## MSE for LSB-k

- MSE(LSB-1)= $\frac{1}{2^1 \times 2^1} \sum_{i=0}^{1} \sum_{j=0}^{1} (i-j)^2$
- MSE(LSB-2)= $\frac{1}{2^2 \times 2^2} \sum_{i=0}^{3} \sum_{j=0}^{3} (i-j)^2$
- How about LSB-k?
- MSE(LSB-k)= $\frac{1}{2^k \times 2^k} \sum_{i=0}^{2^k-1} \sum_{j=0}^{2^k-1} (i-j)^2$
- You can simplify the expression
- MSE(LSB-k)= $\frac{2^{2k}-1}{6}$

K	1	2	3	4	5	6	7
MSE	0.5	2.5	10.5	42.5	170.5	?	?

## Assignment 05

Given k, show that the mean square error for LSB-K is

MSE(LSB-k)=
$$\sum_{i=0}^{2^{k}-1} \sum_{j=0}^{2^{k}-1} (i-j)^{2} = \frac{2^{2^{k}-1}}{6}$$

- Type your proof in a word file using mathematical expression
- Submit: both word file and PDF file
- Deadline: 03/25 (Monday) 23:30

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