

- Show that $A + (B + C) \sim (A + B) + C$.
- Show that if $A \sim A'$ and $B \sim B'$ then $\text{Sum } A \ B \sim \text{Sum } A' \ B'$.
- Find another example of types A, B so that logically $A \leftrightarrow B$ but A, B are **not** isomorphic.
- Using the Church encoding check that indeed plus one one is equal to two.
- Revisit the proofs from Assignment 1 and write them as lambda terms.
- **(Hard)** Which one of the De Morgan equations cannot be proved constructively? Show constructive proofs for constructive De Morgan laws and a proof that non-constructive De Morgan laws imply DNE or LEM.
- If possible, infer types for:
 - $\lambda f \ x \ .> x$
 - $\lambda f \ x \ .> f(f \ x)$
 - $\lambda f \ x \ .> x(f \ x)$
 - $\lambda x \ .> x \ x \ x$
 - $\lambda h \ t \ f \ x \ .> f \ h \ (t \ f \ x)$