

# Python Preliminaries

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(adapted from previous school's presentation by  
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# Pre - preliminaries

- Class arrangement
- Have working python (2 or 3), need numpy, scipy, matplotlib, pandas, seaborn
  - Anaconda works well for instance
- Clone the git repository with materials from the school:
  - git clone <https://github.com/lkwagner/StochasticSchool.git>
  - Everything from today is in Day1 (update frequently)

# Will use python throughout the week

Two parts

1. Introduce a few basic libraries
2. Exercises to solve in groups

# Part 1: Basic Libraries

- 5 libraries are likely to be encountered
  - Numpy (essentials for scientific computing)
    - Class: `numpy.ndarray` – a multidimensional container
    - Function: `numpy.array()` – turns a list into an array
    - Method: `numpy.ndarray.max` – finds max of an array
    - Etc.
    - Powerful N-dimensional array object (`ndarray` or `array`)
    - Linear algebra, Fourier transform, and random number capabilities

# Numpy example

```
~$ python
```

```
>>> import numpy as np
```

```
>>> a = np.array([2,3,4])
```

```
>>> a
```

```
array([2, 3, 4])
```

```
>>> print(a)
```

```
[2,3,4]
```

# Numpy example

```
~$ python
```

```
>>> import numpy as np
```

```
>>> b = np.array([[1.2, 3.5, 5.1],[1.2, 3.5, 5.2]])
```

```
>>> print(b)
```

```
[[ 1.2  3.5  5.1]
```

```
 [ 1.2  3.5  5.2]]
```

```
>>> b.shape
```

```
(2, 3)
```

# Numpy quick functionality

## array creation

- `np.random.randn` – normally distributed random numbers
- `np.zeros` – an array of zeros
- `np.arange` – sequential array starting at 0 and going to n-1
- `np.newaxis` – increase dimension of array

## simple math

- `np.sqrt` – square root
- `np.exp` – exponential function
- `np.outer` – outer product for vectors

## statistics

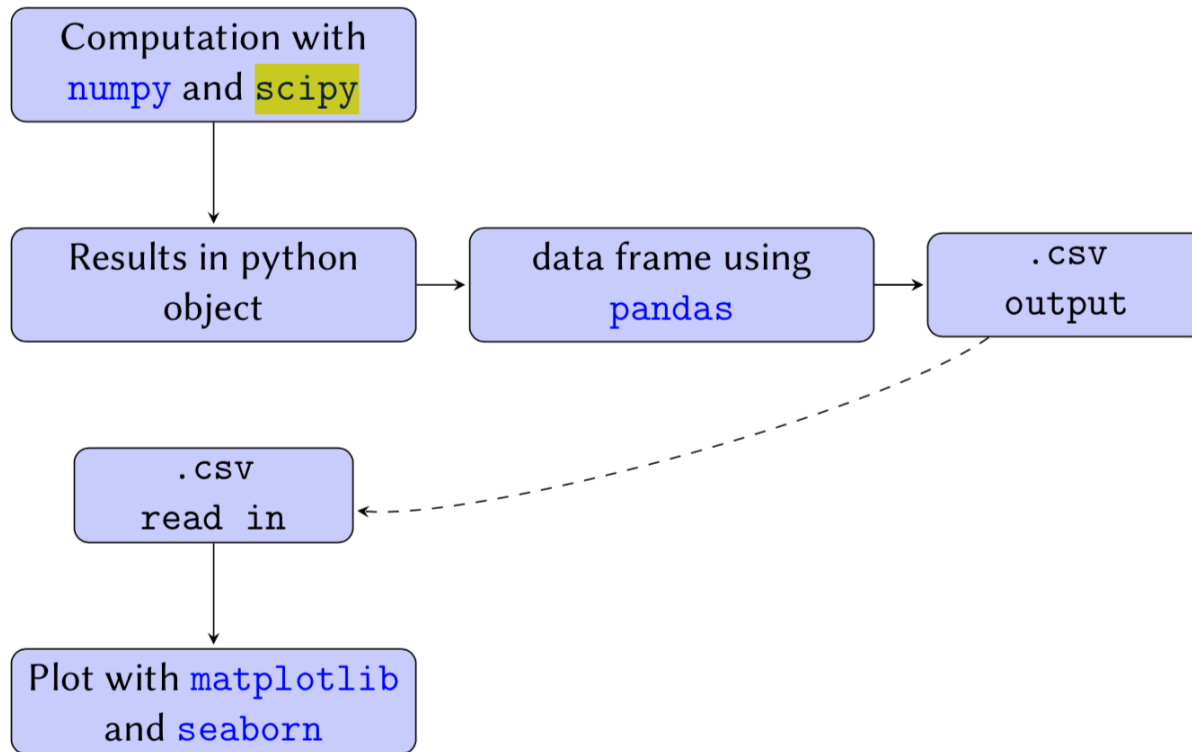
- `np.sum` – sum of elements
- `np.mean` – average
- `np.std` – standard deviation

# Part 1: Basic Libraries

- 5 libraries are likely to be encountered
  - Numpy (essentials for scientific computing)
  - Scipy (augments numpy functionality)
    - More linear algebra, integration, interpolation, special functions, FFT, signal and image processing, ODE solvers and more



## Recommended workflow



# Part 1: Basic Libraries

- 5 libraries are likely to be encountered
  - Numpy (essentials for scientific computing)
  - Scipy (augments numpy functionality)
  - Pandas (data manipulation)

# Pandas example

~\$ python

```
>>> import numpy as np
```

```
>>> import pandas as pd
```

```
>>> npts = 50
```

```
>>> df={'a':np.random.random(npts),  
        'b':np.random.random(npts),  
        'category':['cat1']*int(npts/2) + ['cat2']*int(npts/2) }
```

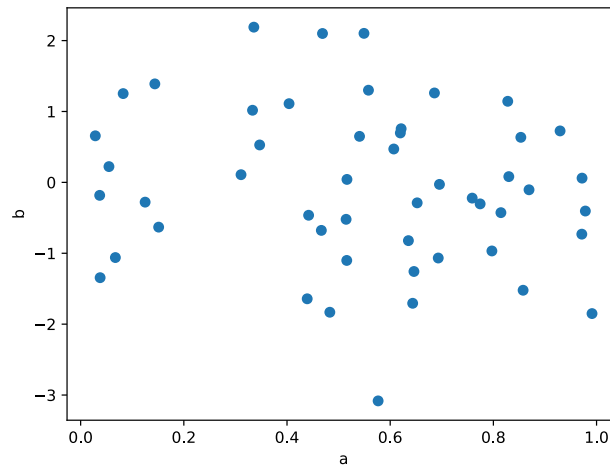
```
>>> df=pd.DataFrame(df)
```

# Part 1: Basic Libraries

- 5 libraries are likely to be encountered
  - Numpy (essentials for scientific computing)
  - Scipy (augments numpy functionality)
  - Pandas (data manipulation)
  - Matplotlib (a 2d plotting library)

# Continuing previous example

```
>>> import matplotlib.pyplot as plt  
>>> plt.figure()  
>>> plt.scatter('a','b',data=df)  
>>> plt.xlabel('a'); plt.ylabel('b');  
>>> plt.savefig("scatter.pdf",bbox_inches='tight')
```



# Matplotlib quick functionality

## plot creation

- `plt.figure` – creates a canvas
- `plt.plot` – produces a plot of bivariate data
- `plt.scatter` – scatter plot
- `plt.subplots` – return a subplot axes in a grid

## simple formatting

- `plt.xlabel` and `plt.ylabel` – set axis labels
- `plt.xlim` and `plt.ylim` – set axis limits

## Output

- `plt.savefig` – save file
- `plt.show` – see the plots on screen

# Part 1: Basic Libraries

- 5 libraries are likely to be encountered
  - Numpy (essentials for scientific computing)
  - Scipy (augments numpy functionality)
  - Pandas (data manipulation)
  - Matplotlib (a 2d plotting library)
  - Seaborn (interfaces with matplotlib for drawing attractive statistical graphics)

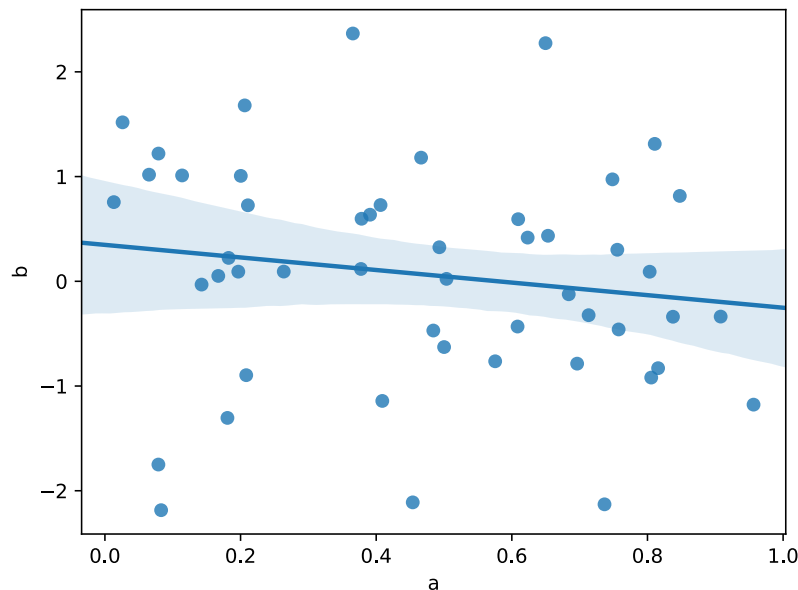
# Continuing previous example

```
>>> import seaborn as sea
```

```
>>> plt.figure()
```

```
>>> sea.regplot(x='a', y='b', data=df)
```

```
>>> plt.savefig("regression.pdf", bbox_inches='tight')
```





## Part 2: Coding in groups

- Exercise 1: Compare exponential evaluation of a random number (interval [1,2]) with a truncated Taylor series
- Exercise 2: Generate list of points normally distributed in 3d around the origin and return a list of distances to the origin
- Exercise 3: Monte Carlo evaluation of  $\pi$

Exercise 1: Compare exponential evaluation of a random number (interval [1,2]) with a truncated Taylor series

$$\exp(x) \approx \sum_0^N \frac{1}{n!} x^n$$

- Explicitly import numpy as np, scipy as sp and scipy.special
- Generate a random value with np.random.rand()
- For Taylor series, use sp.special.factorial(i) and np.power(x,i)
- Obtain comparison between exp(x) and Taylor series for 10 orders
- Can use np.sum(array) and np.multiply(array1,array2)

```
import numpy as np
import scipy as sp
import scipy.special
n=10
estimates=np.arange(n,dtype='float64')
x=np.random.random()+1
for i in range(n):
    d=np.arange(i)
    c=1.0/sp.special.factorial(d)
    d=np.power(x,d)
    estimates[i]=np.sum(np.multiply(c,d))

print("x=",x, "Exp(x)=",np.exp(x))
print(estimates)
print(estimates-np.exp(x))
```

Exercise 2: Take an array of positions normally distributed about the origin and return the distance to the origin

- Array of random points is generated for you (note `randn` instead of `random`)
- Will need to use `numpy.sqrt`
- Can take advantage of `numpy.sum(x,axis=n)`
  - For a given value of `n`, sums over the `n`'th index of the array `x`
  - In the case of the example, the 0<sup>th</sup> index is the points, and the 1<sup>st</sup> index is the positions

```
import numpy as np
```

```
npts=10
```

```
pos=np.random.randn(npts,3)
```

```
#pos holds npts points in 3 dimensions where x,y and z are chosen
```

```
#as normally distributed around zero
```

```
#want to find the distance from the origin for each point in a new array dist
```

```
dist=np.sqrt(np.sum(pos**2,axis=1))
```

```
#alternative solution
```

```
import scipy as sp
```

```
import scipy.linalg
```

```
dist2=np.zeros(npts)
```

```
for i in np.arange(npts):
```

```
    dist2[i]=sp.linalg.norm(pos[i,:])
```

```
print(dist)
```

```
print(dist2)
```

# Exercise 3: Monte Carlo evaluation of pi

- Use the formula  $\pi = 4 \left( \frac{\text{area of unit circle}}{\text{area of unit square}} \right)$
- Find  $\pi$  by randomly sampling points inside a square and counting how many end up inside a circle

```
import numpy as np; import scipy as sp
import scipy.linalg
import scipy.stats
import matplotlib.pyplot as plt

nsamples=18 # number of sample sizes
estimate=np.zeros(nsamples)*1.0 # data arrays
error=np.zeros(nsamples)*1.0

for j in np.arange(nsamples)+1:
    npts=np.power(2,j) # double sampling points each time
    acircle=np.zeros(npts)
    pts=np.random.rand(npts,2)*2.0-1.0 # generate points inside unit square
    for i in range(len(pts)):
        if scipy.linalg.norm(pts[i]) < 1.0: # points inside the unit circle
            acircle[i]=1
    estimate[j-1]=np.mean(acircle)*4.0
    error[j-1]=sp.stats.sem(acircle)*4.0
    print (estimate[j-1], "+/-", error[j-1])
```