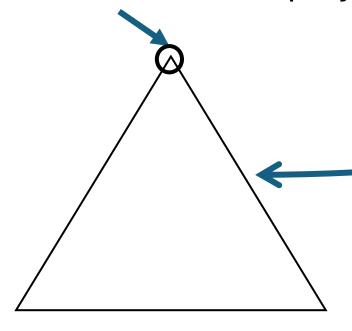


Basic Polygon

Definition:

A closed figure on a plane made out of line segment, called <u>sides</u>, that meet up points called <u>verticles</u>. A polygon at least has 3 sides.



Basic Polygon

Name of polygon	Triangle	Quadrilateral	Pentagon	Hexagon
Number of sides	3	4	5	6
Name of polygon	Heptagon	Octagon	Nonagon	Decagon
Number of sides	7	8	9	10

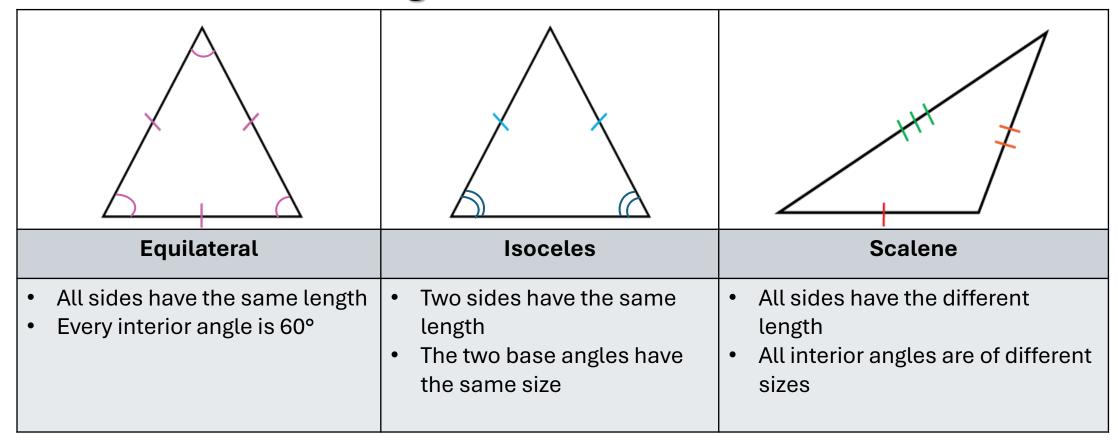
Properties of Triangle

Triangle can be classified according to these aspects:

- Geometries properties of their sides (The length of the sides)
- Geometries properties of their angles (Interior Angles)

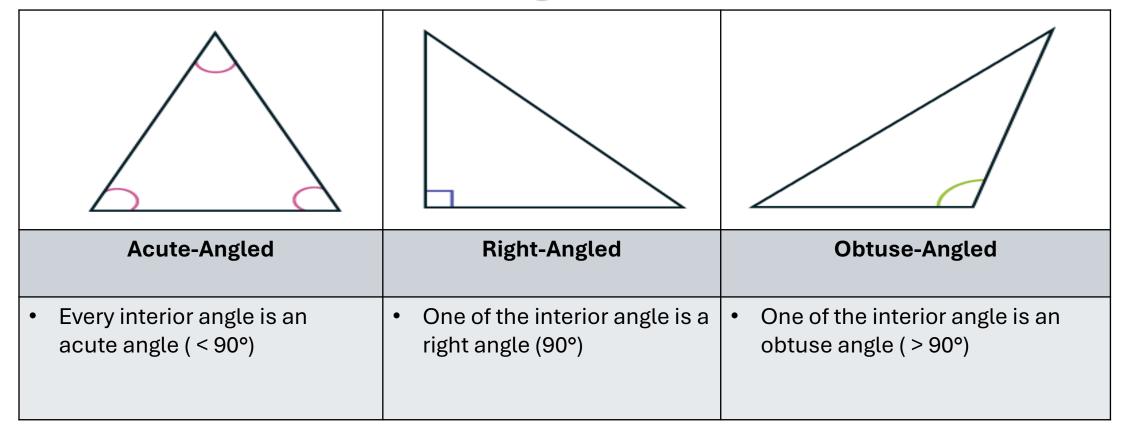
Properties of Triangle

<u>Classifications – Length of the sides</u>

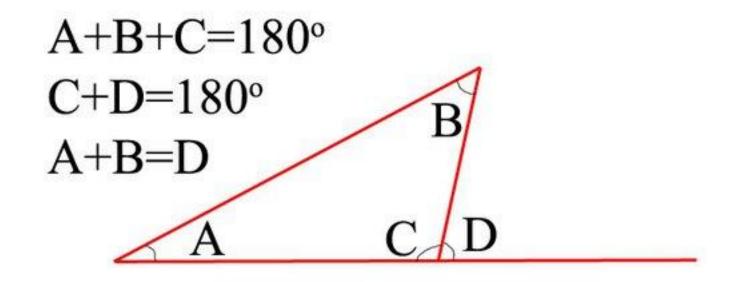


Properties of Triangle

<u>Classifications – Interior Angles</u>

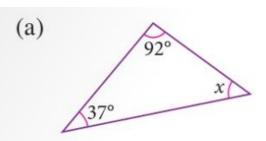


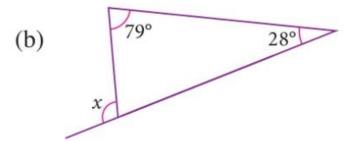
Interior + Outerior Angles of Triangle



Interior + Outerior Angles of Triangle

The sum of all





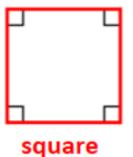
Solution

(a)
$$92^{\circ} + 37^{\circ} + x = 180^{\circ}$$
 the interior angles is 180°.
 $x = 180^{\circ} - 129^{\circ}$ $= 51^{\circ}$

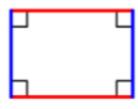
(b)
$$x = 79^{\circ} + 28^{\circ} = 107^{\circ}$$

The exterior angle is the sum of two opposite interior angles.

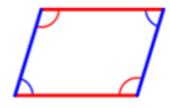
Properties of Quadrilaterals



All sides equal All angles 90°



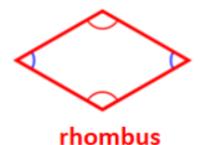
rectangle
Opposite sides equal
All angles 90°



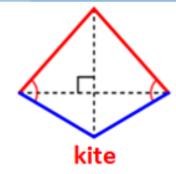
parallelogram
Opposite sides equal
and parallel



At least 1 pair of parallel sides

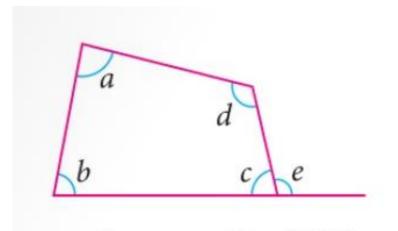


All sides equal Opposite sides parallel

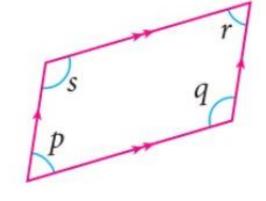


Adjacent pairs of sides equal

Interior + Outerior Angles of Quadrilaterals

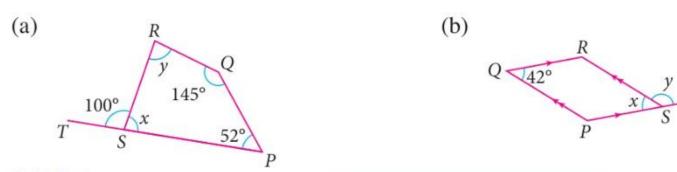


$$a+b+c+d=360^{\circ}$$
$$c+e=180^{\circ}$$



$$p = r$$
 $q = s$

Interior + Outerior Angles of Quadrilaterals



Solution

(a)
$$x + 100^{\circ} = 180^{\circ}$$

$$x = 180^{\circ} - 100^{\circ}$$

$$= 80^{\circ}$$

$$y + 80^{\circ} + 52^{\circ} + 145^{\circ} = 360^{\circ}$$

$$y + 277^{\circ} = 360^{\circ}$$

$$y = 360^{\circ} - 277^{\circ}$$

$$= 83^{\circ}$$
Sum of the interior angle and its adjacent exterior angle is 180°.

Sum of the interior angle and its adjacent exterior angle is 180°.

(b)
$$x = 42^{\circ}$$
 Opposite angles in a parallelogram are equal. $y + 42^{\circ} = 180^{\circ} - 42^{\circ}$ $= 138^{\circ}$