

Contraintes physiques pour les réseaux génératifs et application à la synthèse et à la super-résolution de fonds nuageux

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Outline

- Goals
- Generative Adversarial Networks: principle and interest
- Application to clouds synthesis:
 - Relevant prior physics information
 - How to account for the different constraints in the loss ?
 - Results

Goals

- Complete experimental databases to evaluate the performance of optronic sensors
- Keep the **same radiometric levels** and **cloud cover** but with different spatial distribution
- Use ice or liquid water content and thus not many training data
 - ⇒ Input of radiative transfer code
 - ⇒ Images for **different spectral bands**
different viewing angles
- Super-resolution with reversibility constraint
- **Keypoints:**
 - ⇒ **Realistic cloud-edges**, as they are the main sources of false alarm for detecting targets on a cloudy sky
 - ⇒ Be able to generate images larger than real input images, without mosaic effect

GANs: Principle and interest

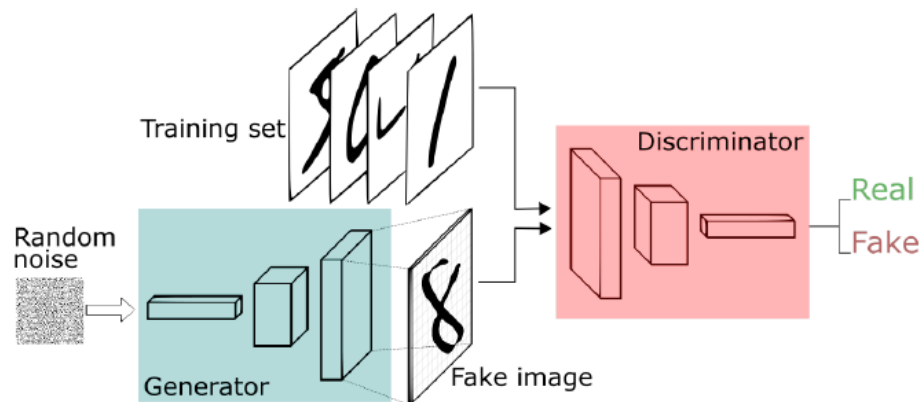
Concept proposed in 2014 in the paper **Generative Adversarial Nets** by Ian J. Goodfellow and his colleagues at University of Montreal

“Generative Adversarial networks is the most interesting idea in the last ten years in machine learning” Yann LeCun

GANs are **deep neural network** architectures made of **two different networks**, contesting with each other by playing a zero-sum game

Two networks

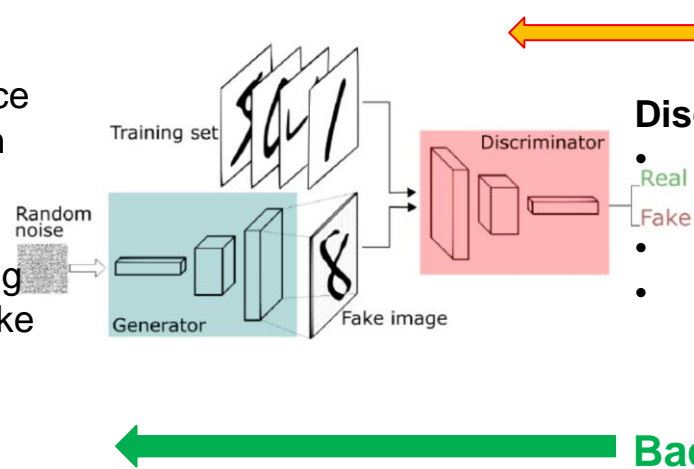
- **Generator:** learns to generate plausible data from random noise (uniform, Gaussian...)
- **Discriminator:** learns to distinguish the generator's fake data from real data



GANs: Principle and interest

Generator G:

- maps the noise to the data space
- implicitly defines the distribution $p_{\text{model}}(\cdot, \theta)$
- G loss penalizes G for producing a sample that D classifies as fake
- G weights update through backpropagation from the discriminator loss through D and G



Backpropagation for D

Discriminator D:

- classifies real data + fake data from G
- D loss penalizes missclassifications
- D weights update through backpropagation from the discriminator loss through D

Backpropagation for G

Log loss function to optimize
$$\min_G \max_D V(D, G) = \mathbb{E}_{x \sim p_{\text{data}}(x)} [\log D(x)] + \mathbb{E}_{z \sim p_z(z)} [\log(1 - D(G(z)))]$$

Discriminator output for real data x Discriminator output for generated fake data G(z)

Minimax: Inner maximization by discriminator and outer minimization by generator

⇒ Alternate discriminator and generator optimization

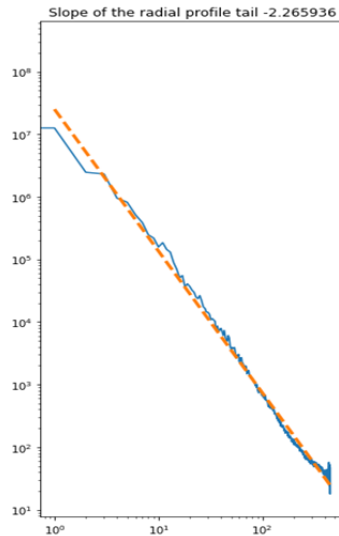
End: when the generated images are not distinguishable from real images anymore

= Nash equilibrium

Can we account for prior information?

Q : How can we decide if images simulated by GANs are realistic ?

- Basic stats: μ , σ , skewness, kurtosis
- Stats for natural images: - **power spectrum** $\sim 1/f^p$ f spatial frequency



- distribution of **difference between two adjacent pixels**
in rows or columns = generalized Laplace distri $C e^{-\left(\frac{x}{\beta}\right)^\alpha}$

- Stats for cloud edges: quantiles of distribution of difference between two adjacent pixels in row or columns at cloud edges

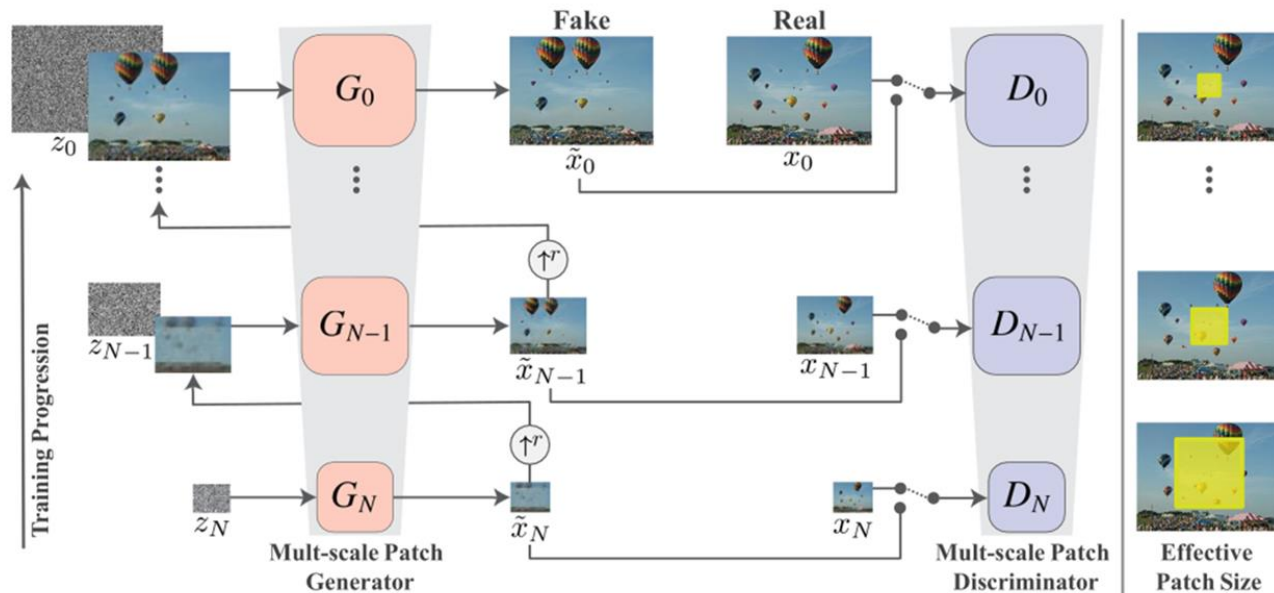
=> **Take into account some of these criteria in the loss**

Ongoing work – PhD P. Chatillon (dir. Y. Gousseau Télécom)

Goals:

- Add terms linked to relevant prior physics information in loss function
- Accounting for multiscale effects
- Super-resolution from low resolution images

First results using SinGAN:

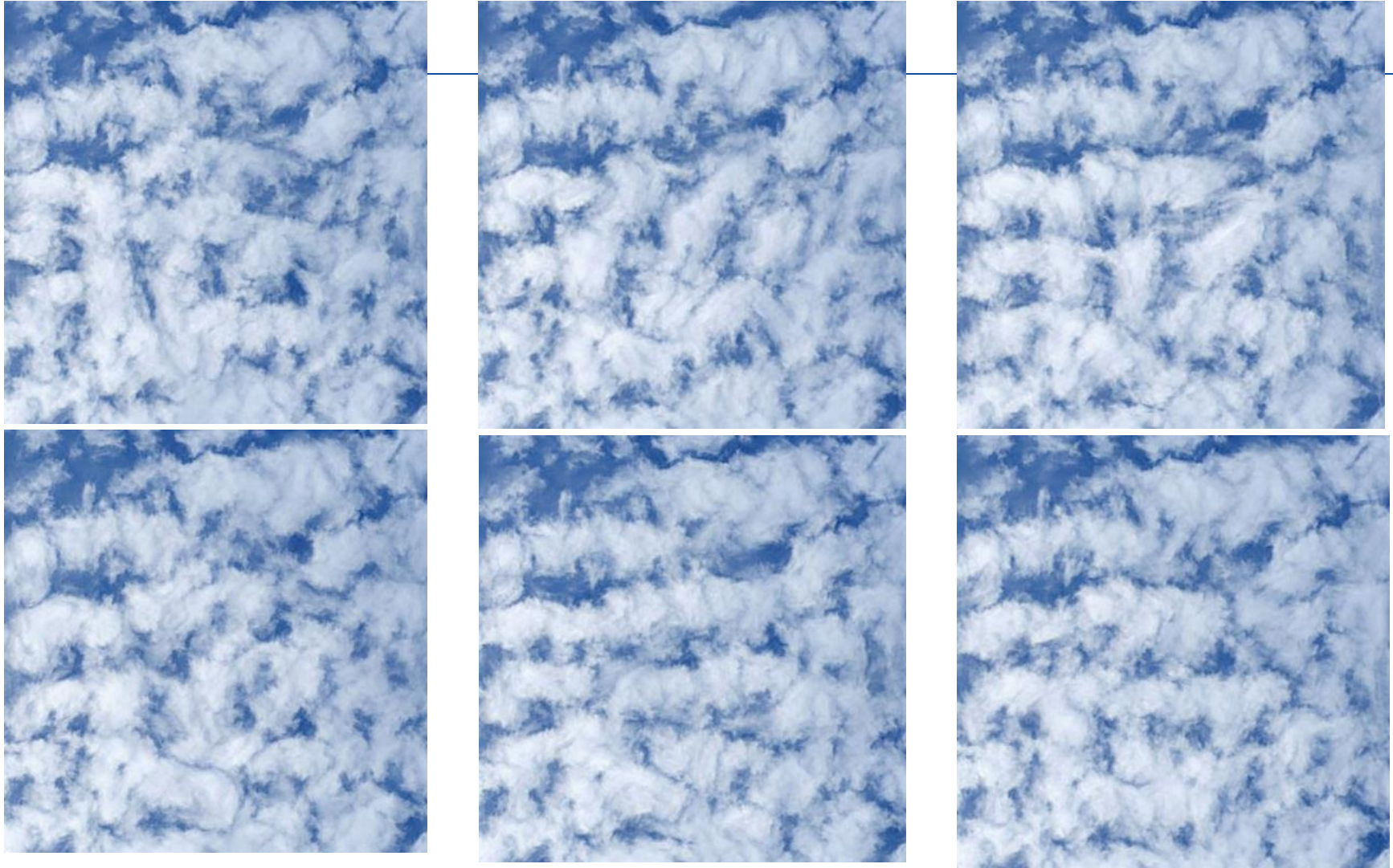


Aim at learning internal stats of patches at different scales within a single image

Trained in a coarse-to-fine fashion

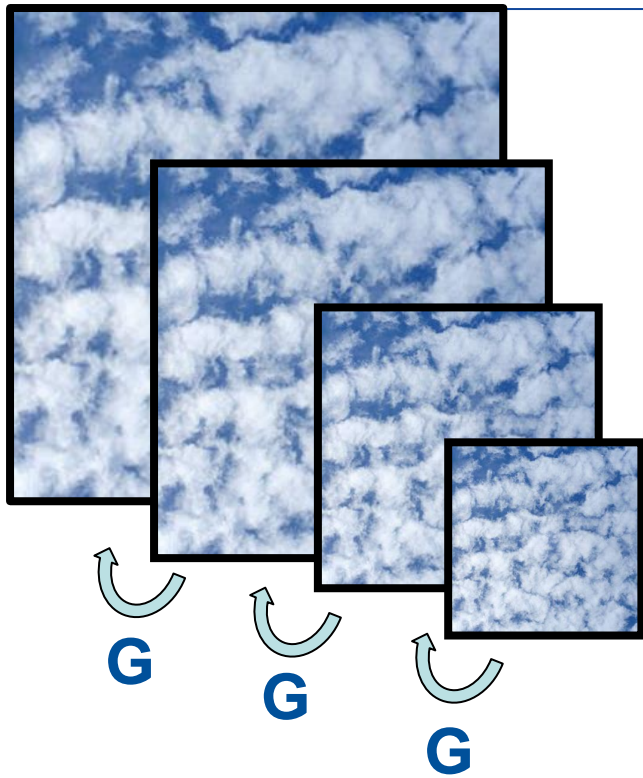
Tamar Rott Shaham, Tali Dekel, Tomer Michaeli: SinGAN: Learning a Generative Model from a Single Natural Image

Examples of generation with Singan



➤ **Copy on image borders**

'Super-resolution' with SinGAN



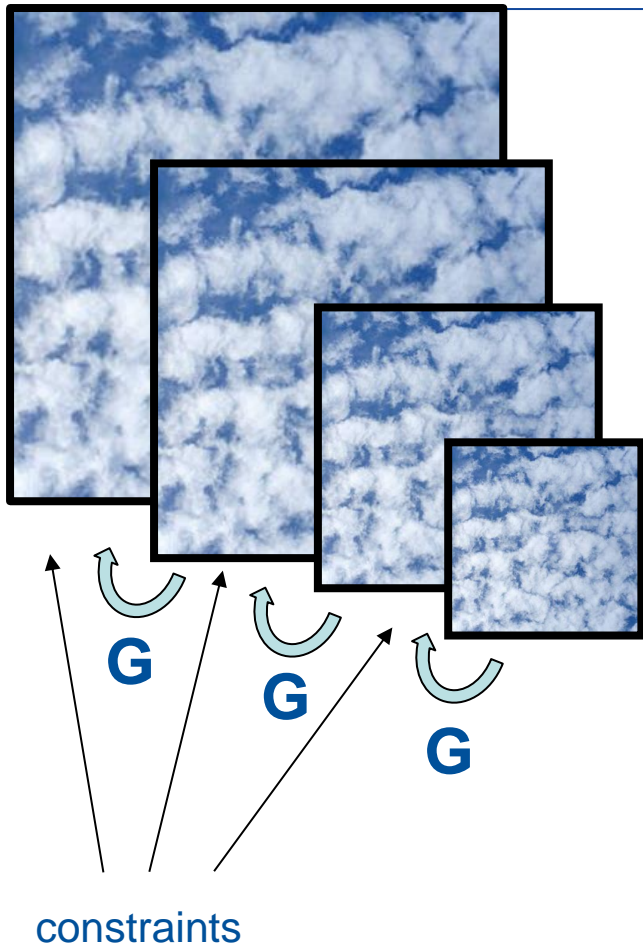
- Use the same generator for every scale



Use the learned generator to create higher resolution



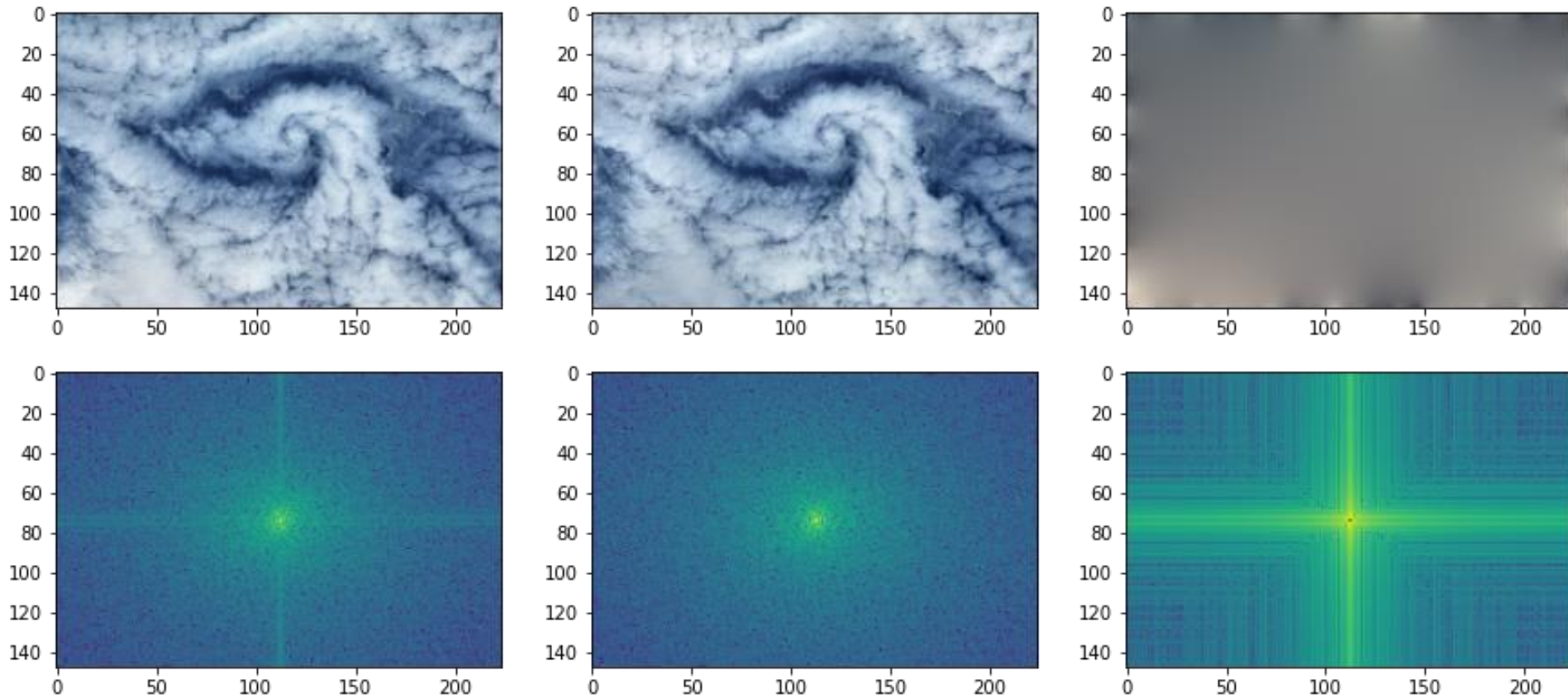
Physical constraints



- Spectrum
- Histogram
- Reversibility

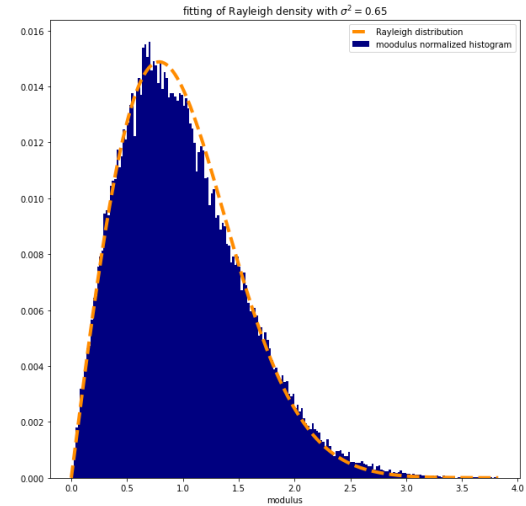
Spectrum constraint

- L. Moisan, Per plus smooth decomposition



Spectrum constraint

- Mean modulus decreases in $\frac{1}{\|\xi\|^p}$
- For $\|\xi\| = cst$, $\hat{f}(\|\xi\|)$ follows a Rayleigh distribution
- We force the modulus to follow this distribution on every circle $\|\xi\| = cst$, by 1D optimal transportation



Histogram constraint

- Sliced optimal transport $\Rightarrow I_{\text{hist}}$
- Projection onto I_{hist}

Reversibility constraint

- Consistency with blurring and subsampling
- Retained option: gradient descent on

$$\mathcal{L}_{rev} = \frac{1}{2} \|Q_r(I_{HR} * g) - I_{LR}\|^2 \quad \text{with respect to } I_{HR}$$

Examples: original



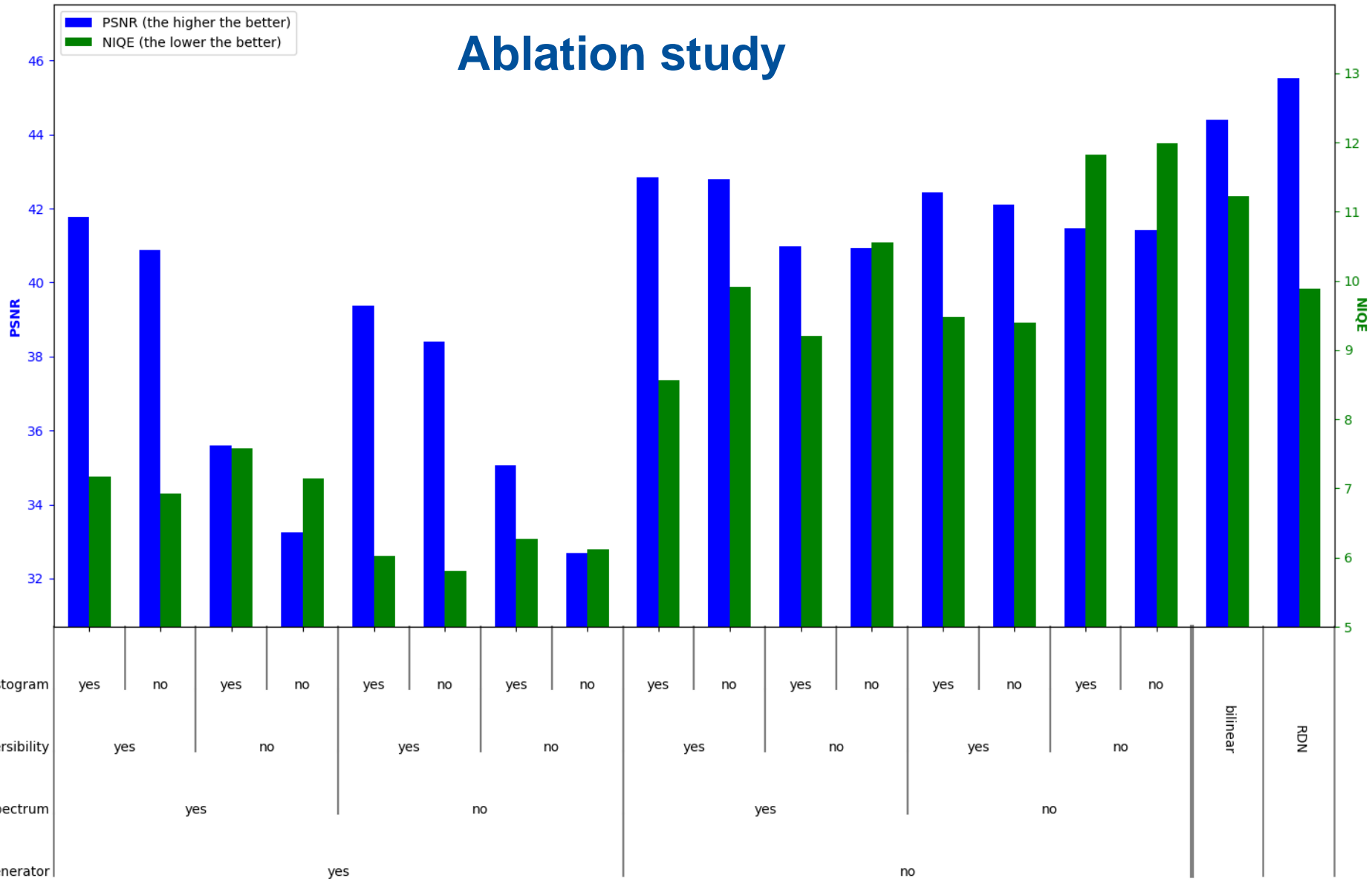
Bilinear



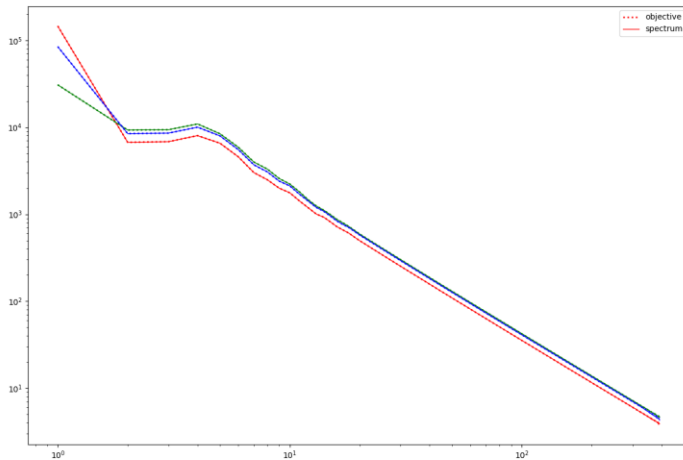
Our method



Ablation study



Generation with this procedure



Conclusion

- Promising first results for clouds synthesis and super-resolution

Next steps:

- Other architectures and frameworks
- Benchmark \neq networks: SinGAN, non stationary GAN, multiscale Gatys (High resolution neural texture synthesis with long range constraints, arXiv:2008.01808)
- 3D, multispectral...