# Calculus with Applications (MATH 11A-02F)

#### Question of the Day

What is your favorite film?
What is the best film you've ever seen?
Are they the same?

#### On the Docket

Math vocabulary.

Concept review.

Continuity.

$$B_{t+1} = \gamma \cdot B_t$$

- What is this expression?
- What is  $B_t$ ?
- What is  $B_{t+1}$ ?

- What is  $\gamma$ ?
- What is *t*?

$$B_{t+1} = \gamma \cdot B_t$$

- What is this expression?
- What is  $\gamma$ ?

• What is  $B_t$ ?

■ What is *t*?

■ What is  $B_{t+1}$ ?

$$B(t) = B_0(\gamma)^t$$

- What is this expression?
- What is  $\gamma$ ?

• What is  $B_0$ ?

■ What is *t*?

• What is B(t)?

$$1, 3, 6, 10, 15, 21, \dots$$

- What is this expression?
- What does ... mean?

$$1, 3, 6, 10, 15, 21, \dots$$

What is this expression?

■ What does ... mean?

$$1+2+3+4+5+6+\cdots+n$$

- What is this expression?
- What does · · · mean?
- What are the partial sums? What does n mean?

$$1, 3, 6, 10, 15, 21, \dots$$

What is this expression?

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$$1+2+3+4+5+6+\cdots+n$$

- What is this expression?
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- What are the partial sums? What does n mean?

These are the "triangle numbers." Why?



### Concept Review

#### Activity 1

Write a recurrence relation. Your relation should

- 1. Model some real world behavior.
- 2. Have initial value(s) and a formula for the next value.

Once it is written, calculate the next value for at least two steps.

### Concept Review

#### Activity 1

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- 1. Model some real world behavior.
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Once it is written, calculate the next value for at least two steps.

#### Activity 2

Find a closed form for your relation from Activity 1.

Check to see that it fits your previous calculations.

### Concept Review

#### Three Possibilities for Limits

A limit may get "arbitrarily close" to some real number c.

$$\lim_{t\to\infty}=c$$

A limit may become "arbitrarily large" (or small).

$$\lim_{t\to\infty}=\pm\infty$$

A limit may simply not exist.

### Activity 3

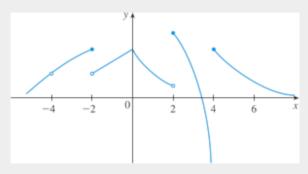
Give an example (by description, graph or formula) of

- 1. A limit which approaches some number c.
- 2. A limit which tends to positive or negative infinity.
- 3. A limit which does not exist.



# Continuity

Consider the following graph.



What is the graph doing

- At -4?
- At -2?
- At 0?

- At 2?
- At 4?