

jh995

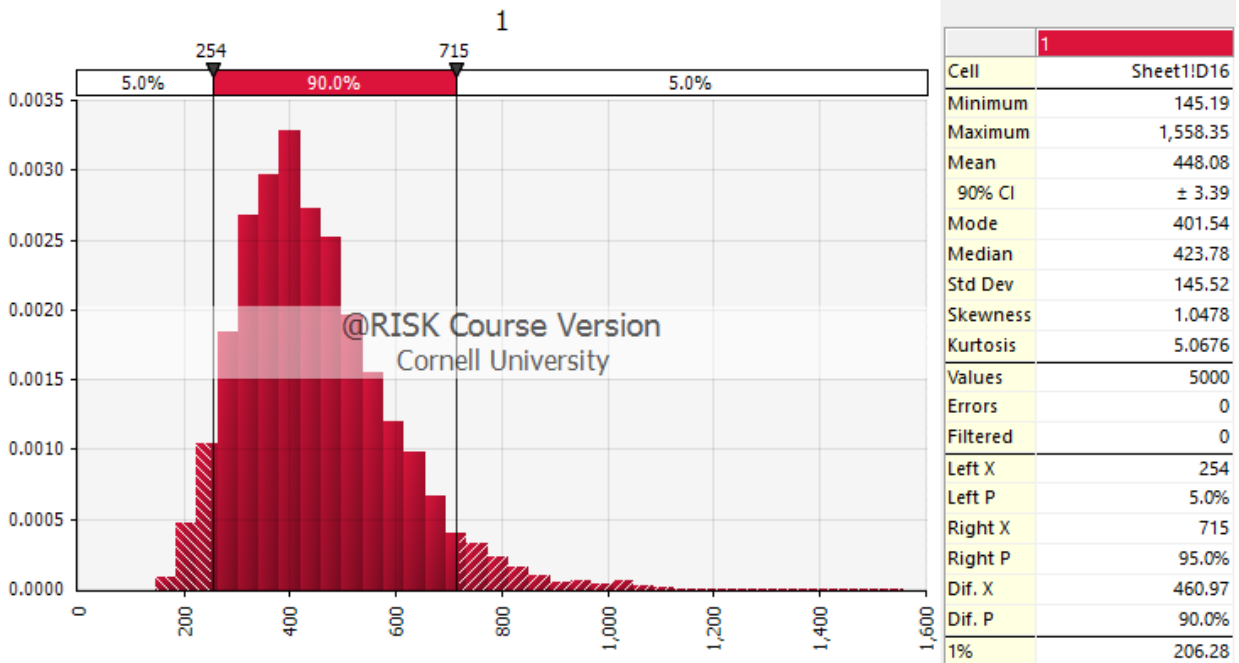
Assignment 3

Part A

1.

$$PV_{10} = \frac{A_{10}}{(1+r)^{10}} = \frac{100(1.15)^{10}}{(1.068)^{10}} = \textbf{\$209.54}$$

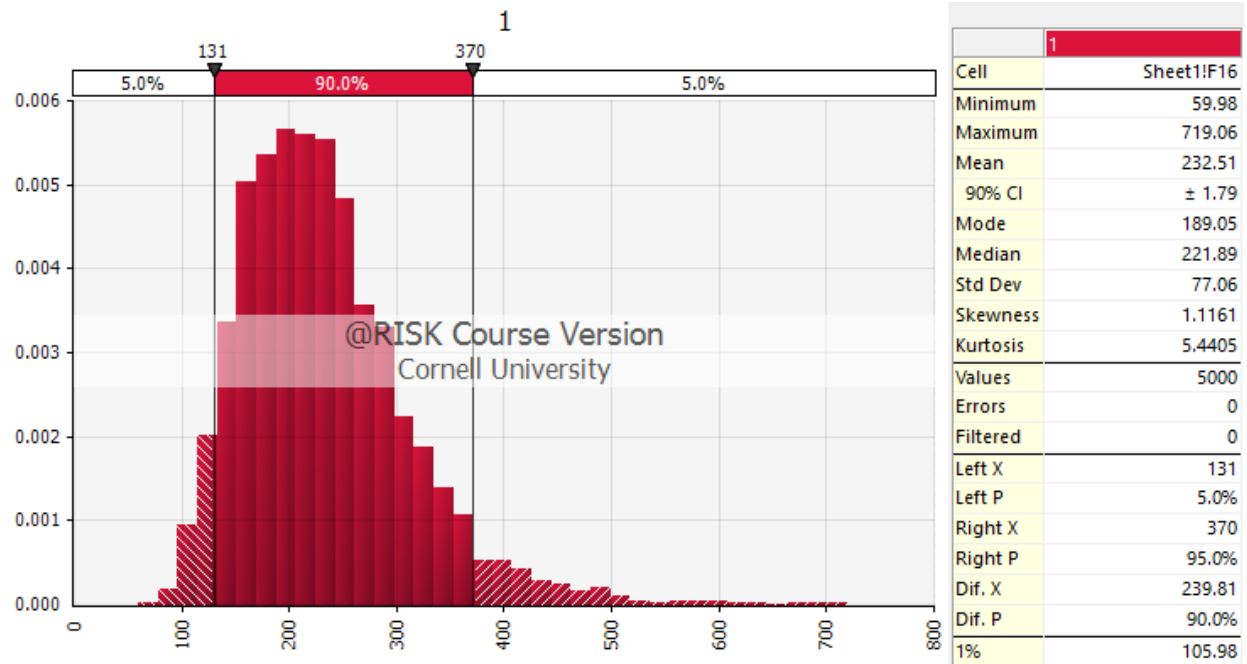
2. a)



Mean: \$488.08

Standard Deviation: \$145.52

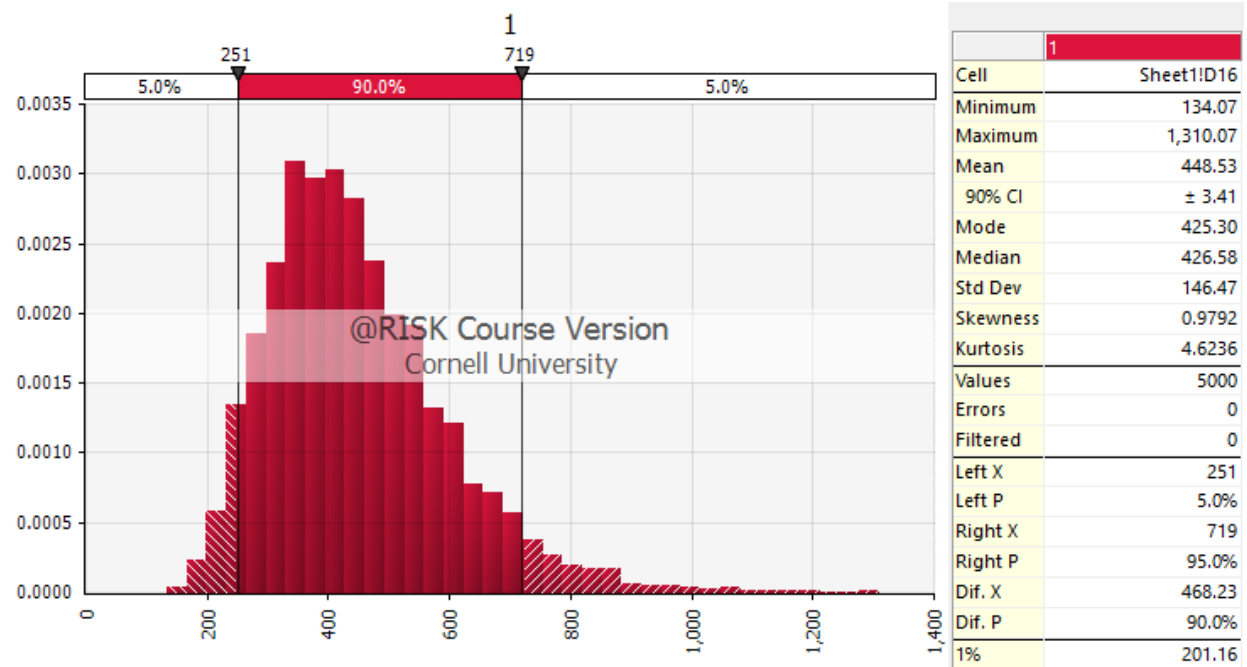
b)



Mean: \$232.51

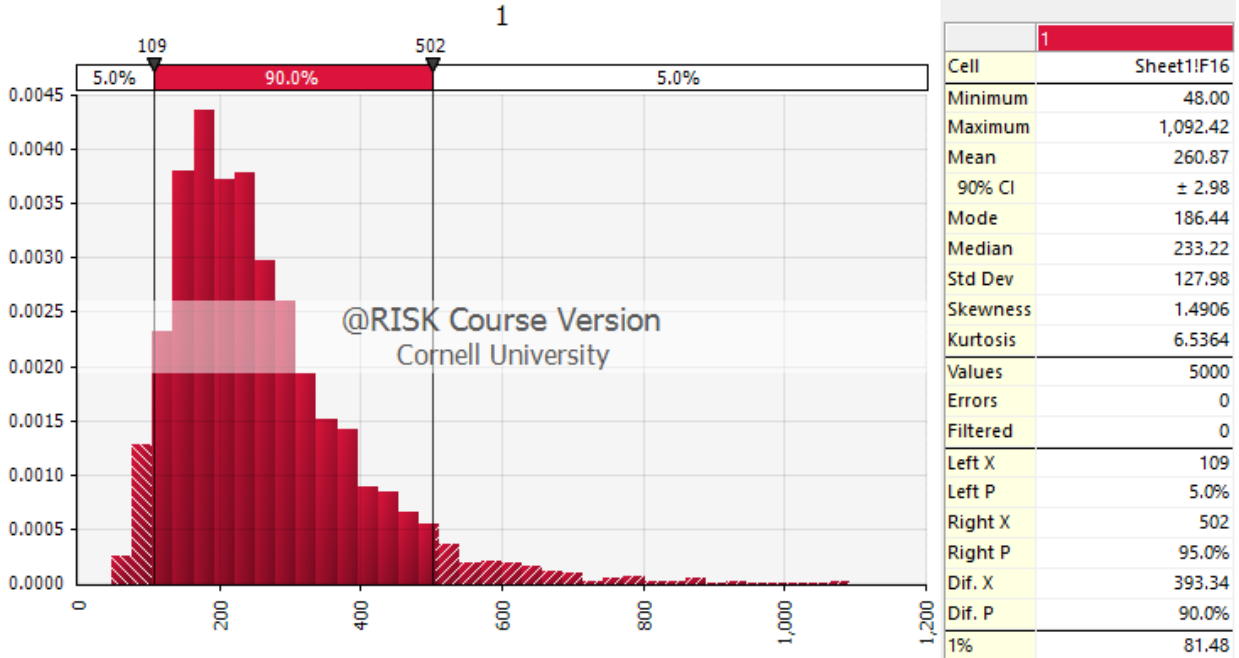
Standard Deviation: \$77.06

3. c)



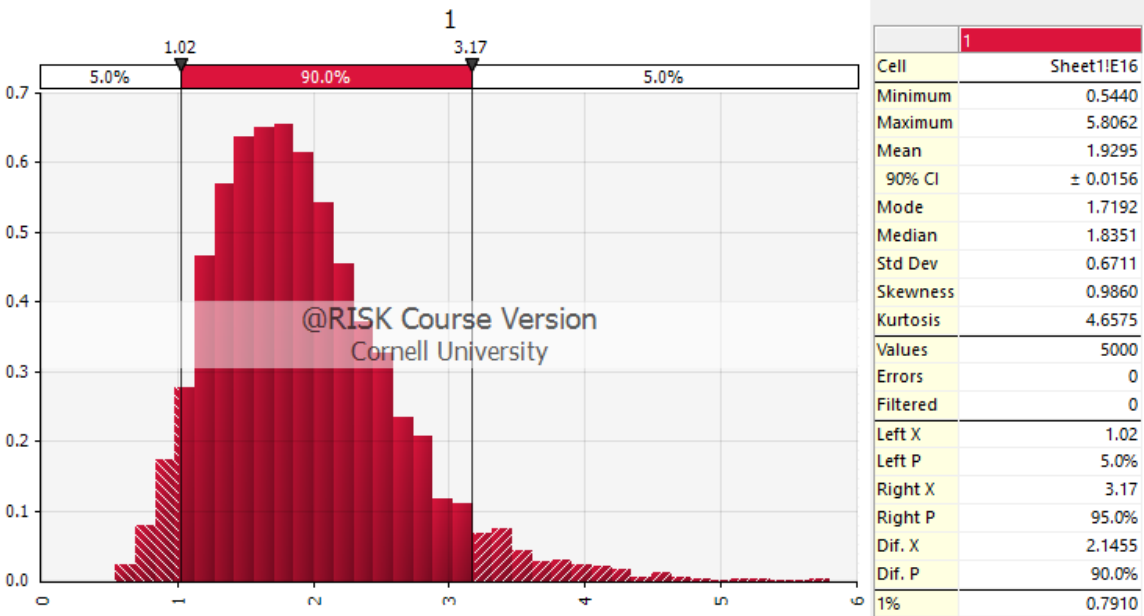
Mean: \$488.53, Standard Deviation: \$146.47

d)



Mean: \$260.87, Standard Deviation: \$127.98

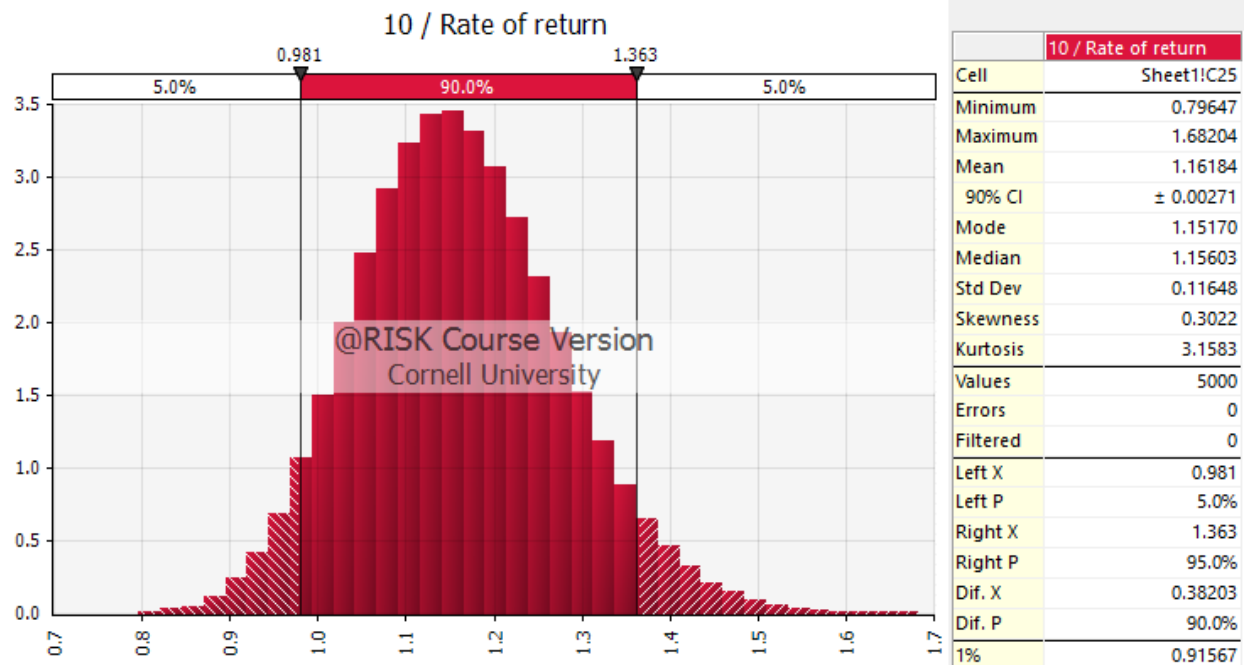
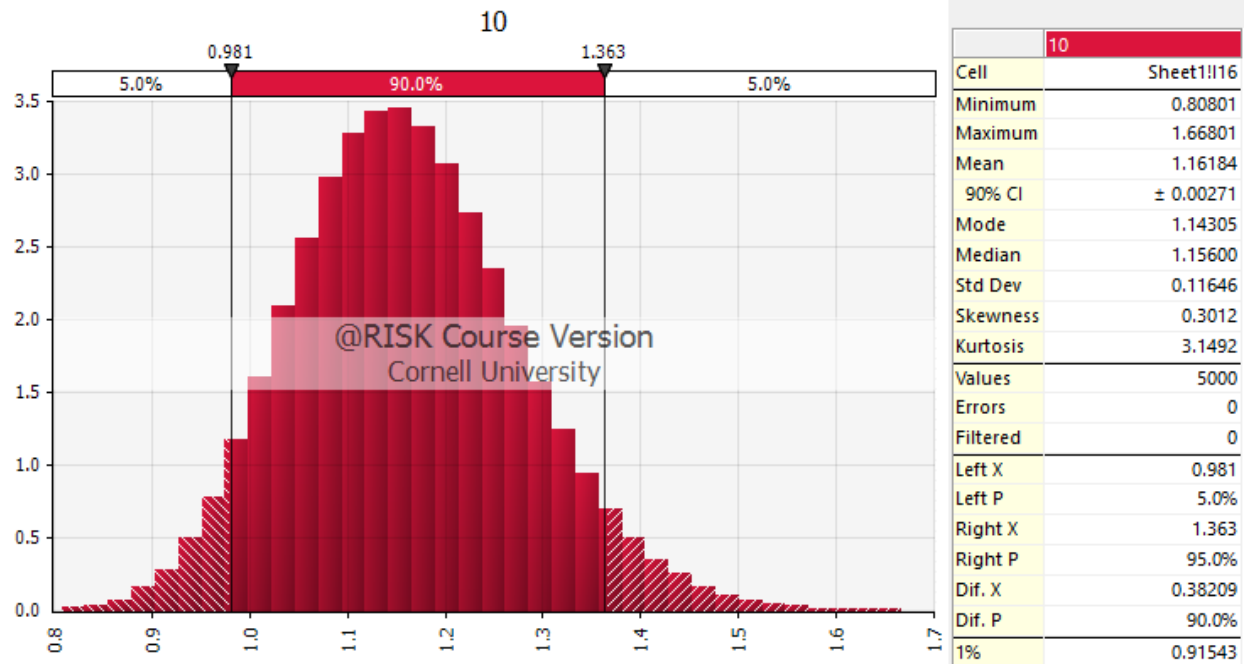
e)

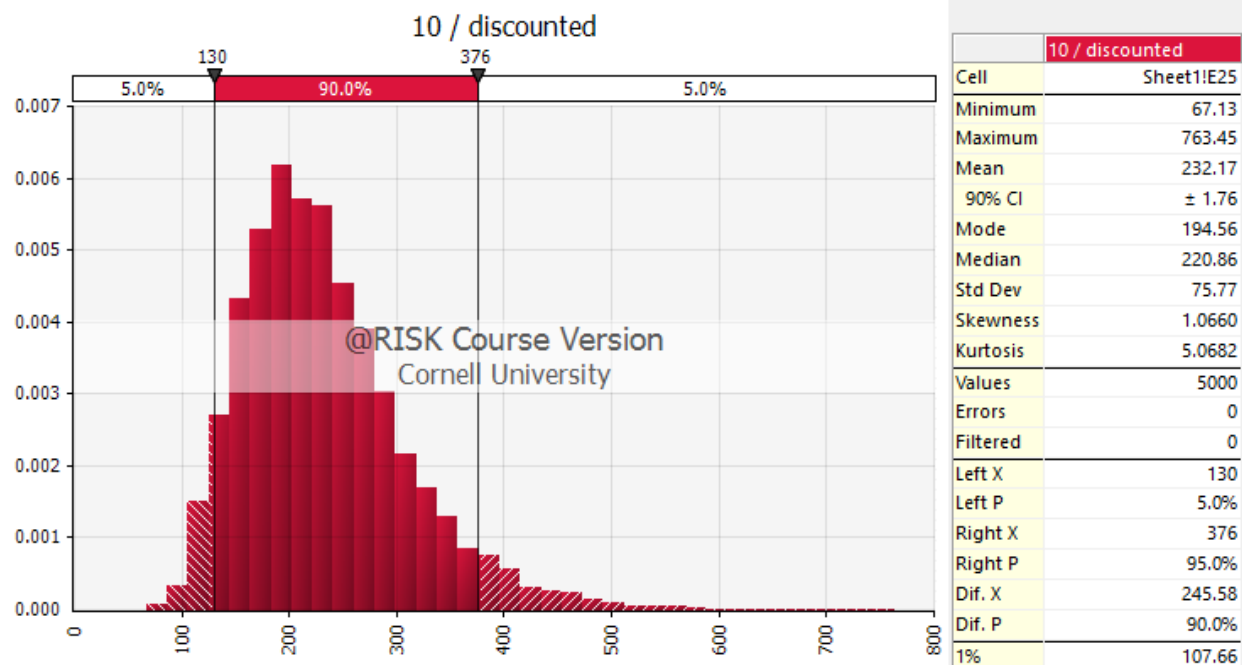


Mean: 1.9295, Standard Deviation: 0.6711

The discount rate has a large standard deviation by year 10, which makes sense with respect to the “yearly” standard deviation of 11.47%. As in, as time passes a non-constant discount rate will a higher standard deviation

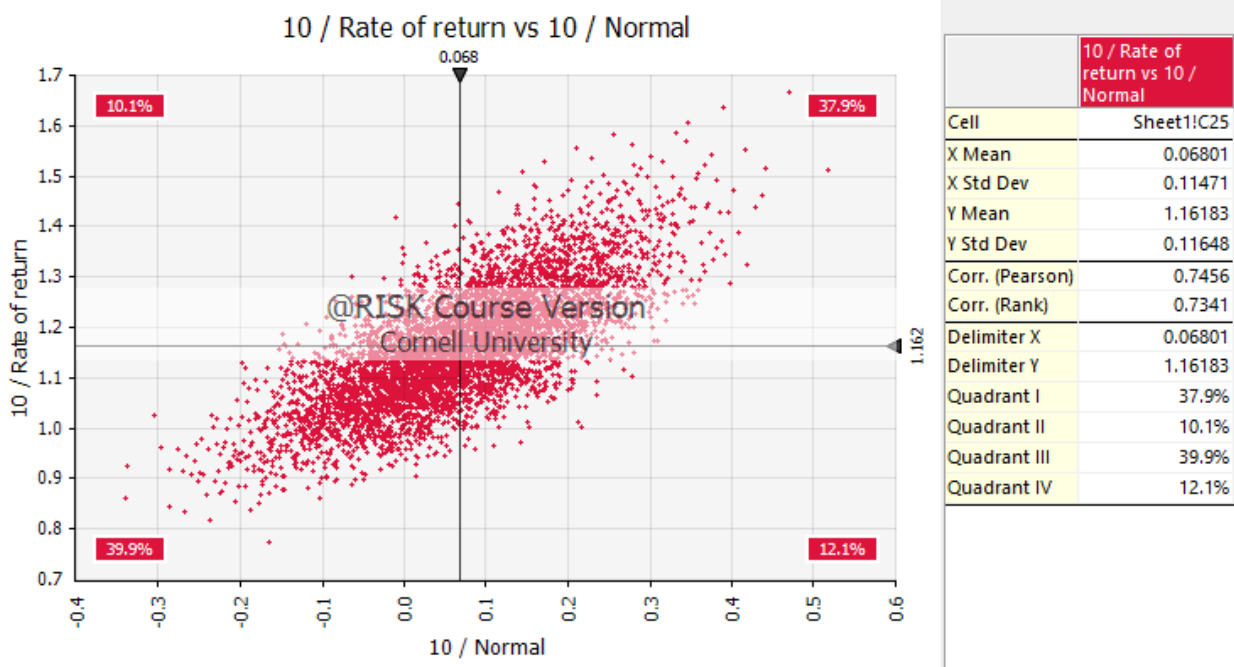
4.





The first two graphs of this problem show that the rate of return is not noticeably affected by the correlation. The standard deviation of PV is similar to that of parts 1 and 2, where the discount rate were not random. Part 3 has a larger standard deviation due to randomness.

5.

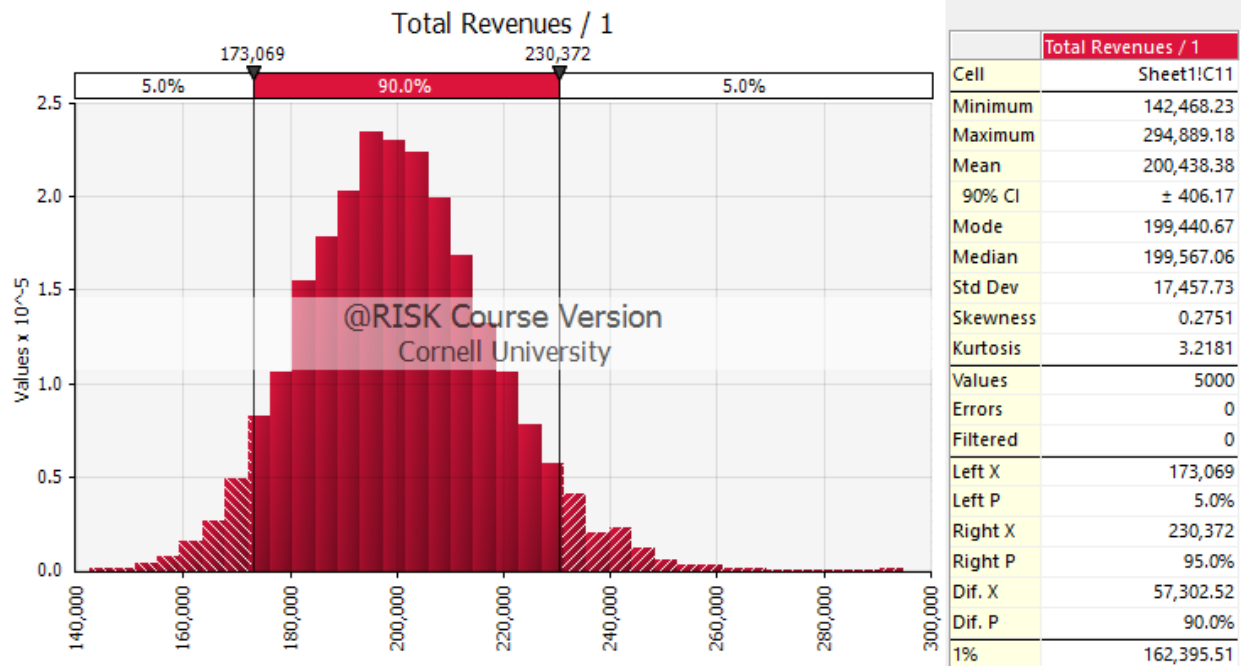


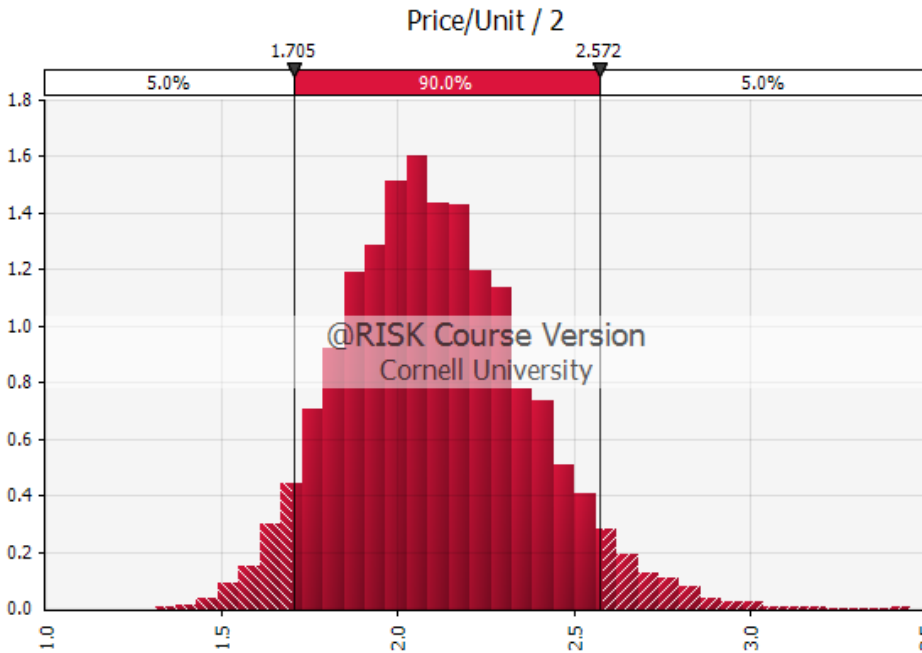
From the graph and table above, the correlation is around 75%. This is true for every year.

Part B

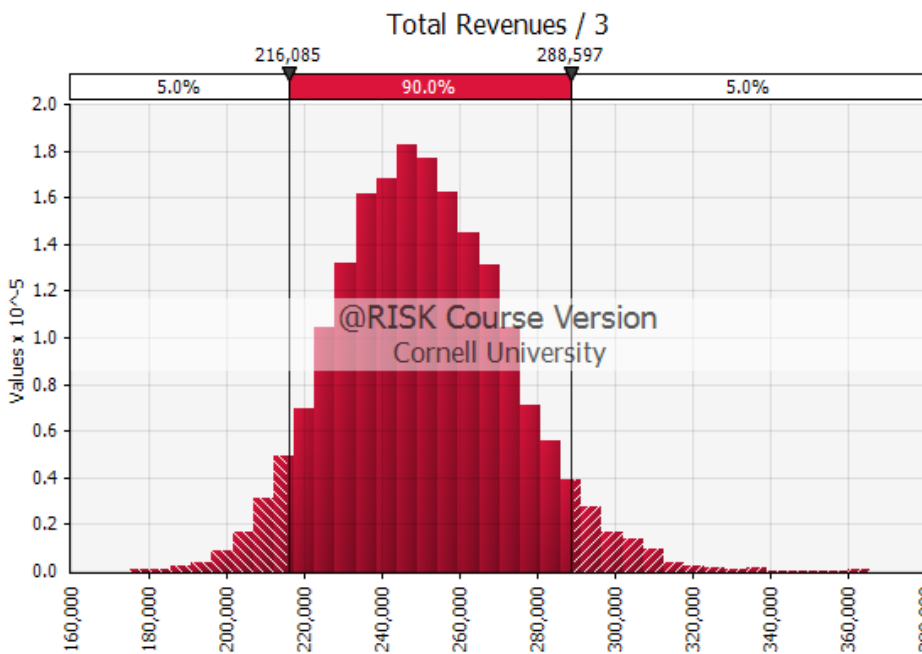
A)

	Mean	Standard Deviation
Year 1 Sales Revenue	\$ 200,444.44	\$ 17,533.02
Year 2 Sales Price	\$ 2.11	\$ 0.27
Year 3 Sales Revenue	\$ 250,588.62	\$ 22,347.70
Year 4 Operating Costs	\$ 165,782.09	\$ 16,034.53
Terminal Cash Flows	\$ 90,014.99	\$ 8,867.25
Year 4 Terminal Cash Flows	\$ 36,874.90	\$ 6,549.24
Net Present Value	\$ 39,933.50	\$ 19,486.99
IRR	17.042%	3.345%
Payback	2.8773	0.1946

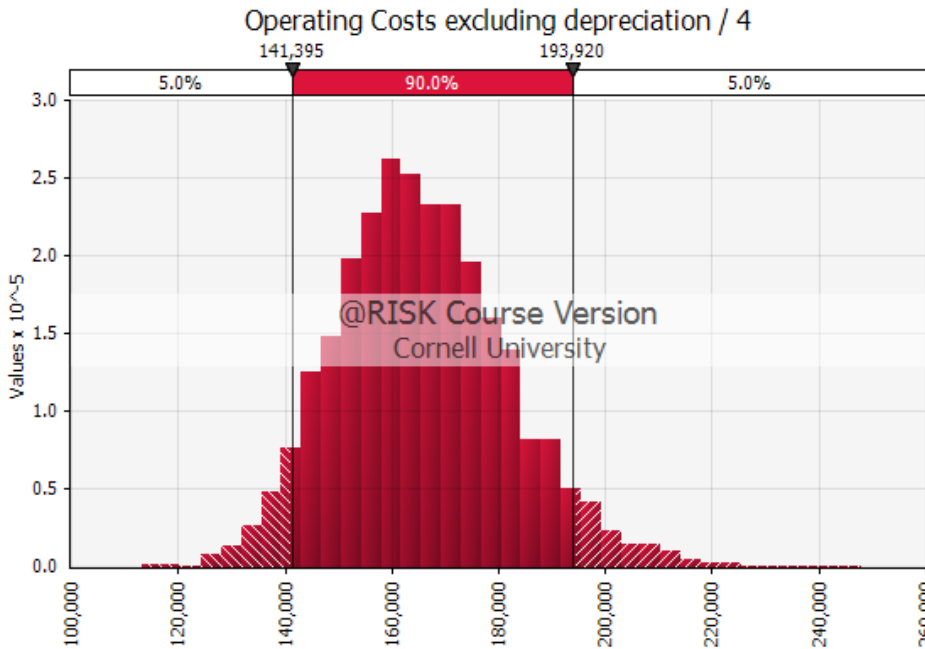




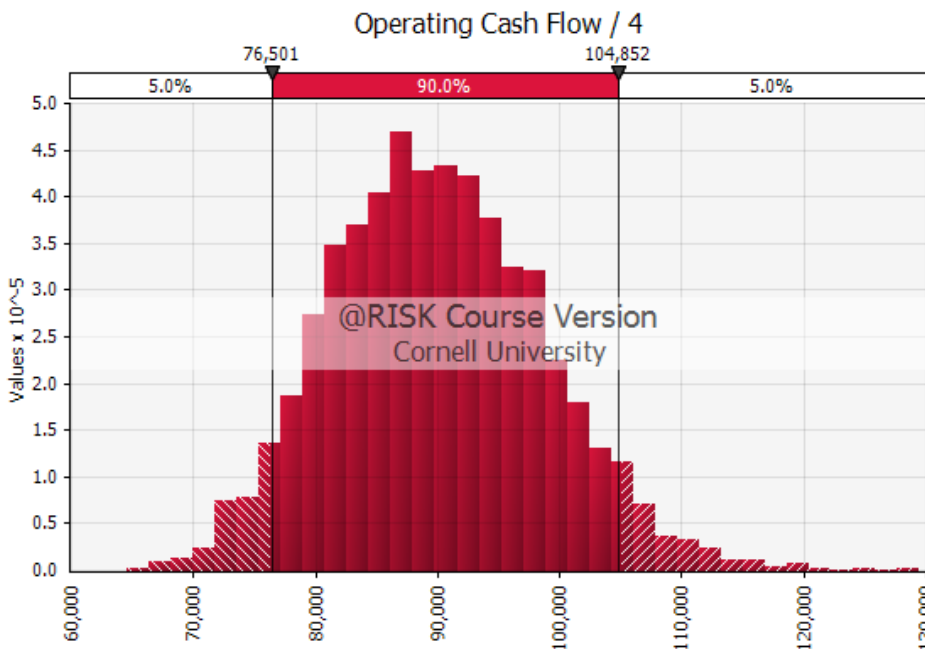
	Price/Unit / 2
Cell	Sheet1!D10
Minimum	1.3101
Maximum	3.4579
Mean	2.1101
90% CI	± 0.00618
Mode	2.0629
Median	2.0906
Std Dev	0.2658
Skewness	0.3865
Kurtosis	3.2679
Values	5000
Errors	0
Filtered	0
Left X	1.705
Left P	5.0%
Right X	2.572
Right P	95.0%
Dif. X	0.8671
Dif. P	90.0%
1%	1.5619



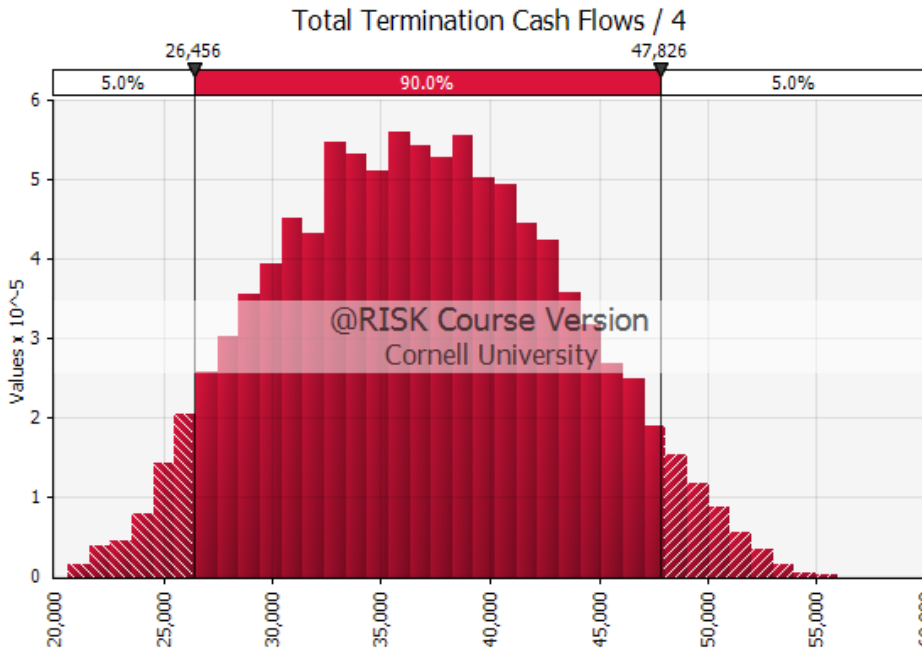
	Total Revenues / 3
Cell	Sheet1!E11
Minimum	175,110.46
Maximum	365,474.24
Mean	250,577.99
90% CI	± 517.04
Mode	251,368.40
Median	249,593.18
Std Dev	22,222.76
Skewness	0.2779
Kurtosis	3.2265
Values	5000
Errors	0
Filtered	0
Left X	216,085
Left P	5.0%
Right X	288,597
Right P	95.0%
Dif. X	72,512.23
Dif. P	90.0%
1%	202,465.56



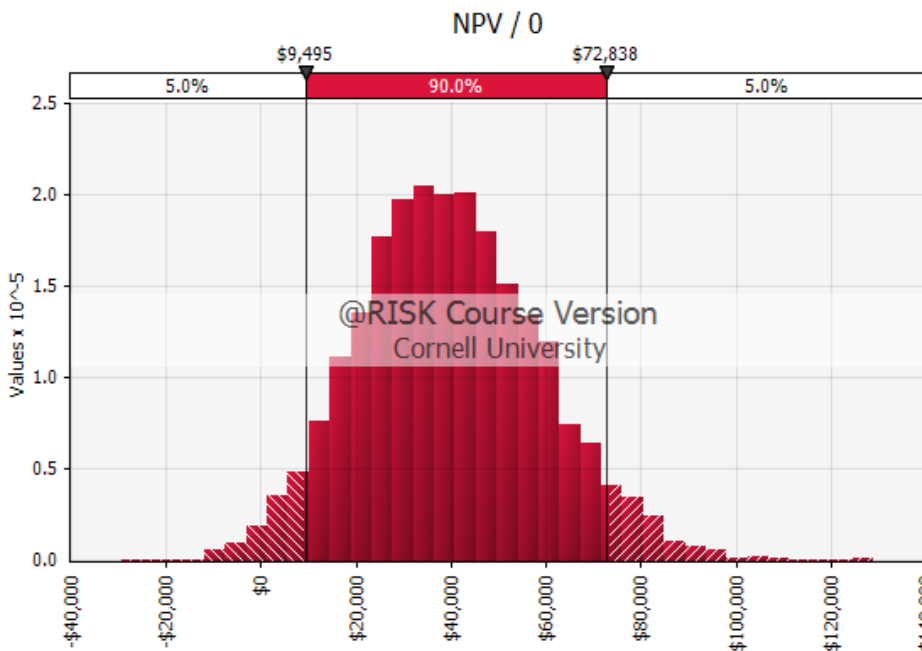
	Operating Costs excluding depreciation / 4
Cell	Sheet1!F12
Minimum	113,138.86
Maximum	247,882.19
Mean	165,782.09
90% CI	± 373.06
Mode	165,421.26
Median	164,911.19
Std Dev	16,034.53
Skewness	0.3575
Kurtosis	3.3176
Values	5000
Errors	0
Filtered	0
Left X	141,395
Left P	5.0%
Right X	193,920
Right P	95.0%
Dif. X	52,524.77
Dif. P	90.0%



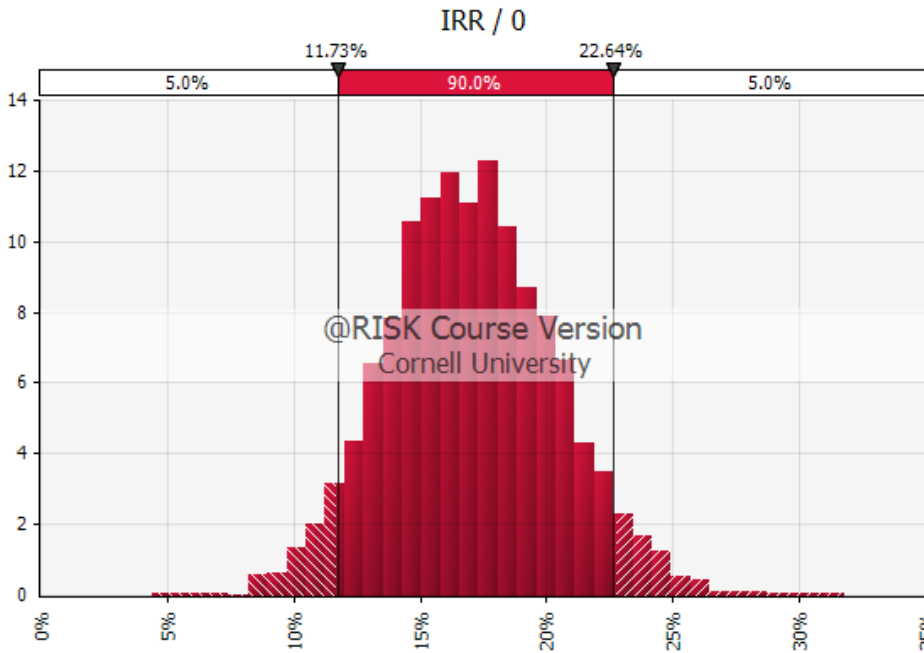
	Operating Cash Flow / 4
Cell	Sheet1!F19
Minimum	64,559.27
Maximum	129,493.36
Mean	89,997.72
90% CI	± 201.88
Mode	90,650.14
Median	89,614.54
Std Dev	8,676.90
Skewness	0.2824
Kurtosis	3.0993
Values	5000
Errors	0
Filtered	0
Left X	76,501
Left P	5.0%
Right X	104,852
Right P	95.0%
Dif. X	28,351.51
Dif. P	90.0%



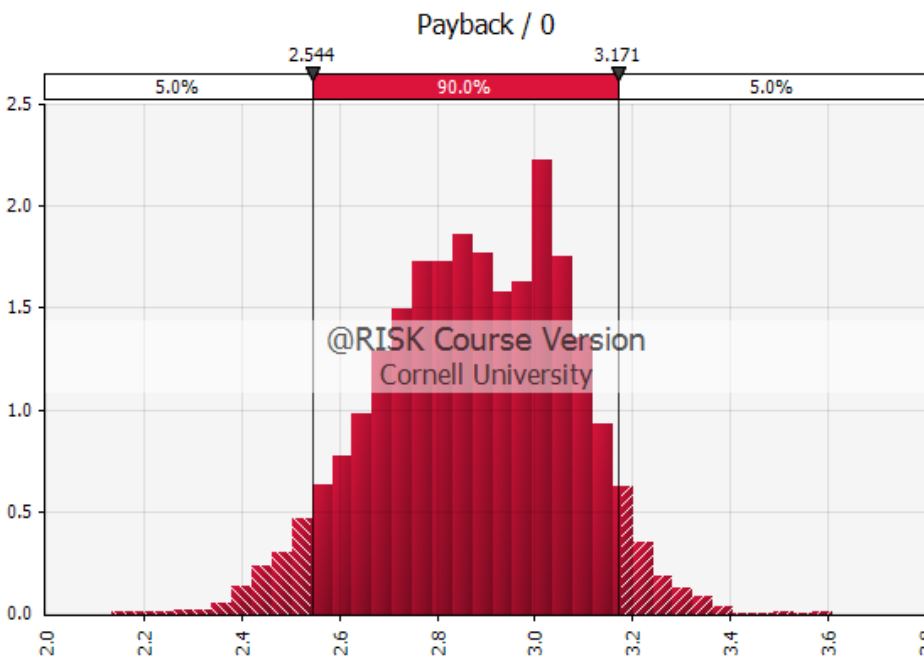
	Total Termination Cash Flows / 4
Cell	Sheet1!F24
Minimum	20,630.64
Maximum	55,931.54
Mean	36,875.05
90% CI	± 151.52
Mode	35,206.93
Median	36,712.79
Std Dev	6,512.53
Skewness	0.0946
Kurtosis	2.4050
Values	5000
Errors	0
Filtered	0
Left X	26,456
Left P	5.0%
Right X	47,826
Right P	95.0%
Dif. X	21,370.43
Dif. P	90.0%



	NPV / 0
Cell	Sheet1!B30
Minimum	-\$29,511.03
Maximum	\$128,954.90
Mean	\$39,923.52
90% CI	± \$449.59
Mode	\$44,865.75
Median	\$38,870.53
Std Dev	\$19,324.04
Skewness	0.2500
Kurtosis	3.1432
Values	5000
Errors	0
Filtered	0
Left X	\$9,495
Left P	5.0%
Right X	\$72,838
Right P	95.0%
Dif. X	\$63,343.57
Dif. P	90.0%
1%	-\$1,395.71

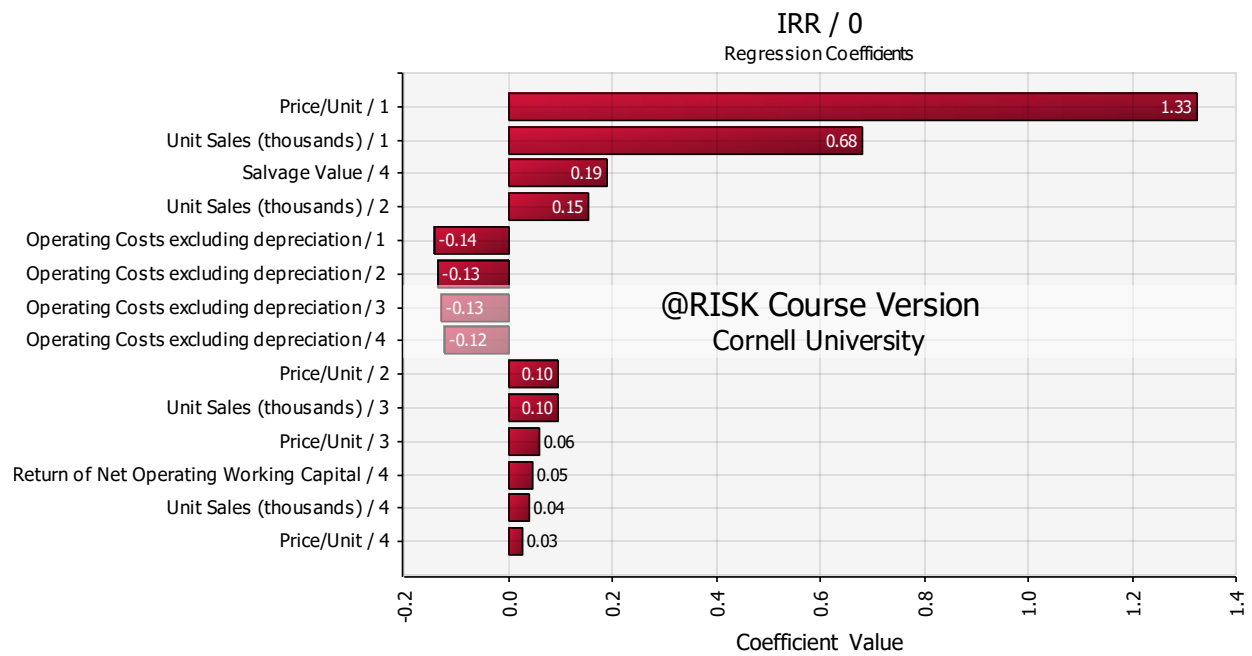
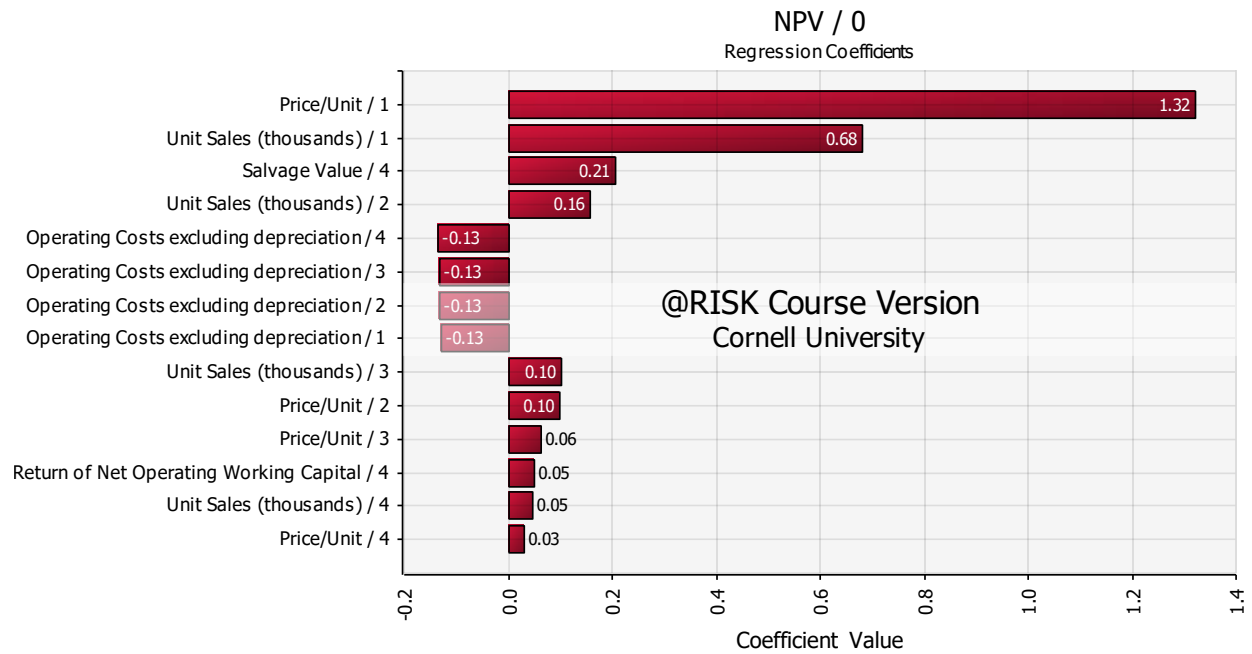


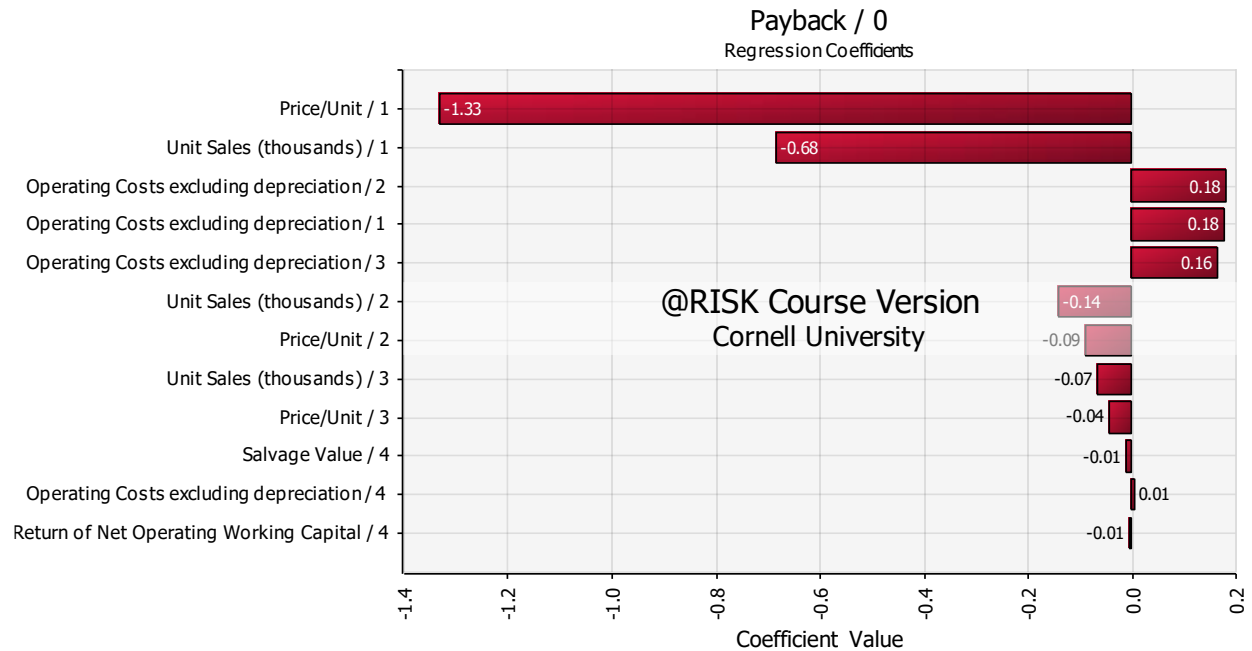
	IRR / 0
Cell	Sheet1!B31
Minimum	4.403%
Maximum	31.777%
Mean	17.042%
90% CI	± 0.0772%
Mode	16.392%
Median	16.930%
Std Dev	3.319%
Skewness	0.1661
Kurtosis	3.0859
Values	5000
Errors	0
Filtered	0
Left X	11.73%
Left P	5.0%
Right X	22.64%
Right P	95.0%
Dif. X	10.908%
Dif. P	90.0%
1%	9.740%



	Payback / 0
Cell	Sheet1!B32
Minimum	2.1350
Maximum	3.6112
Mean	2.8774
90% CI	± 0.00452
Mode	3.0094
Median	2.8835
Std Dev	0.1942
Skewness	-0.2039
Kurtosis	2.7259
Values	5000
Errors	0
Filtered	0
Left X	2.544
Left P	5.0%
Right X	3.171
Right P	95.0%
Dif. X	0.6271
Dif. P	90.0%
1%	2.4227

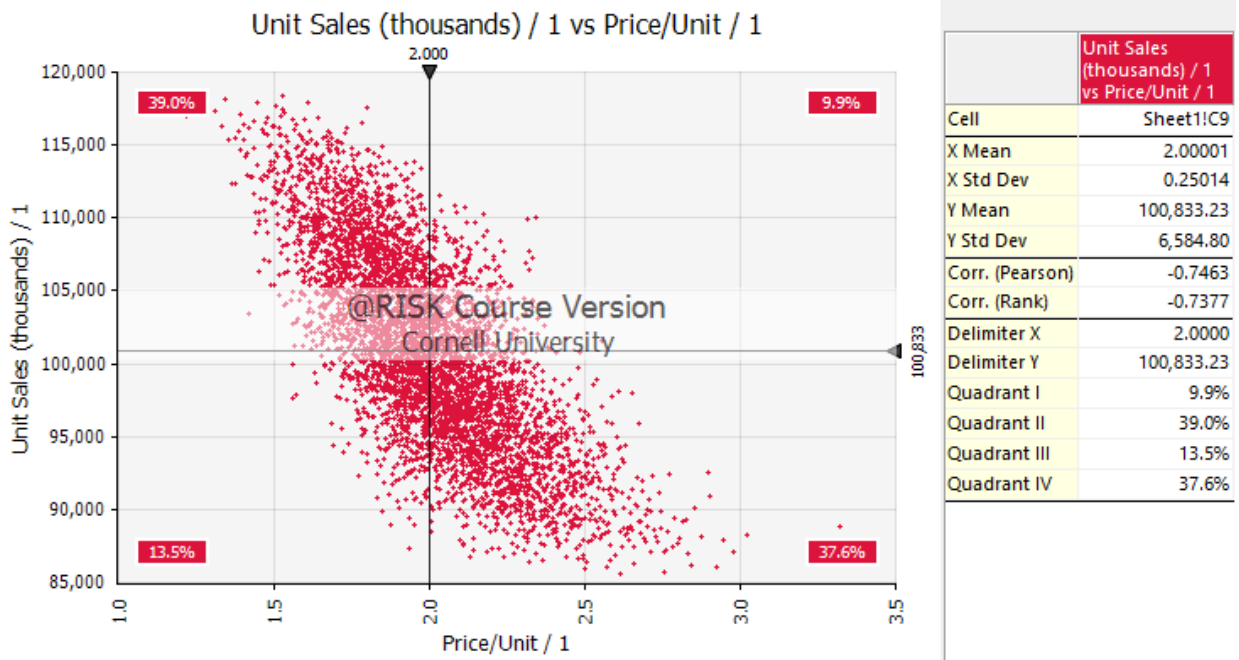
B)

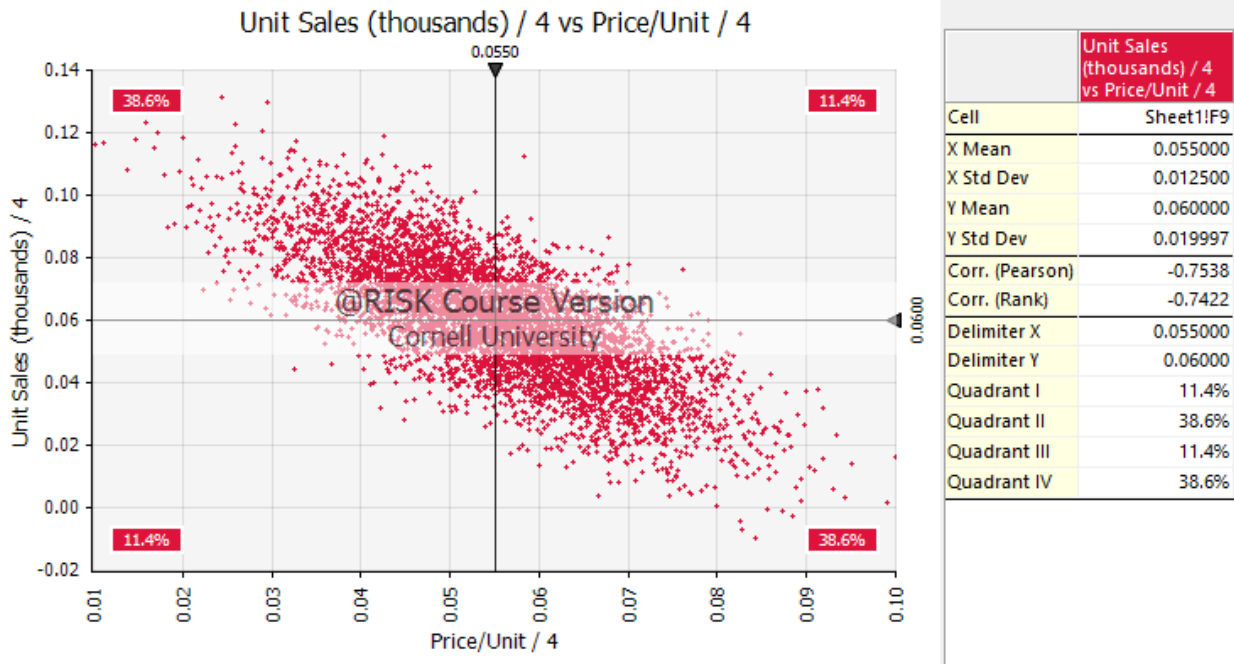




Tornado Graphs show how much the output changes if an input is changed by one standard deviation. With all 3 graphs, Price/Unit and Unit Sales inputs contribute most to the variability of the outcome. However, NPV and IRR have a positive correlation with those inputs, while payback has a negative correlation. The other inputs are not as influential as Price/Unit and Unit Sales inputs.

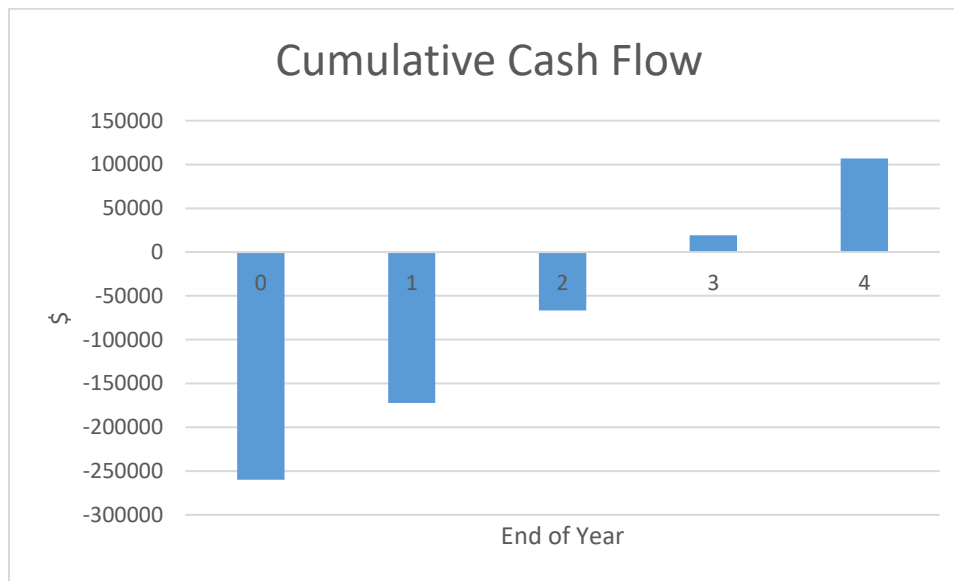
C)





The above scatterplots do match correlation (-0.75) between the two model inputs. The scatterplots indicate that as price per unit increases, unit sales decrease, thus having a negative correlation.

D)



This graph shows that the payback rate is somewhere between 2 and 3 years on average, which is consistent to the payback distribution we calculated earlier.

E)

Based on the CV, I would say the project should be classified as average to low risk, since you do get above a dollar of return per dollar. The type of risk being measured is how likely you will get a positive return on investment from the project.

F)

NPV is the PV of future revenues minus the PV of future costs. Thus, having a higher NPV would mean the project is worth investing. IRR is similar in that a higher IRR means a greater net cash flow. Generally an IRR percentage higher than the cost of capital would signify a promising project. For payback time, the shorter time the better. In the case of Allied's, the NPV between 1.25 and 1.75 means the project has positive returns. The IRR mean of 17% is higher than the WACC of 10%. The payback time is also less than 3 years. Keeping in mind the nature of probabilities and the possibility that $NPV < 0$, where the discount rate is greater than NPV, there is risk involved. But from the NPV distribution, the likelihood of a negative NPV is low (around 1.3%).

