$$\begin{aligned} & \text{In} [2683] \text{:= } \textbf{Text} \big[ \textbf{Row} \big[ \big\{ \text{" dt error for all Fnn"} \big\} \big] \big] \\ & \\ & \textbf{FGGdt} \ = - \frac{\left( k \left( 6 + H^2 \ k^2 \right) \ U \ w \right) \ dt^2}{2 \left( 3 + H^2 \ k^2 \right)} \end{aligned}$$

Out[2683]= dt error for all Fnn

$$\mbox{Out}[2684] = \ - \ \frac{\mbox{dt}^2 \ k \ \left( \mbox{6 + H}^2 \ k^2 \right) \ \mbox{U w}}{\mbox{2} \ \left( \mbox{3 + H}^2 \ k^2 \right)}$$

In[2685]:=

$$\begin{split} & \texttt{Text}[\texttt{Row}[\{\texttt{"} - \texttt{Sqrt}[\texttt{g*H}] < \texttt{U} < \texttt{Sqrt}[\texttt{g*H}] \quad \texttt{"}\}]] \\ & \texttt{FGG1FDdxdt} = -\frac{1}{2} \left( \sqrt{\texttt{g}\,\texttt{H}} \,\, k^2 \right) \, \texttt{dt*dx} \end{split}$$

$$FGG1FDdxdt1 = -\frac{1}{2} (k^2 U) dt dx$$

$$FGG1FDdxdt2 = \frac{1}{2} k^2 U dt dx$$

$$\text{Out} [2685] = -Sqrt[g*H] < U < Sqrt[g*H]$$

Out[2686]= 
$$-\frac{1}{2} dt dx \sqrt{g H} k^2$$

$$\text{Out[2687]=} \quad U > Sqrt[g*H]$$

Out[2688]= 
$$-\frac{1}{2}$$
 dt dx  $k^2$  U

Out[2689]= 
$$U < -Sqrt[g*H]$$

Out[2690]= 
$$\frac{1}{2}$$
 dt dx k<sup>2</sup> U

$$\begin{array}{lll} & & & & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ &$$

Out[2694]= 
$$-\frac{i dt dx^2 \left(-9 k^3 + 3 H^2 k^5 + H^4 k^7\right) U}{12 \left(3 + H^2 k^2\right)^2}$$

Out[2693]= U > Sqrt[g\*H]

Out[2695]= U < -Sqrt[g\*H]

Out[2696]= 
$$-\frac{i dt dx^{2} \left(-9 k^{3}+3 H^{2} k^{5}+H^{4} k^{7}\right) U}{12 \left(3+H^{2} k^{2}\right)^{2}}$$

$$\begin{split} & \text{Text}[\text{Row}[\{\text{" -Sqrt}[g*H] < \text{U < Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG2FEMdxdt} = -\frac{\dot{\text{i}} \left(126 \, k^3 + 75 \, \text{H}^2 \, k^5 + 10 \, \text{H}^4 \, k^7\right) \, \text{U} \, \text{dt}}{120 \, \left(3 + \text{H}^2 \, k^2\right)^2} \, \, \text{dx^2} \\ & \text{Text}[\text{Row}[\{\text{" U > Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG2FEMdxdt1} = -\frac{\dot{\text{i}} \left(126 \, k^3 + 75 \, \text{H}^2 \, k^5 + 10 \, \text{H}^4 \, k^7\right) \, \text{U} \, \text{dt}}{120 \, \left(3 + \text{H}^2 \, k^2\right)^2} \, \, \text{dx^2} \\ & \text{Text}[\text{Row}[\{\text{" U < -Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG2FEMdxdt2} = -\frac{\dot{\text{i}} \left(126 \, k^3 + 75 \, \text{H}^2 \, k^5 + 10 \, \text{H}^4 \, k^7\right) \, \text{U} \, \text{dt}}{120 \, \left(3 + \text{H}^2 \, k^2\right)^2} \, \, \text{dx^2} \end{split}$$

$$\begin{array}{ll} \mbox{Out[2697]=} & -\mbox{Sqrt}[g*H] < U < \mbox{Sqrt}[g*H] \\ \\ \mbox{Out[2698]=} & -\frac{\mbox{i} \mbox{ dt } \mbox{dx}^2 \mbox{ } \left( \mbox{126 k}^3 + 75 \mbox{ H}^2 \mbox{ k}^5 + \mbox{10 H}^4 \mbox{ k}^7 \right) \mbox{ U}}{\mbox{120} \mbox{ } \left( \mbox{3 + H}^2 \mbox{ k}^2 \right)^2} \\ \end{array}$$

$$\text{Out} [2699] = \quad U > Sqrt[g*H]$$

$$\text{Out[2700]= } - \frac{\text{i} \ \text{dt} \ \text{dx}^2 \ \left( 126 \ \text{k}^3 + 75 \ \text{H}^2 \ \text{k}^5 + 10 \ \text{H}^4 \ \text{k}^7 \right) \ \text{U} }{120 \ \left( 3 + \text{H}^2 \ \text{k}^2 \right)^2 }$$

Out[2701]= 
$$U < -Sqrt[g*H]$$

$$\mbox{Out[2702]=} \ \, - \, \, \frac{\mbox{ii} \ \, \mbox{dt} \ \, \mbox{dx}^2 \ \, \left( 126 \ \, \mbox{k}^3 \, + \, 75 \ \, \mbox{H}^2 \ \, \mbox{k}^5 \, + \, 10 \ \, \mbox{H}^4 \ \, \mbox{k}^7 \right) \, \, \mbox{U}}{120 \, \, \left( 3 \, + \, \mbox{H}^2 \ \, \mbox{k}^2 \right)^2}$$

In[2703]:=

$$\begin{split} & \text{Text}[\text{Row}[\{\text{" -Sqrt}[g*H] < \text{U < Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG3FDdxdt} = -\frac{1}{12} \left( \sqrt{g\,H} \ k^4 \right) \text{dt dx^3} \\ & \text{Text}[\text{Row}[\{\text{" U > Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG3FDdxdt1} = -\frac{1}{12} \left( k^4 \, \text{U} \right) \text{dt dx^3} \\ & \text{Text}[\text{Row}[\{\text{" U < -Sqrt}[g*H] \ \text{"}}]] \\ & \text{FGG3FDdxdt2} = \frac{1}{12} \, k^4 \, \text{U dt dx^3} \end{split}$$

$$\begin{array}{ll} \text{Out[2703]=} & -Sqrt[g*H] < U < Sqrt[g*H] \end{array}$$

$$\text{Out} [\text{2704}] = -\frac{1}{12} \text{ dt dx}^3 \sqrt{\text{g H}} \text{ } k^4$$

Out[2705]= 
$$U > Sqrt[g*H]$$

$${}_{Out[2706]=} \ -\frac{1}{12} \ dt \ dx^3 \ k^4 \ U$$

$$\text{Out} [2707] = \quad U < -Sqrt[g*H]$$

$$_{\text{Out[2708]=}} \ \frac{1}{12} \ \text{dt} \ \text{d}x^3 \ k^4 \ \text{U}$$