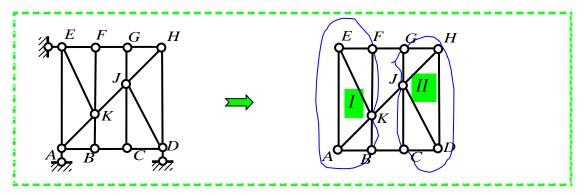
广州大学 2023-2024 学年第 二 学期考试卷

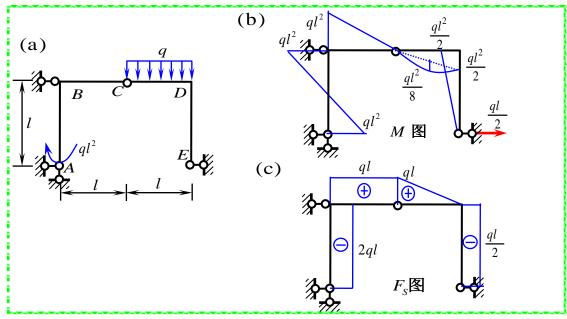
课程 结构力学Ⅰ考试形式(闭卷,考试)

一、(6分)对图示体系进行几何组成分析。(写出分析过程)

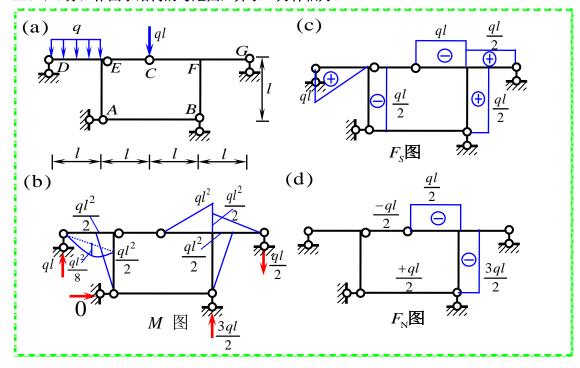


去地基。ABEFK 铰接部分为刚片 II,CDGHJ 铰接部分为刚片 II,刚片 II与刚片 II 用三个链杆相 连满足二刚片规则,该体系为无多余约束的几何不变体系。体系为静定桁架结构。

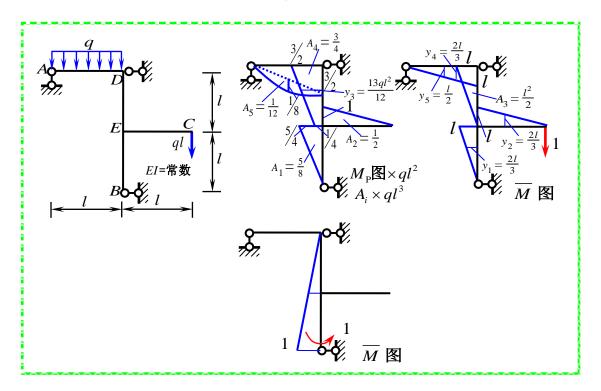
二、(10分)作图示结构的弯矩图和剪力图。



三、(10分)作图示结构的弯矩图,并求二力杆轴力。

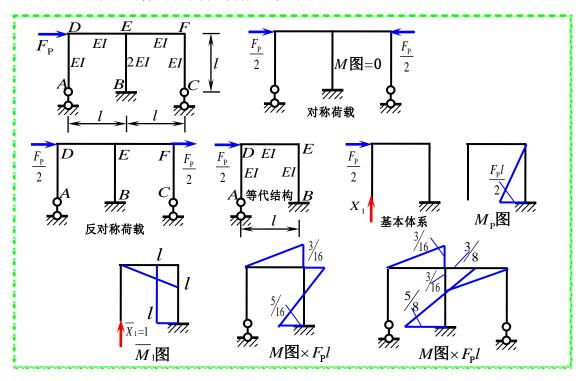


四、(10 分) 图示结构,求 C 点竖向位移 $_{\Delta_{C}}$ 和 B 点转角位移 $_{\varphi_{\scriptscriptstyle B}}$ 。



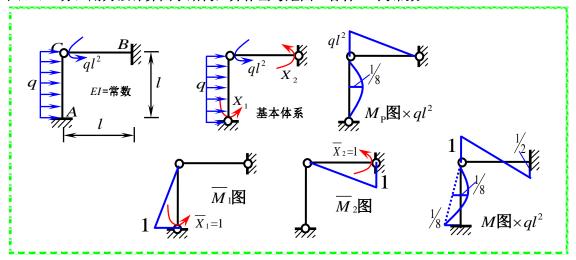
$$\begin{split} & \varDelta_{CV} = \sum \int \frac{\overline{M}}{EI} \, M_{\mathrm{P}} \, ds = \sum \frac{\left(\pm\right) A y_{0}}{EI} \, = \frac{A_{1} y_{1}}{EI} + \frac{A_{2} y_{2}}{EI} + \frac{A_{3} y_{3}}{EI} + \frac{A_{4} y_{4}}{EI} + \frac{A_{5} y_{5}}{EI} \\ & = \left(\frac{5}{8} \times \frac{2}{3} + \frac{1}{2} \times \frac{2}{3} + \frac{1}{2} \times \frac{13}{12} + \frac{3}{4} \times \frac{2}{3} + \frac{1}{12} \times \frac{1}{2}\right) \times \frac{q l^{4}}{EI} = \frac{11 q l^{4}}{6 EI} \left(\downarrow\right) \\ & \varphi_{B} = \frac{7 l^{3}}{12 EI} \end{split}$$

五、(8分)用力法计算图示结构,并作出弯矩图。



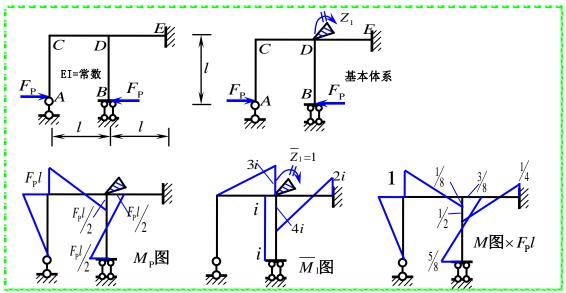
$$\begin{split} &\delta_{11}X_1+\Delta_{1\mathrm{P}}=0 \qquad \delta_{-11}=\sum\int\frac{\overline{M}_1\overline{M}_1}{EI}ds=\frac{4l^3}{3EI} \qquad \Delta_{-1\mathrm{P}}=\sum\int\frac{\overline{M}_1M_{\mathrm{P}}}{EI}ds=\frac{F_{\mathrm{P}}l^3}{4EI} \\ &X_1=\frac{-\Delta_{-1\mathrm{P}}}{\delta_{-11}}=\frac{-3F_{\mathrm{P}}}{16} \qquad \qquad \\ &\boxplus \quad M=X_1\overline{M}_1+M_{\mathrm{P}} \quad \text{作弯矩图}\,. \end{split}$$

六、(14分)用力法计算图示结构,并作出弯矩图。各杆 EI 为常数。



$$\begin{split} & \frac{\delta_{11}X_{1}+\delta_{12}X_{2}+\Delta_{1P}=0}{\delta_{21}X_{1}+\delta_{22}X_{2}+\Delta_{2P}=0} \qquad \delta_{11}=\sum\int\frac{\overline{M}_{1}\overline{M}_{1}}{EI}ds=\frac{l}{3EI} \qquad \Delta_{1P}=\sum\int\frac{\overline{M}_{1}M_{P}}{EI}ds=\frac{-ql^{3}}{24EI} \\ & \frac{\delta_{12}=\delta_{21}=\sum\int\frac{\overline{M}_{1}\overline{M}_{2}}{EI}ds=0 \qquad \delta_{22}=\sum\int\frac{\overline{M}_{2}\overline{M}_{2}}{EI}ds=\frac{l}{3EI} \qquad \Delta_{2P}=\sum\int\frac{\overline{M}_{2}M_{P}}{EI}ds=\frac{-ql^{3}}{6EI} \\ & \frac{l}{3EI}X_{1}-\frac{ql^{3}}{24EI}=0 \qquad X_{1}=\frac{ql^{2}}{8} \qquad X_{2}=\frac{ql^{2}}{2} \qquad \boxplus M=\overline{M}_{1}X_{1}+\overline{M}_{2}X_{2}+M_{P} \text{ if } M \text{ is } 0. \\ & \frac{l}{3EI}X_{2}-\frac{ql^{3}}{6EI}=0 \end{split}$$

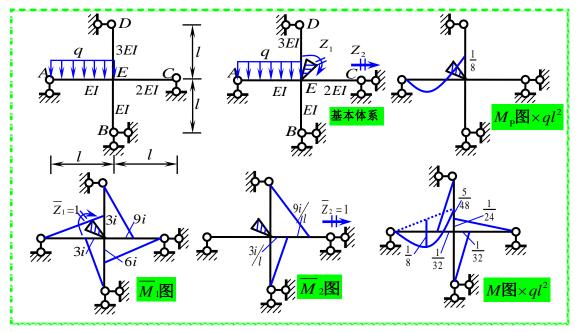
七、(12分)用位移法计算图示结构,并作出弯矩图。设各杆 EI=常数。



令线刚度:
$$i = \frac{EI}{l}$$
 $k_{11}Z_1 + F_{1P} = 0$

$$k_{11}=8i$$
 $F_{1P}=-F_{P}l$ $Z_{1}=F_{P}l/8i$ $\boxplus M=\overline{M}_{1}Z_{1}+M_{P}$ \Harphi \boxtimes \circ

已知:
$$Z_1 = \frac{-ql^2}{144i}$$
 $Z_2 = \frac{ql^3}{288i}$



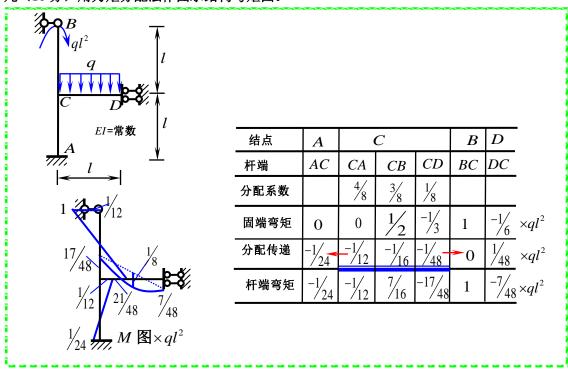
令线刚度:
$$i = EI / k_{11}Z_1 + k_{12}Z_2 + F_{1P} = 0$$

令线刚度:
$$i = \frac{EI}{l} \begin{pmatrix} k_{11}Z_1 + k_{12}Z_2 + F_{1P} = 0 \\ k_{21}Z_1 + k_{22}Z_2 + F_{2P} = 0 \end{pmatrix}$$
 $k_{11} = 21i$ $k_{22} = \frac{12i}{l^2}$ $k_{21} = k_{12} = \frac{6i}{l}$ $F_{1P} = \frac{ql^2}{8}$

$$\begin{split} F_{\rm 2P} &= 0 & 21iZ_1 + \frac{6i}{l}Z_2 + \frac{ql^2}{8} = 0 \\ & \frac{6i}{l}Z_1 + \frac{12i}{l^2}Z_2 = 0 \end{split}$$

$$F_{\rm 2P} = 0 \quad \frac{21iZ_1 + 6i/l}{6i/l} Z_2 + \frac{ql^2/8}{8} = 0 \quad Z_1 = \frac{-ql^2}{144i} \qquad Z_2 = \frac{ql^3}{288i} \stackrel{\text{th}}{=} M = \overline{M}_1 Z_1 + \overline{M}_2 Z_2 + M_p \quad \text{ff M } \stackrel{\text{N}}{=} 0.$$

九(10分)用力矩分配法作图示结构弯矩图。



十、(10分)作图示结构 F_{By} 、 M_{B} 、 F_{SB}^{\pm} 、 F_{SB}^{\pm} 的影响线。

