

# Time Series Forecasting in Python

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## **Part I**

# **Time waits for no one**

# Chapter 1

## Understanding time series forecasting

### 1.1 Forecasting the historical mean

#### 1.1.1 Implementing the historical mean baseline

$$MAPE = \frac{1}{n} \sum_{i=1}^n \left| \frac{A_i - F_i}{A_i} \right| \times 100 \quad (1.1)$$

$A_i$  is the actual value at point  $i$  in time, and  $F_i$  is the forecast value at point  $i$  in time;  $n$  is simply the number of forecasts.

## Chapter 2

# Going on a random walk

### 2.1 Identifying a random walk

**Definition 1** *A random walk is a series whose first difference is stationary and uncorrelated. This means that the process moves completely at random.*

#### 2.1.1 Stationarity

A stationary time series is one whose statistical properties do not change over time. In other words, it has a constant mean, variance, and autocorrelation, and these properties are independent of time.

##### Augmented Dickey-Fuller (ADF) test

The augmented Dickey-Fuller (ADF) test helps us determine if a time series is stationary by testing for the presence of a unit root. If a unit root is present, the time series is not stationary. The null hypothesis states that a unit root is present, meaning that our time series is not stationary.

### 2.2 Forecasting a random walk

#### 2.2.1 Forecasting on a long horizon

you should be convinced that forecasting a random walk on a long horizon does not make sense.

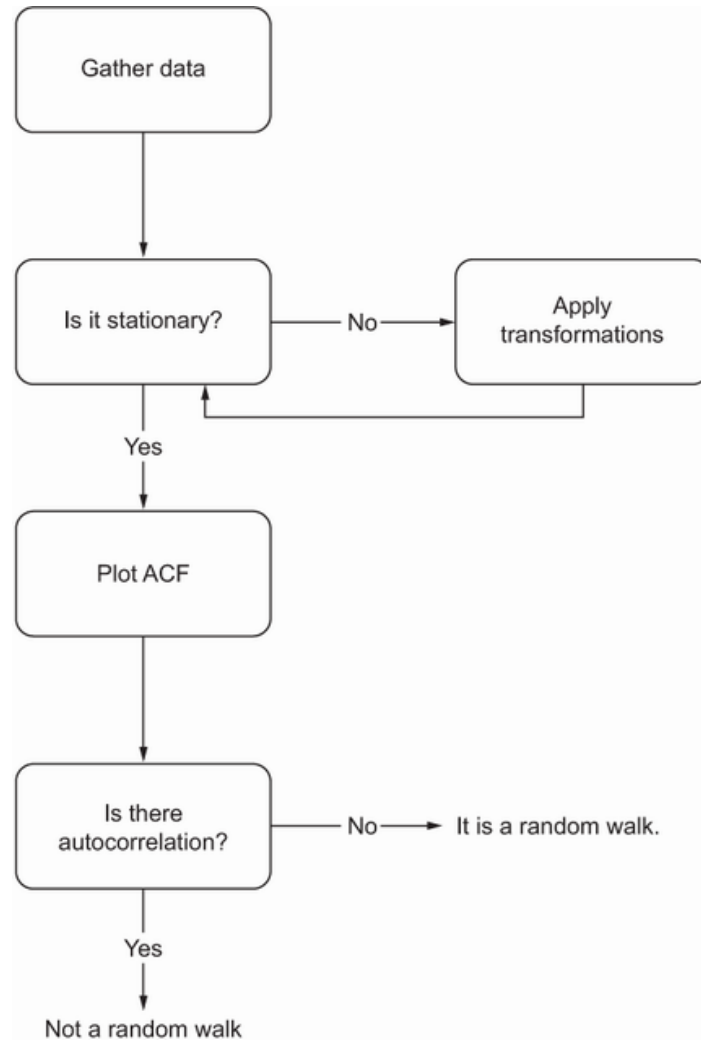


Figure 2.1: Steps to follow to identify whether time series data can be approximated as a random walk or not. The first step is naturally to gather the data. Then we test for stationarity. If it is not stationary, we apply transformations until stationarity is achieved. Then we can plot the autocorrelation function (ACF). If there is no autocorrelation, we have a random walk.

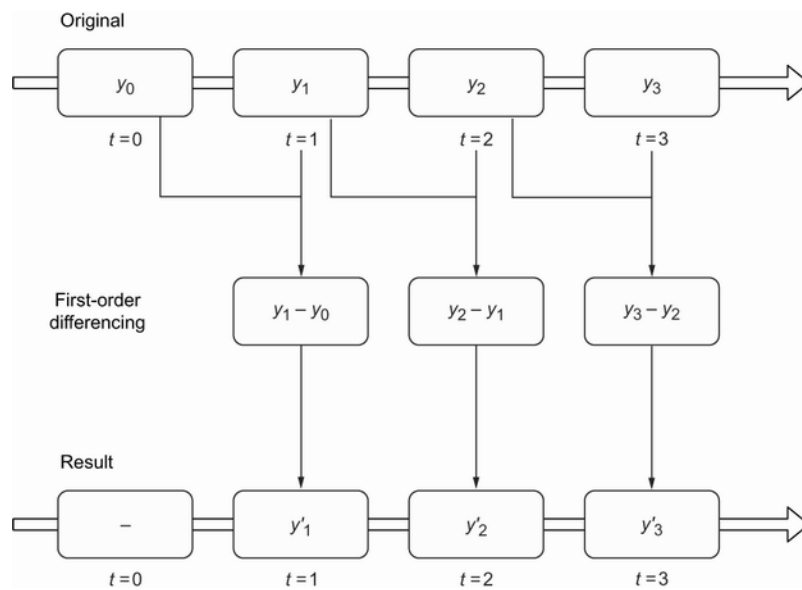


Figure 2.2: Visualizing the differencing transformation. Here, a first-order differencing is applied. Notice how we lose one data point after this transformation because the initial point in time cannot be differenced with previous values since they do not exist.

## **Part II**

# **Forecasting with statistical models**



## **Part III**

# **Large-scale forecasting with deep learning**

## **Part IV**

# **Automating forecasting at scale**