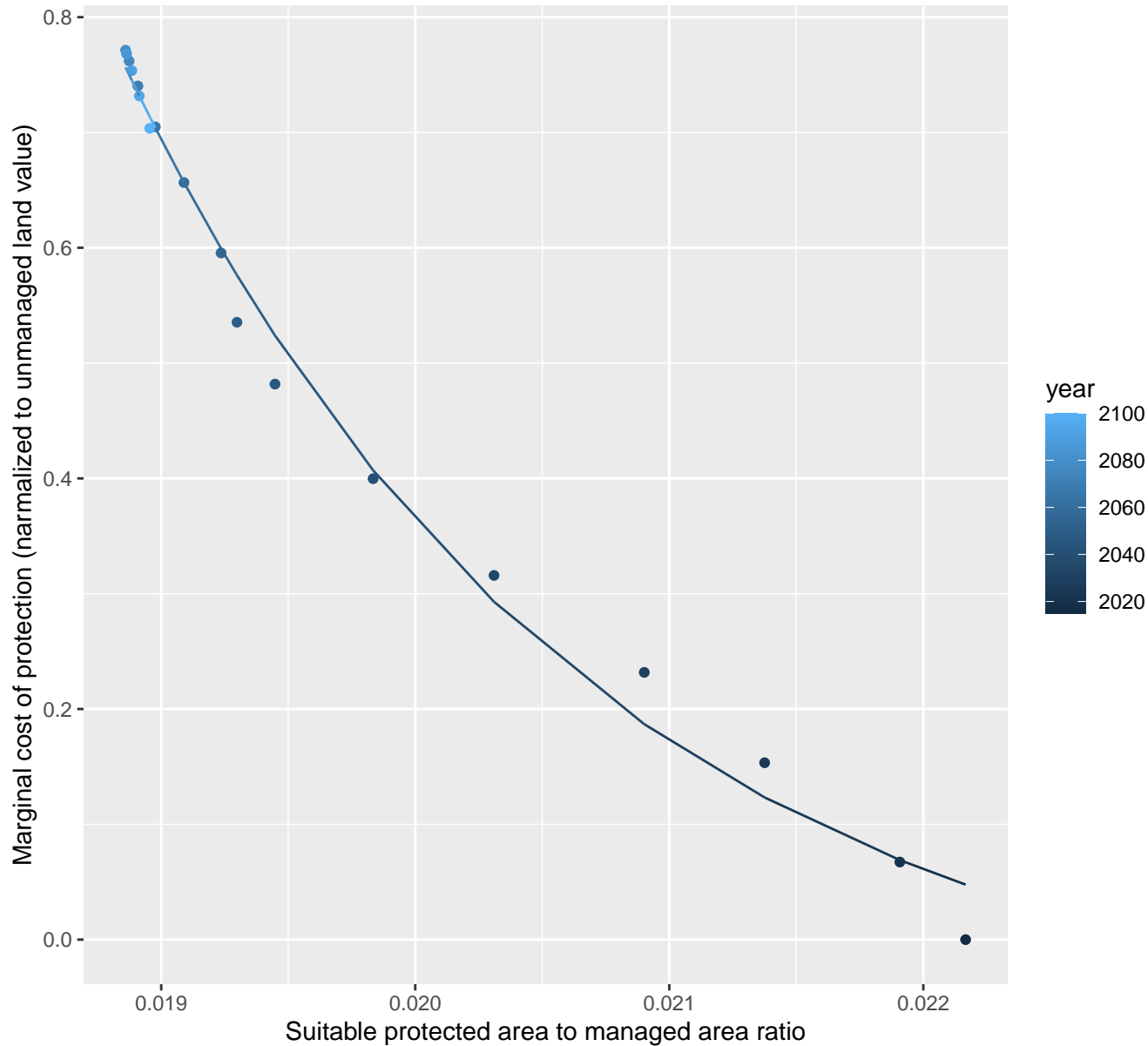
$$y = -0.01 + 0.17 \cdot \exp(-1.15 \cdot x)$$



# 17117 marginal protection cost ratio

nls random pval = 0.01512

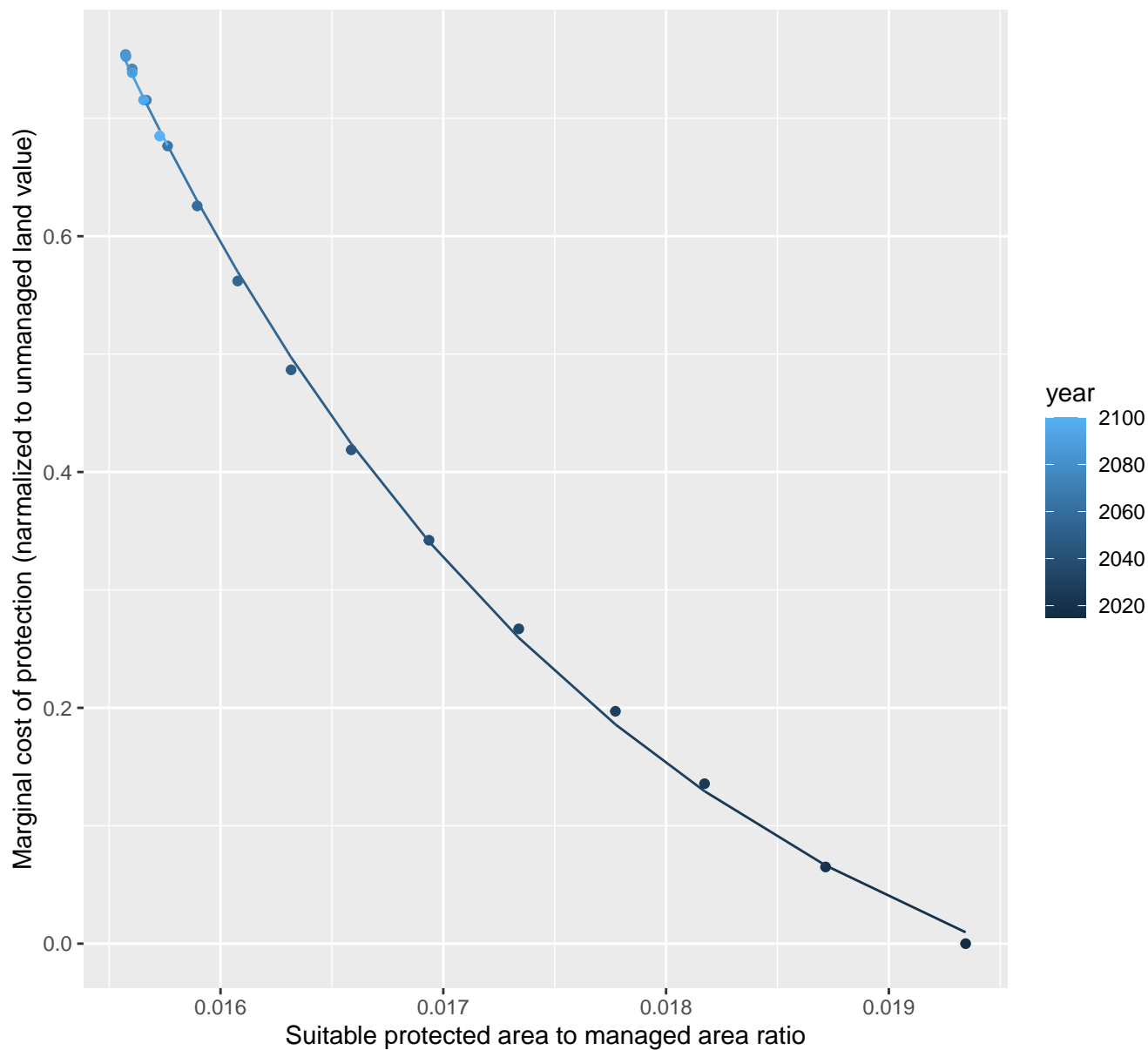
$$y = -0.09 + 24314.95 \cdot \exp(-544.13 \cdot x)$$



# 17118 marginal protection cost ratio

nls random pval = 0.01512

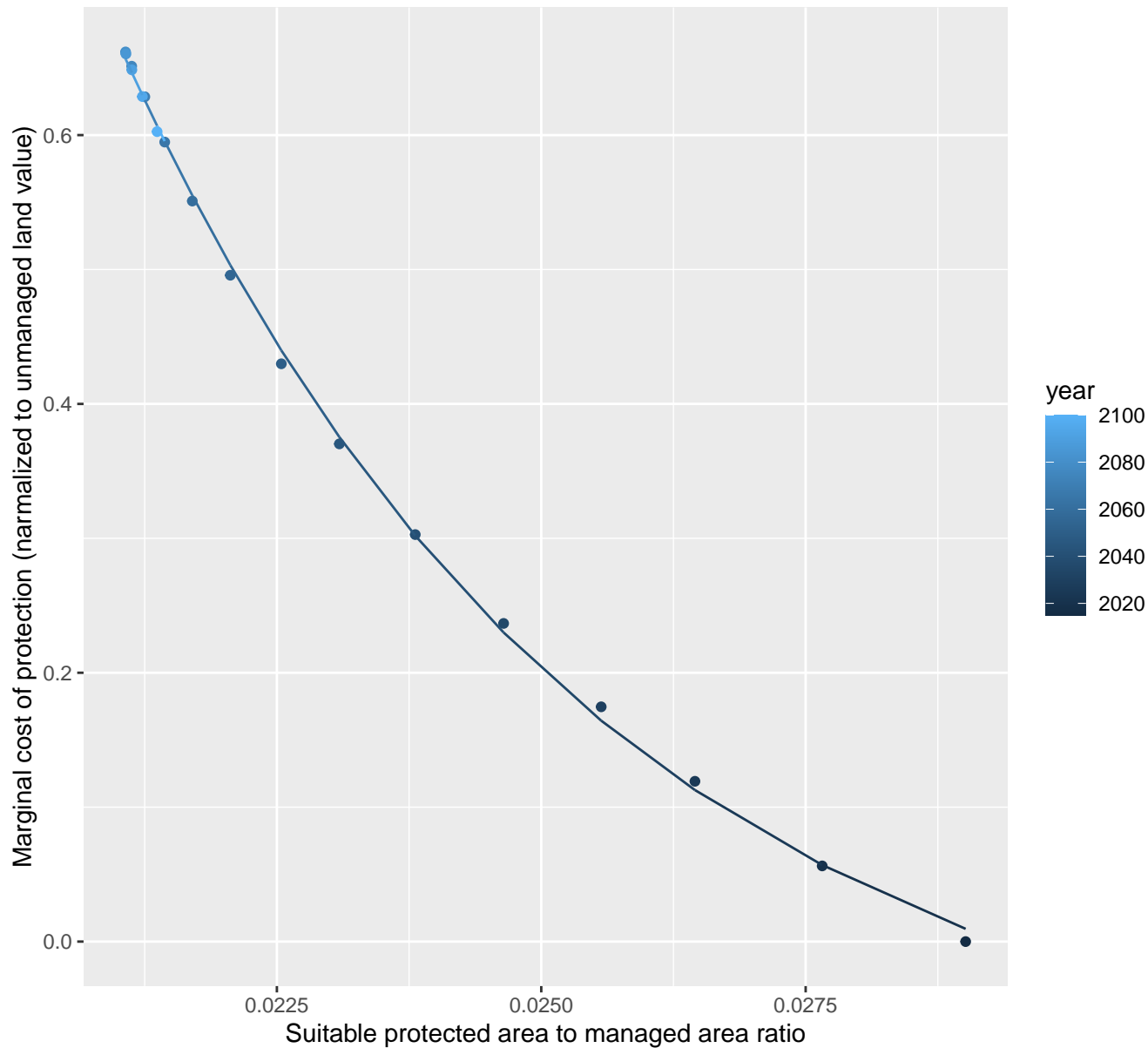
$$y = -0.17 + 724.96 \cdot \exp(-428.07 \cdot x)$$



# 17120 marginal protection cost ratio

nls random pval = 0.01512

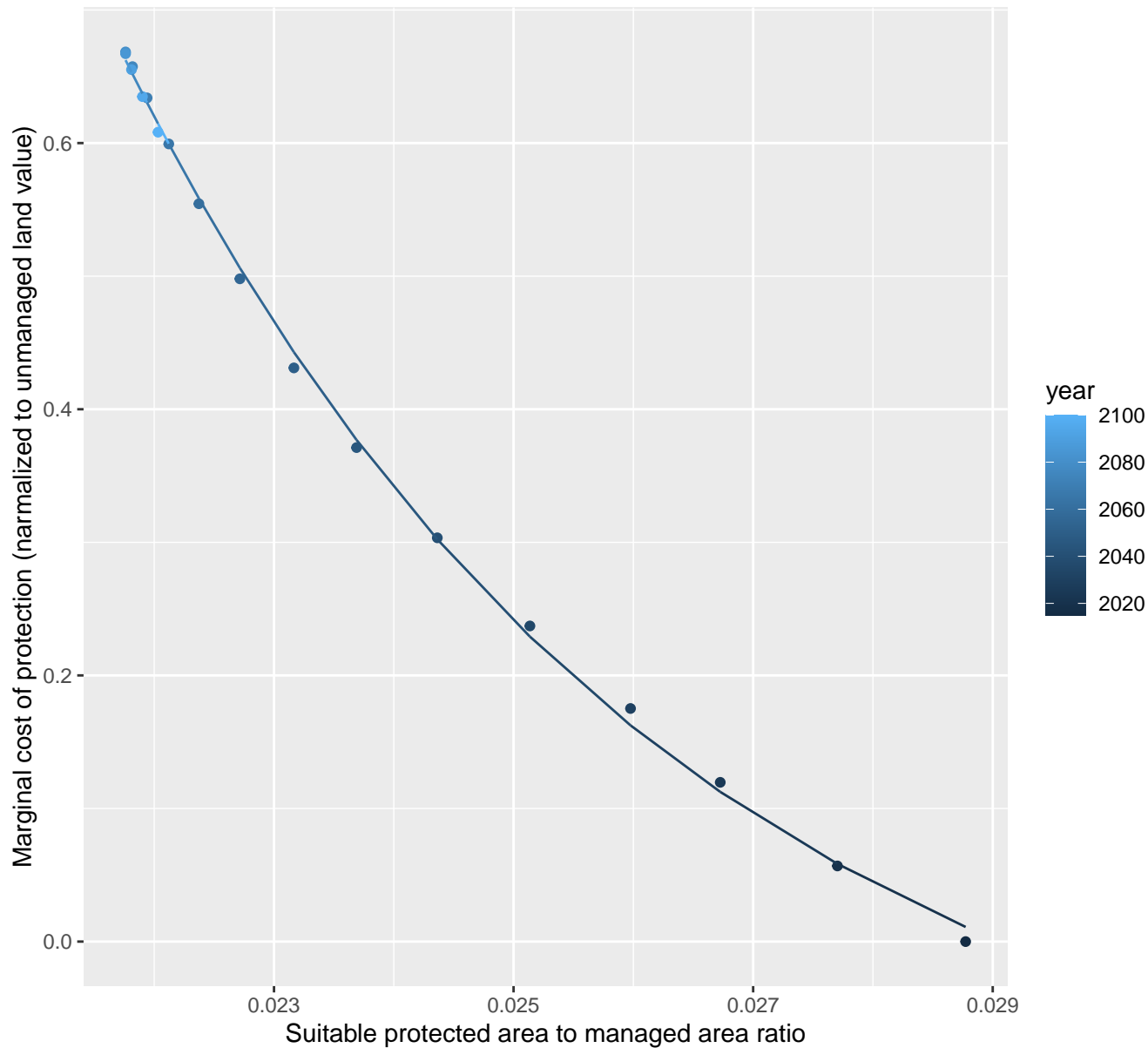
$$y = -0.13 + 80.76 \cdot \exp(-219.99 \cdot x)$$



# 17122 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.17 + 95.54 \cdot \exp(-218 \cdot x)$$

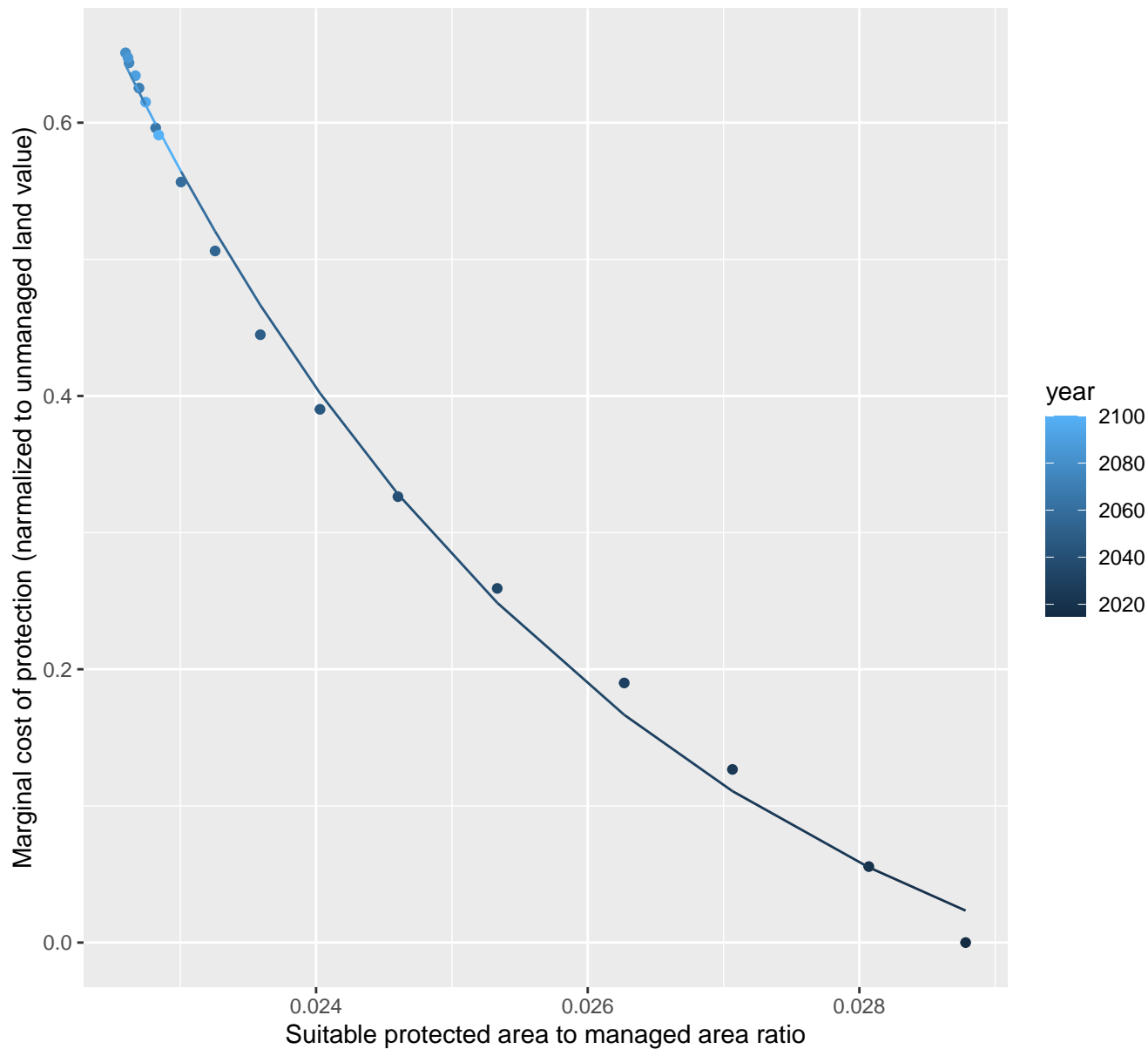




# 17123 marginal protection cost ratio

nls random pval = 0.01512

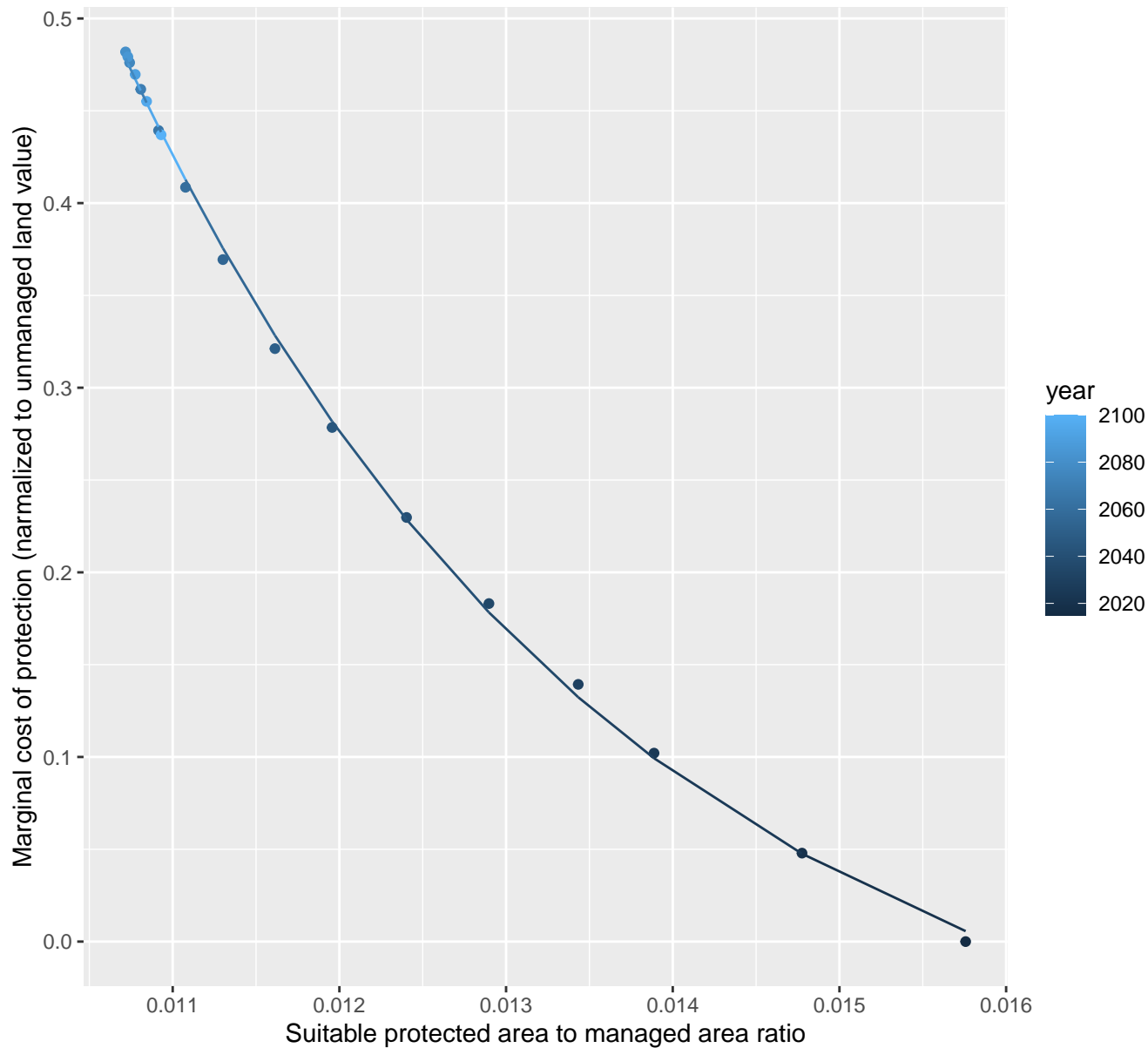
$$y = -0.13 + 269.68 \cdot \exp(-258.99 \cdot x)$$



# 17128 marginal protection cost ratio

nls random pval = 0.01512

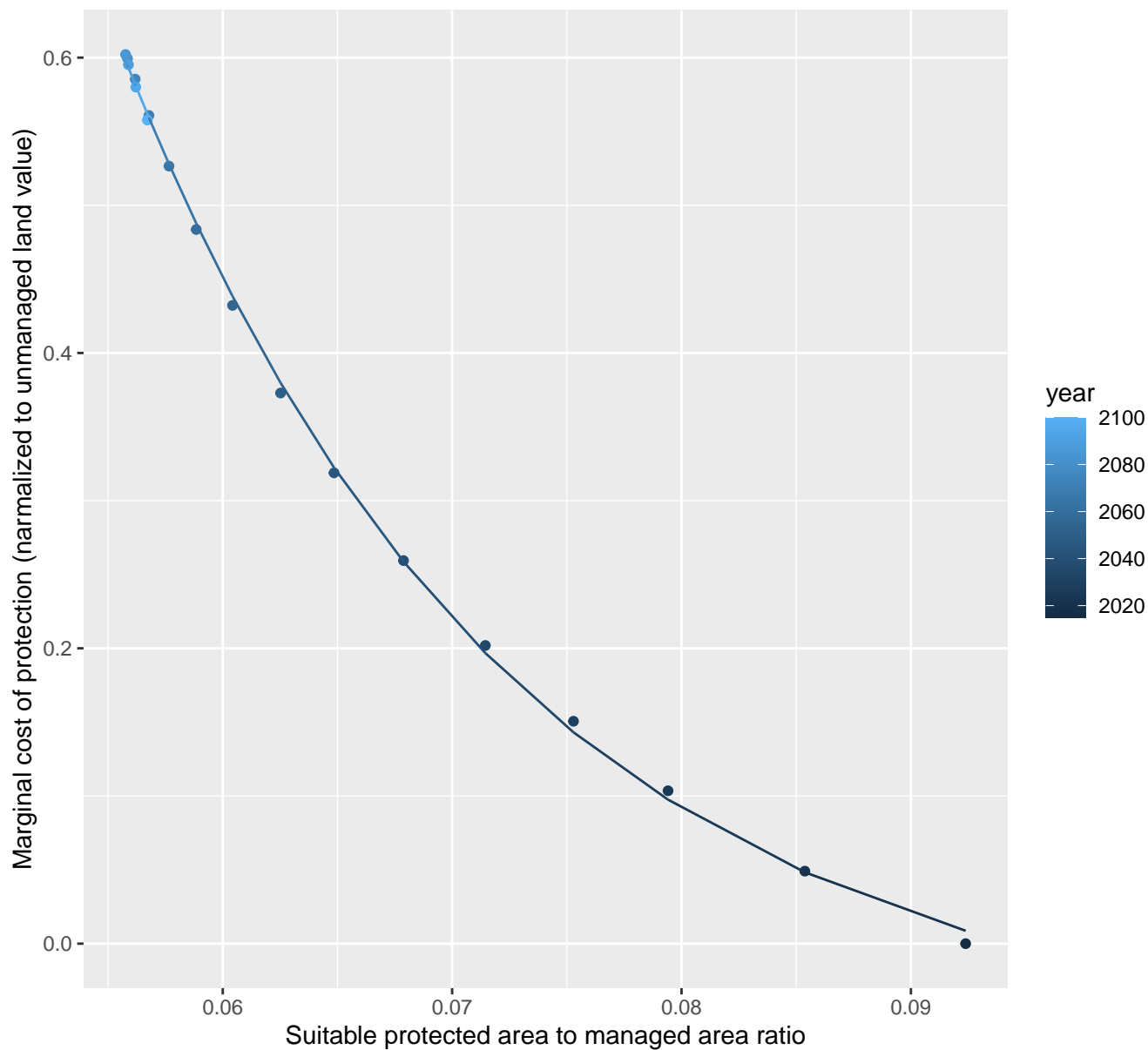
$$y = -0.1 + 20.67 \cdot \exp(-333.29 \cdot x)$$



# 17129 marginal protection cost ratio

nls random pval = 0.01512

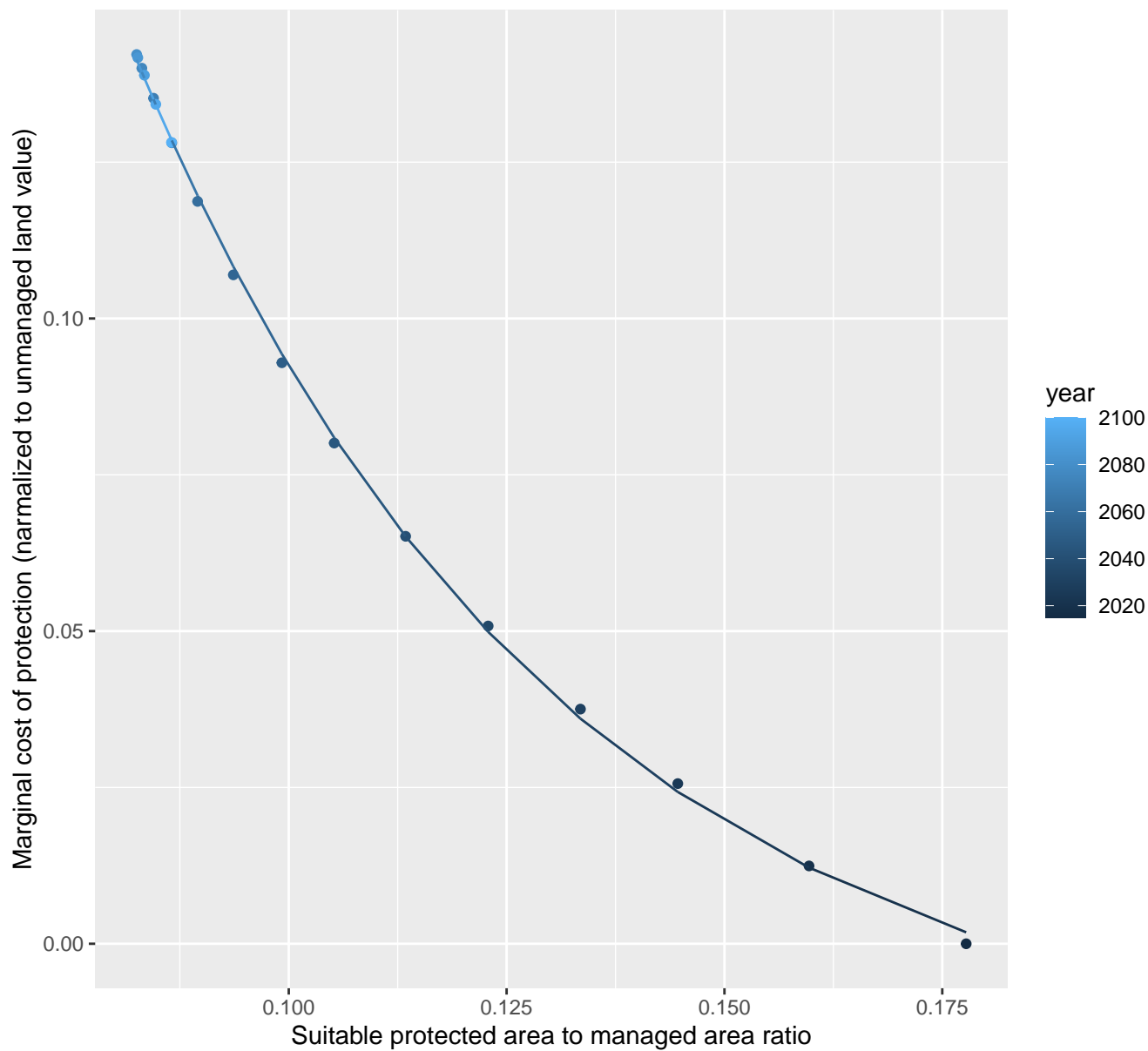
$$y = -0.07 + 17.57 \cdot \exp(-58.65 \cdot x)$$



# 17137 marginal protection cost ratio

nls random pval = 0.01512

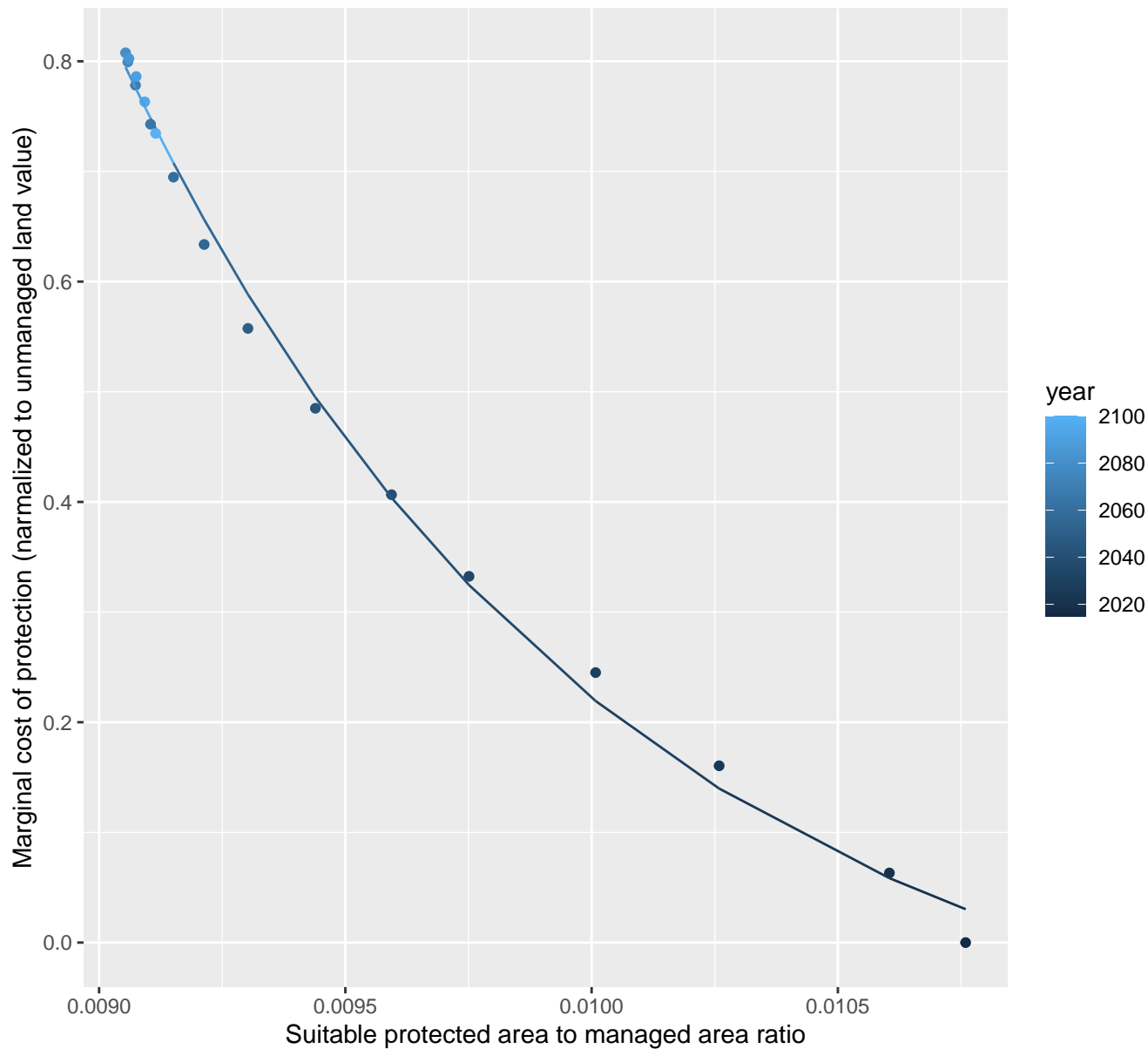
$$y = -0.02 + 0.88 \cdot \exp(-20.49 \cdot x)$$



# 17140 marginal protection cost ratio

nls random pval = 0.01512

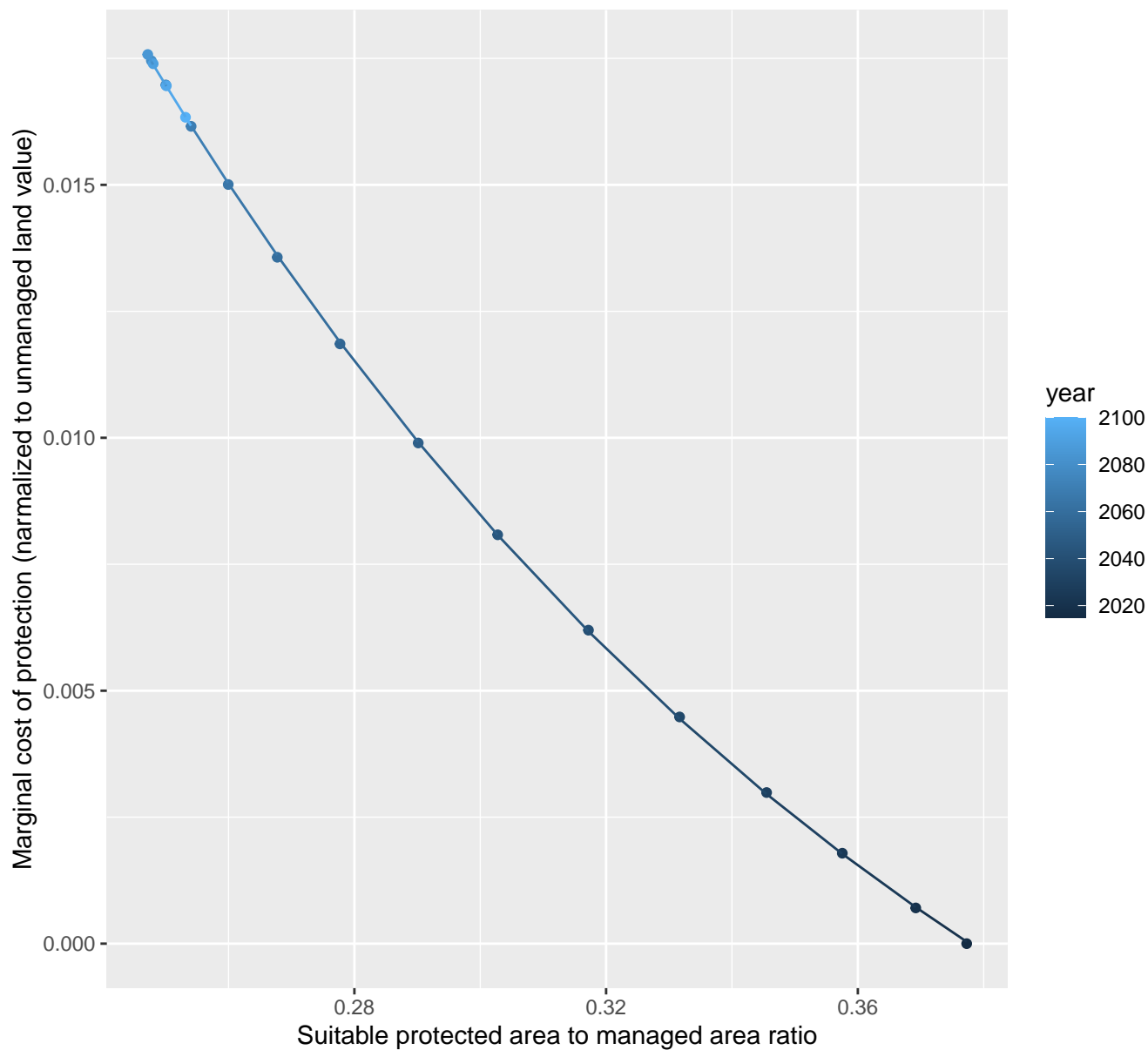
$$y = -0.14 + 8552.83 \cdot \exp(-1007.89 \cdot x)$$



# 17141 marginal protection cost ratio

nls random pval = 0.01512

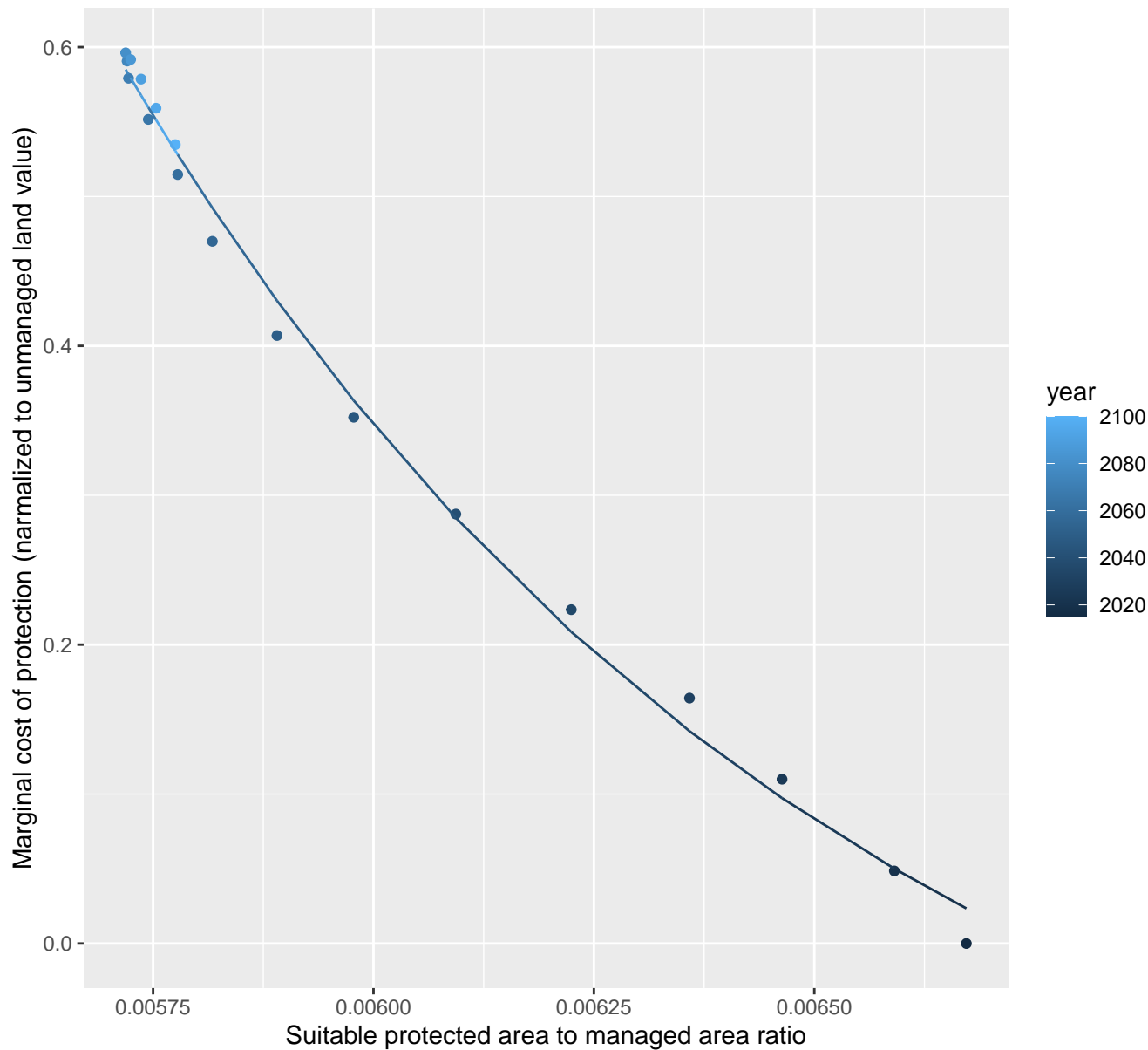
$$y = -0.01 + 0.17 \cdot \exp(-7.11 \cdot x)$$



# 17145 marginal protection cost ratio

nls random pval = 0.00355

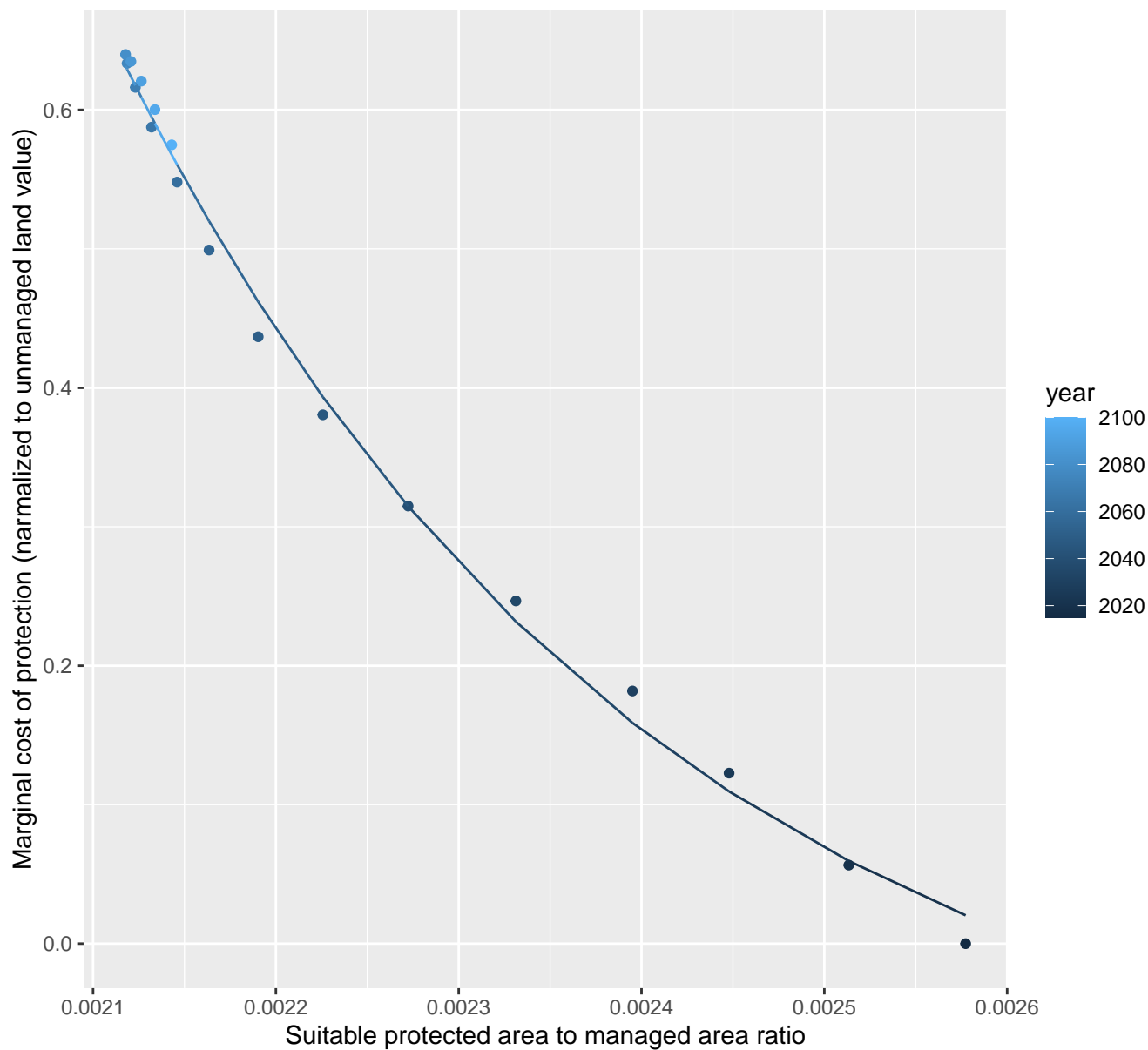
$$y = -0.23 + 920.28 \cdot \exp(-1229.47 \cdot x)$$



# 17147 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.14 + 1086.88 \cdot \exp(-3423.9 \cdot x)$$

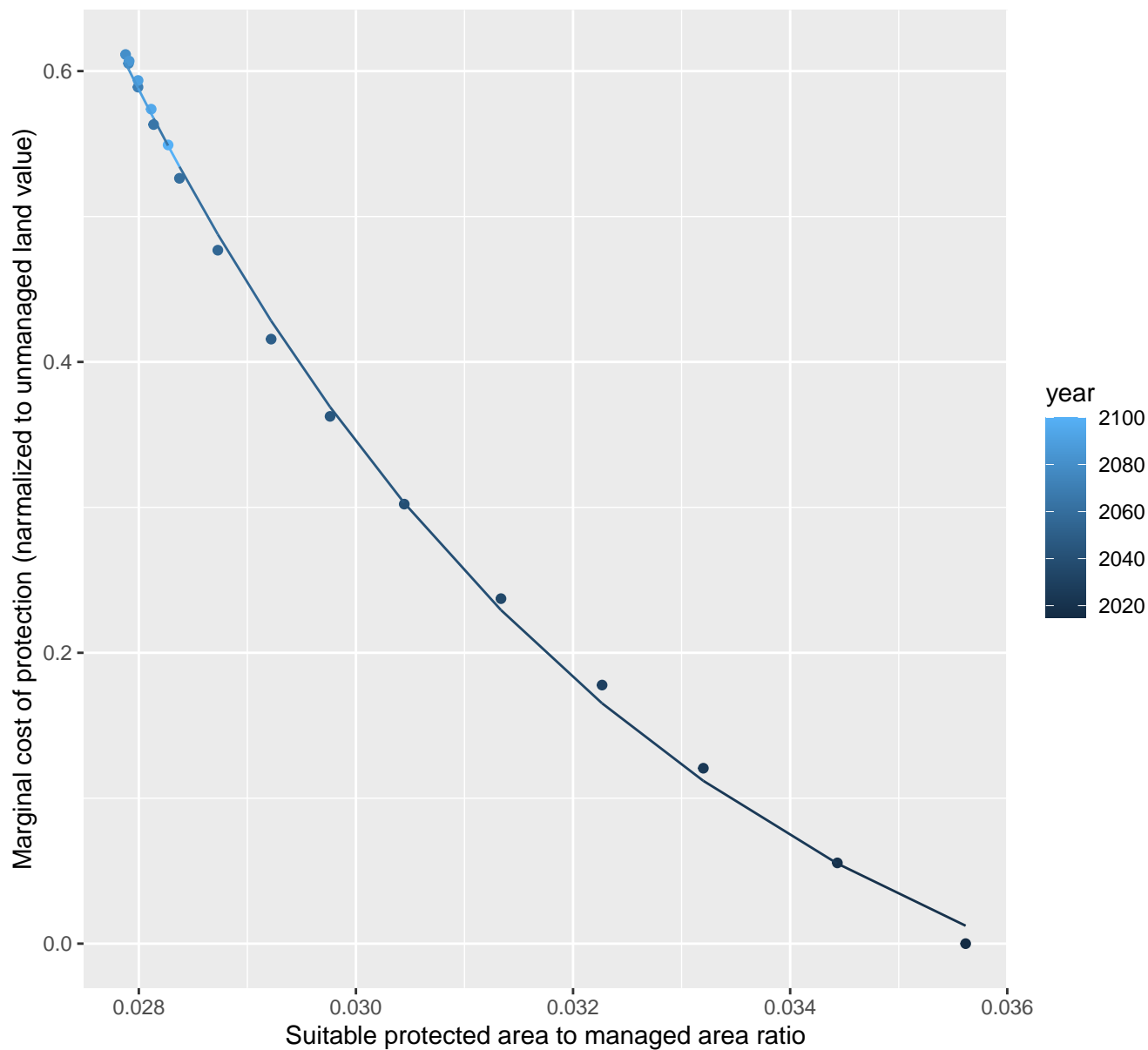




# 17153 marginal protection cost ratio

nls random pval = 0.01512

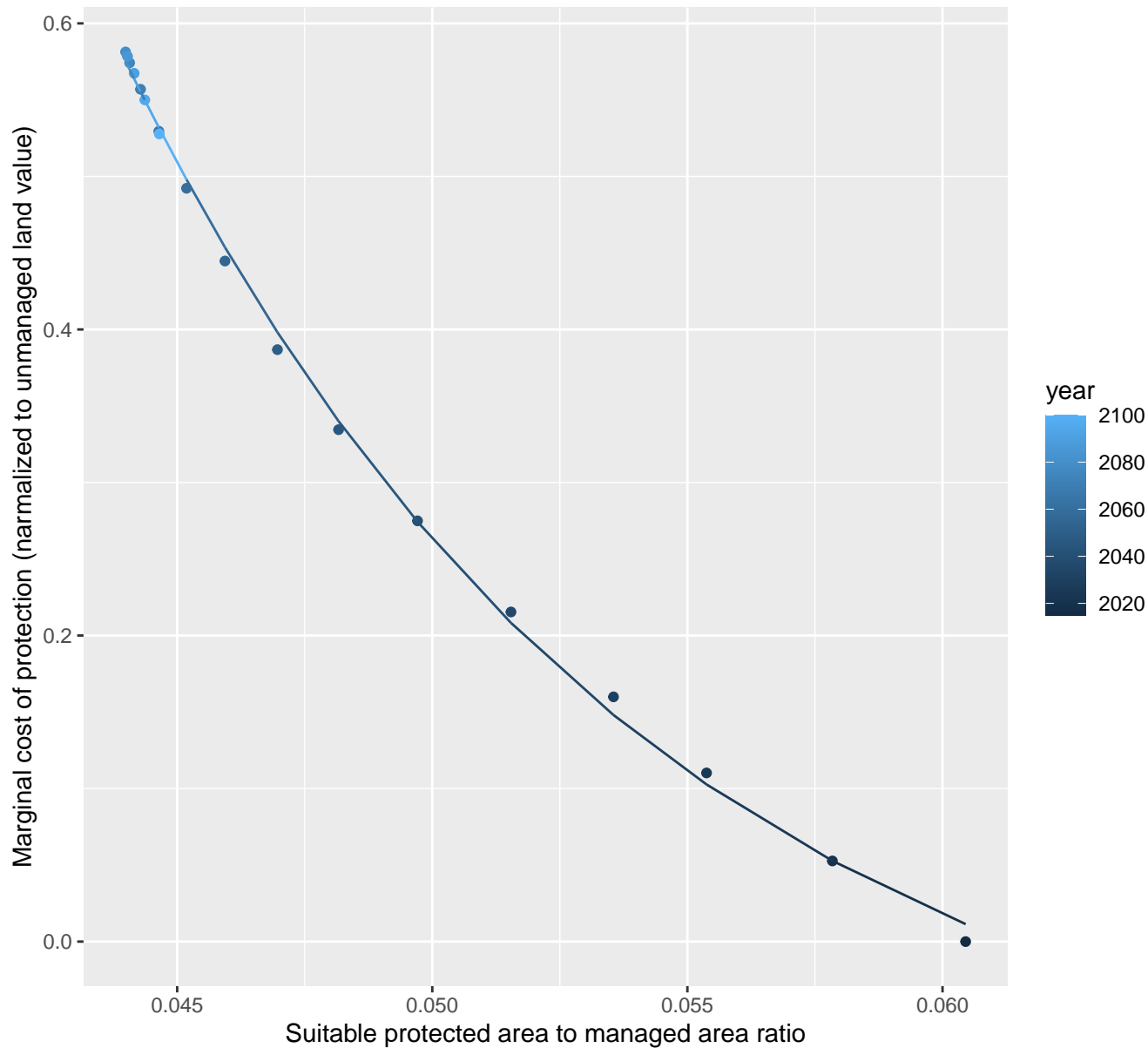
$$y = -0.15 + 198.21 \cdot \exp(-199.88 \cdot x)$$



# 17155 marginal protection cost ratio

nls random pval = 0.01512

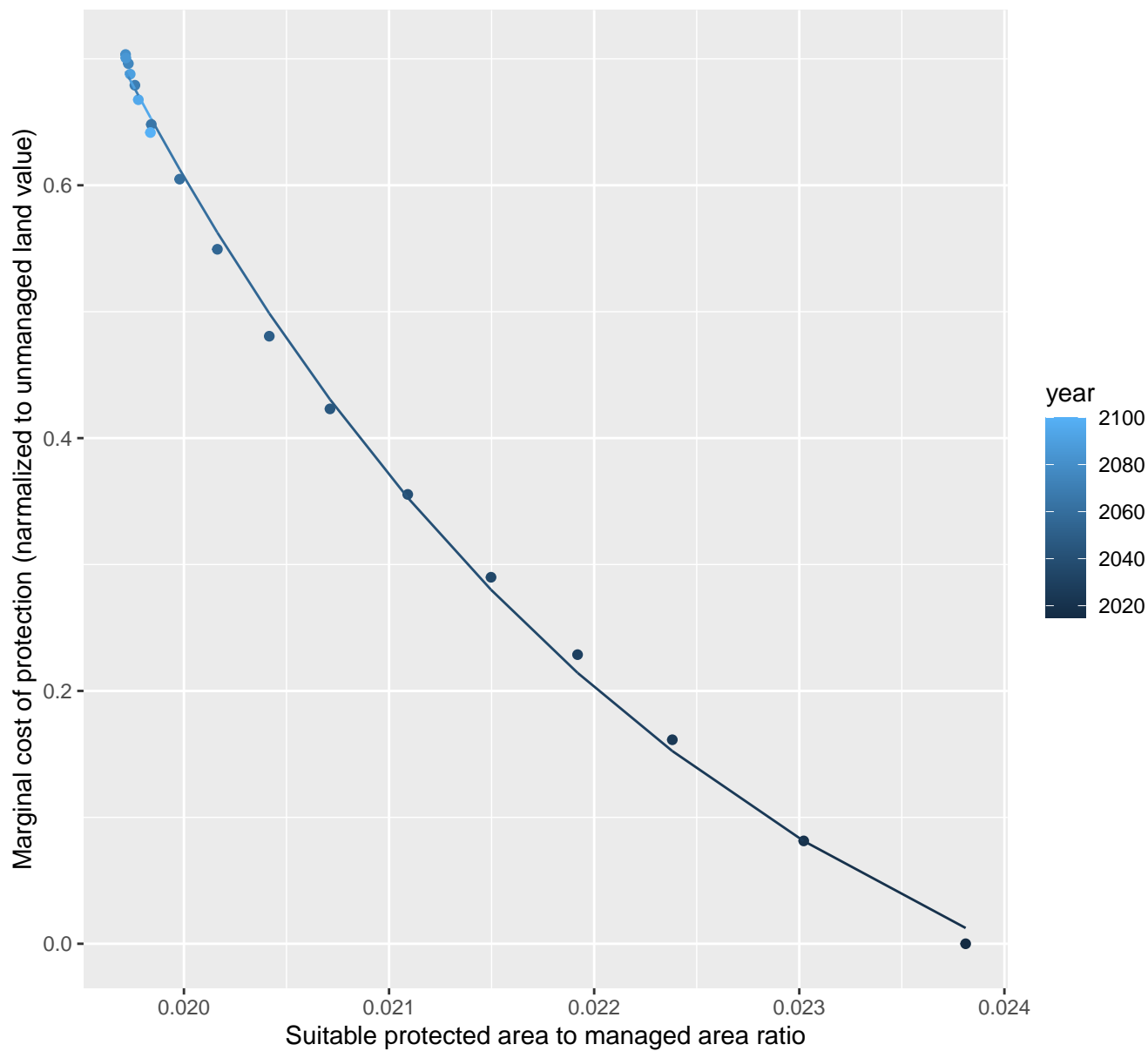
$$y = -0.13 + 49.99 \cdot \exp(-96.79 \cdot x)$$



# 17235 marginal protection cost ratio

nls random pval = 0.01512

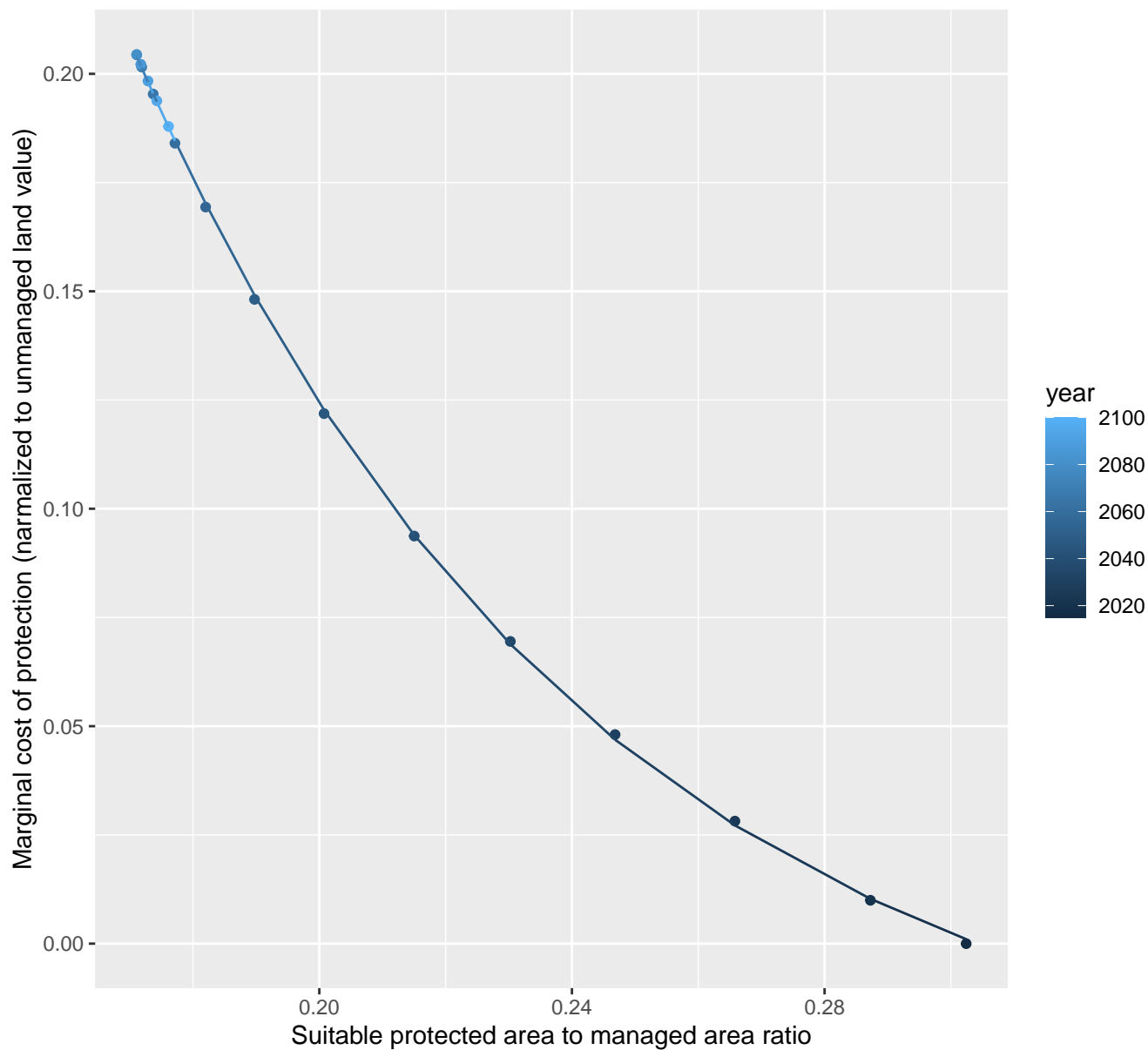
$$y = -0.21 + 751.7 \cdot \exp(-341.23 \cdot x)$$



# 18158 marginal protection cost ratio

nls random pval = 0.01512

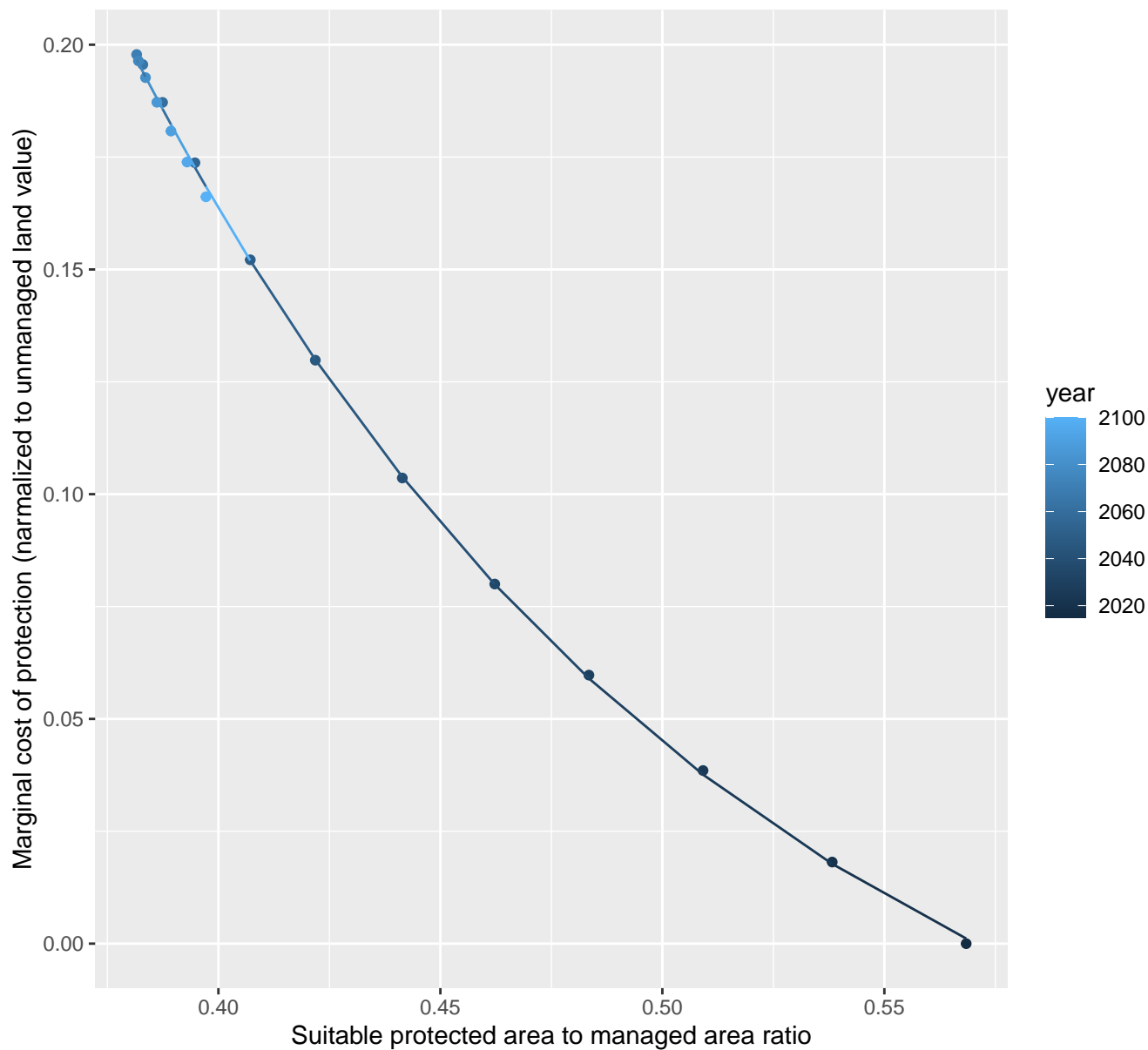
$$y = -0.04 + 2.54 \cdot \exp(-13.73 \cdot x)$$



# 18159 marginal protection cost ratio

nls random pval = 0.01512

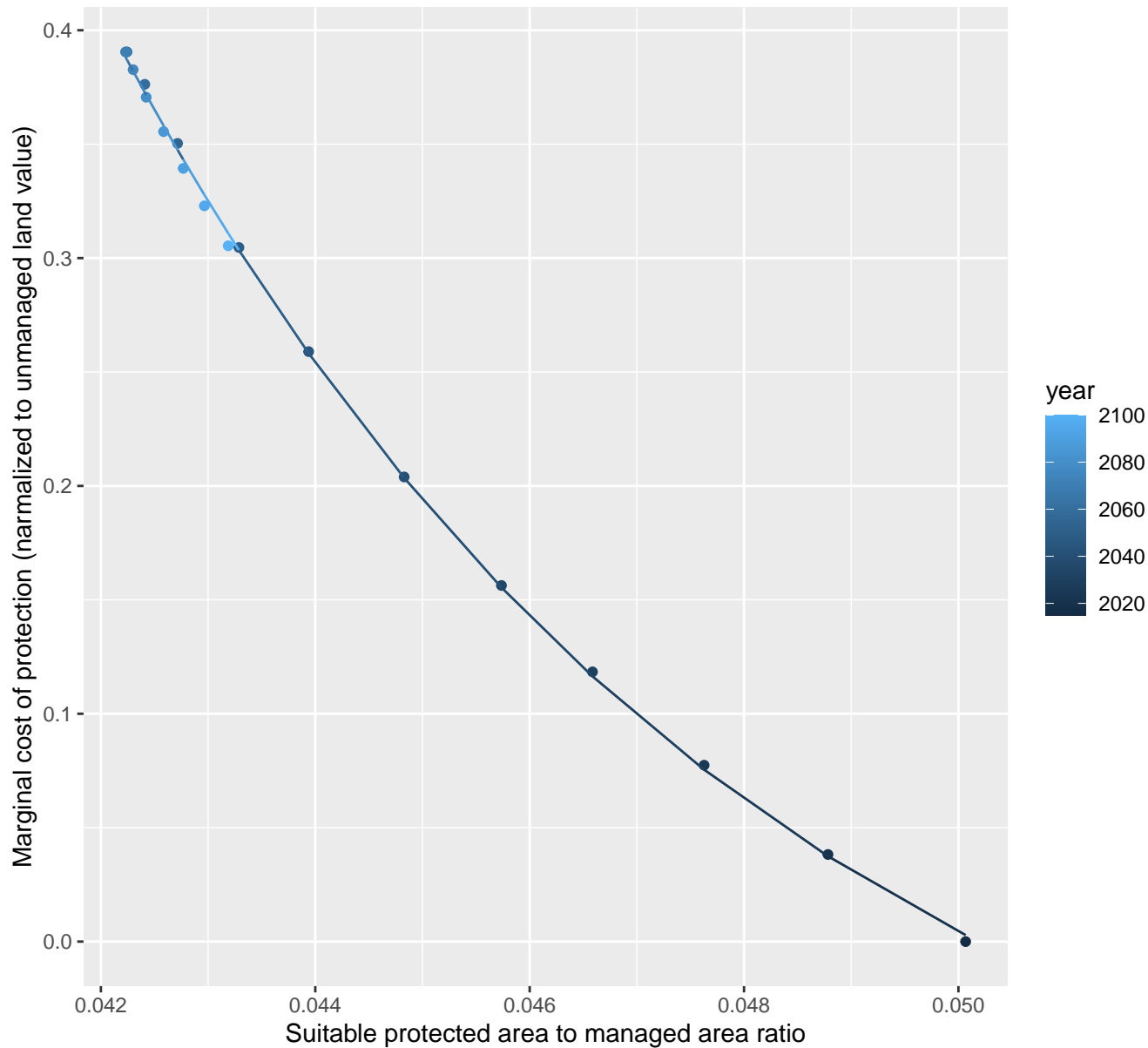
$$y = -0.07 + 4.2 \cdot \exp(-7.26 \cdot x)$$



# 18163 marginal protection cost ratio

nls random pval = 0.01512

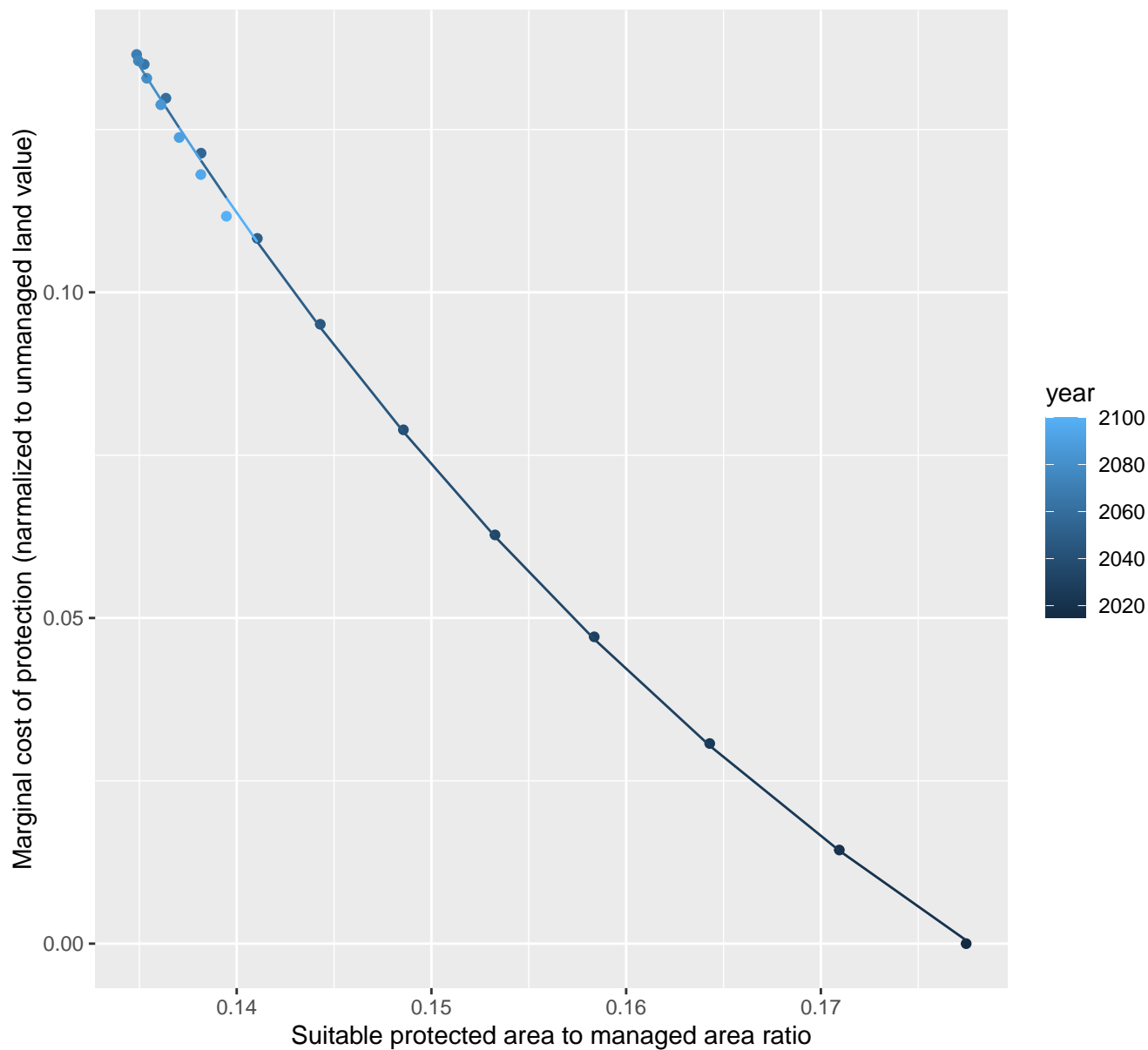
$$y = -0.15 + 531.6 \cdot \exp(-163.49 \cdot x)$$



# 18164 marginal protection cost ratio

nls random pval = 0.01512

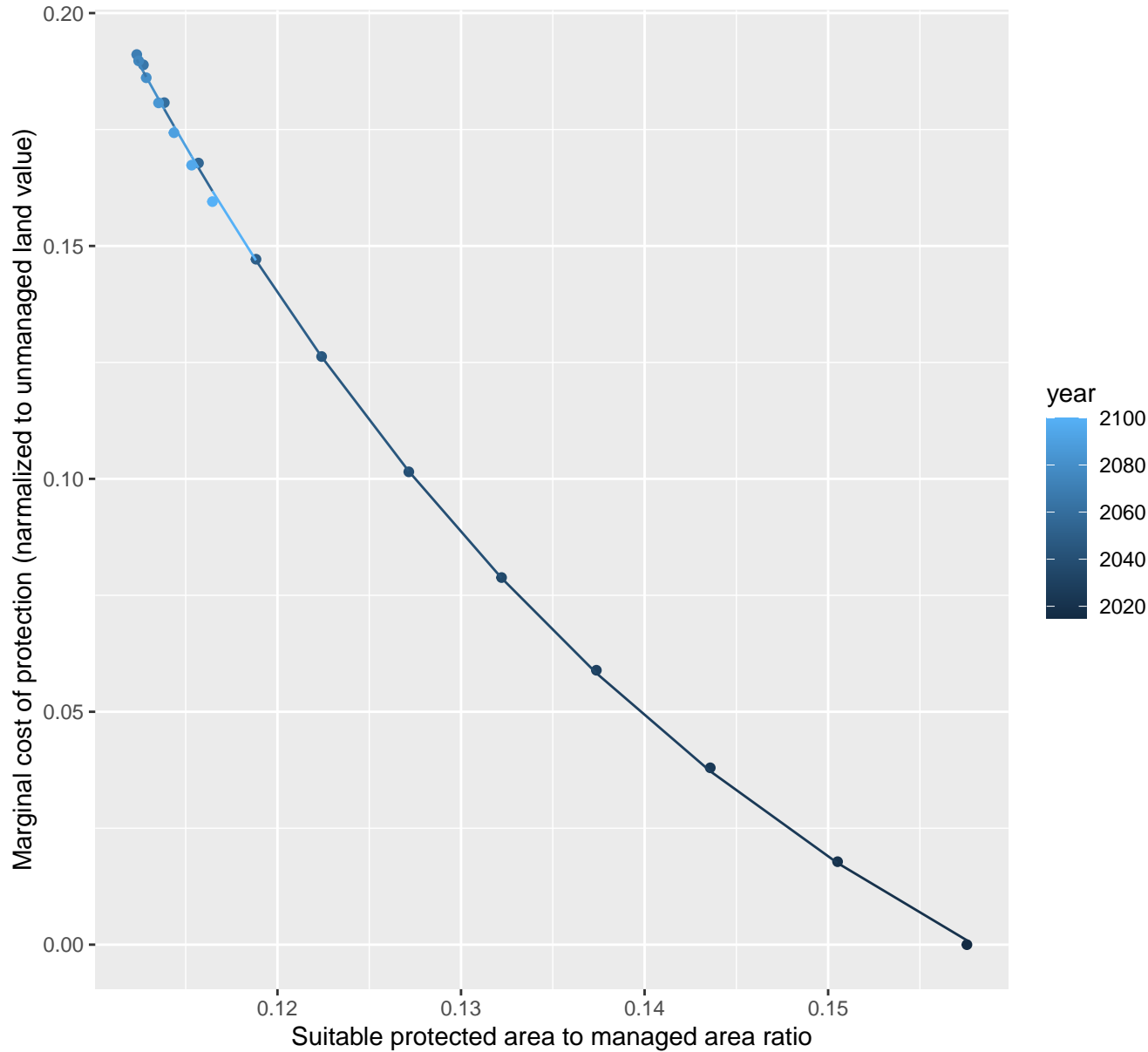
$$y = -0.09 + 3.76 \cdot \exp(-20.7 \cdot x)$$



# 18165 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.08 + 5.54 \cdot \exp(-26.94 \cdot x)$$

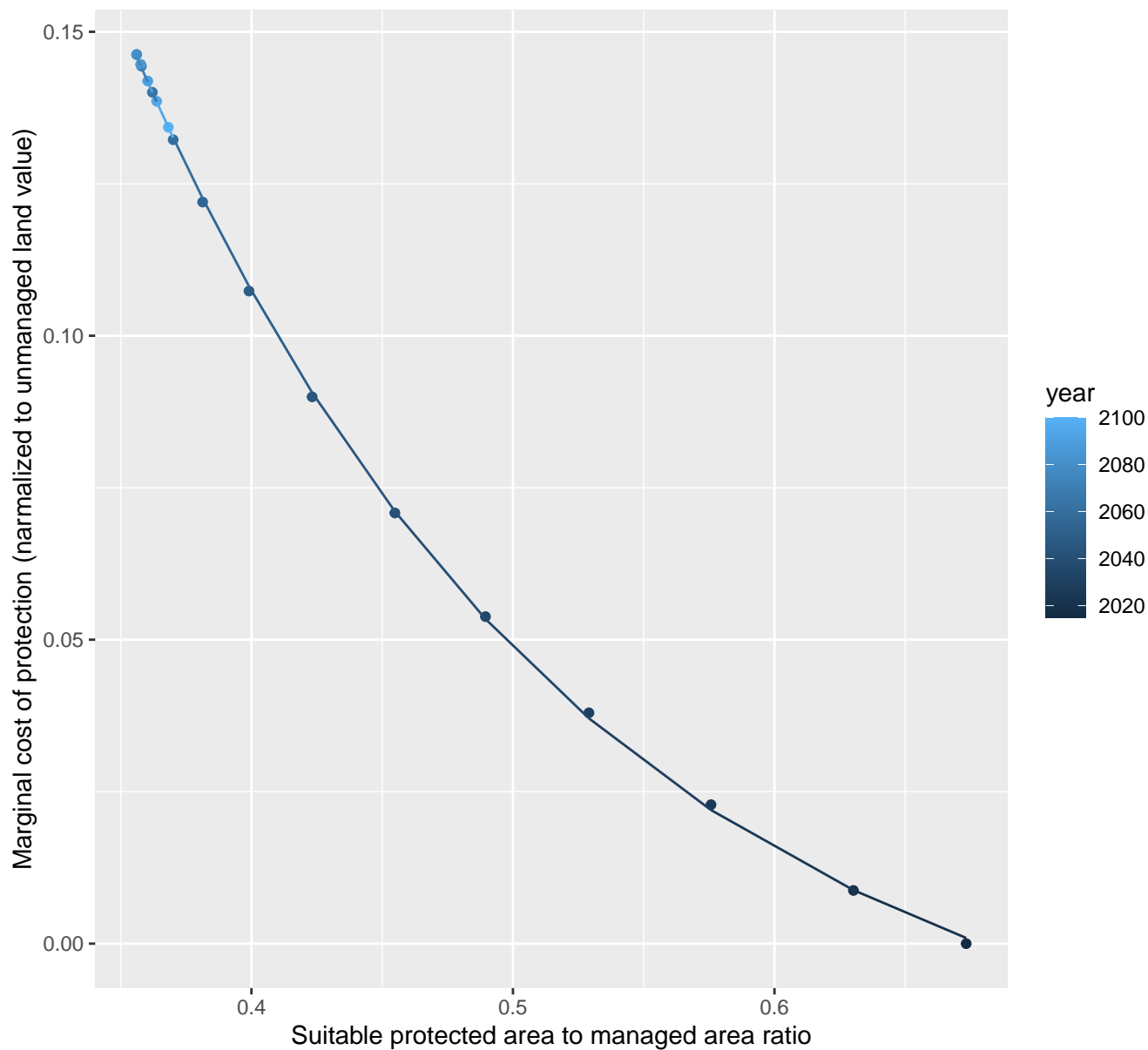




# 18167 marginal protection cost ratio

nls random pval = 0.01512

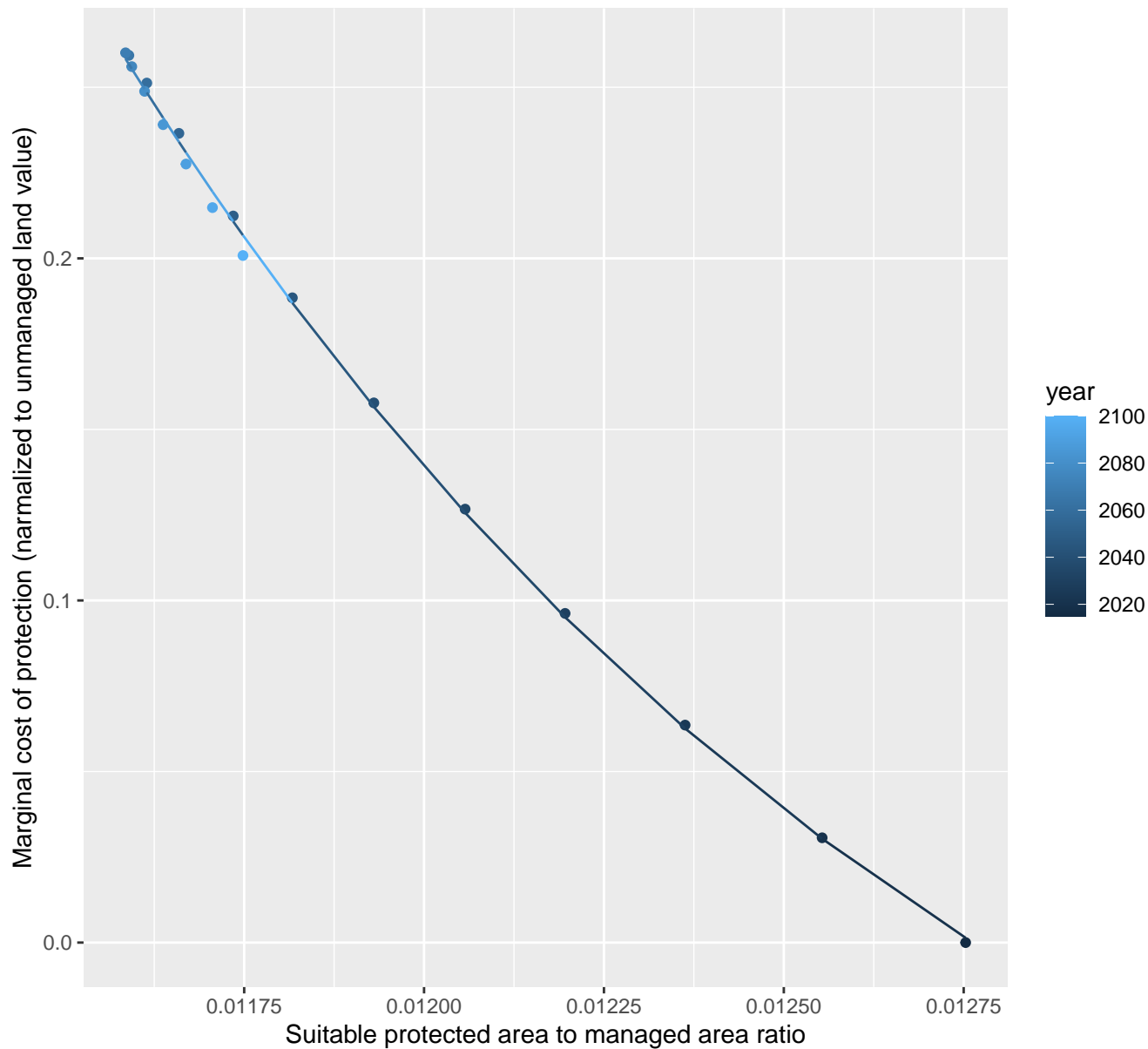
$$y = -0.03 + 1.33 \cdot \exp(-5.73 \cdot x)$$

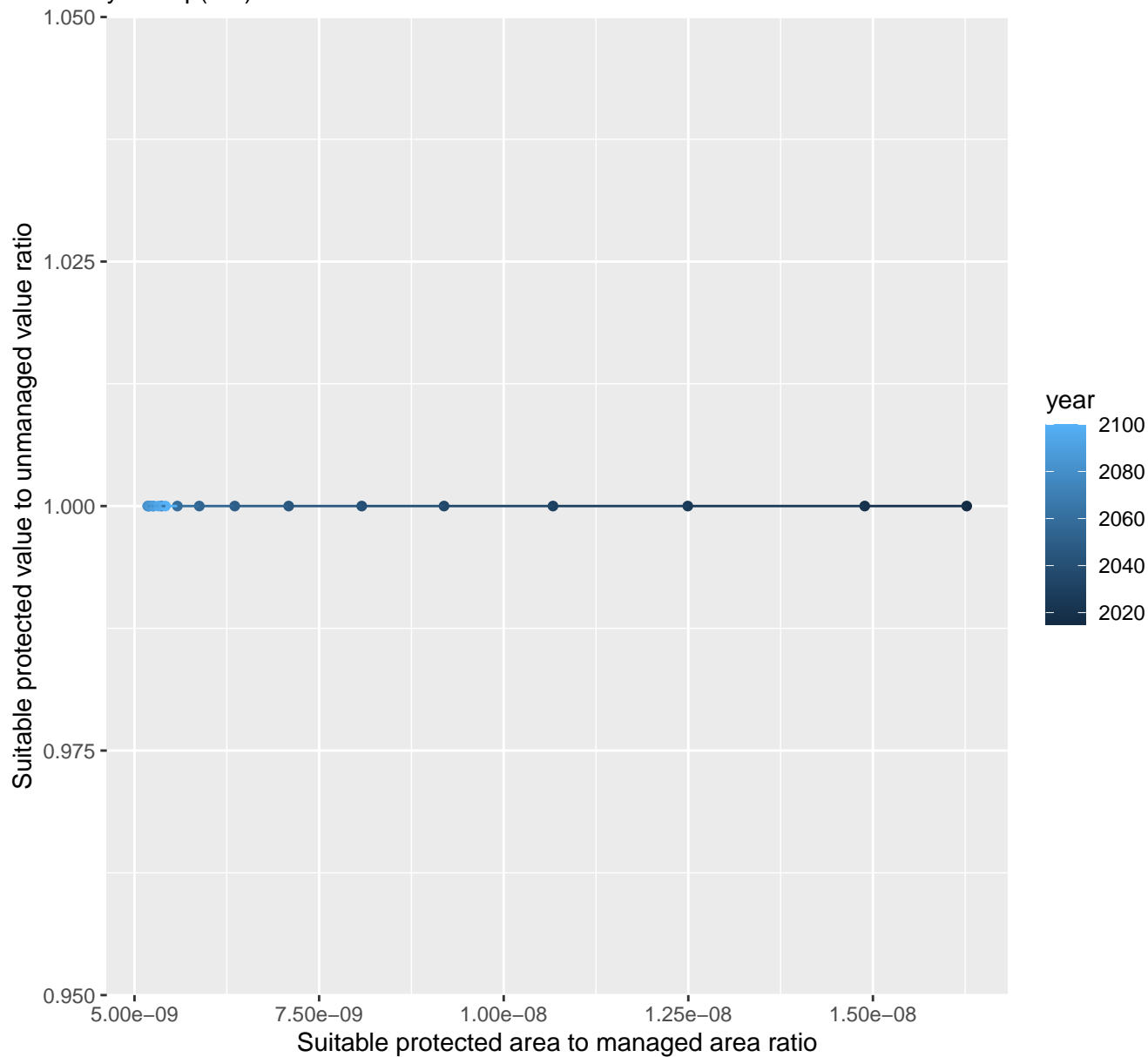


# 18175 marginal protection cost ratio

nls random pval = 0.00067

$$y = -0.17 + 3957.36 \cdot \exp(-788.46 \cdot x)$$

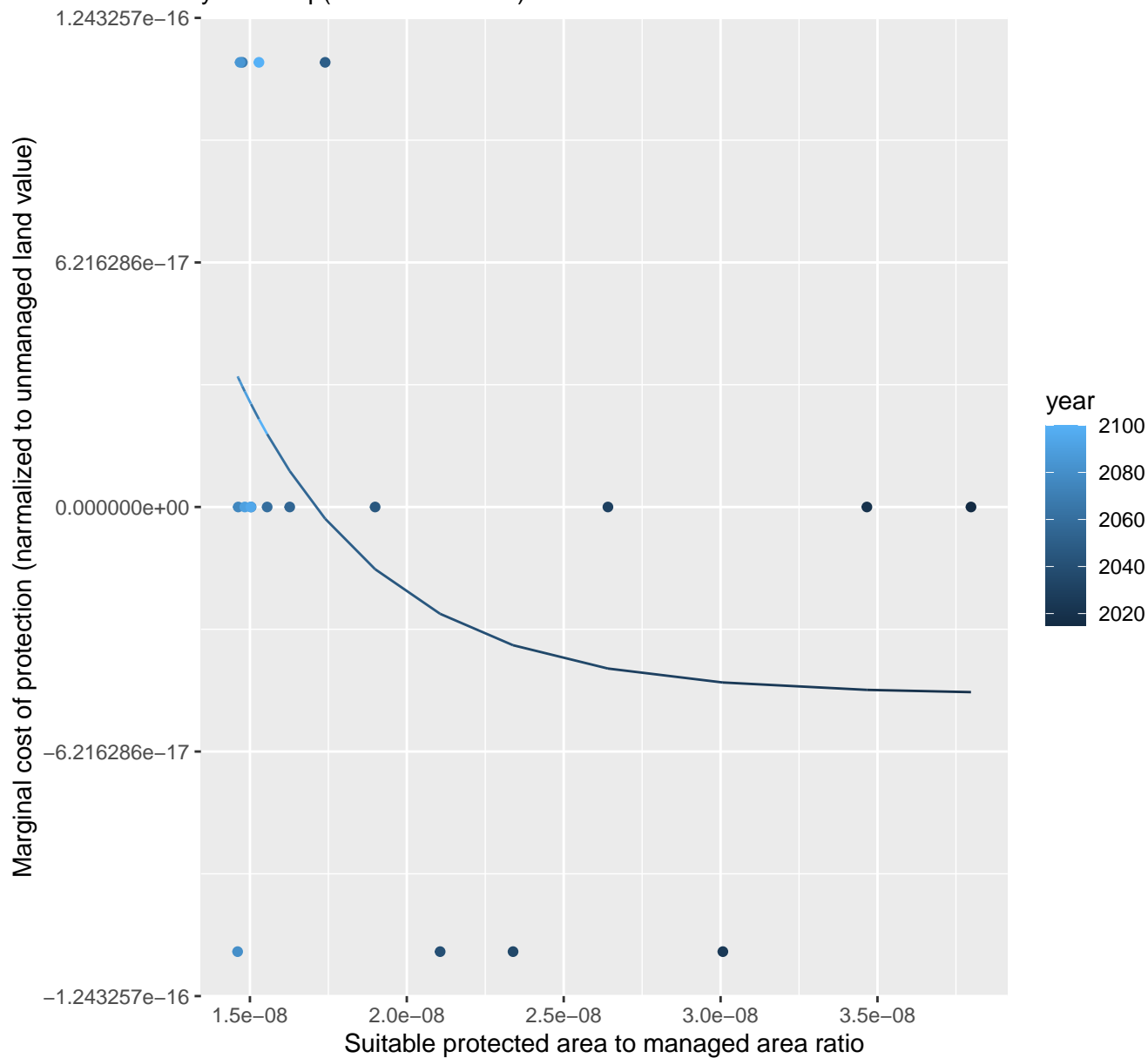


$$y = 1 \cdot \exp(0 \cdot x)$$


# 18181 marginal protection cost ratio

nls random pval = 0.62703

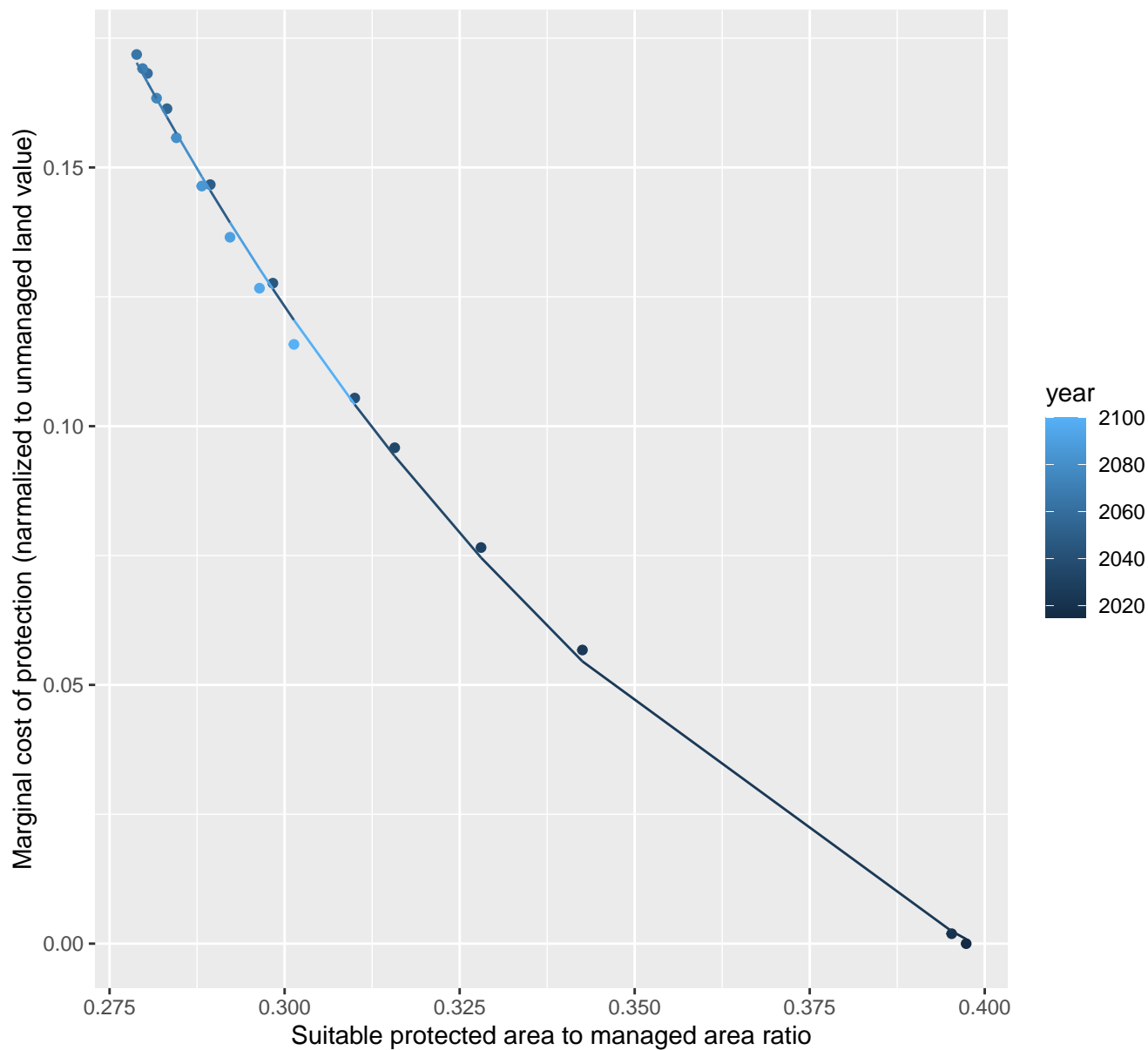
$y=0+0*\exp(-212809044.4*x)$



# 19051 marginal protection cost ratio

nls random pval = 0.00067

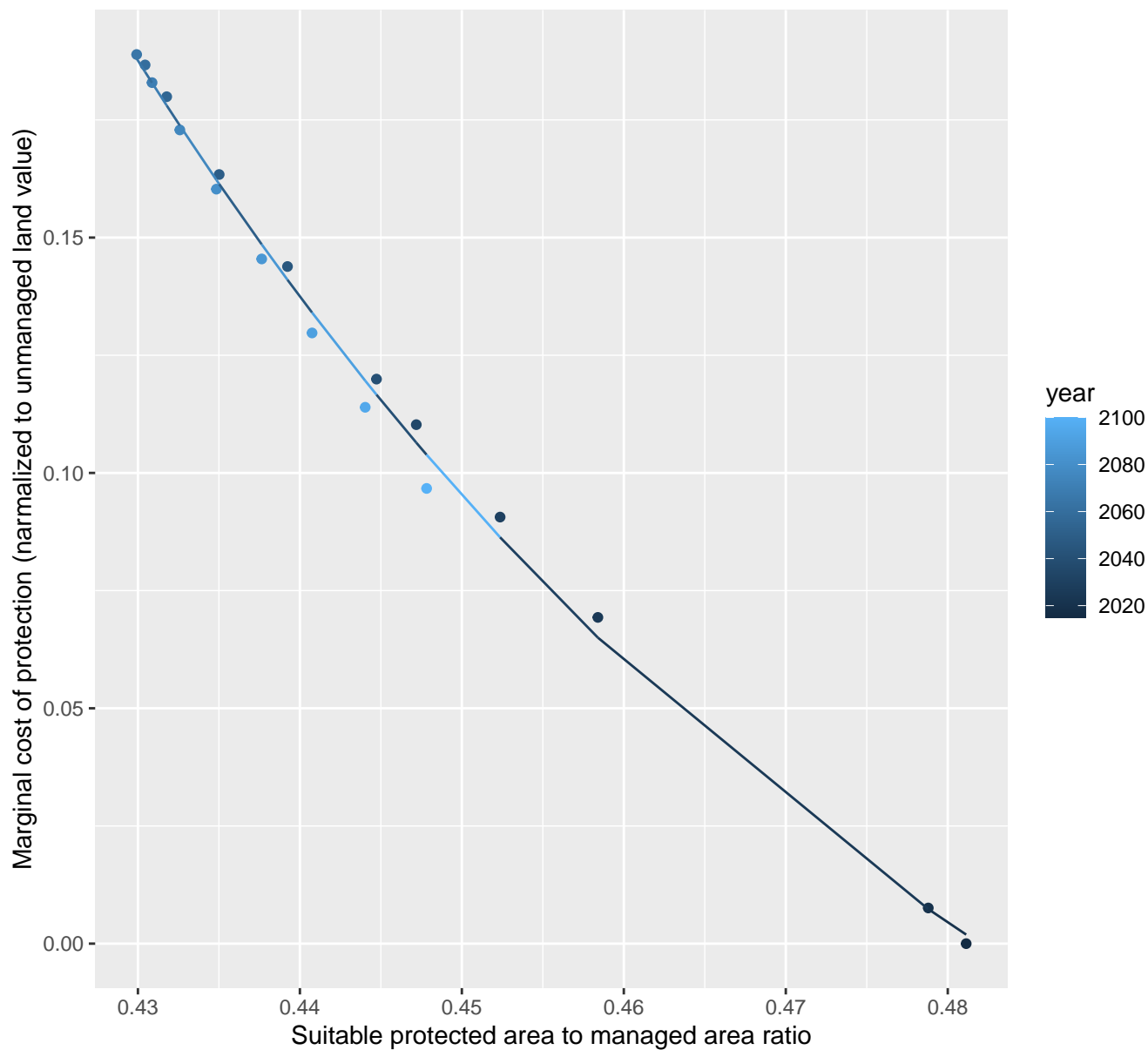
$$y = -0.07 + 4.31 \cdot \exp(-10.36 \cdot x)$$



# 19103 marginal protection cost ratio

nls random pval = 0.00067

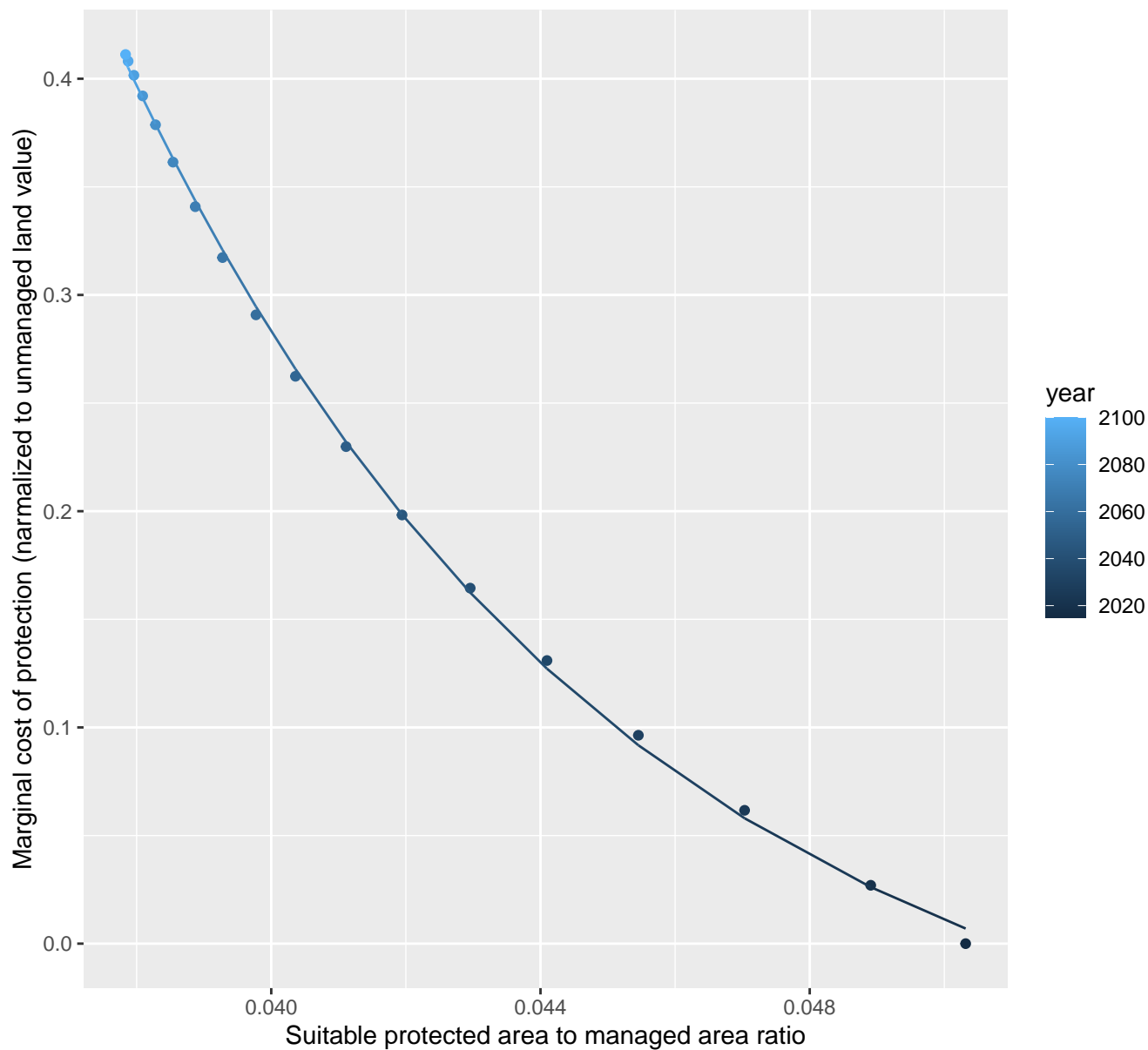
$$y = -0.13 + 507.48 \cdot \exp(-17.15 \cdot x)$$



# 20091 marginal protection cost ratio

nls random pval = 0.00355

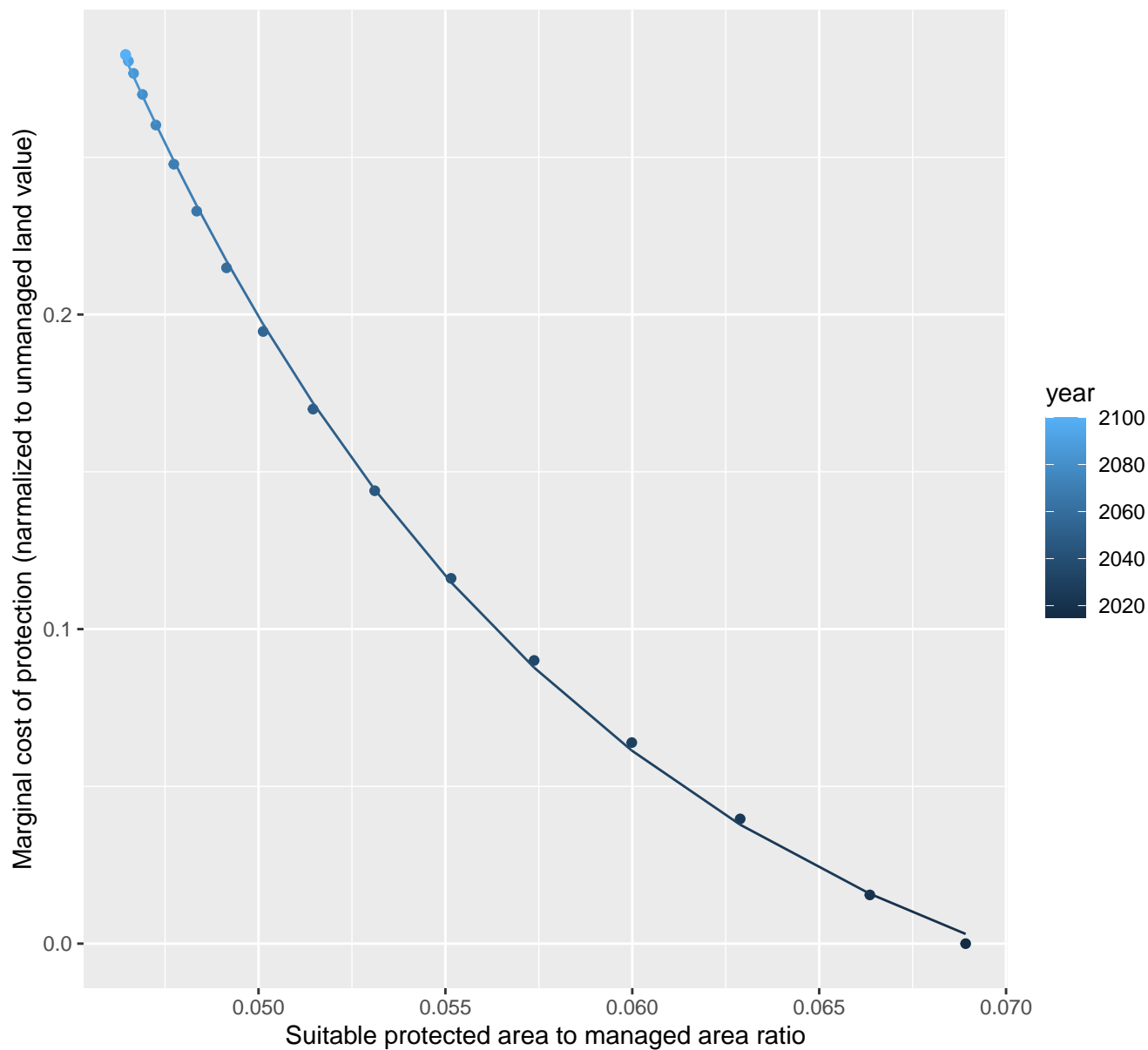
$$y = -0.08 + 80.47 \cdot \exp(-134.7 \cdot x)$$



# 20096 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.05 + 12.99 \cdot \exp(-78.73 \cdot x)$$

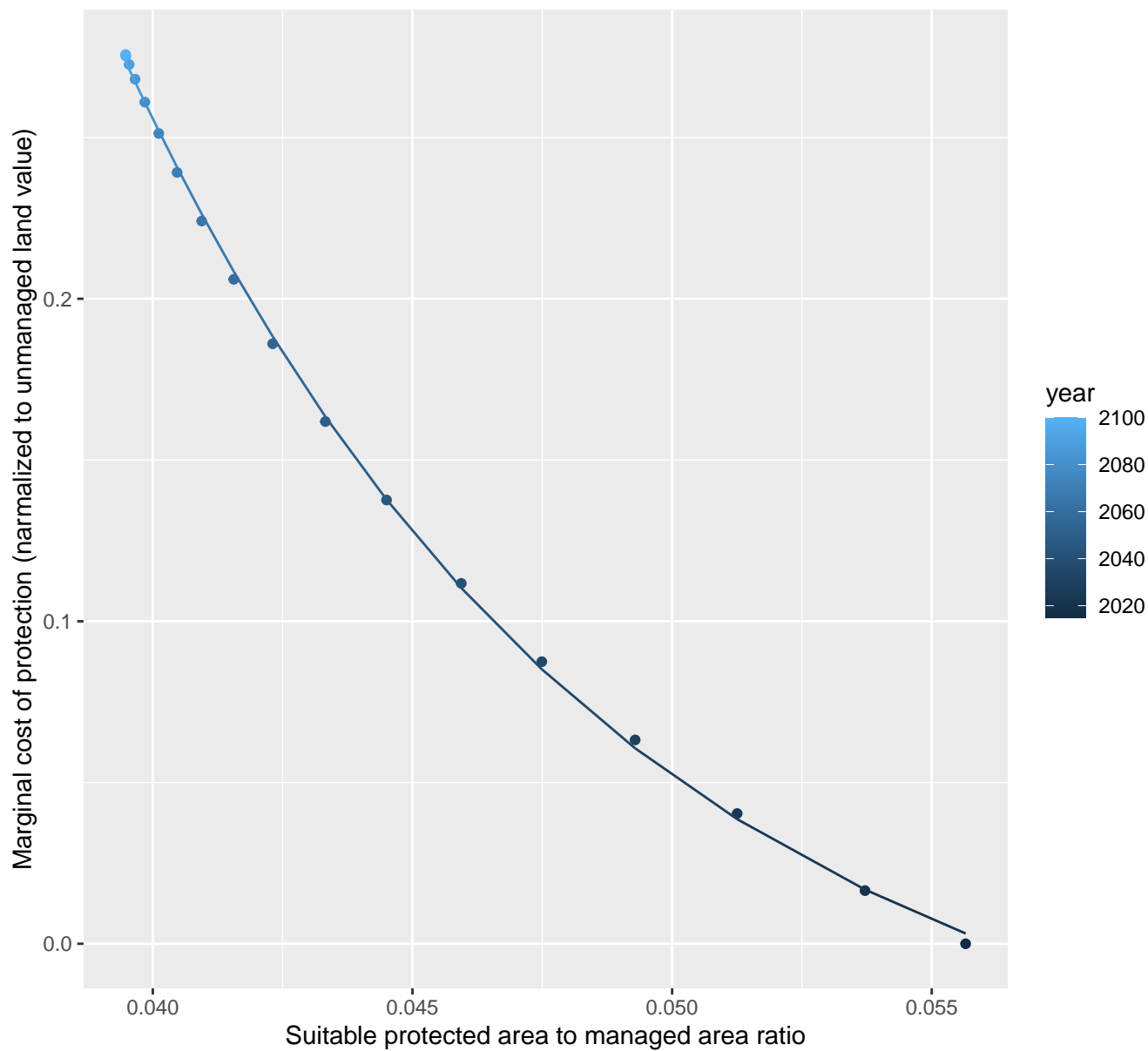




# 20105 marginal protection cost ratio

nls random pval = 0.00355

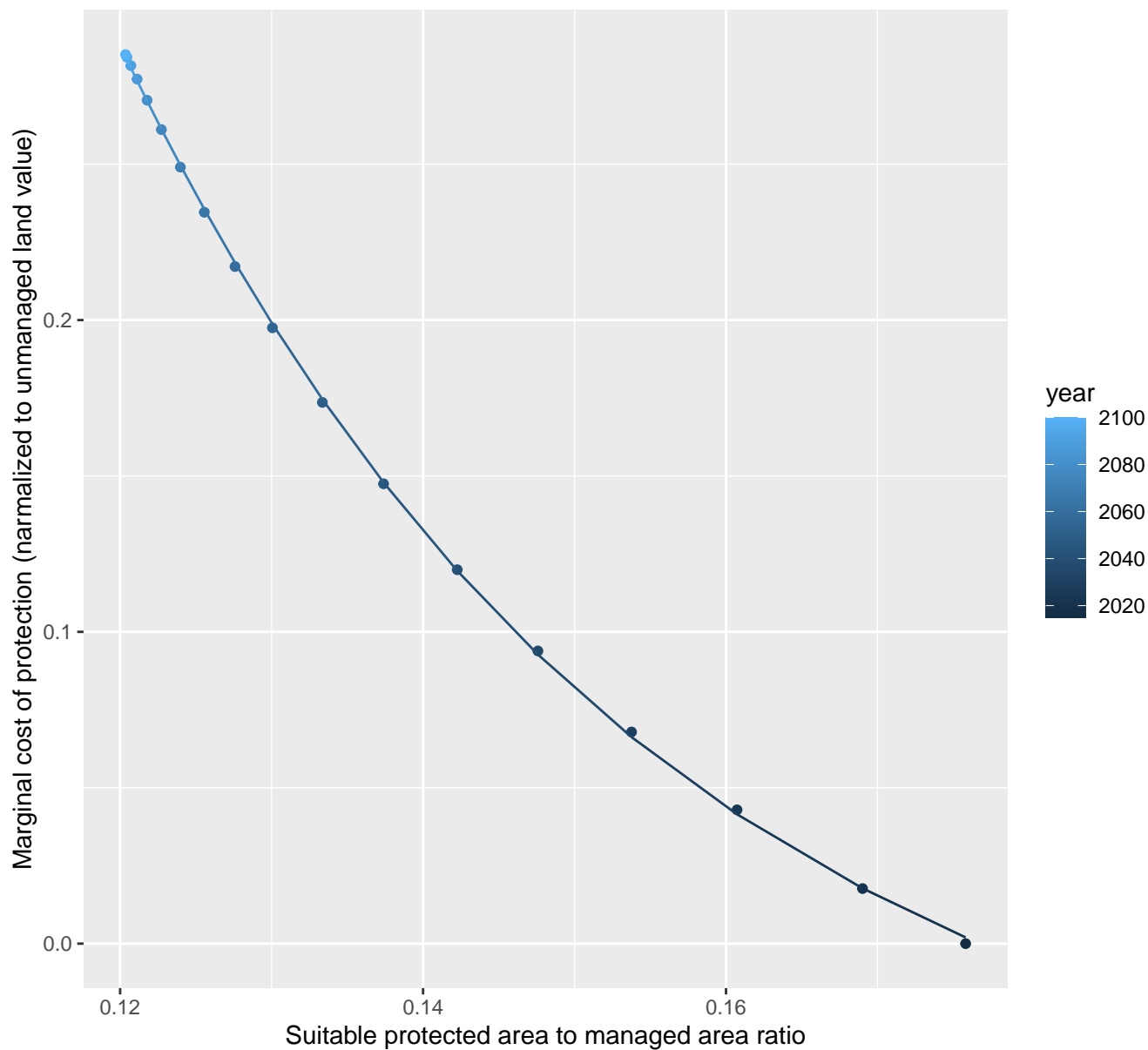
$$y = -0.06 + 21.16 \cdot \exp(-105.37 \cdot x)$$



# 20111 marginal protection cost ratio

nls random pval = 0.00355

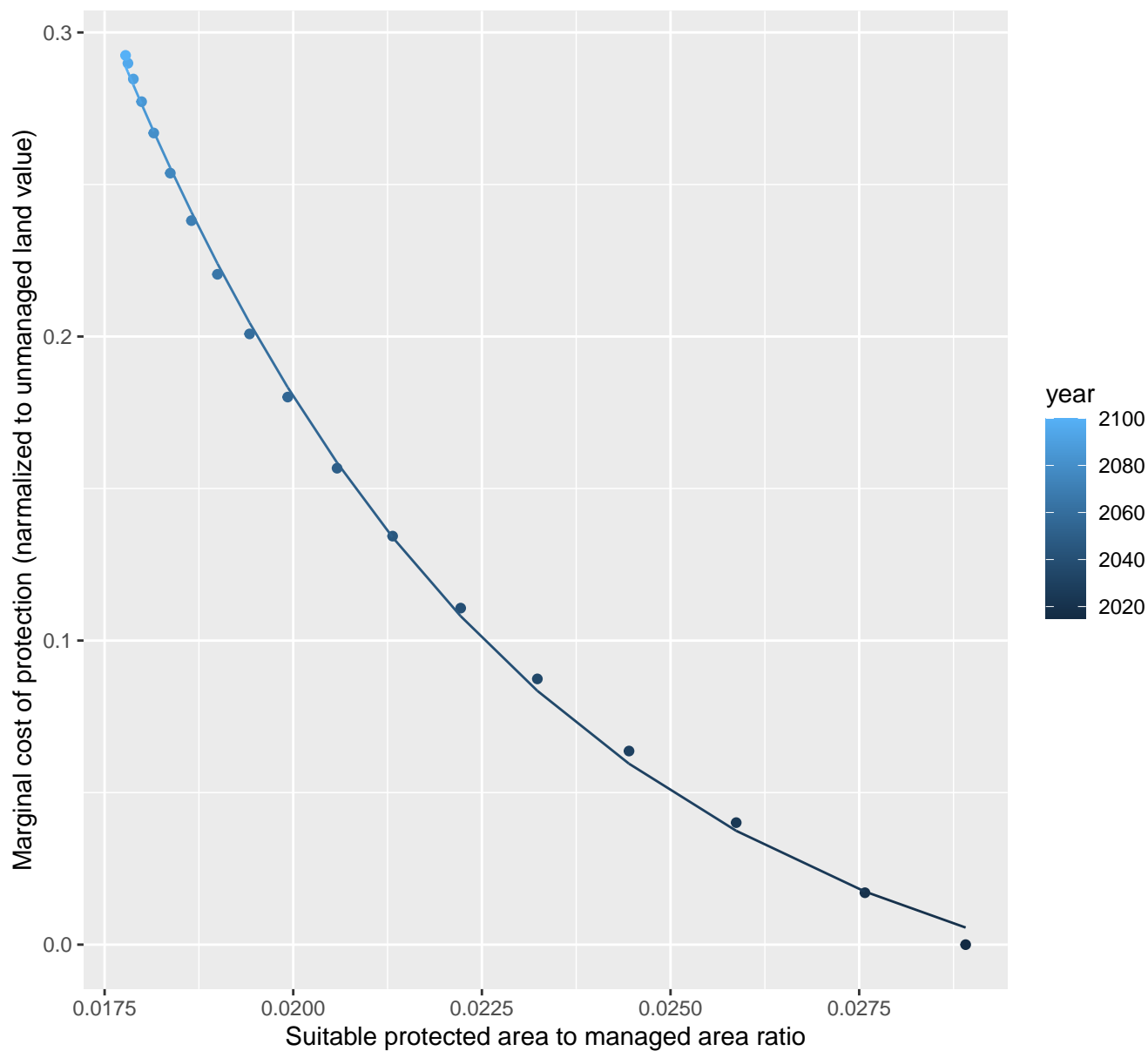
$$y = -0.07 + 10.82 \cdot \exp(-28.36 \cdot x)$$



# 20114 marginal protection cost ratio

nls random pval = 0.00355

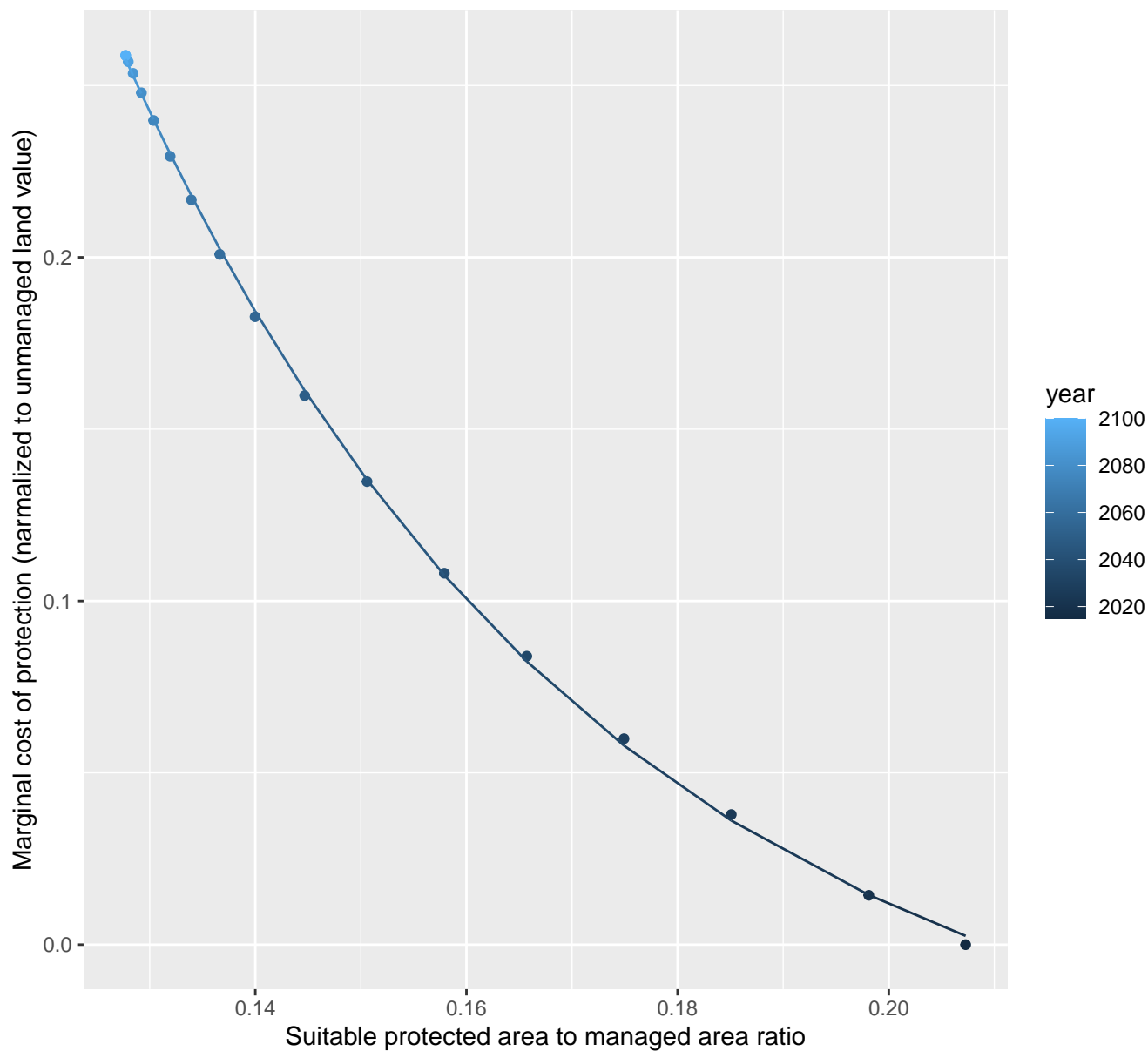
$$y = -0.04 + 8.27 \cdot \exp(-181.84 \cdot x)$$



# 20115 marginal protection cost ratio

nls random pval = 0.00355

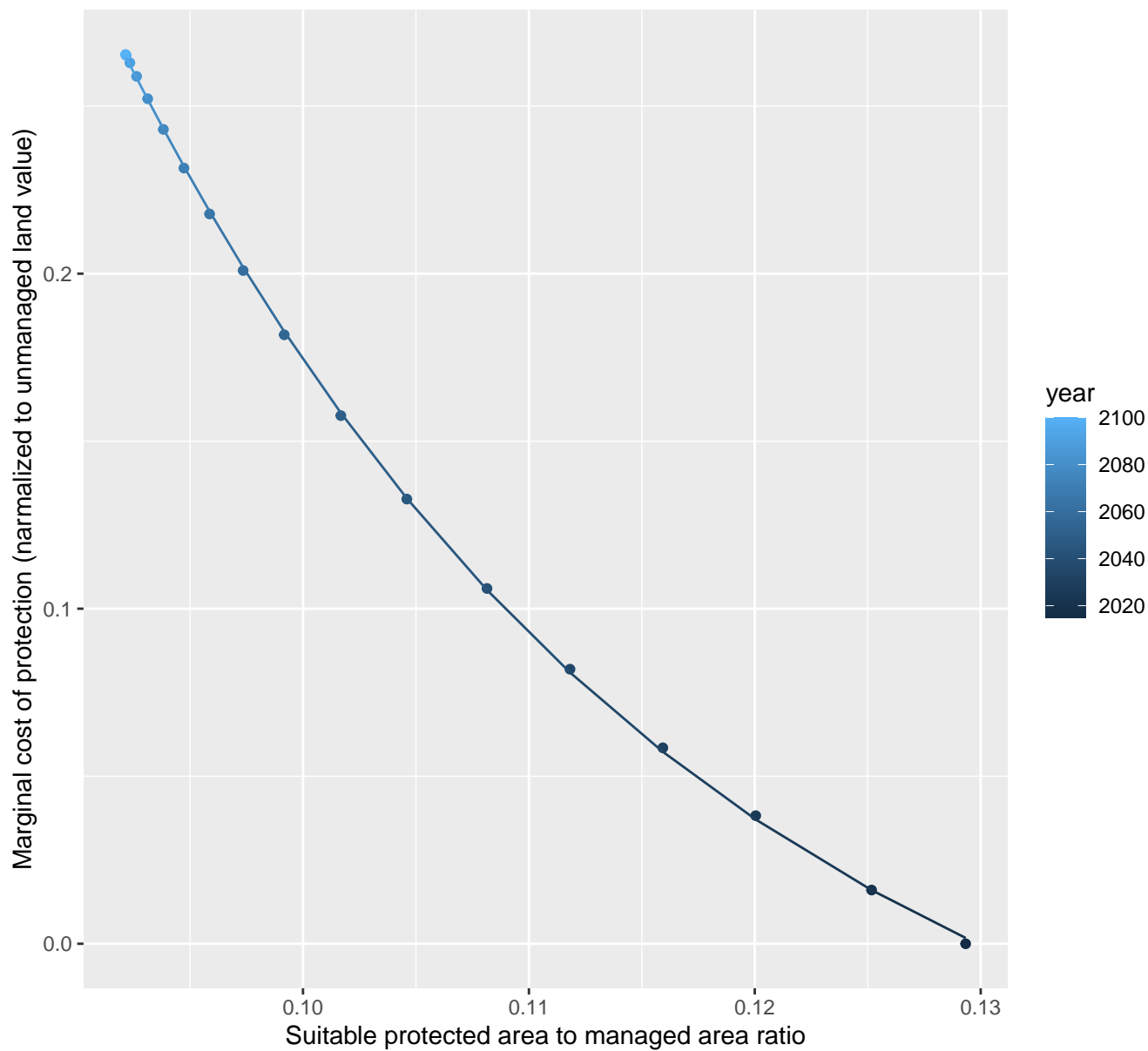
$$y = -0.05 + 5.22 \cdot \exp(-22.16 \cdot x)$$



# 20130 marginal protection cost ratio

nls random pval = 0.00355

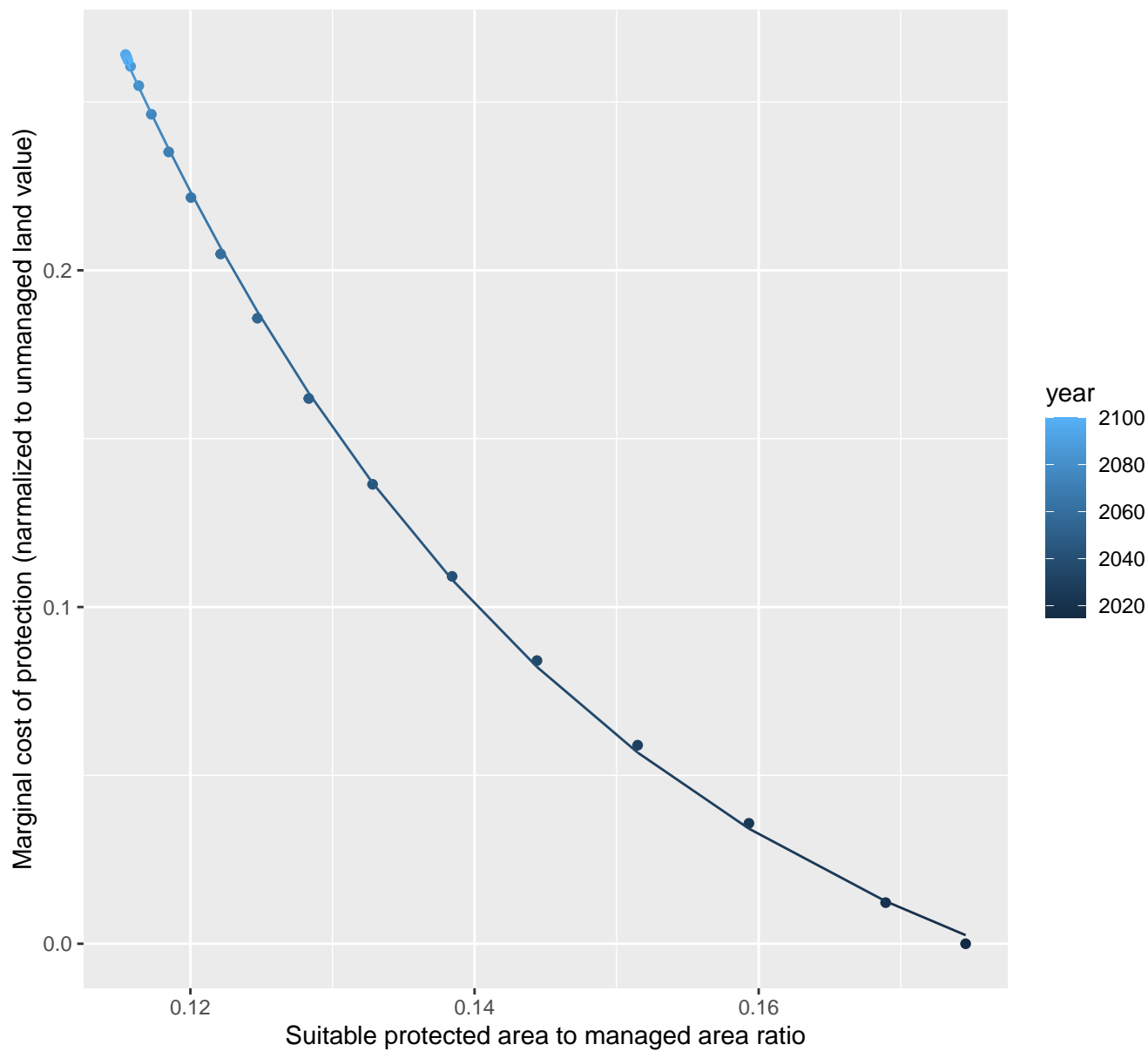
$$y = -0.08 + 12.26 \cdot \exp(-38.75 \cdot x)$$



# 20131 marginal protection cost ratio

nls random pval = 0.00355

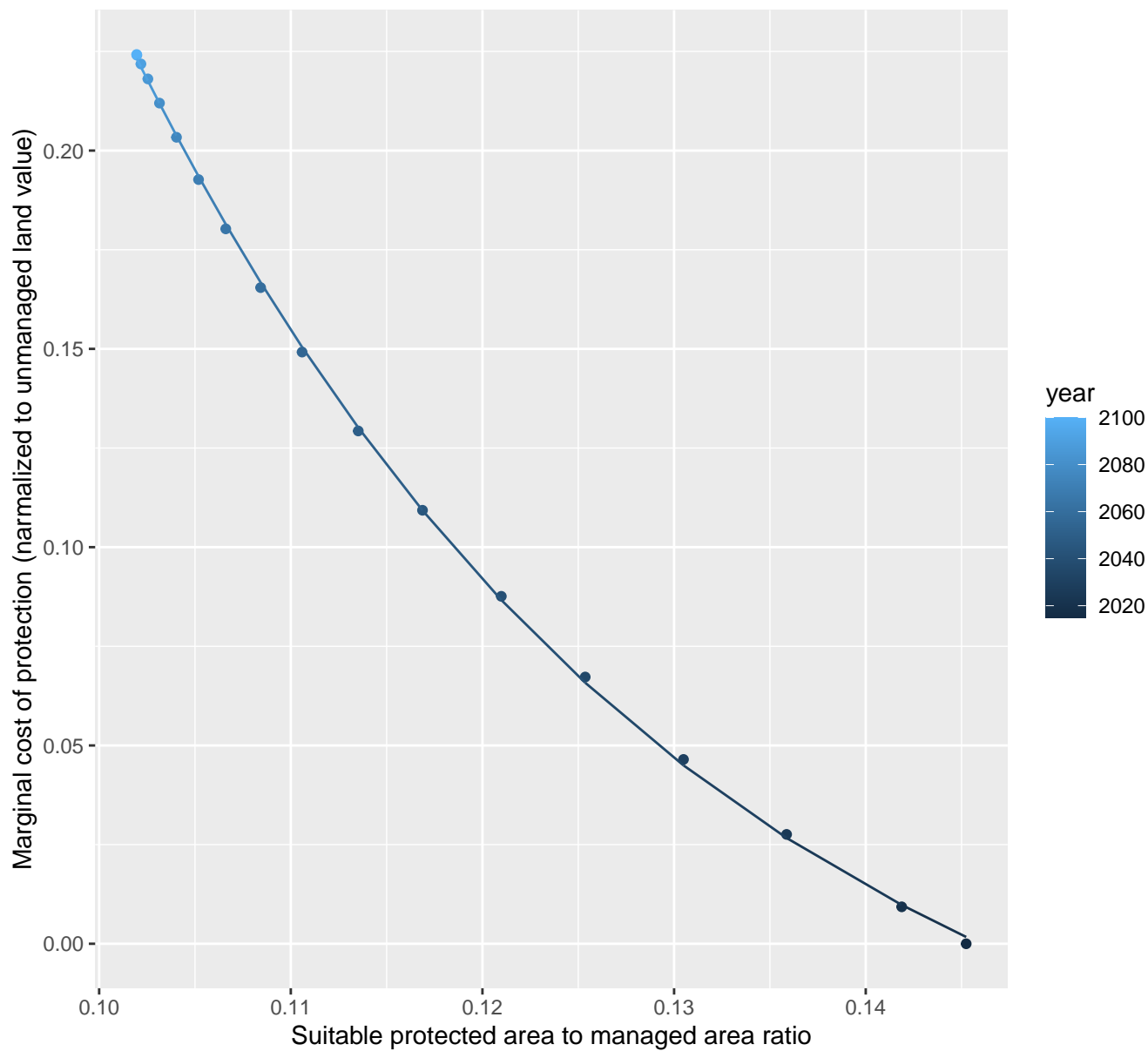
$$y = -0.05 + 9.2 \cdot \exp(-29.18 \cdot x)$$



# 20132 marginal protection cost ratio

nls random pval = 0.00355

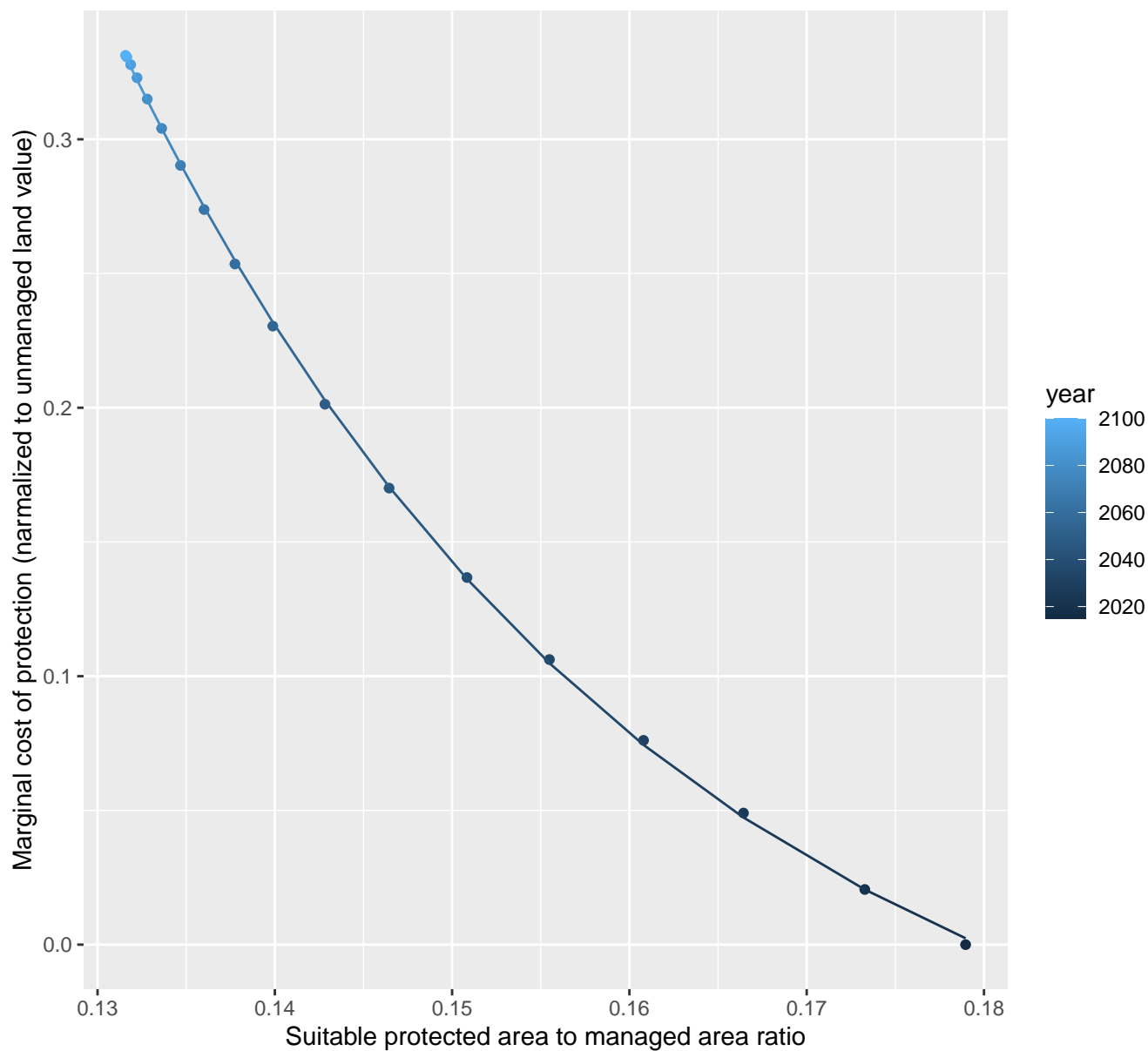
$$y = -0.07 + 8.92 \cdot \exp(-33.64 \cdot x)$$



# 20133 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.09 + 30.36 \cdot \exp(-32.57 \cdot x)$$

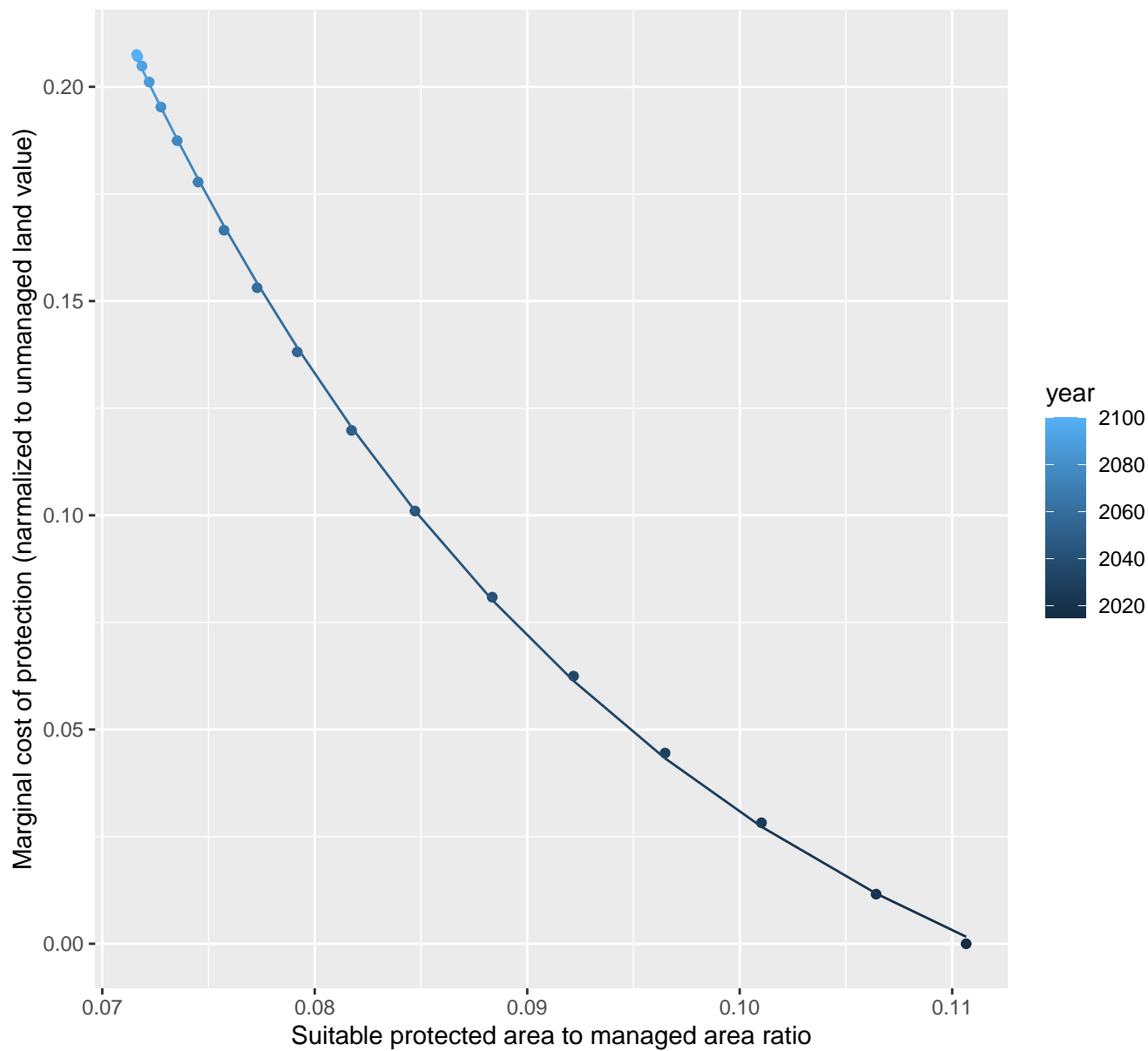




# 20134 marginal protection cost ratio

nls random pval = 0.00355

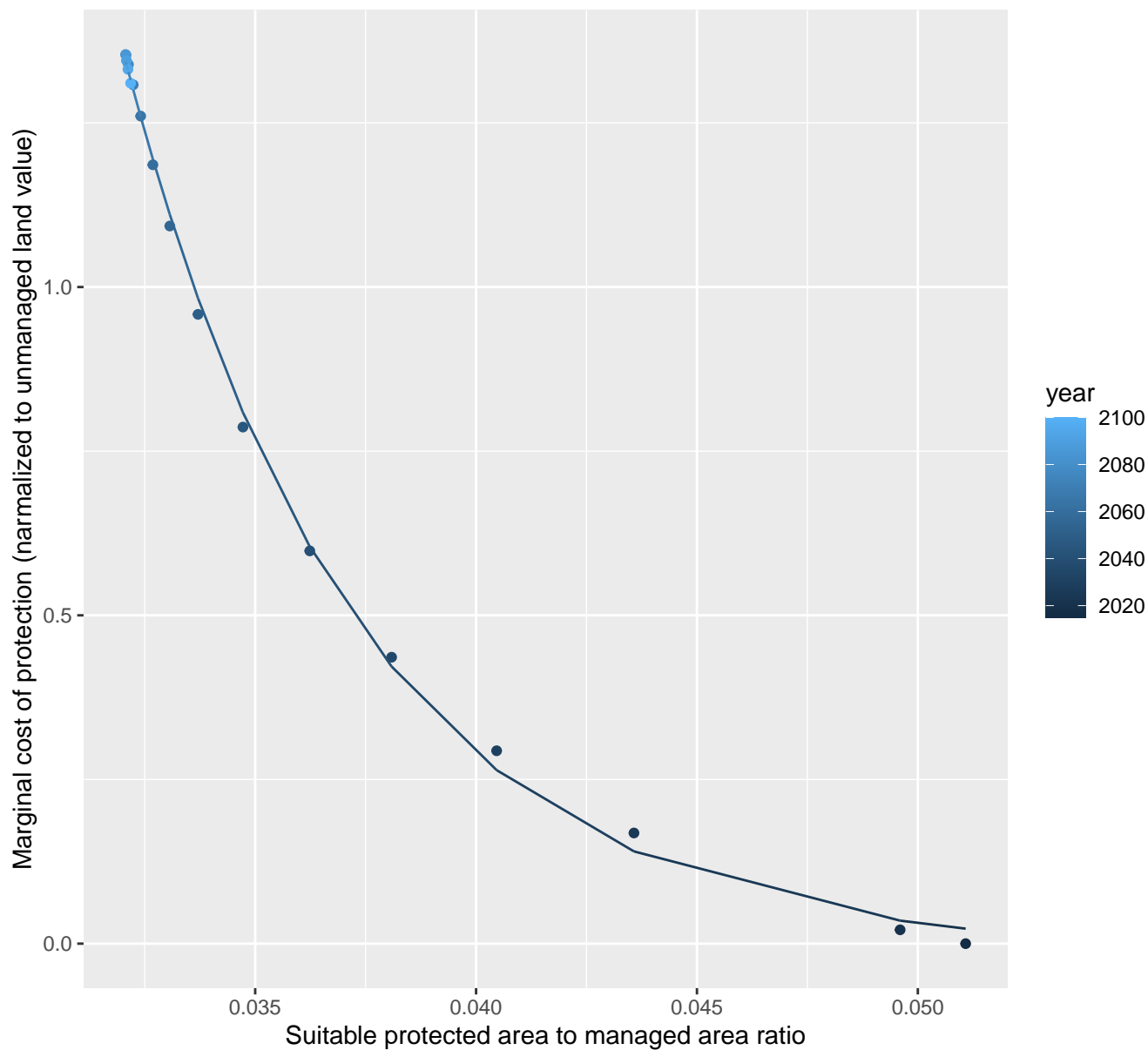
$$y = -0.05 + 4.51 \cdot \exp(-39.85 \cdot x)$$



# 20135 marginal protection cost ratio

nls random pval = 0.01512

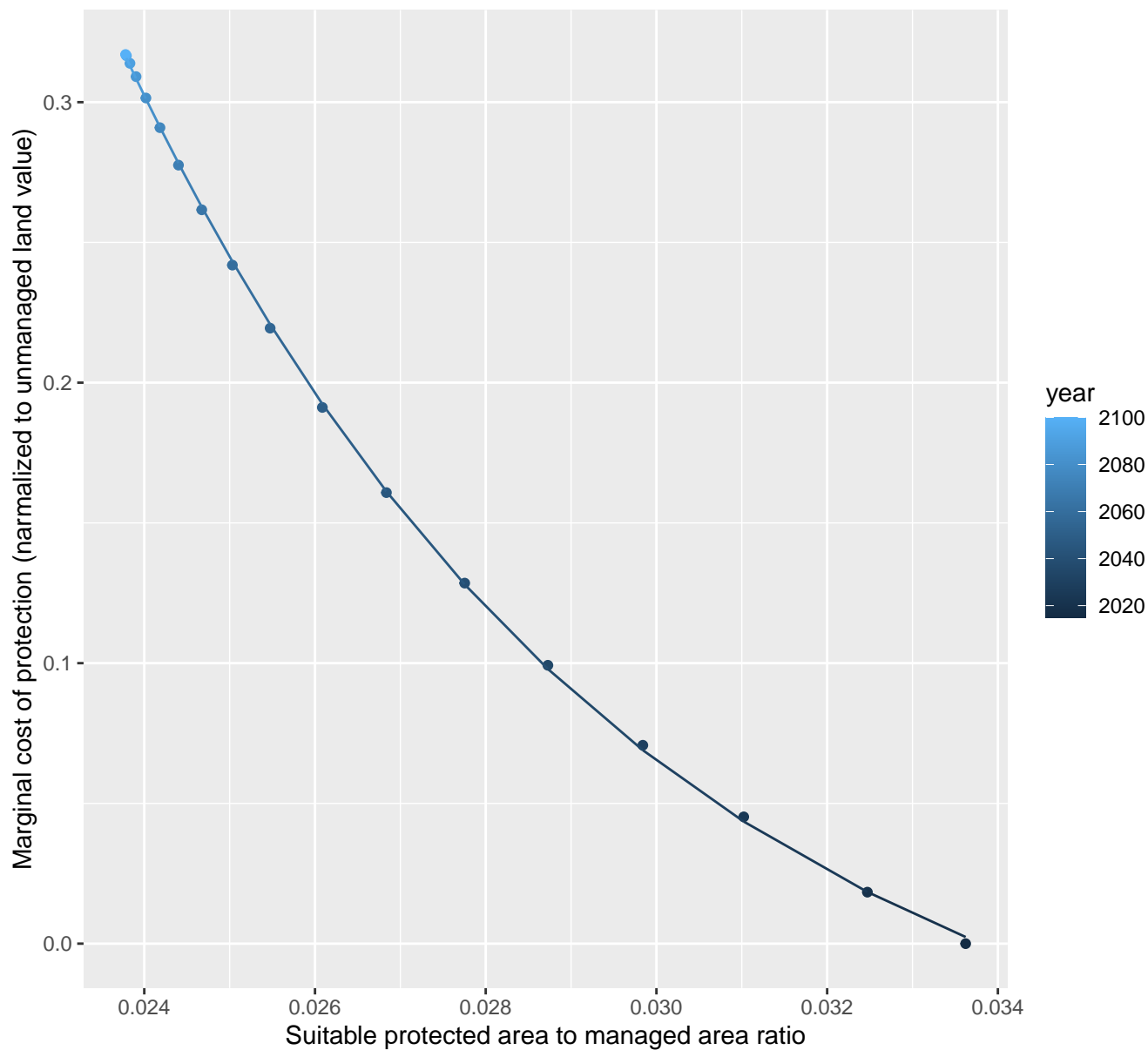
$$y = -0.01 + 572.08 \cdot \exp(-188.44 \cdot x)$$



# 20136 marginal protection cost ratio

nls random pval = 0.00355

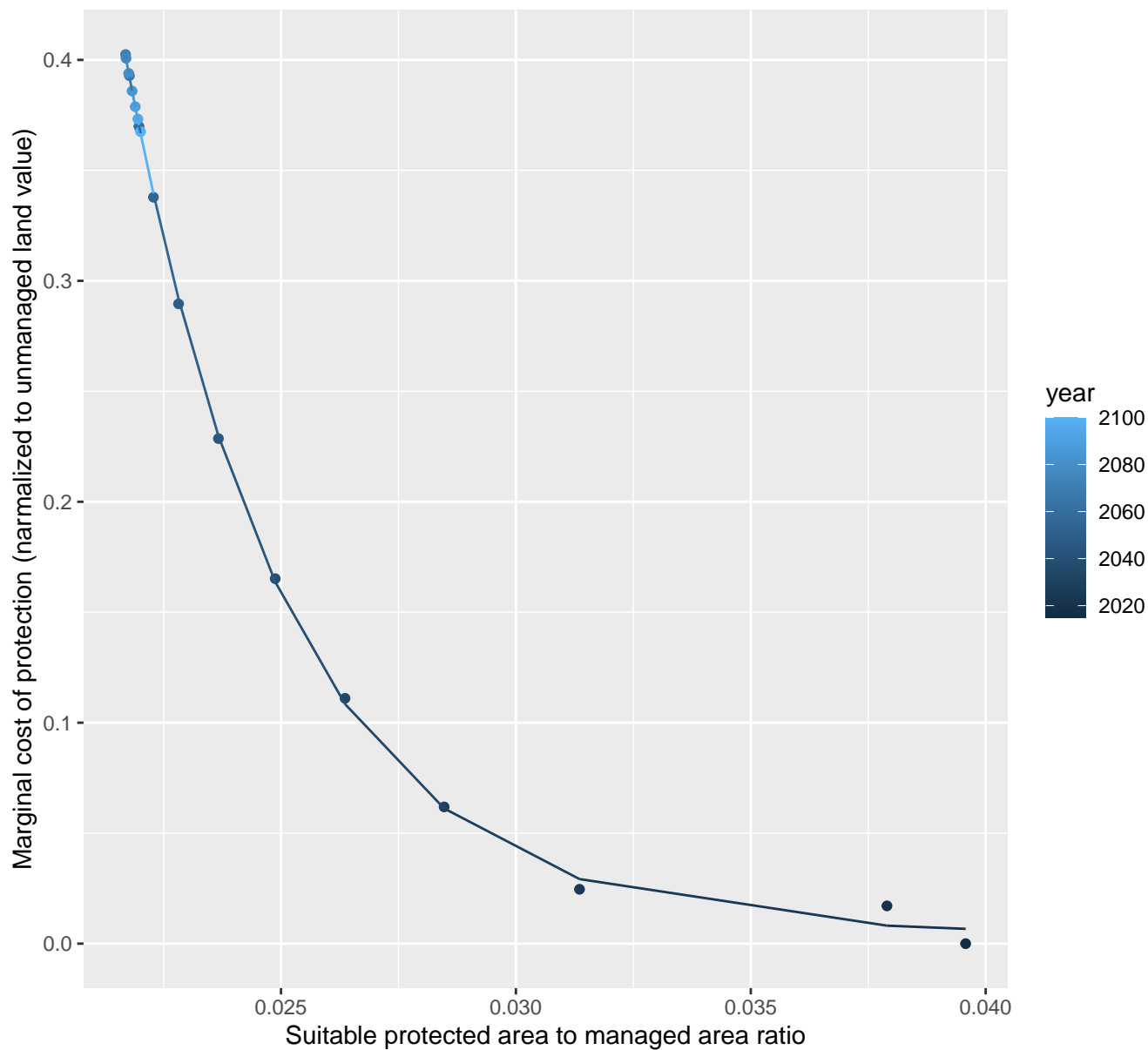
$$y = -0.07 + 20.08 \cdot \exp(-165.69 \cdot x)$$



# 20217 marginal protection cost ratio

nls random pval = 0.33114

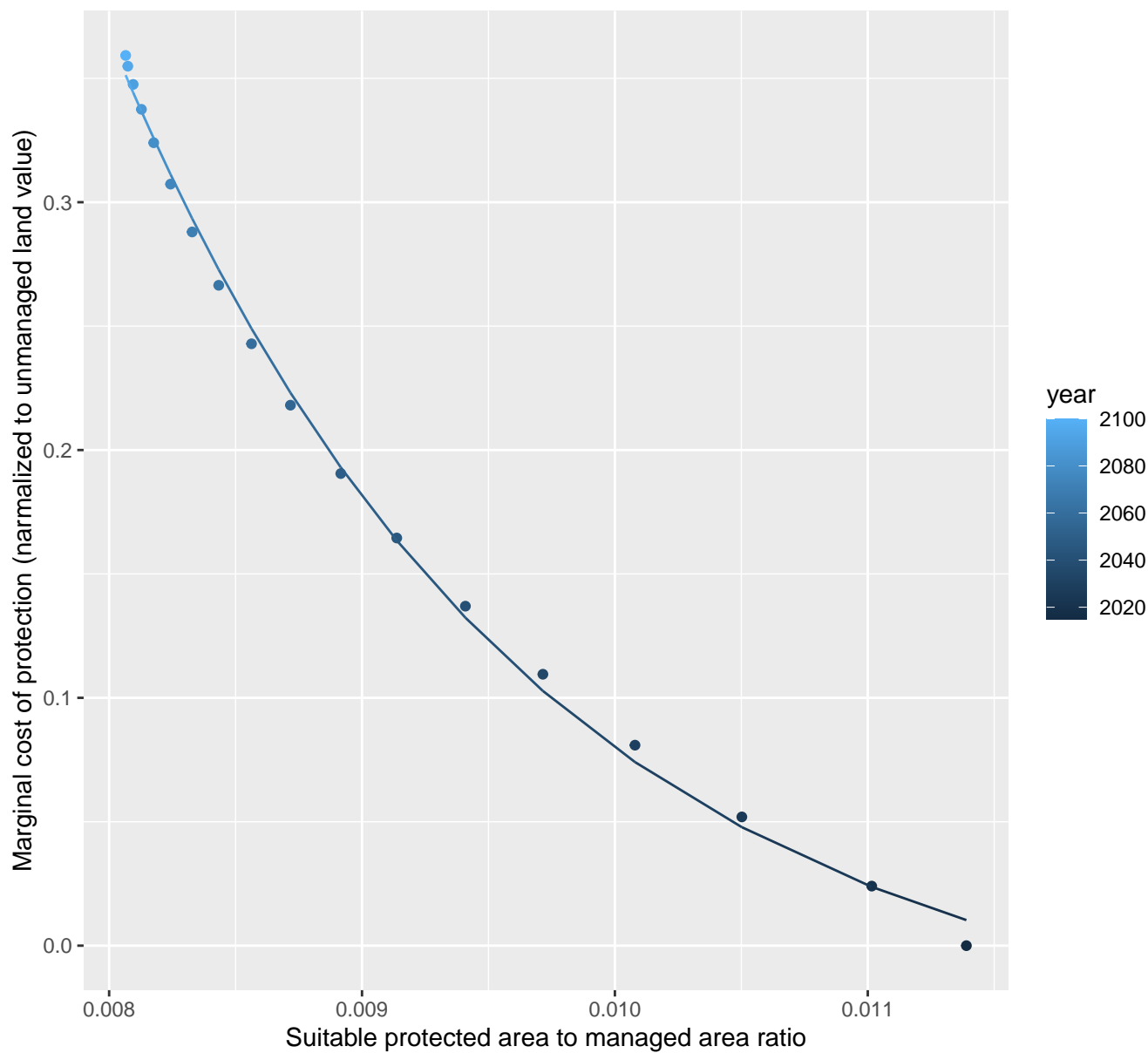
$$y=0+199.17*\exp(-286.64*x)$$



# 20221 marginal protection cost ratio

nls random pval = 0.00355

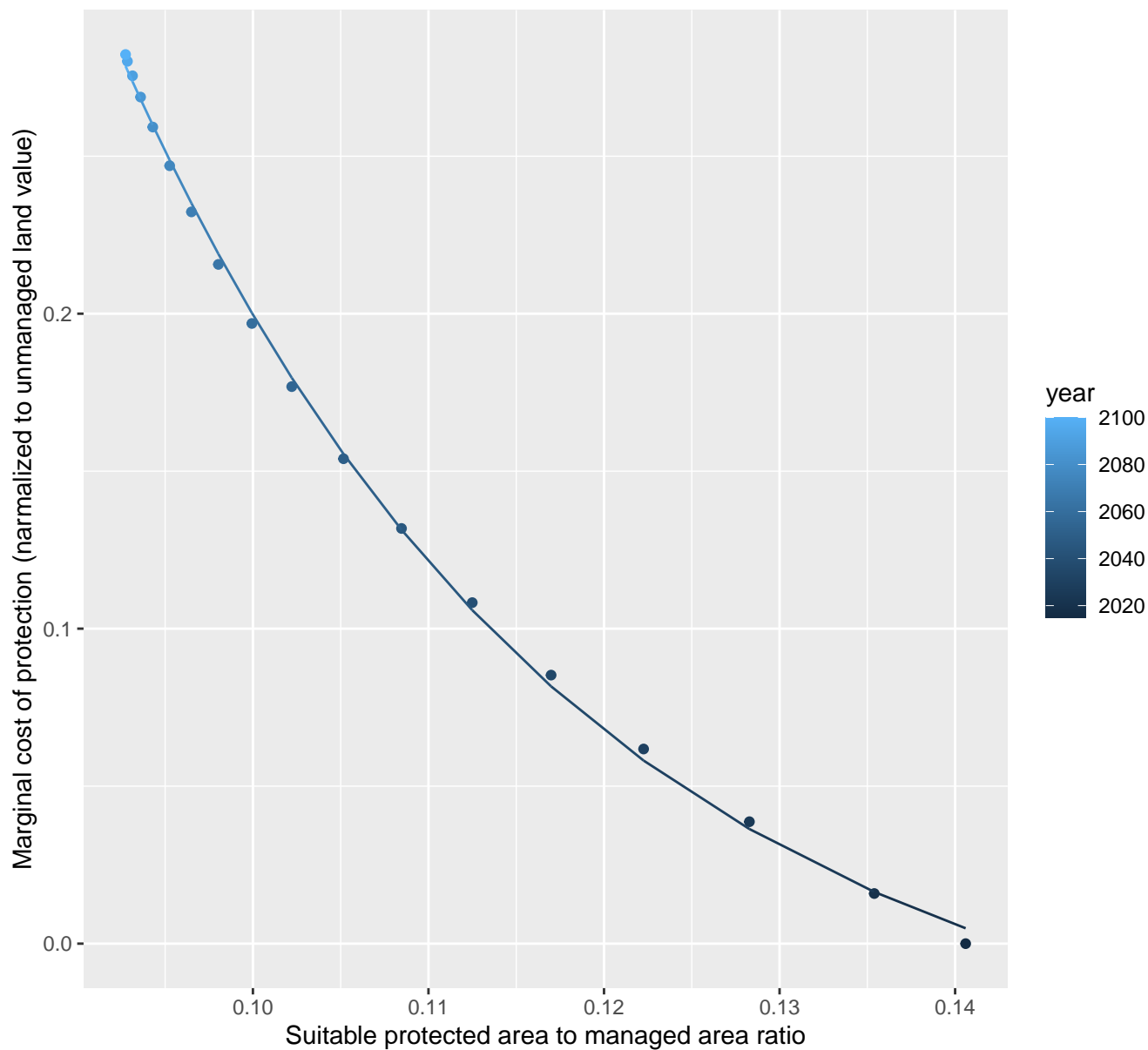
$$y = -0.04 + 51.59 \cdot \exp(-604.47 \cdot x)$$



# 20231 marginal protection cost ratio

nls random pval = 0.00355

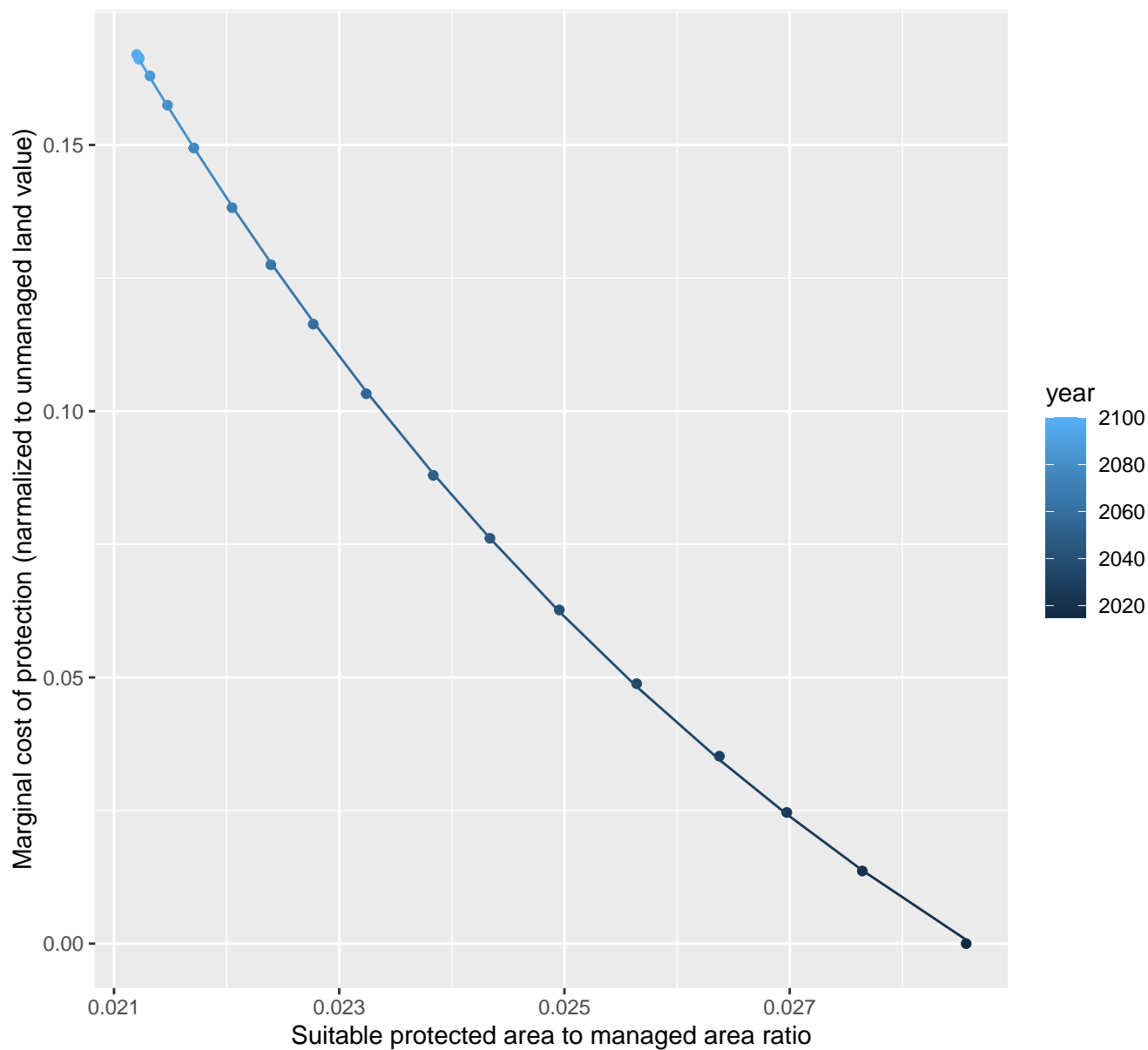
$$y = -0.05 + 11.26 \cdot \exp(-38.18 \cdot x)$$



# 21052 marginal protection cost ratio

nls random pval = 0.01512

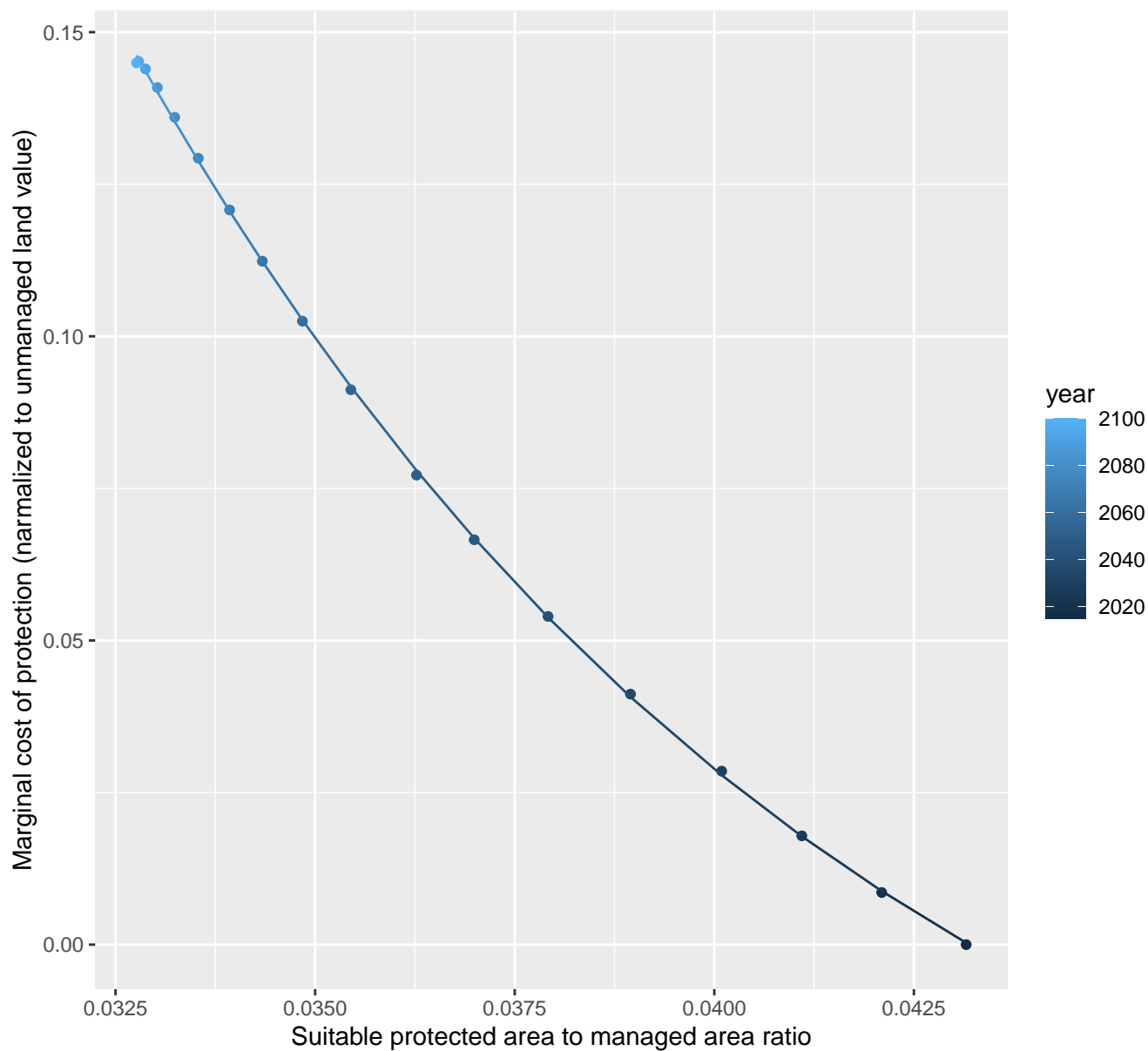
$$y = -0.1 + 4.44 \cdot \exp(-132.7 \cdot x)$$



# 21072 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.07 + 7.52 \cdot \exp(-108.38 \cdot x)$$

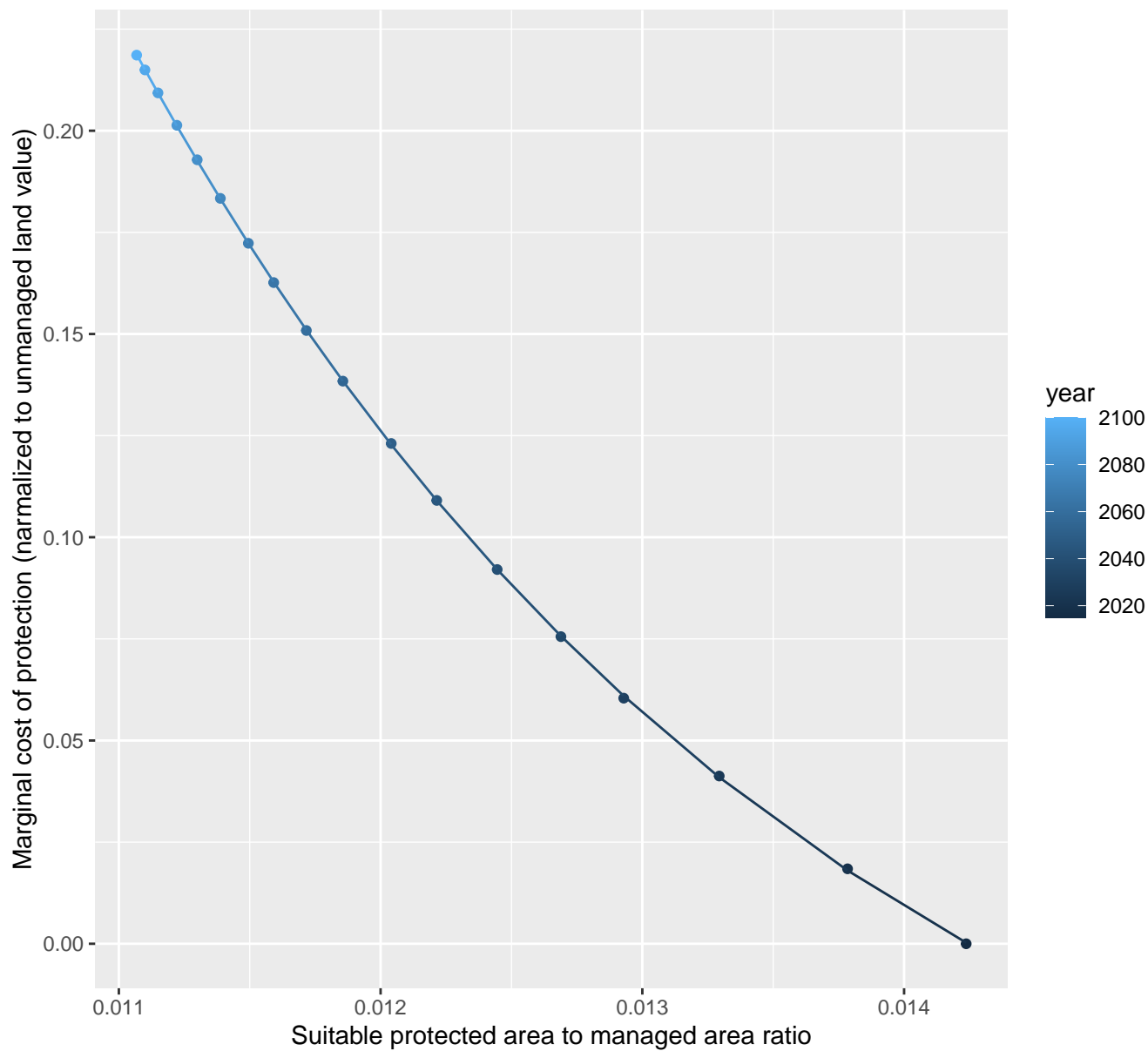




# 21075 marginal protection cost ratio

nls random pval = 0.14491

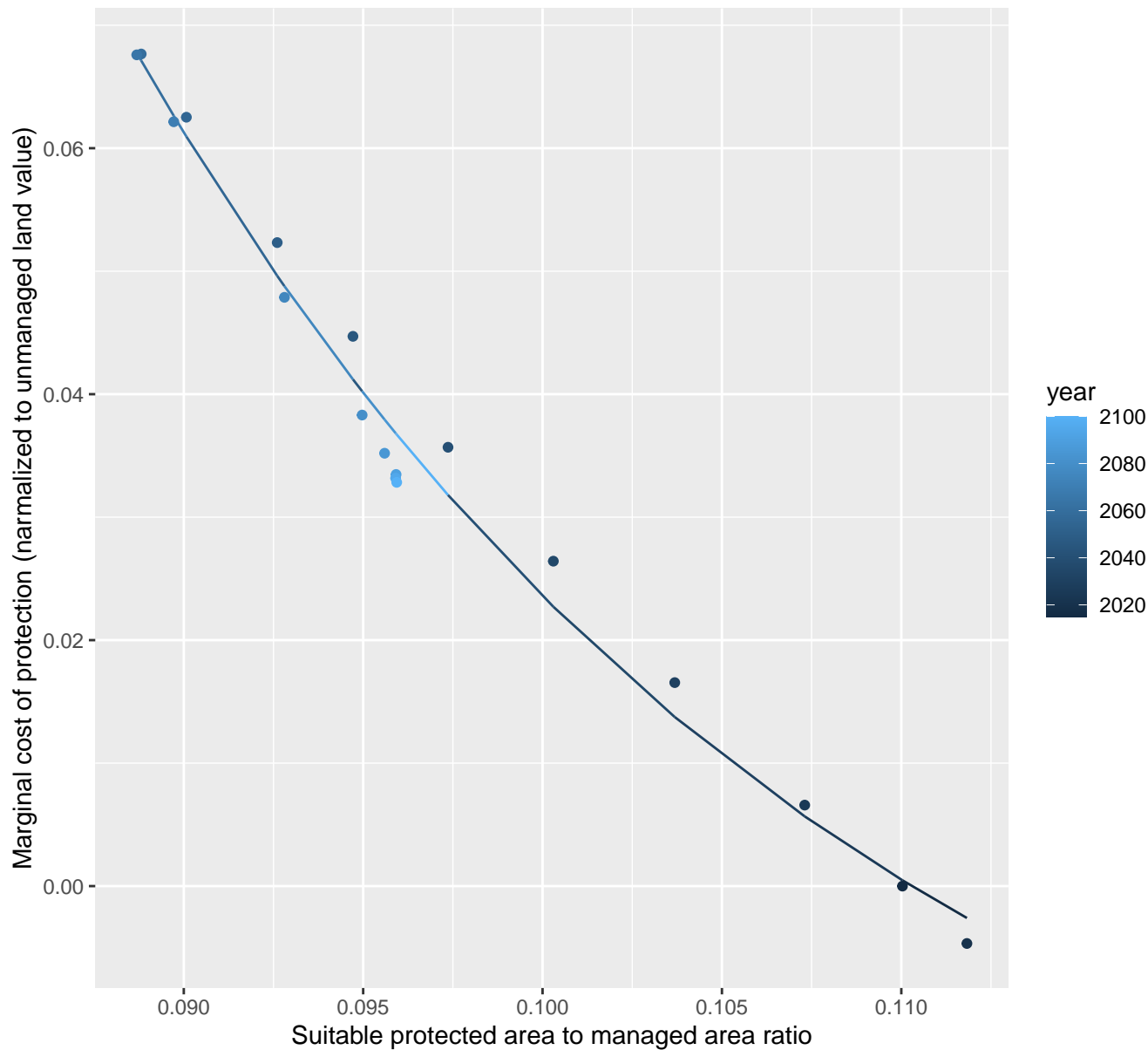
$$y = -0.1 + 19.78 \cdot \exp(-374.15 \cdot x)$$



## 21082 marginal protection cost ratio

nls random pval = 0.00067

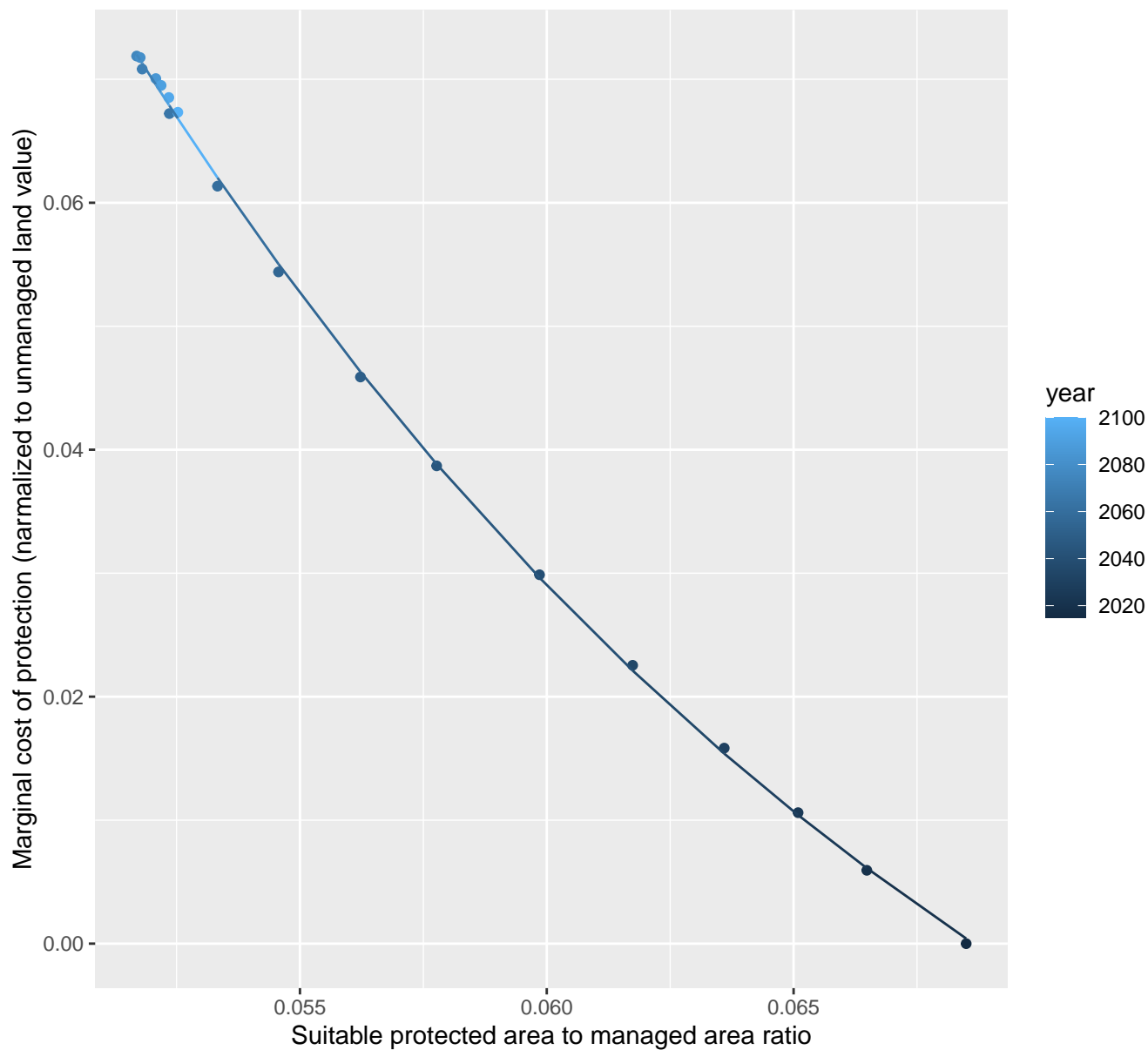
$$y = -0.04 + 8.12 \cdot \exp(-49.18 \cdot x)$$

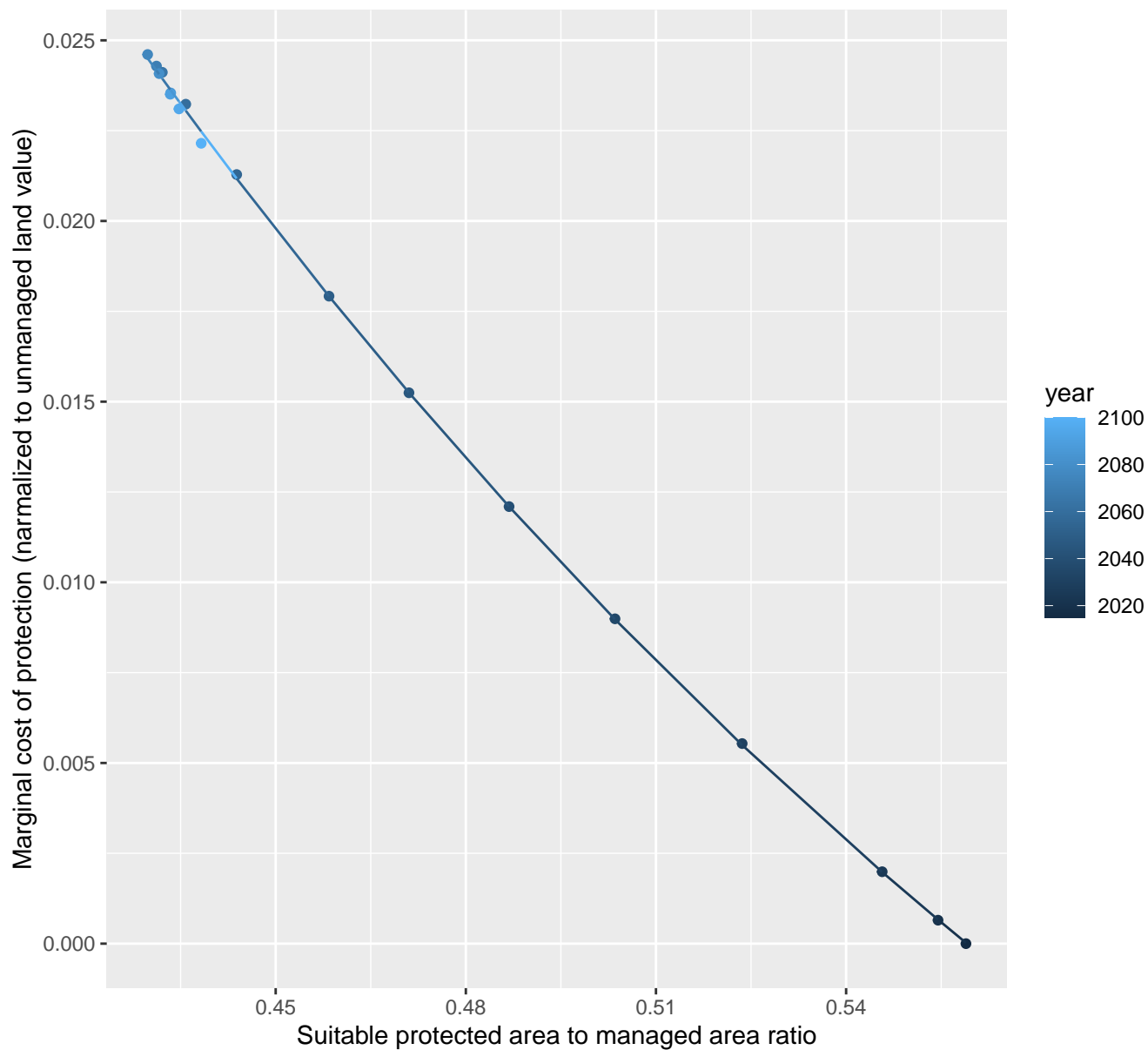


# 21084 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.05 + 1.75 \cdot \exp(-51.16 \cdot x)$$

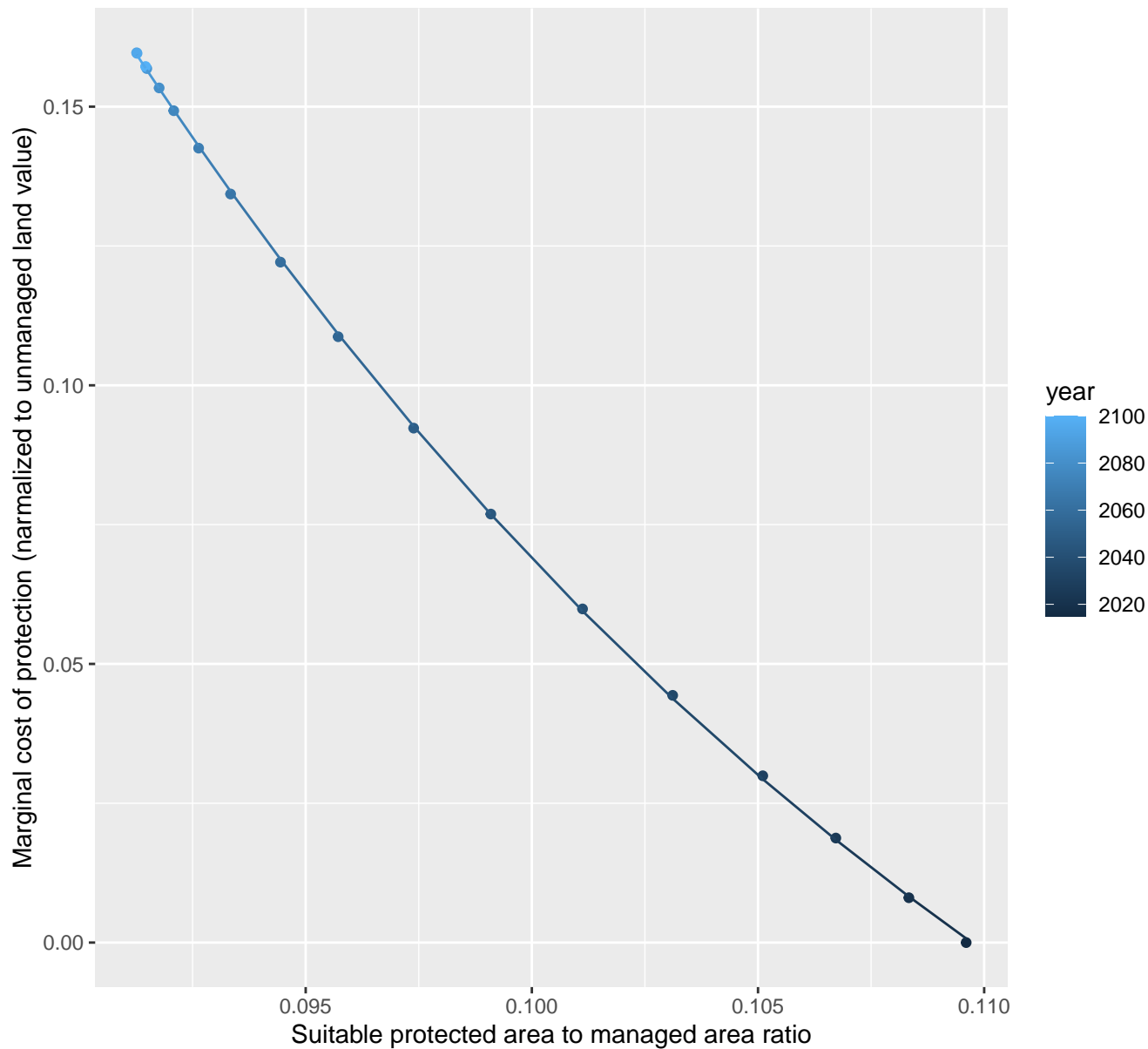


$$y = -0.04 + 0.34 \cdot \exp(-4.07 \cdot x)$$


# 21090 marginal protection cost ratio

nls random pval = 0.00355

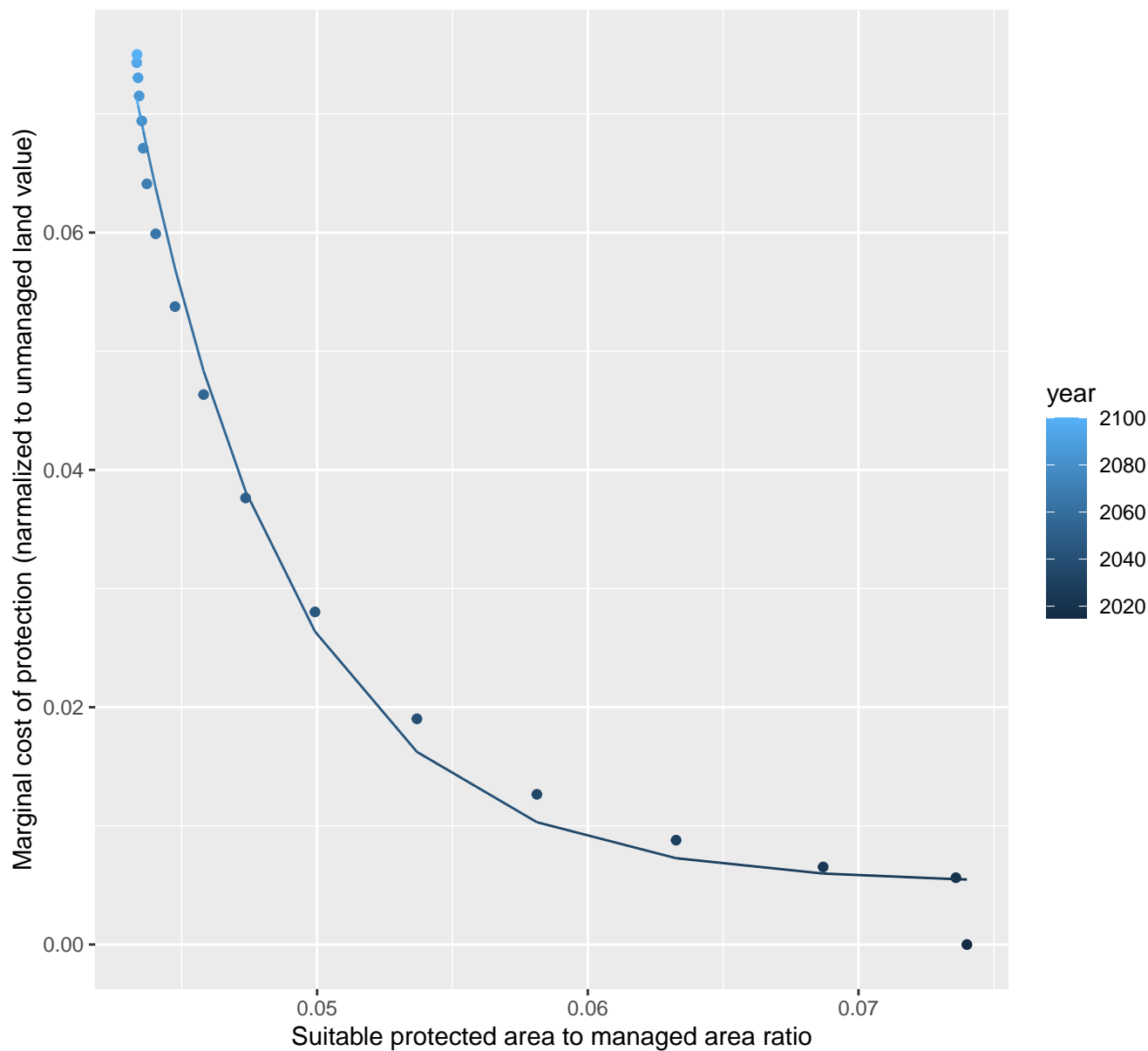
$$y = -0.14 + 12.86 \cdot \exp(-41.22 \cdot x)$$



# 21093 marginal protection cost ratio

nls random pval = 0.00355

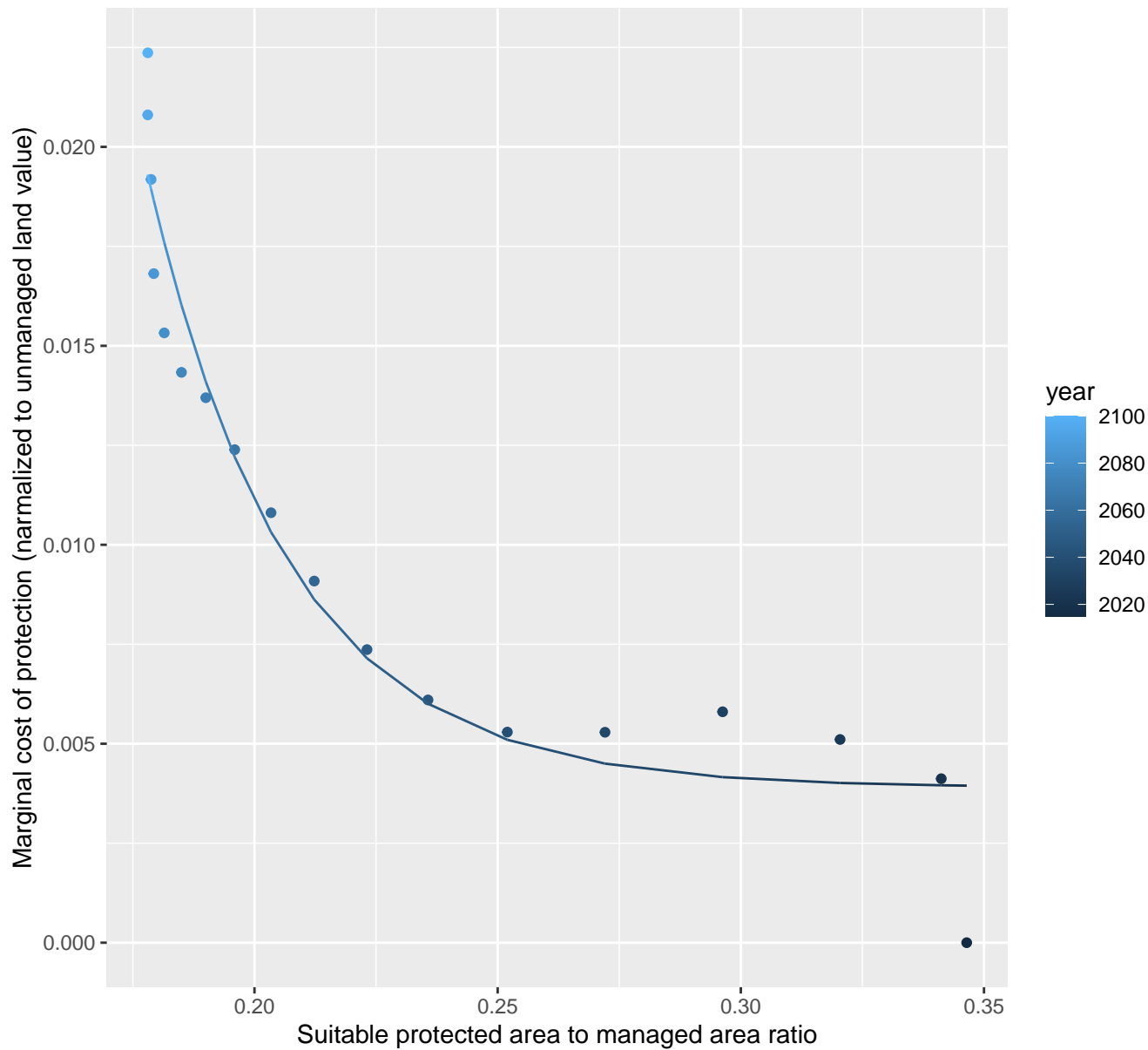
$$y=0.01+117.12*\exp(-172.58*x)$$



# 21094 marginal protection cost ratio

nls random pval = 0.05194

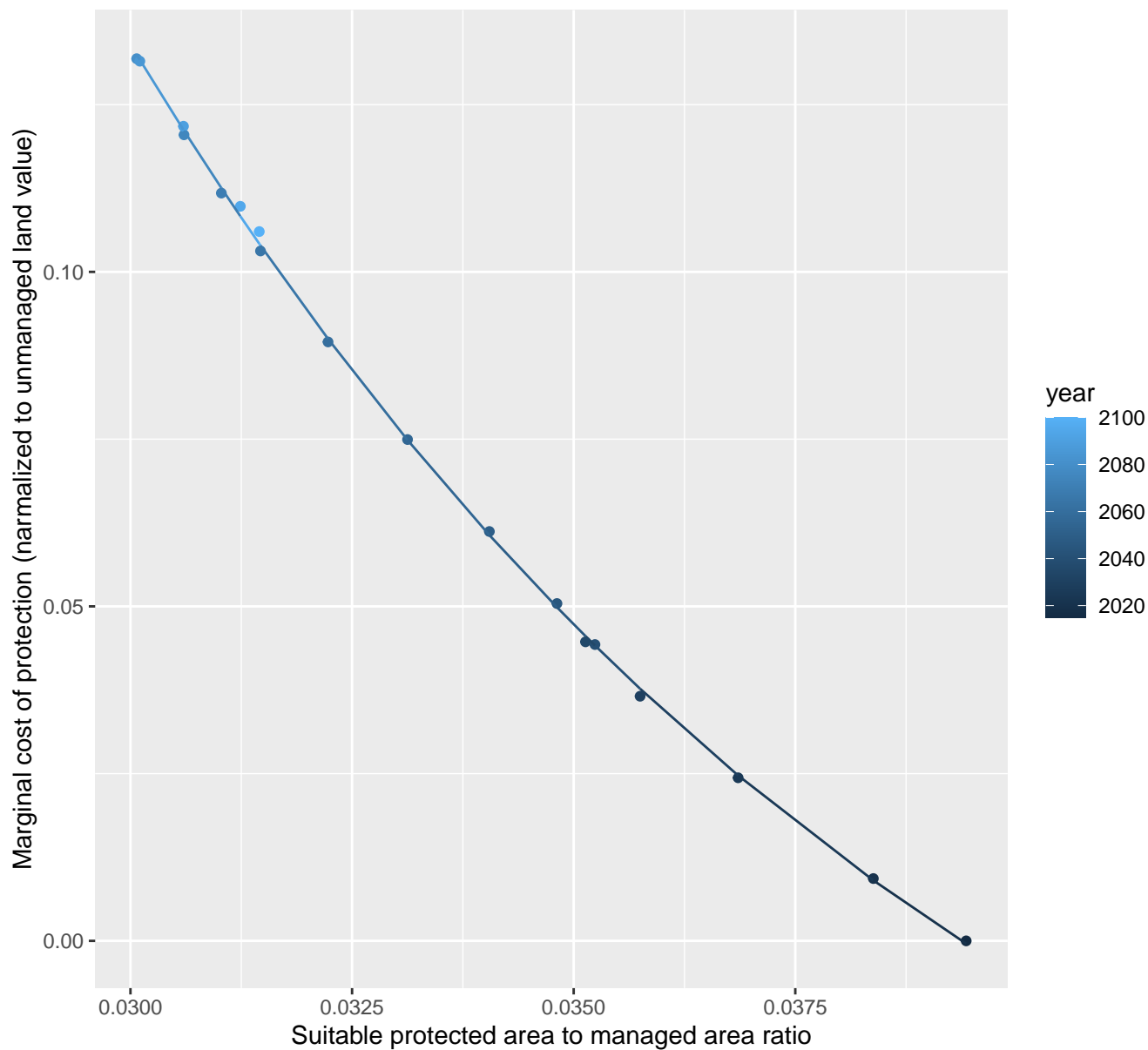
$$y=0+7.22*\exp(-34.54*x)$$



# 21095 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.09 + 4.46 \cdot \exp(-100.33 \cdot x)$$

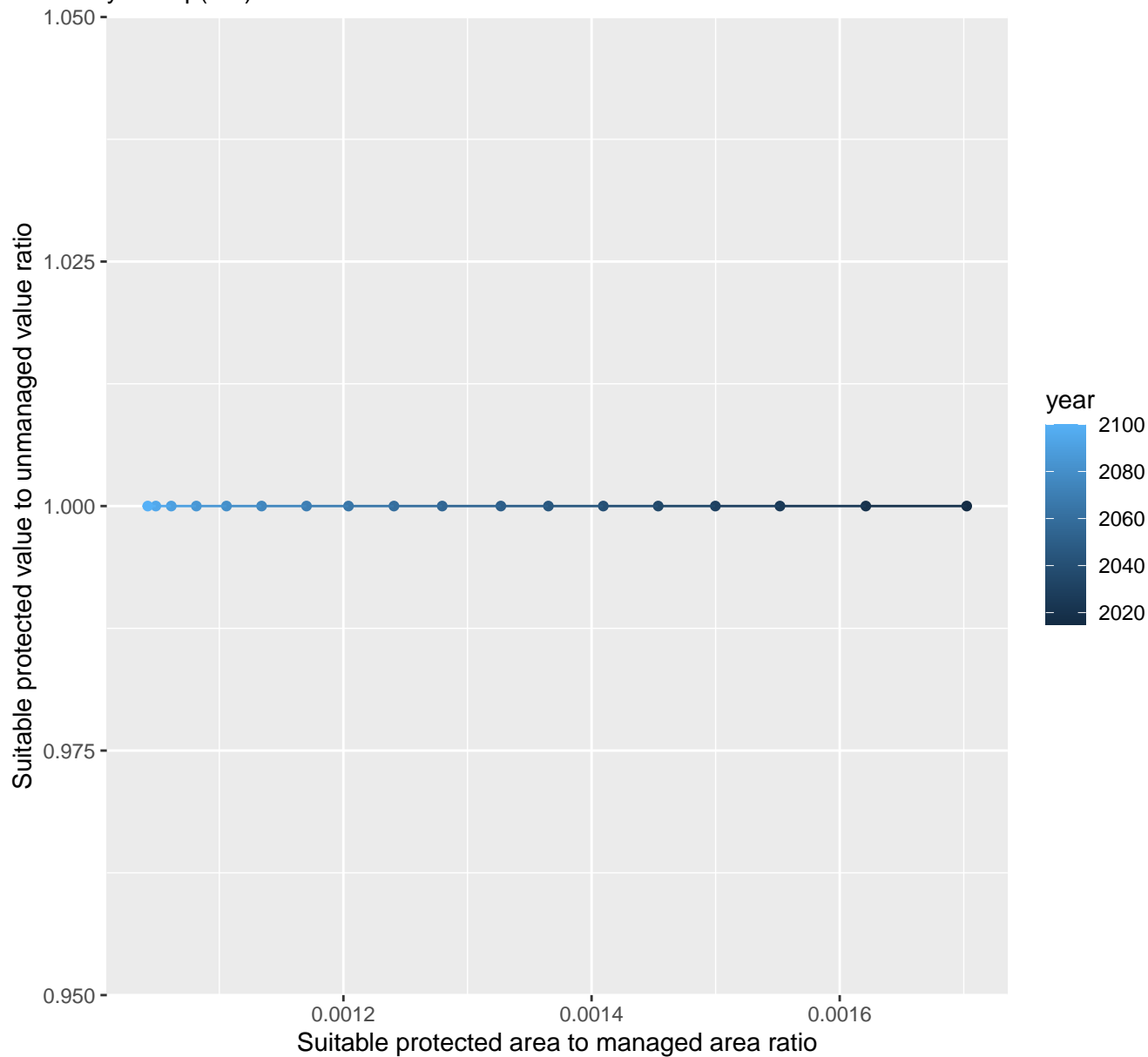




# 21097 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00103$   $pval = 0.89957$  random  $pval = 0.39407$

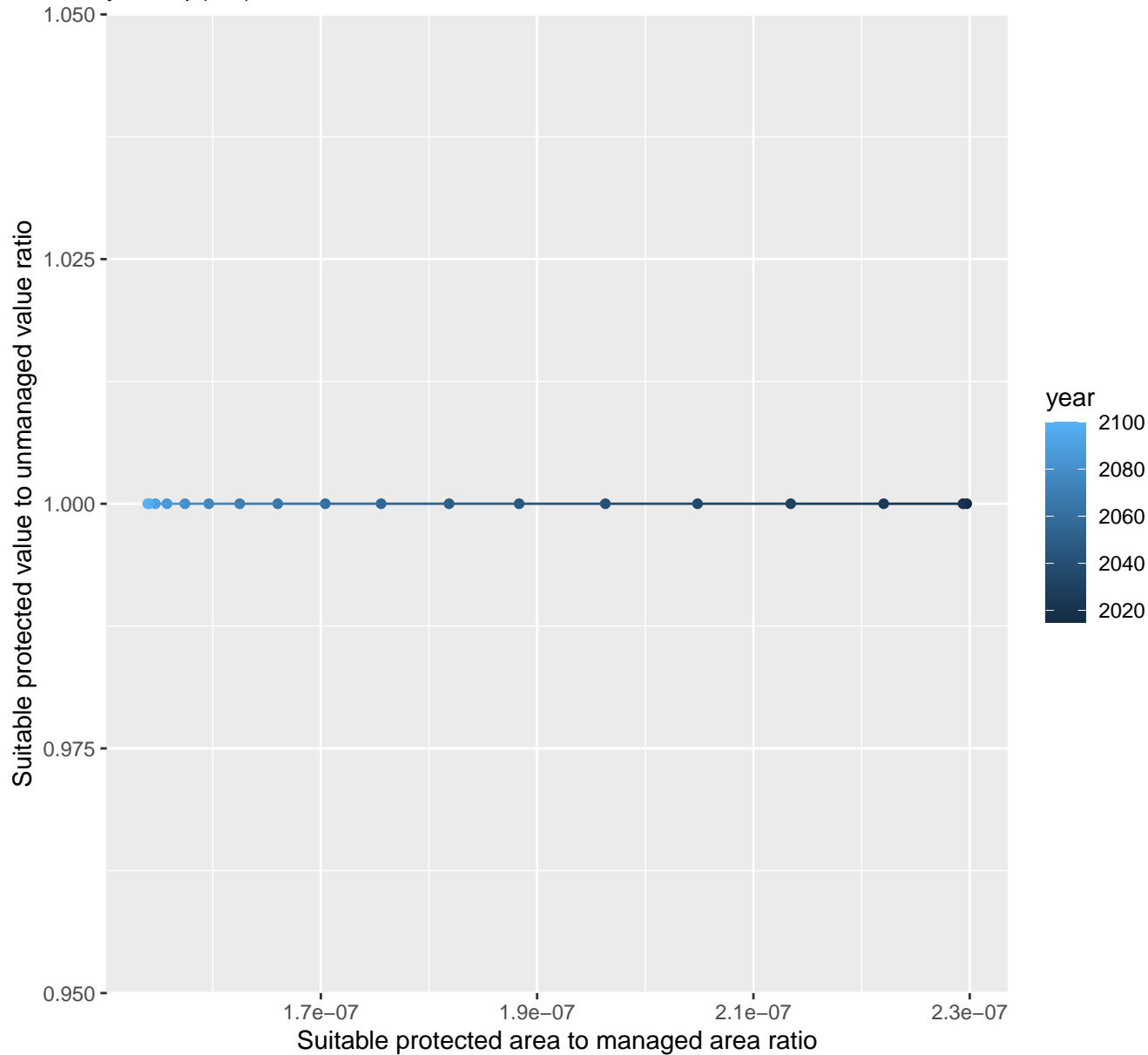
$$y = 1 * \exp(0 * x)$$



# 21098 marginal protection cost ratio

linear-log(y)  $r^2 = 0.0028$   $pval = 0.83473$  random  $pval = 0.2964$

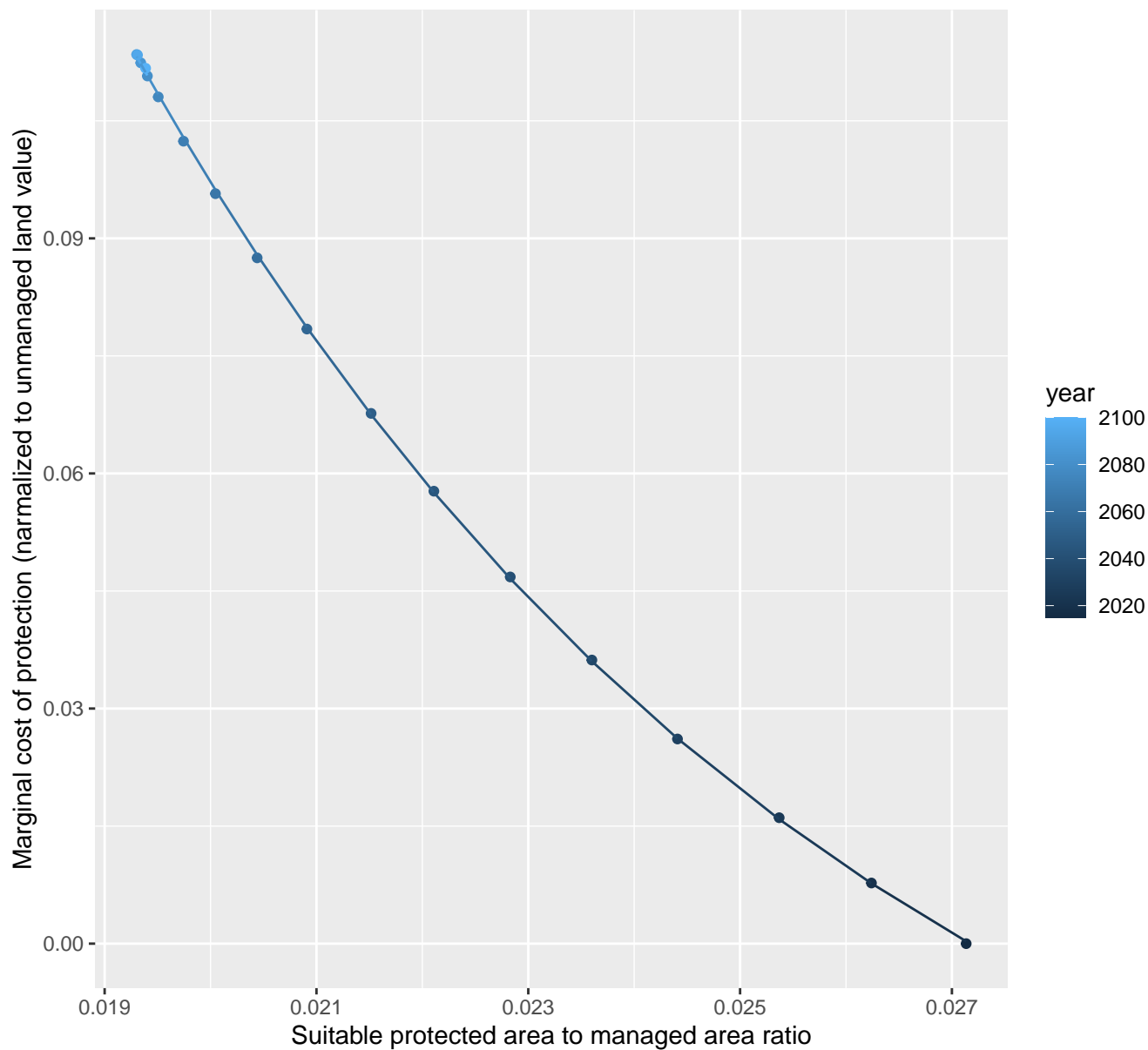
$$y = 1 * \exp(0 * x)$$



# 21099 marginal protection cost ratio

nls random pval = 0.05194

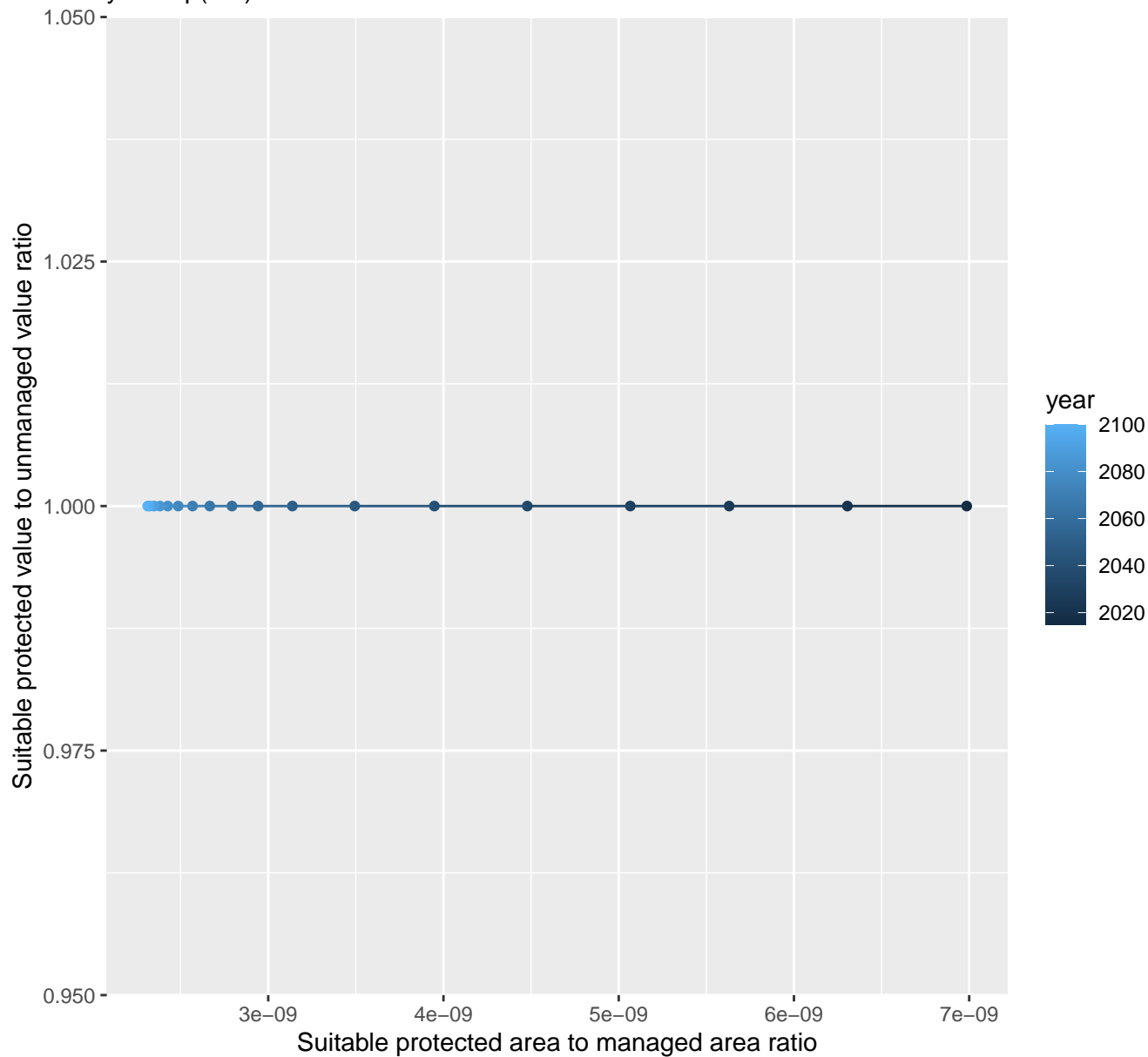
$$y = -0.05 + 2.74 \cdot \exp(-145.27 \cdot x)$$



# 21100 marginal protection cost ratio

linear-log(y)  $r^2 = 0.02281$  pval = 0.54968 random pval = NaN

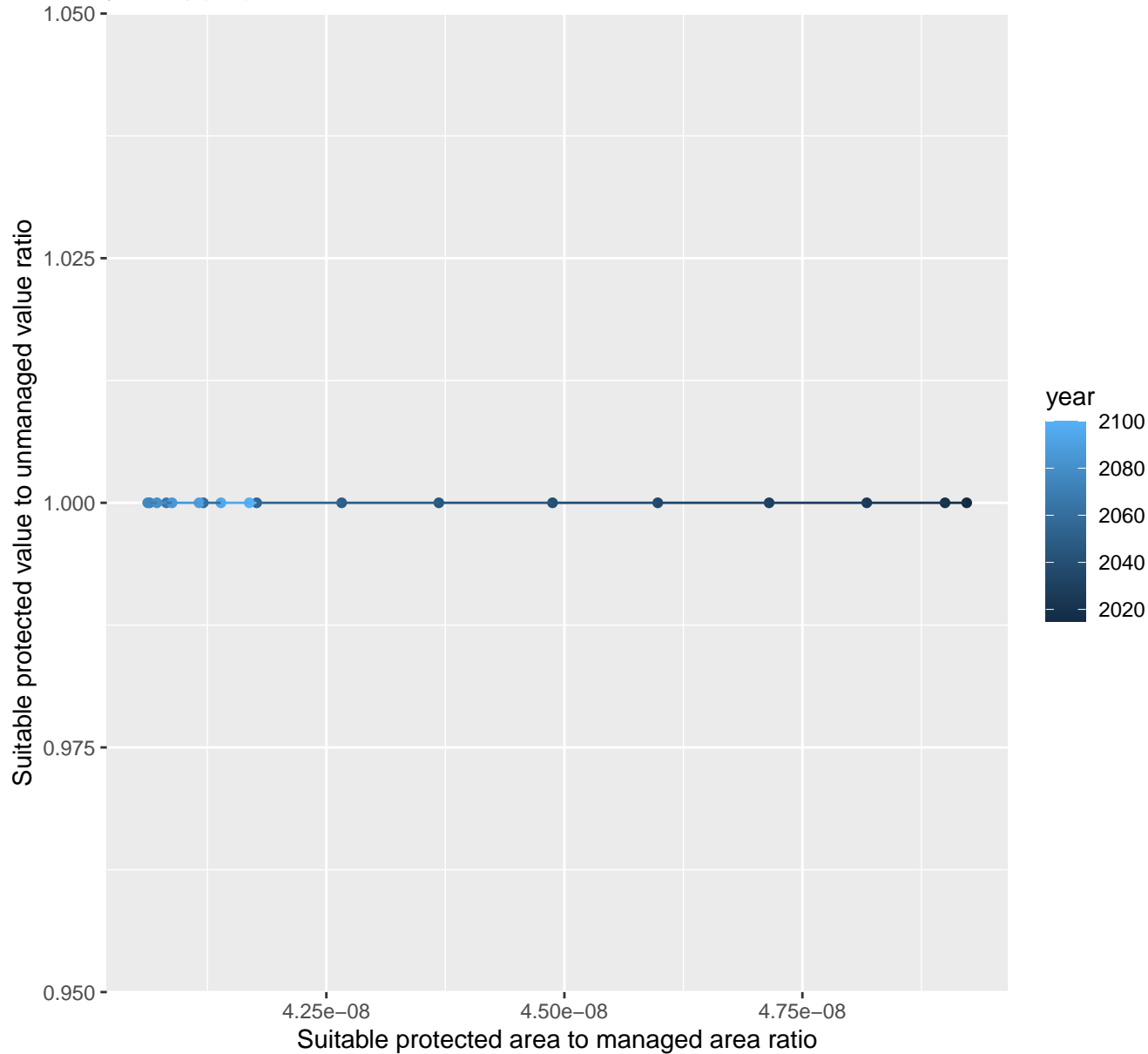
$$y = 1 * \exp(0 * x)$$



# 21102 marginal protection cost ratio

linear-log(y)  $r^2 = 0.00854$   $pval = 0.71539$  random  $pval = 1$

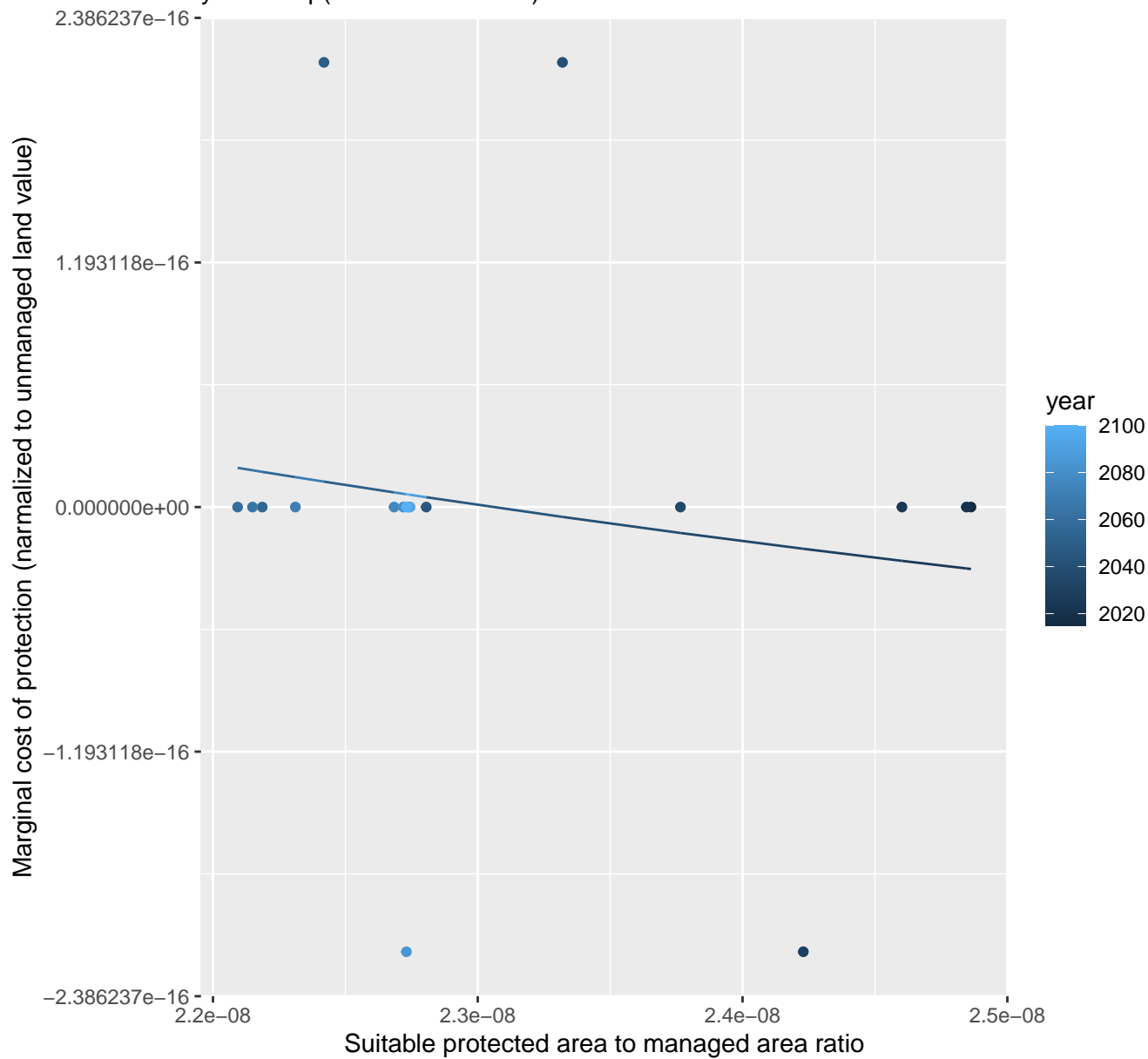
$$y = 1 * \exp(0 * x)$$



# 21104 marginal protection cost ratio

nls random pval = 0.05194

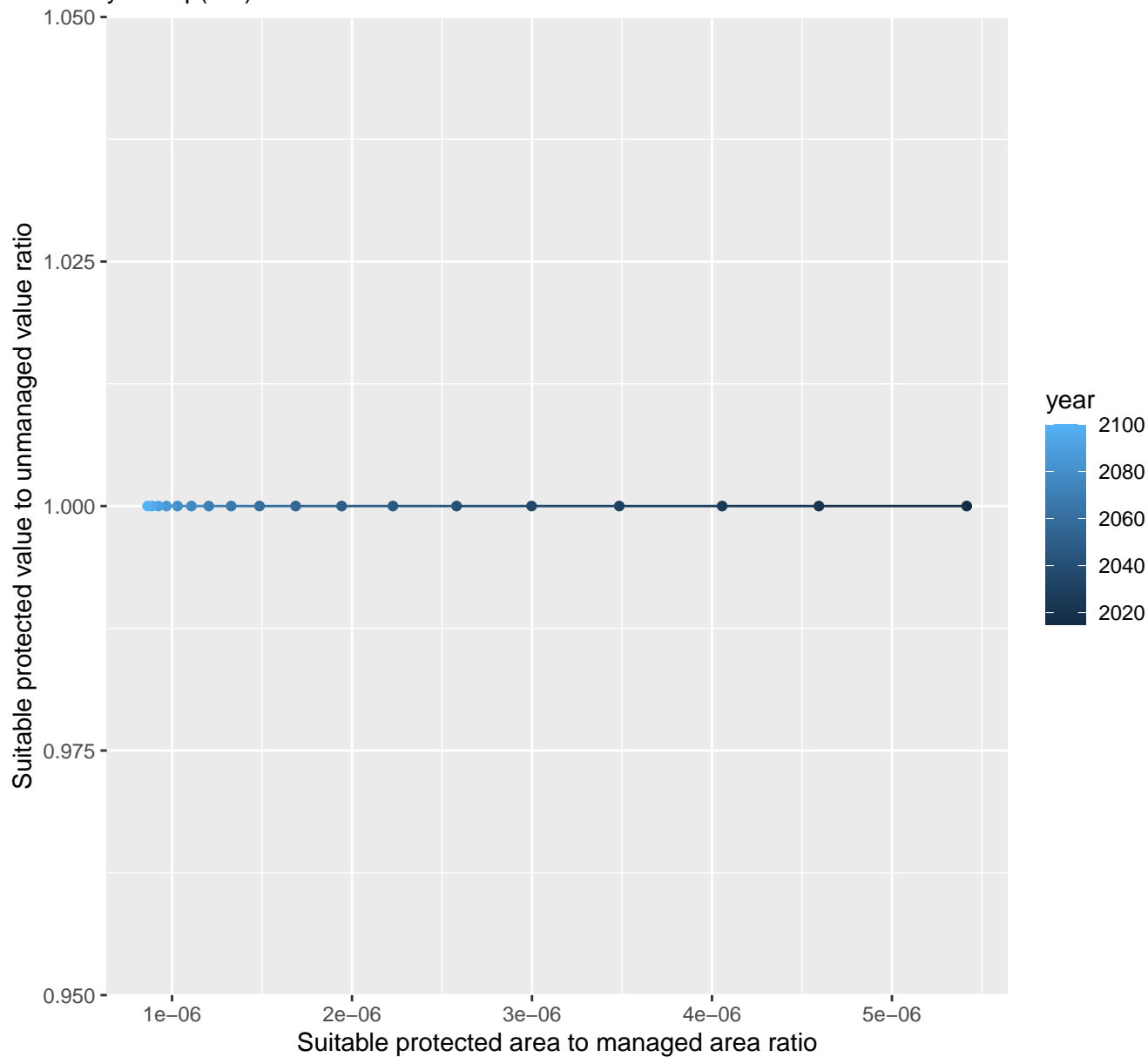
$$y=0+0*\exp(-122506286.16*x)$$



## 22085 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01963$   $pval = 0.57924$  random  $pval = 0.4795$

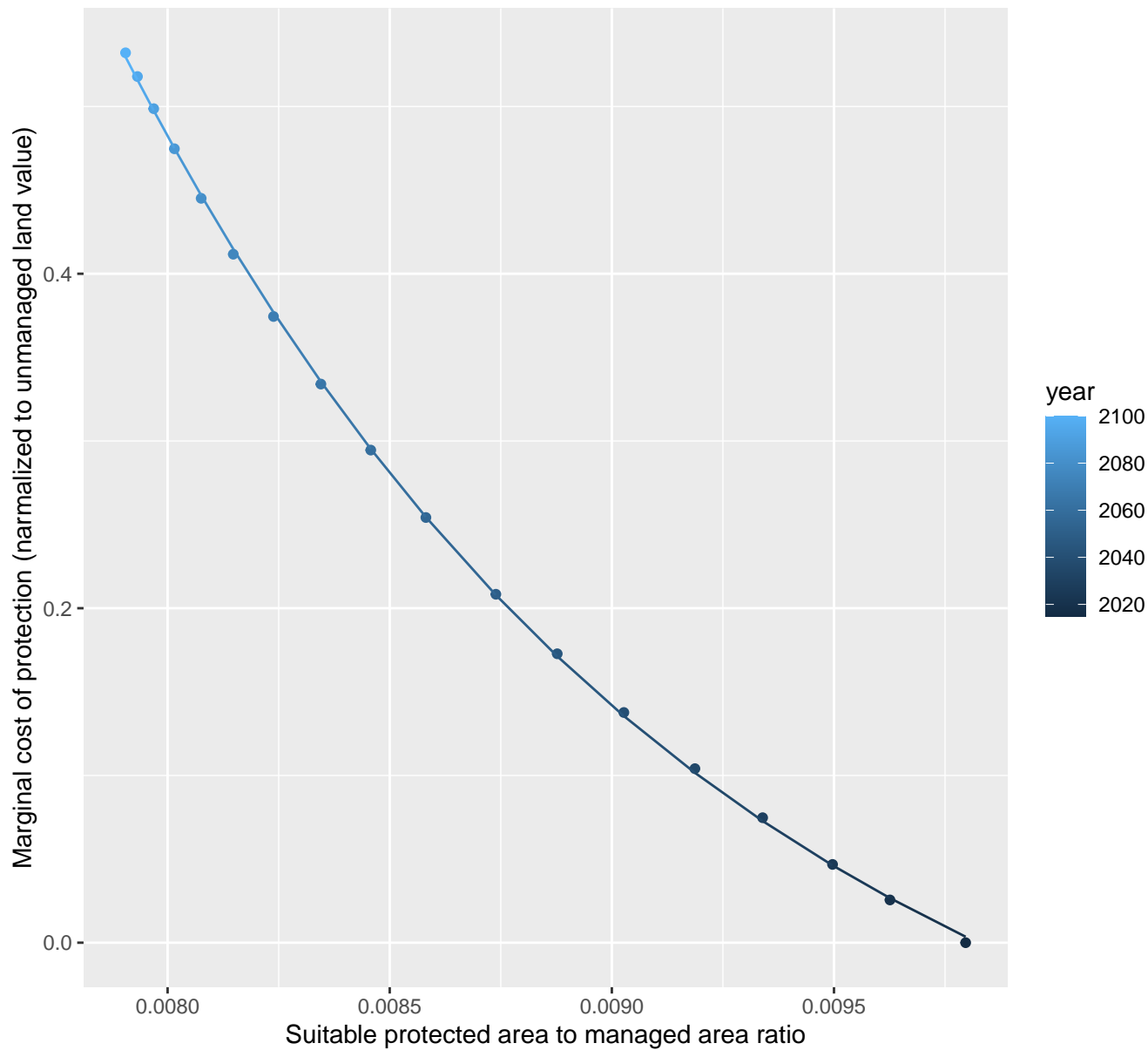
$$y = 1 * \exp(0 * x)$$



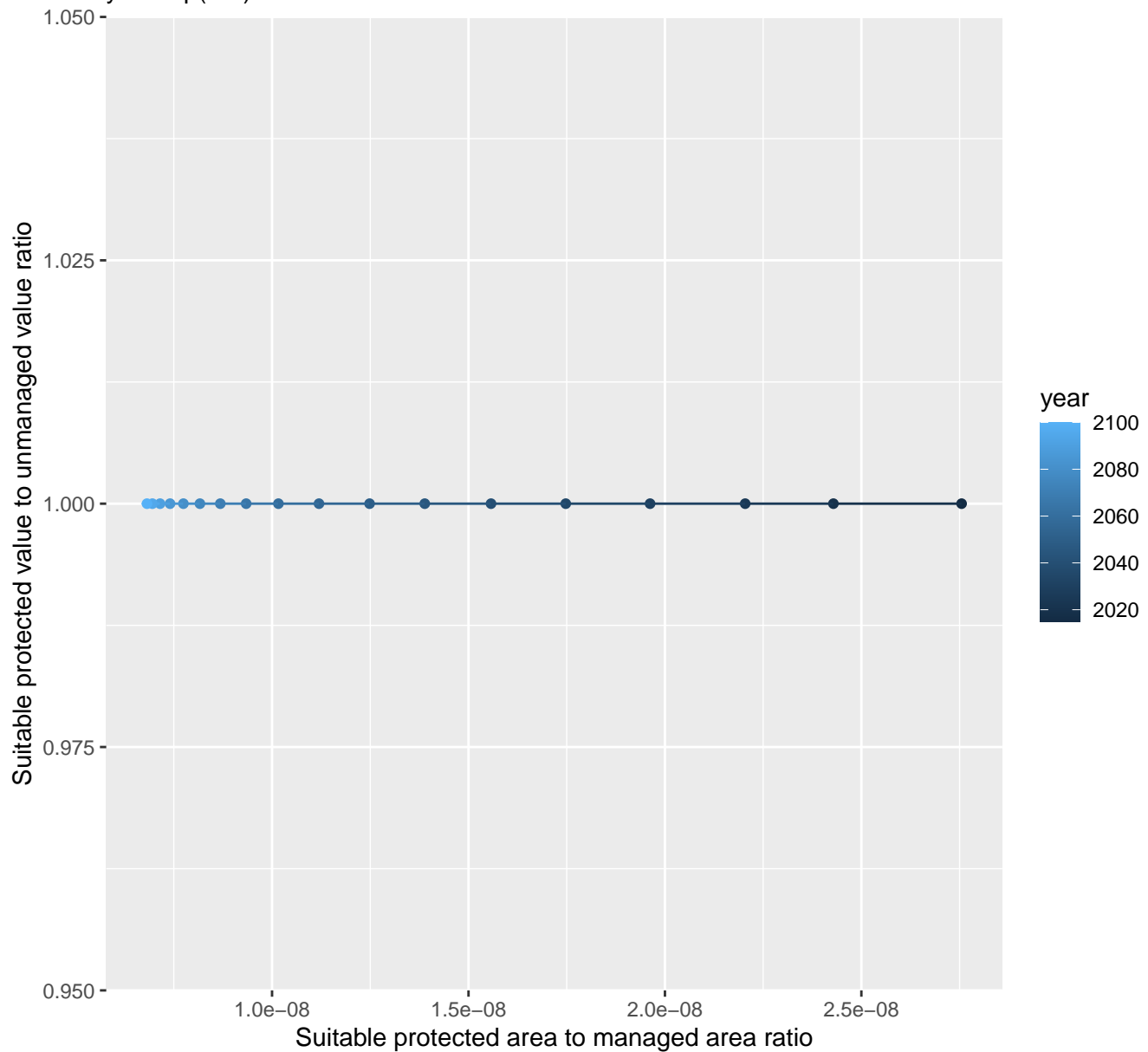
## 22089 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.17 + 246.21 \cdot \exp(-742.07 \cdot x)$$



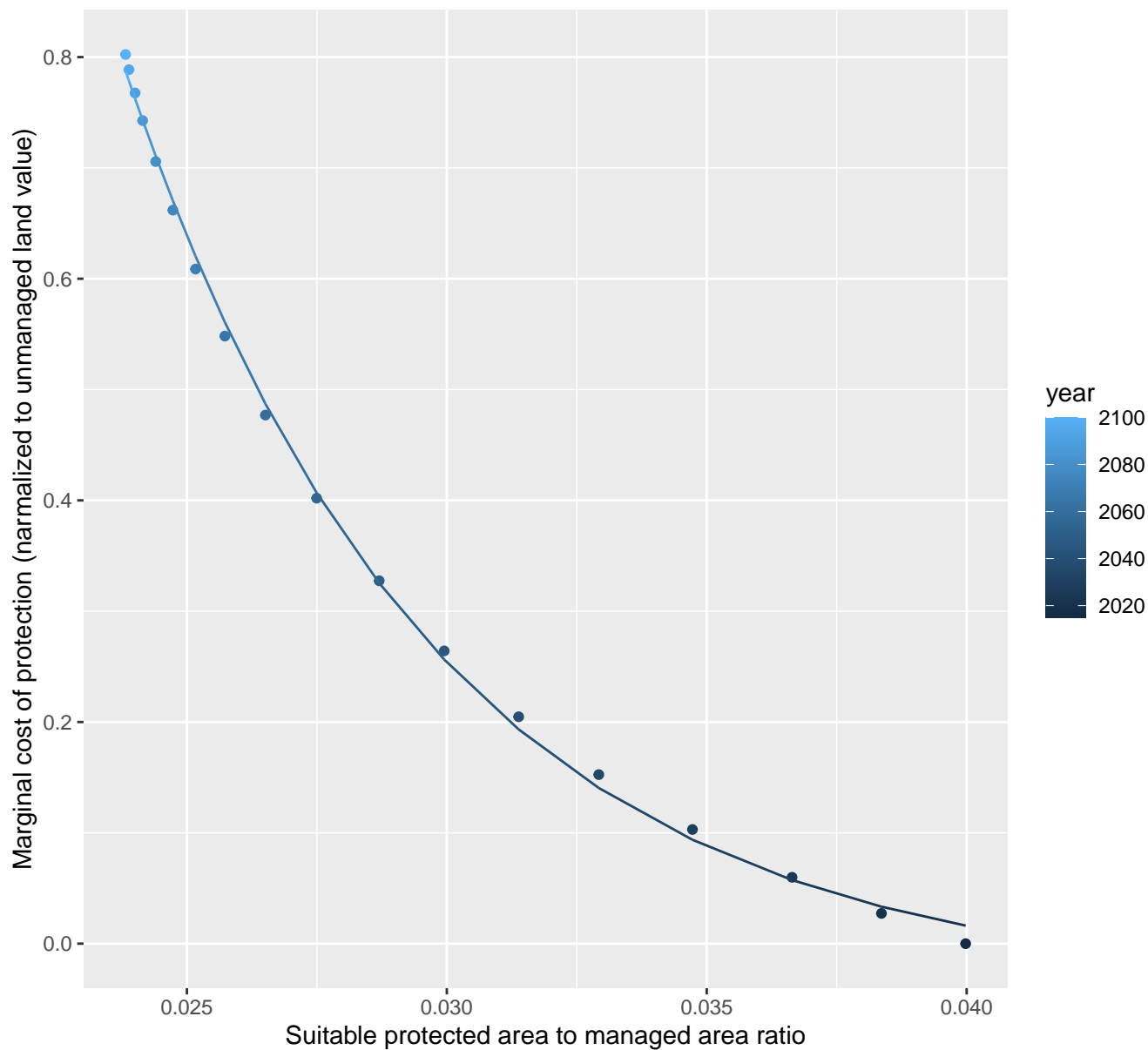


$$y = 1 * \exp(0 * x)$$


## 22102 marginal protection cost ratio

nls random pval = 0.00355

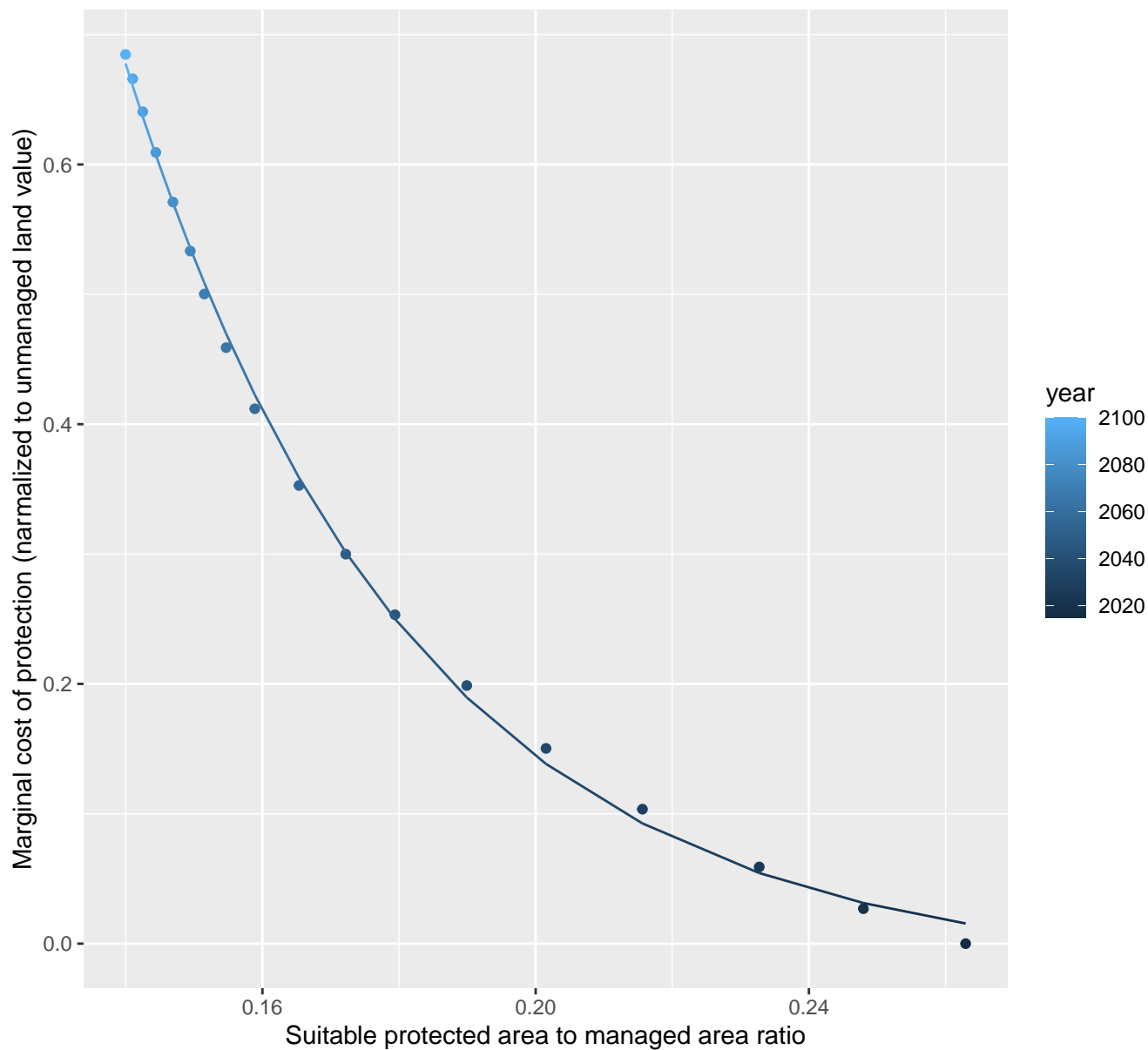
$$y = -0.04 + 45.29 \cdot \exp(-168.11 \cdot x)$$



# 22104 marginal protection cost ratio

nls random pval = 0.00355

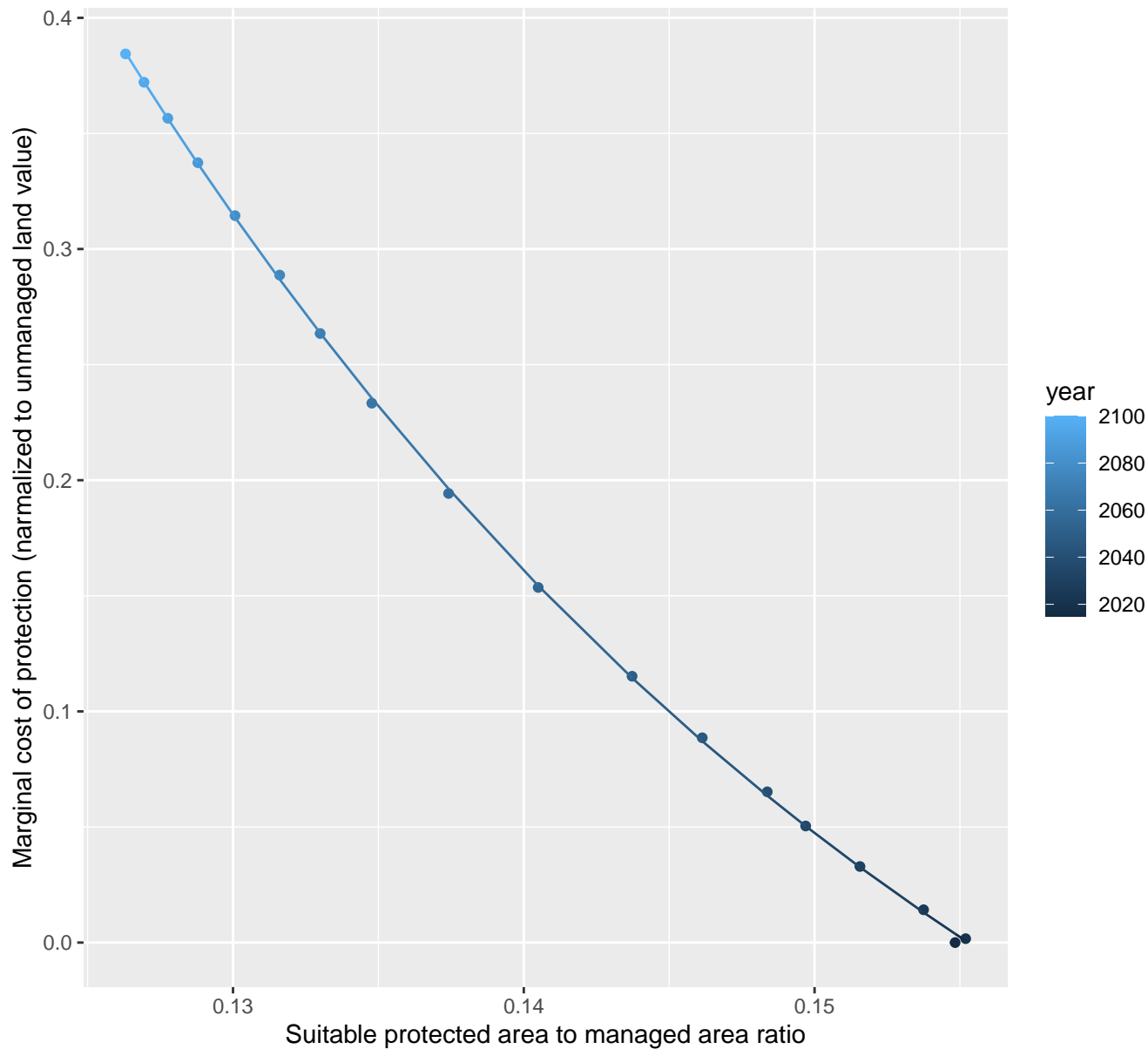
$$y = -0.02 + 20.16 \cdot \exp(-24.02 \cdot x)$$



# 22107 marginal protection cost ratio

nls random pval = 0.14491

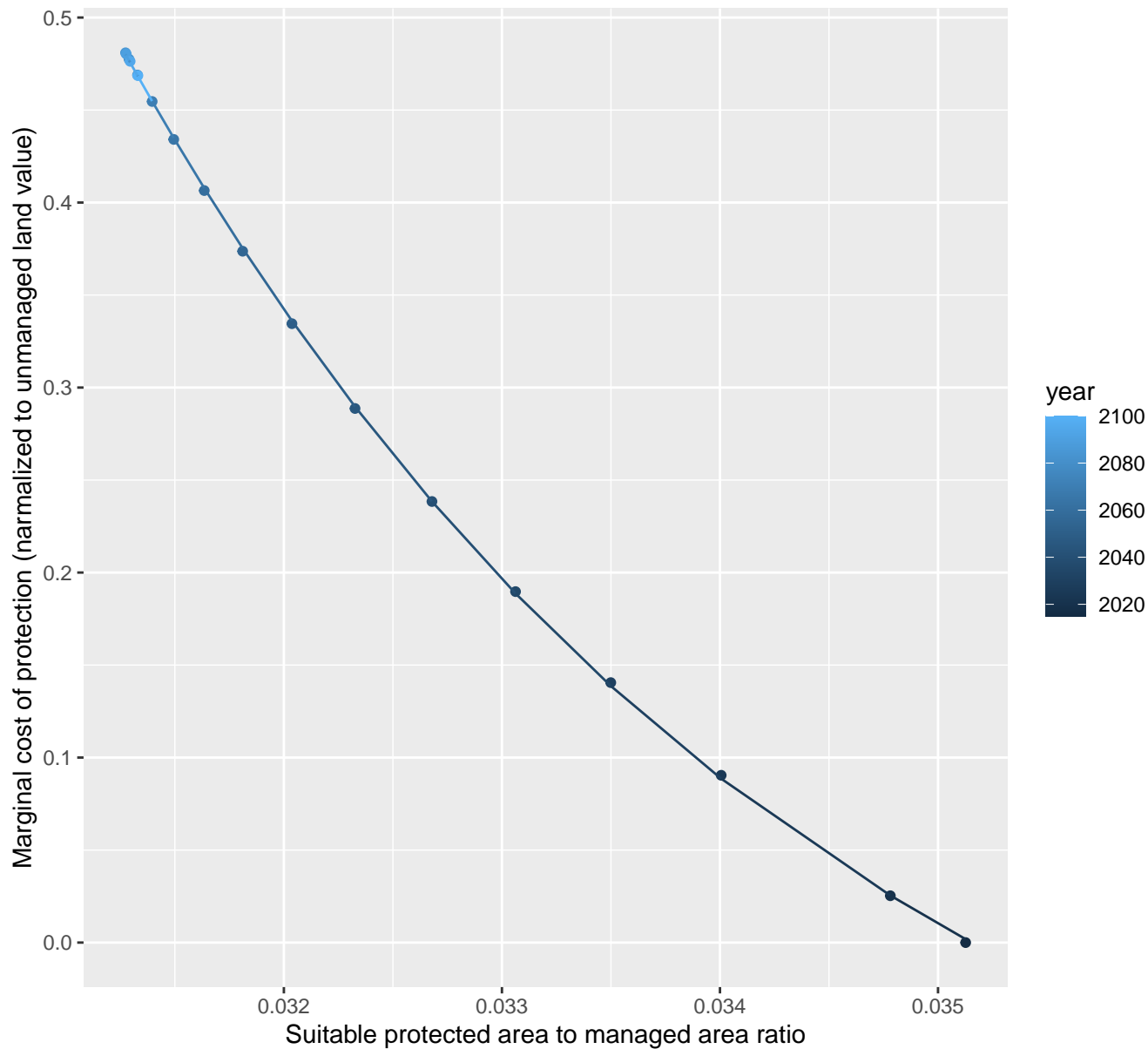
$$y = -0.27 + 31.24 \cdot \exp(-30.61 \cdot x)$$



# 23003 marginal protection cost ratio

nls random pval = 0.00355

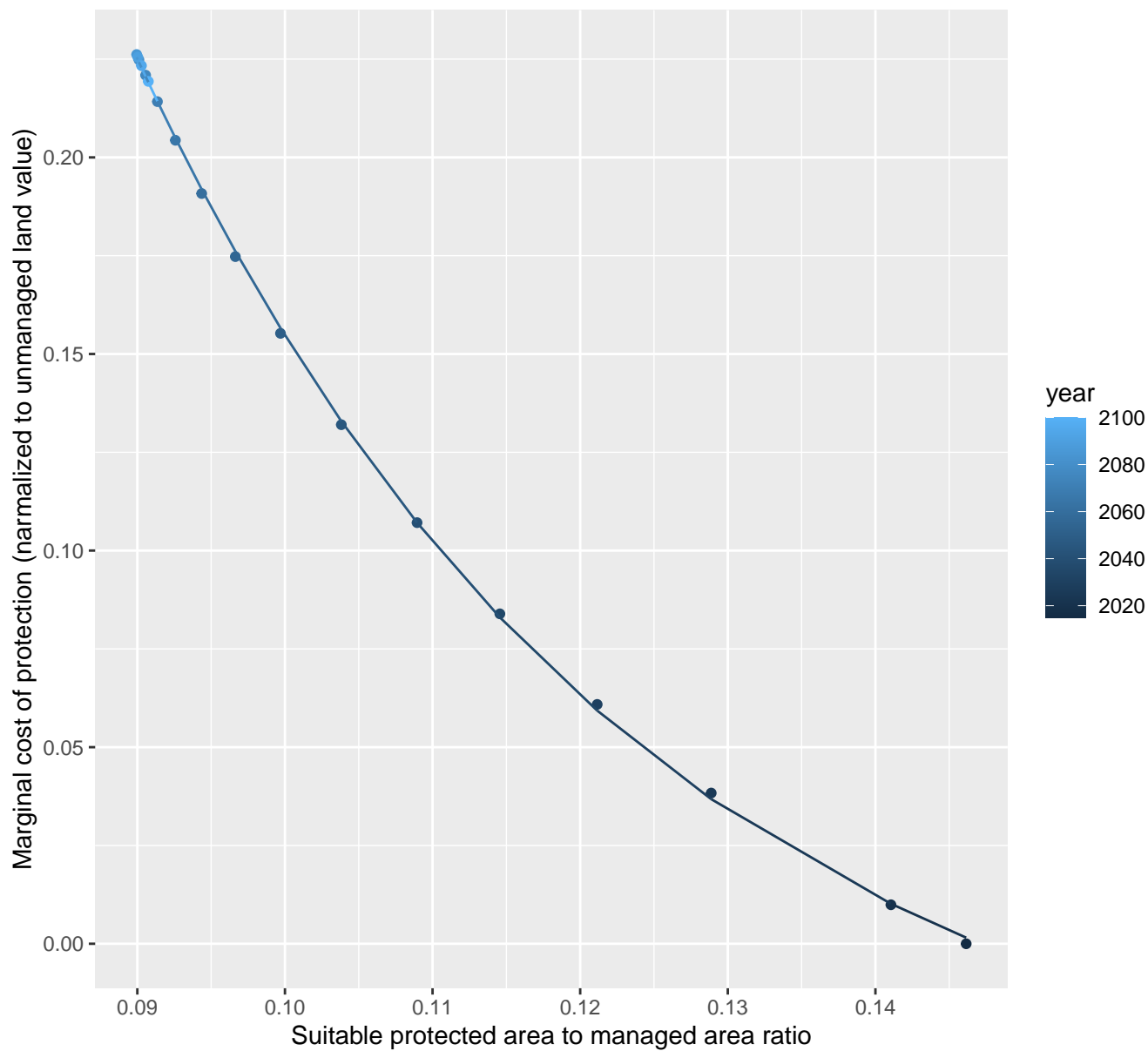
$$y = -0.21 + 10308.71 \cdot \exp(-307.38 \cdot x)$$



## 23004 marginal protection cost ratio

nls random pval = 0.00355

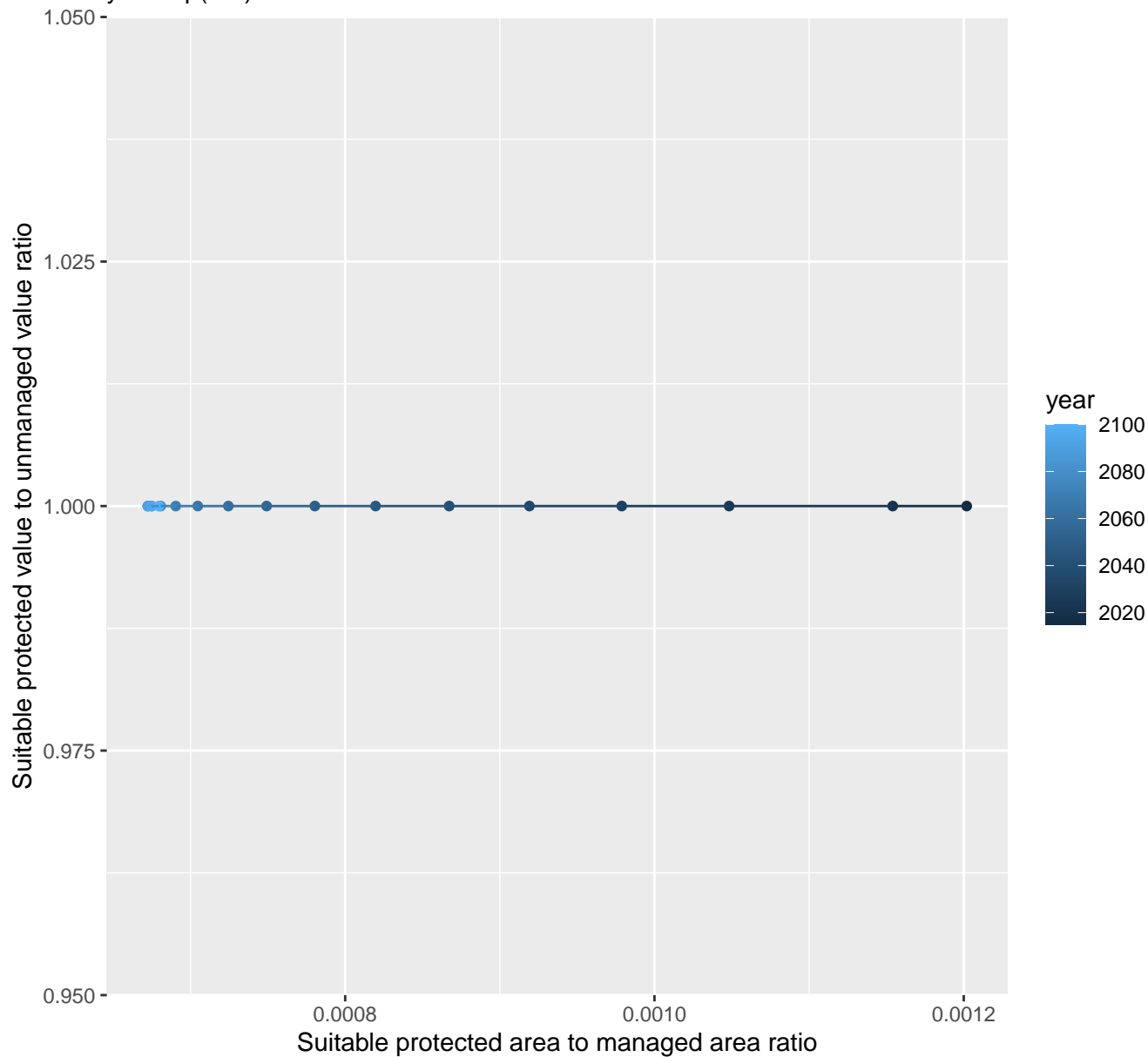
$$y = -0.05 + 3.87 \cdot \exp(-29.29 \cdot x)$$



# 23005 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01822$   $pval = 0.59335$  random  $pval = 0.67605$

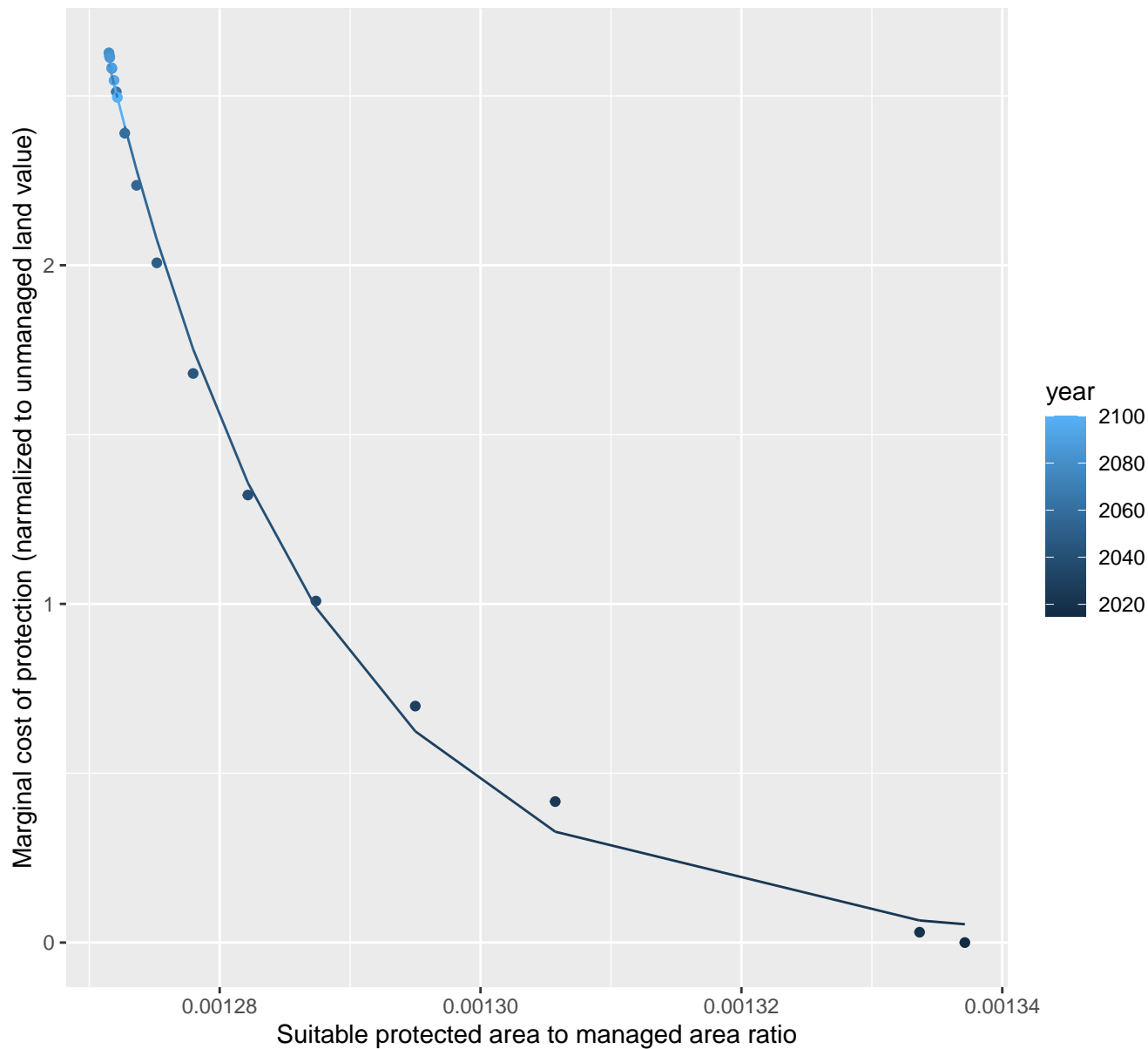
$$y = 1 * \exp(0 * x)$$



# 23006 marginal protection cost ratio

nls random pval = 0.01512

$$y=0.01+1.37821766752819e+34*\exp(-61075.17*x)$$

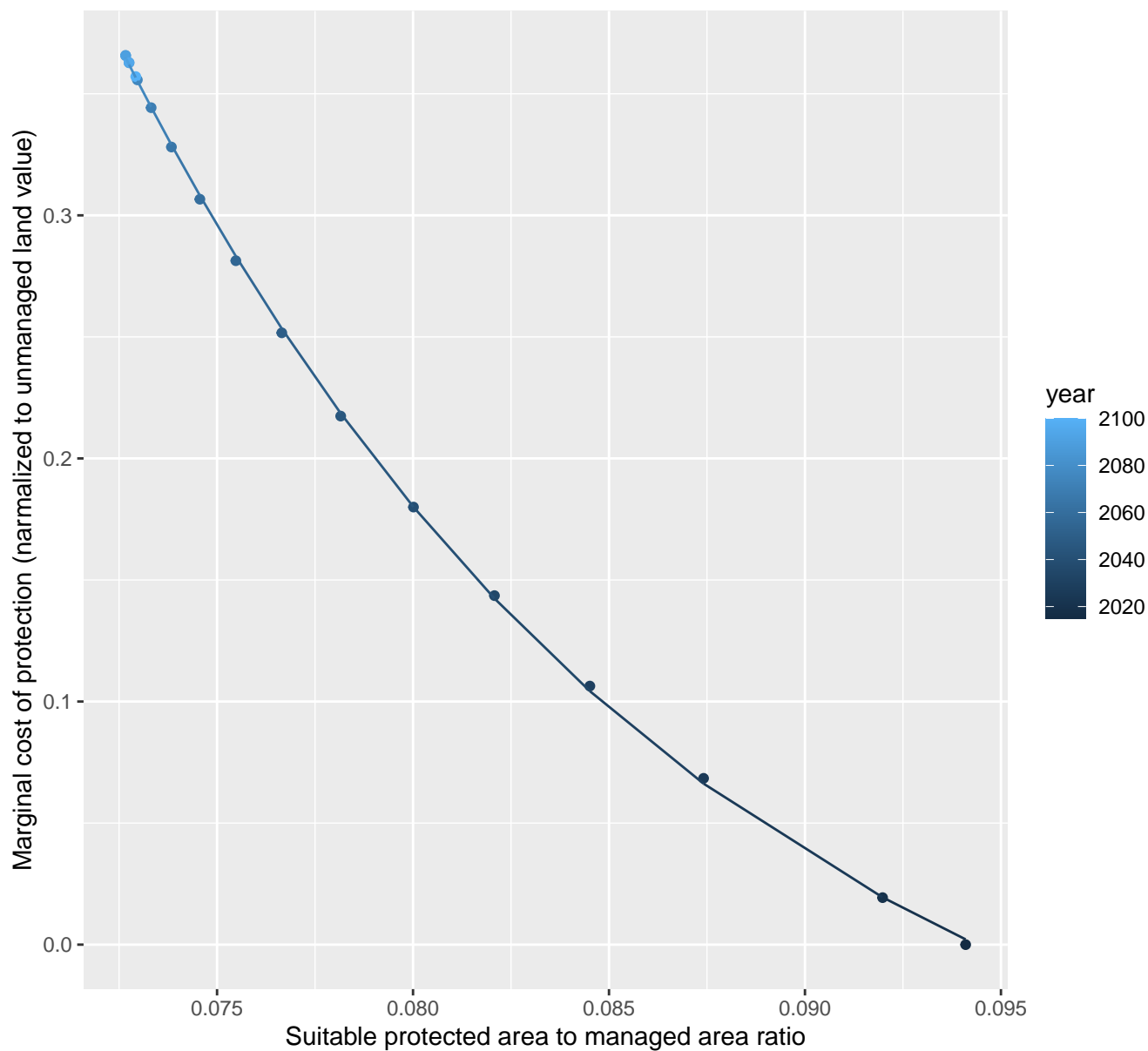




# 23008 marginal protection cost ratio

nls random pval = 0.00355

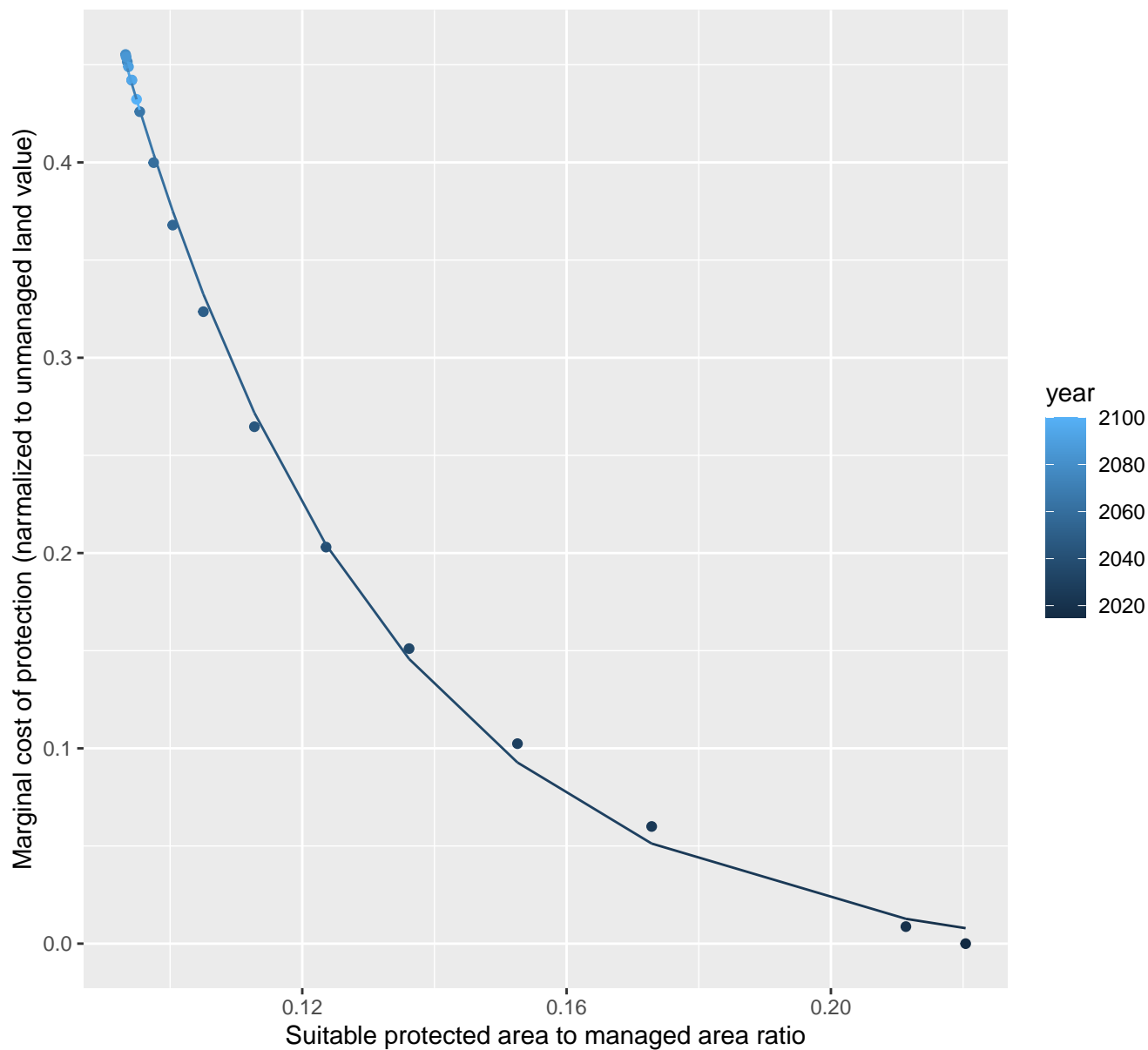
$$y = -0.11 + 61.29 \cdot \exp(-66.84 \cdot x)$$



# 23009 marginal protection cost ratio

nls random pval = 0.01512

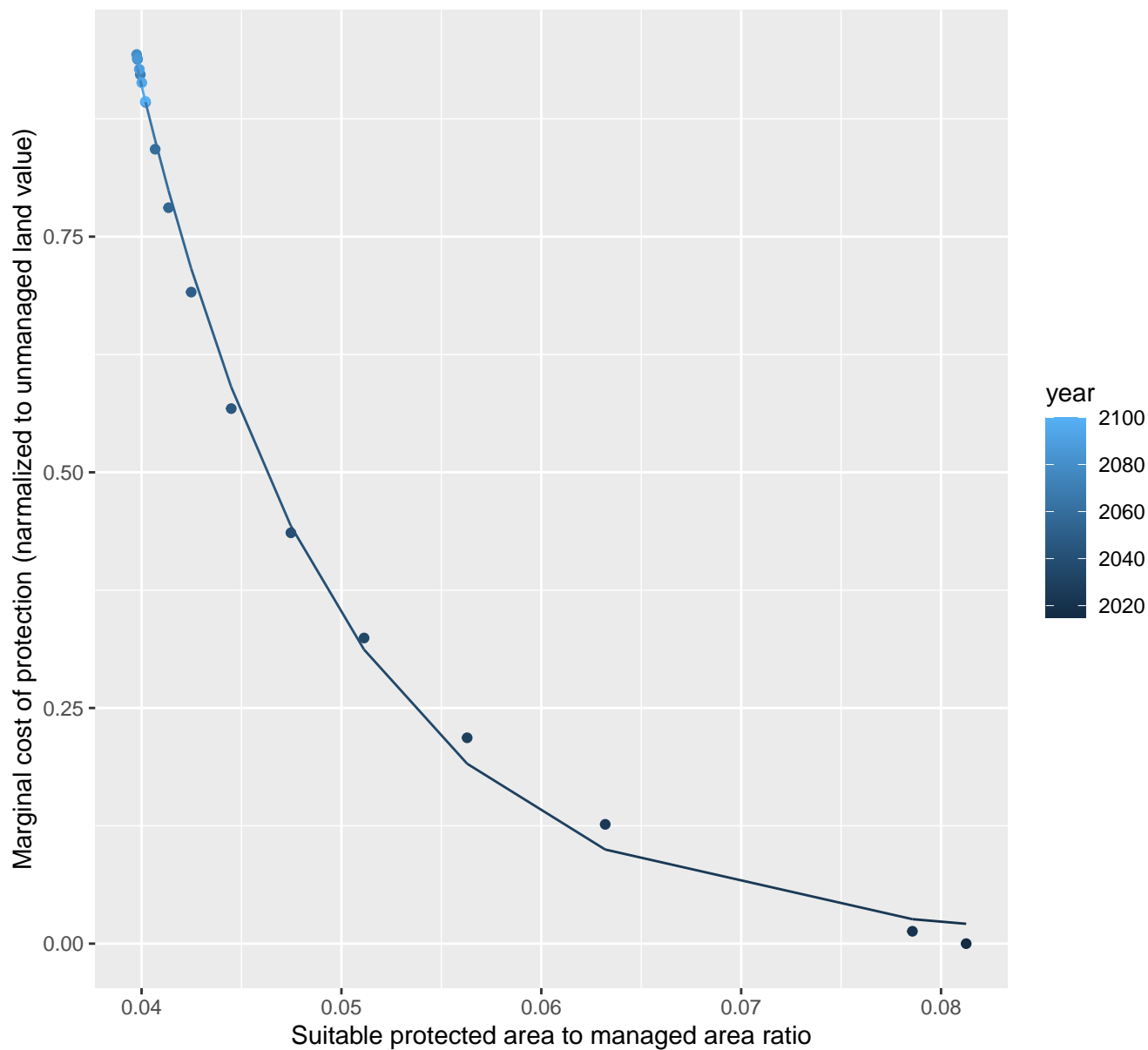
$$y = -0.01 + 4.85 \cdot \exp(-25.21 \cdot x)$$



# 23013 marginal protection cost ratio

nls random pval = 0.01512

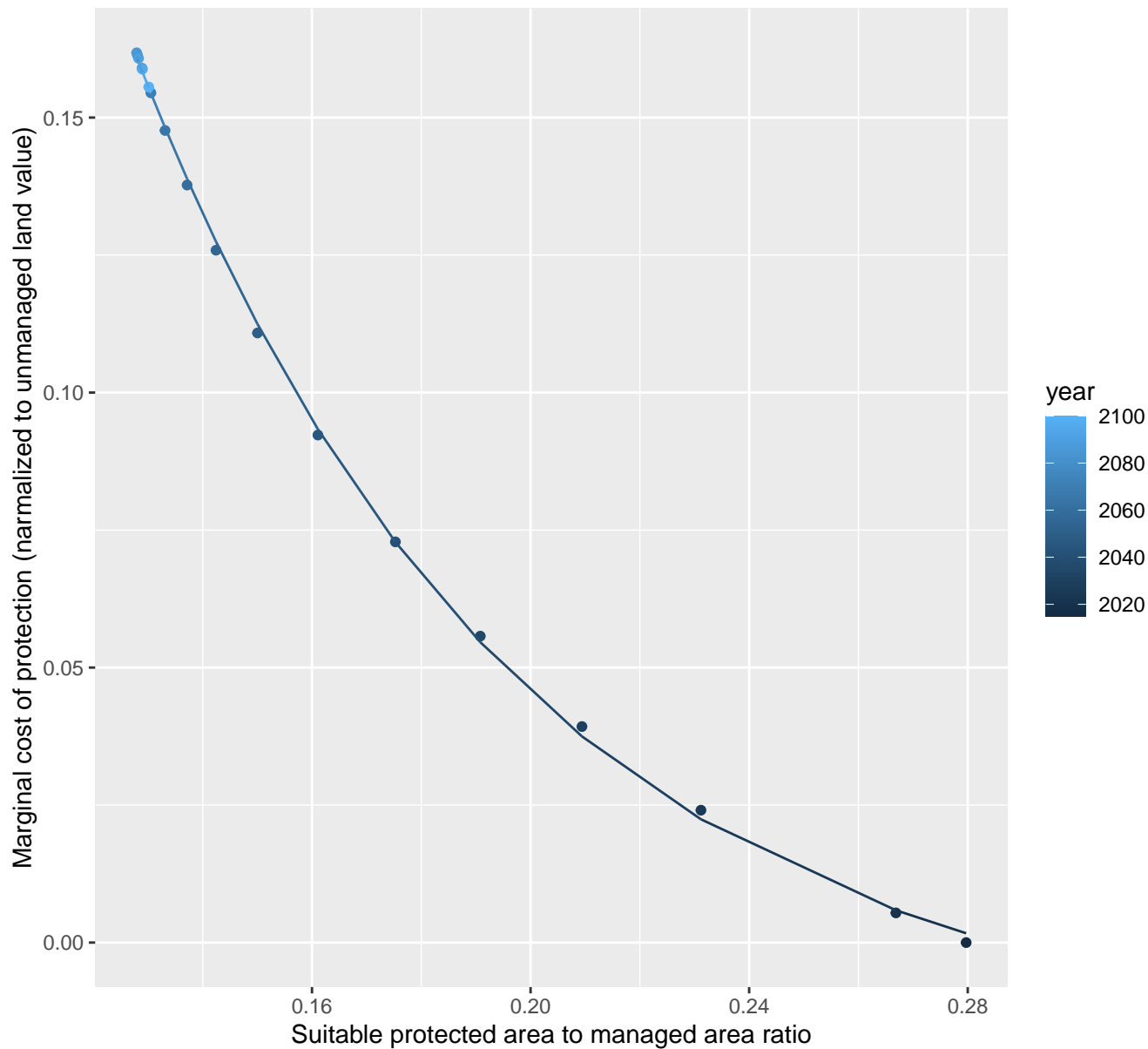
$$y=0+43.94*\exp(-97.05*x)$$



# 23014 marginal protection cost ratio

nls random pval = 0.00355

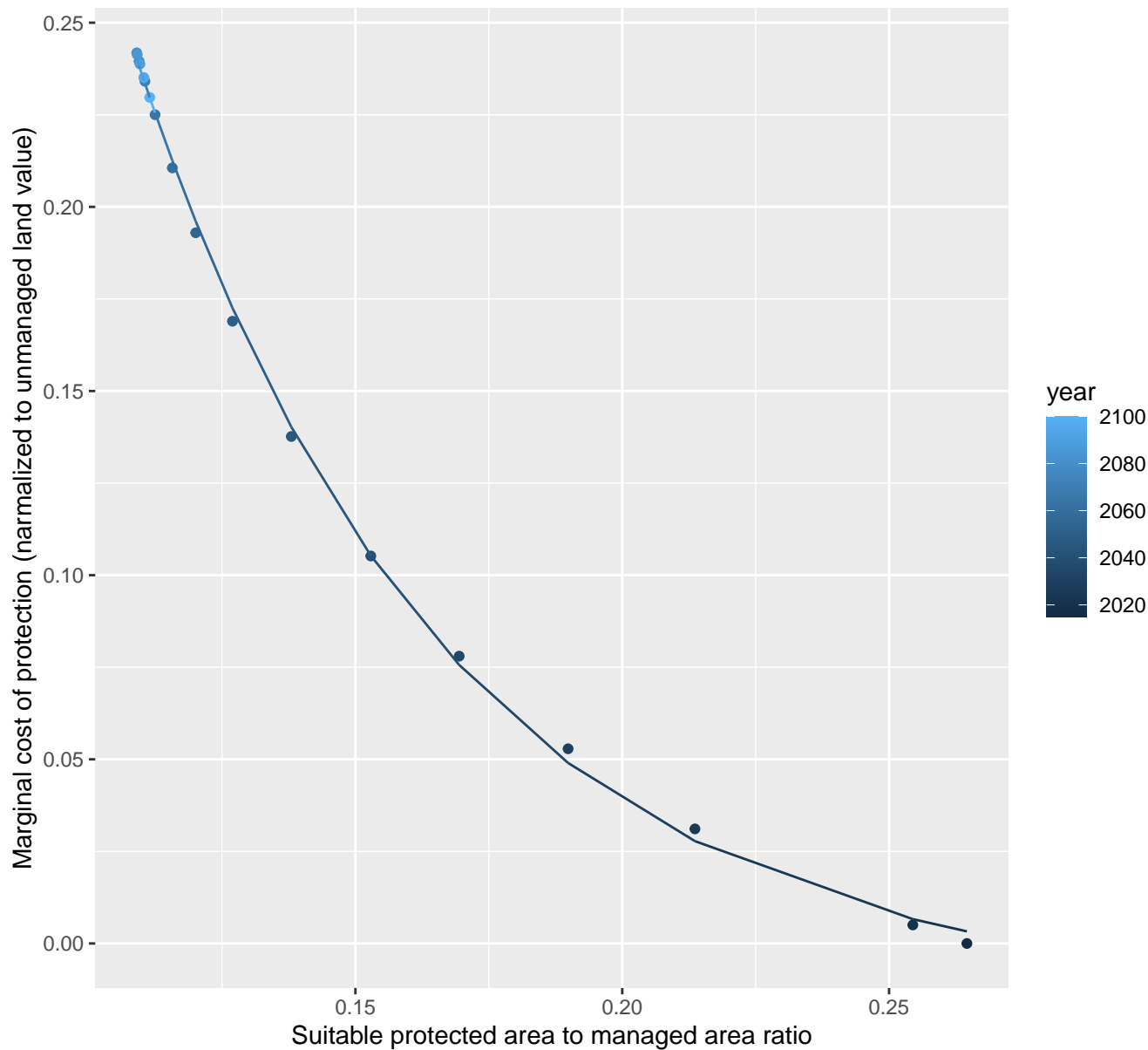
$$y = -0.02 + 1.11 \cdot \exp(-14.19 \cdot x)$$



# 23017 marginal protection cost ratio

nls random pval = 0.01512

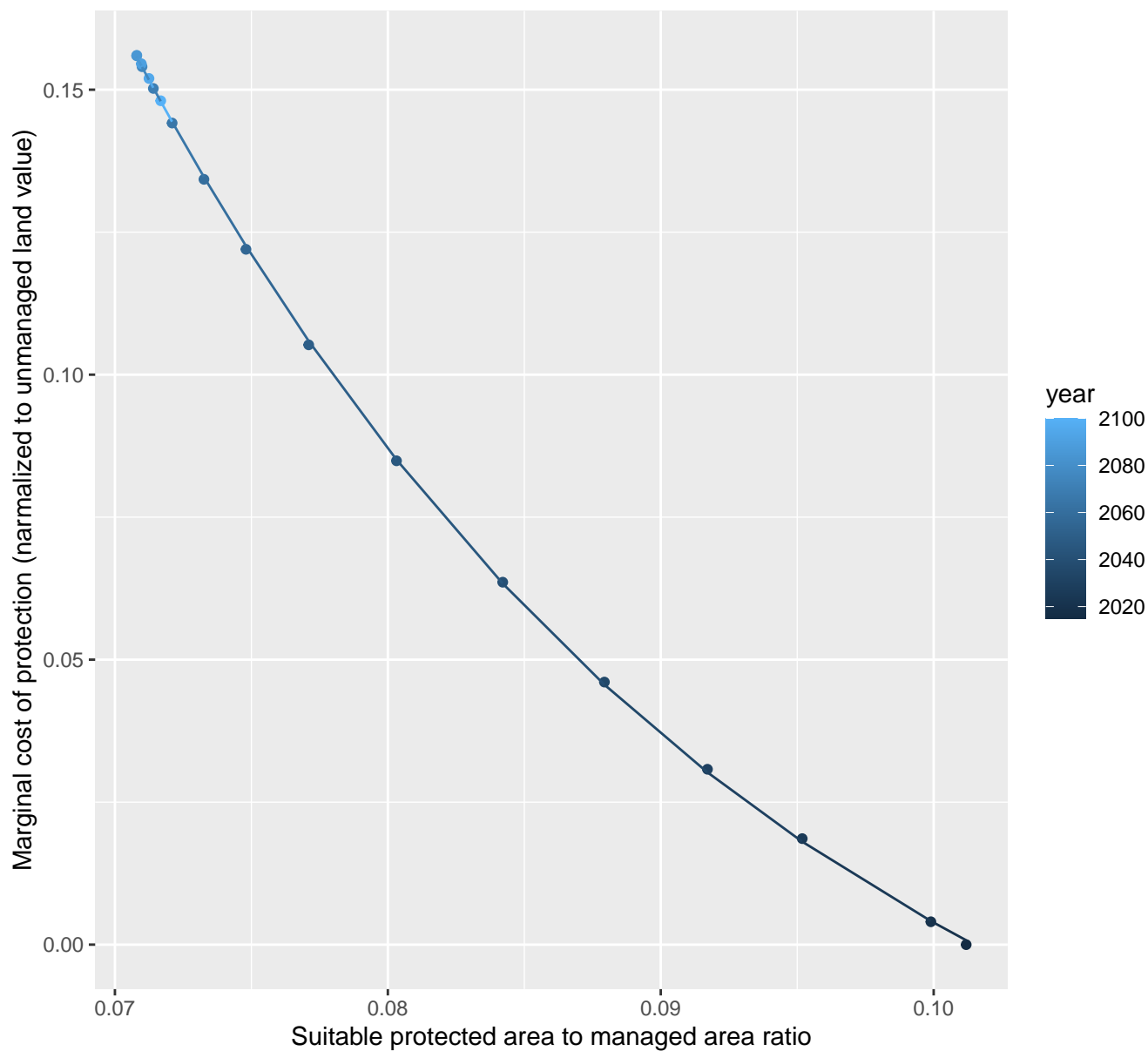
$$y = -0.01 + 1.67 \cdot \exp(-17.24 \cdot x)$$



# 23018 marginal protection cost ratio

nls random pval = 0.00355

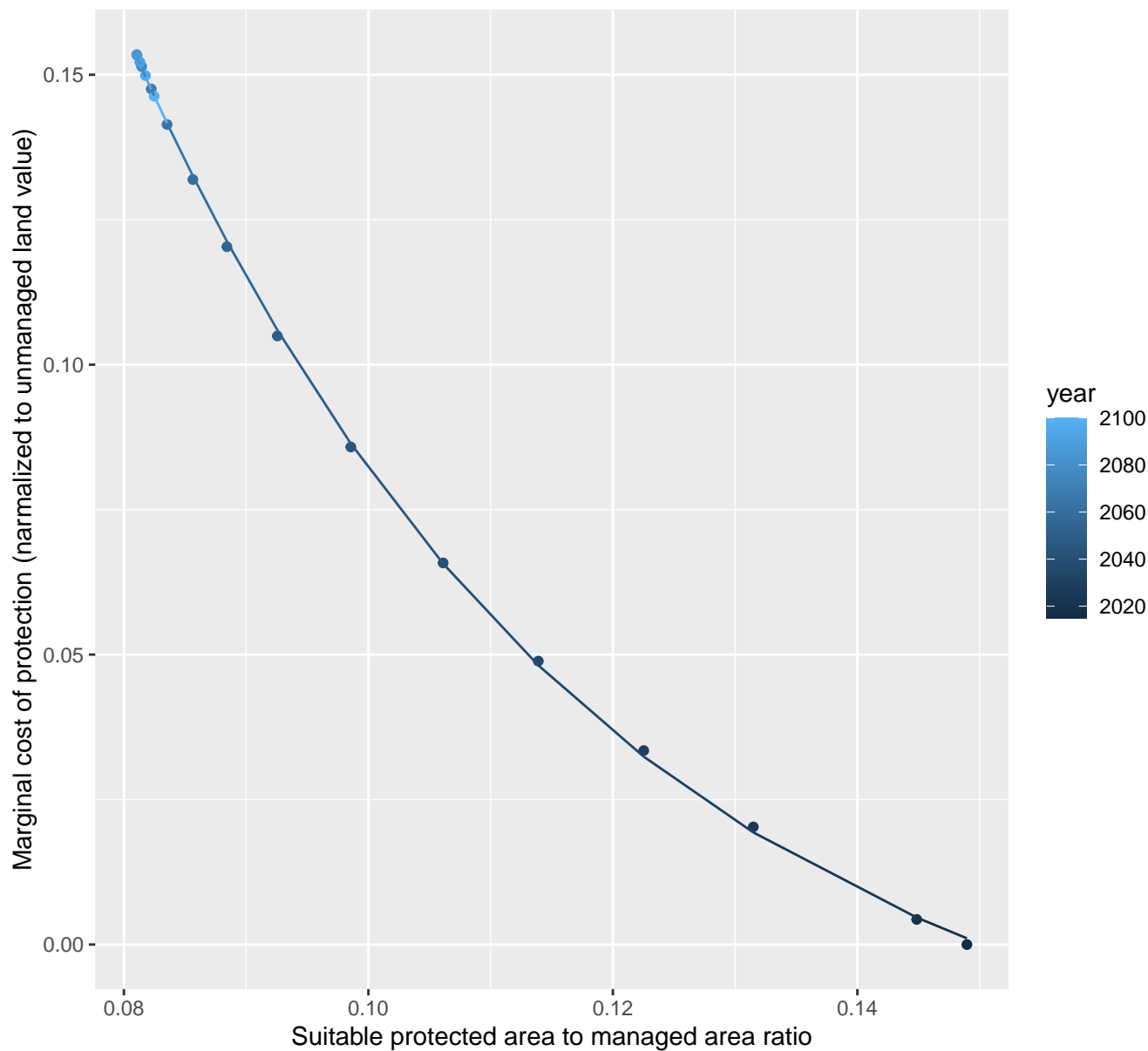
$$y = -0.06 + 4.12 \cdot \exp(-41.66 \cdot x)$$



# 23020 marginal protection cost ratio

nls random pval = 0.01512

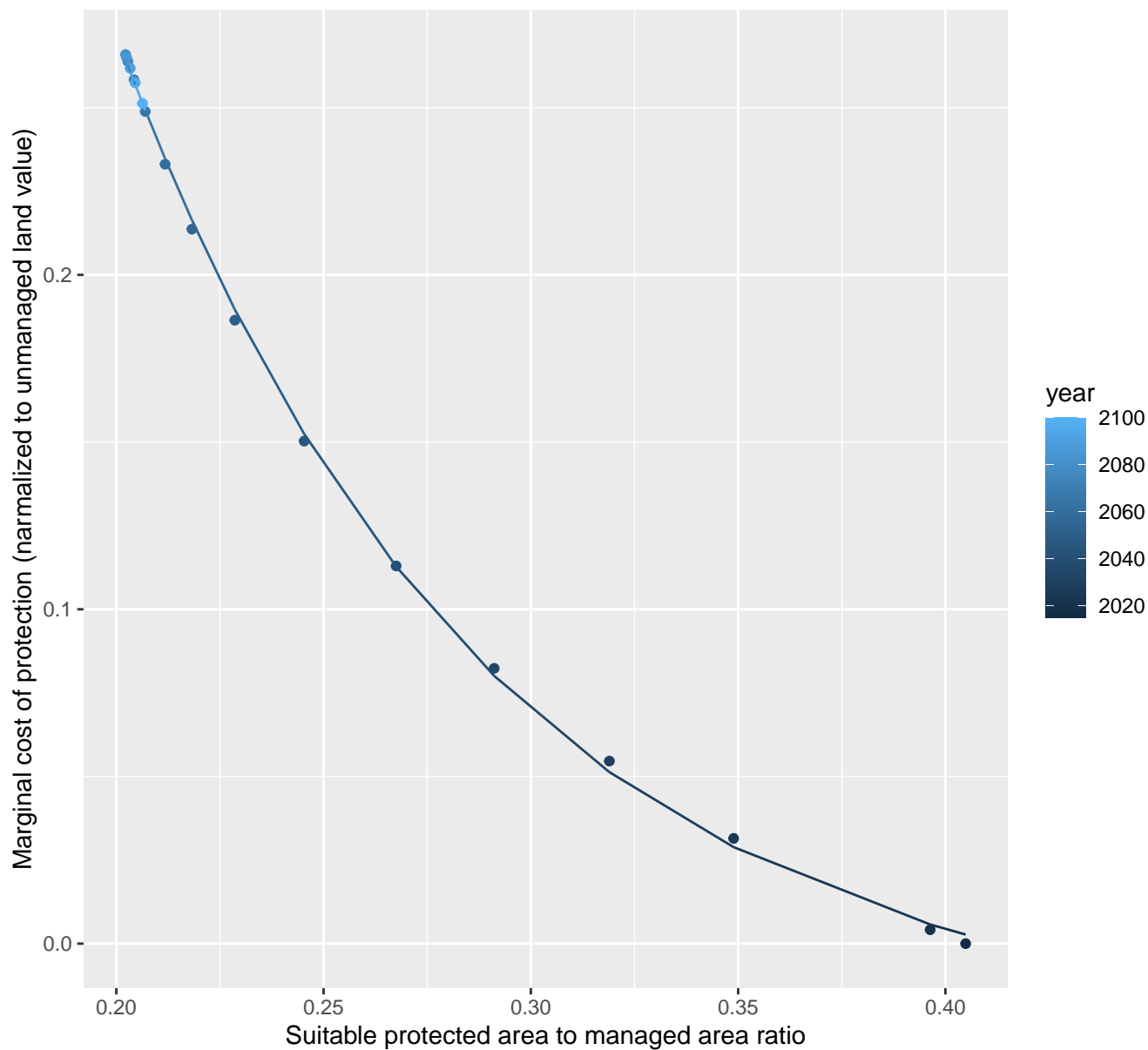
$$y = -0.03 + 1.47 \cdot \exp(-25.62 \cdot x)$$



## 23022 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.03 + 2.84 \cdot \exp(-11.26 \cdot x)$$

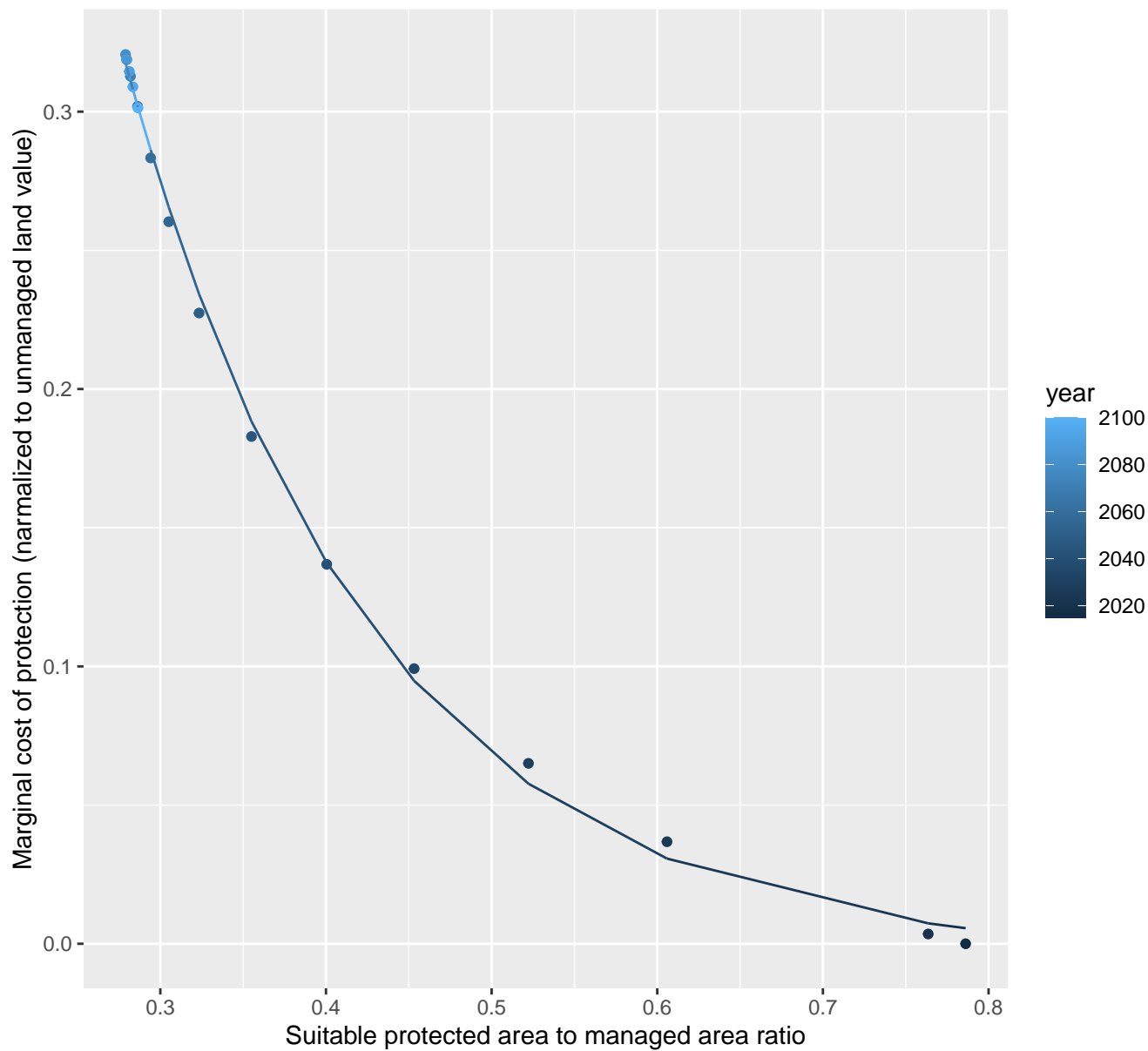




# 23025 marginal protection cost ratio

nls random pval = 0.01512

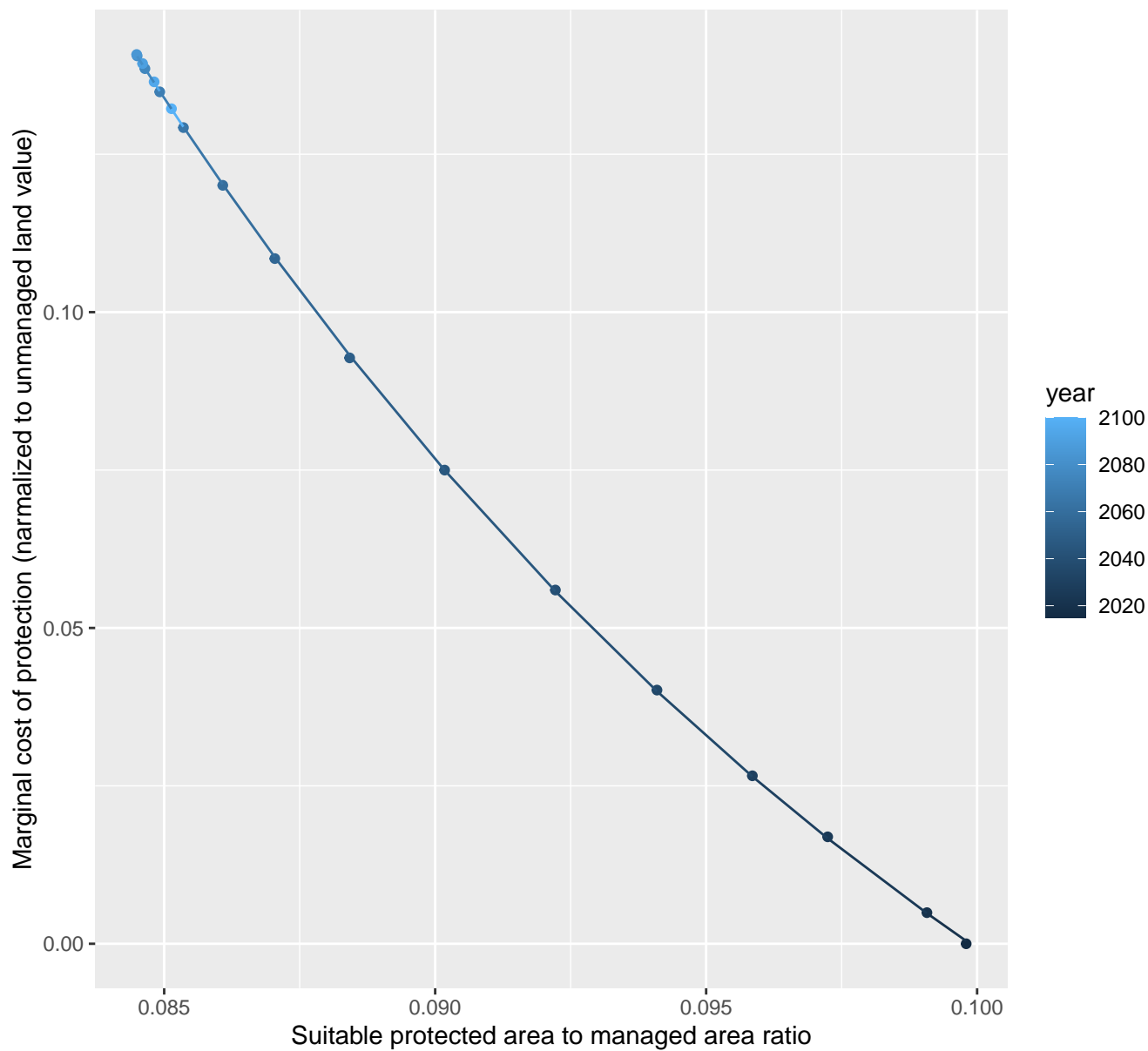
$$y=0+2.11*\exp(-6.73*x)$$



# 23033 marginal protection cost ratio

nls random pval = 0.01512

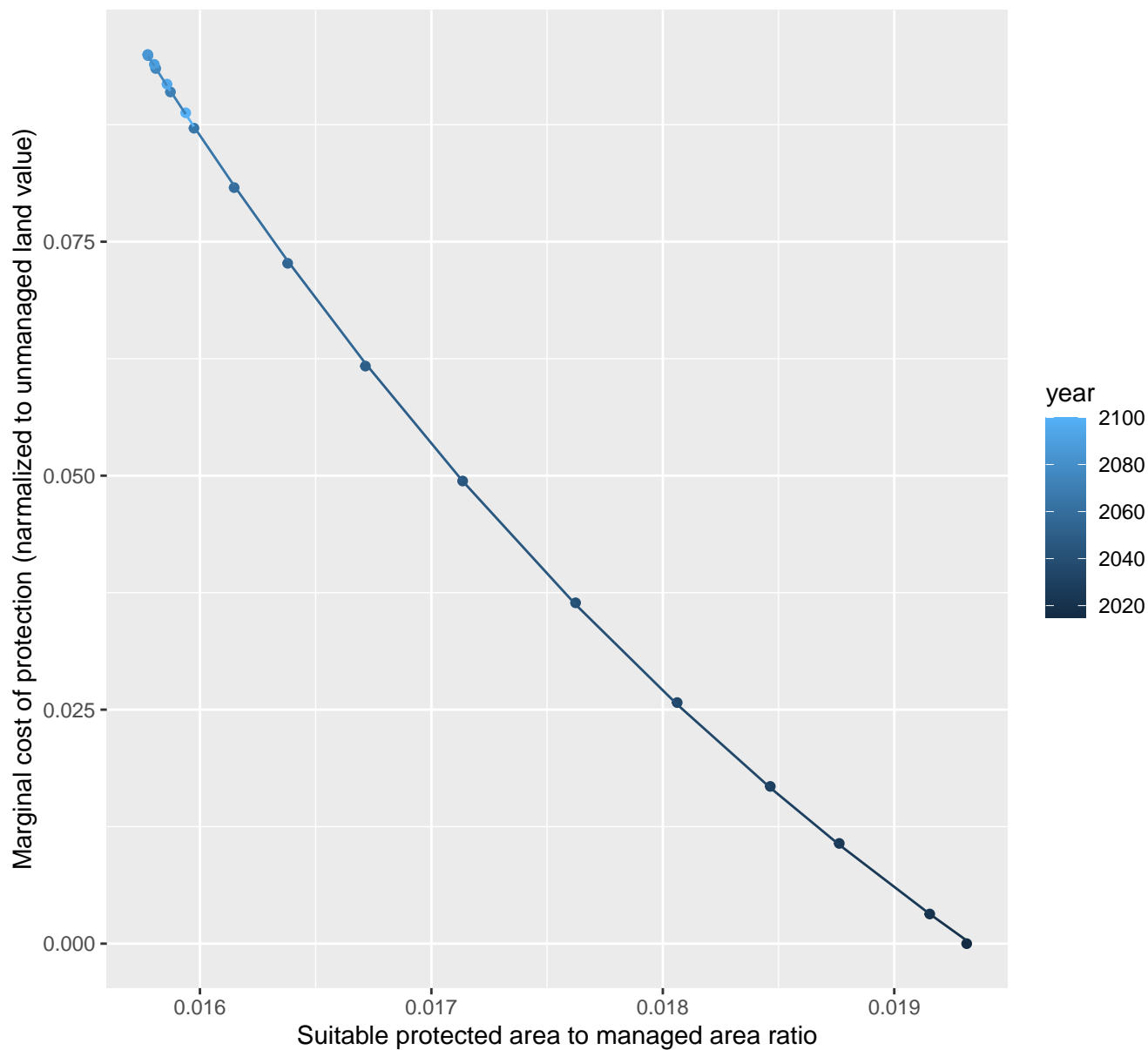
$$y = -0.11 + 22.51 \cdot \exp(-53.18 \cdot x)$$



# 23035 marginal protection cost ratio

nls random pval = 0.00355

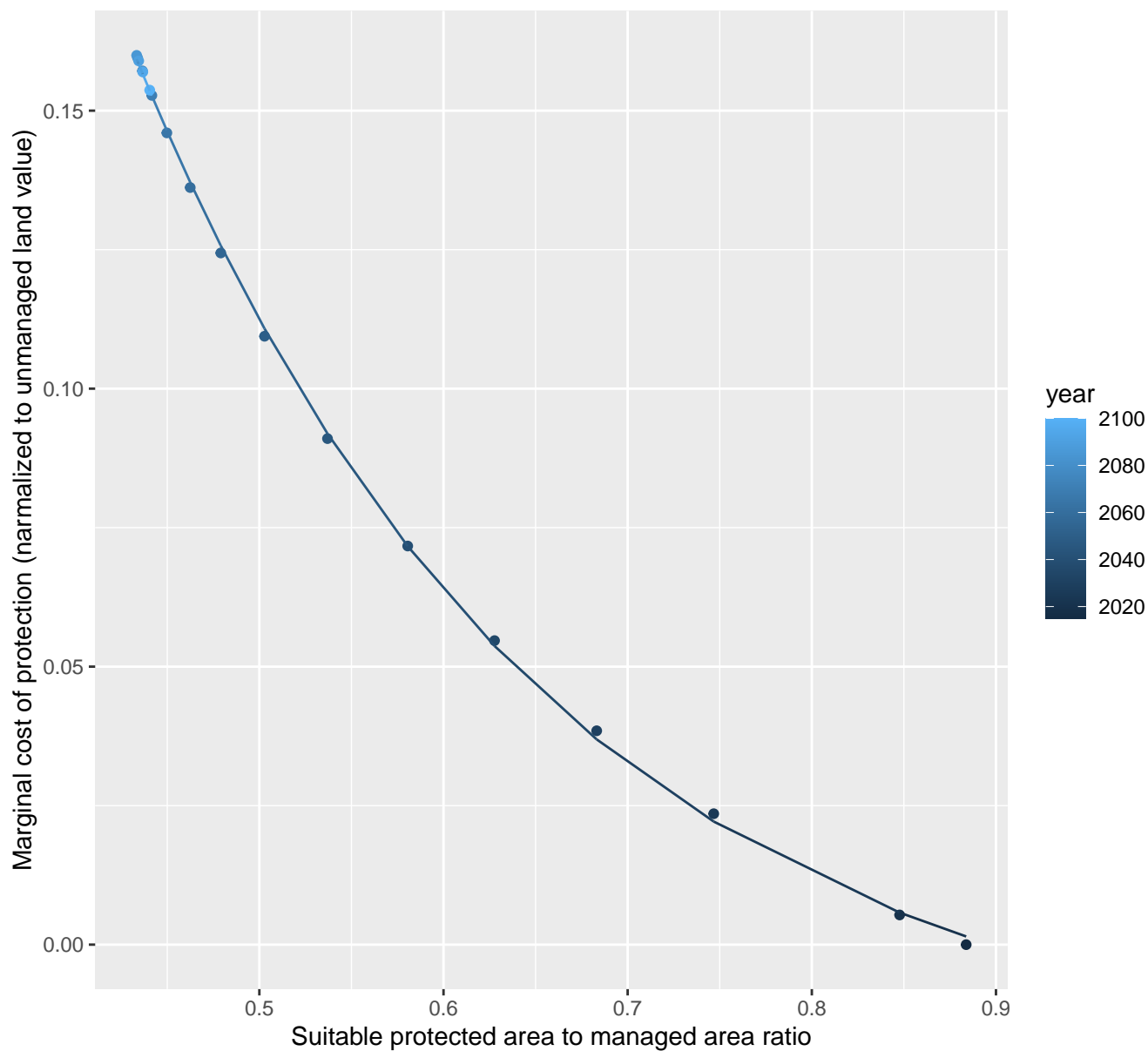
$$y = -0.08 + 6.05 \cdot \exp(-225.76 \cdot x)$$



# 23037 marginal protection cost ratio

nls random pval = 0.00355

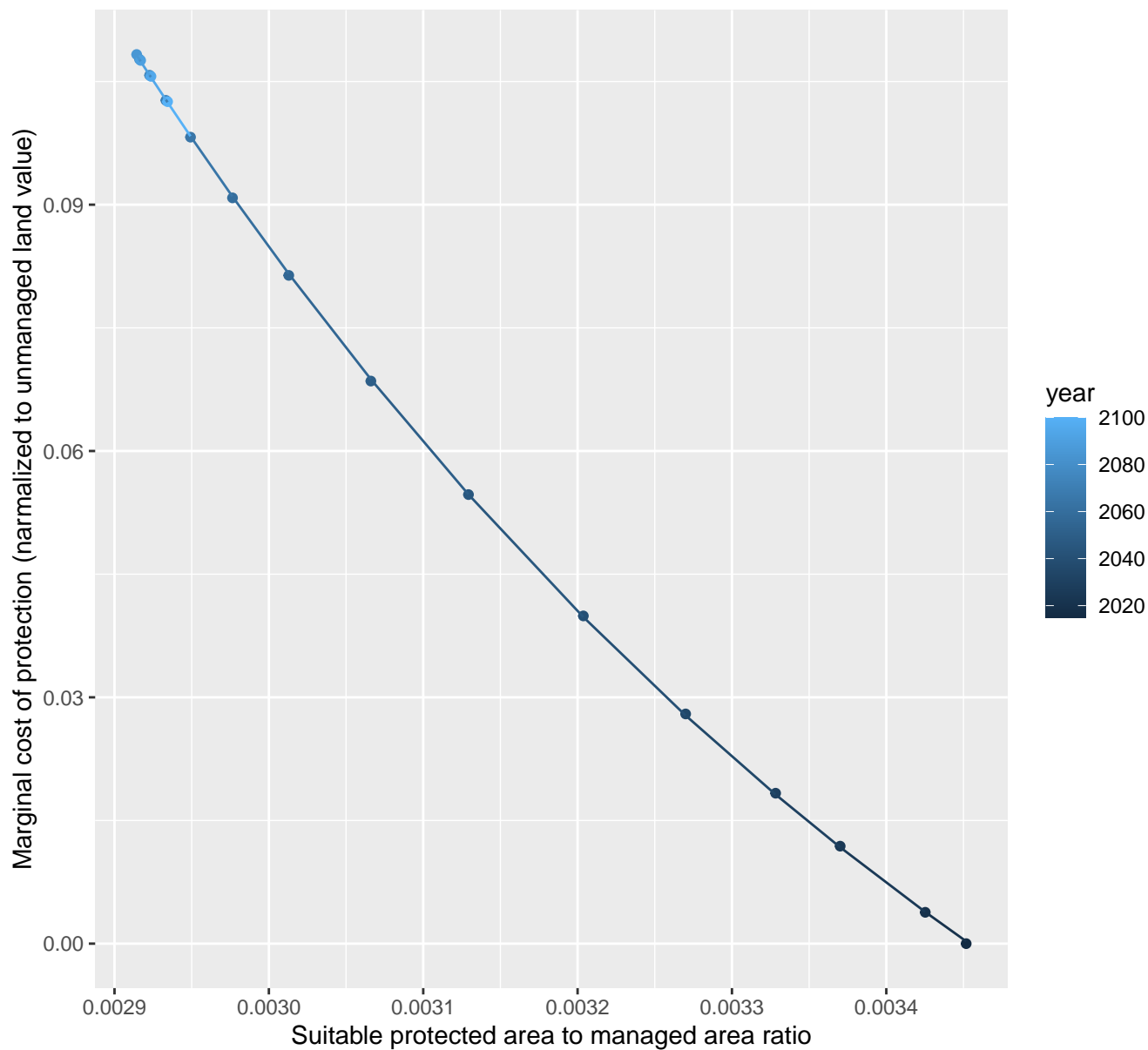
$$y = -0.02 + 1.25 \cdot \exp(-4.45 \cdot x)$$



# 23038 marginal protection cost ratio

nls random pval = 0.00355

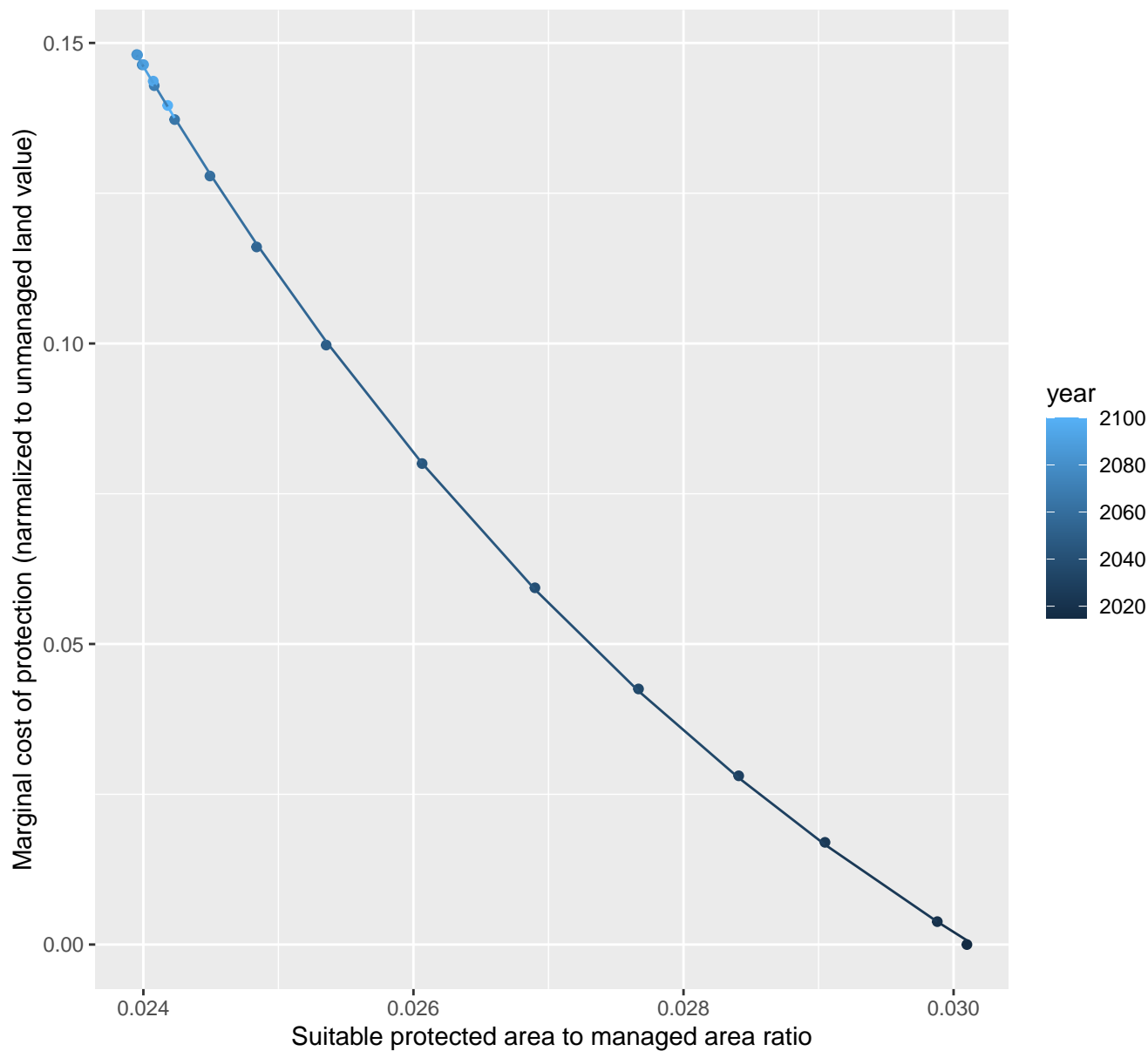
$$y = -0.09 + 14.09 \cdot \exp(-1463.14 \cdot x)$$



# 23039 marginal protection cost ratio

nls random pval = 0.00355

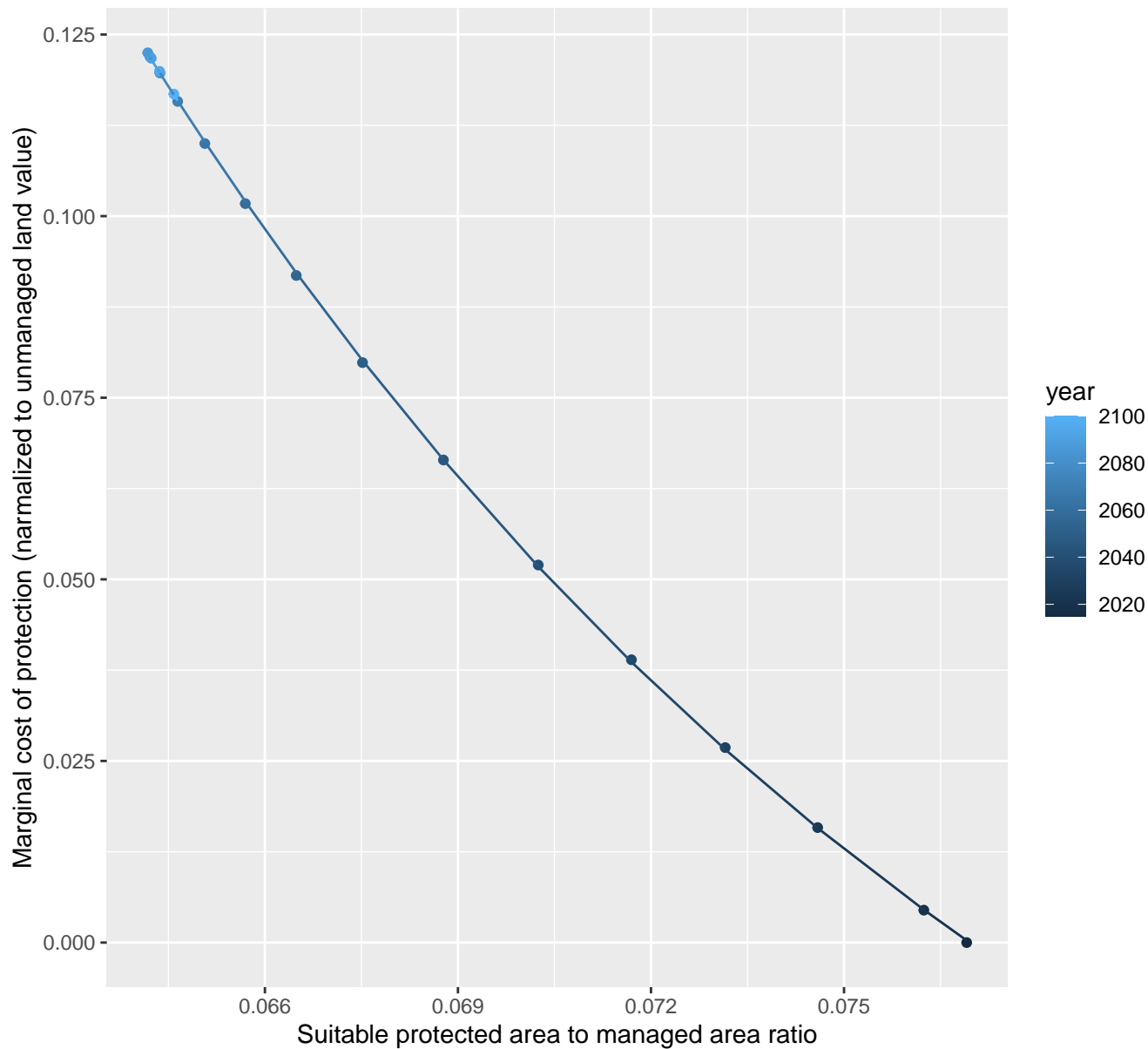
$$y = -0.08 + 11.7 \cdot \exp(-163.7 \cdot x)$$



# 23042 marginal protection cost ratio

nls random pval = 0.00355

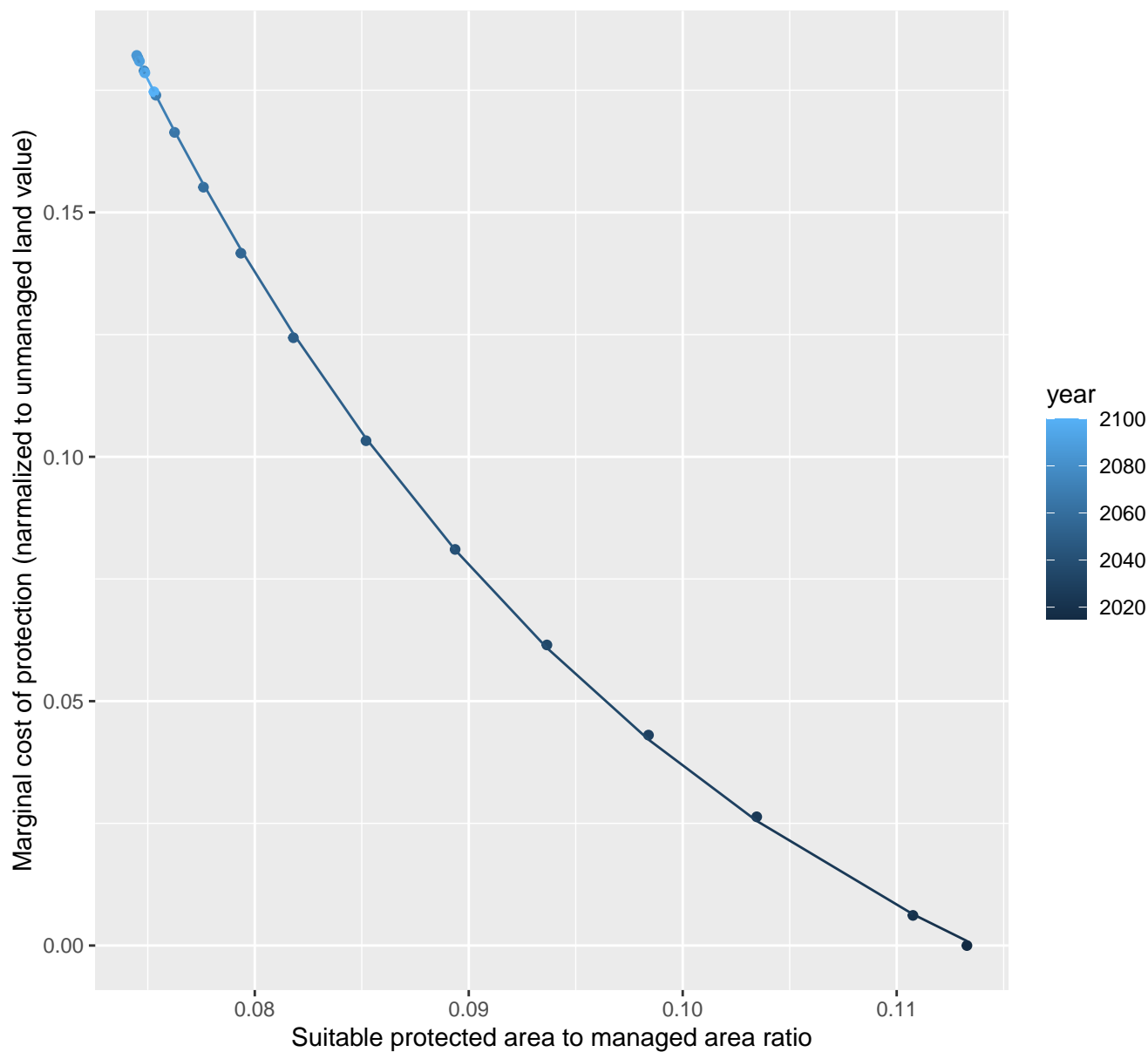
$$y = -0.1 + 13.6 \cdot \exp(-64.39 \cdot x)$$



# 23043 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.05 + 3.82 \cdot \exp(-37.38 \cdot x)$$

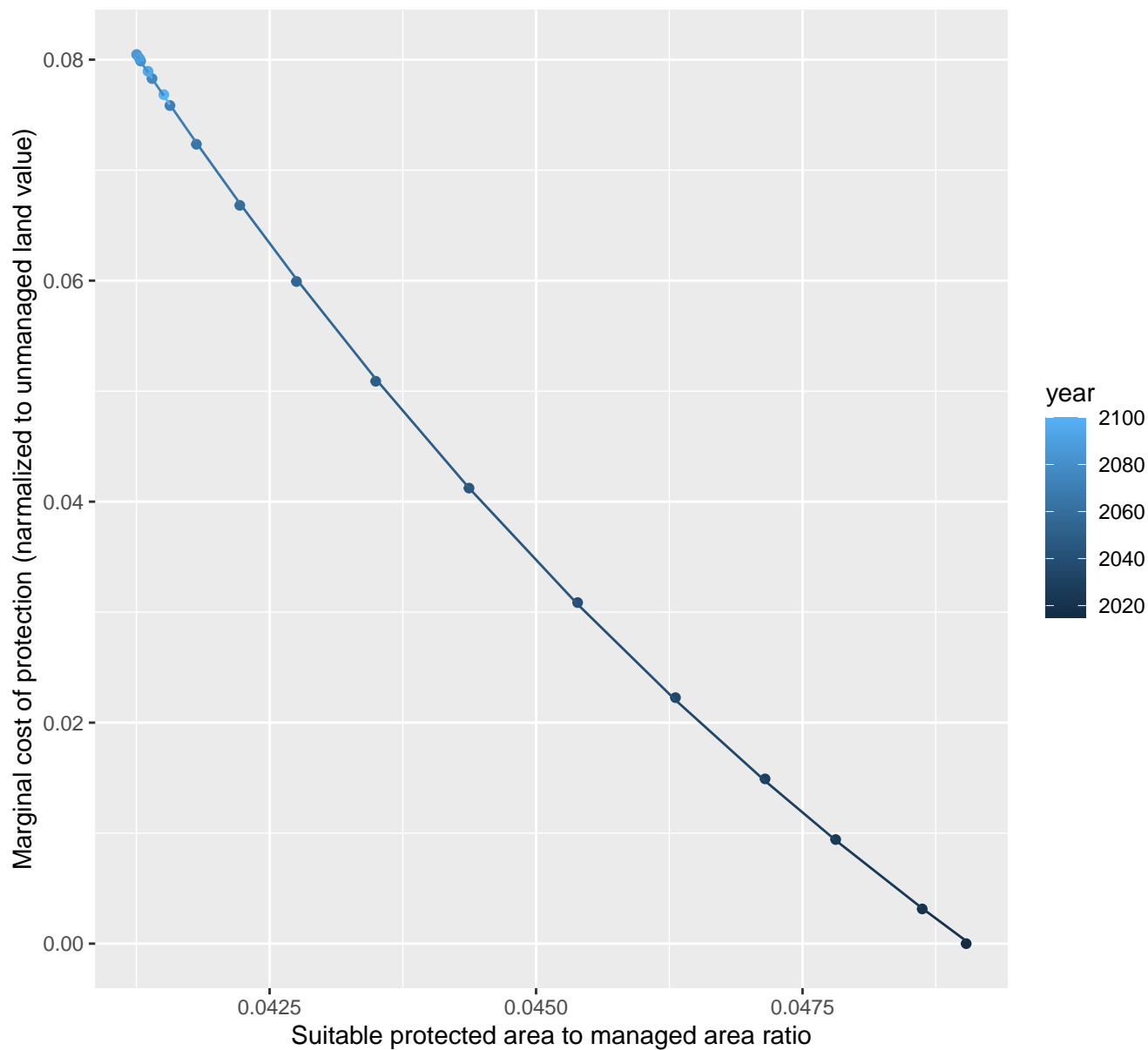




# 23045 marginal protection cost ratio

nls random pval = 0.00355

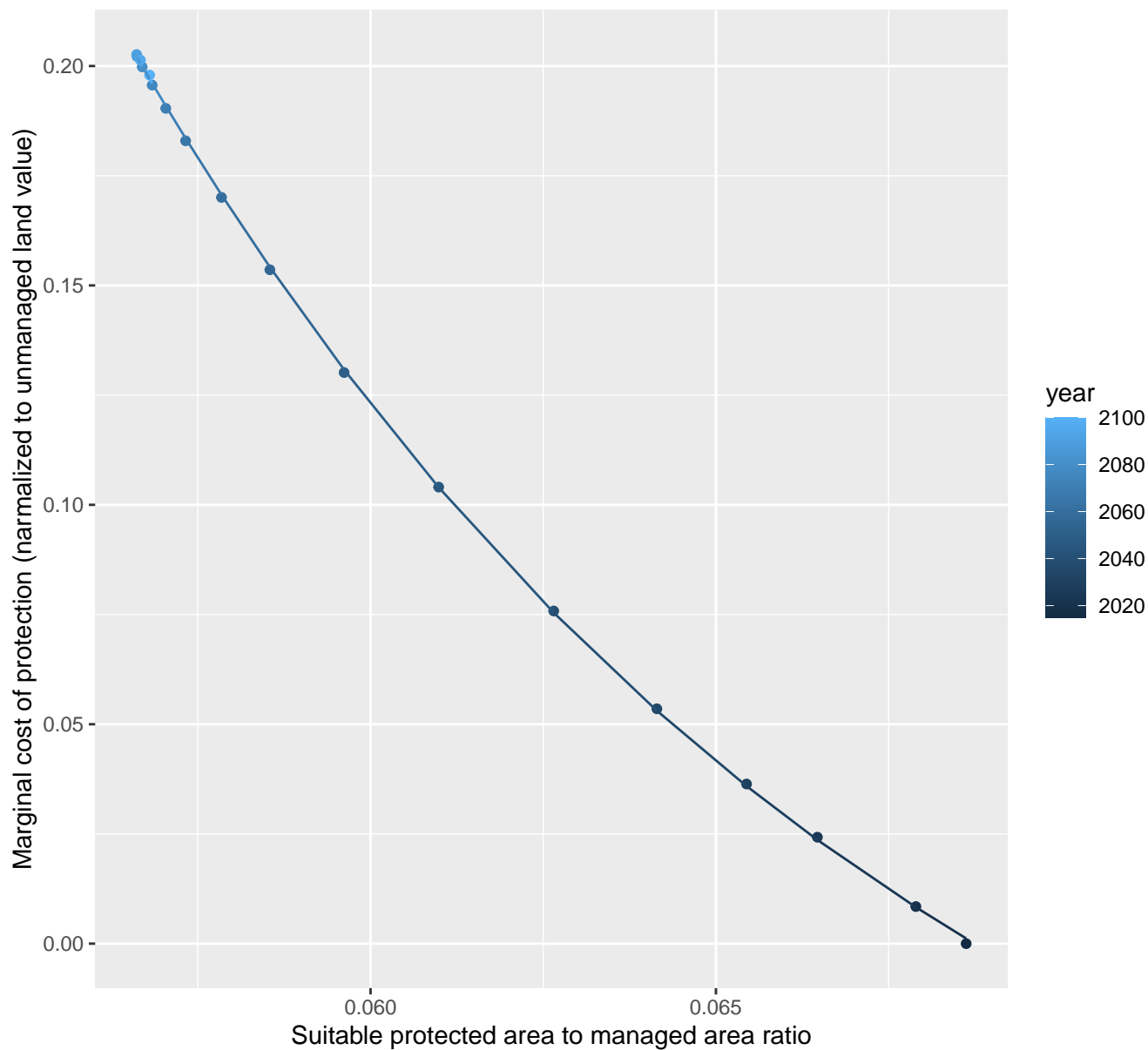
$$y = -0.08 + 7.12 \cdot \exp(-92.64 \cdot x)$$



# 23047 marginal protection cost ratio

nls random pval = 0.00355

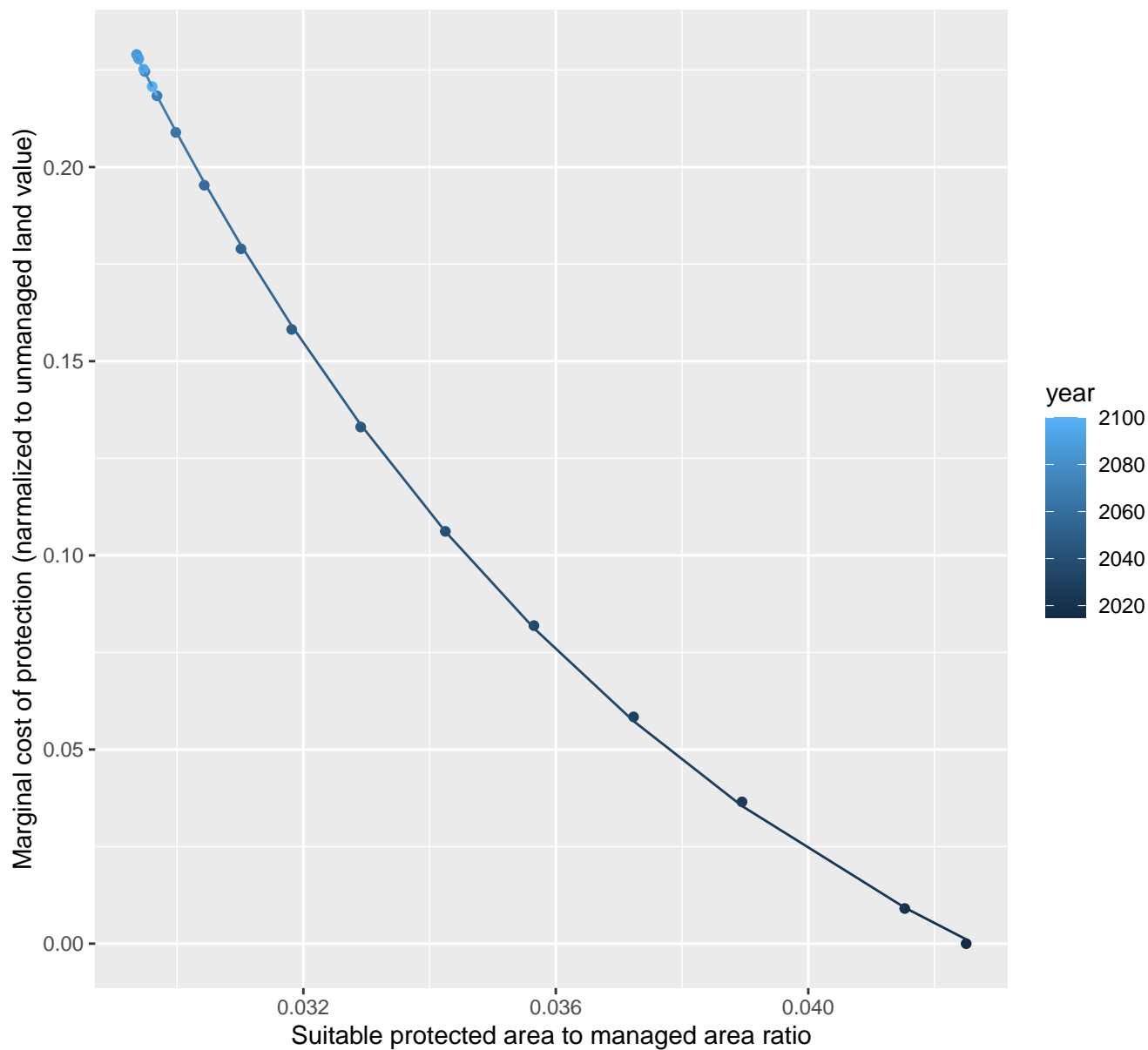
$$y = -0.11 + 42.93 \cdot \exp(-87.11 \cdot x)$$



# 23048 marginal protection cost ratio

nls random pval = 0.00355

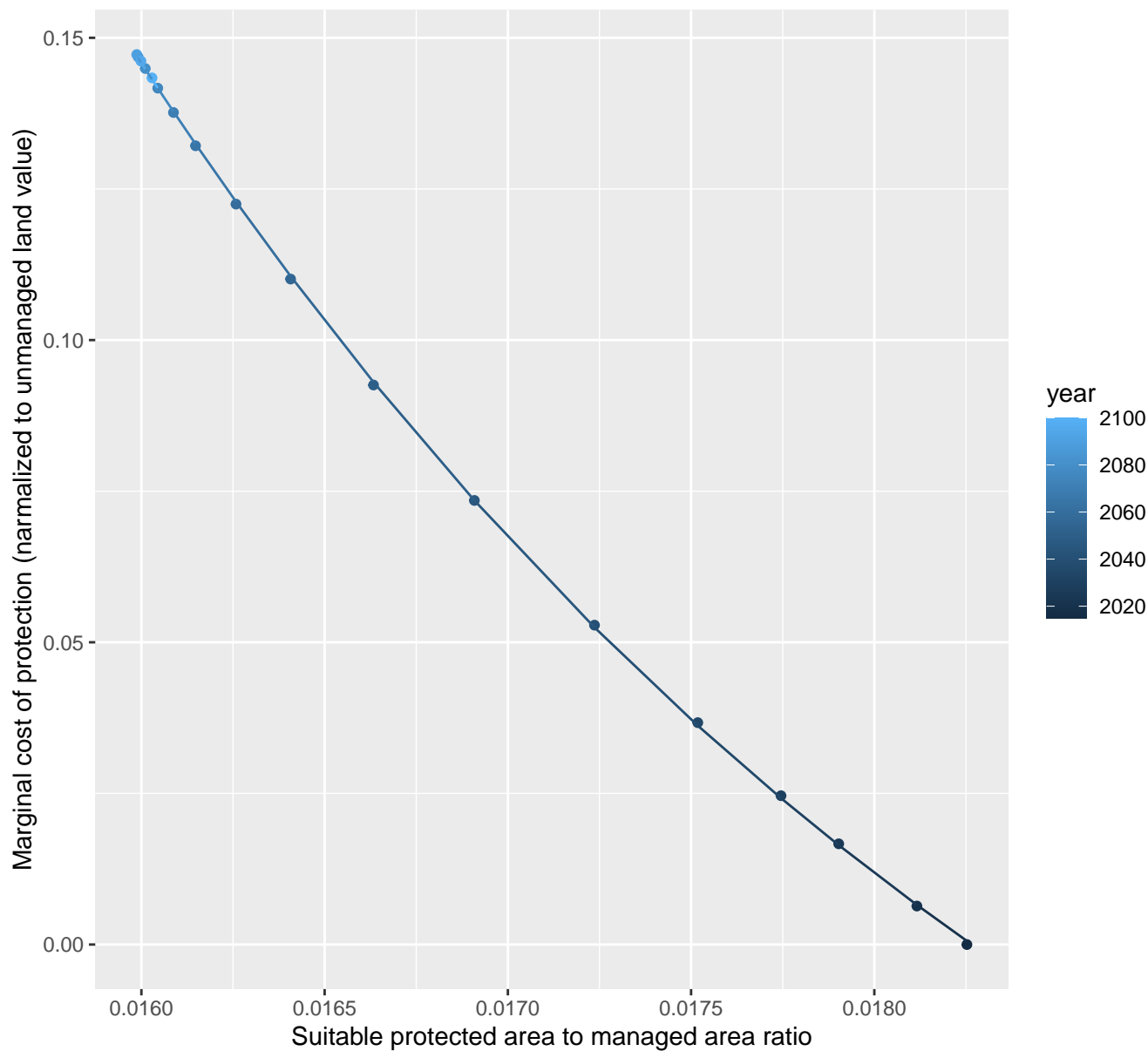
$$y = -0.07 + 6.79 \cdot \exp(-105.96 \cdot x)$$



## 23053 marginal protection cost ratio

nls random pval = 0.00355

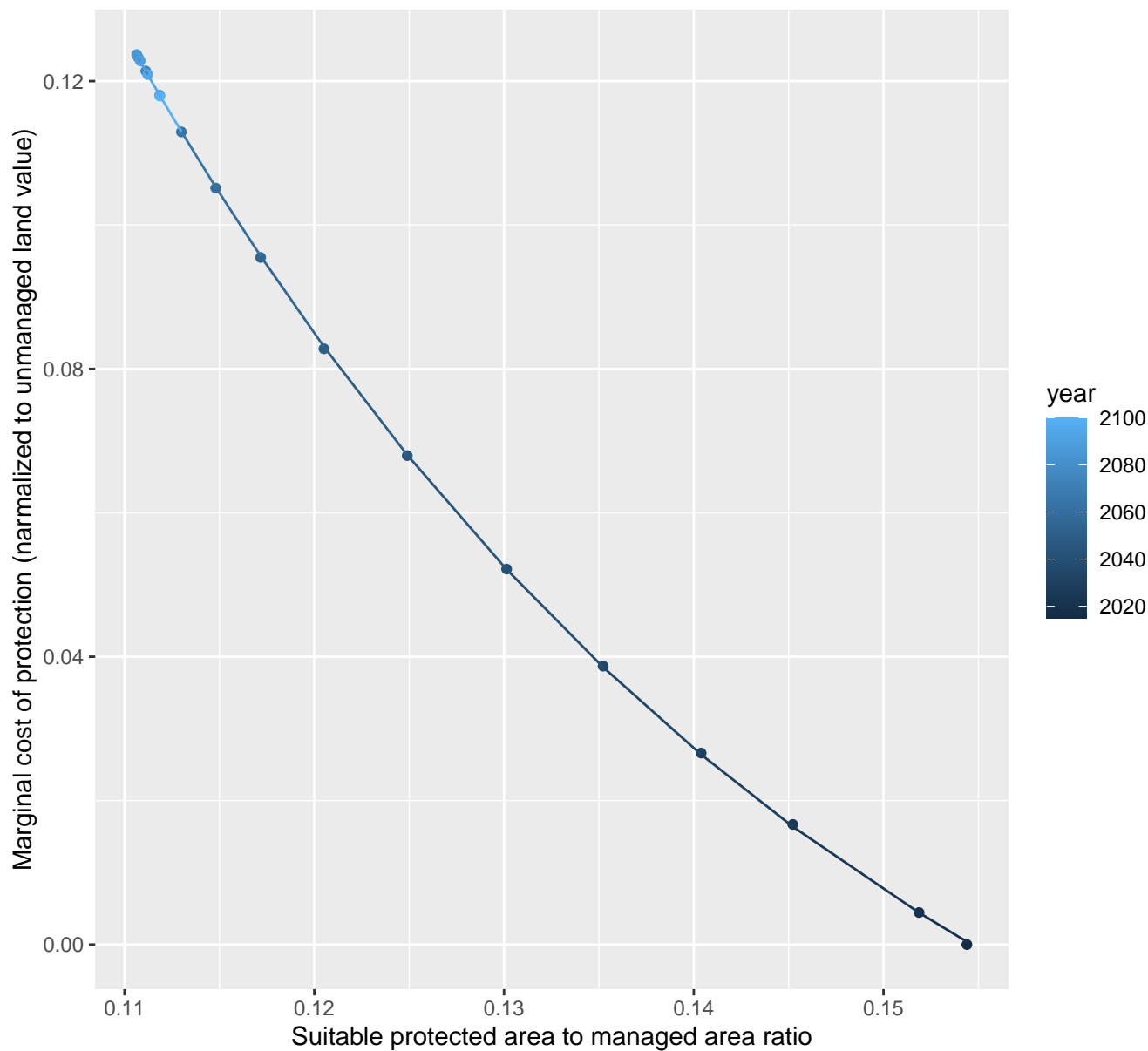
$$y = -0.12 + 67.38 \cdot \exp(-345.3 \cdot x)$$



# 23056 marginal protection cost ratio

nls random pval = 0.01512

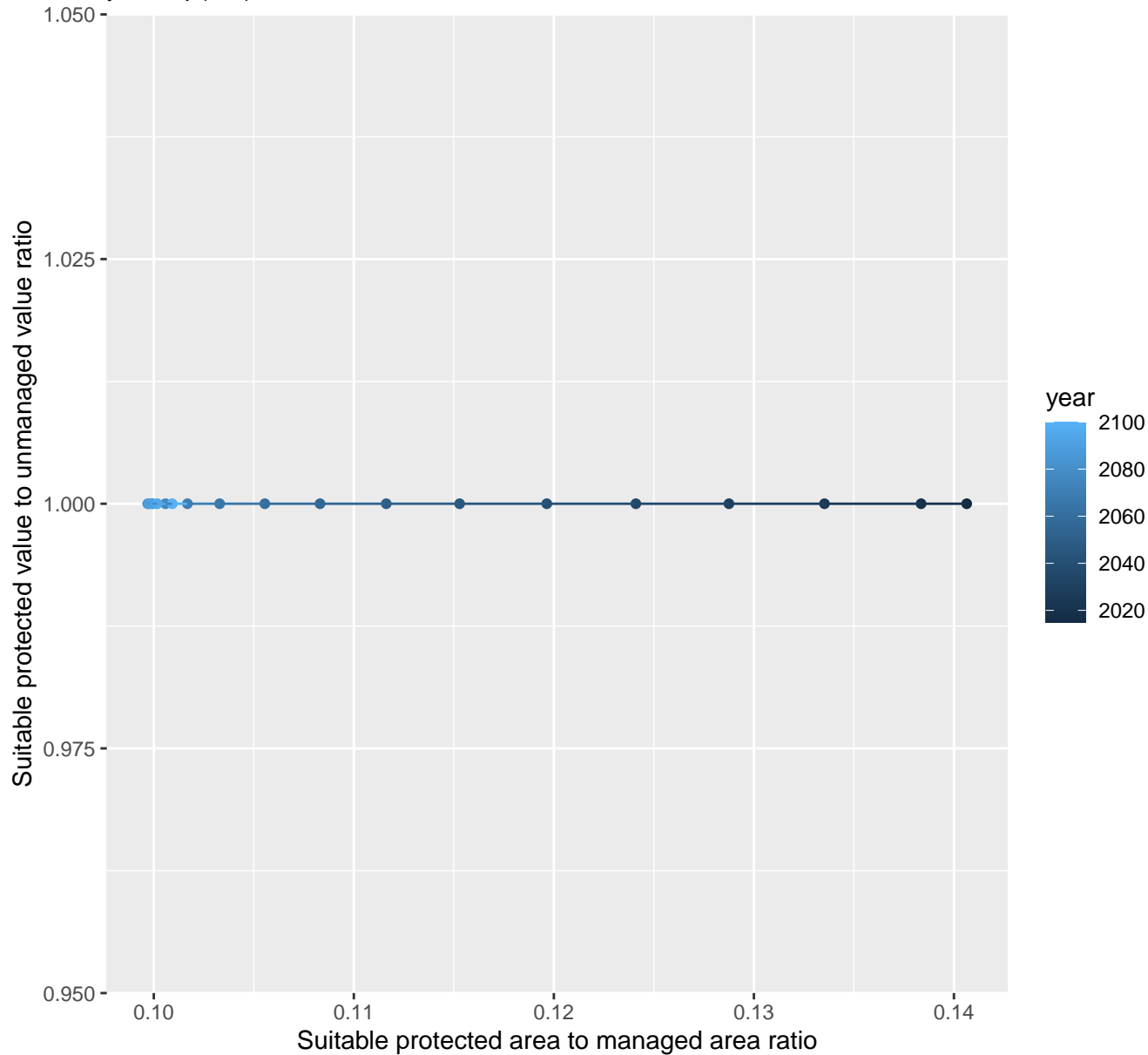
$$y = -0.06 + 2.94 \cdot \exp(-24.98 \cdot x)$$



# 23070 marginal protection cost ratio

linear-log(y)  $r^2 = 0.1187$   $p\text{val} = 0.16149$  random  $p\text{val} = 0.32146$

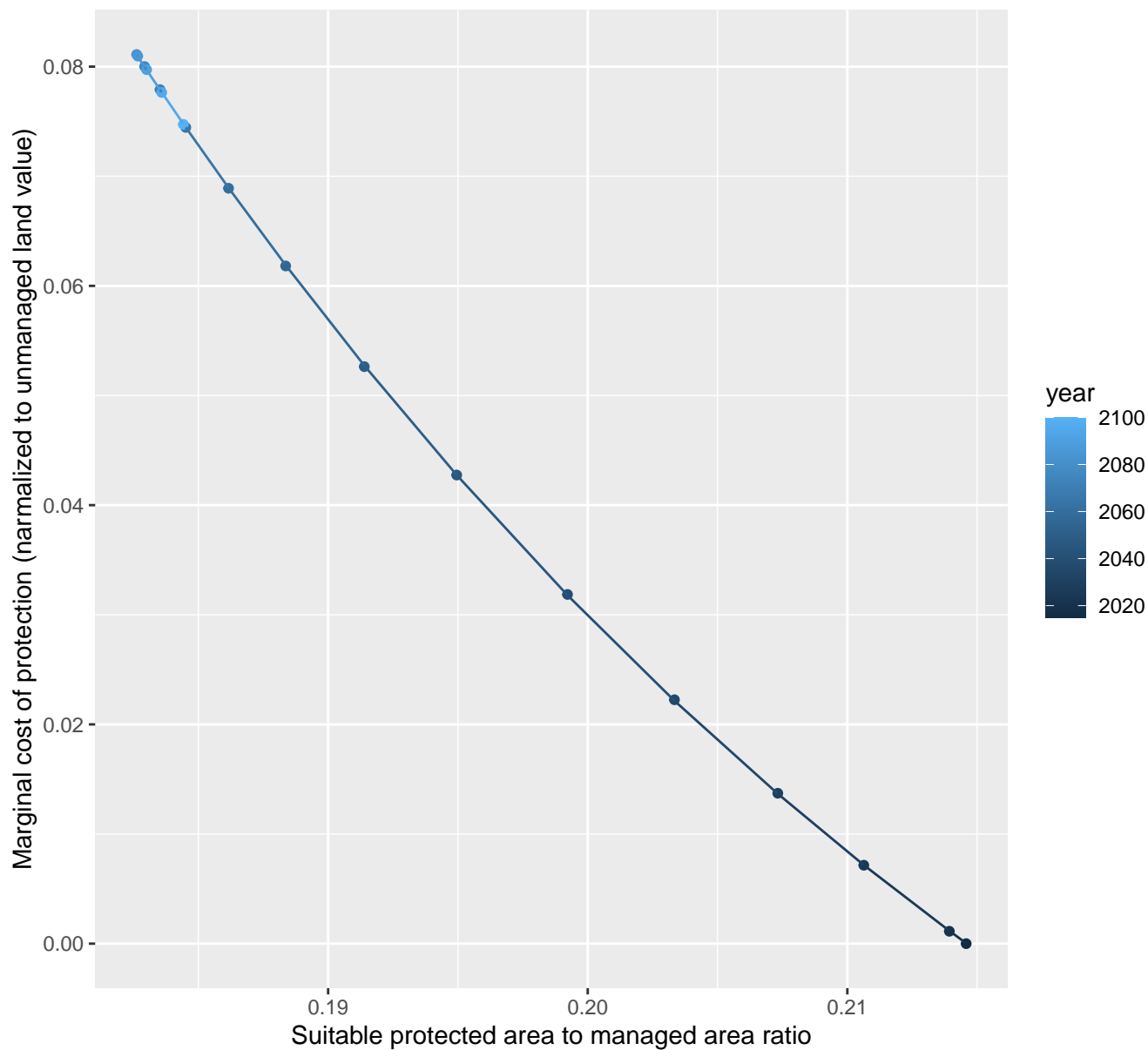
$$y = 1 * \exp(0 * x)$$



# 23072 marginal protection cost ratio

nls random pval = 0.01512

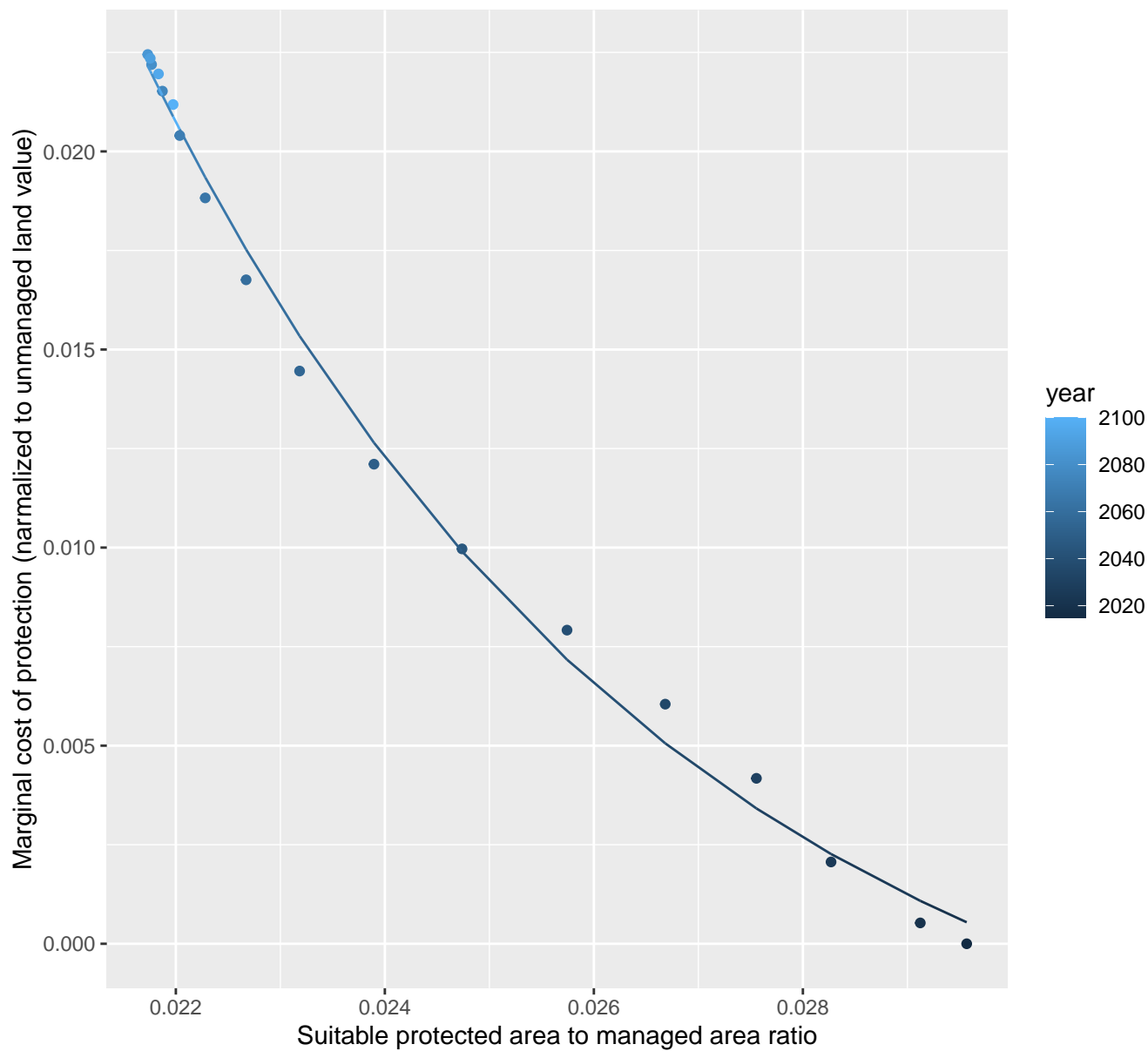
$$y = -0.08 + 9.8 \cdot \exp(-22.62 \cdot x)$$



# 23076 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.01 + 1.92 \cdot \exp(-195.34 \cdot x)$$

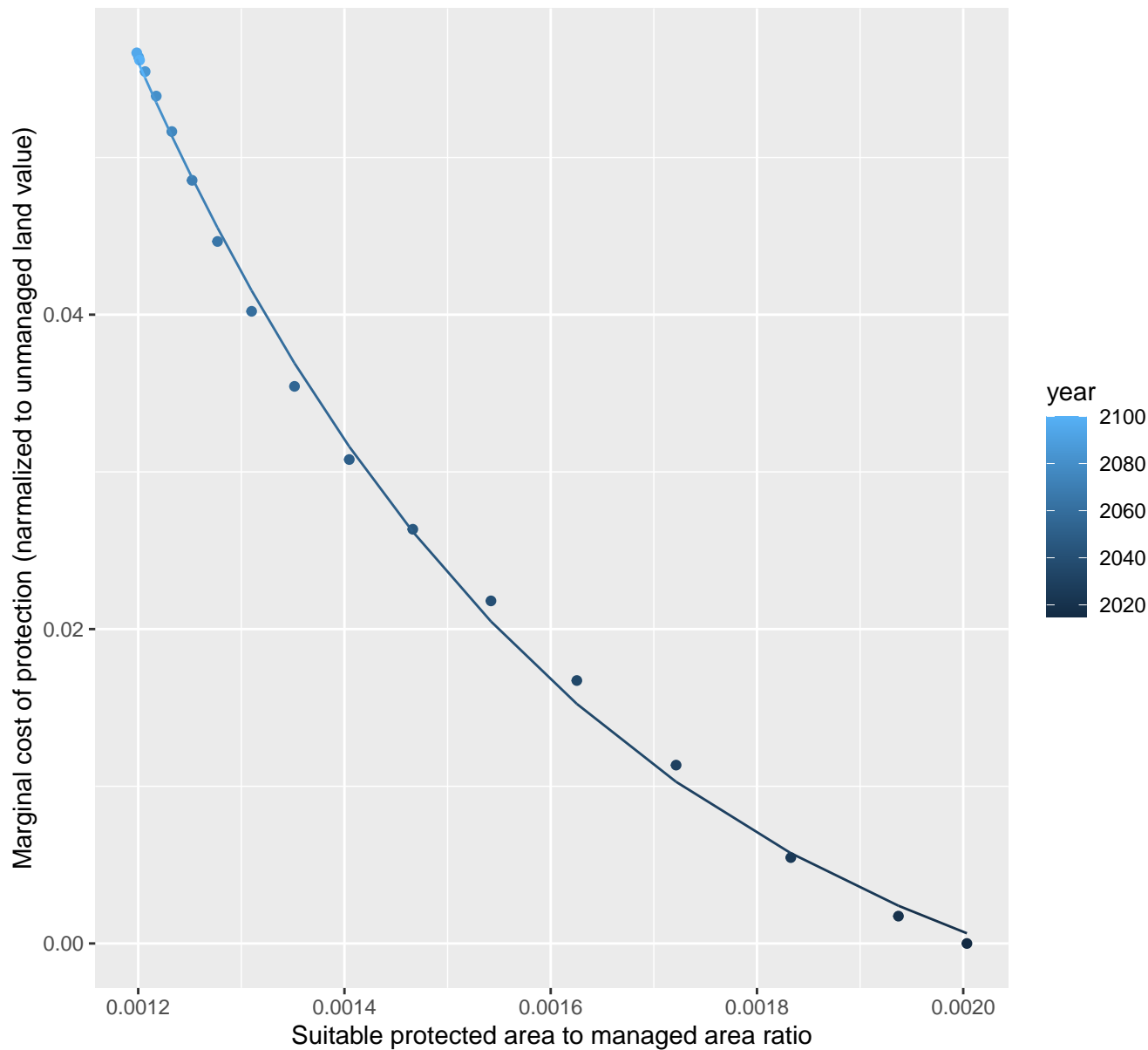




# 24194 marginal protection cost ratio

nls random pval = 0.00355

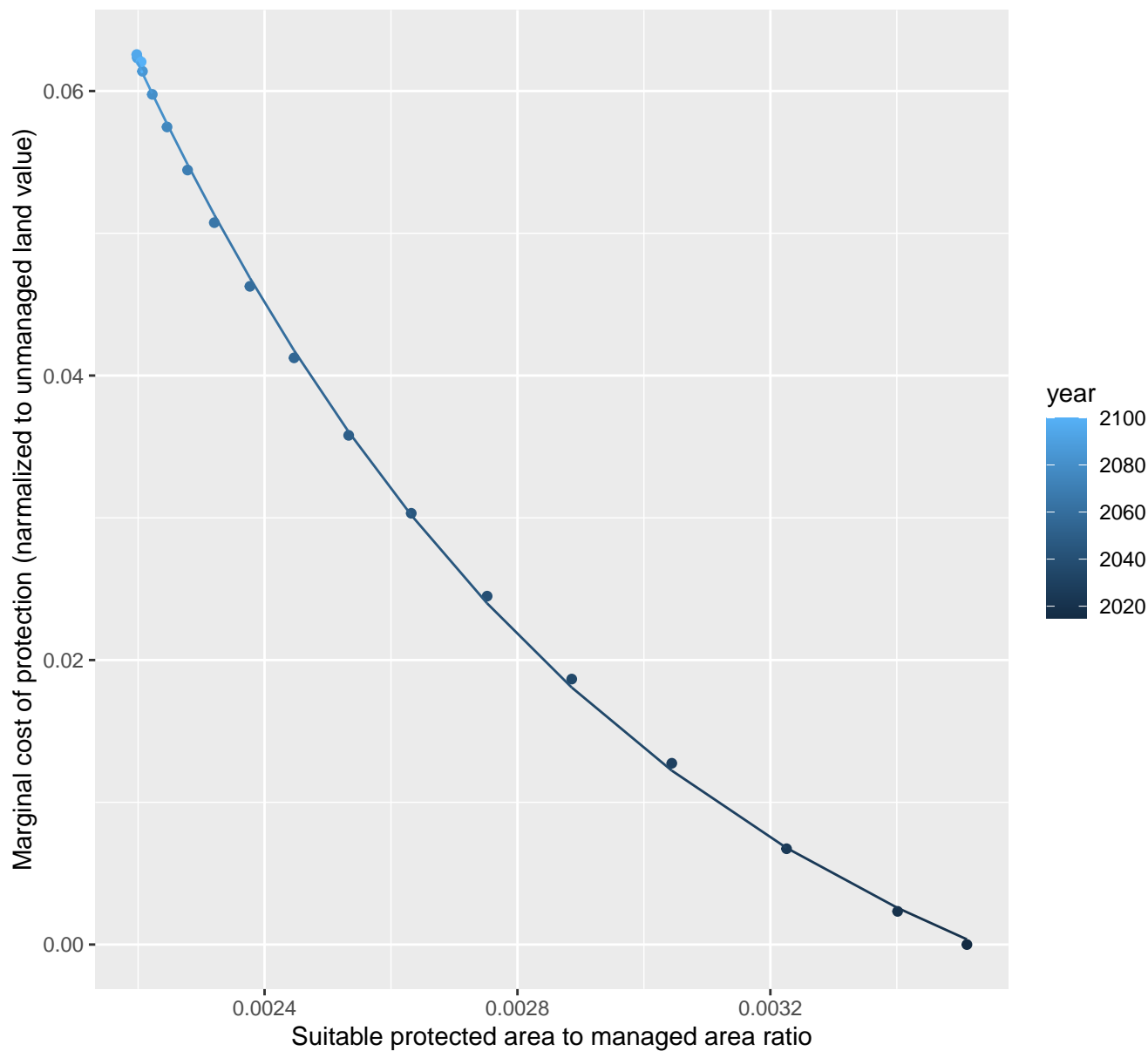
$$y = -0.01 + 0.98 \cdot \exp(-2248.03 \cdot x)$$



# 24198 marginal protection cost ratio

nls random pval = 0.00355

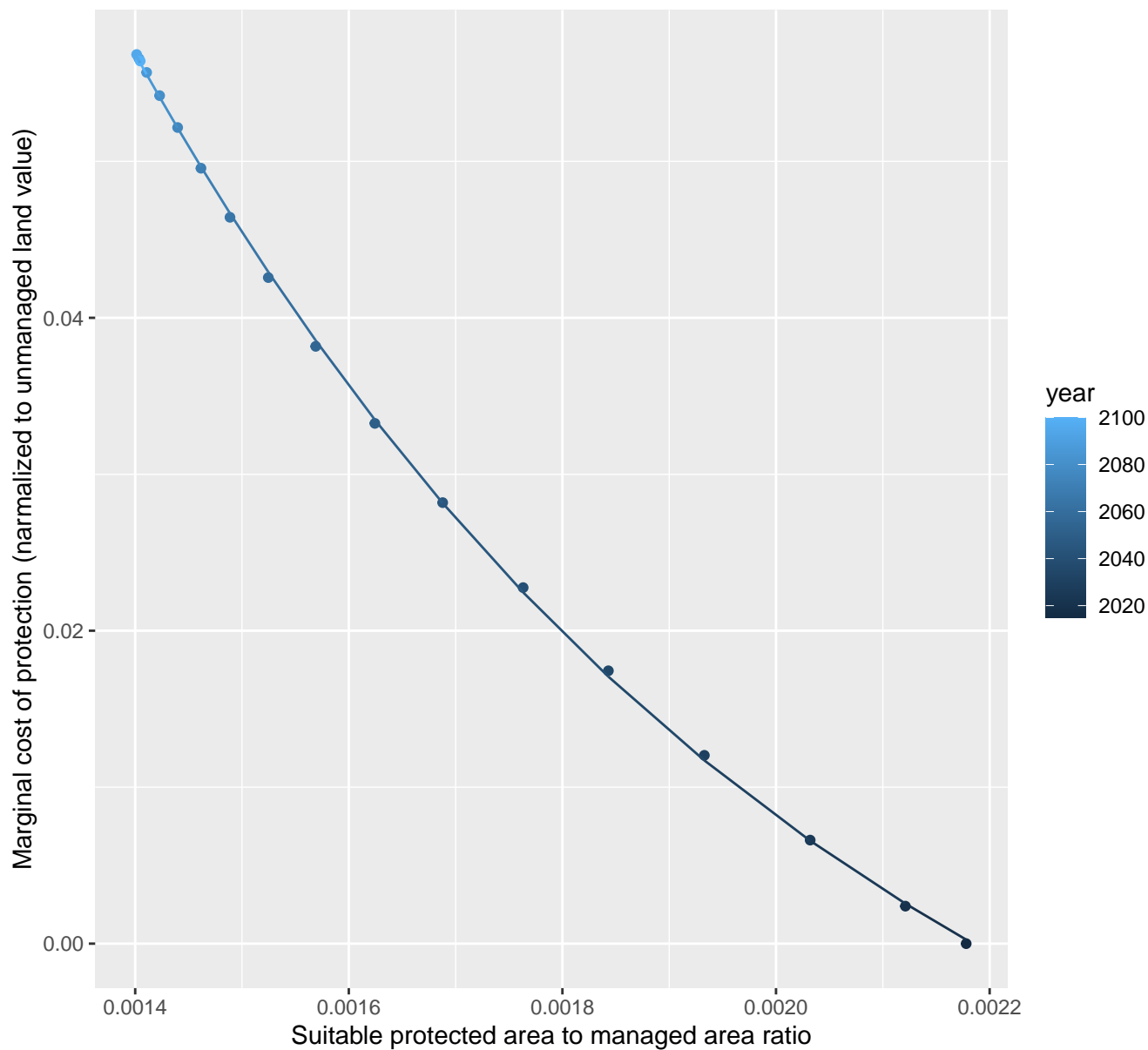
$$y = -0.01 + 1.16 \cdot \exp(-1233.75 \cdot x)$$



# 24199 marginal protection cost ratio

nls random pval = 0.00355

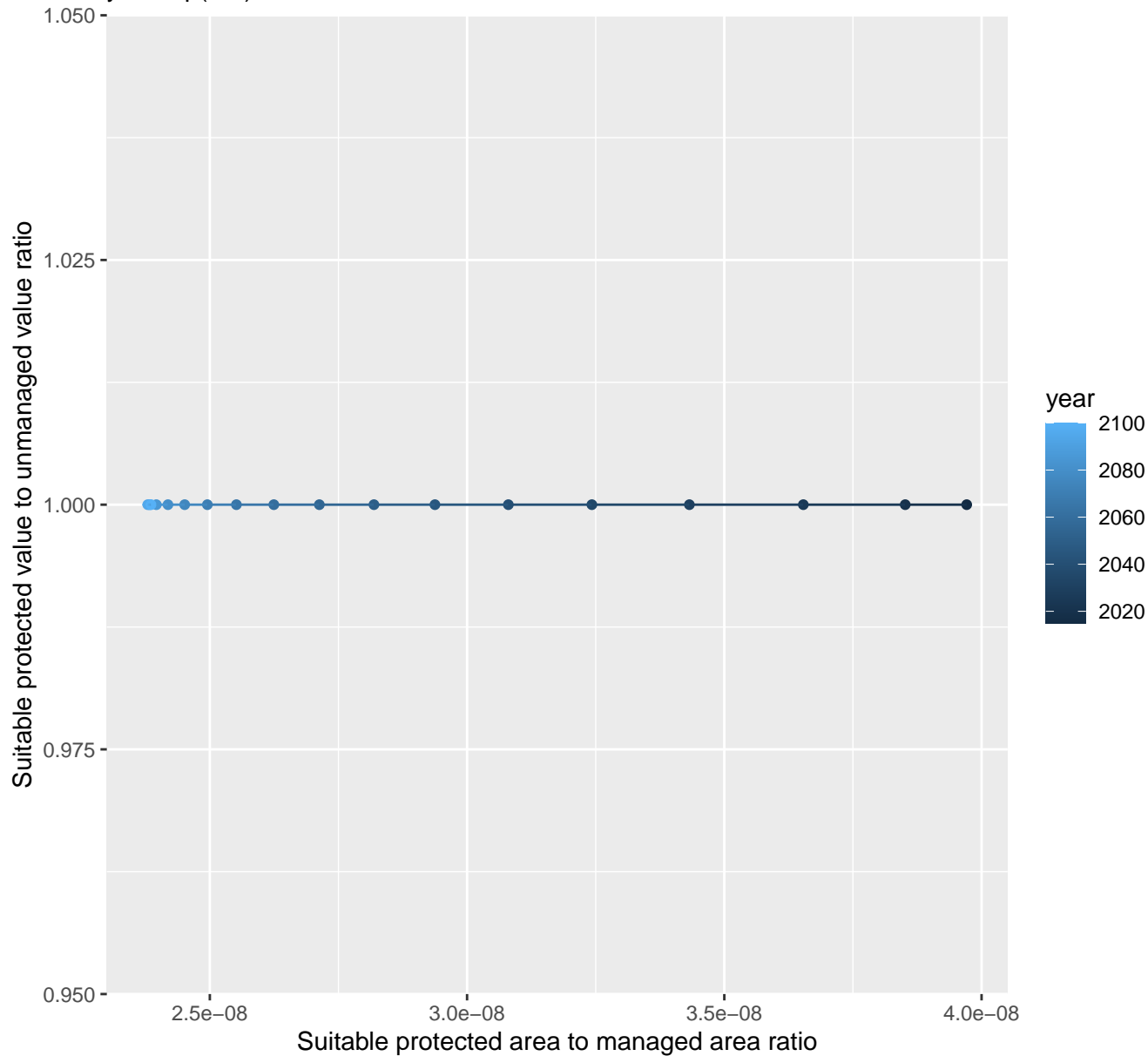
$$y = -0.03 + 0.66 \cdot \exp(-1477.36 \cdot x)$$



## 24204 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01931$   $pval = 0.58238$  random  $pval = 0.36965$

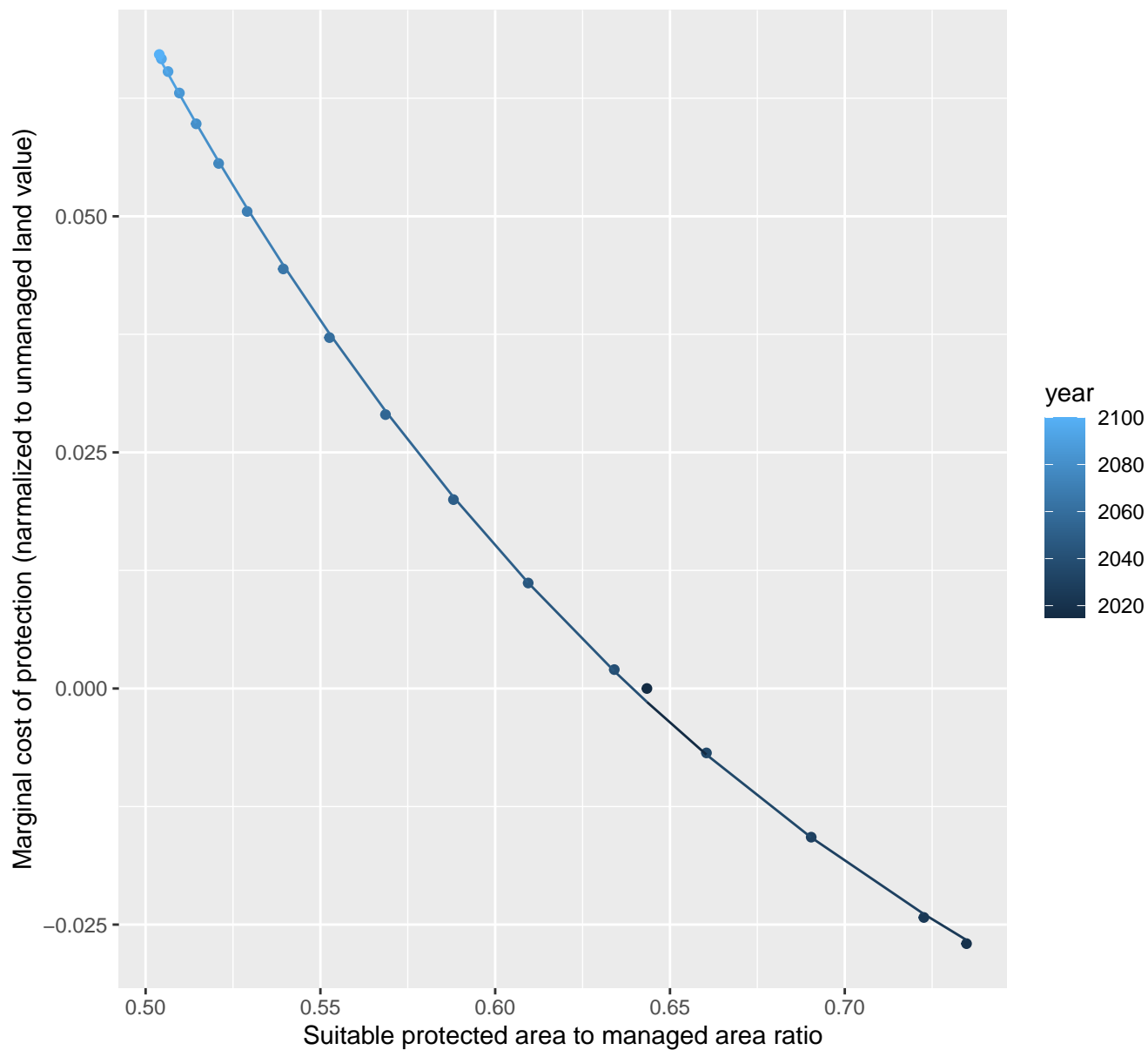
$$y = 1 * \exp(0 * x)$$



# 25143 marginal protection cost ratio

nls random pval = 0.01512

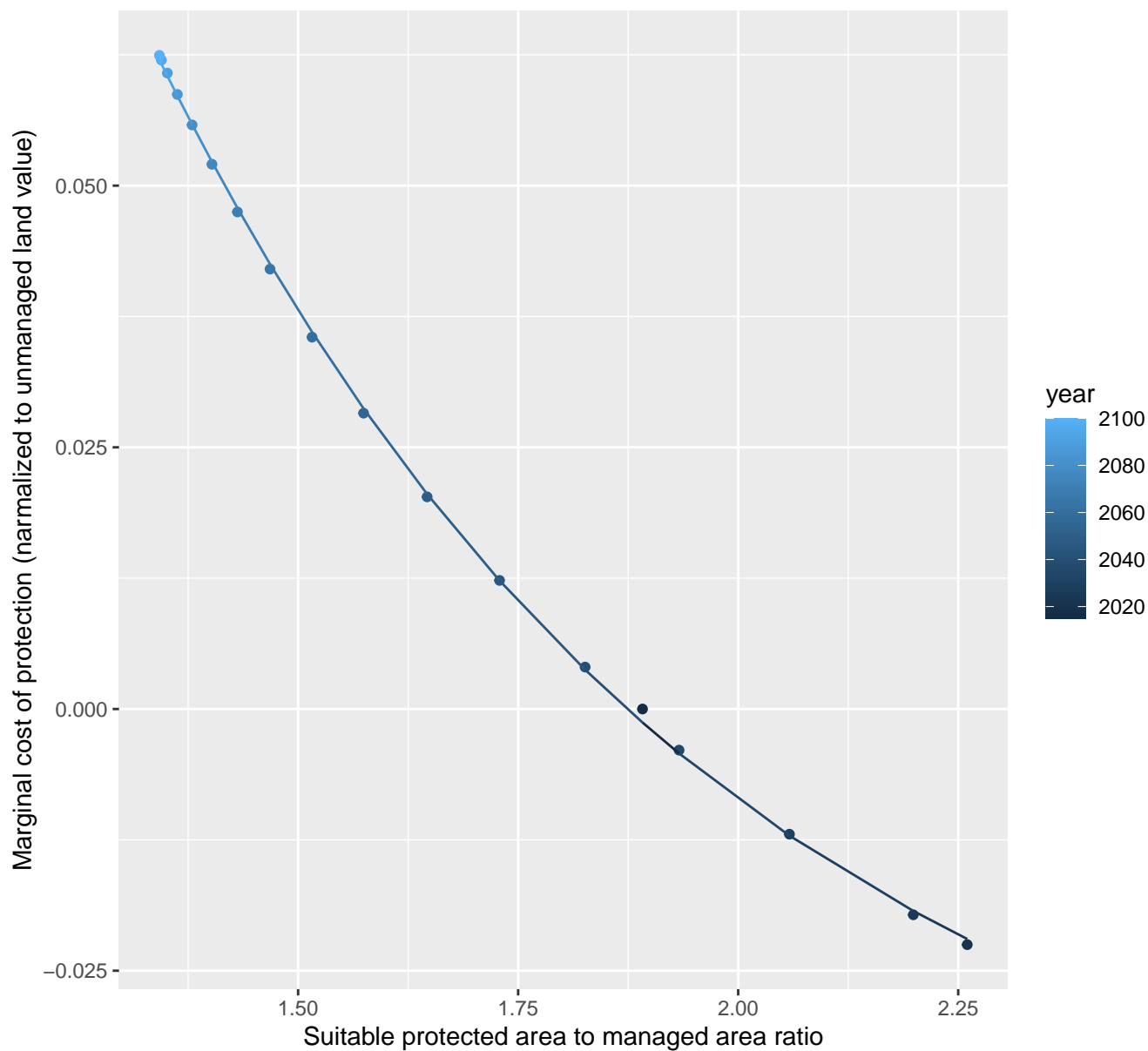
$$y = -0.07 + 1.61 \cdot \exp(-4.86 \cdot x)$$



# 25156 marginal protection cost ratio

nls random pval = 0.01512

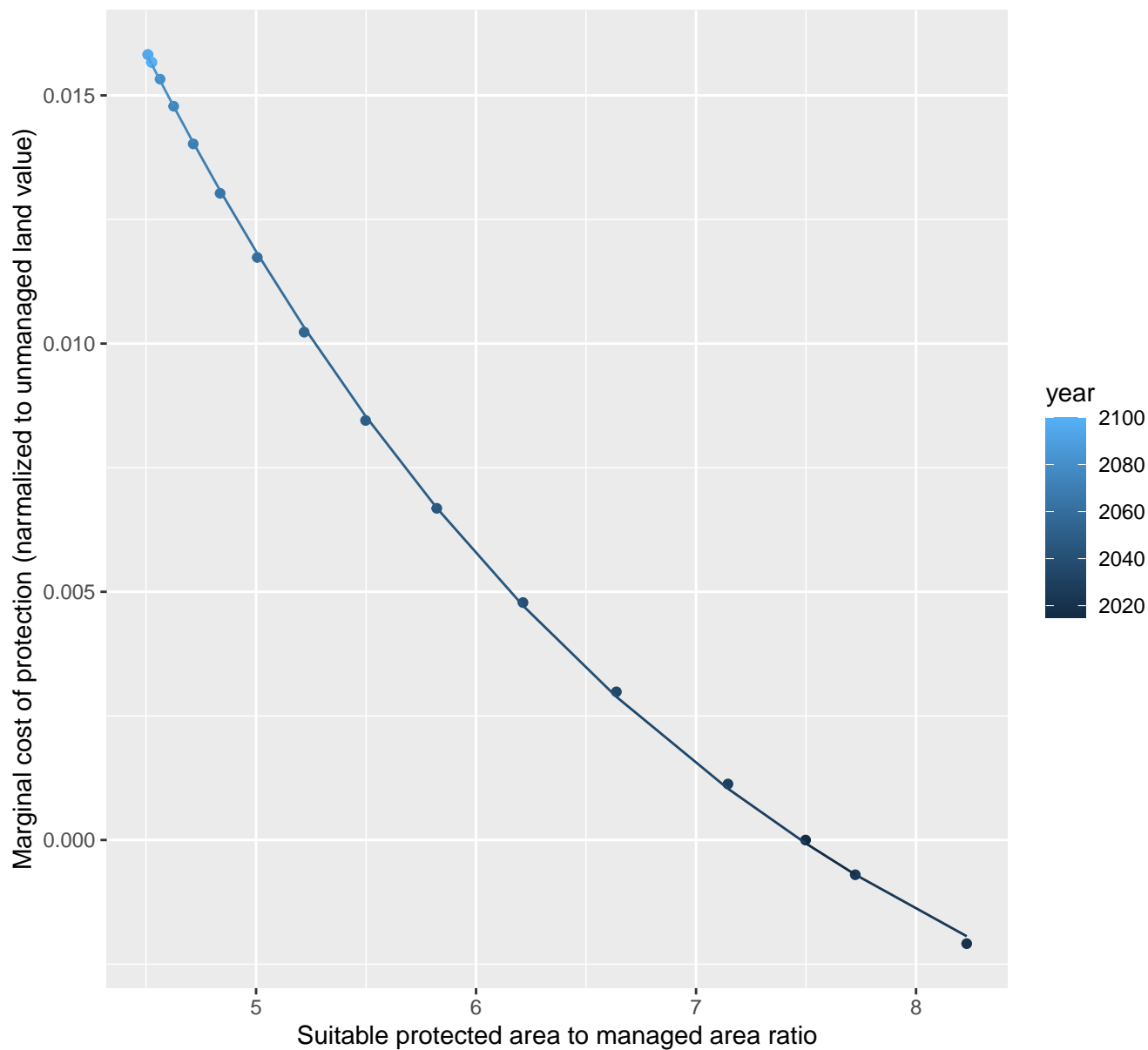
$$y = -0.05 + 0.87 \cdot \exp(-1.54 \cdot x)$$



25161 marginal protection cost ratio

nls random pval = 0.01512

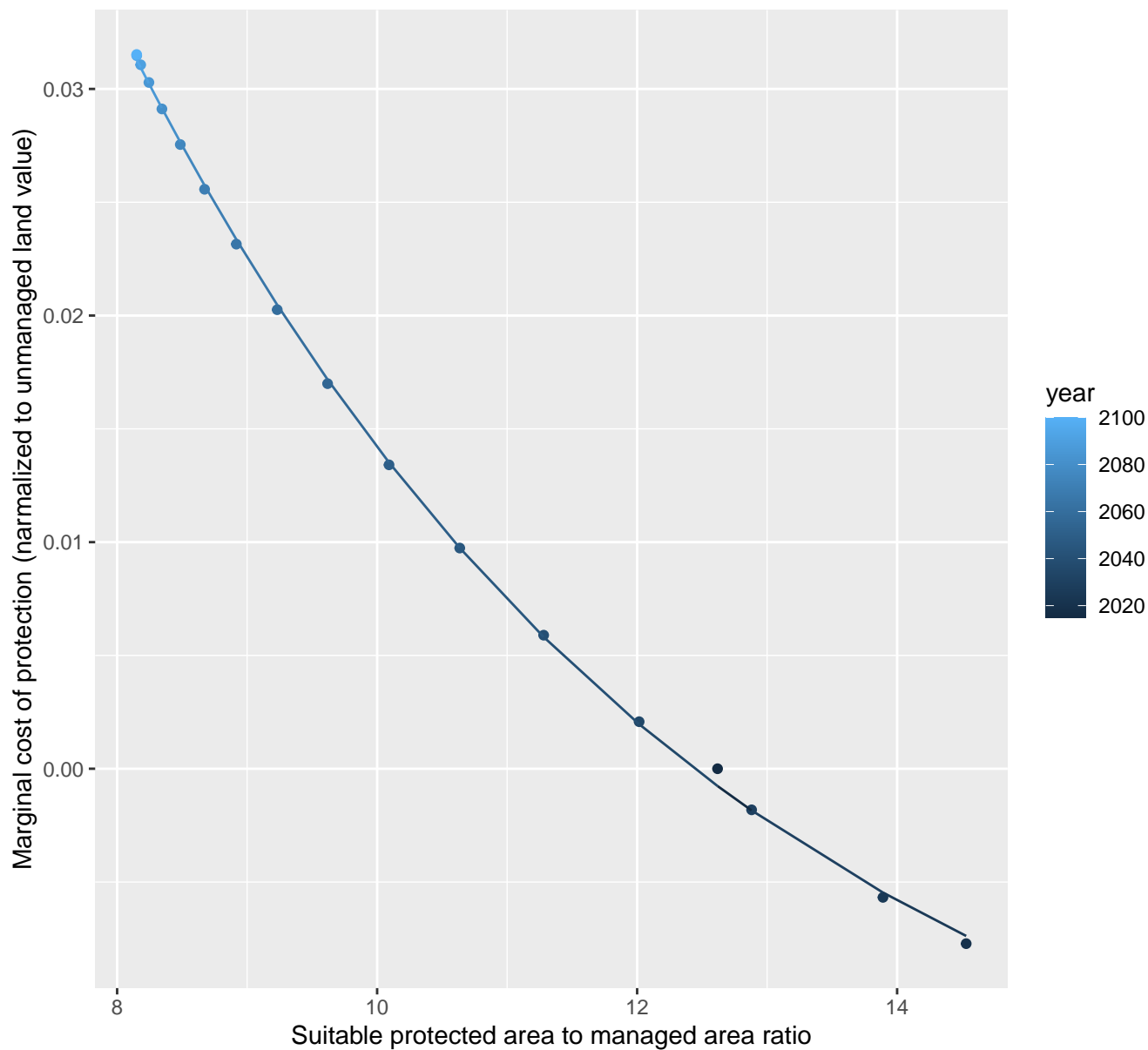
$y = -0.01 + 0.12 \cdot \exp(-0.37 \cdot x)$



# 25166 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.02 + 0.31 \cdot \exp(-0.22 \cdot x)$$

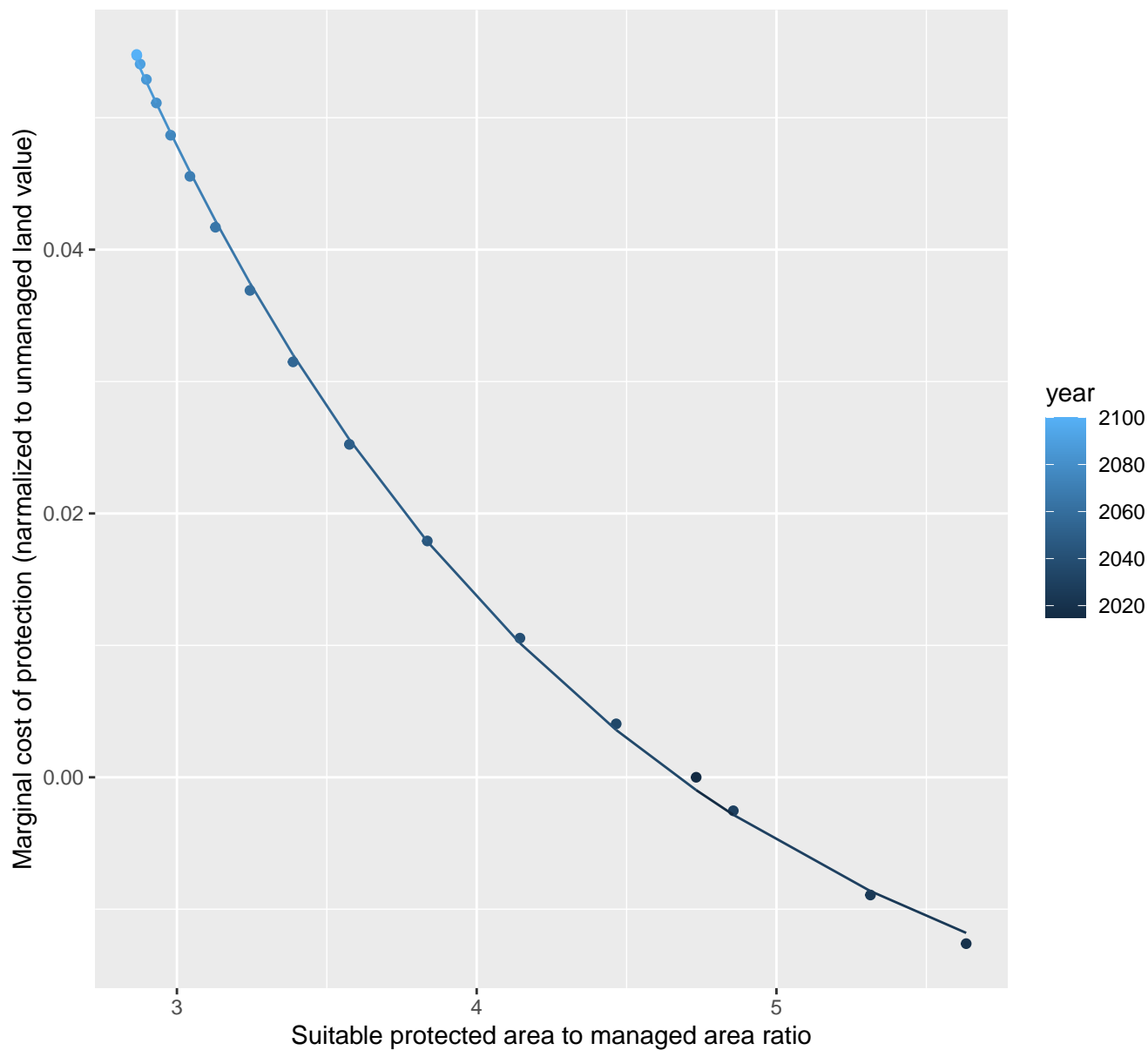




# 25168 marginal protection cost ratio

nls random pval = 0.01512

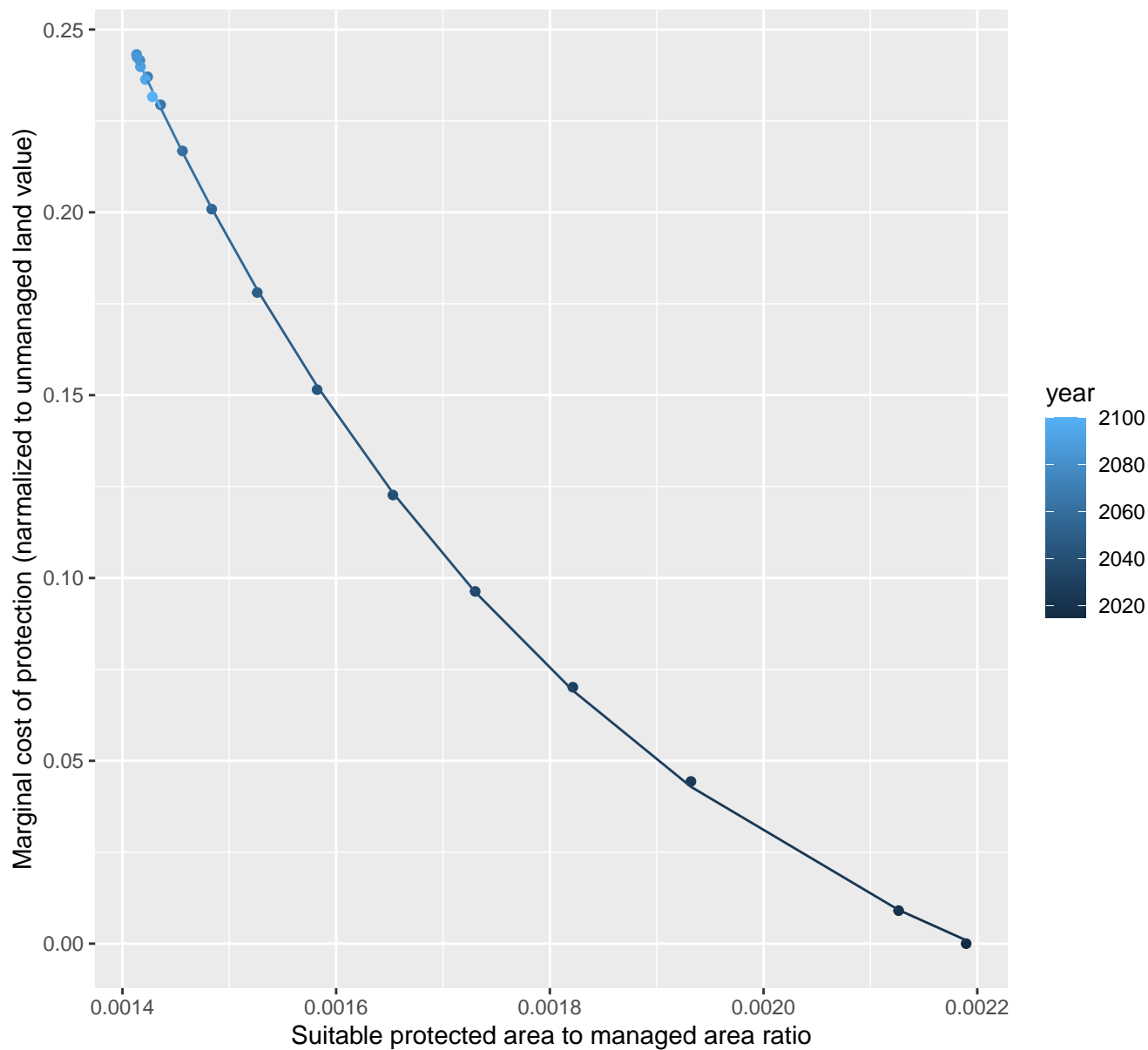
$$y = -0.03 + 0.48 \cdot \exp(-0.62 \cdot x)$$



# 26157 marginal protection cost ratio

nls random pval = 0.01512

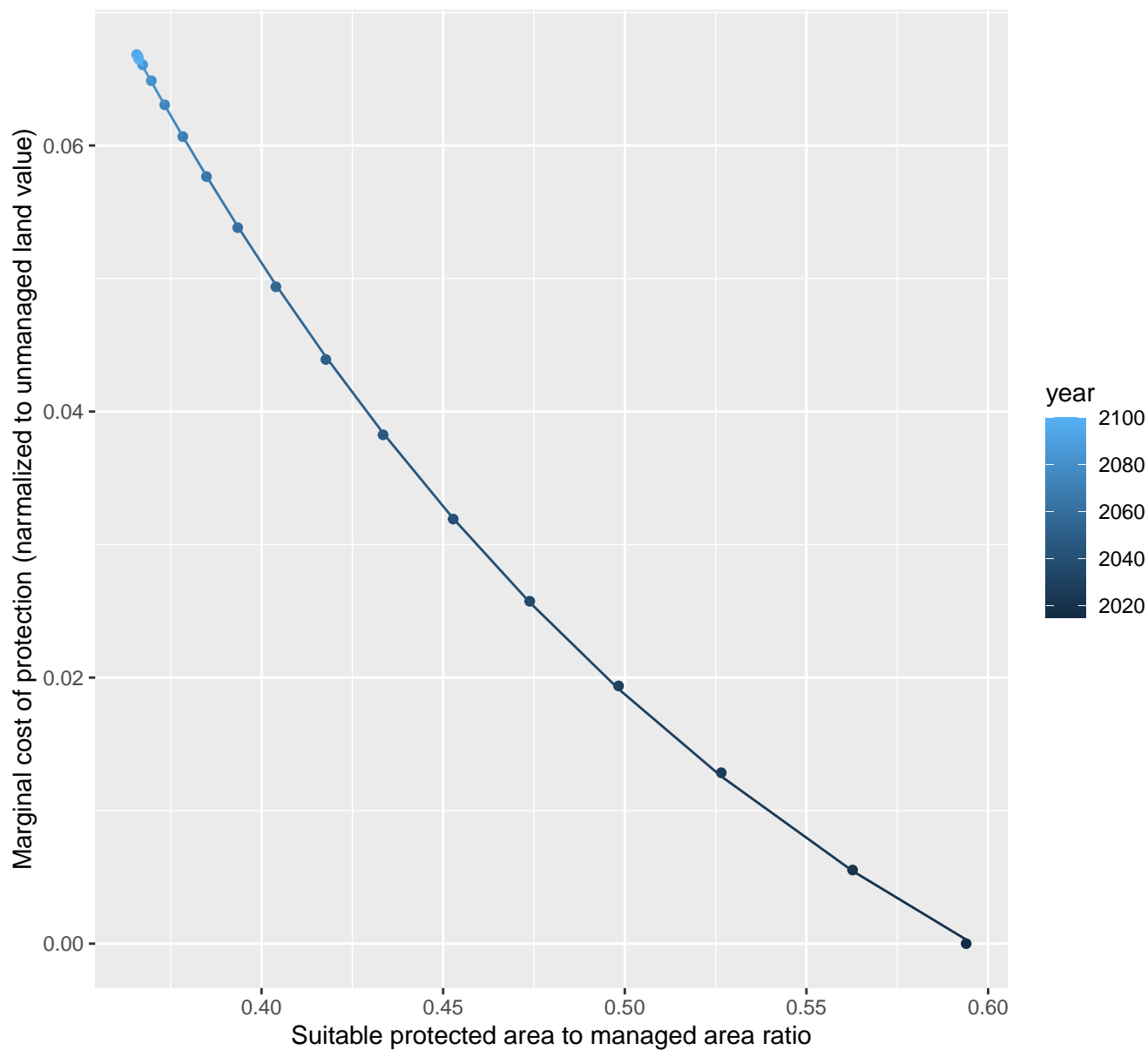
$$y = -0.06 + 5.96 \cdot \exp(-2116.51 \cdot x)$$



# 26168 marginal protection cost ratio

nls random pval = 0.01512

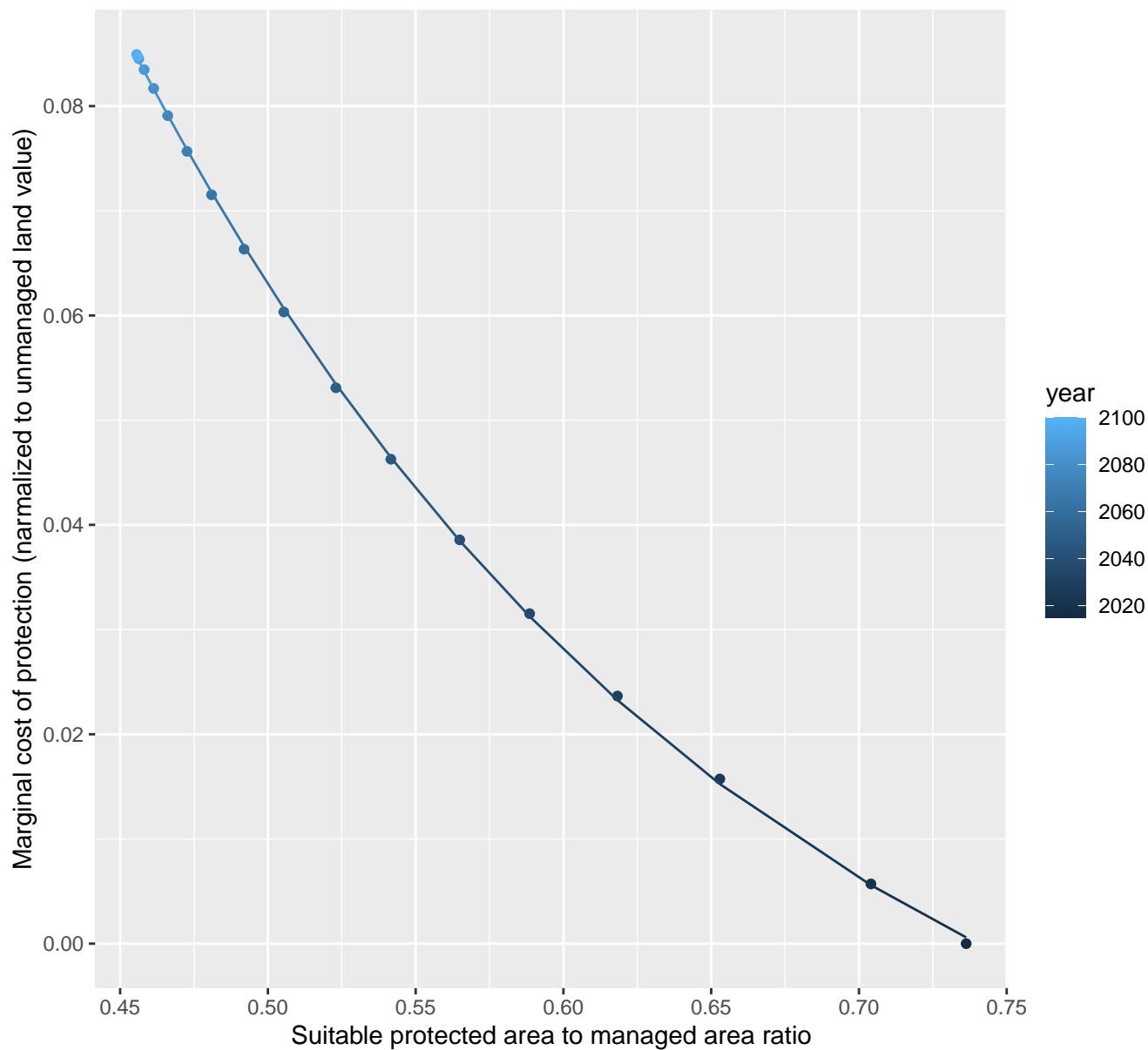
$$y = -0.03 + 0.64 \cdot \exp(-5.18 \cdot x)$$



# 26169 marginal protection cost ratio

nls random pval = 0.00355

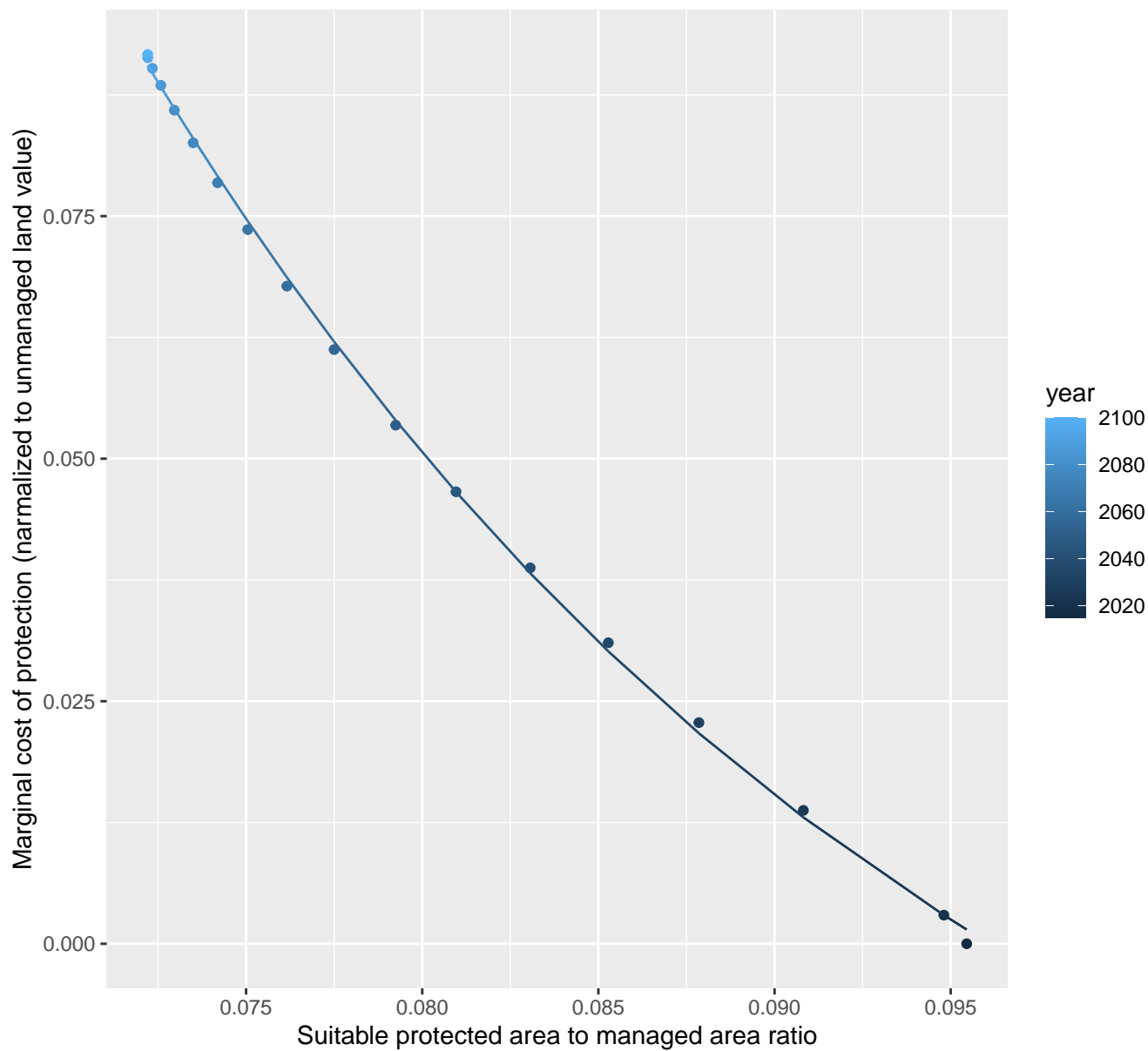
$$y = -0.03 + 0.99 \exp(-4.74 \cdot x)$$



# 26180 marginal protection cost ratio

nls random pval = 0.00355

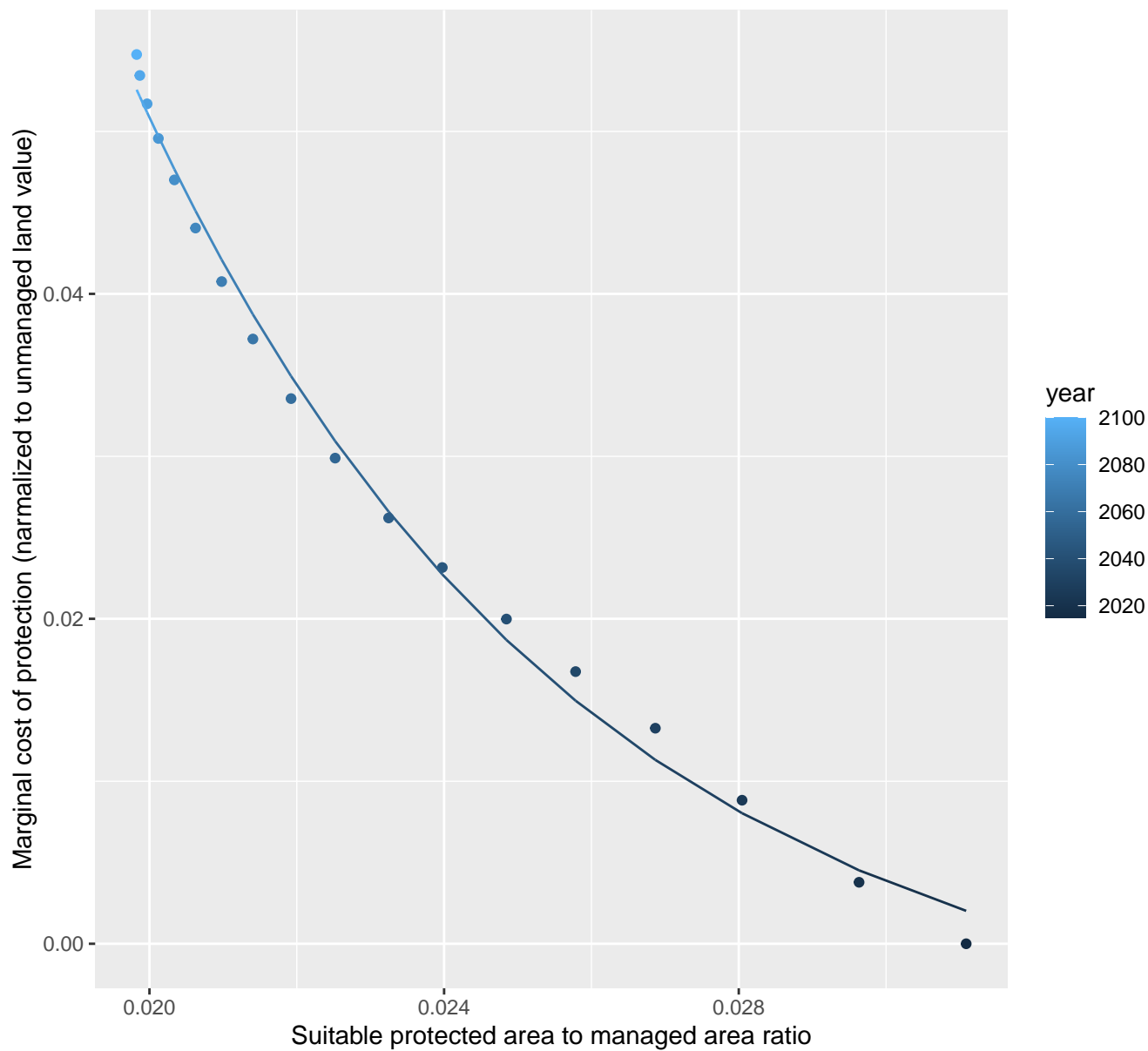
$$y = -0.05 + 2.98 \cdot \exp(-42.1 \cdot x)$$



# 26195 marginal protection cost ratio

nls random pval = 0.00355

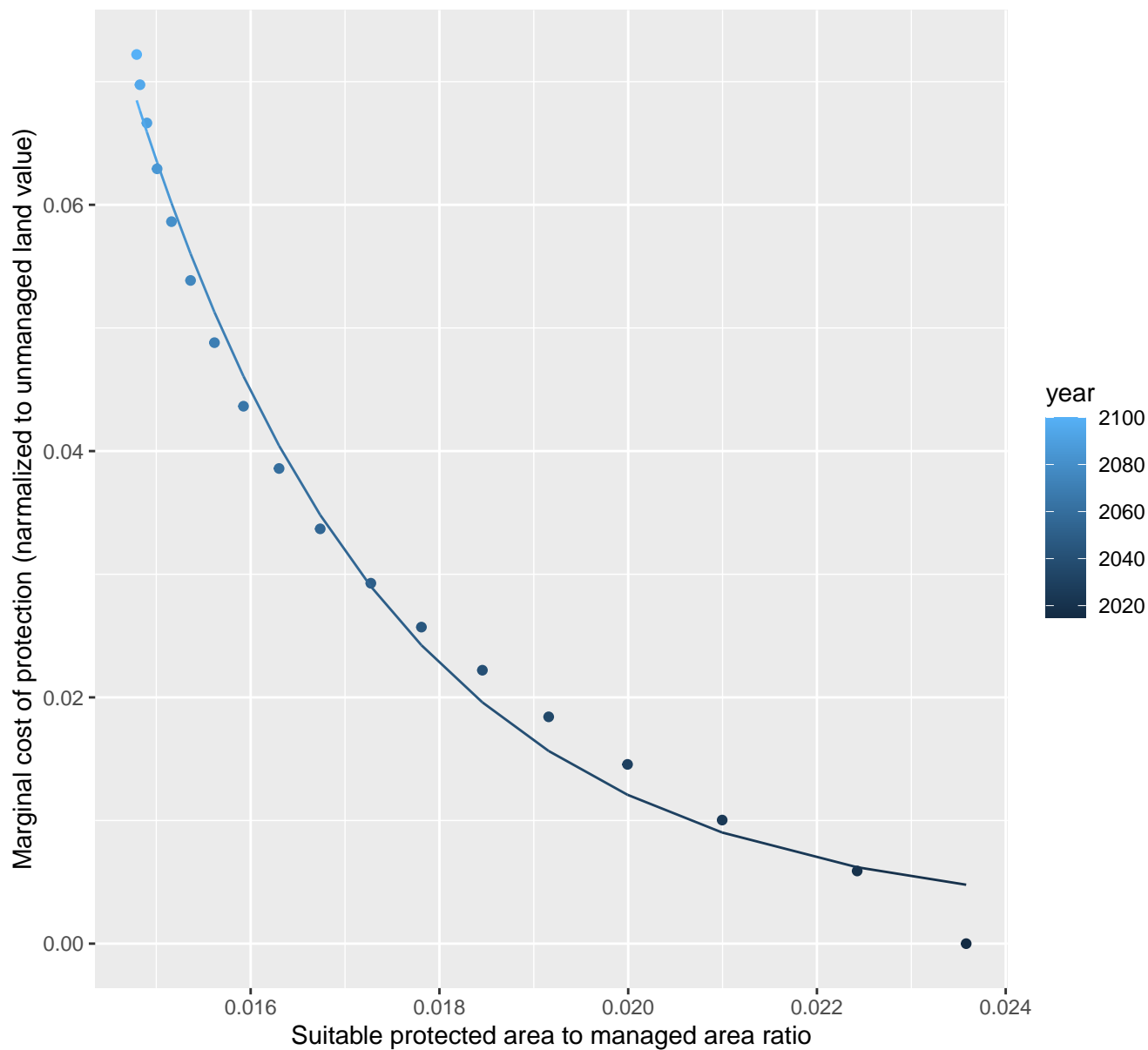
$$y = -0.01 + 1.64 \cdot \exp(-167.3 \cdot x)$$



## 26200 marginal protection cost ratio

nls random pval = 0.00355

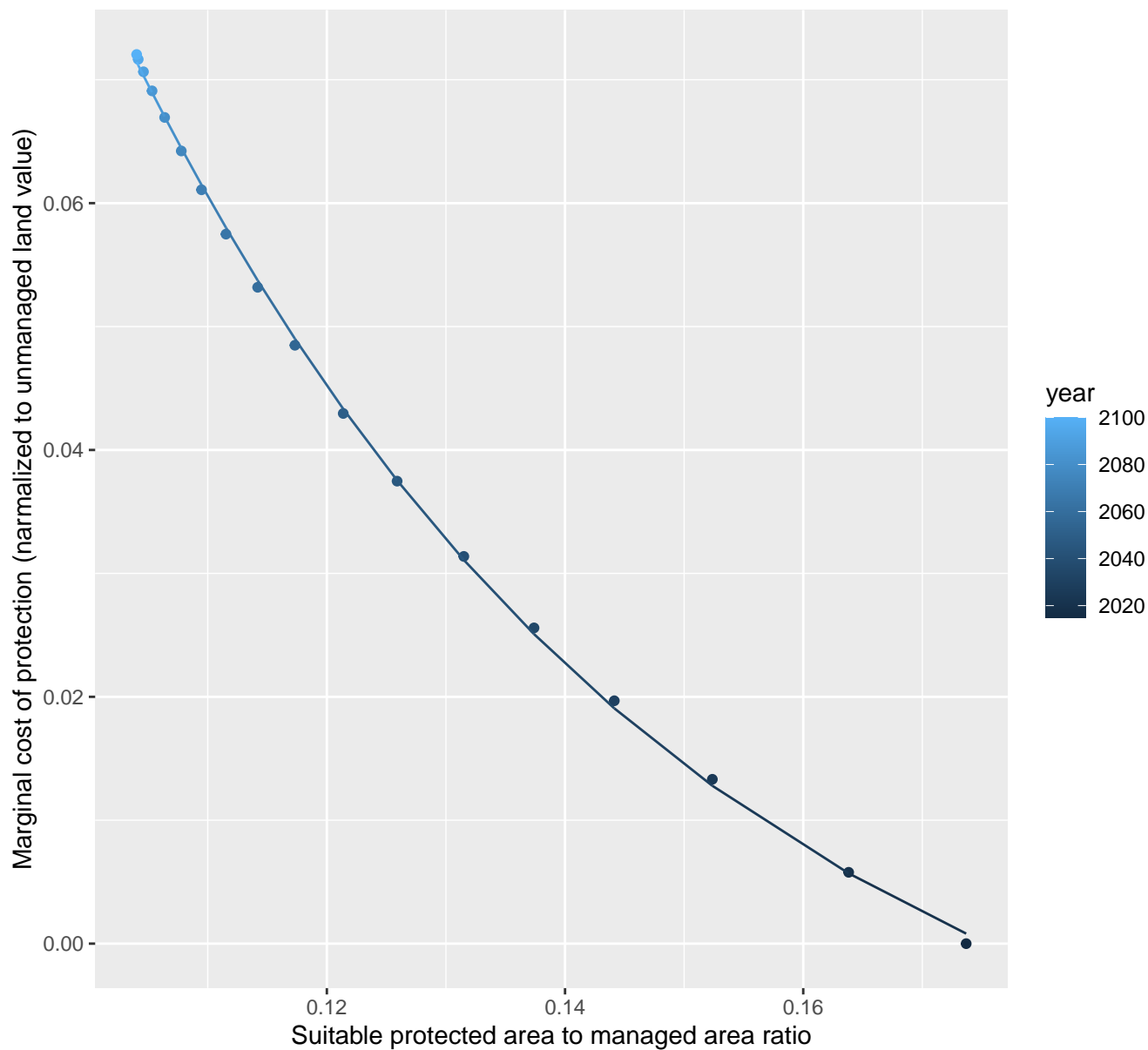
$$y=0+14.39*\exp(-363.61*x)$$



## 26206 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.02 + 0.82 \cdot \exp(-21.1 \cdot x)$$

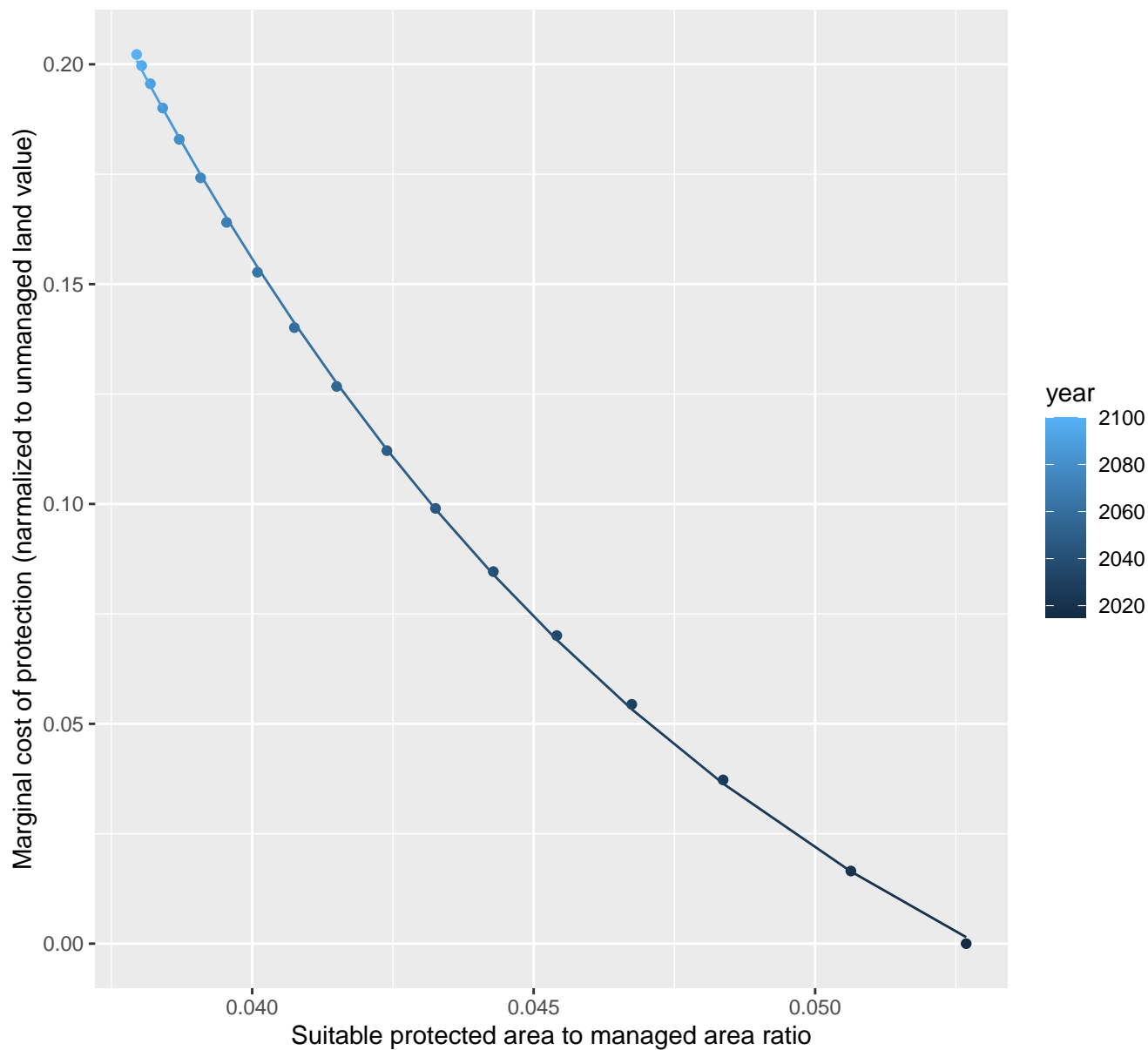




# 26207 marginal protection cost ratio

nls random pval = 0.00355

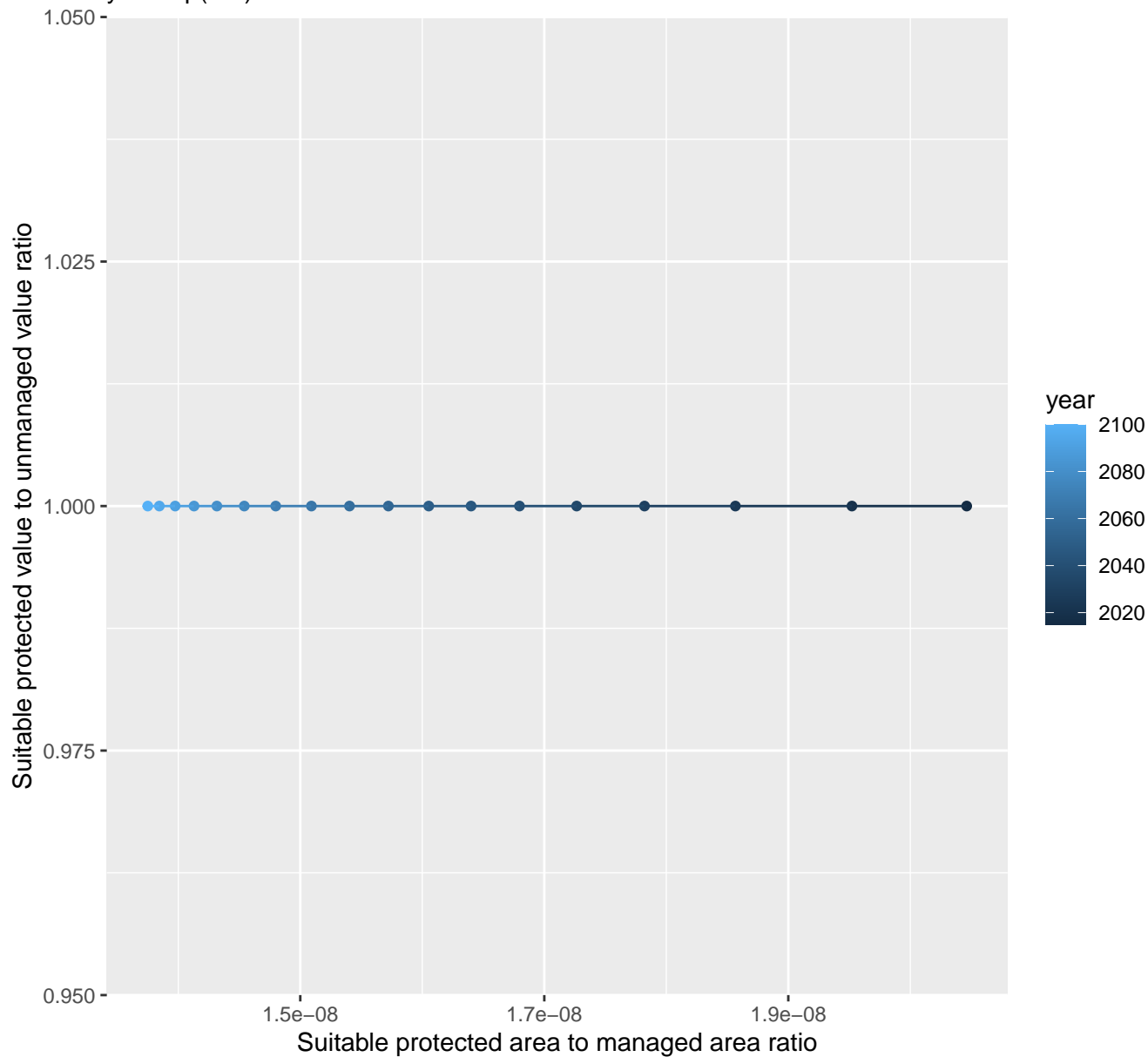
$$y = -0.08 + 7.47 \cdot \exp(-86.92 \cdot x)$$



# 26212 marginal protection cost ratio

linear-log(y)  $r^2 = 1e-05$  pval = 0.9895 random pval = 0.1573

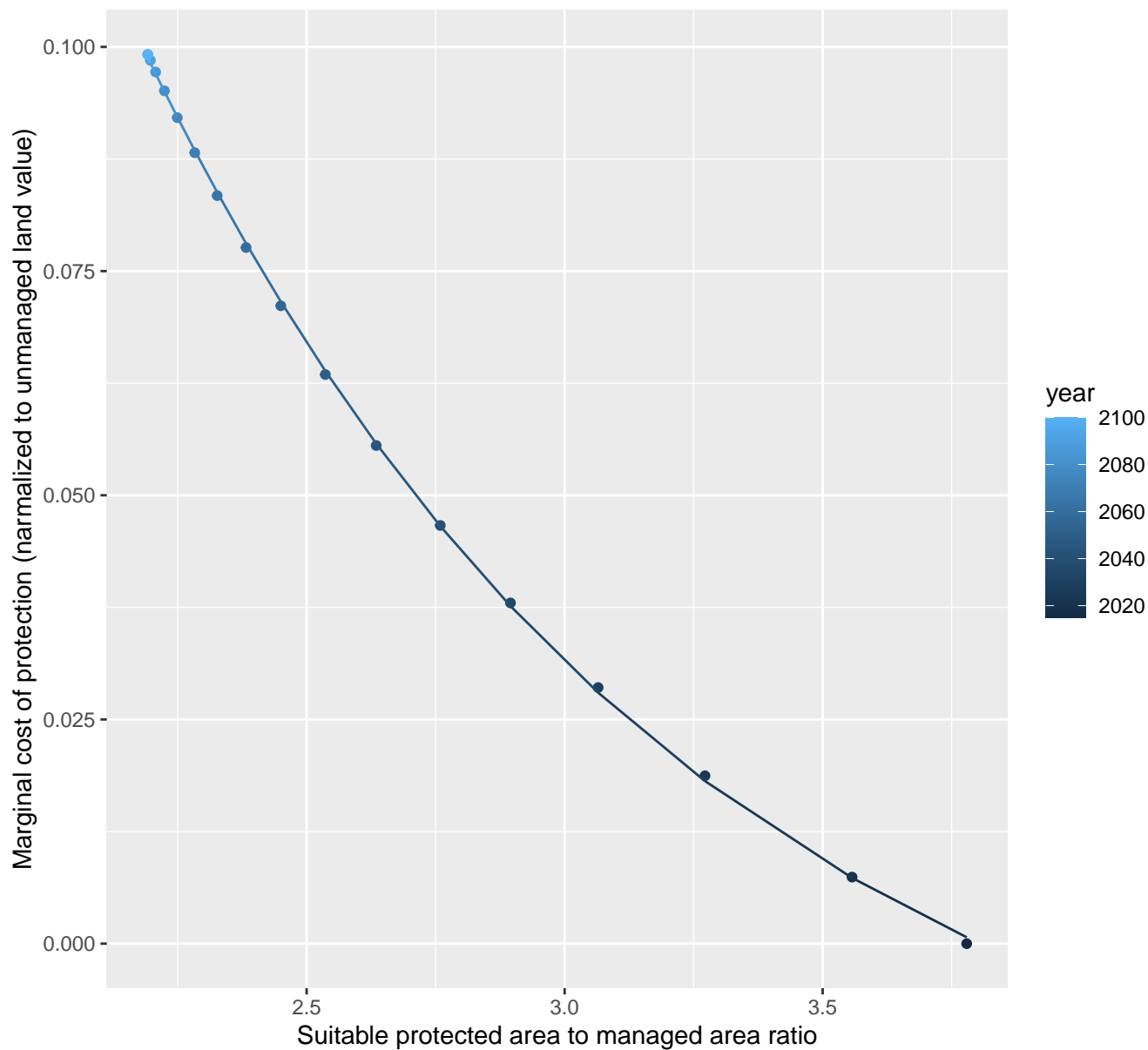
$$y = 1 * \exp(0 * x)$$



# 26213 marginal protection cost ratio

nls random pval = 0.00355

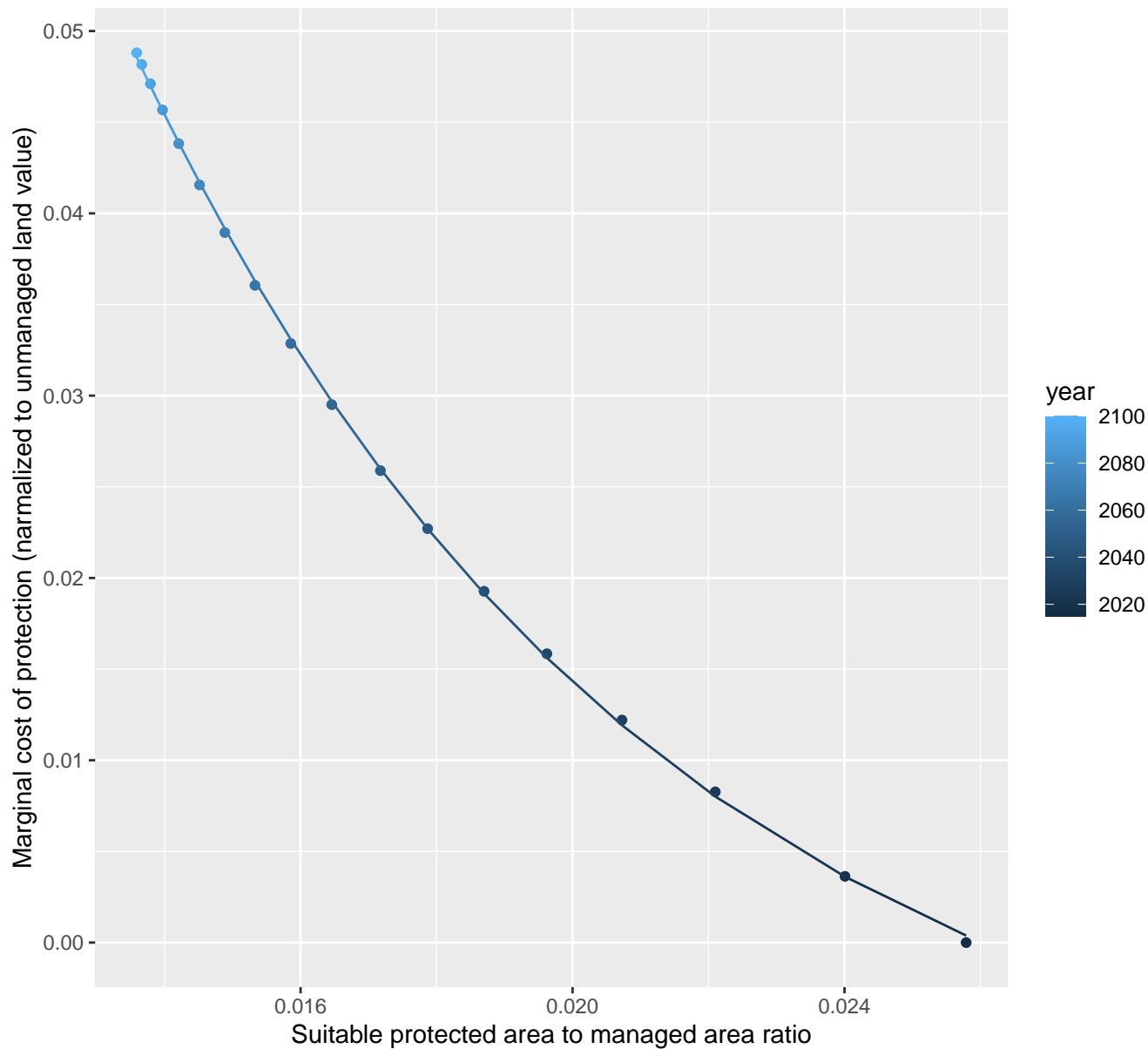
$$y = -0.03 + 0.99 \cdot \exp(-0.94 \cdot x)$$



# 26215 marginal protection cost ratio

nls random pval = 0.00355

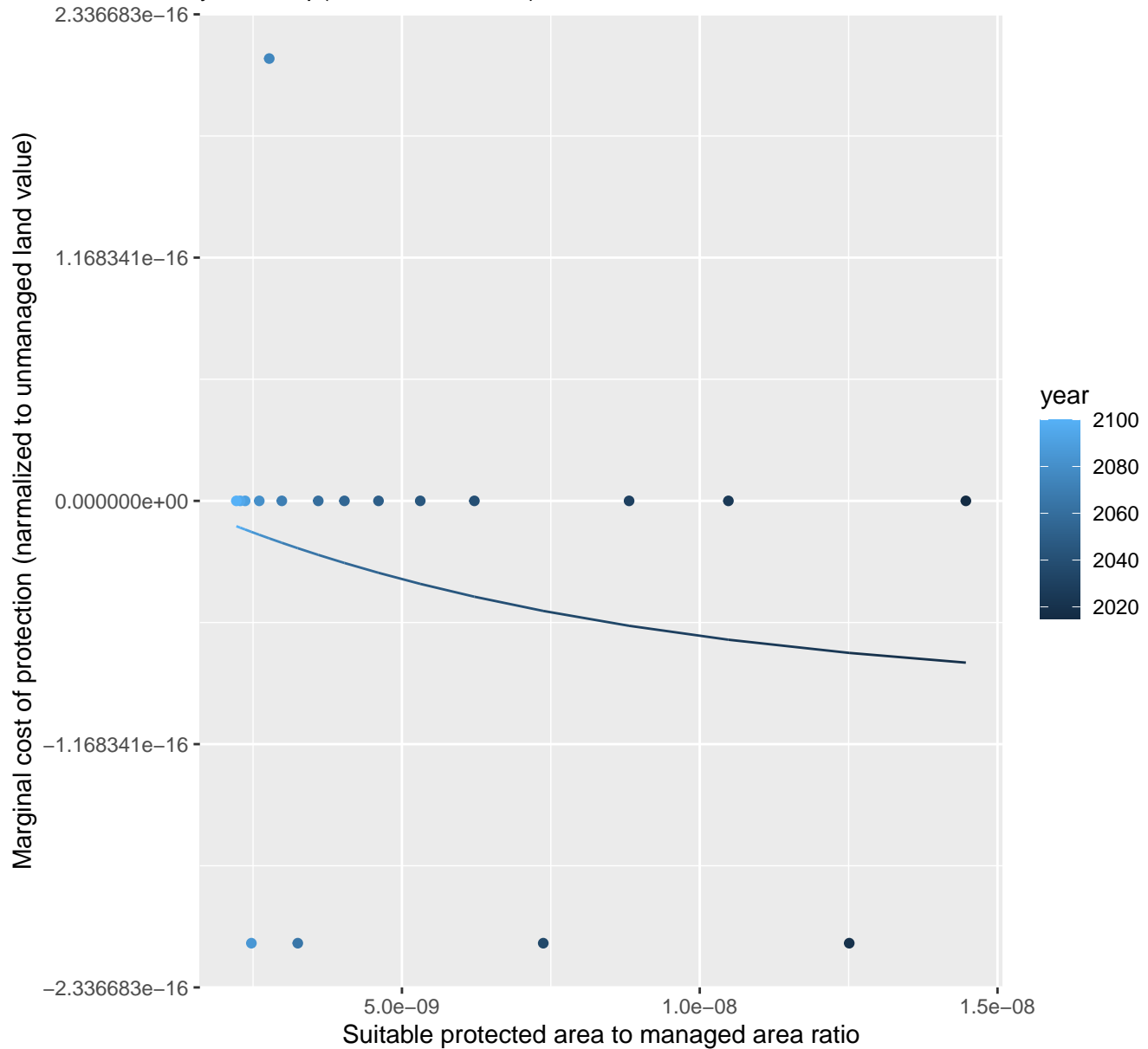
$$y = -0.01 + 0.36 \cdot \exp(-130.22 \cdot x)$$



# 27052 marginal protection cost ratio

nls random pval = 0.33114

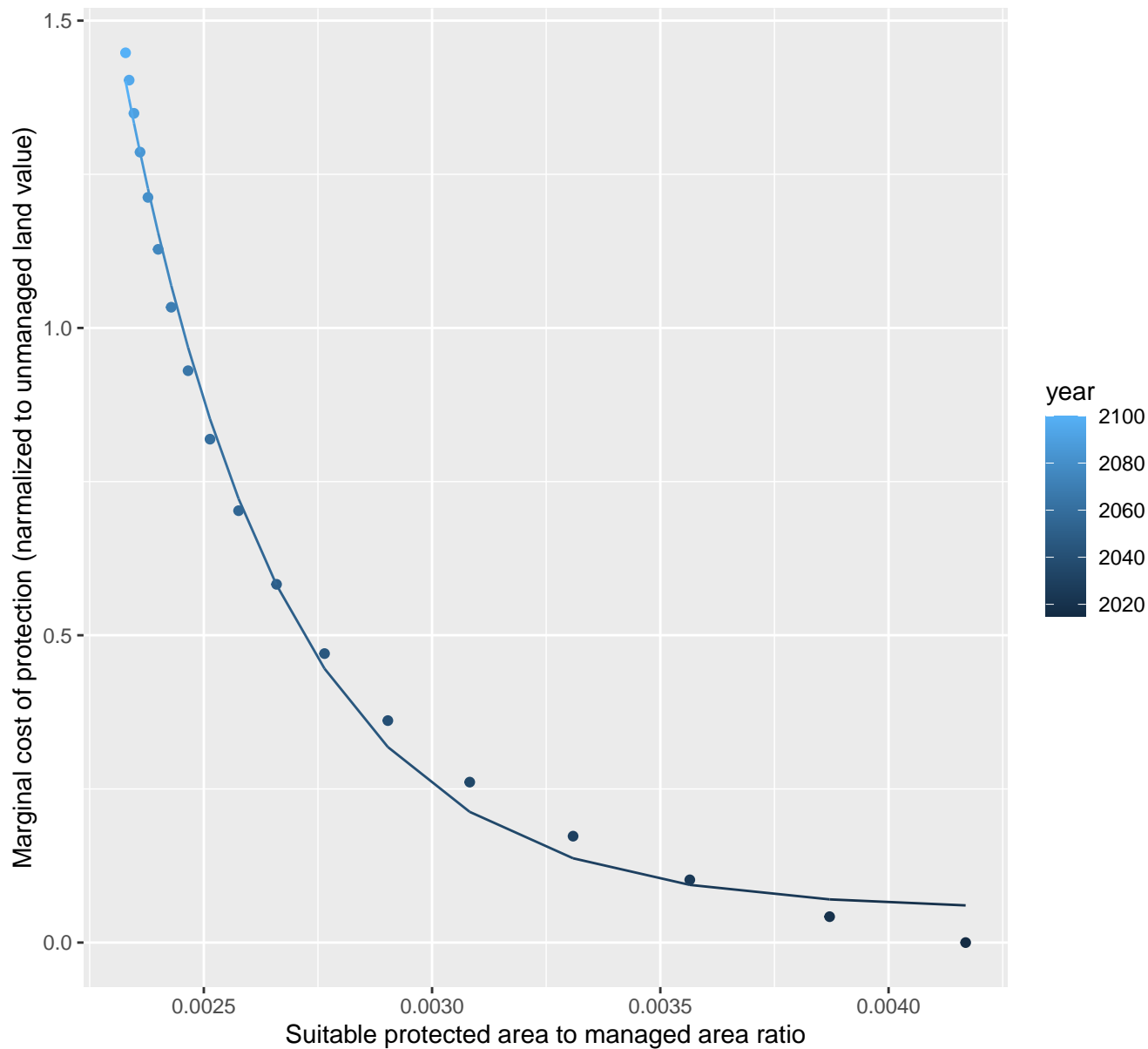
$$y=0+0*\exp(-135820459.33*x)$$



# 27058 marginal protection cost ratio

nls random pval = 0.00355

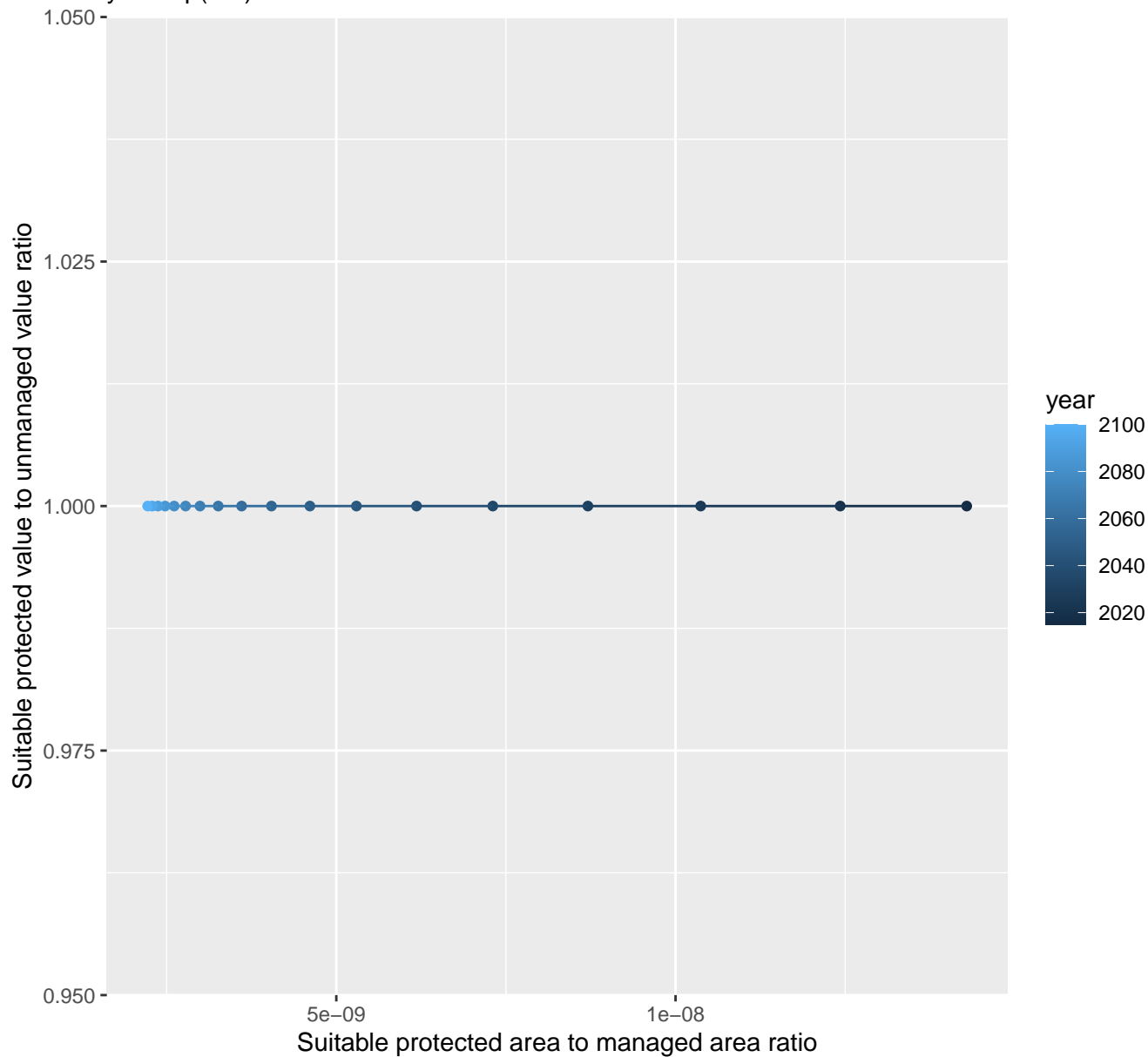
$$y=0.05+984.89*\exp(-2831.53*x)$$



27089 marginal protection cost ratio

linear-log(y)  $r^2 = 0.15924$   $pval = 0.10091$  random  $pval = 0.57797$

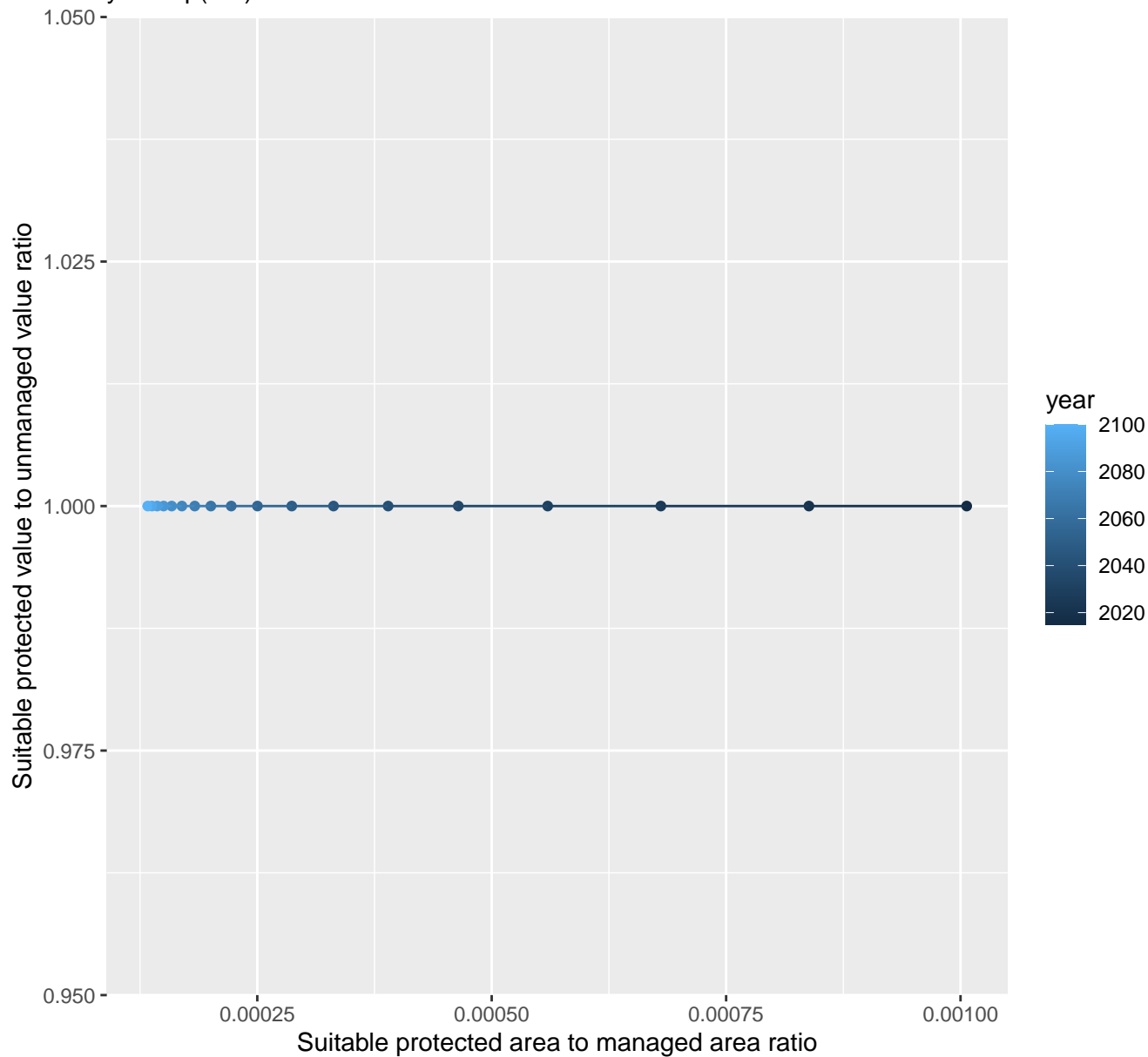
$y = 1 * \exp(0 * x)$



# 27090 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01951$   $pval = 0.58039$  random  $pval = 0.92461$

$$y = 1 * \exp(0 * x)$$

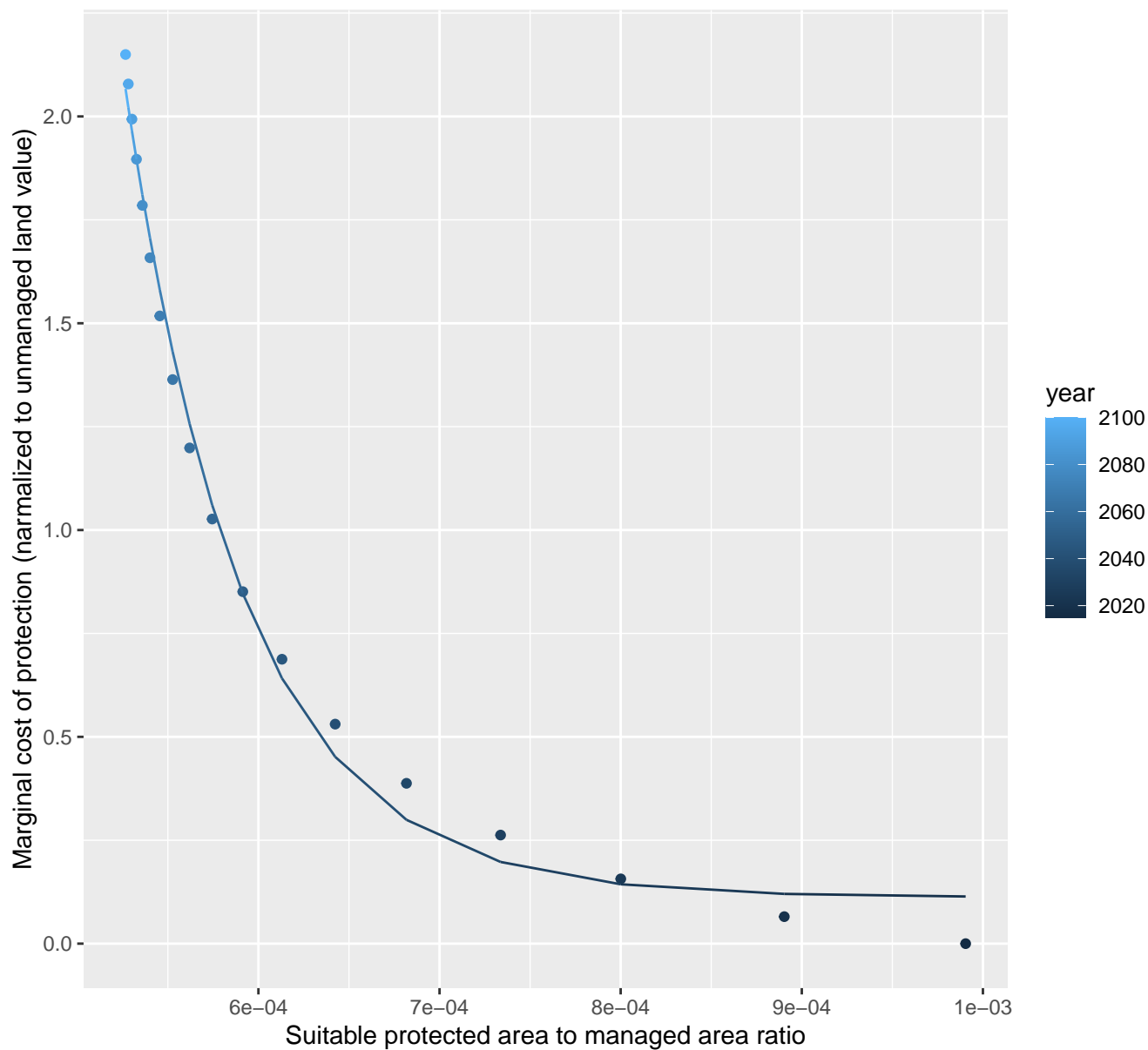




# 27097 marginal protection cost ratio

nls random pval = 0.00355

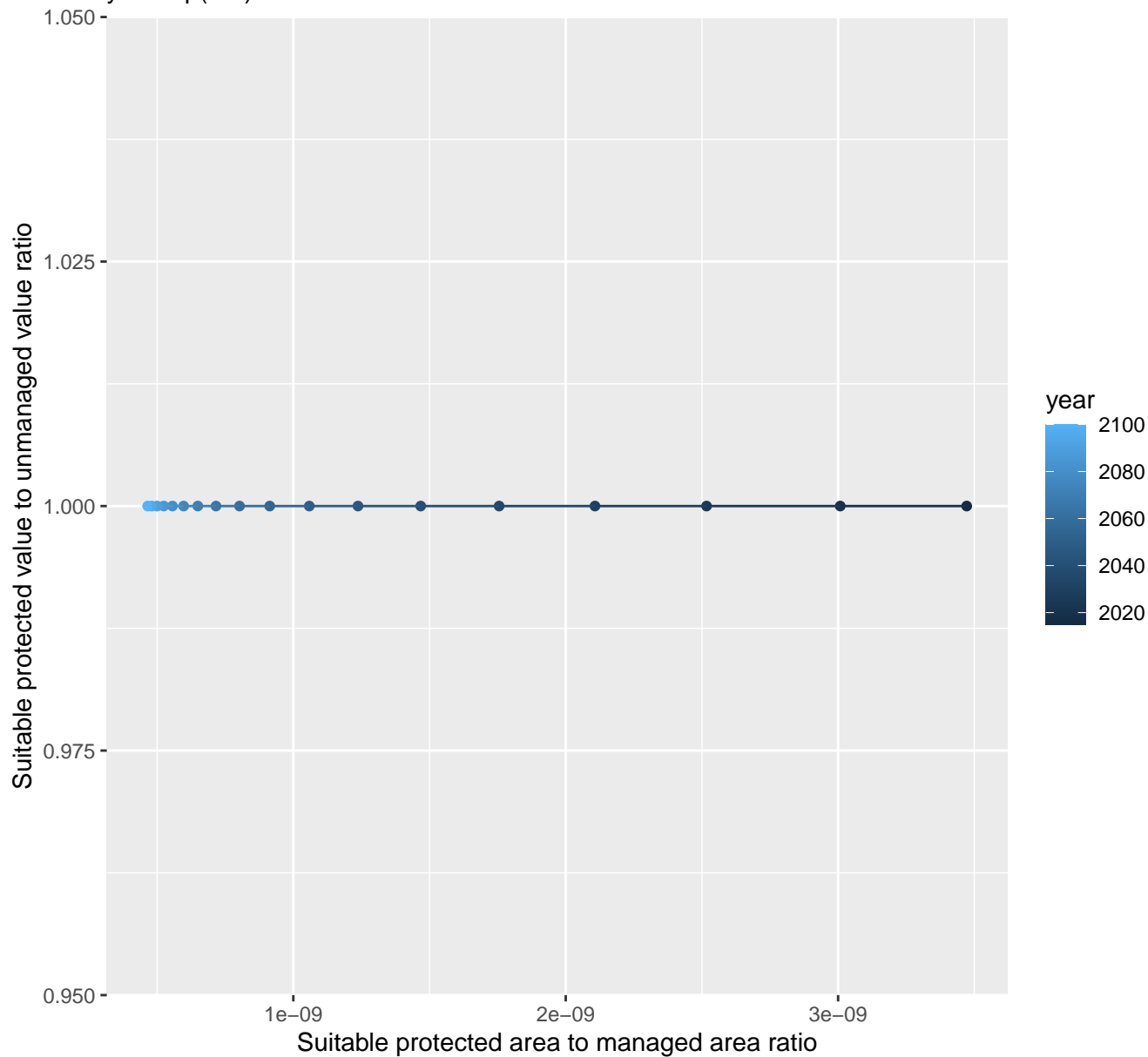
$$y=0.11+5637.01*\exp(-15127.91*x)$$



27102 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01183$  pval = 0.66751 random pval = 1

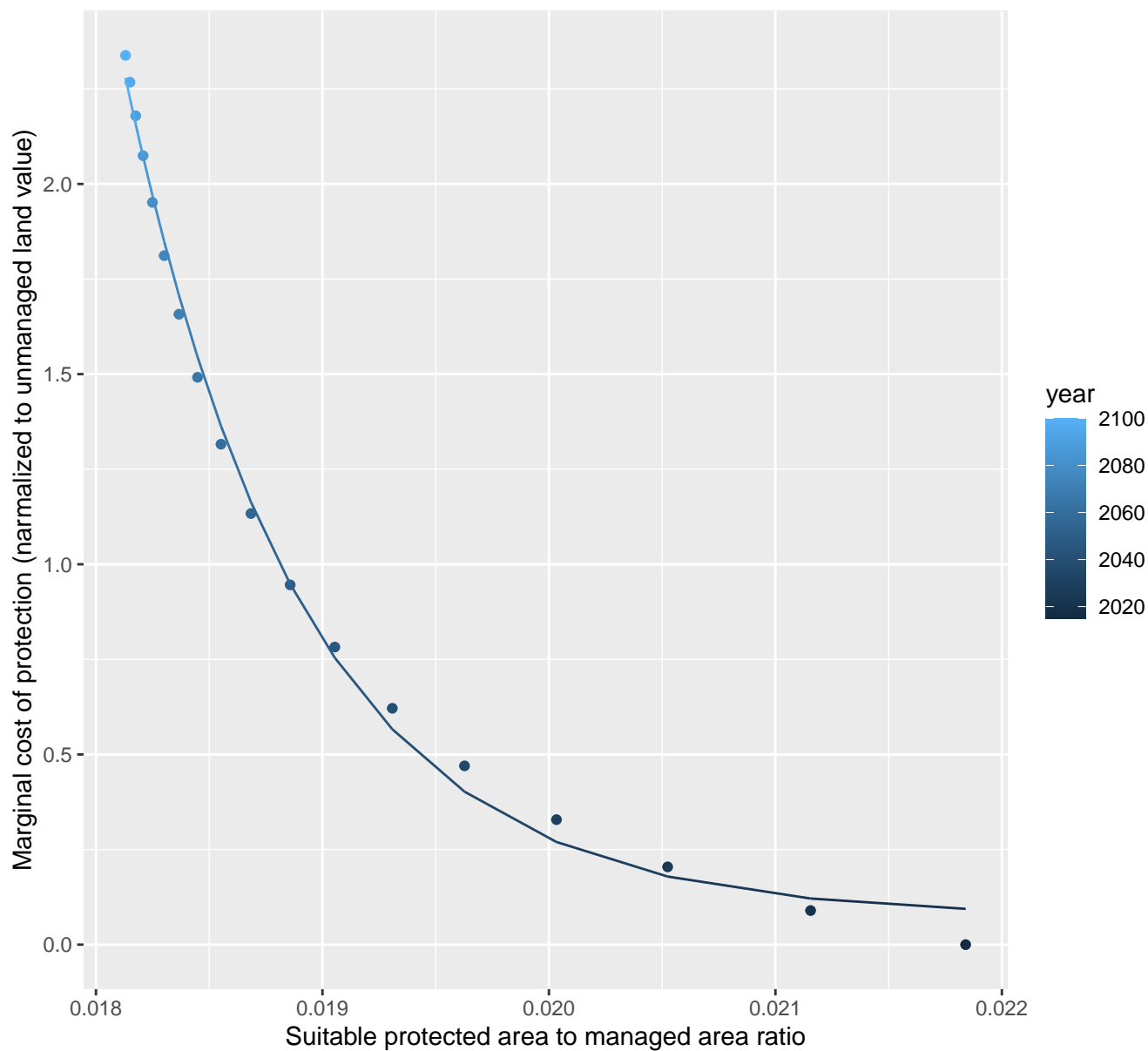
$y = 1 * \exp(0 * x)$



# 27110 marginal protection cost ratio

nls random pval = 0.00355

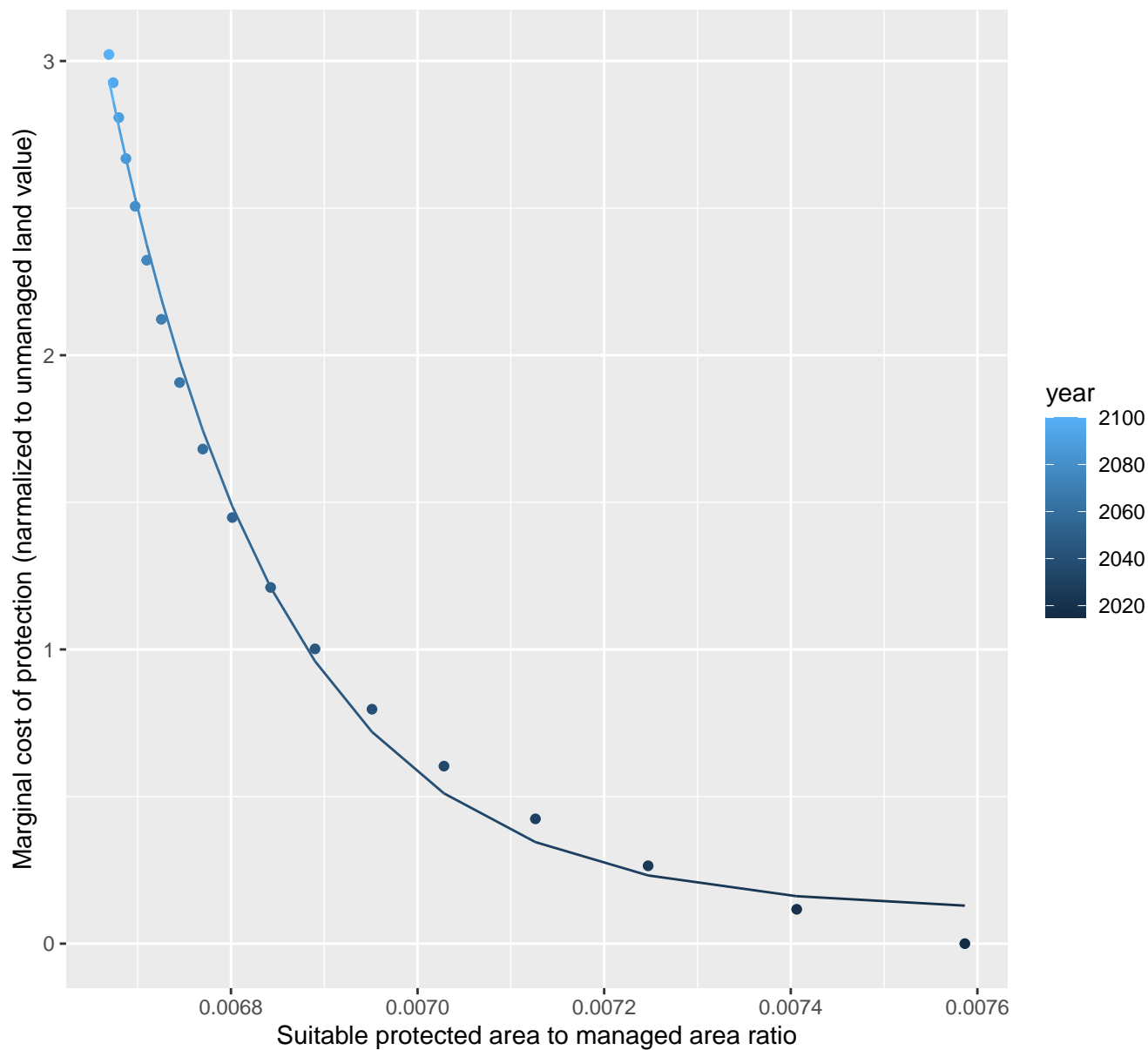
$$y = 0.07 + 23586181287.9 \cdot \exp(-1273.72 \cdot x)$$



# 27116 marginal protection cost ratio

nls random pval = 0.00355

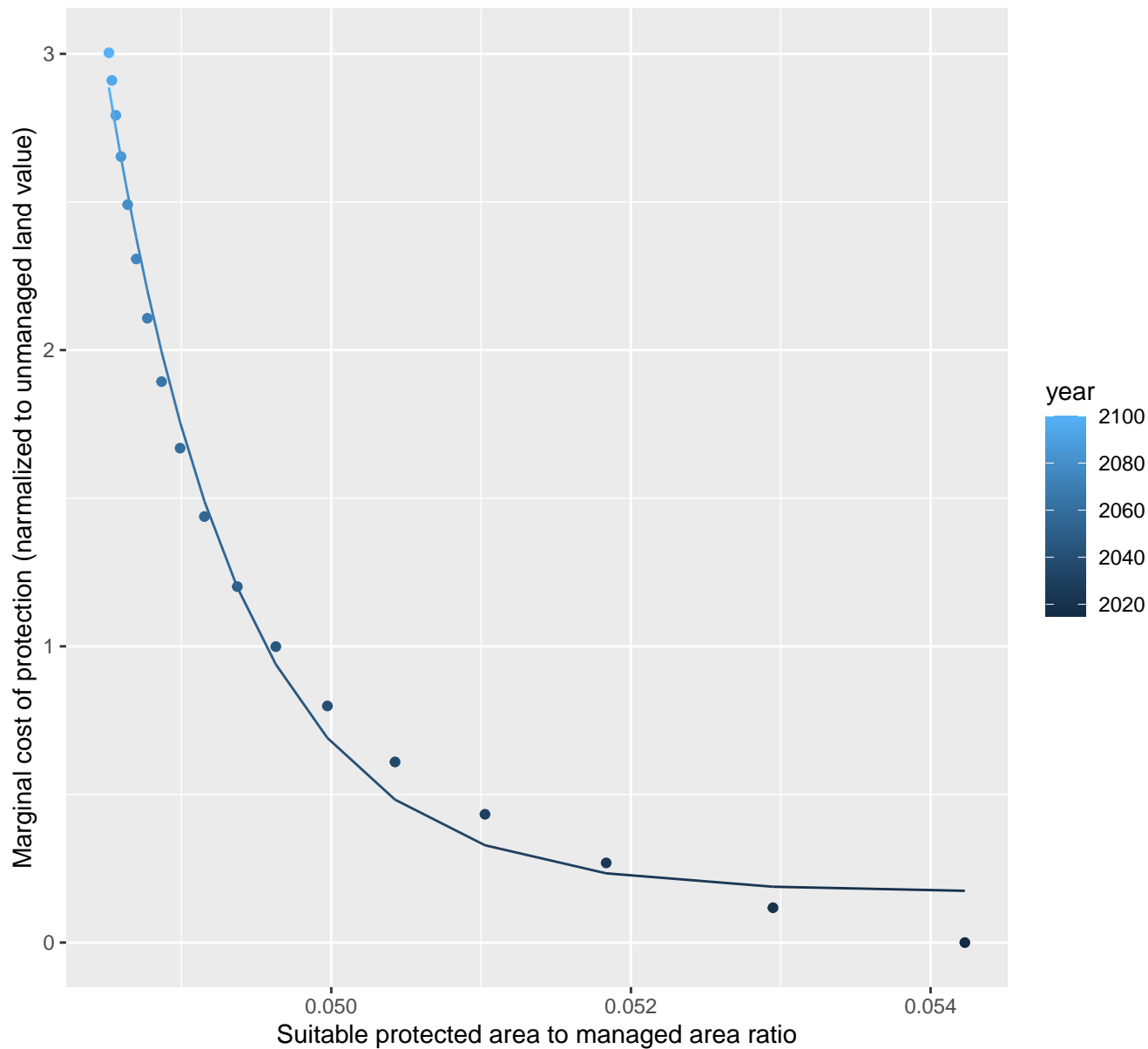
$$y=0.11+16013598127106924*\exp(-5438.97*x)$$



# 27154 marginal protection cost ratio

nls random pval = 0.00355

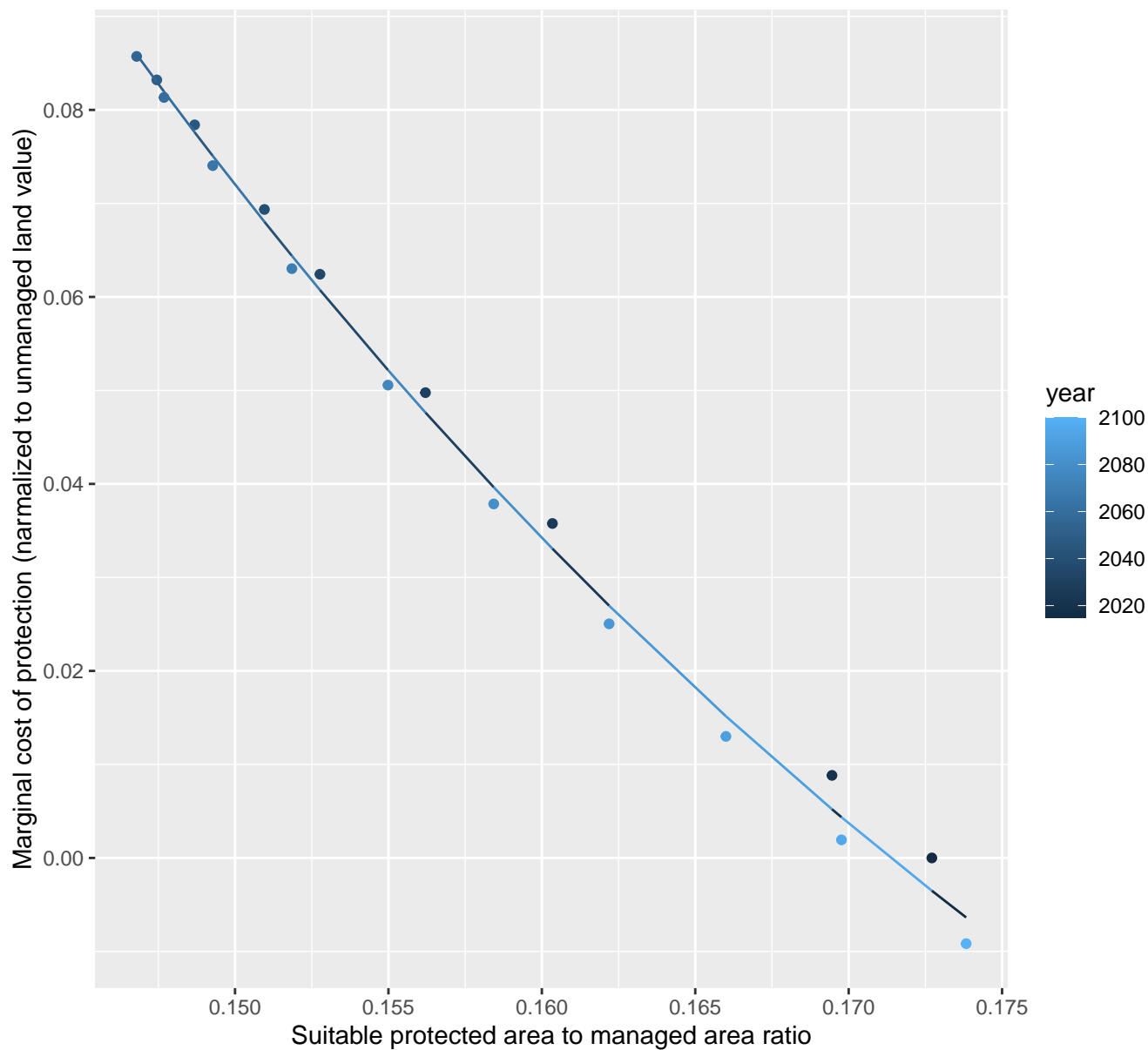
$$y=0.17+2.07641210107006e+24*\exp(-1133.5*x)$$



# 28065 marginal protection cost ratio

nls random pval = 1e-04

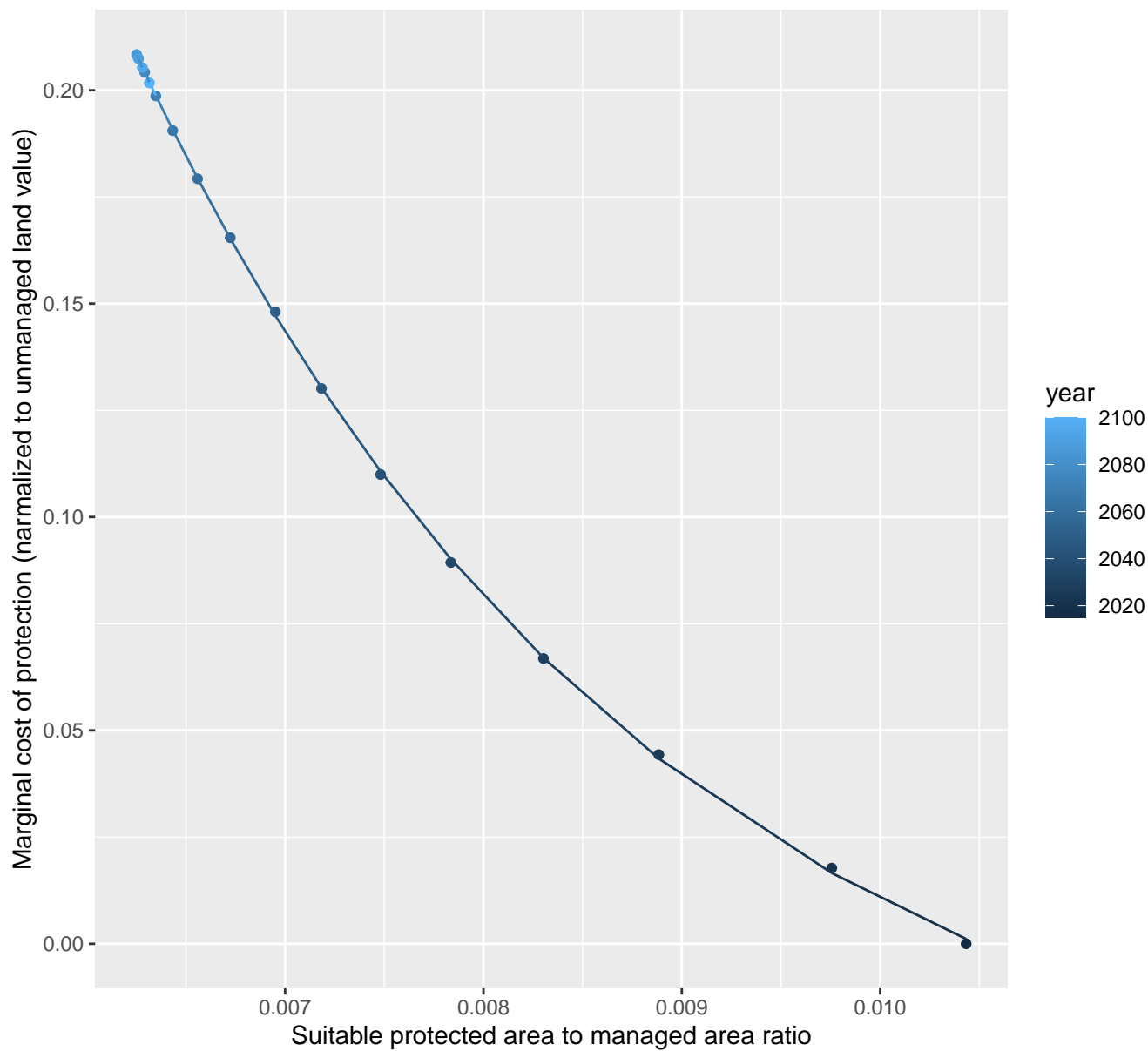
$$y = -0.13 + 4.79 \cdot \exp(-21.28 \cdot x)$$



# 29037 marginal protection cost ratio

nls random pval = 0.14491

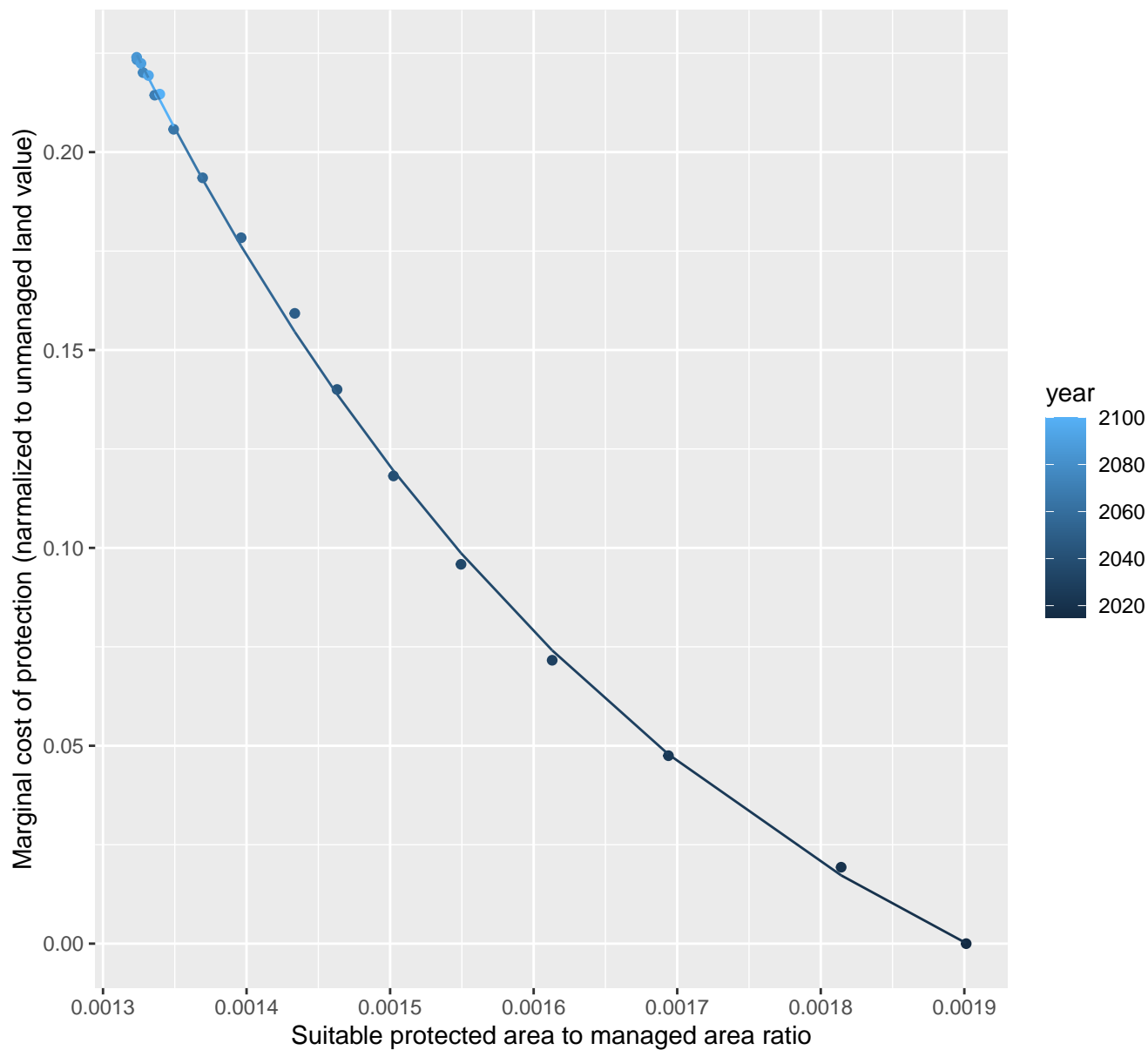
$$y = -0.05 + 2.86 \cdot \exp(-384.26 \cdot x)$$



# 29065 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.07 + 7.55 \cdot \exp(-2445.77 \cdot x)$$

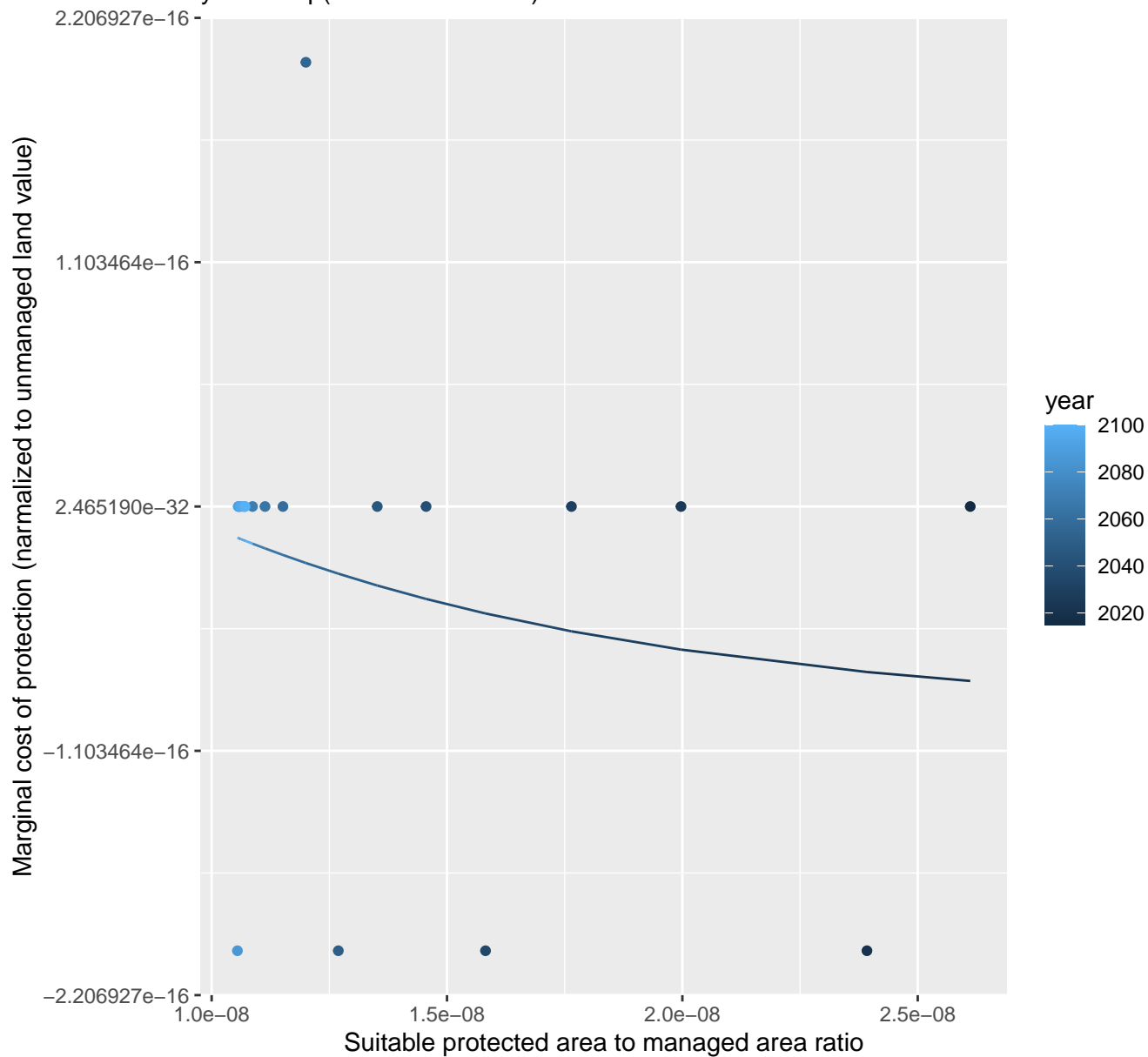




# 29066 marginal protection cost ratio

nls random pval = 0.33114

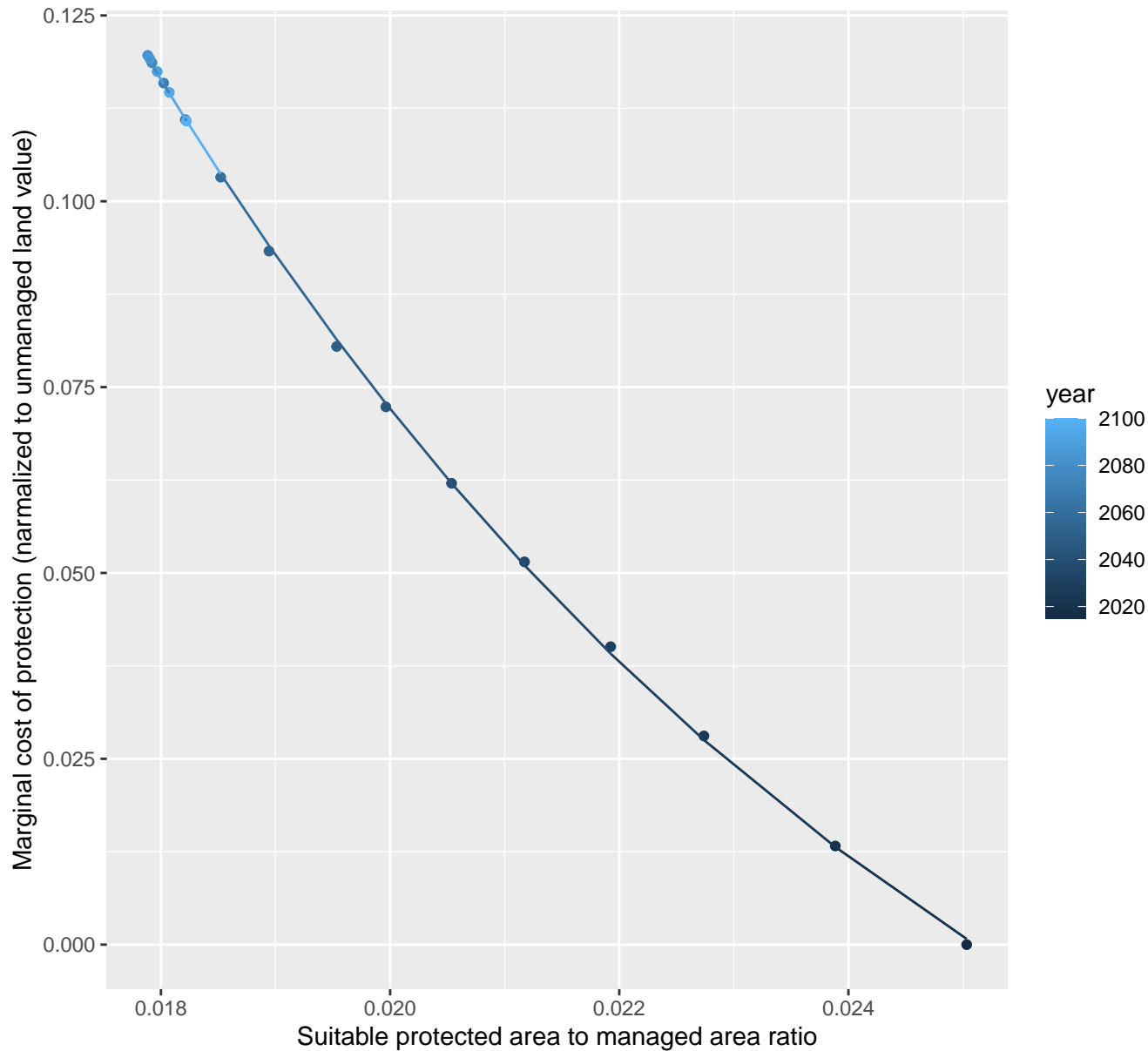
$$y=0+0*\exp(-105509968.92*x)$$



# 29108 marginal protection cost ratio

nls random pval = 0.01512

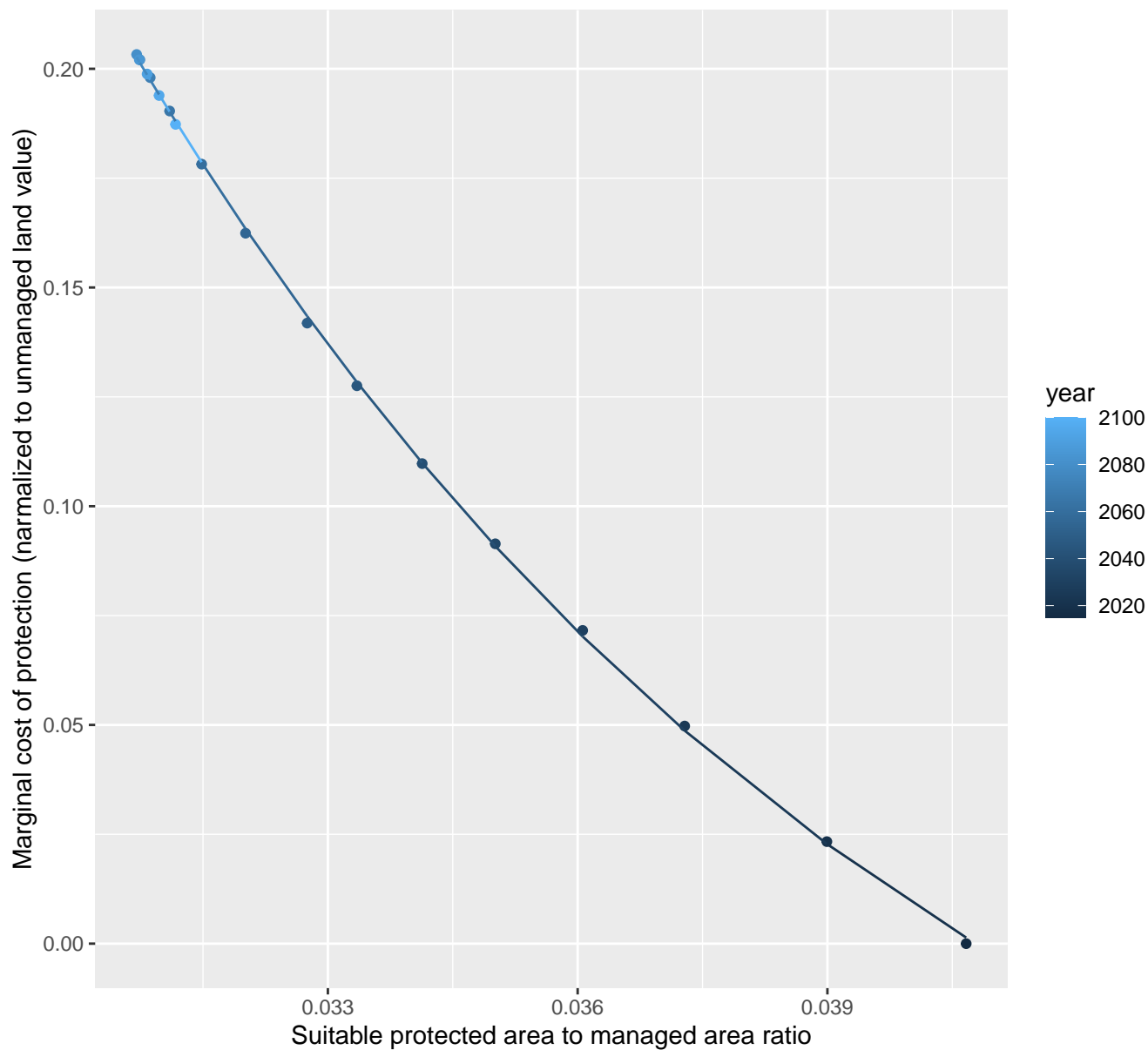
$$y = -0.08 + 2.04 \cdot \exp(-131.29 \cdot x)$$



## 29109 marginal protection cost ratio

nls random pval = 0.01512

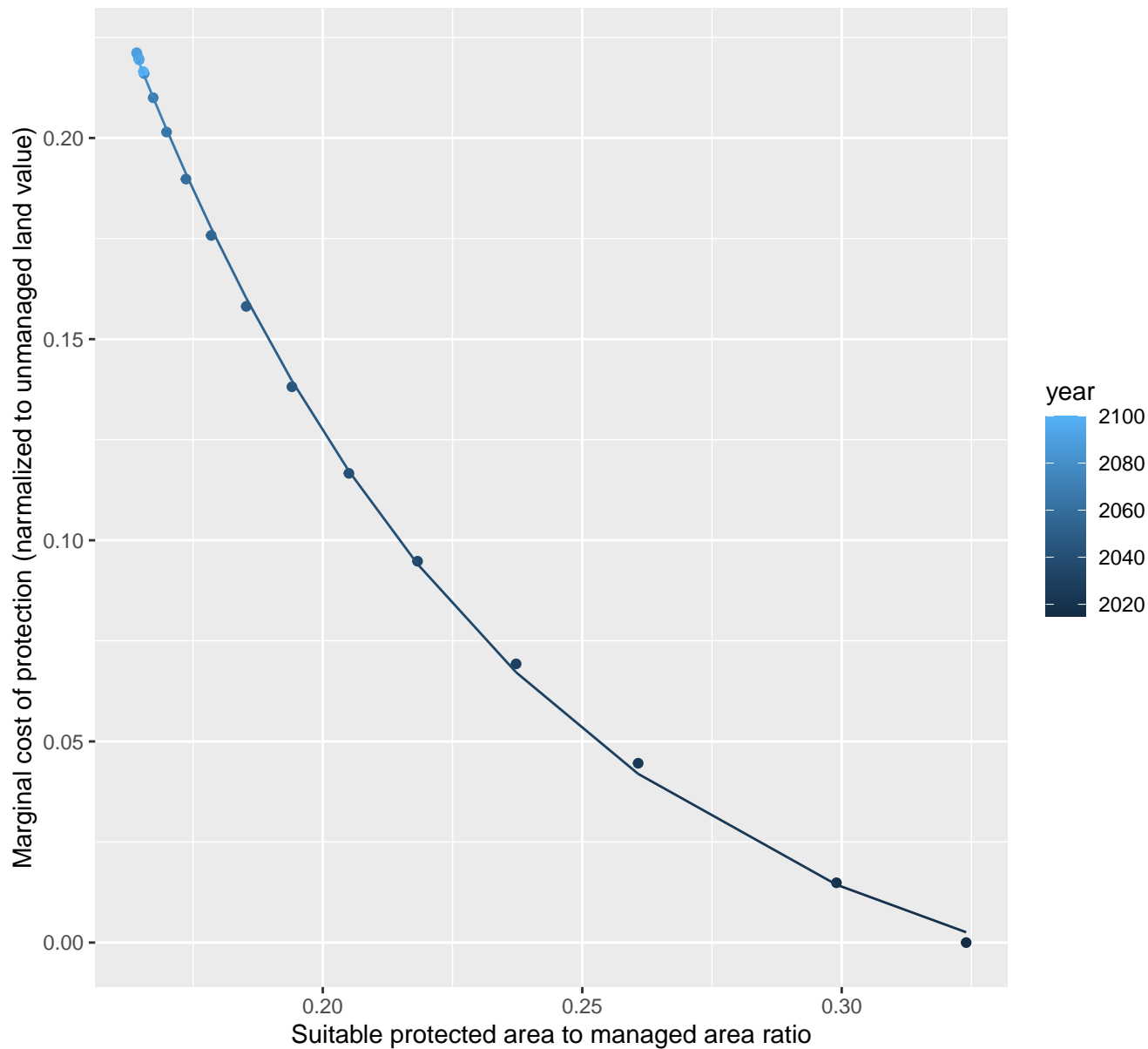
$$y = -0.12 + 6.94 \cdot \exp(-100.4 \cdot x)$$

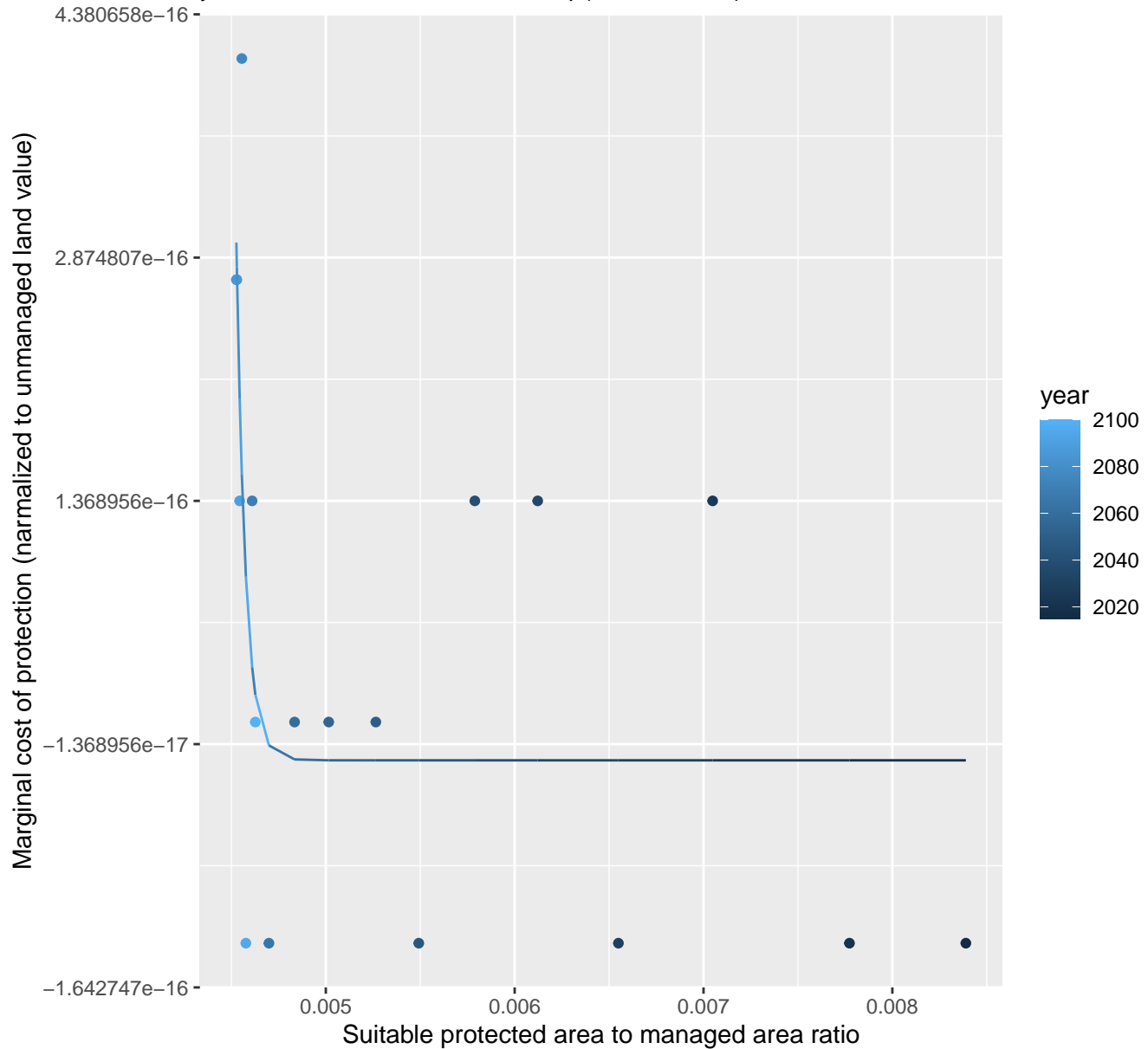


# 29110 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.03 + 2.13 \cdot \exp(-13.11 \cdot x)$$

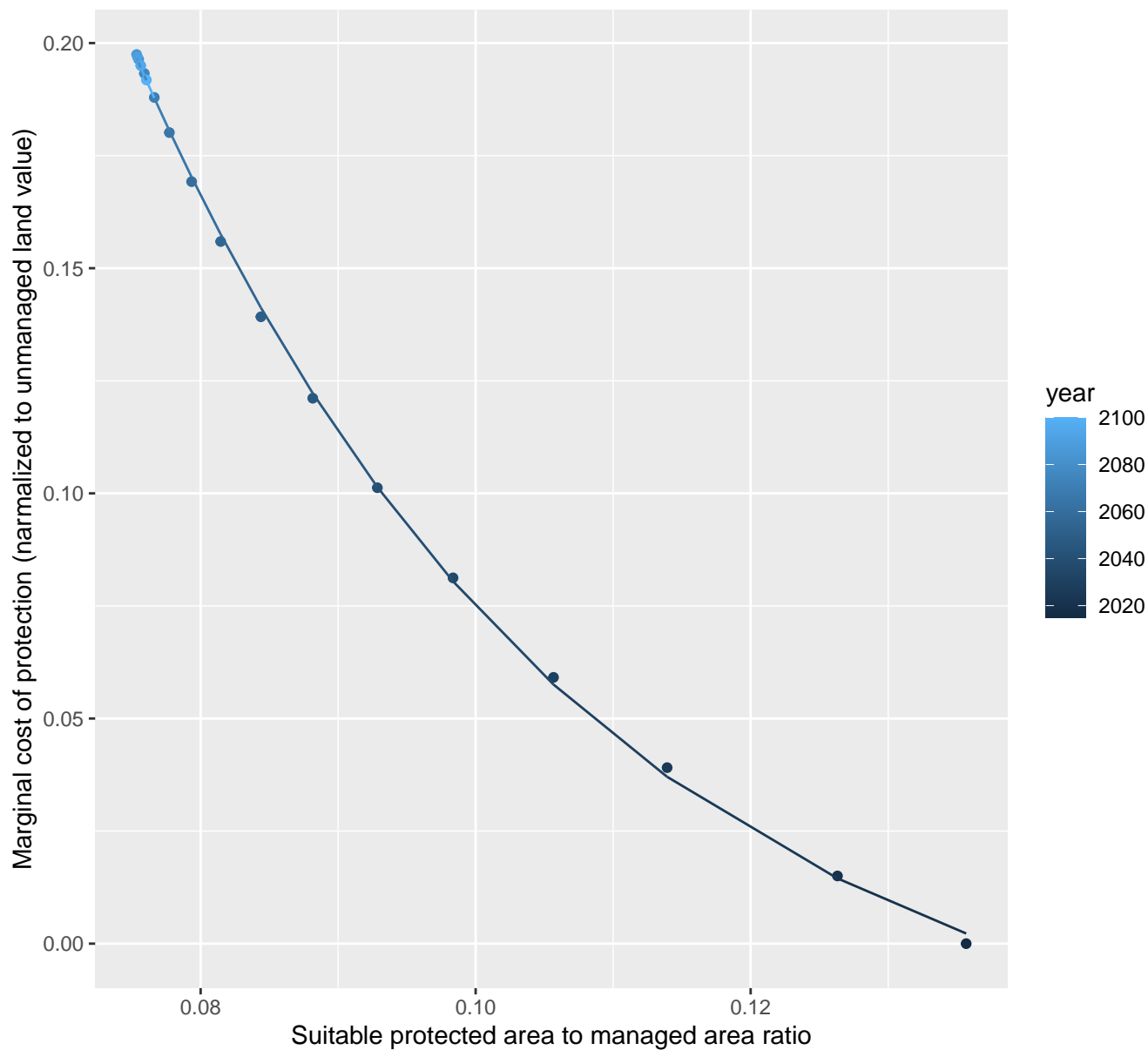


$$y=0+8.99286384528476e+24*\exp(-20576.02*x)$$


# 29116 marginal protection cost ratio

nls random pval = 0.01512

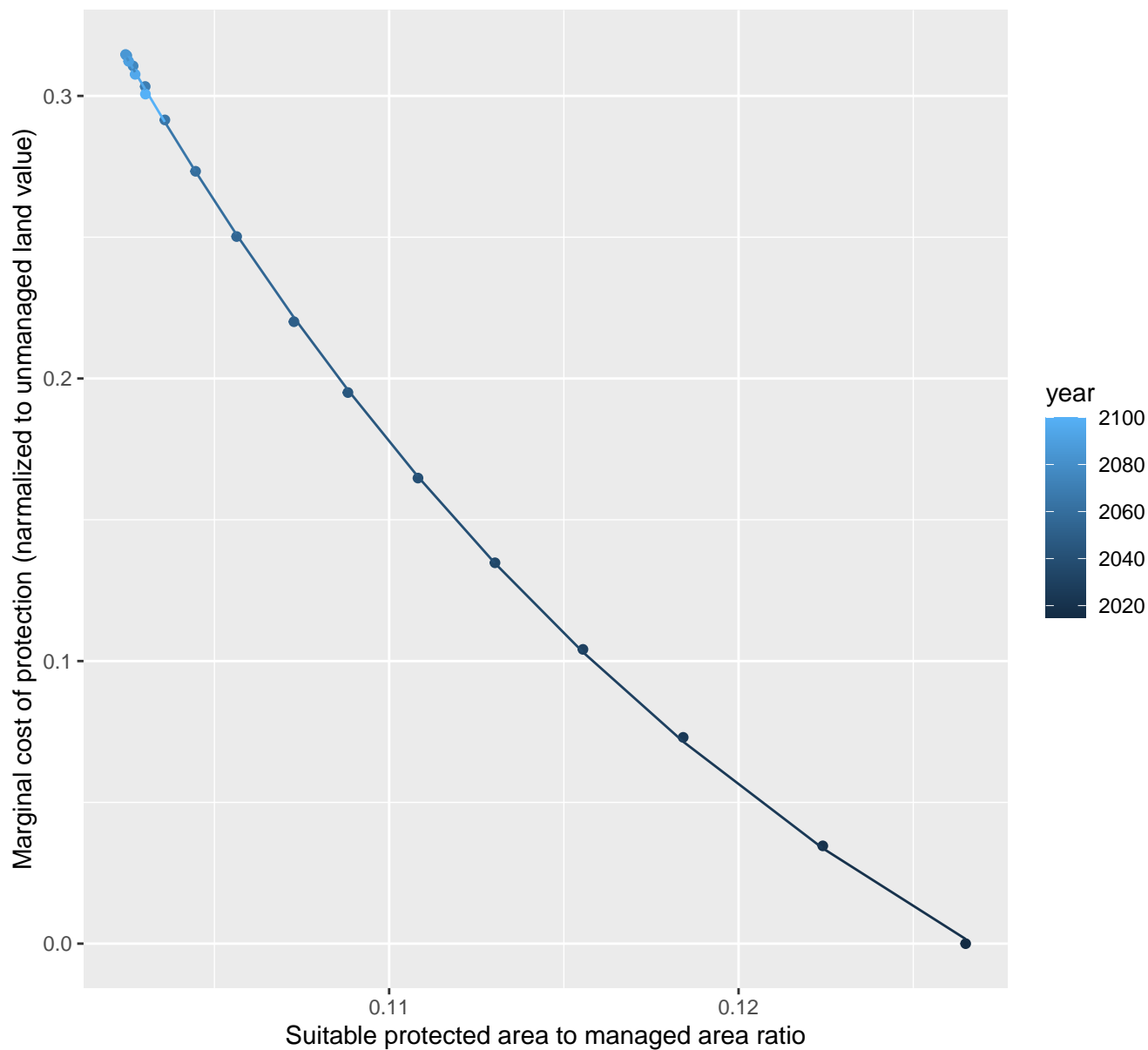
$$y = -0.04 + 2.26 \cdot \exp(-30.23 \cdot x)$$



# 29119 marginal protection cost ratio

nls random pval = 0.01512

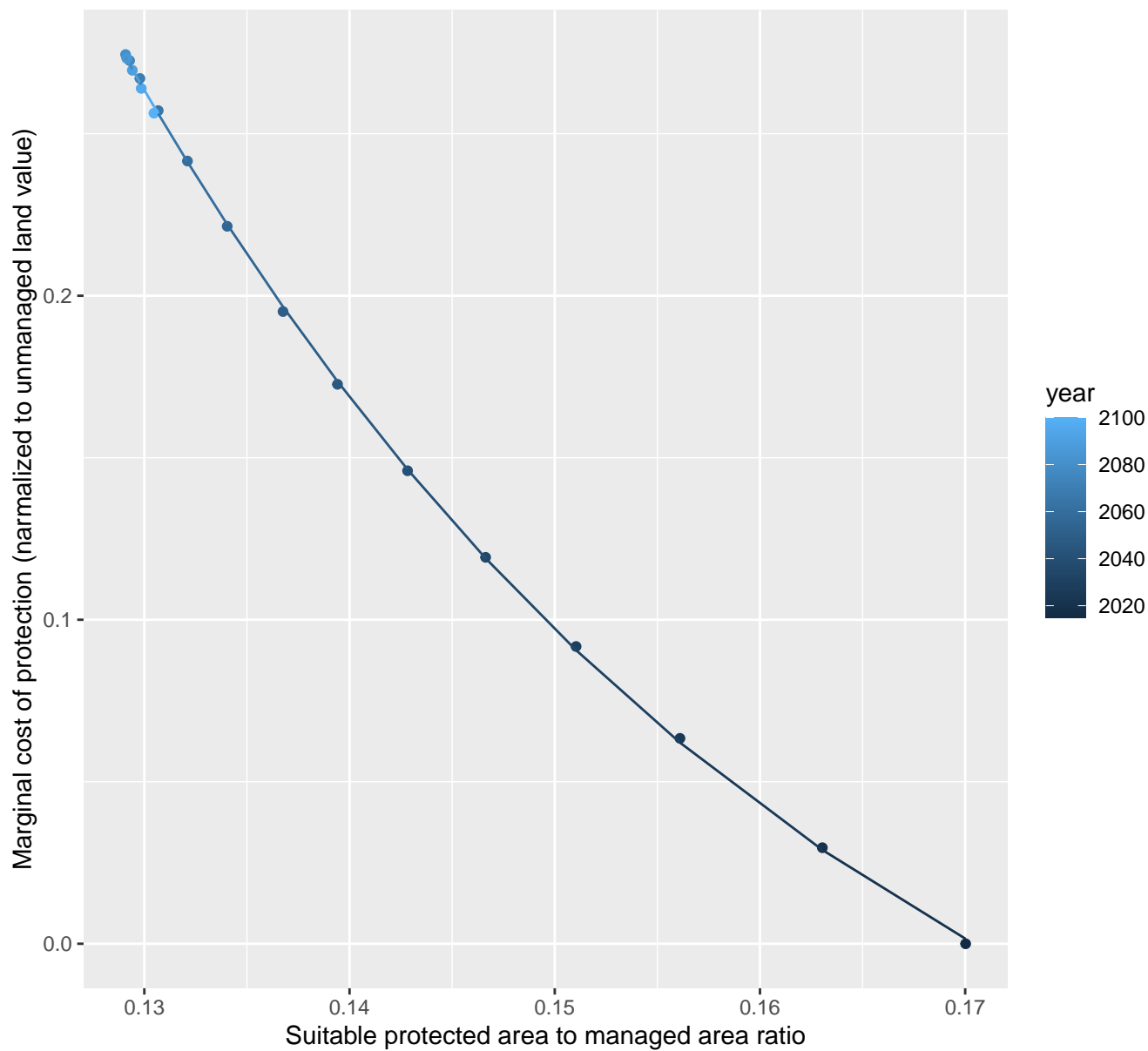
$$y = -0.15 + 50.55 \cdot \exp(-45.68 \cdot x)$$



# 29125 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.13 + 14.57 \cdot \exp(-27.85 \cdot x)$$

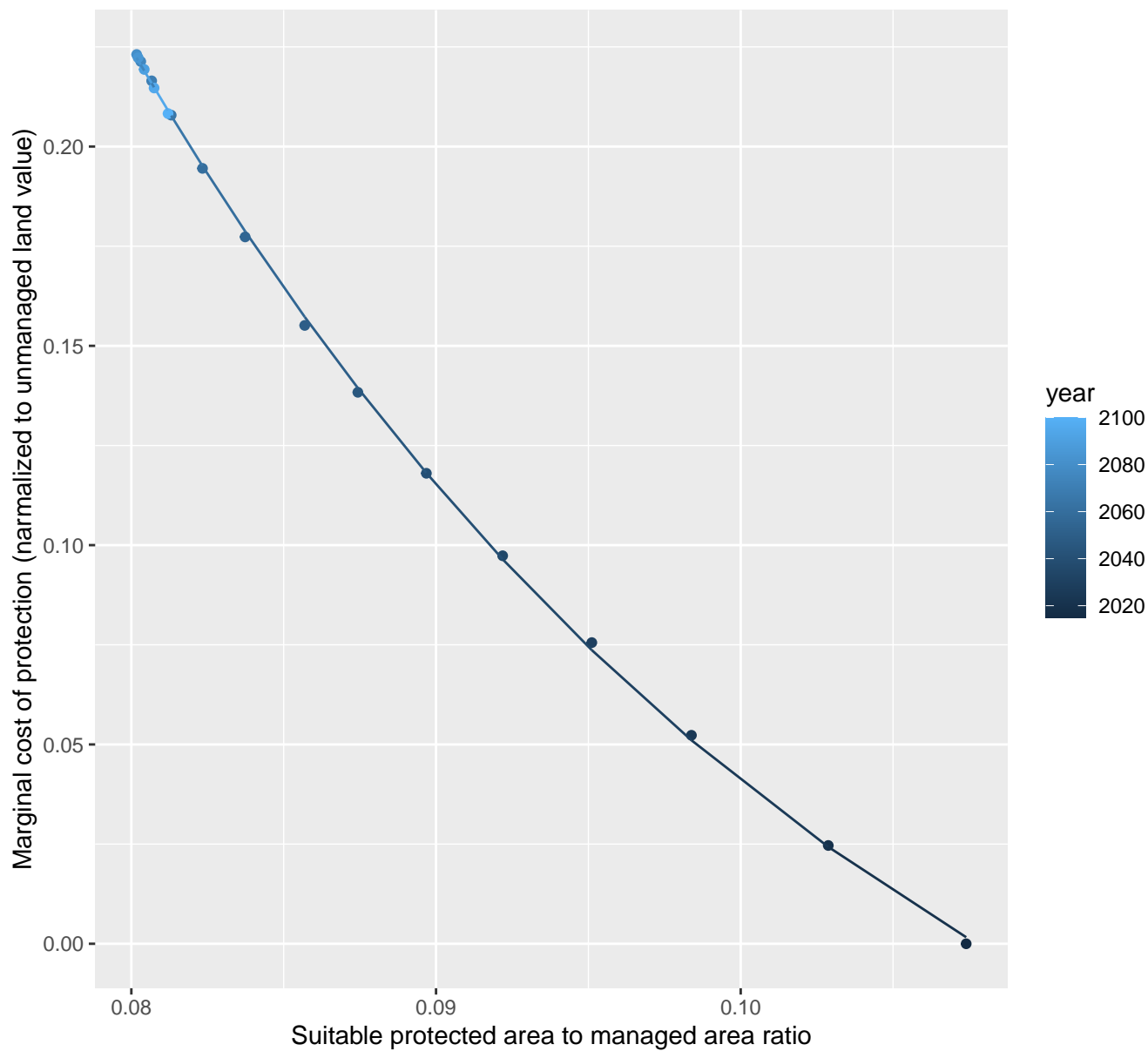




# 29126 marginal protection cost ratio

nls random pval = 0.01512

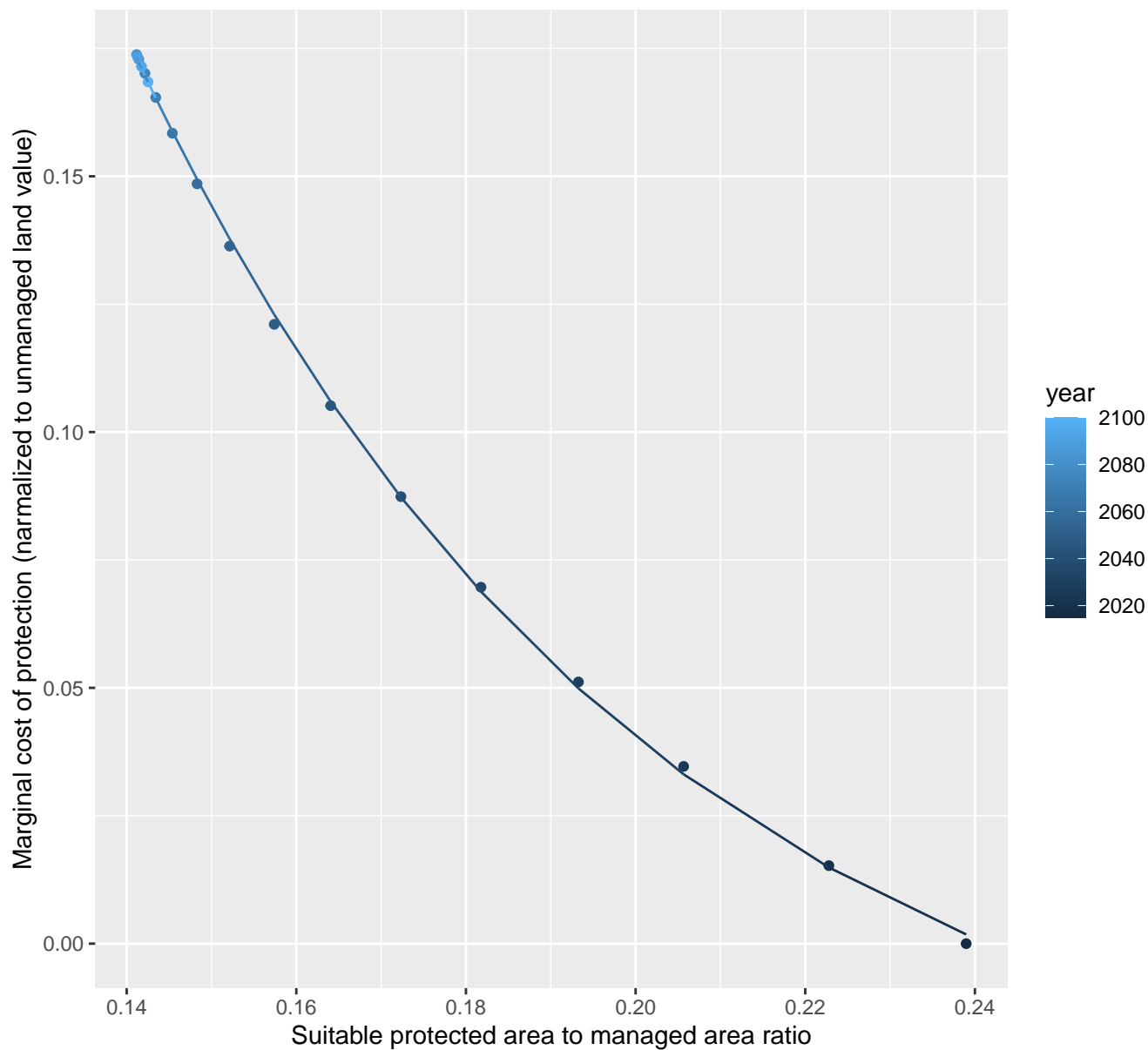
$$y = -0.12 + 7.44 \cdot \exp(-38.51 \cdot x)$$



# 29127 marginal protection cost ratio

nls random pval = 0.01512

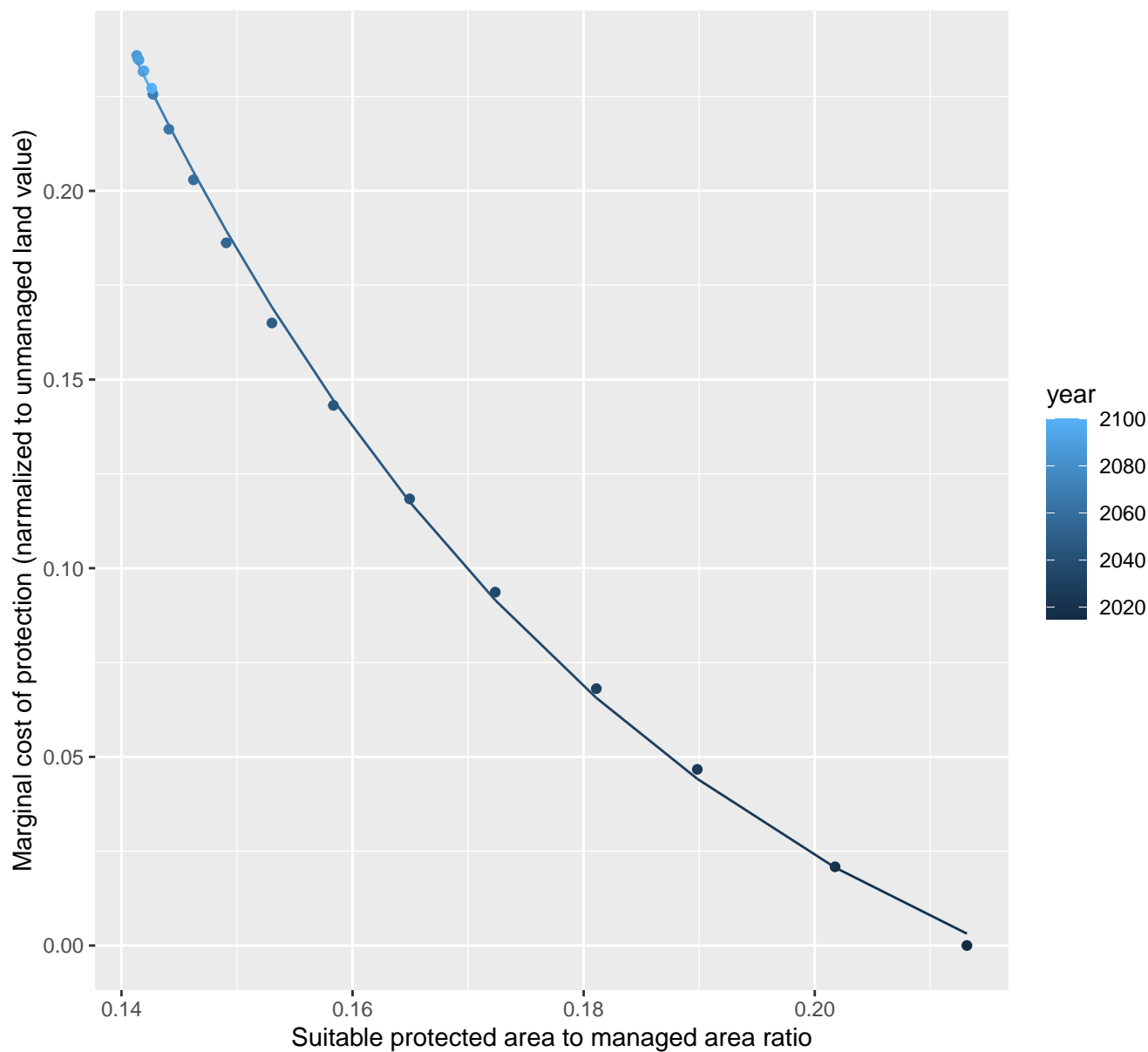
$$y = -0.04 + 2.18 \cdot \exp(-16.43 \cdot x)$$



# 29137 marginal protection cost ratio

nls random pval = 0.00355

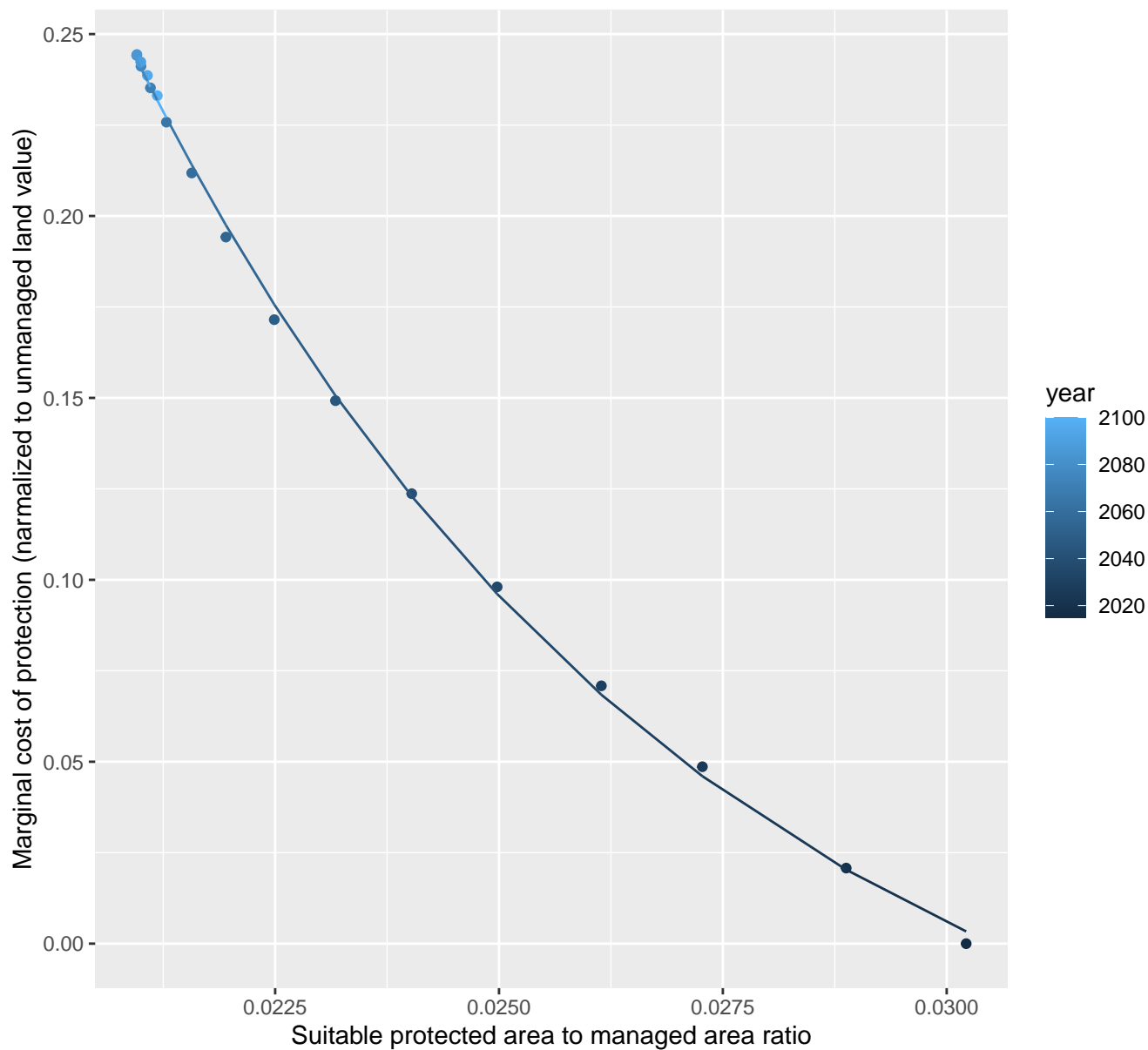
$$y = -0.06 + 6.04 \cdot \exp(-21.38 \cdot x)$$



# 29138 marginal protection cost ratio

nls random pval = 0.00355

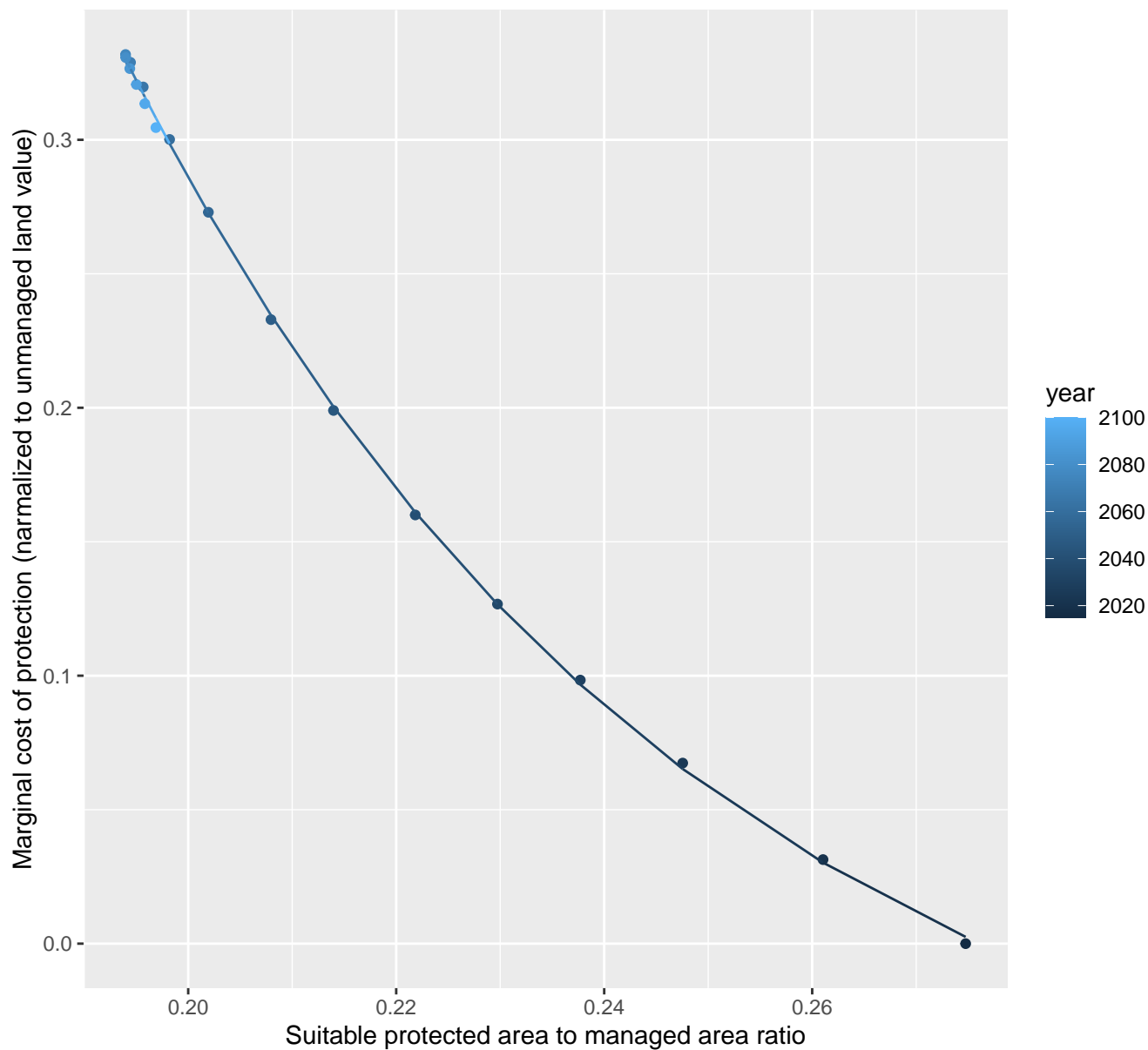
$$y = -0.07 + 8.63 \cdot \exp(-158.53 \cdot x)$$



# 29139 marginal protection cost ratio

nls random pval = 0.01512

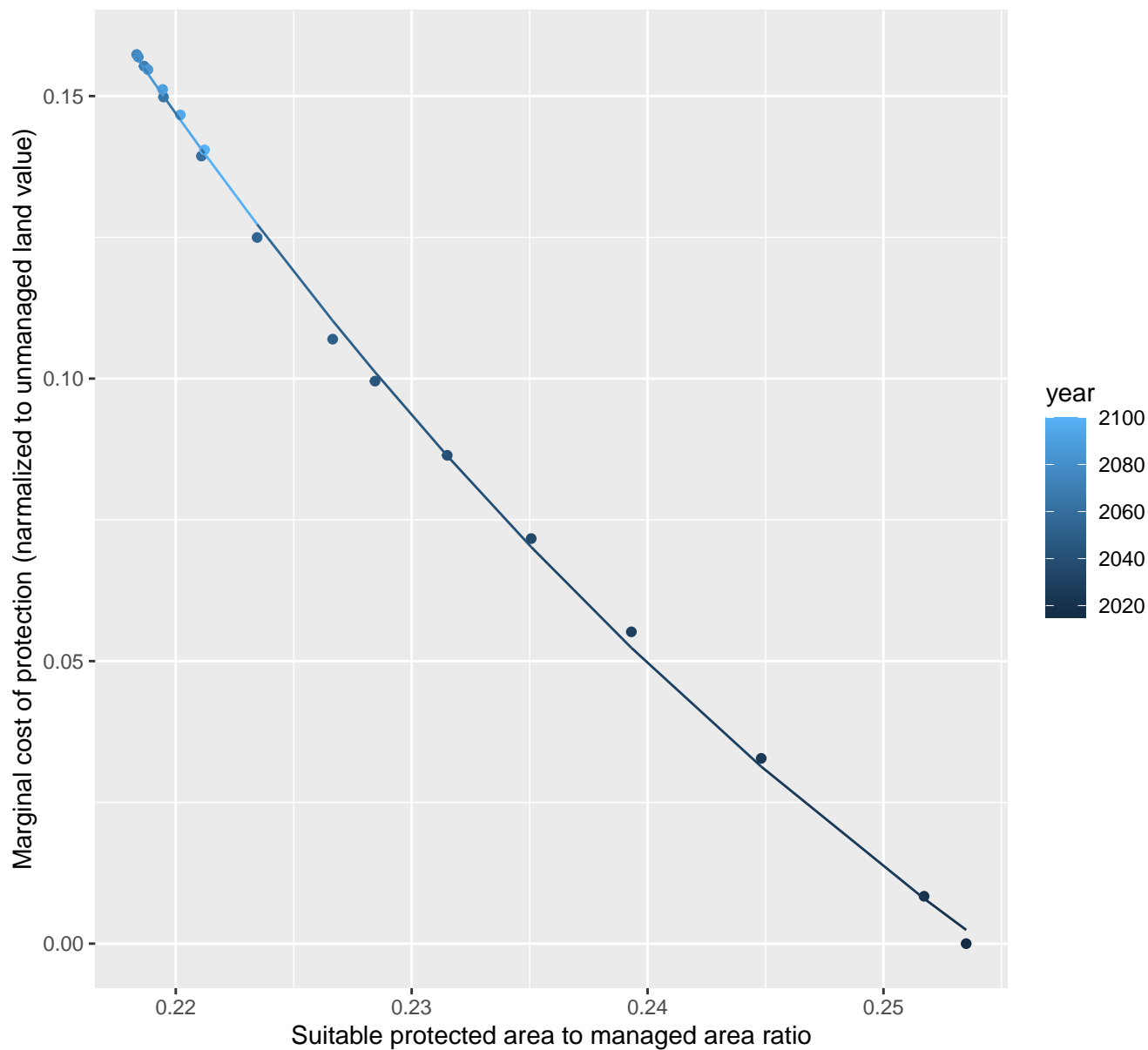
$$y = -0.1 + 14.51 \cdot \exp(-18.2 \cdot x)$$



# 29146 marginal protection cost ratio

nls random pval = 0.00355

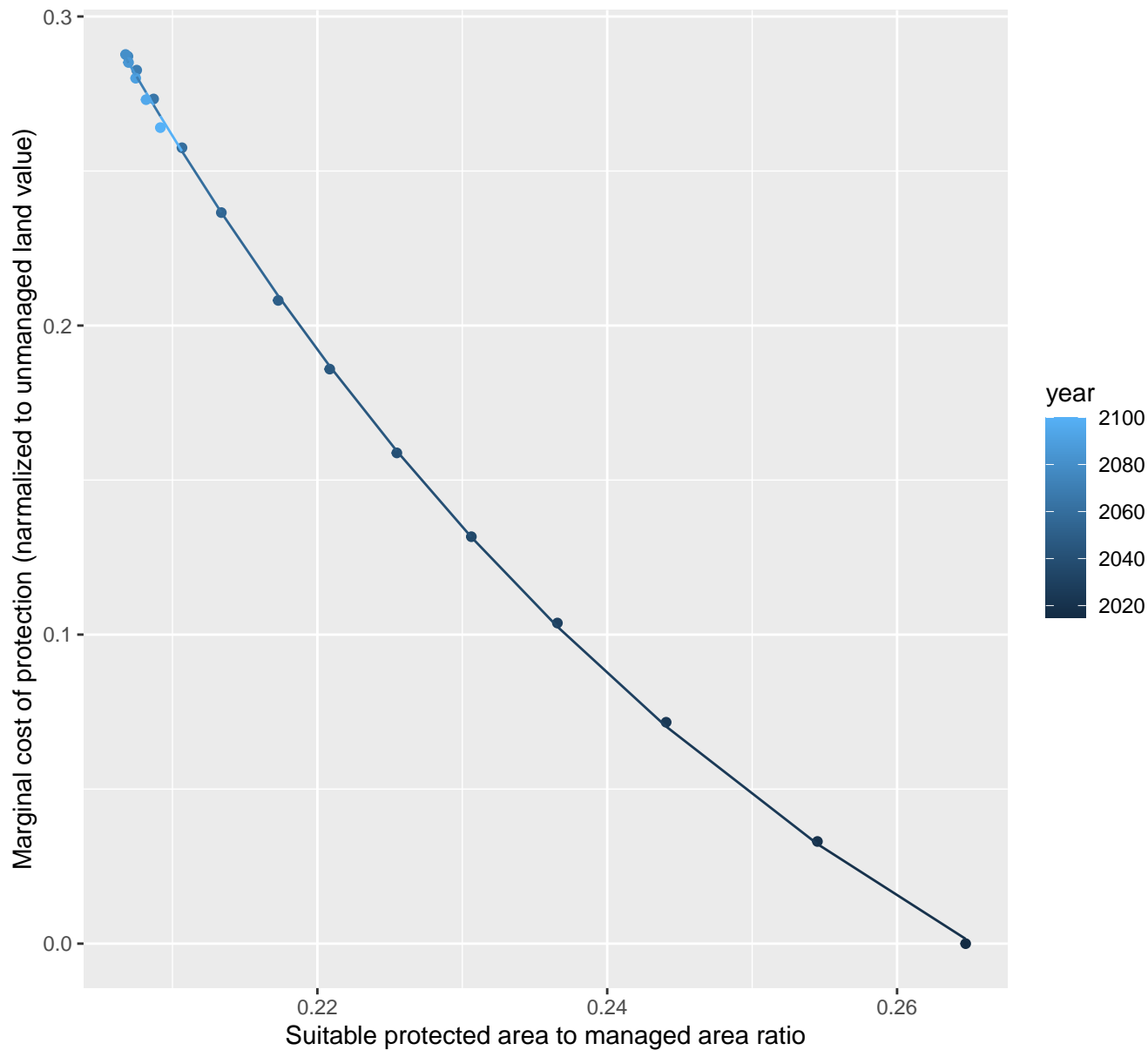
$$y = -0.15 + 22.28 \cdot \exp(-19.58 \cdot x)$$



# 29148 marginal protection cost ratio

nls random pval = 0.01512

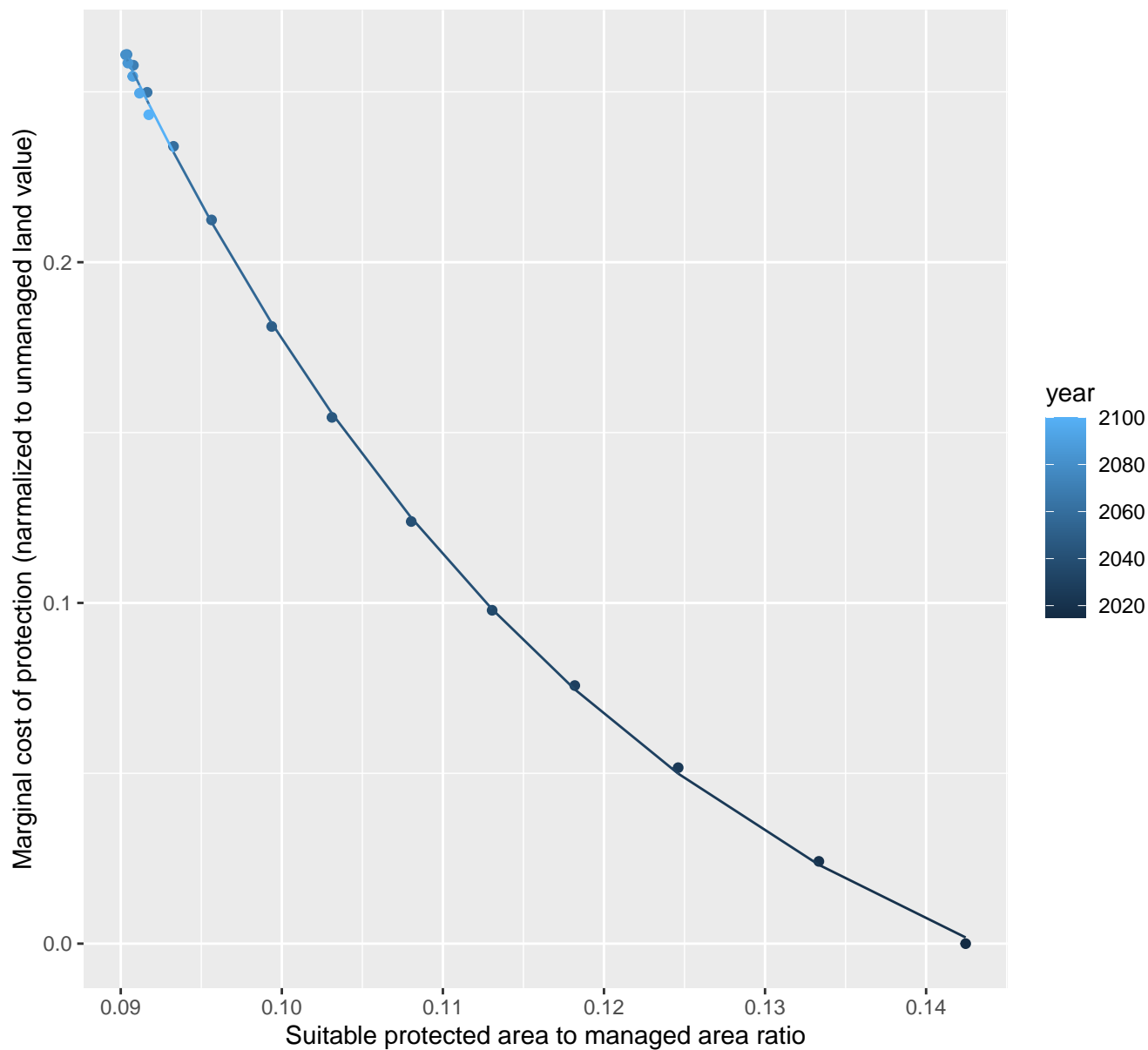
$$y = -0.14 + 20.65 \cdot \exp(-18.72 \cdot x)$$



# 29159 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.07 + 5.02 \cdot \exp(-30.3 \cdot x)$$

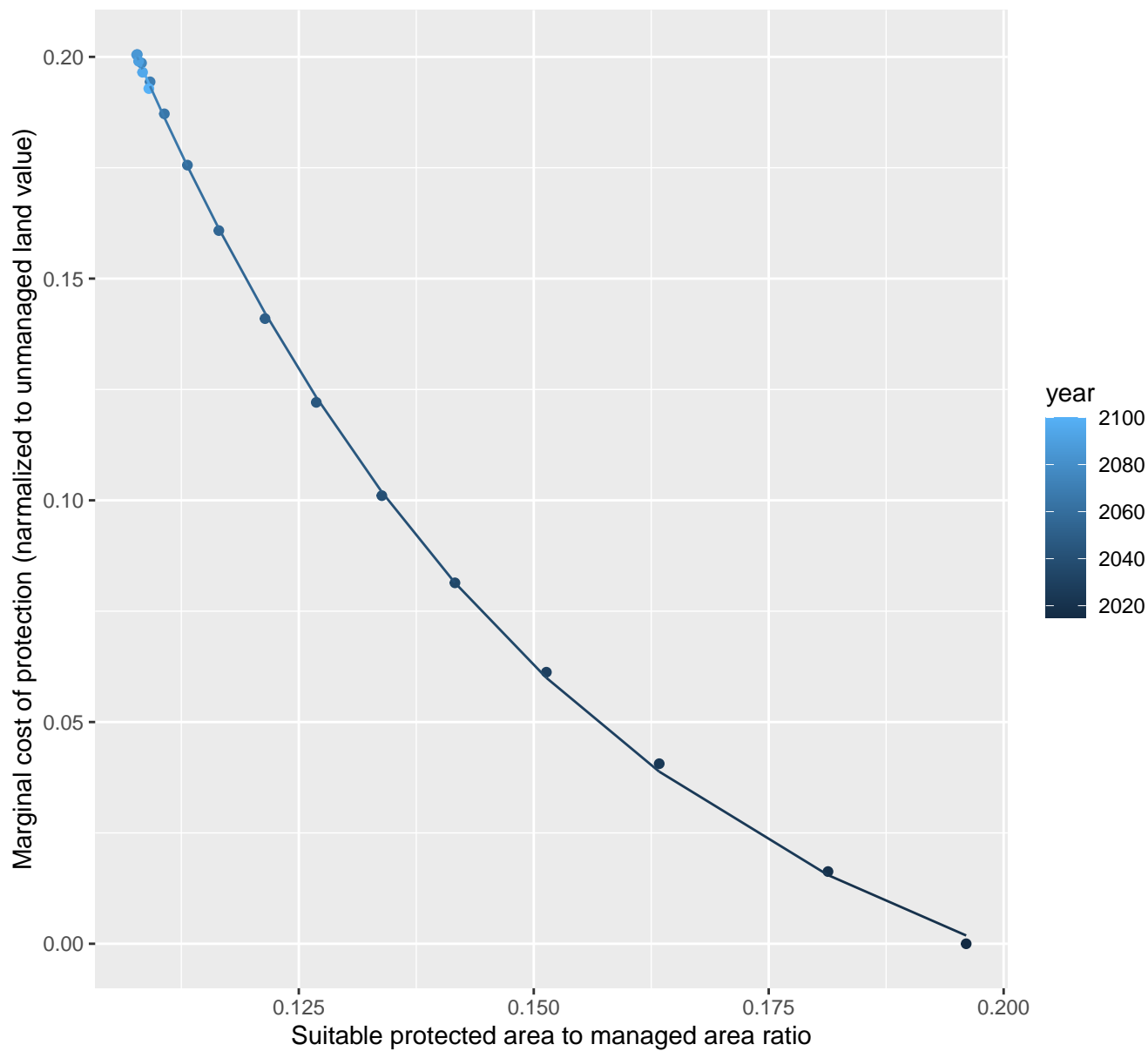




# 29165 marginal protection cost ratio

nls random pval = 0.01512

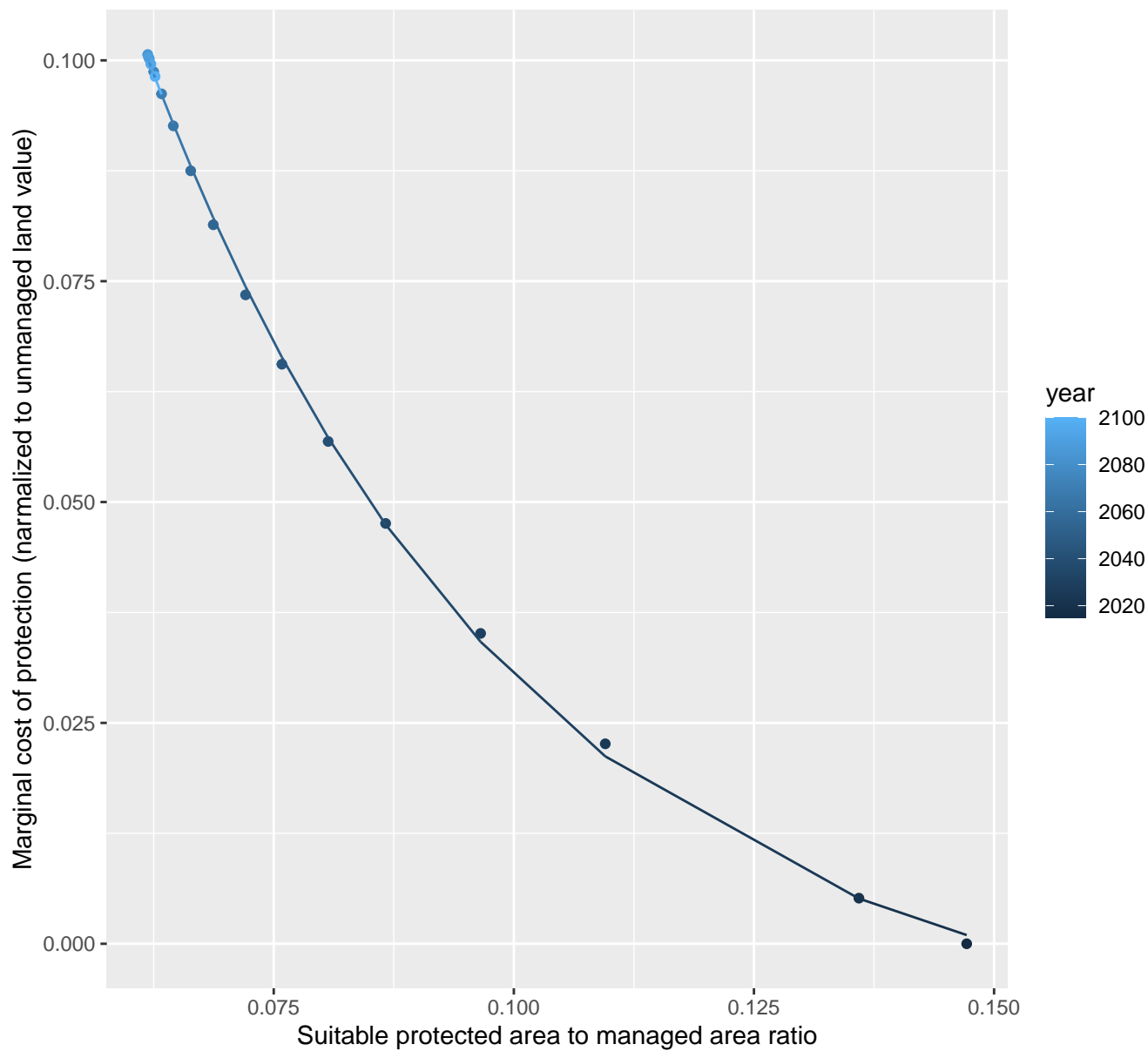
$$y = -0.04 + 2.17 \cdot \exp(-20.56 \cdot x)$$



# 29167 marginal protection cost ratio

nls random pval = 0.00355

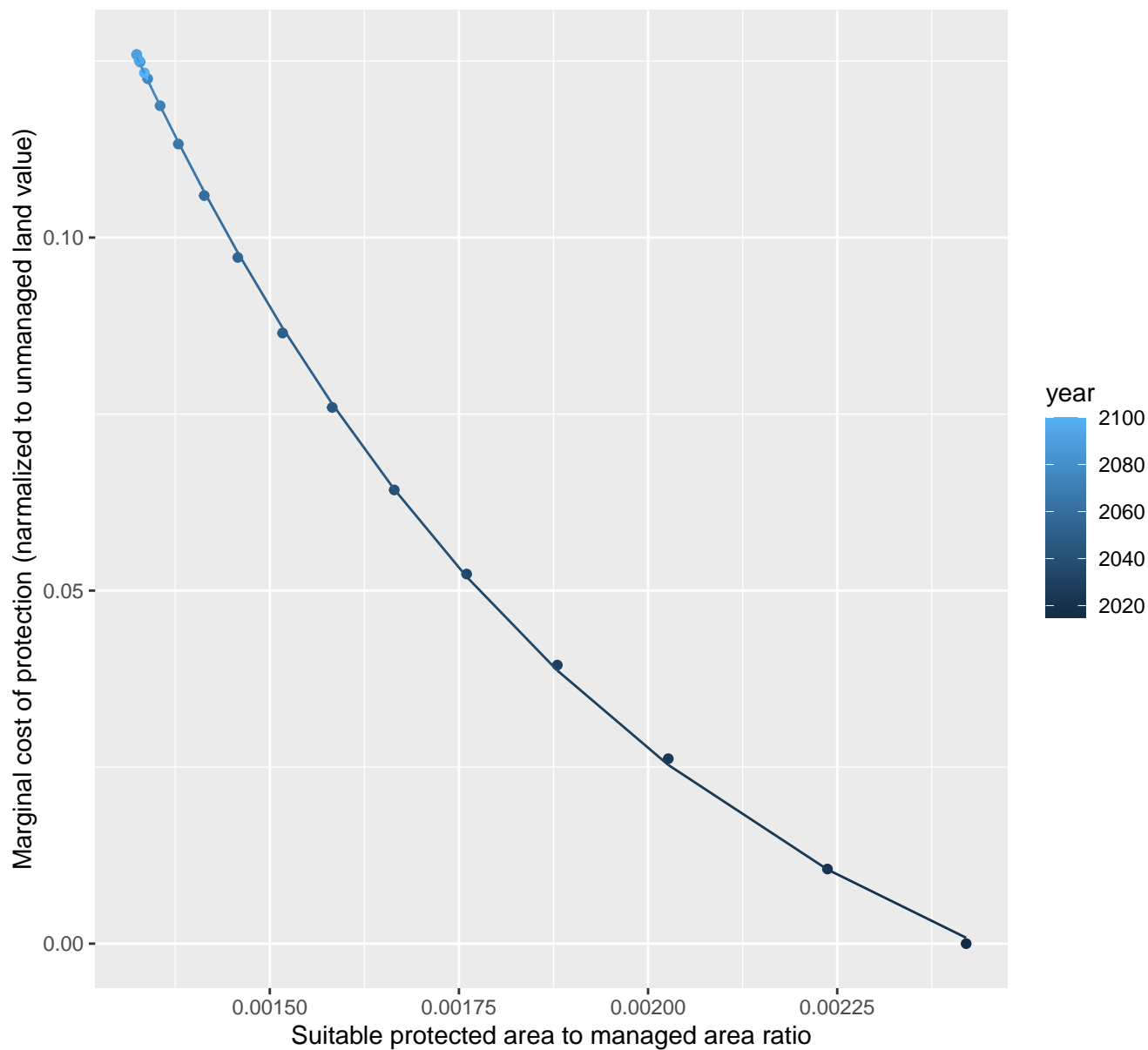
$$y = -0.01 + 0.55 \cdot \exp(-25.88 \cdot x)$$



# 29173 marginal protection cost ratio

nls random pval = 0.01512

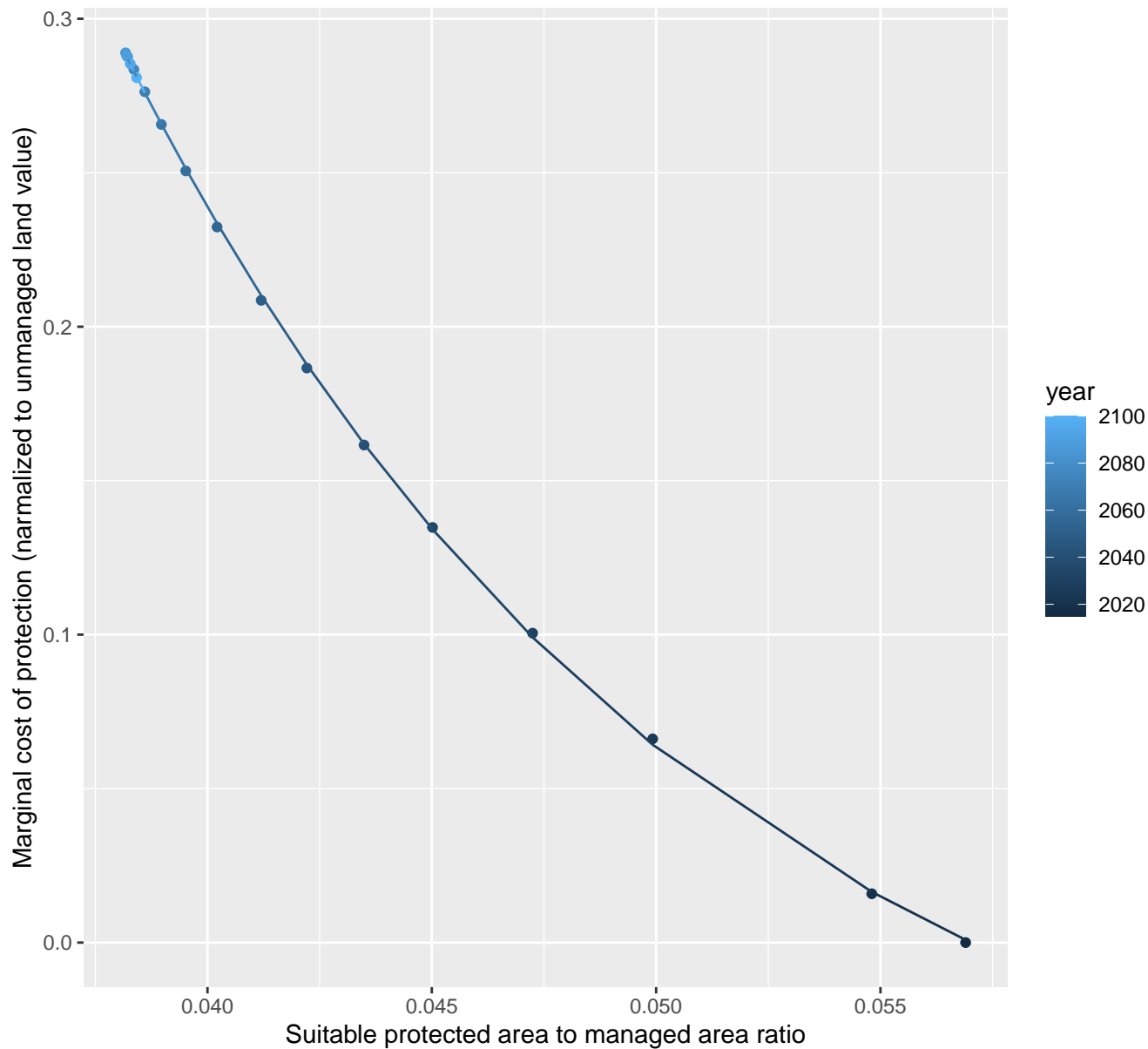
$$y = -0.03 + 1.08 \cdot \exp(-1461.14 \cdot x)$$



# 29175 marginal protection cost ratio

nls random pval = 0.01512

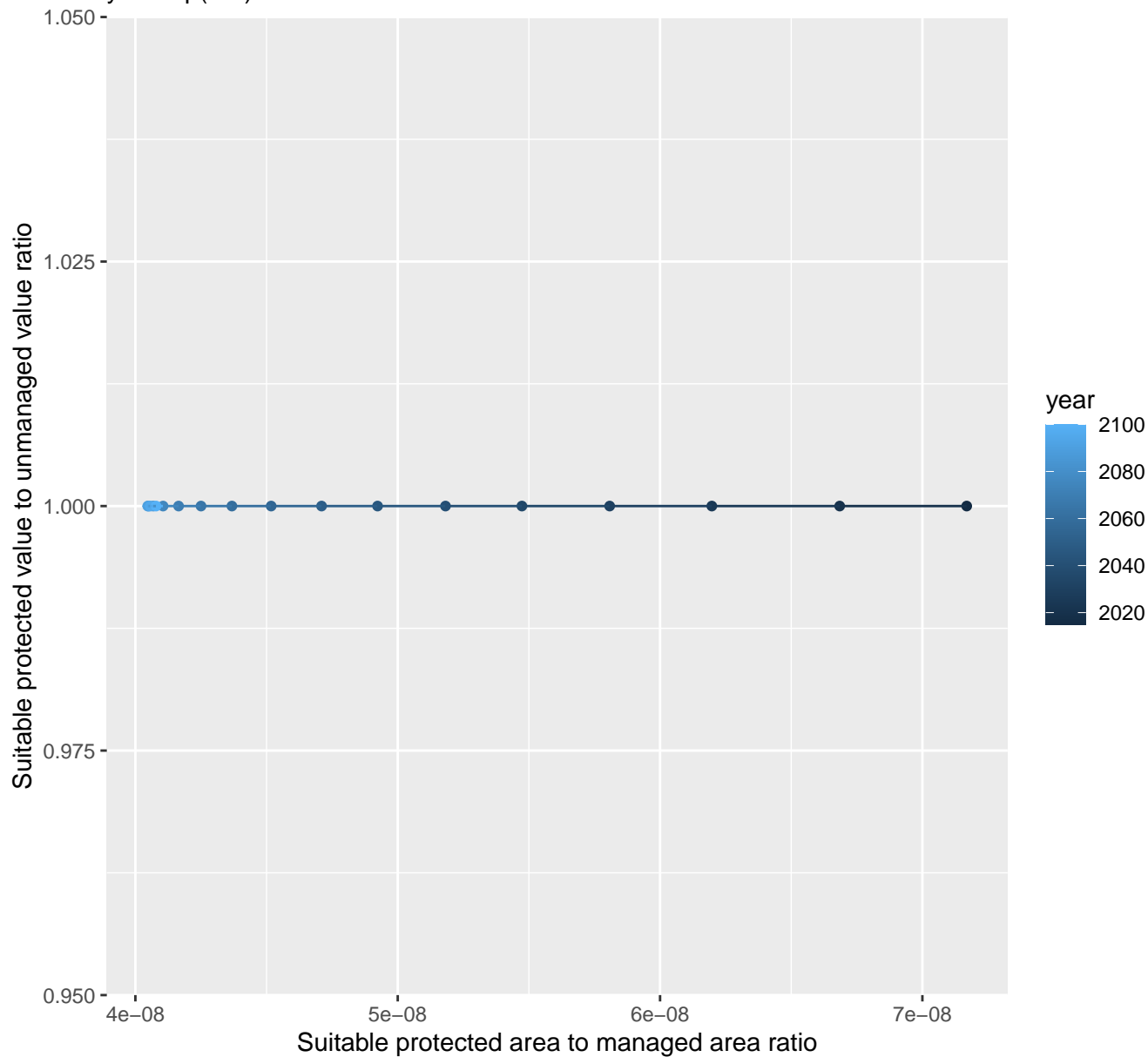
$$y = -0.09 + 7.08 \cdot \exp(-76.86 \cdot x)$$



29176 marginal protection cost ratio

linear-log(y)  $r^2 = 0.12553$   $pval = 0.14914$  random  $pval = 0.78782$

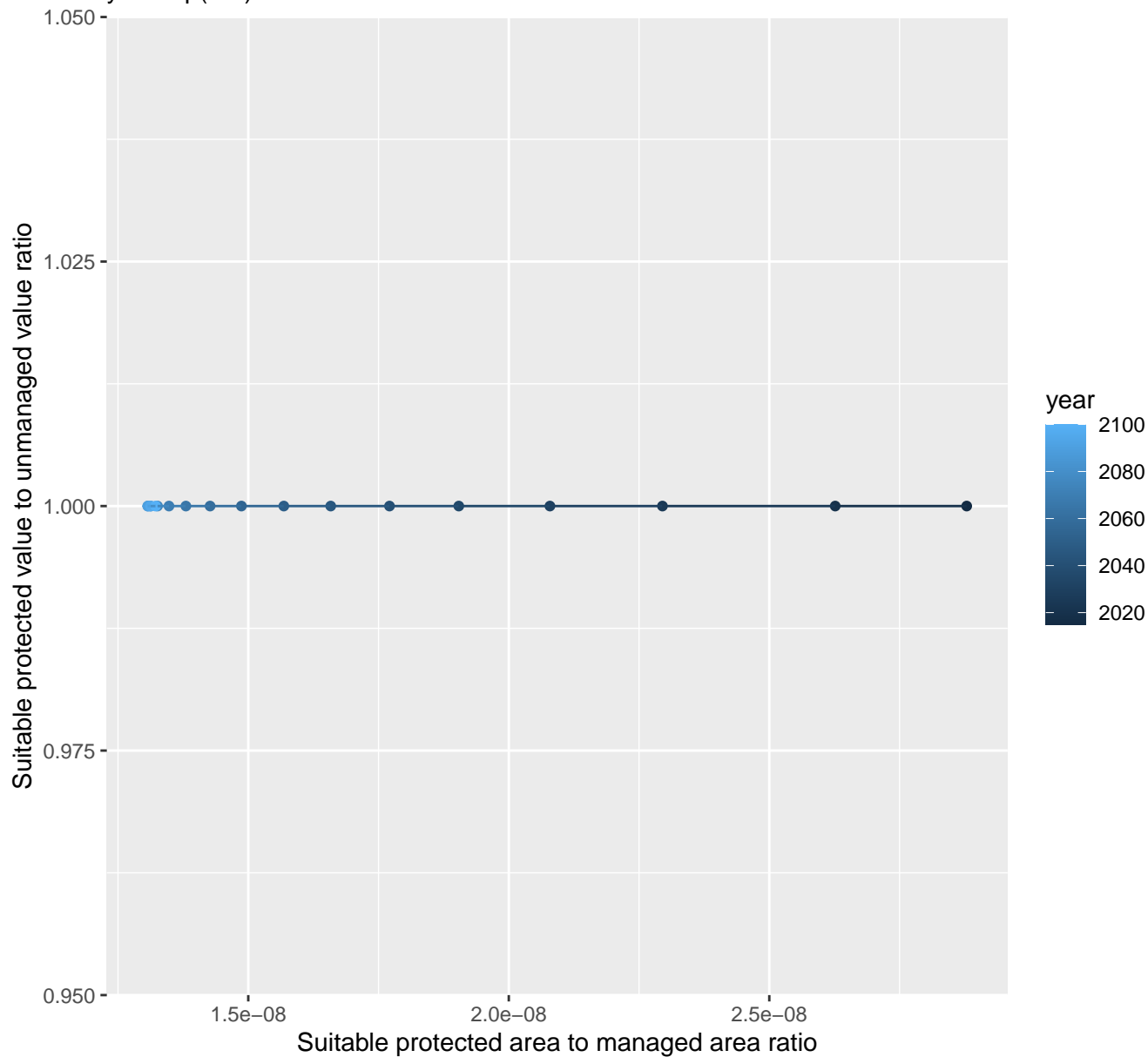
$y = 1 * \exp(0 * x)$



# 29178 marginal protection cost ratio

linear-log(y)  $r^2 = 0.01496$   $pval = 0.62872$  random  $pval = 0.02293$

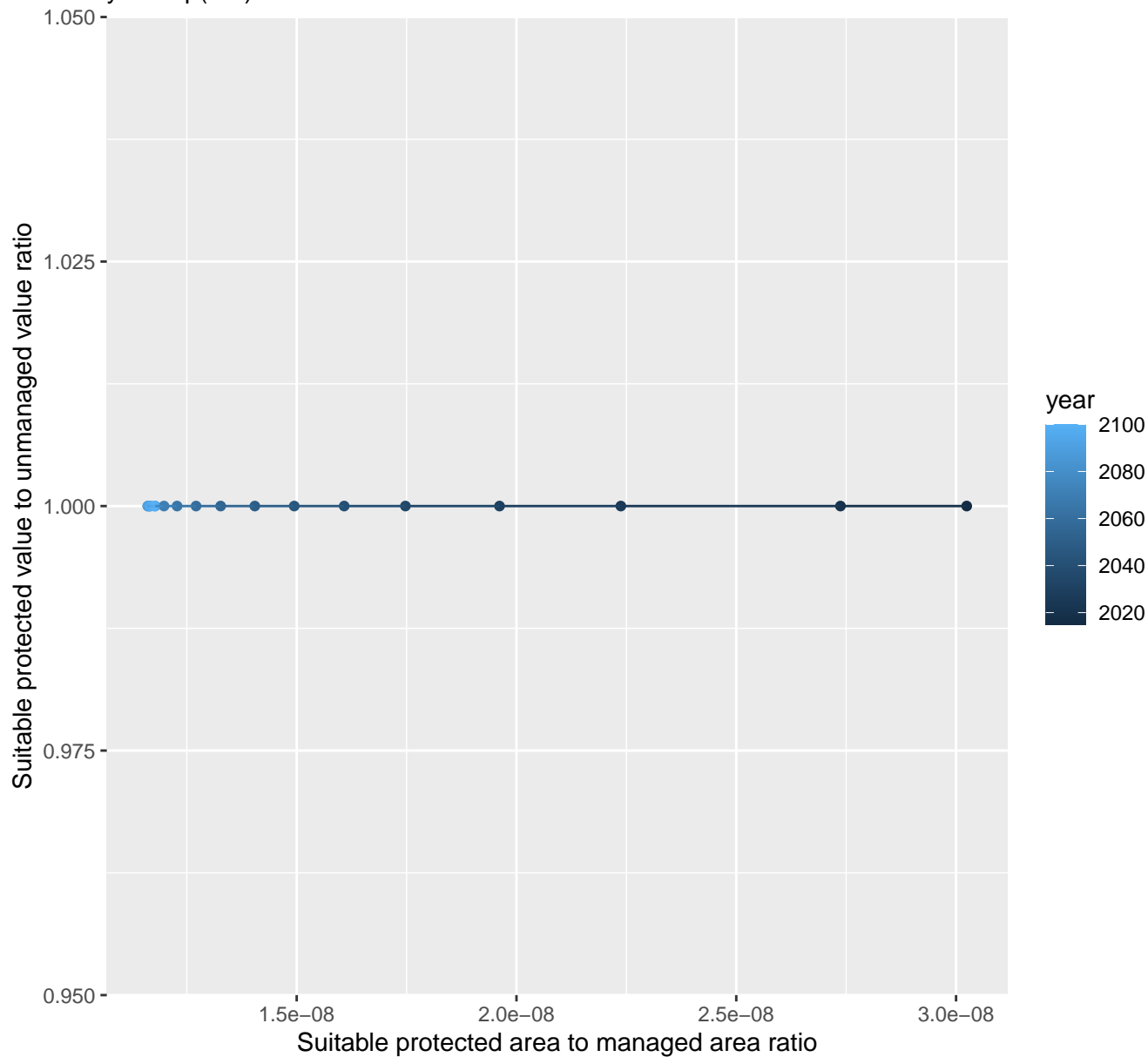
$$y = 1 * \exp(0 * x)$$



29181 marginal protection cost ratio

linear-log(y)  $r^2 = 0.1092$   $pval = 0.18046$  random  $pval = 0.59298$

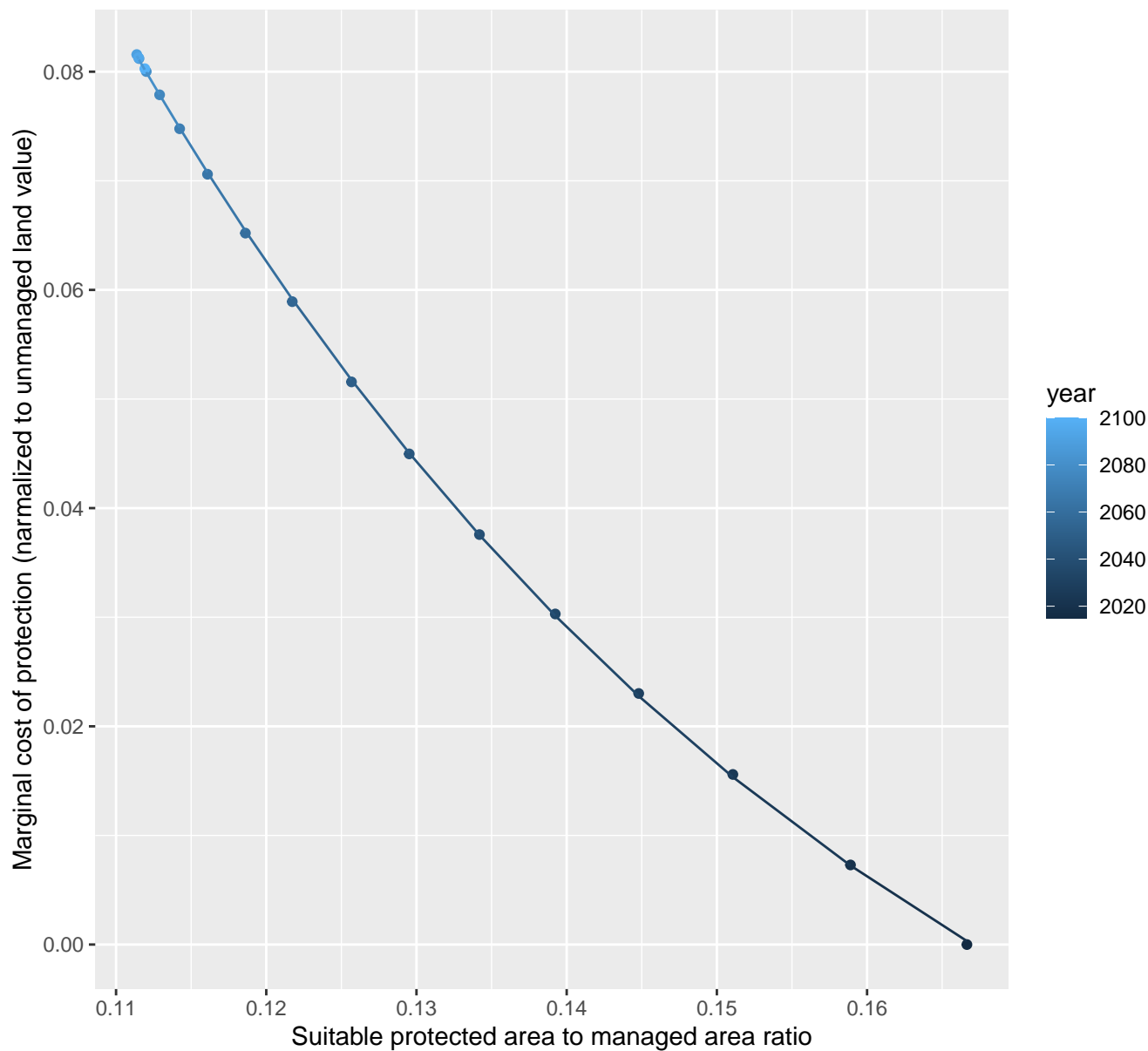
$y = 1 * \exp(0 * x)$



# 29185 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.04 + 1.04 \cdot \exp(-19.03 \cdot x)$$

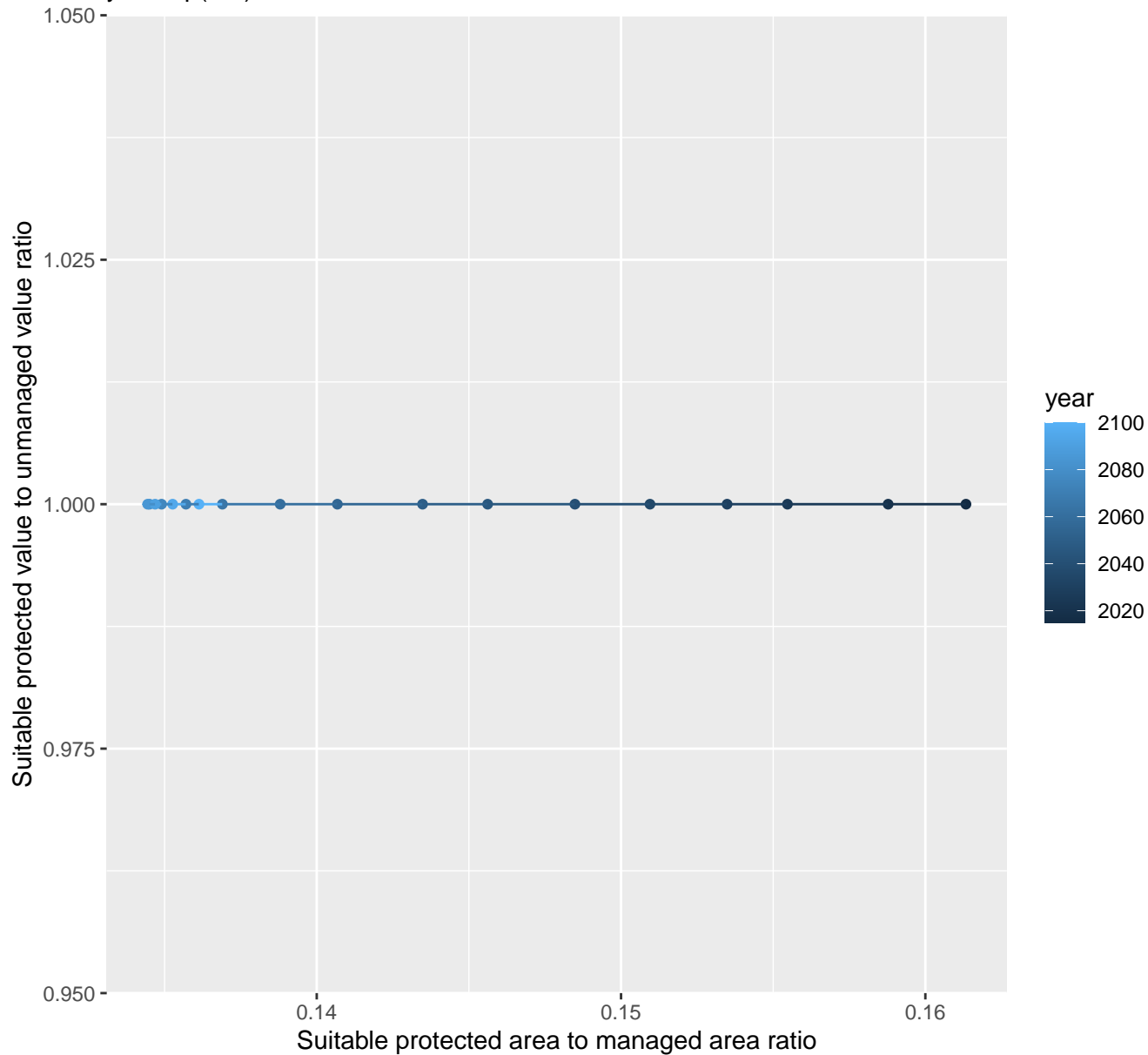




# 30078 marginal protection cost ratio

linear-log(y) r2 = NaN pval = NaN random pval = NaN

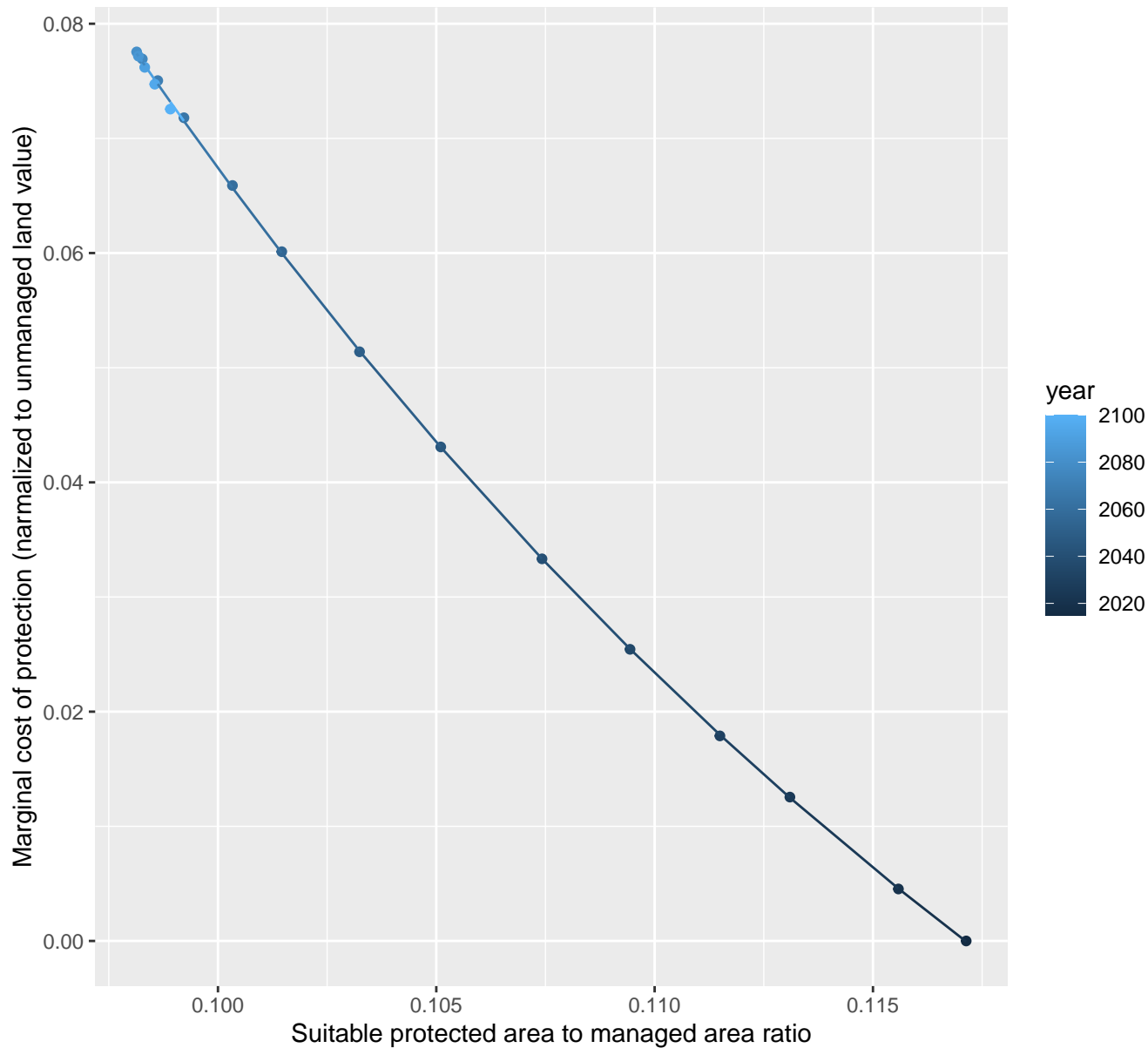
$y=1*\exp(0*x)$



# 30103 marginal protection cost ratio

nls random pval = 0.33114

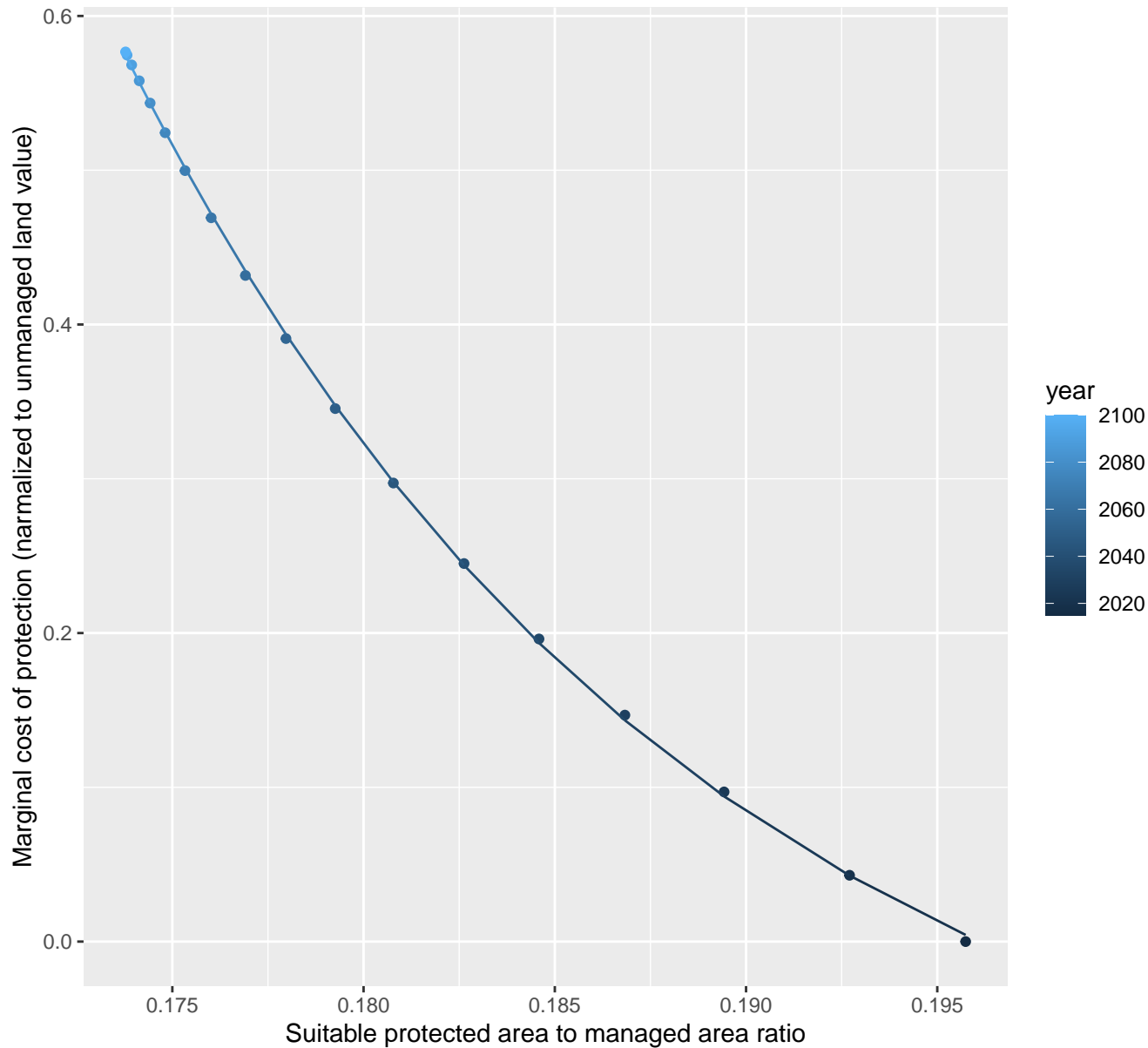
$$y = -0.09 + 4.59 \cdot \exp(-34.03 \cdot x)$$



# 1007 marginal protection cost ratio

nls random pval = 0.00355

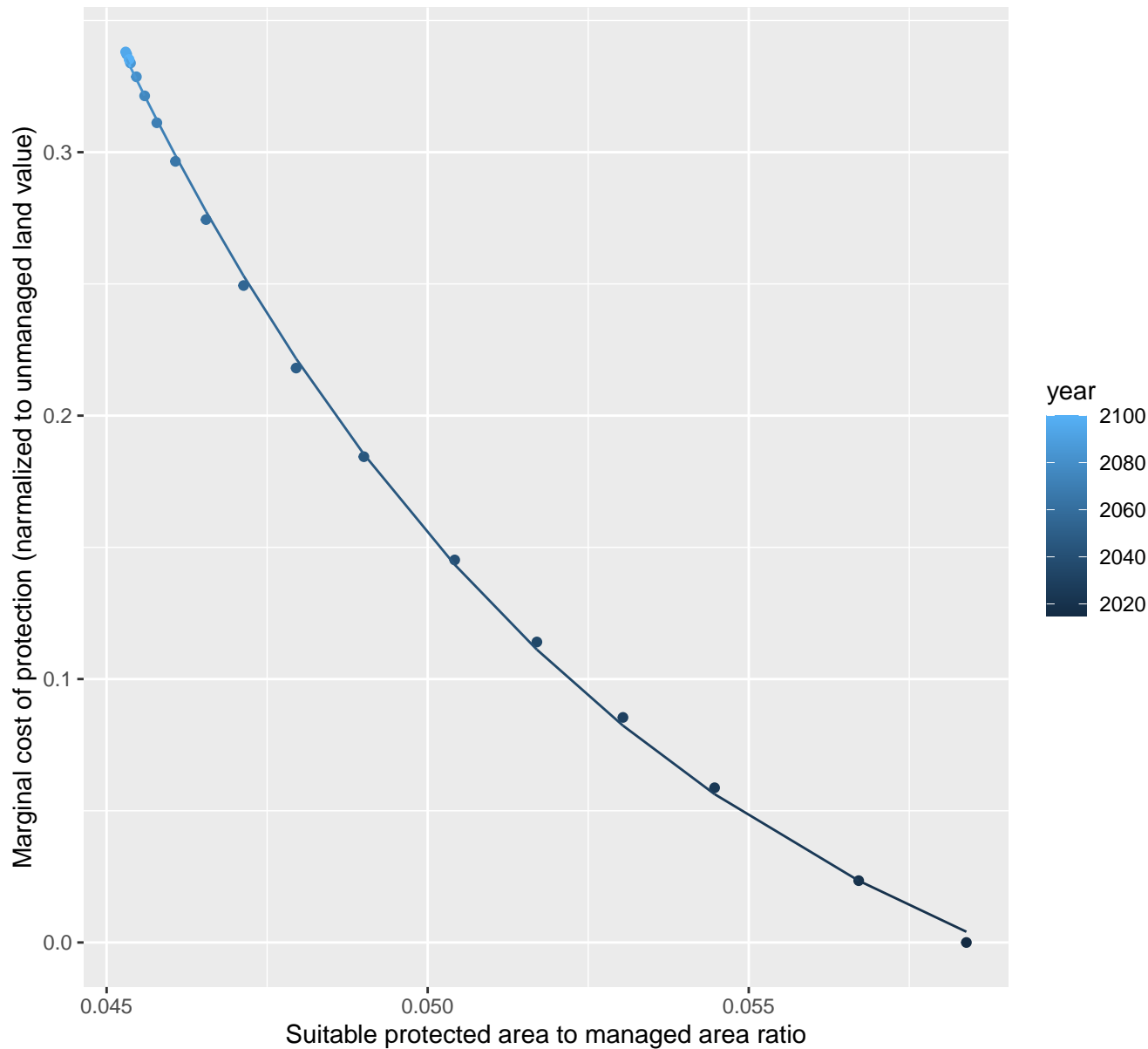
$$y = -0.17 + 79682.01 \cdot \exp(-66.66 \cdot x)$$



# 1023 marginal protection cost ratio

nls random pval = 0.00355

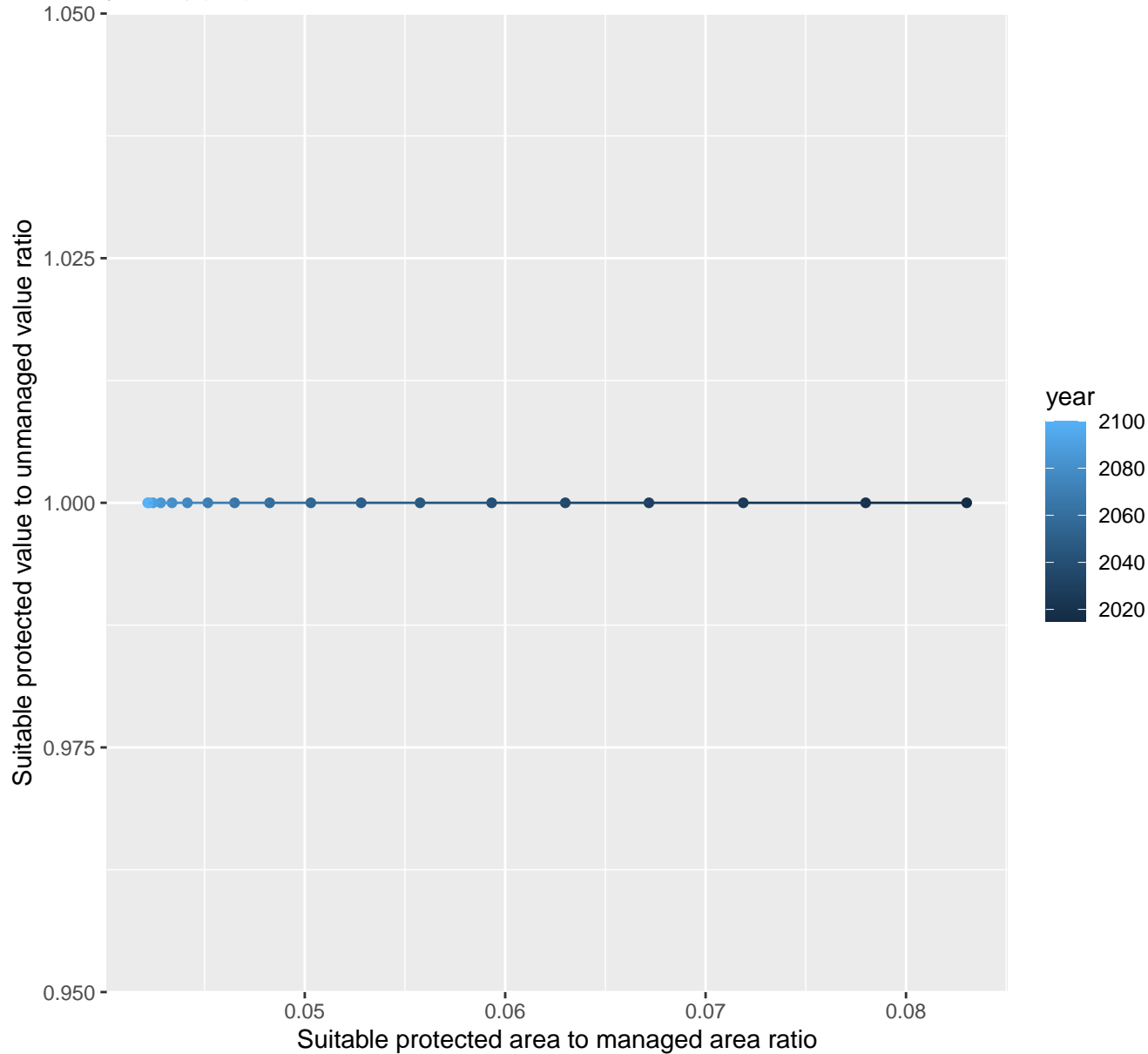
$$y = -0.08 + 97.19 \cdot \exp(-120.26 \cdot x)$$



# 1027 marginal protection cost ratio

linear-log(y)  $r^2 = 0.18771$   $p\text{val} = 0.07248$  random  $p\text{val} = 0.51269$

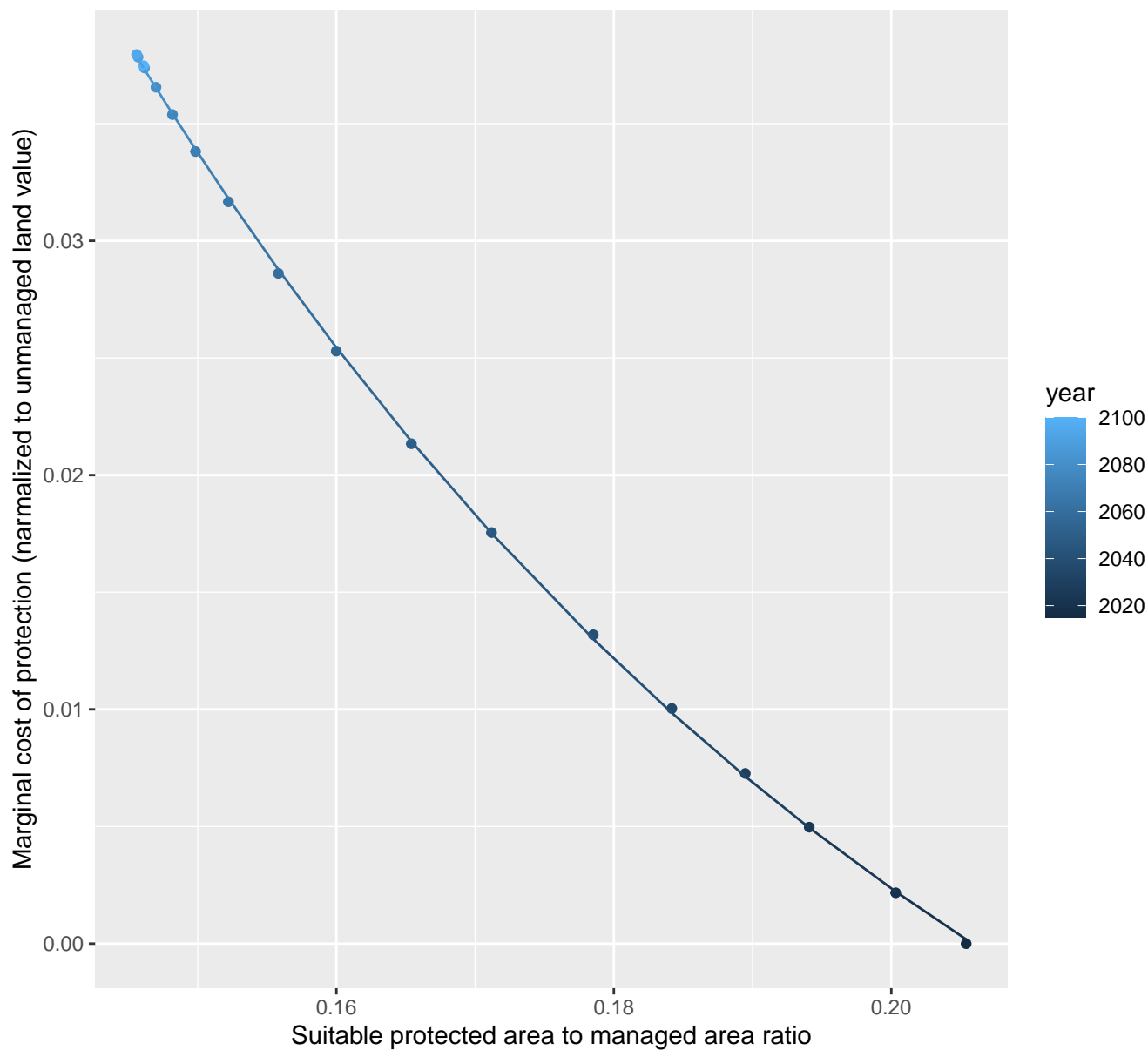
$$y = 1 * \exp(0 * x)$$



# 1096 marginal protection cost ratio

nls random pval = 0.00355

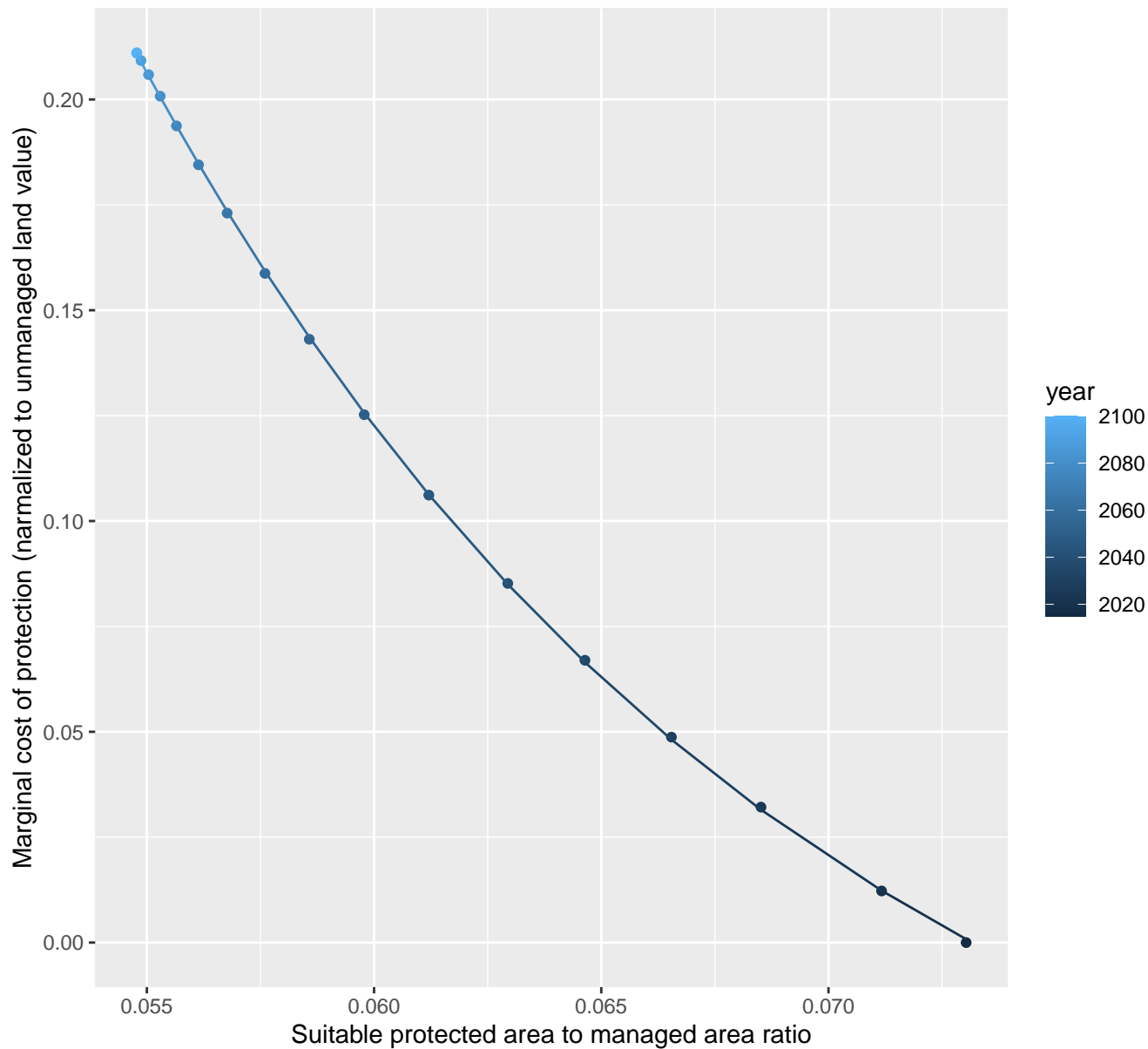
$$y = -0.03 + 0.58 \cdot \exp(-15.24 \cdot x)$$



# 1101 marginal protection cost ratio

nls random pval = 0.00355

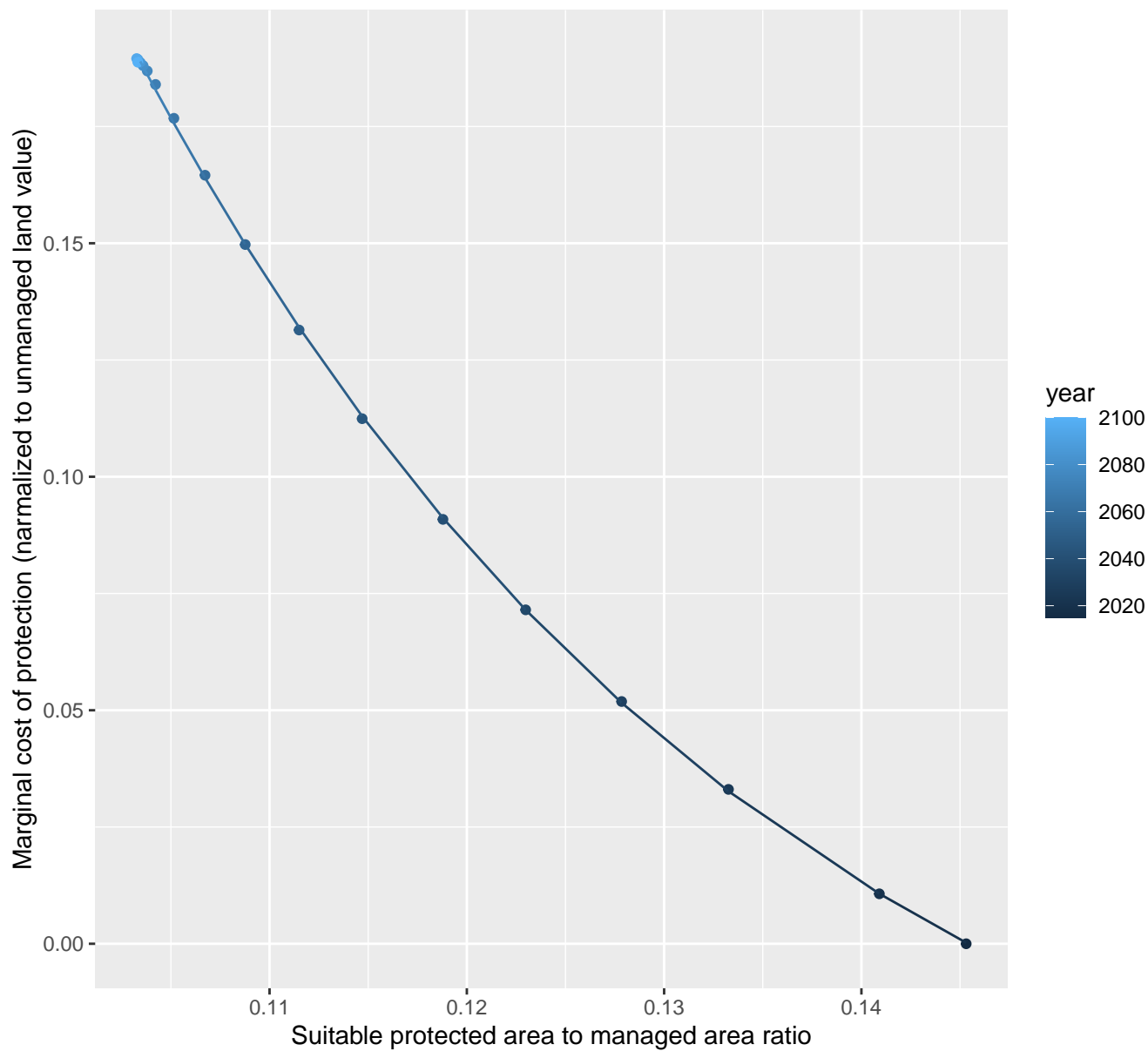
$$y = -0.08 + 12.2 \cdot \exp(-67.92 \cdot x)$$



# 1217 marginal protection cost ratio

nls random pval = 0.01512

$$y = -0.07 + 6.13 \cdot \exp(-30.49 \cdot x)$$

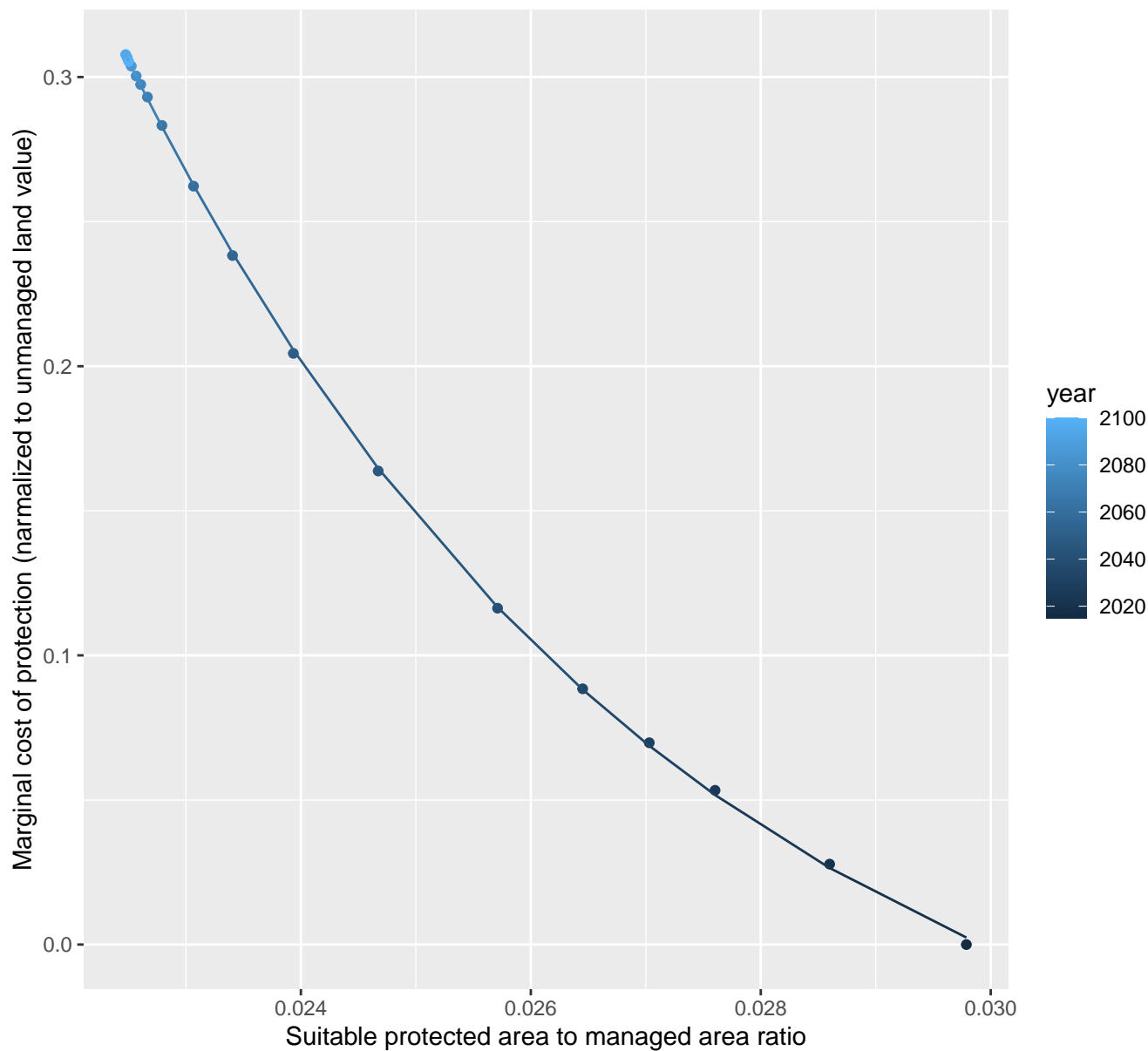




# 1218 marginal protection cost ratio

nls random pval = 0.14491

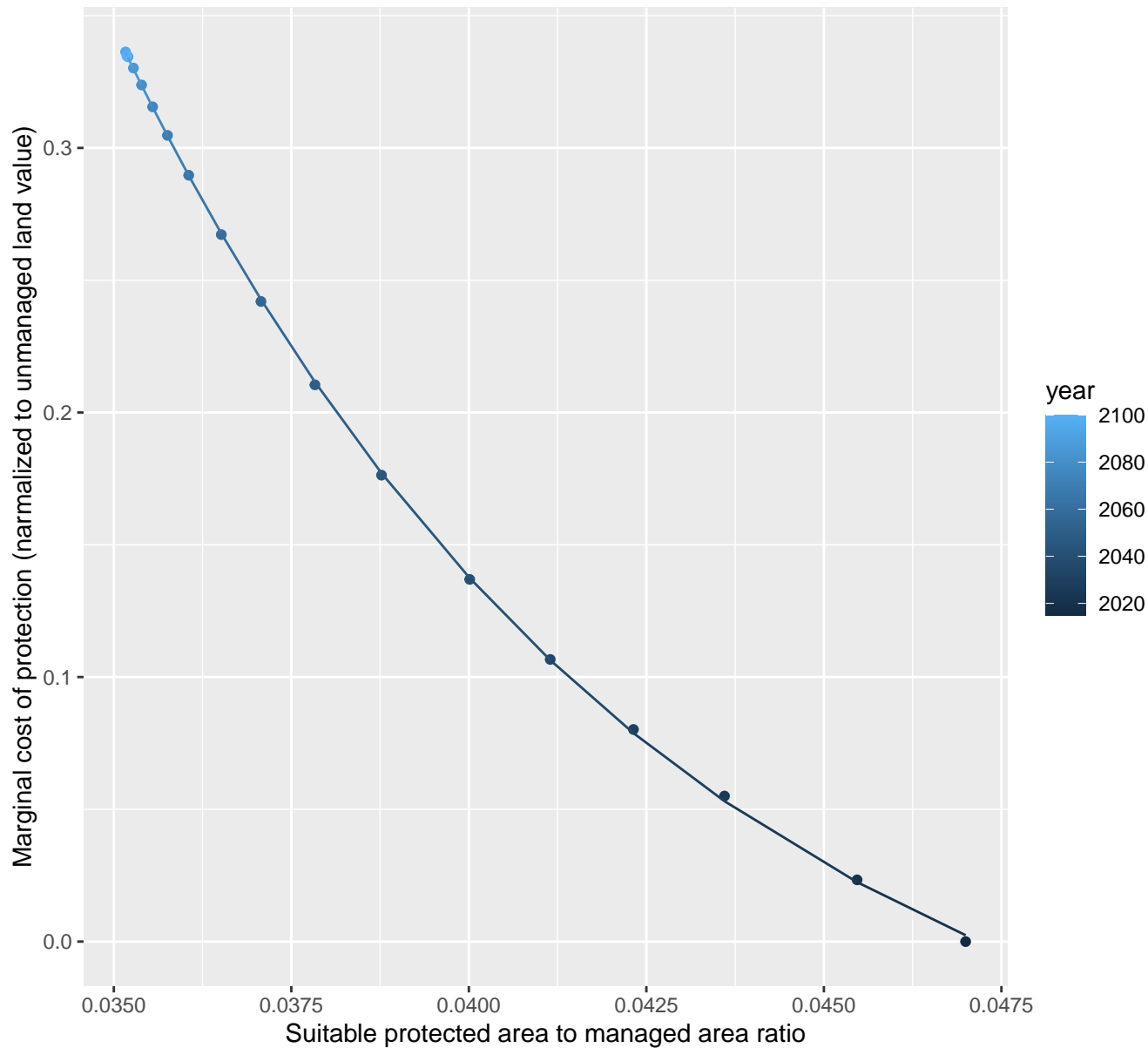
$$y = -0.08 + 40.96 \cdot \exp(-206.92 \cdot x)$$



# 1219 marginal protection cost ratio

nls random pval = 0.14491

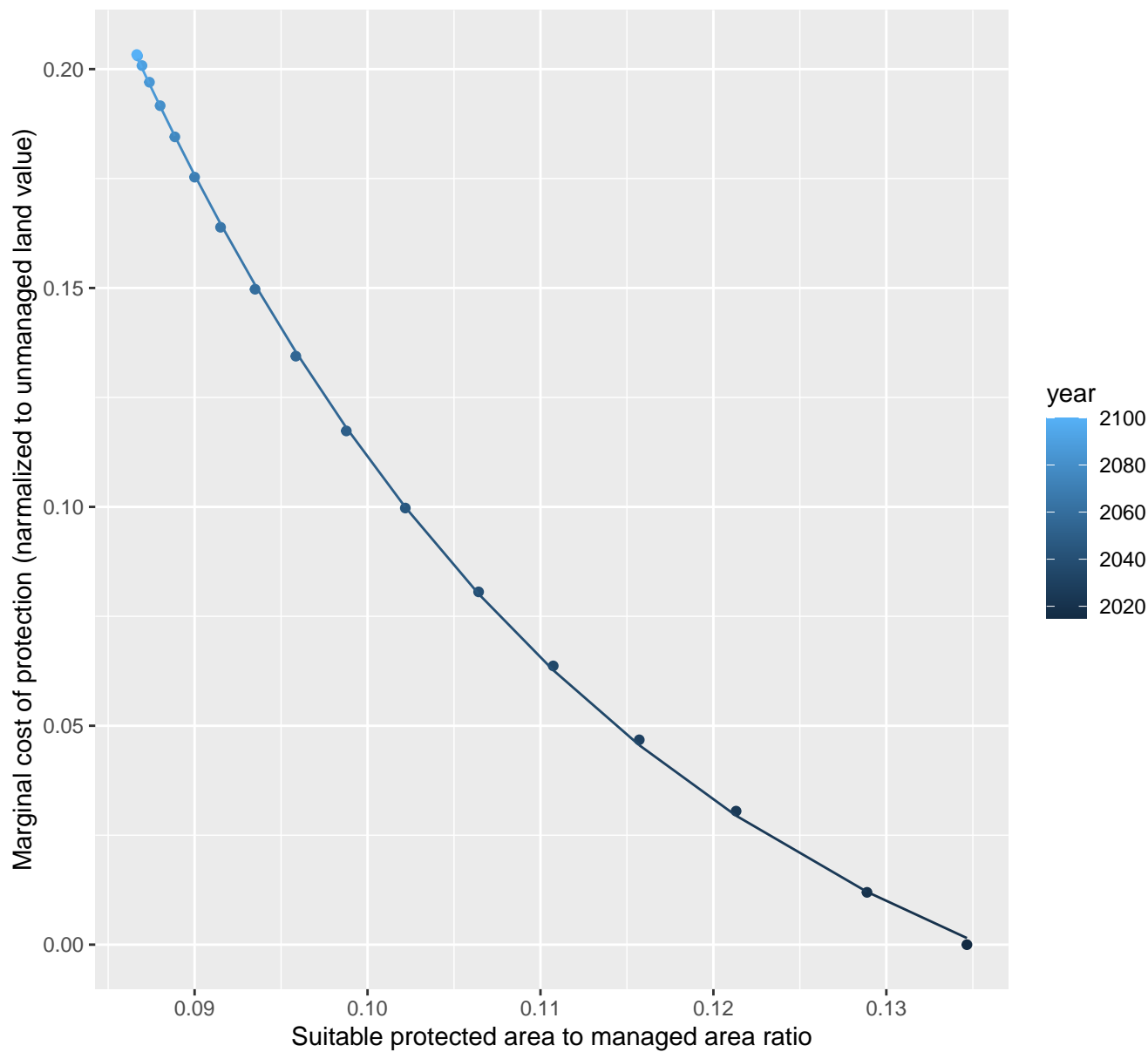
$$y = -0.09 + 41 \cdot \exp(-129.94 \cdot x)$$



# 1220 marginal protection cost ratio

nls random pval = 0.00355

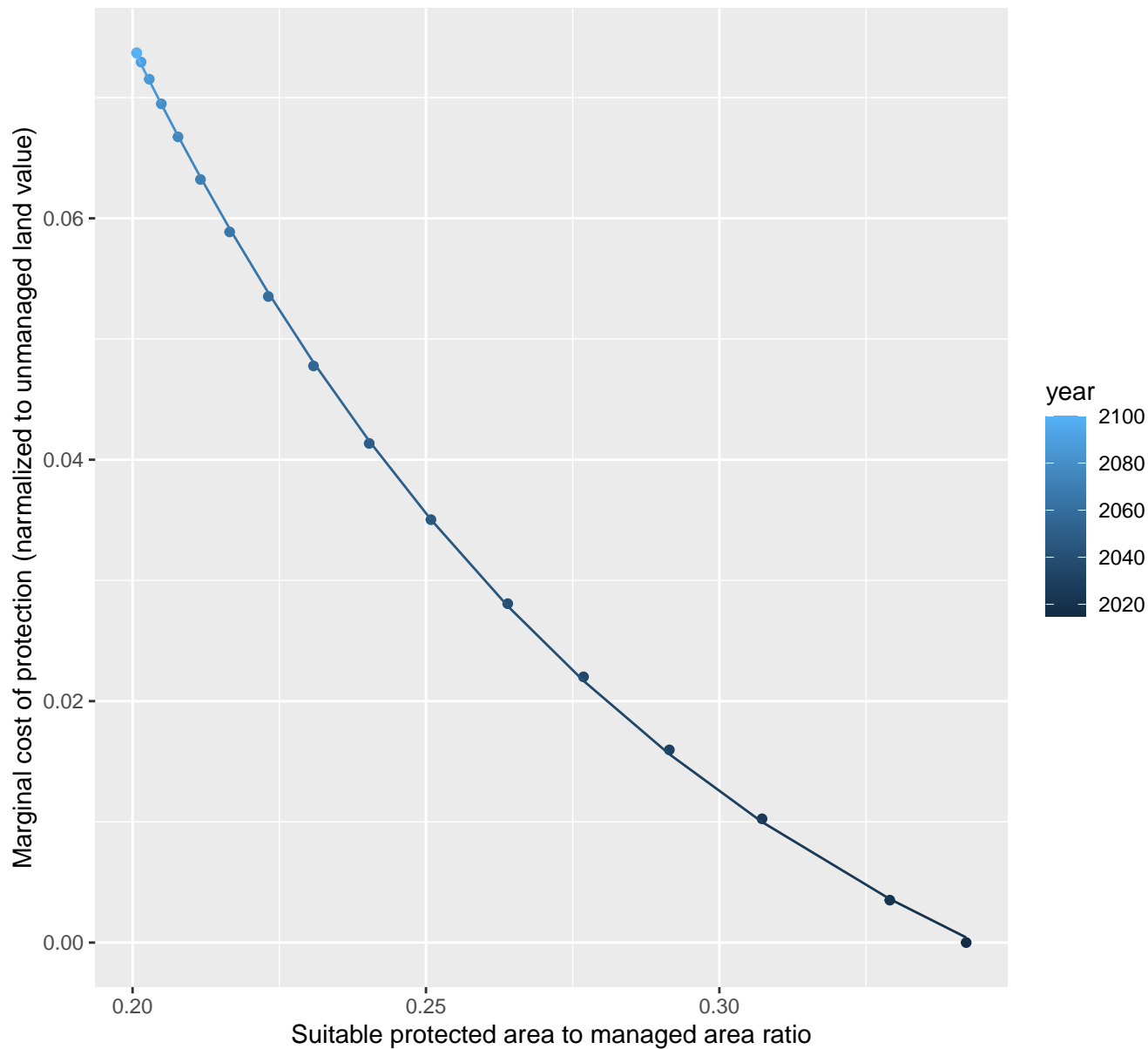
$$y = -0.05 + 4.84 \cdot \exp(-34.22 \cdot x)$$



# 1221 marginal protection cost ratio

nls random pval = 0.00355

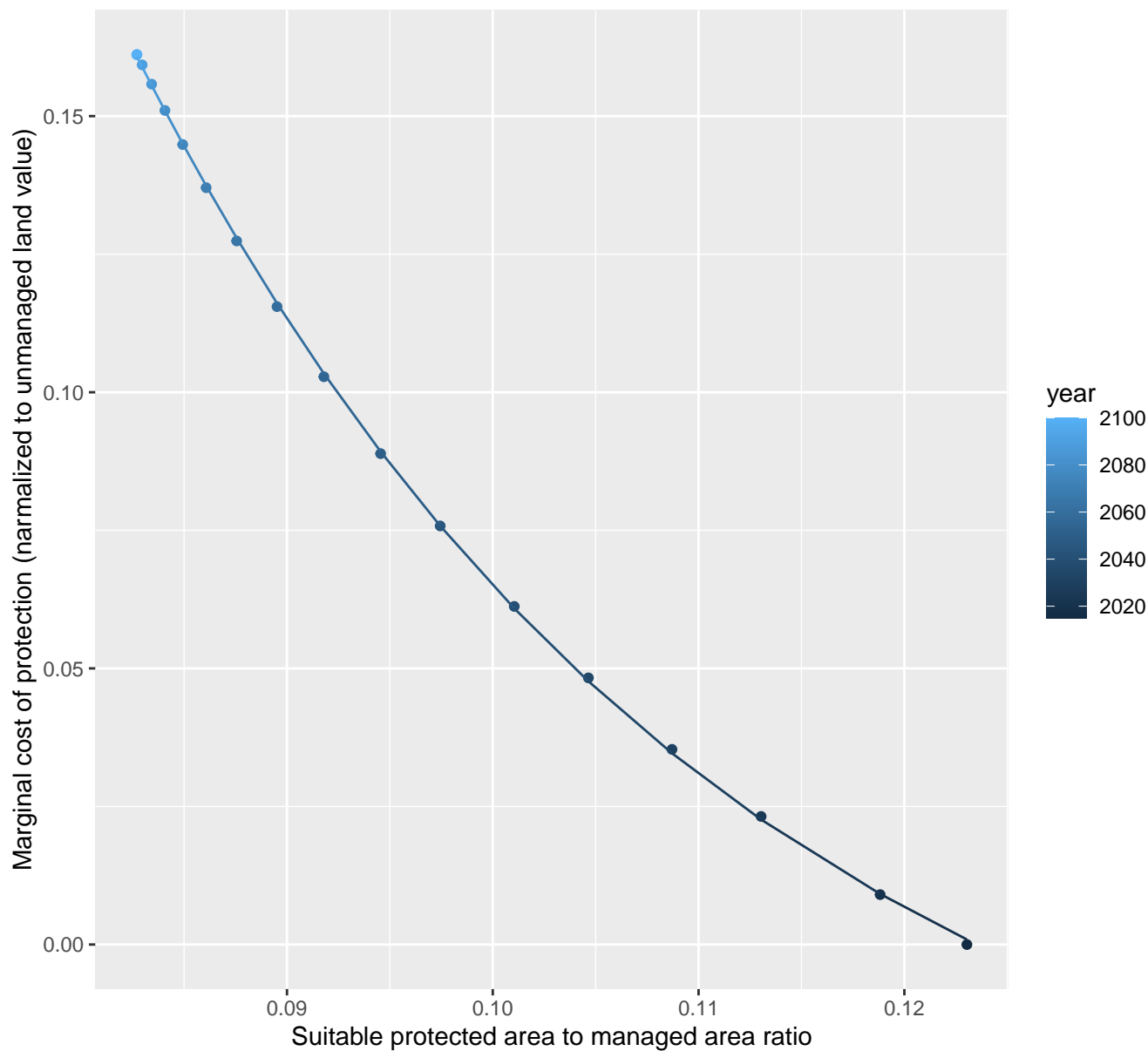
$$y = -0.02 + 0.75 \cdot \exp(-10.31 \cdot x)$$



# 1222 marginal protection cost ratio

nls random pval = 0.00355

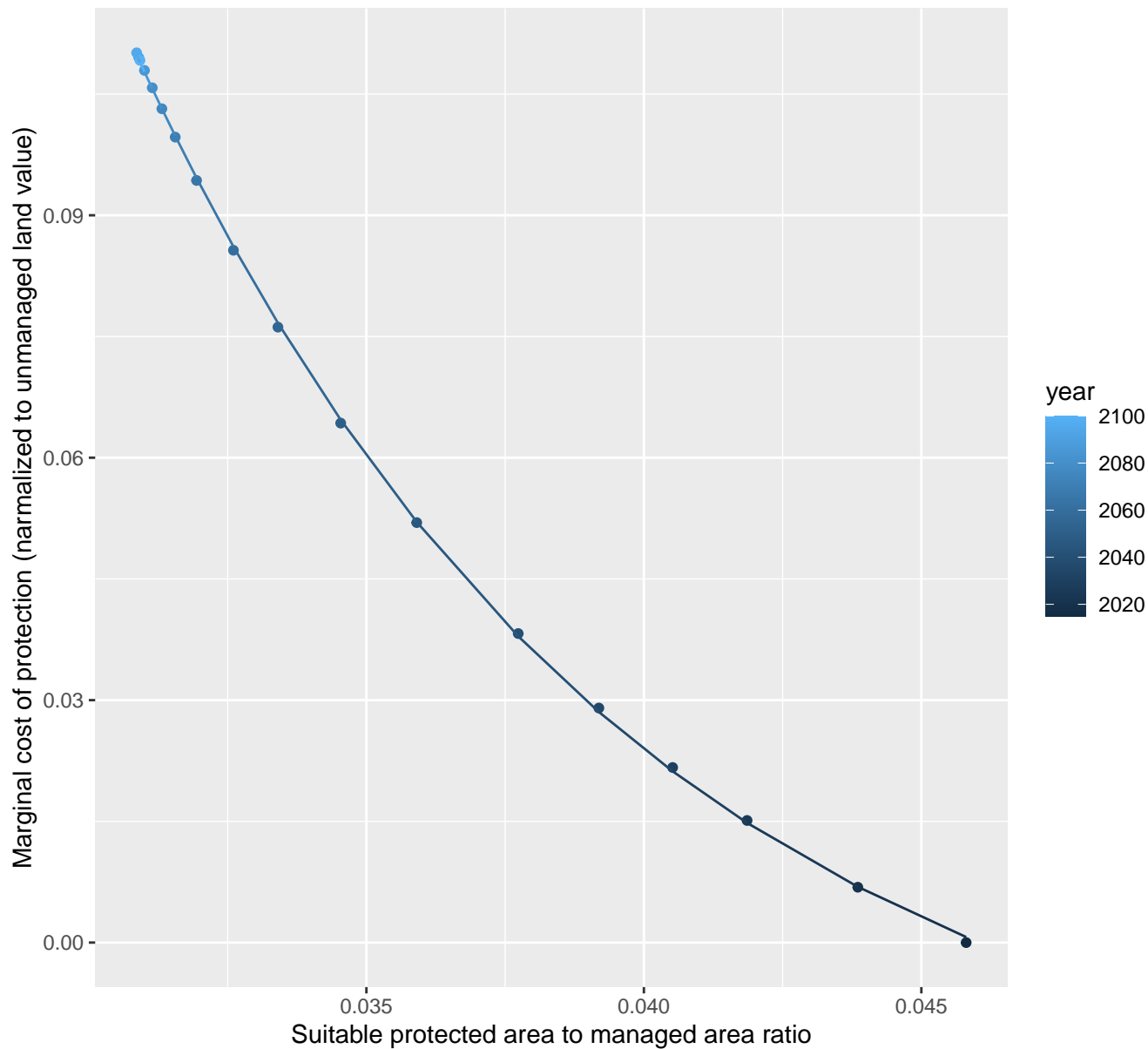
$$y = -0.05 + 3.75 \cdot \exp(-34.71 \cdot x)$$



# 1223 marginal protection cost ratio

nls random pval = 0.00355

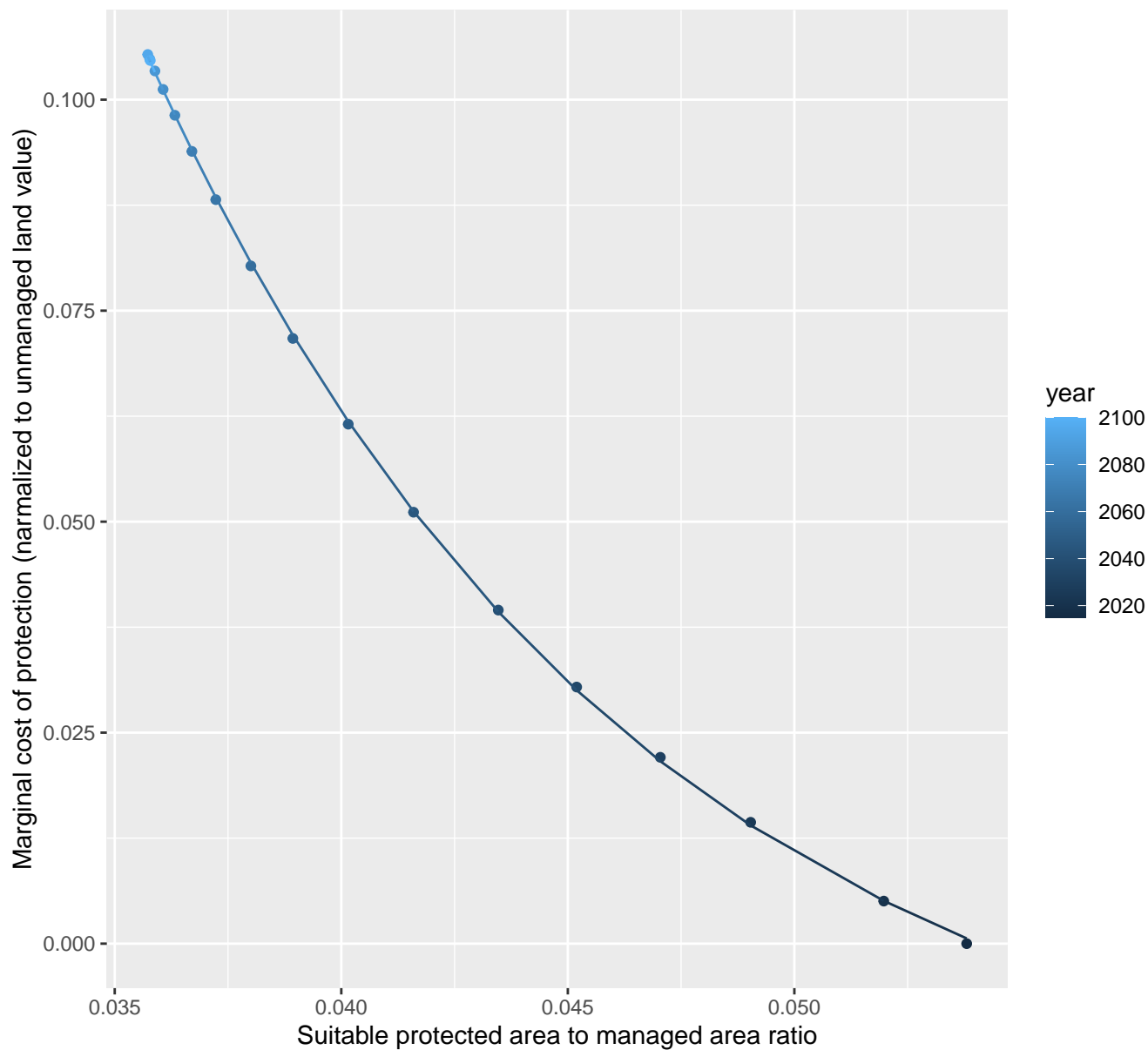
$$y = -0.03 + 4.12 \cdot \exp(-110.83 \cdot x)$$



# 1224 marginal protection cost ratio

nls random pval = 0.00355

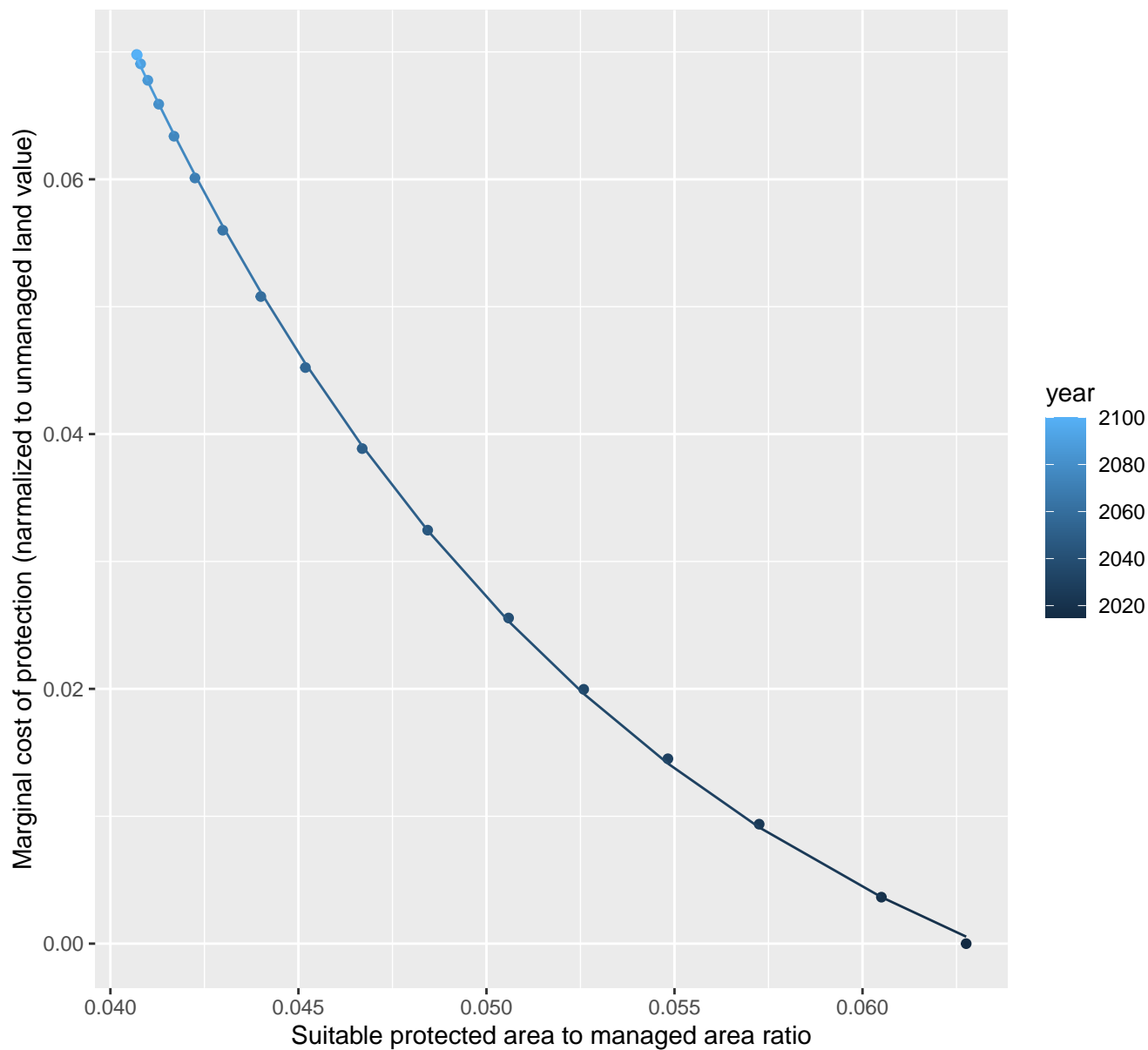
$$y = -0.02 + 3.52 \cdot \exp(-92.6 \cdot x)$$



# 1225 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.02 + 1.64 \cdot \exp(-72.34 \cdot x)$$

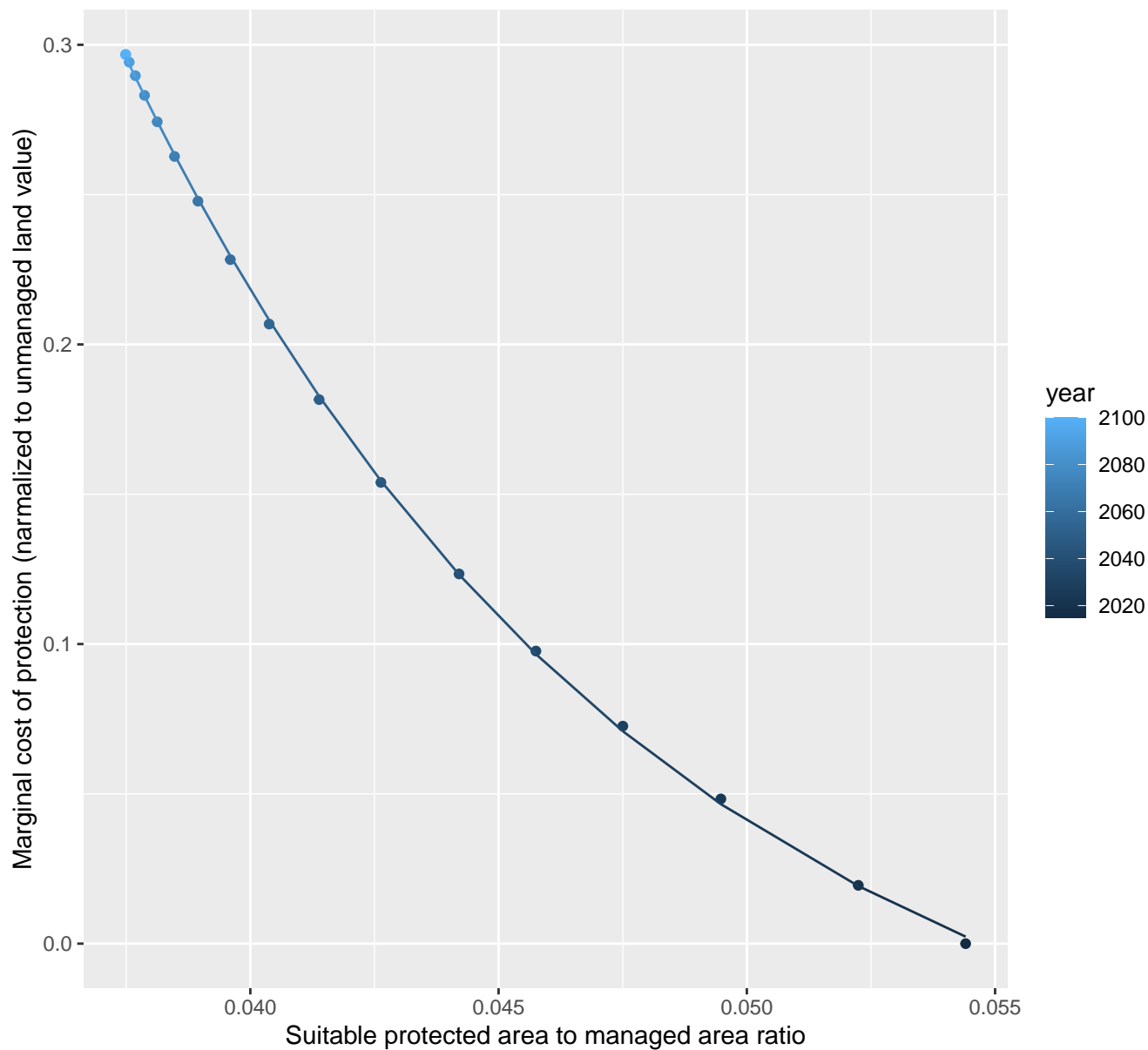




# 1226 marginal protection cost ratio

nls random pval = 0.00355

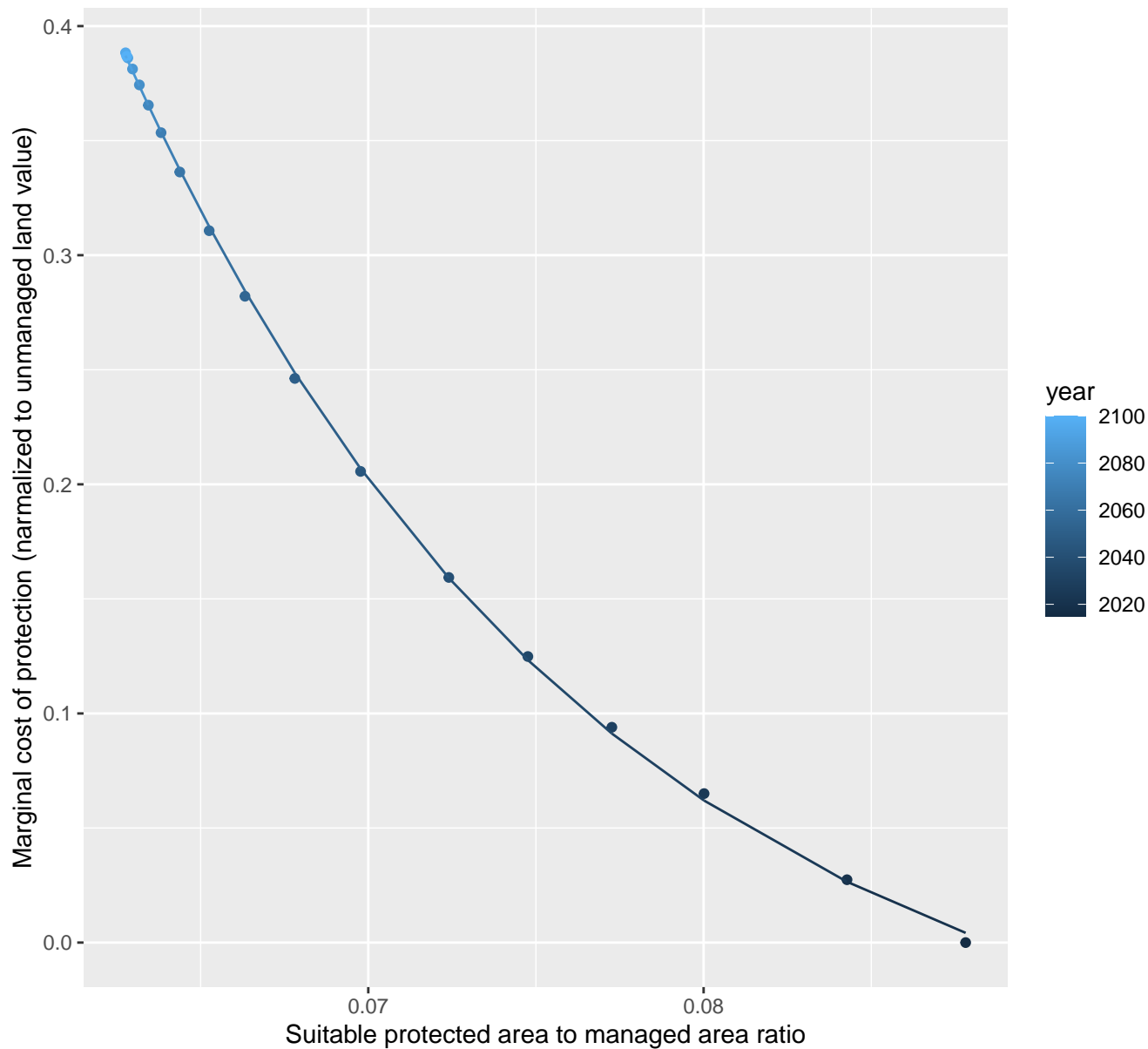
$$y = -0.07 + 12.62 \cdot \exp(-94.26 \cdot x)$$



# 1227 marginal protection cost ratio

nls random pval = 0.00355

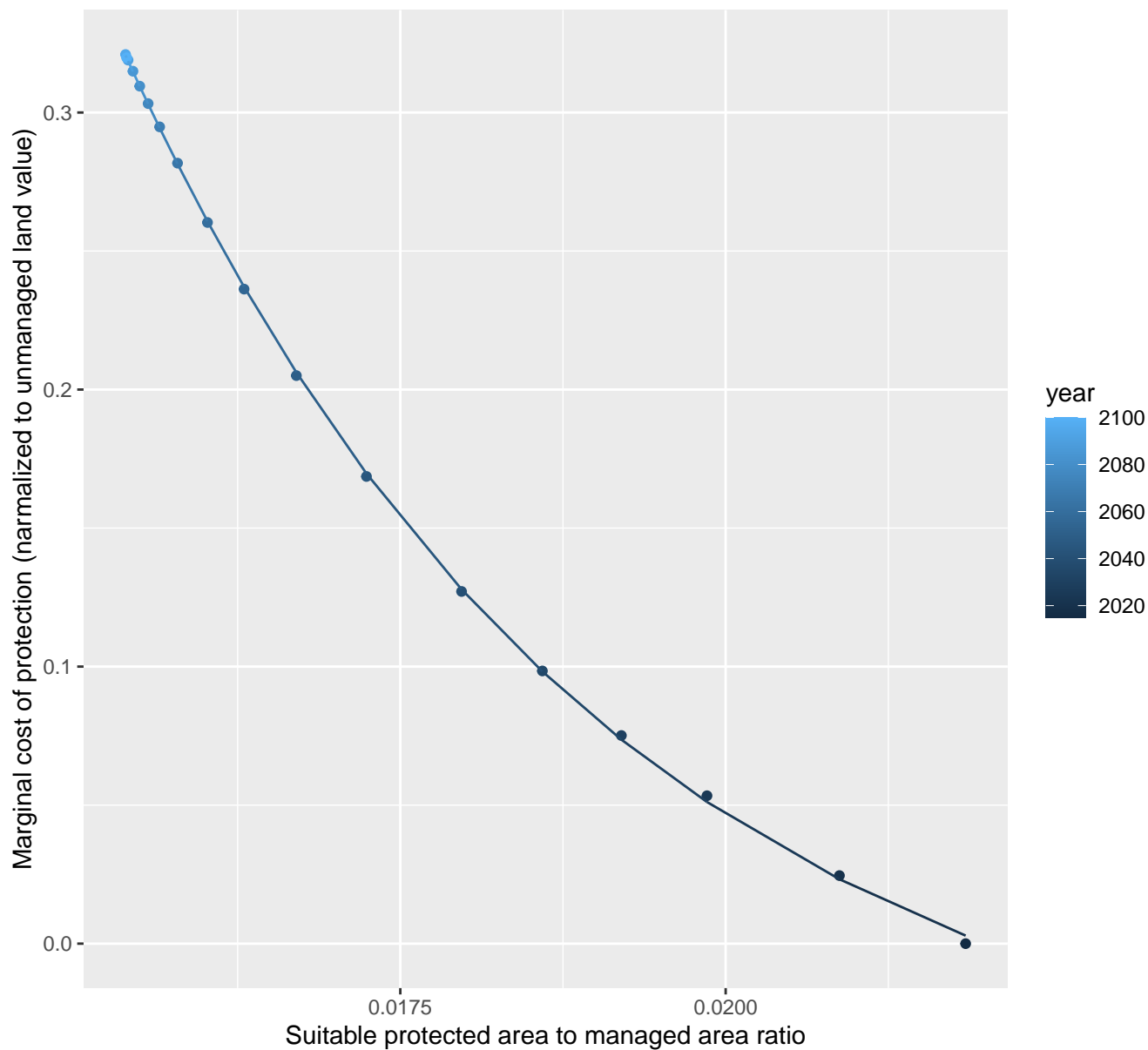
$$y = -0.07 + 38.97 \cdot \exp(-70.69 \cdot x)$$



# 1228 marginal protection cost ratio

nls random pval = 0.14491

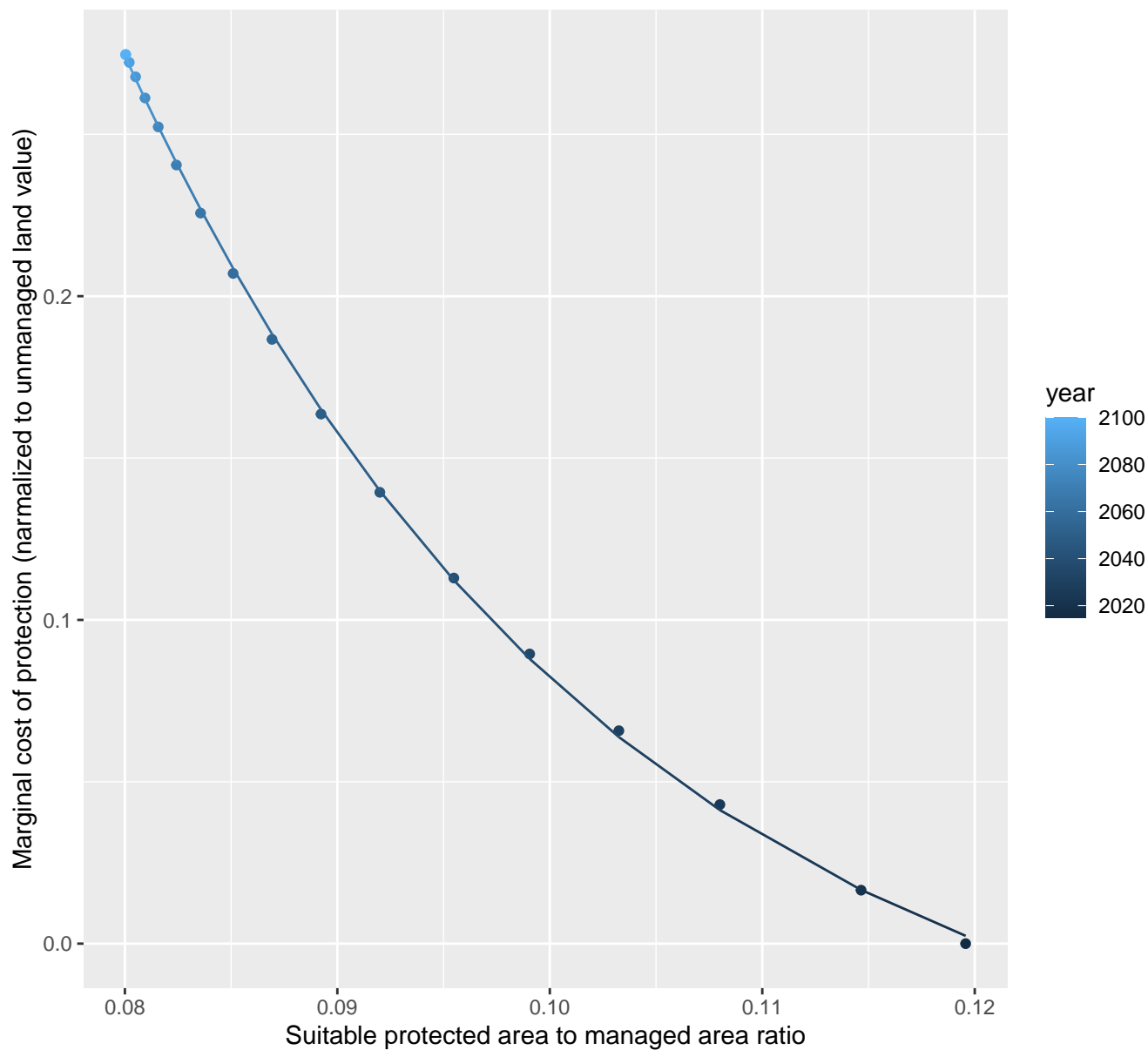
$$y = -0.07 + 23.69 \cdot \exp(-267.45 \cdot x)$$



# 1229 marginal protection cost ratio

nls random pval = 0.00355

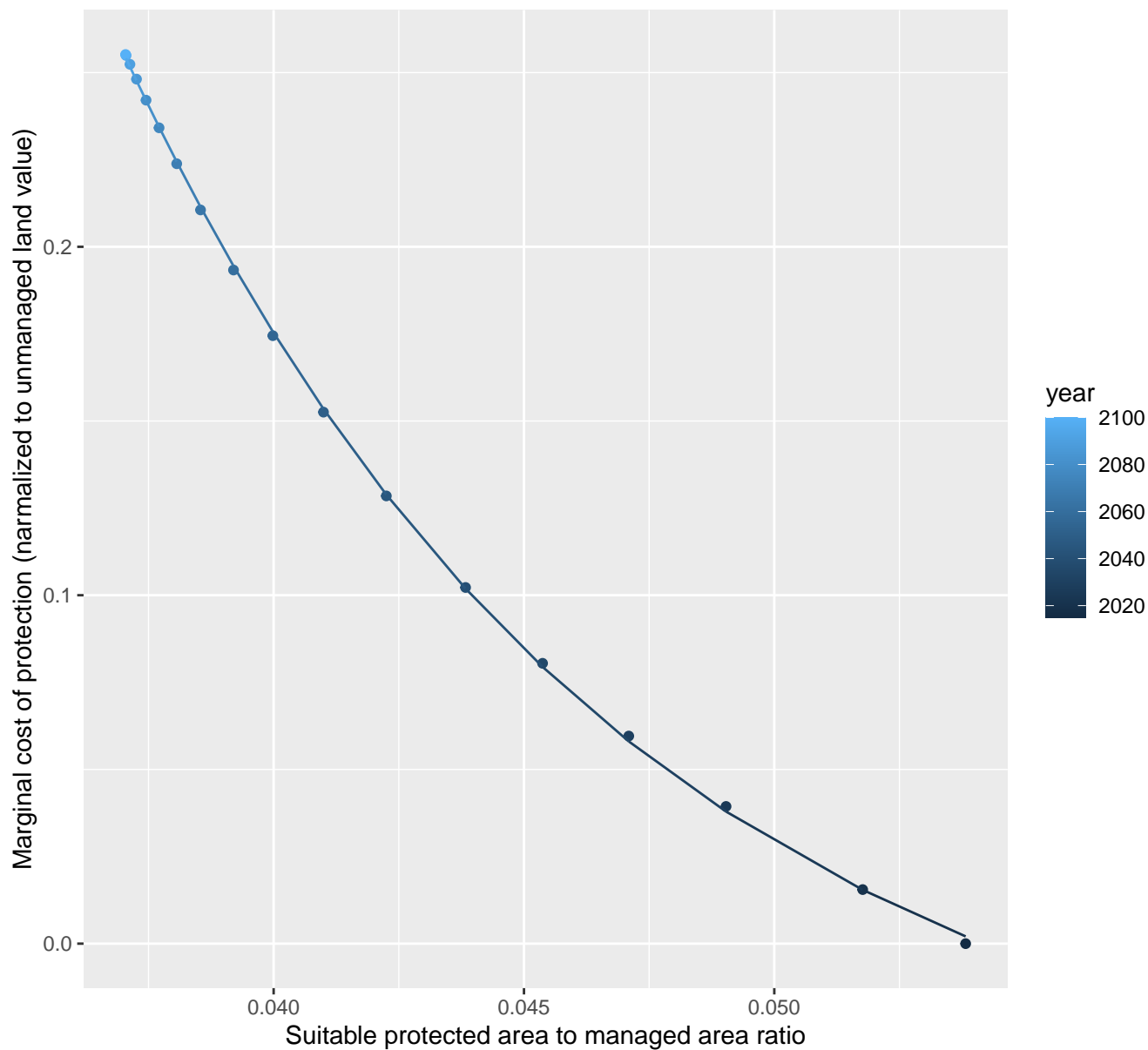
$$y = -0.06 + 10.6 \cdot \exp(-43.31 \cdot x)$$



# 1230 marginal protection cost ratio

nls random pval = 0.00355

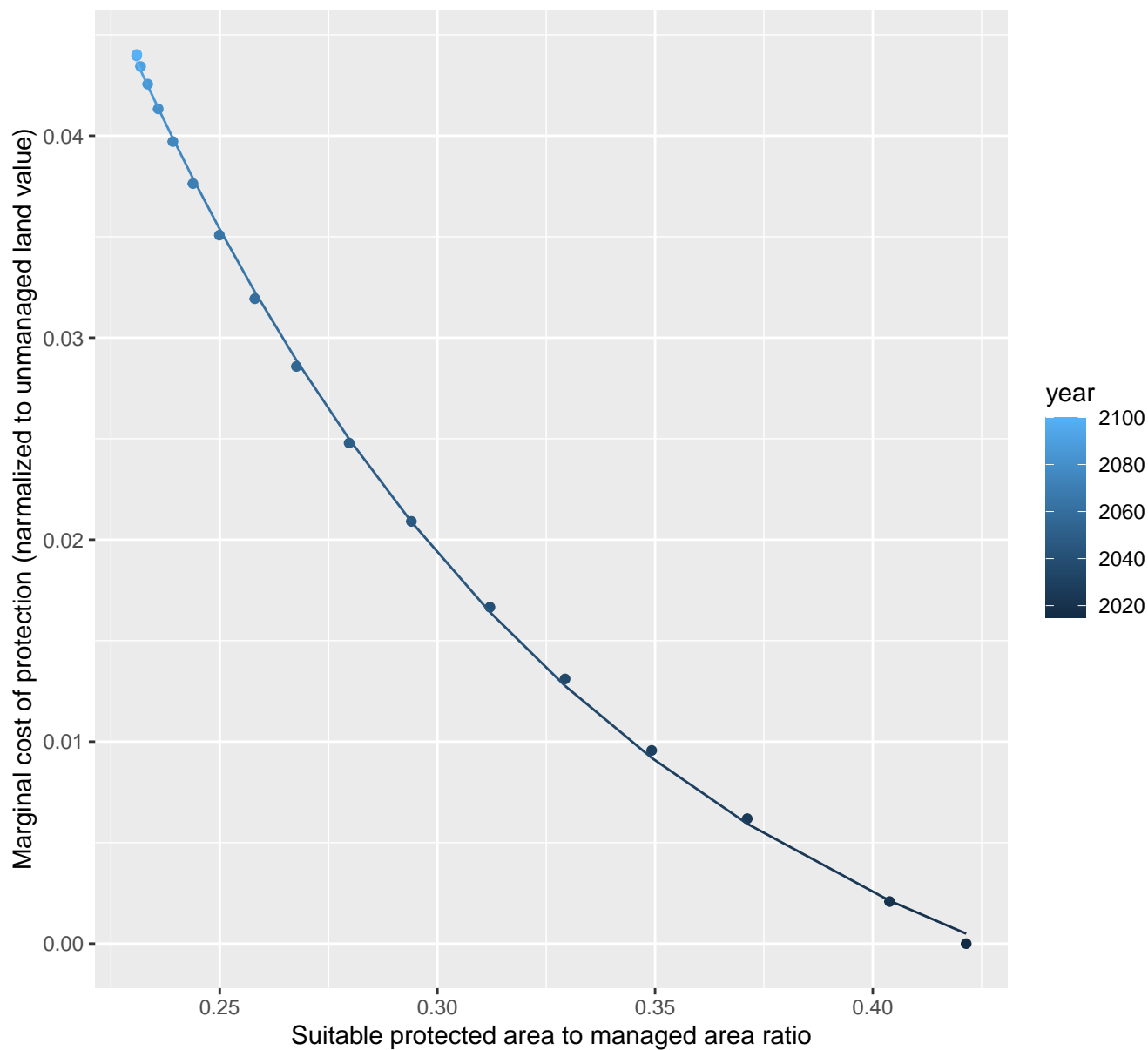
$$y = -0.06 + 12.23 \cdot \exp(-99.09 \cdot x)$$



# 1231 marginal protection cost ratio

nls random pval = 0.00355

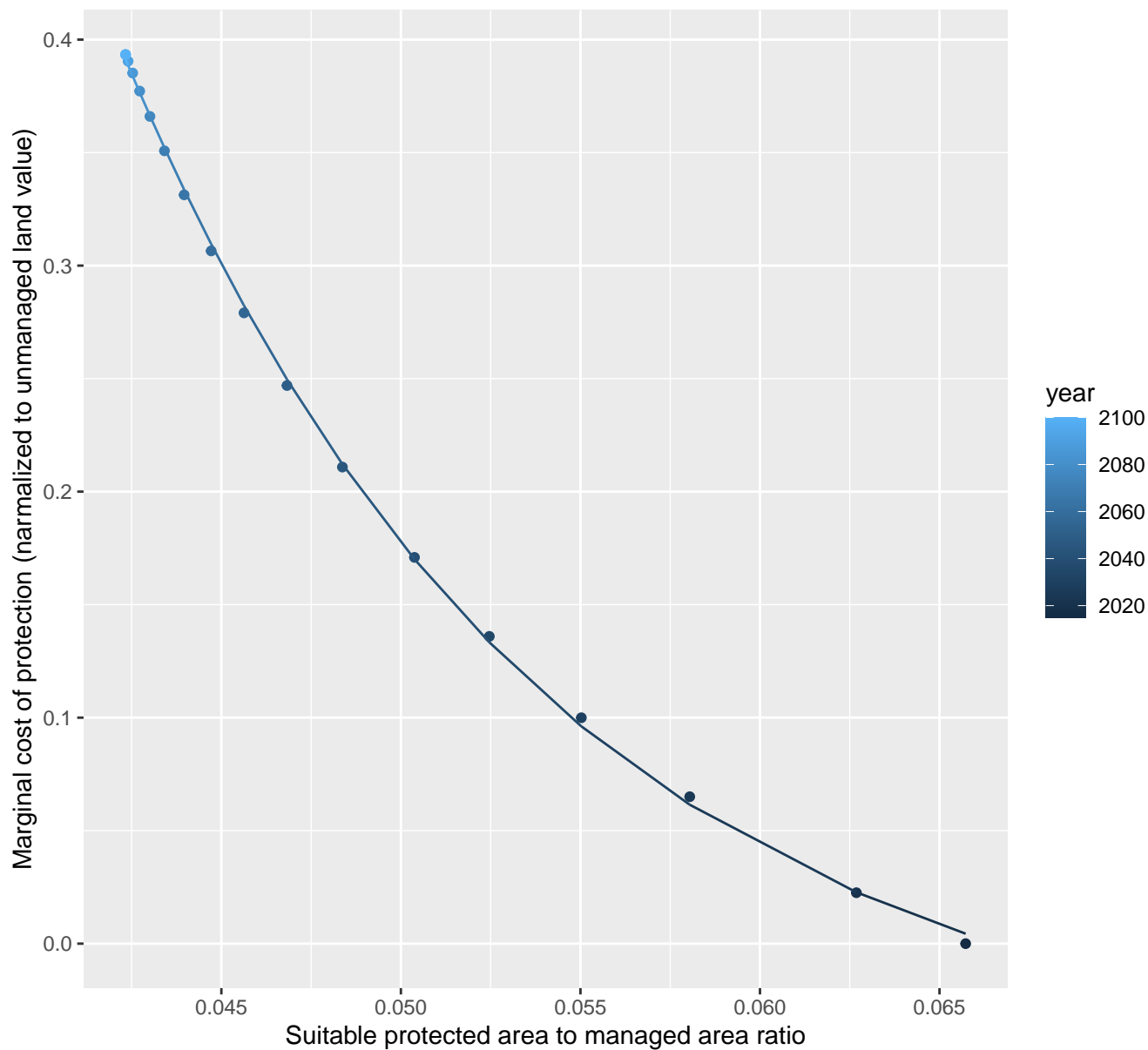
$$y = -0.01 + 0.42 \cdot \exp(-8.96 \cdot x)$$



# 1232 marginal protection cost ratio

nls random pval = 0.00355

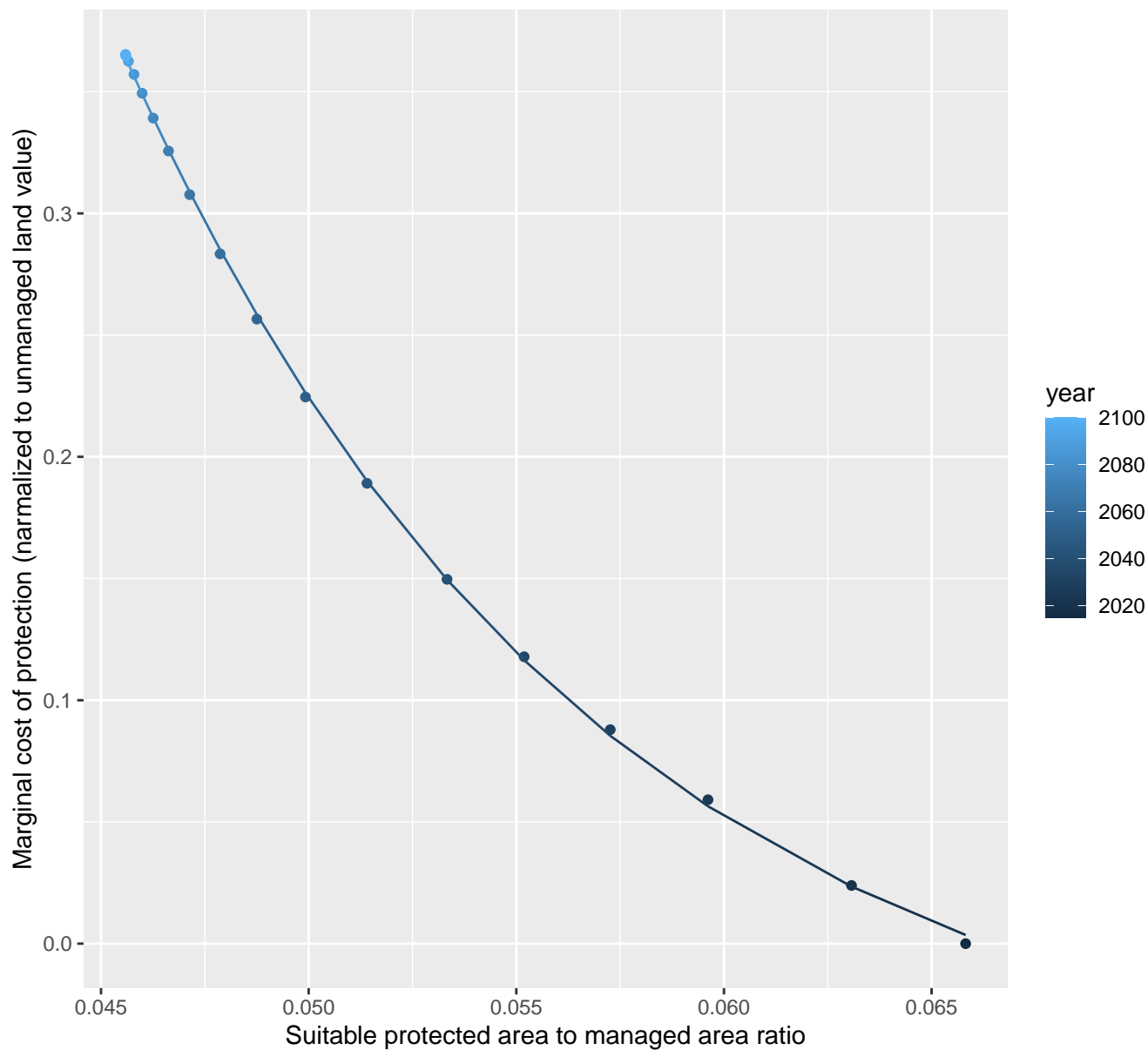
$$y = -0.06 + 15.85 \cdot \exp(-84.15 \cdot x)$$



# 1233 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.07 + 24.4 \cdot \exp(-88.44 \cdot x)$$





# 1234 marginal protection cost ratio

nls random pval = 0.00355

$$y = -0.01 + 0.14 \cdot \exp(-0.59 \cdot x)$$

