

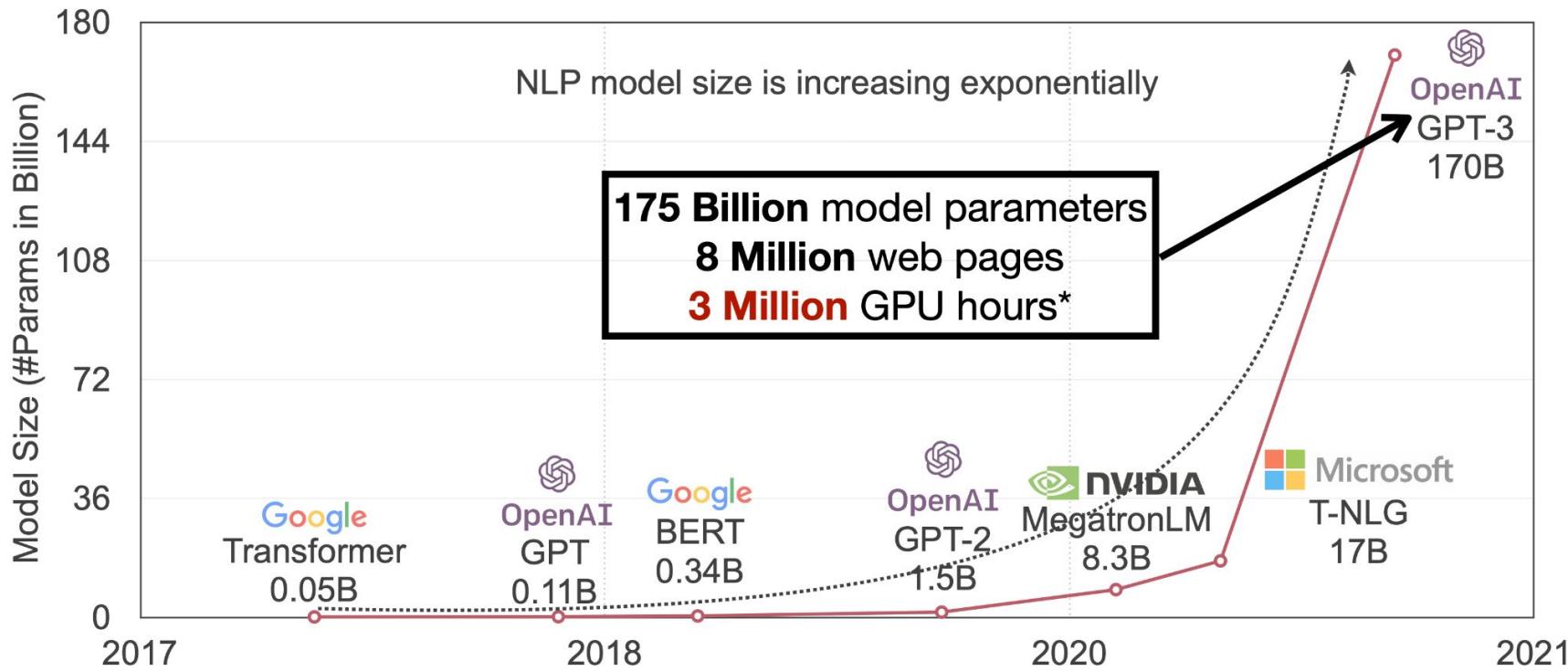
Model Efficiency



Tianjian Li
NLP: Self-Supervised Learning
Apr 11, 2024

Motivation: Our Models are Getting Larger and Larger

Figure Credit: Song Han (MIT)



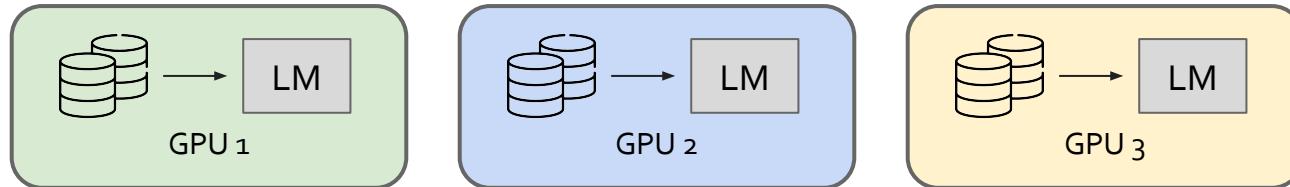
Motivation: How much memory do we need?

Model	Inference Memory
T5-11B	176GB
OPT-66B	1056GB
BLOOM 176B	2800GB

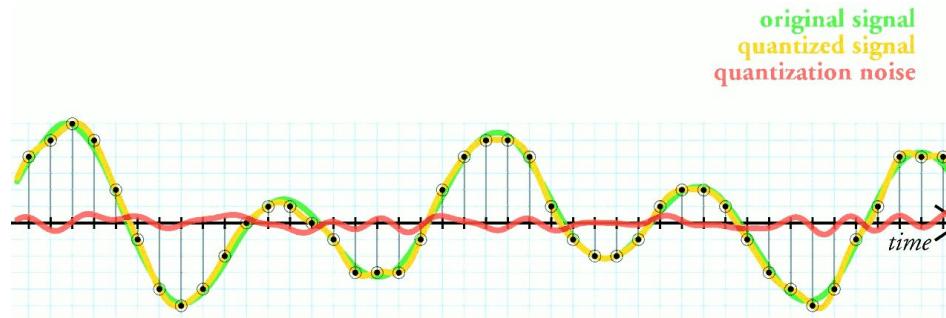
Training/Fine-tuning can take 8x as much memory
The memory requirements makes the cost of running these large models prohibitive!

Topics Today

- Distributed Training



- Compression (Pruning, Distillation, Quantization)

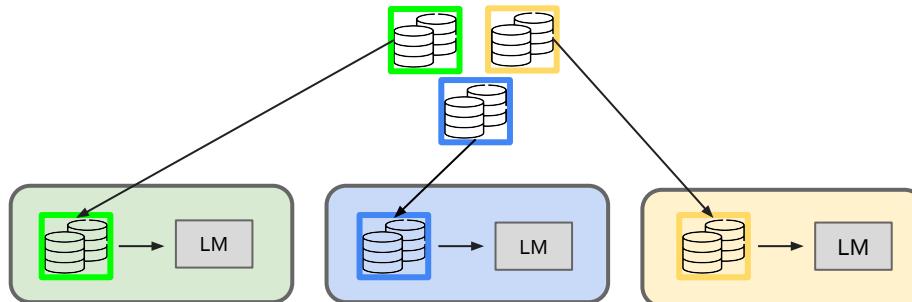


Distributed Training

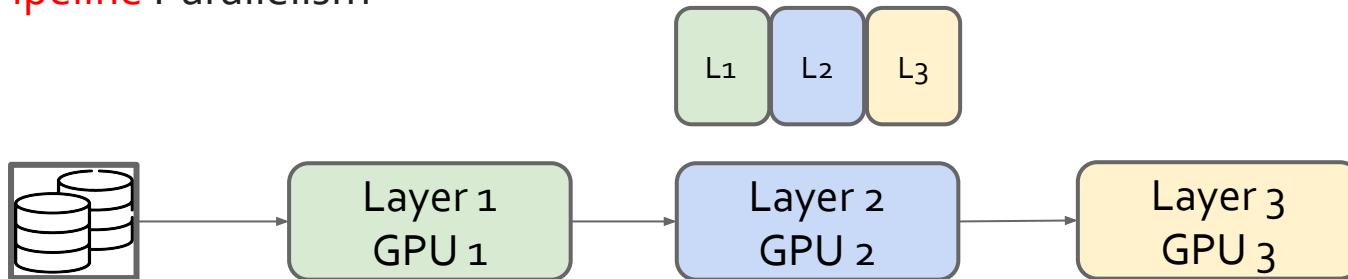
Training Large Models on Multiple GPUs

Distributed Training: An Overview

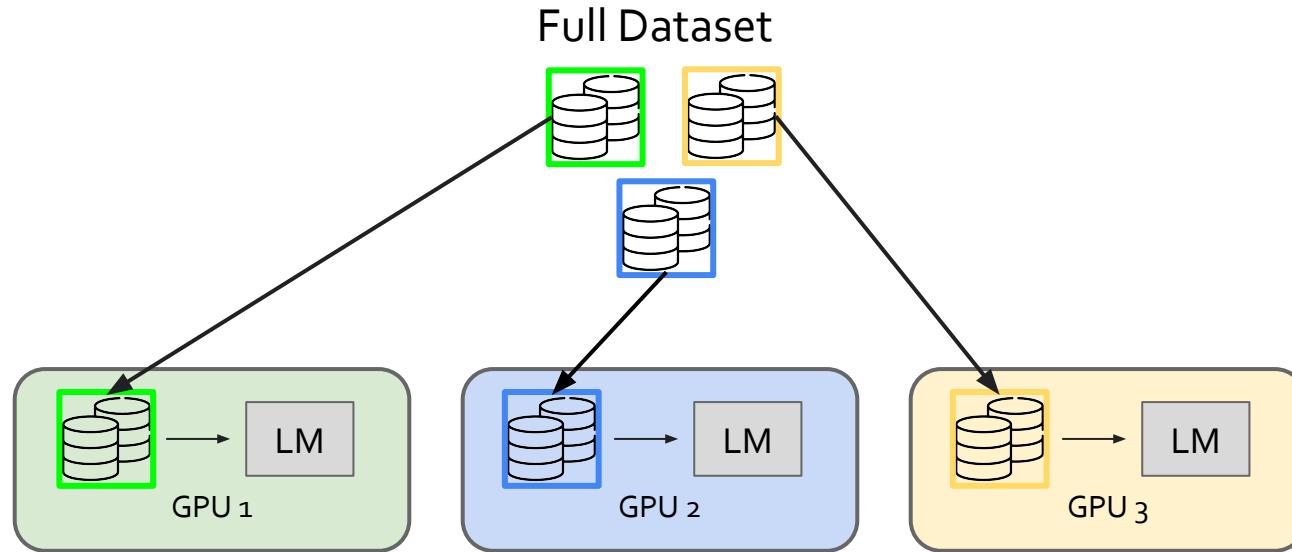
- **Data Parallelism**



- **Pipeline Parallelism**

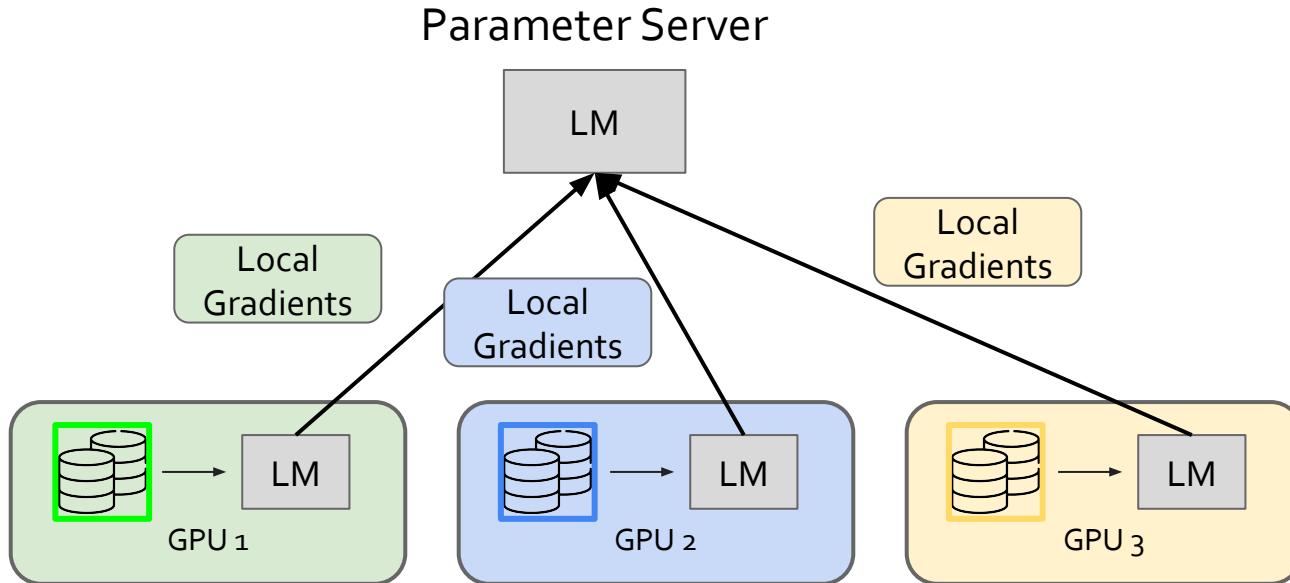


Data Parallelism: Shard Data



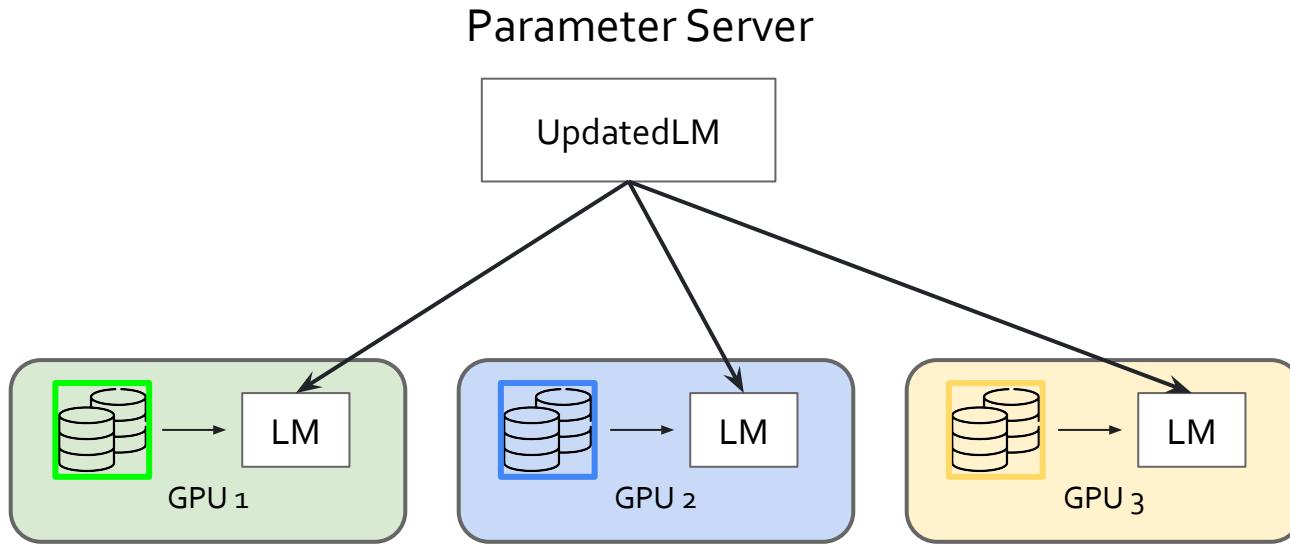
Step 1: Shard the dataset into pieces and feed them separately into different GPUs

Data Parallelism: Aggregate Gradients



Step 2: Each gpu sends it gradients to a main process to aggregate.

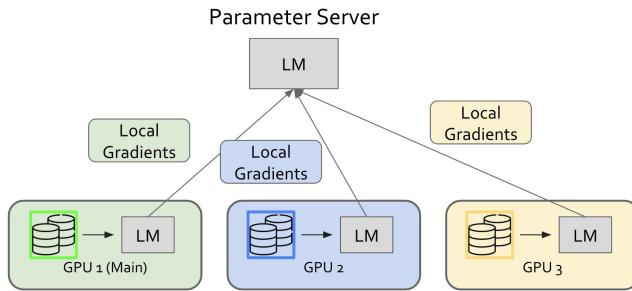
Data Parallelism: Update Weights



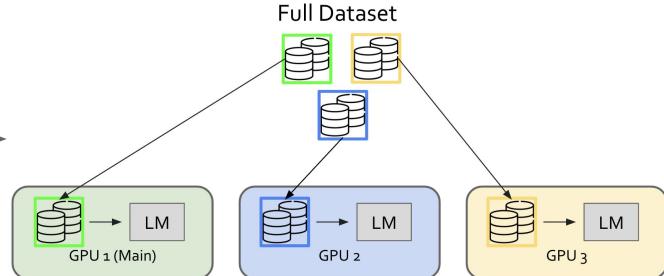
Step 3: The GPU server performs the gradient updates,
then replicates the updated weights to each GPU.
In practice, the parameter server is often the first GPU.

Data Parallelism: All Together

Step 1: Data Sharding



Full Dataset

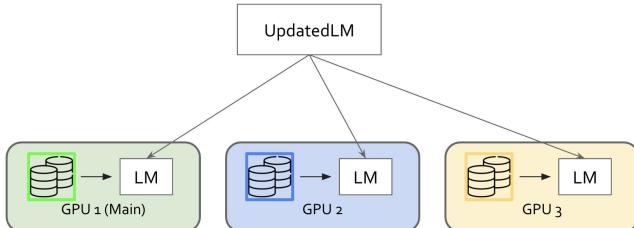


Step 2: Gradient Aggregation

Step 3: Update and Replicate



Parameter Server



Data Parallelism: Use it yourself!

In train.py

```
>>> torch.distributed.init_process_group(  
>>>     backend='nccl', world_size=N, init_method='...'  
>>> )  
>>> model = DistributedDataParallel(model, device_ids=[i], output_device=i)
```

Launch script example (Using 2 GPUs)

```
CUDA_VISIBLE_DEVICES=0,1 python -m torch.distributed.launch --nproc_per_node=2 train.py
```

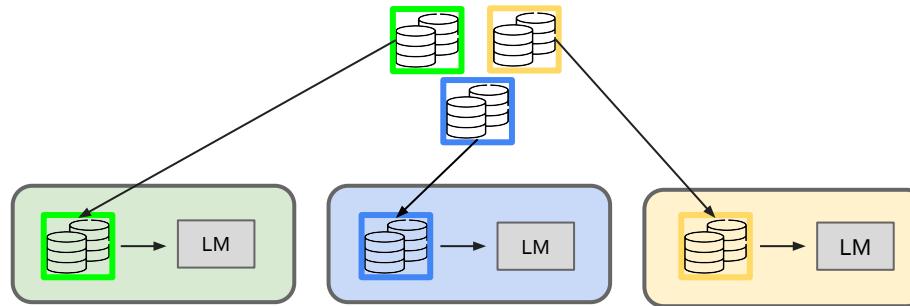
Specifies which GPUs are available

Total number of GPUs to use

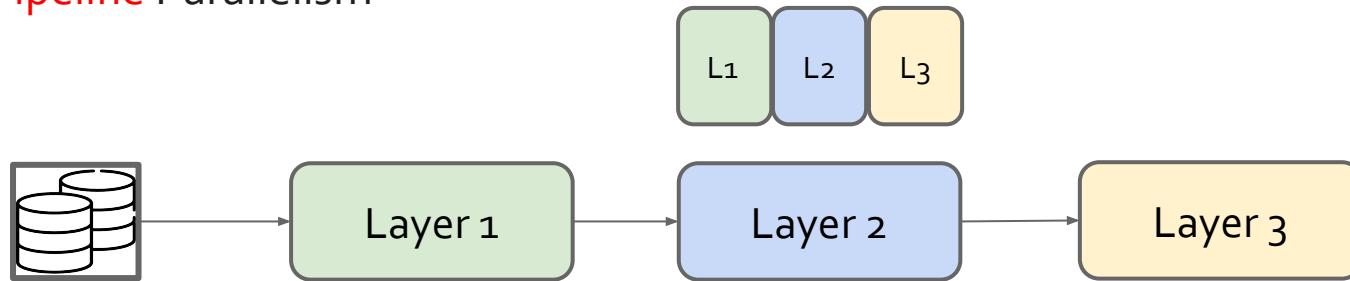
This only works if the dataset is too large - but what if the model is too large?

Distributed Training: An Overview

- Data Parallelism



- Pipeline Parallelism

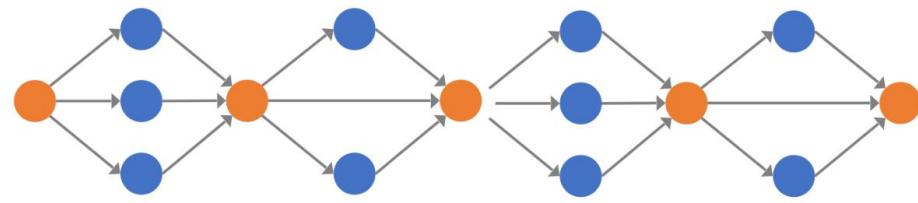


Pipeline Parallelism

Figure Credit: Song Han (MIT)

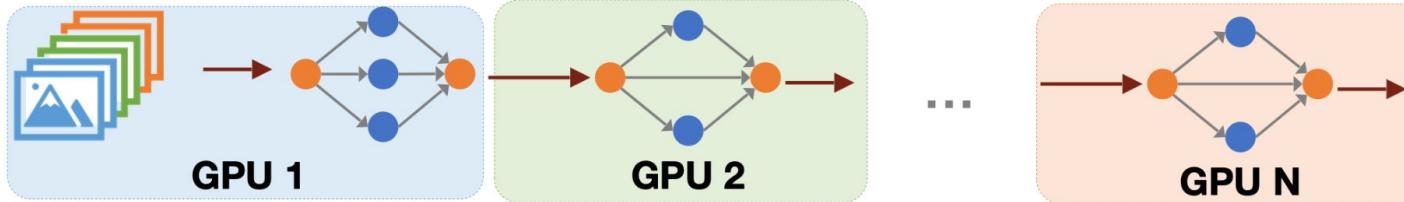


Training Dataset



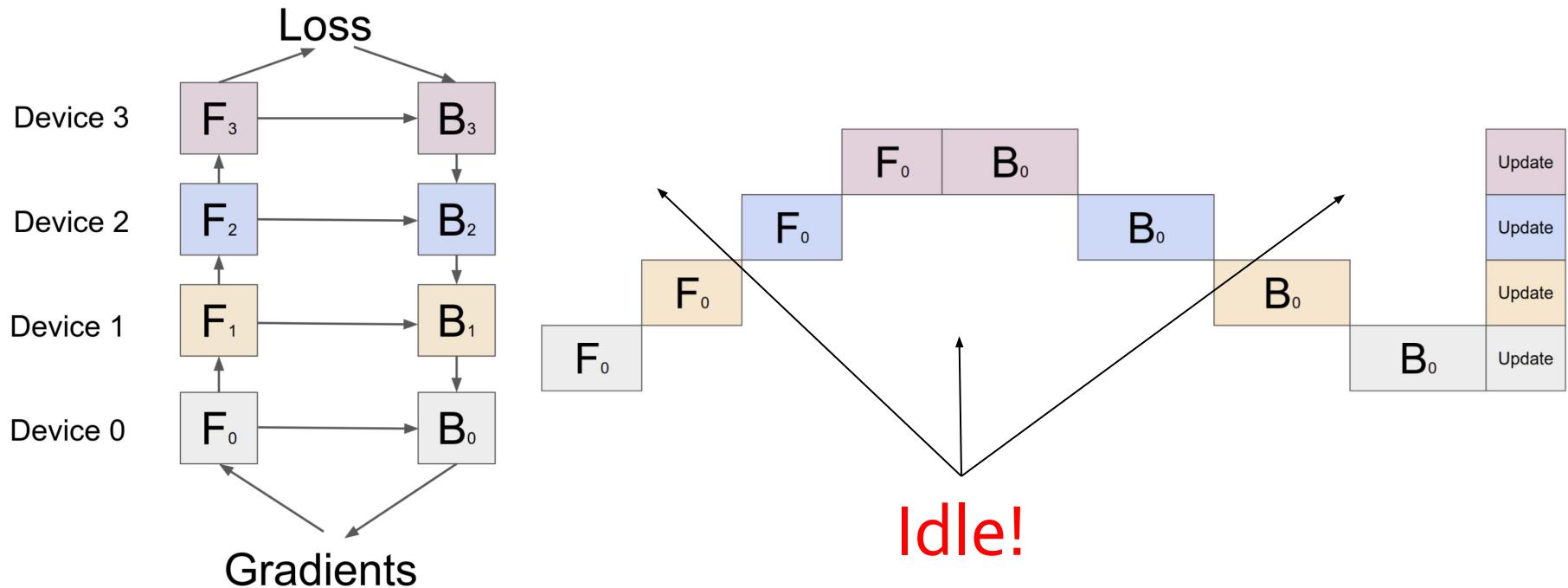
ML Model

Splitting the model (instead of the data) into multiple GPUs



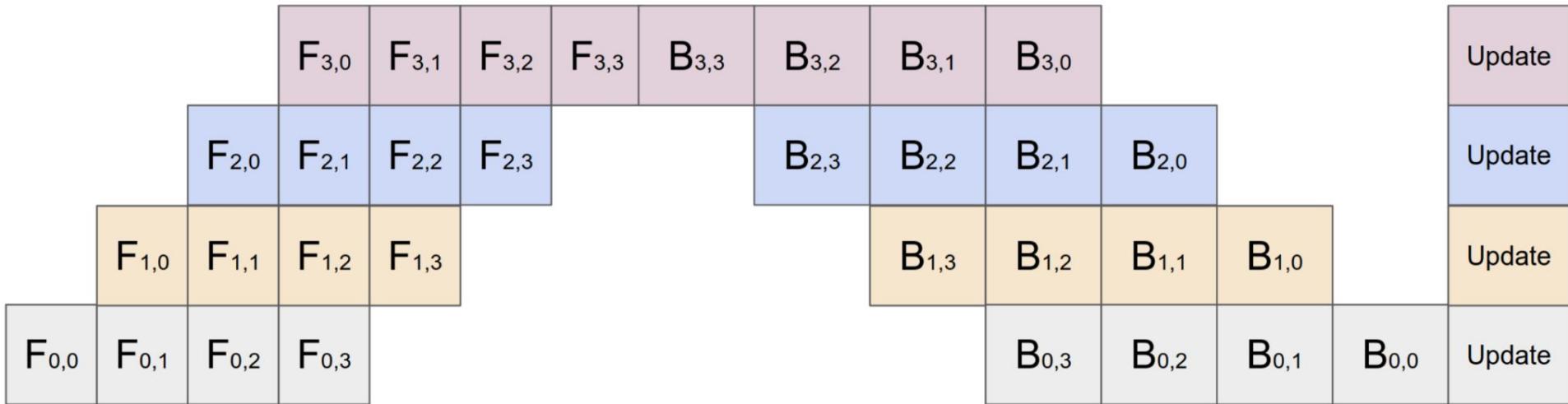
Pipeline Parallelism: Naive Implementation

GPUs are idle most of the time!



Pipeline Parallelism: Solution

Splitting data into mini-batches



(32, 128, 768) \longrightarrow (8, 128, 768), (8, 128, 768), (8, 128, 768), (8, 128, 768)

Smaller mini-batches \neq Faster Training (Due to inter-gpu communication)

Pipeline Parallelism: Use it yourself!

You can map layers to specific GPUs:

```
>>> # Build pipe.  
>>> fc1 = nn.Linear(16, 8).cuda(0)  
>>> fc2 = nn.Linear(8, 4).cuda(1)  
>>> model = nn.Sequential(fc1, fc2)  
>>> model = Pipe(model, chunks=8)  
>>> input = torch.rand(16, 16).cuda(0)  
>>> output_rref = model(input)
```

Again, if you are launching with multiple GPUs:

```
CUDA_VISIBLE_DEVICES=0,1 python -m torch.distributed.launch --nproc_per_node=2 train.py
```

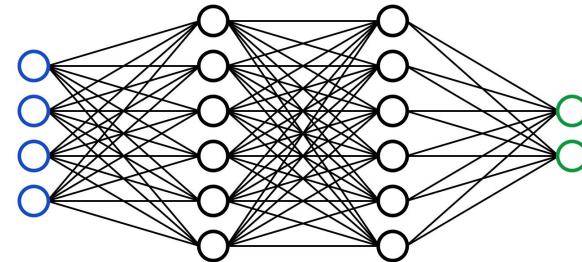
Where Did All the Memory Go?



GPT-2
1.5B params



FP 16
3GB memory

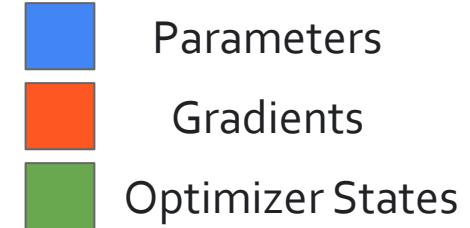
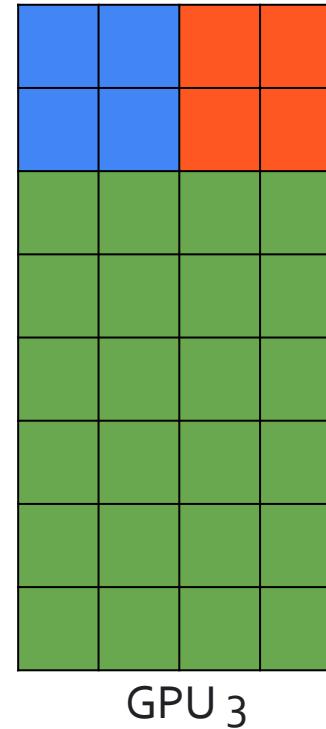
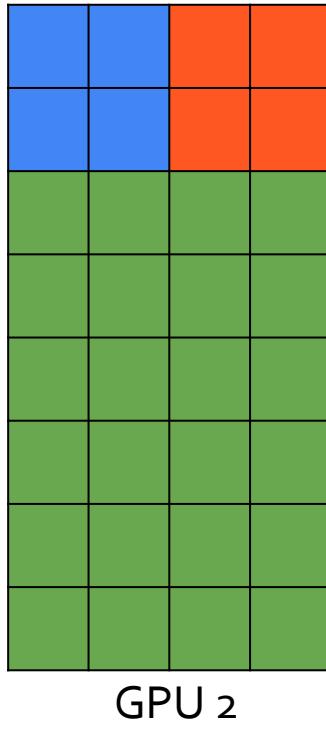
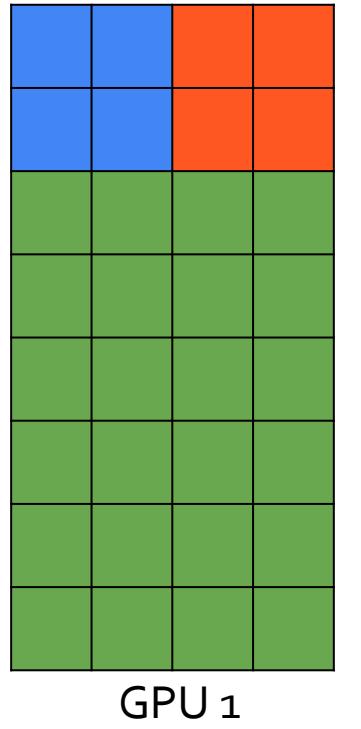


Training
 > 32 GB memory

Most of the memory are occupied by optimizer states.

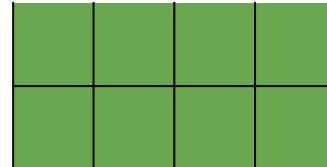
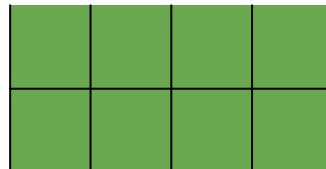
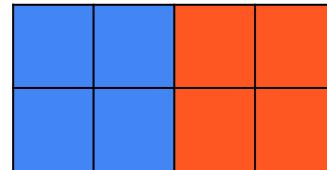
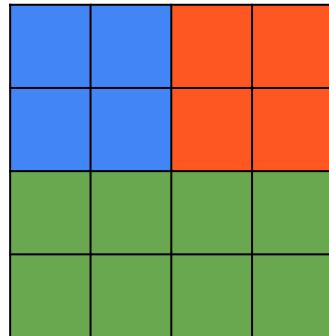
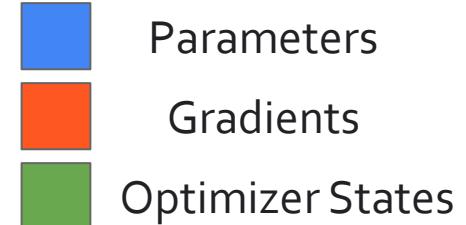
Some are also occupied by *residual states*: activations, buffers and fragmented memory

The ZeRO Optimizer



Total Memory for a
7.5B model with adam
optimizer
= 120GB (Each)

Stage 1: Shard Optimizer States



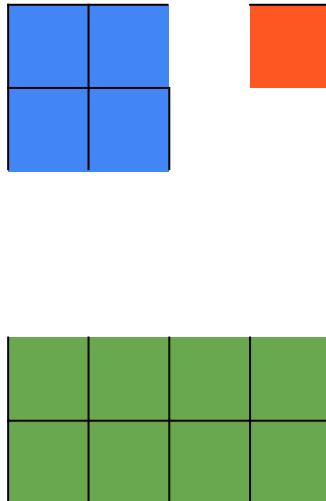
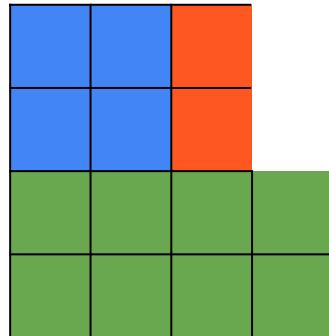
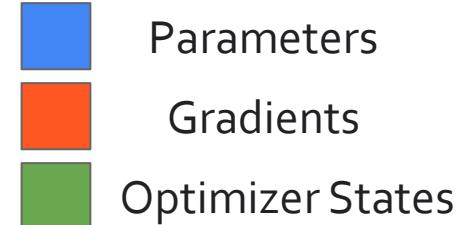
Total Memory for a
7.5B model with adam
optimizer
= 54.8GB (each)

GPU 1

GPU 2

GPU 3

Stage 2: Shard Optimizer + Gradients



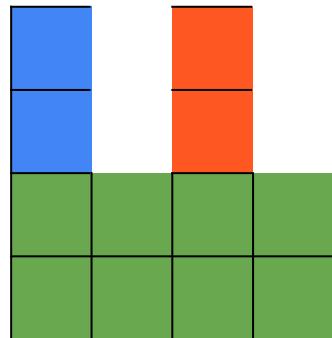
GPU 1

GPU 2

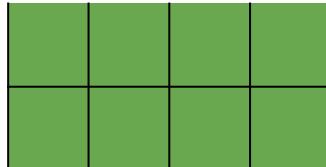
GPU 3

Total Memory for a
7.5B model with
adam optimizer
= 47.9GB (each)

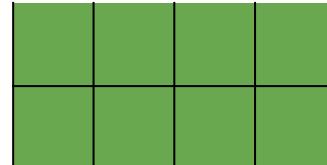
Stage 3: Shard ALL



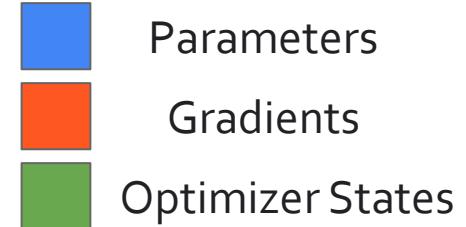
GPU 1



GPU 2



GPU 3



Total Memory for a
7.5B model with adam
optimizer
 $= 41\text{GB}$ (each)

The more GPUs you
have, the more you
benefit from deeper
stages!

Practice: A Tutorial of Running LLaMA 2-13B Model

Slide Credit: Chenghao Yang (UChicago)

Write Trainer in your Codes.

```
model = AutoModelForSequenceClassification.from_pretrained(  
    script_args.model_name_or_path,  
    num_labels=num_labels,  
)  
  
trainer = Trainer(  
    model=model,  
    args=training_args,  
    train_dataset=dataset["train"],  
    eval_dataset=dataset["validation"] if "validation" in dataset else dataset['test'],  
    tokenizer=tokenizer,  
    data_collator=default_data_collator,  
)
```

Prepare ZeRO Configuration

```
"zero_optimization": {  
    "stage": 3,  
    "offload_optimizer": {  
        "device": "cpu",  
        "pin_memory": true  
    },  
    "offload_param": {  
        "device": "cpu",  
        "pin_memory": true  
    },  
    "overlap_comm": true,  
    "contiguous_gradients": true,  
    "sub_group_size": 1e9,  
    "reduce_bucket_size": "auto",  
}
```

Launch with DeepSpeed

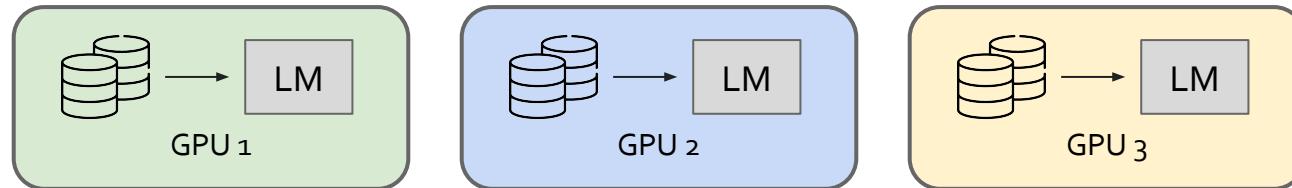
```
deepspeed demo_trainer.py \  
    --model_name_or_path "/data/LLAMA2_hf/llama_13B" \  
    --deepspeed ./ds_config_zero3.json \  
    --bf16 \  
    --do_train \  
    --do_eval \  
    --do_predict \  
    --mode "classification" \  
    --dataset_name "ag_news" \  
    --output_dir ./output/ag_news \  
    --per_device_train_batch_size 2 \  
    --per_device_eval_batch_size 4 \  
    --overwrite_output_dir
```

Balanced GPU usage
Automatic offloading to CPU
if GPU memory used up
Automatic handling mixed precision, etc.

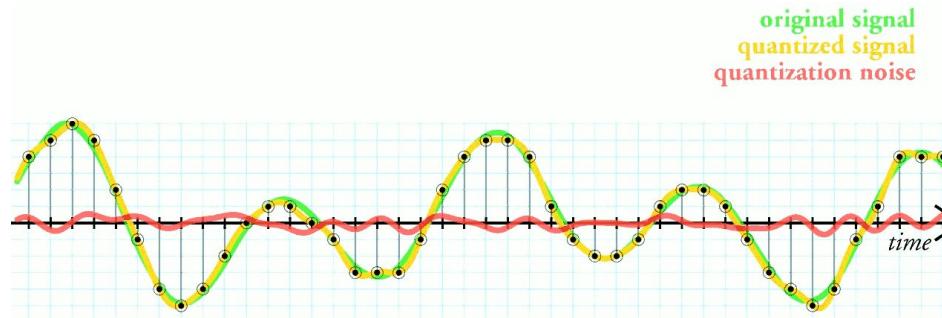
Bus-Id	Disp.A Memory-Usage	Volatile GPU-Util	Uncorr. Compute M.	ECC MIG M.
00000000:01:00.0	Off 36939MiB / 49140MiB	68%	Default	Off N/A
00000000:41:00.0	Off 37097MiB / 49140MiB	45%	Default	Off N/A
00000000:81:00.0	Off 36935MiB / 49140MiB	39%	Default	Off N/A
00000000:C1:00.0	Off 37111MiB / 49140MiB	46%	Default	Off N/A

Topics Today

- Distributed Training



- Compression (Pruning, Distillation, Quantization)



Model Compression

Making large models smaller with minimal performance drop

Compression: An Overview

Quantization

Stores or performs computation on 4/8 bit integers instead of 16/32 bit floating point numbers.

The most effective and practical way do training/inference of a large model.

Can be combined with pruning (GPTQ) and Distillation (ZeroQuant).

Distillation

Train a small model (the student) on the outputs of a large model (the teacher).

In essence, distillation = model ensembling. Therefore we can distill between model with the same architecture (self-distillation)

Can be combined with pruning.

Pruning

Removing excessive model weights to lower parameter count.

A lot of the work are done solely for research purposes.

Cultivated different routes of estimating importances of parameters.

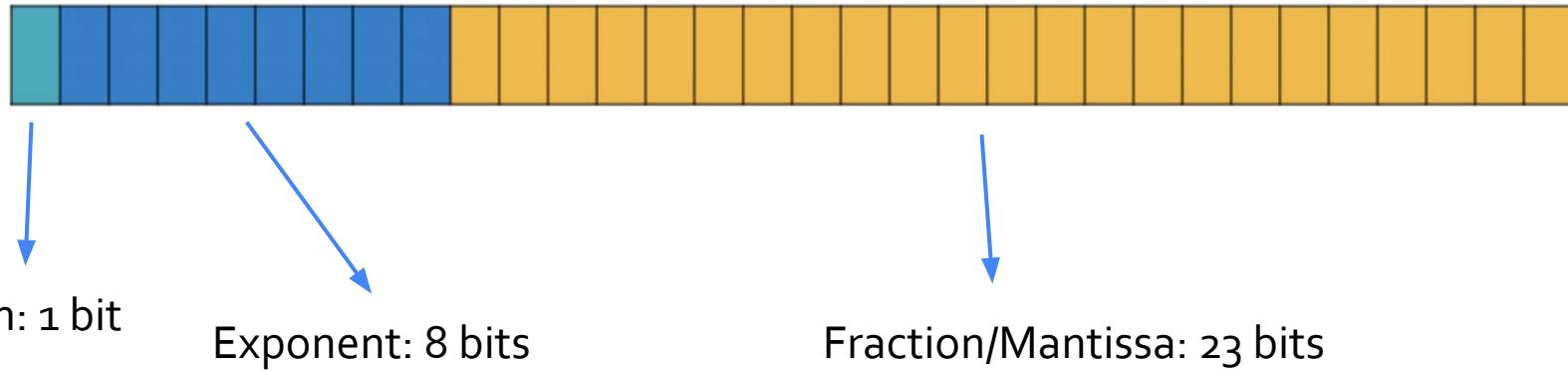
Today!

Numeric Data Types

How numbers are represented in modern computing systems

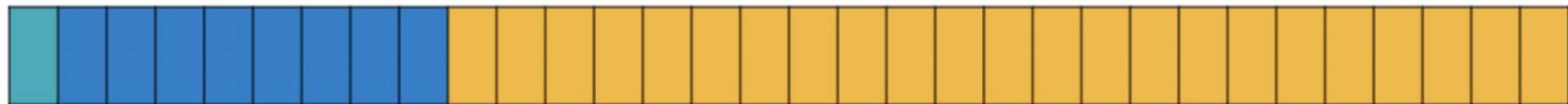
Floating-Point Numbers

Example: 32-bit floating-point number in IEEE 754 (FP32)



$$\text{Number} = (-1)^{\text{sign}} \times (1 + \text{Fraction}) \times 2^{\text{Exponent} - 127}$$

Floating-Point Numbers



Range

Precision

FP₄ (E₁M₂)



0 1 2 3 3.5

FP₄ (E₂M₁)



0 1 2 3 4 6

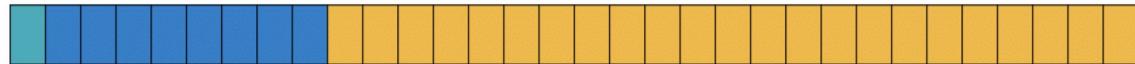
FP₄ (E₃M₀)



0 1 2 4 8 16

Floating-Point Numbers

IEEE 754 Single Precision 32-bit Float (FP32)



Exponent

Fraction

8

23

IEEE 754 Half Precision 16-bit Float (FP16)



5

10

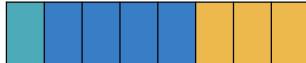
Google Brain Float (BF 16)



8

7

Nvidia FP8 (E4M3)



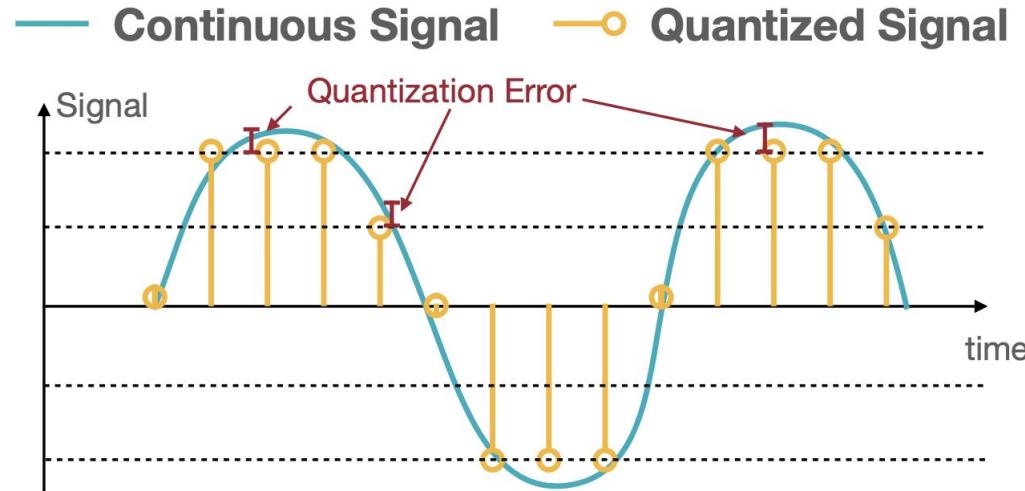
4

3

Quantization

Representing numbers using a discrete set

What is Quantization?



The process of mapping input values from a large set (often a continuous set) to output values in a (countable) smaller set, often with a finite number of elements.

Overview of Quantization Methods

Today's Focus

2.09	-0.98	1.48	0.09
0.05	-0.14	-1.08	2.12
-0.91	1.92	0	-1.03
1.87	0	1.53	1.49

3	0	2	1	3: 2.00
1	1	0	3	2: 1.50
0	3	1	0	1: 0.00
3	1	2	2	0: -1.00

1	-2	0	-1
-1	-1	-2	1
-2	1	-1	-2
1	-1	0	0

$$- (-1) \times 1.07$$

K-Means

Integer Weights;
Floating Point
Codebook

Linear

Integer

Integer

Storage

Floating Point

Computation

Floating Point

Floating Point

Linear Quantization

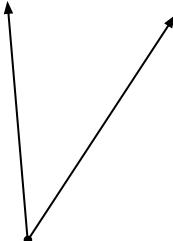
Affine Mapping from floating point numbers to integers

Original 32-bit float			
2.09	-0.98	1.48	0.09
0.05	-0.14	-1.08	2.12
-0.91	1.92	0	-1.03
1.87	0	1.53	1.49



Quantized 2-bit signed int			
1	-2	0	-1
-1	-1	-2	1
-2	1	-1	-2
1	-1	0	0

Zero point Scale
 $- -1 \times 1.07 =$



Reconstructed 32-bit float			
2.14	-1.07	1.07	0
0	0	-1.07	2.14
-1.07	2.14	0	-1.07
2.14	0	1.07	1.07

How to find these numbers?

Linear Quantization

Affine Mapping from floating point numbers to integers

Original 32-bit float			
2.09	-0.98	1.48	0.09
0.05	-0.14	-1.08	2.12
-0.91	1.92	0	-1.03
1.87	0	1.53	1.49



Quantized 2-bit signed int			
1	-2	0	-1
-1	-1	-2	1
-2	1	-1	-2
1	-1	0	0

Reconstructed
32-bit float

2.14	-1.07	1.07	0
0	0	-1.07	2.14
-1.07	2.14	0	-1.07
2.14	0	1.07	1.07

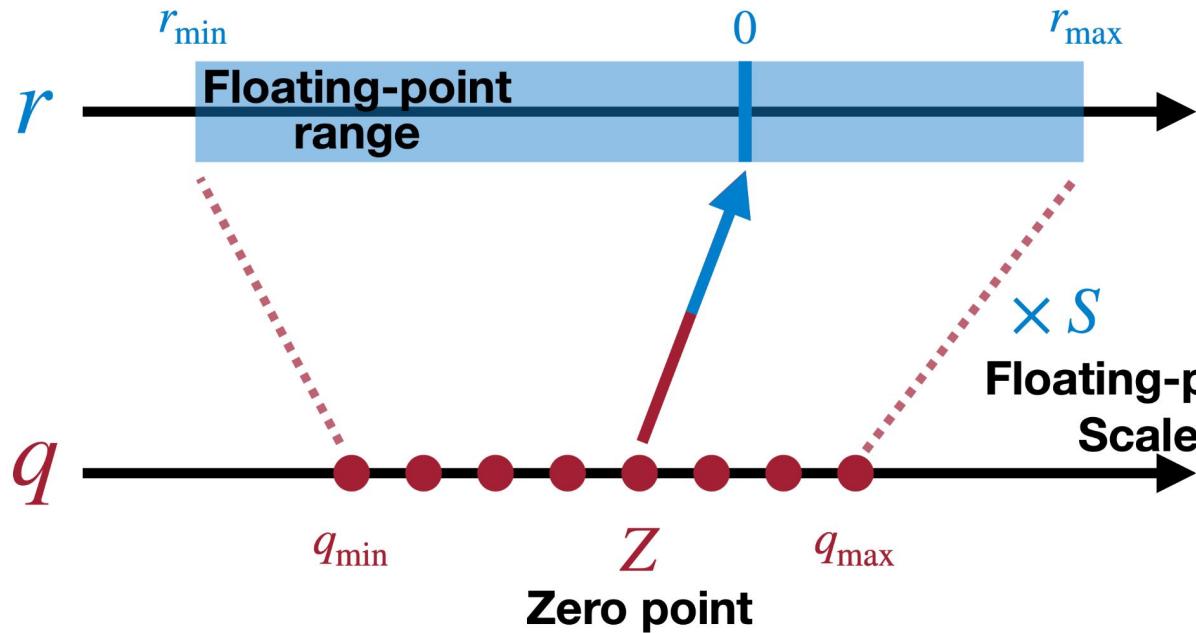
Zero point Scale
- -1) \times 1.07 =

$$r \approx (q - z) \times s$$

floating-point integer integer floating-point

Linear Quantization

Scale Derivation | $r = S(q - z)$



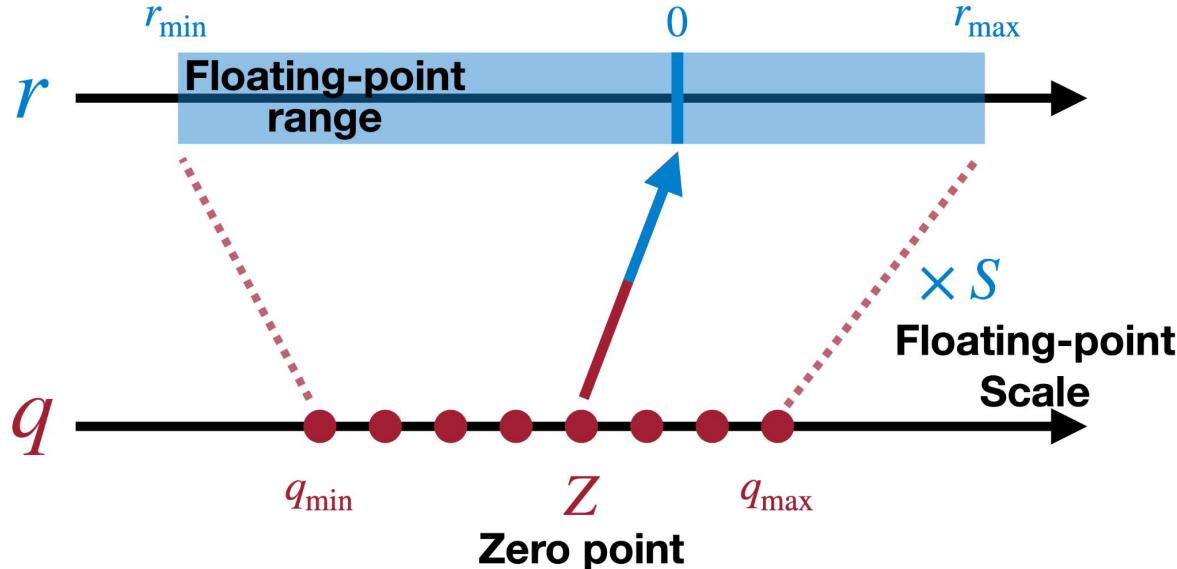
$$r_{\max} = S(q_{\max} - Z)$$

$$r_{\min} = S(q_{\min} - Z)$$

$$S = \frac{r_{\max} - r_{\min}}{q_{\max} - q_{\min}}$$

Linear Quantization

Zero point Derivation | $r = S(q-z)$



$$r_{\min} = S(q_{\min} - Z)$$

$$Z = q_{\min} - \frac{r_{\min}}{S}$$

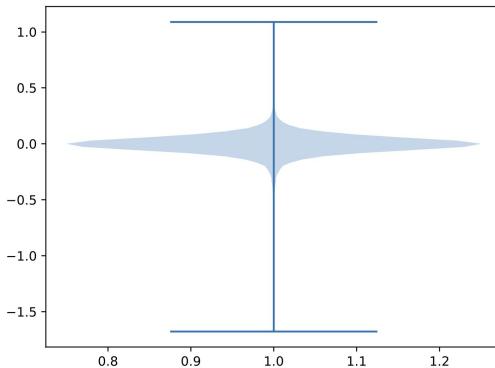
$$Z = \text{round} \left(q_{\min} - \frac{r_{\min}}{S} \right)$$

Linear Quantization

“Absmax” Implementation

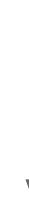
In practice, the weights are usually centered around zero ($Z = 0$):

Therefore, we can find scale by using only the max.



Weight distribution of first conv
layer of ResNet-50.

$$S = \frac{r_{\max} - r_{\min}}{q_{\max} - q_{\min}}$$



$$S = \frac{r_{\min}}{q_{\min} - Z} = \frac{-|r|_{\max}}{q_{\min}}$$

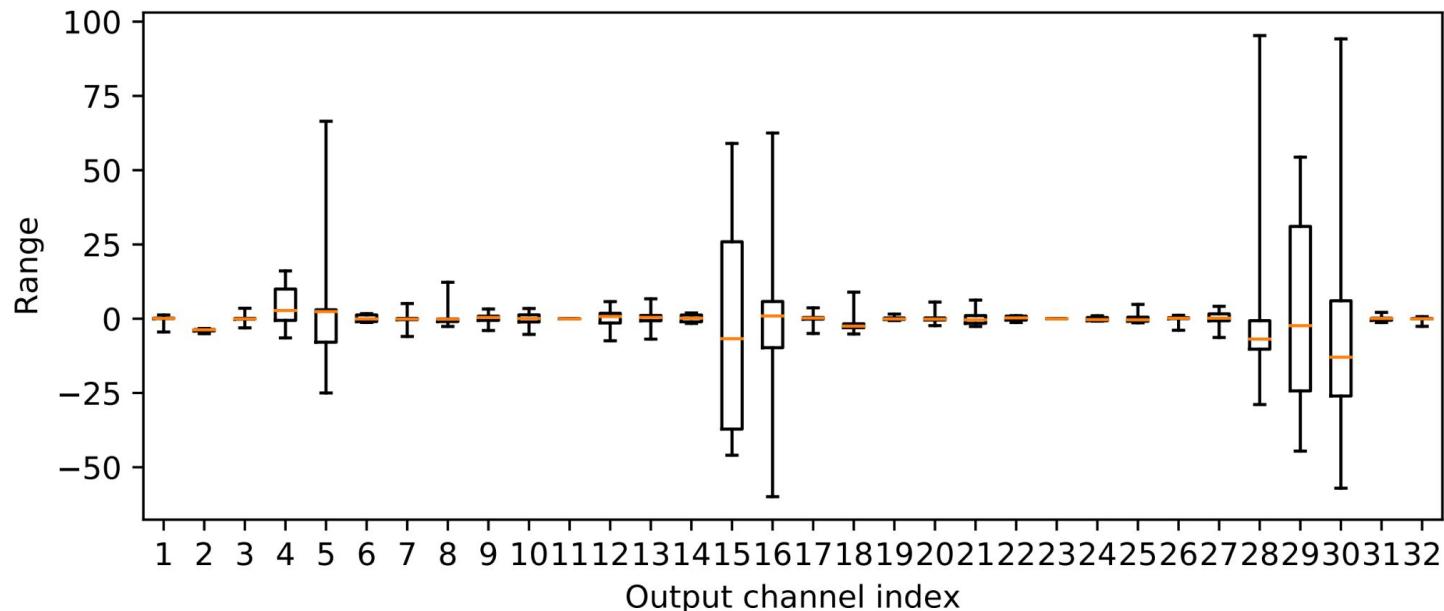
Used in Pytorch, ONNX

Post Training Quantization of Large Language Models

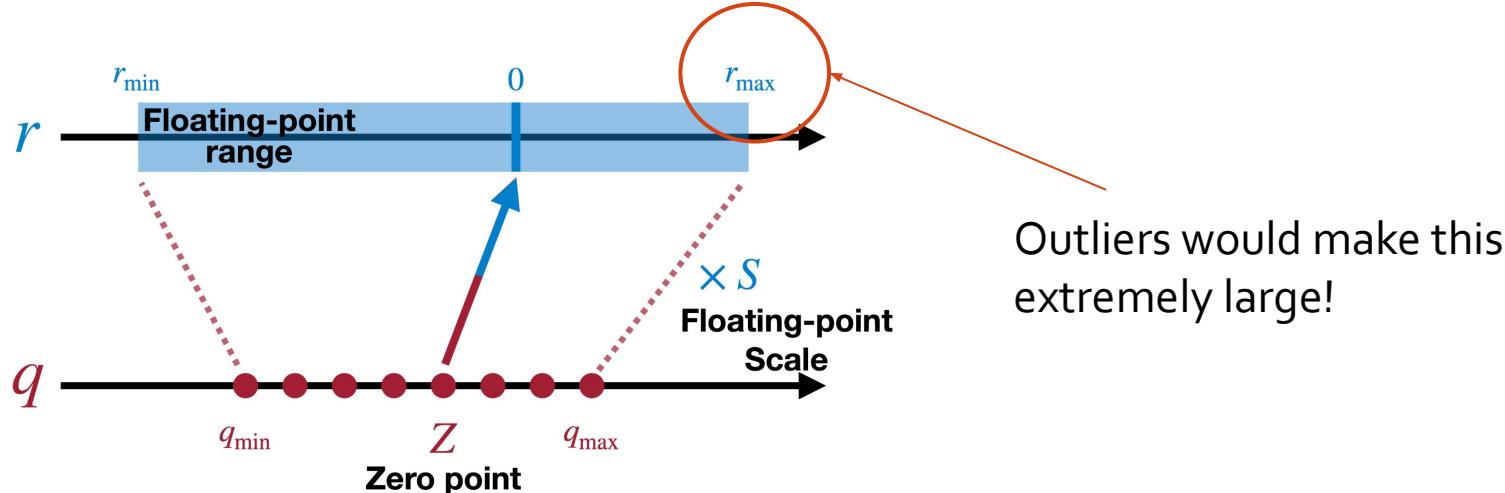
LLM.int8(), GPTQ

Biggest Challenge in Quantizing Large Models

There exists many outliers in activations (activations of the first layer MobileNetV2):



Outlier Activations



Example: 15, 0.1, 0.02, 1.0, 0.01 -> 127, 1, 0, 8, 0
(Everything under 0.05 gets mapped to 0)

Observation: Outliers only exists in certain channels (e.g. 523 in 768 in BERT)

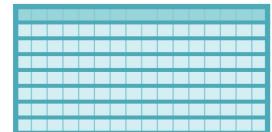
Solution: Per-Channel Quantization/Row-wise Quantization

Per-Channel Quantization

Per-Tensor Quantization:



Per-Channel Quantization:



2.09	-0.98	1.98	0.09
0.05	-0.14	-1.08	2.12
-0.91	1.92	0	-1.03
1.87	0	1.53	1.49

Original

1	0	1	0
0	0	-1	1
0	1	0	-1
1	0	1	1

Quantized
(Absmax)

2.09	0	2.09	0
0	0	-2.12	2.12
0	1.92	0	-1.92
1.87	0	1.87	1.87

Reconstructed
(Per-channel)

2.12	0	2.12	0
0	0	-2.12	2.12
0	2.12	0	-2.12
2.12	0	2.12	2.12

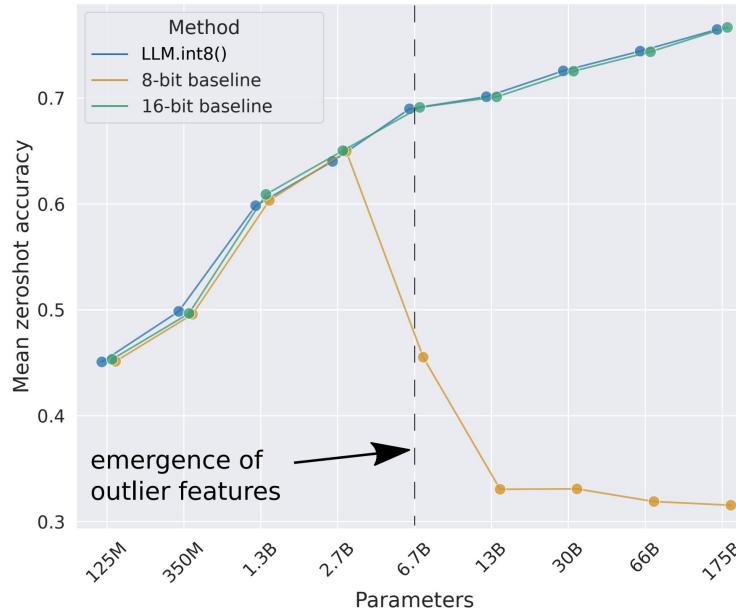
Reconstructed
(Per-Tensor)

Error: **2.08**

2.28

LLM.int8()

Outlier features significantly degrades performance after quantization.



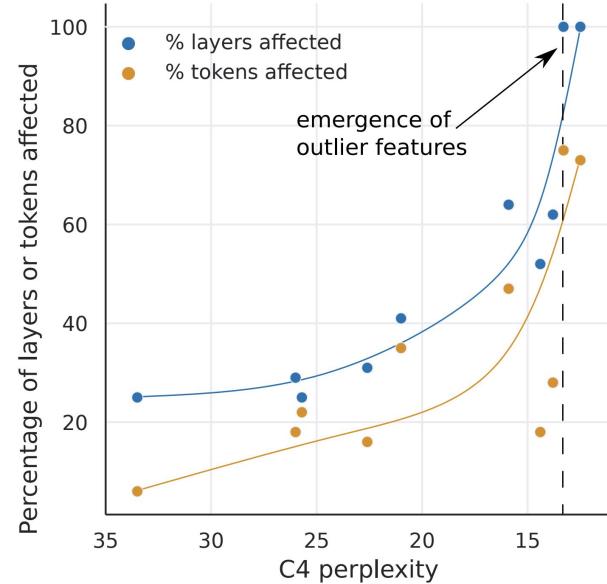
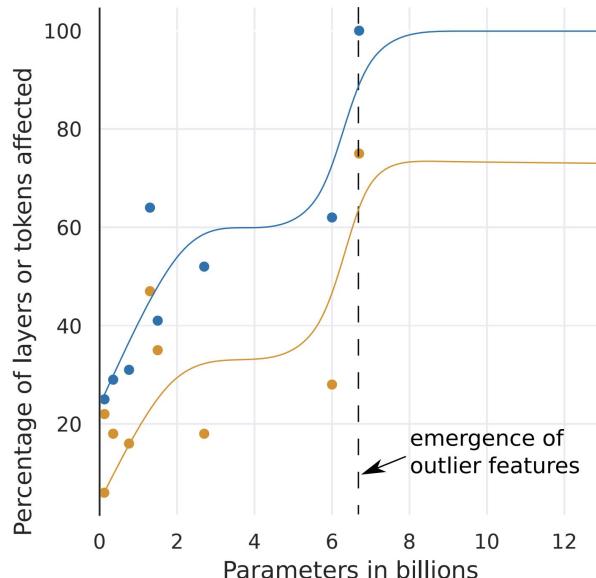
LLM.int8(): Number of Outliers

A Better Understanding of outlier features

Outlier features in large language models

- Emerges when models gets larger &

Corresponds to decrease in perplexity

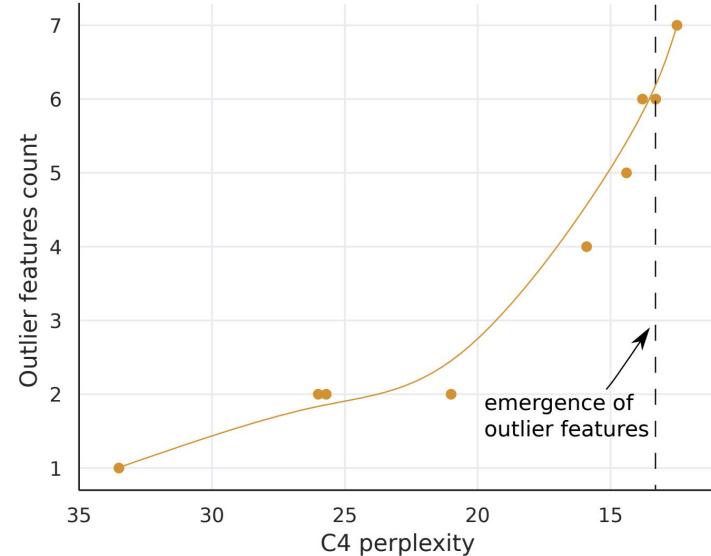
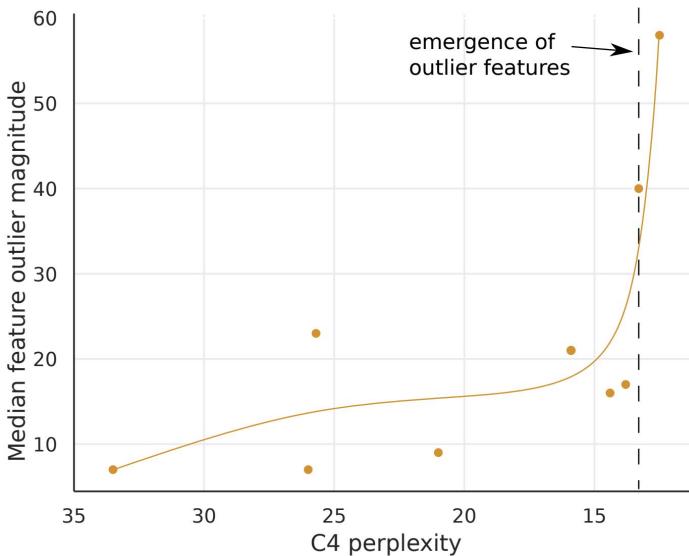


LLM.int8(): Magnitude of Outliers

A Better Understanding of outlier features

Outlier features in large language models

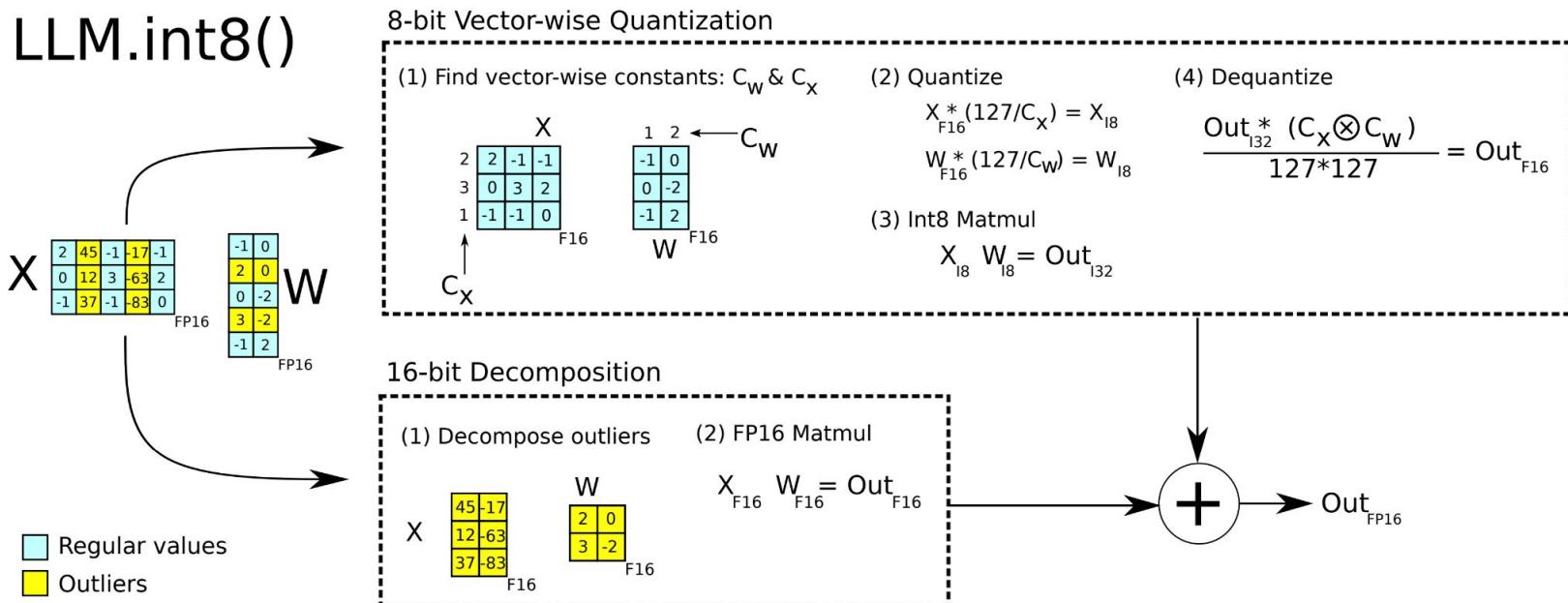
- Can suddenly get very large & magnitude strictly positive w/ performance



LLM.int8()

Solution of LLM.int8(): Only quantize the “regular” activations to 8-bit integers;
Leave the “outlier” activations as 16-bit floats.

LLM.int8()



LLM.int8(): Experiments

C4 validation perplexities

Parameters	125M	1.3B	2.7B	6.7B	13B
32-bit Float	25.65	15.91	14.43	13.30	12.45
Int8 absmax	87.76	16.55	15.11	14.59	19.08
Int8 zeropoint	56.66	16.24	14.76	13.49	13.94
Int8 absmax row-wise	30.93	17.08	15.24	14.13	16.49
Int8 absmax vector-wise	35.84	16.82	14.98	14.13	16.48
Int8 zeropoint vector-wise	25.72	15.94	14.36	13.38	13.47
Int8 absmax row-wise + decomposition	30.76	16.19	14.65	13.25	12.46
Absmax LLM.int8() (vector-wise + decomp)	25.83	15.93	14.44	13.24	12.45
Zeropoint LLM.int8() (vector-wise + decomp)	25.69	15.92	14.43	13.24	12.45

Zeropoint > absmax because outliers non-symmetric (either very large or very small, but not both)

Post Training Quantization

LLM.int8()



Quantizing
both weights and
activations

GPTQ



Quantizing
only weights
(Faster with same perf.)

GPTQ

Preliminary: Optimal Brain Quantization (OBQ)

OBQ: Iterate {

$$w_q = \operatorname{argmin}_{w_q} \frac{(\operatorname{quant}(w_q) - w_q)^2}{[H_F^{-1}]_{qq}}$$

Find the weight that when quantized, induces the least error and quantize it.
(Can be very slow)

$$\delta_F = -\frac{w_q - \operatorname{quant}(w_q)}{[H_F^{-1}]_{qq}} \cdot (H_F^{-1})_{:, q}$$

Update the other weights to compensate for the error.

Inverse Hessian

}

Optimal Brain Damage (LeCun et al., NIPS 1990)

Optimal Brain Compression: A Framework for Accurate Post-Training Quantization and Pruning (Frantar et al., NeurIPS 2022)

GPTQ

Calibrating Quantization with Small amount of data

Observation 1:

Greedily picking the “optimal” weight to quantize \approx arbitrary order

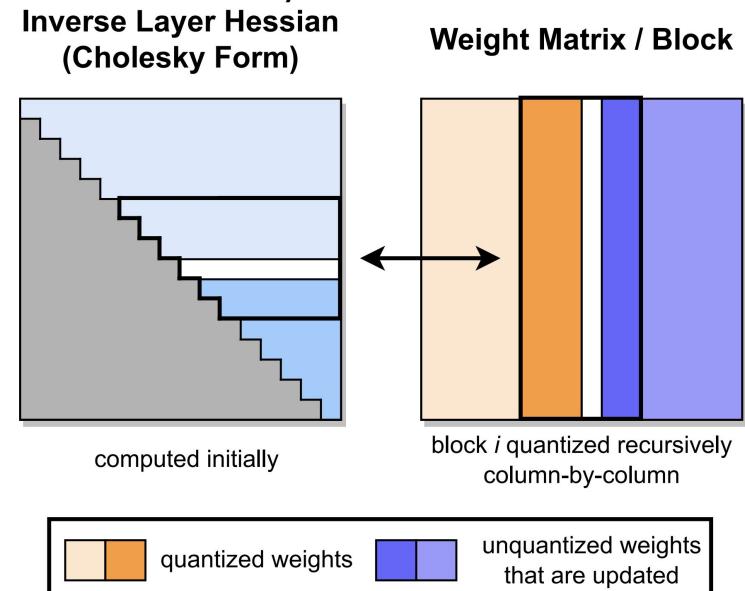
⇒ Quantize the weights column by column.

Observation 2:

Rounding of a column is only affected

by the final update on this column.

⇒ Lazy Updates only a subset of the weights



GPTQ: Experiment Results

OPT	Bits	125M	350M	1.3B	2.7B	6.7B	13B	30B	66B	175B
full	16	27.65	22.00	14.63	12.47	10.86	10.13	9.56	9.34	8.34
RTN	4	37.28	25.94	48.17	16.92	12.10	11.32	10.98	110	10.54
GPTQ	4	31.12	24.24	15.47	12.87	11.39	10.31	9.63	9.55	8.37
RTN	3	1.3e3	64.57	1.3e4	1.6e4	5.8e3	3.4e3	1.6e3	6.1e3	7.3e3
GPTQ	3	53.85	33.79	20.97	16.88	14.86	11.61	10.27	14.16	8.68

Table 3: OPT perplexity results on WikiText2.

BLOOM	Bits	560M	1.1B	1.7B	3B	7.1B	176B
full	16	22.42	17.69	15.39	13.48	11.37	8.11
RTN	4	25.90	22.00	16.97	14.76	12.10	8.37
GPTQ	4	24.03	19.05	16.48	14.20	11.73	8.21
RTN	3	57.08	50.19	63.59	39.36	17.38	571
GPTQ	3	32.31	25.08	21.11	17.40	13.47	8.64

Table 4: BLOOM perplexity results for WikiText2.

Takeaways

Avg. Perplexity on Wikitext-2, PTB and C4:

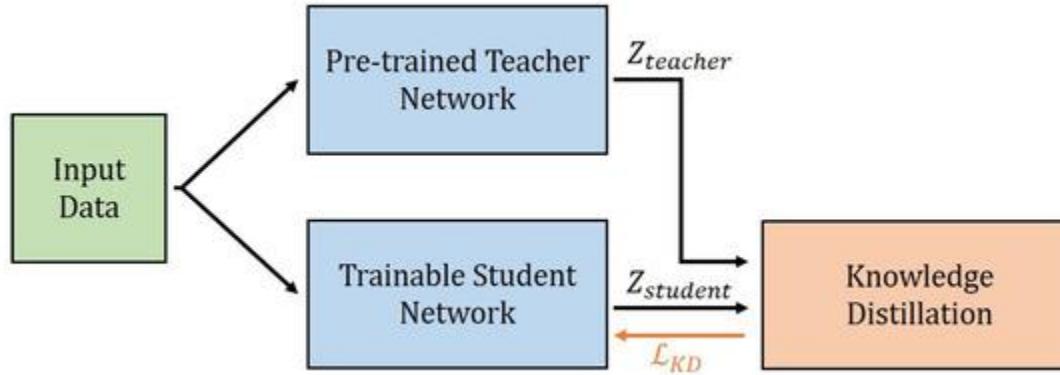
Precision	125m	350m	1.3b	2.7b	6.7b	13b	30b	66b
W16-A16	28.27	22.93	15.44	13.58	11.90	11.22	10.70	10.33
W8 ^{sym} -A16	28.27	22.96	15.44	13.59	11.90	11.22	10.70	10.33
W8 ^{asym} -A16	28.31	22.96	15.46	13.60	11.90	11.22	10.70	10.33
W4 ^{sym} -A16	45.42	27.00	20.79	25.06	14.36	12.73	11.77	97.05
W4 ^{asym} -A16	37.46	26.76	19.75	19.58	13.44	12.09	11.52	31.52

- Int 8 weight only quantization: lossless
- Int 4 quantization: not well (8 bit 13b > 4 bit 30b...)
- GPTQ quantization: State-of-the-Art, achieving < 0.5 degradation in ppl.

Distillation

Training a small model to match the distribution of a large one

Distillation



Training objective:

Minimizing KL Divergence between teacher output and student output

Essentially: We are using the soft labels from the teacher to train student

Transformer Distillation Variants

Standard - KL Divergence between probability vectors ([Hinton et al., 2015](#))

Hidden State - Mean Squared Error between [CLS] tokens ([Sun et al., 2019](#))

- Mean Square Error between embedding of entire sequence ([Jiao et al., 2020](#))

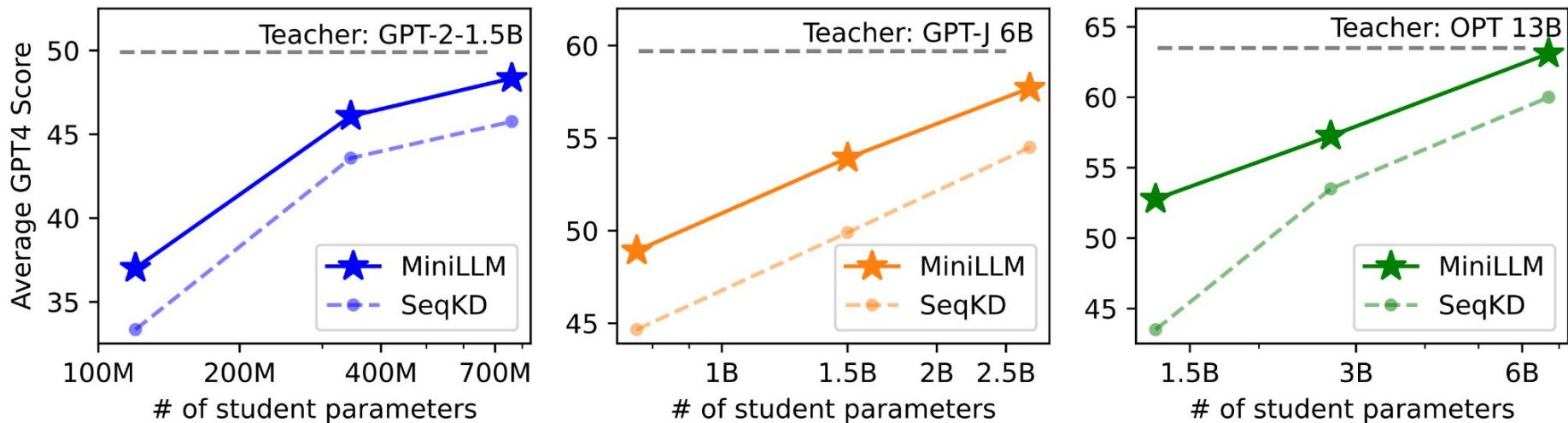
Attention - Mean Square Error between raw attention scores (before softmax)

- KL Divergence between attention probabilities (after softmax)

Goal - Task Specific: Distilling from a fine-tuned model

- Task Agnostic: Distilling from a pre-trained model

LLM Distillation



Works well even for large models (13B to 6B)
but compared to quantization, KD requires large amounts of data and training time.